

MEASUREMENT OF DIJET CROSS-SECTIONS IN PP COLLISIONS AT 7 TEV CENTRE-OF-MASS ENERGY USING THE ATLAS DETECTOR



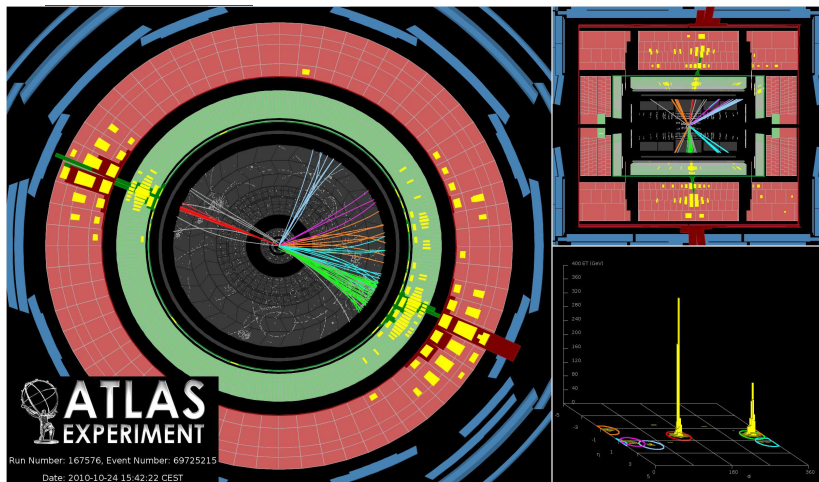
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Di-jet events

What? - Di-jet events



Why? - Searches

- ▶ search for new resonances;
- ▶ constrain PDFs;
- ▶ measure $pp \rightarrow \text{dijet}$ cross-section.

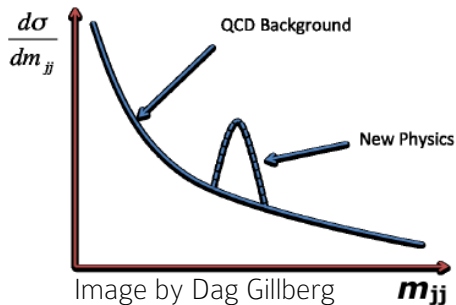
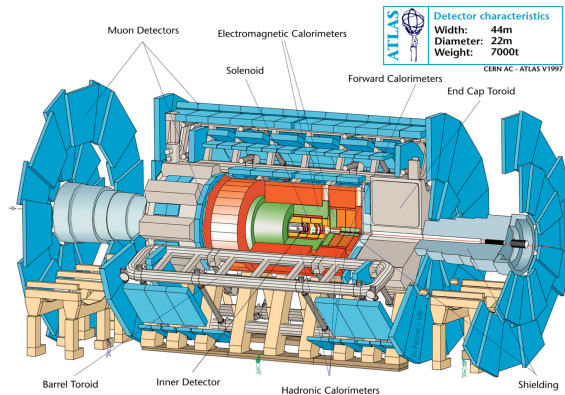


Figure : Peaks on QCD background, indicate the existence of new particles.

The ATLAS detector

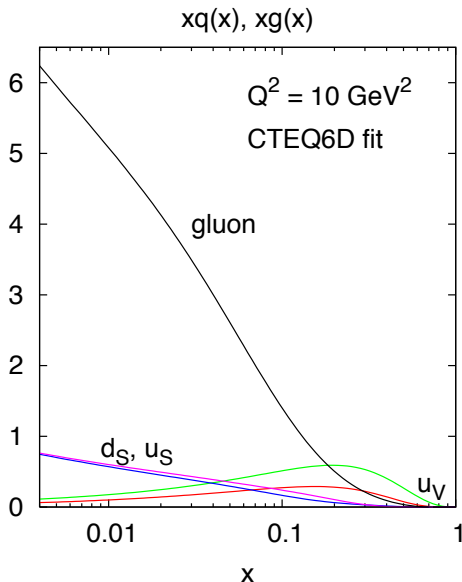
Where? \ Who? \ When? - The ATLAS detector

- ▶ 2011 dataset;
- ▶ $\sqrt{s} = 7\text{ TeV}$;
- ▶ 4.5 fb^{-1} ;



