

MPI and small-x QCD in CMS

*A. Knutsson (Universiteit Antwerpen)
on behalf of CMS Collaboration*

*MPI@LHC
Krakow, 3 – 7 November, 2014*

- Leading tracks and track-jets at very low p_T
- Azimuthal correlations of jets widely separated in η
- Forward-Central Jet Correlations

Normalized integrated event cross-sections of leading tracks and track-jets at very low p_T



Analyses motivated by:

Jet production and the inelastic pp cross section at the LHC

A. Grebenyuk^a, F. Hautmann^b, H. Jung^{a,c}, P. Katsas^a and A. Knutsson^a

Abstract

We suggest that, if current measurements of inclusive jet production for central rapidities at the LHC are extended to lower transverse momenta, one could define a visible cross section sensitive to the unitarity bound set by the recent determination of the inelastic proton-proton cross section.

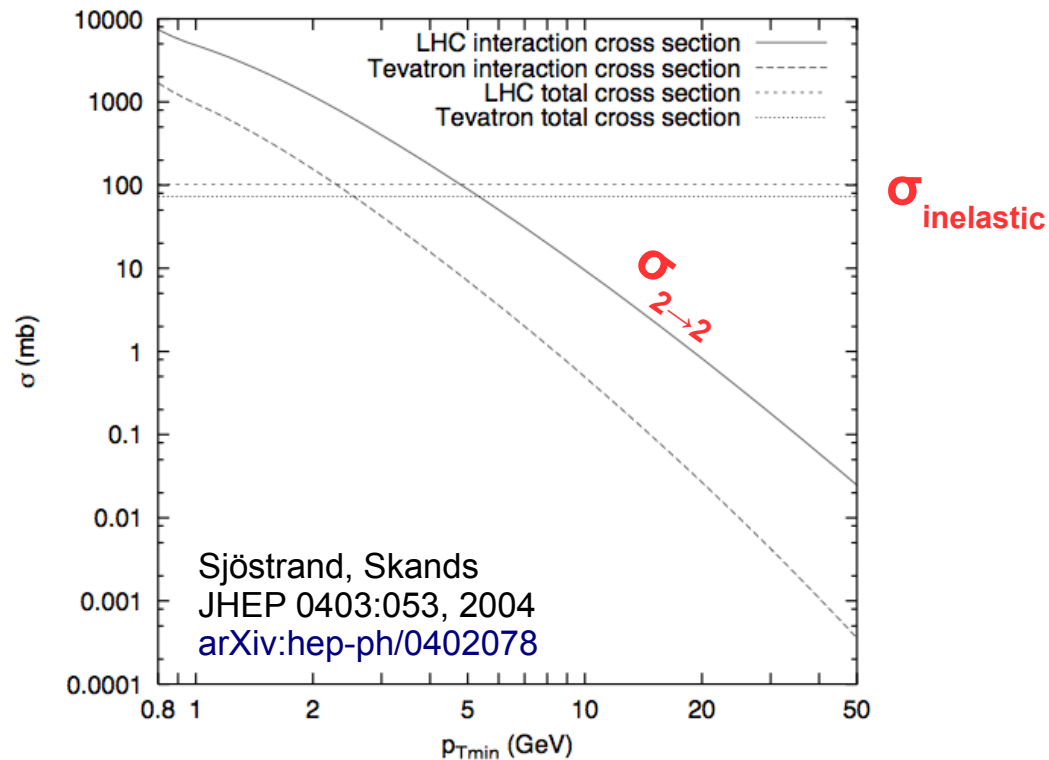
arXiv:1209.6265v1 [hep-ph] 27 Sept 2012

Phys.Rev. D86 (2012) 117501

- Total cross-section for $2 \rightarrow 2$ process given by

$$\sigma(p_{T \min}) = \int_{p_{T \min}} dp_T^2 \int_{-\infty}^{\infty} dy \frac{d^2\sigma}{dp_T^2 dy}$$

- Divergent towards low $p_{T,\min}$ and eventually the total $2 \rightarrow 2$ cross-section becomes larger than the total inelastic cross-section.
- At LHC this happens around ~ 5 GeV at LHC.



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- Thus, in theory, the cross-section needs to be tamed.

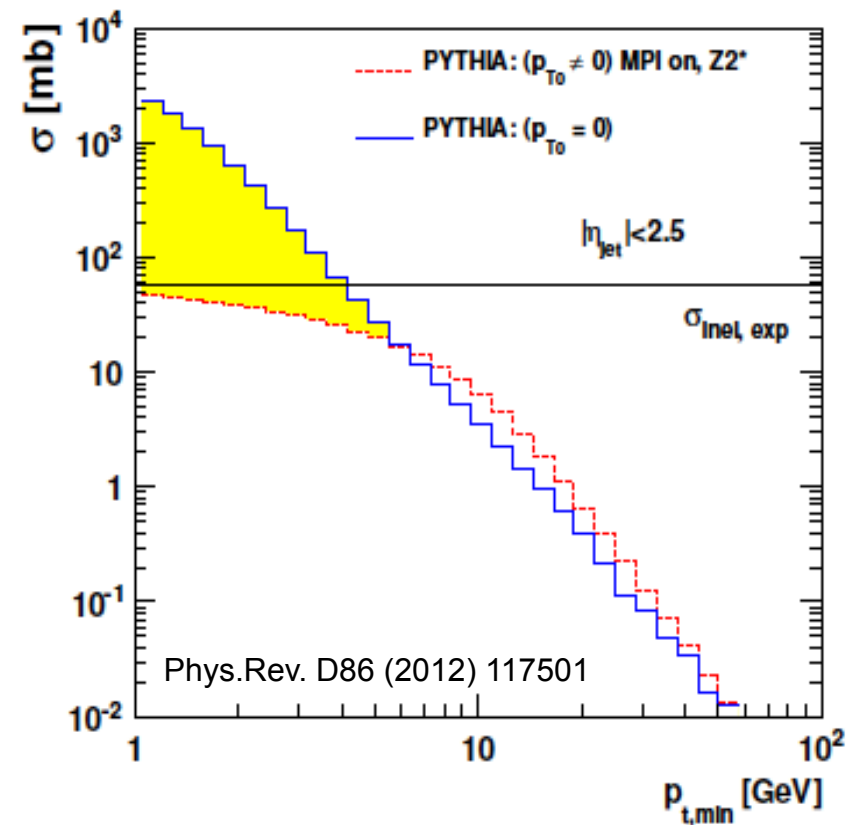
For example, in Pythia, the rise of the 2→2 cross-section is “tamed” by

1. Regularization factor for the cross-section

$$\sigma \rightarrow \sigma \times \frac{\alpha_s(p_t + p_{t0})}{\alpha_s(p_t)} \frac{p_t^4}{(p_t^2 + p_{t0}^2)^2}$$

where p_{T0} is determined by tuning to data.

2. MPI: $\langle n_{\text{MPI}} \rangle = \sigma_{2 \rightarrow 2} / \sigma_{\text{Total}}$



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Can be studied in a range accessible by the experiments.

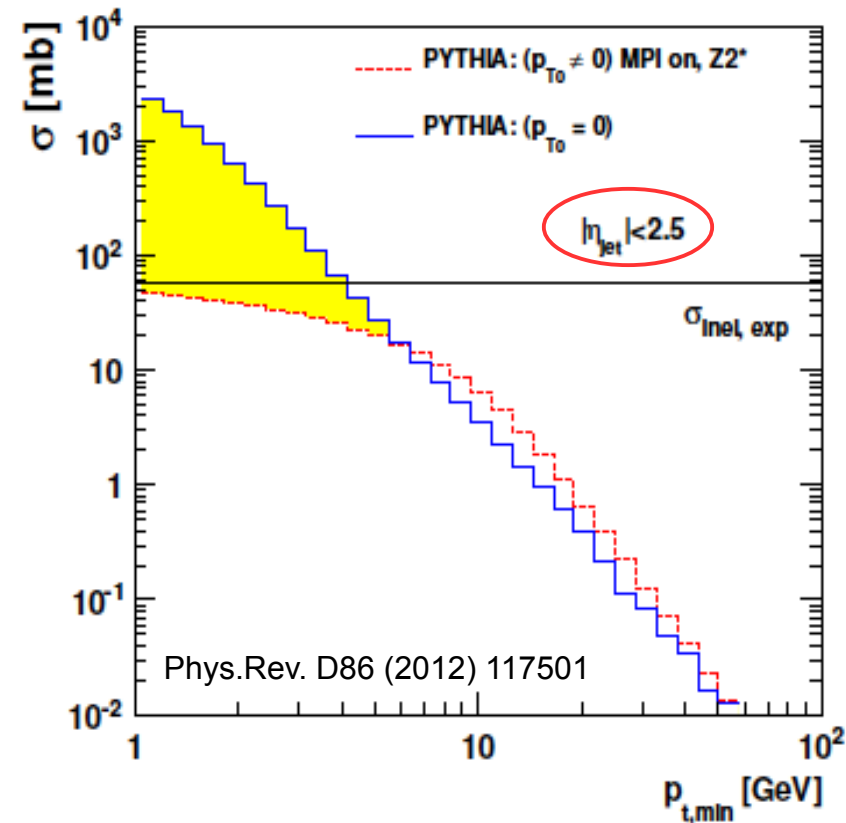
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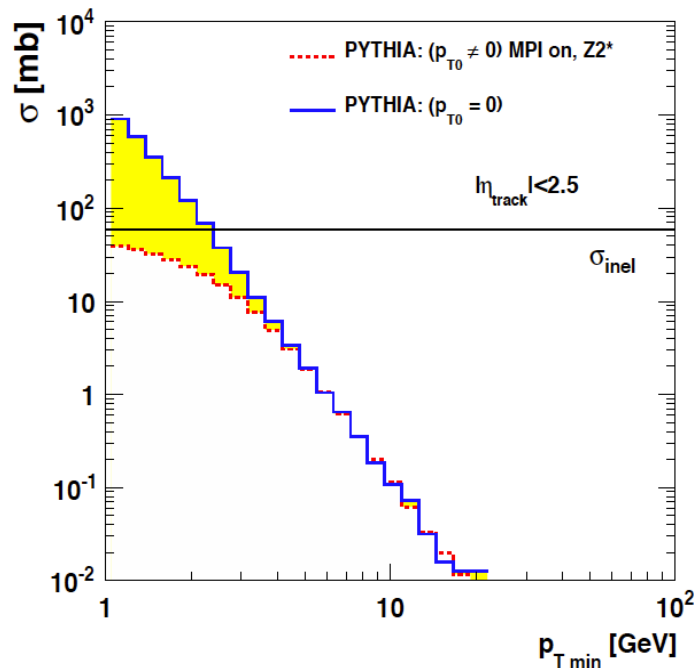
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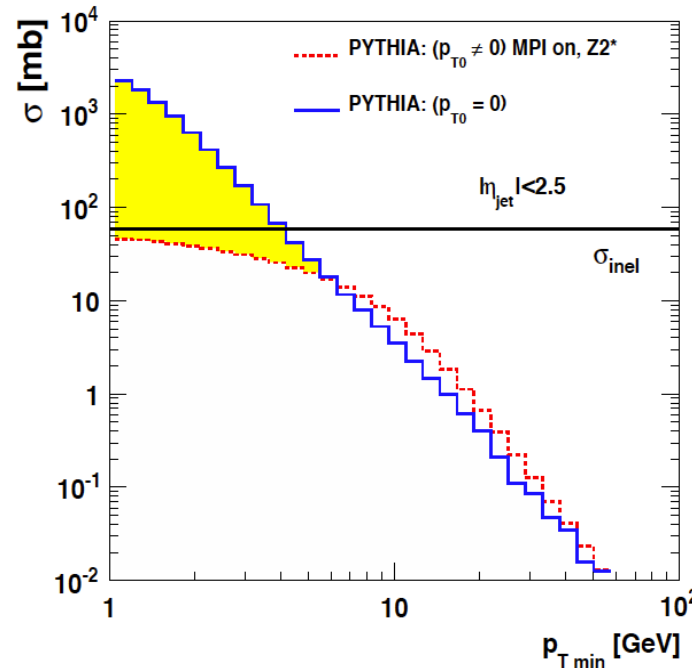


- Measurement possible to do with tracks and track jets.

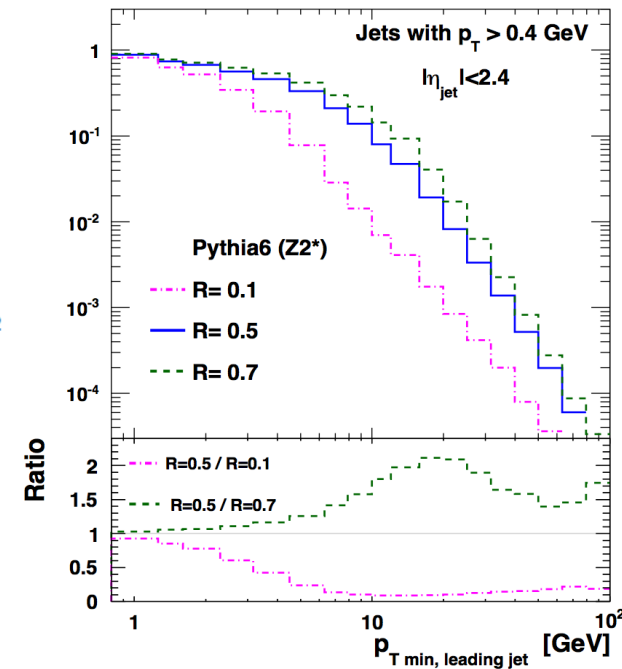
Leading charged particles



Leading charged particle jets



- Different shapes of the cross-sections. The jet events are shifted towards higher values. More than just the leading particle clustered in the jet. UE important for the jets.
- When radius parameter in the jet algorithm is decreased the shape of the jet cross-section approaches the leading track cross-section.



