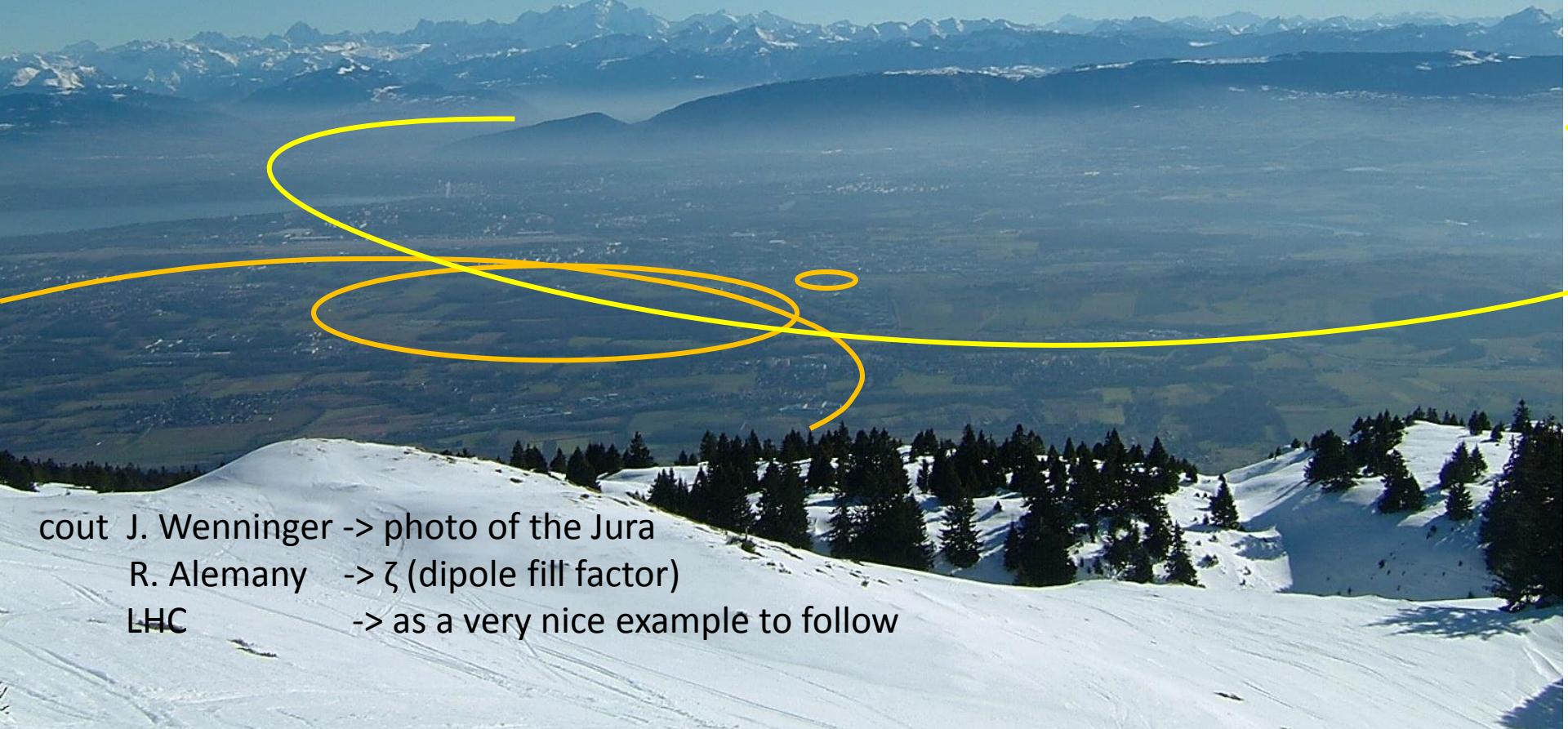




FCC-pp - Collider

First Look at the Arc Lattice



cout J. Wenninger -> photo of the Jura
R. Alemany -> ζ (dipole fill factor)
LHC -> as a very nice example to follow

Where do we come from ??

