

# Fine-Grained Tracker as a Near Detector for LBNE

Xinchun Tian  
for the LBNE Collaboration

Department of Physics and Astronomy



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# Outline

A High-Resolution Fine Grained Tracker as a ND for LBNE(F)

## Physics Sensitivity Studies

- Measure Absolute and Relative Flux using ND
- QE and Resonance Processes
- Constrain Nuclear Effects

An Example of Precision Measurements

- Electroweak Constant

## Outlook

## Goals of the ND in Long-Baseline Neutrino Facility

- Constrain the systematic uncertainties in the oscillation measurements/searches
  - Neutrino source : content and spectra of all 4 species,  $\nu_\mu$ ,  $\bar{\nu}_\mu$ ,  $\nu_e$ ,  $\bar{\nu}_e$
  - Precise prediction of FD/ND CC spectra for all 4 species and of NC
  - Energy scale of neutrino and antineutrino
  - Background :  $\pi^{0,\pm}$  in NC and CC;  $e/\mu$ /proton/ $\pi$ /K ID
- ⇒ Measure the 4-momenta of particles in neutrino interactions providing an “Event-Generator Measurement” for the FD
- A generational advance in the precision neutrino physics
  - Cross sections: QE, Resonance, Coherent and DIS
  - Neutrino-nucleus interactions and nucleon structure
  - Electroweak and isospin physics
- Search for New Physics at short-baseline
  - Short-baseline oscillations, include constraining of the background for FD signal
  - Light Dark Matter, Universality, and right-handed currents, etc.

# Quantify the Neutrino Source Using ND

- Precision measurement of all 4 neutrino species
  - $\overset{(-)}{\nu}_{\mu} \rightarrow \mu^{\pm}$  as a function of  $E_{\nu}$  – FD/ND ( $E_{\nu}$ )
  - $\overset{(-)}{\nu}_{e} \rightarrow e^{\pm}$  as a function of  $E_{\nu}$  – FD/ND ( $E_{\nu}$ )<sup>1</sup>
- These considerations imply the following requirements
  - Magnetized tracker to ID positive from negative particle –  $B \sim 0.4$  T
  - Low density medium to track  $e^{\pm}$  –  $\rho \sim 0.1$  g/cm<sup>3</sup>
    - Momentum vectors of hadrons:  $\pi^{\pm,0}$ ,  $K^{\pm,0}$  and proton
  - Large statistics –  $\sim 10^8$  neutrino interactions

The proposed FGT builds upon the NOMAD experience

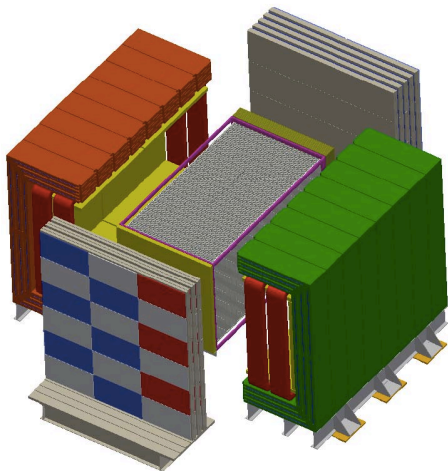
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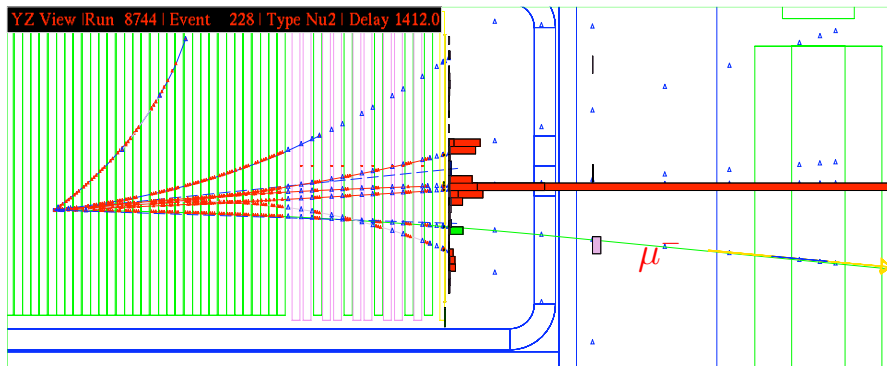

$$\frac{1}{\nu_e + \bar{\nu}_e} \sim 1 \text{ in neutrino mode .vs. } \frac{\bar{\nu}_e}{\nu_e + \bar{\nu}_e} \sim 0.5 \text{ in antineutrino mode}$$

## High Resolution Fine-Grain Tracker (Proposed by the Indian & US Groups)

- $\sim 3.5 \text{ m} \times 3.5 \text{ m} \times 7 \text{ m}$  STT  
( $\rho \simeq 0.1 \text{ g/cm}^3$ )
- $4\pi$  ECAL in a dipole magnetic field ( $B = 0.4 \text{ T}$ )
- $4\pi$  MuID (RPC) in dipole and up/downstream
- Pressurized Ar target  $\simeq \times 10$  FD statistics

- Transition Radiation :  $e^\pm$
- $dE/dx$  :  $\pi^\pm$ ,  $K^\pm$  and proton
- Magnet : + .vs. -
- MuID :  $\mu$   
 $\Rightarrow$  Absolute flux measurement



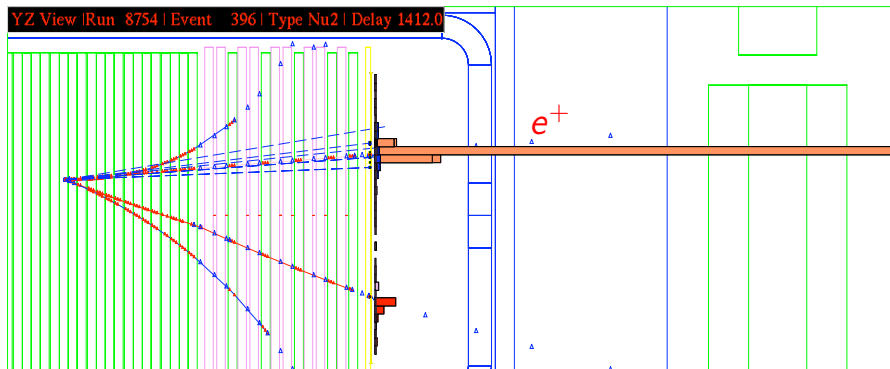
A  $\nu_\mu$  CC candidate in NOMADFGT will have  $\sim \times 10$  higher granularity

