

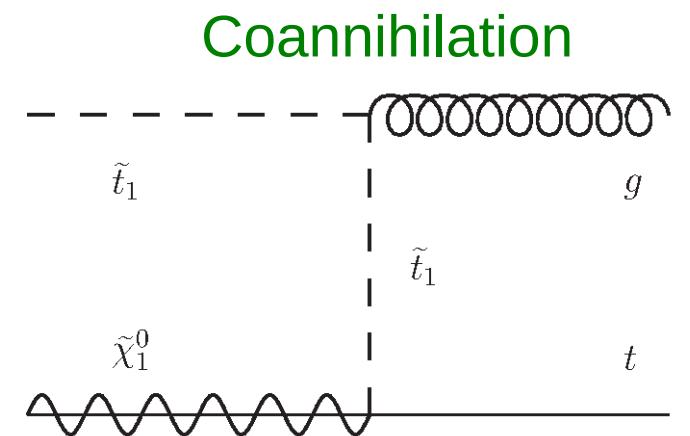
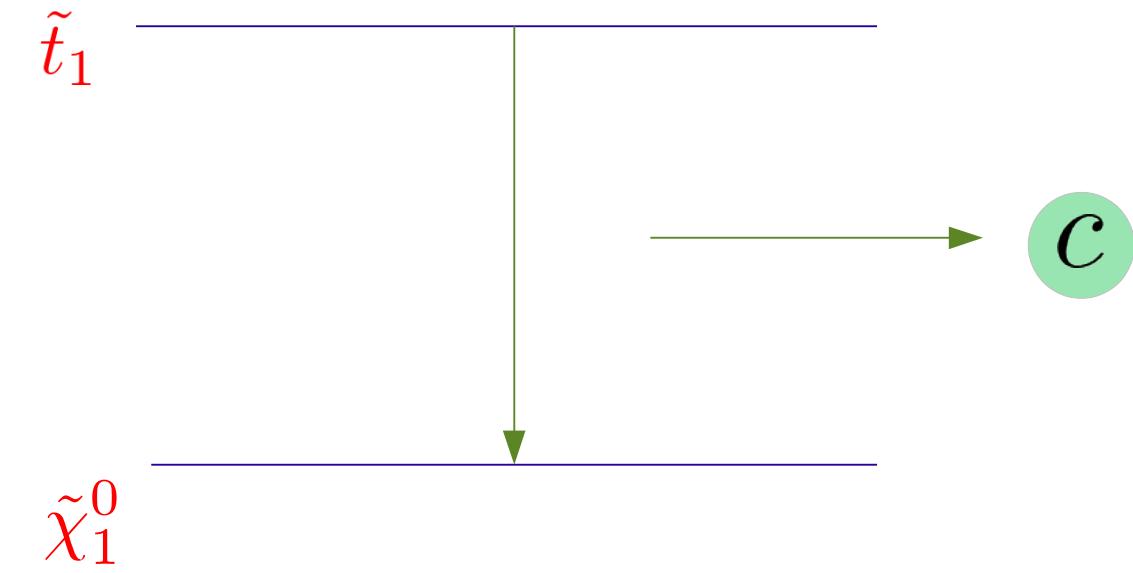
Boosted di-boson from mixed heavy top squarks

Diptimoy Ghosh

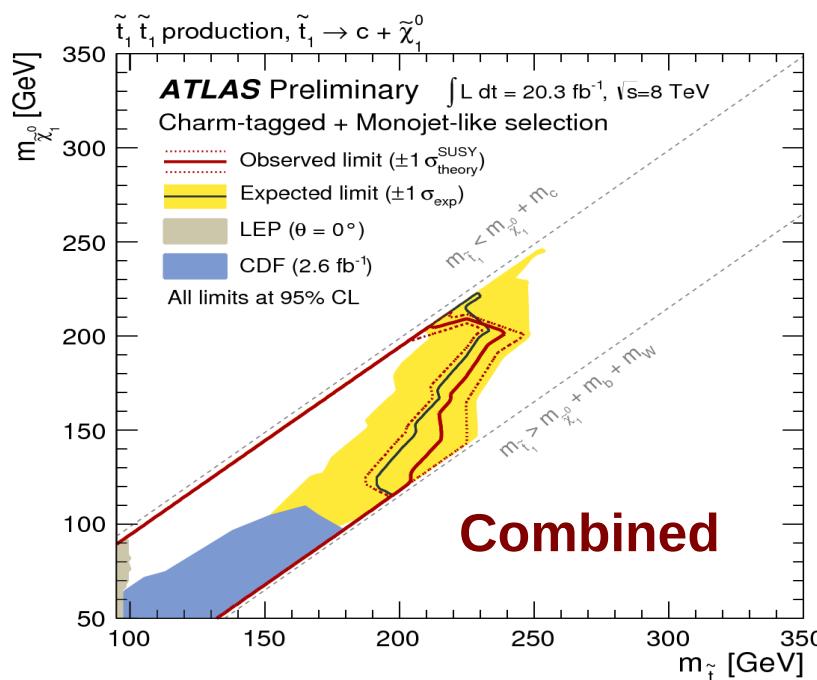
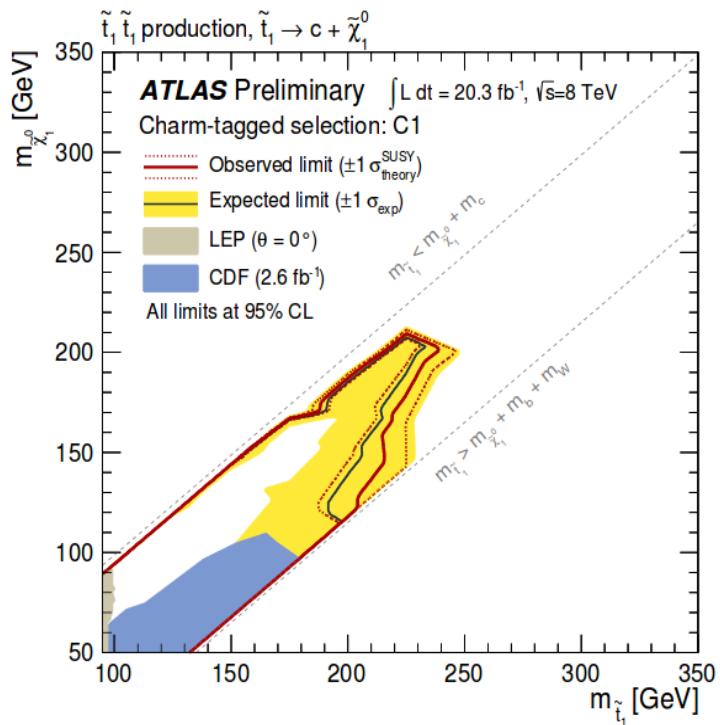
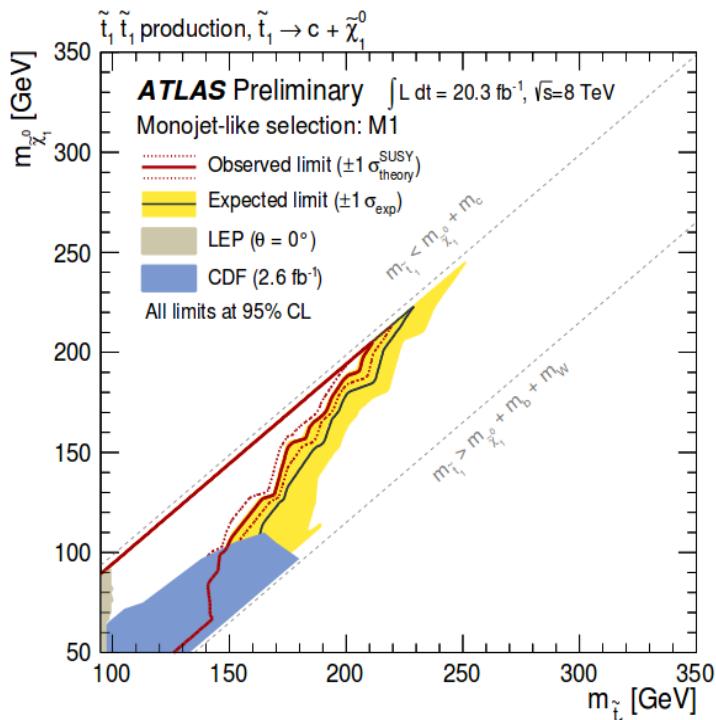
Rome



