

# **The impact of event-by-event fluctuations in the nucleon positions on nuclear PDFs**

Manoel R. Moldes

Universidade de Santiago de Compostela

Las Negras, Cabo de Gata (Spain) – Hot Quarks 2014

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# **The impact of $e+A$ collisions on nuclear PDFs**

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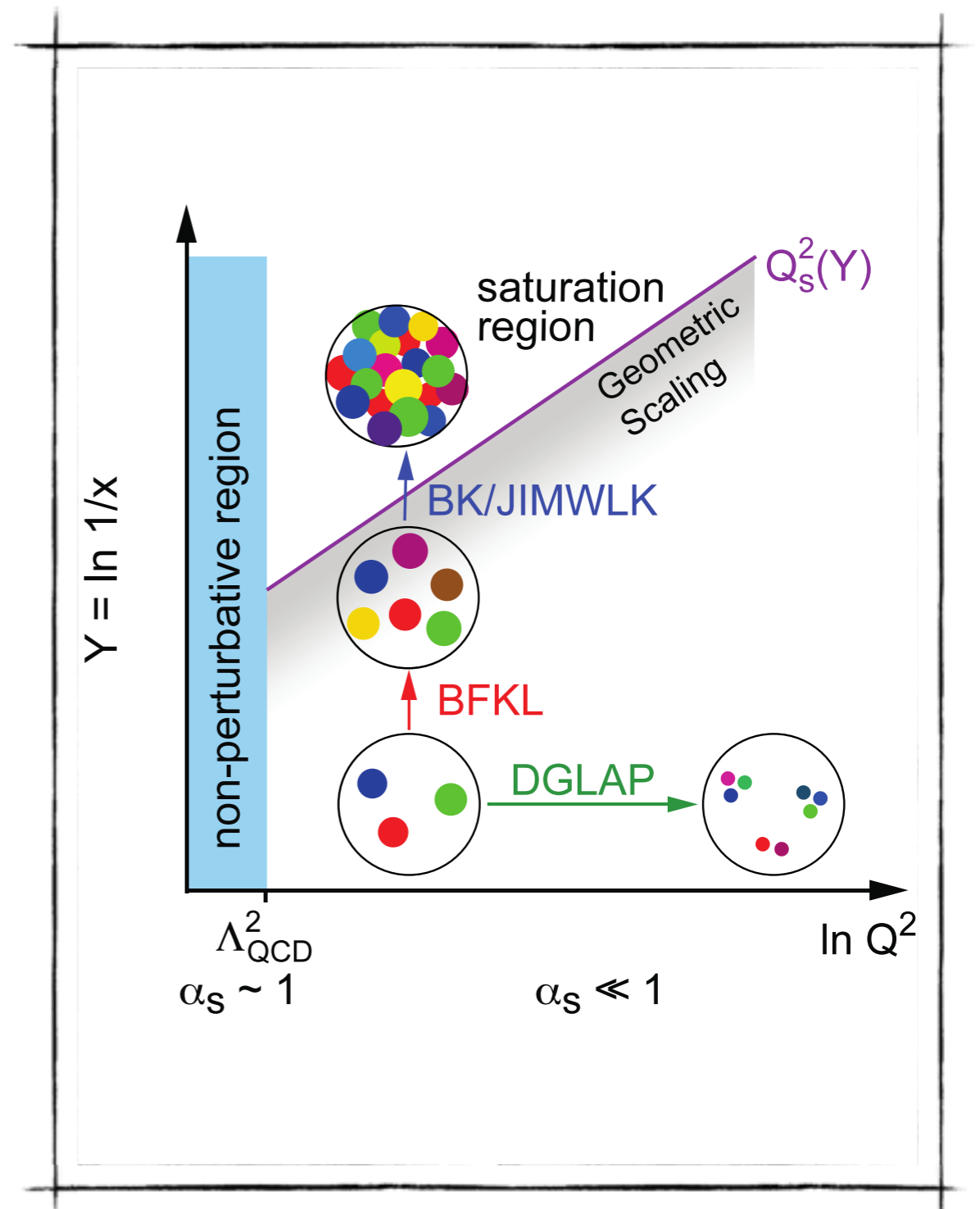
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Why  $e^+A$  collisions are  
interesting?

