

W-boson production measurement with ALICE in p-Pb collisions at $\sqrt{s_{NN}} = 5.02$ TeV

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for the ALICE Collaboration July 28, 2015

II Heavy Ion Collisions in the LHC era and Beyond (July 26 - August 01)



- ✓ Introduction
- ✓ ALICE setup
- ✓ Data samples
- ✓ Analysis strategy
 - ✓ Results
 - ✓ Summary

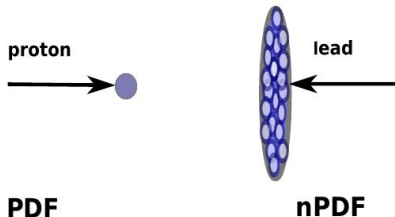
- W bosons are electroweak particles produced in initial hard interactions
- Quark-antiquark annihilation is the dominant production mechanism

$$u\bar{d} \rightarrow W^+ \quad d\bar{u} \rightarrow W^-$$

- In proton-proton collisions \Rightarrow access to valence quark parton distribution functions (PDFs)

In heavy-ion collisions (p-Pb and PbPb):

- Sensitive to nuclear PDFs (modification of PDFs inside the nucleus)
- Test the binary scaling of hard processes



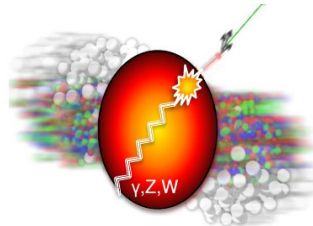
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In heavy-ion collisions (p-Pb and PbPb):

- Sensitive to nuclear PDFs (modification of PDFs inside the nucleus)
- Test the binary scaling of hard processes
- Good probe to access shadowing and anti-shadowing
- Not sensitive to strong interaction \Rightarrow reference for medium-induced effects

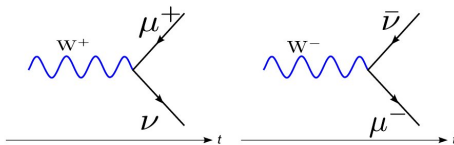


Introduction



ALICE

- Measured in semi-muonic decay \Rightarrow final state is not affected by the hot and dense QCD medium

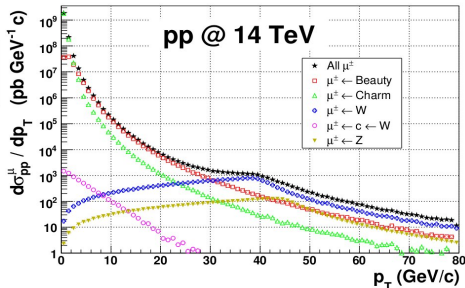


- Signal is a Jacobean peak in the single muon p_T -differential distribution with maximum at $p_T \sim M_W/2$
- Dominant contribution above $p_T \sim 30$ GeV/c with main background from Z/γ^* and muons from heavy-flavour hadron decays Z. Conesa del Valle, Eur. Phys. J.C(2007)149

W-boson signal is extracted by fitting the single muon p_T spectrum with suitable description of the signal and background

Simulations

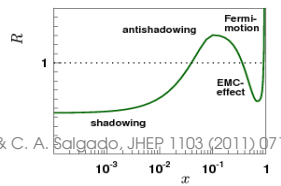
Based on $L_{\text{int}} = 30 \text{ pb}^{-1}$



Introduction

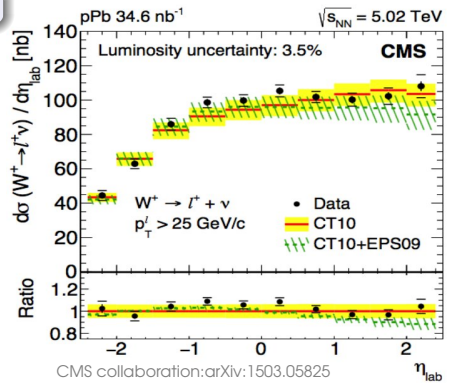
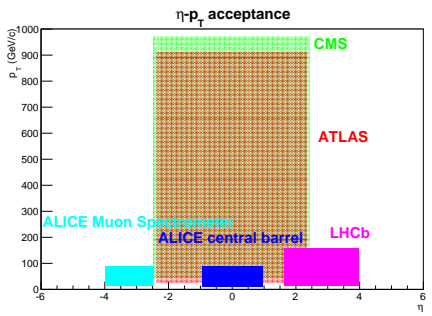