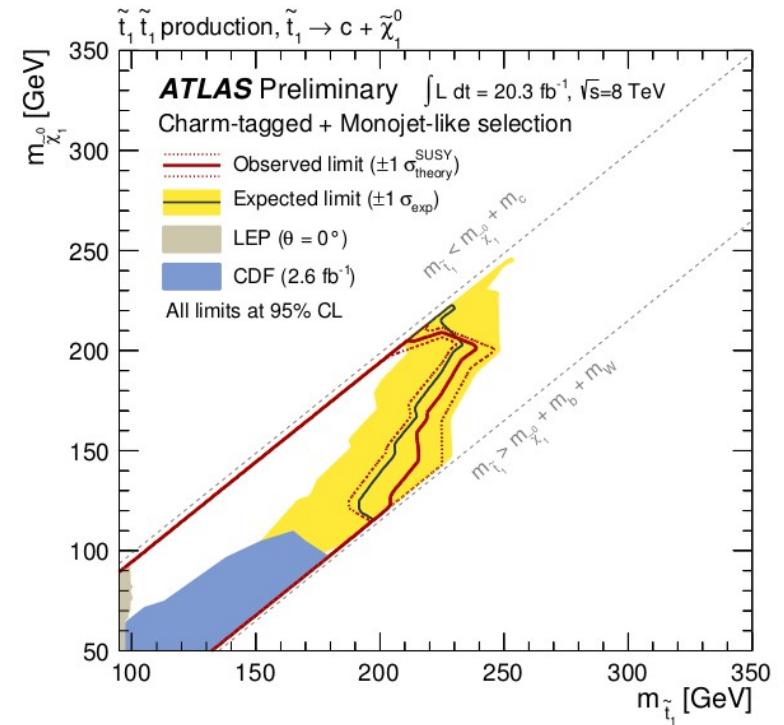
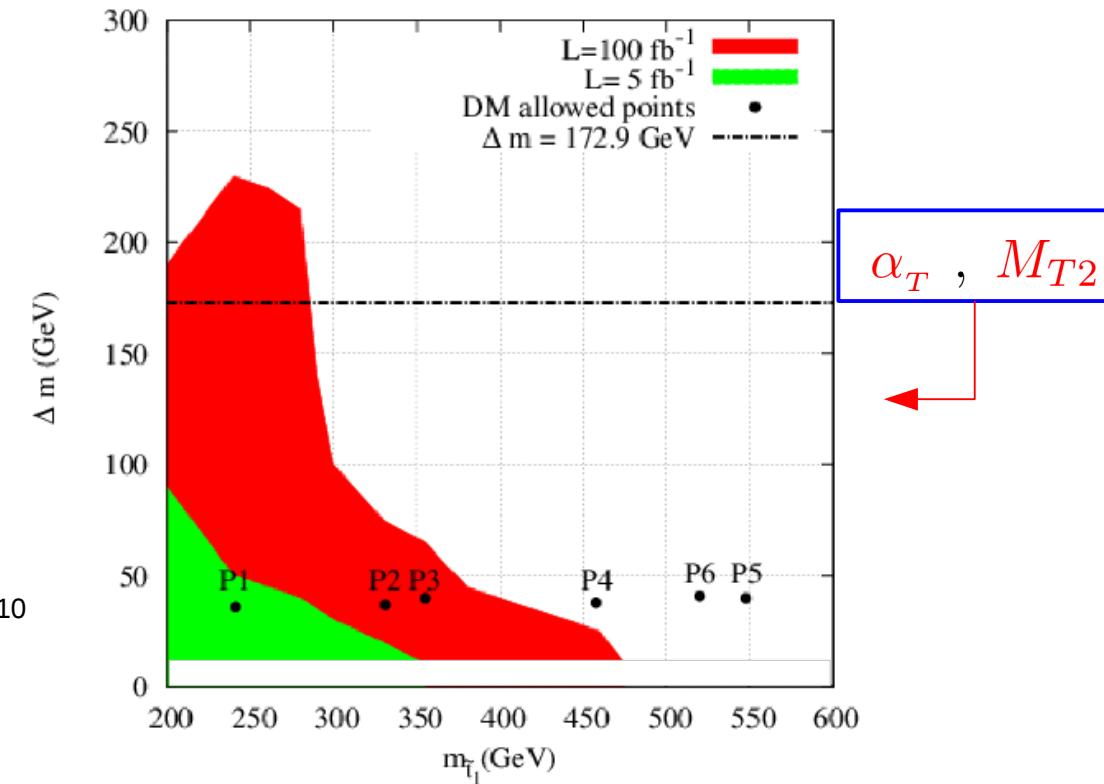
Degenerate \tilde{t}_1 and $\tilde{\chi}_1^0$



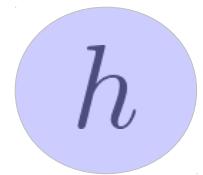
LHC8 limits



LHC14 projections



	P1	P2	P3	P4	P5	P6
$m_{\tilde{t}_1}, m_{\tilde{\chi}_1^0}$ (GeV)	241, 205	331, 294	355, 315	458, 420	548, 508	520, 479
Ωh^2	0.119	0.119	0.119	0.119	0.119	0.119
Δm (GeV)	36	37	40	38	40	41

\tilde{t}_2  \tilde{t}_1  $\tilde{\chi}_1^0$ 

\tilde{t}_2  Z \tilde{t}_1  $\tilde{\chi}_1^0$  c

Branching Ratios

$$\lambda_{\tilde{t}_2 \tilde{t}_1 h} \propto 2(\sqrt{2}G_F)^{\frac{1}{2}} M_Z^2 \times$$