- Observations

- Hadrons are tracks, enabling the momentum vector measurement
- $\mu$  is kinematically separated from hadron-vector  $\Rightarrow$  miss  $p_T$  measurement

## A $\bar{\nu}_e$ CC candidate in NOMAD

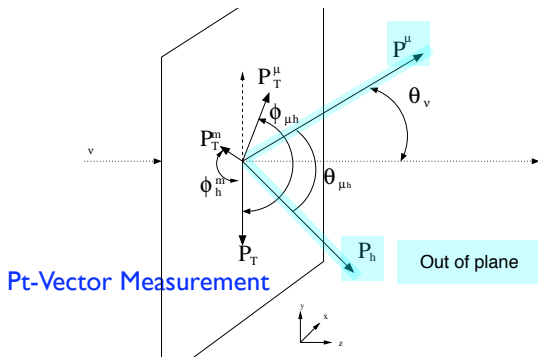
Most difficult to measure among the 4 neutrino species



- Conclusions

- $\mu$  from  $\nu_\mu$  and  $e$  from  $\nu_e$  interactions are tracks : determined with very high precision
- Universality equivalence :  $\mu \leftrightarrow \nu_\mu \Leftrightarrow e \leftrightarrow \nu_e$

## Kinematics in High Resolution FGT

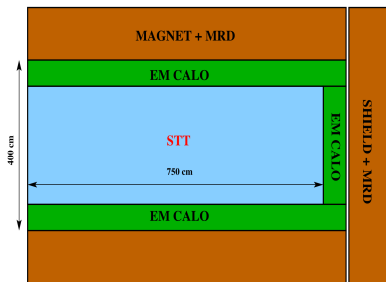


- $e^\pm$  : transition radiation
- “h” : vector sum of hadronic tracks

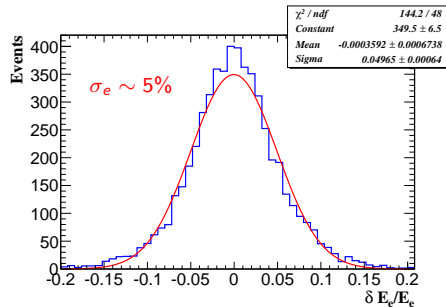
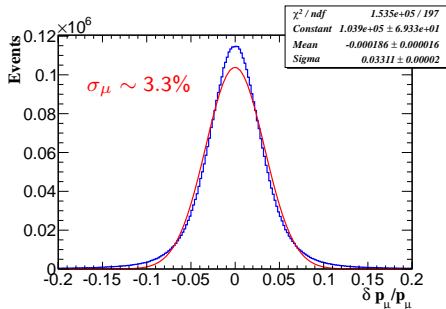
The reconstruction of the detailed event kinematics from individual tracks and neutral clusters is a powerful tool to identify NC and CC topologies.



## FGT Performance



Radiator (Target) Mass	7 tons
Other Nuclear Target Mass	1–2 tons
Vertex Resolution	0.1 mm
Angular Resolution	2 mrad
$E_e$ Resolution	$6\%/\sqrt{E}$ (4% at 3 GeV)
$E_\mu$ Resolution	3.5%
$\nu_\mu/\bar{\nu}_\mu$ ID	Yes
$\nu_e/\bar{\nu}_e$ ID	Yes
$\pi^-$ .vs. $\pi^+$ ID	Yes
$\pi^+$ .vs. $proton$ .vs. $K^+$	Yes
NC $\pi^0$ /CCe Rejection	0.1%
NC $\gamma$ /CCe Rejection	0.2%
CC $\mu$ /CCe Rejection	0.01%



## Absolute Flux: Neutrino electron NC/CC scattering <sup>2</sup>

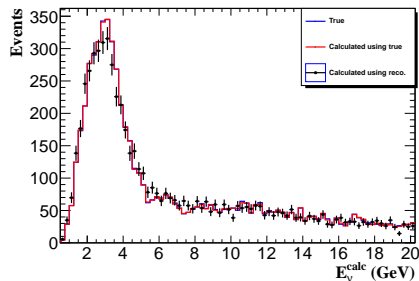
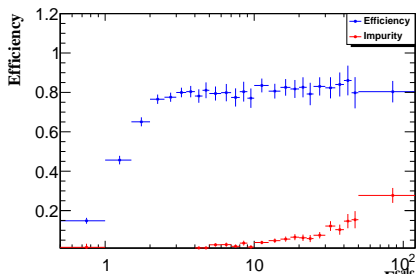
- Cross section is extremely small, but well known
- Assuming 1.2 MW beam power, 5 tons ND fiducial mass, 5 years neutrino running
  - 10 k  $\nu e^- \rightarrow \nu e^-$  events, 78 k  $\nu_\mu e$ , 1.7 k  $\bar{\nu}_\mu$ , 1 k  $\bar{\nu}_e e$
  - 5.4 k  $\sigma(\nu_\mu e^- \rightarrow \mu^- \nu_e)$  events
- Clean determination of neutrino flux at low energy (NC) and high energy (IMD)

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<sup>2</sup>W. Marciano and Z. Parsa, arXiv: hep-ph/0403168

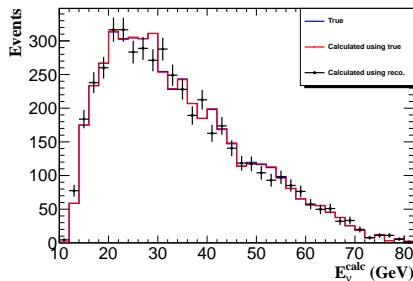
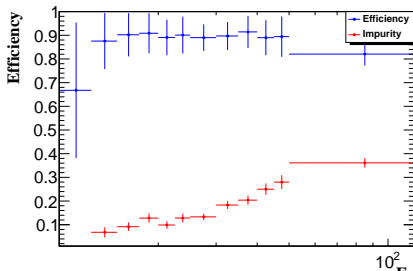
# Absolute Flux: $\nu$ -e NC Scattering

- Signal
  - Single, forward  $e^-$
  - Efficiency  $\sim 73\%$
- Background
  - $\nu_e$  CCQE & NC (charge-symmetric)
  - Benign, constrained by “ $e^+$ ” analysis
- Total neutrino energy
  - High resolution tracker allows the reconstruction of  $E_\nu$  from  $(E_e, \theta_e)$
- Absolute flux :  $\sim 2\%$  precision in  $0.5 \leq E_\nu \leq 10$  GeV range.

