

Angular distributions as lifetime probes

A new way to measure particle lifetime in a problematic region
arXiv:1311.4542 [hep-ph]

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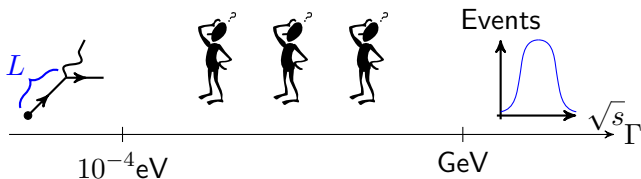
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The problem of a lifetime

- At the LHC we can measure lifetimes using two techniques:
 - $\Gamma \gtrsim \text{GeV}$ ($\tau \lesssim 10^{-24}\text{s}$): Scanning over width
 - $\Gamma \lesssim 10^{-4}\text{eV}$ ($\tau \gtrsim 10^{-12}\text{s}$): Use a displaced vertex
- In 2008 Grossman and Nachshon presented new way to measure Γ

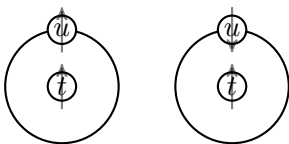
How we currently measure lifetimes:



The model

- Consider a hypothetical “top-like” quark particle with
 - Spin $1/2$
 - Heavy: $m_t \gg \Lambda_{QCD}$.
 - Charged under $SU(3)_c$
 - **but lifetime in the problematic region!**
- Basic idea: collection of spin up tops undergo a three step process:
 - 1 Tops hadronize mostly into mesons
 - 2 Top spin and light quark spin interact \rightarrow depolarizing the tops
 - 3 Spin of tops at time of decay depends on lifetime and depolarization scales

Heavy quark hadronization - surprisingly simple



- The energy splitting between the triplet and singlet states, $\Delta m \equiv m_{s=1} - m_{s=0} \ll \Lambda_{QCD} \Rightarrow$ **incoherent mix:**

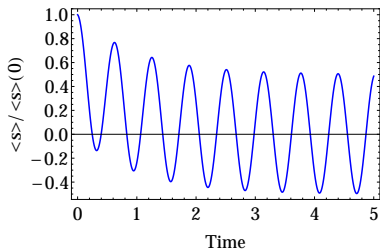
$$50\% \left| \overbrace{+}^{\text{top spin}} \underbrace{+}_{\text{light quark}} \right\rangle \quad 50\% \left| + - \right\rangle ,$$

$$\left| ++ \right\rangle = \left| 1, 1 \right\rangle, \quad \left| + - \right\rangle = \frac{\left| 1, 0 \right\rangle + \left| 0, 0 \right\rangle}{\sqrt{2}} .$$

Depolarization - a flip flop top

- $|++\rangle$: Second order decay with rate Γ_γ to $|00\rangle$.
- $|+-\rangle$: Oscillates between $|+-\rangle$ and $| -+\rangle$ with rate, $\Delta m \equiv m_{s=1} - m_{s=0}$.

$$\text{Normalized angular mom.} = \frac{\langle s \rangle(t)}{\langle s \rangle(0)} = \frac{1}{2} (e^{-\Gamma_\gamma t} + \cos \Delta m t)$$



Including top weak decay

- Thus far we have ignored particle decay
- To account for that we have the angular momentum per unit time.

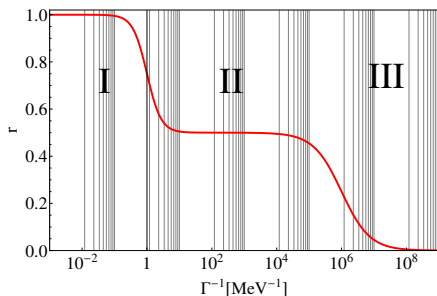
$$\frac{\langle s \rangle(t)}{\langle s \rangle(0)} \rightarrow \Gamma e^{-\Gamma t} \frac{1}{2} (e^{-\Gamma_\gamma t} + \cos \Delta m t)$$

- Can only measure time-average,

$$r \equiv \int \langle s \rangle(t) dt = \frac{1}{2} \left(\frac{1}{1+x^2} + \frac{1}{1+y} \right)$$

where $x \equiv \frac{\Delta m}{2\Gamma}$ and $y \equiv \frac{\Gamma_\gamma}{\Gamma}$.