Trackers $|\eta| < 2.5$

CMS DETECTOR

Total weight : 14,000 tonnes
 Overall diameter : 15.0 m
 Overall length : 28.7 m
 Magnetic field : 3.8 T

STEEL RETURN YOKE
 12,500 tonnes

SILICON TRACKERS
 Pixel (100x150 μm) $\sim 16\text{m}^2 \sim 66\text{M}$ channels
 Microstrips (80x180 μm) $\sim 200\text{m}^2 \sim 9.6\text{M}$ channels

SUPERCONDUCTING SOLENOID
 Niobium titanium coil carrying $\sim 18,000\text{A}$

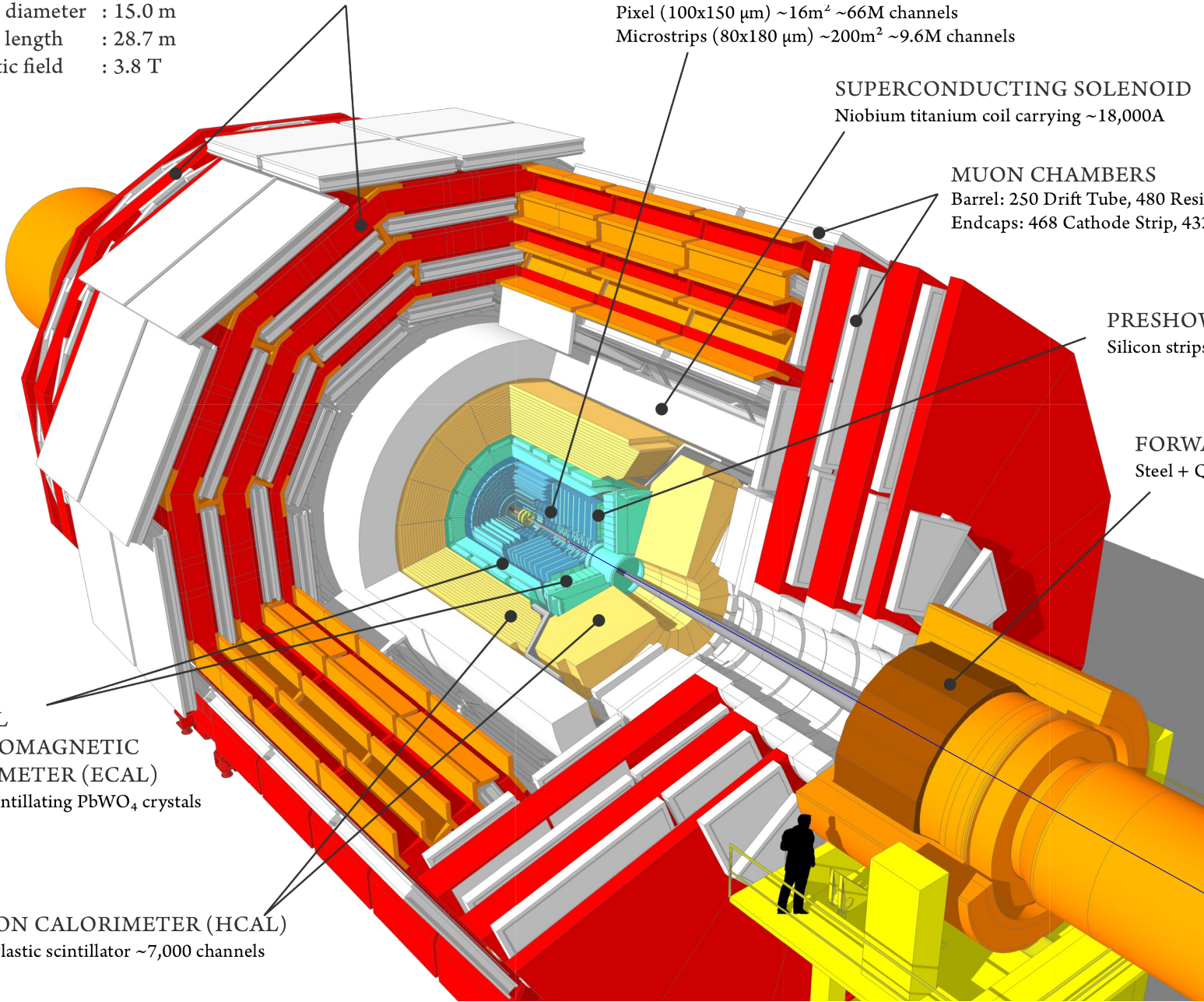
MUON CHAMBERS
 Barrel: 250 Drift Tube, 480 Resistive Plate Chambers
 Endcaps: 468 Cathode Strip, 432 Resistive Plate Chambers

PRESHOWER
 Silicon strips $\sim 16\text{m}^2 \sim 137,000$ channels

FORWARD CALORIMETER
 Steel + Quartz fibres $\sim 2,000$ Channels

CRYSTAL ELECTROMAGNETIC CALORIMETER (ECAL)
 $\sim 76,000$ scintillating PbWO_4 crystals

HADRON CALORIMETER (HCAL)
 Brass + Plastic scintillator $\sim 7,000$ channels



$\pm 14\text{m}$
TOTEM T2
 $5.3 < |\eta| < 6.5$
 as MB trigger

- Common CMS+TOTEM data taking. Run with very low pile-up at $\sqrt{s} = 8$ TeV (2012). (Non standard high $\beta^* = 90$ m optics configuration.)
 - MB events triggered by TOTEM T2:
At least one track with $p_t > 40$ MeV in $5.3 < |\eta| < 6.5$
 - Track selection:
 $|\eta| < 2.4, p_t > 0.4$ GeV
- Measurement of the **normalized integrated *leading track* cross-section.**

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→ Measurement of the **normalized integrated *leading track* cross-section.**

- Track-jets:
Anti- k_t algorithm. $R = 0.5$.
Input: Tracks with $|\eta| < 2.4$ and $p_t > 0.4$ GeV.

Jet selection: The leading jet in $|\eta| < 1.9$ with $p_t > 1$ GeV.

→ Measurement of the **normalized integrated *leading track-jet* cross-section.**

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→ Measurement of the **normalized integrated *leading track-jet* cross-section.**

- *Measurement corrected to stable particle level defined by cuts as above (but with no p_t or η restriction on the charged particles entering the jet algorithm)*

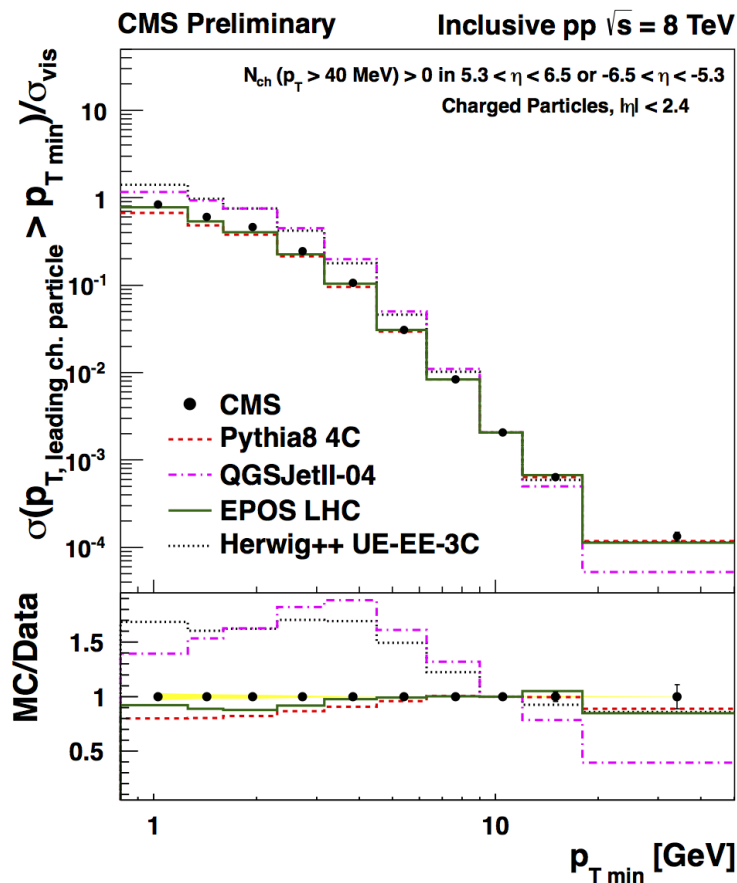
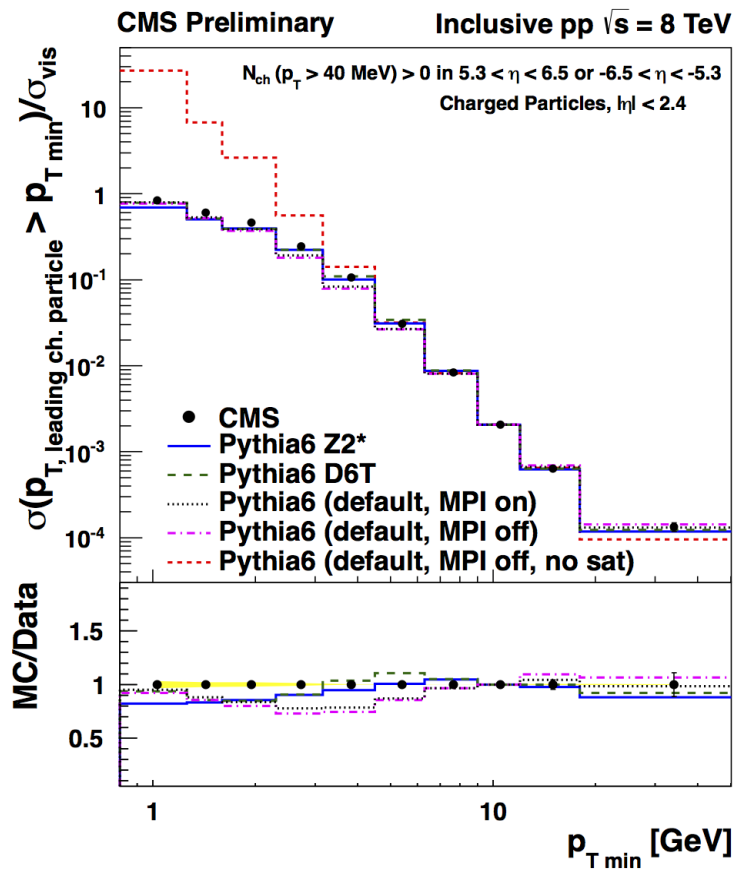
- **Normalized integrated** charged-particle or charged particle jet **event cross-section** as a function of $p_{T,\min}$ for events with a leading charged particle (jet) with $p_T > p_{T,\min}$.

$$D(p_{T,\min}) = \frac{1}{N_{\text{events}}} \sum_{p_{T,\text{leading}} > p_{T,\min}} \Delta p_{T,\text{leading}} \left(\frac{dN_{\text{ch}}}{dp_{T,\text{leading}}} \right)$$

- Measurement to normalized to events (N_{events}) with a leading charged particle with $|\eta| < 2.4$ and $p_T > 0.4$ GeV

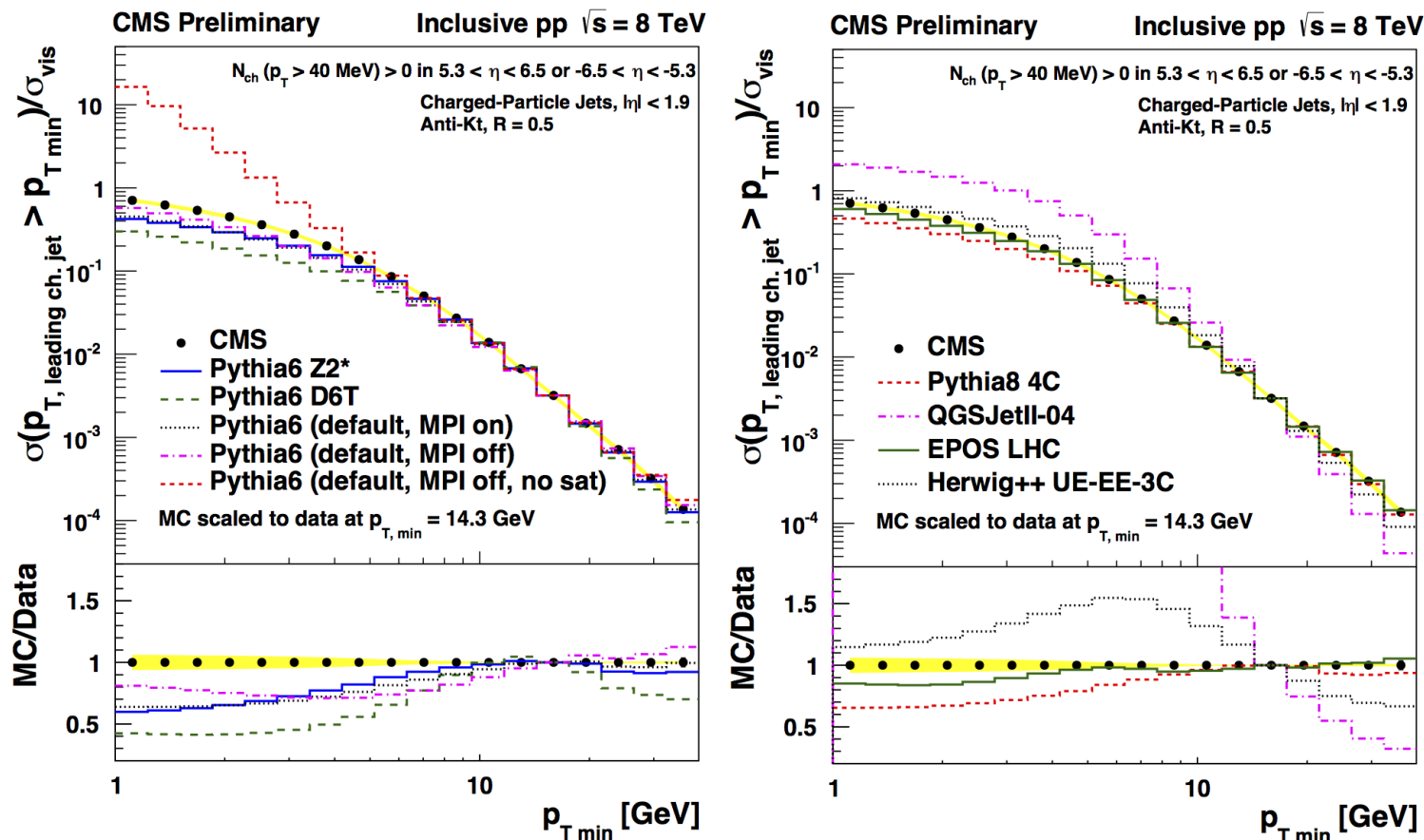


Normalized Leading Charged Particle Cross-sections



Normalized cross-sections for events with a central leading charged particle with $p_T > p_{T, \text{min}}$ as a function $p_{T, \text{min}}$.

- Normalized event cross-sections.
 - No sensitivity to particle multiplicities in events.
 - Distribution converges to one by construction.
 - Looking for effects at low p_T - MC scaled to data at $p_{T, \text{min}} = 9 \text{ GeV}$.*
- Large difference between models. Tune sensitivity.
- Pythia and Herwig do not describe the data. (*)
- Cosmic Ray Monte Carlos: EPOS good. QGSJET fails.



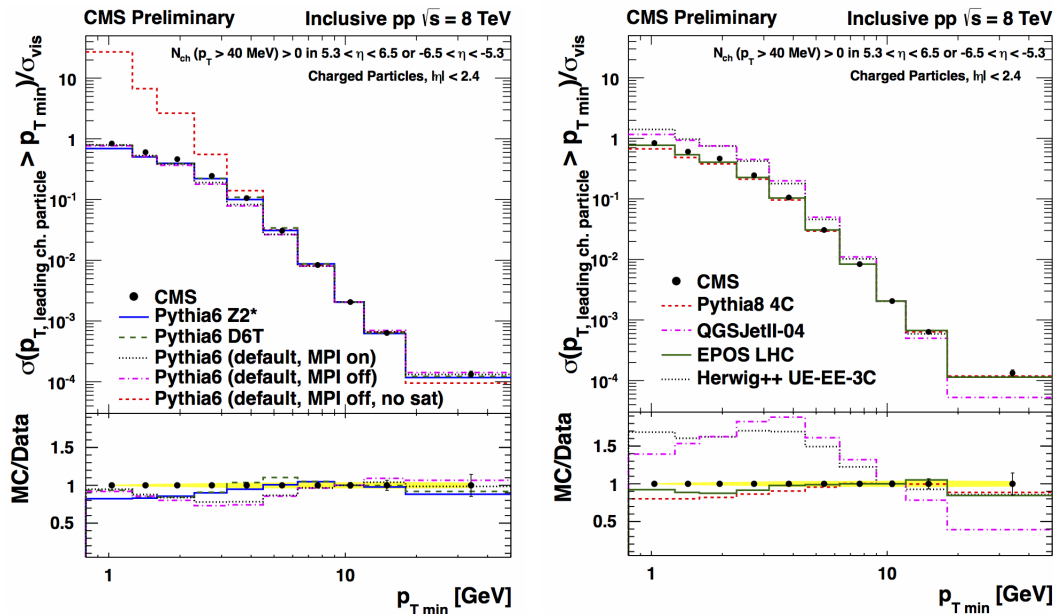
Normalized cross-sections for events with a central leading charged particle with $p_T > p_{T, \min}$ as a function $p_{T, \min}$.