LHC parameters:

energy	7000 GeV
dipole magnets	$N = 1232$
dipole length	$l = 14.3 \text{ m}$

dipole field $\int B \, dl \approx N l B = 2\pi p/e$

$$B \approx \frac{2\pi \cdot 7000 \cdot 10^9 \text{ eV}}{1232 \cdot 15 \text{ m} \cdot 3 \cdot 10^8 \frac{\text{m}}{\text{s}}} = 8.3 \text{ Tesla}$$



Basic Cell:

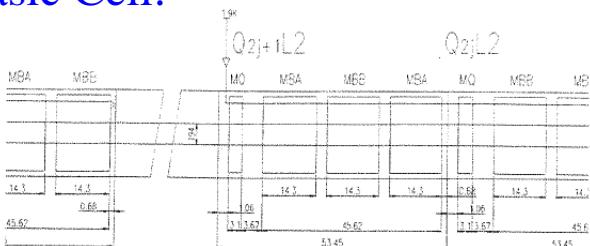
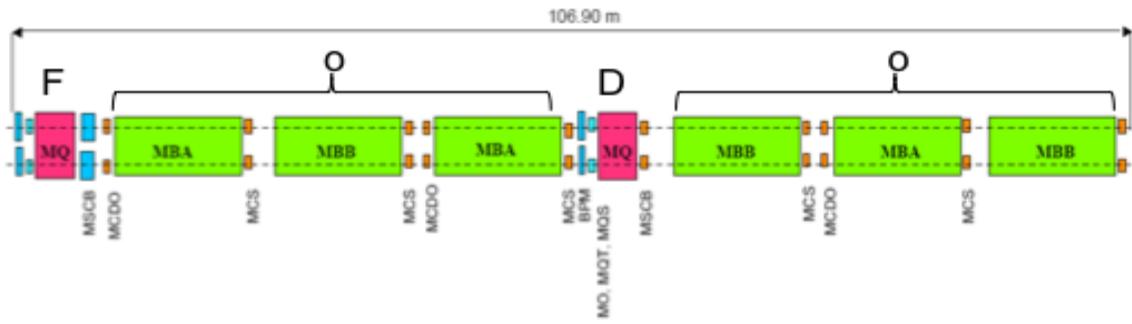


Figure 3.1: Schematic layout of an LHC half-cell



For the time being we keep the magnet distances as in the case of LHC. tbcccc

How do we start ??

first scalings from LHC

bare aperture considerations

LHC arc:

$$\varepsilon_n = 3.5 \cdot 10^{-6} \text{ m rad}$$

$$\rightarrow \varepsilon_0 = 7.3 \cdot 10^{-9} \text{ m rad} \quad \dots \text{at 450 GeV inj energy}$$

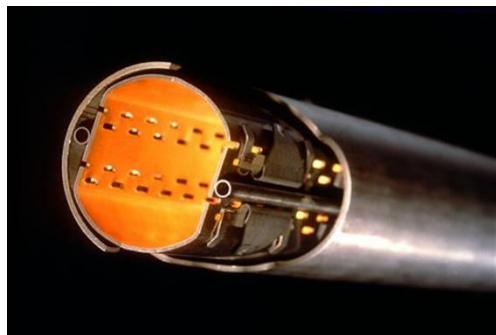
$$\rightarrow \varepsilon_0 = 5 \cdot 10^{-10} \text{ m rad} \quad \dots \text{at 7 TeV flat top energy}$$

$$\hat{\beta}_x = \hat{\beta}_y \approx 180 \text{ m} \quad \rightarrow \quad 1\sigma(\text{inj}) = 1.1 \text{ mm}$$

$$\hat{D} \approx 2 \text{ m}$$

Beam pipe:

$$\left. \begin{array}{l} a_0 = 56 \text{ mm} \\ \text{beam screen: } 34 * 44 \text{ mm}^2 \end{array} \right\} \rightarrow r_{\min} = 17 \text{ mm} \approx 15\sigma$$



