

# $\sin(2\beta_s)$ status from CDF

Juan Pablo Fernández Ramos

C.I.E.M.A.T.

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# Introduction

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# Beyond the Standard Model

- CP violation in  $B_s^0$  meson system is an excellent way to search for new physics
  - B-factories have established that, at tree level, NP effects, if existing in  $B^0$ ,  $B^+$  decays, have a magnitude  $< O(10\%)$ . However, there exists an important corner not explored by them: the  $B_s^0$  system
  - CP violation in  $B_s^0$  predicted to be extremely small in the SM.
  - Contribution from new physics could come through the enhancement of loop processes

## What Is what we measure?

- look at any **difference** in properties like decay rate, angular decomposition of the amplitude, etc **between** a decay and its “mirror image” resulting from C and P transformations

# Neutral $B_s$ system

- Time evolution of  $B_s$  flavor eigenstates from Schrödinger equation:

$$i \frac{d}{dt} \begin{pmatrix} B_s^0(t) \\ \bar{B}_s^0(t) \end{pmatrix} = H \begin{pmatrix} B_s^0(t) \\ \bar{B}_s^0(t) \end{pmatrix} \equiv \underbrace{\begin{pmatrix} M_0 & M_{12} \\ M_{12}^* & M_0 \end{pmatrix}}_{\text{mass matrix}} - \underbrace{\frac{i}{2} \begin{pmatrix} \Gamma_0 & \Gamma_{12} \\ \Gamma_{12}^* & \Gamma_0 \end{pmatrix}}_{\text{decay matrix}} \begin{pmatrix} B_s^0(t) \\ \bar{B}_s^0(t) \end{pmatrix}$$

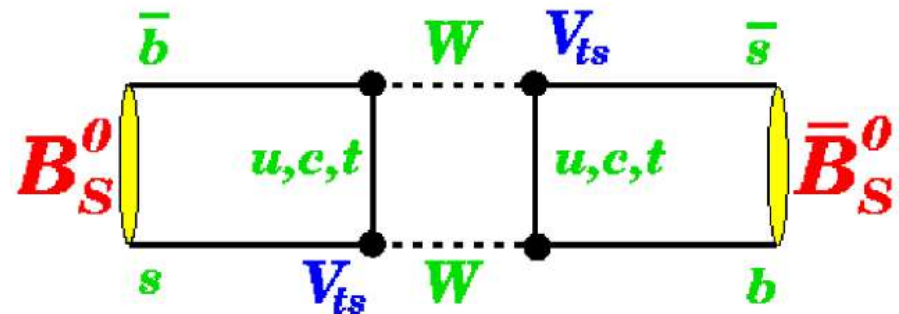
- The magnitude of the box diagram gives the oscillation frequency  $\Delta m_s = m^H - m^L \approx 2|M_{12}|$ ;  $\Delta m_s = 17.77 \pm 0.12 \text{ ps}^{-1}$  (CDF)

- The phase of the diagram gives the complex number  $q/p = e^{-i\phi_s}$  where  $\phi_s = \arg(-M_{12}/\Gamma_{12})$  [ **CP-violating phase** ]

- Mass eigenstates** have different decay widths (lifetimes)

$$\Delta\Gamma = \Gamma_L - \Gamma_H \approx 2|\Gamma_{12}| \cos \phi_s; \quad \Delta\Gamma = 0.07 \pm 0.04 \text{ ps}^{-1} \quad [\text{A.Lenz et al, JHEP06(2007)072}]$$

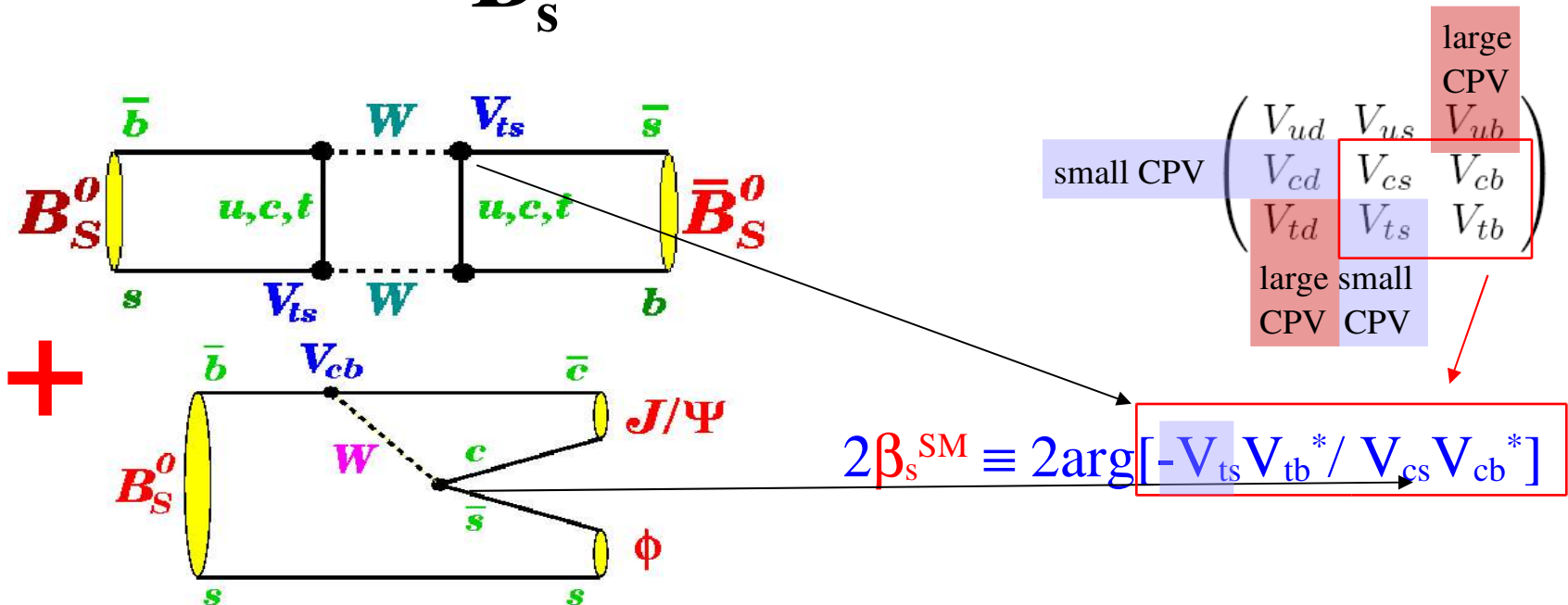
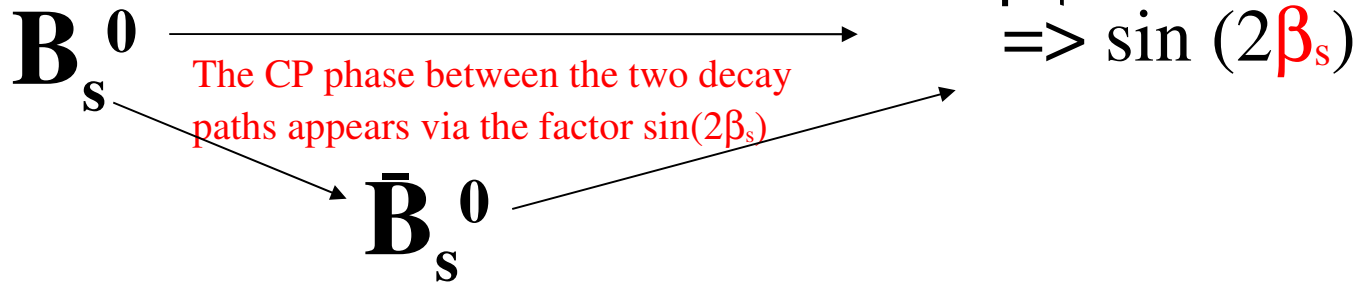
- Mixing phase – sensitive to NP



# CP Violation in the S.M. ( $B_s^0 \rightarrow J/\psi \phi$ )

- The chance to observe CP violation comes from interference between decay-only and decay-through-mixing amplitudes