- W-boson production has been measured in p-Pb collisions at 5.02 TeV by the CMS collaboration in $|\eta| < 2.4$
- The ALICE Muon Spectrometer covers the kinematic region $-4 < \eta < -2.5$ complementary to CMS \Rightarrow (anti-)shadowing is more pronounced



H. Paukkunen & C. A. Salgado, JHEP 1103 (2011) 071

p_T and η coverage of the LHC experiments

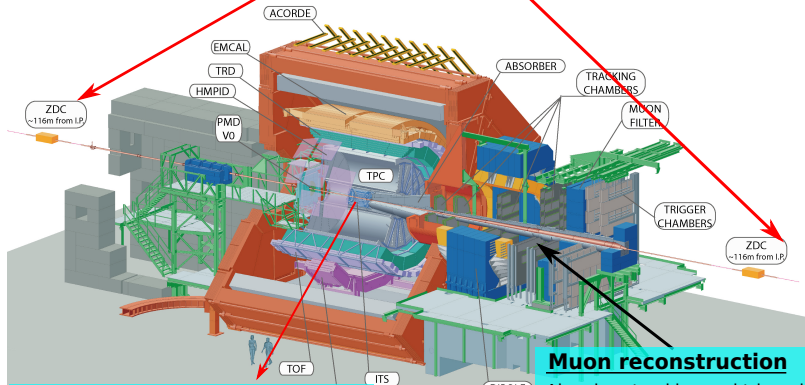


CMS collaboration: arXiv:1503.05825

Detectors used for the measurement

Event activity

Zero Degree Calorimeter (ZDC) ZNA and ZNC

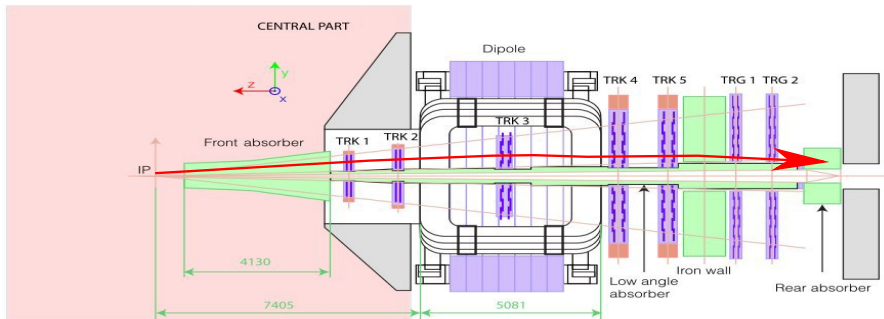


Event activity and triggering

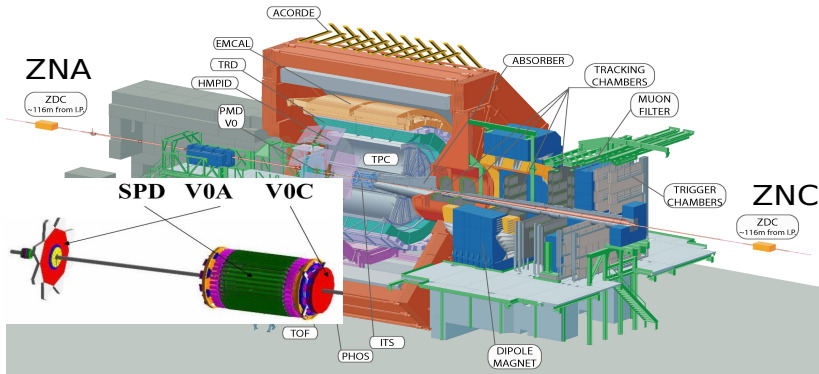
VZERO-A(V0A), VZERO-C(V0C) and the Silicon Pixel Detector (SPD)

Muon reconstruction

Absorber, tracking and triggering chambers, muon-filter and the dipole magnet



- Reconstructed within the pseudorapidity acceptance $-4.0 < \eta_{\text{lab}} < -2.5$
- Minimum p_T trigger is 0.5 GeV/c with a minimum momentum (p) threshold of 4 GeV/c
- Muon track selection in addition to geometrical acceptance cuts:
 - offline matching of the tracking and trigger tracks to reduce background from punch-through hadrons
 - correlation of momentum (p) and **D**istance of **C**losest **A**pproach (DCA) to the interaction point to reduce fake and beam gas tracks

