

# Measuring the neutrino mass

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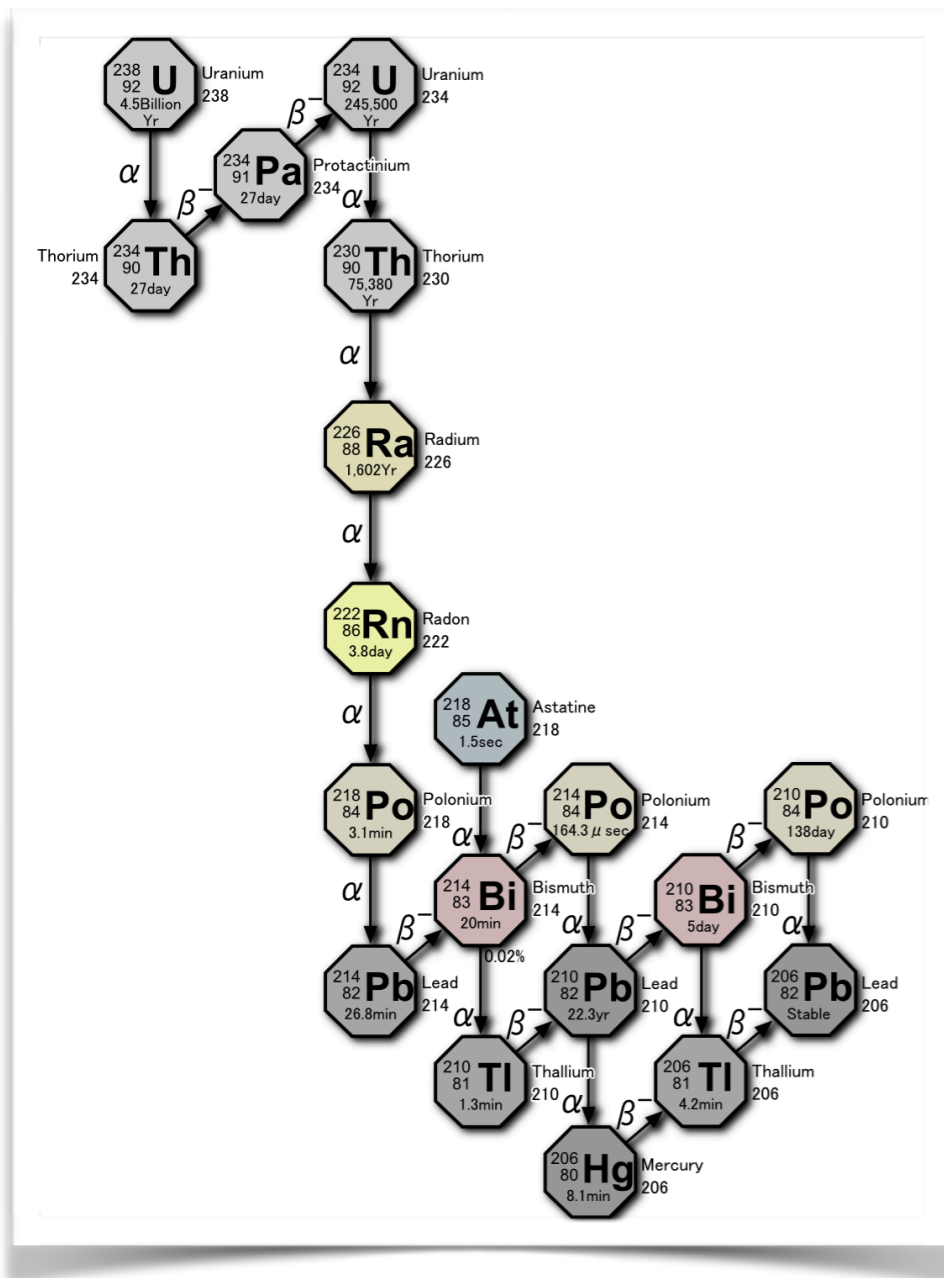
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**IFIC (CSIC & UV)**

