

The Fermilab Muon g-2 Experiment



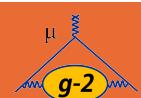
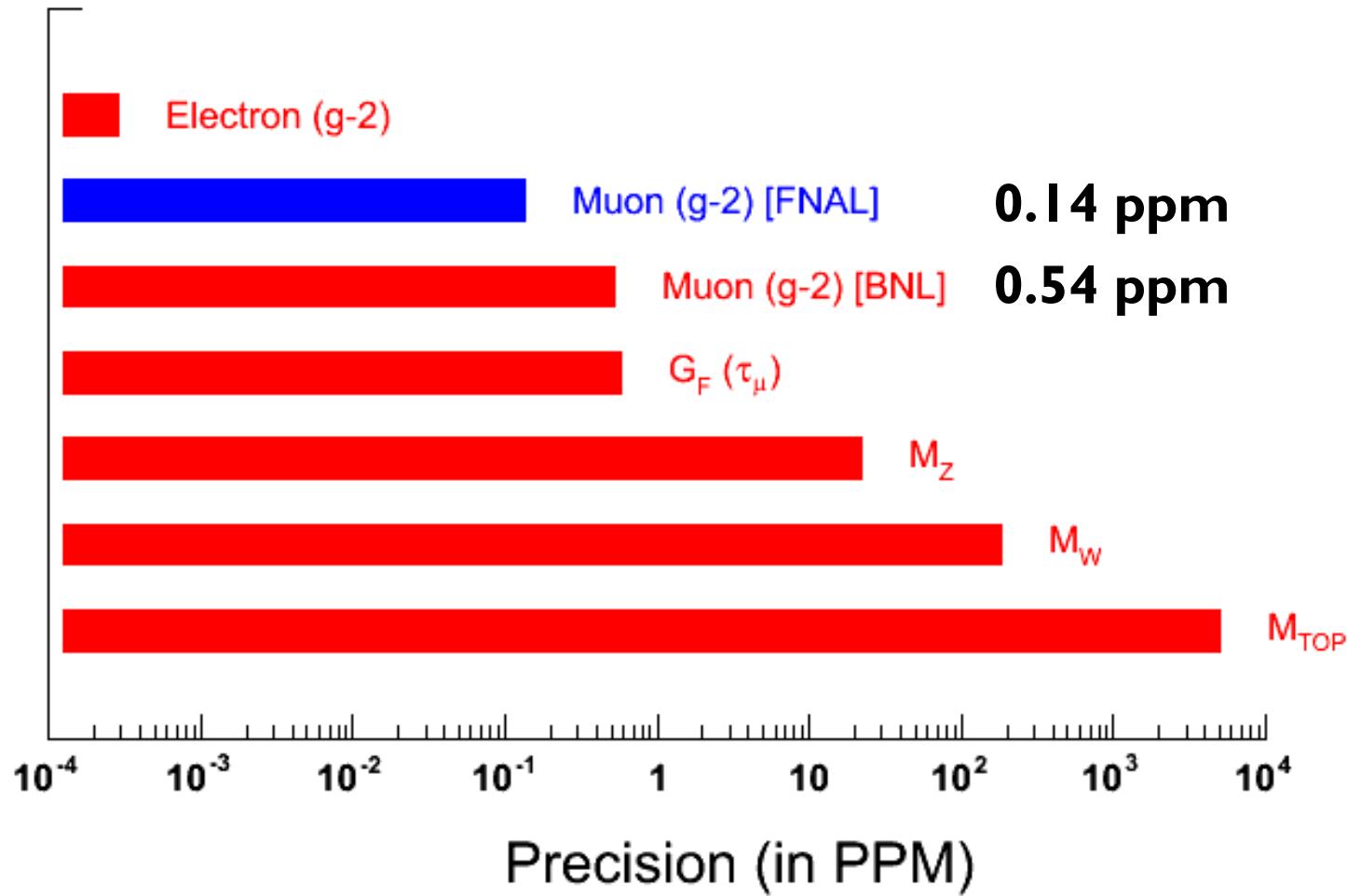
Mark Lancaster
UCL



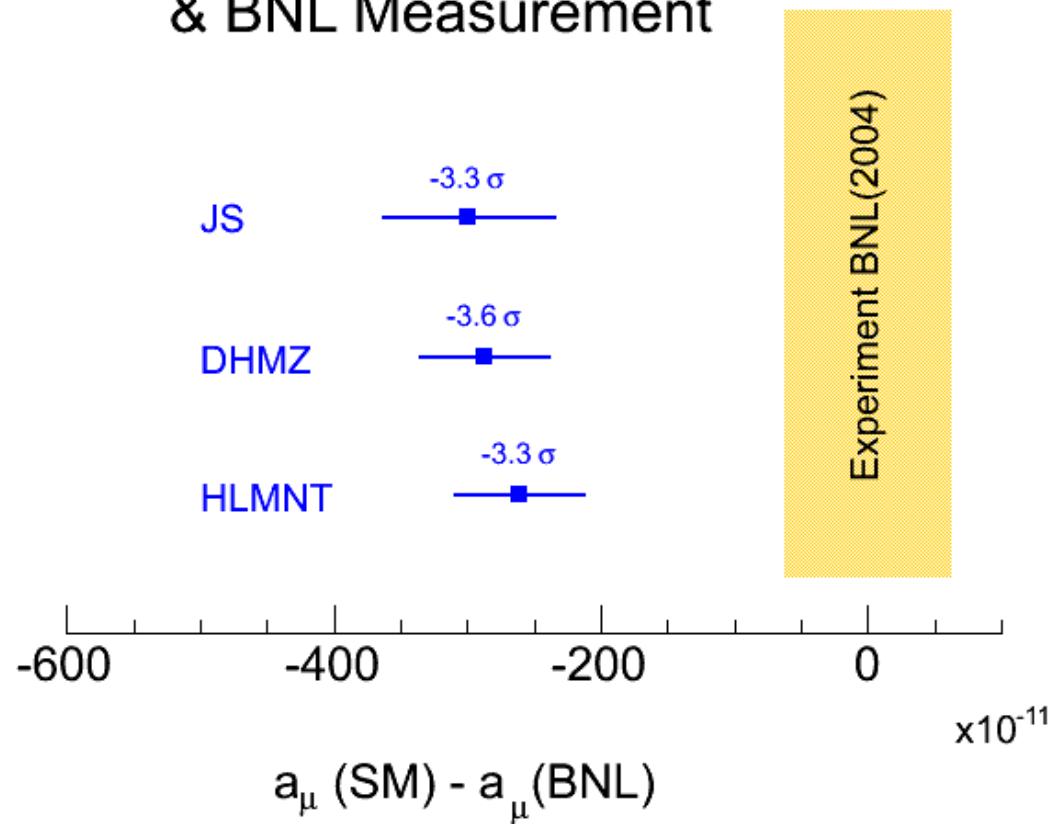
Aim of Experiment



Make a 0.14 ppm measurement

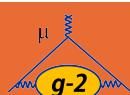


Comparison of SM & BNL Measurement



Present measurement is at odds with SM at 3.5σ level.

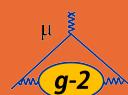
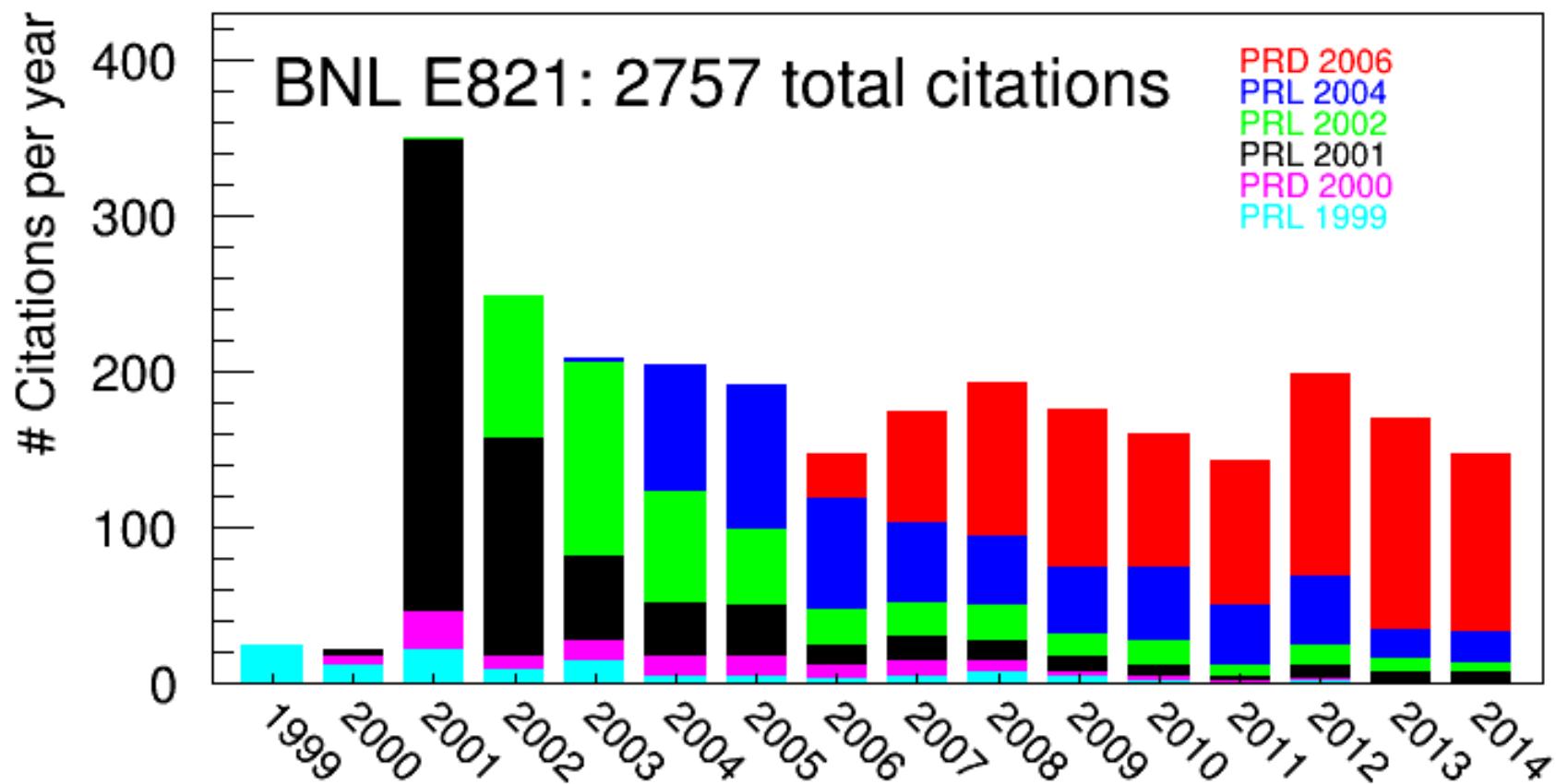
A 0.14 ppm measurement moves this to more than 5σ

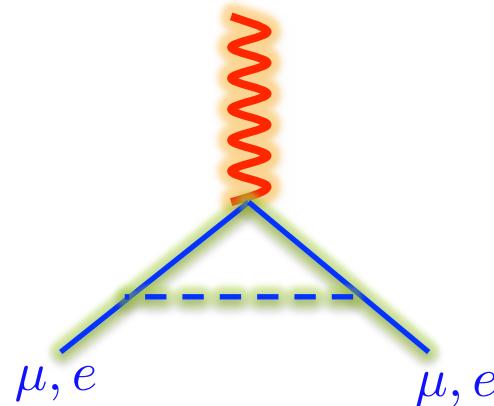




Interest in this result

3rd most cited paper in experimental particle physics

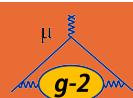




New physics as: $\left(\frac{m_\ell}{M_{\text{NEW}}} \right)^2$

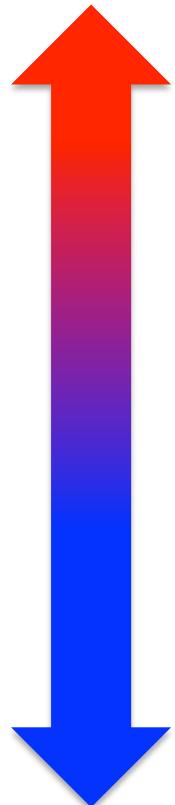
Muon sensitivity to BSM in 20 MeV (e.g. dark photons) to TeV region

Electron presently limited to BSM contributions from $m < 100$ MeV



Measurement probes much of the same TeV-scale BSM landscape as LHC.

Large +ve anomaly wrt SM

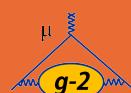


Extended technicolor (fermion masses)

SUSY (natural, gauge-mediated, compressed), RS ED

Z', W', Little Higgs, Universal ED

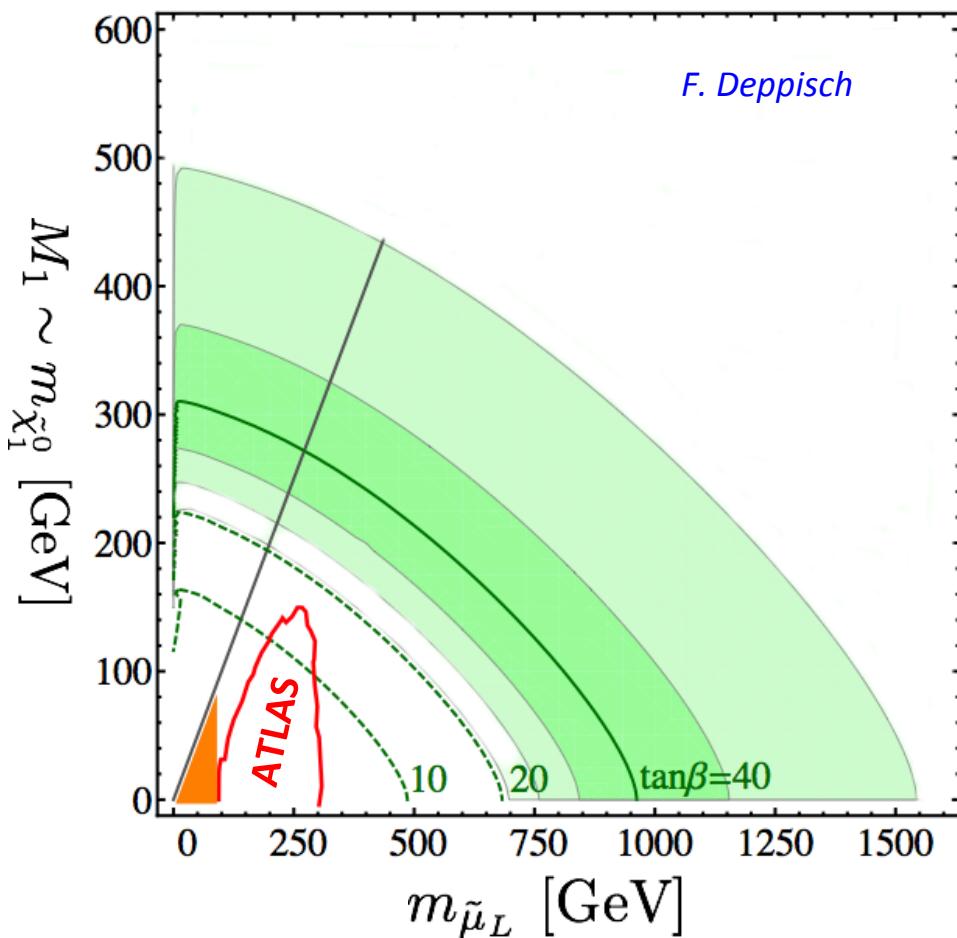
Value consistent with SM



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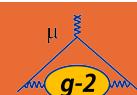
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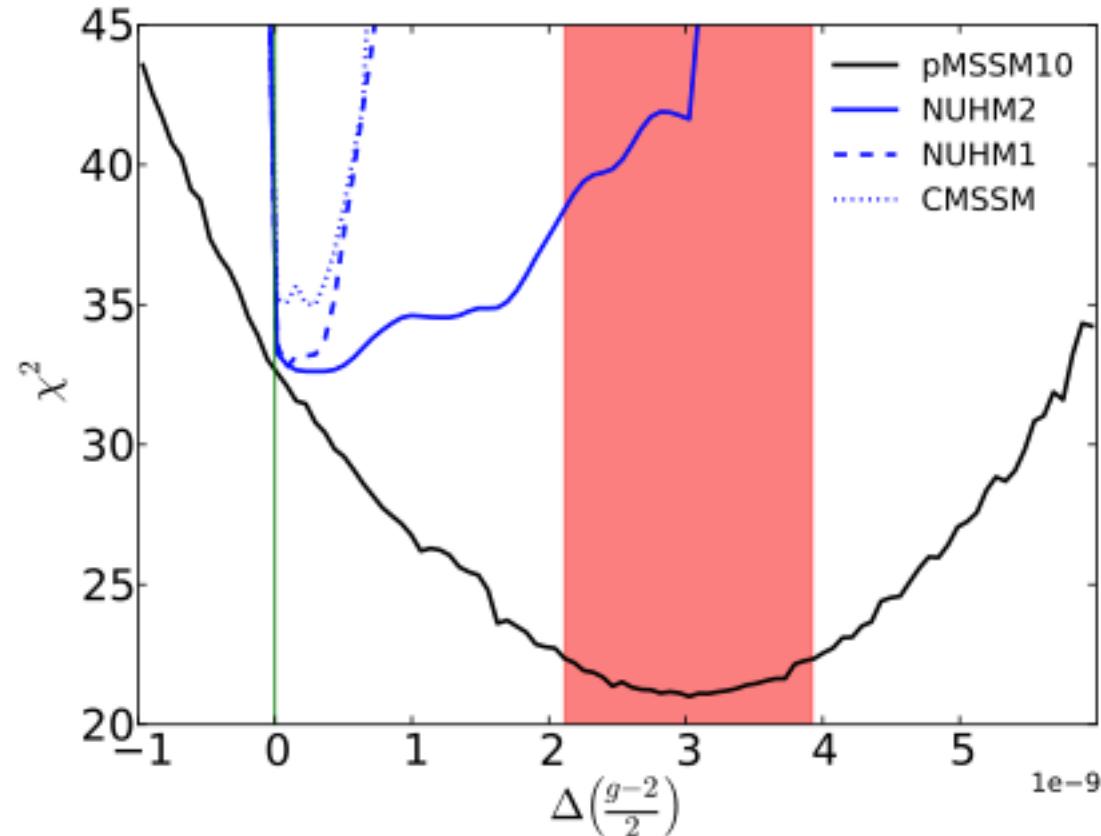
$$M_2 = \mu = 2M_1, \ m_{\tilde{\mu}_R} \gg m_{\tilde{\mu}_L}$$



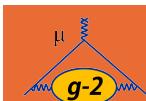
BNL anomaly (if real) would be expected to produce a direct observable in 14 TeV LHC data in most TeV-scale models.

In this case the $g-2$ measurement can resolve degeneracy in model parameters & improve their determination e.g. $\tan\beta$.