$J/\psi \phi$



CP violation phase  $\beta_s$  in SM is predicted to be very small

# Experiment Overview

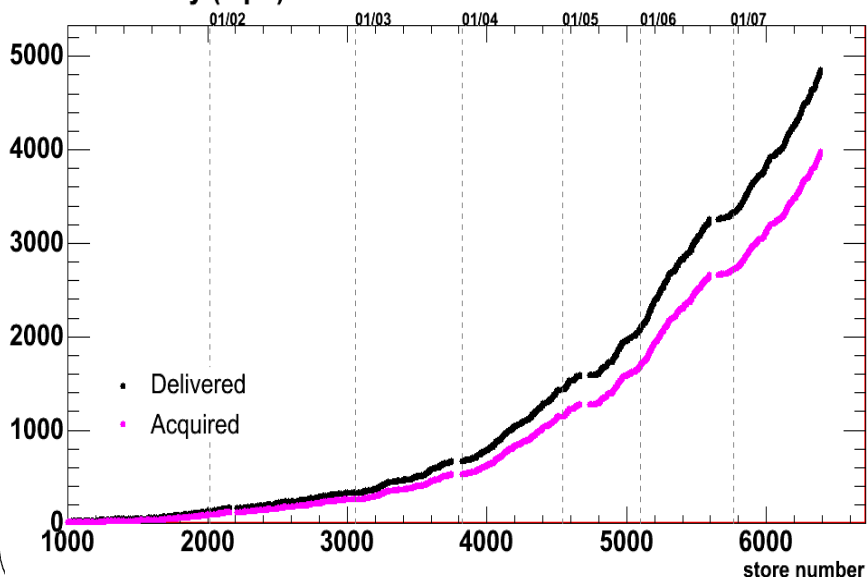
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# Introduction to the CDF II detector

CDF II detector includes (**relevant to this analysis**)

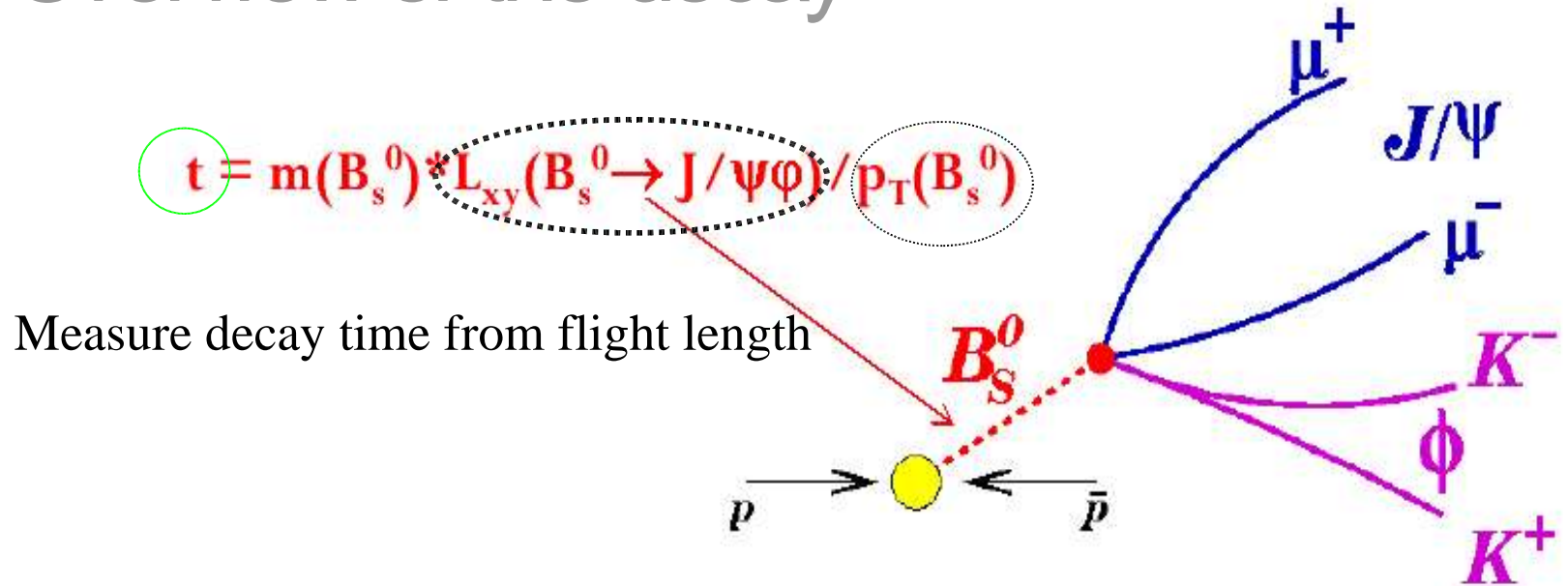
- Central tracking: silicon vertex detector surrounded by a drift chamber
  - $p_T$  resolution  $\Delta p_T/p_T = 0.0015 p_T$
  - vertex resolution  $\sim 25 \mu\text{m}$
- **Particle identification (PID):**  $dE/dx \sim 1.5 \sigma$  separation for K/pi with  $p > 2 \text{ GeV}$  and **TOF**  $\sim 2 \sigma$  K/pi with  $p < 1.5\text{-}1.8 \text{ GeV}$ .
- Good **e and  $\mu$  identification** by calorimeters and muon chambers

Luminosity (1/pb)



- Excellent performance of Tevatron accelerator
- CDF has already **4 fb<sup>-1</sup>** on tape
- Expect 6-8 fb<sup>-1</sup> by end of the run 2
- This analysis uses **2.8 fb<sup>-1</sup>** (but equivalent to 2.0 fb<sup>-1</sup>, no PID 2<sup>nd</sup> half)

# Overview of the decay



- $B_s^0$  travels  $\sim 450 \mu\text{m}$  before decaying into  $J/\psi$  and  $\phi$
- Spin-0  $B_s^0$  decays to spin-1  $J/\psi$  and spin-1  $\phi$   
 $\Rightarrow$  final states with  $l = 0, 2$  (CP-even) and  $l = 1$  (CP-odd)
- Maximum sensitivity to phase ( $\sin 2\beta_s$ ) depends on decay time resolution and separation of CP at decay and initial flavour of  $B_s^0/\bar{B}_s^0$
- Purpose: disentangle all these features and measure the phase<sup>8</sup>



# Measurement Strategy

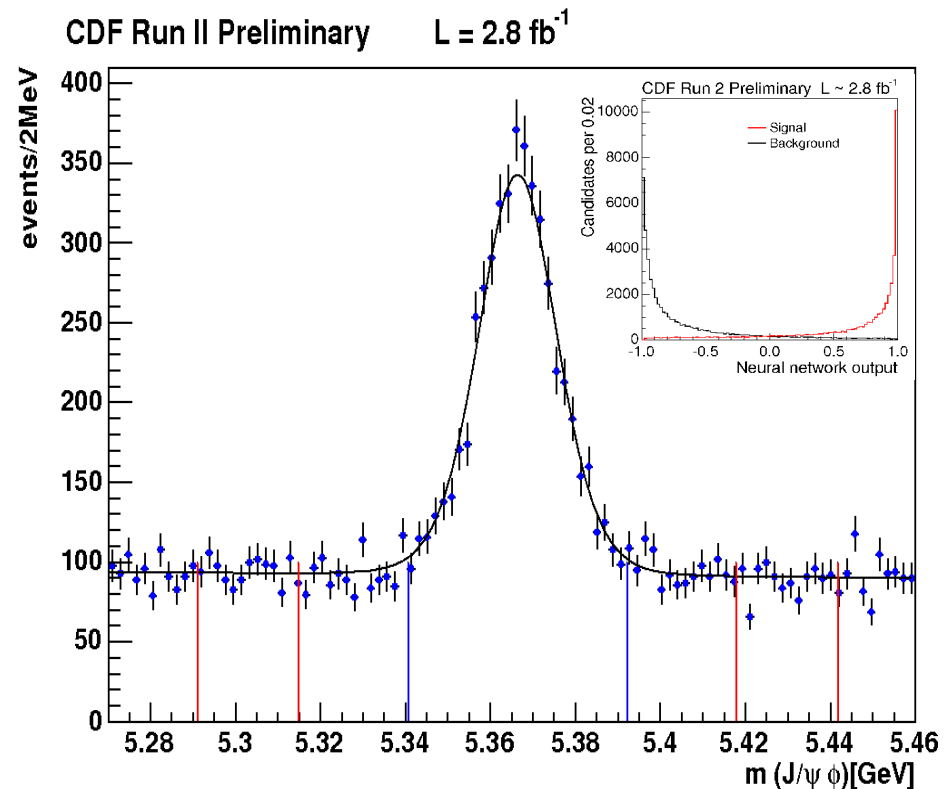
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- Reconstruct  $B_s^0 \rightarrow J/\psi(\rightarrow \mu^+\mu^-) \phi(\rightarrow K^+K^-)$
- Use angular properties of the  $J/\psi \phi$  decay to separate angular momentum states which correspond to CP eigenstates
- Identify initial state of  $B_s$  meson (flavour tagging) and thus separate time evolution of  $B_s^0$  and  $\bar{B}_s^0$  to maximize sensitivity to CP asymmetry ( $\sin 2\beta_s$ )
- Perform un-binned maximum likelihood fit to extract signal parameters of interest (e.g.  $\beta_s$ ,  $\Delta\Gamma=\Gamma_L-\Gamma_H$ )