- Normalized event cross-sections.
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 - Distribution converges to one by construction.

Looking for effects at low p_T - MC scaled to data at $p_{T, \min} = 14$ GeV.
- Larger difference between models. Tune sensitivity.
- Pythia and Herwig do not describe the data. (*)
- Cosmic Ray Monte Carlos: EPOS good. QGSJET fails.



Leading charged particles



- Different shapes for leading jets and leading charged particles.
- More activity than just the leading track clustered in the jet. Thus, UE important for the jets.

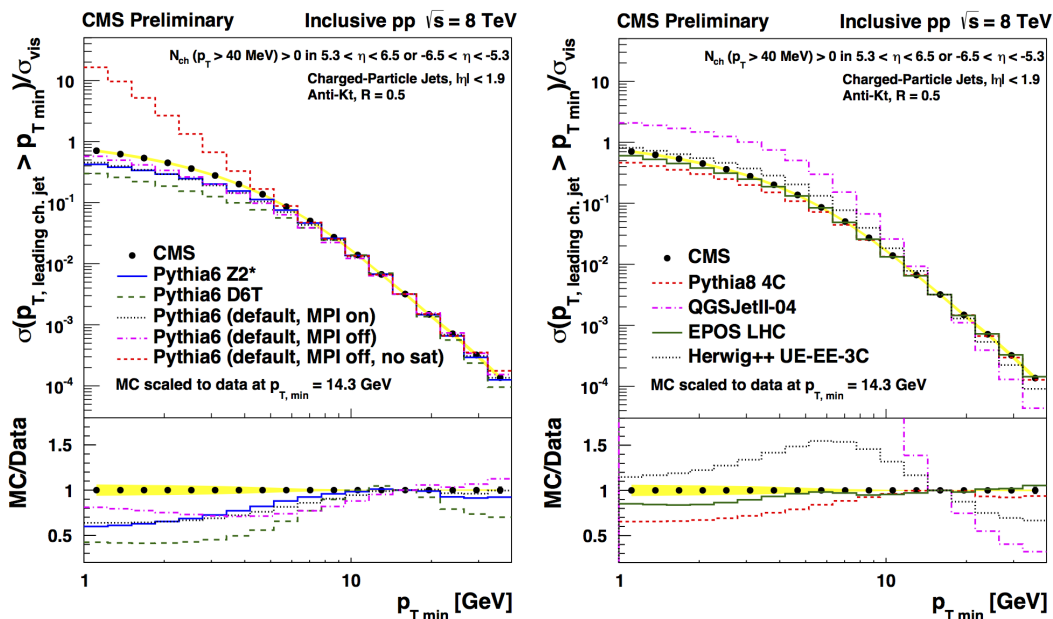
→ The p_t is shifted towards higher value in jets compared to leading charged particles.

→ Larger spread between different MC predictions in the jet measurement.

→ Larger deviation between MC and data for the jets compared to the charged particles.

→ MC somewhat better description of the charge particle measurement.

Leading charged particle jets



Azimuthal decorrelations of jets widely separated in η

- **Forward Jets:**

Classic final state for studies of higher order QCD, parton dynamics beyond DGLAP, BFKL effects.

- **Azimuthal de-correlations between di-jets:**

At LO: $\Delta\phi = 180$

Higher order reactions: $\Delta\phi < 180$

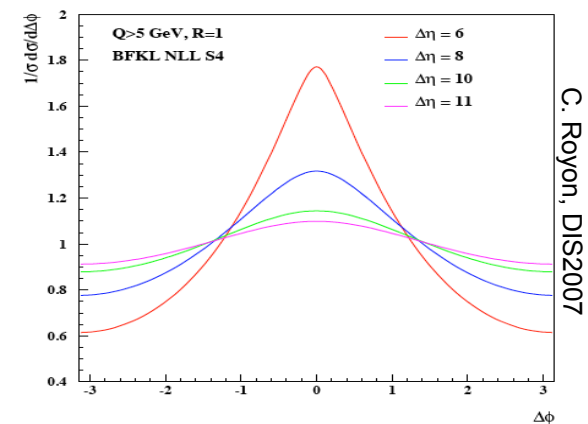
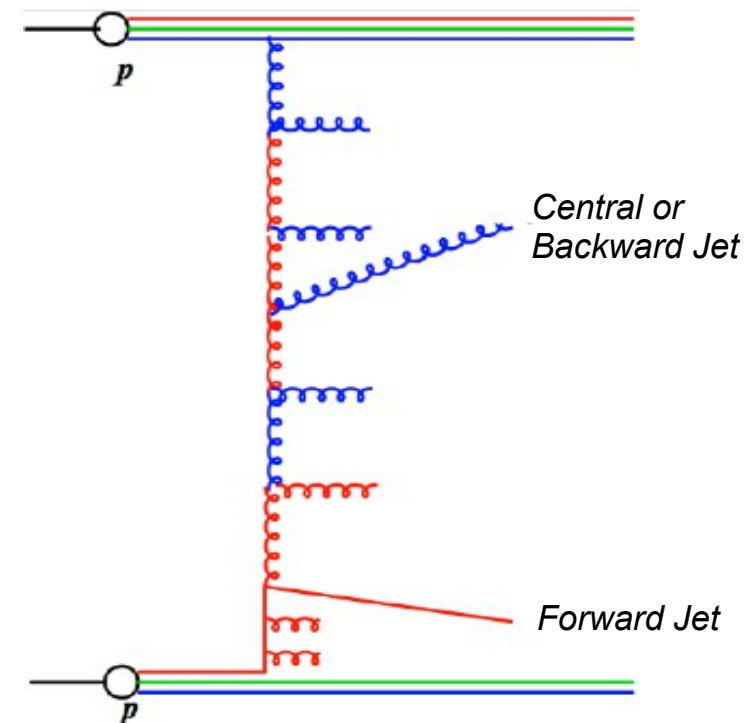
In DGLAP the momentum balance between the two jets is expected to be more conserved, while H.O BFKL emissions expects to give a flatter $\Delta\phi$ distribution.

Additional effects from using unintegrated gluon densities. Input k_t from gluon PDF $> 0 \rightarrow \Delta\phi < 180$ already at LO

- **Jets with large rapidity separation:**

Large rapidity range between jets to further open up phase space for more emissions.

Larger separation between jets \rightarrow more decorrelation in $\Delta\phi$.



- $\sqrt{s} = 7 \text{ TeV}$, Luminosity $\approx 5 \text{ pb}^{-1}$
- Calorimeter jets - anti-kt algorithm with $R=0.5$.
- Events with at least two jets with $p_{t,\text{jet}} > 35 \text{ GeV}$ and $|\eta| < 4.7$.
The two jets with largest rapidity separation selected.
- Measurement corrected to stable particle level
- Observables:

- Azimuthal angle between the two jets with largest rapidity separation: $\Delta\phi$

- Fourier coefficients, C_n : $d\sigma/d(\Delta\phi) \sim \sum C_n \cos(n\Delta\phi)$

$$C_1 = \langle \cos(\Delta\phi) \rangle$$

$$C_2 = \langle \cos(2\Delta\phi) \rangle$$

$$C_3 = \langle \cos(3\Delta\phi) \rangle$$

- Ratios C_2/C_1 and C_3/C_2

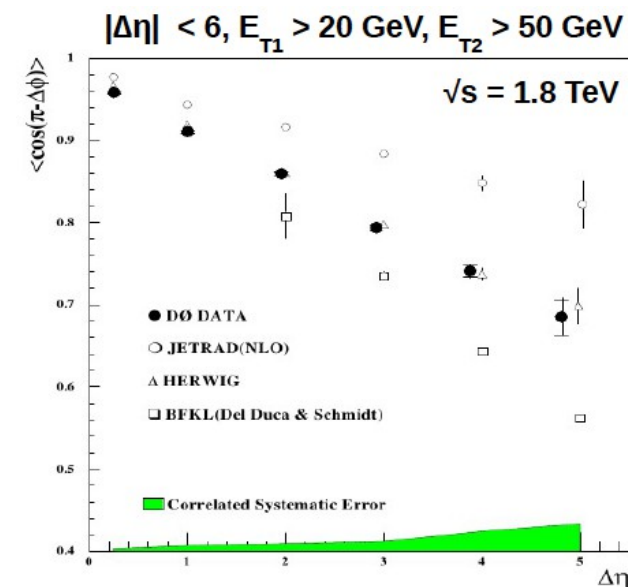
These quantities are measurement in 3 bins

of rapidity separation between the jets: $0 < \Delta y < 3$

$3 < \Delta y < 6$

$6 < \Delta y < 9.4$

Previously measured
up to $\Delta y < 6.0$.

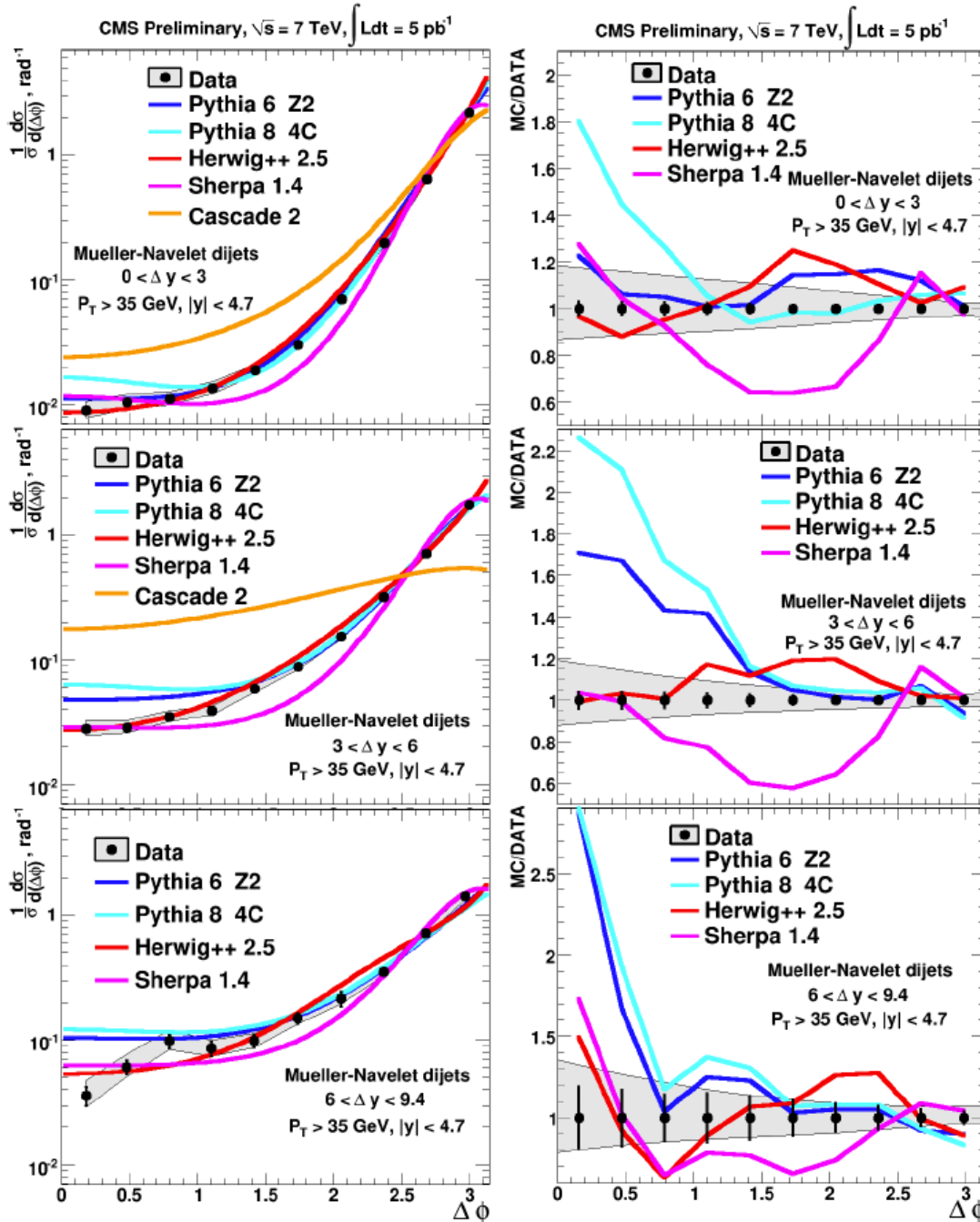




Azimuthal decorrelations – $\Delta\phi$



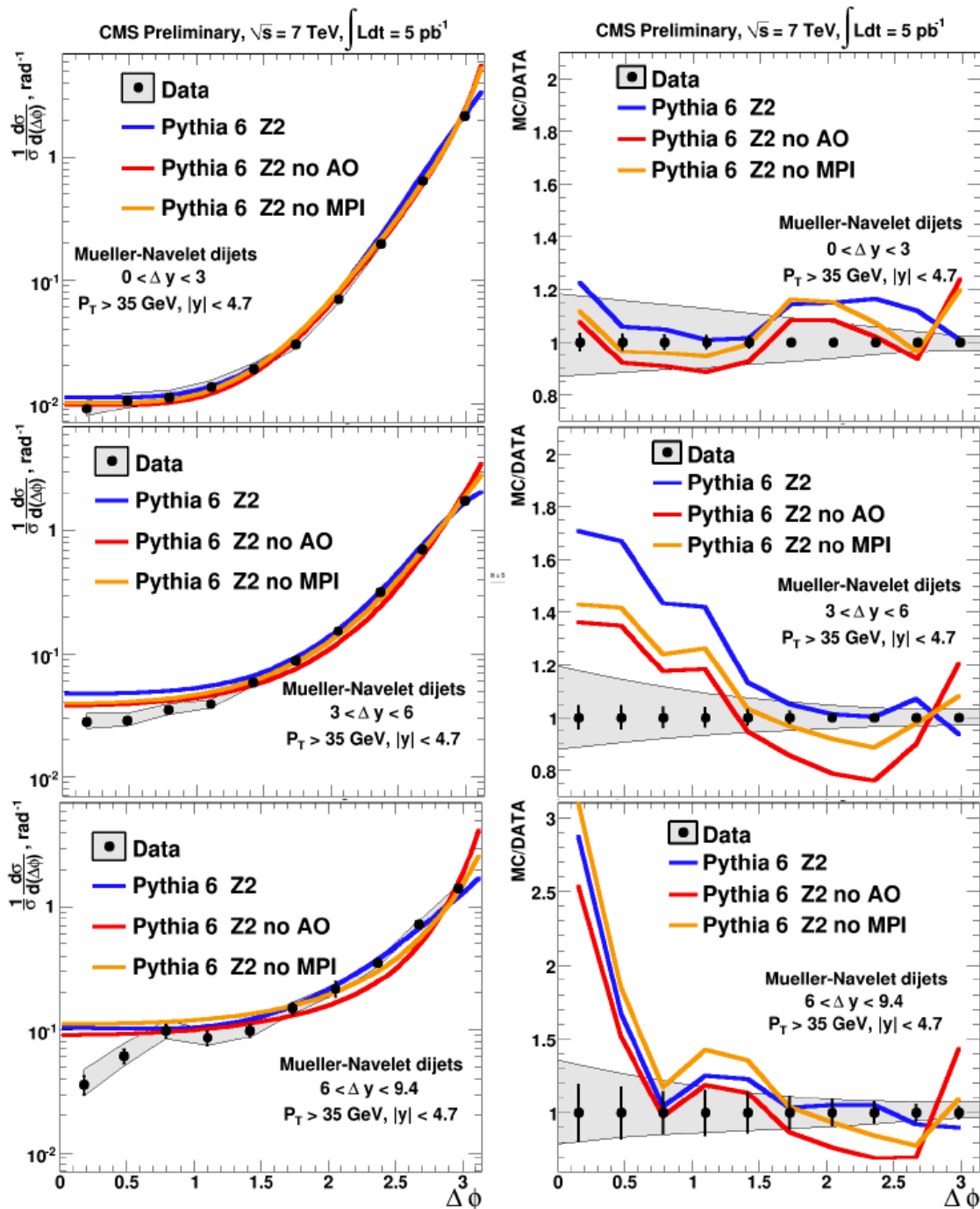
CMS-FSQ-12-002



Events with at least two hard jets with $|\eta| < 4.7$ and $p_{t,jet} > 35$ GeV

Measure azimuthal difference between the two jets with largest rapidity separation selected.

