

Measurement of R at KEDR

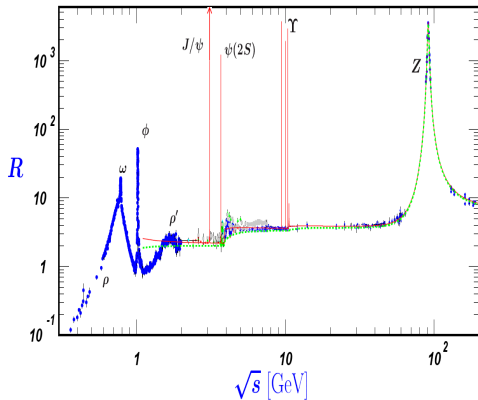
Korneliy Todyshev
KEDR Collaboration

BINP, Novosibirsk

Outline

- Motivation
- VEPP-4M collider and KEDR detector
- R measurement
- Summary

Motivation

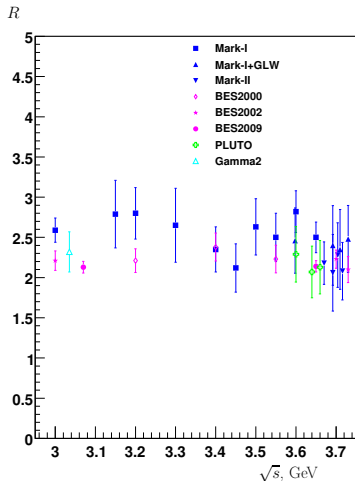


$$R(s) = \frac{\sigma_0(e^+e^- \rightarrow \gamma^* \rightarrow \text{hadrons})}{\sigma_0(e^+e^- \rightarrow \gamma^* \rightarrow \mu^+\mu^-)}$$

R is necessary for dispersion integrals of
hadronic vacuum polarization

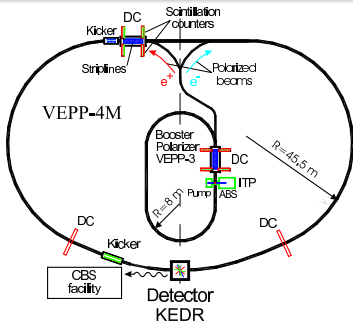
- $\alpha_{QED}(M_Z^2)$
- $(g - 2)_\mu$

Experimental motivation



- Systematic uncertainties dominate \implies More different experiments are needed

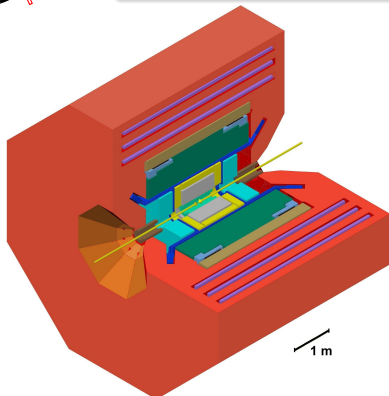
VEPP-4M and KEDR



Beam energy	$1 \div 5\text{ GeV}$
Number of bunches	2×2
Luminosity at 1.8 GeV	$1.5 \times 10^{30}\text{ cm}^{-2}\text{ s}^{-1}$

Energy determination uncertainty:

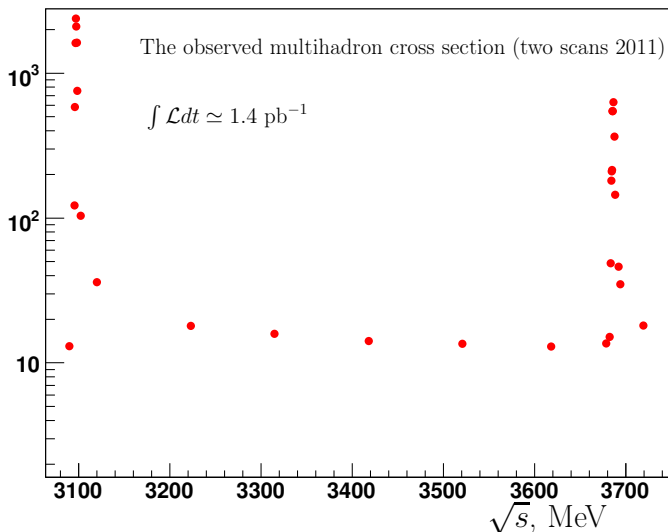
- Resonant depolarization technique $10 \div 30\text{ keV}$
- Infra-red light Compton backscattering $\sim 100\text{ keV}$



- Vertex detector
- Drift chamber
- Aerogel threshold counters
- ToF counters
- Lkr calorimeter
- Superconducting coil
- Yoke
- Muon chambers
- CsI calorimeter
- Compensating solenoid

