# Femtoscopy in event by event hydrodynamics

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### HBT of fluctuating fireballs



can the lumpy surface be observed?

NO (WPCF 2012, Frankfurt)

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### HBT of fluctuating fireballs



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#### correlations in event by event hydrodynamics

combine several (many) events (A. Kisiel)

$$C(q_{a}, k_{b}) = \frac{1}{N_{pairs,num}} \sum_{j=1}^{N_{h}} \sum_{m,l=1}^{N_{e}} \sum_{s=1}^{M_{l}} \sum_{f=1}^{M_{m}} \delta_{q_{a}} \delta_{k_{b}} \Psi(q, x_{1} - x_{2}) \frac{1}{N_{pairs,den}} \sum_{i \neq j=1}^{N_{h}} \sum_{l,m=1}^{N_{e}} \sum_{s=1}^{M_{l}} \sum_{f=1}^{M_{m}} \delta_{q_{a}} \delta_{k_{b}}$$

numerator - sum over different hydro events denominator - sum over different hydro event pairs increases the effective number of pairs (d-Au  $5000 \times$ )

- azimuthally sensitive HBT possible with reasonable cost
- perfect event plane resolution

## 3+1D hydrodynamics









- eccentricity and elliptic flow give azimuthal angle dependence
- good agreement with data and with smooth hydro (Kisiel et al. 2009)
- expected centrality dependence

HBT of fluctuating fireballs II

event by event emission function

$$C(q,k) = \frac{\int d^4x_1 d^4x_2 \langle S(x_1,p_1)S(x_2,p_2) \rangle |\Psi(k,(x_1-x_2))|^2}{\int d^4x_1 \langle S(x_1,p_1) \rangle \int d^4x_2 \langle S(x_2,p_2) \rangle}$$

average emission function

$$C_{av}(q,k) = \frac{\int d^4 x_1 d^4 x_2 \langle S(x_1, p_1) \rangle \langle S(x_2, p_2) \rangle |\Psi(k, (x_1 - x_2))|^2}{\int d^4 x_1 \langle S(x_1, p_1) \rangle \int d^4 x_2 \langle S(x_2, p_2) \rangle}$$

emission function fluctuations

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## HBT of fluctuating fireballs II

- event by event emission function similar to average emission function
- small source fluctuations
- spectra do not fluctuate event by event much



**azHBT in Au-Au at 200GeV** (third order event plane) what is the origin of the  $cos(3\Phi)$  angular dependence (Plumberg, Shen, Heinz, 2013)

- deformed geometry + radial flow
- triangular flow



- OR both flow and geometry
- OR both flow and inverted geometry (example)

HBT third order reaction plane, smooth density (example)





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HBT third order reaction plane  $R_{0.3}^2$ 



#### fair agreement with PHENIX

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### HBT third order reaction plane $R_{s,3}^2$

0-20%



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compatible with PHENIX data for 20-60%, tension for 0-20%

### azHBT in Pb-Pb at 2.76TeV (second order reaction plane)





- eccentricity and elliptic flow give azimuthal angle dependence
- fair agreement with data

### azHBT in Pb-Pb at 2.76TeV (third order reaction plane)





- similar as Au-Au at RHIC
- small negative  $R_{s,3}^2$
- negative,  $k_{\perp}$  depend.  $R_{o,3}^2$

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#### Summary

- HBT with event by event hydrodynamics
- angle averaged radii small effect of fluctuations small emission function fluctuations
- azHBT (second order reaction plane) fair agreement with data
  Au-Au (200GeV), Pb-Pb (2.76TeV)
- ► azHBT (third order reaction plane) fair agreement for R<sup>2</sup><sub>out,3</sub> - Au-Au (200GeV) deviation for R<sup>2</sup><sub>side,3</sub> (0-20%)