How? - Selection

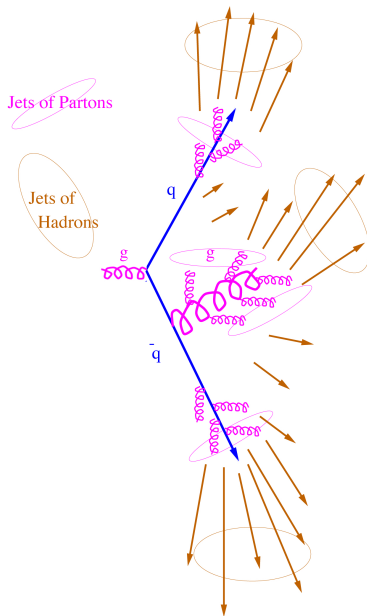
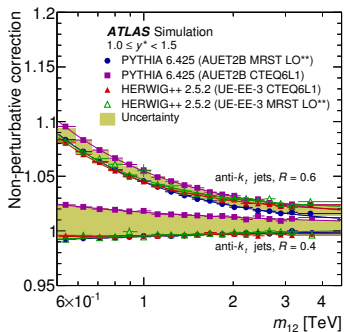
- ▶ cut on transverse momentum: $p_T > 100 \text{ GeV}$ for the primary jet, $p_T > 50 \text{ GeV}$ for the secondary jet;
- ▶ *Anti* - k_T algorithm used for jet reconstruction with radius parameter $R = 0.4$ and $R = 0.6$;
- ▶ measure differential cross-section as a function of invariant mass in different rapidity intervals, (y^*);
- ▶ results are compared with calculations based on a variety of PDF parametrizations.



How? - Unfolding

$$\left[\frac{d\sigma}{dm_{12}} \right]_{\text{bin } i \text{ } m_{12}, \text{ bin } j \text{ } y^*} = \frac{N_{i,j}^{\text{evts}}}{\Delta m_{12} \cdot \mathcal{L}} \cdot C_{i,j}^{\text{MC}}$$

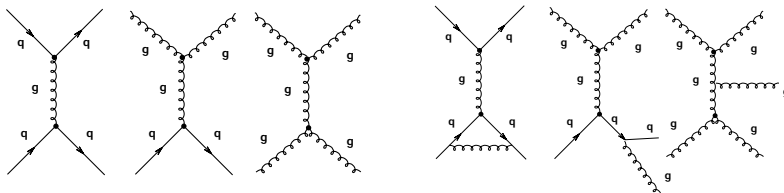
$$C_{i,j}^{\text{MC}} = \frac{N_{i,j}^{\text{particles, MC}}}{N_{i,j}^{\text{reco, MC}}}$$



How? - Perturbative calculations

Calculation of the hard scattering cross-section up to NLO

$$(A \cdot \alpha_S^2 + B \cdot \alpha_S^3 + H.O.)$$



Measurements and calculations are split into rapidity intervals, (y^*) for more accurate comparison (Bjorken x).

$$\sigma_X = \sum_{a,b} \int_0^1 dx_a dx_b f(x_a, \text{flav}_a, Q^2) f(x_b, \text{flav}_b, Q^2) \cdot \sigma_{ab \rightarrow X}(x_a, x_b, Q^2)$$

Sum over initial partonic states a,b

Parton Density Function

hard scattering cross-section

Results - Cross section

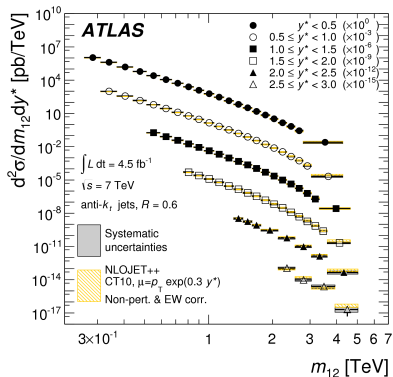
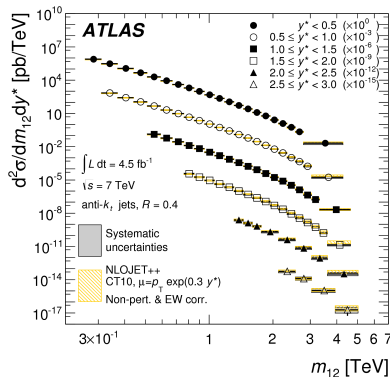


Figure : Dijet double-differential cross-section for $anti-k_t$ jets with radius parameter $R = 0.4$ and $R = 0.6$, shown as a function of dijet mass in different ranges of y^* .