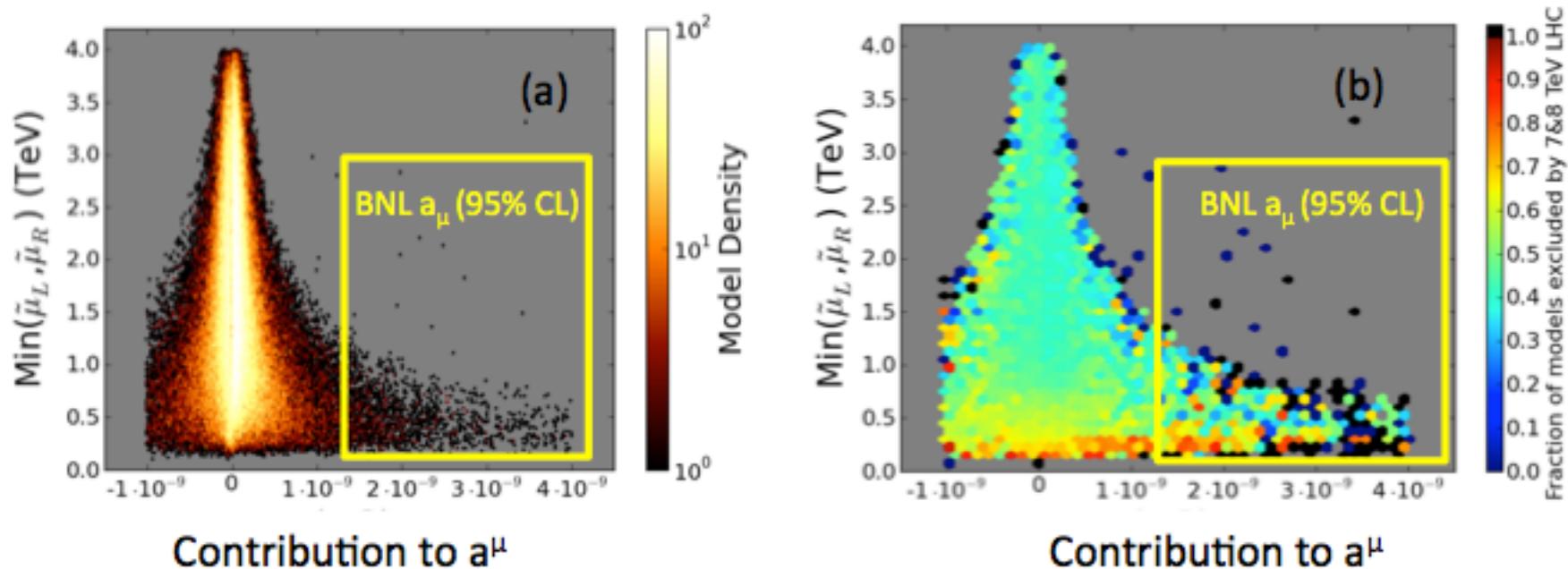
Mastercode collaboration arXiv:1410.6755



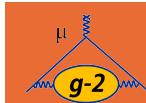
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Sampling of pMSSM phase space



M. Cahill-Rowley et al., Eur. Phys. J. **72**, 2156 (2012); Phys. Rev. D **88**, 035002 (2013).

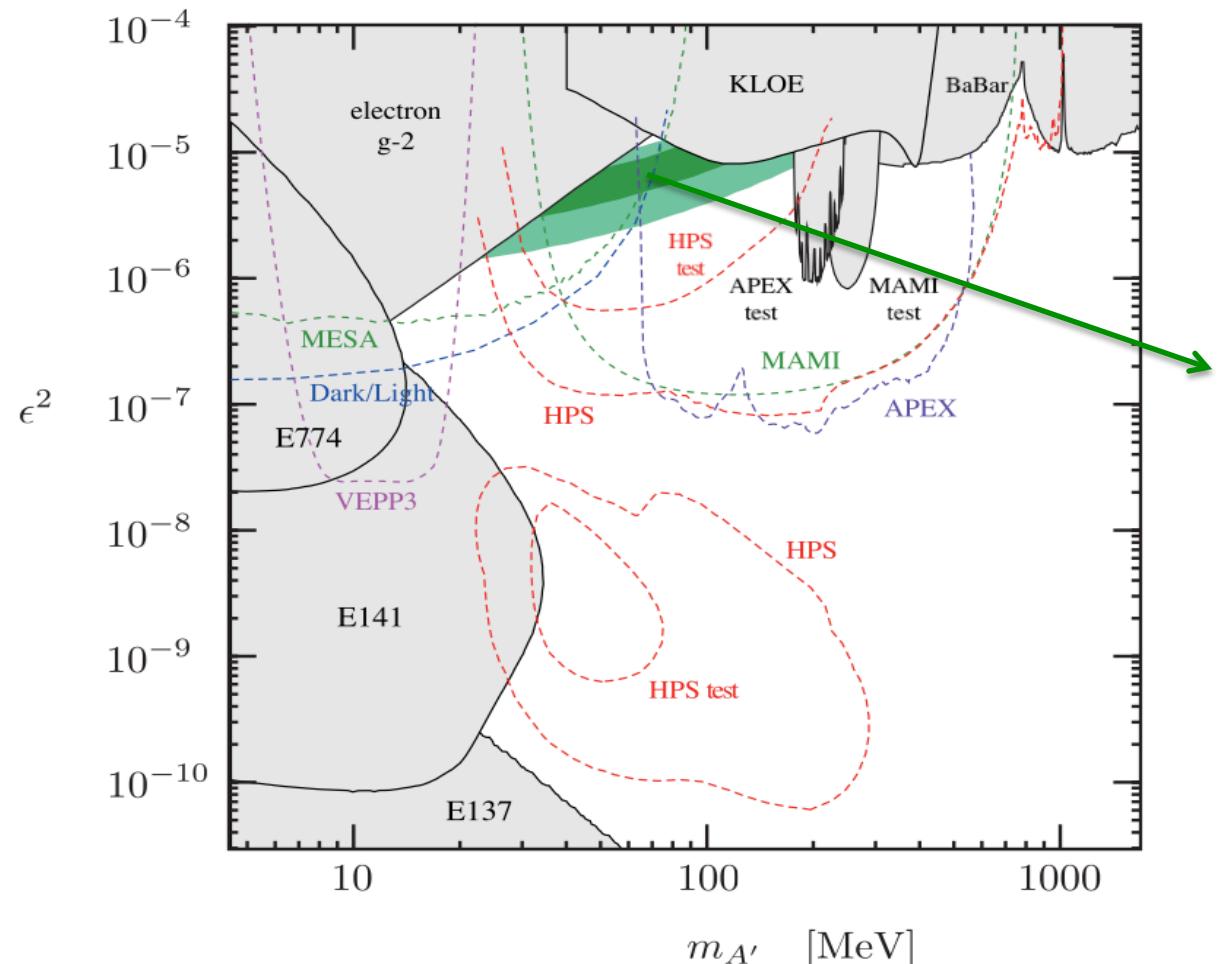


Fermilab Muon $g-2$ Experiment

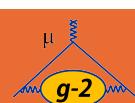
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Dark Photons

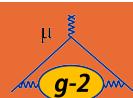
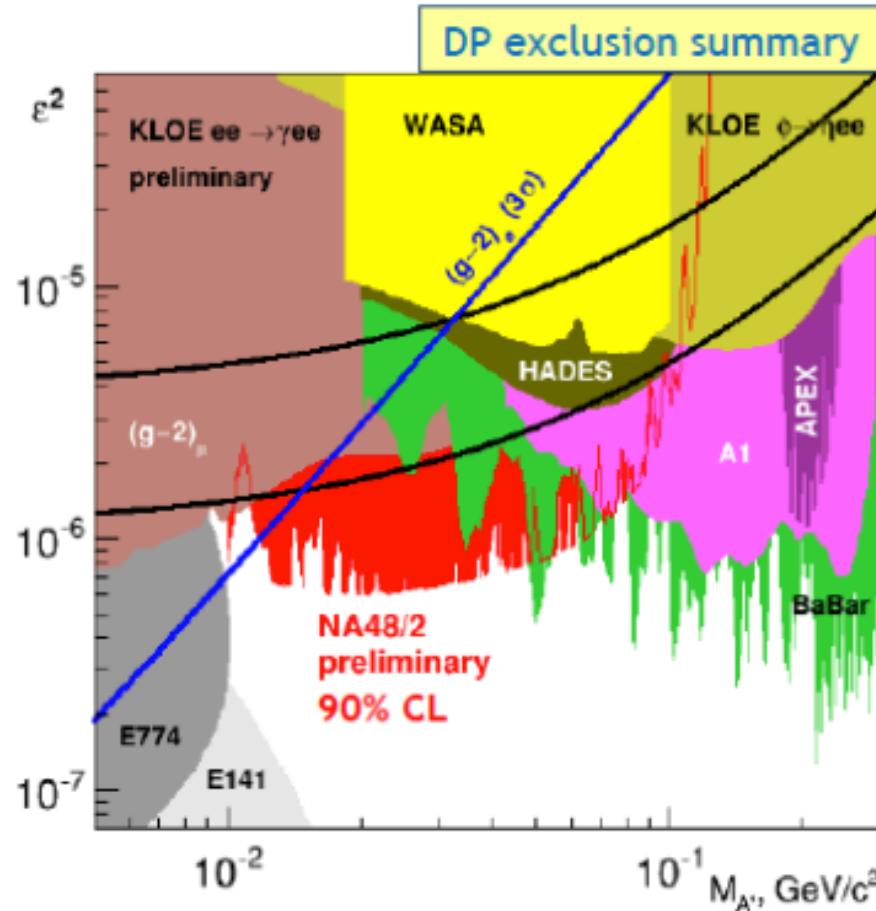


Dark photon contribution
of $280 \pm 80 \times 10^{-11}$ to a_μ





New results from NA48



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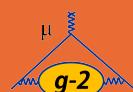
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How to achieve 0.1 ppm



“Never measure anything but frequency”
I. Rabi



Measure rate at which muon spin turns relative to momentum vector

$$\omega_a = \omega_s - \omega_c$$

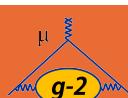
This is determined by $(g-2)$ and the EM fields and energy of the muon

$$a_\mu = \frac{1}{2}(g - 2)$$

$$\omega_a = -\frac{e}{m} \left[a_\mu \vec{B} - \left(a_\mu - \frac{1}{\gamma^2 - 1} \right) \frac{\vec{\beta} \times \vec{E}}{c} \right]$$

FNAL/BNL approach : effect of focussing
E-field cancelled by using “magic” 3.09
GeV momenta muons.

J-PARC approach : 300 MeV beam
with v. low transverse momenta
requiring no E-field to focus.



$$a_\mu = \omega_a \frac{mB}{e}$$

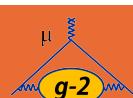
Two measured quantities : ω_a and B

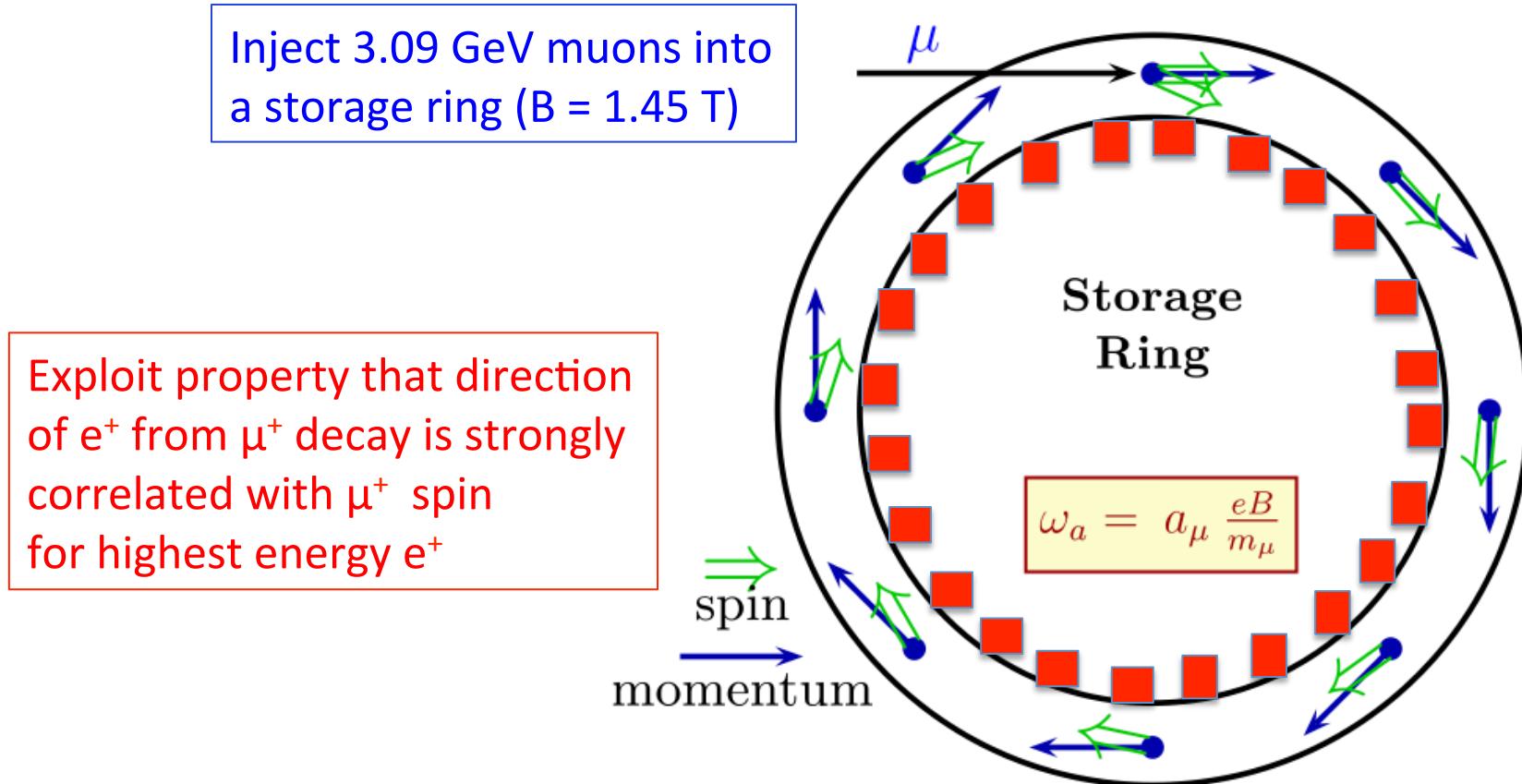
B is measured using NMR in terms of the proton Larmor frequency : ω_p

$$a_\mu = \frac{\omega_a/\omega_p}{\lambda_+ - \omega_a/\omega_p} ; \lambda_+ = \mu_{\mu^+}/\mu_p$$

λ_+ measured from muonium hyperfine structure

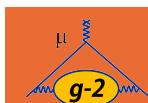
Uncertainty in a_μ determined by precision of ω_p and ω_a measurements





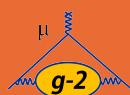
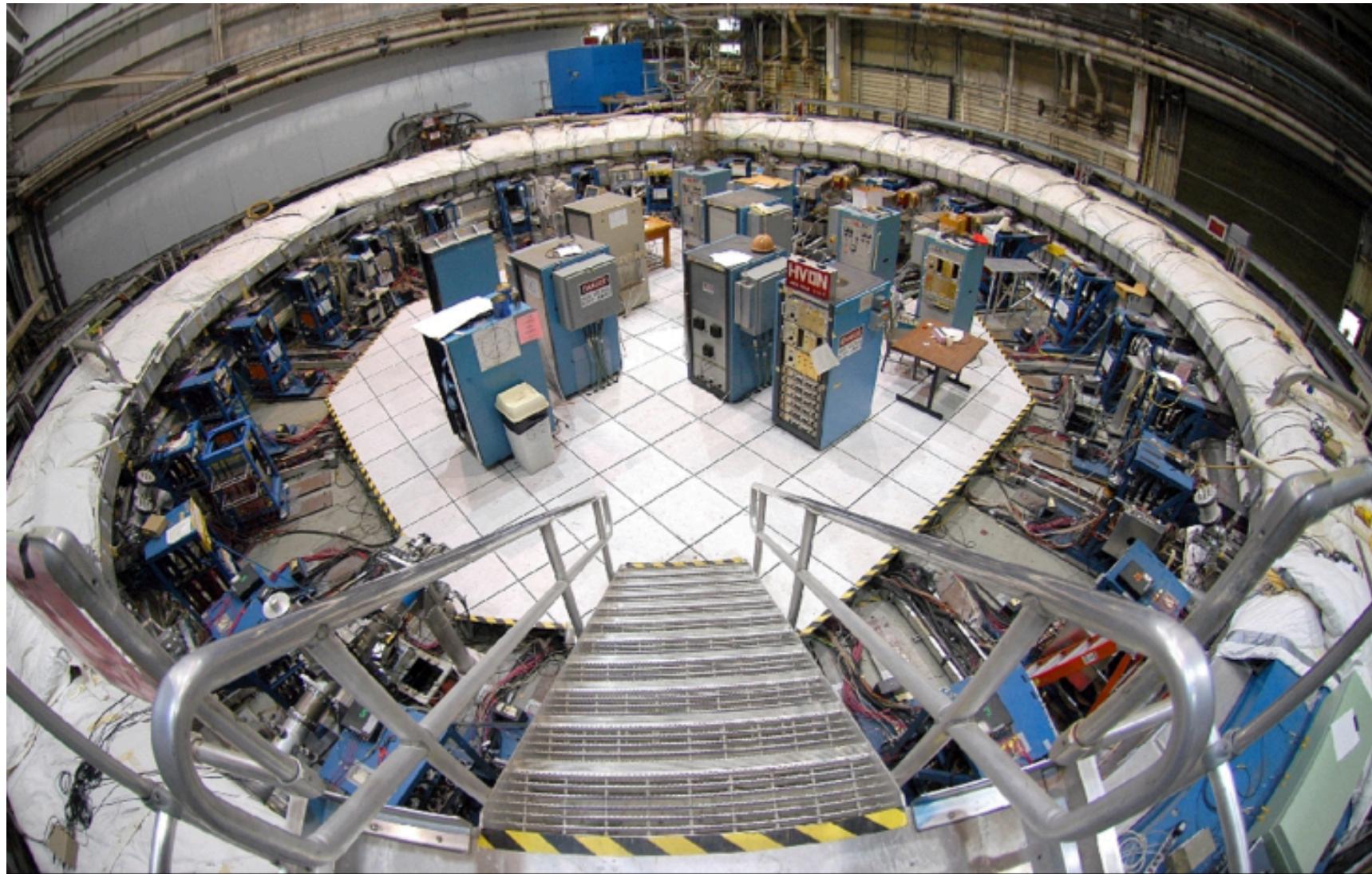
In g-2 experiment : cyclotron period is 149 ns

Spin precesses around momentum direction once every 30 turns (4.3 us)





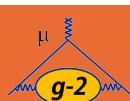
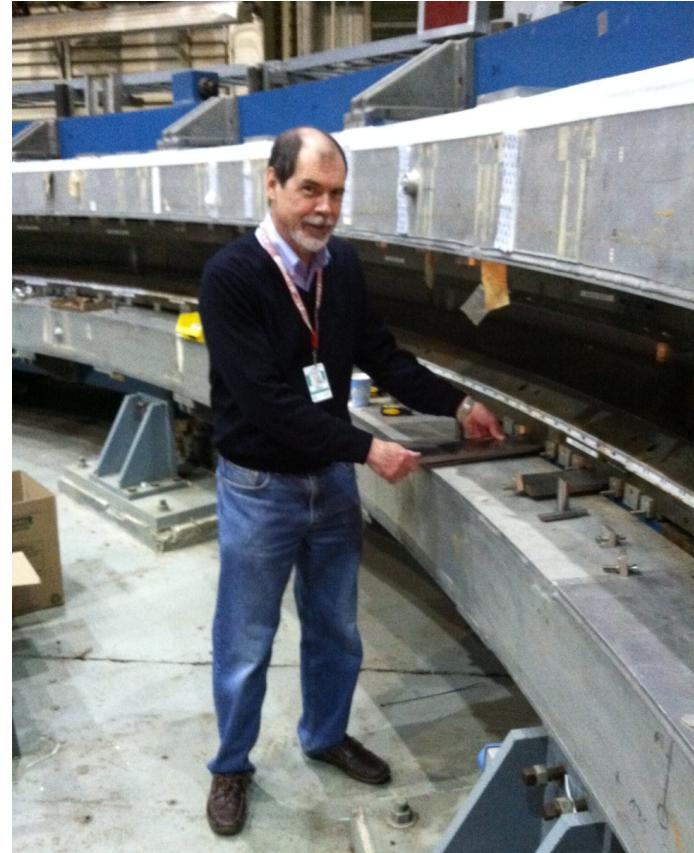
Storage ring at BNL



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The Small Move

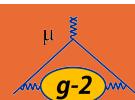
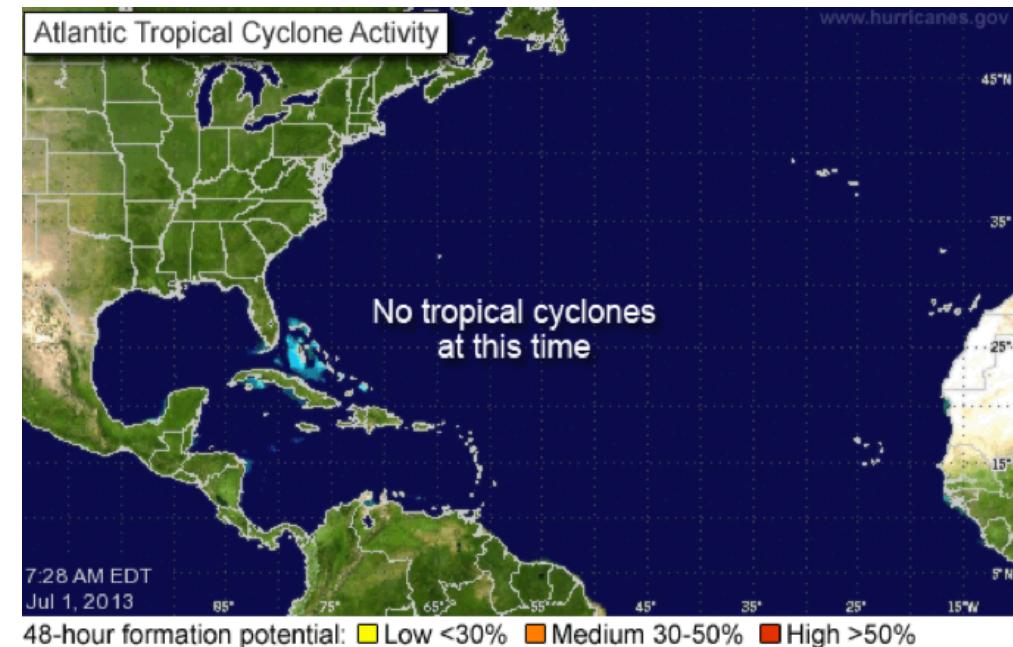
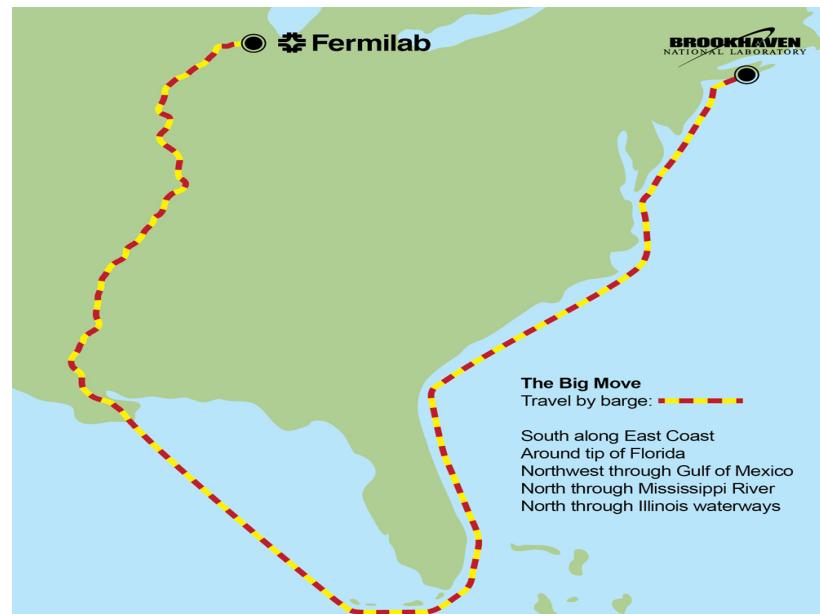