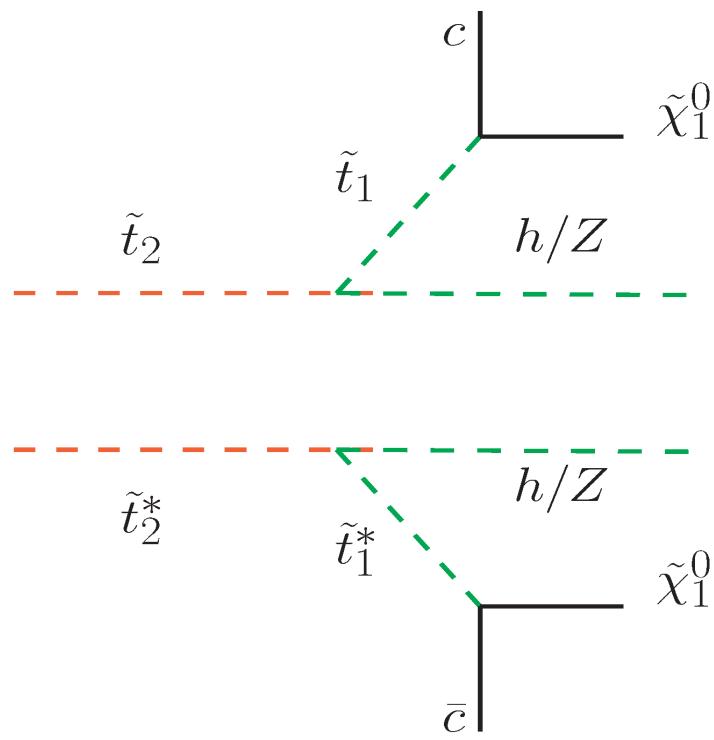
$$\left[\left(\frac{2}{3} \sin^2 \theta_W - \frac{1}{4} \right) \cos(2\beta) \sin(2\theta_t) + \frac{1}{2} \frac{m_t}{M_Z^2} \cos(2\theta_t) X_t \right]$$

$$\lambda_{\tilde{t}_2 \tilde{t}_1 Z} \approx \frac{g}{2M_W} m_t X_t$$

$$m_{\tilde{t}_{1,2}}^2 = m_t^2 + \frac{1}{2} \left[m_{LL}^2 + m_{RR}^2 \mp \sqrt{(m_{LL}^2 - m_{RR}^2)^2 + 4m_t^2 X_t^2} \right]$$

$$\sin 2\theta_t = \frac{2m_t X_t}{m_{\tilde{t}_1}^2 - m_{\tilde{t}_2}^2} , \quad \cos 2\theta_t = \frac{m_{LL}^2 - m_{RR}^2}{m_{\tilde{t}_1}^2 - m_{\tilde{t}_2}^2}$$

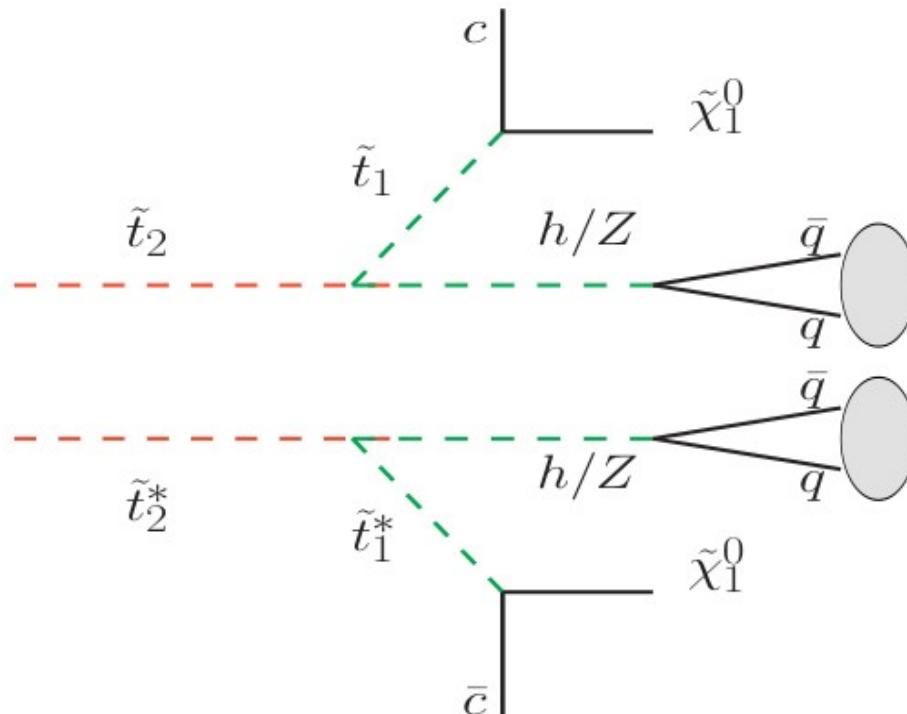
$$M_{\tilde{t}}^2 = \begin{pmatrix} m_{LL}^2 & m_t X_t \\ m_t X_t & m_{RR}^2 \end{pmatrix}$$

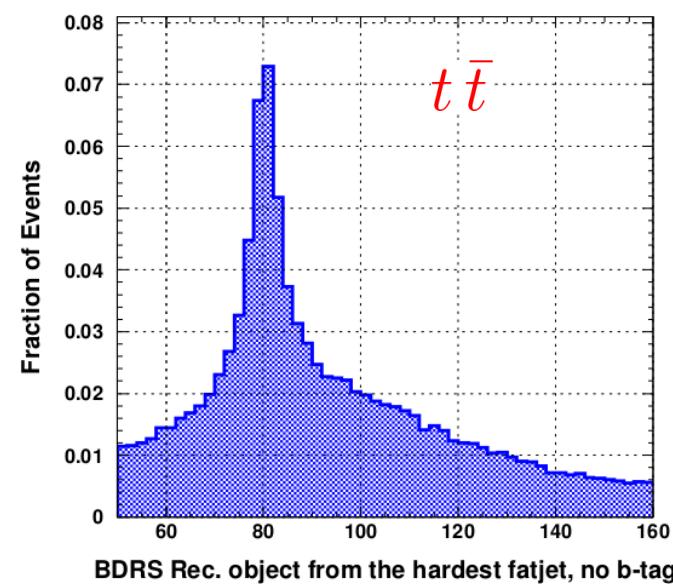
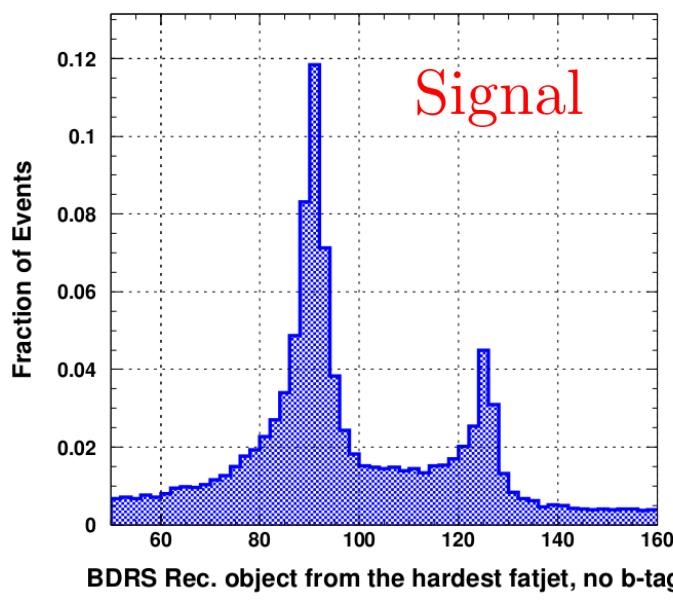