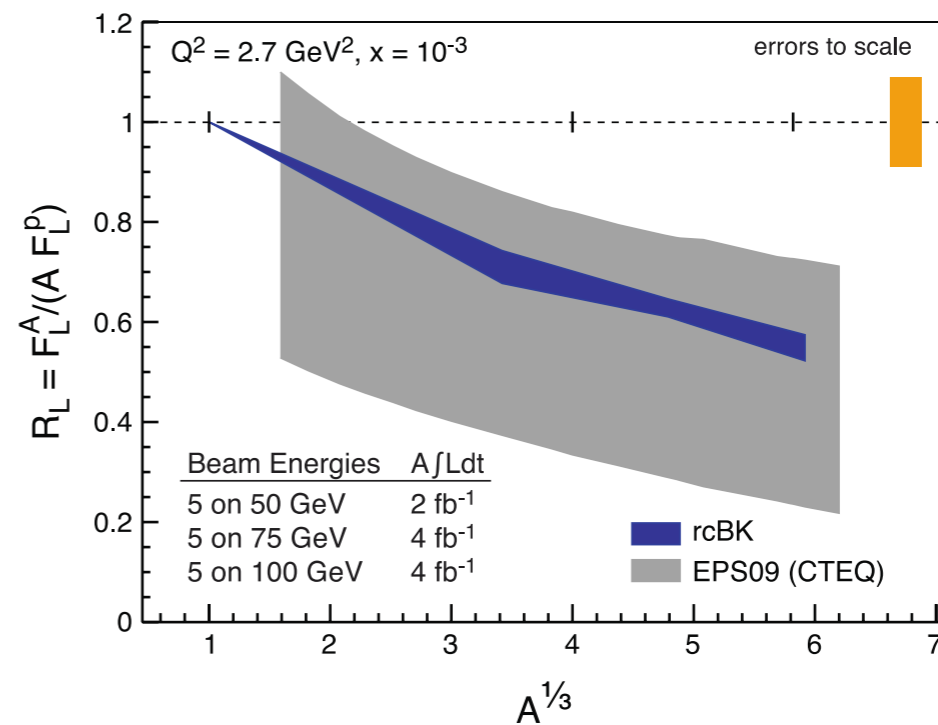
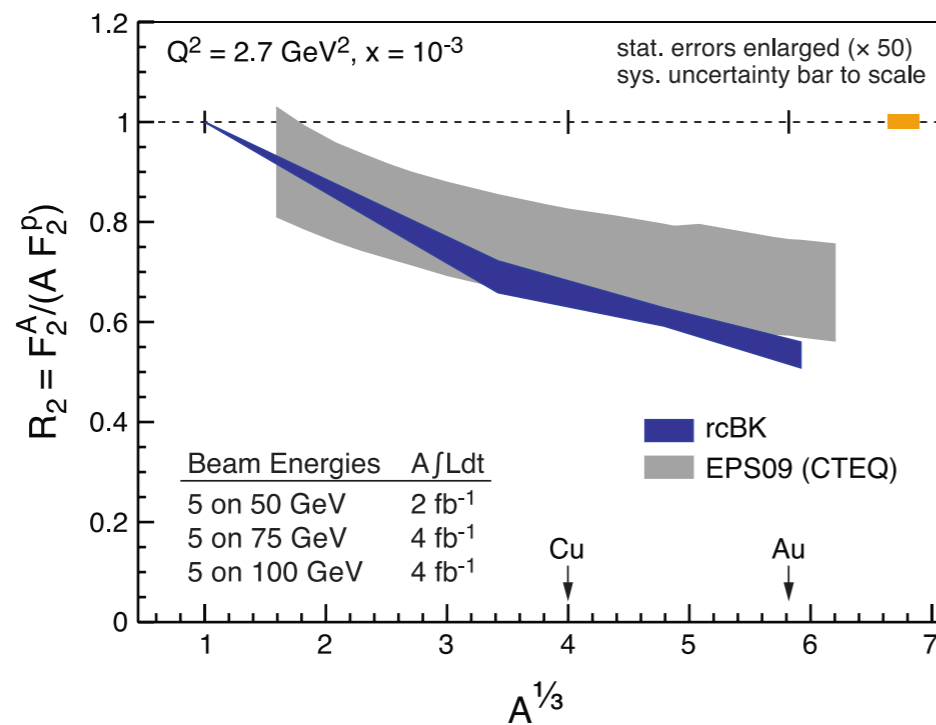
# Why $e^+A$ collisions are interesting?

- \* At asymptotically small- $x$ :
- \* QCD evolution becomes non-linear
- \* Particle production becomes non-linear



# Why $e^+A$ collisions are interesting?

- \*  $e^+A$  can provide:
  - \* measurements that will prove non-linear QCD evolution to be indispensable/irrelevant.
  - \* smoking guns for saturation (unlike, most likely,  $p^+A/A+A$ )
  - \* data on the impact parameter dependence of the gluon density and  $Q_s$ .
  - \* data on the transition from the saturation regime to confinement.
  - \* data on the universality properties of saturation regime.



Albacete, Lamont

Can NLO DGLAP simultaneously accommodate  $F_2$  and  $F_L$  data if saturation sets in according to the current models?

What do we want to do?



# What do we want to do?

Constrain the nuclear PDF's using  $e^+A$  (pseudo)data

How do we do it?

# How do we do it?

\* e+A Deep Inelastic Scattering:

\* Dipole frame

$$F_2(x, Q^2) = \frac{Q^2}{4\pi^2\alpha_{\text{em}}} (\sigma_T + \sigma_L)$$

\* Bjorken frame

$$F_2(x, Q^2) = x \sum_q e_q^2 (q(x, Q^2) + \bar{q}(x, Q^2))$$

\* Reweighting

# DIS dipole frame

\* e+p collisions

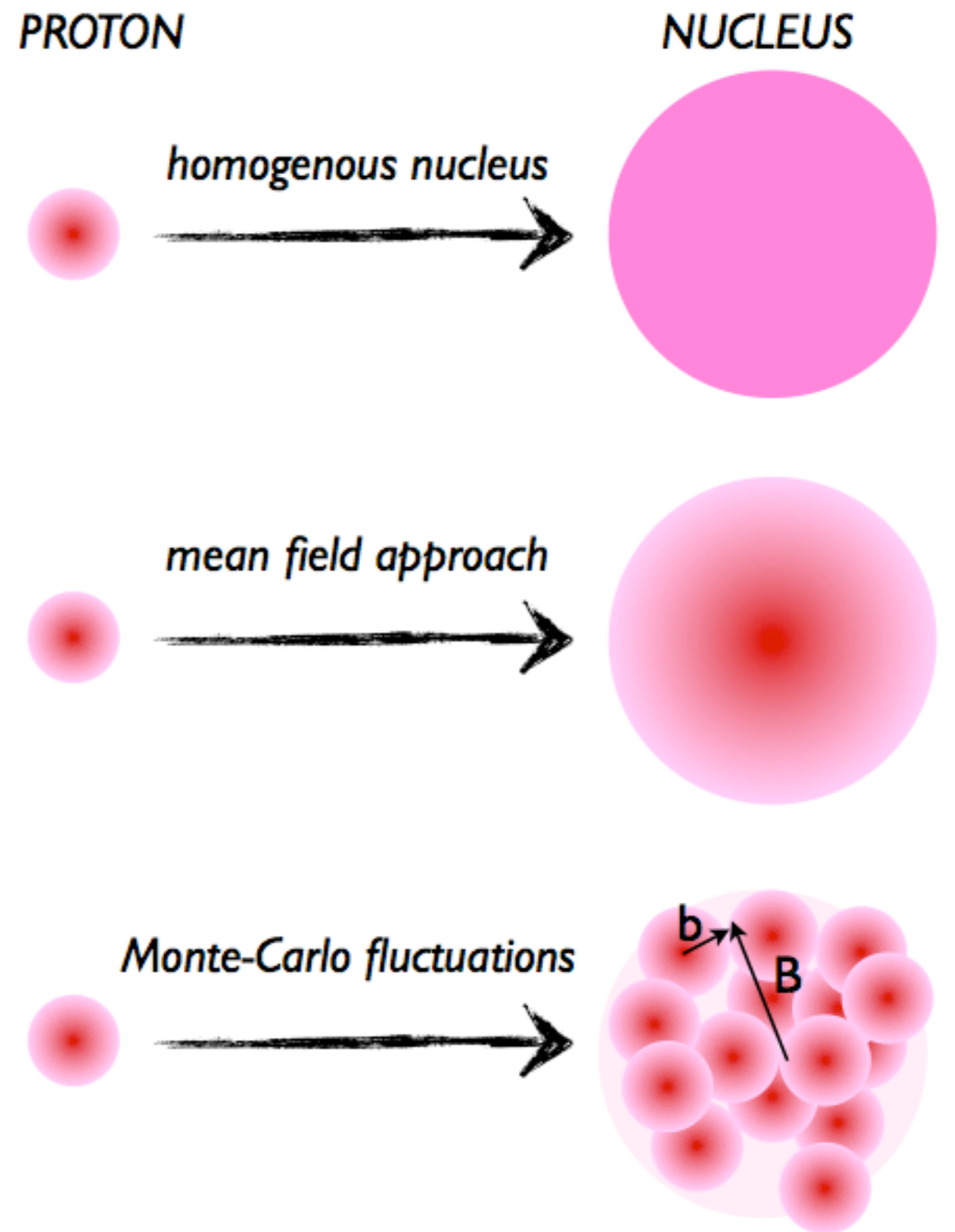
$$\sigma_{T,L}^{\gamma^*h}(x, Q^2) = \sum_q \int_0^1 dz \int d^2\mathbf{r} |\Psi_{T,L}^q(e_q, m_q, z, Q^2, \mathbf{r})|^2 \sigma_{dip}^{e+p}(r, x)$$

\* Extension to e+A collisions

$$\sigma_{dip}^{e+A}(r, x) = \int d^2b \sigma_{dip}^{e+A}(r, x, b)$$

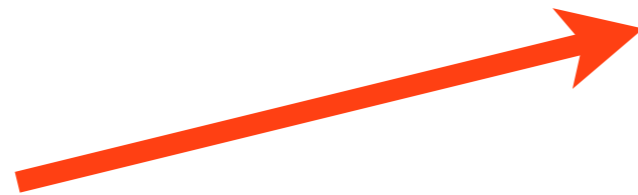
$$\sigma_{dip}^{e+A}(r, x, b) = 2 \left[ 1 - \exp \left( -\frac{1}{2} A T_A(b) \sigma_{dip}^{e+p}(r, x) \right) \right]$$

# Geometric extension of proton models to the nuclear case

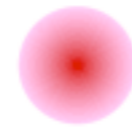


# Geometric extension of proton models to the nuclear case

The model we have



PROTON



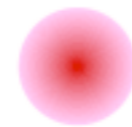
*homogenous nucleus*



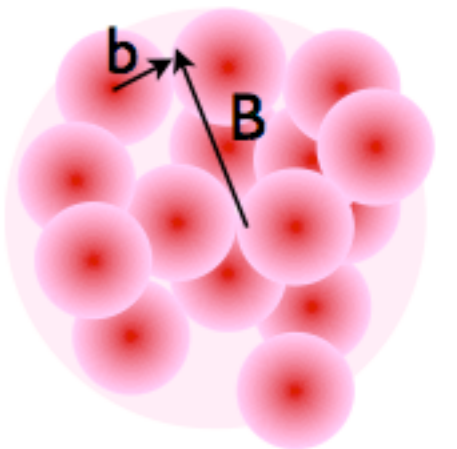
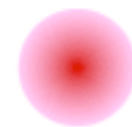
NUCLEUS