**St. Andrews, INSS, 2014**  
**Lecture 3**



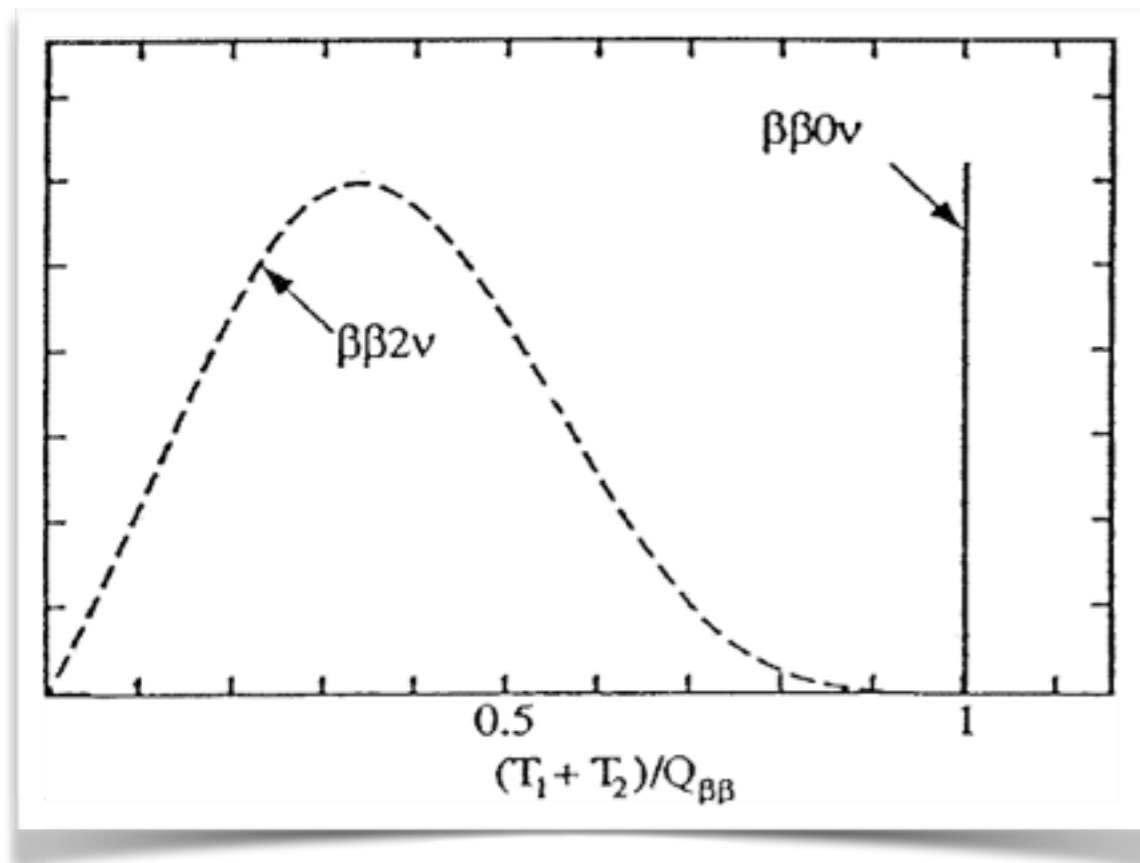
## **Experimental challenges**

# Why $\beta\beta 0\nu$ experiments are difficult



- Earth is a very radioactive planet. There are about 3 grams of U-238 and 9 grams of Th-232 per ton of rock around us.
- This is an intrinsic activity of the order of 60 Bq/kg of U-238 and 90 Bq/kg of Th-232.
- The lifetime of U-238 is of the order of  $10^9$  y and that of Th-232  $10^{10}$  y. We want to explore lifetimes of the order of  $10^{26}$  -  $10^{27}$  y.
- The problem is much harder than finding a needle in a haystack

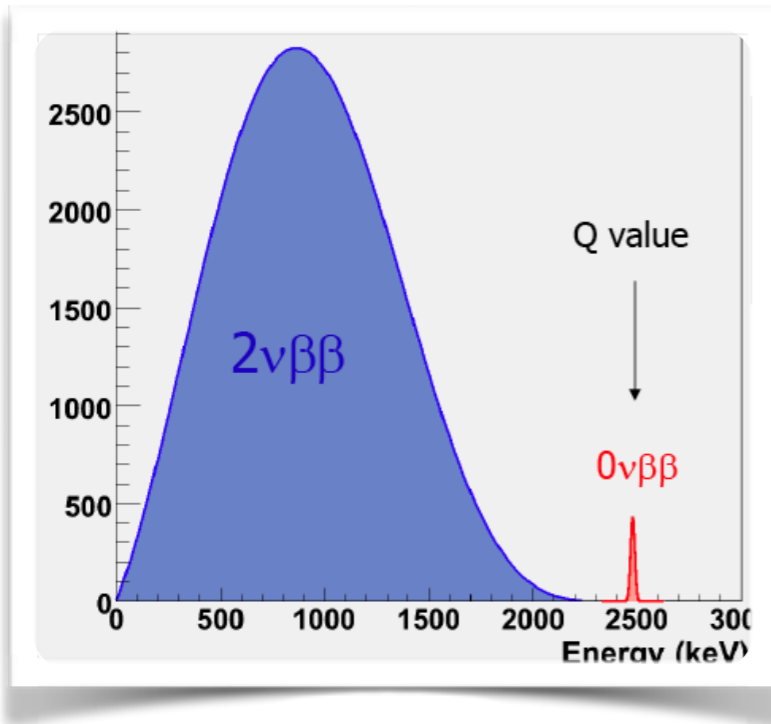
# Measuring $\beta\beta 0\nu$ in an ideal experiment