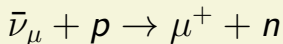


# Absolute Flux: $\nu$ -e CC Scattering (IMD)

- Signal
  - Single, forward  $\mu^-$
  - Efficiency  $\sim 91\%$
- Background
  - $\sim 20\%$ , dominated by CCQE 1-track
  - Constrained by 2-track  $\nu_\mu$ -CC analysis after removing the “proton”
- Total neutrino energy
  - High resolution tracker allows the reconstruction of  $E_\nu$  from  $(E_\mu, \theta_\mu)$
- Absolute flux :  $\sim 2.5\%$  precision in  $15 \leq E_\nu \leq 50$  GeV range.



# Absolute Flux: $\bar{\nu}_\mu$ Proton QE Scattering



- Signal
  - Single  $\mu^+$  obtained after subtraction:  $(C_3H_6)_n$  [Radiator] - C [Graphite]
  - Collect  $(1.0 \pm 0.0045) \times 10^6$  (subtracted)  $\bar{\nu}$ -H events ( $\sim 25\%$  QE)
  - Collect  $(3.3 \pm 0.0090) \times 10^6$  (subtracted)  $\nu$ -H events ( $\sim 0\%$  QE)
- Background
  - Dominated by  $\bar{\nu}_\mu$ -CC
- Systematic Handle (ancillary, in situ measurement of the background)
  - Conduct the analysis on multi-track  $\bar{\nu}_\mu$ -CC to check the target location
- Estimate a  $\sim 3\%$  precision in  $0.5 \leq E_\nu \leq 20$  GeV

## Relative Flux: Low- $\nu_0$ method <sup>3</sup>

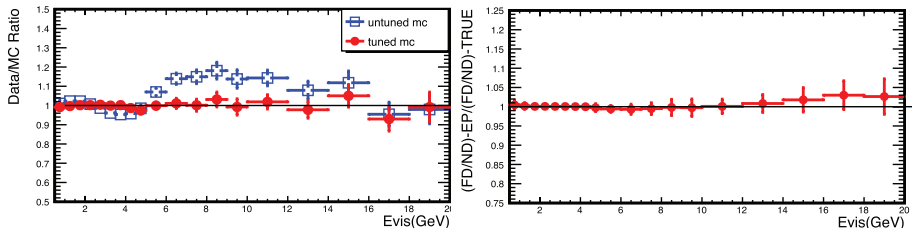
- Relative  $\nu_\mu, \bar{\nu}_\mu$  flux .vs. energy from low- $\nu_0$  method

$$N(E_\nu, E_{\text{Had}} < \nu_0) = k\Phi(E_\nu)f\left(\frac{\nu_0}{E_\nu}\right) \quad (1)$$

- The correction factor  $f\left(\frac{\nu_0}{E_\nu}\right) \rightarrow 1$  for  $\nu_0 \rightarrow 0$

$$f\left(\frac{\nu_0}{E_\nu}\right) = 1 + \left(\frac{\nu_0}{E_\nu}\right)\frac{\mathcal{B}}{\mathcal{A}} + \left(\frac{\nu_0}{E_\nu}\right)^2\frac{\mathcal{C}}{2\mathcal{A}} + \dots \quad (2)$$

- Study relative  $\nu_\mu, \bar{\nu}_\mu$  fluxes in LBNF with  $E_{\text{Had}} < \nu_0 = 0.5$  GeV
  - Use standalone sim. with LBNF spectra and parameterized detector smearing
  - Perform empirical fits to modified  $\nu_\mu$  &  $\bar{\nu}_\mu$  spectra in ND (fake data)
  - Extract modified fluxes and extrapolate to FD
- Overall uncertainty on FD/ND flux ratio  $\sim 1-2\%$



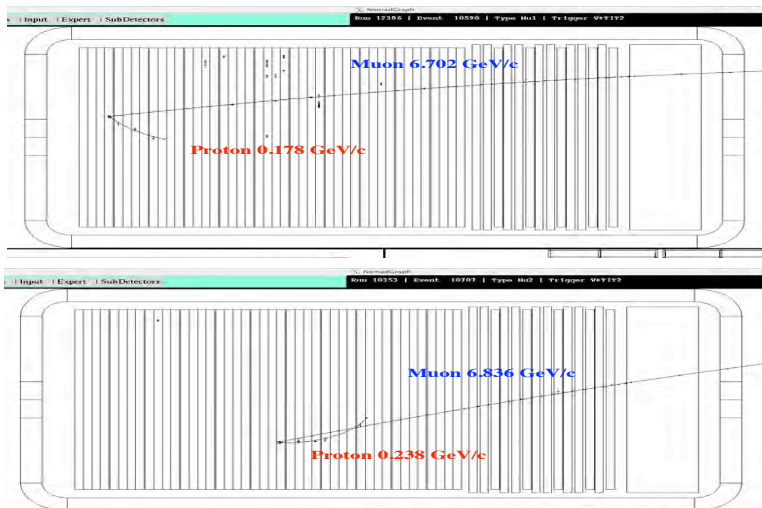
<sup>3</sup>S. R. Mishra, World Sci., 84 (1990), Ed. D. Geesman.

