

Initial Condition Fluctuations

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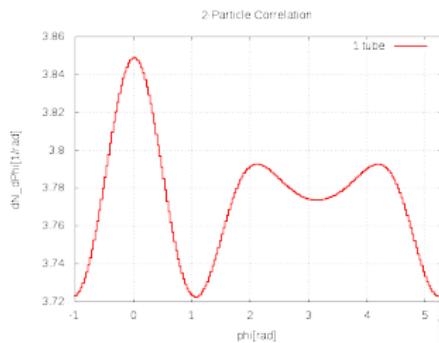
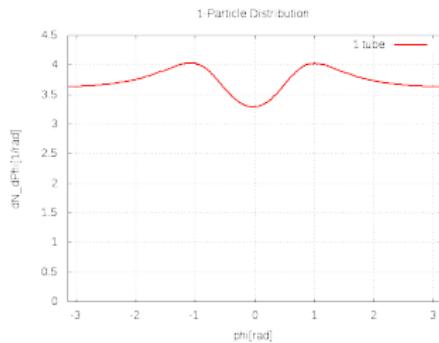
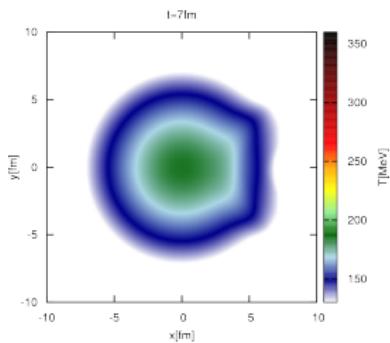
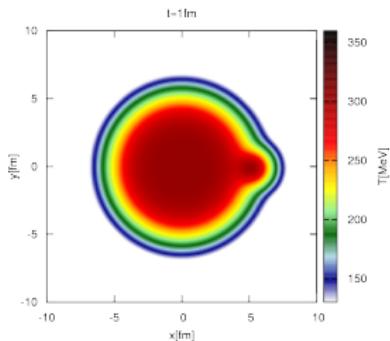
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Quark Matter 2011



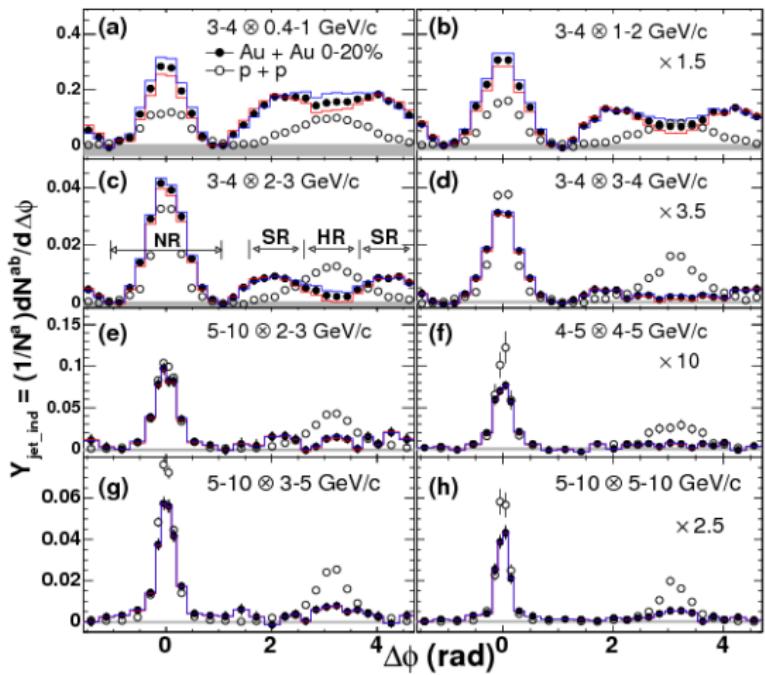
shadow effect

hydro IC = smooth BG + gaussian tube



motivation

2-particle correlation @ RHIC



from sBG+tube:

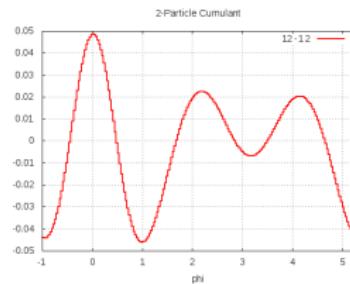
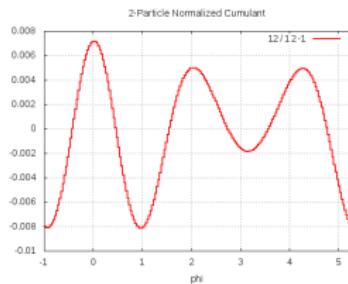
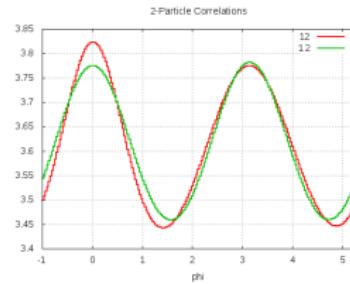
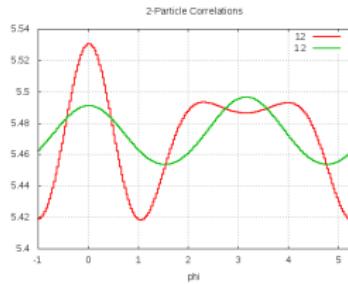
- qualitative behavior
- no jets
- purely geometrical



smooth + fluctuation

symmetric BG + fluctuations

non-symmetric BG + fluctuations



$$C(\Delta\phi) = \int d\phi \langle f^1(\phi)f^2(\phi + \Delta\phi) \rangle - \langle f^1(\phi) \rangle \langle f^2(\phi + \Delta\phi) \rangle$$

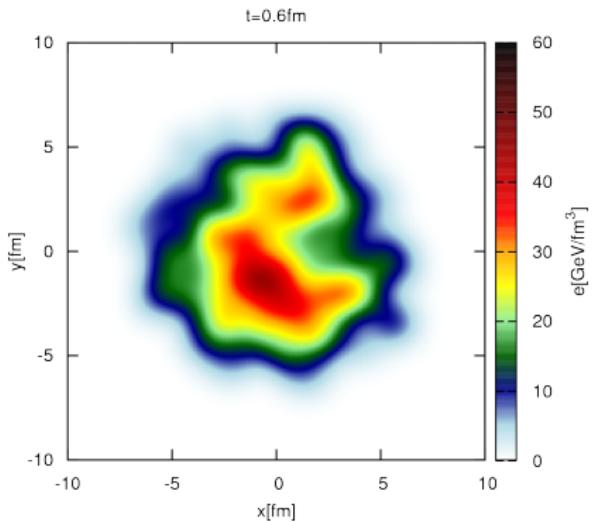


initial conditions with fluctuations

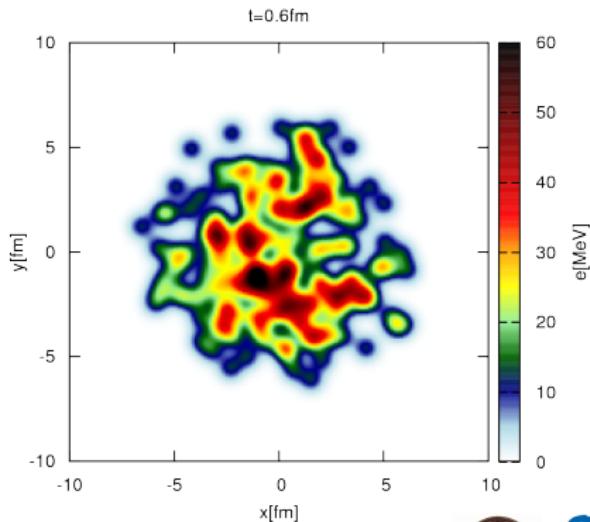
- parametrize the IC fluctuations in terms of longitudinal tubes
- apply event-by-event hydro to non-homogenous IC
- systematic study of the effects of the fluctuations on the observables

longitudinal flux tubes

■ $\sigma = 0.7 \text{ fm}, N = 200$



■ $\sigma = 0.35 \text{ fm}, N = 200$



random tubes model

- samples Wounded Nucleons model

$$\mathcal{P}(\mathbf{r}_\perp; b) \propto \varepsilon^{\text{WN}}(\mathbf{r}_\perp; b)$$