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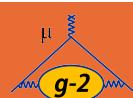
The Big Move



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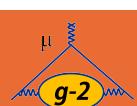
The Big Move



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Arrival at FNAL

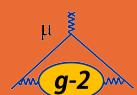


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Long Live The Risk Register

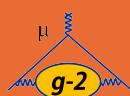
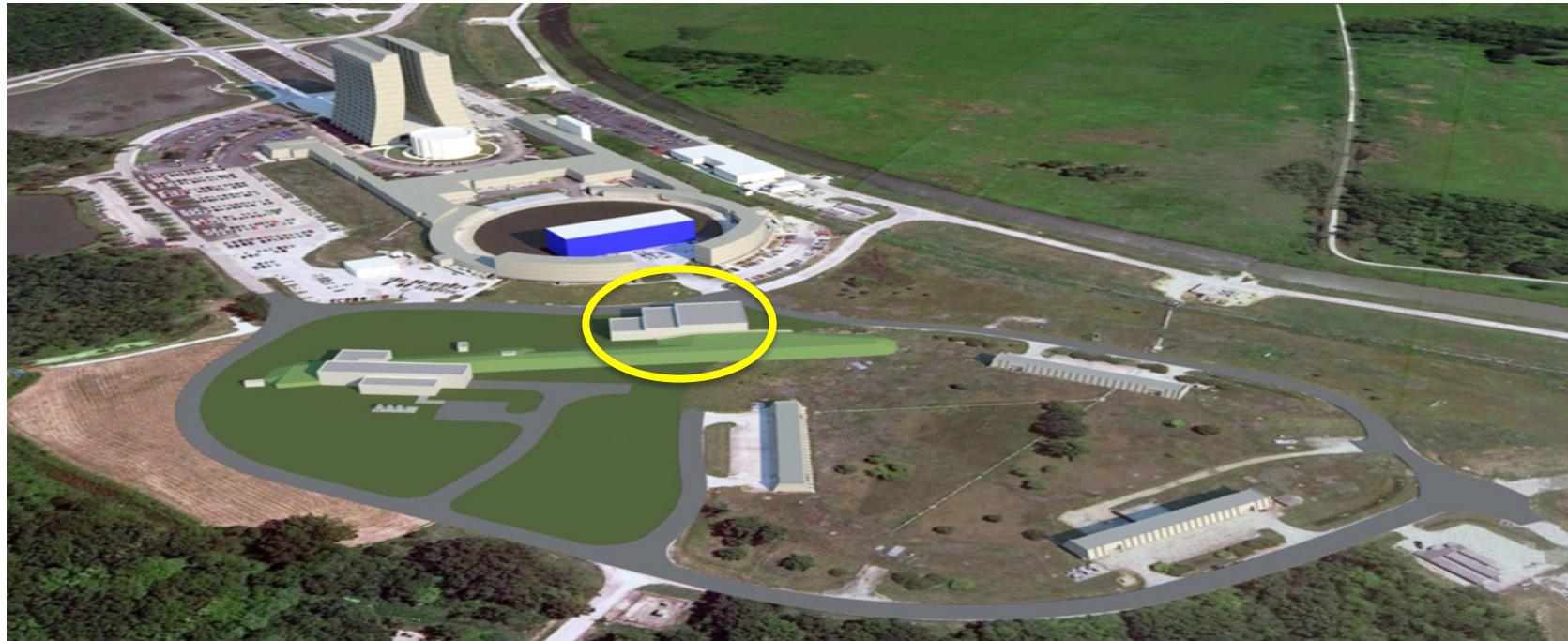


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Muon Campus at FNAL

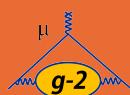
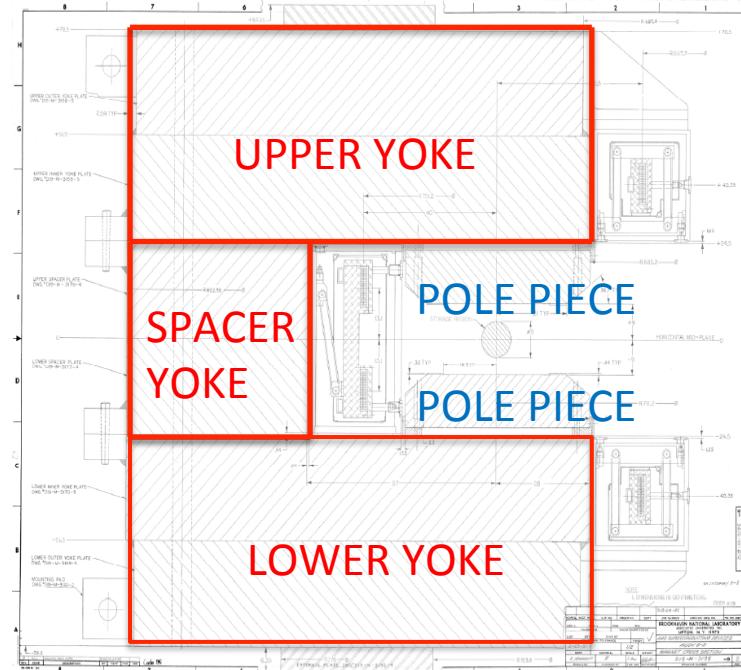
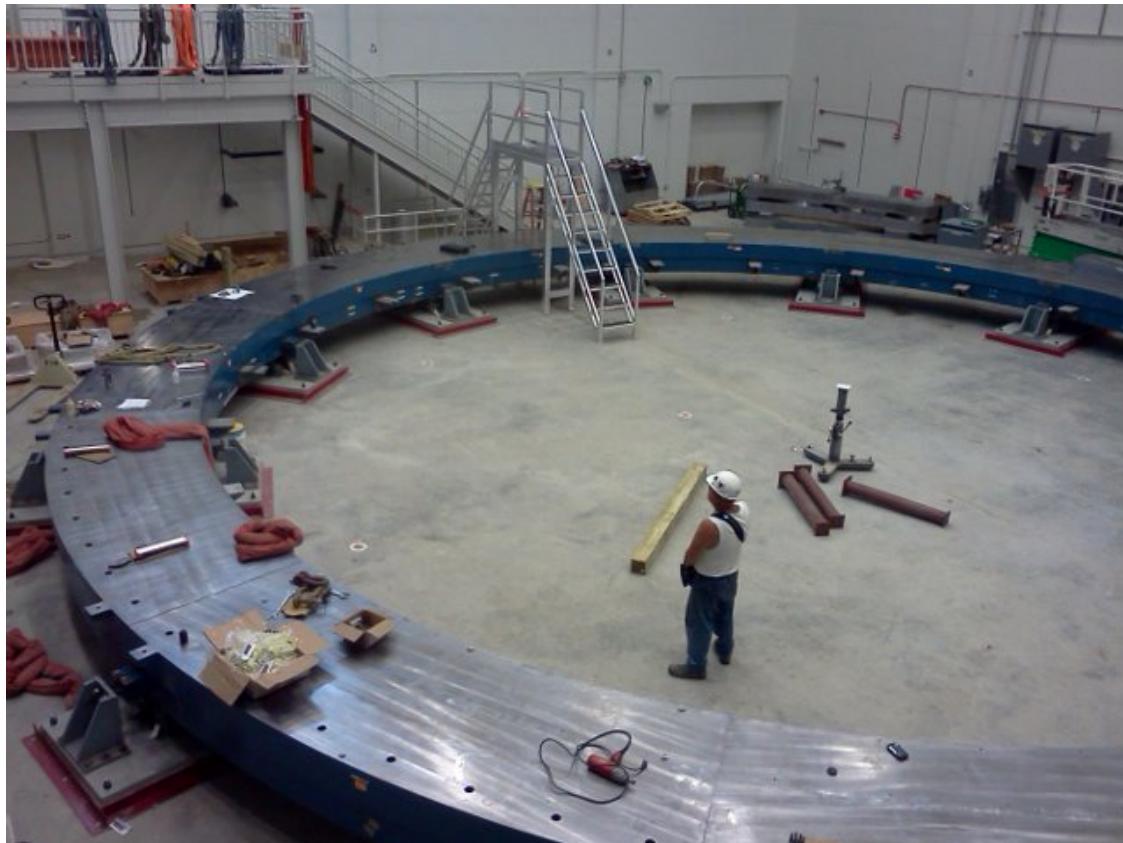


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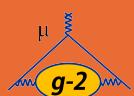


Lower Yoke installed



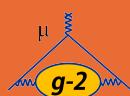
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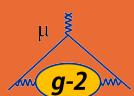
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Fermilab Muon g-2 Experiment

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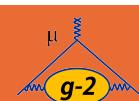
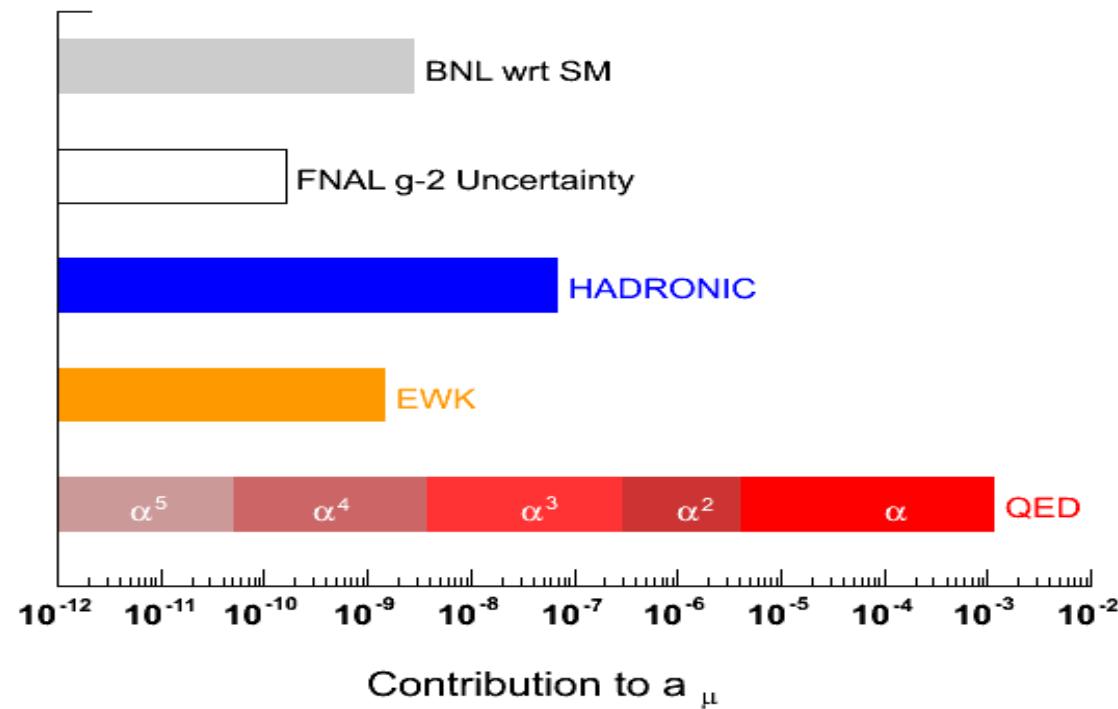
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BNL → FNAL

[54 (stat.) \oplus 33 (syst.) \rightarrow 11 (stat.) \oplus 11 (syst.)] $\times 10^{-11}$

0.54 ppm \rightarrow 0.14 ppm





Seven FNAL g-2 improvements



More μ per proton

Lower inst. rate

Fewer pions

Unique capabilities
of FNAL accelerators

Improved detectors

Improved stored muon
beam dynamics

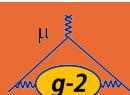
Improved field uniformity, field
measurement & calibration

Improved modeling of beam
& detectors

New / improved technologies

Additional collaborators

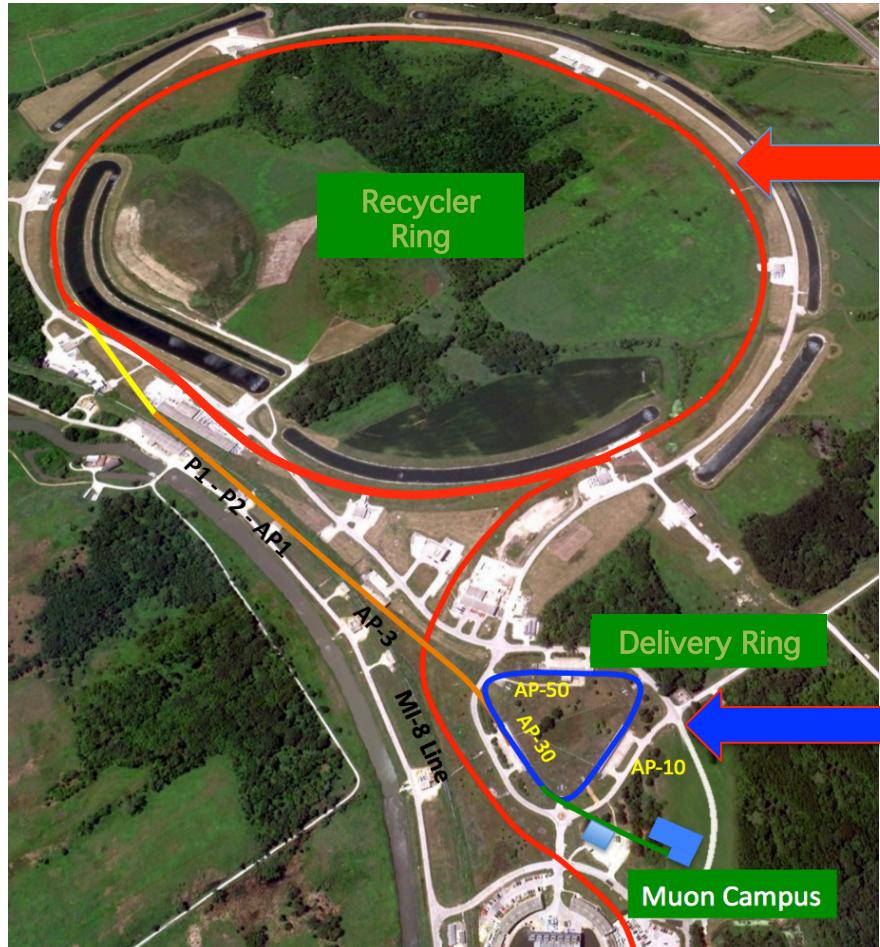
Building on wealth of experience
from BNL E821 & other expts



Accelerator Modifications

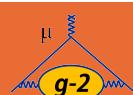


To provide x20 more muons at lower inst. rate with much reduced pion contamination compared to BNL.



Proton accelerator modifications
(Recycler & Booster)

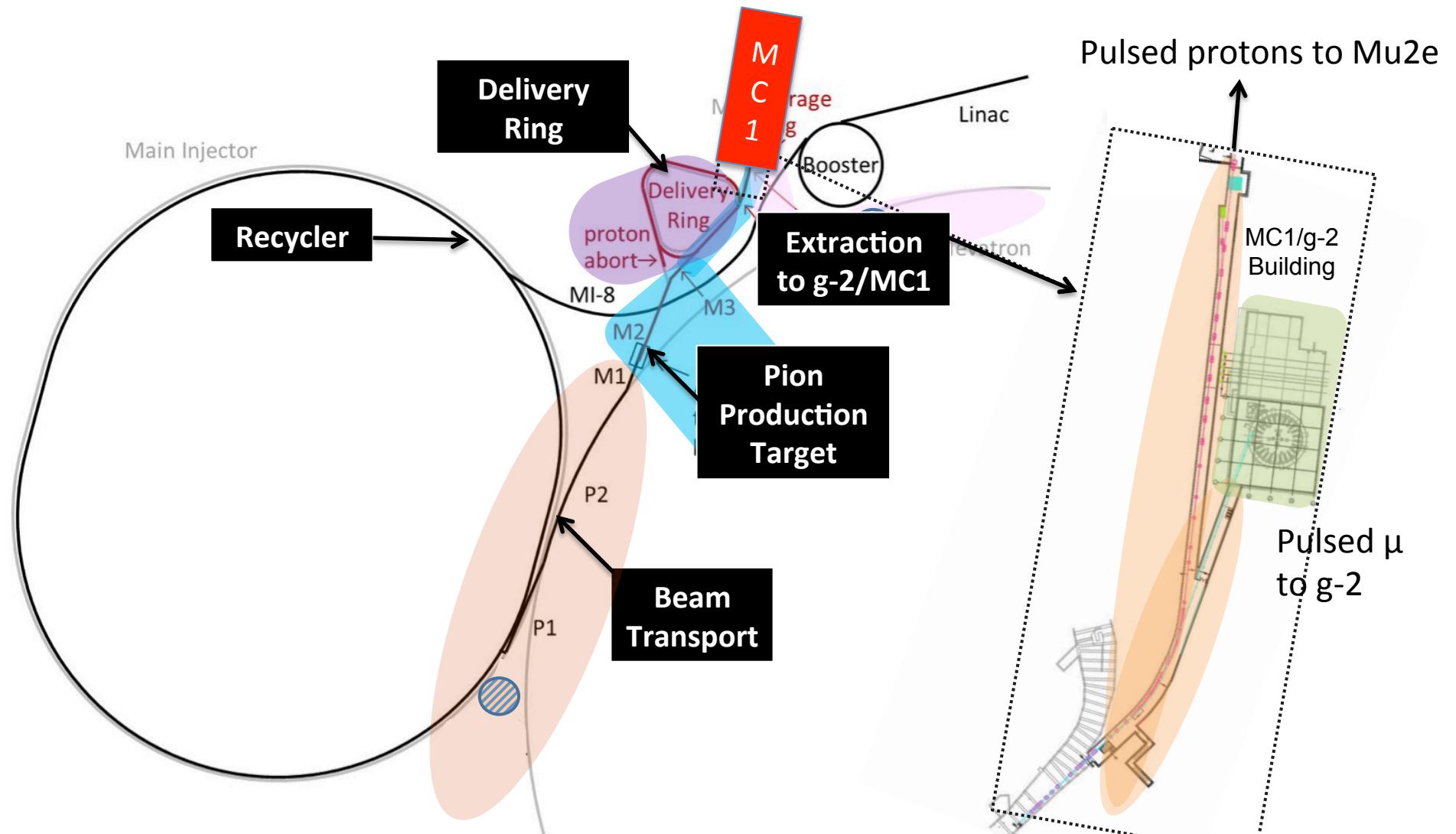
Old Pbar complex being
re-configured to provide muons.
aka “The Delivery Ring”



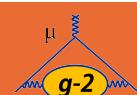
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Accelerator Modifications



Many of these modifications are also required by Mu2e



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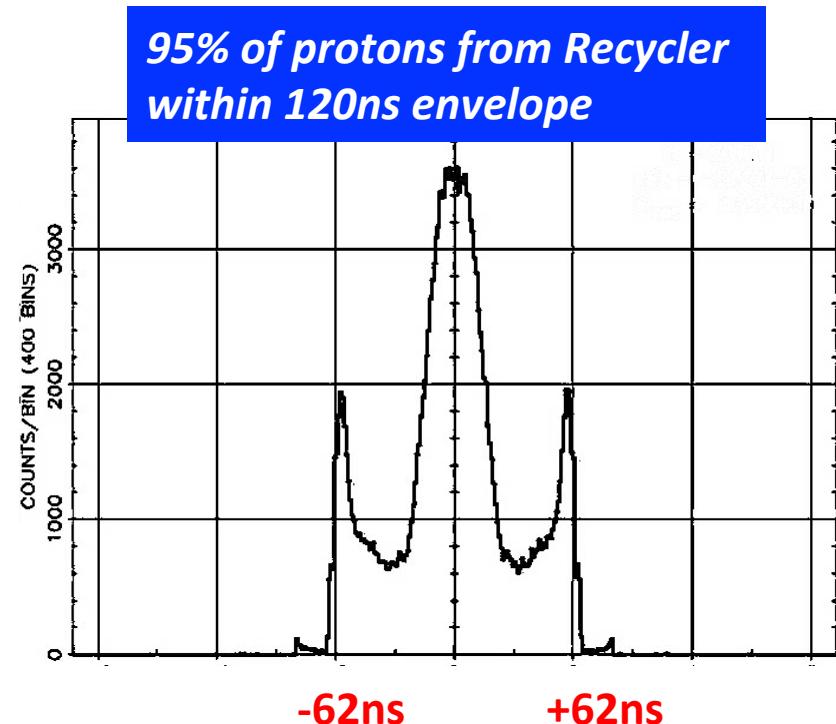
Accelerator Requirements



