

Nuclear modification of charm quarks in Pb+Pb collisions

at $\sqrt{s}_{NN} = 2.76$ TeV at LHC

Umme Jamil*, Md. Younus†, and Dinesh K. Srivastava†

* Saha Institute of Nuclear Physics, 1/AF, Bidhan Nagar, Kolkata - 700 064, India

† Variable Energy Cyclotron Centre, 1/AF, Bidhan Nagar, Kolkata - 700 064, India

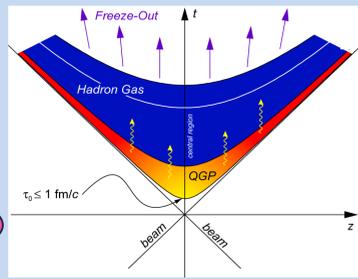
Abstract

We calculate the nuclear suppression R_{AA} of a charm quark produced from the initial fusion of partons in Pb+Pb collisions at $\sqrt{s}_{NN} = 2.76$ TeV. We take into account the shadowing as well as the energy loss suffered by them while passing through the quark-gluon plasma. We obtain the results for charm quark at several rapidities using different mechanisms for energy loss, to see if we can distinguish between them.

Charm quark is an excellent probe for QGP:

- Produced mainly during the early stage of collision. Their production is small.
- As they are massive, while propagating through the medium they do not change direction much from scatterings with light quarks and gluons.
- The p_T distribution of D mesons will closely reflect the p_T distribution of charm quarks.

A charm quark (antiquark) produced at the early stage of interaction passes through the QGP phase and it combines with a light quark(antiquark) to produce a D meson whose subsequent semileptonic decay will carry information about the initial hot and dense stage of the collision.



Energy loss of a charm quark = Collisional energy loss + Radiative energy loss

The cross-section for the production of charm quarks from pp collisions at LO:

$$\frac{d\sigma}{dy_1 dy_2 dp_T} = 2x_1 x_2 p_T \sum_{ij} [f_i^{(1)}(x_1, Q^2) f_j^{(2)}(x_2, Q^2) \hat{\sigma}_{ij}(\hat{s}, \hat{t}, \hat{u}) + f_j^{(1)}(x_1, Q^2) f_i^{(2)}(x_2, Q^2) \hat{\sigma}_{ij}(\hat{s}, \hat{t}, \hat{u})] / (1 + \delta_{ij})$$

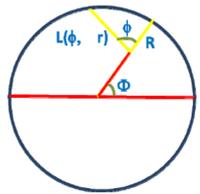
The fractional momenta of the interacting hadrons carried out by the partons can be expressed as:

$$x_1 = \frac{m_T}{\sqrt{s}} (e^{y_1} + e^{y_2}), \quad x_2 = \frac{m_T}{\sqrt{s}} (e^{-y_1} + e^{-y_2}) \quad \text{where} \quad m_T = \sqrt{M_c^2 + p_T^2}$$

The short-range subprocesses for the charm quark production is defined as:

$$\frac{d\sigma}{dt} = \frac{1}{16\pi\hat{s}^2} |\mathcal{M}|^2$$

The distance covered by the charm quark in the plasma, L , is given by:



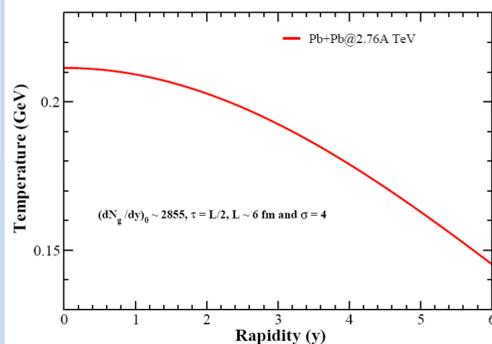
$$L(\phi, r) = \sqrt{R^2 - r^2} \sin^2 \phi - r \cos \phi$$

The temperature of the plasma varies with rapidity (y) as:

$$T(\tau) = \left(\frac{\pi^2}{1.202} \frac{\rho(\tau)}{9n_f + 16} \right)^{1/3}$$

with

$$\rho(\tau) = \frac{1}{\pi R^2 \tau} \frac{dN}{dy} \quad \frac{dN}{dy} = \frac{dN}{dy} \Big|_0 e^{-\frac{y^2}{2\sigma^2}}$$



- $v_T = p_T / m_T \Rightarrow \tau_L = \langle L \rangle / v_T$, m_T is the transverse mass of the charm quark.
- If $\tau_c \geq \tau_L$, the charm quark would be inside QGP during the entire period 0 to τ_L .
- If $\tau_c < \tau_L$, the charm quark would be inside QGP only while covering the distance $v_T \times \tau_c$.
- $\langle \tau \rangle = \langle L \rangle_{\text{eff}} / 2$, where $\langle L \rangle_{\text{eff}} = \min[\langle L \rangle, v_T \times \tau_c]$.