Results - Theory/Data

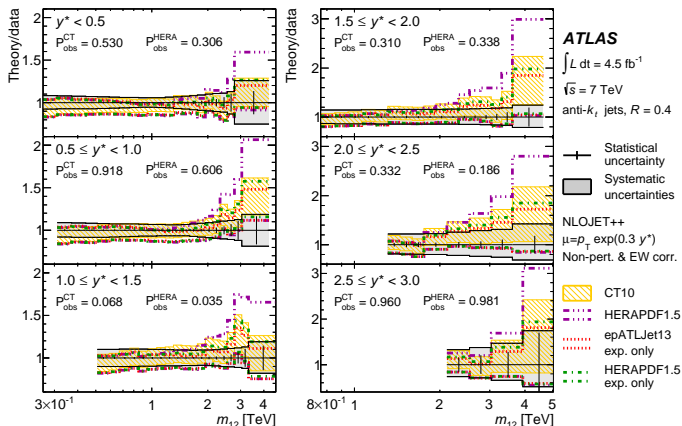


Figure : Ratio of the NLO QCD predictions of NLOJet++ to the measurements of the dijet double-differential cross-section as a function of dijet mass in different ranges of y^* .

Results - Theory/Data

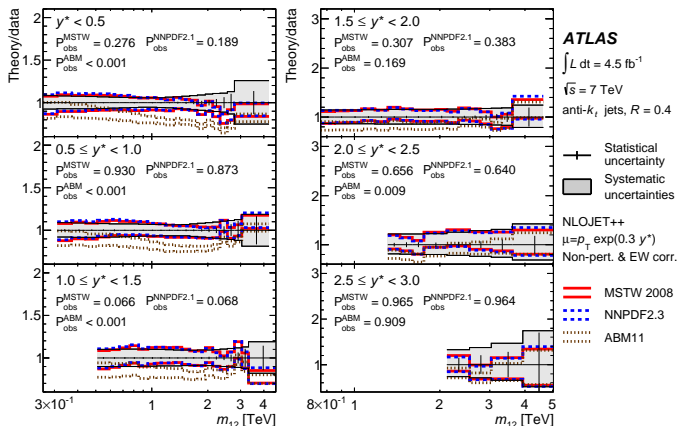


Figure : Ratio of the NLO QCD predictions of NLOJet++ to the measurements of the dijet double-differential cross-section as a function of dijet mass in different ranges of y^* .

Conclusions

- ▶ no hints of new particles;
- ▶ good agreement with PDF parametrizations (except for one...);
- ▶ possible future application of this method (highest energy dijet cross-section measurement so far).



The End



BACKUP SLIDES

Pseudo-rapidity \leftrightarrow rapidity

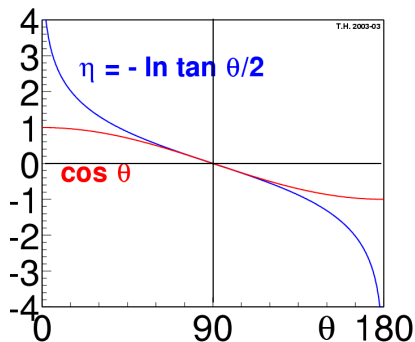
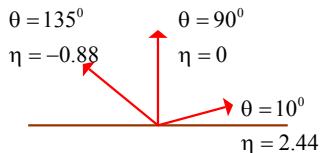
$$y = \ln \frac{E + p_L}{\sqrt{p_T^2 + m^2}}$$

$$\rightarrow \ln \frac{E + E \cos \theta}{E \sin \theta}$$

$$m \ll E, p_L$$

$$= \ln \frac{2 \cos^2 \frac{\theta}{2}}{2 \sin \frac{\theta}{2} \cos \frac{\theta}{2}}$$

$$= -\ln \tan \frac{\theta}{2} = \eta$$



Rapidity invariance under longitudinal boosts

$$\begin{aligned}
 y &= \frac{1}{2} \ln \frac{E + p_L}{E - p_L} = \ln \frac{\sqrt{E + p_L}}{\sqrt{E - p_L}} \cdot \frac{\sqrt{E + p_L}}{\sqrt{E + p_L}} = \ln \frac{E + p_L}{\sqrt{E^2 - p_L^2}} \\
 &= \ln \frac{E + p_L}{\sqrt{p_T^2 + m^2}}
 \end{aligned}$$

Boost along z axis:

$$\begin{aligned}
 y' &= \ln \frac{E' + p'_L}{\sqrt{p_T^2 + m^2}} = \ln \frac{\gamma (E + \beta p_L) + \gamma (p_L + \beta E)}{\sqrt{p_T^2 + m^2}} \\
 &= \ln[\gamma (1 + \beta) \frac{E + p_L}{\sqrt{p_T^2 + m^2}}] = y + \ln \gamma (1 + \beta)
 \end{aligned}$$