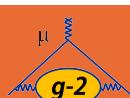
- 4 proton pulses of 10^{12} @ 8 GeV separated by 10ms (av rate 12 Hz)
- pulse duration to be less than cyclotron period (149ns)

- dispersion in pion momentum < 2%
- long pion decay beamline

Re-uses much of current infrastructure
but requires new beamlines, kickers,
power supplies, controls etc



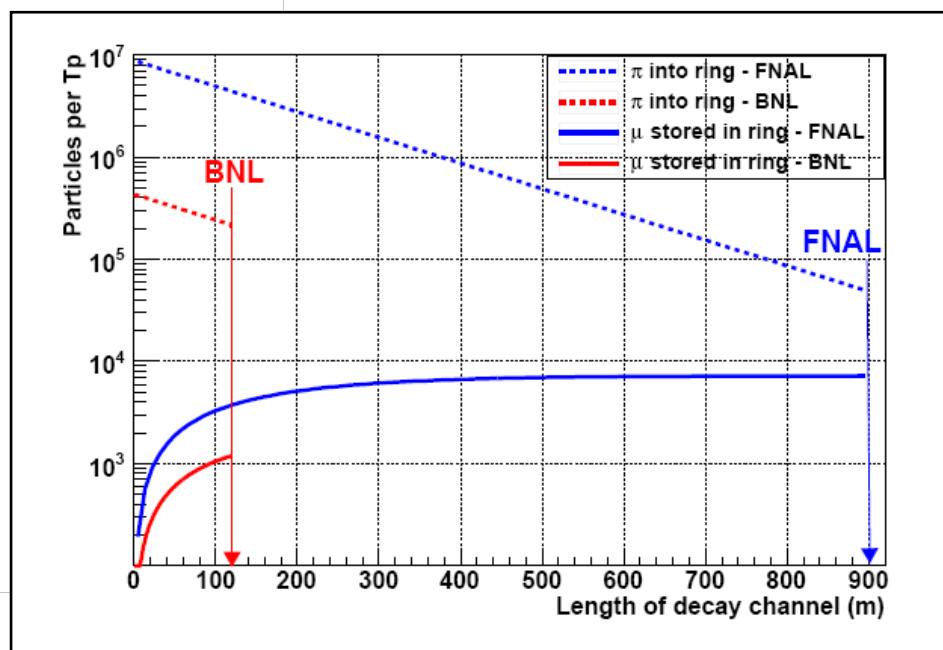
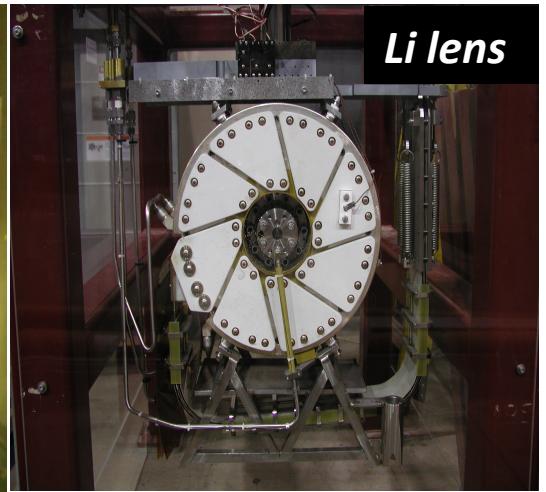
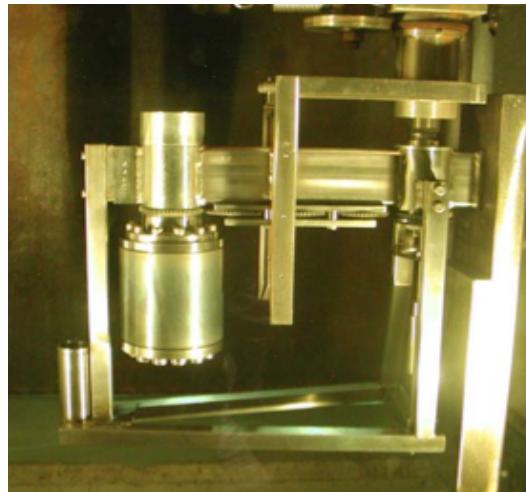
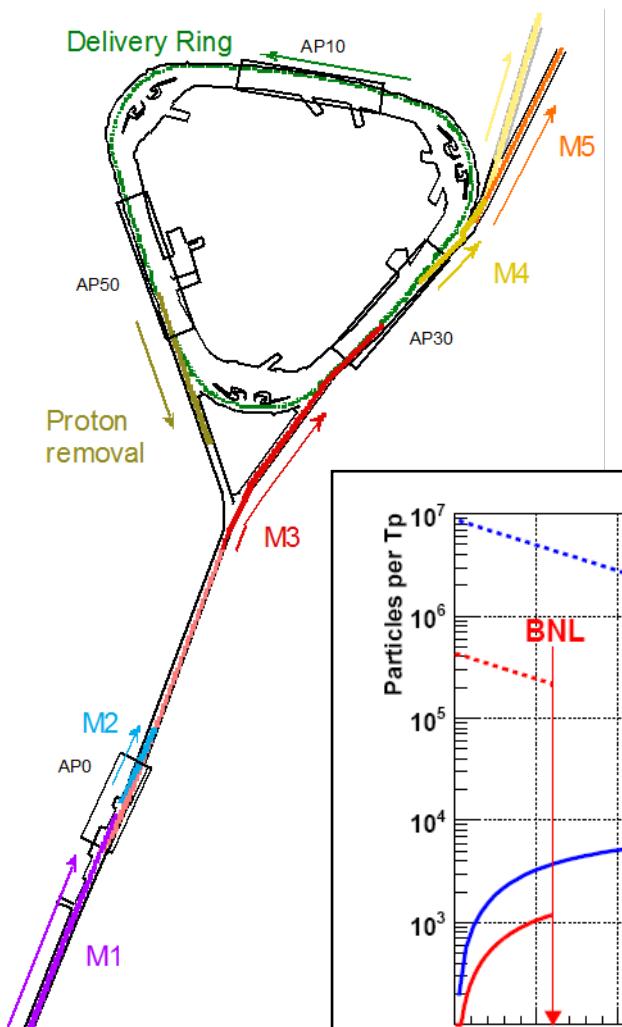
Each 10^{12} proton pulse results in $\approx 16,000$ stored 3.09 GeV muons in g-2 ring



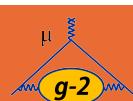
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Accelerator Modifications



Lens tested at
required 12 Hz rate

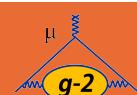


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Schedule is funding-constrained.
Beamlines will be ready for operation in April 2017.



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Accelerator mods : x20 in stats



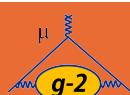
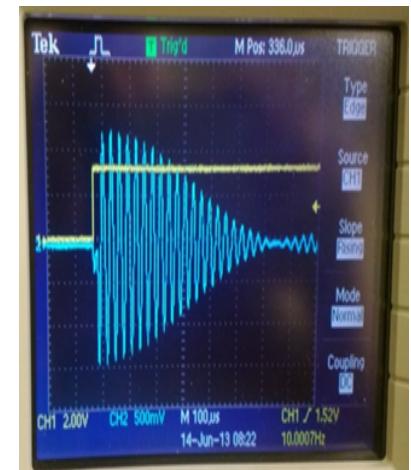
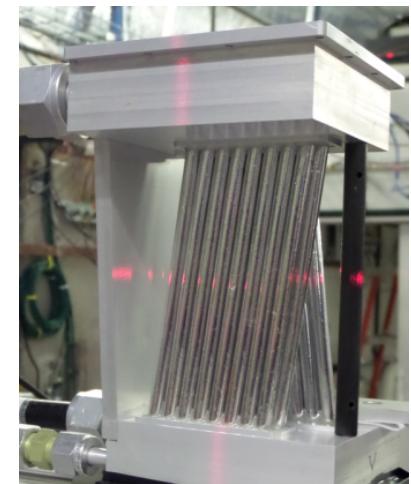
Final challenge : reduce systematics by factor of ~ 3 .

B-field systematic (ω_p) from 0.17 ppm \rightarrow 0.07 ppm

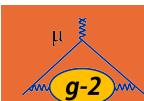
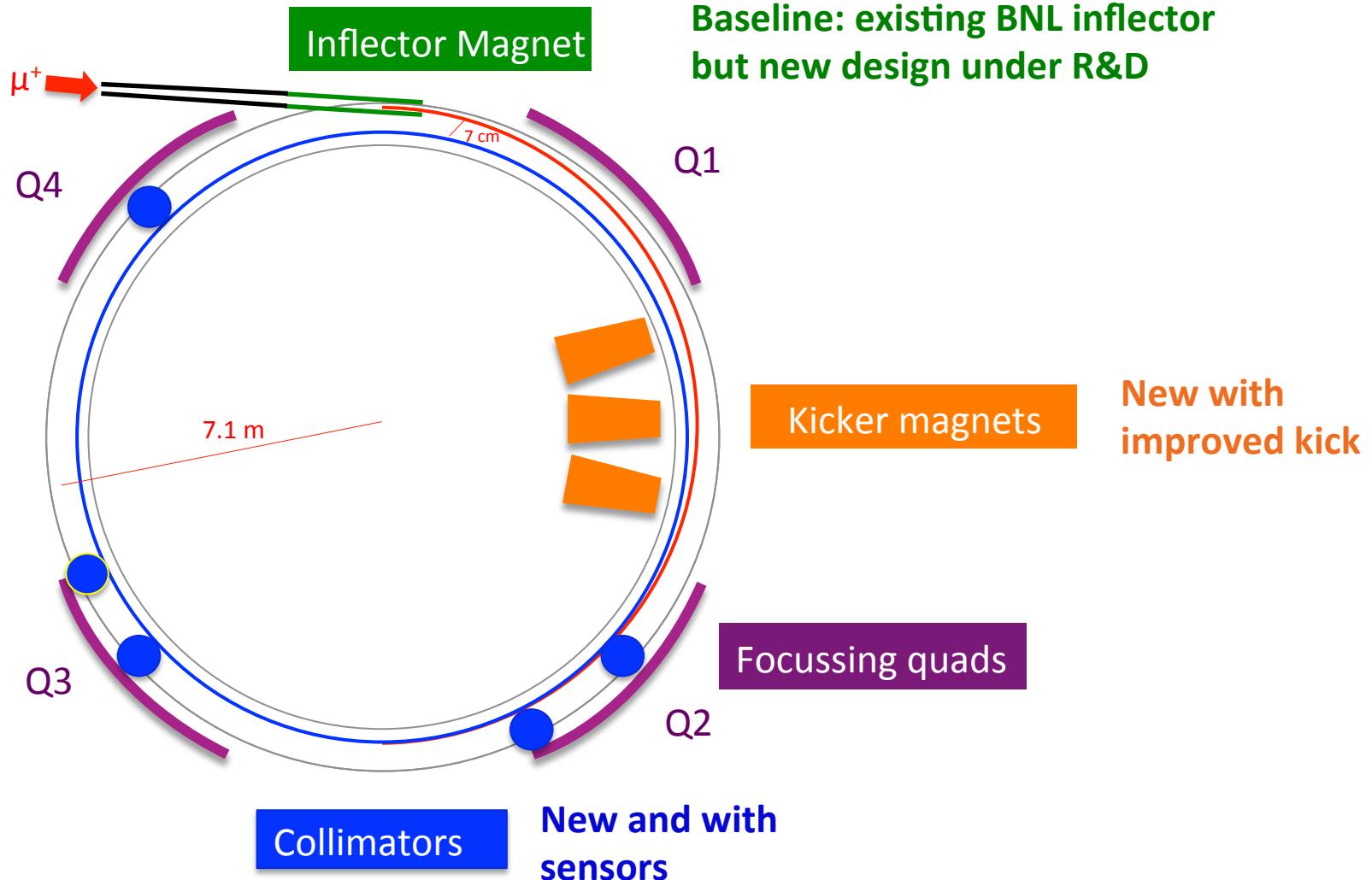
Precession systematic (ω_a) from 0.2 ppm \rightarrow 0.07 ppm

Many aspects to achieving this:

- New, improved detectors, calibration & readout systems
- Improved beam stability/monitoring e.g. new kicker
- Improved calibration/shimming/readout of B-field
- End to end simulation of both accelerator, storage ring and detectors



Improvements to injection system

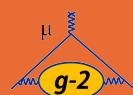
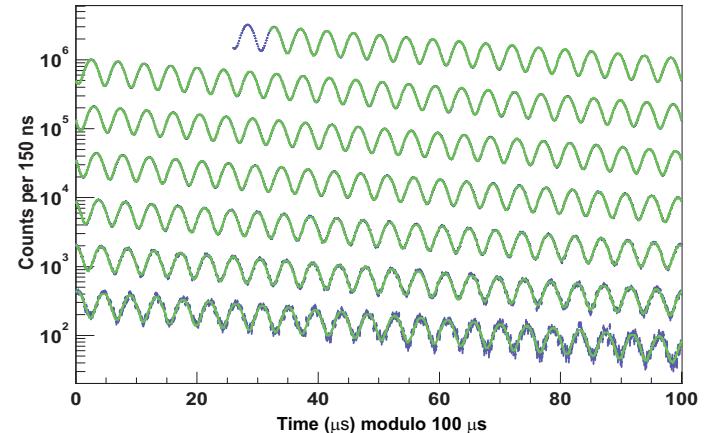


Fermilab Muon g-2 Experiment

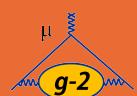
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Injection, beam orbit / stability important to:

- minimise muon losses
 - maximise statistics
 - minimise impact of losses that are time dependent
- minimise corrections to the “spin equation”
 - vertical betatron oscillations mean : $v \cdot B \neq 0$ (aka “pitch correction”)
 - ± 15 MeV variance in beam momentum (aka “E-field correction”)
- ensure beam traverses known/consistent path in B-field



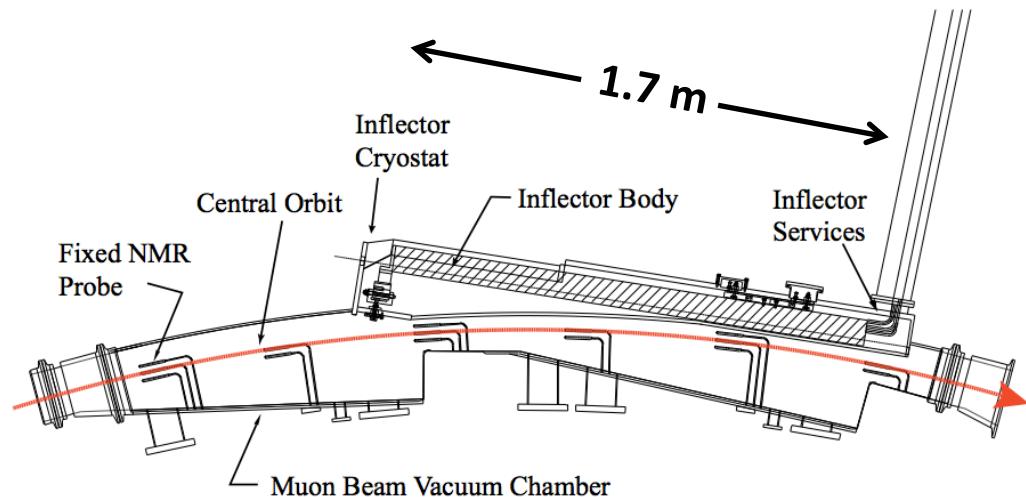
Inflector system



Fermilab Muon g-2 Experiment

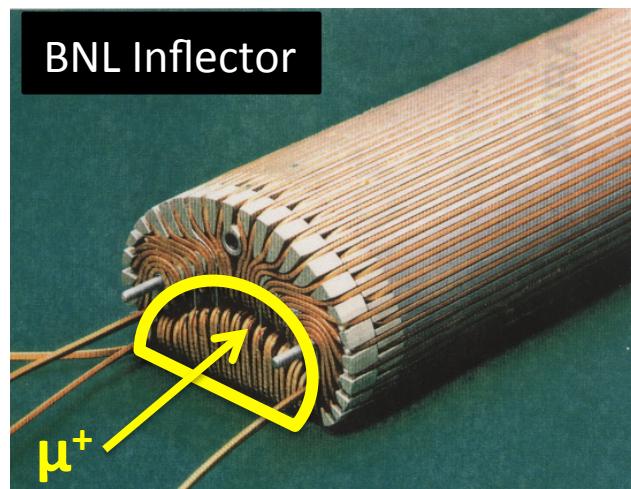
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Inflector system



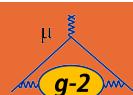
Nulls 1.45 T field at point of injection
Static and non ferromagnetic
Cannot leak flux into storage ring

Both magnet and shield

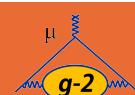
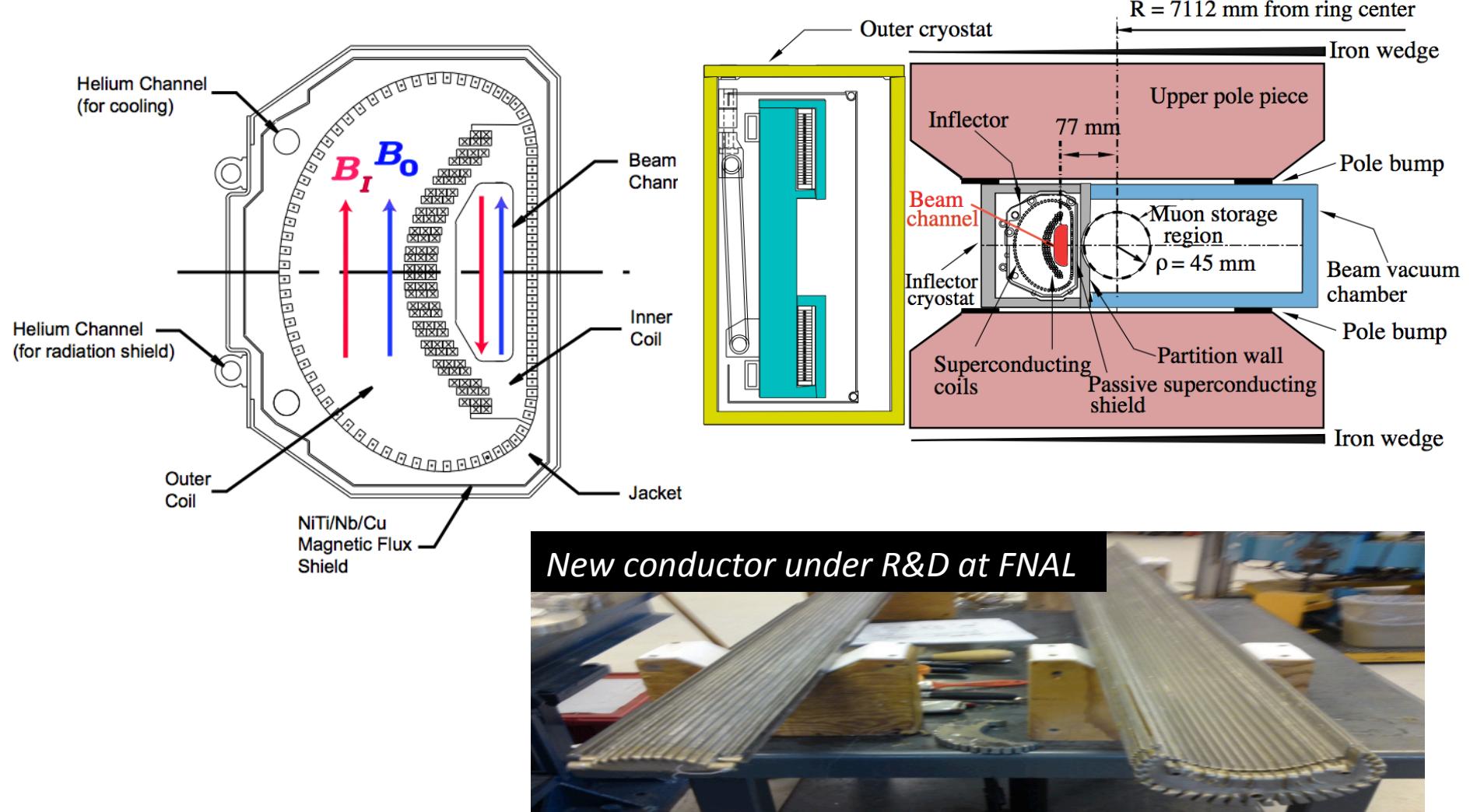


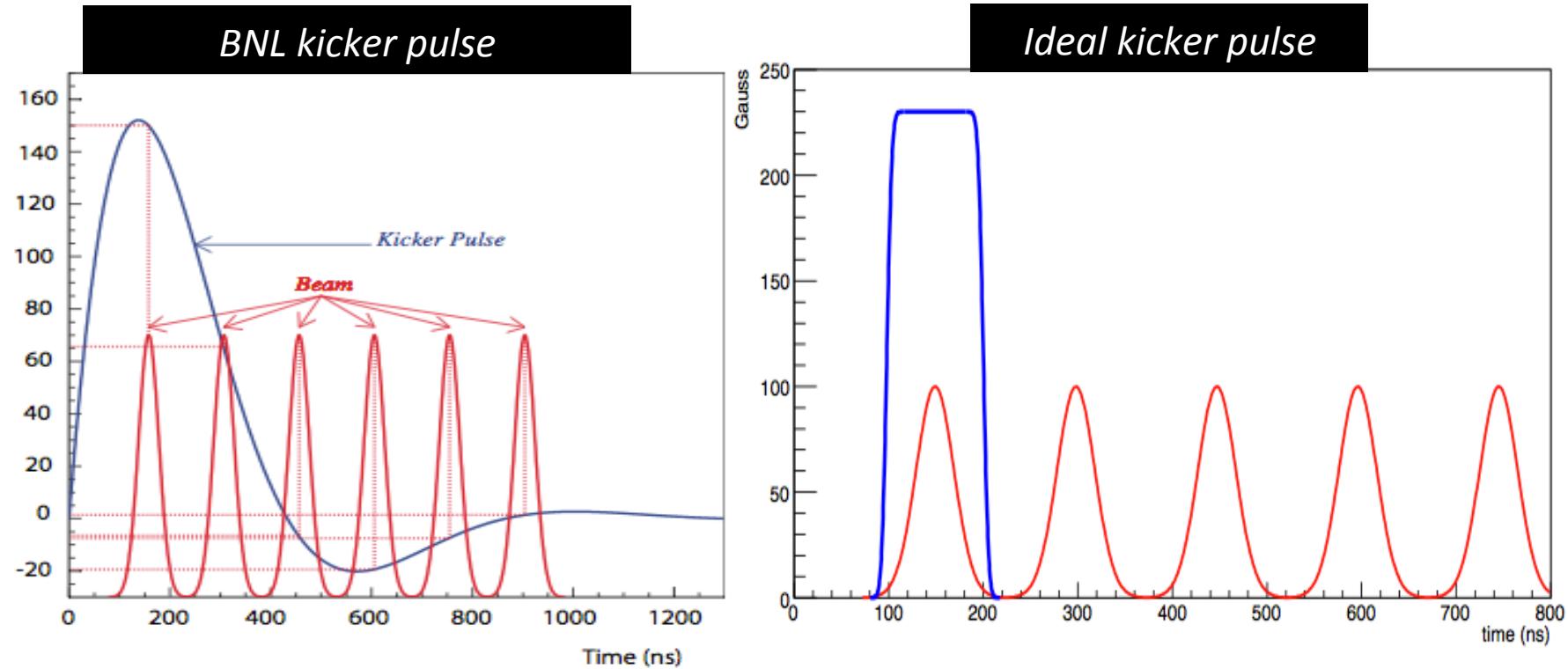
R&D into an open-end design:

- less scattering
- x2 more muons
- better matched



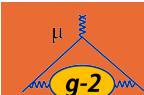
Two double (truncated) $\cos\theta$ magnets that trap their own flux.