- Larger azimuthal decorrelation with increasing Δy
- Herwig++ provides the best description of data
- Pythia6/8 too large decorrelation
- Sherpa with 4 final state partons – too much correlation
- CASCADE – k_t -factorization based (CCFM) – too strong decorrelations

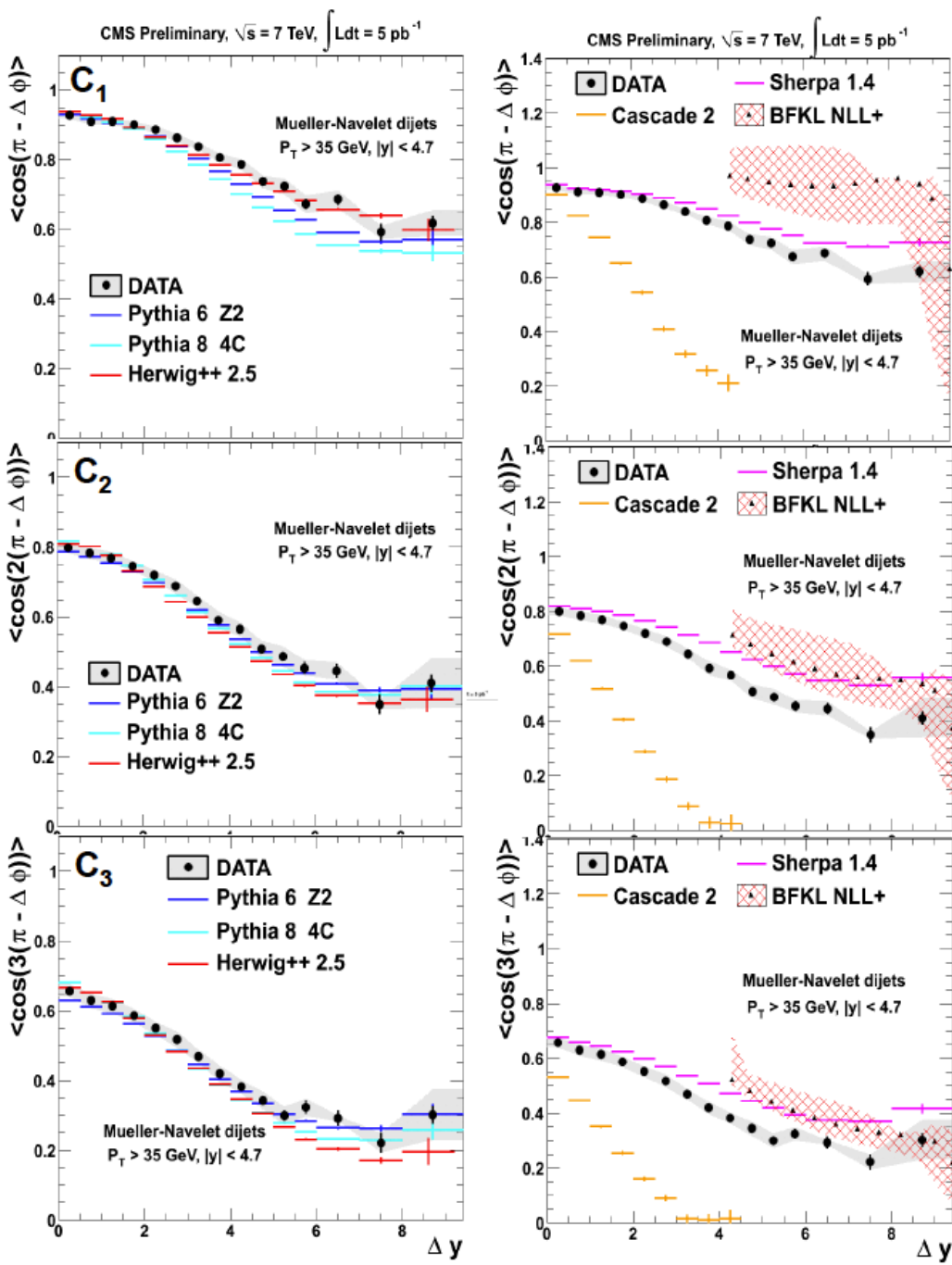


Pythia with and w/o angular ordering (AO) or MPI.

- Switching off angular ordering or MPI
- approximately the same correlation at small Δy
- stronger correlation at medium and large Δy



$$C_N = \langle \cos (N (\pi - \Delta\phi)) \rangle$$



- Fourier coefficients, C_n , expected to be sensitive to properties of non-collinear dynamics

$$C_1 = \langle \cos(\pi - \Delta\phi) \rangle$$

$$C_2 = \langle \cos(2(\pi - \Delta\phi)) \rangle$$

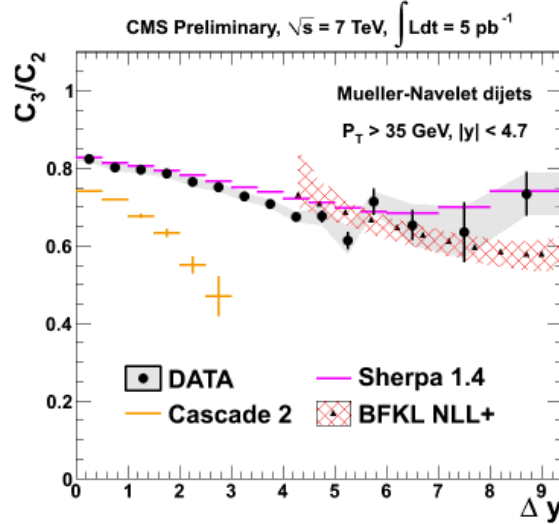
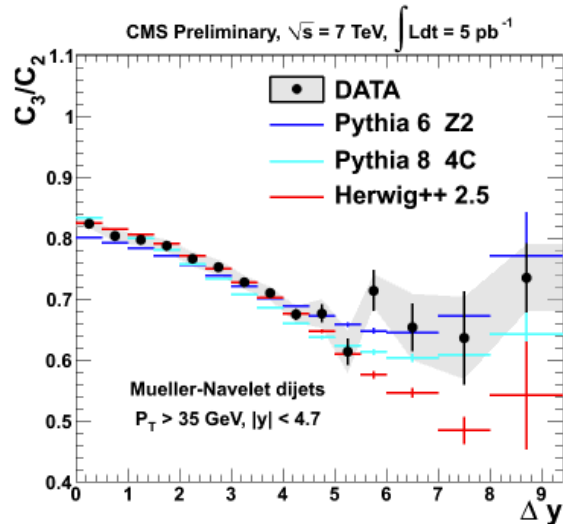
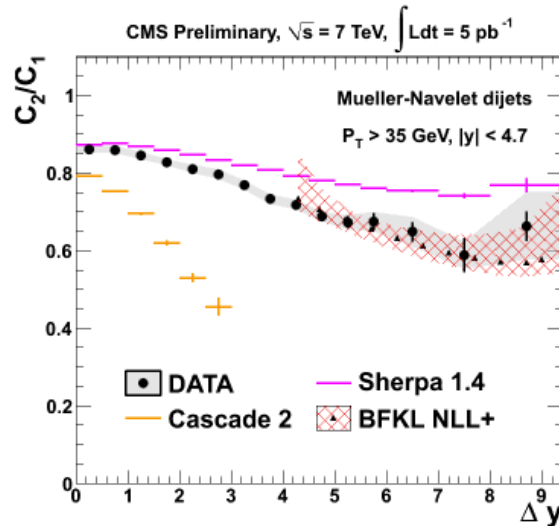
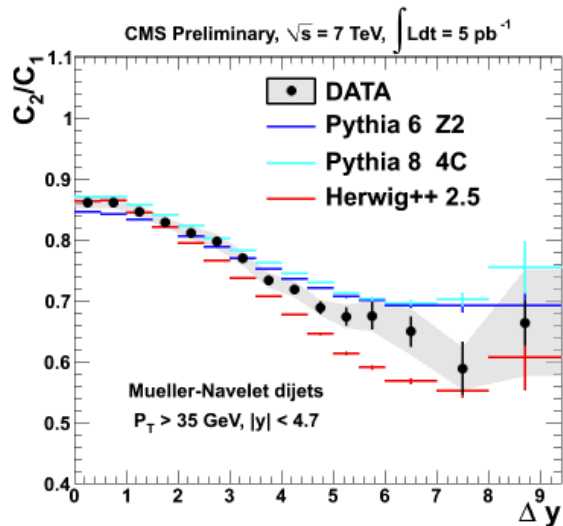
$$C_3 = \langle \cos(3(\pi - \Delta\phi)) \rangle$$

- Herwig++ and Pythia6/8 qualitatively describe $C_N = \langle \cos (N (\pi - \Delta\phi)) \rangle$

- Sherpa overestimates the data

- CCFM based CASCADE predicts too weak angular correlation

- BFKL NLL calculations (arXiv:1302.7012 [Ducloue et al])
 - only valid for $\Delta y > 4$
 - parton level predictions. However, small effect from hadronization compared to systematic uncertainty
 - Too strong angular correlation compared to data

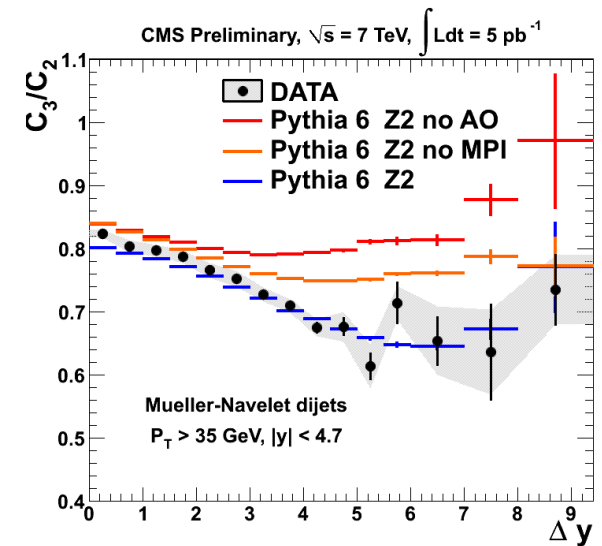
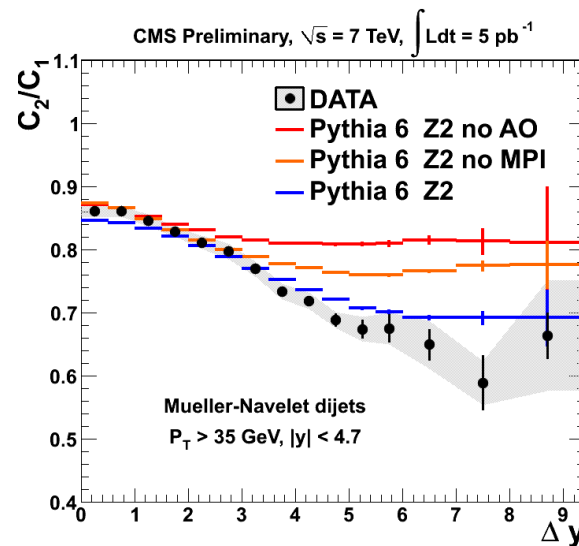
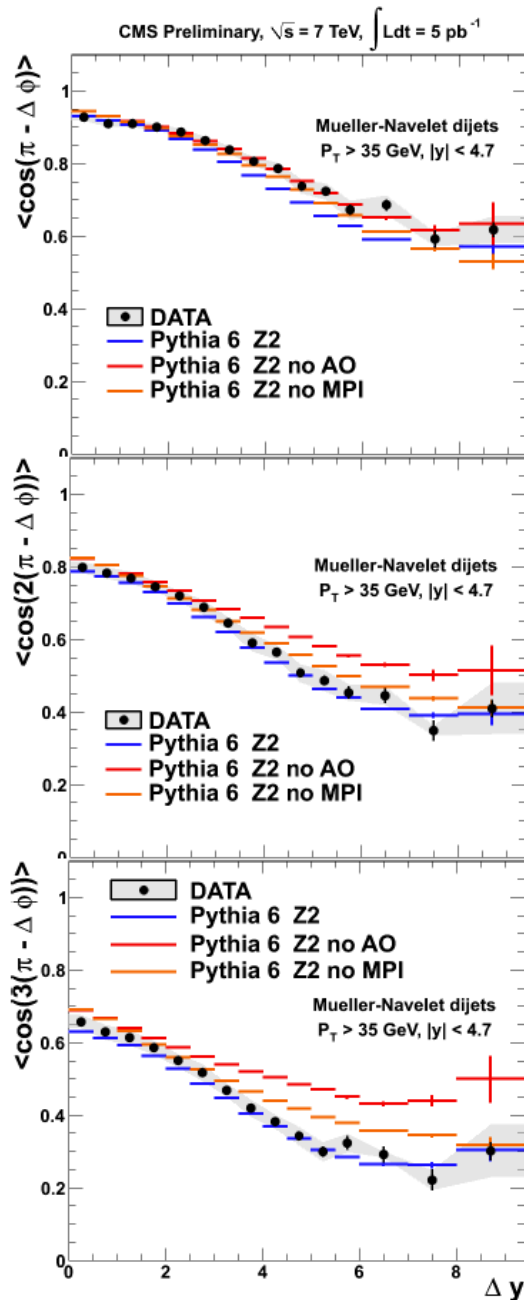


- DGLAP contributions are expected to partly cancel in the C_{n+1}/C_n – ratios.
- C_{n+1}/C_n described by LL DGLAP based generators towards low Δy
- Pythia8, Pythia6 Z2 overestimate C_2/C_1
- Herwig++ underestimate C_2/C_1
- Sherpa overestimates data
- CCFM based CASCADE predicts too small C_{n+1}/C_n
- At $\Delta y > 4$ theoretical BFKL NLL describe in particular C_2/C_1 within uncertainties



Pythia with and w/o angular ordering or MPI.