The multihadron cross section in $J/\psi - \psi(2S)$ energy range

σ_{obs} , nb



The way that we are measuring R :

$$R = \frac{\sigma_{obs}(s) - \sum \epsilon_{\psi}^{tail}(s)\sigma_{\psi}^{tail}(s) - \sum \epsilon_{bg}^i(s)\sigma_{bg}^i(s)}{\epsilon(s)(1 + \delta(s))\sigma_{\mu\mu}^0} \quad (1)$$

with $\sigma_{obs}(s) = \frac{N_{mh} - N_{res.bg.}}{\int \mathcal{L} dt}$ where N_{mh} represent all events pass hadronic selection criteria, $N_{res.bg.}$ – residual machine background

$\sum \epsilon_{\psi}^{tail}(s)\sigma_{\psi}^{tail}(s)$ – is contribution from J/ψ and $\psi(2S)$ resonances

$\sum \epsilon_{bg}^i(s)\sigma_{bg}^i(s)$ – is contribution from physical processes: $e^+e^- \rightarrow l^+l^-$, $\gamma\gamma$ -processes.

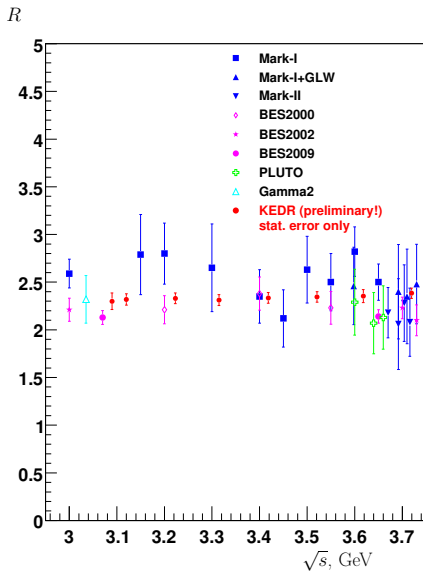
$\epsilon(s)$ – multihadron efficiency (The code of m.h. generator was kindly provided by the BES collaboration).

$$1 + \delta(s) = \int dx \frac{\mathcal{F}(s, x)}{|1 - \Pi_0(s(1-x))|^2} \frac{R(s(1-x))\epsilon(s(1-x))}{R(s)\epsilon(s)} \quad (2)$$

$\mathcal{F}(s, x)$ – radiative correction (E.A.Kuraev, V.S.Fadin Sov.J.Nucl.Phys.41(466-472)1985)

Here Π_0 does not includes J/ψ and $\psi(2S)$ resonances.

Results



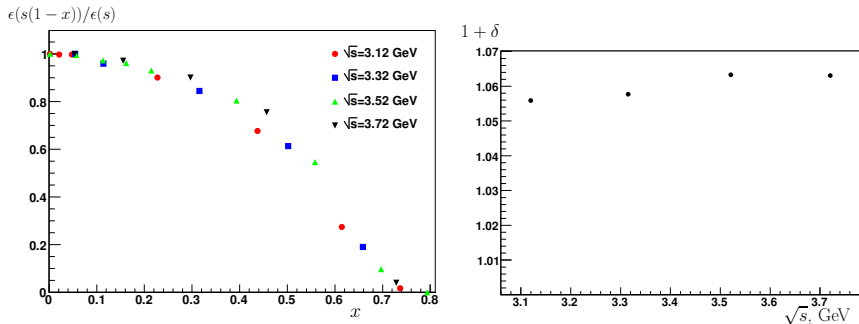
The main systematic uncertainties in R value

Source	Error, %
Luminosity measurement	1.0-2.0
Simulation	3.0-3.5
Radiative correction calculation	1.0
Detector response	1.0
Accelerator residual background	1.0
<i>Sum in quadrature</i>	3.6-4.4

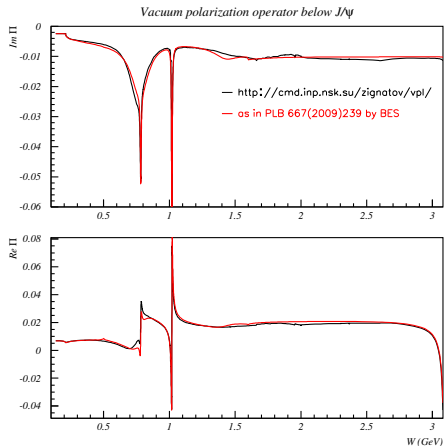
- For R measurement KEDR take 1.4 pb^{-1} at seven energy points in range 3.12-3.72 GeV
- Preliminary R values are obtained.
- We also have data below J/ψ (0.6 pb^{-1}), analysis in progress.
- KEDR R plans:
 - Repeat R scan in the energy range 3.12-3.72 GeV
 - Experiment with VEPP-4M at $E_{beam} > 2.5 \text{ GeV}$

BACKUP SLIDES

Radiative correction



Differential efficiencies have been used to calculate radiative correction at the each energy point.



To reduce the systematic uncertainty in the calculation of the the vacuum polarization operator we use the cut on the sum of the particles energies (more than 1.6 GeV).

Multihadron efficiency (MC simulation)