# $B_s^0 \rightarrow J/\psi \phi$ Signal Selection

- Use an artificial neural network (ANN) to efficiently separate signal from background
- ANN training
  - Signal from Monte Carlo reconstructed as it is in data
  - Bkg. from  $J/\psi \phi$  sidebands
- Variables used in network
  - $B_s^0$ :  $p_T$  and vertex prob.
  - $J/\psi$ :  $p_T$  and vertex prob.
  - $\phi$ : mass and vertex prob.
  - $K^+, K^-$ :  $p_T$  (**NO PID**)

$N(B_s^0) \sim 3200$  ( with  
PID expect  $\sim 3800$  )



# Angular Analysis of Final States

Maximum sensitivity to phase if *CP*-even and *CP*-odd states are separated

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We start with a sample of

$$B^0_s \text{ and } \bar{B}^0_s \rightarrow J/\psi \phi \quad (J/\psi \rightarrow \mu^+ \mu^-, \phi \rightarrow K^+ K^-)$$

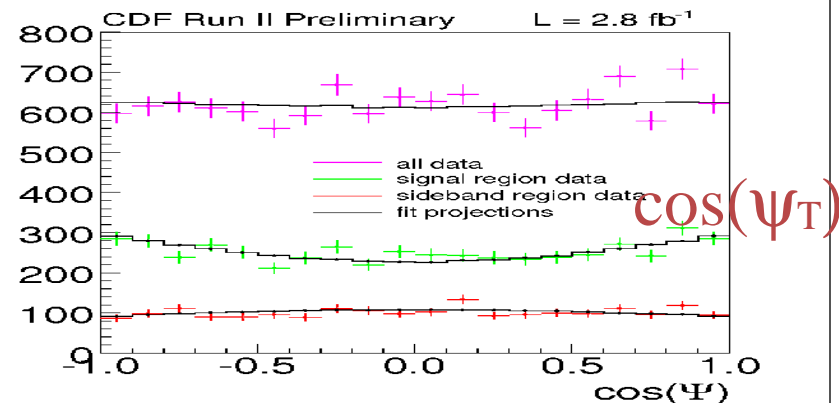
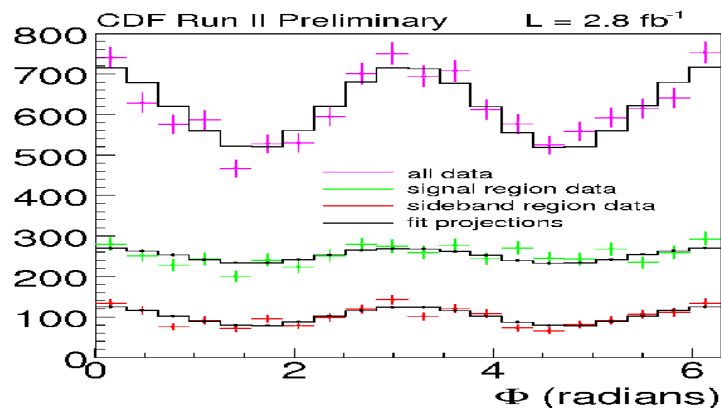
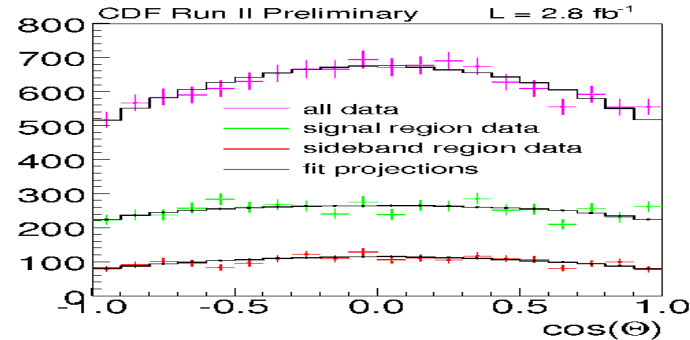
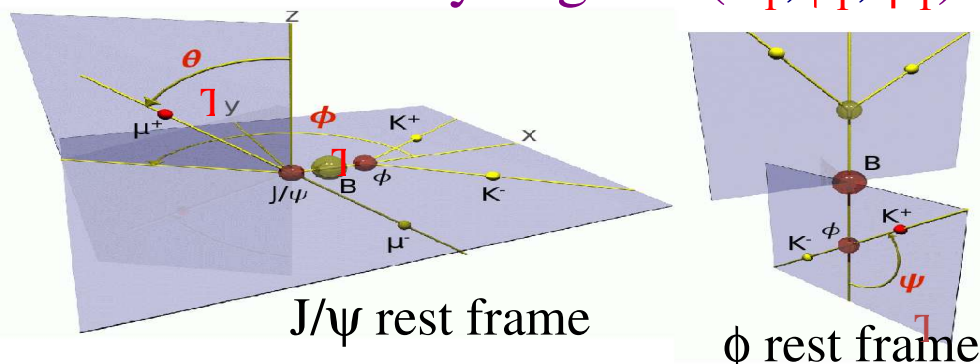
and we measure the time when each decay occurred.

Then, we need to know the *CP* of the final state ...

but we can only do it on a statistical basis

- $B \rightarrow VV$  (our  $B_s^0 \rightarrow J/\psi \phi$  but also  $B^0 \rightarrow J/\psi K^{*0}$ , ...) decay to two CP even states (S-wave or D-wave) and one CP odd (P-wave)
- Alternatively to the S,P,D-wave states one can use the “transversity basis”: three independent components that use the vector mesons polarizations w.r.t. their direction of motion (pol.states  $P_0, P_{\parallel}, P_{\perp}$ )
- the “transversity angles” ( $\theta_T, \phi_T, \psi_T$ ) are sensitive to the polarizations

A.S.Dighe, I.Dunietz, H.J.Lipkin, J.L.Rosner; PLB369 (1996) 144



Analytical relationships from A.S.Dighe, et al, EPJ C6 (1999) 647  
 Angular correlations in decay products  $\Rightarrow$  separation of CP-components.