*mean field approach*



*Monte-Carlo fluctuations*



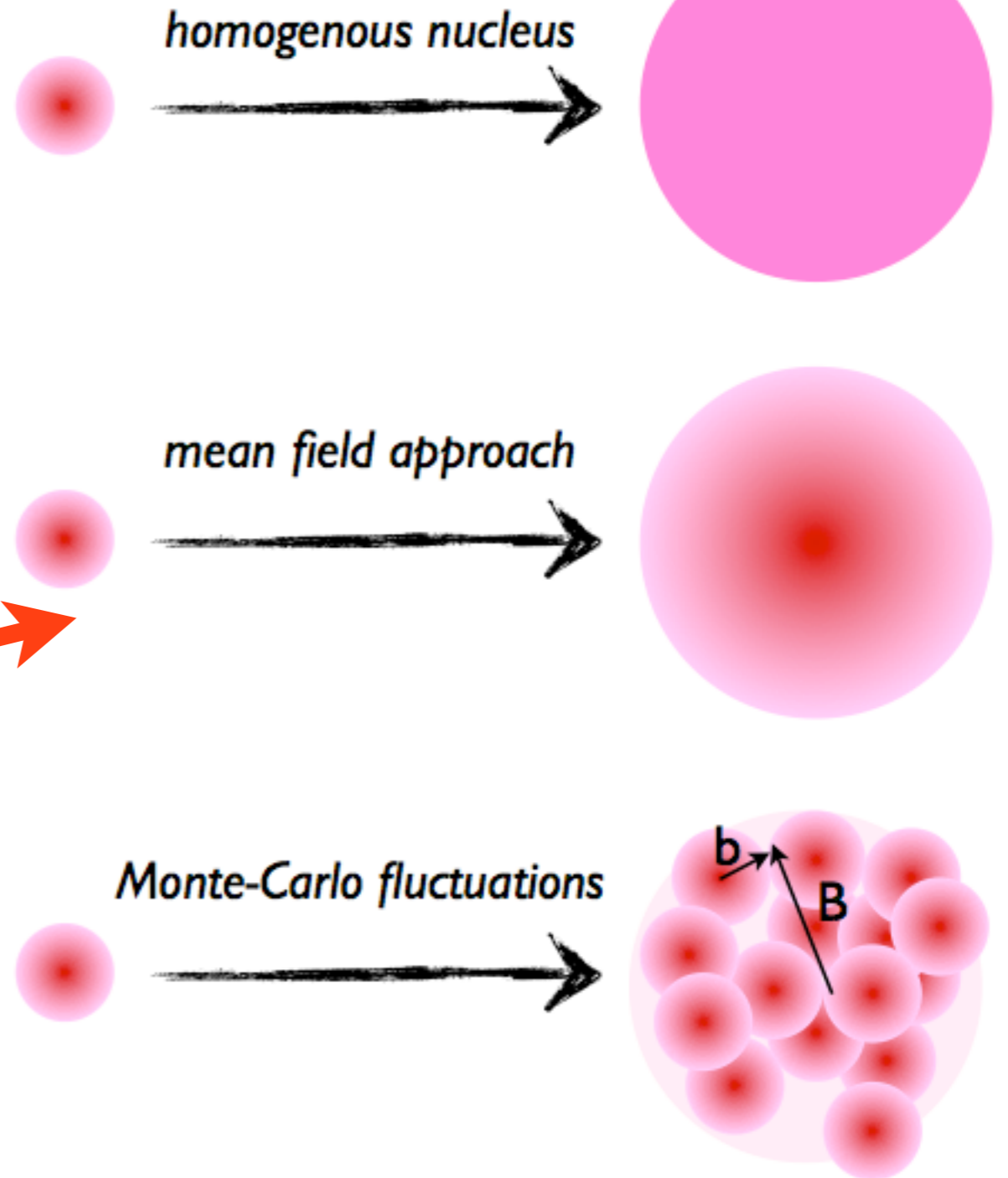
# Geometric extension of proton models to the nuclear case

The model we have

The model we want

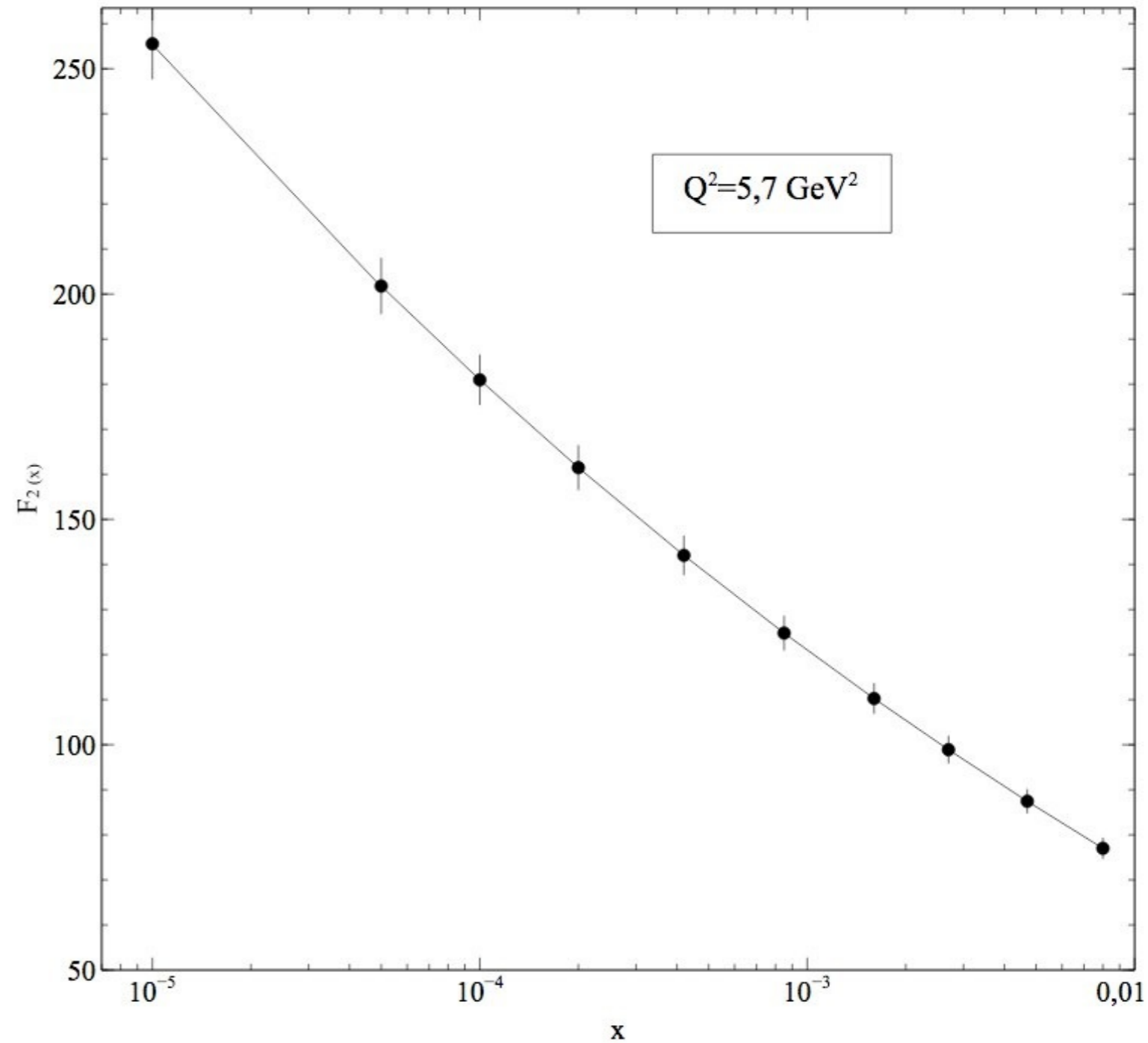
PROTON

NUCLEUS



We have the  
(pseudo)data,  
now what?