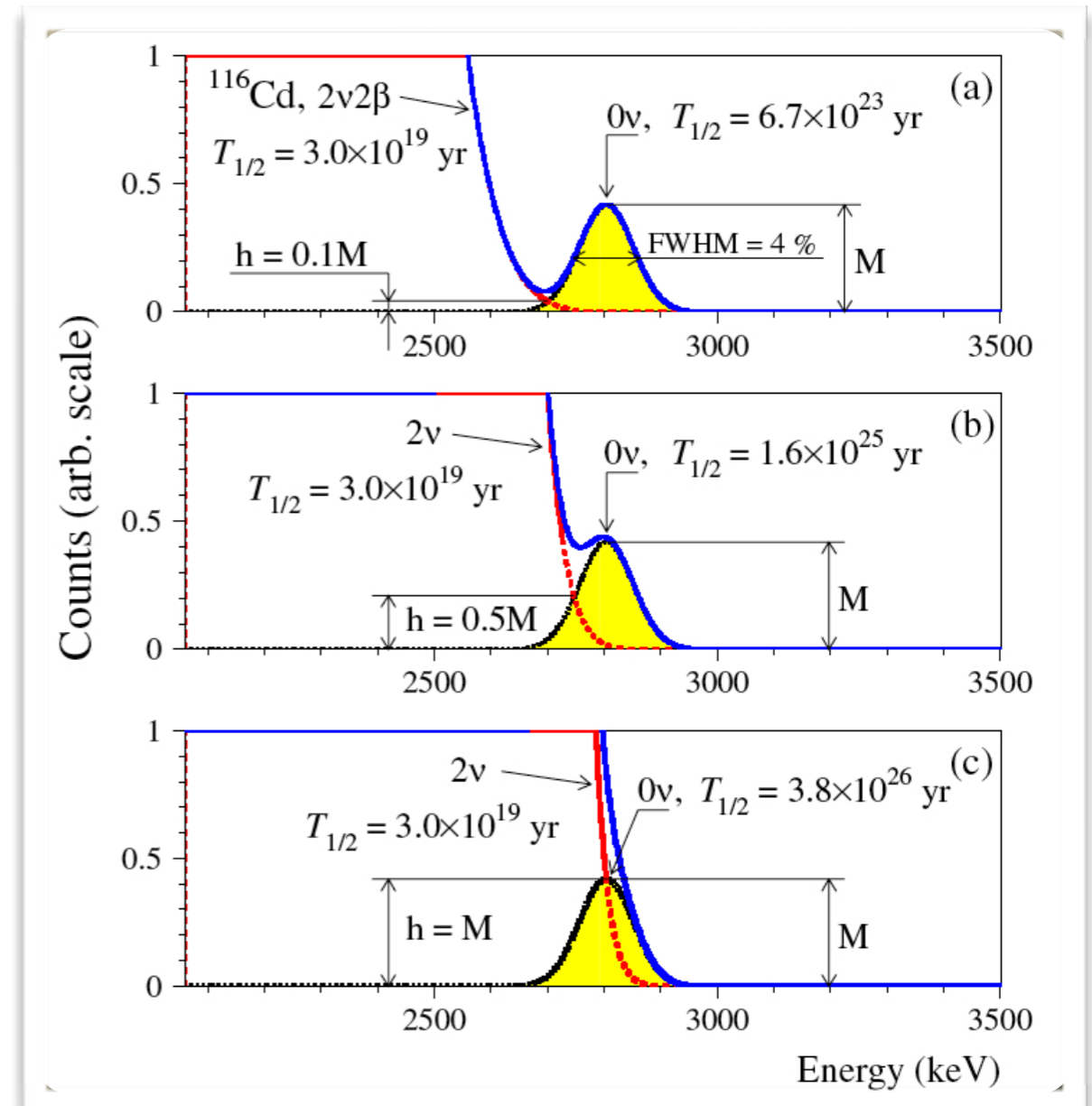
- Get yourself a detector with perfect energy resolution
- Measure the energy of the emitted electrons and select those with  $(T_1 + T_2)/Q = 1$
- Count the number of events and calculate the corresponding half-life.
- In Xe-136, a perfect detector of 1ton observes 3 events for a lifetime of  $10^{27}$  y ( $\sim 20$  meV).
- Improvement with  $\sqrt{T}$  but if you must subtract background then  $\sqrt[4]{T}$

$$(T_{1/2}^{0\nu})^{-1} = G^{0\nu}(Q, Z) |M^{0\nu}|^2 m_{\beta\beta}^2$$

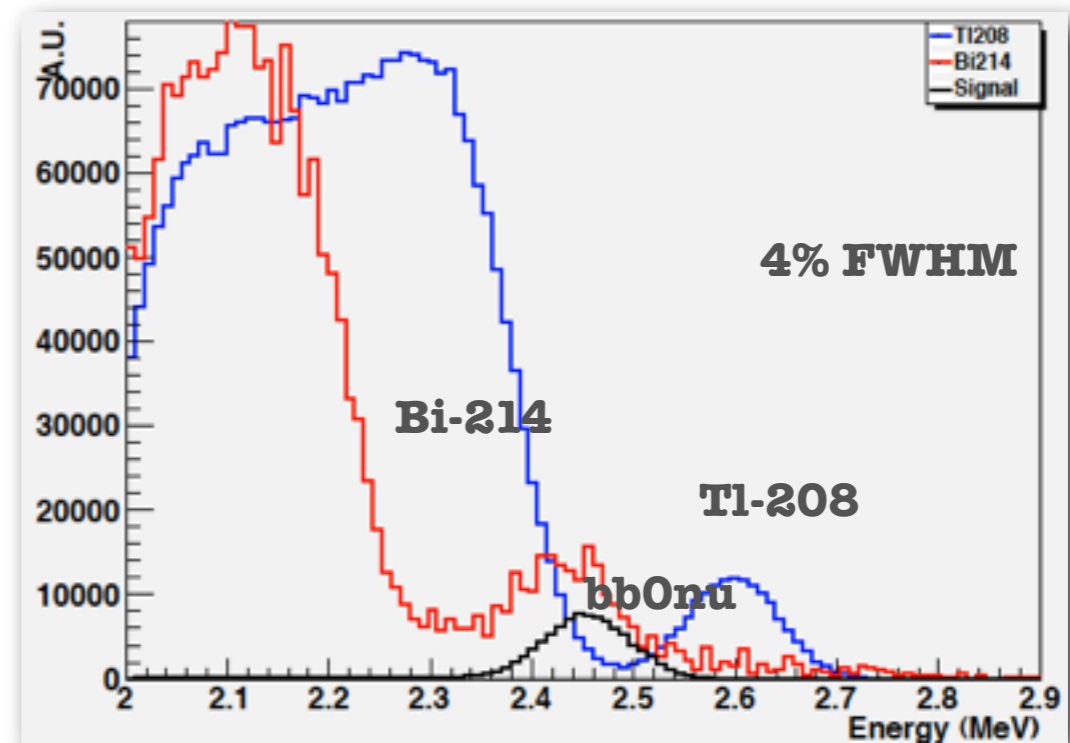
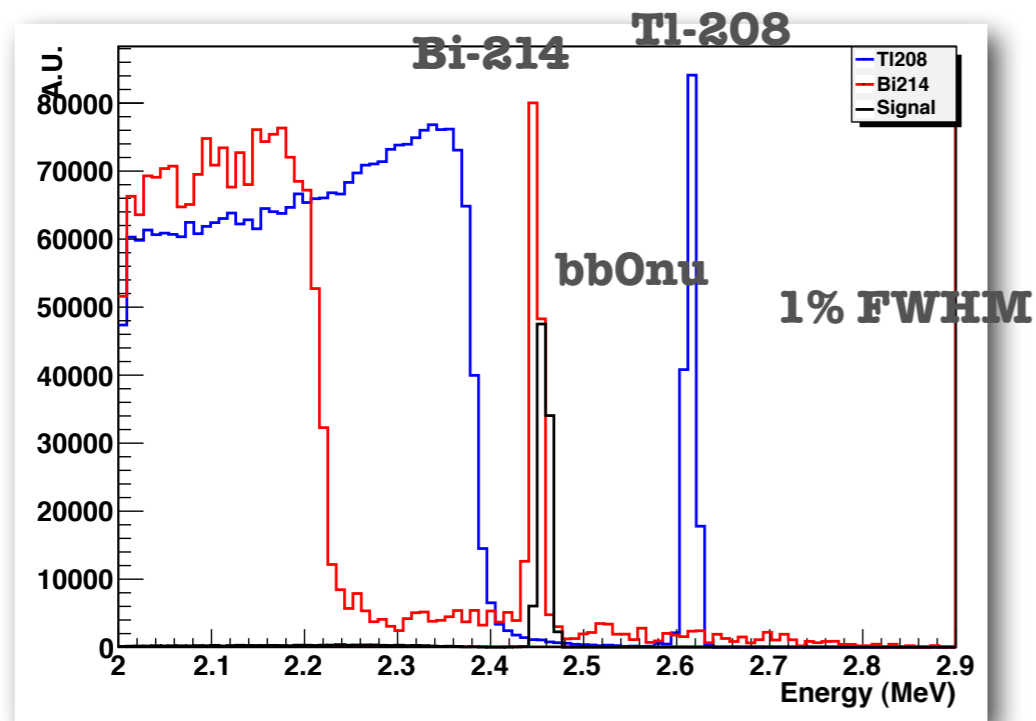
# Why energy resolution?



