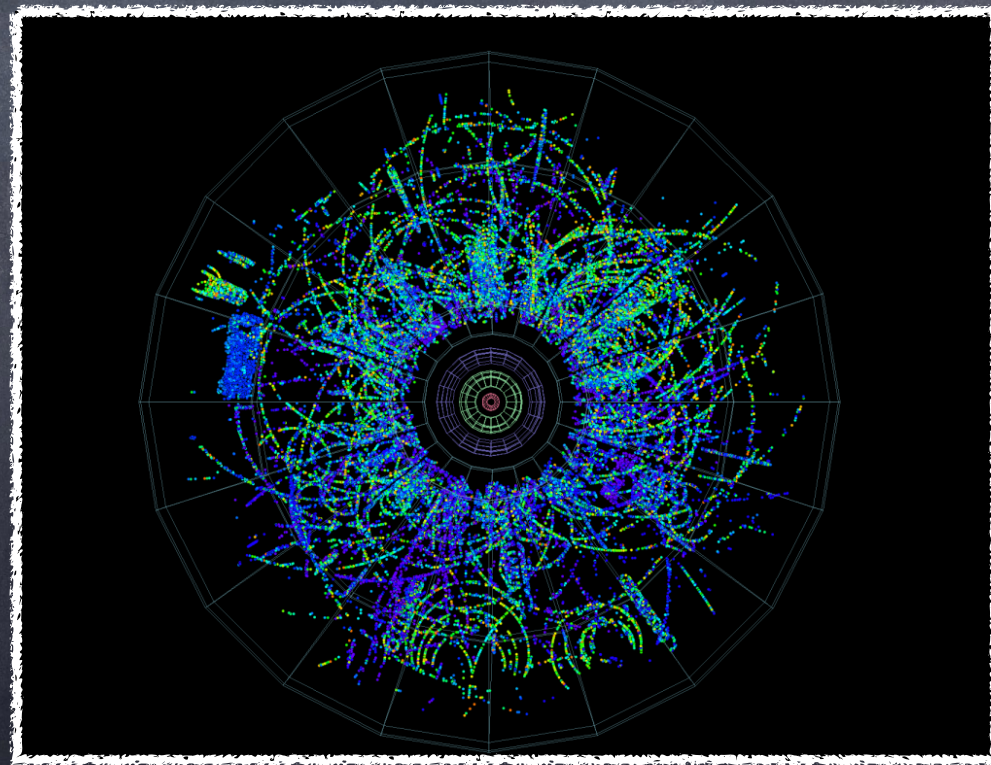
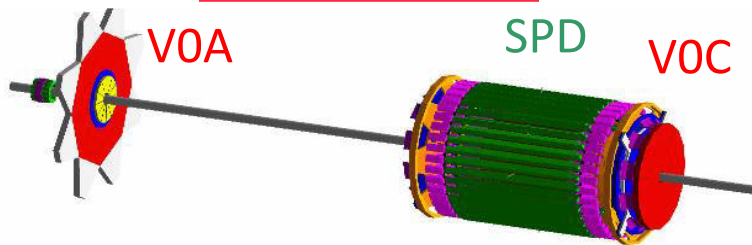


# p-Pb centrality in ALICE



## MULTIPLICITY



MIDRAPIDITY

2 innermost ITS layers (pixel)  
 $|\eta| < 2, |\eta| < 1.4$

FORWARD  
RAPIDITY

V0 scintillator hodoscopes  
 VOA  $z = 3.4$  m  $2.0 < \eta < 5.1$   
 VOC  $z = -0.9$  m  $-3.7 < \eta < -1.7$

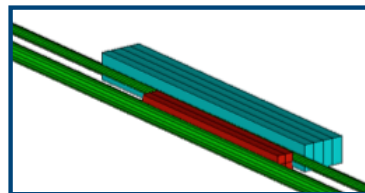


CL1 → clusters in 2<sup>nd</sup> pixel layer  
 VOM → total (VOA+VOC) multiplicity  
 VOA → V0 multiplicity (Pb-remnant side)

Estimators sensitive to particle production

## VERY FORWARD ENERGY

ZERO DEGREE



Zero Degree Calorimeters (ZDC)  $\pm 112.6$  m  
 neutron ZDC (ZN)  $|\eta| > 8.7$   
 proton ZDC (ZP)

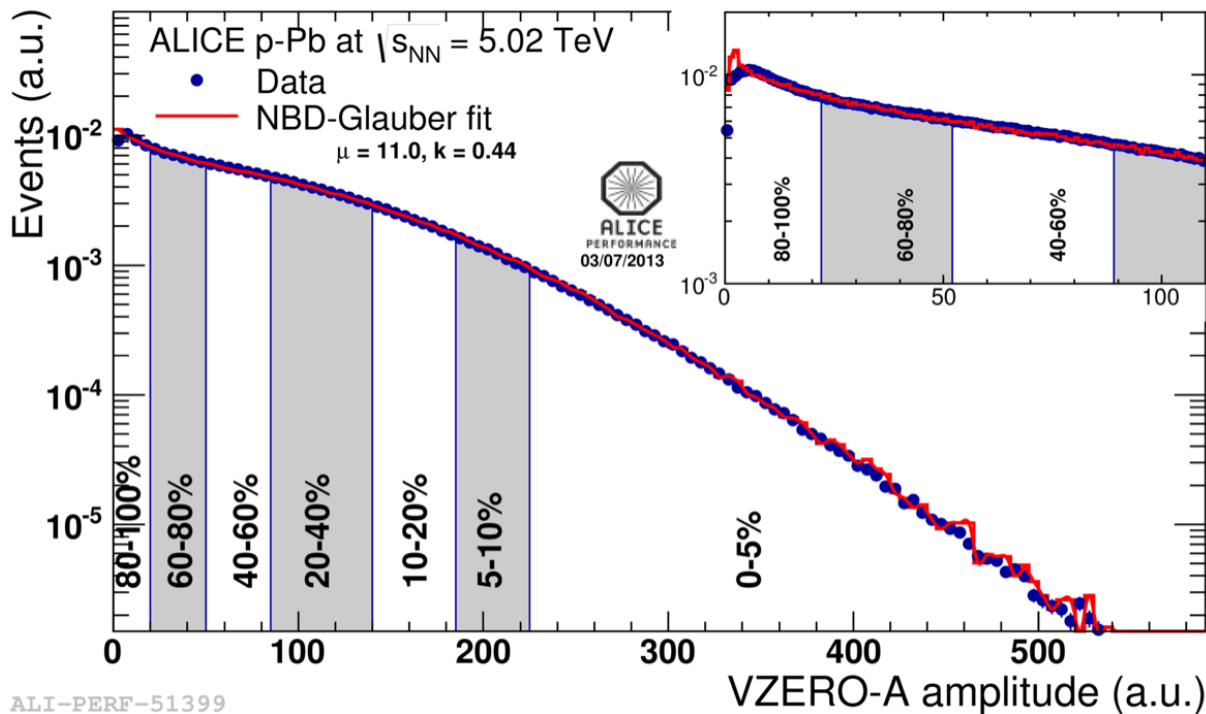


ZNA → ZN energy (Pb-remnant side)  
 ZPA → ZP energy (Pb-remnant side)

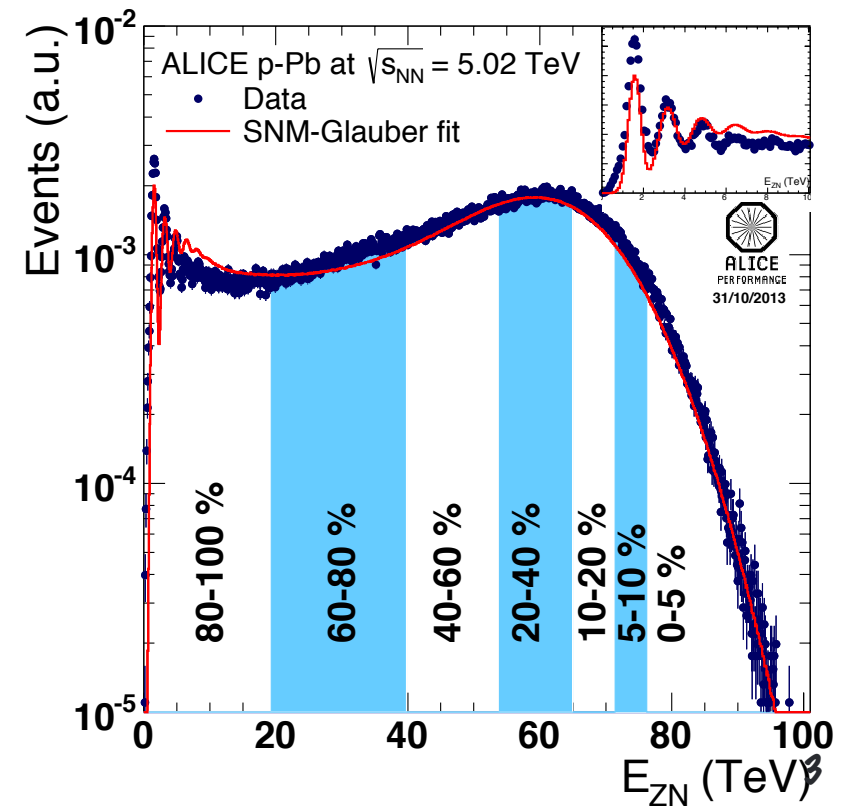
Estimators sensitive to slow nucleon emission

