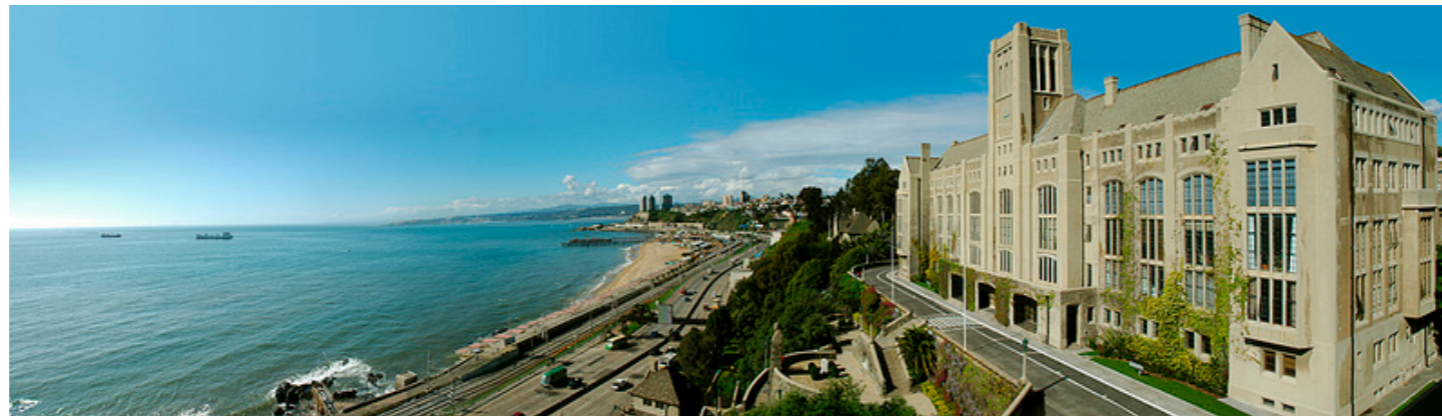


# New Perspectives on Fundamental Symmetry Tests with Quarks

**Susan Gardner**

Department of Physics and Astronomy  
University of Kentucky  
Lexington, KY

*QNP 2015, Seventh International Conference on Quarks and Nuclear Physics,  
UTFSM, Chile, 2-6 Mar, 2015*



# Context

**The LHC has discovered a Higgs (like) boson but no other new particles - yet.**

{N.B. This discovery required new methods for loops and many legs in perturbative QCD [Note Bern, Dixon, Kosower,...]}

Observational cosmology tells us, however, that only some 4% of the energy density of the Universe is in known stuff (baryons)...

Dark matter speaks to possible **hidden sector** particles, interactions, symmetries

**How can we discover such new dynamics?**

# Context

**Here: the discovery prospects of low energy, precision measurements...**

**Answering questions that the Standard Model does not may require new theoretical paradigms**

**Emerging experimental anomalies can guide “bottom-up” constructions.**

**A diverse set of low-energy experiments is possible.**

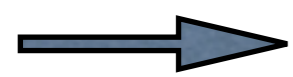
**QCD plays a key role in their interpretation!**

For a more comprehensive discussion, see

N. Brambilla, S. Eidelman, P. Foka, SG, A. Kronfeld et al., Eur. Phys. J. C 74 (2014) 2981 (arXiv: 1404. 3723) --- and esp. Ch. 5: SG, H.-W. Lin, F. Llanes-Estrada, W. M. Snow, X. Garcia i Tormo, & A. Kronfeld

# Two Paths to Discovery

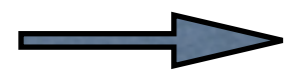
via low energy, precision measurements



Make “null” tests of the breaking of  
SM symmetries

**Enter tests of B-L, CP (\*), ...**

**\*e.g., EDMs,  $A_{CP}$  in charm (Dalitz plot),  
T-odd decay correlations**



Confront nonzero quantities which can be  
computed precisely (or assessed) within the SM

**Enter PVES, muon g-2, beta decay correlations, ...**

**All probe new degrees of freedom, both  
visible and possibly “hidden”**

# More Motivation for BSM searches:

## The Puzzle of the Missing Antimatter

Confronting the observed  $2H$  abundance with big-bang nucleosynthesis yields a baryon asymmetry: [Steigman, 2012]

$$\eta = n_{\text{baryon}}/n_{\text{photon}} = (5.96 \pm 0.28) \times 10^{-10}$$

The particle physics of the early universe can explain this asymmetry if **B**, **C**, and **CP** violation exists in a non-equilibrium environment. [Sakharov, 1967]

But estimates of the baryon excess in the Standard Model are much too small, [Farrar and Shaposhnikov, 1993; Gavela et al., 1994; Huet and Sather, 1995.]

$$\eta < 10^{-26} \quad (\text{sic: } 125 \text{ GeV Higgs})$$

**Why?** The operative CP violation in the SM (CKM) is special: it appears only if SU(3) flavor is also broken....



# Interconnections

**A baryon asymmetry (BAU) could be generated in different ways, and various discovery experiments can give hints**



- The discovery of a EDM would speak to new CP phases (enter **electroweak baryogenesis**)
- The discovery of  $0\nu\beta\beta$  decay would tell us that neutrinos are Majorana (enter **leptogenesis**)
- The discovery of  $n\bar{n}$  oscillations would tell us that neutrons are Majorana (enter **leptogenesis**)
- The discovery of a DM asymmetry would tell us that DM carries “baryon” number (enter **“darko”genesis**)

**In some models the generation of DM and the cosmic baryon excess are tied....**

# Analysis Framework

Suppose new physics enters at energies beyond a scale  $\Lambda$

Then for  $E < \Lambda$  we can extend the SM as per

$$\mathcal{L}_{\text{SM}} \implies \mathcal{L}_{\text{SM}} + \sum_i \frac{c_i}{\Lambda^{D-4}} \mathcal{O}_i^D,$$

