



Report from WGI/Off-shell Subgroup

Experimental Summary

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Overview

- Run-1 overview
 - Off-shell Higgs couplings
 - The total width interpretation
- Run-2 preview
 - Analysis in VBF channels
 - Anomalous couplings constraints (High dimensional operators)
 - EFT based analyses

Run-1 Overview

CMS: Phys. Lett. B 736 (2014) 64

ATLAS: <http://cds.cern.ch/record/1740973>

Main Theoretical Treatment

	ATLAS	CMS
$gg \rightarrow H^* \rightarrow VV$	LO: $gg2VV$ and MCFM $m(H^*)$ dependent NNLO k-factors	
$gg \rightarrow VV$ $gg \rightarrow H^* \rightarrow VV / gg \rightarrow VV$	LO: $gg2VV$ and MCFM	
	- result as a function of the unknown $gg \rightarrow ZZ$ k-factor - Studied Sherpa+OpenLoops 0+1 Jet Merged - 30% on interference	$H^* \rightarrow VV$ k-factor, with $10\% \sigma$ (later revised to be $\sim 30\%$ for interference by M. Bonvini et al)
$qq \rightarrow VV$	Powheg NLO, EWK correction	
	NNLO correction $m(vv)$ from M. Grazzini	
VBF (H^*) VV	Madgraph LO (Xchecked with Phantom)	Phantom LO (Xchecked with Madgraph)

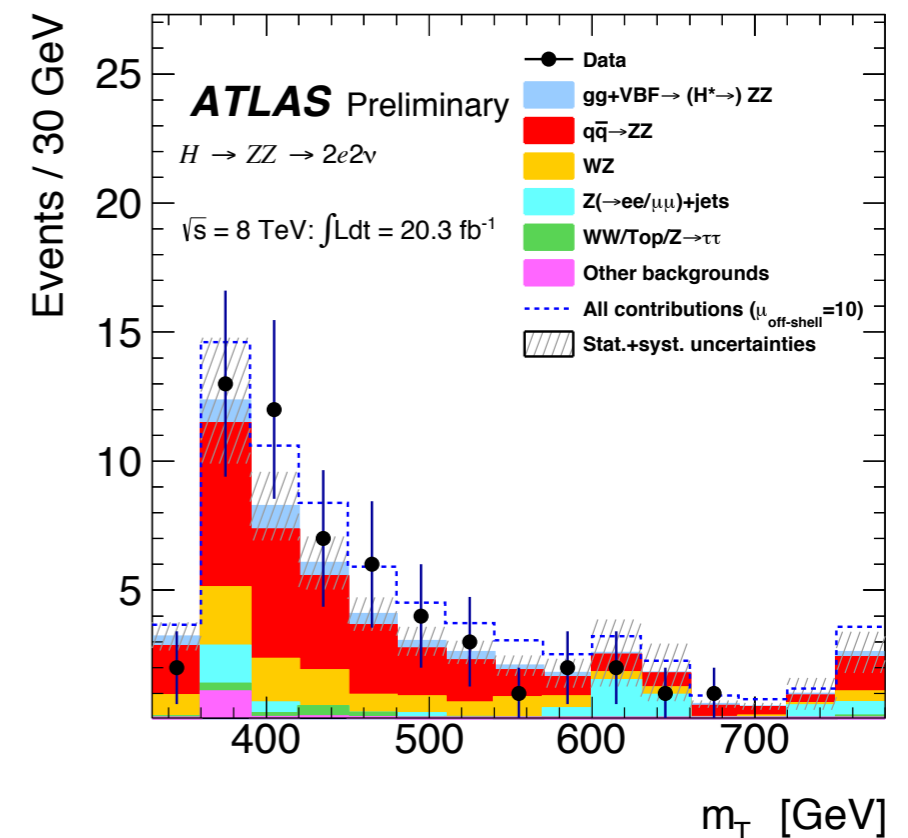
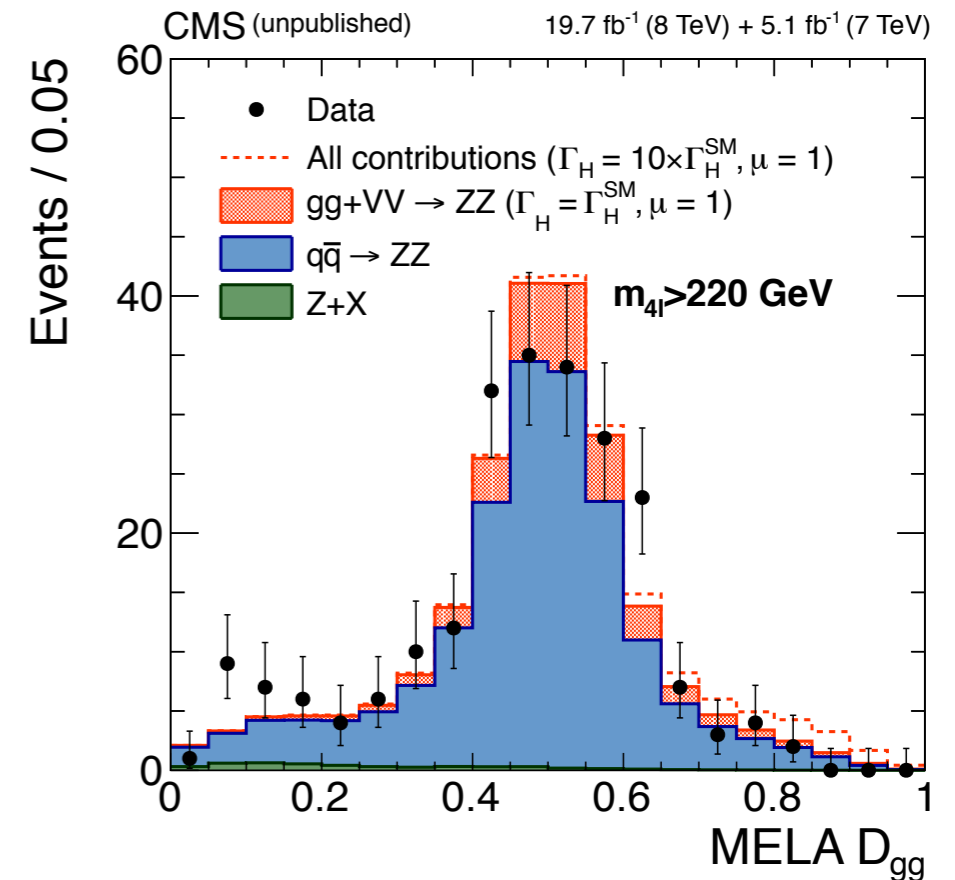
- Main limitation is the LO $gg \rightarrow VV$ background and its interference with H signal
- Small inconvenience: VBF $H VV$ process can not be generated on its own
- Scaled from other processes such as VBF (B), S+B+I(SM), and S+B+I (with 10 times SM width)