Scaling for FCCpp

magnet aperture scaled down 56mm -> 40mm

- 1.) assumption: same rule holds for the future beam screen $\rightarrow r_{\min} = 12\text{mm}$
- 2.) normalised emittance a la LHC

$$\varepsilon_n = 3.75 \cdot 10^{-6} \text{ m rad}$$

injection energy = 3 TeV ... to be discussed

$$\rightarrow \varepsilon_0 = 9.4 \cdot 10^{-10} \text{ m rad}$$

- 3.) we keep the required free aperture

$$n_\sigma = 15 = \frac{r_{\min}}{\sqrt{\varepsilon \beta}} \rightarrow \hat{\beta} < 680 \text{m}$$

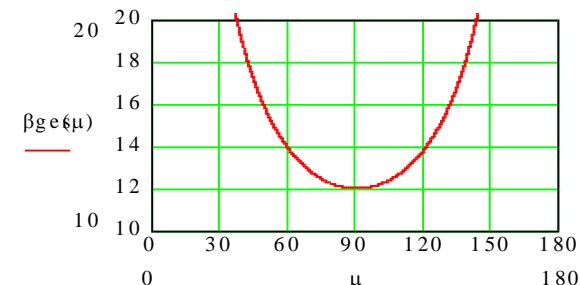
Very first Attempt:

FoDo design for $\beta = 600\text{m}$

$$\hat{\beta} = \frac{(1 + \sin \psi_{cell})L}{2} \quad \beta = \frac{(1 - \sin \psi_{cell})L}{2}$$

phase advance: optimum for $\psi_{cell} = 90^\circ$

$$\Rightarrow L_{cell} = 350\text{m}$$



Scaling for FCCpp

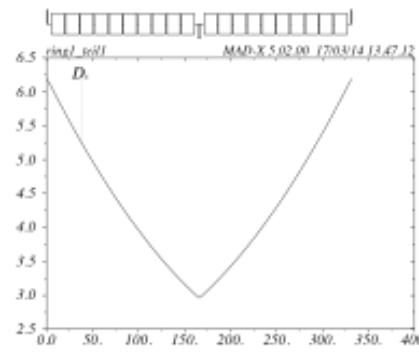
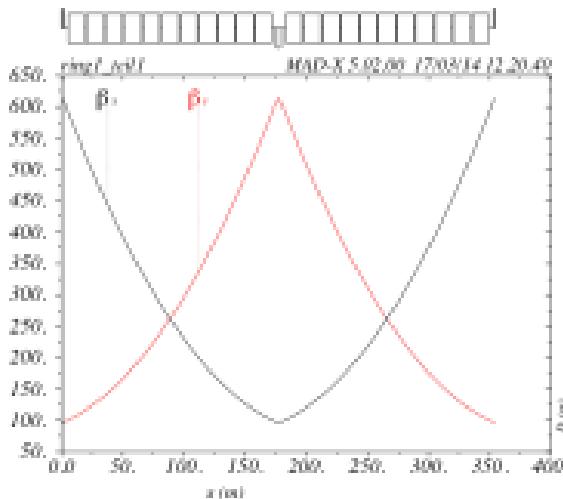
Magnets

4.) assumption: dipole B-field increased by factor 2 (Nb_3Sn) -> $B_0=16T$ $B = \frac{\mu_0 n I}{h}$

5.) Quadrupole Magnets:

$$k = \frac{g}{B\rho} = \frac{B_0}{r_a} \rightarrow \frac{k_{Fcc}}{K_{LHC}} \approx 0.4 \quad \dots \text{to be discussed / to be checked / to be re-iterated}$$

6.) V0 Optics $L_{cell}=350m$ $\sin(\psi_{cell}/2) = \frac{L_{cell}}{4f} \rightarrow k_{Fcc} = 2.6 \cdot 10^{-3} \leftrightarrow k_{LHC} = 8.9 \cdot 10^{-3}$



$$l_q \approx 3m$$

Pushing the limit (Dipole Fill Factor):