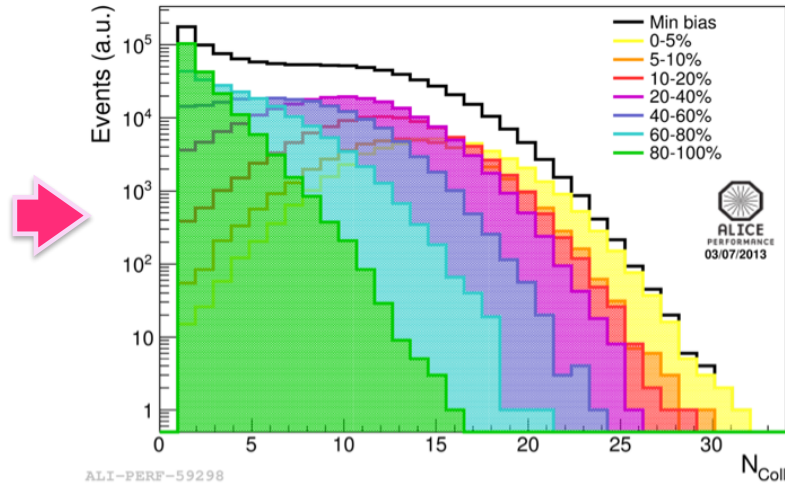
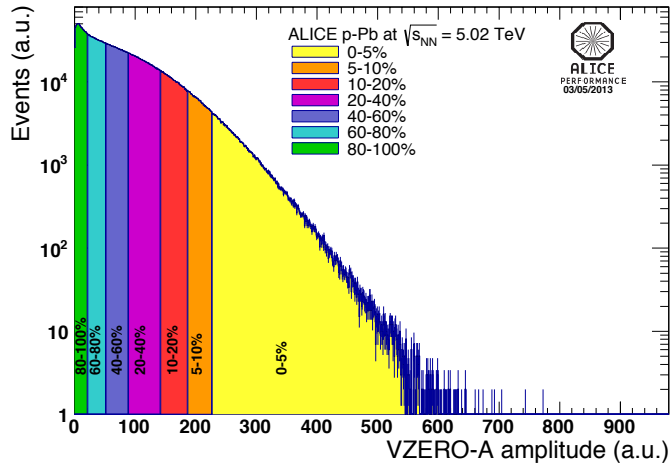
Same procedure as for Pb-Pb:

- ▶  $P(N_{\text{part}})$  from Glauber MC assuming  $N_{\text{part}}$  = number of particle sources (ancestors)
- ▶ multiplicity distribution per ancestor
  - (1) from NBD for charged particle multiplicity
    - ▶ pp distribution fitted with convolution of 2 NBDs ▶  $k_{pp} = 2 * k_{pPb}$  if  $N_{\text{ancestors}} = N_{\text{part}}$
  - (2) from Slow Nucleon Model (SNM) for zero degree energy
- ▶ minimization procedure
- ▶ centrality classes defined slicing measured observables in percentiles of cross section  $\langle N_{\text{part}} \rangle$ ,  $\langle N_{\text{coll}} \rangle$ ,  $\langle T_{pPb} \rangle$  from each defined centrality class from Glauber

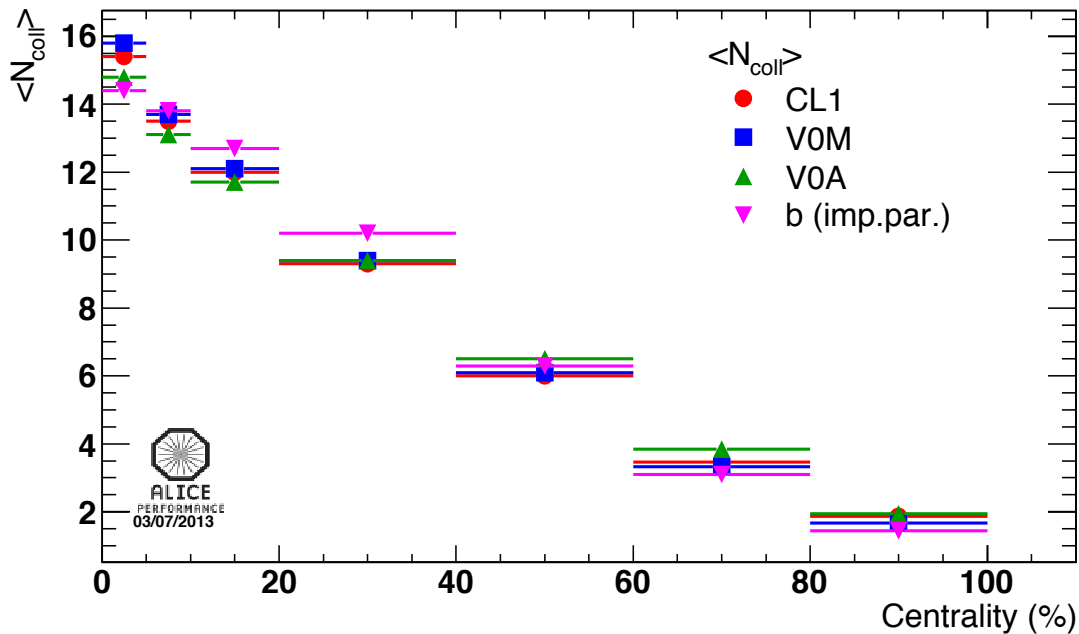


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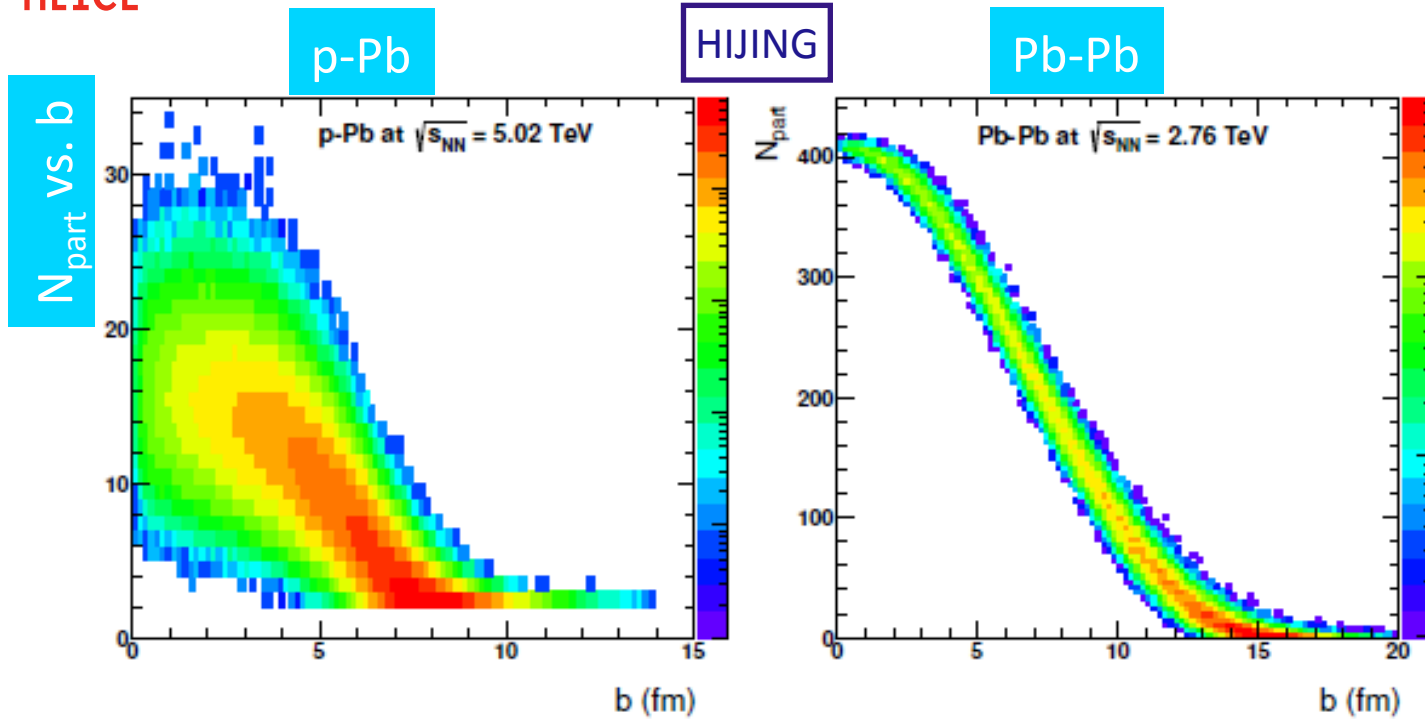
$\langle N_{coll} \rangle$