# Flavor Tagging

Maximum sensitivity to phase if  $B_s^0$  and  $\bar{B}_s^0$  separated

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We have a sample of

$B_s^0$  and  $\bar{B}_s^0 \rightarrow J/\psi \phi$  ( $J/\psi \rightarrow \mu^+ \mu^-$ ,  $\phi \rightarrow K^+ K^-$ )

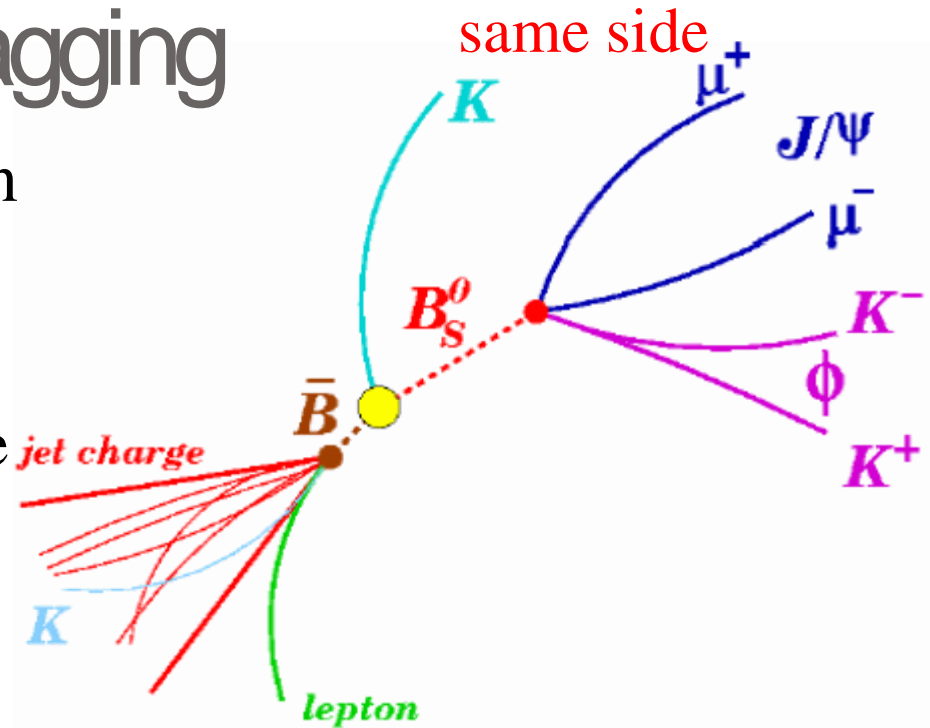
of known decay-time and CP.

It will help to know whether a meson or an anti-meson was produced in the  $pp$  interaction...

# Overview of Flavour Tagging

- b quarks generally produced in pairs at Tevatron
  - Tag either the b quark which produces the  $J/\psi\phi$  (**SS**T), or the other b quark (**OS**T)

opposite side



**SS**T: exploits the charge/species correlations with associated particles produced in fragmentation that results in the reconstructed meson

**OS**T: exploits the decay products of the other  $b$ -hadron in the event

- The final tag is the combination (properly weighted) of all the different tagging methods

Output: decision ( $b$ -quark or  $\bar{b}$ -quark) and the quality of that decision

# Quantifying Tagging Power

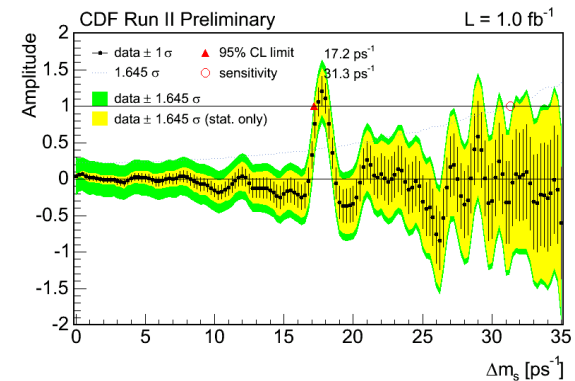
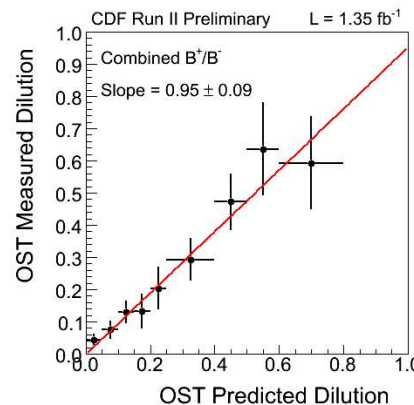
- To quantify tagging we use:

- Efficiency  $\epsilon = N_{\text{tagged}} / N_{\text{total}} = (N_{\text{RS}} + N_{\text{WS}}) / (N_{\text{RS}} + N_{\text{WS}} + N_{\text{NT}})$
- “Dilution”  $D = P_{\text{tag}} - P_{\text{mistag}} = (N_{\text{RS}} - N_{\text{WS}}) / (N_{\text{RS}} + N_{\text{WS}})$

1. Using  $B^\pm$  (OST)

2. In the  $B_s^0$  mixing (SST)

Each tag decision comes with an dilution estimate (event-per-event dilution), validated:



- The statistical power of the tagging is quantified by  $\epsilon \langle D^2 \rangle$  typically 4.8 % as detailed next.

OST

$$\epsilon = 96 \pm 1\%$$

$$\sqrt{\langle D^2 \rangle} = 11 \pm 2\%$$

$$\epsilon \langle D^2 \rangle = 1.2\%$$

SST

$$\epsilon = 50 \pm 1\%$$

$$\sqrt{\langle D^2 \rangle} = 27 \pm 4\%$$

$$\epsilon \langle D^2 \rangle = 3.6\%$$

[used in 1<sup>st</sup> half only]

# Un-binned Likelihood Fit

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We have a sample of

$$B_s^0 \text{ and } \bar{B}_s^0 \rightarrow J/\psi \phi \quad (J/\psi \rightarrow \mu^+ \mu^-, \phi \rightarrow K^+ K^-)$$

of “known” decay-time, CP and production flavor.

But this information is not known on a per-candidate basis.

Wrap it up in a fit.

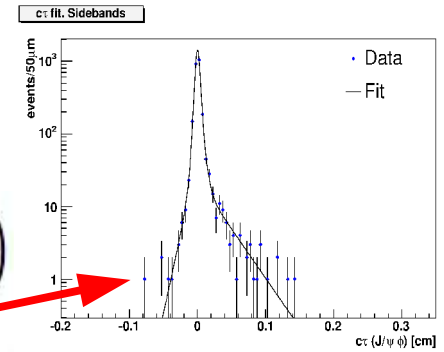


# Overview of fit

Single event likelihood decomposed and fac-

torized in:  $f_s P_s(m|\sigma_m) P_s(t, \vec{\rho}, \xi | \mathcal{D}, \sigma_t) P_s(\sigma_t) P_s(\mathcal{D})$

$$+ (1 - f_s) P_b(m) P_b(t | \sigma_t) P_b(\vec{\rho}) P_b(\sigma_t) P_b(\mathcal{D})$$



$P_s$  : probability distribution functions (PDFs) for signal

$P_b$  : PDFs for background

$f_s$  : signal fraction (fit parameter)

- Measured quantities that enter in the fit and their PDFs
  - reconstructed mass of  $B_s^0, \bar{B}_s^0$  and its error, decay time and its error, transversity angles, flavour tag decision, dilution D
- Parameters in the fit : the relevant ones :  $\beta_s, \Delta\Gamma$
- plus many nuisance parameters: mean width  $\Gamma = (\Gamma_L + \Gamma_H)/2$ ,  $|A_\perp(0)|^2, |A_\parallel(0)|^2, |A_0(0)|^2, \delta_\parallel = \arg(A_\parallel A_0^*), \delta_\perp = \arg(A_\perp A_0^*) \dots$

# Results

Both CDF and D0 have published their 1<sup>st</sup> determination of bounds on mixing-induced CP violation in  $B_s^0 \rightarrow J/\psi \phi$  (references bellow).

Today I will show :

→ new  $(2\beta_s, \Delta\Gamma)$  confidence region (CDF, 2.8 fb<sup>-1</sup>, ~2 fb<sup>-1</sup> equiv.)

→ new  $2\beta_s$  confidence interval (CDF, 2.8 fb<sup>-1</sup>, ~2 fb<sup>-1</sup> equiv.)