- rapidity intervals are invariant under longitudinal boost

$$y_1 - y_2 \rightarrow y'_1 - y'_2 = y_1 - y_2$$

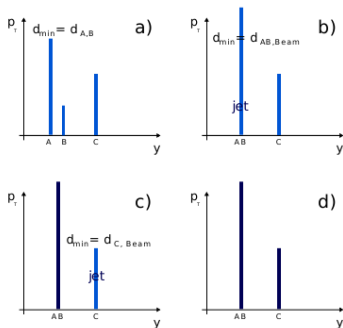
$$\frac{\partial \sigma}{\partial y'} = \frac{\partial \sigma}{\partial y}$$

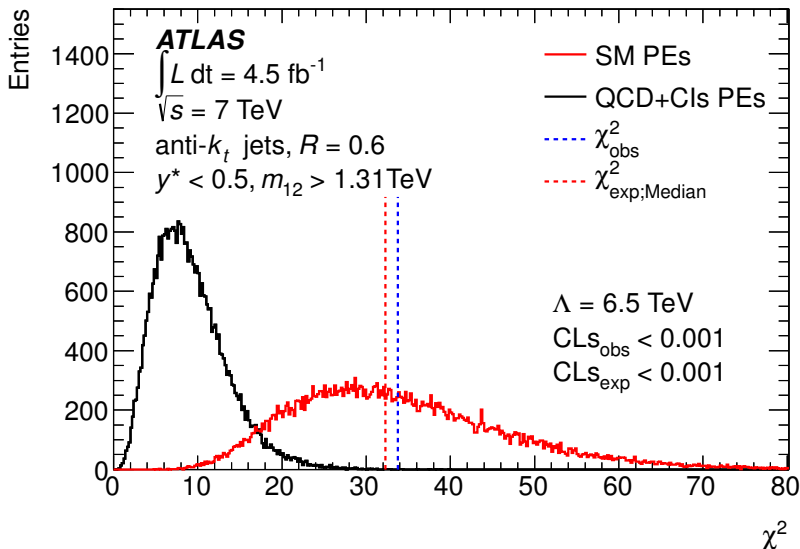
Algorithm specification: Anti- k_t

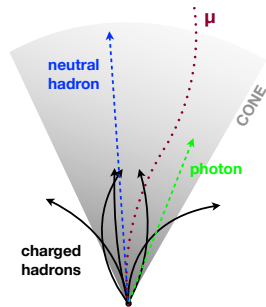
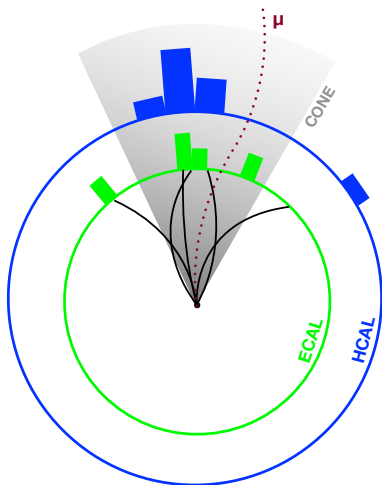
- $d_{i,j} = \min\left(\frac{1}{p_{T,i}^2}, \frac{1}{p_{T,j}^2}\right) \frac{\Delta R^2}{D^2}$;
 $d_{i,Beam} = \frac{1}{p_{T,i}^2}$
- D : algorithm parameter
- Iterate:
 - 1 For every pair of objects i, j calculate $d_{min} = \min(d_{i,j}, d_{i,beam})$
 - 2 If $d_{min} = d_{i,j}$ recombine objects
 Else i is a jet, remove it from list ^a
- Recombination starts from hard objects

^a ATLAS default: inclusive algorithm

Idea:







$$f_i(x, Q^2) \begin{cases} i = u_v, d_v, g \text{ and sea} \\ x = p_{\text{parton}} / E_{\text{beam}} \text{ parton momentum fraction} \\ Q^2 = \text{momentum transfer} \end{cases}$$

How are PDF's determined?

QCD predicts the **scale dependence** of $f_i(x, Q^2)$ through DGLAP evolution equations BUT does not accurately predict the x -dependence which has non perturbative origin

- the **x -dependence** is parameterised at a fixed scale Q_0^2 :
 - valence quarks:** $f \sim x^\lambda (1-x)^\eta P(x)$ different parameterisations and no. of free parameters used
 - sea/gluon:** $f \sim x^{-\lambda} (1-x)^\eta P(x)$
- $f_i(x, Q^2)$** is evolved from Q_0^2 to any other Q^2 by numerically solving the DGLAP equations to various orders (LO, NLO, NNLO)
- the free parameters are determined by fit to data from experimental observables (data from HERA experiments H1, ZEUS, fixed target DIS experiments, CDF, D0)