where the new operators have mass dimension  $D > 4$

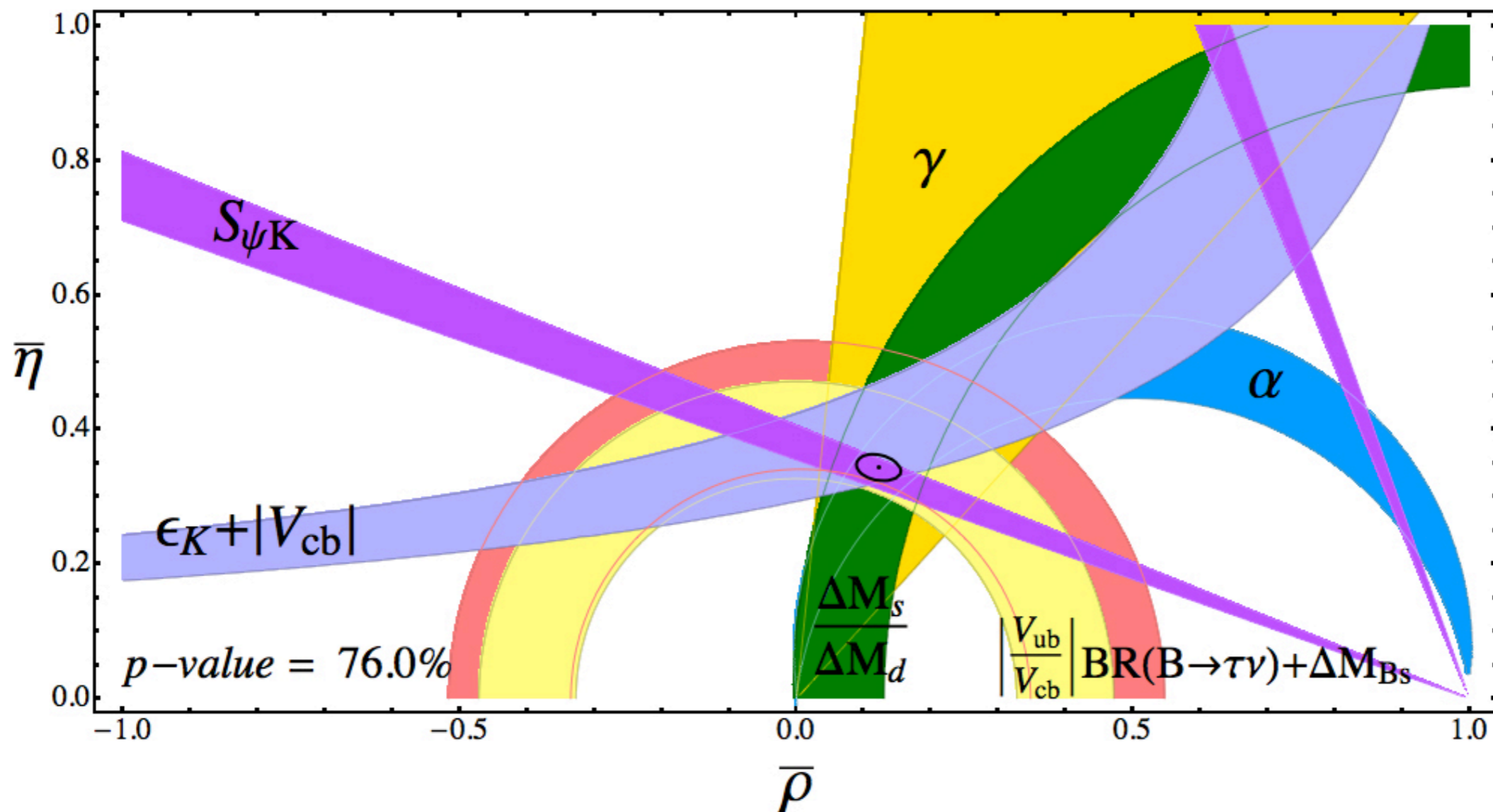
Symmetries guide their construction [Weinberg]

We impose  $SU(2)_L \times U(1)$  gauge invariance  
on the operator basis (flavor physics constraints)

New physics can enter as (i) new operators or  
as (ii) modifications of  $c_i$  for operators in the SM

# Analysis Framework

Flavor physics studies tells us that flavor and CP violation in CC processes are CKM-like (“Minimal Flavor Violation”)



[2013 update  
(th+exp) of  
Laiho,  
Lunghi, van  
de Water,  
arXiv:  
0910.2928]

Lattice QCD plays a key role



# Low-energy BSM experiments

Null results are crucial: they constrain  $\Lambda$  !

E.g., from dimensional analysis:  
the EDM  $d_f$  of a fermion  $f$  of mass  $m_f$

$$d_f \sim e \sin \phi_{\text{CP}} m_f / \Lambda^2 \quad [\text{de Rujula et al., 1991}]$$

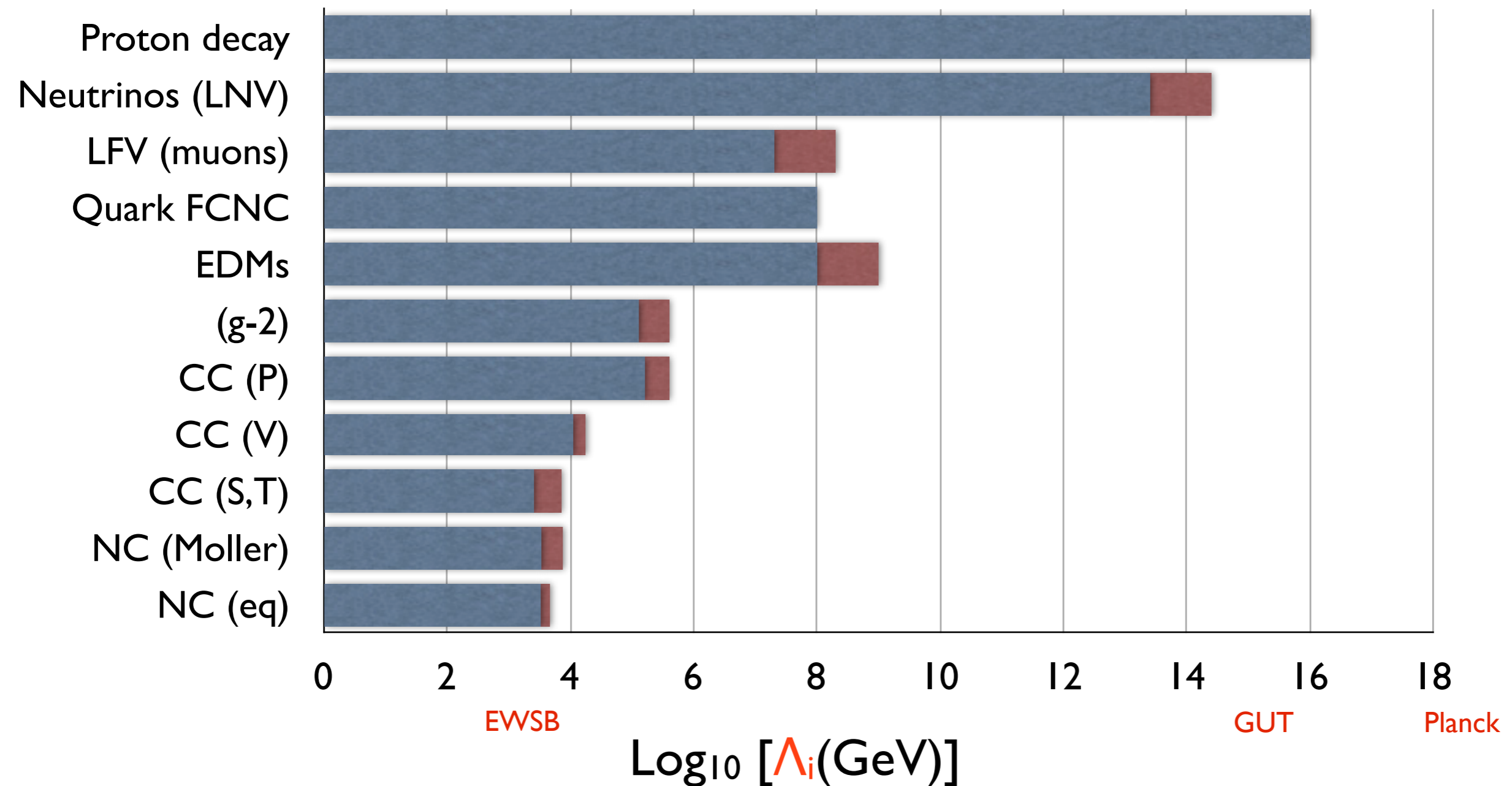
With  $\sin \phi_{\text{CP}} \sim 1$ ,  $m_f \sim 10$  MeV, and  $|d_n^{\text{expt}}| < 2.9 \times 10^{-26}$  e-cm [Baker et al., 2006]  
 $\log_{10}[\Lambda(\text{GeV})] \sim 5$ . With a loop factor of  $\alpha/4\pi \sim 10^{-3}$ ,  $\Lambda \sim 3$  TeV.