$\langle N_{coll} \rangle$  from different estimators

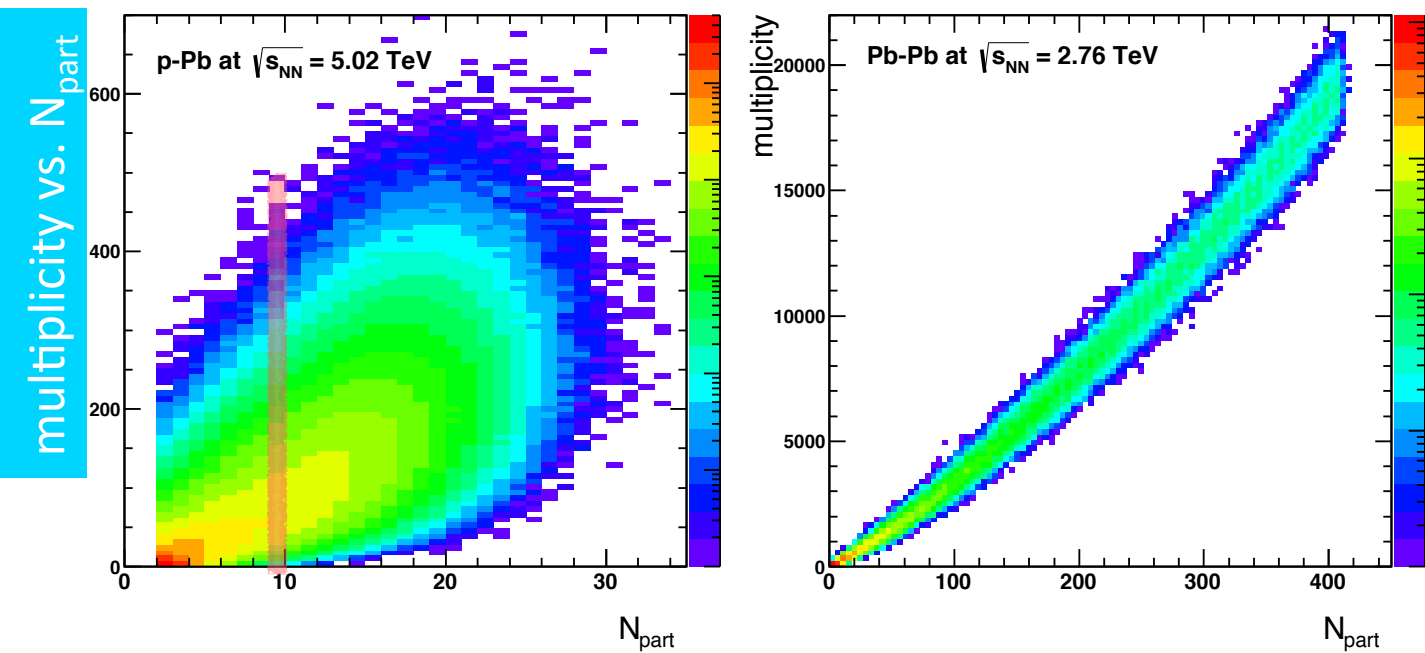
Systematic error:

- ▶ from Glauber, estimated varying input parameters
- ▶ MC closure test using HIJING



p-A compared to A-A collisions (HIJING)

▶ looser correlation between  $N_{part}$  and impact parameter



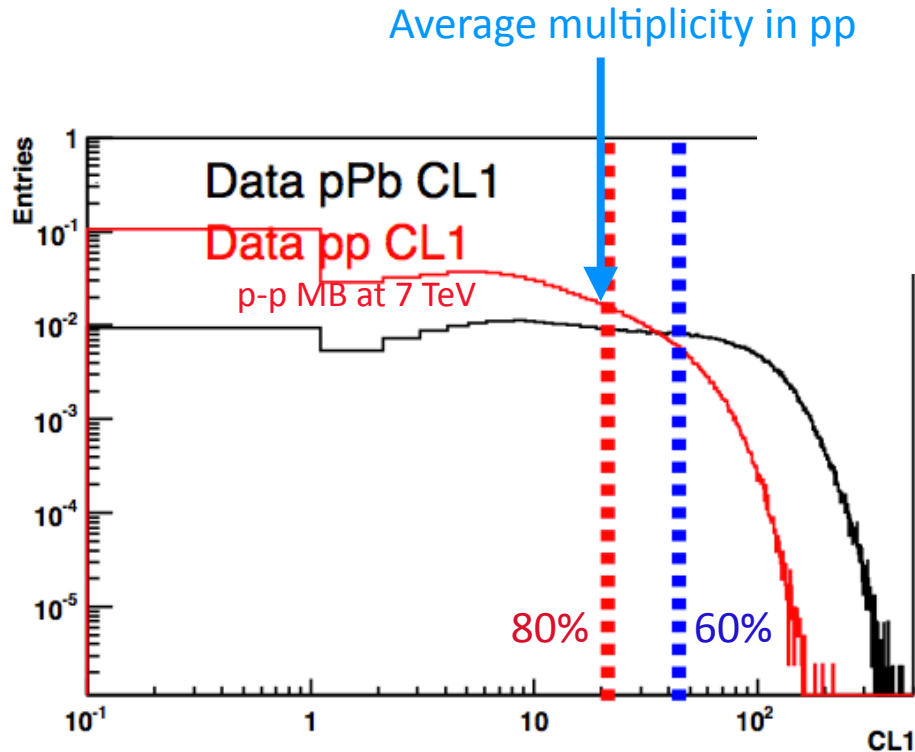
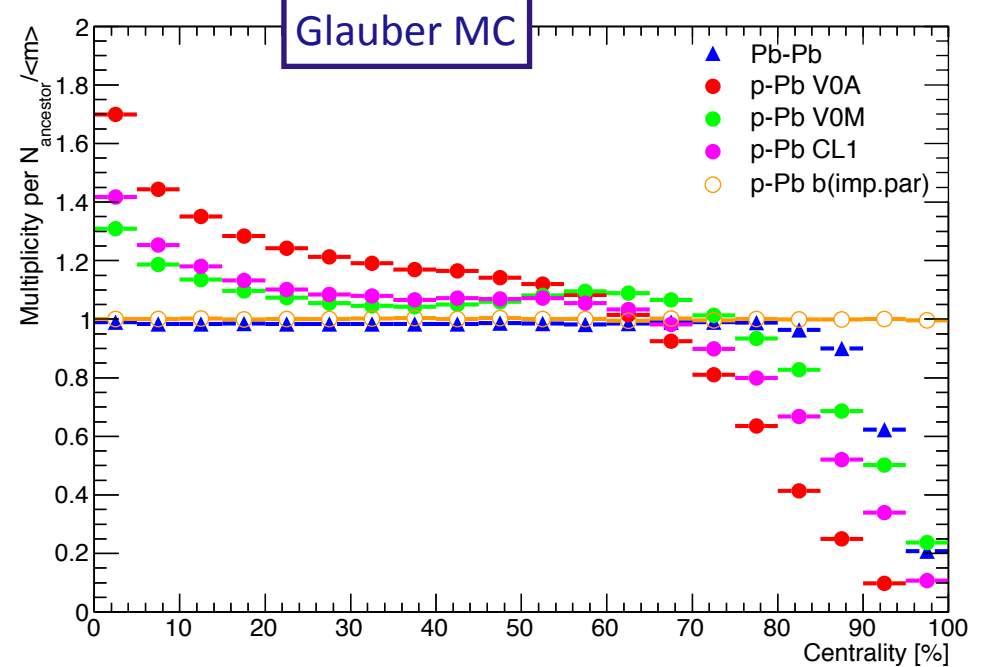
▶ looser correlation between  $N_{part}$  and multiplicity

▶ limited  $N_{part}$  range and large multiplicity fluctuations

▶ a fixed  $N_{part}$  value can contribute to different centrality classes

Multiplicity per  $N_{part}$  strongly biased for peripheral and central collision

- ▶ multiplicity bias much larger than in Pb-Pb
- ▶ different estimators show different deviations
- ▶ MULTIPLICITY BIAS



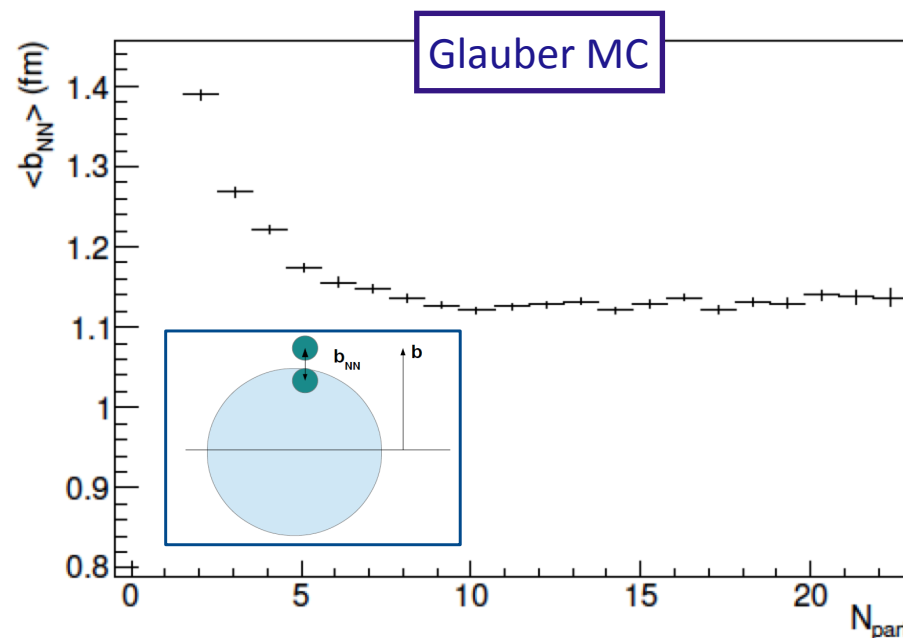
Multiplicity distributions in p-Pb and in p-p

- ▶ 80% cut on p-Pb multiplicity equivalent to cut on the average p-p multiplicity value
- ▶ fraction of p-p cross-section selected in 80-100% (60-100%) p-Pb multiplicity is 0.8 (0.97)
- ▶ effective veto on large multiplicity events
- ▶ BIAS ON p-p MULTIPLICITY

