Mass effects in the initial state shower

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Outline

- Implementation
- Current Progress
- Plots
- Next steps





Why?

- Heavy quark masses become relevant in relation to the scale of the process
- Drell Yan
- $b + q \rightarrow t + q'$
- $b + g \rightarrow Z + b$





Implementation

- ME looks like $b + \overline{b} \rightarrow Z \rightarrow l^+ + l^-$
- Implement a pre-cascade handler
- Evolve back to a gluon
- ME now looks like $g + g \rightarrow \overline{b} + b + (\overline{b} + b \rightarrow Z) \rightarrow \overline{b} + b + l^+ + l^-$
- Full parton shower takes over





Kinematics

- Quasi-collinear limit (pT and mass are small, but pT/m is not)
- Sudakov decomposition
- Preserve invariant mass and longitudinal rapidity of partonic system

$$p'_{\pm} = \frac{x_{\pm}}{z_{\pm}} n_{\pm} + \frac{m(p'_{\pm})^2}{\frac{x_{\pm}}{z_{\pm}} s} n_{\mp}$$
$$p_{\pm} = z_{\pm} p'_{\pm} + \Gamma_{\pm} n_{\mp} + k_{\pm}$$
$$q_{\pm} = (1 - z_{\pm}) p'_{\pm} - \Gamma_{\pm} n_{\mp} - k_{\pm}$$

$$\Gamma_{\pm} = \frac{(1-z_{\pm})^2 m (p'_{\pm})^2 - m (q_{\pm})^2 + k_{\pm}^2}{(1-z_{\pm})\frac{x_{\pm}}{z_{\pm}}s}$$

Veto Algorithm

• Splitting Function

$$P_{g \to Q\overline{Q}}(z, m, p_T) = 1 - 2z(1-z) + \frac{2z(1-z)m^2}{m^2 + p_T^2}$$

Sudakov

$$\Delta(\tilde{q}_0, \tilde{q}, x, m_Q) = \exp\left\{-\int_{\tilde{q}}^{\tilde{q}_0} \frac{\mathrm{d}\tilde{q}'^2}{\tilde{q}'^2} \int_x^{z_+} \mathrm{d}z \ \frac{\alpha_S(z, \tilde{q})}{2\pi} P_{g \to Q\overline{Q}}(z, m_Q, p_{\mathrm{T}}) \frac{\frac{x}{z} f_g(\frac{x}{z}, \tilde{q}')}{f_Q(x, \tilde{q}')}\right\}$$



Current Progress

- Veto Algorithm
- Kinematics
- Updated event record (bugs)
- Starting comparisons with MCFM





Comparison to MCFM











Invariant Mass







Invariant Mass







p_T, η distribution







Next Steps

- Comparison with MCFM
 - Cuts/Masses/Analysis
 - Ordering variable (pT, pT/(1-z),...)
- Incorporate into full shower
- Comparison with data