[the results are not intended to be published, just an update for ICHEP, next publication: PRD in winter with full PID and ~4 fb<sup>-1</sup>]

→ combined CDF and D0 (from previous measurements, Phys. Rev. Lett. 100, 161802 [2008, CDF 1.35 fb<sup>-1</sup>] and arXiv:0802.2255 [hep-ph, 2008, D0 2.8 fb<sup>-1</sup>])

# Likelihood

- Symmetry in likelihood expression :

$$2\beta_s \rightarrow \pi - 2\beta_s, \Delta\Gamma \rightarrow -\Delta\Gamma, \delta \rightarrow 2\pi - \delta, \delta_{\perp} \rightarrow \pi - \delta_{\perp}$$

- ➔ These yield multiple solutions with non-Gaussian uncertainties, biased estimates, etc
- ➔ Point estimate unrealistic → quote confidence region

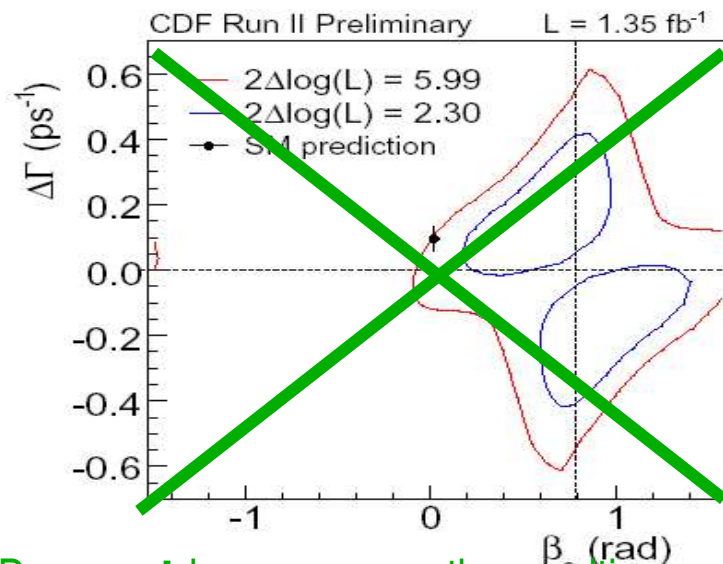
- using profile likelihood ratio ordering with rigorous frequentist inclusion of systematic uncertainties

# Probabilistic method has to provide proper coverage

F-C guarantees coverage at quoted C.L. Accounts for non-asymptotic behavior of likelihood, i.e.  $\log(L)$  non-parabolic, and possible large fluctuations of  $L$  shape from experiment-to-experiment

Excludes a given  $\beta_s$ - $\Delta\Gamma$  pair if it can be excluded for any choice of the 20+ nuisance parameters within  $5\sigma$  of their estimated values

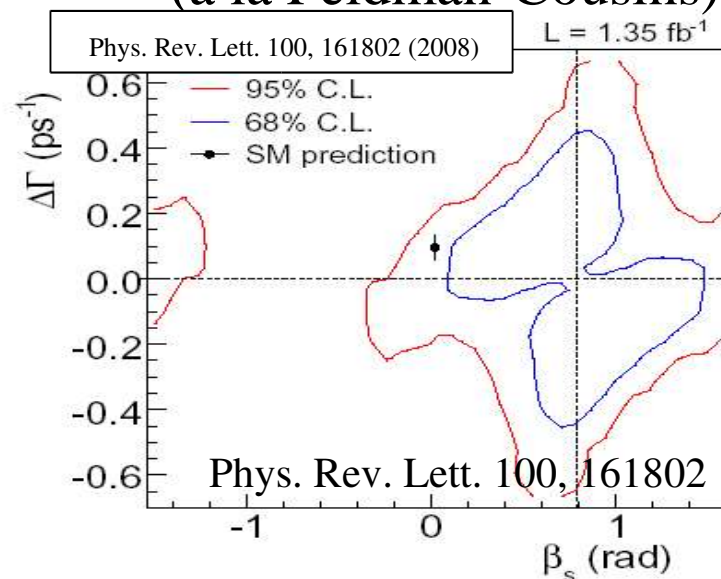
## 2D-Likelihood contour



Does not has coverage: the resulting confidence region does not contain the true value with desired CL independently of true value

## Profile-Likelihood Ratio ordering

(a la Feldman-Cousins)



Above procedure has been corrected to have right coverage

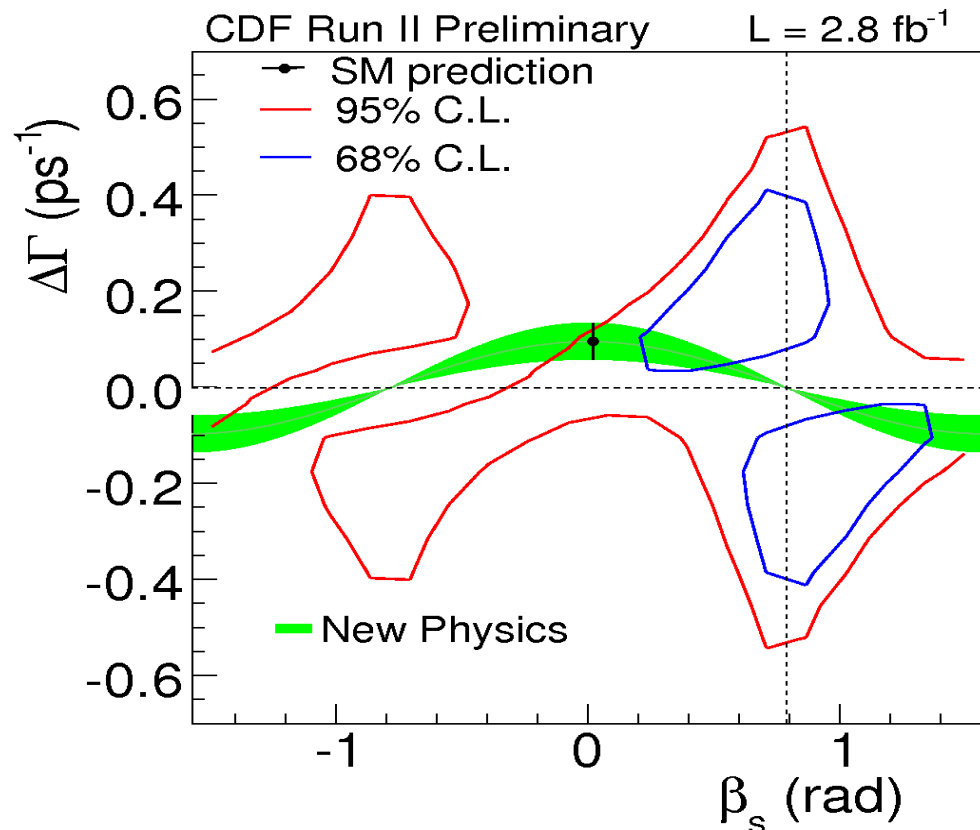
Example of 2D-L contour vs Profile-L Ratio ordering for the  $1.35 \text{ fb}^{-1}$  CDF result

# Flavor Tagged $2\beta_s - \Delta\Gamma$ Confidence Region

Confidence region with profile-Likelihood Ratio ordering and rigorous frequentist inclusion of systematic uncertainties. 2D region is projection of a multidimensional region in the space of all (27) fit parameters

Assuming the SM, the probability of observing a fluctuation as large or larger than what observed in data is 7%, corresponding to  $1.8\sigma$

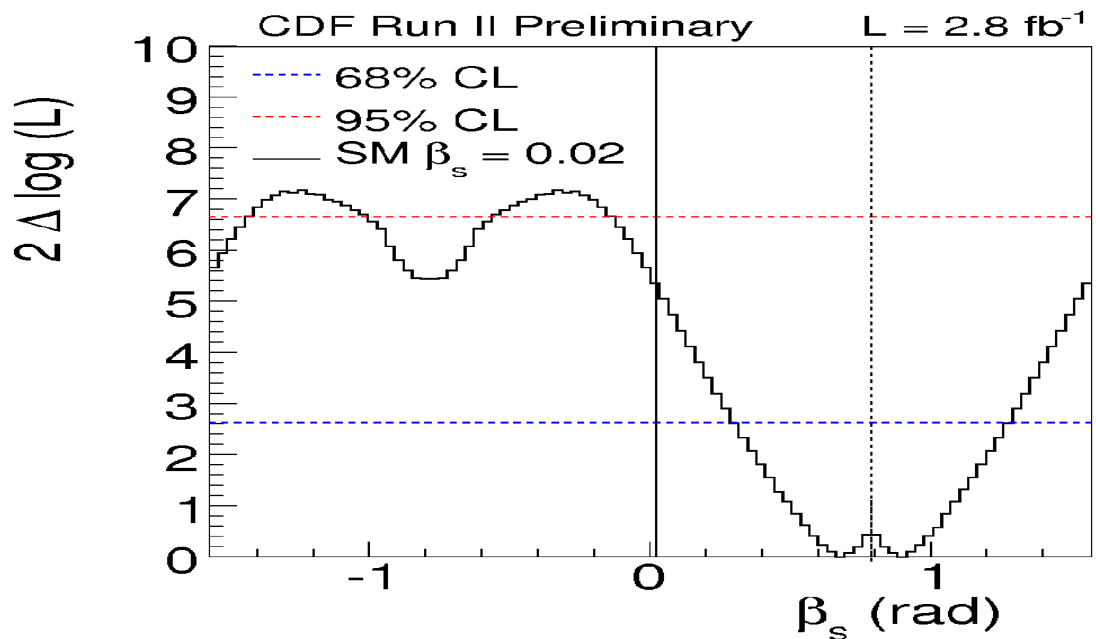
Expect to shrink further once PID will be available for full dataset