# Absolute and Relative Flux in LBNF using ND – Summary

- Absolute flux
  - Leptonic channel
    - Neutrino electron NC scattering : expect a  $\sim 2\%$  precision in  $0.5 \leq E_\nu \leq 10$  GeV
    - Neutrino electron CC scattering : expect a  $\sim 2.5\%$  precision in  $E_\nu \geq 11$  GeV
  - 2<sup>nd</sup> channel
    - $\bar{\nu}_\mu + p \rightarrow \mu^+ + n$  : estimate a  $\sim 3\%$  precision in  $0.5 \leq E_\nu \leq 20$  GeV
  - Coherent channel ( $\nu_\mu + \mathcal{A} \rightarrow \nu_\mu + \mathcal{A} + \rho^0$ )
- Relative flux
  - Low  $\nu_0$  method
    - $\bar{\nu}_\mu^{(-)} + N \rightarrow \mu^\pm + X$  : expect a FD/NC ratio at  $\sim 1\text{-}2\%$  precision in  $0.5 \leq E_\nu \leq 50$  GeV
  - Coherent  $\pi/\rho$  channel
    - $\bar{\nu}_\mu^{(-)} \mathcal{A} \rightarrow \mu^\pm \pi^\mp (\rho^\mp) \mathcal{A}$  : estimate a high precision in the  $\bar{\nu}_\mu/\nu_\mu$  ratio in  $0.5 \leq E_\nu \leq 50$  GeV

# QE Candidates in NOMAD

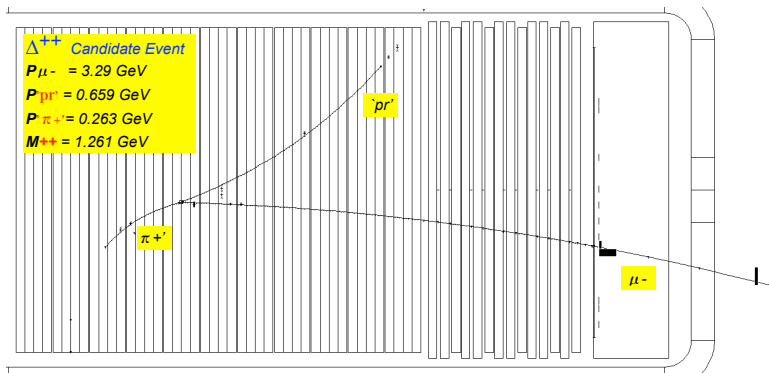
FGT will have  $\sim \times 10$  higher granularity





# Resonance Candidates in NOMAD (See H. Y. Duyang's talk on Friday)

FGT will have  $\sim \times 10$  higher granularity



## Efficiency as a function of $E_{\text{vis}}$

- CCQE 2-track: average signal eff. is 48% with 19% background
- CCQE 1-track: average signal eff. is 23% with 6% background
- CCRes 3-track: average signal eff. is 33% with 23% background

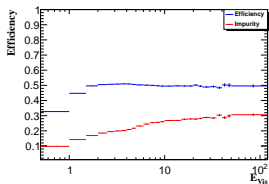


Figure: CCQE 2-track

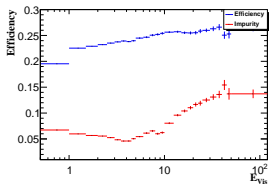


Figure: CCQE 1-track

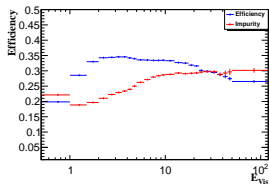
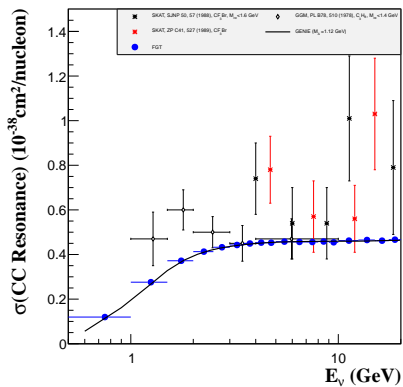
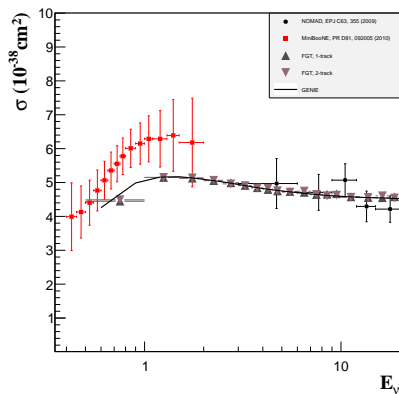


Figure: CCRes 3-track

# Cross section



# Constraining Nuclear Effects using QE and Resonance Processes

- Energy scale using 2-track QE
- Energy scale using 3-track Resonance
- FSI using 2- vs. 1-track QE cross section
- Backward-going  $\pi$ /proton momentum in Resonance

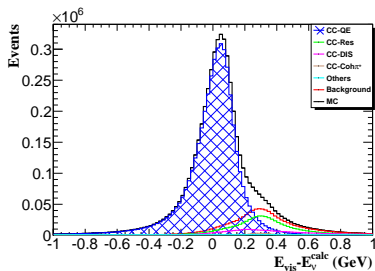
# Compare $E_{\text{vis}} - E_{\nu}^{\text{calc}}$ using CCQE 2-track

- Nuclear effects: initial state pair wise correlations & final state interactions

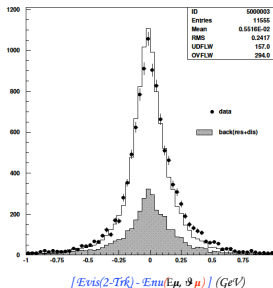
$$E_{\text{vis}} = E_{\mu} + E_{\text{had}}, \quad (3)$$

$$E_{\nu}^{\text{calc}} = \frac{2(M_n - E_B)E_{\mu} - (E_B^2 - 2M_n E_B + m_{\mu}^2 + \delta M^2)}{2[(M_n - E_B) - E_{\mu} + p_{\mu} \cos \theta_{\mu}]}, \quad (4)$$

$$\delta M^2 = M_n^2 - M_p^2. \quad (5)$$

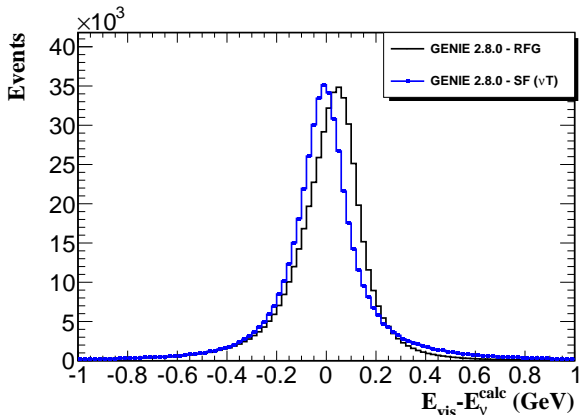


Nomad Data:



# Compare $E_{\text{vis}} - E_{\nu}^{\text{calc}}$ using CCQE 2-track with different Nuclear Models

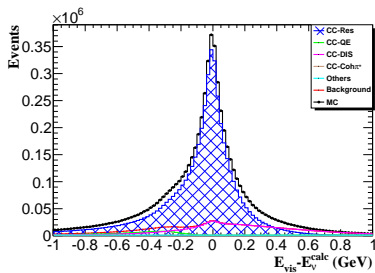
- GENIE 2.8.0: RFG (Bodek-Ritchie);  $Q^2$  selection is not affected by the initial nucleons's kinematics
- GENIE 2.8.0 + SF ( $\nu T$ ): Realistic Nuclear Spectral Functions;  $Q^2$  selection takes into account the dependence of the initial interaction vertex on both energy and momentum of the struck nucleon



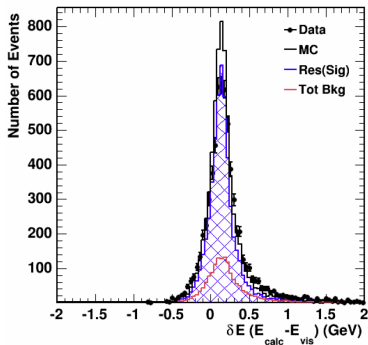
# Compare $E_{\text{vis}} - E_{\nu}^{\text{calc}}$ using CCRes 3-track <sup>4</sup>

$$E_{\text{vis}} = E_{\mu} + E_{\text{had}}, \quad (6)$$

$$E_{\nu} = \frac{m_{\mu}^2 + m_{\pi}^2 - 2m_N(E_{\mu} + E_{\pi}) + 2\mathbf{p}_{\mu} \cdot \mathbf{p}_{\pi}}{2(E_{\mu} + E_{\pi} - |\mathbf{P}_{\mu}| \cos \theta_{\mu} - |\mathbf{P}_{\pi}| \cos \theta_{\pi} - m_N)} \quad (7)$$

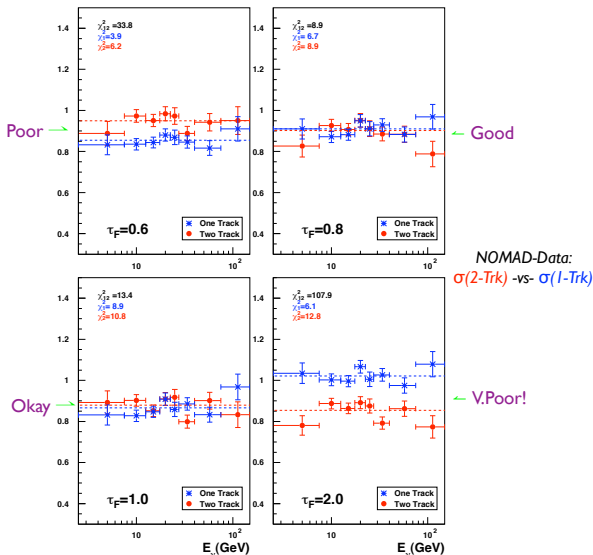


*Nomad Data:*

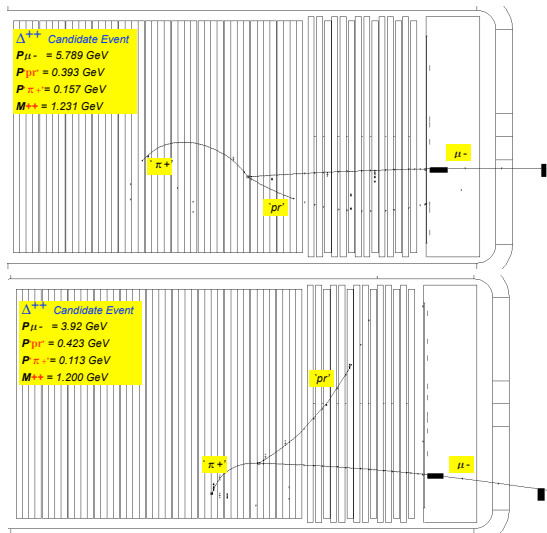


<sup>4</sup>See Duyang's talk for details

# Compare CCQE 1- .vs. 2-track x-sections - NOMAD Data



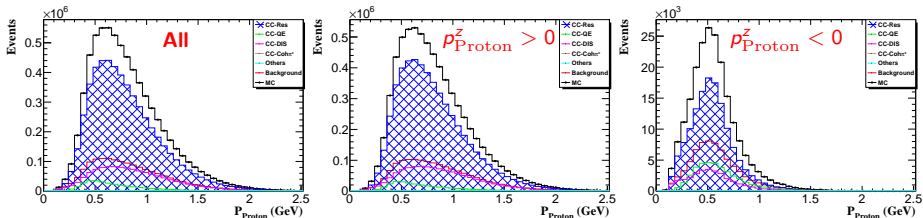


Backward going particle in CCRes 3-track <sup>5</sup>

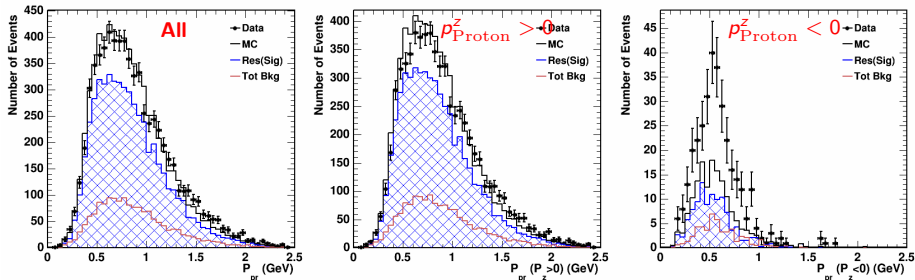
<sup>5</sup>See Duyang's talk for details

