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# **Time reversal violation** From theory to experiment & back

Applebaum, AE, Grossman, Nir and Soreq, Phys. Rev. D **89**, 076011 (2014) Banuls and Bernabeu, Phys. Lett. B **464**, 117 (1999) Bernabeu, Martinez-Vidal and Villanueva-Perez, JHEP **1208**, 064 (2012)

# Introduction

*CP&CPT T* asymmetries

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Introduction 2/32

#### CP transformation

$$CP(\psi) = \overline{\psi}$$
  

$$CP(\Gamma_{a,b,\dots\to x,y,\dots}) = \Gamma_{\overline{a},\overline{b},\dots\to\overline{x},\overline{y},\dots}$$

#### CP is violated in nature

We know it because

- We see it in the lab (since 1964)
- We live

CP is violated in the Standard Model

- Precisely enough to explain the experimental observations
- Not enough to live



### CPT

*CPT* symmetry is inherent in any local QFT respecting Lorentz invariance

It results, for instance, in  $m_\psi = m_{\overline{\psi}} \& \Gamma_\psi = \Gamma_{\overline{\psi}}$ 

CPT conservation implies that

#### *CP* violation = *T* violation

Measurement of *T* asymmetry is an important test for *CPT* 

### **T** asymmetries

Distinguish between two types of *T* asymmetries Macroscopic (the ``arrow of time")

- The 2<sup>nd</sup> law of thermodynamic
- Ordered systems become disordered with time
- The opposite process is extremely unlikely
- *T* asymmetry which is unrelated to the microscopic laws

#### Microscopic

- *T* violation in the laws of particle physics
- But what exactly is *T* transformation?

$$T(\Gamma_{a,b,\ldots\to x,y,\ldots}) = \Gamma_{x,y,\ldots\to a,b,\ldots} ??$$

### **T** transformation

#### T transformation:

- Not only reversing the time, but also interchanging between incoming and outgoing states
- $\psi^T$  is *T*-conjugate to  $\psi$

$$T(\Gamma_{a,b,\dots\to x,y,\dots}) \neq \Gamma_{x,y,\dots\to a,b,\dots}$$
$$T(\Gamma_{a,b,\dots\to x,y,\dots}) = \Gamma_{x^{T},y^{T},\dots\to a^{T},b^{T},\dots}$$

So, to measure *T* violation one needs to compare a microscopic process with its inverse process

#### Not an easy task!

### **T** asymmetries

Direct

H. Quinn, Discrete 2008

- Decay vs. inverse decay
- Impractical to realize in an experiment
- Problematic preparation of the initial state
- Weak process swamped by the strong processes

#### Mixing

• CPLEAR 1998

#### Interference

• BABAR 2012



# Measuring *T* asymmetries

CPLEAR measurement BABAR measurement

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Measurements 8/32

### **CPLEAR measurement**

In 1998 the CPLEAR collaboration measured the Kabir asymmetry

CPLEAR Collaboration, Phys. Lett. B 444, 43 (1998) Kabir, Phys. Rev. D 2, 540 (1970)

 $K^{\pm}$  is used to tag  $K^0$  or  $\overline{K}^0$  at  $t_1$  $e^{\pm}$  is used to tag  $K^0$  or  $\overline{K}^0$  at  $t_2$ 

### **CPLEAR measurement**

Constructing  

$$A_{T,K} = \frac{\Gamma_1 - \Gamma_2}{\Gamma_1 + \Gamma_2} \approx \frac{\Gamma_{K^0 \to \overline{K}^0} - \Gamma_{\overline{K}^0 \to K^0}}{\Gamma_{K^0 \to \overline{K}^0} + \Gamma_{\overline{K}^0 \to K^0}}$$

#### **CPLEAR** measured

$$\langle A_{T,K} \rangle_{(1-20)\tau_S} = (6.6 \pm 1.6) \times 10^{-3}$$

A measurement of *T* asymmetry which is also a *CP* asymmetry Can we measure *T* asymmetry which is not a *CP* asymmetry? Banuls and Bernabeu, Phys. Lett. B 464, 117 (1999)

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- *1.*  $e^+e^-$  collision at the  $\Upsilon_{4S}$  threshold
- 2.  $\Upsilon_{4S}$  decays to an anti-symmetric coherent state of two B mesons
- 3. Using the EPR effect in entangled systems, measuring  $B_2$  at  $t_1$  determine  $B_1$  at  $t_1$
- 4. Then measure  $B_1$  at  $t_2$  to get information on its time evolution



#### The entangled B system offers two sets of tagging

Banuls and Bernabeu, Phys. Lett. B 464, 117 (1999)