Estimates can vary considerably.

# Many Low-Energy Experiments

Estimated physics reach from dimensional analysis (careful!!)

■ Current ■ Future



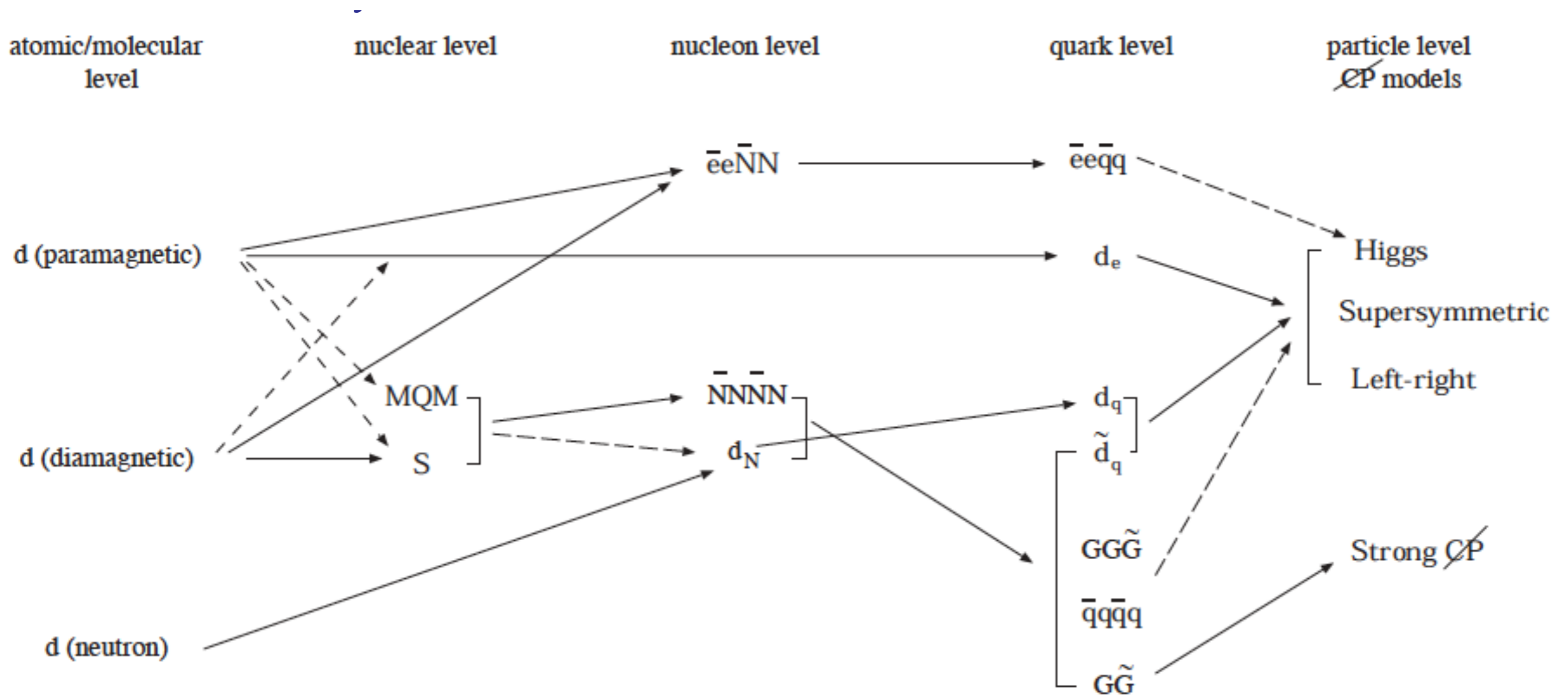
Log<sub>10</sub> [Λ<sub>i</sub> (GeV)]

[Cirigliano & Ramsey-Musolf, arXiv:1304.0017]

# Low-Energy BSM Searches

Naturally involve multiple energy scales

Example: Heavy Atom EDMs



[Ginges and Flambaum, 2004]

In many systems non-relativistic potential models are employed

# QCD and New Physics

To interpret “null” tests and connect observables with minimal assumptions must accommodate

- many “UV sources” [model independent?]
- the construction of EFTs at multiple scales [with QCD evolution and operator matching]
- the computation of non-perturbative matrix elements in (lattice) QCD
- fits for low-energy constants & embedding of theory errors in those fits

Additional QCD matrix elements can enter through electroweak radiative corrections

# Some Recent & Incipient Progress

- **permanent electric dipole moments (EDMs):** EDMs break T and P and would reveal physics BSM; many candidate systems exist.
  - (i) footprints of various BSM models [Dekens et al., 2014]
  - (ii) LEC fits [Yamanaka et al., 2014; Chupp & Ramsey-Musolf, 2014]
  - (iii) lattice QCD evolving beyond n matrix elements for  $\theta_{\text{QCD}}$ 
    - [H.-w. Lin, talk here at QNP; “set-up” for dim-5 calculations, Bhattacharaya et al., 2015] - many lattice calcs in progress!
- **T-odd beta decay correlations:  
EDM connections** [Ng & Tulin, 2011; Seng et al., 2014; Dekens & Vos, 2015] & **not** [SG & Daheng He, 2012, 2013]



# Some Recent & Incipient Progress

- **proton radius puzzle:** the ultra-precise  $\mu - H$  result disagrees with electronic  $r_p$  measurements