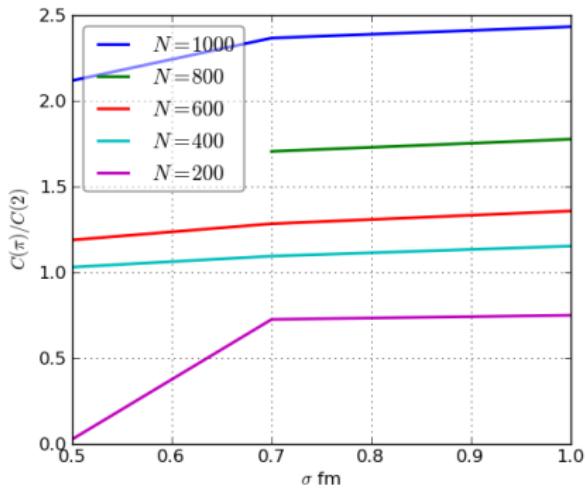
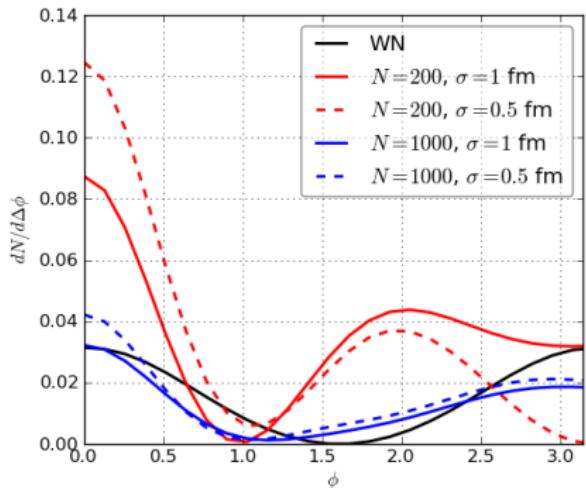
- total energy per tube independent of b

$$\frac{E^{\text{WN}}(b)}{N(b)} = \frac{E^{\text{WN}}(0)}{N(0)}$$

- gaussian transverse profile
- model parameters σ and N
- impact parameter $db \propto b$



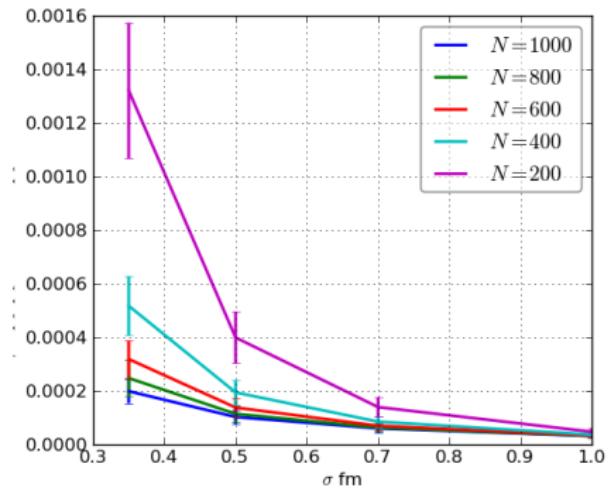
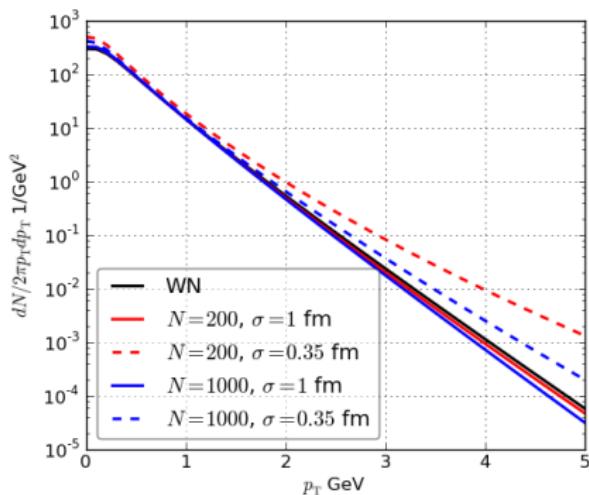
azimuthal distribution (.4–1×2–3)