22 dipoles per cell, $l_{dipole}=14.0m$

19 cells per arc

12 arcs

dipole field = 15T <-> 50TeV
or 16T <-> 53.33TeV

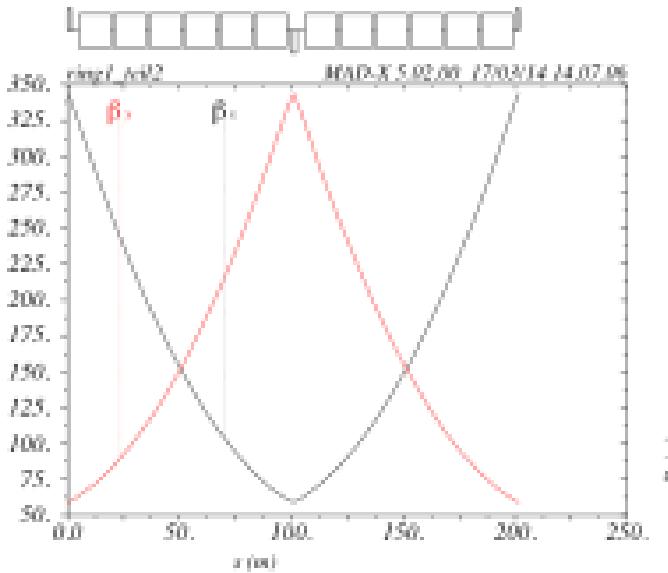
5016 dipoles

drifts a la LHC: dipole-quad=3.6m
dipole-dipole=1.3m

$$\zeta = \frac{L(\Sigma_{\text{dipoles}})}{L_{cell}} = 87\%$$

Scaling for smaller Cell Length: FCCpp

Cell Length $\approx 2 * LHC\text{-Cell}$
 „... the other extreme“



Realistic compromise:

$$L_{\text{cell}} \approx 2 * L_{\text{cell}}(\text{LHC})$$

12 dipoles per cell

19 cells per arc

12 arcs

4608 dipoles

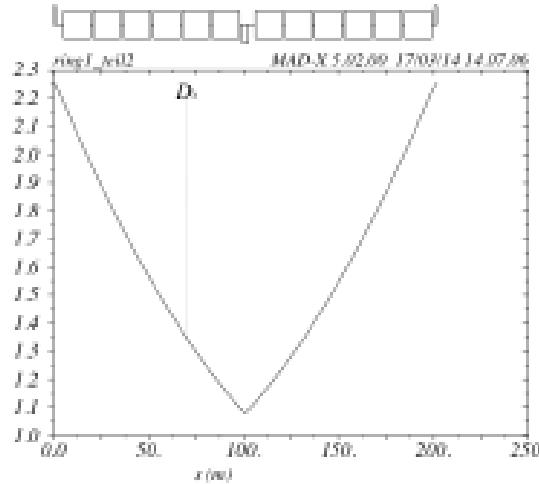
dipole length=14.2m

drifts a la LHC: dipole-quad=3.6m

dipole-dipole=1.3m

dipole field =16T <--> 50TeV

cell length=202m



$$\zeta = \frac{L(\Sigma_{\text{dipoles}})}{L_{\text{cell}}} = 84\%$$

Dipole Fill Factor: ζ

For each cell length there is an optimum β_{max}

and there is an optimum dipole length to fit in a integer number of magnets
and to optimise for $E=50\text{TeV}$ the fill factor