- Even in the absence of other backgrounds, must separate  $\beta\beta_{2\nu}$  from  $\beta\beta_{0\nu}$
- As the energy resolution worsens this becomes more difficult and limits, eventually the sensitivity.

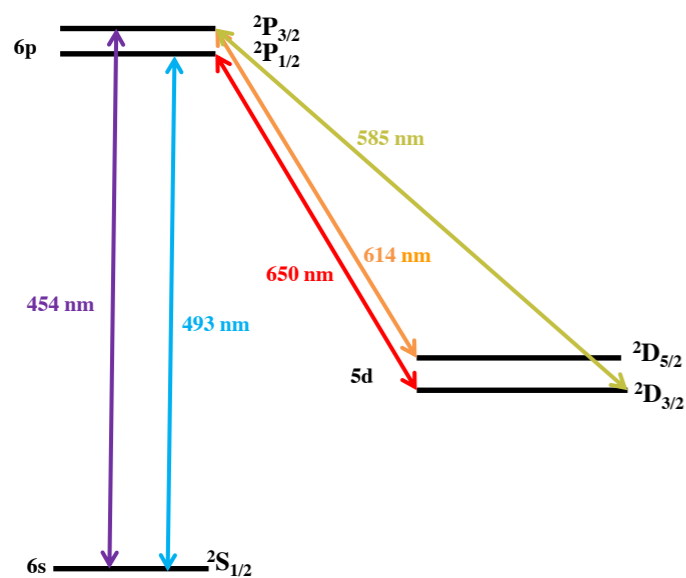
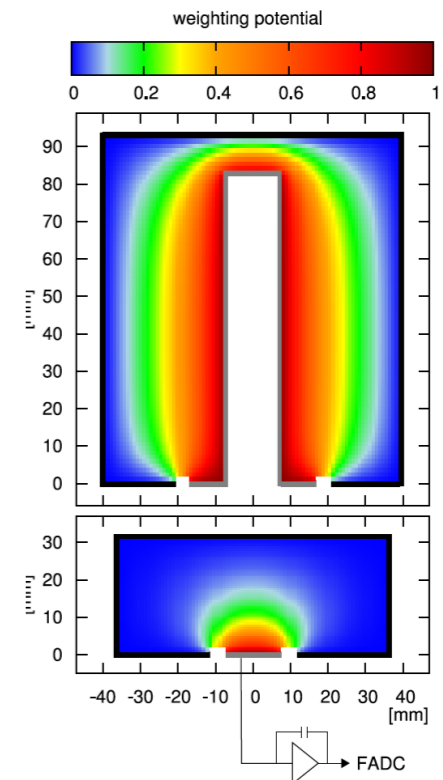
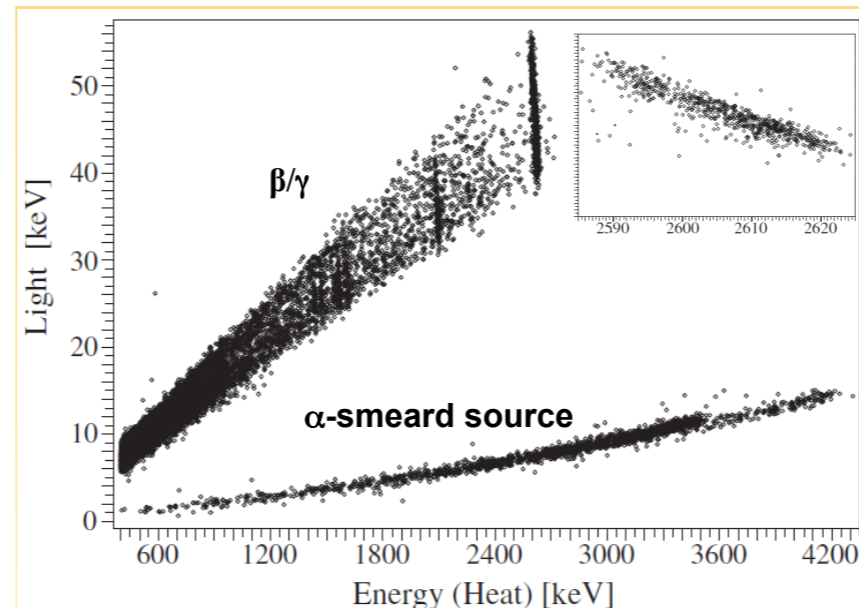
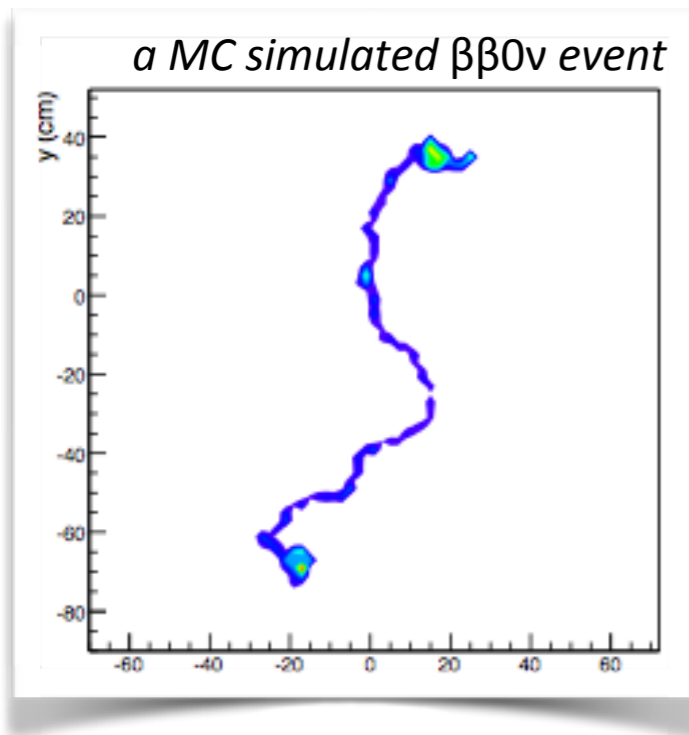