- dip for $N \lesssim 400$
- no dip for higher N , still different from WN
- more sensitive to N than σ



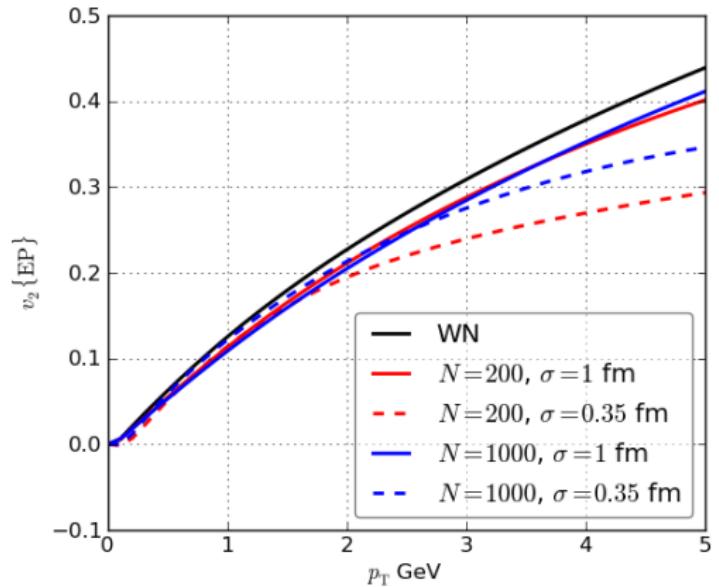
spectrum



- little effect @ low p_T
- smaller N and σ increase spectra @ high p_T

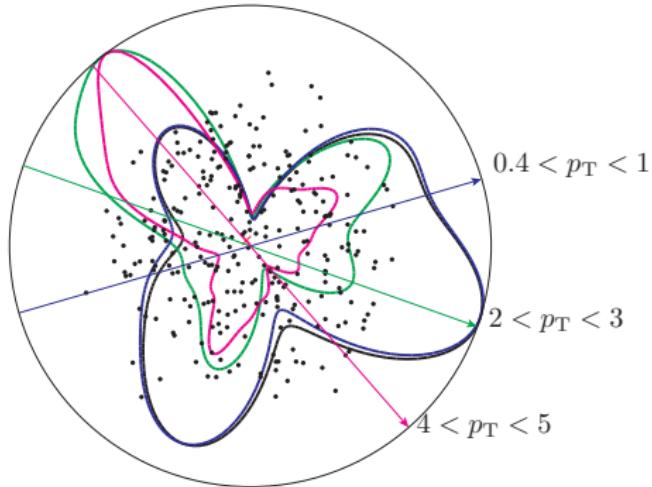
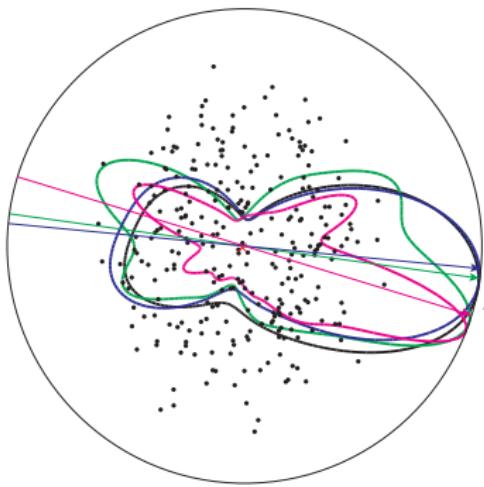