Model:1		Model:2	
pMSSM inputs	Masses	pMSSM inputs	Masses
$M_1 = 300$	$m_{\tilde{t}_2} = 1005$	$M_1 = 410$	$m_{\tilde{t}_2} = 1003$
$M_2 = 650$	$m_{\tilde{t}_1} = 334$	$M_2 = 850$	$m_{\tilde{t}_1} = 434$
$M_3 = 2100$	$m_{\tilde{\chi}_1^0} = 300$	$M_3 = 2600$	$m_{\tilde{\chi}_1^0} = 411$
$\mu = 2000$	$m_{\tilde{\chi}_2^0} = 676$	$\mu = 2000$	$m_{\tilde{\chi}_2^0} = 884$
$m_A = 1500$	$m_{\tilde{\chi}_1^\pm} = 676$	$m_A = 1500$	$m_{\tilde{\chi}_1^\pm} = 884$
$\tan \beta = 10$	$m_h = 125$	$\tan \beta = 7.5$	$m_h = 125$
$m_{Q3} = 1010$		$m_{Q3} = 1050$	
$m_{t_R} = 630$		$m_{t_R} = 770$	
$m_{b_R} = 3000$		$m_{b_R} = 3000$	
$A_t = -1700$		$A_t = -1600$	
$\mathcal{B}(\tilde{t}_2 \rightarrow \tilde{t}_1 Z) = 52\%$		$\mathcal{B}(\tilde{t}_2 \rightarrow \tilde{t}_1 Z) = 56\%$	
$\mathcal{B}(\tilde{t}_2 \rightarrow \tilde{t}_1 h) = 39\%$		$\mathcal{B}(\tilde{t}_2 \rightarrow \tilde{t}_1 h) = 41\%$	
$\mathcal{B}(\tilde{t}_1 \rightarrow c \tilde{\chi}_1^0) = 82\%$		$\mathcal{B}(\tilde{t}_1 \rightarrow c \tilde{\chi}_1^0) = 90\%$	

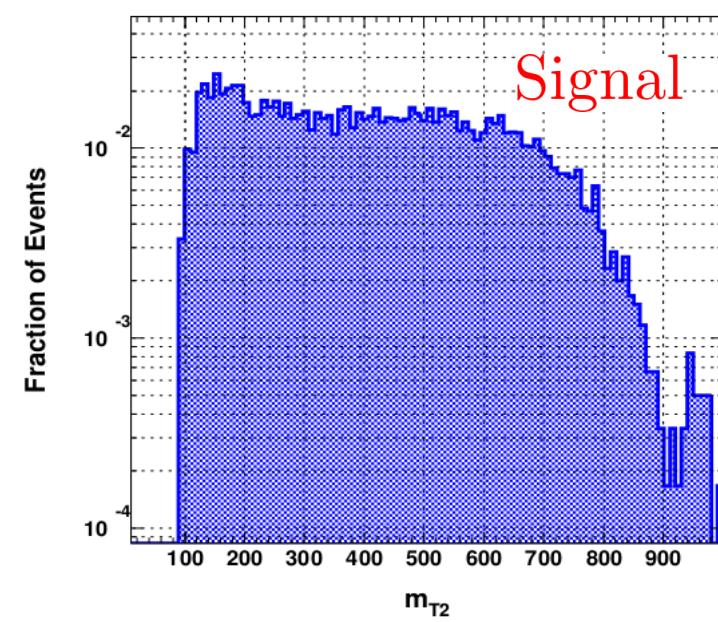
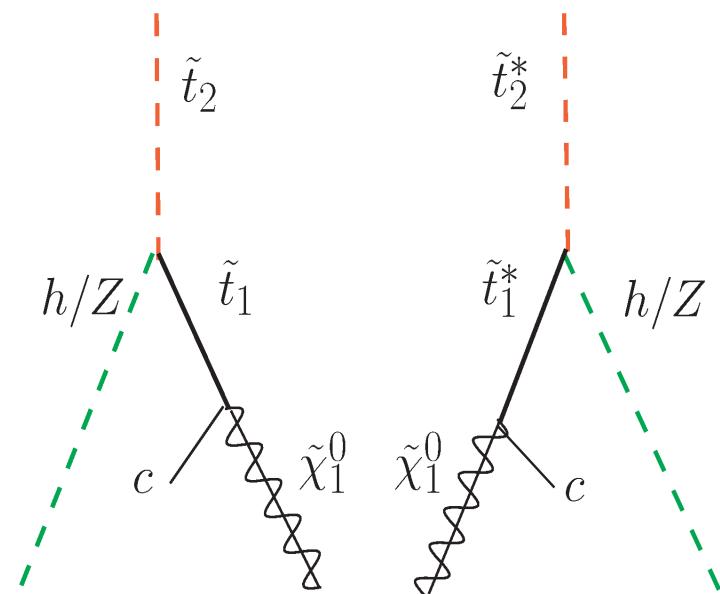
Final State

$$\begin{array}{llll}
 \text{pp} & \rightarrow & \tilde{t}_2 \tilde{t}_2^* & \rightarrow \tilde{t}_1 \tilde{t}_1^* Z Z \rightarrow Z Z \tilde{\chi}_1^0 \tilde{\chi}_1^0 c \bar{c} \\
 & & & \hookrightarrow Z Z + \cancel{p}_T + \text{soft jets} \\
 \text{pp} & \rightarrow & \tilde{t}_2 \tilde{t}_2^* & \rightarrow \tilde{t}_1 \tilde{t}_1^* Z h \rightarrow Z h \tilde{\chi}_1^0 \tilde{\chi}_1^0 c \bar{c} \\
 & & & \hookrightarrow Z h + \cancel{p}_T + \text{soft jets} \\
 \text{pp} & \rightarrow & \tilde{t}_2 \tilde{t}_2^* & \rightarrow \tilde{t}_1 \tilde{t}_1^* h h \rightarrow h h \tilde{\chi}_1^0 \tilde{\chi}_1^0 c \bar{c} \\
 & & & \hookrightarrow h h + \cancel{p}_T + \text{soft jets}
 \end{array}$$



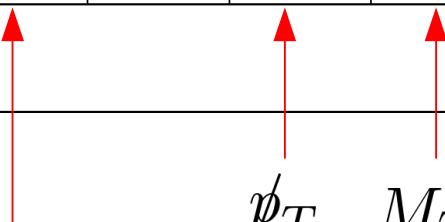


BDRS, R=1.0



Results

Process	Production cross-section	Simulated events	No. of events after						Final cross-section (fb)	\mathcal{S} (100 fb $^{-1}$)
			S1	S2	S3	S4	S5	S6		
Signal										
Model:1	10 fb	10^5	6012	4902	2736	2359	2143	1718	17.2×10^{-2}	4.3
Model:2	10 fb	10^5	6170	5319	2813	2421	2081	1853	18.5×10^{-2}	4.6
Backgrounds										
$t\bar{t}$	833 pb	10^8	221747	148580	142	41	26	11	9.1×10^{-2}	
$t\bar{t}Z(1j)$	1.12 pb	226110	2484	1444	8	7	1	1	0.5×10^{-2}	
$t\bar{t}W^\pm(1j)$	770 fb	276807	1365	787	5	3	3	2	0.5×10^{-2}	
$t\bar{t}h(1j)$	700 fb	231064	1893	1027	2	2	2	2	0.6×10^{-2}	
$t/\bar{t}W^\pm(1j)$	64 pb	6518431	7596	5801	13	9	3	3	2.9×10^{-2}	
$P_1 P_2 P_3(1j)$ $(P_i \in W Z h)$	500 fb	313350	1475	1093	10	5	4	2	0.3×10^{-2}	
$P_1 P_2 + 1j/2j$ $(P_i \in Z h)$	5.5 pb	738779	2927	2646	3	3	3	3	2.2×10^{-2}	
Total Background									16.1×10^{-2}	