Overview of the Analysis

- Both ATLAS/CMS explored ZZ high mass region in 4l and 2l2v channels
- For the 4l channel, both explored the kinematics using matrix element methods
- For the 2l2v, both use the transverse mass (with different definitions) as the key variable
- ATLAS focuses on the off-shell signal strength

$$\frac{\sigma_{\text{off-shell}}^{gg \rightarrow H^* \rightarrow ZZ}}{\sigma_{\text{off-shell, SM}}^{gg \rightarrow H^* \rightarrow ZZ}} = \mu_{\text{off-shell}} = \kappa_{g, \text{off-shell}}^2 \cdot \kappa_{V, \text{off-shell}}^2$$

- 95% C.L. U.L. $\sim 5 - 9$.
- Both CMS and ATLAS put a constraint on the total width of the Higgs boson
- Assumes SM off-shell/on-shell coupling ratio in a combined fit for the on-shell/off-shell regions
- 95% C.L. upper limit for Run-I is $\sim 20-35$ MeV



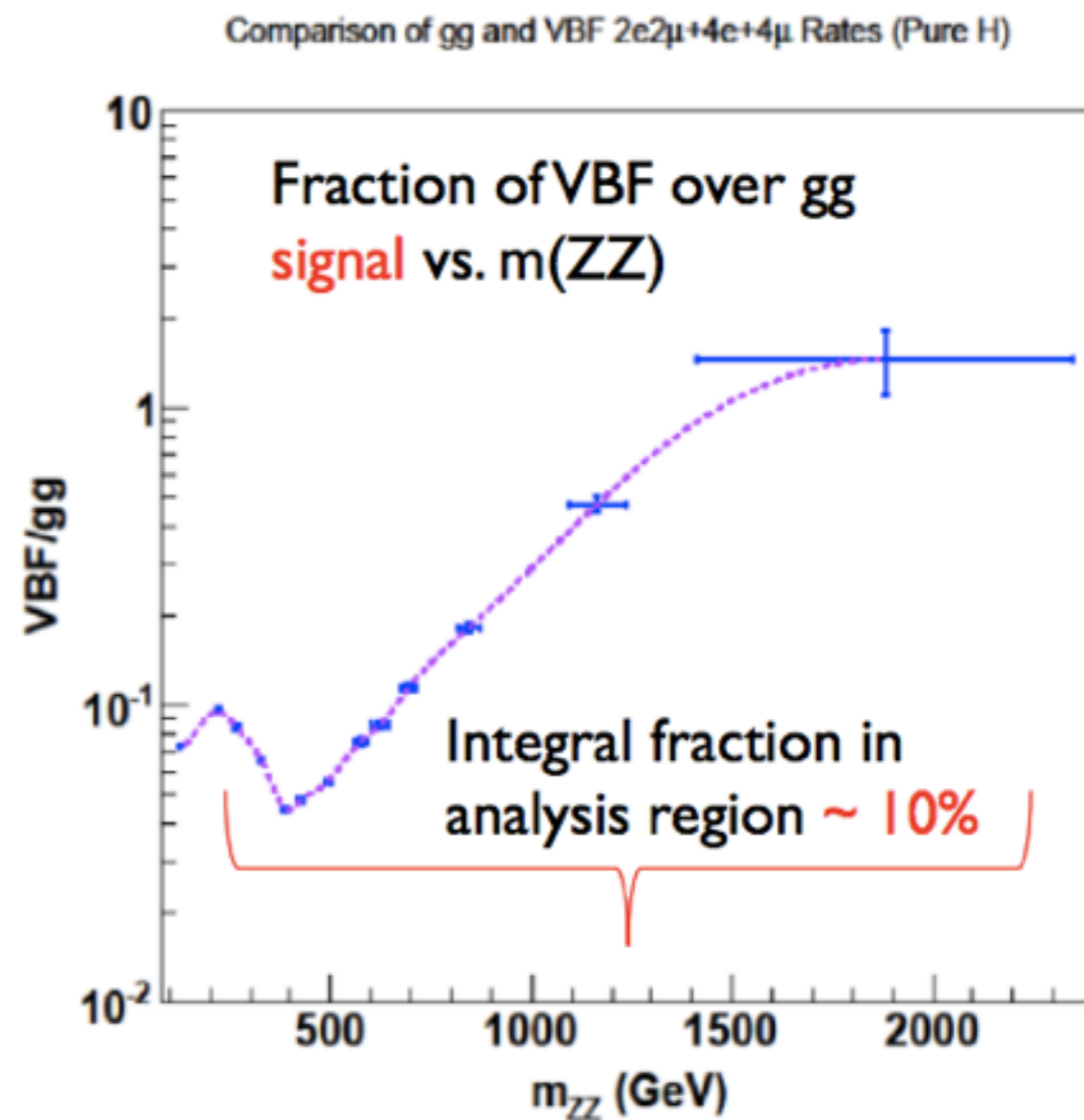
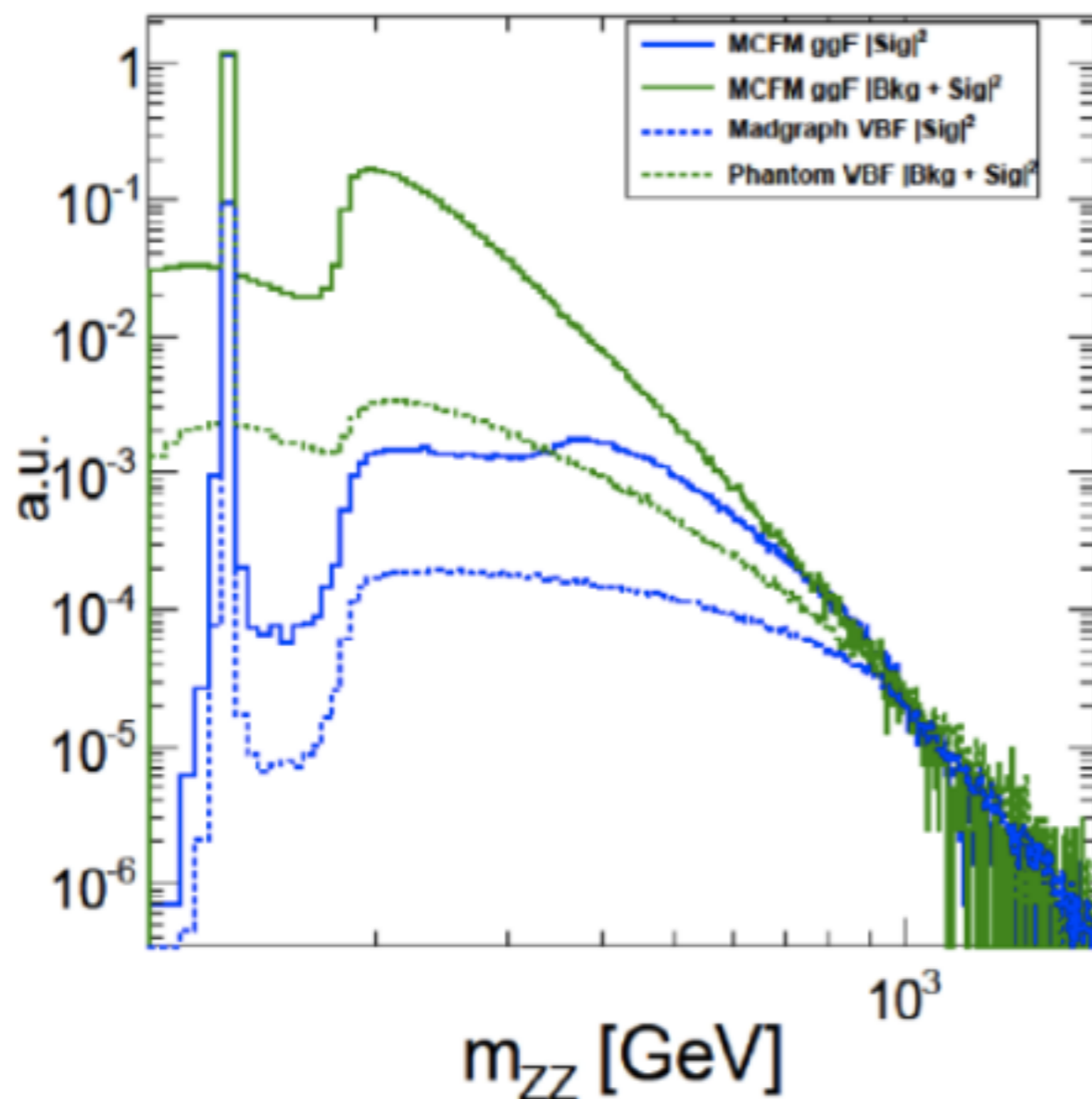
Run-2 Preview