# Why energy resolution?



- Leading radioactive backgrounds for Xenon.
- Any resolution worse than 1% (FWHM) makes very difficult to separate signal from background.

# Other handles



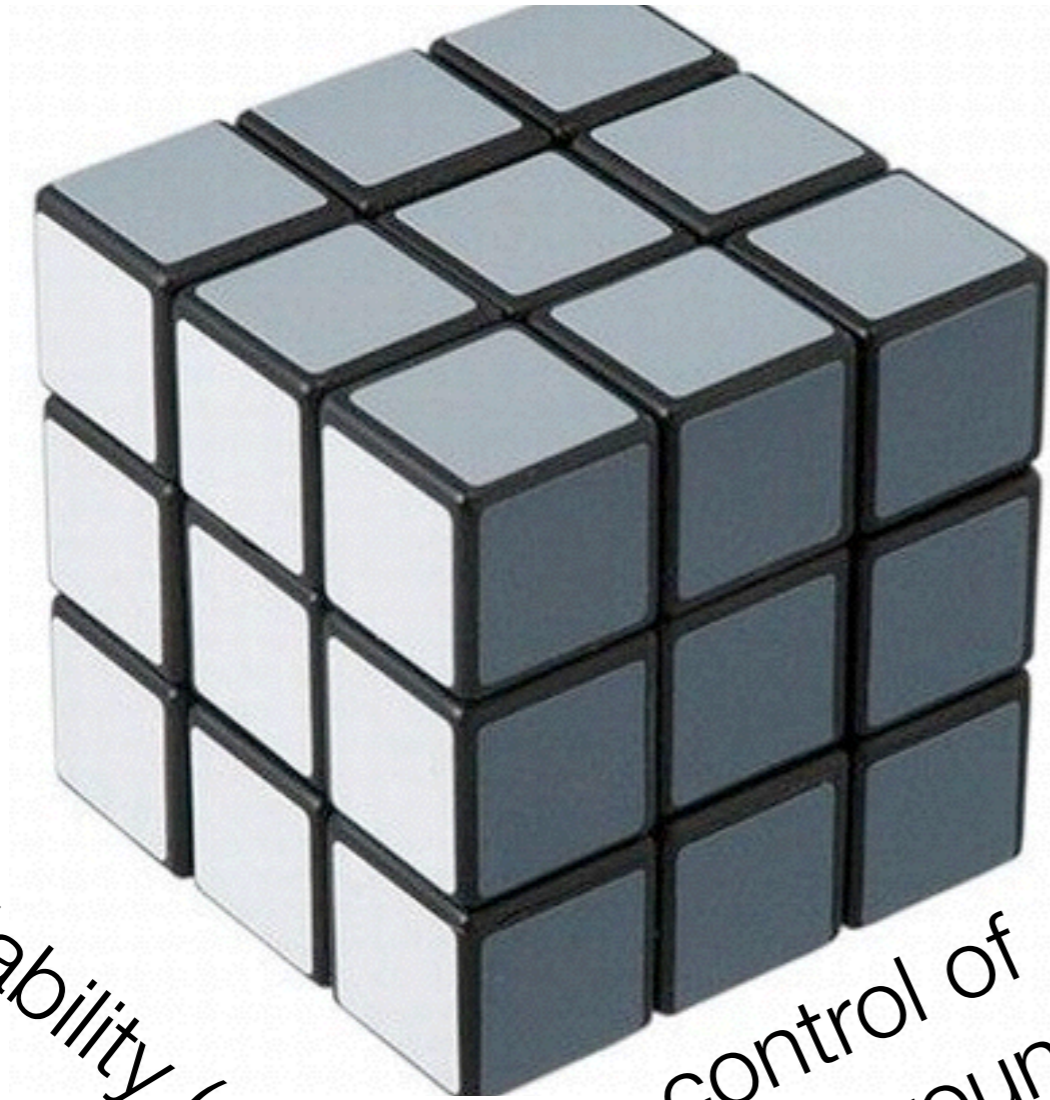
- Examples: tracking in NEMO, SuperNEMO, NEXT.
- PSD in Ge detectors (Gerda)
- Scintillation bolometers (Lucifer/Lumineux)
- BaTagging (EXO, NEXT)