[CODATA 10: Mohr, Taylor, Newell, arXiv:1203.5425;

new review: Carlson, arXiv:1502.05314;

new mu-He results (CREMA) anticipated and new, planned expts: MUSE, PRad]

$$[\mu - H] : r_p = 0.84087(39) \text{ fm}$$

$$[\text{CODATA 10}(\text{el.})] : r_p = 0.8775(51) \text{ fm}$$

$$\implies \delta r_P = -0.03663 \pm 0.00549 \text{ fm (!)}$$

$$[e - H] : r_p = 0.8758(77) \text{ fm}$$

- **MUON g-2:** assessments of hadronic effects in  $\mathcal{O}(\alpha^4)$

[Kutz et al., 2014; Colangelo et al., 2014] (about a 2 ppm discrepancy!)

$$\delta((g - 2)/2) = 28.5 \pm 6.3_{\text{expt}} \pm 4.9_{\text{SM}}$$

- **New limits on light, hidden sectors (dark photons):**

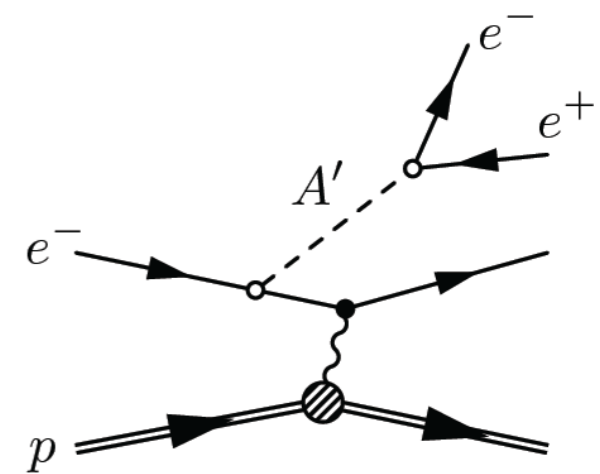
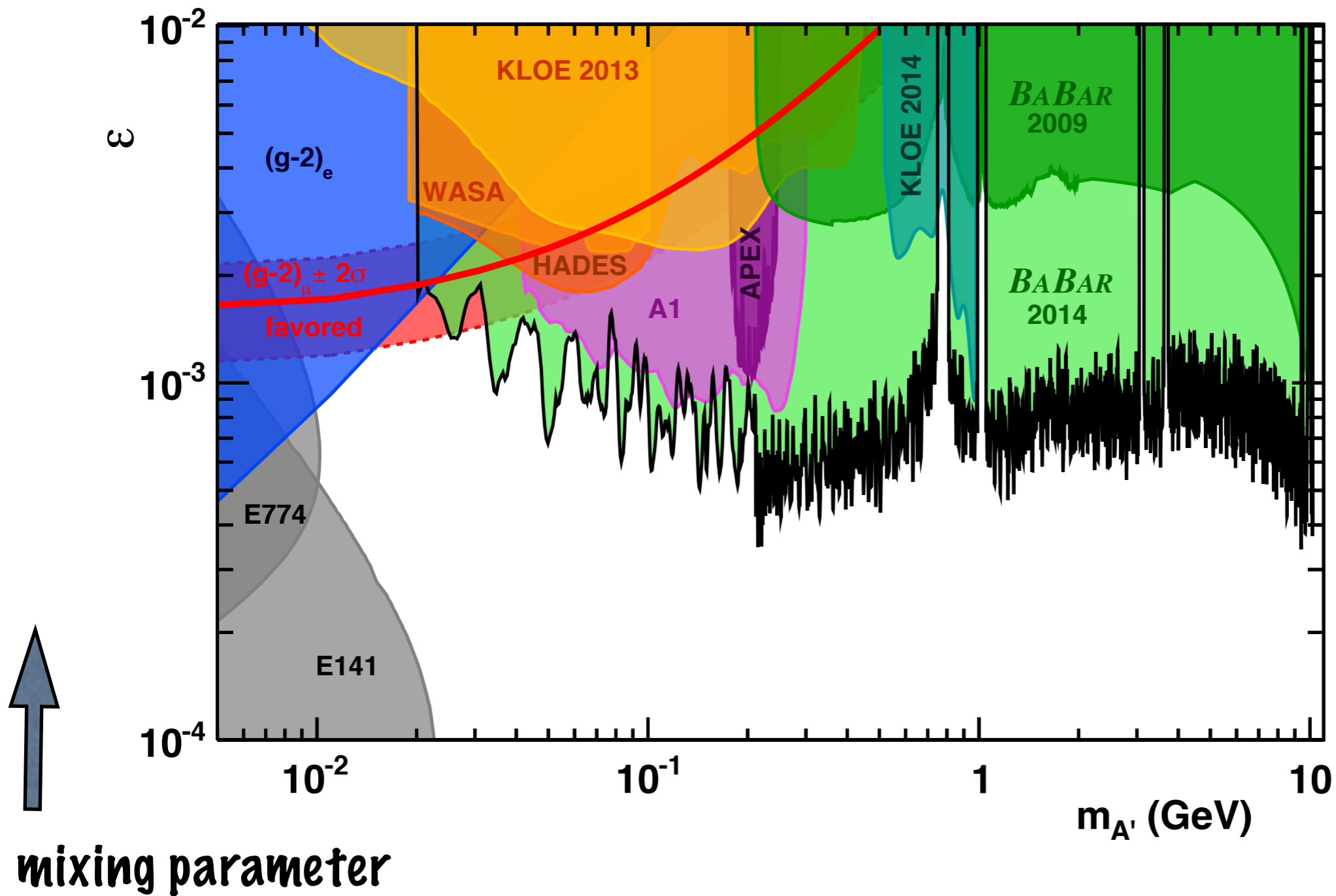
[BaBar, 2014 (arXiv: 1406.2980); PHENIX, 2014 (arXiv:1409.0851)]

constrain the “g-2 window” [Pospelov, 2009]

# Some Recent & Incipient Progress

## Hidden Sector Forces? Enter the Dark Photon $A'$

[Bjorken, Essig, Schuster, Toro, 2009; Batell, Pospelov, Ritz, 2009;....]



[BaBar, arXiv:1406.2980 - & more to come from JLab, Mainz, ...]