# $\beta_s$ 1D Intervals

- $\Delta\Gamma$  treated as a nuisance parameter

→  $\beta_s \in [0.28, 1.29]$   
at 68% CL



- Assuming no CP violation ( $\beta_s = 0$ ), we also measure

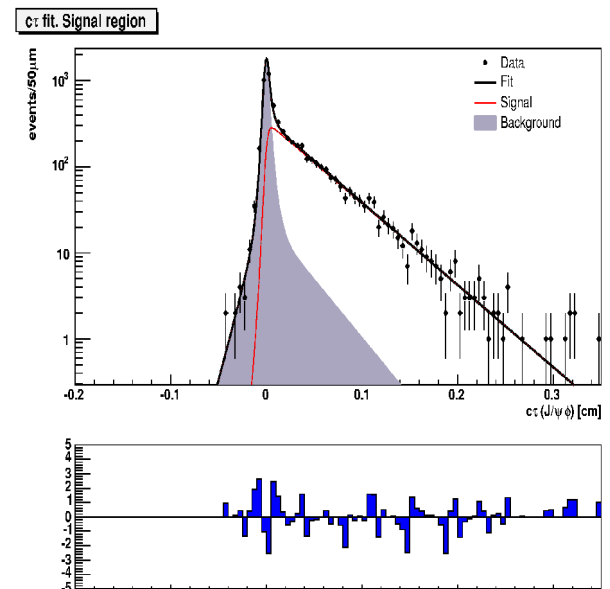
$$c\tau_s = 459 \pm 12 \text{ (stat)} \pm 3 \text{ (syst)} \mu\text{m}$$

$$\Delta\Gamma_s = 0.02 \pm 0.05 \text{ (stat)} \pm 0.01 \text{ (syst)} \text{ ps}^{-1}$$

and the transversity amplitudes

$$|A_{\parallel}(0)|^2 = 0.241 \pm 0.019 \text{ (stat)} \pm 0.007$$

$$|A_0(0)|^2 = 0.508 \pm 0.024 \text{ (stat)} \pm 0.008$$



# Reminder : $D\bar{0}$ published Results

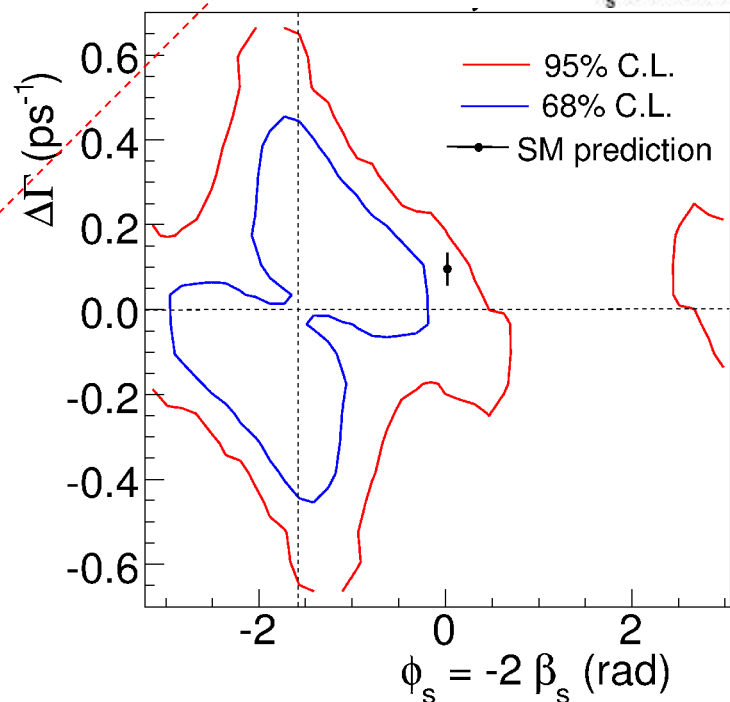
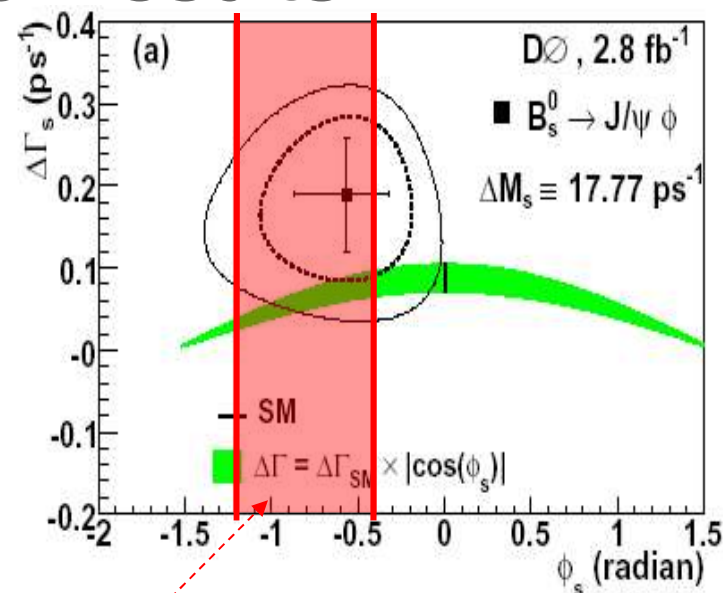
- $D\bar{0}$  observes a fluctuation consistent with CDF
- Chooses to quote the results in terms of  $\phi_s = -2\beta_s$  ([arXiv:0802.2255](#))
- $D\bar{0}$  quotes a point-estimate with strong phases constrained from

$$B^0 \rightarrow J/K^{*0}$$

$$\phi_s = -0.57^{+0.24}_{-0.30}(\text{stat})^{+0.07}_{-0.02}(\text{syst})$$

- This makes the result dependent on theoretical assumptions
- Can be compared to CDF published constrained result

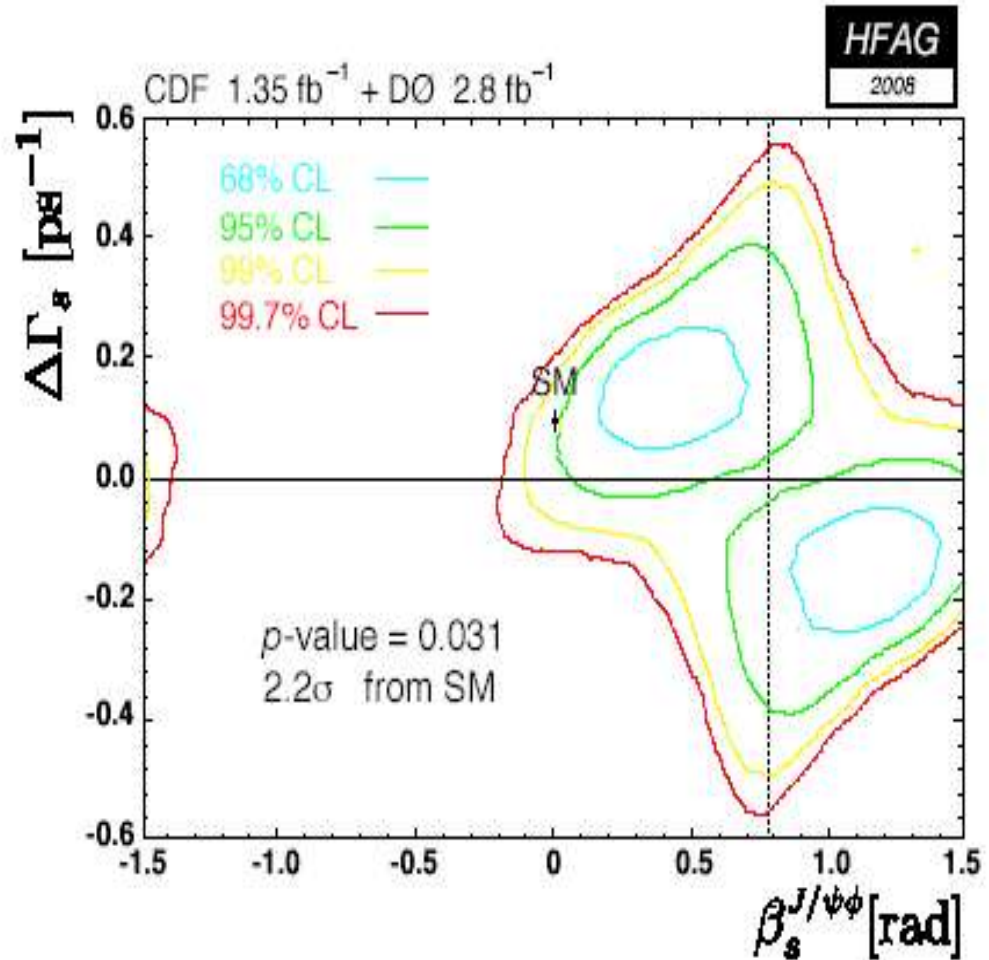
$$2\beta_s \in [0.40, 1.20] \text{ @ } 68\% \text{ CL}$$