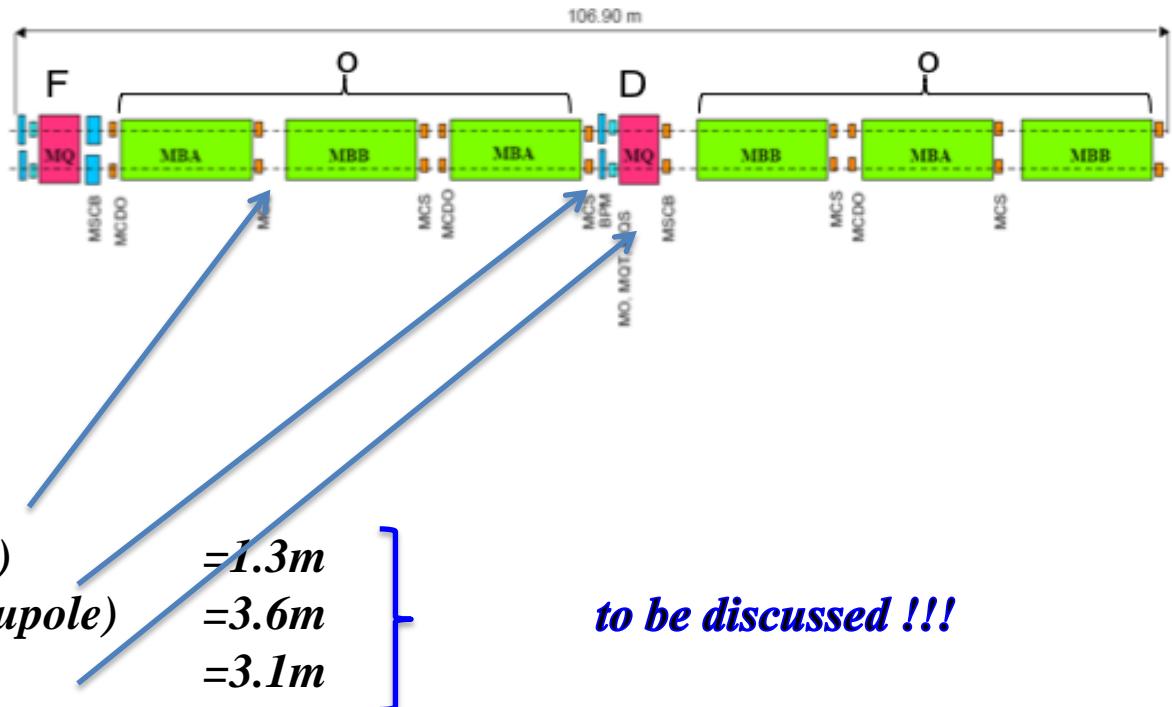
Ingredients:

Variables:

- dipole length
- dipole number
- cell length

Constants (??):

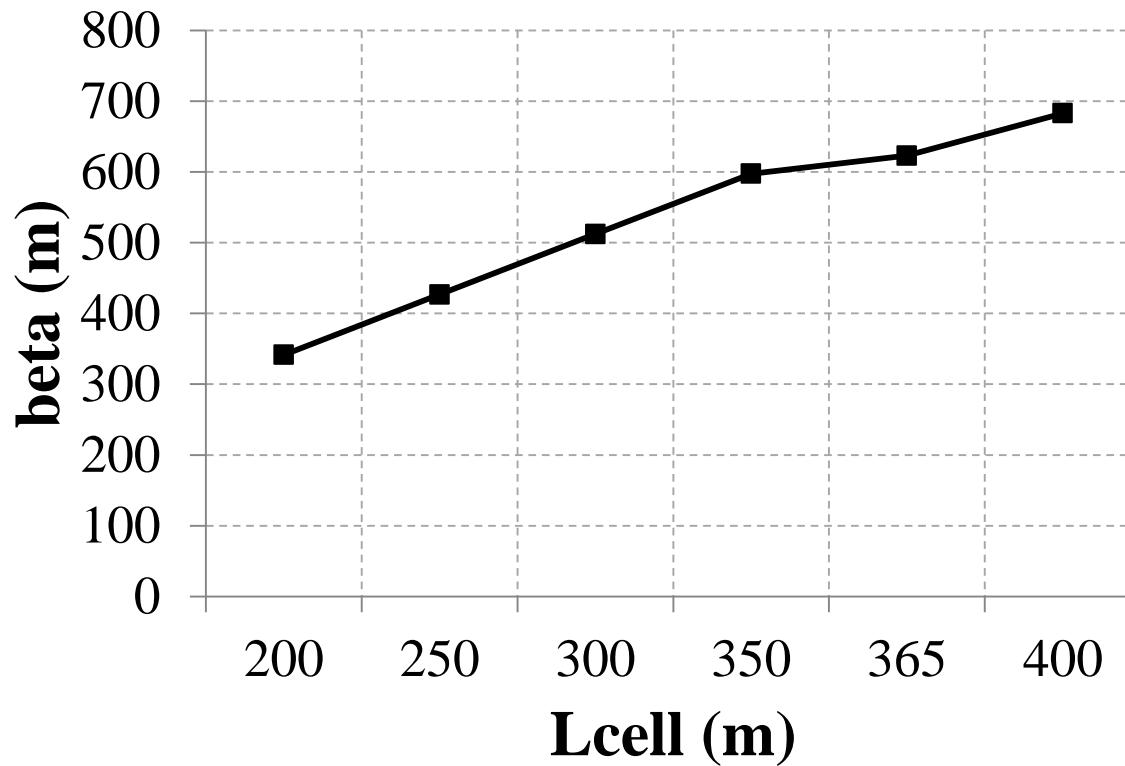
- drift (dipole-dipole)
- drift (dipole-quadrupole)
- quadrupole length