A=Au-197







Reweighting time!!

# Why do a reweighting?

- \* Technique developed to save time
- \* Quantitative estimation of data/theory incompatibility

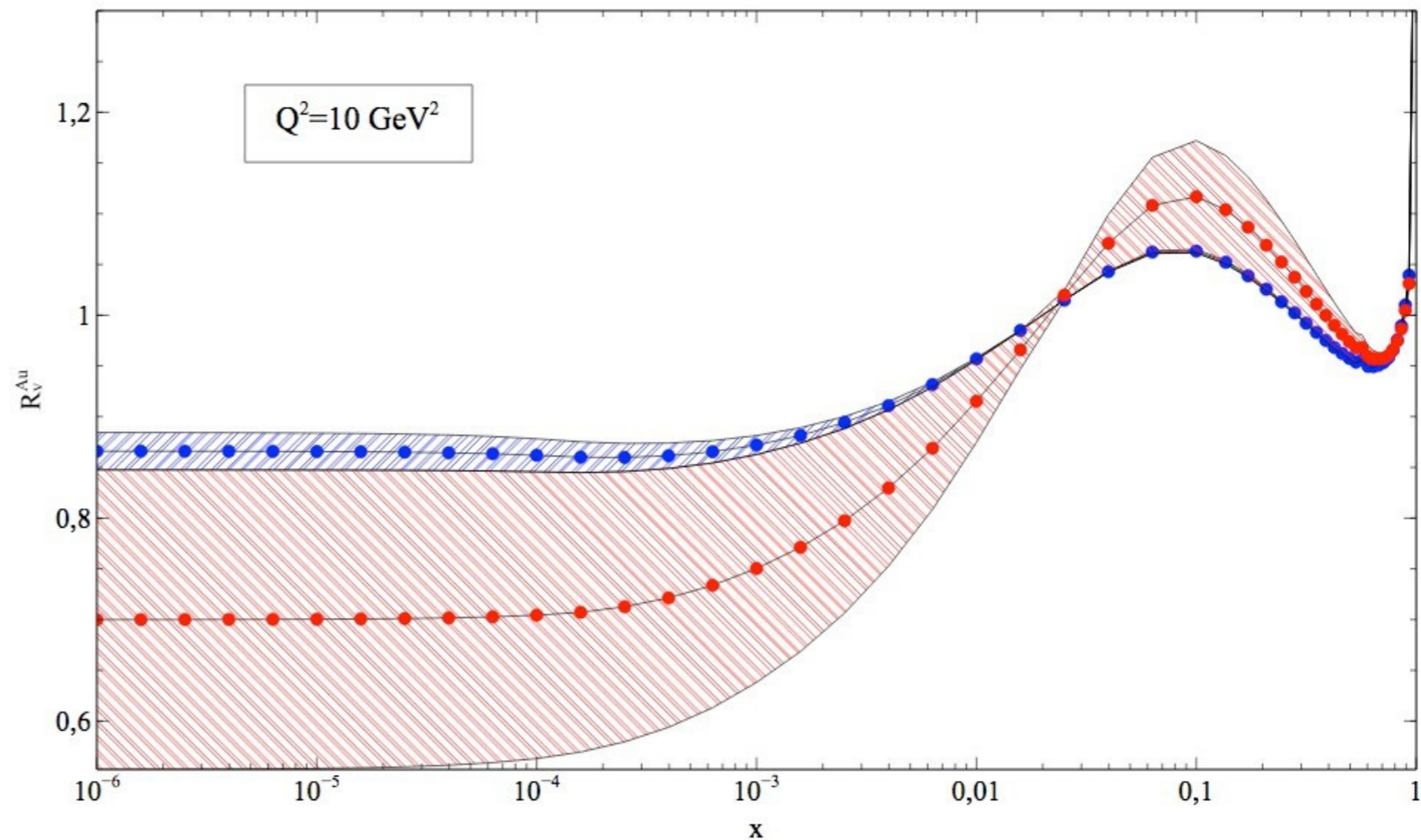
# What do we get?

(Very) preliminary results...