# Some Recent & Incipient Progress

- **non-V-A currents in beta decay:**

- (i) EFT+ lattice QCD to sharpen limits

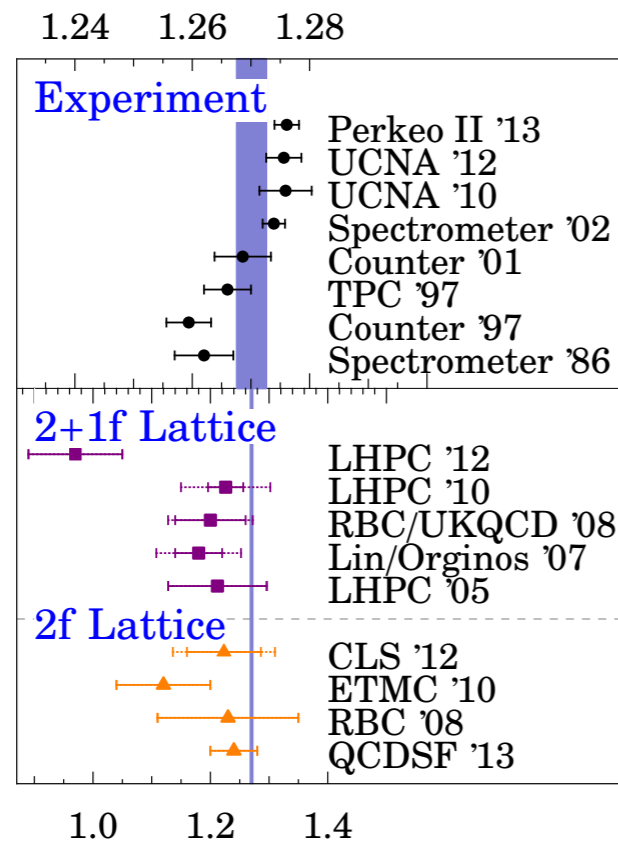
[Cirigliano et al., 2010; Bhattacharya et al., 2011, 2013; Gonzalez-Alonso & Carmalich, 2013]

- (ii) maximum-likelihood fits incl. theory errors

[SG & Plaster, 2013 - after “CKMFitter”, Charles et al., 2005]

- (iii) progress on lattice  $g_A$ !

[H.-w. Lin, talk here at QNP; E. Shintani, talk here at QNP]



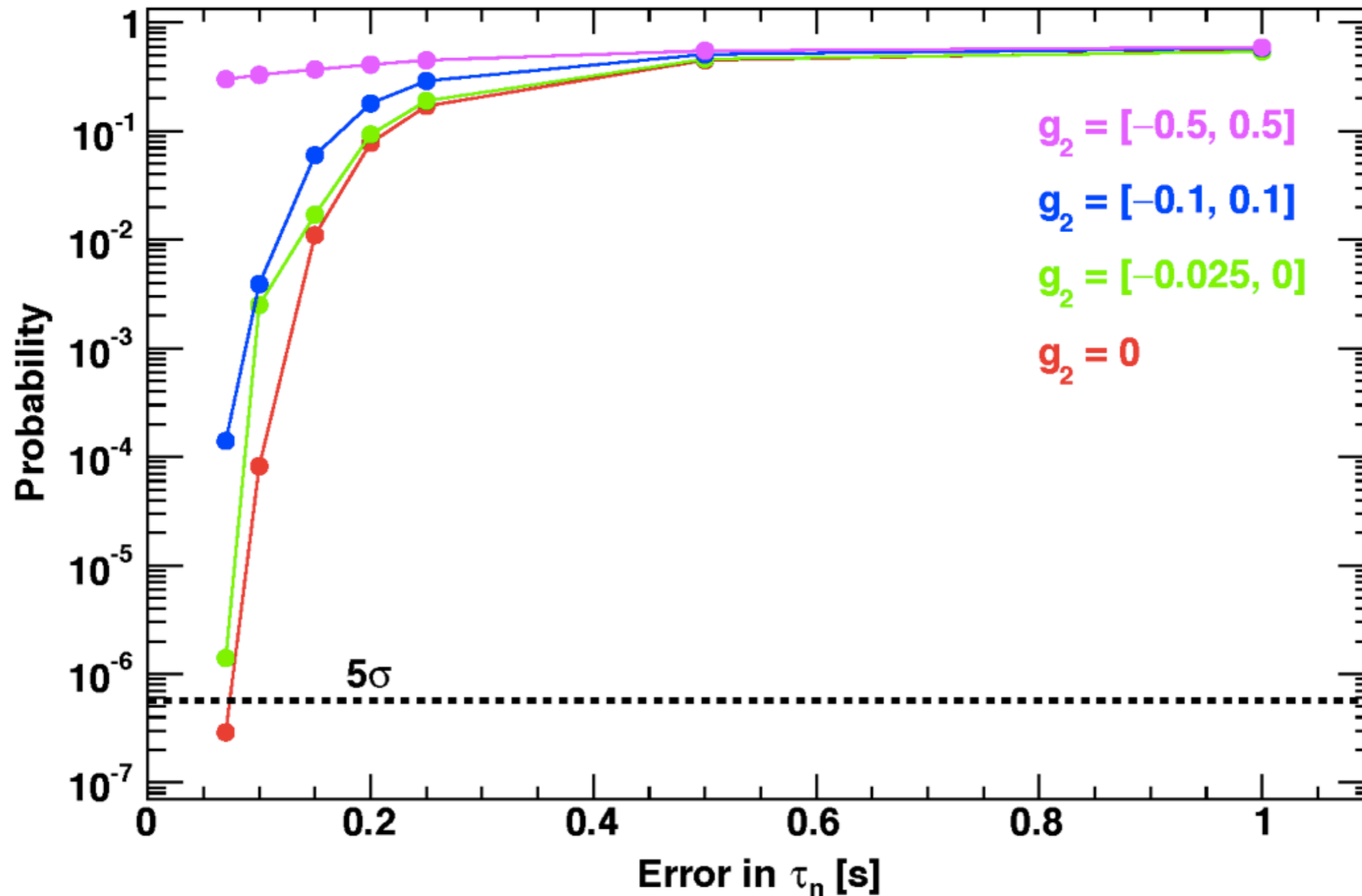
**In beta-decay we must fit for SM and BSM physics simultaneously**  
**BSM small enough that “second class” terms matter**

[SG & Plaster, 2013]

$g_A/g_V$  [Bhattacharya et al., arXiv:1306.5435]

# Resolving the limits of the V-A Law

[SG & Plaster, 2013 & 2014]



Need sharper determinations of the SCC terms!

- A Challenge for Lattice QCD? -

# QCD Prospects

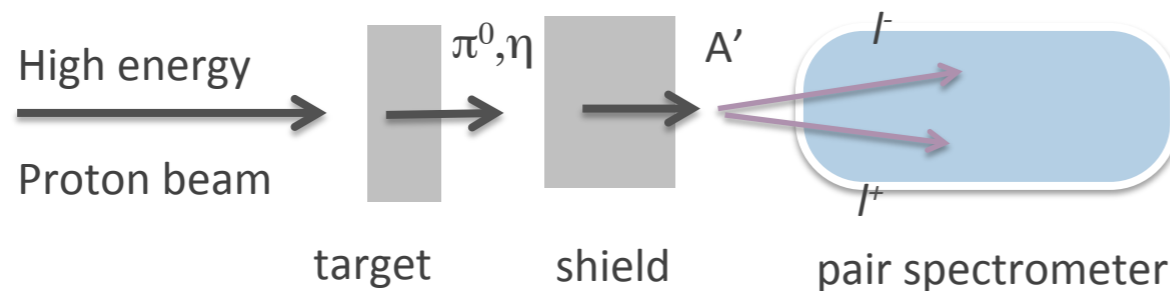
QCD can also open new windows on new physics

## i) Weakly coupled non-Abelian hidden sectors?

Visible and hidden sectors can mix in different ways; what of a non-Abelian [gluon] portal?