# The experiment's Rubik cube

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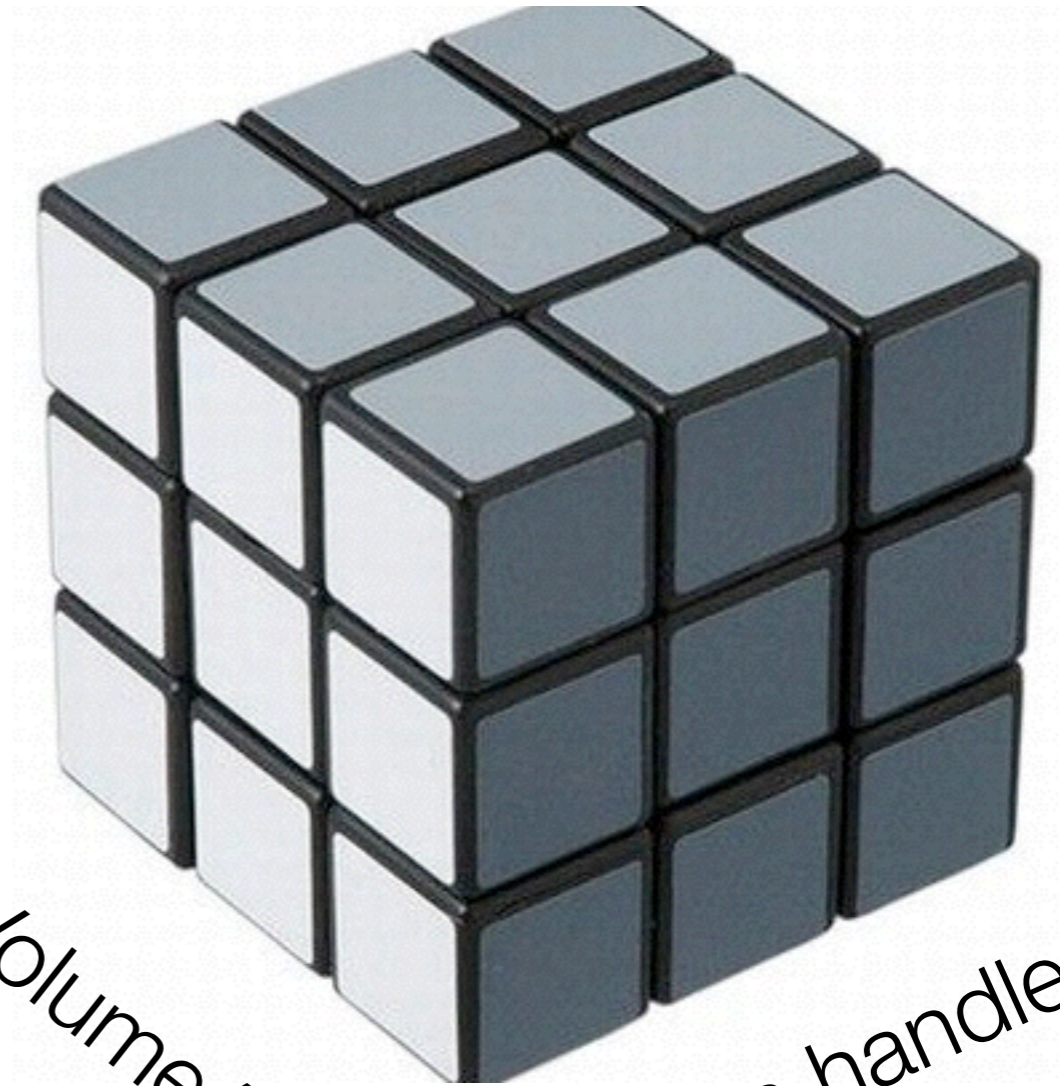
radio-purity



scalability (mass, cost)