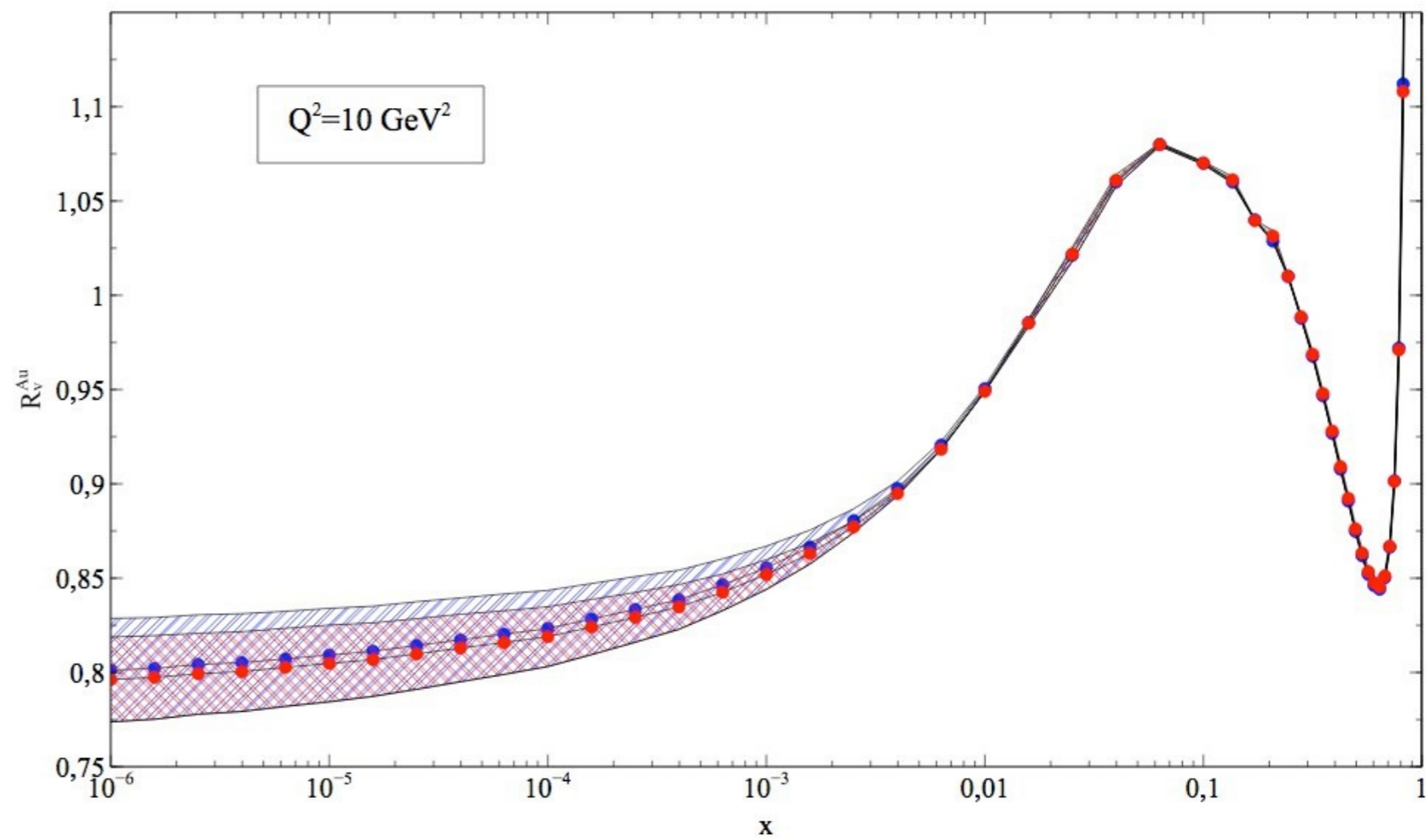
Valence

DSSZ

Red: new data  
Blue: old data



EPS09

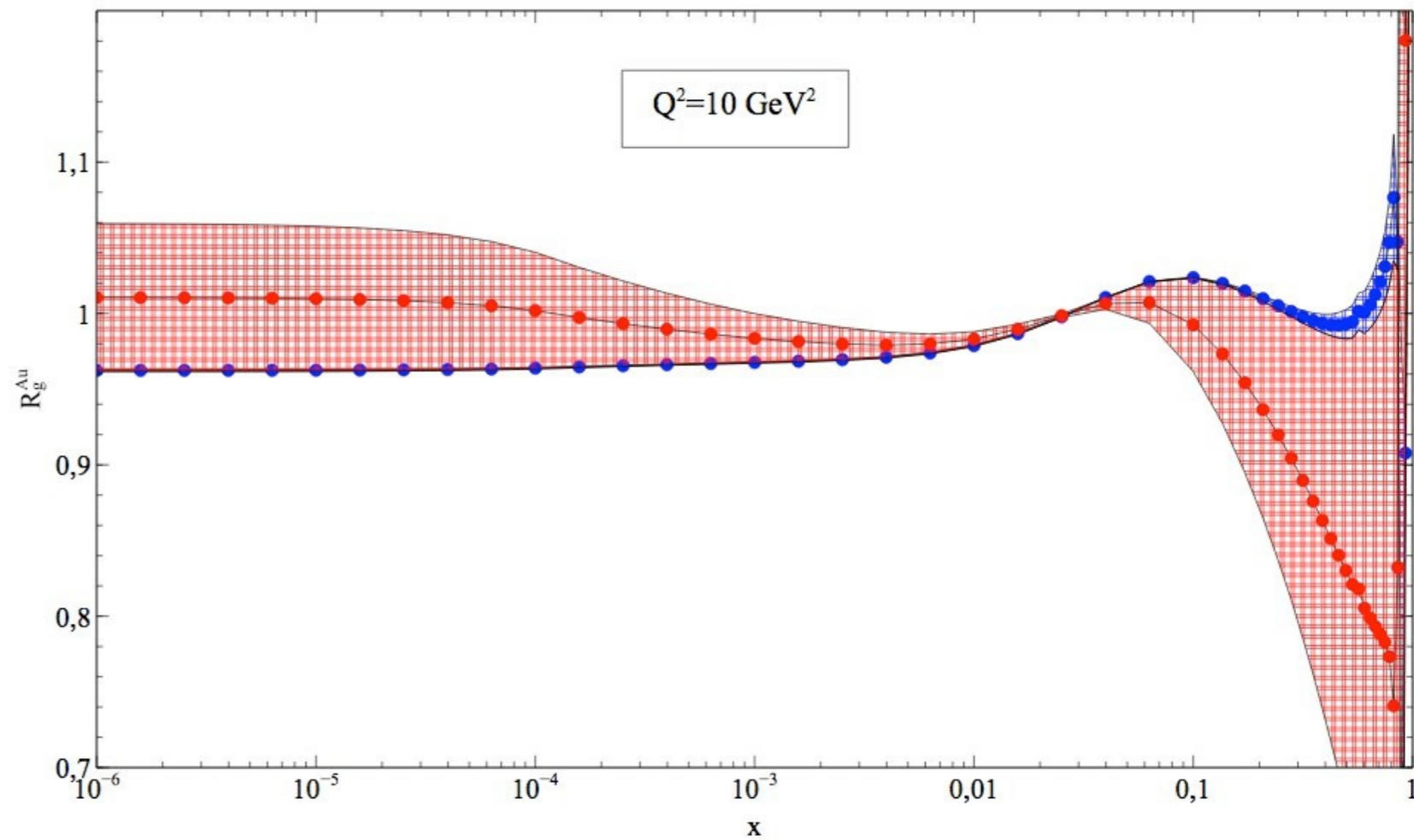


Gluons

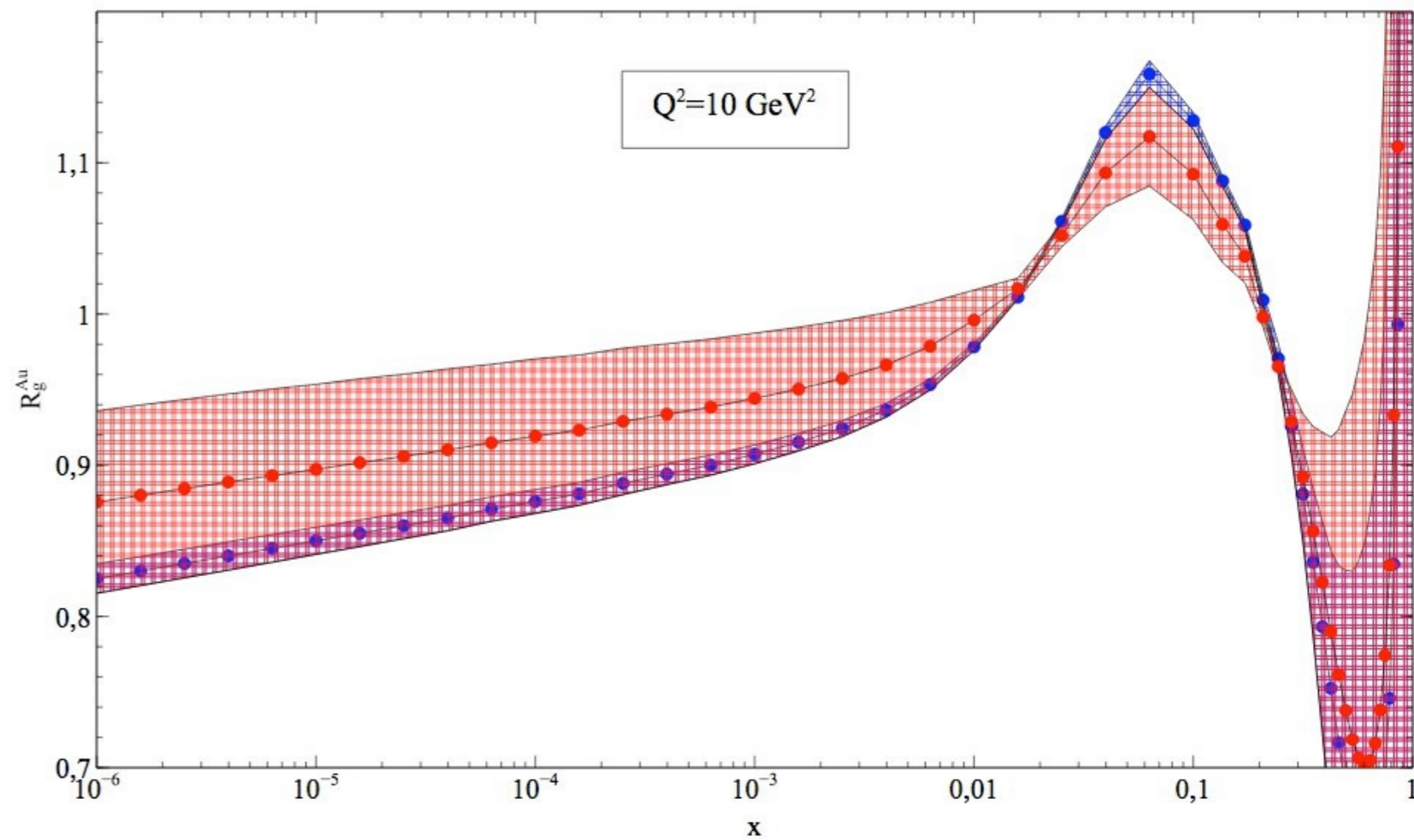
DSSZ

Red: new data

Blue: old data