General Remarks

- In general we would need to keep probing new physics through the high m_{VV} region
- Focus on the off-shell coupling constraints with the EFT based analyses
 - However it would not be trivial as the number of non-SM operators will be large
 - Perhaps some kind of prioritising is needed
- Total width assumptions/limitations need to be more carefully evaluated
- VBF channel serves an interesting probe with high signal-to-background ratio

Analysis in the VBF Channel

- With tree-level LO couplings, VBF is less sensitive to new physics effects compared to ggF
- VBF contributes $\sim 10\%$ on average, increasingly larger in the high mass region
- Marco Zaro: VBF NLO QCD corrections are quite flat as function of the m_{VV}



CMS R. Covarelli, I. Anderson and U. Sarica

<https://indico.cern.ch/event/313725/session/2/contribution/34/0/material/slides/0.pdf>

Anomalous $gg \rightarrow ZZ$ (HD) Couplings

- Off-shell events are sensitive to HD operators
- Enhancement in the high mass, leading to more stringent limit on the total width if present

Amplitude approach from MCFM and JHUGen

$$A(X_{J=0} \rightarrow Z_1 Z_2) \sim v^{-1} \left[a_1 - e^{i\phi_{\Lambda 1}} \frac{q_1^2 + q_2^2}{\Lambda_1^2} - \right] m_Z^2 \epsilon_1^* \epsilon_2^* \\ + a_2 f_{\mu\nu}^* f^{*,\mu\nu} + a_3 f_{\mu\nu}^* \tilde{f}^{*,\mu\nu}$$