#### Flavor tagging

- $B^0$  decay to  $\ell^+$
- $\bar{B}^0$  decay to  $\ell^-$

**CP** tagging

- $B_+$  decay to  $\psi K_L$
- $B_{-}$  decay to  $\psi K_{S}$

$$\begin{split} |i(t_{1})\rangle &= \frac{1}{\sqrt{2}} (|B^{0}\rangle_{1} |\bar{B}^{0}\rangle_{2} - |\bar{B}^{0}\rangle_{1} |B^{0}\rangle_{2}) \\ &= \frac{1}{\sqrt{2}} (|B_{-}\rangle_{1} |B_{+}\rangle_{2} - |B_{+}\rangle_{1} |B_{-}\rangle_{2}) \end{split}$$

Using different tagging at  $t_1$  and  $t_2$  BABAR can construct a T asymmetry (\*) which is not a CP asymmetry:



#### $B_- \rightarrow B^0$ vs. $B^0 \rightarrow B_-$

#### Construct 6 asymmetries: 2 T, 2 CP and 2 CPT

(\*) Under some assumptions

### **BABAR measurement - CP**



Naive world average:

 $|\Delta C| \simeq 0.00 \pm 0.04$ 

 $|\Delta S| \simeq 1.32 \pm 0.04$ 

### **BABAR measurement - CPT**





### **BABAR measurement - T**

Measure T asymmetry at  $14\sigma$ 



From *CP* measurements, assuming *CPT*,  $|\Delta C| \simeq 0.00 \pm 0.04$   $|\Delta S| \simeq 1.32 \pm 0.04$ 



TIME seems to flow inexorably in one direction. Superficially, that is because things

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BABAR subtleties 18/32

1. Time conjugation



Not precisely time conjugated processes

1. Time conjugation



- Inverse decays are not accessible to the experiment
- Need to include the effect of CPT violation in decays
- T-even CPT-odd contribution to BABAR's T asymmetries
- Unconstrained (forever?) and impossible to calculate

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2. CP tagging



Not precisely the same states

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BABAR subtleties 21/32

2. CP tagging



 $(B_L)_{\perp} \neq B_S$  due to wrong strangeness decays

2. CP tagging



- Impossible in quantum measurements
- Need to include the effect of wrong strangeness decays
- Do not contribute to BABAR's *T* asymmetries
- CPT-even T-odd contribution to BABAR's CPT asymmetries
- Surprisingly, only weakly constrained by experiments

3. Flavor tagging



Not precisely the same states

3. Flavor tagging



 $(B_{\ell^-})_{\perp} \neq B_{\ell^+}$  due to wrong sign decays

3. Flavor tagging



- Impossible in quantum measurement
- Need to include the effect of wrong sign decays
- Contribute to BABAR's *T* asymmetries
- Numerically, cannot explain alone BABAR's *T* asymmetry
- Surprisingly, only weakly constrained by experiments

#### Including the effects of

- CPT violation in mixing
- CPT violation in decays
- Wrong sign decays
- Wrong strangeness decays

we identify `theoretical' parameters that have well defined transformation properties

Parameter	Т	CP	CPT
$R_M, S_f^-, C_f^-, G_f^-, \mathcal{A}_f^-$			+
$z, \;  heta_f^+ \;, \mathcal{A}_f^+$	+	-	_
$\theta_f^-$		+	_
$S_f^+$ , $C_f^+$ , $G_f^+$	+	+	+
$S_{f_{CP}}, C_{f_{CP}}$	_	-	+
$\theta_{f_{CP}}$	+	-	_
$G_{f_{CP}}$	+	+	+

Find relations between the experimental observables and the theoretical parameters



Use BABAR measurements to constrain these effects

$$\begin{aligned} \hat{S}_{\psi K} &- \hat{G}_{\psi K} \hat{\theta}_{\psi K}^{I} = 0.69 \pm 0.04 \,. \\ |\hat{C}_{\psi K} + \hat{\theta}_{\psi K}^{R}| < 0.07 \,, \\ |G_{\psi K_{S,L}} S_{\psi K_{S,L}} \left( G_{\ell}^{-} - z^{R} \right) | < 0.10 \,, \\ |S_{\psi K_{S,L}} \left( S_{\ell}^{-} - z^{I} \right) | < 0.06 \,, \\ |S_{\ell}^{-}| < 0.10 \,, \qquad |G_{\ell}^{-}| < 0.21 \,, \end{aligned}$$

Experimental constraints are still weak

## **Summary**

### Summary

- 1. A quantum two level system can keep on surprising
- 2. The BABAR measurement demonstrates a genuine *T* reversal violation if
  - No CPT violation in strangeness changing decays;
  - No wrong sign decays
- 3. New methods to constrain wrong sign decays and wrong strangeness decays are called for
- 4. Future measurements of *T* violation in
  - entangled K mesons (KLEO2 experiment at  $DA\Phi NE$ )

Bernabeu, Domenico and Villanueva-Perez, Nucl. Phys. B 868, 102

• neutrino oscillations Bernabeu, Cape Town 1999, Weak interactions and neutrinos exhibit similar subtleties



#### Subtleties in the BaBar measurement of time-reversal violation Phys. Rev. D 89, 076011 (2014) 1312.4164 [hep-ph]

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