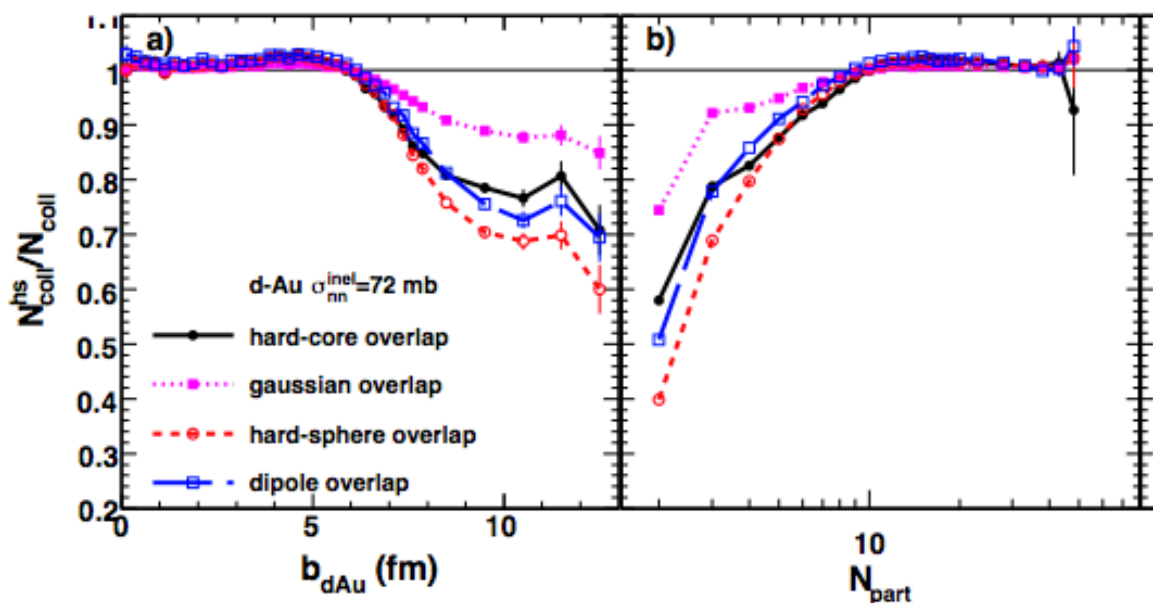
Average N-N impact parameter  $b_{NN}$  is larger for peripheral collisions

► bias towards large  $b_{NN}$  value in peripheral events

► BIAS FROM  $b_{NN}$



J. Jia, arXiv:0907.4175



► For peripheral events  $N_{coll}$  for hard processes is smaller than  $N_{coll}^{GLAUBER}$

The bias is predicted to increase with  $\sigma_{N-N}^{INEL}$

► effect  $\sim 60\%$  larger at LHC than at RHIC

Models based on **multi-parton interactions (MPI)** include fluctuations in the number of particle sources (hard scatterings  $n_{hard}$ )

Poissonian probability for multiple hard interactions

$$p_i(b_{NN}) = \frac{\langle n_{hard} \rangle^i}{i!} \cdot \exp(-\langle n_{hard} \rangle)$$

Mean number of scatterings per events depends on  $b_{NN}$

$$\langle n_{hard} \rangle(b_{NN}) = \sigma_{hard} T_N(b_{NN})$$

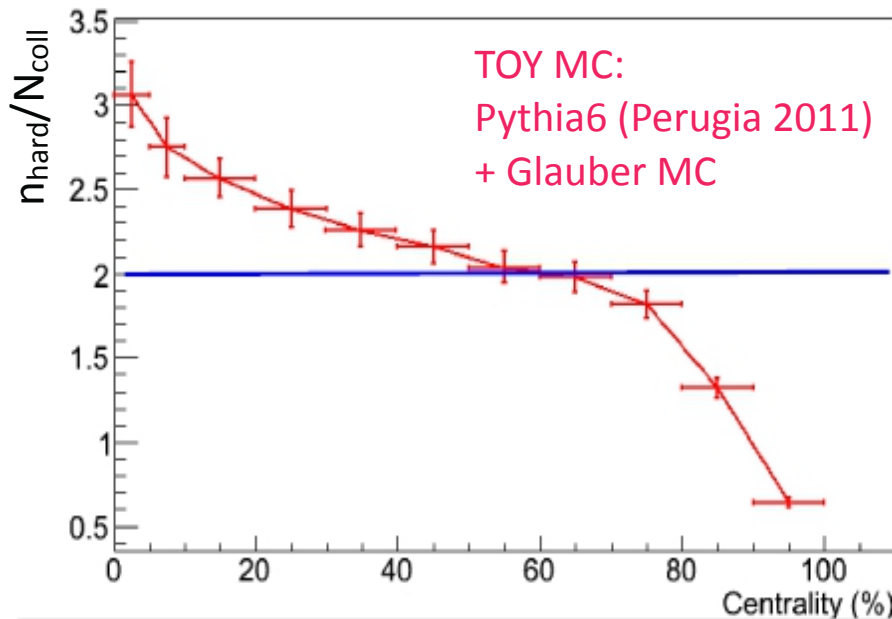
▶ Link between multiplicity fluctuation (bias) and number of hard scatterings

▶ effect enhanced for peripheral collisions where  $b_{NN}$  larger than average reduces MPI probability

▶ BIAS ON MPI

At very high  $p_T$  multiplicity estimators act as a veto on hard processes for very peripheral collisions

▶ JET-VETO BIAS



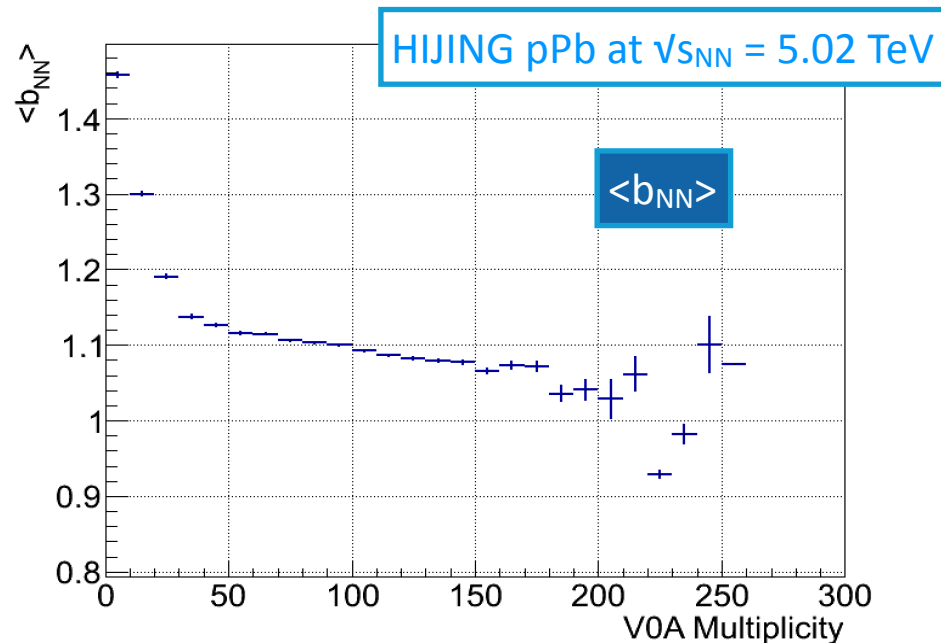
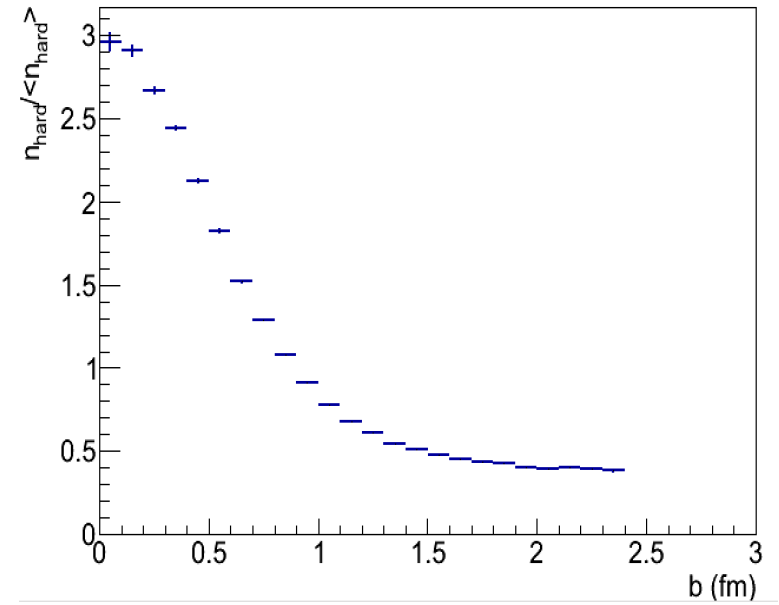
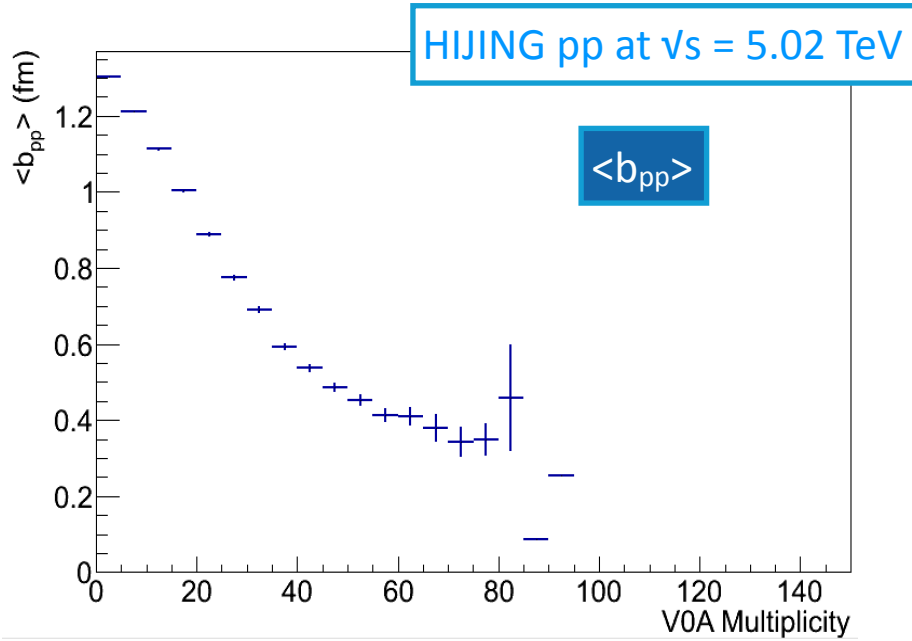
▶ only multiplicity bias (no bias from  $b_{NN}$  is included in PYTHIA)