# $p_{Pr}$ in Res 3-track: top: GENIE & bottom: NOMAD Data

**GENIE: 97.4% of the Proton is forward going**

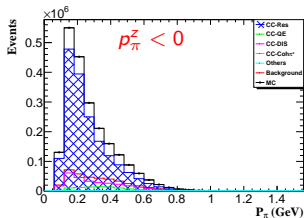
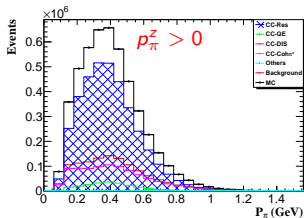
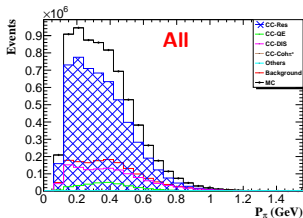


**NOMAD**

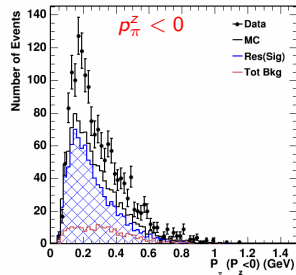
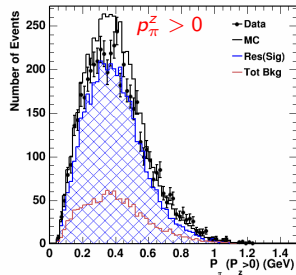
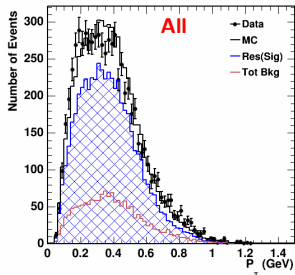


# $p_\pi$ in Res 3-track: top: GENIE & bottom: NOMAD Data

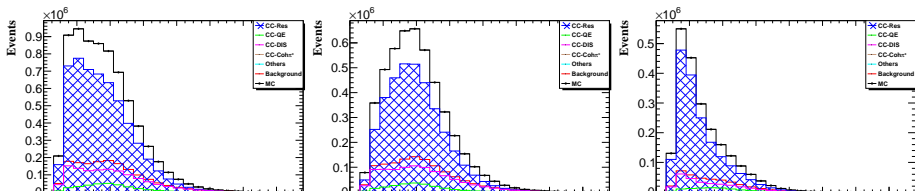
GENIE: 67.3% of the  $\pi$  is forward going



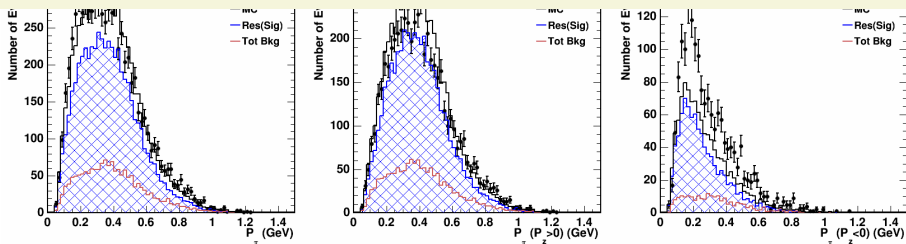
NOMAD



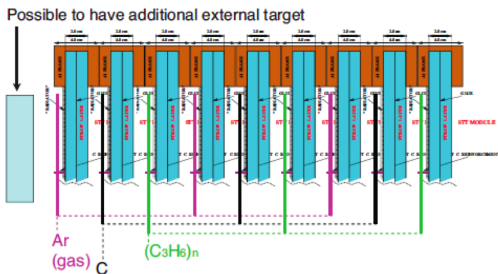
# $p_\pi$ in Res 3-track: top: GENIE & bottom: NOMAD Data



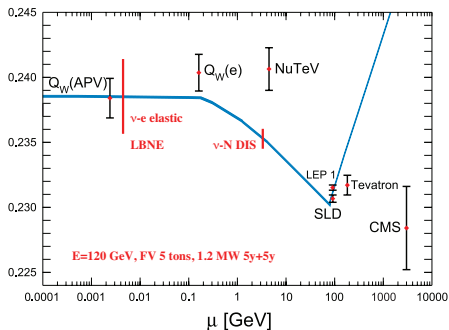
Backward-going particles are an excellent probe to constrain nuclear effects, both Fermi-motion (2-particle correlation) and FSI



# Neutrino-Nuclear Interactions



- Main target polypropylene (C<sub>3</sub>H<sub>6</sub>)<sub>n</sub> foils in radiators
- Multiple nuclear targets in STT: (C<sub>3</sub>H<sub>6</sub>)<sub>n</sub> radiators, Ar gas ( $\times 10$  statistics of FD), H<sub>2</sub>O, D<sub>2</sub>O, Ca, Fe, Pb
- Excellent vertex resolution ( $\sim 100 \mu\text{m}$ ) and angular resolution  $\sim 1 \text{ mrad}$  allow clean separation of different nuclear targets

$\sin^2 \theta_W$  measurement

- Default 1.2 MW beam with 5 year  $\nu$  + 5 year  $\bar{\nu}$  data taking is sufficient to achieve competitive electroweak measurements with LBNF ND
  - The measurement of  $\sin^2 \theta_W$  with  $\nu$ -N DIS can reach a precision of  $\sim 0.35\%$
  - The measurement of  $\sin^2 \theta_W$  with  $\nu$ -e elastic scattering can reach a precision of  $\sim 1\%$

## Conclusion

The ND complex, with a high resolution FGT, will:

- Determination of the relative abundance and of the energy spectrum of the four neutrino species in LBNF beam:  $\nu_\mu, \bar{\nu}_\mu, \nu_e, \bar{\nu}_e$ 
  - Extrapolation to FD and predictions of FD/ND( $E_\nu$ ) fluxes to  $\sim 1\%$
- Determination of the absolute  $\nu_\mu$  and  $\bar{\nu}_\mu$  fluxes to  $\sim 2\%$  for oscillation measurements
- Measure cross sections and exclusive topologies of NC and CC interactions
- Calibration of the absolute neutrino energy scale in  $\nu$ -Ar and  $\bar{\nu}$ -Ar interactions
- Quantify asymmetries between  $\nu$  and  $\bar{\nu}$  (energy scale, flux, interactions) for  $\delta_{CP}$

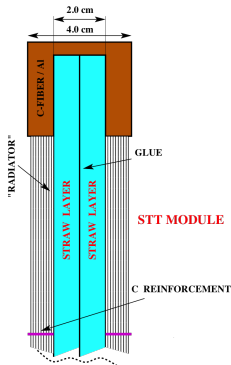
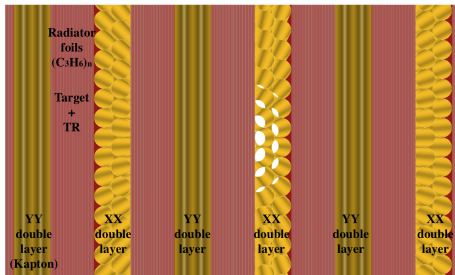
A generational advance in precision measurement and searches will produce over 120 topics providing a rich program

# Backups



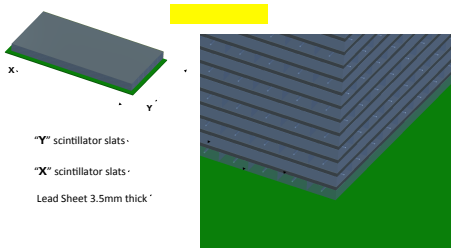
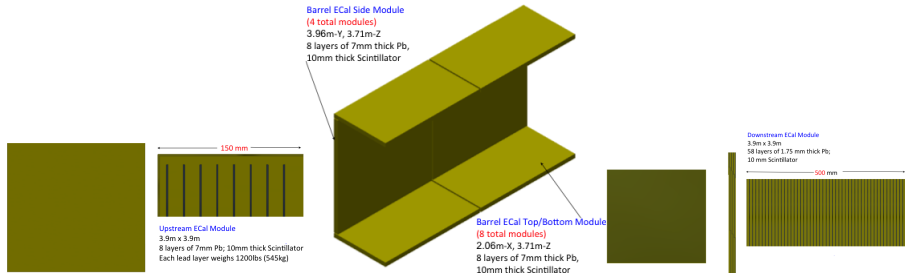
# Straw Tube Tracker (Panjab Univ.)

## Geant4 schematic of STT with Radiator



- Straw inner diameter:  $9.530 \pm 0.005$  mm
- Operate with 70%/30% Xe/CO<sub>2</sub> gas mixture
- Radiator/target thickness  $\sim 20$  mm with 75 (C<sub>3</sub>H<sub>6</sub>)<sub>n</sub> foils (40  $\mu$ m) for transition radiation and tulle spacers
- Straws arranged in double layers glued together inserted with C-fiber/Al composite frames
- 166 modules arranged by alternating vertical and horizontal orientation with total length of 7 m
- Mass of the active target dominated by the radiators (82.6% of the total mass) can be tuned to achieve desired events and momentum resolution

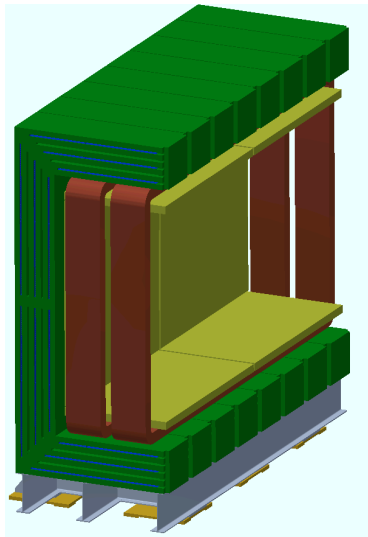
# Electromagnetic Calorimeter (IIT, Guwahati & Delhi Univ.)



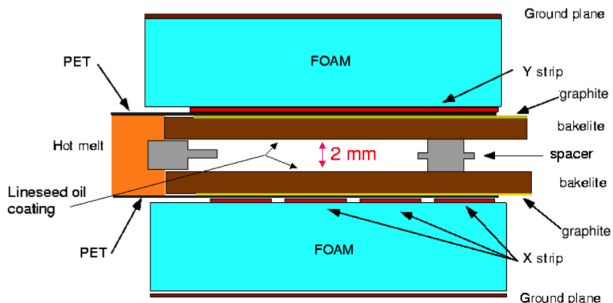
- Leadscintillator based on the T2K-ECAL, embedded inside the 0.4 T dipole magnet
- 58 layers of alternating horizontal/vertical scintillator strips per 1.75 mm Pb along the z-direction
- Plastic Scintillator bars: 4 m × 2.5 cm × 1.0 cm, 160 bars/layer, 9,280 bars in total
- Two sided readout

## Magnet (Bhabha Atomic Research Center)

- 4.5 m  $\times$  4.5 m  $\times$  8 m inner dimensions
- 2.4 MW, 60 cm thick steel
- 0.4 T magnetic field
- <2% magnetic field variation over inner volume



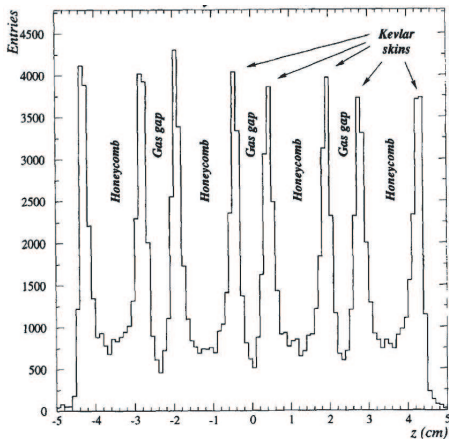
# MuID - RPC (Variable Energy Cyclotron Center)



- Muon Range Detector - identify muons at low momenta exiting the sides of the detector
  - 32 RPC planes interspersed between 20 cm thick layers of steel
- External Muon Identifier - identify high energy forward muons

# Z position Radiography – NOMAD Tracker

Resolution of FGT will be much better



**Figure:** A neutrino radiograph of the NOMAD drift chambers shows the internal structure of the tracking volume. It illustrates the high resolution of the z-position of the vertex.