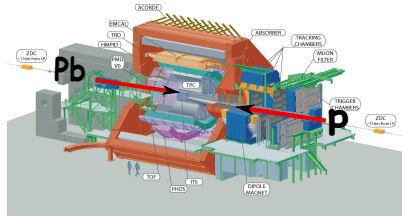
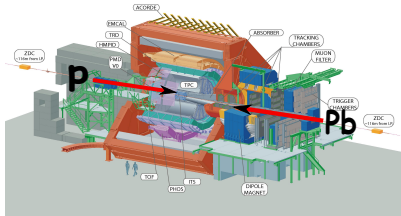


Estimators:

- VZEROs (V0A and V0C) cover the pseudorapidity acceptance $2.8 < \eta_{lab} < 5.1$ and $-3.7 < \eta_{lab} < -1.7$, respectively
- The 2nd layer of the SPD (CL1 estimator): $|\eta_{lab}| < 1.4$ coverage
- ZNA and ZNC placed ± 112.5 m from the interaction point along the beam pipe

Data Samples

- p-Pb collisions at $\sqrt{s_{NN}} = 5.02$ TeV ($E_p = 4$ TeV & $E_{Pb} = 1.58$ TeV)
- Two beam configurations with a rapidity shift ($\Delta y = 0.465$) in the proton direction
 - p-going (forward rapidity, y_{cms})**
 - Pb-going (backward rapidity, $-y_{cms}$)**



⇒ y_{cms} covered by the muon spectrometer

- Trigger: high- p_T muon triggered events (Minimum-Bias (MB, coincidence of V0A and V0C) & muon with $p_T \gtrsim 4$ GeV/c)

Integrated Luminosity

Forward: 4.9 nb^{-1}

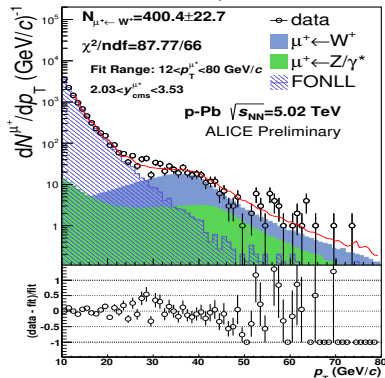
Backward: 5.8 nb^{-1}

Signal extraction based on a combined fit $f(p_T)$:

$$f(p_T) = N_{\mu \leftarrow \text{HF}} \cdot \tilde{f}_{\mu \leftarrow \text{HF}} + N_{\mu \leftarrow \text{W}} \cdot \tilde{f}_{\mu \leftarrow \text{W}} + N_{\mu \leftarrow \text{Z}/\gamma^*} \cdot \tilde{f}_{\mu \leftarrow \text{Z}/\gamma^*}$$

- $\tilde{f}_{\mu \leftarrow \text{HF}}$ = FONLL based template and phenomenological functions
- $\tilde{f}_{\mu \leftarrow \text{W}}, \tilde{f}_{\mu \leftarrow \text{Z}/\gamma^*}$ = POWHEG based Monte Carlo (MC) templates
- $N_{\mu \leftarrow \text{HF}}, N_{\mu \leftarrow \text{W}}$ = free normalization parameters
- $N_{\mu \leftarrow \text{Z}/\gamma^*}$ = fixed to $N_{\mu \leftarrow \text{W}}$, using ratios of cross-sections from MC $\frac{\sigma_{\mu \leftarrow \text{Z}/\gamma^*}}{\sigma_{\mu \leftarrow \text{W}}}$

- $N_{\mu \leftarrow \text{W}}$ is extracted between 10 and 80 GeV/c and corrected for acceptance \times efficiency (obtained from simulation)
- Normalize the yield to MB cross section to obtain $\sigma_{\mu^\pm \rightarrow \text{W}^\pm}$



ALICE-PREL-02168

W and Z/ γ^* Monte Carlo (MC) templates

- Based on POWHEG (NLO) generator with CTEQ6m
- Interfaced with PYTHIA6.4:
 - ⇒ apply showers to POWHEG hard events
 - ⇒ parametrize nPDFs using EPS09

POWHEG: JHEP 0807(2008)060, CTEQ: JHEP 0207(2002)012, PYTHIA6.4: JHEP 05(2006)026, EPS09: JHEP 0904(2009)065

Generation done for pp and pn separately and combined with:

$$\frac{1}{N_{pPb}} \frac{dN_{pPb}}{d\rho_T} = \frac{Z}{A} \frac{1}{N_{pp}} \frac{dN_{pp}}{d\rho_T} + \frac{A-Z}{A} \frac{1}{N_{pn}} \frac{dN_{pn}}{d\rho_T}$$