$N_{coll}$  scaling ▶  $n_{hard}/N_{coll} = \text{const.}$

p-A collisions described as incoherent superposition of N-N collisions

▶ strong deviations from  $N_{coll}$  scaling at low and high centralities





In p-Pb  $\langle b_{NN} \rangle$  instead of  $b_{pp}$  contributes to long range correlations.

Averaging leads to smaller dynamic range  
However, important bias on  $n_{hard}$

Centrality based on multiplicity measurements deviation from binary scaling  
 Effect reduced increasing the rapidity gap between tracking and centrality measurements



- CL1 → strong bias (full overlap with tracking region + additional bias in peripheral events from jet veto effect)
- V0M → reduced bias (outside tracking region)
- V0A → small bias (contribution from Pb fragmentation region)
- ZNA → smallest bias (slow nucleon emission independent from hard processes)

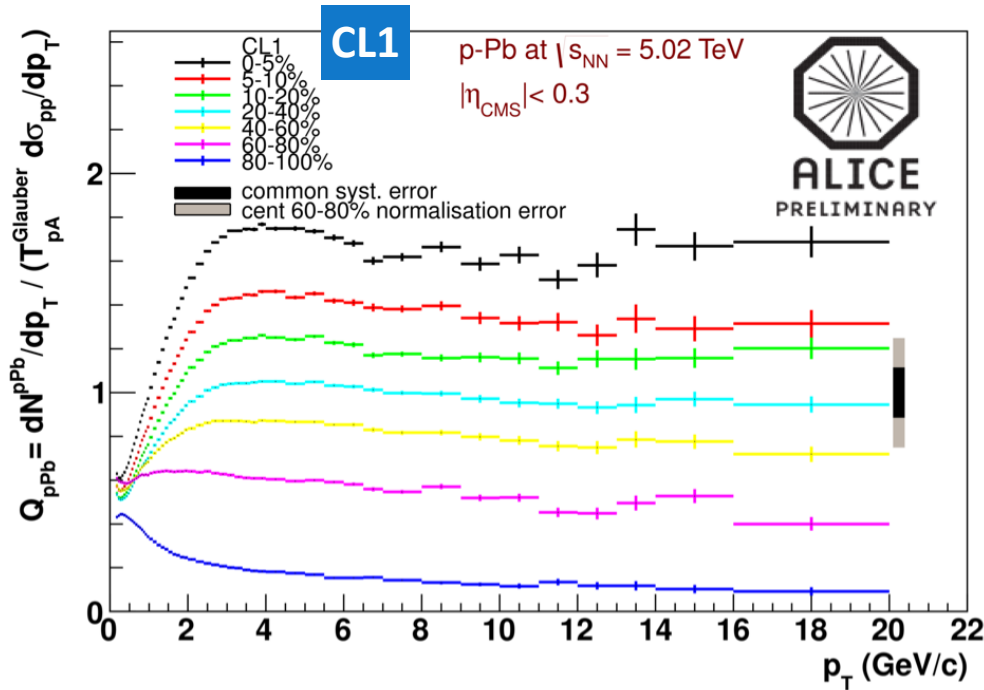
New features to be addresses in p-A centrality:

- ✗ for fixed centrality hard processes scale with  $\langle N_{\text{coll}}^{\text{Glauber}} \rangle * \langle n_{\text{hard}} \rangle_{pN} / \langle n_{\text{hard}} \rangle_{pp}$
- ✗ for fixed impact parameter b,  $\langle n_{\text{hard}} \rangle$  depends on the average p-N impact parameter  $\langle b_{NN} \rangle$

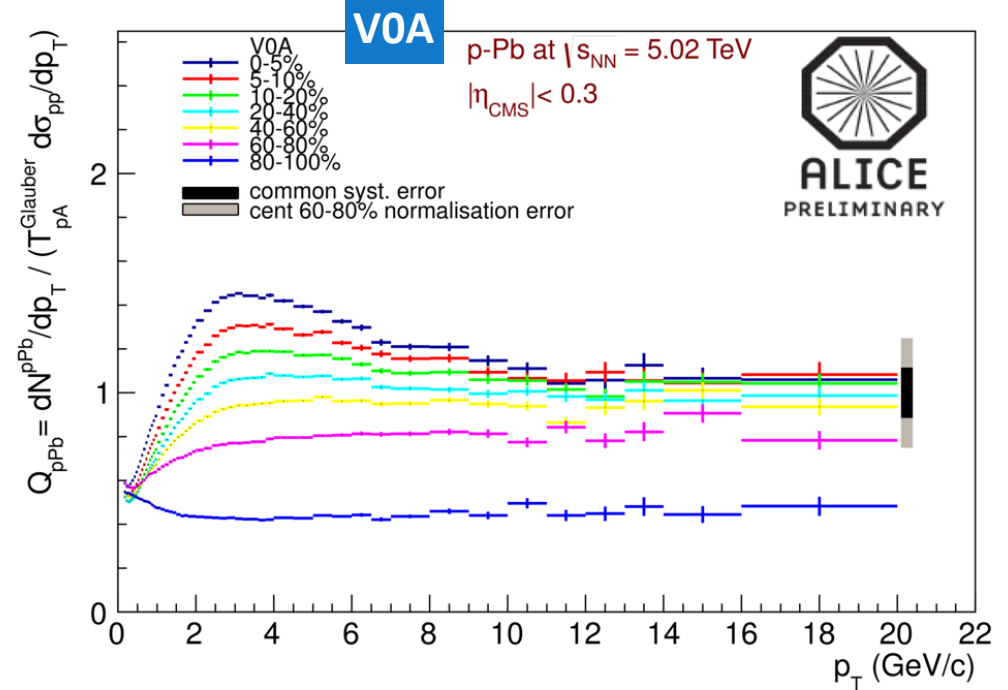
▶  $\langle N_{\text{coll}}^{\text{GLAUBER}} \rangle (\langle T_{pPb} \rangle)$  can't be used to rescale pp data

▶  $Q_{pPb}$  defined as “biased”  $R_{pPb}$

$$Q_{pPb} = \frac{dN_{pPb}/dp_T}{N_{\text{coll}}^{\text{Glauber}} dN_{pp}/dp_T} = \frac{dN_{pPb}/dp_T}{T_{pPb}^{\text{Glauber}} d\sigma_{pp}/dp_T}$$