 \cancel{p}_T M_{T2}

 $h h/h Z/Z Z$

Boosted dibosons from mixed heavy top squarksDiptimoy Ghosh^{*}

INFN, Sezione di Roma, Piazzale A. Moro 2, I-00185 Roma, Italy and Fermilab, P.O. Box 500, Batavia, Illinois 60510, USA

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The lighter mass eigenstate (\tilde{t}_1) of the two top squarks, the scalar superpartners of the top quark, is extremely difficult to discover if it is almost degenerate with the lightest neutralino ($\tilde{\chi}_1^0$), the lightest stable supersymmetric particle in the R-parity conserving supersymmetry. The current experimental bound on \tilde{t}_1 mass in this scenario stands only around 200 GeV. For such a light \tilde{t}_1 , the heavier top squark (\tilde{t}_2) can also be around the TeV scale. Moreover, the high value of the Higgs (h) mass prefers the left- and right-handed top squarks to be highly mixed, allowing the possibility of a considerable branching ratio for $\tilde{t}_2 \rightarrow \tilde{t}_1 h$ and $\tilde{t}_2 \rightarrow \tilde{t}_1 Z$. In this paper, we explore the above possibility together with the pair production of $\tilde{t}_2 \tilde{t}_2^*$, giving rise to the spectacular diboson + missing transverse energy final state. For an approximately 1 TeV \tilde{t}_2 and a few hundred GeV \tilde{t}_1 the final state particles can be moderately boosted, which encourages us to propose a novel search strategy employing the jet substructure technique to tag the boosted h and Z . The reconstruction of the h and Z momenta also allows us to construct the transverse mass M_{T2} , providing an additional efficient handle to fight the backgrounds. We show that a $4\text{--}5\sigma$ signal can be observed at the 14 TeV LHC for ~ 1 TeV \tilde{t}_2 with 100 fb^{-1} integrated luminosity.

Phys.Rev. D88 (2013) 115013, arXiv:1308.0320

Additional Material

$$A \,\rightarrow\, B\,\tilde{\chi}$$

$$m_A^2 = m_B^2 + m_{\tilde{\chi}}^2 + 2(E_{TA}E_{T\tilde{\chi}}\cosh(\Delta\eta) - {\bf p}_{TB}\!\cdot\!{\bf p}_{T\tilde{\chi}})$$

$$\eta\,=\,\tfrac{1}{2}\ln[(E+p_z)/(E-p_z)]$$

$$E_T\,=\,\sqrt{{\bf p}_T^2+m^2}$$

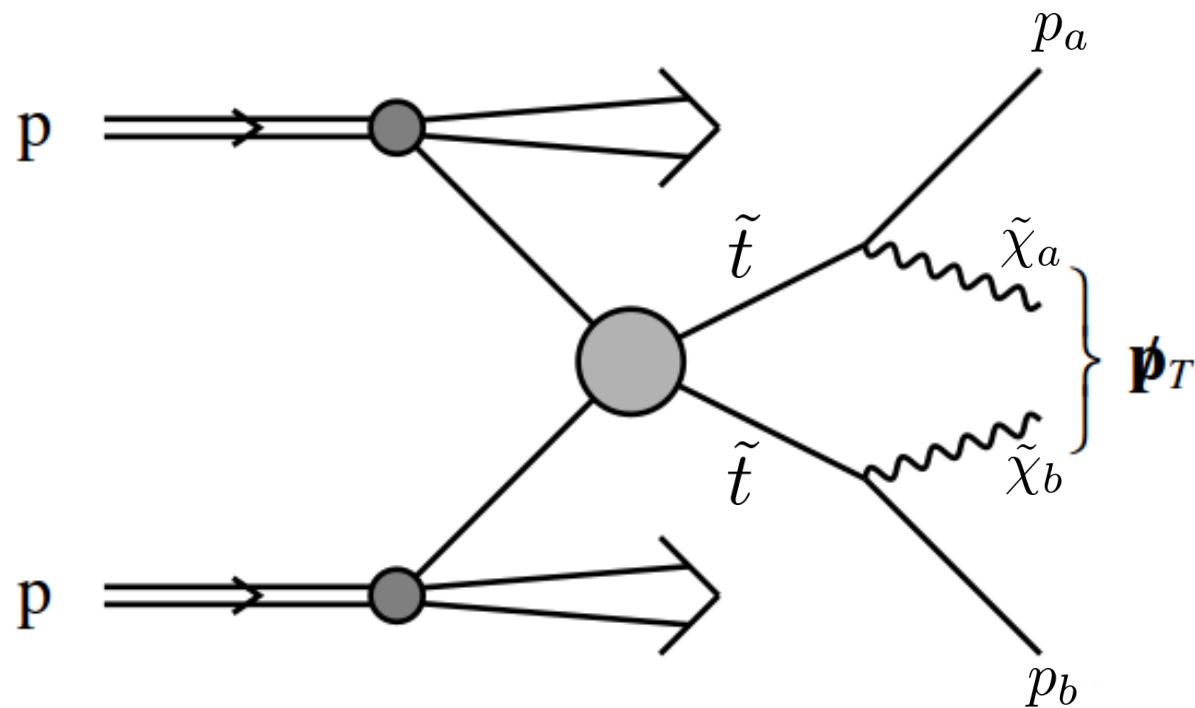
$$m_A^2 \geq m_B^2 + m_{\tilde{\chi}}^2 + 2(E_{TA}E_{T\tilde{\chi}} - {\bf p}_{TB}\!\cdot\!{\bf p}_{T\tilde{\chi}})$$