A = 208 and Z = 82

Heavy-flavour Monte Carlo (MC) templates

- Based on Fixed Order Next-to-Leading-Log (FONLL) with CTEQ6.6
- Muons from B and D decays in pp at $\sqrt{s} = 5.02$ TeV (FONLL)
 - ⇒ used for heavy-flavour semi-muonic decays description
- Phenomenological function previously used by ATLAS

FONLL: JHEP 1210(2012)137, ATLAS: ATLAS-COM-CONF-2011-088

- Cross section is computed as follows:

$$\sigma_{\mu\leftarrow W} = \frac{N_{\mu\leftarrow W}}{A \times \epsilon} \times \frac{1}{L_{\text{int}}}$$

where L_{int} is

$$L_{\text{int}} = \frac{N_{\text{MB}}}{\sigma_{\text{MB}}} = \frac{N_{\text{MSH}} \times F_{\text{norm}}}{\sigma_{\text{MB}}}$$

and $A \times \epsilon$ is the acceptance and efficiency factor:

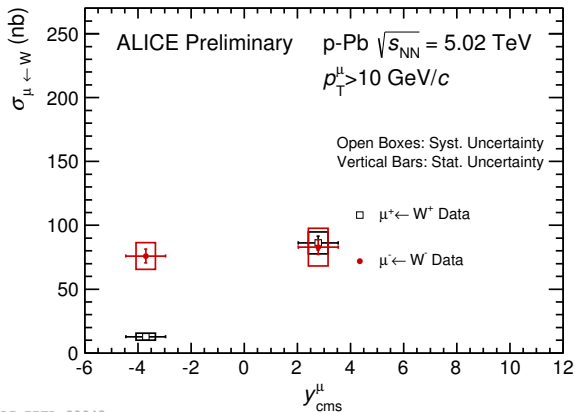
⇒ Forward rapidity: 0.88 and Backward rapidity: 0.77 ⇐

- N_{MB} is the number of minimum-bias events
- N_{MSH} is the number of high p_{T} triggered muon events
- F_{norm} computed with two methods is the number of minimum-bias events per N_{MSH}
⇒ Online and offline information - takes into account pile-up
- The inelastic cross section were evaluated independently using van der Meer scans
⇒ σ_{MB} is 2.09 ± 0.07 b and 2.12 ± 0.06 b for the p-Pb and Pb-p data samples respectively JINST 9 (2014) 11, P11003

$N_{\mu \leftarrow W}$ is a weighted average of several trials varying:

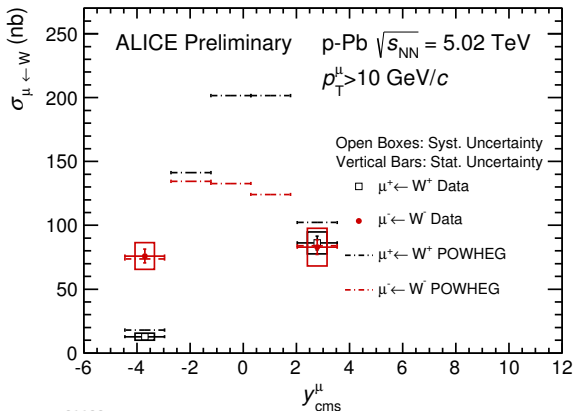
- p_T fit range, description of heavy-flavour decay muons
- Fraction of muons from Z to W cross sections were obtained with PYTHIA and POWHEG
- Alignment \rightarrow variation of positions of detector elements

Systematics	
Signal extraction <i>(includes alignment, fit stability/shape, etc.)</i>	from $\sim 6\%$ to $\sim 10\%$
Acc. \times Eff.	
– track./trig. efficiencies	2.5%
– alignment	$< 1\%$
Pile-up	0 – 7.5%
Normalisation to MB	
– F_{norm}	1%
– σ_{MB}	3.2% (forward) 3% (backward)