Cell Length and β function:

$$\hat{\beta} = \frac{(1 + \sin \psi_{cell}) L_{cell}}{2}, \quad \sin(\psi_{cell}/2) = \frac{L_{cell}}{4f}$$

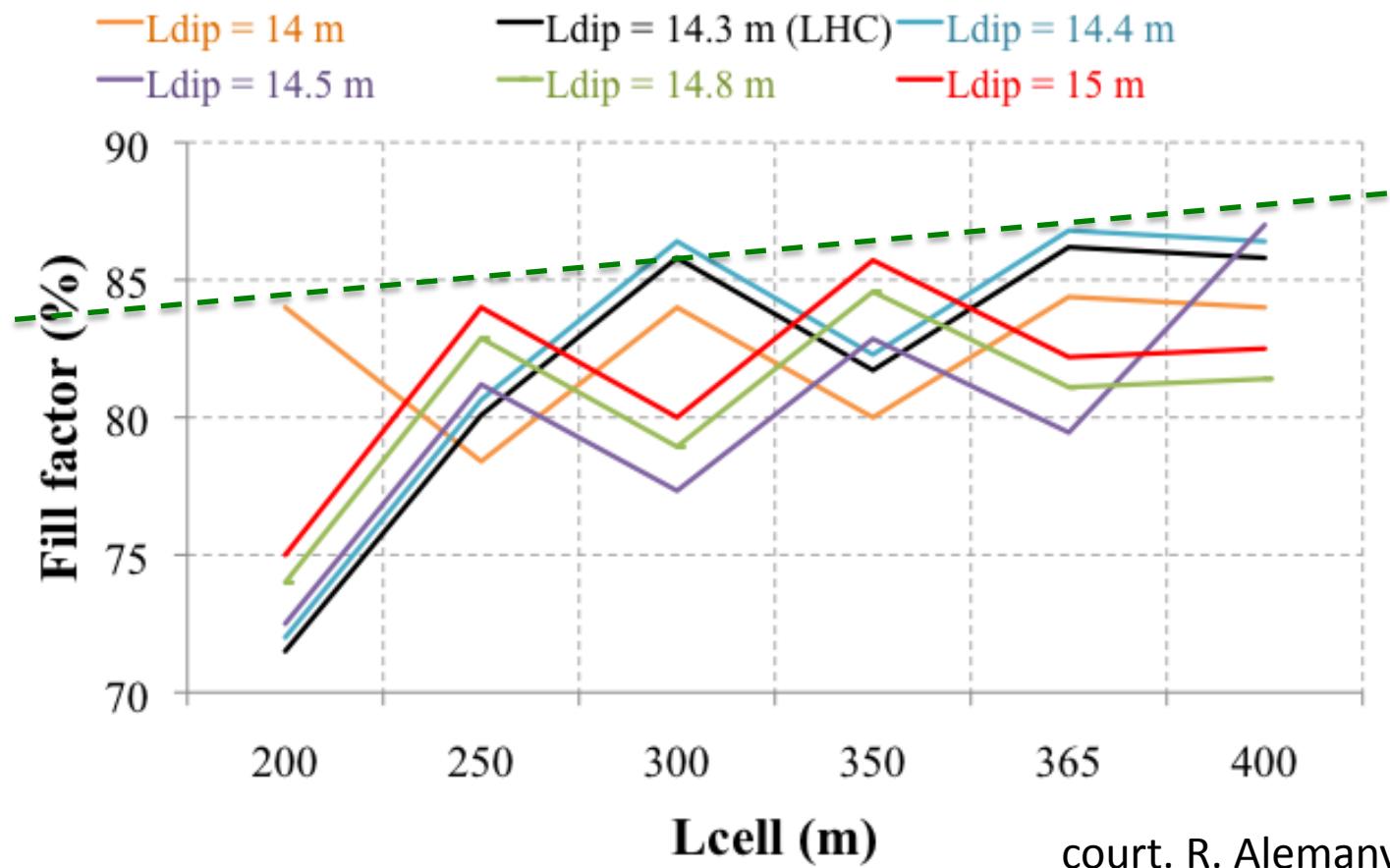
For each case the dipole length has been re-optimised to obtain an integer number of magnets per cell