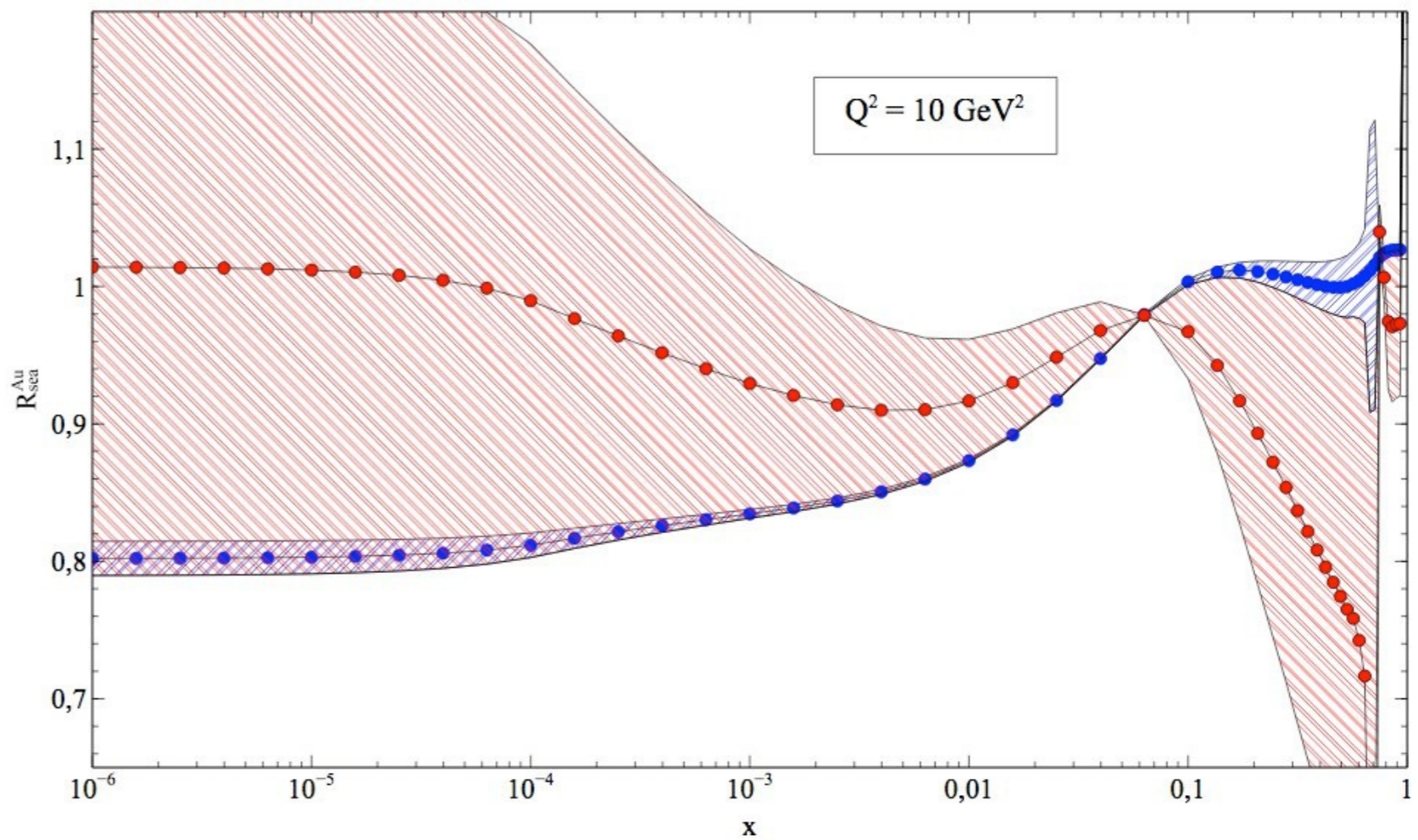
EPS09



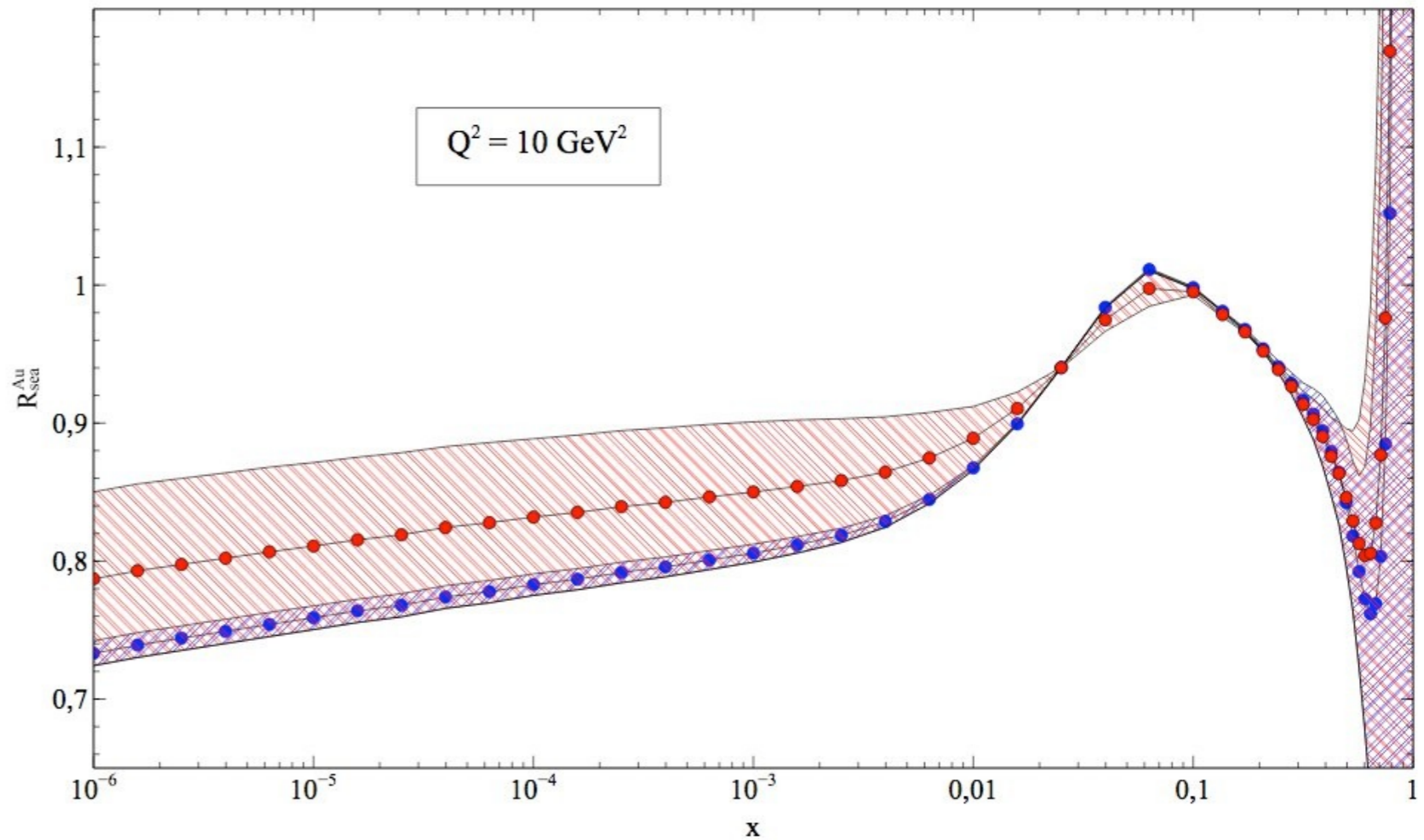
Sea

DSSZ

Red: new data  
Blue: old data



EPS09



# Reweighting penalties

	EPS09	DSSZ
Penalty term	17.23	111.88
$\Delta\chi^2$	50	30

# Conclusions

- \*  $e+A$  collisions can give us a lot of useful information.
- \* Reweighting methods are useful to treat data in a fast way.
- \* Results are still (very) preliminary.
- \* Event-by-event fluctuations to be implemented.