No (or known) eddy currents during measurement period (30us after injection)

No ferrite materials that can affect the storage ring field

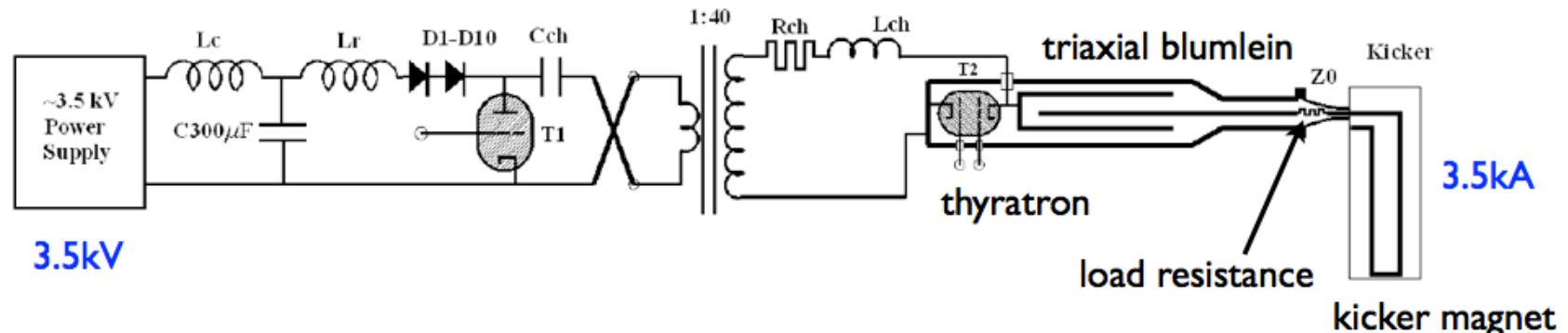




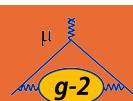
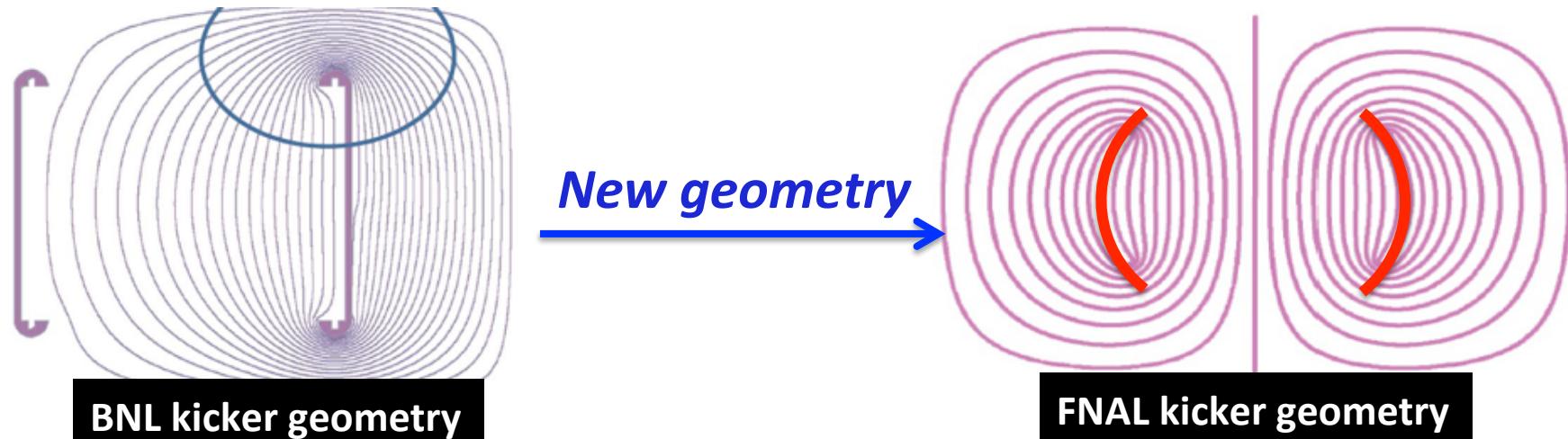
New Kicker Magnet



Blumlein double transmission line to form the pulse into the kicker plate

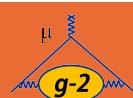
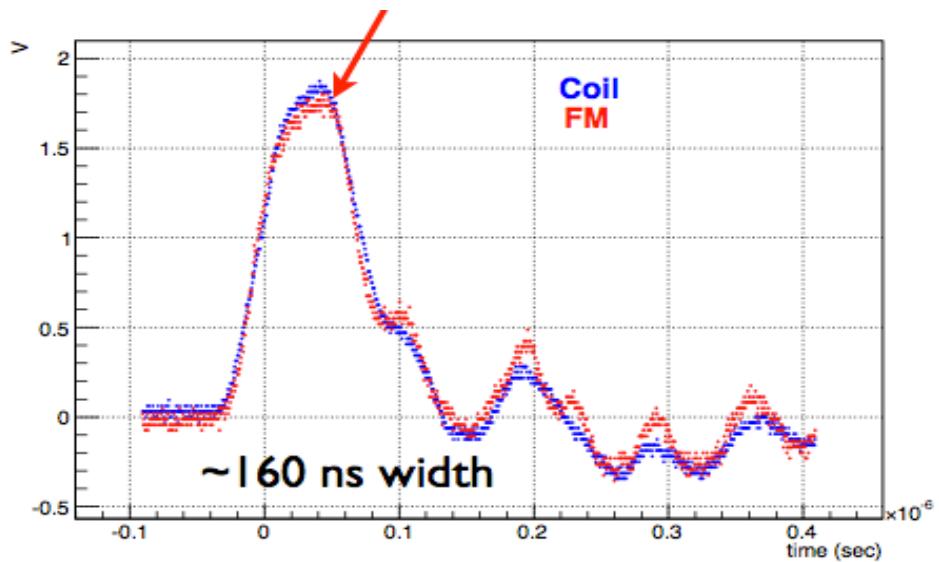
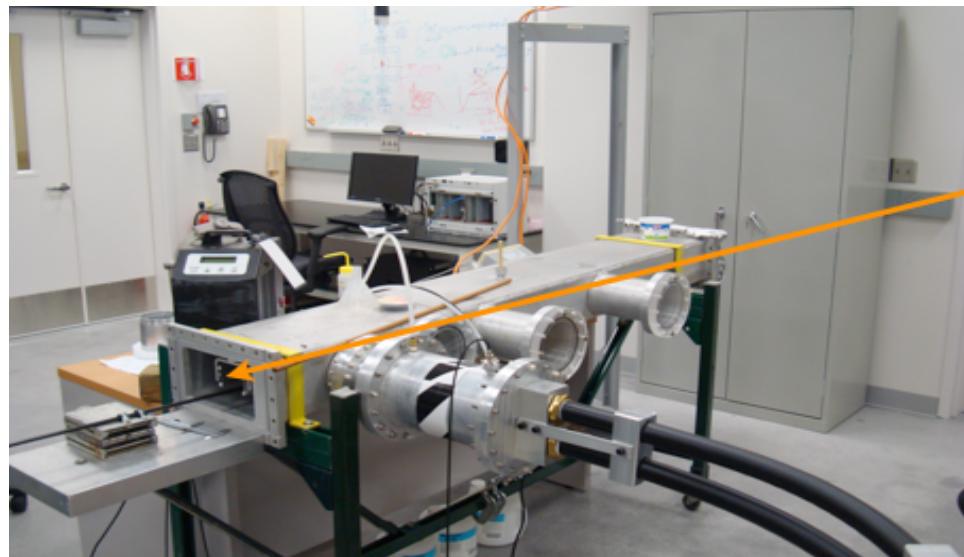
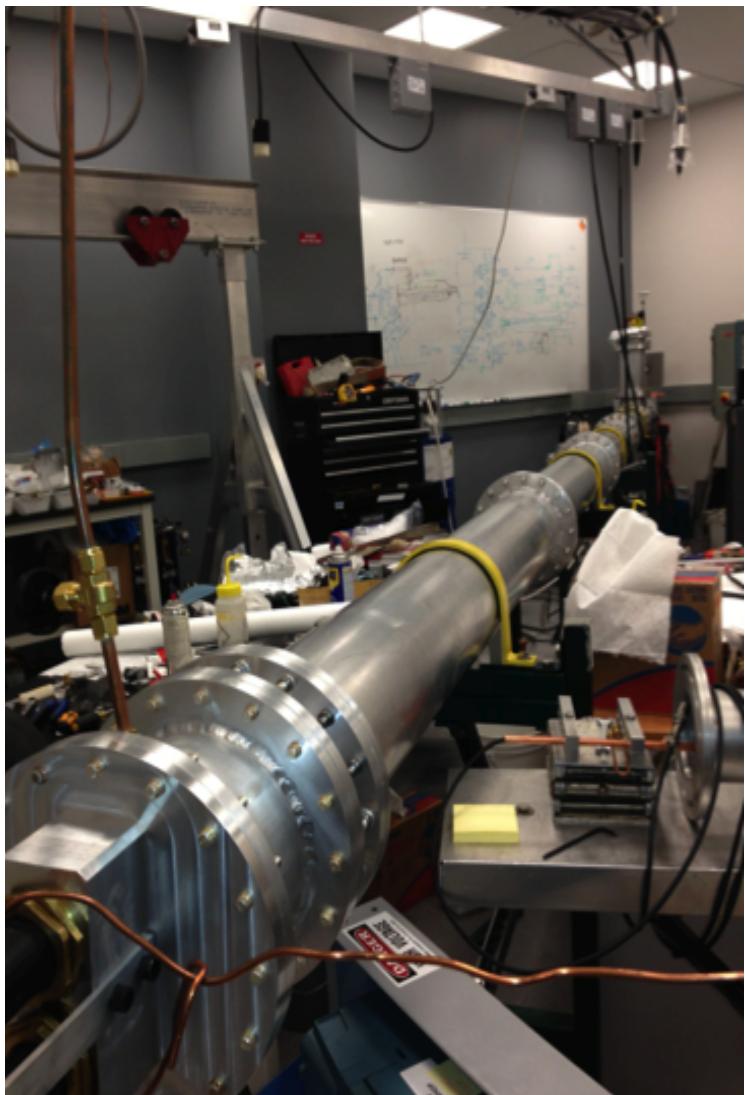


Stronger field between plates with reduced field at edge of plots



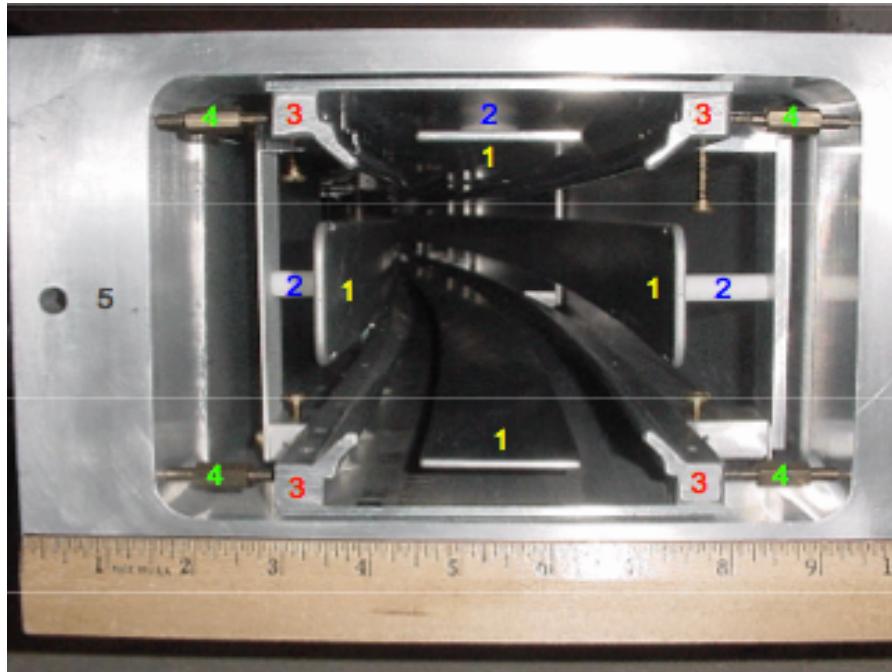


New Kicker Magnet



Fermilab Muon $g-2$ Experiment

Mark Lancaster : Discrete 2014 : p41



(1) plates, (2) HV standoffs, (3) trolley rails, (4) adjustment screws, (5) vacuum chamber

Dipole B-field & quadrupole E-field means beam undergoes
SHM (betatron) oscillations in vertical and radial direction.

Radial : affects detector acceptance.

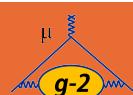
Vertical : lowers ω_a since $v \cdot B \neq 0$ (pitch correction)

Provide vertical focussing of beam

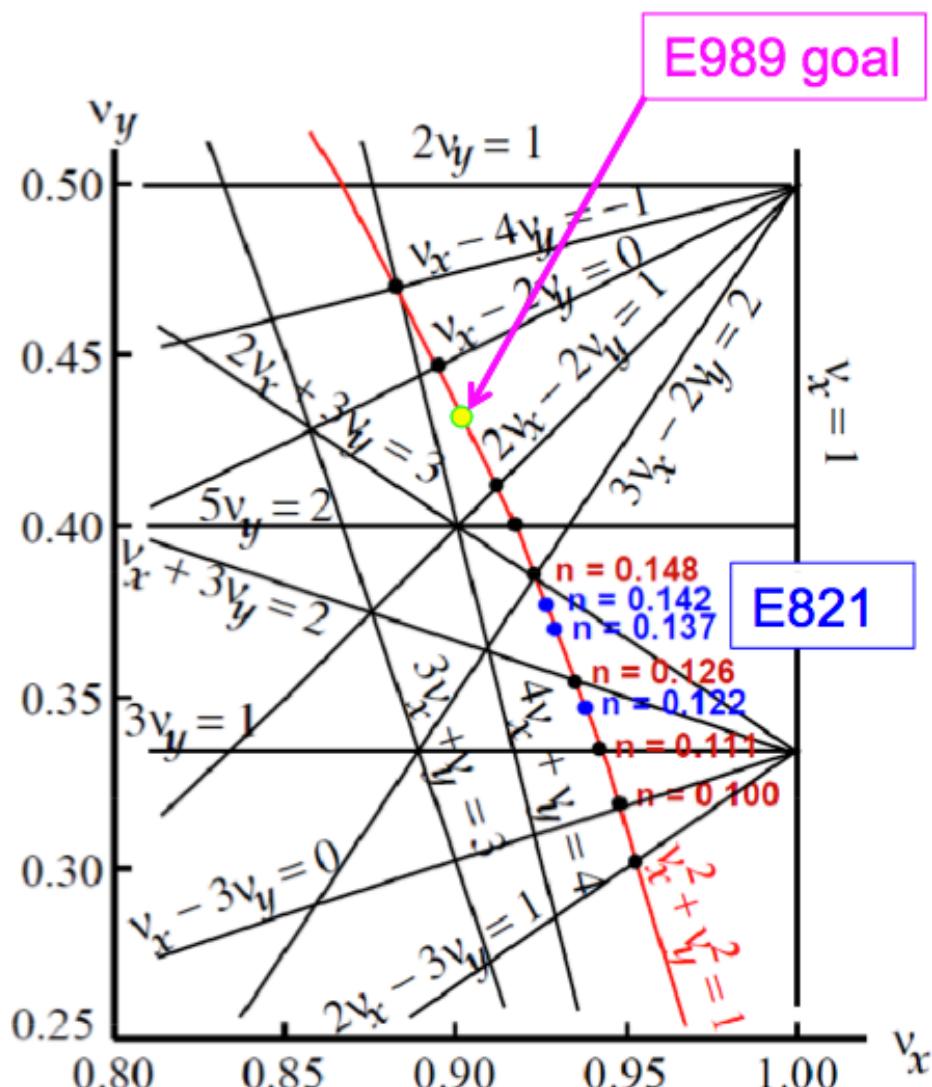
4 (non-ferrite) metal plates under HV

Influences:

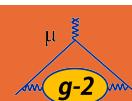
- # lost muons
- E field correction
- ω_p (orbit distortion)



Quadrupoles and n-value

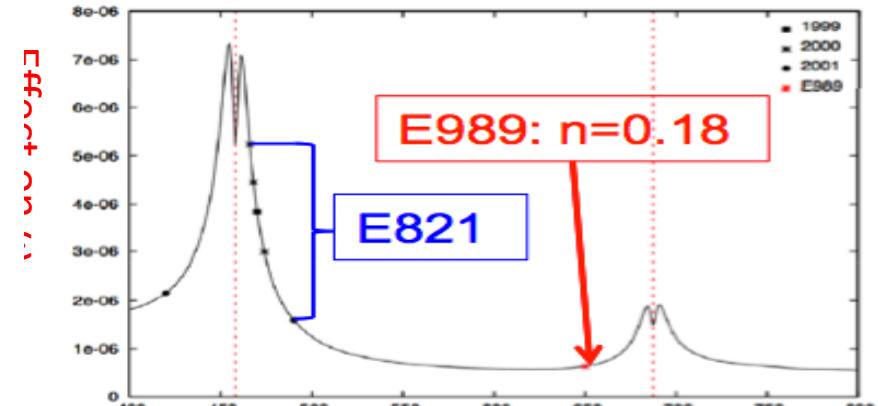
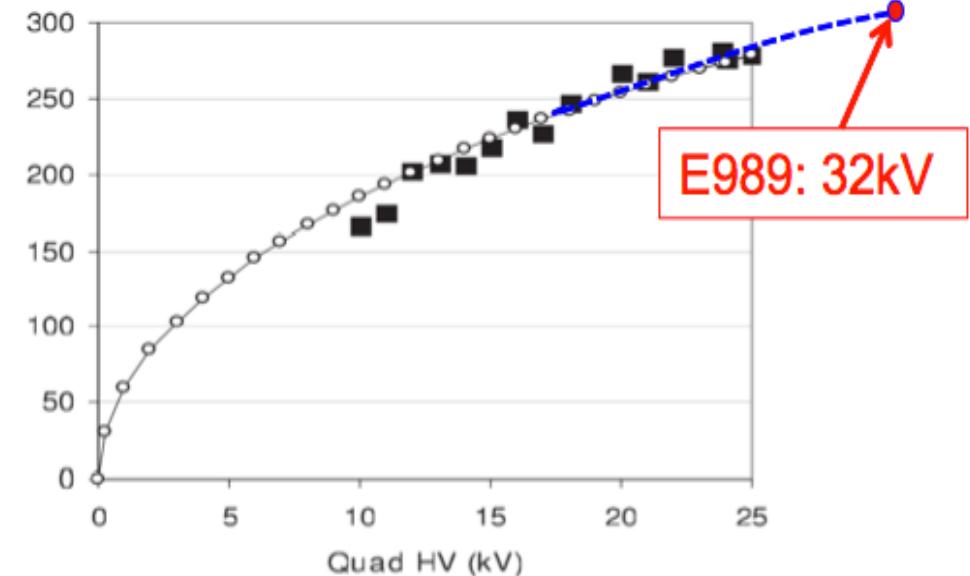