# Energy Scale of Neutrino and Antineutrino

- **Problem:** simplest of interactions, e.g. QE, Resonance, are obfuscated by nuclear effects (2-particle correlation, FSI). Furthermore, these effects could affect the antineutrino differently from neutrino.
- **The key is:** the measurement of the hadron-vector
  - $\nu$ -QE: 2-track events
  - $\bar{\nu}$ -Resonance : 2/3-track events
  - Coherent  $\pi^\pm$ 
    - With missing  $p_t < 300$  MeV ( $\sqrt{t} < 5$  MeV)
    - Identical topology in  $\nu_\mu$  .vs.  $\bar{\nu}_\mu$  (to the first order little nuclear-effect)

## Coherent $\pi/\rho$ Production – Constraining Absolute Flux

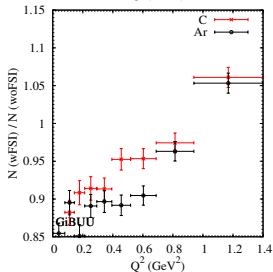
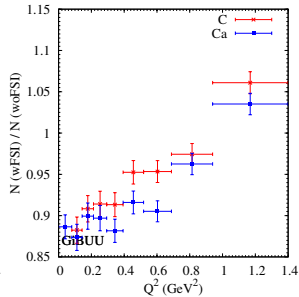
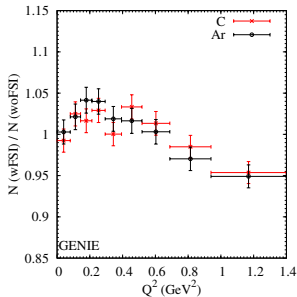
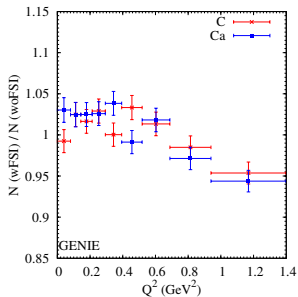
$$\nu_\mu + \mathcal{A} \rightarrow \mu^- \mathcal{A} + \pi^+(\rho^+) \quad (CC) \quad (8)$$

$$\nu_\mu + \mathcal{A} \rightarrow \nu_\mu \mathcal{A} + \pi^0(\rho^0) \quad (NC) \quad (9)$$

- Measure coherent  $\rho$  with  $\sim 2\%$  precision
- Tie the neutrino measurement to photo-production and extract flux – to determine the absolute flux  $\sim 5\%$  precision
  - Dominated by systematics in relating neutrino to electron (CVC)
- Critical measureables
  - $\pi^{0,\pm}$  momentum vectors
  - Veto additional particles : secondary tracks in STT and calorimeter
  - MuID : RPC

# QE FSI Effects : C .vs. Ca .vs. Ar using GENIE & GiBUU

## HRI with Carolina Group

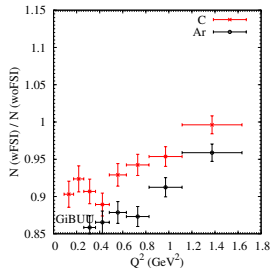
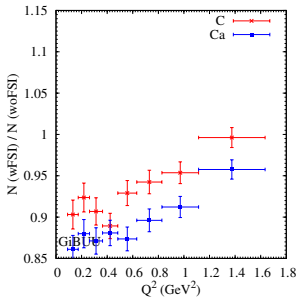
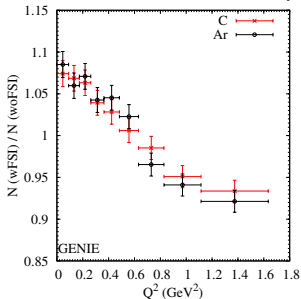
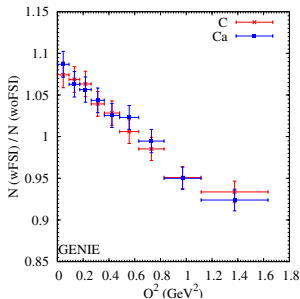


- FSI effects at  $\pm \sim 10\%$
- Different in GENIE .vs. GiBUU
- Similar in Ca/C & Ar/C



# Res FSI Effects : C .vs. Ca .vs. Ar using GENIE & GiBUU

## HRI with Carolina Group



- FSI effects at  $\pm \sim 10\%$
- Different in GENIE .vs. GiBUU
- Similar in Ca/C & Ar/C

## Relative Flux: Low- $\nu_0$ method

- Relative  $\nu_\mu$ ,  $\bar{\nu}_\mu$  flux .vs. energy from low- $\nu_0$  method

$$N(E_\nu, E_{\text{Had}} < \nu_0) = k\Phi(E_\nu)f\left(\frac{\nu_0}{E_\nu}\right) \quad (10)$$

- The correction factor  $f\left(\frac{\nu_0}{E_\nu}\right) \rightarrow 1$  for  $\nu_0 \rightarrow 0$

$$f\left(\frac{\nu_0}{E_\nu}\right) = 1 + \left(\frac{\nu_0}{E_\nu}\right)\frac{\mathcal{B}}{\mathcal{A}} + \left(\frac{\nu_0}{E_\nu}\right)^2\frac{\mathcal{C}}{2\mathcal{A}} + \dots \quad (11)$$

- In practice use MC to calculate the correction factor normalized at high  $E_\nu$

$$f(E_\nu) = \frac{\sigma(E_\nu, E_{\text{Had}} < \nu_0)}{\sigma(E_\nu \rightarrow \infty, E_{\text{Had}} < \nu_0)} \quad (12)$$

- Need precise muon energy scale and good resolution at low  $\nu$  values
- Main systematic uncertainties
  - Muon (Hadronic) energy scale
  - Detector smearing and effects of  $\nu_0$  cut
  - Cross sections (anti)neutrino-nucleus (QE, Res, DIS) and FSI
  - Backgrounds and selection cuts