$$\downarrow$$

$$\cosh(\Delta\eta)\geq 1$$

$$m_T^2({\bf p}_{TB},{\bf p}_{T\tilde{\chi}})$$

14

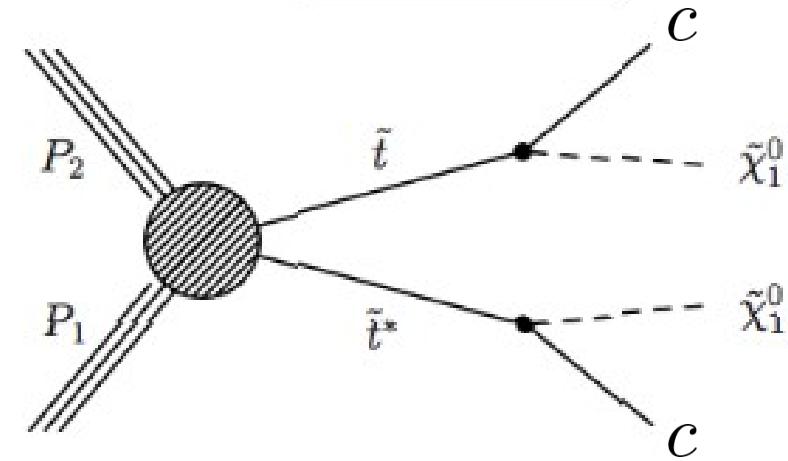


$$\not{p}_T = \not{p}_{T\tilde{\chi}_a} + \not{p}_{T\tilde{\chi}_b}$$

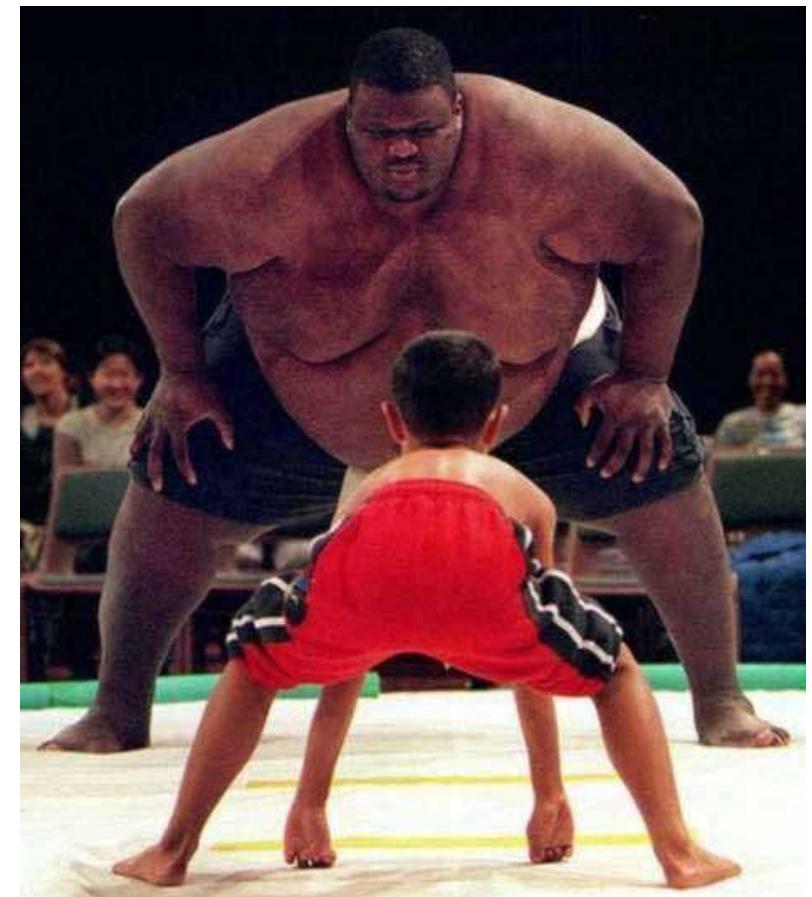
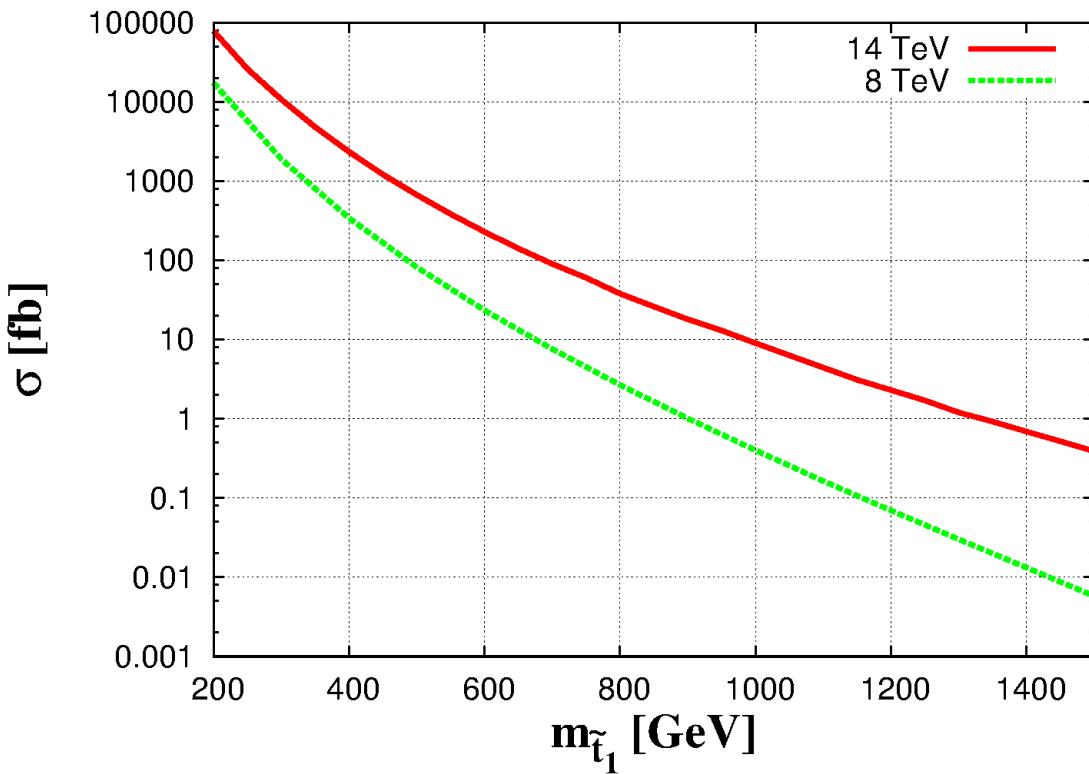
$$m_{\tilde{t}}^2 \geq m_T^2(\mathbf{p}_{Ta}, \not{p}_{T\tilde{\chi}_a})$$

$$m_{\tilde{t}}^2 \geq \min_{\not{p}_T = \not{p}_{T1} + \not{p}_{T2}} \left[\max\{m_T^2(\mathbf{p}_{Ta}, \not{p}_{T1}), m_T^2(\mathbf{p}_{Tb}, \not{p}_{T2})\} \right]$$

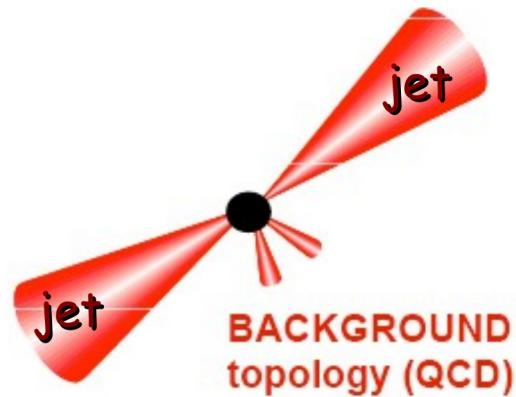
$$M_{T2}^2(\mathbf{p}_{Ta}, \mathbf{p}_{Tb}, \not{p}_T)$$