- AO and MPI improve the description of the data, In particular at high Δy
- C_2/C_1 and C_3/C_2 are more sensitive to AO and MPI conditions



Forward-Central Jet Correlations

Data

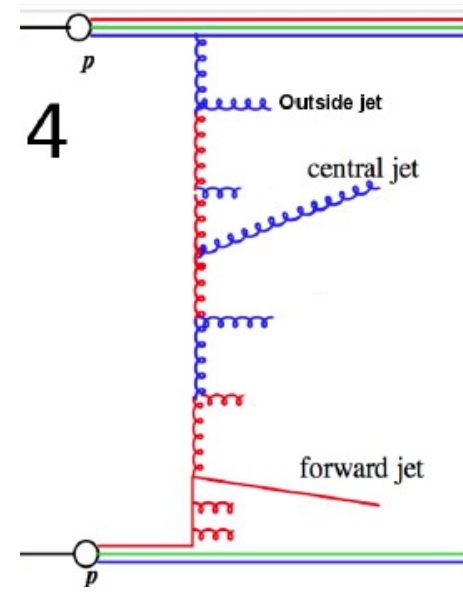
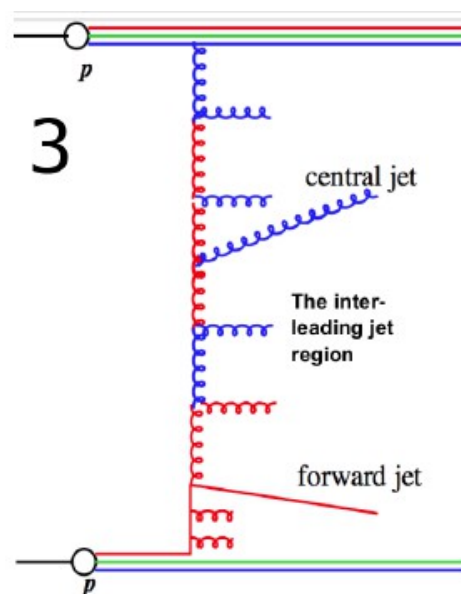
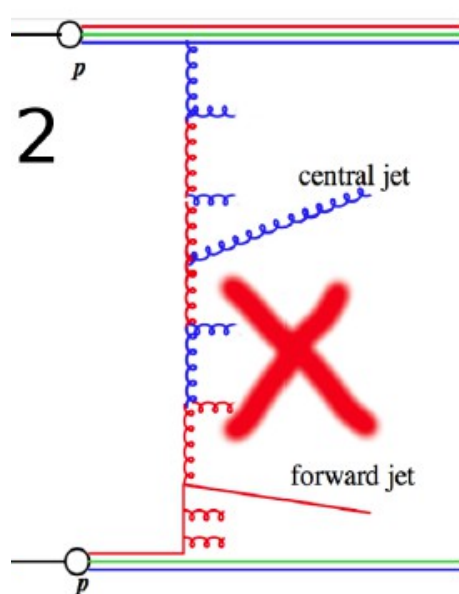
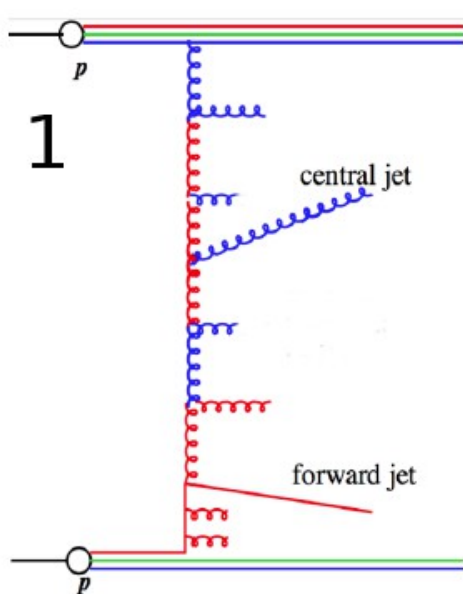
3.2 pb⁻¹ from 2010 low pile-up pp collisions at $\sqrt{s} = 7$ TeV

Physics selection

Events with at least one forward ($3.2 < |\eta| < 4.7$) and at least one central ($|\eta| < 2.8$) jet with $p_T > 35$ GeV

Different scenarios

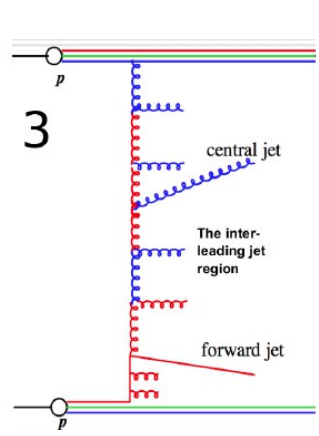
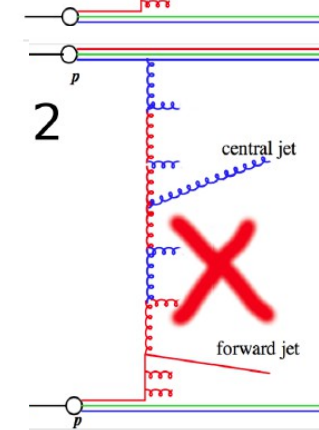
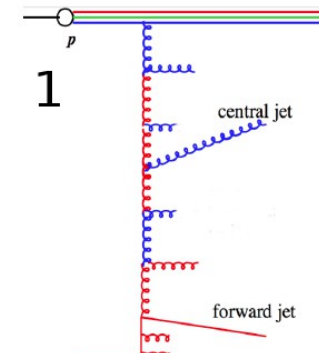
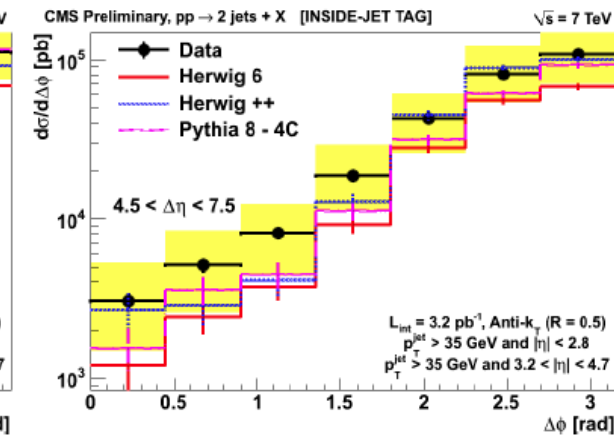
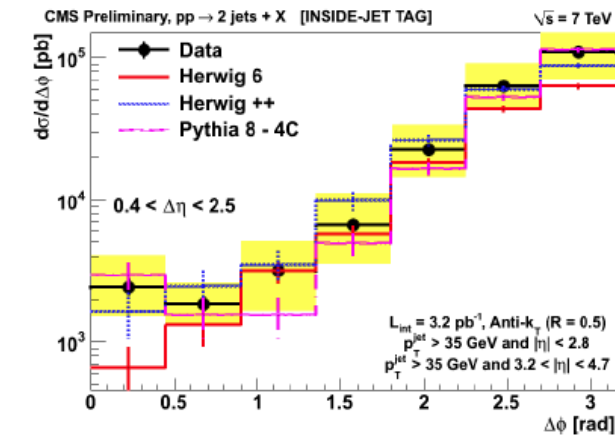
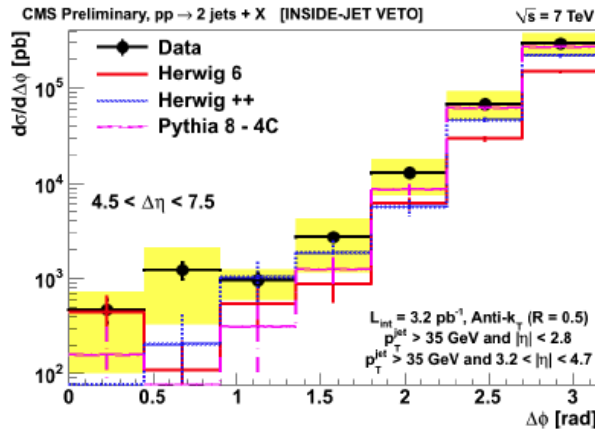
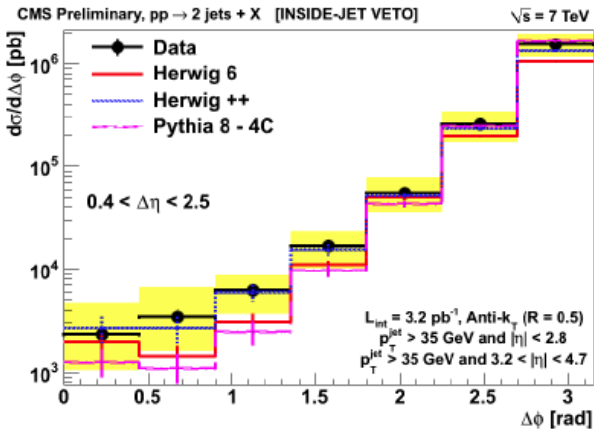
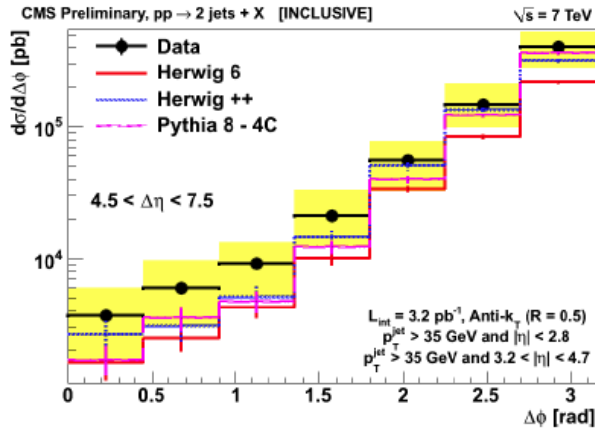
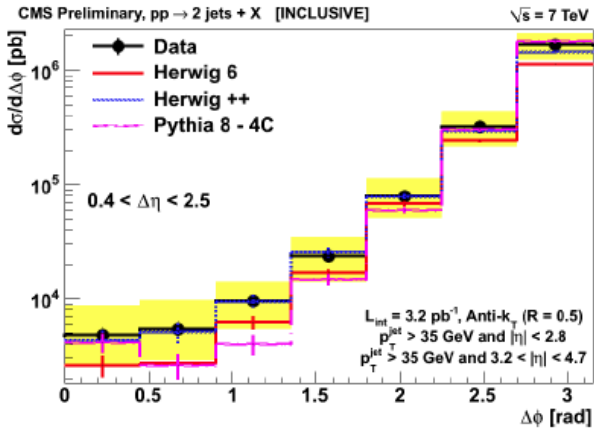
- 1) Inclusive fwd+cntrl jets
- 2) Inside jet veto ($p_{T, \text{inside jet}} < 20$ GeV)
- 3) Inside jet tag ($p_{T, \text{inside jet}} > 20$ GeV)
- 4) Outside jet tag ($p_{T, \text{outside jet}} > 20$ GeV)



$0.4 < \Delta\eta < 2.5$

$4.5 < \Delta\eta < 7.5$

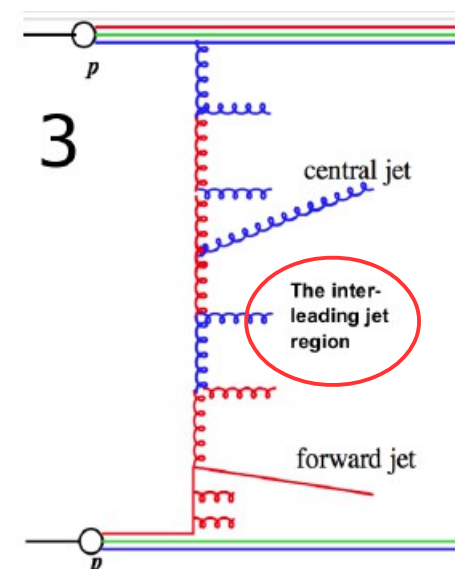
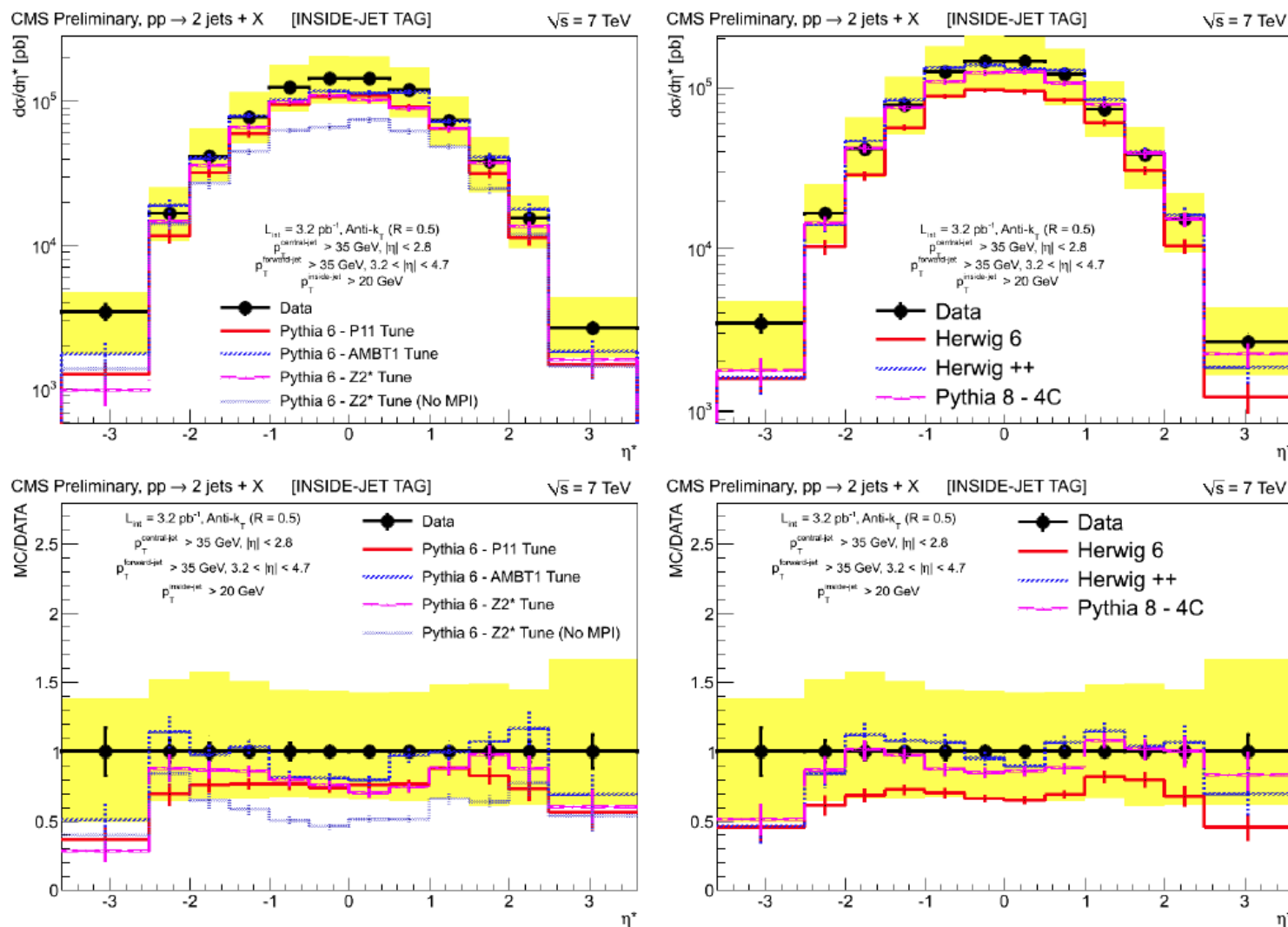
$\Delta\phi$ in bins of $\Delta\eta$
for different scenarios