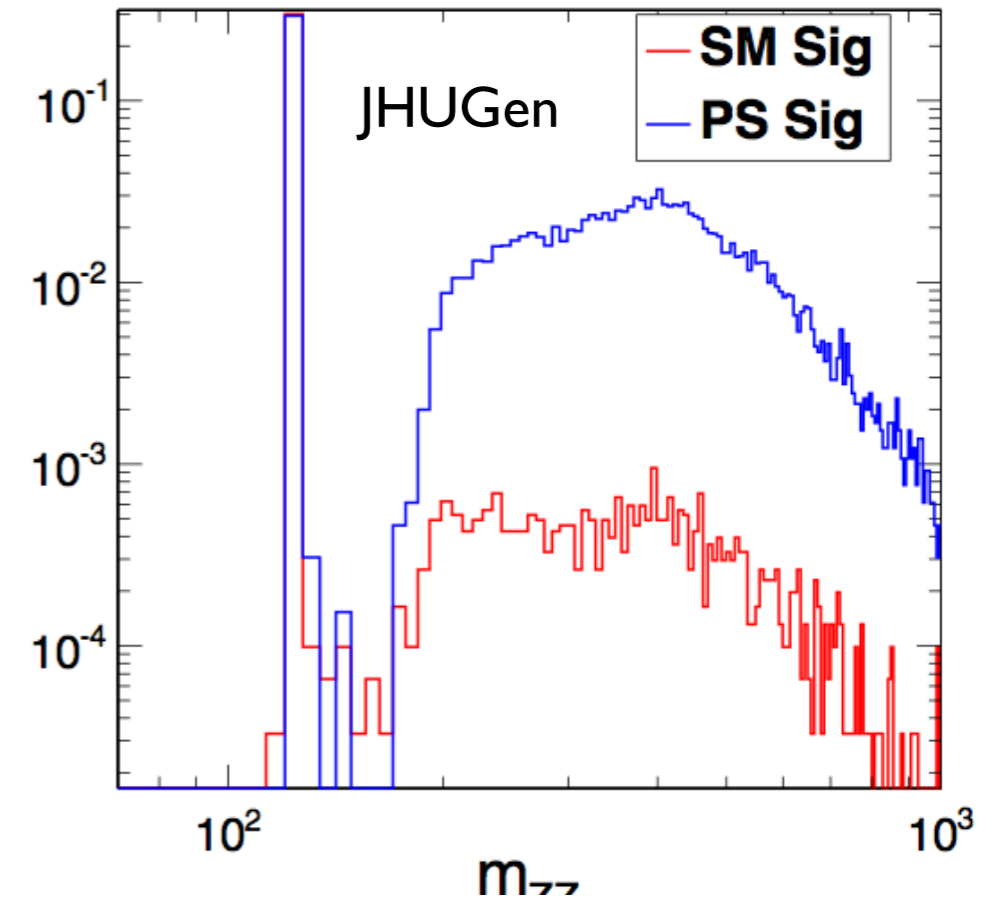
- <http://www.pha.jhu.edu/spin/>
- JHUGen version $\geq 4.8.1$, released 31.10.2014
 - JHUGen also allows matrix element calculation analysis (MELA)
 - full S+B+I is included in $gg \rightarrow ZZ$

EFT approach as in 1403.4951

$$\mathcal{L} \supset \sum_{i=1}^5 \kappa_i \mathcal{O}_i = -\kappa_1 \frac{M_Z^2}{v} X Z_\mu Z^\mu - \frac{\kappa_2}{2v} X F_{\mu\nu} F^{\mu\nu} - \frac{\kappa_3}{2v} X F_{\mu\nu} \tilde{F}^{\mu\nu} \quad (13)$$

$$+ \frac{\kappa_4 M_Z^2}{M_X^2 v} \square X Z_\mu Z^\mu + \frac{2\kappa_5}{v} X Z_\mu \square Z^\mu. \quad (14)$$

I. Anderson I, U. Sarica I, M. Schulze



Cross Section for $2e2\mu$ Final State without Cuts