[Batell, Pospelov, Ritz, 2009; Baumgart et al., 2009; SG & He, 2013; Tulin, 2014]

Can probe via “shining through walls” as part of Seaquest/E906 FNAL (R. Holt, priv. comm.) [SG & Holt, in prep.]



$$A' \rightarrow \rho'$$
$$\mu^+ \mu^- \rightarrow \pi^+ \pi^-$$



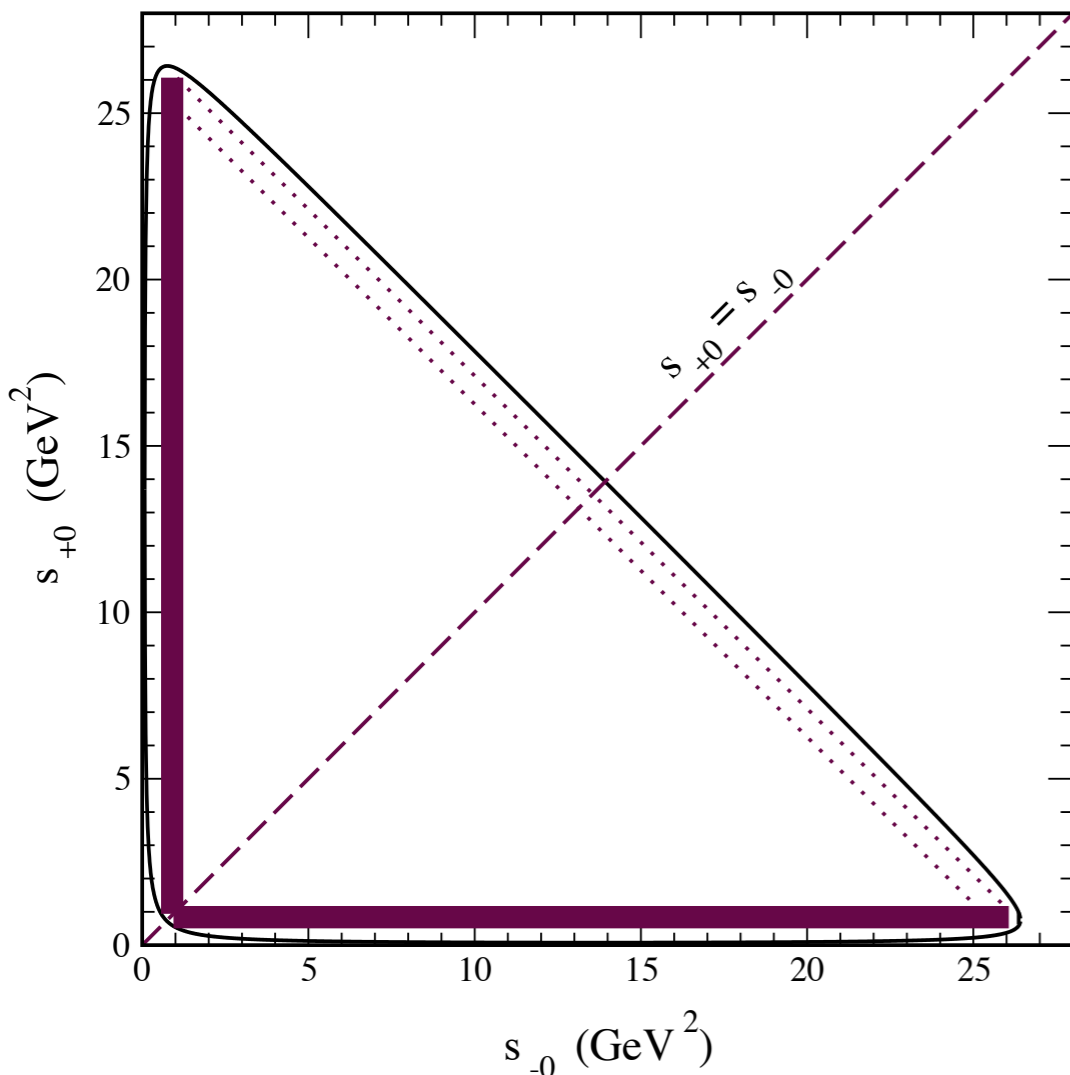


# QCD Prospects

QCD can also open new windows on new physics

ii) Dalitz Studies of CPV in  $\eta (\eta') \rightarrow \pi^+ \pi^- \pi^0$  via the breaking of mirror symmetry

[SG, 2003; SG & Tandean, 2004; SG, acfi, 2014]



C-odd, P-even

This can be generated by  $s - p$  interference of  $|\pi^+(\mathbf{p}) \pi^-(\mathbf{-p})\rangle_I |\pi^0(\mathbf{p}')\rangle_I$  final states of  $0^-$  meson decay. It is linear in a CP-violating parameter.

This contribution **cannot** be generated by  $\bar{\theta}_{\text{QCD}}$ !

“C violation” [Lee and Wolfenstein, 1965; Lee, 1965, Nauenberg, 1965; Bernstein, Feinberg, and Lee, 1965]

C-even, P-odd

This can be generated by the interference of amplitudes which distinguish  $|\pi^-(\mathbf{p}) \pi^0(\mathbf{-p})\rangle_I |\pi^+(\mathbf{p}')\rangle_I$  from  $|\pi^+(\mathbf{p}) \pi^0(\mathbf{-p})\rangle_I |\pi^-(\mathbf{p}')\rangle_I$  as in, e.g.,  $B \rightarrow \rho^+ \pi^-$  vs.  $B \rightarrow \rho^- \pi^+$ . “CP-enantiomers” [SG, 2003]

This possibility is not accessible in  $\eta \rightarrow \pi^+ \pi^- \pi^0$  decay (but in  $\eta'$  decay, yes). Thus a “left-right” asymmetry in  $\eta \rightarrow \pi^+ \pi^- \pi^0$  decay tests C-invariance, too.

# QCD Prospects

QCD can also open new windows on new physics

iii)  $n - \bar{n}$  oscillations:

The quark analogue of  $0\nu\beta\beta$  decay

Usual thought:  
magnetic field  
mitigation necessary  
to observe an effect

$$\mathcal{M} = \begin{pmatrix} M_n - \mu_n B & \delta \\ \delta & M_n + \mu_n B \end{pmatrix}$$
$$P_{n \rightarrow \bar{n}}(t) \simeq \frac{\delta^2}{2(\mu_n B)^2} [1 - \cos(2\mu_n B t)]$$

[Marshak & Mohapatra, 1980]

But there are four physical  
degrees of freedom in a  
magnetic field, and CPT  
guarantees that two  
states are degenerate  
- and a different  
conclusion!