ALI-PREL-80043

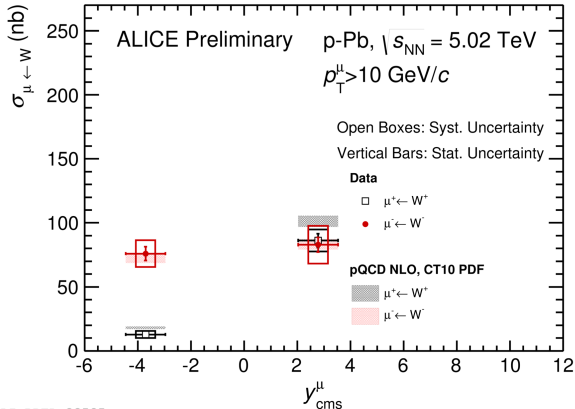
- Cross section of muons from W^\pm measured at forward and backward rapidity
- Isospin effects more visible at backward rapidity



ALI-PREL-81128

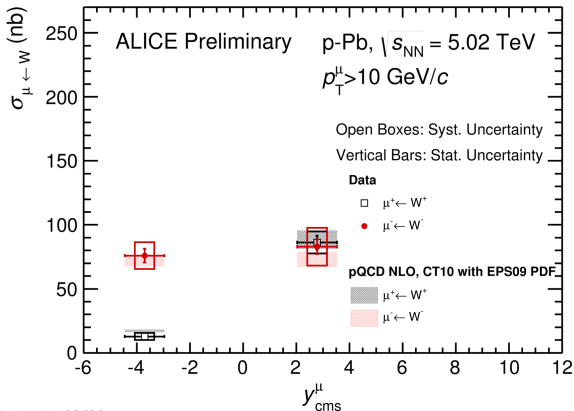
- Cross section of muons from W^\pm measured at forward and backward rapidity compared with POWHEG Next-to-Leading order calculation
 - shadowing not taken into account in the theory

Theory: Hannu Paukkunen, pQCD NLO with CT10



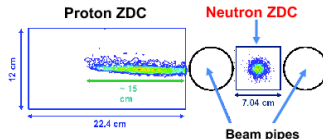
- Cross section of muons from W^\pm measured at forward and backward rapidity compared with pQCD calculation **without shadowing**

Theory: Hannu Paukkunen: pQCD with CT10 and EPS09



- Cross section of muons from W^\pm measured at forward and backward rapidity compared with pQCD calculation **with shadowing**

- Production of W bosons is a hard process thus is expected to scale with the number of collisions ($\langle N_{\text{coll}} \rangle$)
- $\langle N_{\text{coll}} \rangle$ is expected to be correlated with event activity (central, semi-central, peripheral)
- Different estimators with different approaches were used to classify event activity:
 - Glauber Model + Negative Binomial Distribution fit to the signal in the V0A or V0C and the clusters in the first layer of the SPD (CL1)
 - Hybrid method: scaling N_{coll} in minimum-bias collisions by the ratio between the average multiplicity density measured at mid-rapidity in a given ZDC energy event class and the one measured in minimum bias collisions (ZNA and ZNC)

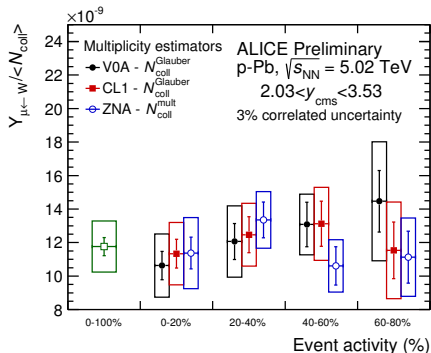


- $\langle N_{\text{coll}} \rangle$ systematic uncertainty is multiplicity bin dependent, varies between 8 - 24%

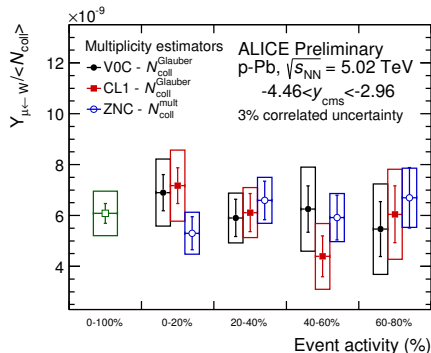
Yield over $\langle N_{\text{coll}} \rangle$



- Signal extraction done separately for $\mu^+ \leftarrow W^+$ and $\mu^- \leftarrow W^-$ and then combined
- Yield is normalized to $\langle N_{\text{coll}} \rangle$ to test binary scaling
- The yield per binary collisions is independent of event activity within uncertainties
- Yield normalized to $\langle N_{\text{coll}} \rangle$ compatible within uncertainties among estimators