court. R. Alemany

Dipole Fill Factor: ζ

$$\zeta = \frac{L(\sum_{\text{dipoles}})}{L_{\text{cell}}}$$



The quadrupole length is small compared to overall dipole length per cell

- > increasing the cell length is always helpful to optimise ζ .
- > however the effect is not dramatic and smaller cell lengths might have optical advantages

court. R. AlemanyA

Arc Cell VI:

First Arc Layout:

$$L_{\text{cell}} \approx 206.4 \text{m}$$

$$L_{\text{dipole}} = 14.2 \text{m}$$

12 dipoles per cell

32 cells per arc

12 arcs

4608 dipoles

drifts a la LHC: dipole-quad=3.6m

dipole-dipole=1.3m

dipole field =16T <--> 50TeV

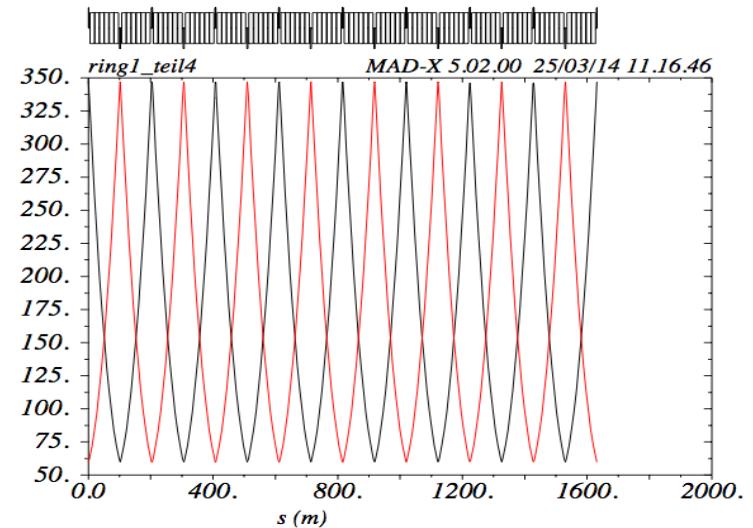
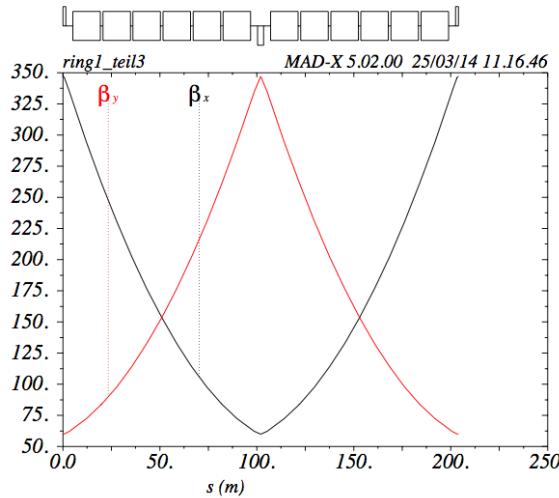
The storage Ring:

12 Arcs, 12 Straights ... yes yes the racetrack will come soon.

$$L_{\text{Fccpp}} = L_{\text{cell}} * N_{\text{cell/arc}} * N_{\text{arc}} + 12 * L_{\text{straights}} + 12 * 2 * 2 * L_{\text{celldiscuppr}}$$

$$= 206.4 \text{m} * 32 * 12 + 12 * 1400 \text{m} + 12 * 2_{\text{li-re}} * 2_{\text{cells}} * 206.4 \text{m}$$

$$= 105 \text{ km}$$



Arc Cell VI:

The storage Ring:

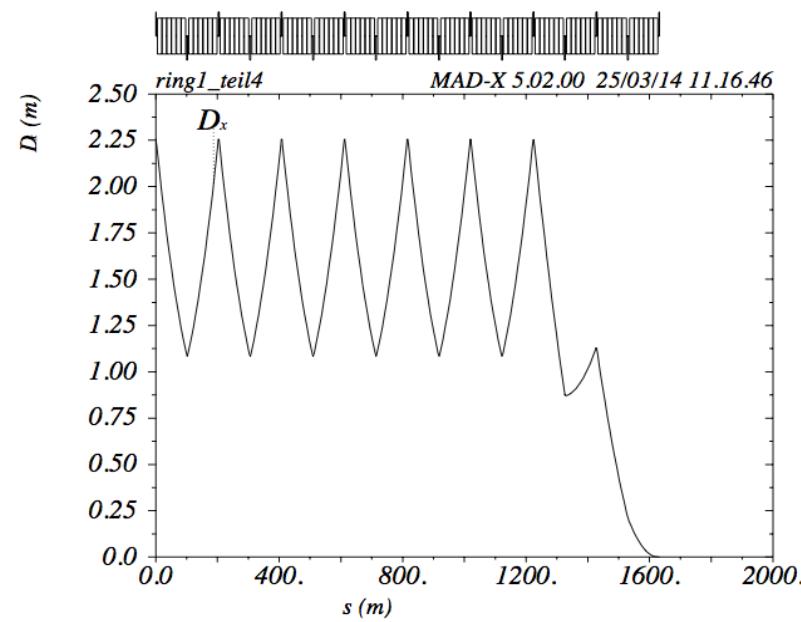
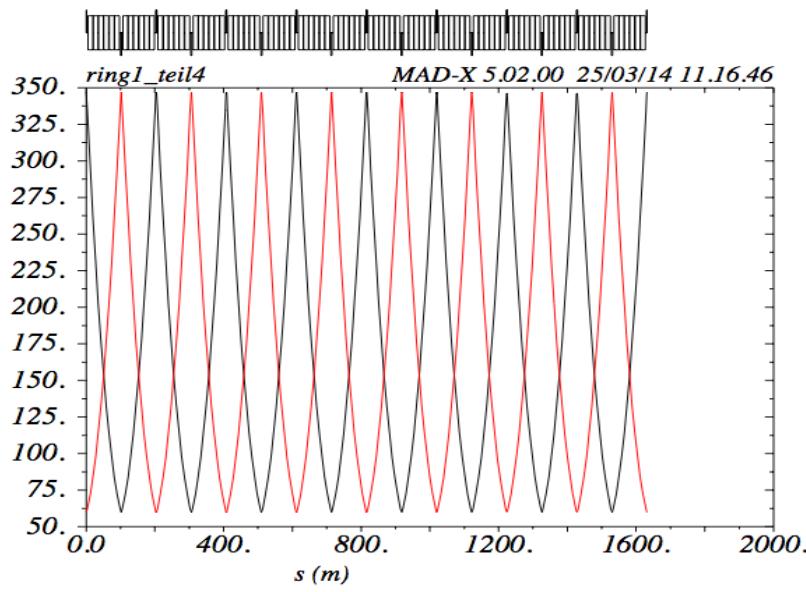
12 Arcs, 12 Straights

Dispersion Suppressor Arc - Straight:

unlike LHC ... text book like approach

$\Psi_{\text{cell}} = 90^\circ \rightarrow$ two half bend cells will do the job

$$2 * \delta_{\text{supr}} * \sin^2\left(\frac{n\Phi_c}{2}\right) = \delta_{\text{arc}}$$



Next Steps:

Complete the Storage Ring:

12 Arcs, 12 Straights

Discuss the magnet parameters

(Re -) Optimise Cell Length

add matching quadrupoles in Dispersion Suppressor Region,

add empty cells to design the straights

include a first mini-beta

Finalise in first version the “Modules”

Re-Define the Module arrangement to get a first layout of the Racetrack

... mid term planning:

magnet parameters / multipoles / inter magnet drifts ??