Avoid resonances & minimise CBO impact



Fermilab Muon g-2 Experiment

Increase “n” by increasing quad field



SHM (CBO) frequency

Mark Lancaster : Discrete 2014 : p43

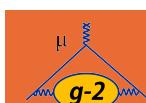


Impact of Quad field, position on ω_a

$$\frac{\Delta\omega_a}{\omega_a} = -2 \frac{\beta E_r}{cB_y} \left(\frac{\Delta p}{p_m} \right) = -2n(1-n)\beta^2 \langle x_e^2 \rangle R_o^2$$

$\Delta p/p$ (%)	Q position	E -field	B_y (ppm)	C_E (ppm)	Δ (ppb)
0	perfect	pure quad	0	0	0.01
0.25	perfect	pure quad	0	2.74	3.0
0	perfect	m-poles	0	0	0.1
0.25	perfect	m-poles	0	2.74	8.7
0.25	perfect	pure quad	$10 \cos(\varphi)$	2.74	3.5
0.25	$Q_{1x} = 0.3$ mm	pure quad	0	2.74	8.7
0.25	$Q_{1x} = 0.3$ mm	m-poles	0	2.74	17.8
0.25	$Q_{1x} = 0.3$ mm	m-poles	$10 \cos(\varphi)$	2.74	22.1
0.25	$Q_{1x} = 0.3$ mm $Q_{3x} = 0.3$ mm	m-poles	$10 \cos(\varphi)$	2.74	33.9

0.03 ppm is FNAL aim. BNL achieved 0.065 ppm





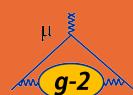
Quad affect on “pitch correction”



Smaller than E-field correction but again requires precise alignment of quads
Again it systematically lowers ω_a

A_y (mm)	Q position	E -field	B_r (ppm)	C_P (ppm)	Δ (ppb)
0	perfect	pure quad	0	0	0.006
41.2	perfect	pure quad	0	1.51	3.5
40.7	perfect	m-poles	0	1.47	6.5
41.0	perfect	m-poles	-10	1.50	7.5
40.7	$Q_{1y} = 0.3$ mm	m-poles	0	1.47	8.0
41.2	$Q_{1y} = 0.3$ mm	pure quad	0	1.51	6.2
41.1	$Q_{1y} = 0.3$ mm $Q_{3y} = -0.3$ mm	pure quad	0	1.50	8.8

A_y : Amplitude of vertical betatron oscillation



Fermilab Muon g-2 Experiment

Mark Lancaster : Discrete 2014 : p45



B-field measurement

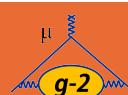
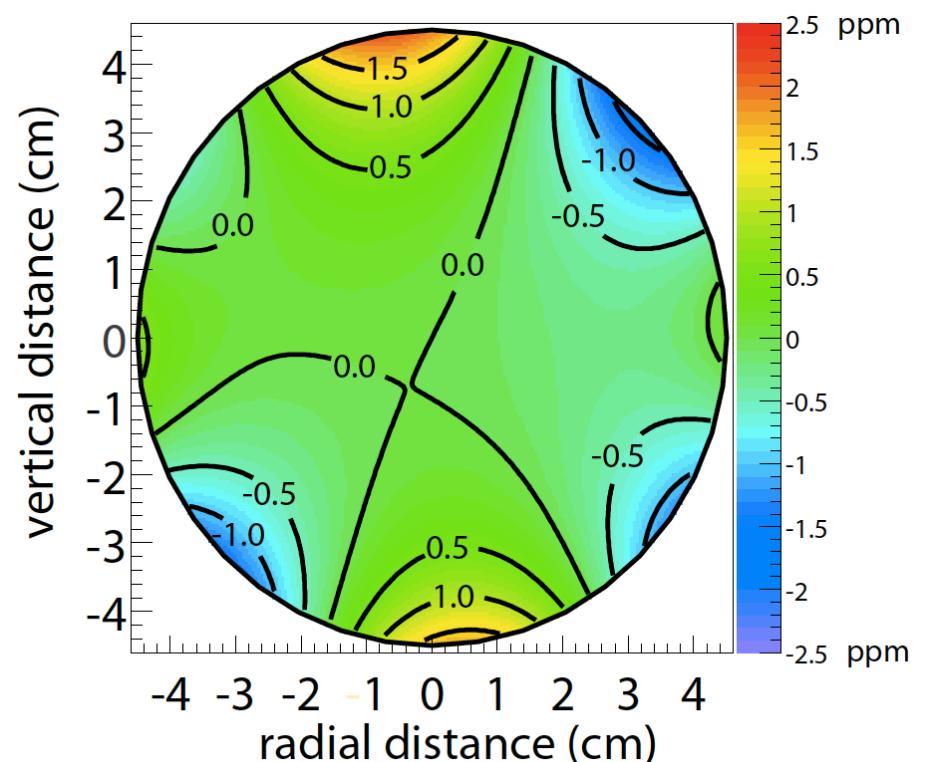
ω_p systematics need to be reduced by a factor of 2.5

Better run conditions, e.g.
temperature stability.

Improved shimming of magnetic
field to high uniformity

Smaller stored muon distribution

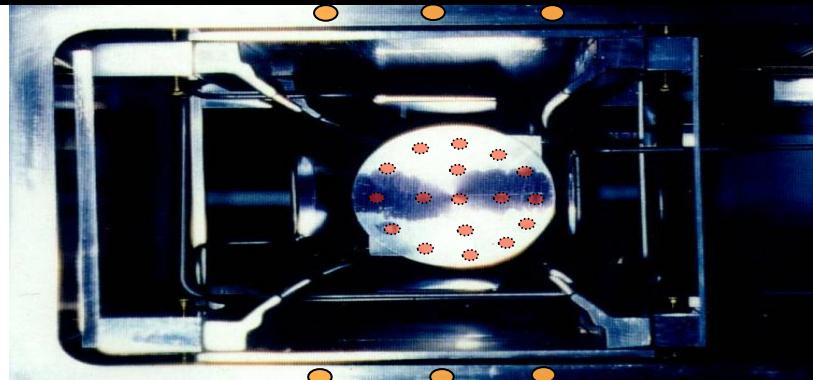
Hardware and simulation
improvements



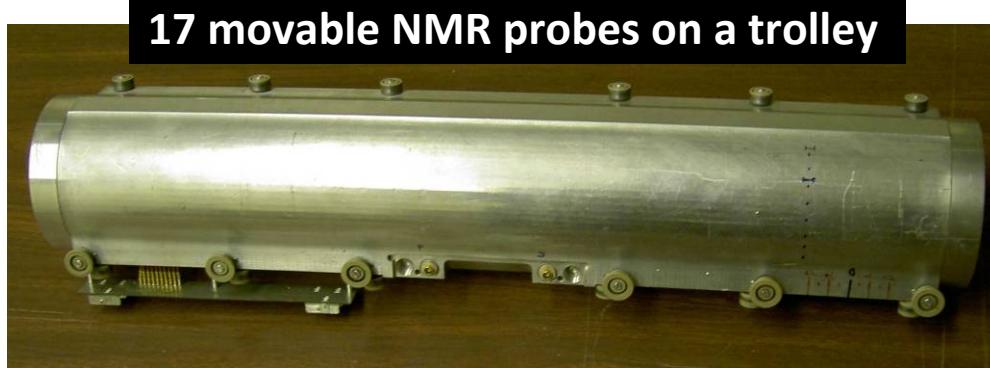
B-field measurement



300+ NMR probes in vacuum tank walls

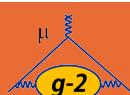


17 movable NMR probes on a trolley



Map field at 6,000 locations
every 2 hrs (vs 2 days BNL)

Much improved temp. control



Fermilab Muon g-2 Experiment

Mark Lancaster : Discrete 2014 : p47

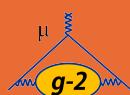


B-field measurement

Bar codes every 2.5mm to track location of trolley



Large bore solenoid now at ANL to test all NMR components to better than 20 ppb.



Fermilab Muon g-2 Experiment

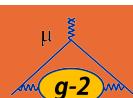
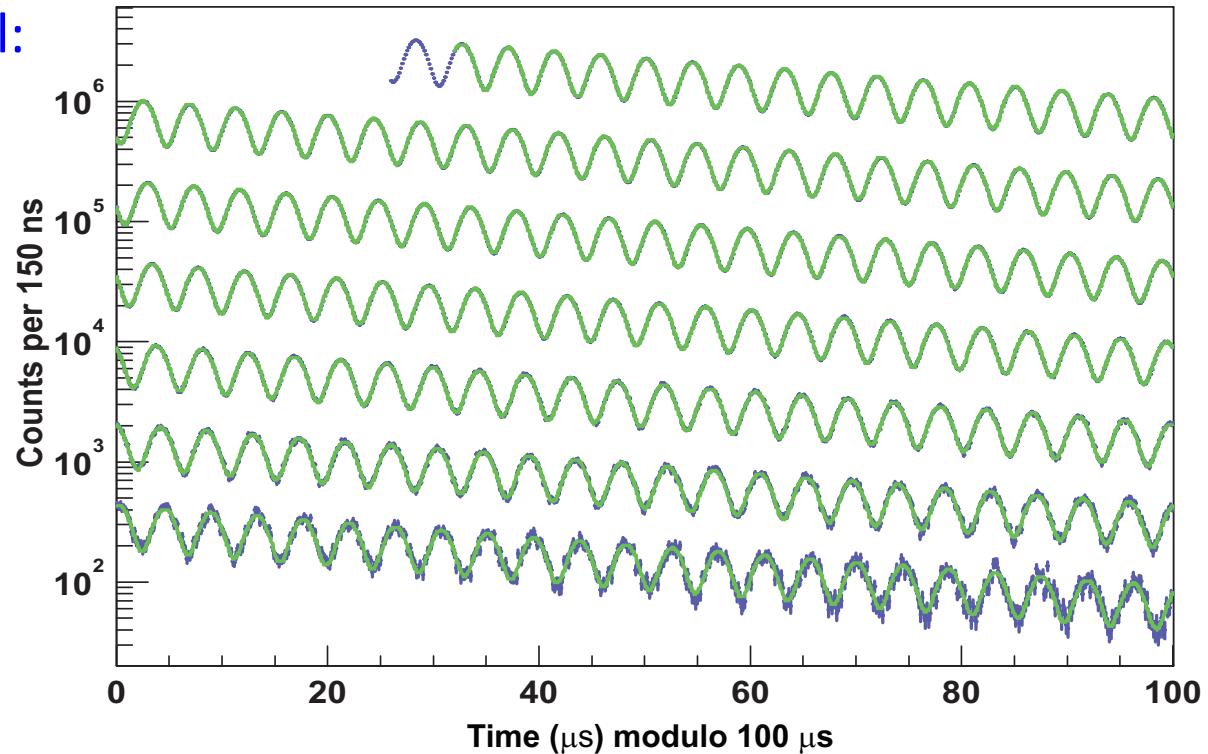
Mark Lancaster : Discrete 2014 : p48

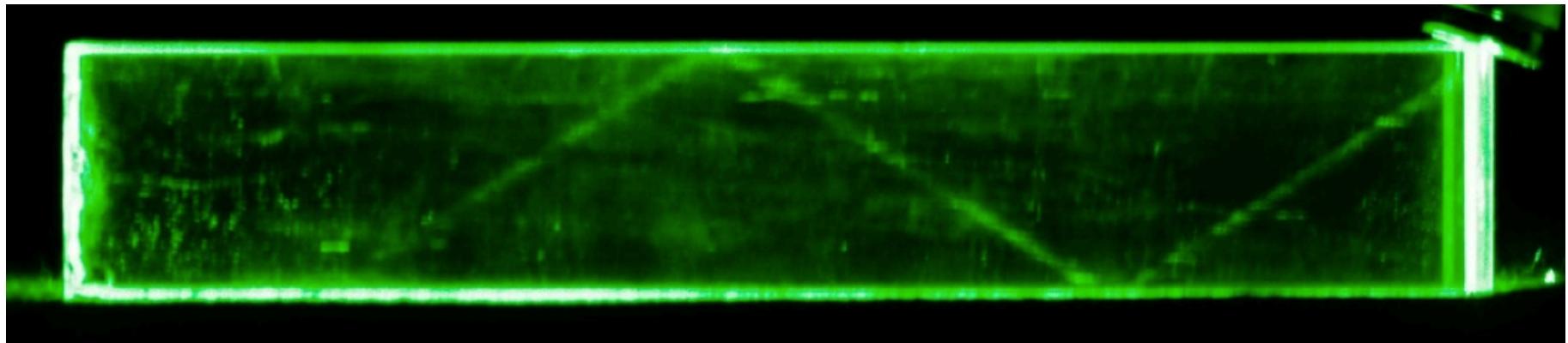
Syst. from lost muons, CBO, E & pitch-corrections : mitigated by quads, ring
but detectors provide the input / diagnostics

Detectors also the key in the other ω_a systematics & provide the “money-plot”

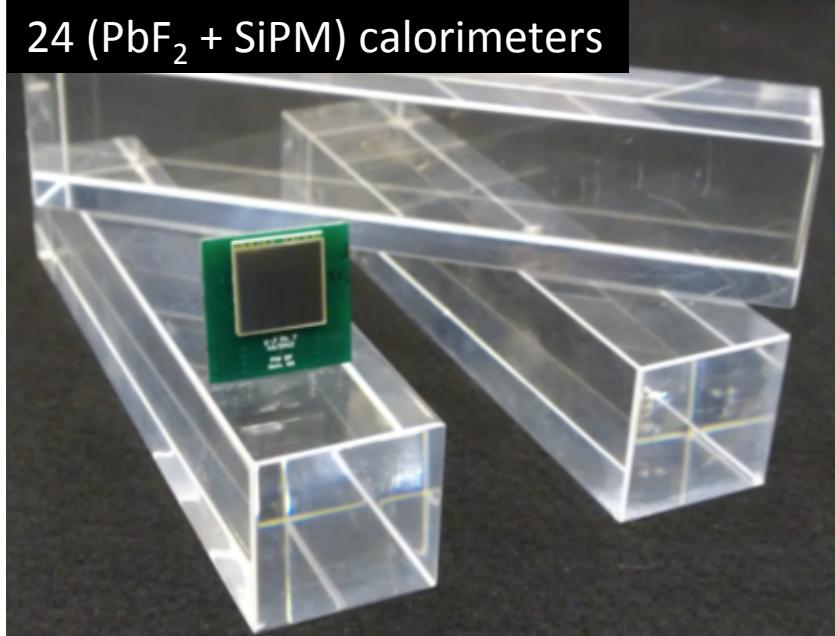
Key systematics to control:

- Gain changes
- Pileup

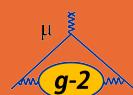
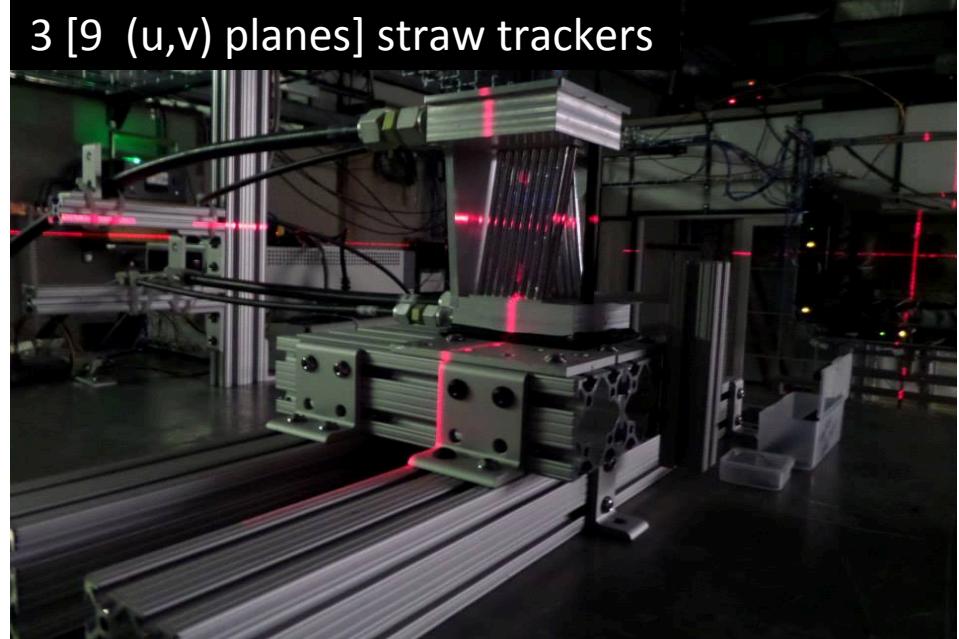




24 ($\text{PbF}_2 + \text{SiPM}$) calorimeters

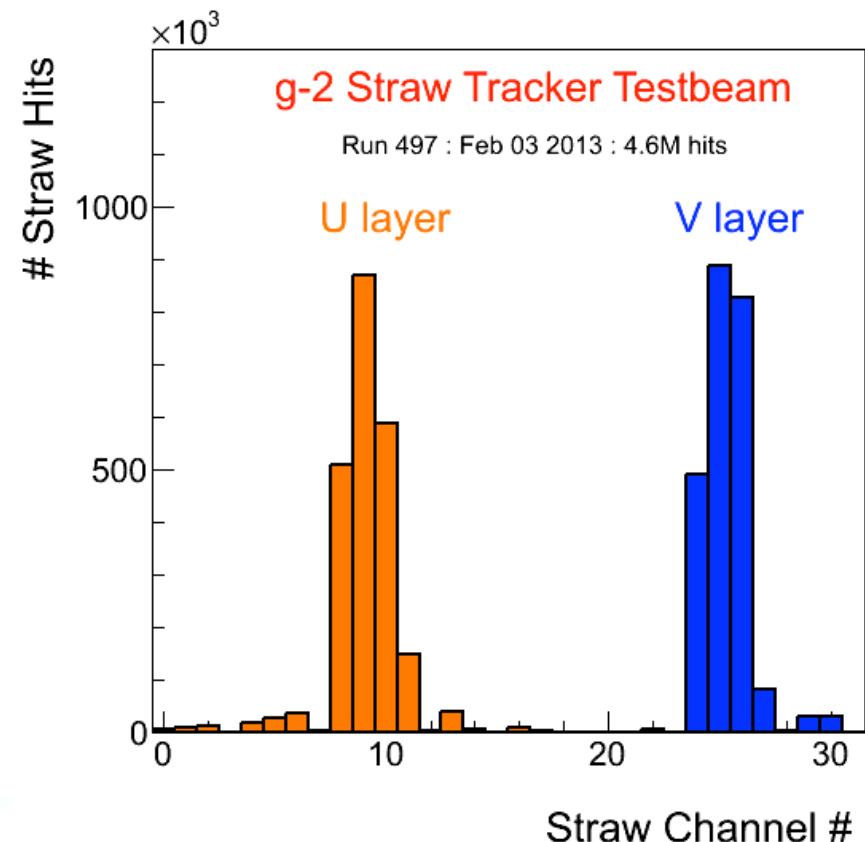
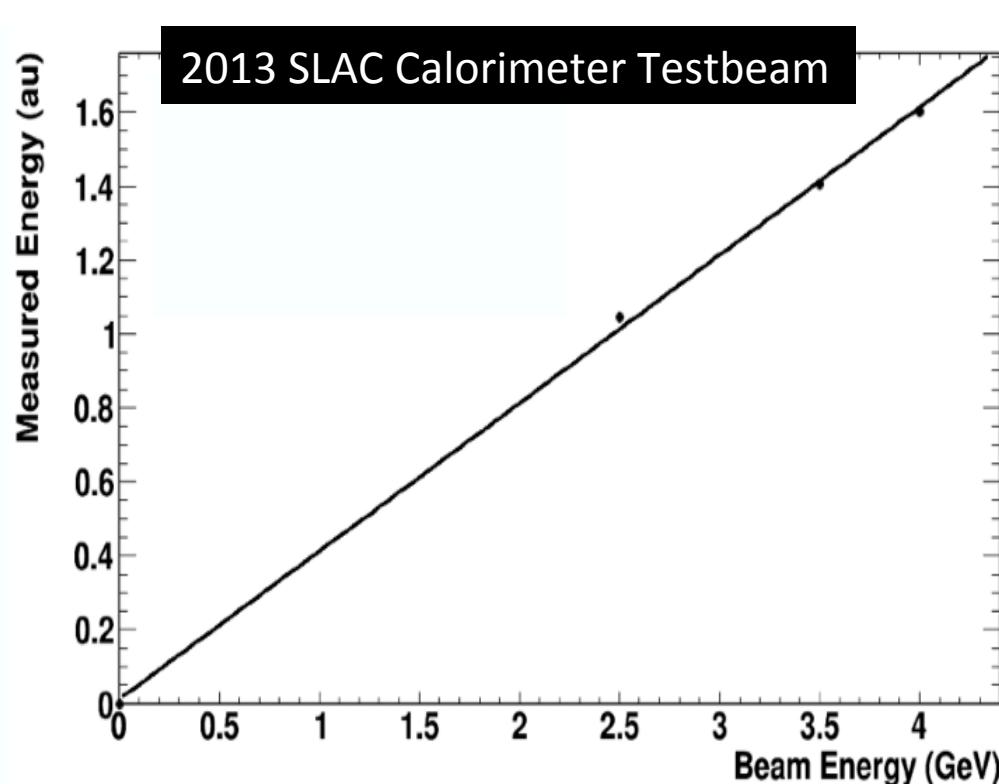