The lifetime staircase

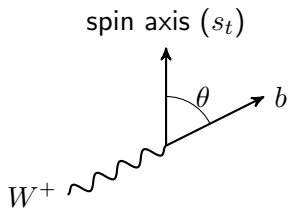


- By measuring r we can find Γ .
- 3 timescales: Δm , Γ_γ , and Γ with $\Delta m \gg \Gamma_\gamma$.
- Depending on value of Γ relative to Δm , Γ_γ particle lives in different region.

- r is really only split up into three regions.

What about the LHC?

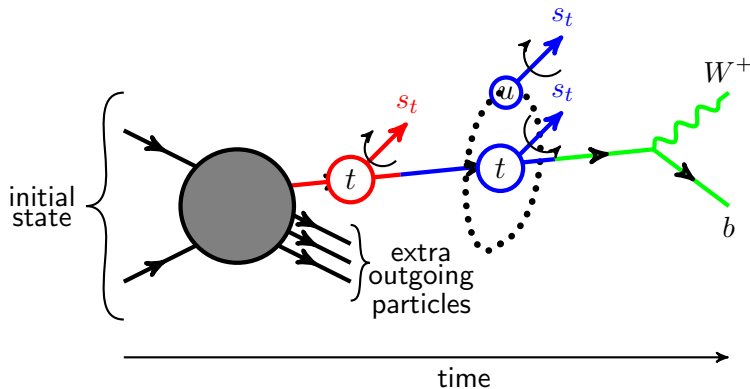
- Can't trap, polarize, and measure angular momentum
 - But we can almost do it!
- **Polarize particles:** By choosing clever spin axis \Rightarrow almost 100% polarized tops.



- **Spin Measurement:** Angular distributions depend on top spin

Process Breakdown

- Proton execution to b quark distribution:



- Angular distributions will depend on r !

Adding in hadronization

- **Without hadronization** (interference terms are small):

$$d\sigma \approx \sigma_{\uparrow} \frac{d\Gamma_{\uparrow}}{\Gamma} + \sigma_{\downarrow} \frac{d\Gamma_{\downarrow}}{\Gamma} \quad (1)$$

- $\sigma_{\lambda} \rightarrow$ production cross-section
- $d\Gamma_{\lambda} \rightarrow$ decay distribution
- Decay distributions gets modified ($P(t) \equiv \text{Prob}(\uparrow \xrightarrow{had} \uparrow)$):

$$\frac{d\Gamma_{\uparrow}}{\Gamma} \xrightarrow{had} P(t) \frac{d\Gamma_{\uparrow}}{\Gamma} + (1 - P(t)) \frac{d\Gamma_{\downarrow}}{\Gamma}$$

The final product

- So we have

$$\begin{aligned} \frac{d\sigma}{dt} = & \Gamma e^{-\Gamma t} \sigma_{\uparrow} \left(P(t) \frac{d\Gamma_{\uparrow}}{\Gamma} + (1 - P(t)) \frac{d\Gamma_{\downarrow}}{\Gamma} \right) \\ & + \sigma_{\downarrow} \left((1 - P(t)) \frac{d\Gamma_{\uparrow}}{\Gamma} + P(t) \frac{d\Gamma_{\downarrow}}{\Gamma} \right) \end{aligned}$$

- $r = \int \Gamma e^{-\Gamma t} (2P(t) - 1) dt$
- We need to calculate three different things:
 - ① $P(t)$ (essentially done above)
 - ② Production cross-sections
 - ③ Differential rates

Example

- Consider s channel production and $t \rightarrow bW$ decay,

$$\frac{d\sigma(t)}{d\cos\theta dt} = \Gamma e^{-\Gamma t} \left\{ \left(\sigma_{\uparrow} P(t) + \sigma_{\downarrow} (1 - P(t)) \right) \frac{d\Gamma_{\uparrow}}{d\cos\theta} + \left(\sigma_{\downarrow} P(t) + \sigma_{\uparrow} (1 - P(t)) \right) \frac{d\Gamma_{\downarrow}}{d\cos\theta} \right\}$$

where θ is the angle between the top spin axis and the b quark.

- After calculating σ_{\uparrow} and σ_{\downarrow} and integrating,

$$a_{fb} = \left\{ \frac{2M_W^2 - m^2}{2M_W^2 + m^2} \right\} \times r$$

Conclusion

- Currently we can't measure lifetimes for $\text{GeV} \lesssim \Gamma \lesssim 10^{-4} \text{eV}$
- New technique to measure lifetime of top-like particles
- Understanding the depolarization can give access to lifetime
- Angular distributions are dependent on the amount of depolarization (hence depend on r)
- Could be extended to different colored particles (gluino?)
- Lifetime gap isn't solved but maybe one step in the right direction

Thank you for listening!