elliptic flow



- little change @ low p_T
- σ reduces v_2 @ high p_T

event plane

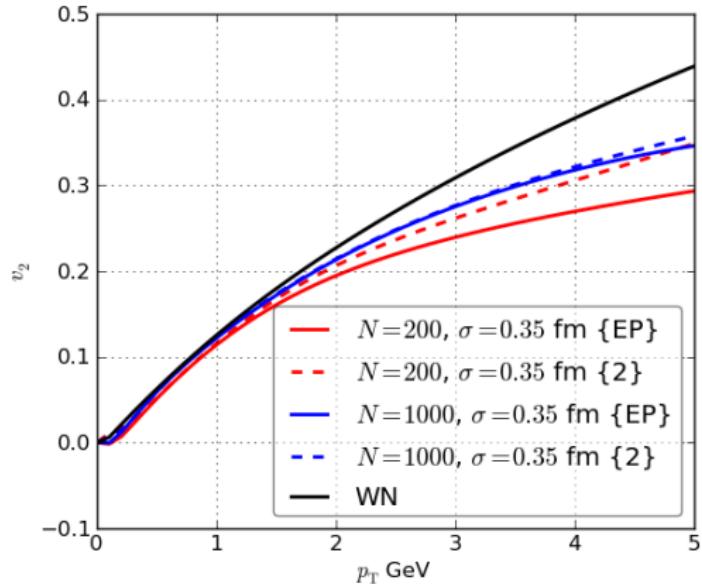


- high v_2 @ high p_T
- $\Delta\psi_{EP}(p_T) \sim 0$
- two main peaks

- negative v_2 @ high p_T
- $\Delta\psi_{EP}(p_T) \sim \pi/2$
- three main peaks



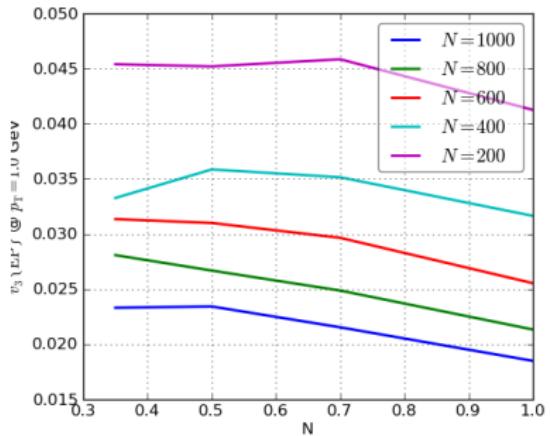
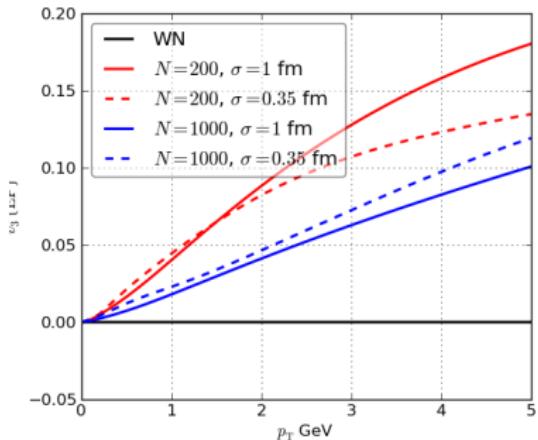
elliptic flow 2-particle method



- increases v_2 @ high p_T for very granular
- does not affect fluctuations



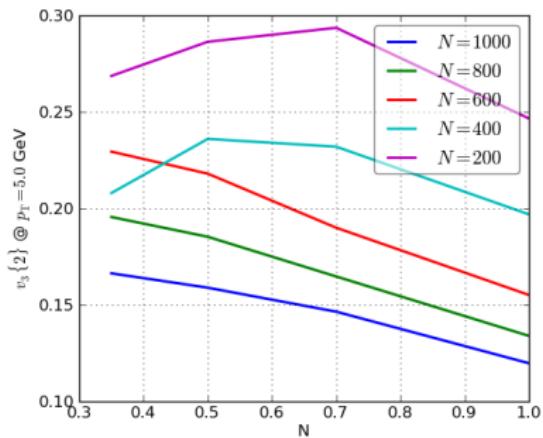
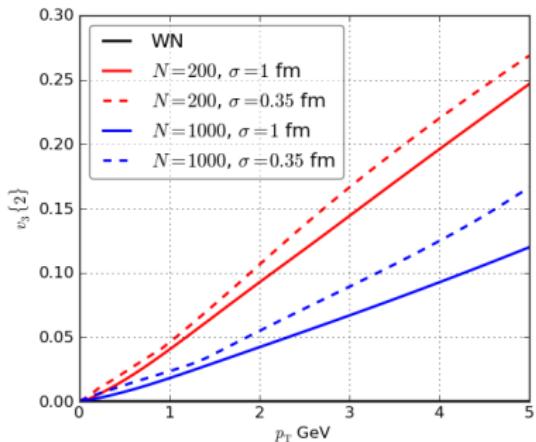
triangular flow, event plane method