3 [9 (u,v) planes] straw trackers

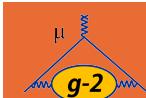


Fermilab Muon g-2 Experiment

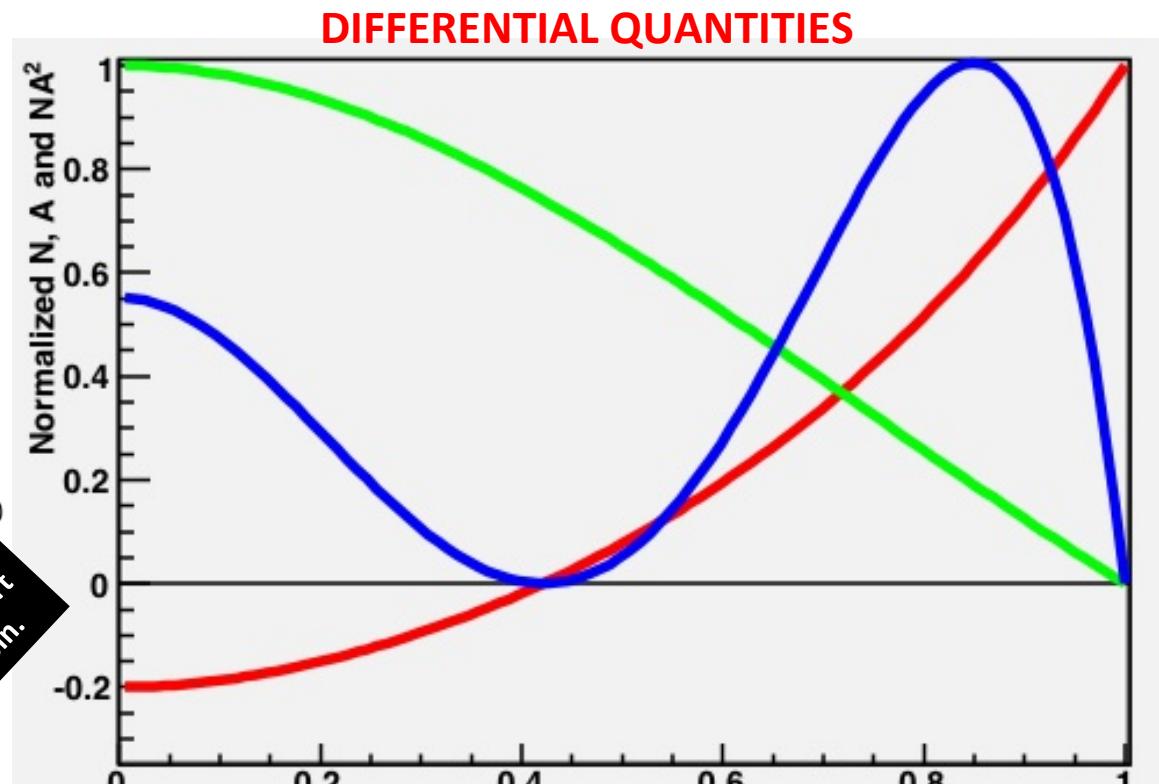
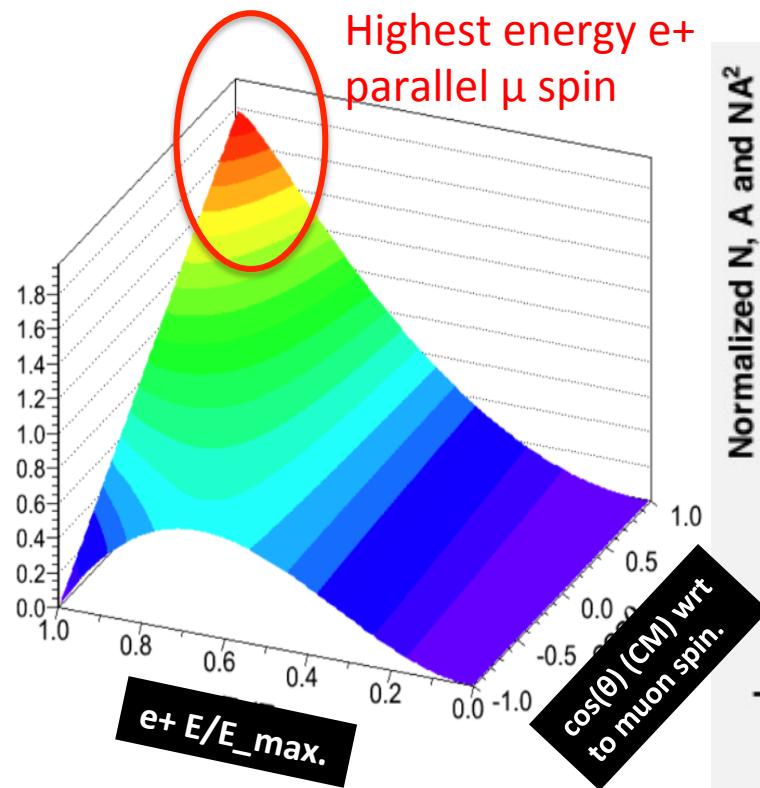
Mark Lancaster : Discrete 2014 : p50



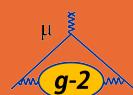
Working prototypes of both detector systems
Final versions of the detectors to be constructed in 2015/16.



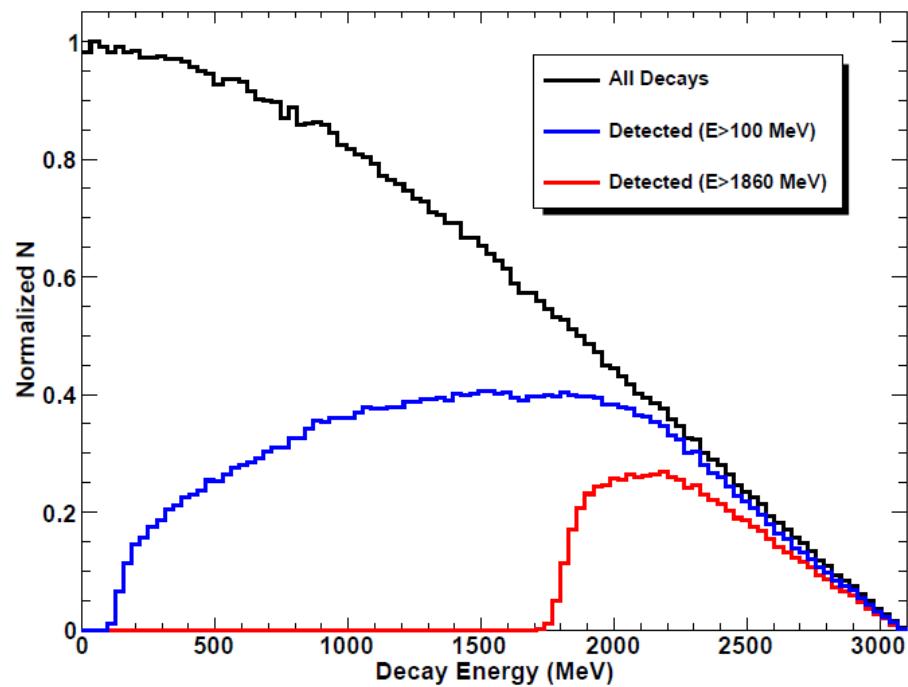
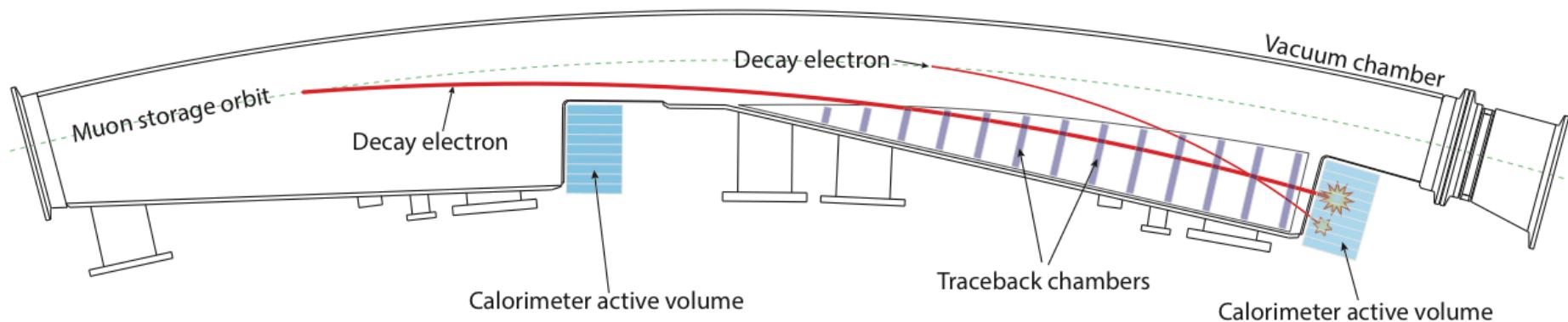
ω_a measurement



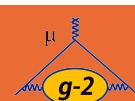
We select positrons above $E = 1.86 \text{ GeV}$: maximises sensitivity.



ω_a measurement



11% of positrons are above threshold and detected ($\sim 2k/\text{fill}$)



Fermilab Muon g-2 Experiment

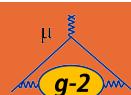
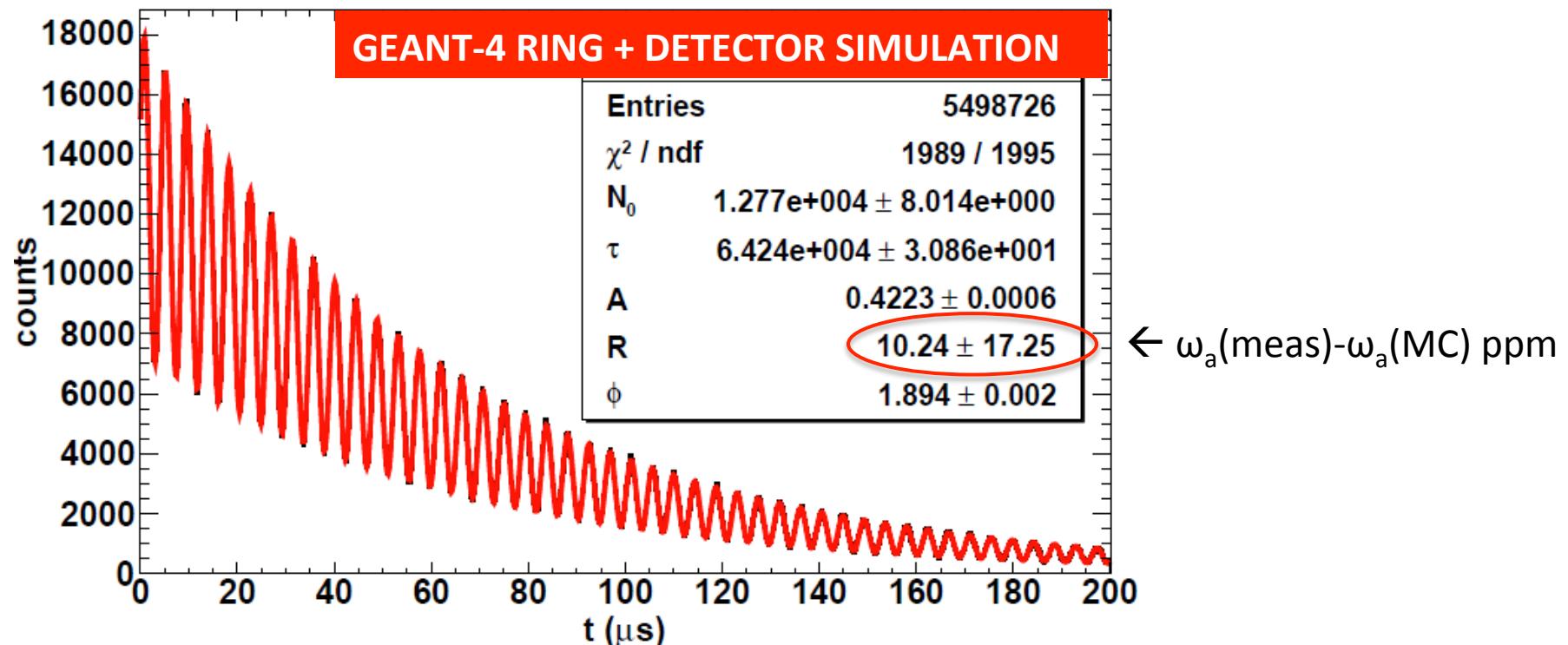
Mark Lancaster : Discrete 2014 : p53

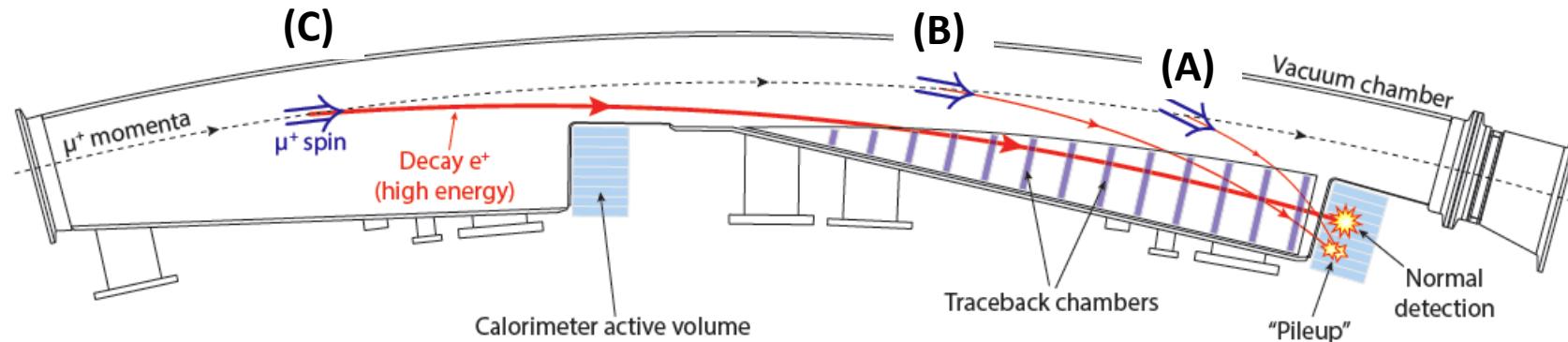
ω_a measurement



Simply plot of time of positrons above threshold and perform 5-par fit

$$N(t) = N_0 \exp(-t/\gamma\tau_\mu) [1 - A \cos(\omega_a t + \phi)]$$



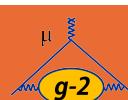
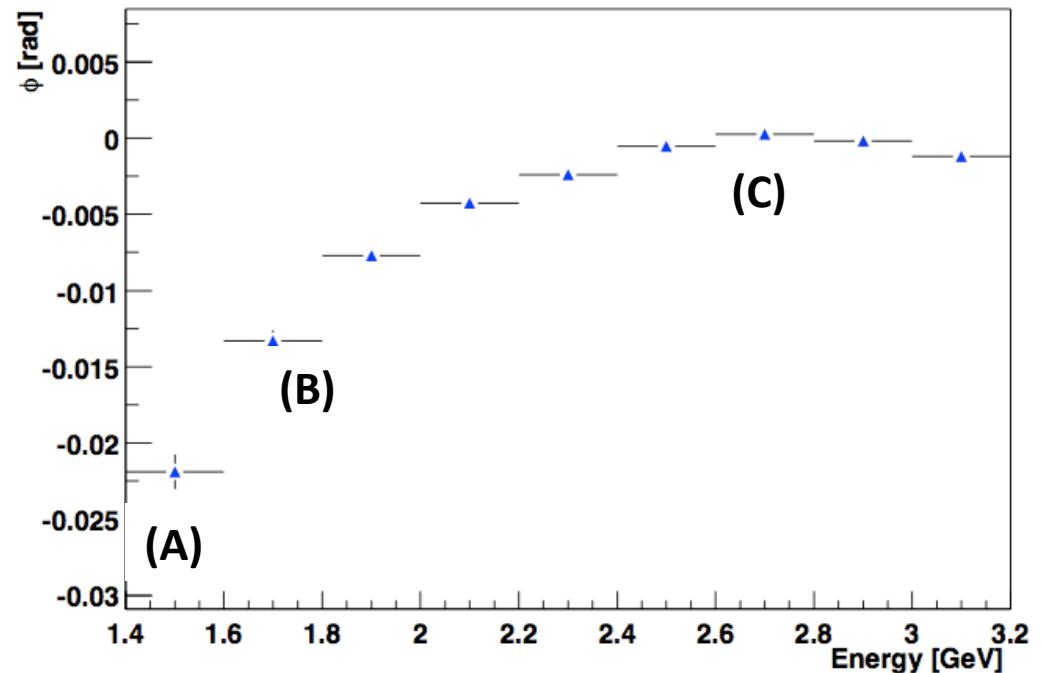


Calorimeter:

- more segmented.
- x2 sampling (800M/s) vs BNL
- quicker response (5 ns)
- improved energy resolution

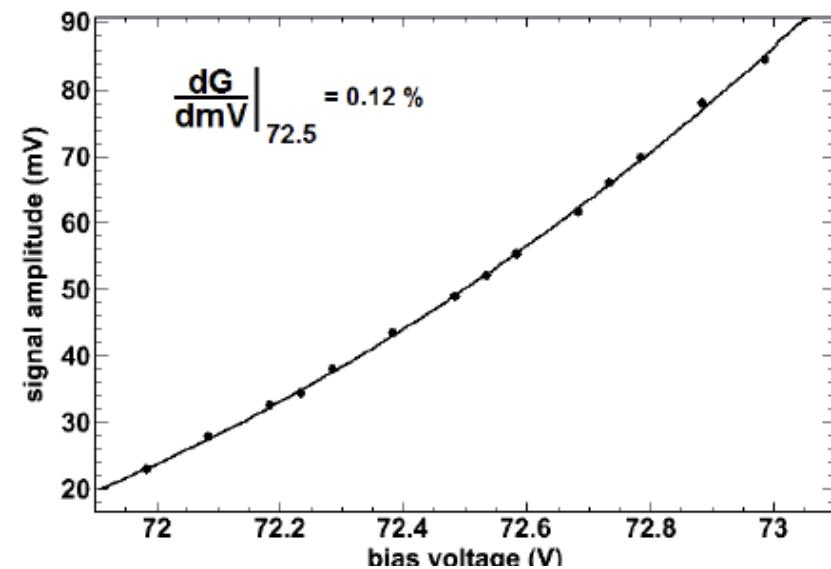
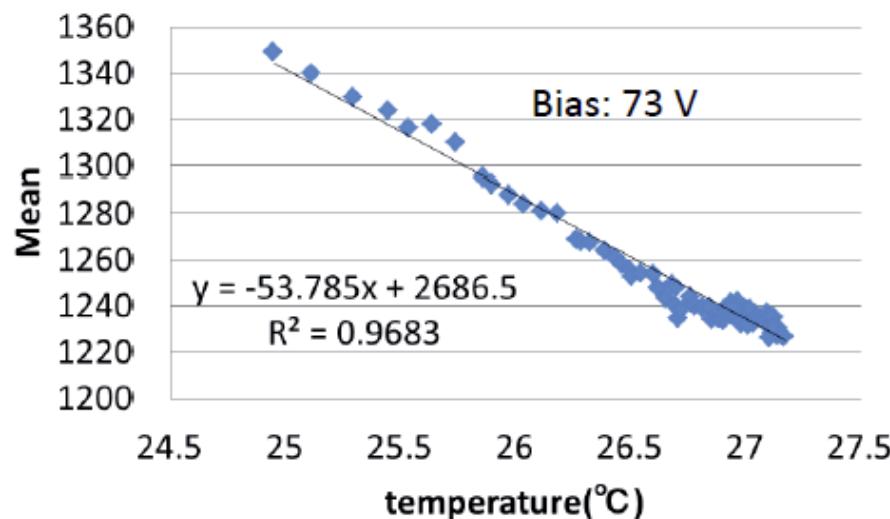
Tracker:

- authenticate pileup
- measure muon profile
- measure EDM

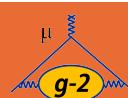
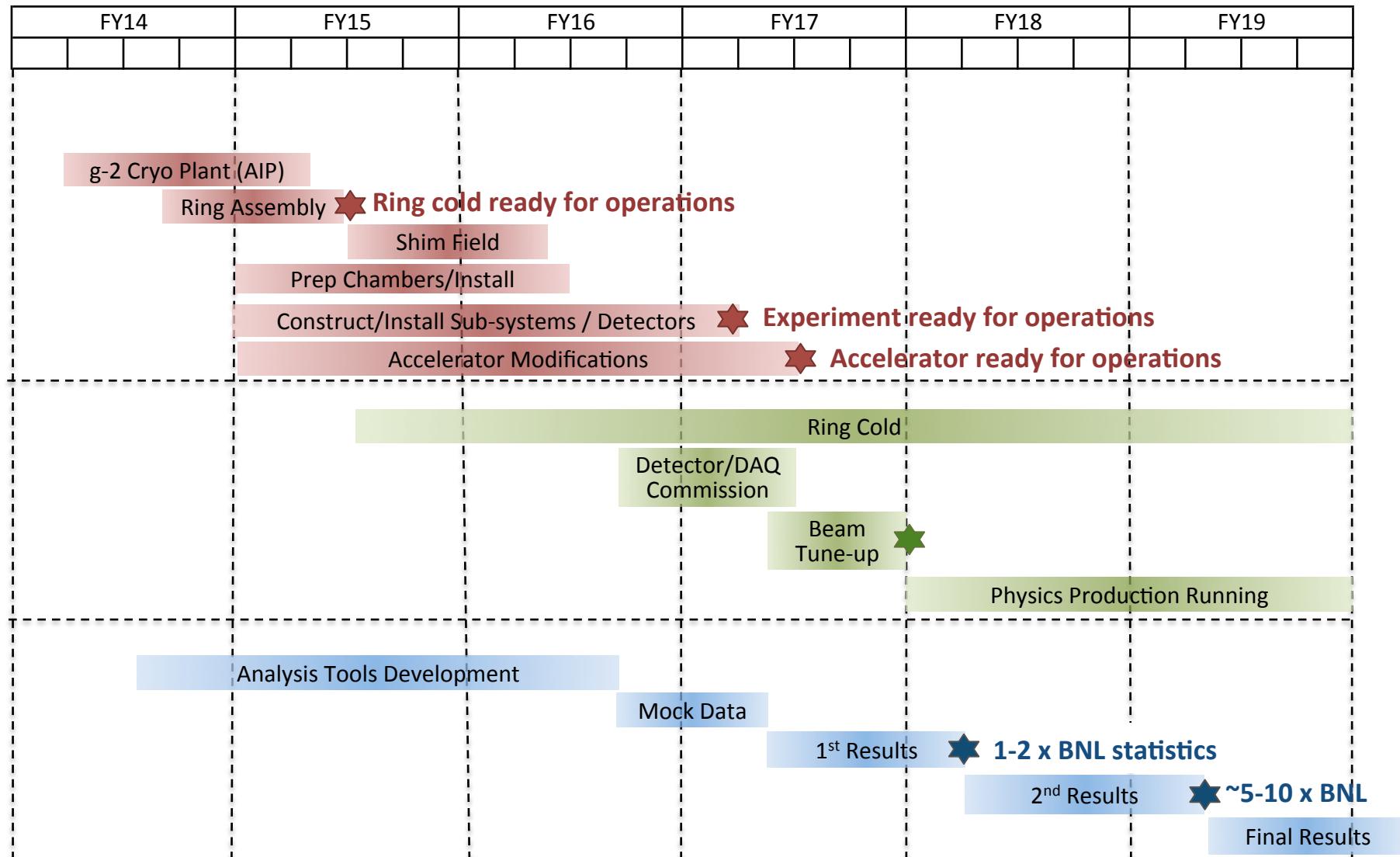


Particularly attention is being paid to gain of calorimeter.

Improved wrt to BNL through: better temperature control & much reduced hadronic-flash negating the need for gated operation



Timeline



Fermilab Muon g-2 Experiment

Mark Lancaster : Discrete 2014 : p57

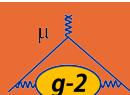
“If you enjoy doing difficult experiments, you can do them, but it is a waste of time and effort because the result is already known” : Pauli

Otto Stern

Wolfgang Pauli



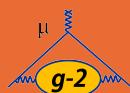
"No experiment is so dumb, that it should not be tried" : Gerlach



Fermilab Muon g-2 Experiment

Mark Lancaster : Discrete 2014 : p58

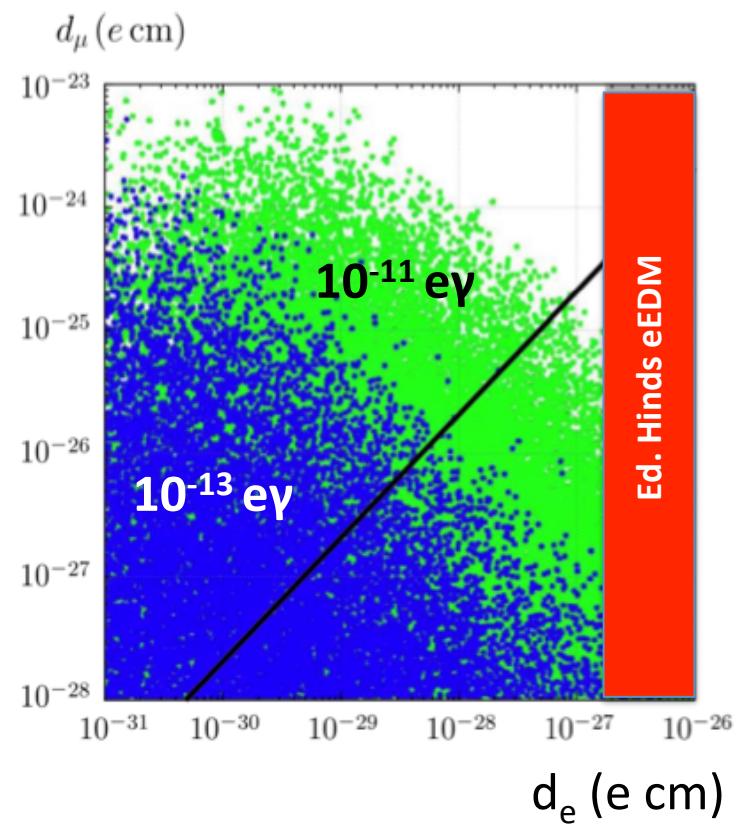
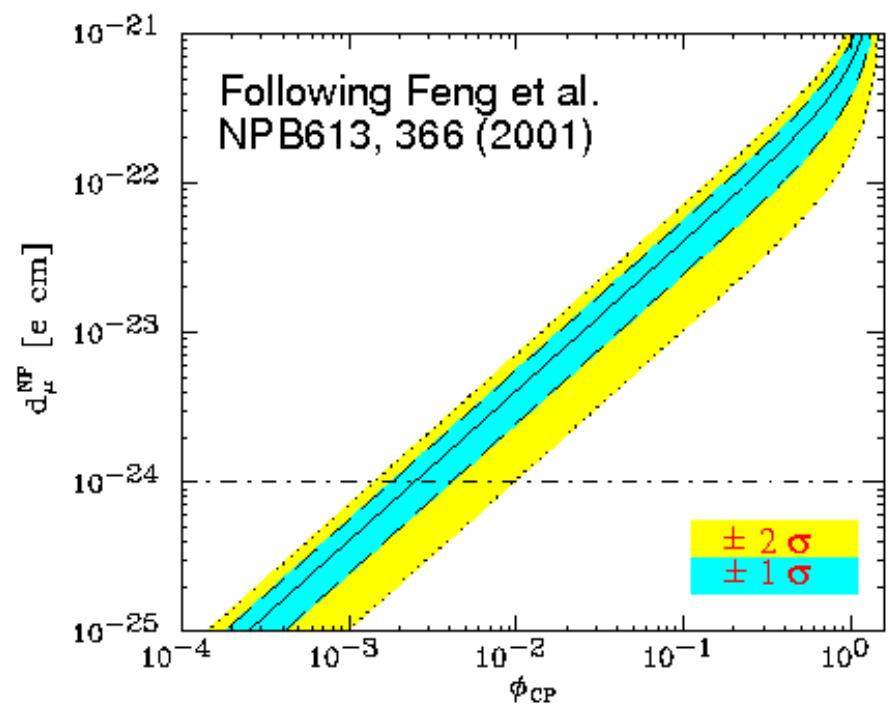
BACKUP



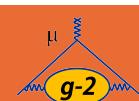
Fermilab Muon g-2 Experiment

Mark Lancaster : Discrete 2014 : p59

Muon EDM in two BSM models.



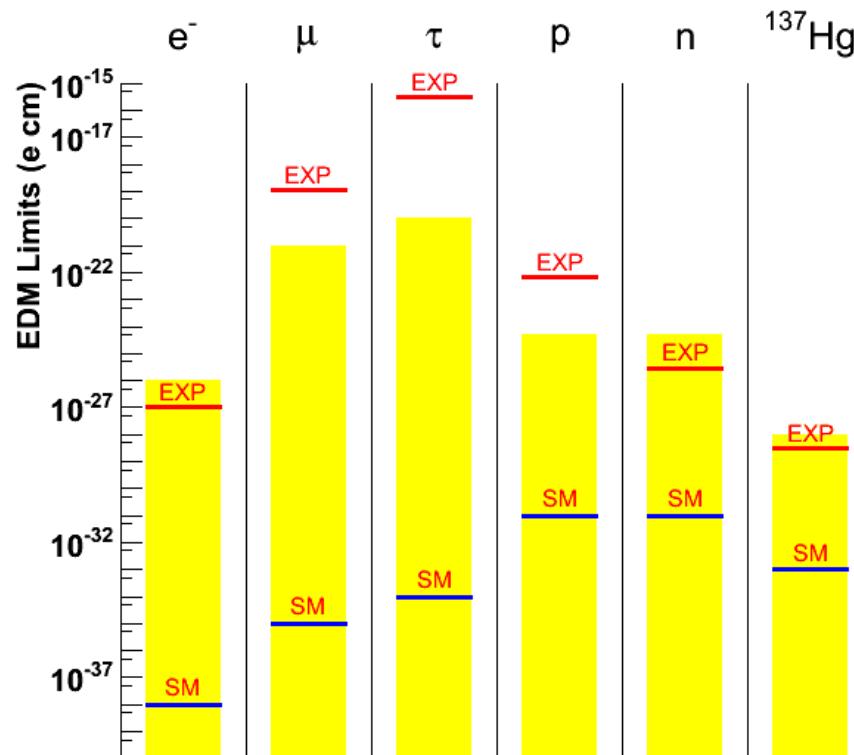
BSM predictions range from: 10^{-21} to 10^{-28}



Fermilab Muon g-2 Experiment

Mark Lancaster : Discrete 2014 : p60

Essentially zero in SM : any observation is new physics



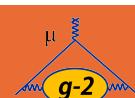
Muon is the only 2nd flav. gen. measurement.
and it's free of nuclear / molecular effects

BNL limit is 1.8×10^{-19}

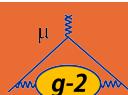
Can quickly be improved by x10 and
ultimately x100 to 10^{-21}

If there are non mass-scaling BSM effects then 10^{-21} becomes competitive

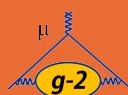
Measurement can only be performed using the tracking detectors

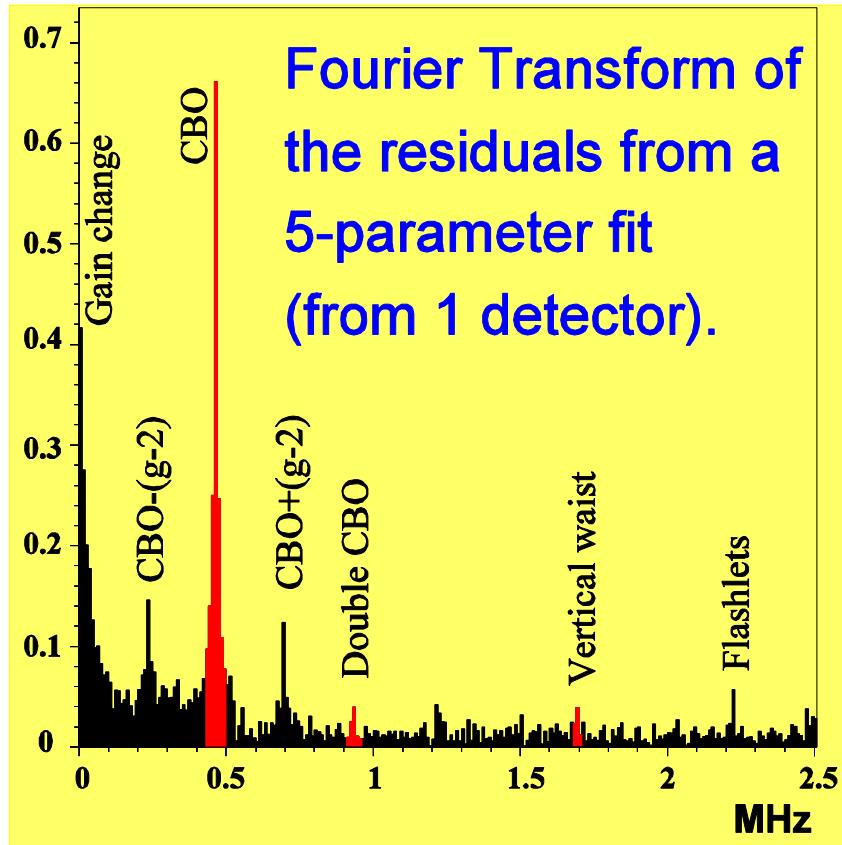


E821 Error	Size [ppm]	Plan for the E989 $g - 2$ Experiment	Goal [ppm]
Absolute field calibrations	0.05	Special 1.45 T calibration magnet with thermal enclosure; additional probes; better electronics	0.035
Trolley probe calibrations	0.09	Absolute cal probes that can calibrate off-central probes; better position accuracy by physical stops and/or optical survey; more frequent calibrations	0.03
Trolley measurements of B_0	0.05	Reduced rail irregularities; reduced position uncertainty by factor of 2; stabilized magnet field during measurements; smaller field gradients	0.03
Fixed probe interpolation	0.07	More frequent trolley runs; more fixed probes; better temperature stability of the magnet	0.03
Muon distribution	0.03	Additional probes at larger radii; improved field uniformity; improved muon tracking	0.01
Time-dependent external B fields	—	Direct measurement of external fields; simulations of impact; active feedback	0.005
Others	0.10	Improved trolley power supply; trolley probes extended to larger radii; reduced temperature effects on trolley; measure kicker field transients	0.05
Total	0.17		0.07

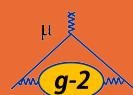


E821 Error	Size [ppm]	Plan for the E989 $g - 2$ Experiment	Goal [ppm]
Gain changes	0.12	Better laser calibration; low-energy threshold; temperature stability; segmentation to lower rates; no hadronic flash	0.02
Lost muons	0.09	Running at higher n -value to reduce losses; less scattering due to material at injection; muons reconstructed by calorimeters; tracking simulation	0.02
Pileup	0.08	Low-energy samples recorded; calorimeter segmentation; Cherenkov; improved analysis techniques; straw trackers cross-calibrate pileup efficiency	0.04
CBO	0.07	Higher n -value; straw trackers determine parameters	0.03
E-Field/Pitch	0.06	Straw trackers reconstruct muon distribution; better collimator alignment; tracking simulation; better kick	0.03
Diff. Decay	0.05 ¹	better kicker; tracking simulation; apply correction	0.02
Total	0.20		0.07

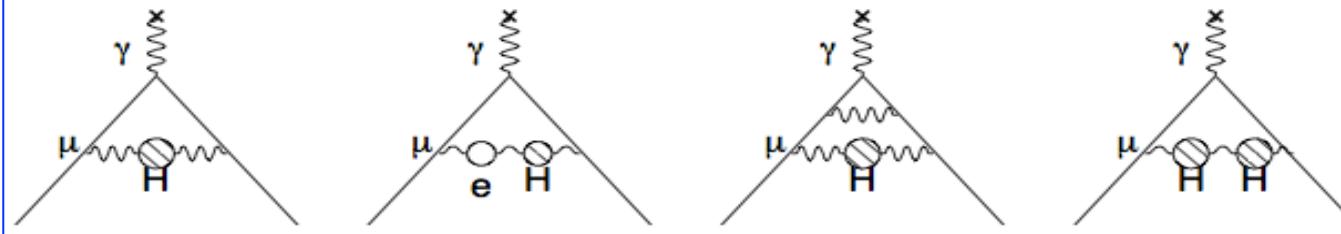




CBO means $B\beta$ not
zero and adds
frequency
component to ω_a

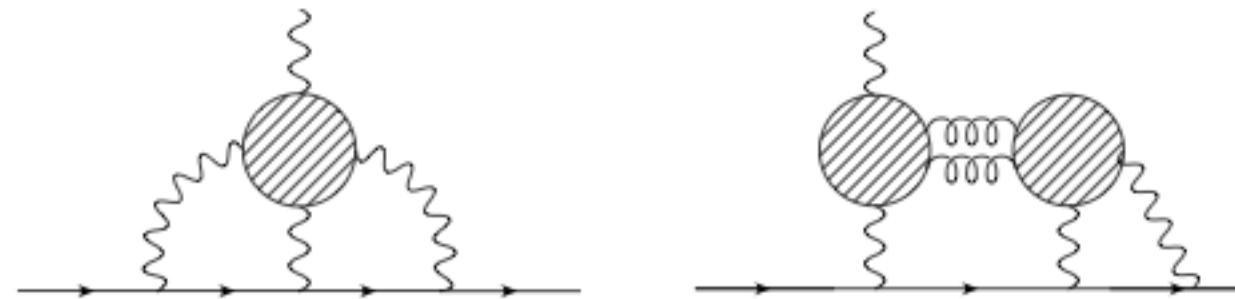


Hadronic Vacuum Polarisation (HVP)



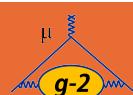
0.36 ppm

Hadronic Light-by-Light (HLBL)



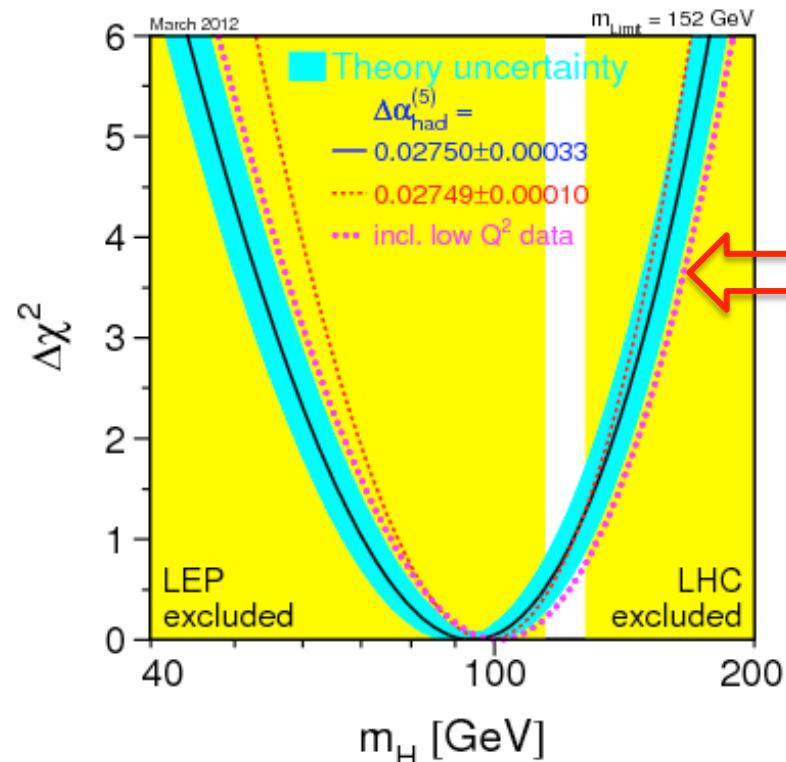
0.22 ppm

Reducing this 0.42 ppm to ensure 0.14 ppm FNAL measurement has maximum impact is a high priority.



Is this hadronic estimate reliable ?

97% of the hadronic estimate is **data-driven** and it can now be cross checked by the measured Higgs Mass



$$a_\mu^{\text{HVP(LO)}} = \frac{1}{4\pi^3} \int_{4m_\pi^2}^{\infty} K(s) \sigma(s) ds$$

$$\Delta\alpha_{\text{HAD}}^{(5)}(M_Z) = \frac{M_Z^2}{4\alpha\pi^2} P \int_{4m_\pi^2}^{\infty} \frac{\sigma(s)}{M_Z^2 - s} ds$$

This HVP value (+ other EWK data) gives

$$M_H = 94^{+29}_{-34} \text{ GeV}$$

Assume HVP is wrong by 6σ (so BNL = SM)

$$M_H = 68^{+29}_{-34} \text{ GeV}$$

Use $M_H = 125 \text{ GeV}$ for HVP increases significance of BNL discrepancy wrt SM