- All MCs describe the data, considering the fairly large experimental uncertainty

$$\eta^* = \eta_{inside-jet} - (\eta_{central-jet} + \eta_{forward-jet})/2$$

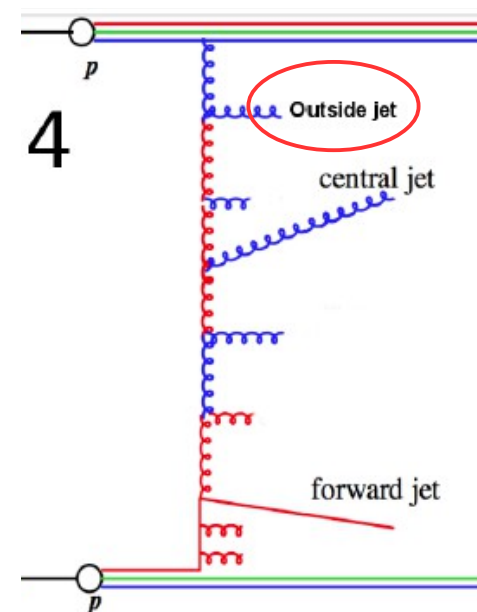
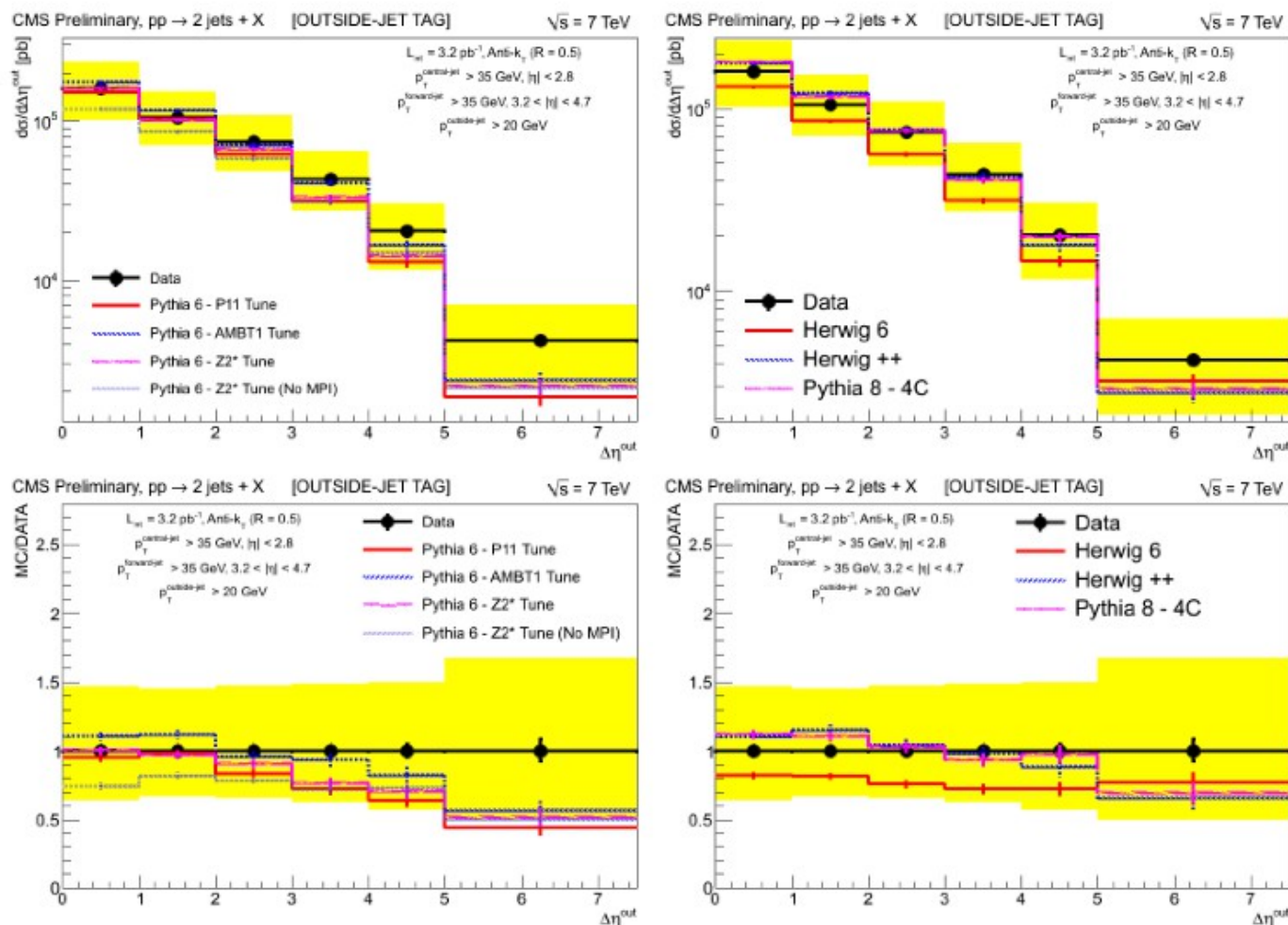
Position of inside jet expected to give additional sensitivity to PS algorithms and color coherence effects.



- MPI largest at central η^* .
- Again, large exp. uncert – MC not separable

$$\Delta\eta^{out} = \min(|\eta_{outside-jet} - \eta_{central-jet}|, |\eta_{outside-jet} - \eta_{forward-jet}|)$$

Expected to give additional sensitivity to PS algorithms and color coherence effects.



Monte Carlo describes the data.



Summary / Conclusions

- **Leading track and leading track-jet event cross-sections at very low P_t**

- Probe the transition from the perturbative to the non-perturbative regions, and are sensitive to the “taming of the cross-section”.
- Difficult to describe by MC models. Cosmic Ray MC EPOS best.
- Difference between the charge particle and the charge particle jet measurement. Jets larger sensitivity to MPI and UE – larger separation between tunes and models.

- **Azimuthal correlations of jets with large rapidity separation**

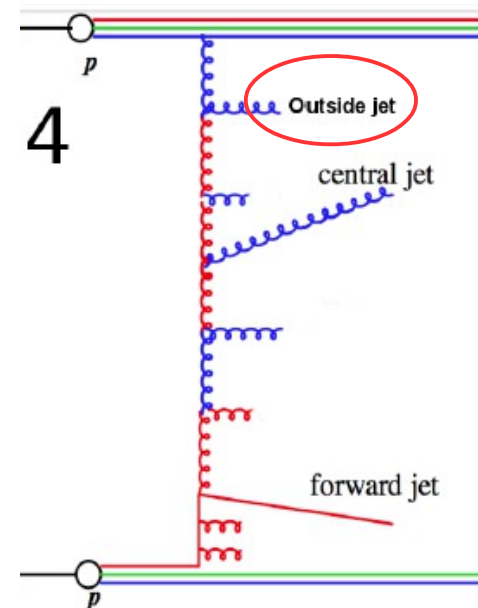
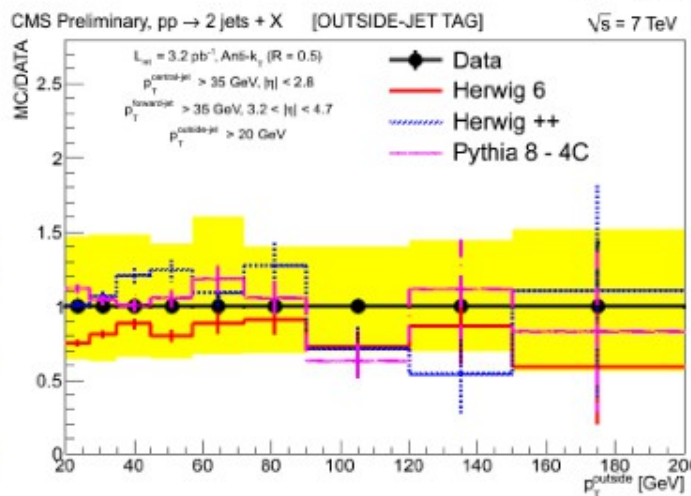
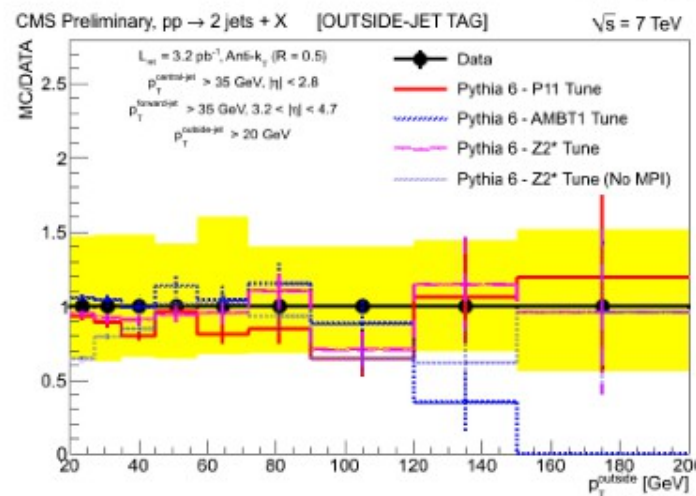
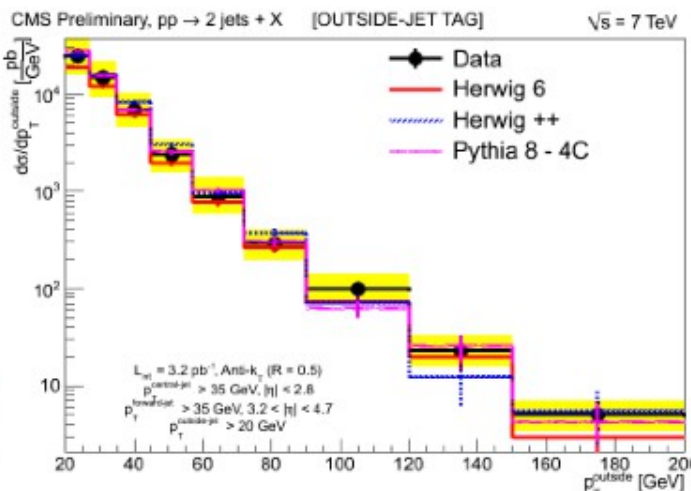
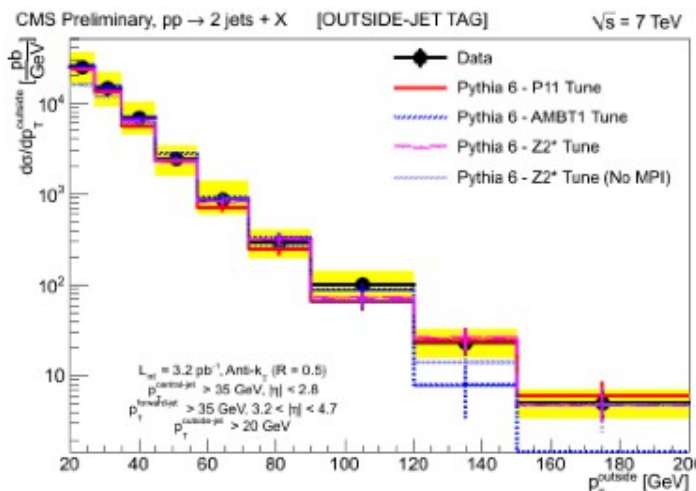
- Azimuthal correlations measured up to $\Delta y < 9.4$.
- Herwig best. Pythia too decorrelated.
- Largest contribution from MPI at small $\Delta\phi$ and large Δy

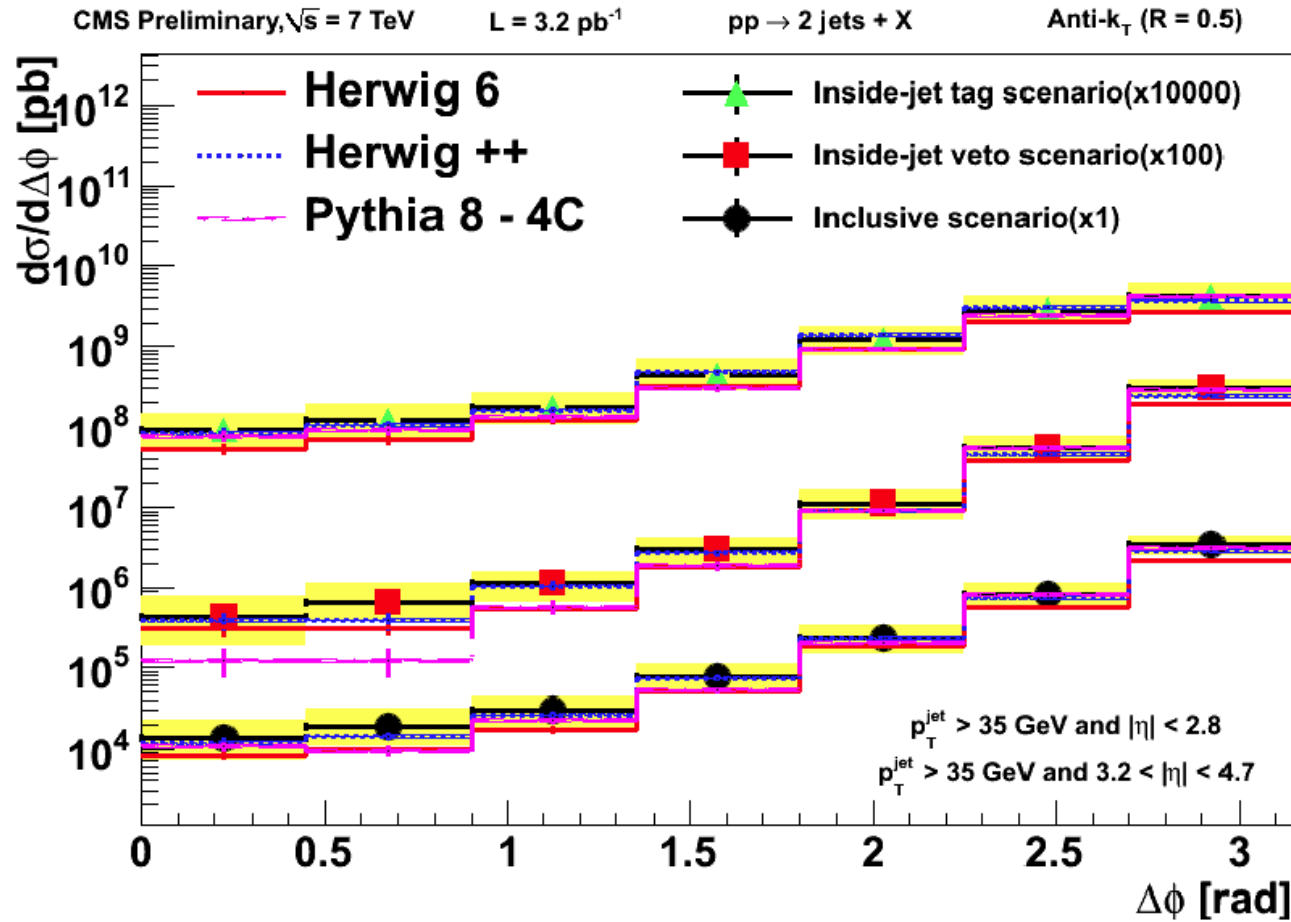
- **Central-Forward Jet Correlations in different scenarios**

- Also properties of additional jets measured
- MPI contribution largest at central η^* (position of inter-leading jet)
- MC describes the data within large exp. uncertainty