There are different approaches in the literature to calculate the energy loss of a charm quark while passing through the QGP phase.

The initial conditions:

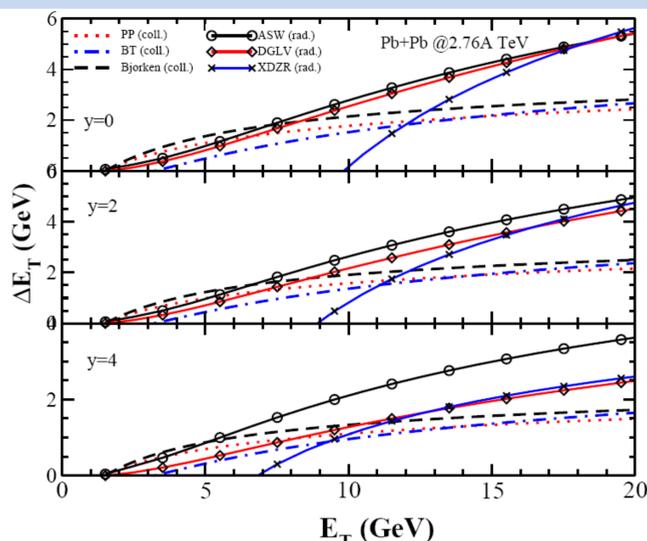
- Number of flavours $N_f = 3$,
- Color factor $C_f = 4/3$,
- Mass of the charm quark = 1.5 GeV,
- Running coupling constant $\alpha_s = 0.3$,
- Average path length $\langle L \rangle = 6.14$ fm,
- $\tau_0 = 0.1$ fm/c and τ_c at $T_c = 170$ GeV, and
- The central particle rapidity density $(dN_g/dy)_0 \approx 2855$.

In order to perform a systematic test of various models for energy loss, we have estimated the radiative energy loss of a charm quark by

- Djordjevic, Gyulassy, Levai and Vitev (DGLV) formulation,
- Xiang, Ding, Zhou and Rohrich (XDZR) formulation and
- Armesto, Salgado and Wiedemann (ASW) formulation.

And collisional energy loss of a charm quark by

- Peigne and Peshier (PP) formulation,
- Braaten and Thoma (BT) formulation and
- Bjorken formulation.



The nuclear modification factor at impact parameter b:

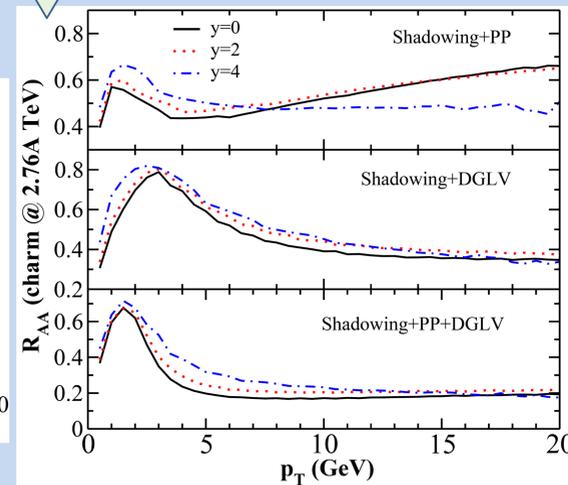
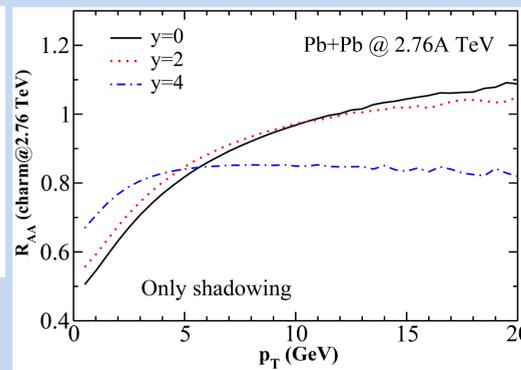
$$R_{AA}(b) = \frac{dN^{AA}/dp_T dy}{T_{AA}(b) d\sigma^{NN}/dp_T dy}$$