ALI-PREL-79988



ALI-PREL-80001

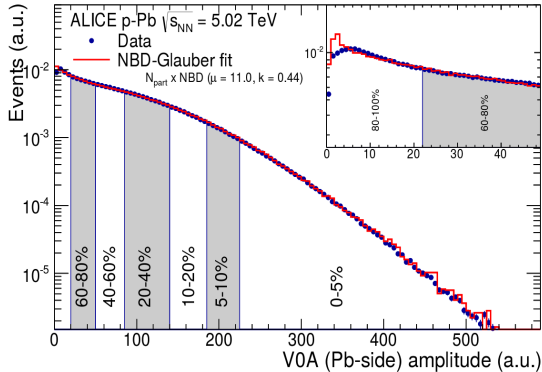
- Production of W bosons has been measured at forward and backward rapidity
- Cross section
 - Isospin effects more prominent at backward rapidity ($\sigma_{\mu^- \leftarrow W^-} > \sigma_{\mu^+ \leftarrow W^+}$)
 - pQCD calculations with and without nuclear PDFs describe the measurements (same observation as CMS in a complementary rapidity region)
⇒ Predictions with nPDFs seem closer to data
- Yield normalized to $\langle N_{\text{coll}} \rangle$
 - Measurements performed with different estimators are consistent between one another
 - Production of W-boson scales with $\langle N_{\text{coll}} \rangle$ with uncertainties



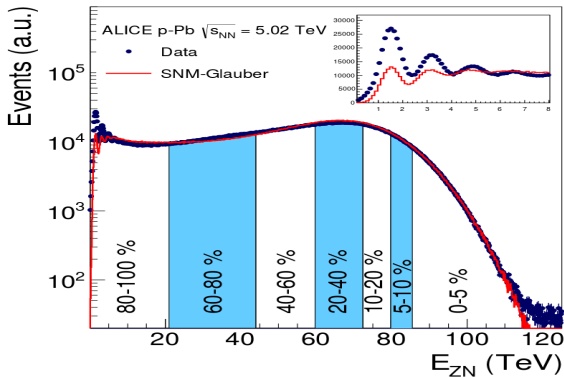
ALICE

Backup

- Glauber MC to obtain $P(N_{\text{part}})$ assuming N_{part} = number of particle sources ancestors
- multiplicity distribution per ancestor from Negative Binomial Distribution (NBD)
- minimization procedure to find NBD parameter values
- centrality classes defined slicing measured multiplicity distributions in percentiles of cross section



- Similar procedure but coupled with a model for slow nucleon emission (SNM) No model is currently available for LHC energies
- Features of emitted nucleons weakly dependent on projectile energy from 1 GeV to 1 TeV
- “Phenomenological” model based on experimental results at lower energies



◇ $N_{\mu \leftarrow W}$ is extracted from a large number of fit trials, varying:

- The p_T range where the fit is performed
- QCD or Heavy-flavour decay muons background description
- Fraction of Z/γ^* to W^\pm muons: \Rightarrow obtained using PYTHIA and POWHEG
- Alignment effects \Rightarrow vary the position of detector elements

◇ Weighted average over

- (3 background description) \times (different p_T ranges) \times ($2 N_{\mu \leftarrow Z/\gamma^*} / N_{\mu \leftarrow W}$) \times (2 alignment configurations) \times (1 MC templates for the signal) trials:

$$\langle N_{\mu \leftarrow W} \rangle = \frac{\sum_{i=1}^n w_i N_{\mu \leftarrow W, i}}{\sum_{i=1}^n w_i} \quad w_i = \frac{1}{\left(\frac{\sigma_{\mu \leftarrow W}}{\sqrt{N_{\mu \leftarrow W}}}\right)^2}$$

where $\sigma_{\mu \leftarrow W}$ is the statistical uncertainty per trial

- the statistical error is given by propagating the error on each trial

$$\delta_{\langle N_{\mu \leftarrow W} \rangle}^{\text{stat}} = \frac{\sqrt{\sum_{i=1}^n (w_i \sigma_{\mu \leftarrow W, i})^2}}{\sum_{i=1}^n w_i} \cdot \sqrt{n}$$

- systematic error is estimated assuming $N_{\mu \leftarrow W}$ is extracted from a uniform distribution

$$\delta_{\langle N_{\mu \leftarrow W} \rangle}^{\text{syst}} = \frac{N_{\mu \leftarrow W}(\text{max.}) - N_{\mu \leftarrow W}(\text{min.})}{\sqrt{12}}$$