control of background

Resolution

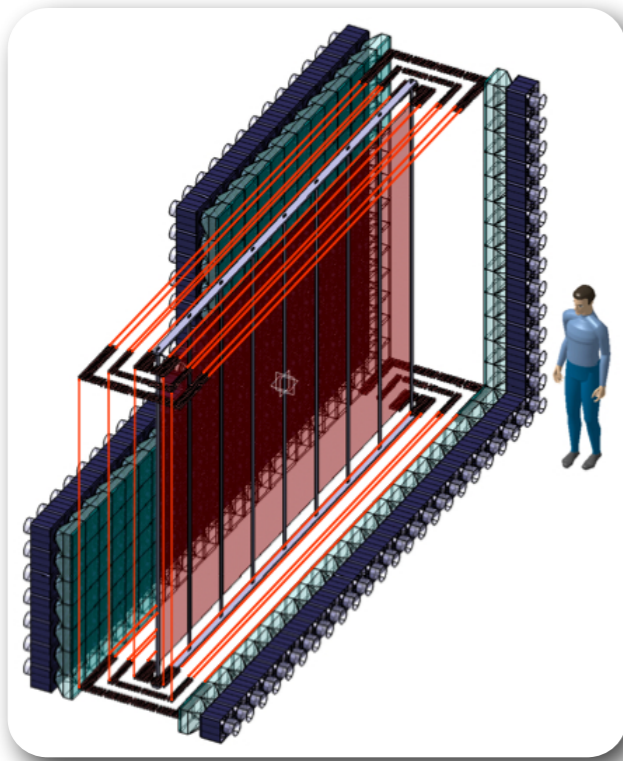


Volume/Surface

extra handles



# Scalability (source $\neq$ detector)

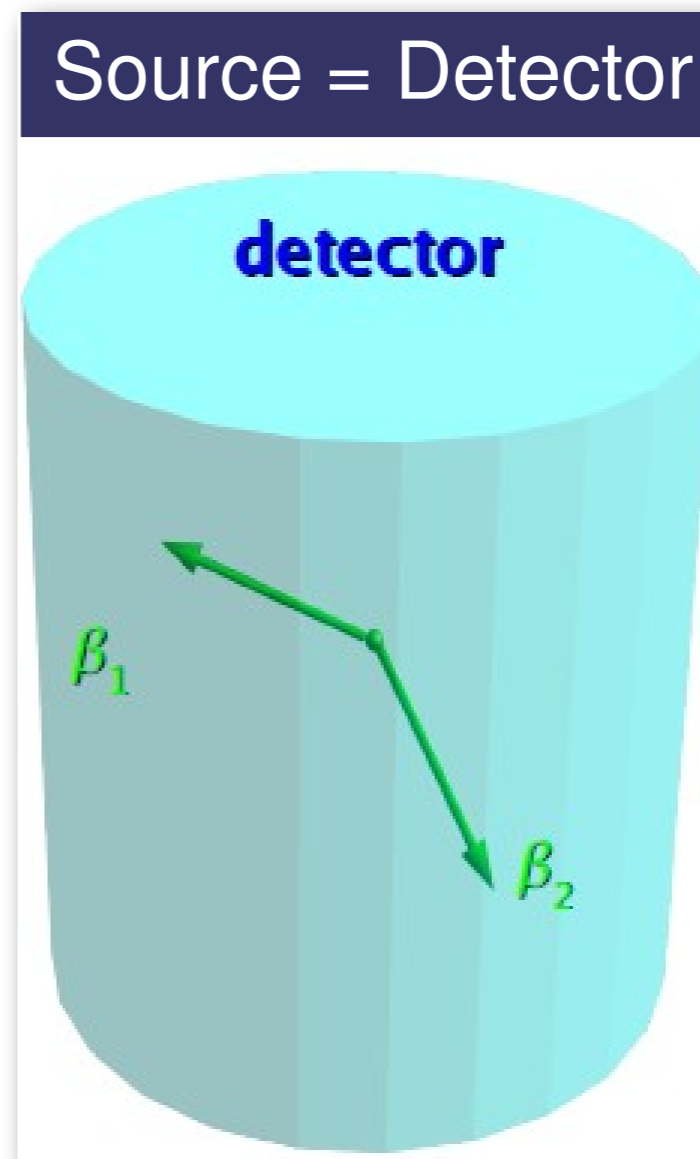
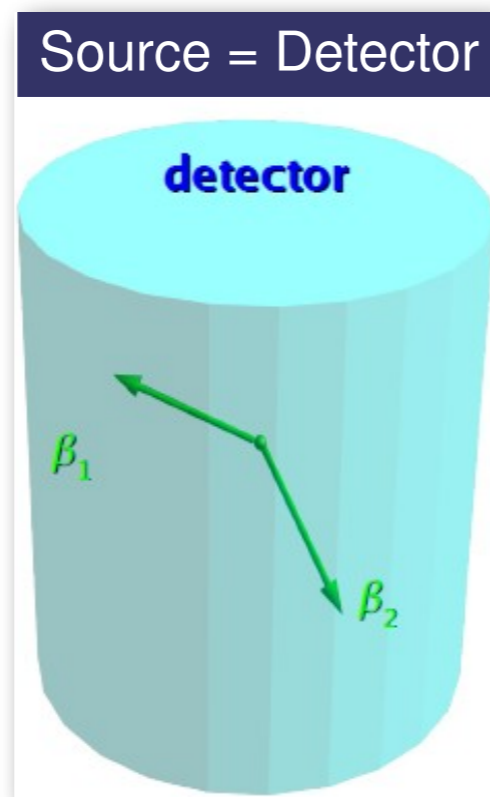
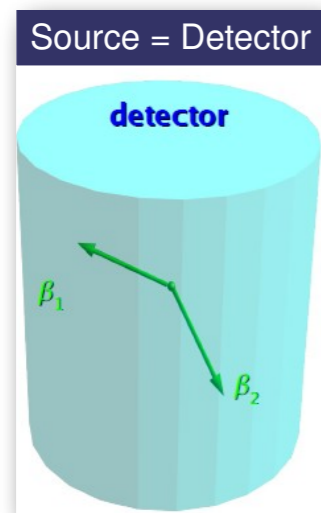


- Super-Nemo proposal: Target in a thin sheet surrounded by a tracker and a calorimeter.
- Mass of the sheet  $\sim 5$  kg.
- Volume of detector  $\sim 10$  m<sup>3</sup>

- 100 kg of target require 20 modules.
- No economy of scale  $\rightarrow$  S/N (and sensor coverage) does not improve when increasing mass.