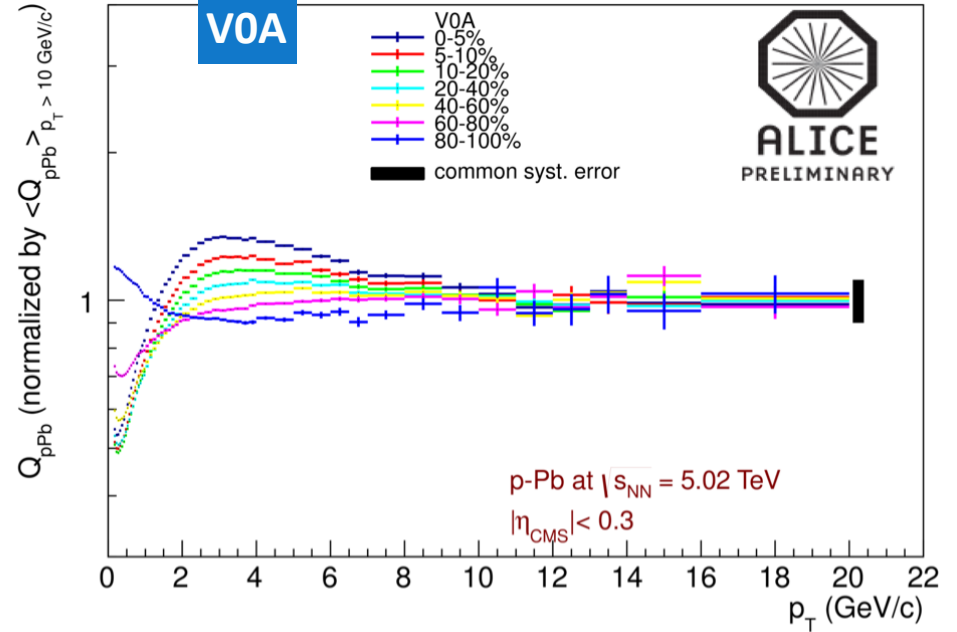
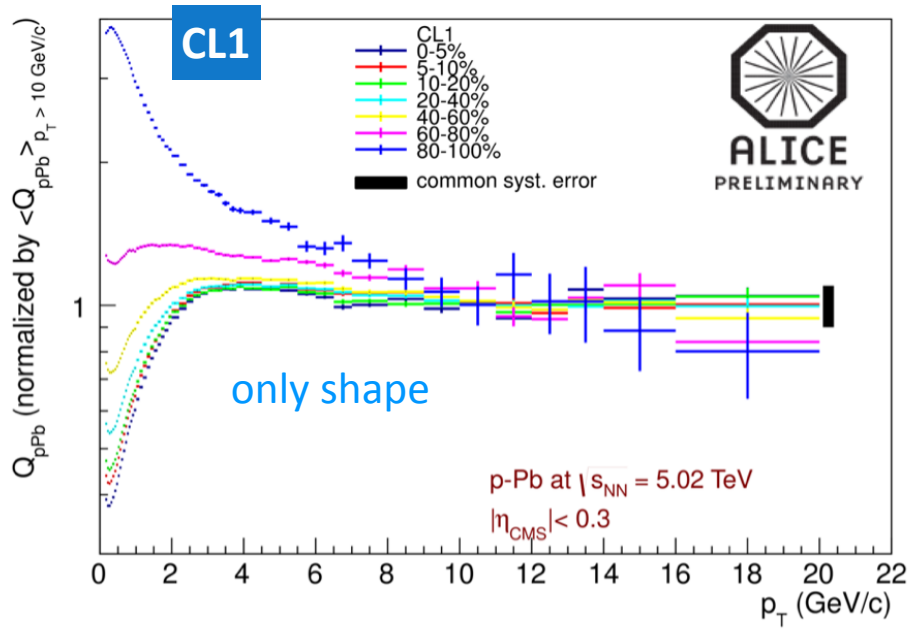


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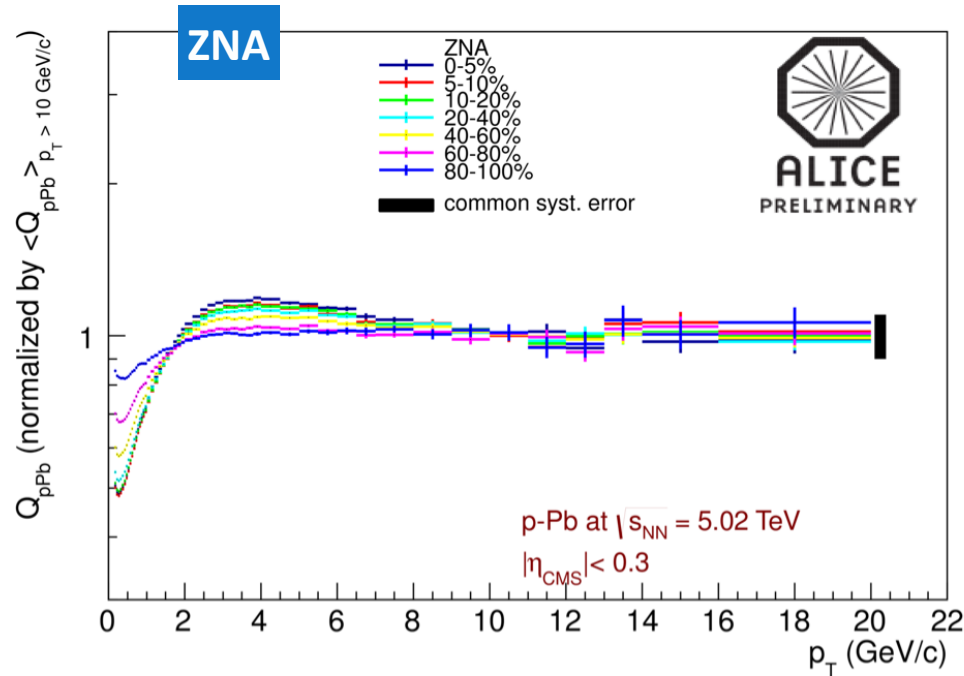


ALI-PREL-53981

- ▶ clear indication of jet-veto bias in most peripheral bin when midrapidity multiplicity (CL1) is used
- ▶ smaller jet veto bias using V0A (Pb-remnant side)
- ▶  $Q_{pPb}$  spread reduced increasing the rapidity gap
- ▶  $Q_{pPb}$  from ZNA shows different ordering of the bins ▶ SNM implementation

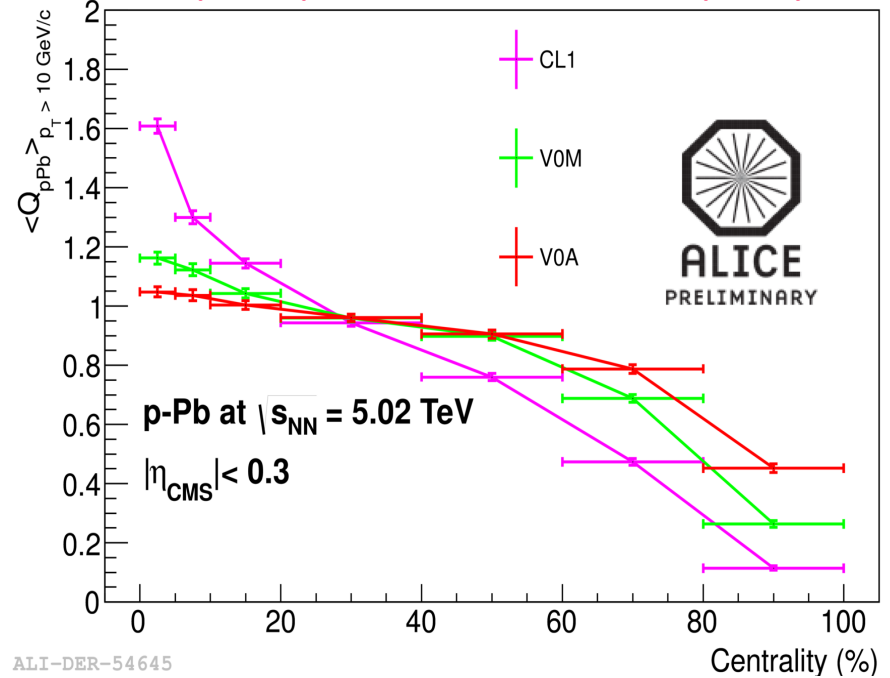


ALI-PREL-53985



ALI-PREL-53997

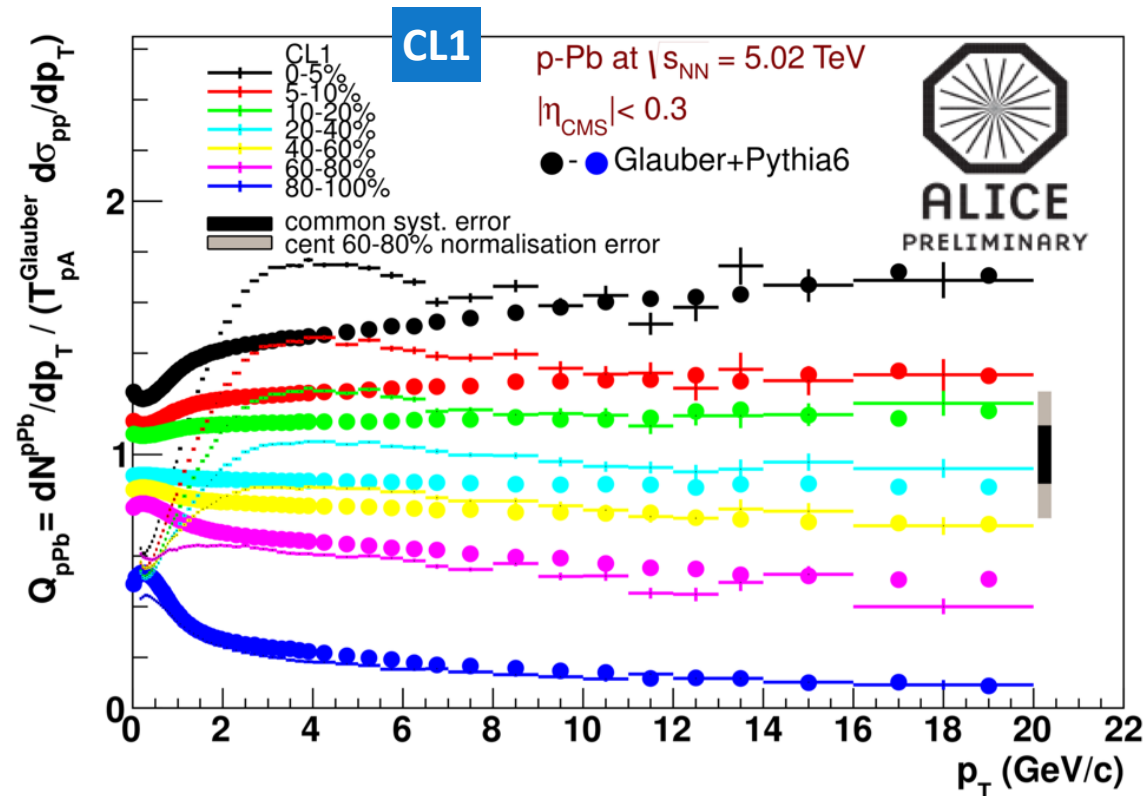
## S-shape dependence as for multiplicity bias