Employ a 4x4 effective  
Hamiltonian framework!  
Transverse magnetic fields play a  
crucial role!

[SG & Jafari, 2014]

# On neutron-antineutron oscillations

## The Role of Spin

Employ the basis

$$|n+\rangle, |\bar{n}+\rangle, |n-\rangle, |\bar{n}-\rangle$$

$$\mathcal{H} = \begin{pmatrix} M + \omega_0 & \delta & \omega_1 & 0 \\ \delta & M - \omega_0 & 0 & -\omega_1 \\ \omega_1 & 0 & M - \omega_0 & -\delta \\ 0 & -\omega_1 & -\delta & M + \omega_0 \end{pmatrix}.$$

$\mathbf{B}_0$  defines the quantization axis and  $\omega_0 \equiv -\mu_n B_0$ ;  $\omega_1 \equiv -\mu_n B_1$

with  $\delta$  the usual  $n - \bar{n}$  mixing matrix element.

If a transverse field ( $\mathbf{B}_1$ ) is applied at  $t=0$ :

$$\mathcal{P}_{n \rightarrow \bar{n}}(t) = \delta^2 \left[ \frac{\omega_1^2 t^2}{\omega_0^2 + \omega_1^2} + \frac{\omega_0^2}{(\omega_0^2 + \omega_1^2)^2} \sin^2(t\sqrt{\omega_0^2 + \omega_1^2}) \right. \\ \left. + \frac{\omega_0^2 \omega_1^2 t}{(\omega_0^2 + \omega_1^2)^{5/2}} \left( 1 - \sin \left( 2t\sqrt{\omega_0^2 + \omega_1^2} \right) \right) \right] + \mathcal{O}(\delta^3),$$

**The transition probability is  $\mathcal{O}(1)$  in magnetic fields!**

# Summary

The control of non-perturbative QCD is important to many new physics searches.

If new physics exists beyond some high scale, an EFT framework links low-energy precision observables with QCD and new physics

QCD (with light quarks) also admits new sorts of BSM searches that probe

- (i) new, light, weakly coupled sectors
- (ii) new sources of (C and) CP violation
- (iii) new possibilities for B-L violation

See Brambilla et al., arXiv:1404.3723, EPJC 74 (2014) 2981 for a comprehensive review of these topics -- and much more!

# Backup Slides



# Resolving the limits of the V-A Law

$$\frac{d\Gamma}{dE_e d\Omega_e d\Omega_\nu} = \frac{1}{(2\pi)^5} p_e E_e (E_0 - E_e)^2 \xi \quad \lambda \equiv \frac{g_A}{g_V}$$

$$\times \left[ 1 + b \frac{m_e}{E_e} + a \frac{\vec{p}_e \cdot \vec{p}_\nu}{E_e E_\nu} + \langle \vec{\sigma}_n \rangle \cdot \left( A \frac{\vec{p}_e}{E_e} + B \frac{\vec{p}_\nu}{E_\nu} + D \frac{\vec{p}_e \times \vec{p}_\nu}{E_e E_\nu} \right) \right]$$

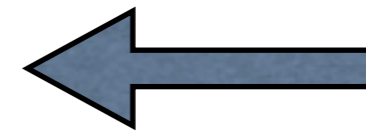
$$\Xi = 1 + 3\lambda^2 + (g_S \epsilon_S)^2 + 3(4g_T \epsilon_T)^2,$$

$$a = a_1 + a_2 \beta \cos \theta_{e\nu}$$

$$a_0 = \frac{(1 - \lambda^2) - (g_S \epsilon_S)^2 + (4g_T \epsilon_T)^2}{(1 + 3\lambda^2) + (g_S \epsilon_S)^2 + 3(4g_T \epsilon_T)^2},$$

$$a_1 = a_0 + f(g_A, f_2, g_2, f_3, E_e)$$

$$b_{\text{BSM}} = \frac{2(g_S \epsilon_S) - 6\lambda(4g_T \epsilon_T)}{(1 + 3\lambda^2) + (g_S \epsilon_S)^2 + 3(4g_T \epsilon_T)^2},$$



$$a_{\text{exp}} \equiv \frac{N(\cos \theta_{e\nu} > 0) - N(\cos \theta_{e\nu} < 0)}{N(\cos \theta_{e\nu} > 0) + N(\cos \theta_{e\nu} < 0)}$$

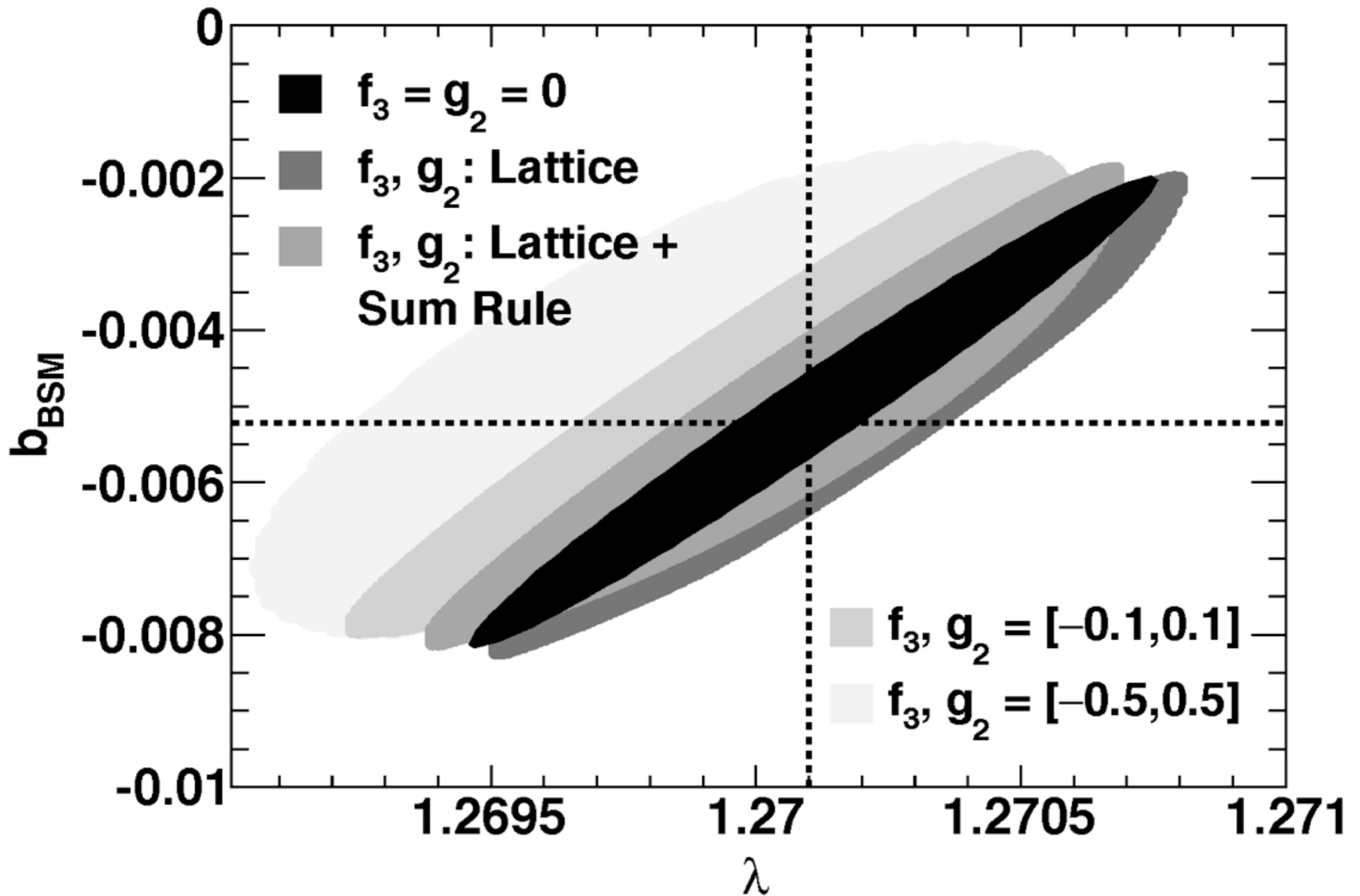
$$a_2 = \frac{3(\lambda^2 - 1)}{(1 + 3\lambda^2)} \frac{E_e}{M}$$