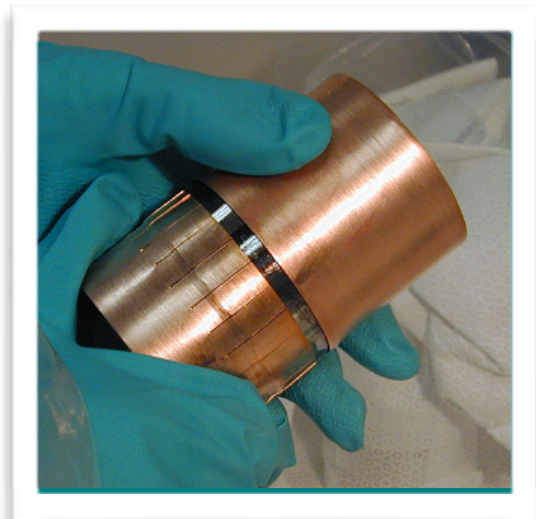
# Scalability (Source = detector)



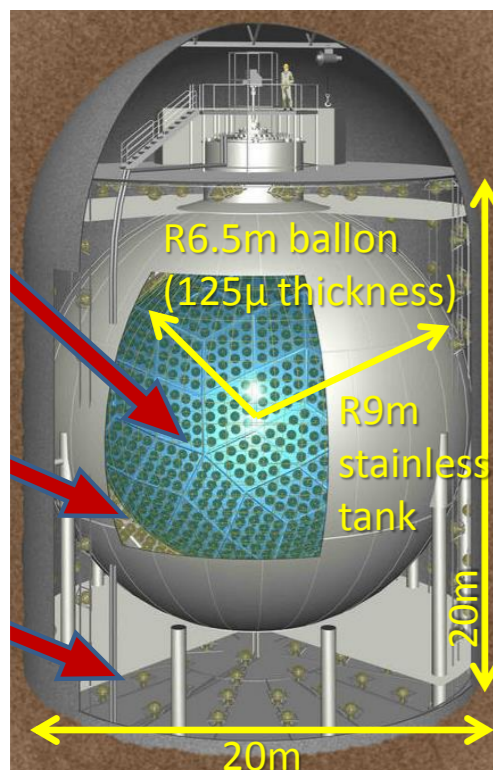
## Economy of scale

- Homogenous detectors (such as TPCs):  $L \rightarrow L \times 2 \rightarrow V \text{ (Mass)} \rightarrow V \text{ (Mass)} \times 8$
- S/N (and detector coverage) improve with L.

# Radiopurity



- Build everything out of extremely radiopure materials.
- Solide state apparatus (GERDA, CUORE), display very low activities in detector material in the range of  $\mu\text{Bq/kg}$ .



- TPCs (EXO, NEXT), have larger radioactive budget, due to their sensors (PMTs, APDs, SiPMs), but their ability to define a fiducial region away from surfaces, eliminates a whole class of backgrounds ( $\alpha$  particles).
- In Super-NEMO the signal is constrained to come from the target, but the background also accumulates in the target and  $\alpha$  particle background is relevant.
- LS calorimeters are capable of self-shielding from most backgrounds.

# The signal and the noise

Signal

Period

$$N_{0\nu} = \frac{a \cdot N_A}{m_A} \frac{\log 2}{T_{1/2}^{0\nu}} \epsilon \cdot M \cdot t \quad T_{1/2}^{-1} \propto a \cdot \epsilon \cdot \sqrt{\frac{Mt}{\Delta E \cdot B}}$$

Background

$$N_{bkg} = M \cdot t \cdot B \cdot E$$

- The background depends on the exposure (Mt) and on the product  $\Delta E \cdot B$ . The signal depends on Mt.
- Increasing Mt without decreasing  $\Delta E \cdot B$  implies that the background grows at the same rate of the signal, and therefore the sensitivity to the period only increases with the  $\sqrt{Mt}$  and the sensitivity to  $m\beta\beta$  only increases with  $(MT)^{1/4}$
- Thus, a Golden Law: every time that you increase the mass by a factor  $\alpha$  you must reduce the background by the same factor.



# Building the perfect $\beta\beta 0\nu$ experiment

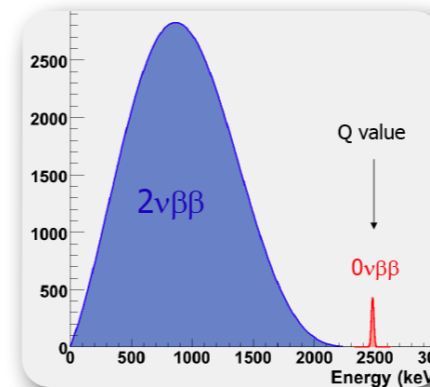
$$T_{1/2}^{-1} \propto a \cdot \epsilon \cdot \sqrt{\frac{Mt}{\Delta E \cdot B}}$$

Isotope



Find an isotope with large Q, no long lived radioactive isotopes, easy to procure and cheap.

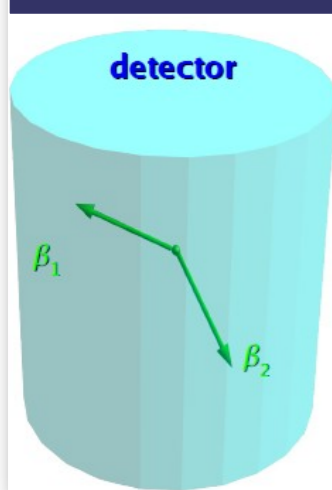
$\Delta E$



Build a detector with the best possible resolution

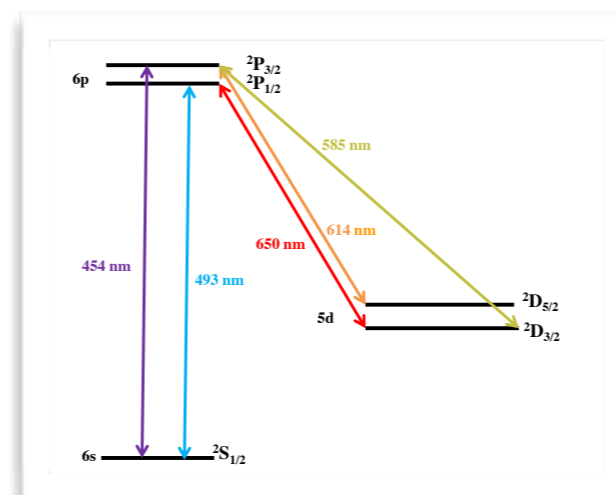
Scalability

Source = Detector



Build a detector with no dead areas, and economy of scale

Background



Detector provides extra handles to reduce background