ALI-DER-54645

## PYTHIA6 (Perugia 2011) + Glauber $N_{\text{coll}}$ distribution

- \* centrality from multiplicity in  $|\eta| < 1.4$
- \*  $\langle N_{\text{coll}} \rangle$  from Glauber MC

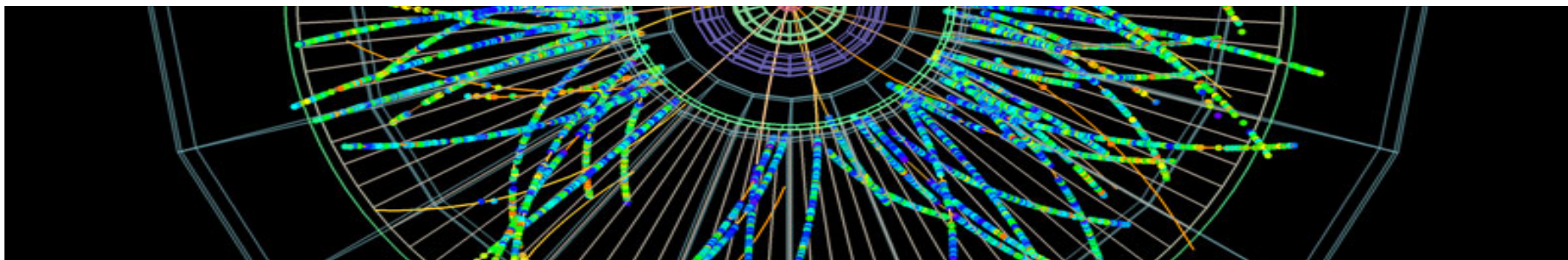


ALI-DER-60151

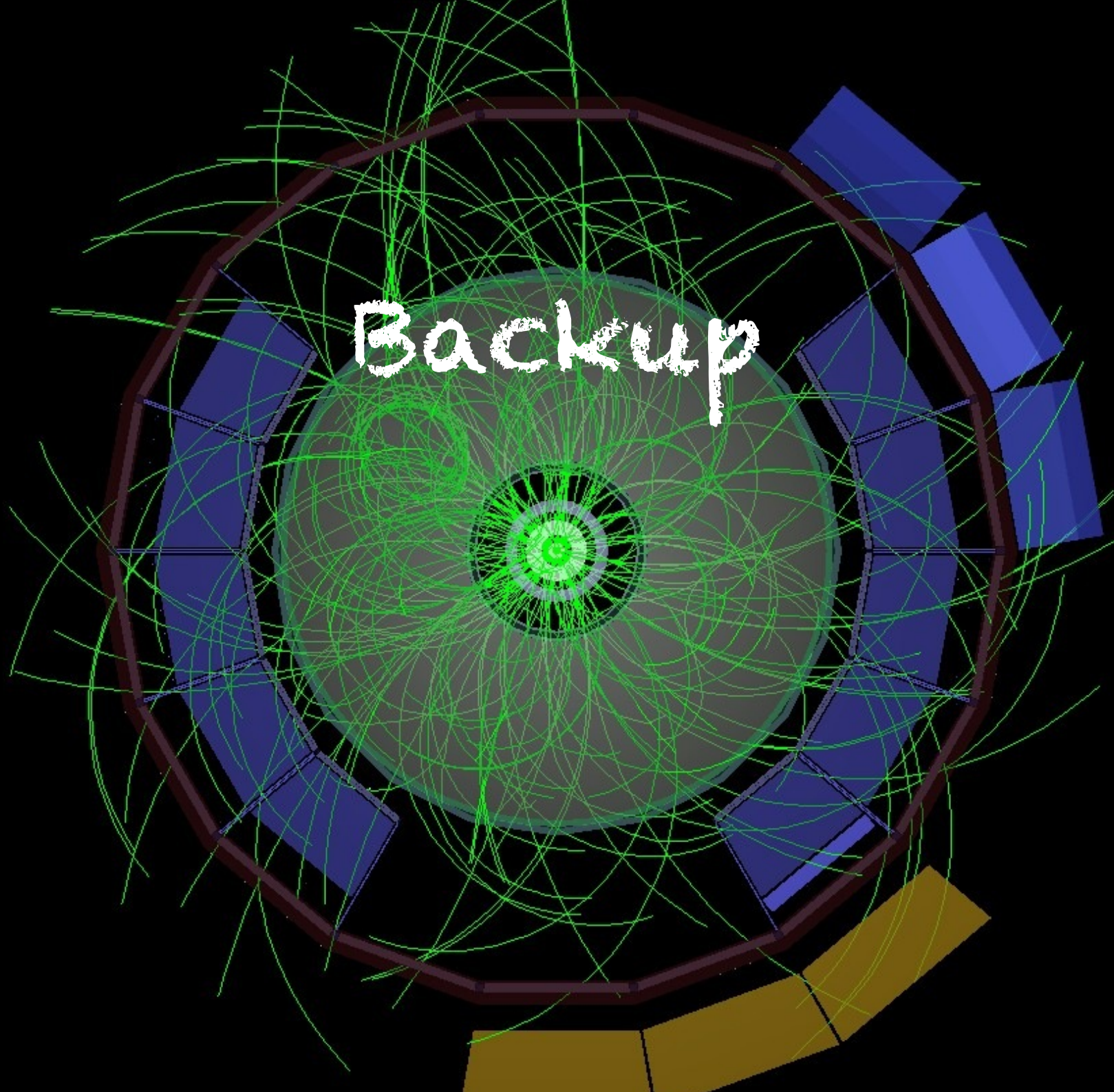
- ➡ incoherent superposition of p-p collisions reproduces the bias at high  $p_T$  over the whole centrality range
- ➡ good agreement at low  $p_T$  for the most peripheral bin where also the jet-veto effect is reproduced

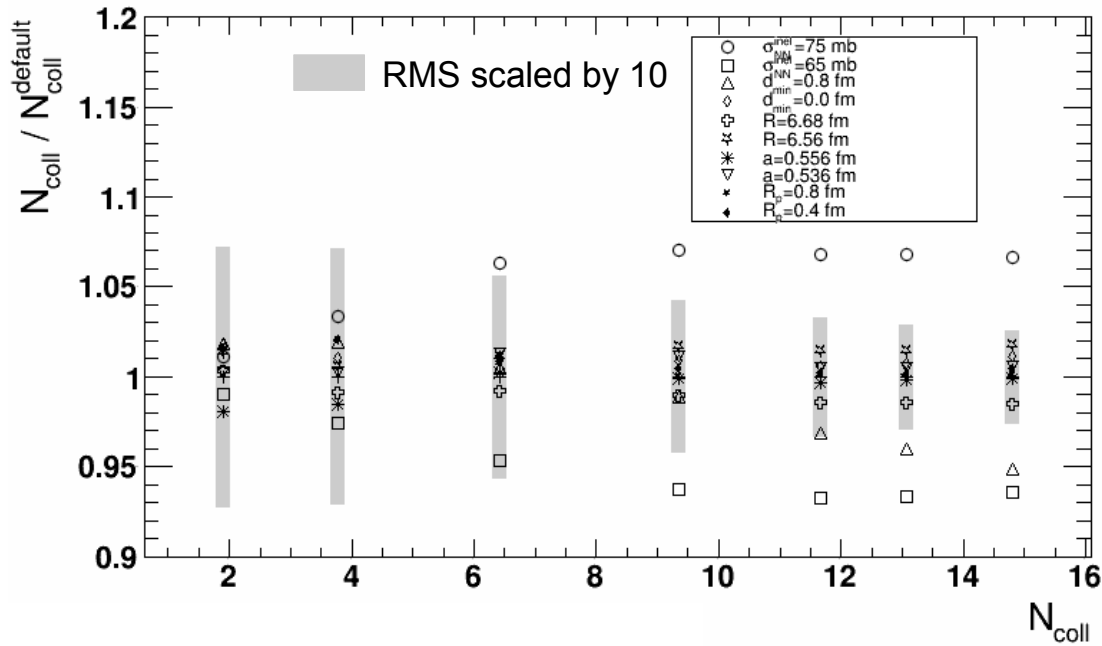
Different biases affect the centrality measurement in p-A

- ▶ multiplicity bias
- ▶ bias on p-N impact parameter
- ▶ dynamical models allow to relate the bias on multiplicity to a bias on the binary scaling of hard processes through multiple parton interactions
- ▶ jet-veto bias at high transverse momentum for peripheral events
- ▶ biased  $\langle N_{\text{coll}}^{\text{GLAUBER}} \rangle$
- ▶ the biases decrease by increasing the  $\eta$ -gap between centrality estimator and momentum/multiplicity measurement



Backup





Default values varied within known uncertainties

Nuclear density profile: Woods-Saxon (2pF):