$\sigma \sim 10^9 \text{ pb}$



$$\alpha_T = \frac{p_T^{j2}}{\sqrt{H_T^2 - H_T^2}}$$



$$H_T = \sum_j |\vec{p}_T|$$

$$H_T = \left| \sum_j \vec{p}_T \right|$$

Jets are back-to-back in ϕ

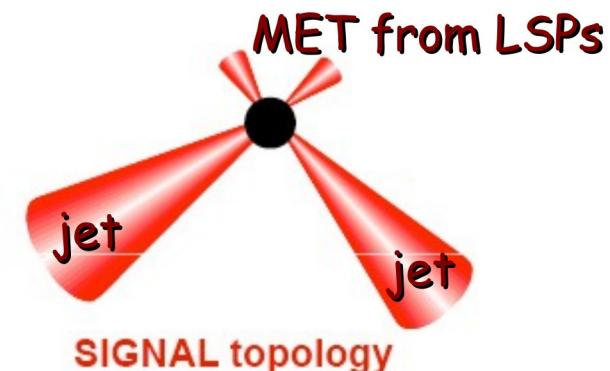
$$\alpha_T = 0.5$$

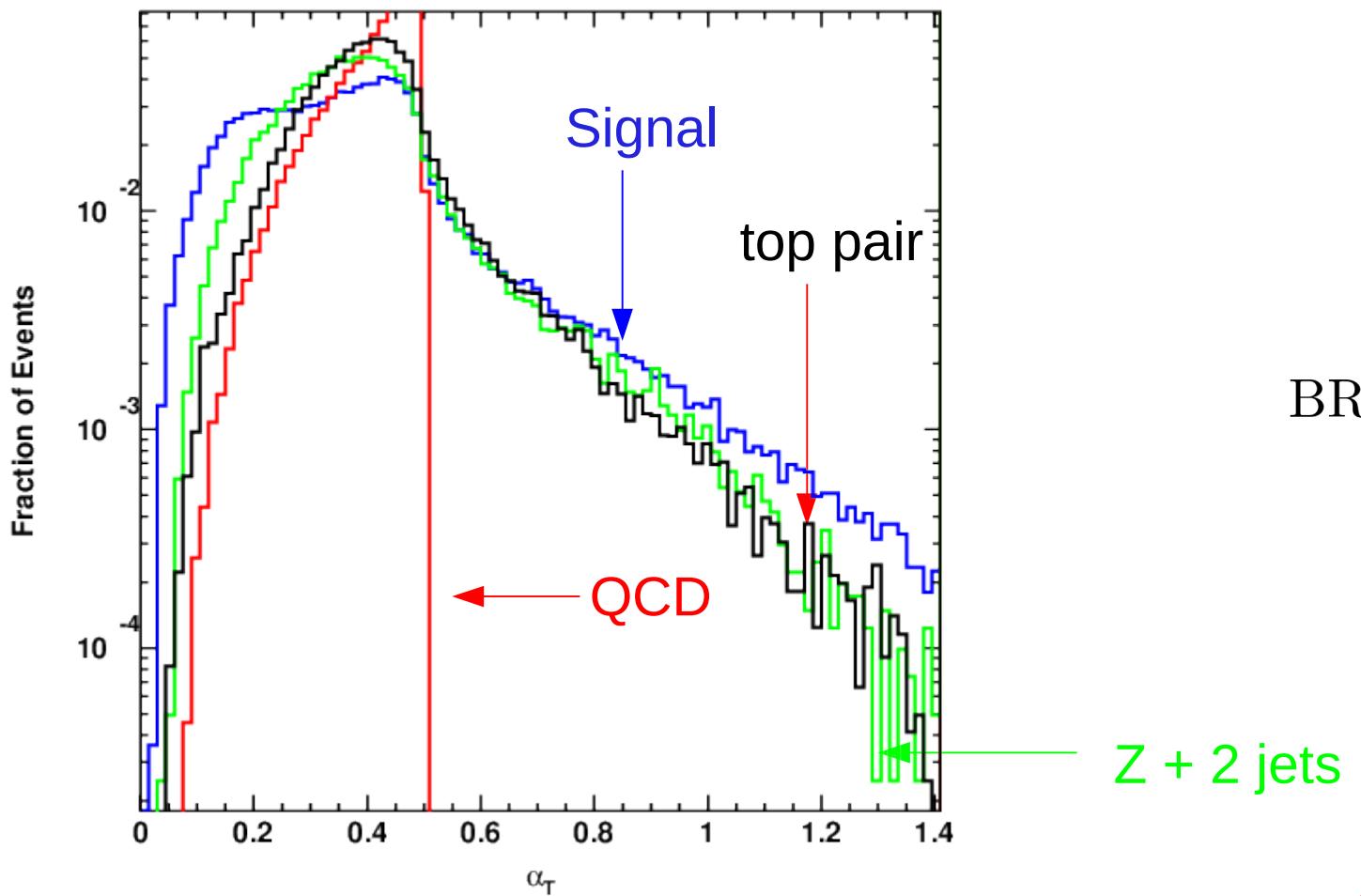
in the case of an imbalance in the measured p_T s of back-to-back jets

$$\alpha_T < 0.5$$

when the two jets are not back-to-back
and balancing genuine MET

$$\alpha_T > 0.5$$



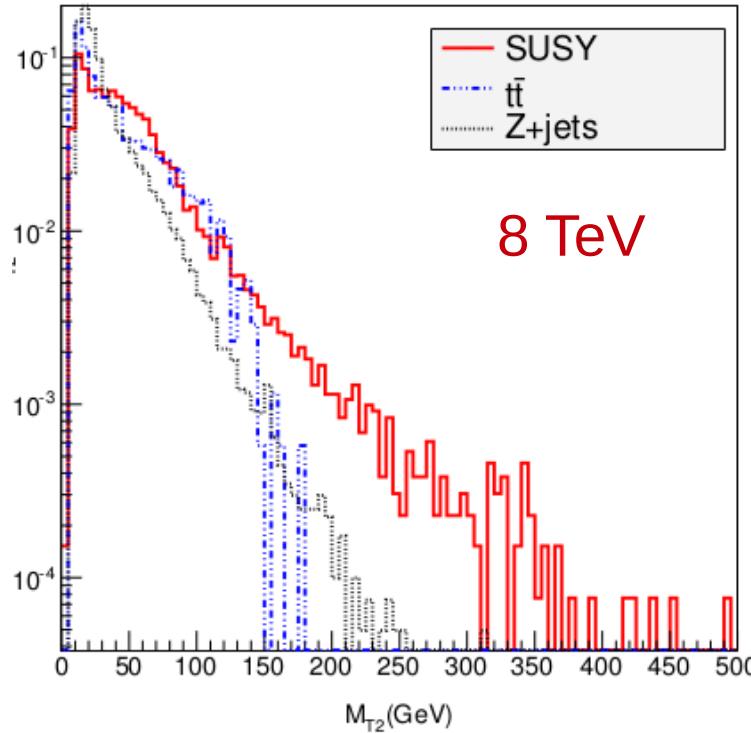


$$\begin{aligned}
 m_0 &= 2589 \\
 m_{1/2} &= 695 \\
 A_0 &= -5849 \\
 \tan \beta &= 10 \\
 m_{\tilde{t}_1} &= 331 \\
 m_{\tilde{\chi}_1^0} &= 306 \\
 \text{BR}(\tilde{t}_1 \rightarrow c \tilde{\chi}_1^0) &= 97\%
 \end{aligned}$$