- $v_3/v_2 = 0.25\text{--}0.5$ @ $p_T = 1\text{ GeV}/c$
- fairly independent of σ @ low p_T



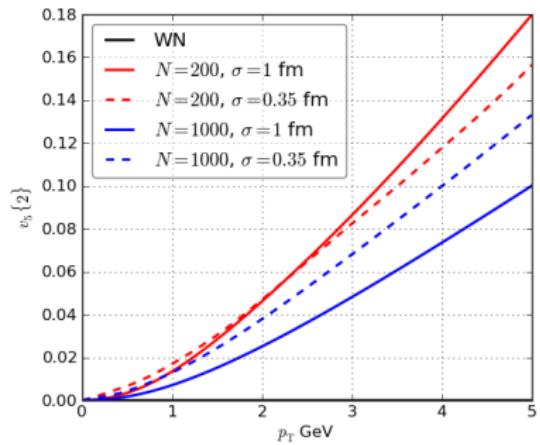
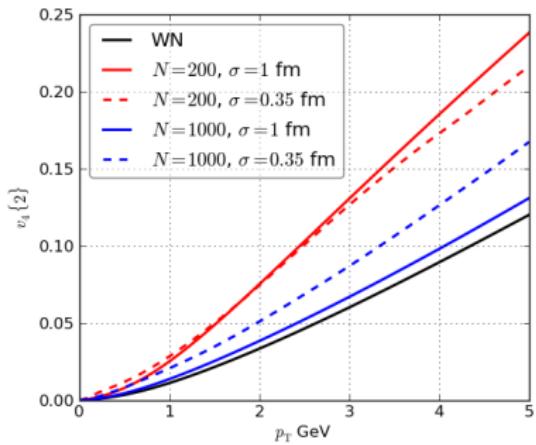
triangular flow, 2-particle method



- $v_3/v_2 = 0.25-0.5$ @ $p_T = 1$ GeV/c
- fairly independent of σ @ low p_T



v_4 and v_5



- v_5 , v_4 and v_3 have similar magnitude
- saturation happens also for $v_4\{\text{EP}\}$ and $v_5\{\text{EP}\}$



summary and perspectives

summary

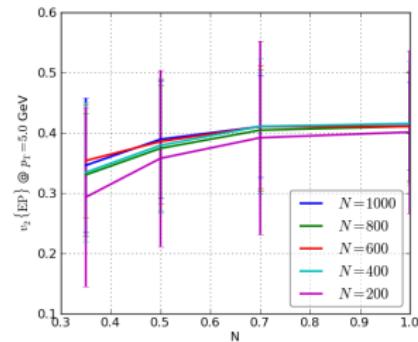
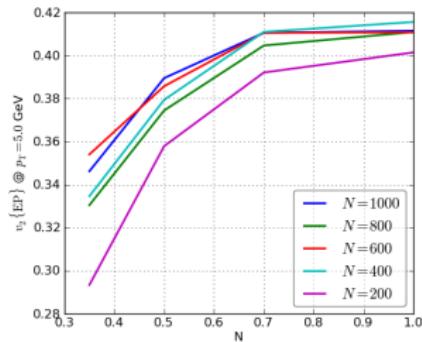
- systematic study of the effects of granularity on the observables
- framework to study the effects of IC models on the final observables
- double peak probes the number of tubes
- tube fluctuations generate sizable higher flow moments which can be used to probe the properties of ICs
- approach based on the existence of longitudinal tubes

perspectives

- increase statistics and perform multiplicity based analysis
- compare random tubes with MC Glauber
- particle decays and compare to data
- compute the longitudinal dynamics (3+1D)
- apply to high multiplicity pp collisions