# Tevatron combination

Combine CDF and D0  
iso-CL regions **with no  
constrains and previously  
checked for coverage** (a'  
1a HFAG):

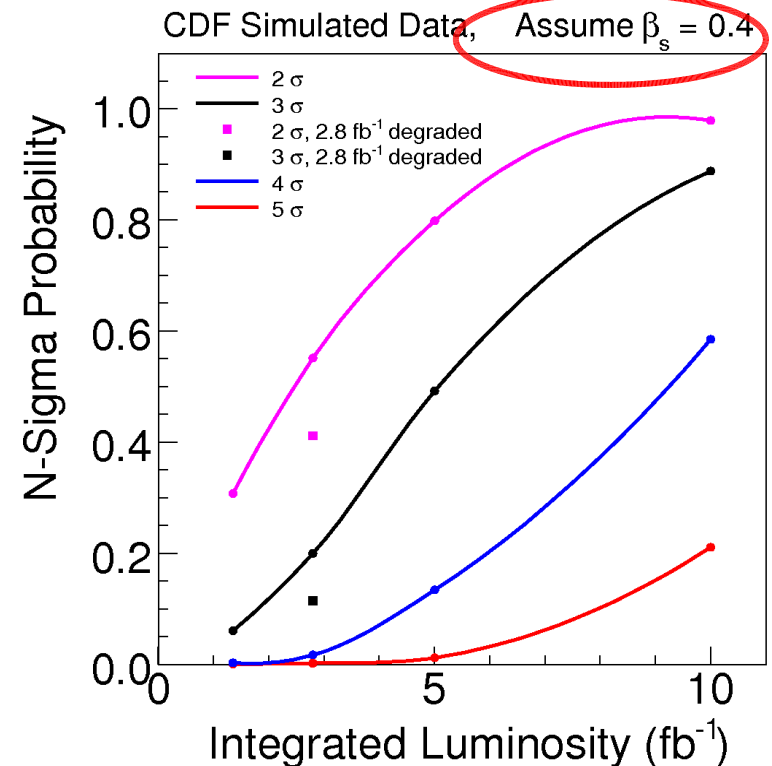
**2.2 $\sigma$**  consistency with  
SM.





# Future

- Tevatron can search for anomalously large values of  $\beta_s$
- Shown results  $2.8 \text{ fb}^{-1}$ , but  $4 \text{ fb}^{-1}$  already on tape to be analysed soon
- Expect  $6\text{-}8 \text{ fb}^{-1}$  by the end of the run 2
- Analysis to be improved and optimized:
  - better flavour tagging
  - calibrated PID
  - more statistics from other triggers
- If  $\beta_s$  is indeed large CDF results have good chance to prove it
- CPV in  $B_s$  system is one of the main topics in LHC<sub>b</sub> B Physics program
  - will measure mixing phase with great precision



# Conclusions

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# Conclusions

- First update on larger dataset confirms old result and provides tighter constraints ( 15% to 7% agreement with SM), although several ingredients are still in the works
- Best measurements of  $B_s$  decay width difference and one of the best lifetime measurements
- Both CDF and DØ observe 1-2 sigma  $\beta_s$  deviations from SM predictions. SM agreement reduces to  $2.2\sigma$  when combined.
- Interesting to see how these effects evolve with more data

Back up

# Un-binned Likelihood Fit

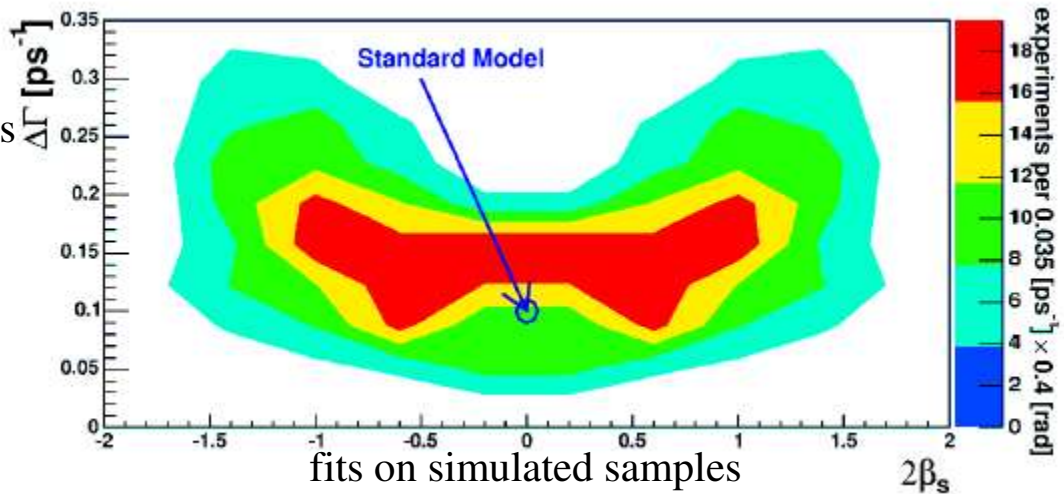
- Fit with separate PDFs for signal and background

$$f_s P_s(m|\sigma_m) P_s(ct, \vec{\rho}, \xi | \mathcal{D}, \sigma_{ct}) P_s(\sigma_{ct}) P_s(\mathcal{D}) \\ + (1 - f_s) P_b(m) P_b(ct|\sigma_{ct}) P_b(\vec{\rho}) P_b(\sigma_{ct}) P_b(\mathcal{D})$$

- $P_s(m|\sigma_m)$  – Single Gaussian fit to signal mass
- $P_s(ct, \rho, \xi | \mathbf{D}, \sigma_{ct})$  – Probability for  $\bar{B}_s^0/B_s^0$
- $P_b(m)$  – Linear fit to background mass distribution
- $P_b(ct|\sigma_{ct})$  – Prompt background, one negative exponential, and two positing exponentials
- $P_b(\rho)$  – Empirical background angle probability distributions
- Use scaled event-per-event errors for mass and lifetime fits and event-per-event dilution

## $\beta_s$ in Untagged Analysis

- Fit for the CPV phase
- Biases and non-Gaussian estimates in pseudo-experiments
- Strong dependence on true values for biases on some fit parameters.



a) Dependence on one parameter in the likelihood vanishes for some values of other parameters:

e.g., if  $\delta_\perp = 0$ ,  $\beta_s$  is undetermined

$$\cos(\delta_\perp) \sin(2\beta_s) \sinh(\Delta\Gamma t/2)$$

b) L invariant under two transformations:

→ 4 equivalent minima

$$\begin{aligned} 2\beta_s &\rightarrow -2\beta_s, \quad \delta_\perp \rightarrow \delta_\perp + \pi \\ \Delta\Gamma &\rightarrow -\Delta\Gamma, \quad 2\beta_s \rightarrow 2\beta_s + \pi \end{aligned}$$