Glauber model formalism

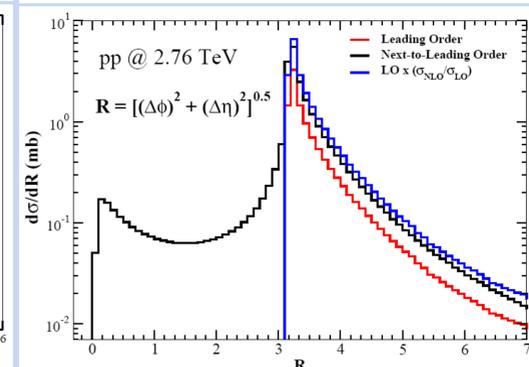
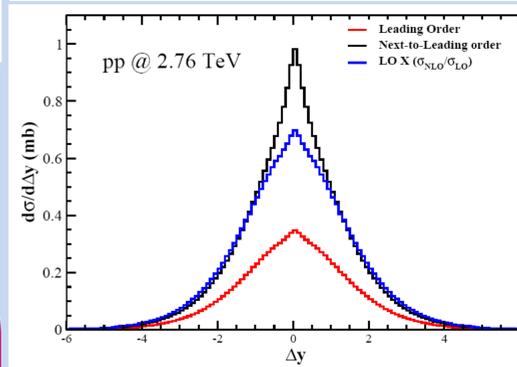
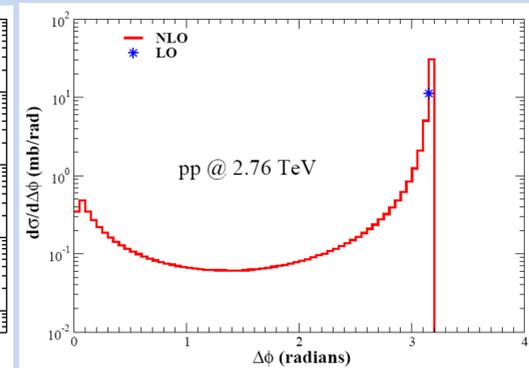
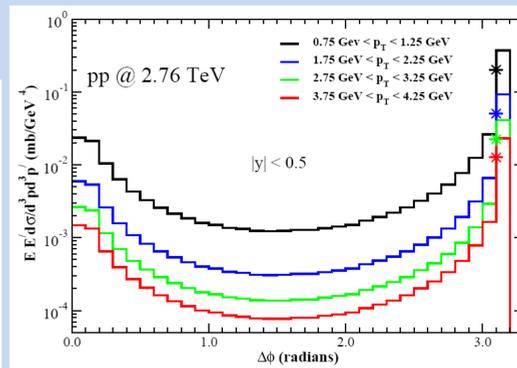
Nuclear thickness function $T_{AA}(b)$

$\approx 292 \text{ fm}^{-2}$ for 2.76A TeV Pb+Pb collisions at LHC at impact parameter $b=0$.

Introducing the energy loss and also the shadowing effect (EKS 98 parameterization) of the charm quark distributions at 2.76 TeV, we studied the suppression in the nuclear modification factor and the results for the suppression factor are shown with only PP and DGLV formulations.



Correlations in pp @ 2.76 TeV at NLO



Conclusions

- We have made a detailed study of average energy loss of charm quarks at different rapidities due to collisions and radiations of gluons.
- We have seen that the collisional energy loss for charm quarks is only marginally dependent on the rapidity whereas the radiative energy loss, shows a much more complex behaviour and is quite different for the different formalisms under consideration.
- The nuclear suppression factor R_{AA} is calculated by additionally incorporating nuclear shadowing and found a rich picture of the dependence of R_{AA} on rapidity and transverse momentum of the charm quark.
- We see that the outcome of the shadowing and energy loss gives an interesting structure to R_{AA} .
- The description for energy loss for one quark mass at one single rapidity for a particular incident energy may not be sufficient to identify the most reliable energy loss treatment for either collisional or radiative energy loss.
- The correlations are shown only for pp collision whereas they are likely to change in case of nucleus-nucleus collisions because of the medium effects. This is under investigation.

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*jamil@saha.ac.in
†dinesh@vecc.gov.in
†mdyounus@vecc.gov.in