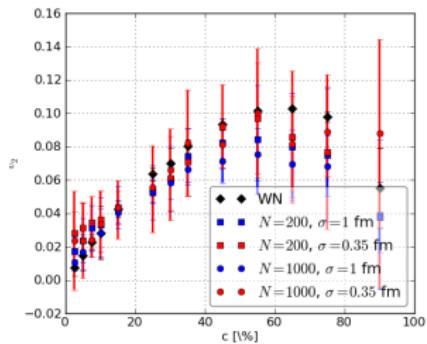


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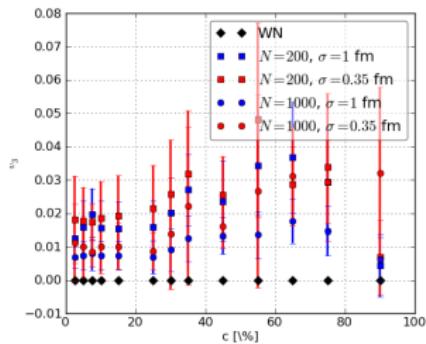


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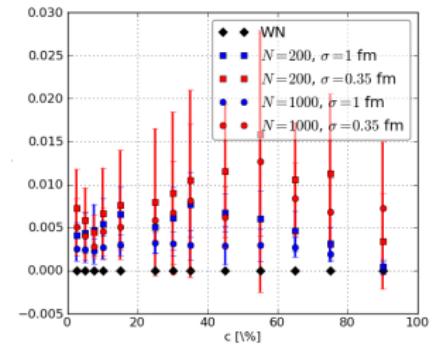
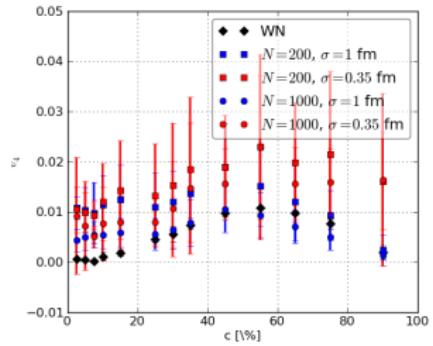
v2



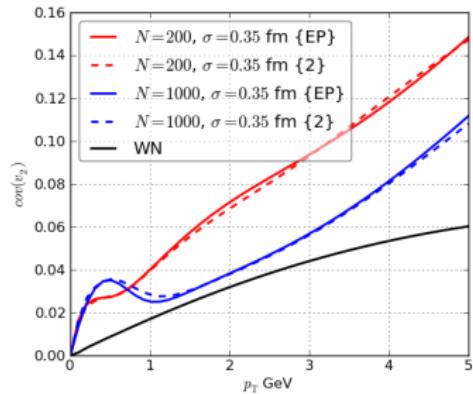
v3



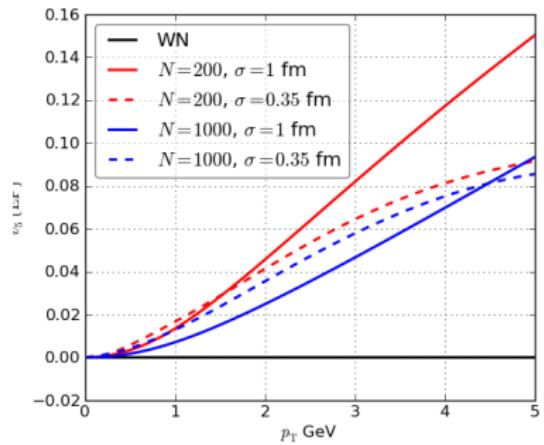
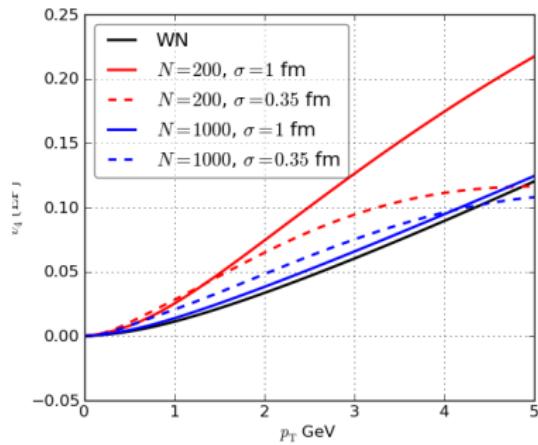
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v_4 and v_5



- saturation happens also for $v_4\{\text{EP}\}$ and $v_5\{\text{EP}\}$