$$= \frac{1}{2} \beta \frac{a_1}{1 + b_{\text{BSM}} \frac{m_e}{E_e} + \frac{1}{3} a_2 \beta^2},$$

$$A_{\text{exp}} \equiv \frac{N(\cos \theta_e > 0) - N(\cos \theta_e < 0)}{N(\cos \theta_e > 0) + N(\cos \theta_e < 0)}$$

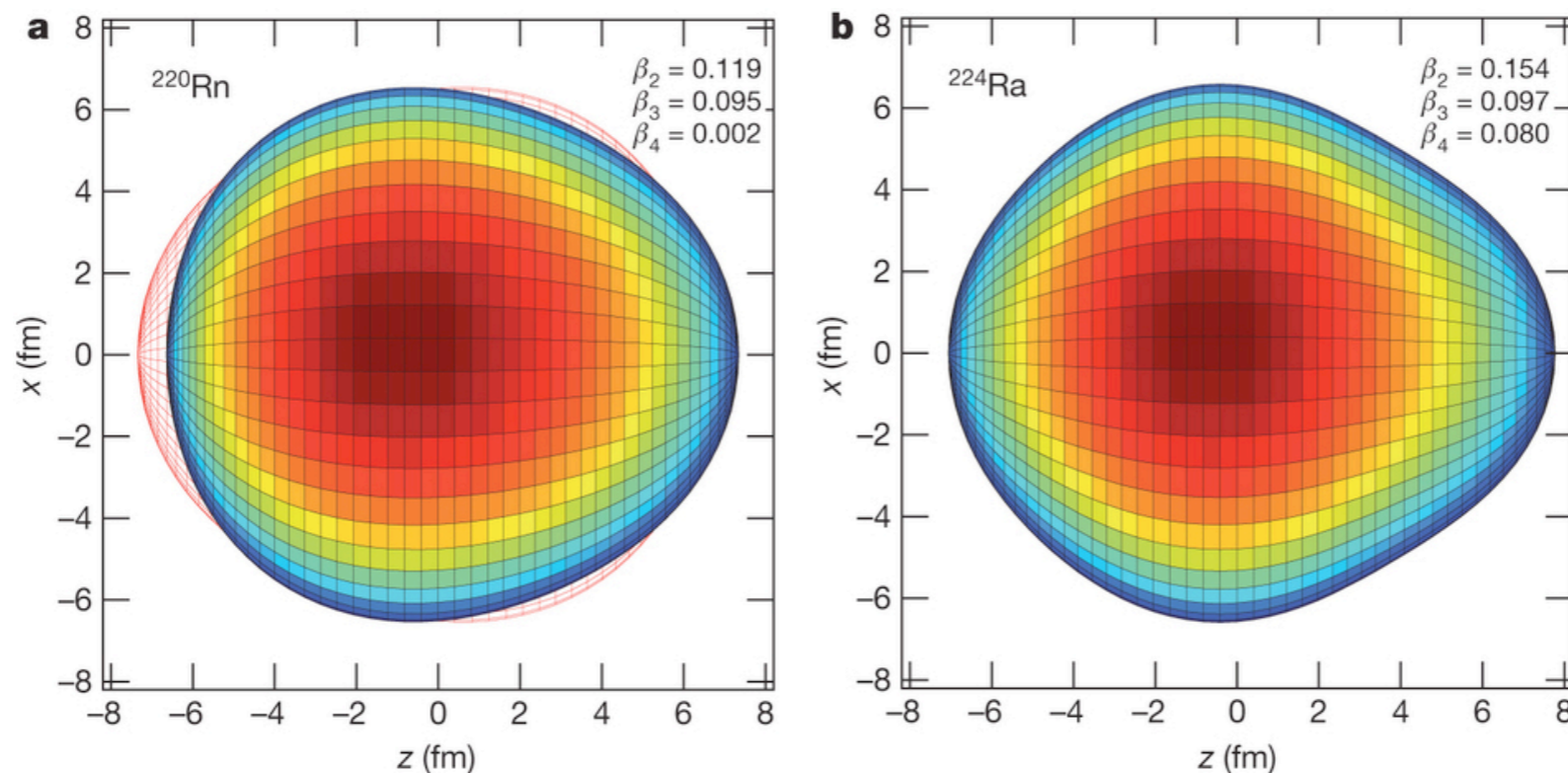
$$= \frac{1}{2} \beta \frac{A}{1 + b_{\text{BSM}} \frac{m_e}{E_e}}.$$

# Maximum Likelihood Fit



# Heavy atom EDMs

evade Schiff's theorem through large  $Z$ , finite nuclear size, and octupole deformation



[Gaffney et al.,  
Nature (2013)]



Permanent deformation makes the nucleus more “rigid” and the Schiff moment computation more robust and 1000x bigger than  $^{199}\text{Hg}$  (existing best atomic EDM limit)

**A great opportunity for rare isotope facilities!**

# Triple Product Momentum Correlations

In radiative beta-decay one can form a T-odd correlation from momenta alone

This is a pseudo-T-odd observable, so that it can be mimicked by FSI, but these are computable up to recoil order terms [SG, Daheng He, 2012]

The interaction which generates it comes from the gauging of the  $WZW$  term under SM electroweak gauge invariance [Harvey, Hill, Hill, 2007, 2008]

A direct measurement which constrain the phase of this interaction from physics BSM, possibly from “strong” hidden sector interactions [SG, Daheng He, 2013]