→ radius =  $(6.62 \pm 0.06)$  fm

→ skin depth =  $(0.546 \pm 0.01)$  fm

→ intra-nucleon distance =  $(0.4 \pm 0.4)$  fm

Cross section →  $\sigma_{NN} = (70 \pm 5)$  mb

p radius →  $R_p = (0.6 \pm 0.2)$  fm

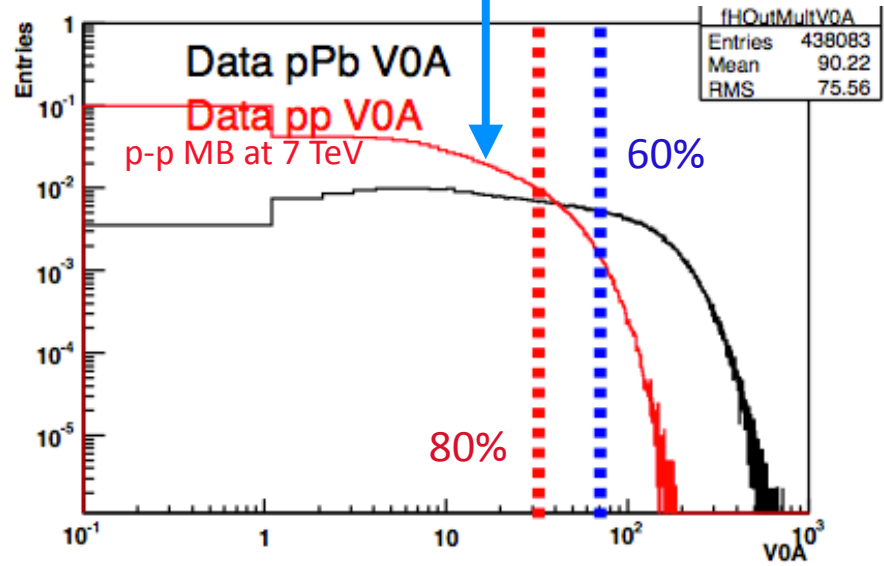
Systematic uncertainty:  
4-5% in peripheral events  
10% in central events

Closure test performed using HIJING

Centrality (%)	HIJING	Glauber + NBD	difference (%)
0-5	14.9	15.3	+2.7
5-10	13.6	13.5	-0.7
10-20	12.1	11.9	+1.7
20-40	9.72	9.51	-2.2
40-60	6.16	6.37	+3.4
60-80	2.97	3.56	+20
80-100	1.45	1.79	+23
MB	6.69	6.9	+3.1



Average multiplicity in pp



Similar procedure but coupled with a model for slow nucleon emission (SNM)  
 No model is currently available for LHC energies!

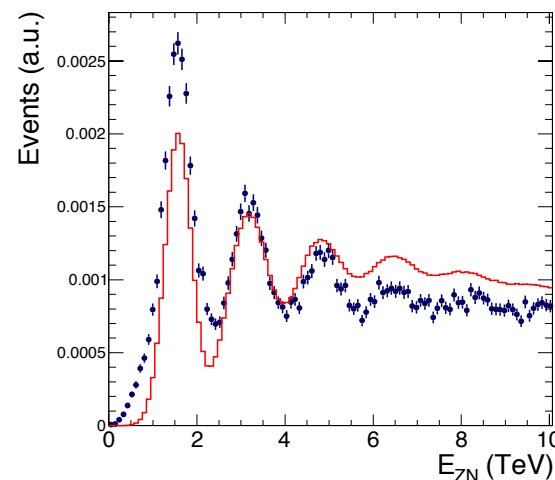
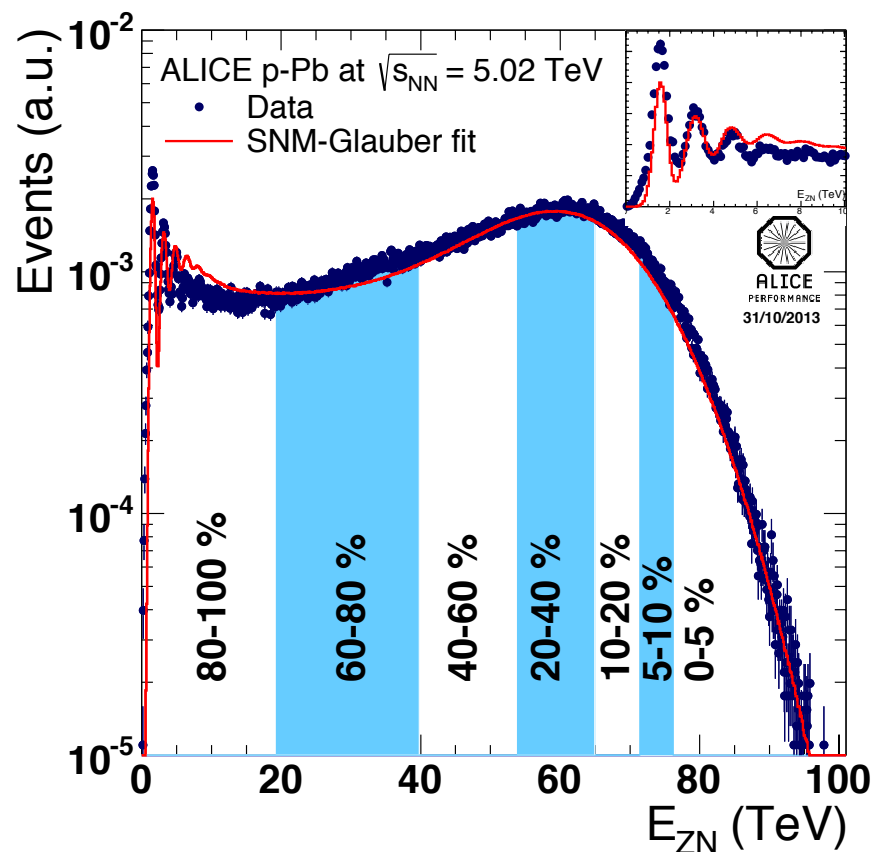
F. Sikler, arXiv: 0304.065

Features of emitted nucleons weakly dependent on projectile energy from 1 GeV to 1 TeV

➔ “Phenomenological” model based on experimental results at lower energies

- ➔ number of protons and neutrons as a function of  $N_{coll}$
- ➔ kinematical properties of emitted slow nucleons

➔ able to reproduce essential features of the spectrum, still ongoing work!



➔ At fixed target experiments centrality in p-A determined detecting **slow nucleons**

Hadron-nucleus collisions ➔ **slow nucleons = gray + black components**

(classification from emulsion experiments related to track grain density)

**Gray nucleons** ➔ soft nucleons knocked out by wounded nucleons

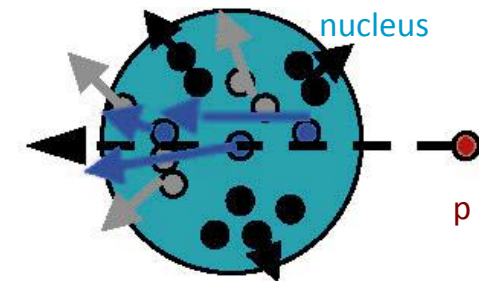
**Black nucleons** ➔ low energy target fragments from nucleus de-excitation, evaporation

<b>SLOW NUCLEONS</b>	$\beta$ [c units]	$p$ [MeV/c]	$E_{kin}$ [MeV]
Black	0 ÷ 0.25	0 ÷ 250	0 ÷ 30
Gray	0.25 ÷ 0.70	250 ÷ 1000	30 ÷ 400

forward

gray

black



Features of slow nucleon emission are weakly dependent on beam energy from 1 GeV to 1 TeV ➔ emission dictated by nuclear geometry

F. Sikler, hep-ph/0304065

- ➔ kinematical distributions described by independent statistical emission from a moving frame
- ➔ isotropic emission from a source moving with velocity  $\beta$
- ➔ number distribution of black/gray nucleons follows binomial distributions



ALICE

## PROTONS

➔ E910 (p-Au @ 18 GeV/c) fit to  $N_{\text{gray}}$  vs.  $N_{\text{coll}}$

$$\langle N_{\text{gray } p} \rangle = (c_0 + c_1 N_{\text{coll}} + c_2 N_{\text{coll}}^2) (A_{\text{Pb}}/A_{\text{Au}})^{2/3}$$

I. Chemakin *et al.*, Phys. Rev. C **60** 024902 (1999)

➔ COSY (p-Au @ 2.5 GeV) measured the fraction of black over gray protons

$$\langle N_{\text{black } p} \rangle = 0.65 * \langle N_{\text{gray } p} \rangle$$

A. Letourneau, Nucl. Phys. A **712** (2002) 133

## NEUTRONS

➔ COSY measured Light Charged Particle ( $Z \leq 7$ ) vs. total number of protons/neutrons

$$\text{LCP} = (\langle N_{\text{gray } p} \rangle + \langle N_{\text{black } p} \rangle) / \alpha$$

➔  $\alpha$  free parameter to reproduce n multiplicities at LHC energies  
( $\alpha = 0.585$  @ COSY,  $\alpha = 0.565$  for LHC)

$$\langle N_{\text{slow } n} \rangle = \langle N_{\text{black } n} \rangle + \langle N_{\text{gray } n} \rangle = a + b / (c - \text{LCP})$$

➔ a, b, c obtained from a fit to COSY distribution are finely tuned

➔ results from p induced spallation reactions (0.1-10 GeV)

$$\langle N_{\text{black } n} \rangle = 0.9 * \langle N_{\text{slow } n} \rangle \quad \langle N_{\text{gray } n} \rangle = 0.1 * \langle N_{\text{slow } n} \rangle$$

➔  $N_{\text{gray } p}$ ,  $N_{\text{black } p}$ ,  $N_{\text{gray } n}$ ,  $N_{\text{black } n}$  from binomial distributions