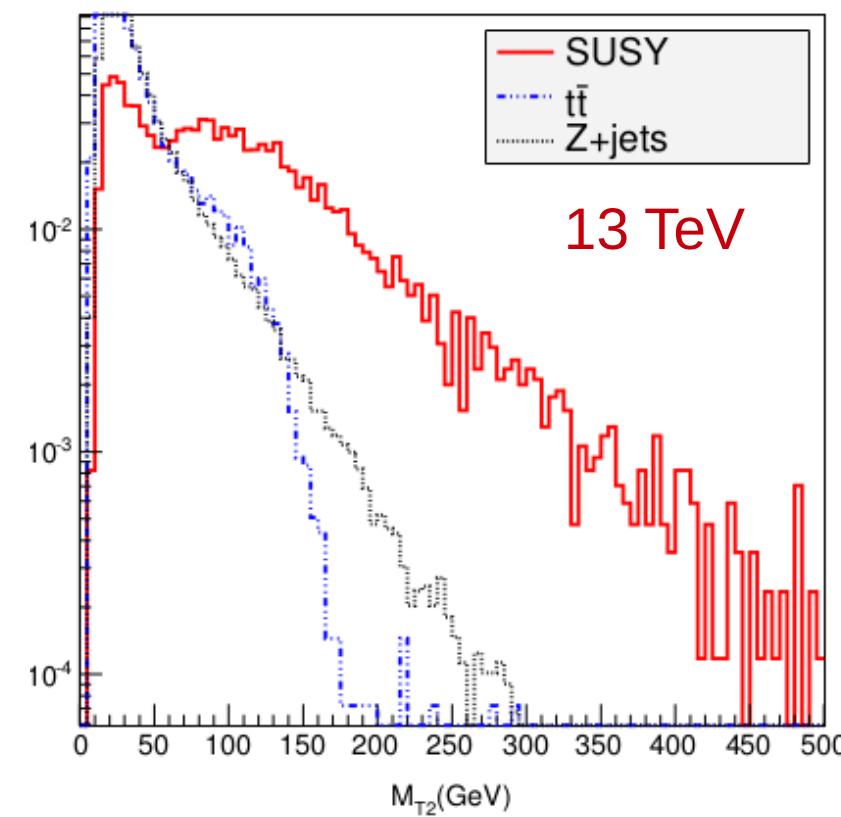
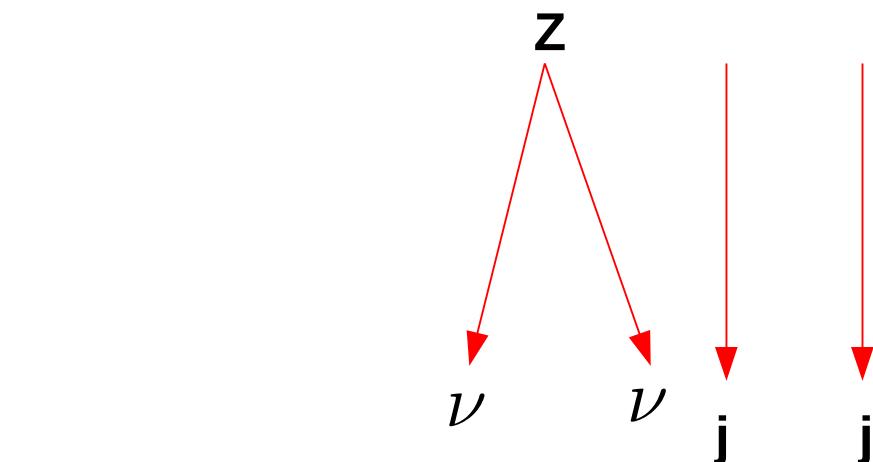
$\alpha_T > 0.55$

~~QCD~~

$$M_{T2}(\vec{p}_T^{j1}, \vec{p}_T^{j2}, \vec{p}_T) = \min_{\vec{p}_T = \vec{p}_T^1 + \vec{p}_T^2} \left[\max\{M_T(\vec{p}_T^{j1}, \vec{p}_T^1), M_T(\vec{p}_T^{j2}, \vec{p}_T^2)\} \right]$$

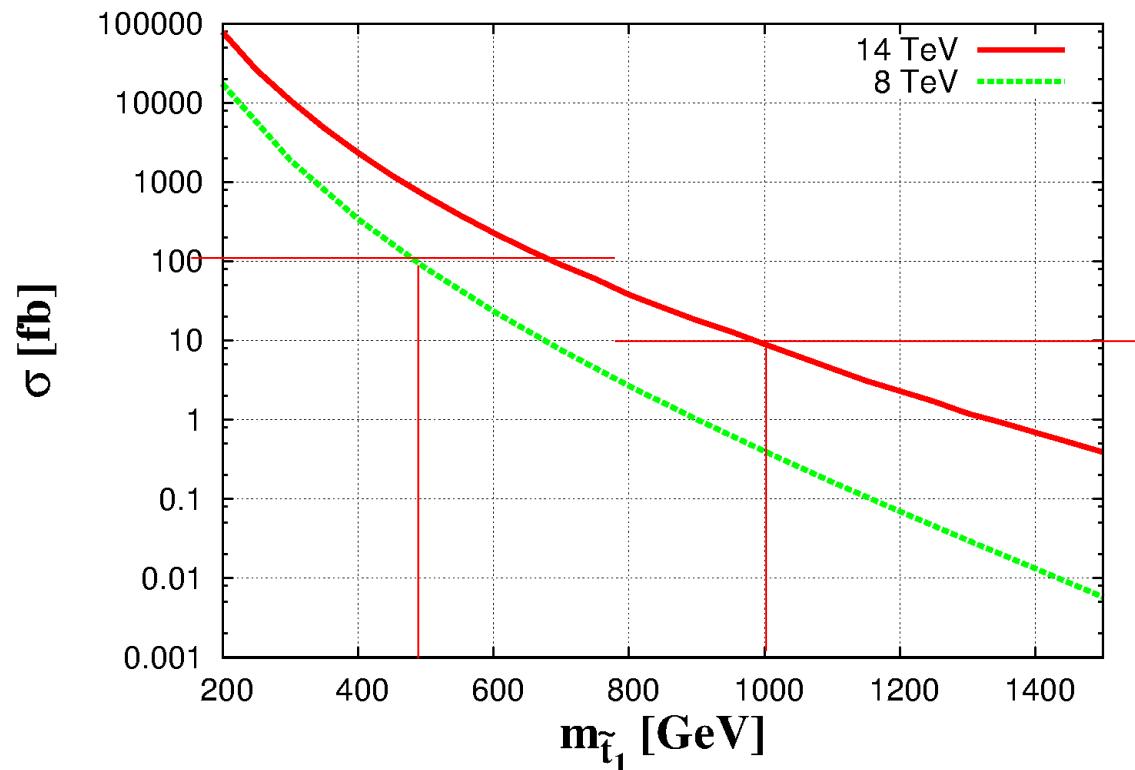


8 TeV



13 TeV

8TeV, 25fb^{-1} , $m_{\tilde{t}_1} = 500\text{GeV}$ **vs.** 14TeV, 100fb^{-1} , $m_{\tilde{t}_1} = 1000\text{GeV}$



$$\sigma_{t\bar{t}} \sim 225 \text{ pb } 8\text{TeV}$$

$$\sigma_{t\bar{t}} \sim 925 \text{ pb } 14\text{TeV}$$

$$S \rightarrow \frac{S}{10} \times 4$$

$$B \rightarrow B \times 4 \times 4$$

$$\frac{S}{\sqrt{B}} \rightarrow \frac{1}{10} \times \frac{S}{\sqrt{B}}$$