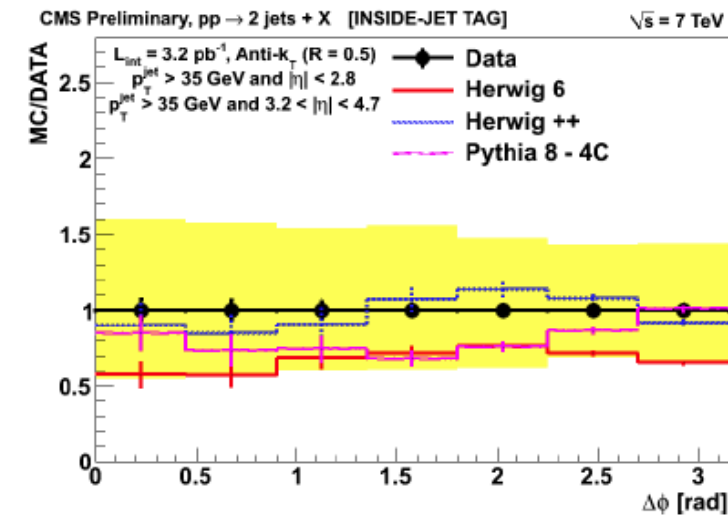
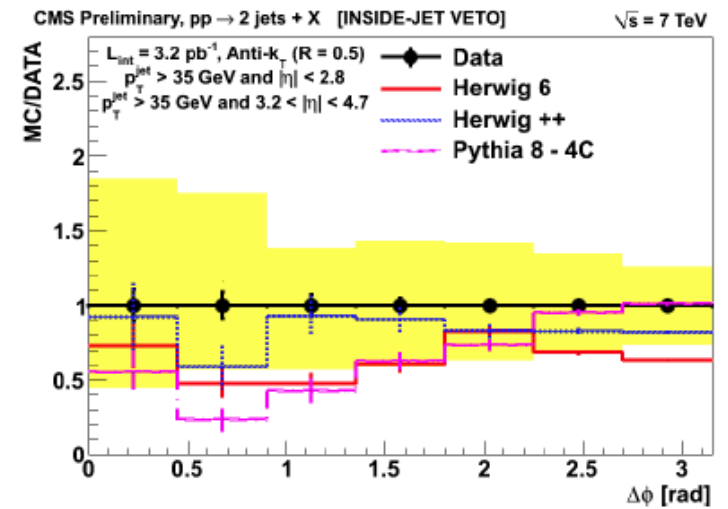
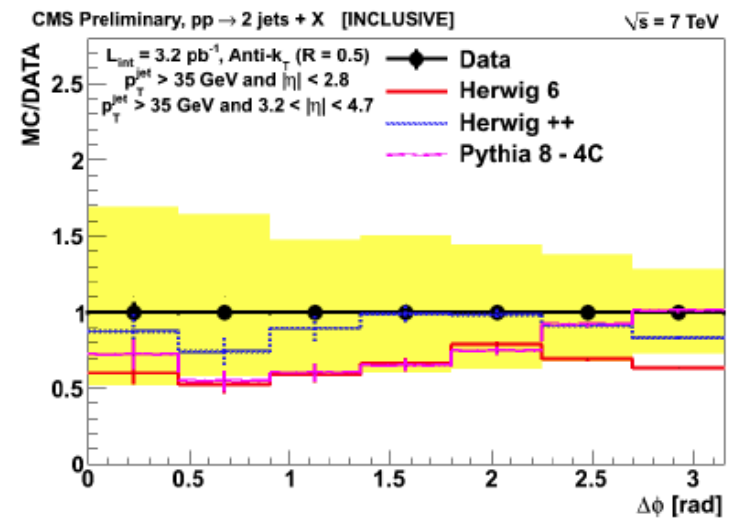


BACKUP





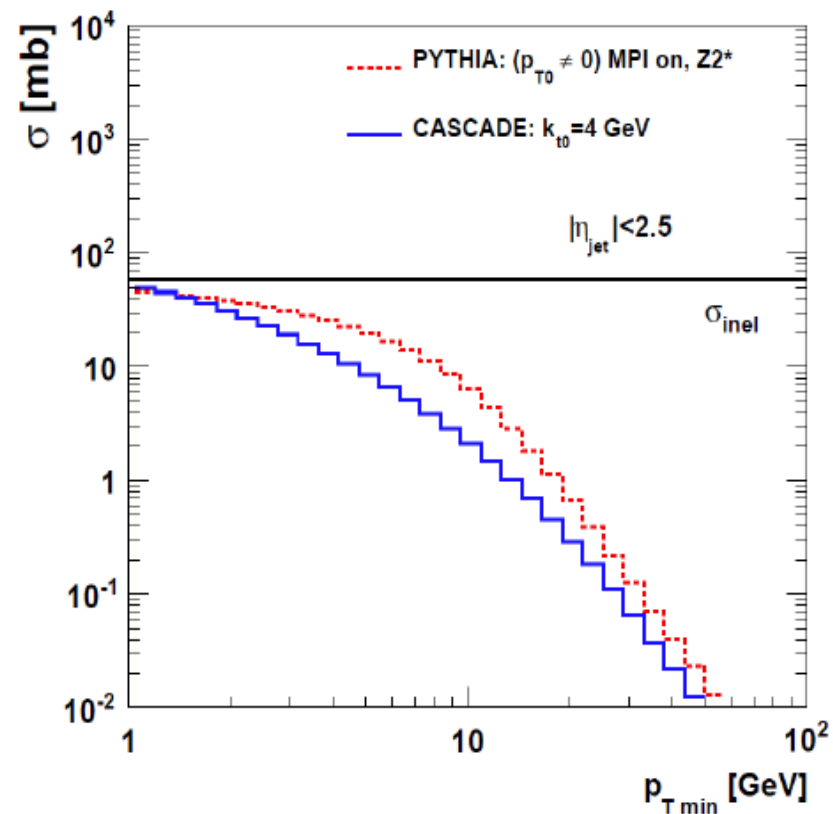
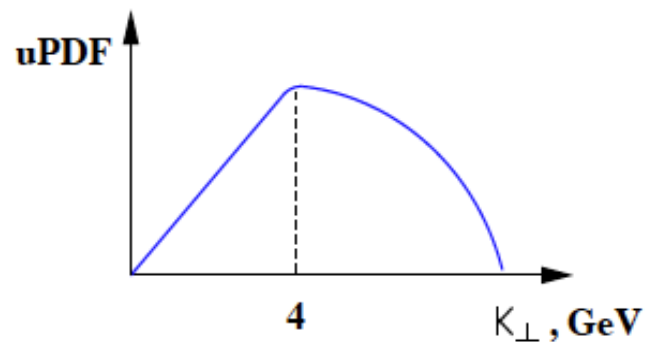
- All tested MCs describe the data, considering the fairly large experimental uncertainty



- Tame the divergence by using saturated PDFs.
- CASCADE. KT-factorization based MC generator.
 - Low-pT behavior from:
 - ME dependence (low- p_T rise from $k_T \ll p_T$, slower rise for k_T)
 - unintegrated PDF $f(x, k_T, \mu)$ - suppression of uPDF at low k_T

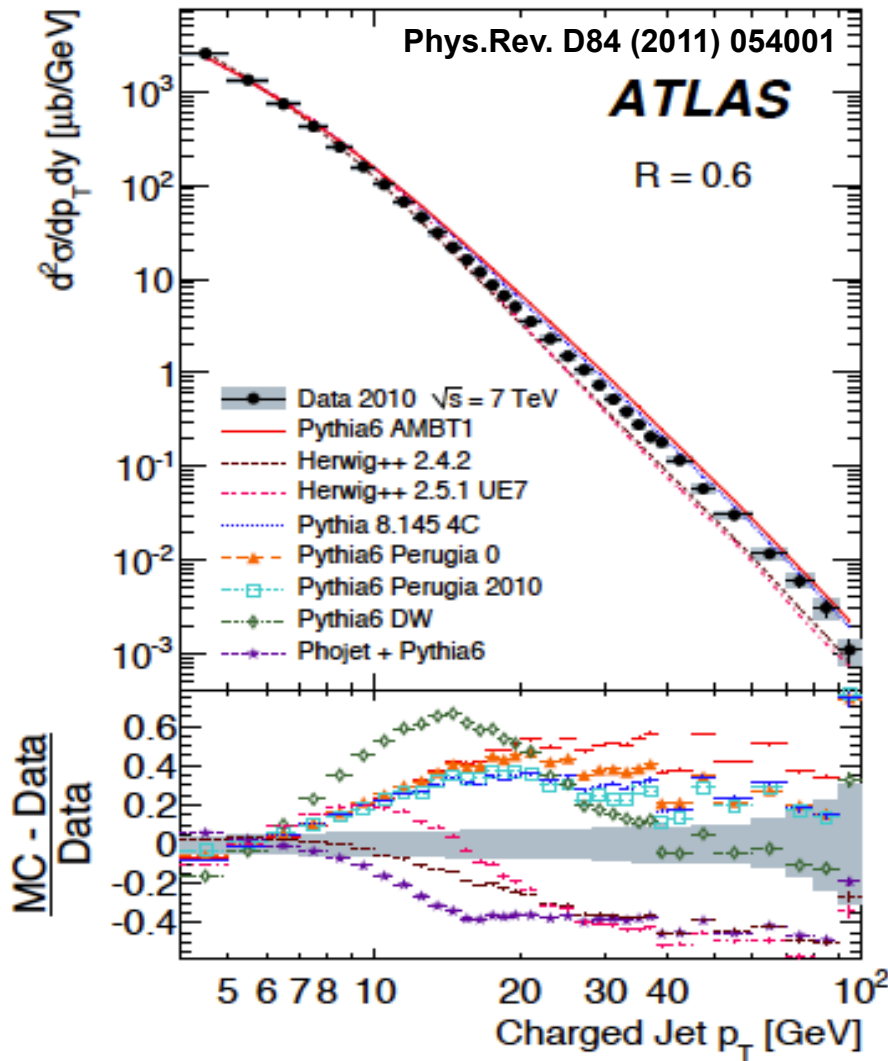
Modification of uPDF such that it goes to 0 for $k_T \rightarrow 0$.

for $k_T \rightarrow 0$:





Normalization discuss ?



(b) $R = 0.6$

Cross-section of jets with
 $4 < p_T < 100$ GeV
 $|\eta| < 1.9$

MC area normalised to data.

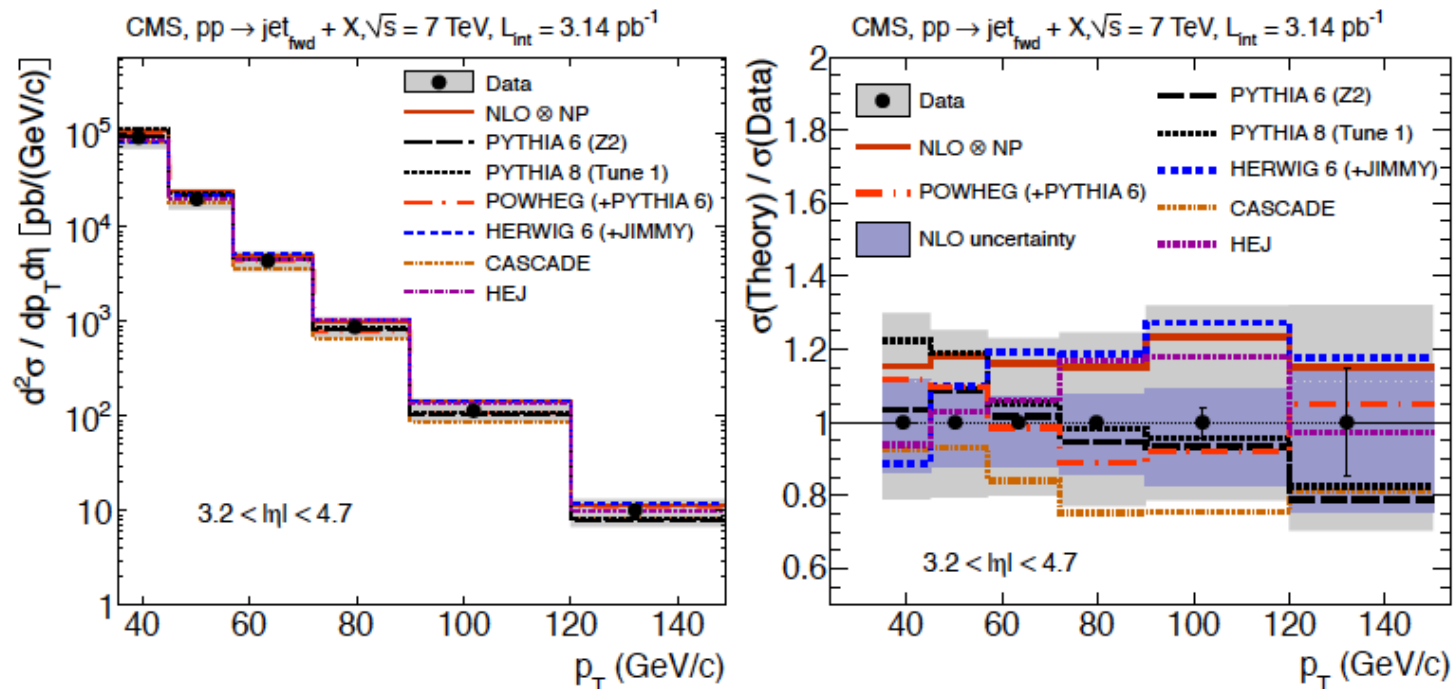


Data well described at low pt.
MC fails at high pt.



Older measurements from CMS

Events with at least one jet with $3.5 < |\eta| < 4.7$ and $p_{t,jet} > 35$ GeV



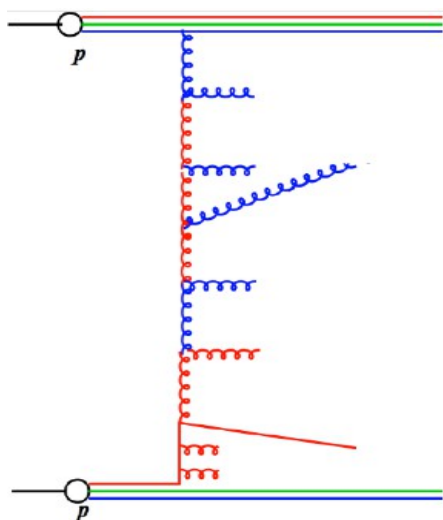
- All predictions describe the data within the uncertainties.
- NLO prediction (NLOJET++) too high, but agrees with the data within the large theoretical and experimental uncertainties.
- NLO+PS (POWHEG+PYTHIA6) best.

Events with at least one jet with

- $3.5 < |\eta| < 4.7$
- $p_{T,jet} > 35$ GeV

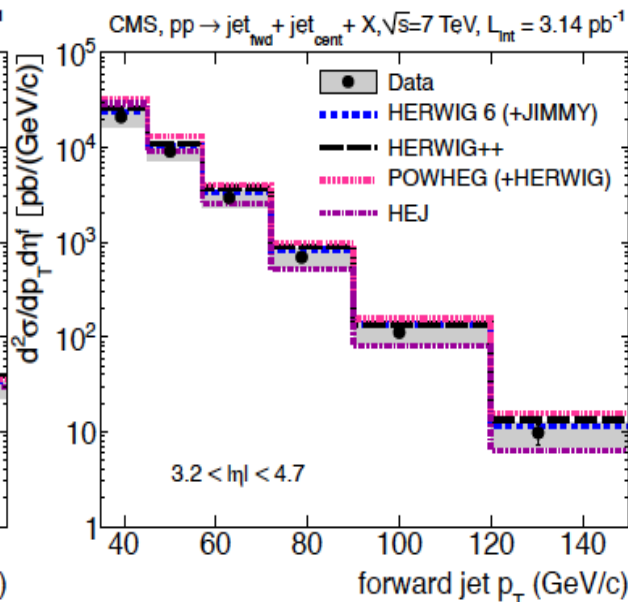
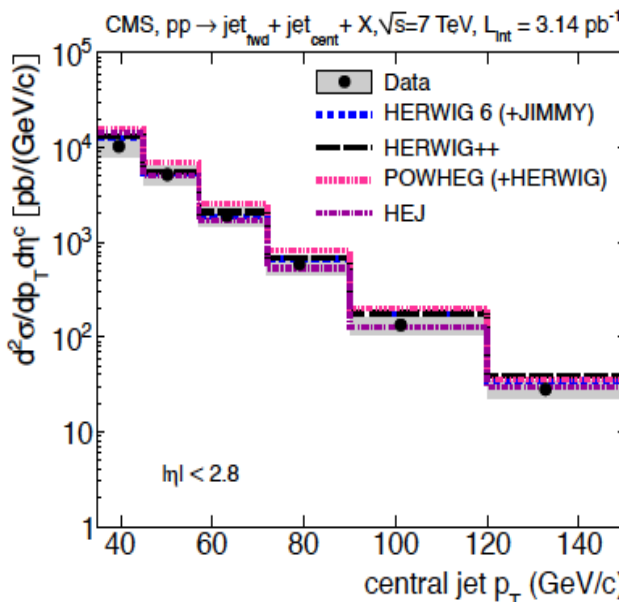
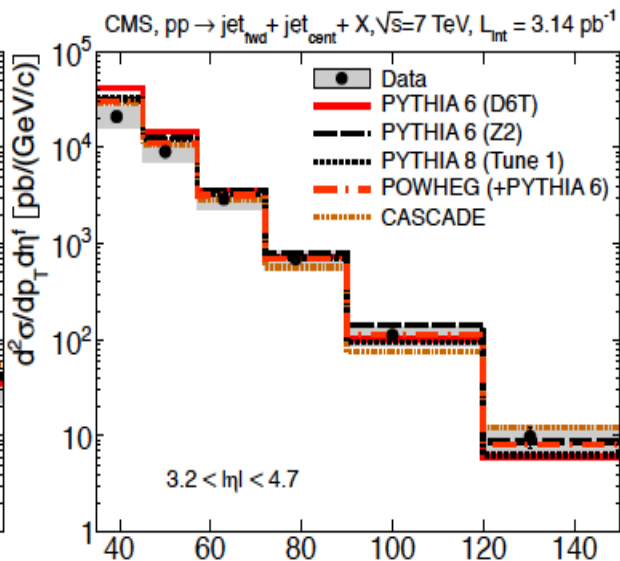
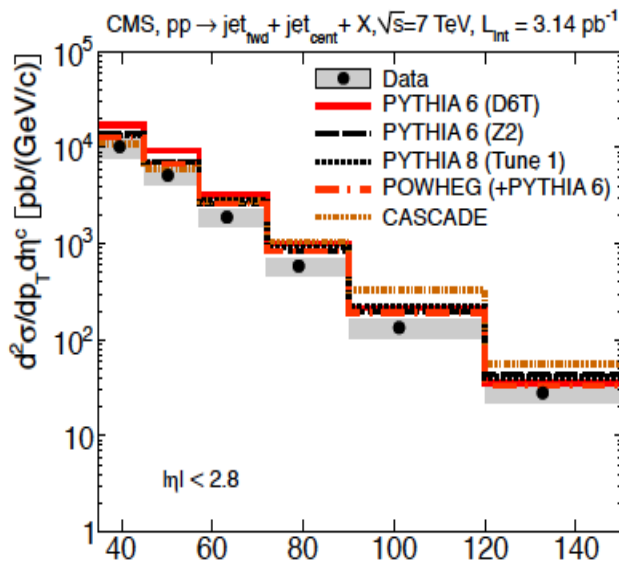
and one central jet with

- $|\eta| < 2.8$
- $p_{T,jet} > 35$ GeV

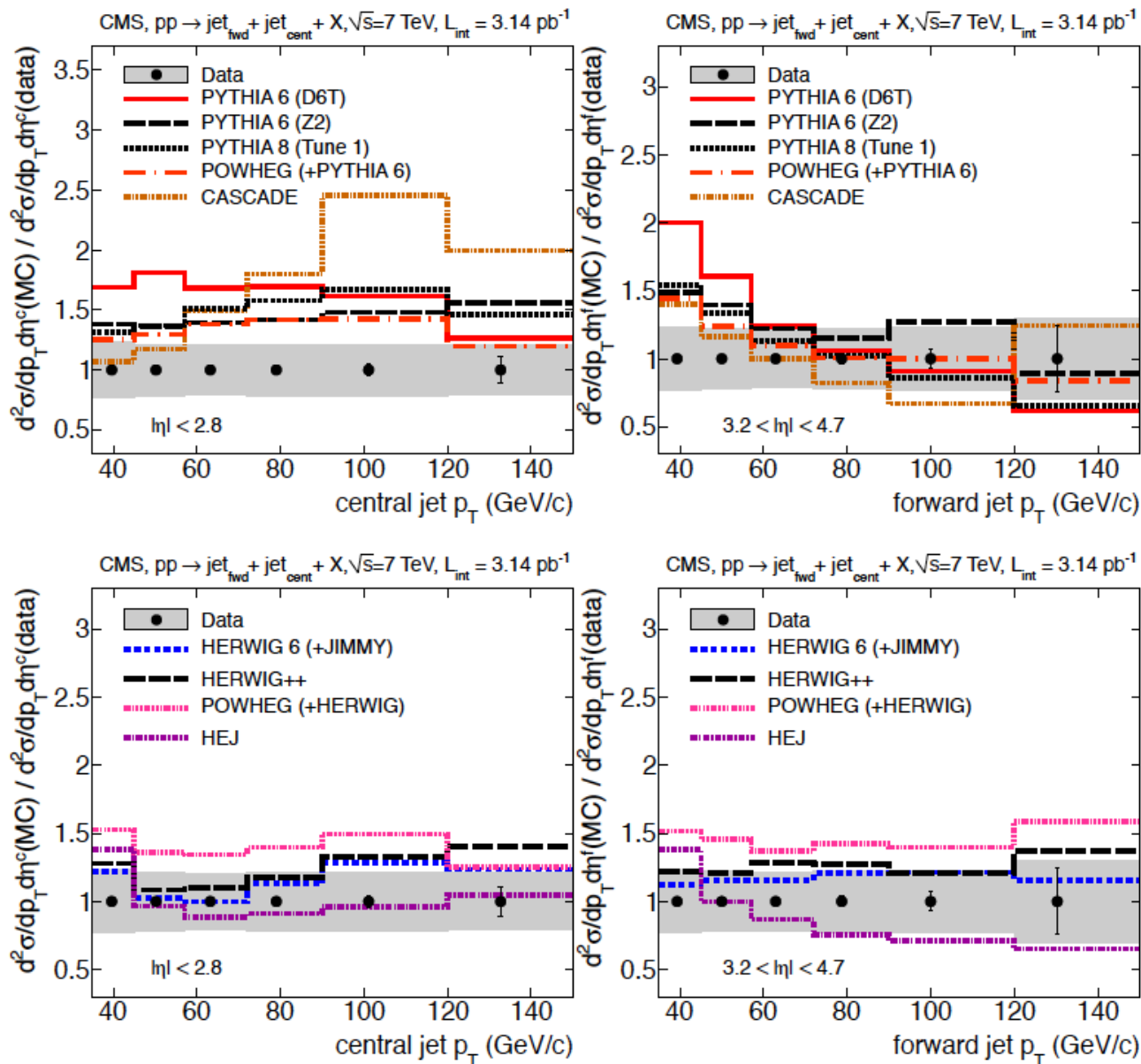


• Forward jet cross-section somewhat steeper than central jet cross-section.

• Comparison to several generators. (ratios on next slide)



- Difference in MC description of data between the forward and the central jet.
- Largest shape difference for forward jet.
- Pythia6 and Pythia8, as well as CCFM based CASCADE problem with normalization of the central jet and shape of the forward jet.
- Herwig6, Herwig++, and the BFKL inspired MC HEJ describe the data best.





Inclusive over Exclusive Di-jet Cross-section



Jets reconstructed with the anti-kT algorithm (R=0.5)

$p_{t,jet} > 35 \text{ GeV}$ and $|\eta_{jet}| < 4.7$

Eur. Phys. J. C72 (2012) 2216
arXiv:1204.0696

Observable: Rapidity difference between jets, Δy

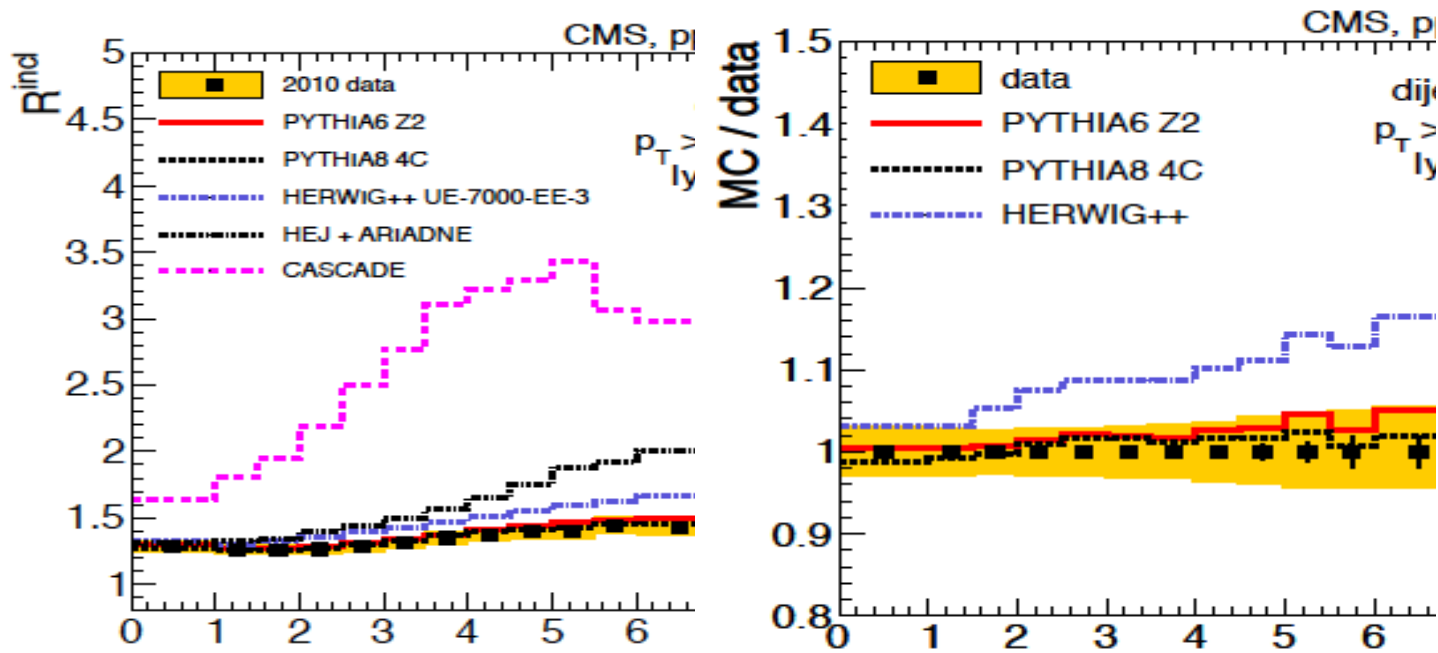
Inclusive jets: All jet pairs in the events considered

Exclusive jets: Events with exactly two jets above the threshold

Mueller-Navelet jets: Most forward and backward jet in the inclusive sample

$$R = \frac{\sigma_{dijet}(\text{inclusive})}{\sigma_{dijet}(\text{exclusive})}$$

$$R = \frac{\sigma_{dijet}(\text{MN})}{\sigma_{dijet}(\text{exclusive})}$$



- Increasing $\Delta y \rightarrow$ Larger phase space for radiation
- Pythia6 (Z2) and Pythia8 (4C) agrees well with data
- Herwig++ (EE3) and HEJ+Ariadne too high at high Δy
- Small effect from MPI (not shown)
- Cascade off

Jets reconstructed with the anti-kT algorithm (R=0.5)

$p_{t,jet} > 35$ GeV and $|\eta_{jet}| < 4.7$

Observable: Rapidity difference between jets, Δy

Inclusive jets: All jet pairs in the events considered

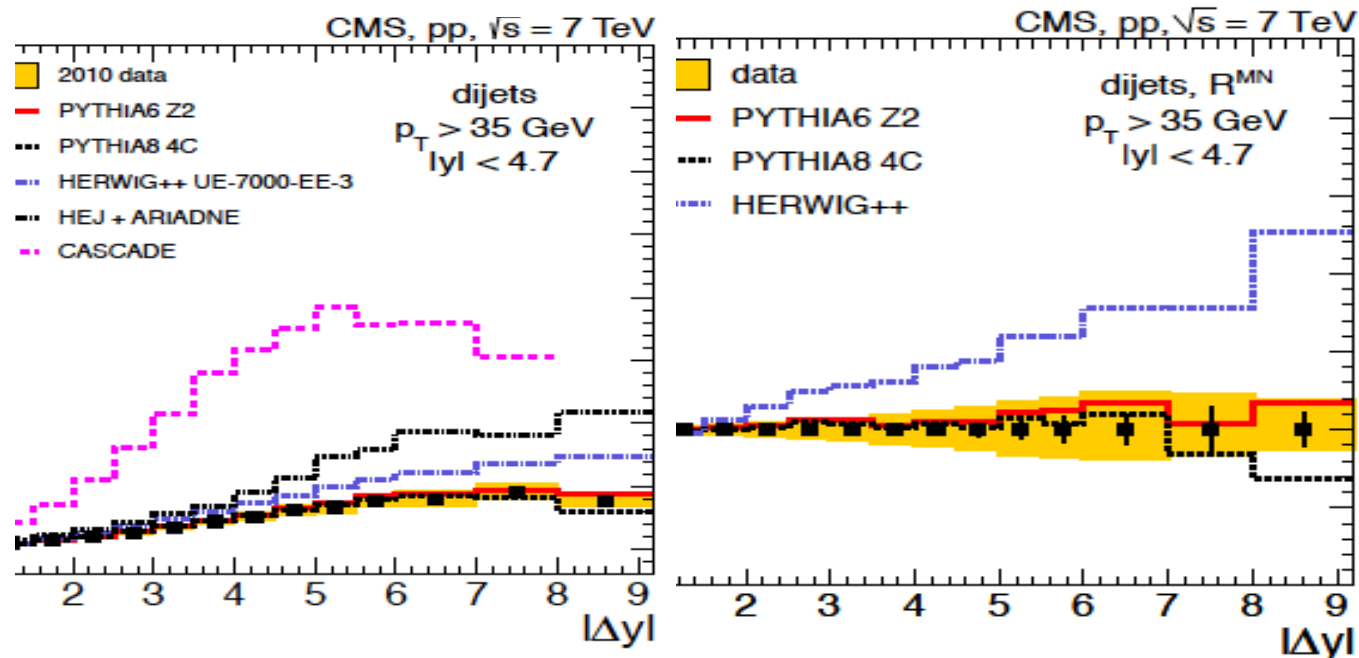
Exclusive jets: Events with exactly two jets above the threshold

Mueller-Navellet jets: Most forward and backward jet in the inclusive sample

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$$R = \frac{\sigma_{dijet}(\text{inclusive})}{\sigma_{dijet}(\text{exclusive})}$$

$$R = \frac{\sigma_{dijet}(\text{MN})}{\sigma_{dijet}(\text{exclusive})}$$



- Low Δy : Ratio(MN/exclusive) per definition *smaller* than Ratio(inclusive/exclusive)
- High Δy : Ratio(MN/exclusive) per definition *same* than Ratio(inclusive/exclusive)
- MC data comparison: same conclusion as on previous slide

General conclusion: No visible effects beyond collinear factorization + LL parton-showers