# Angular Probability Distribution: time evolution

- General relation for  $B \rightarrow VV$

$$\begin{aligned} \frac{d^4 P(t, \vec{\rho})}{dt d\vec{\rho}} &\propto |A_0|^2 T_+ f_1(\vec{\rho}) + |A_{\parallel}|^2 T_+ f_2(\vec{\rho}) \\ &+ |A_{\perp}|^2 T_- f_3(\vec{\rho}) + |A_{\parallel}| |A_{\perp}| \mathcal{U}_+ f_4(\vec{\rho}) \\ &+ |A_0| |A_{\parallel}| \cos(\delta_{\parallel}) T_+ f_5(\vec{\rho}) \\ &+ |A_0| |A_{\perp}| \mathcal{V}_+ f_6(\vec{\rho}), \end{aligned}$$

$B_s^0$  term

$A_0, A_{\parallel}, A_{\perp}$ : transition amplitudes to a given polarization state at  $t=0$

Time dependence appears in  $T, U, V$ . Different for  $B_s^0$  and  $\bar{B}_s^0$

$$\begin{aligned} \frac{d^4 \bar{P}(t, \vec{\rho})}{dt d\vec{\rho}} &\propto |A_0|^2 T_+ f_1(\vec{\rho}) + |A_{\parallel}|^2 T_+ f_2(\vec{\rho}) \\ &+ |A_{\perp}|^2 T_- f_3(\vec{\rho}) + |A_{\parallel}| |A_{\perp}| \mathcal{U}_- f_4(\vec{\rho}) \\ &+ |A_0| |A_{\parallel}| \cos(\delta_{\parallel}) T_+ f_5(\vec{\rho}) \\ &+ |A_0| |A_{\perp}| \mathcal{V}_- f_6(\vec{\rho}), \end{aligned}$$

anti- $B_s^0$

$f(\cdot)$ : angular distribution for a given polarization state

- $\vec{\rho} = \{\cos \theta_T, \varphi_T, \cos \psi_T\}$

# Angular Probability Distribution: time evolution

- Separate terms for  $B_s^0, \bar{B}_s^0$

$$\mathcal{T}_{\pm} = e^{-\Gamma t} \left[ \cosh \left( \frac{\Delta\Gamma}{2} t \right) \mp \cos(2\beta_s) \sinh \left( \frac{\Delta\Gamma}{2} t \right) \mp \eta \sin(2\beta_s) \sin(\Delta m_s t) \right]$$

where  $\eta = +1$  for  $P$  and  $-1$  for  $\bar{P}$

$$\mathcal{U}_{\pm} = \pm e^{-\Gamma t} \times \left[ \sin(\delta_{\perp} - \delta_{\parallel}) \cos(\Delta m_s t) - \cos(\delta_{\perp} - \delta_{\parallel}) \cos(2\beta_s) \sin(\Delta m_s t) \right. \\ \left. \pm \cos(\delta_{\perp} - \delta_{\parallel}) \sin(2\beta_s) \sinh \left( \frac{\Delta\Gamma t}{2} \right) \right]$$

$$\mathcal{V}_{\pm} = \pm e^{-\Gamma t} \times \left[ \sin(\delta_{\perp}) \cos(\Delta m_s t) - \cos(\delta_{\perp}) \cos(2\beta_s) \sin(\Delta m_s t) \right. \\ \left. \pm \cos(\delta_{\perp}) \sin(2\beta_s) \sinh \left( \frac{\Delta\Gamma t}{2} \right) \right]$$

Terms with  $\Delta m_s$  dependence; they are different for different initial state flavor

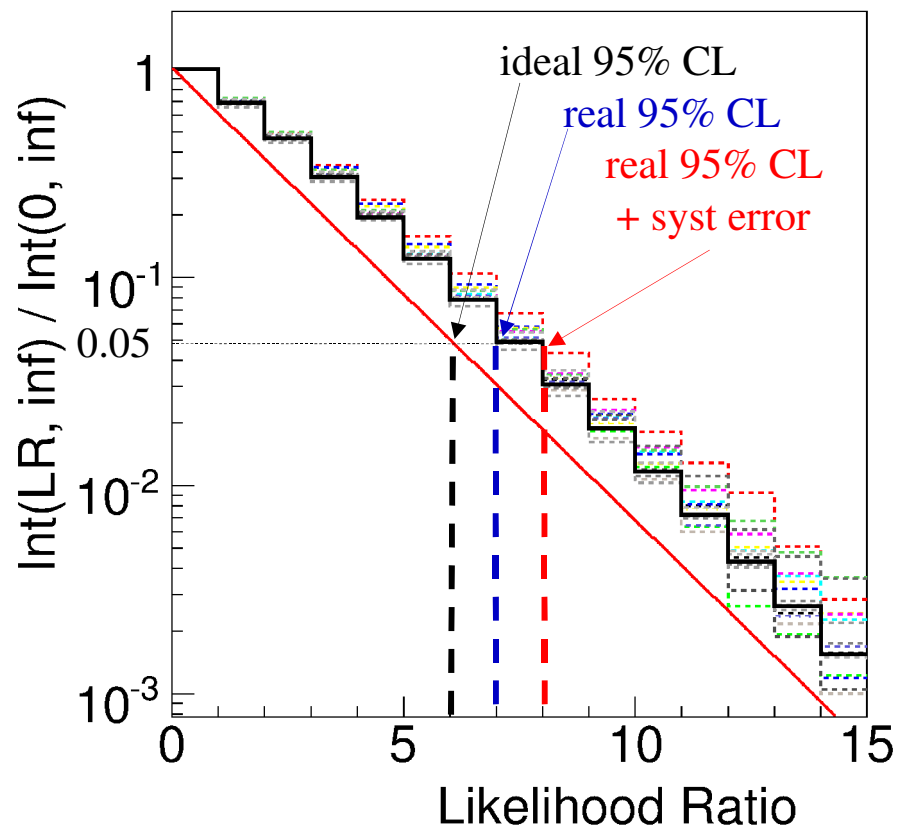
$\delta_{\parallel} = \arg(A_{\parallel} A_0^*)$ ,  $\delta_{\perp} = \arg(A_{\perp} A_0^*)$  are the phases of  $A_{\parallel}$  and  $A_{\perp}$  relative to  $A_0$

Knowledge of  $B_s^0$  mixing frequency needed (well measured by CDF-B0)



# Systematics

- Systematic uncertainties studied by varying all nuisance parameters  $\pm 5\sigma$  from observed values and repeating LR curves (dotted histograms)
- Nuisance parameters:
  - lifetime, lifetime scale factor uncertainty,
  - strong phases,
  - transversity amplitudes,
  - background angular and decay time parameters,
  - dilution scale factors and tagging efficiency
  - mass signal and background parameters
  - ...
- Take the most conservative curve (dotted red histogram) as final result



# CP violating phases : $\phi_s$ vs $\beta_s$

- $2\beta_s = 2\arg[-V_{ts}V_{tb}^*/V_{cs}V_{cb}^*] \sim 4.4^\circ$  (SM) phase of  $b \rightarrow ccs$  transition that accounts for interference of decay and mixing+decay
- $\phi_s = \arg[-M_{12}/\Gamma_{12}] \sim 0.24^\circ$  (SM)  
 $\arg[M_{12}] = \arg(V_{tb}V_{ts}^*)^2$  matrix element that connects matter to antimatter through oscillation.  
 $\arg[\Gamma_{12}] = \arg[(V_{cb}V_{cs}^*)^2 + V_{cb}V_{cs}^*V_{ub}V_{us}^* + (V_{ub}V_{us}^*)^2]$  width of matter and antimatter into common final states.
- Both SM values experimentally inaccessible by current experiments (assumed zero). If NP occurs in mixing:

$$\phi_s = \phi_s^{\text{SM}} + \phi_s^{\text{NP}} \sim \phi_s^{\text{NP}}$$

$$2\beta_s = 2\beta_s^{\text{SM}} - \phi_s^{\text{NP}} \sim -\phi_s^{\text{NP}}$$

standard approximation:  $\phi_s = -2\beta_s$

- $B \rightarrow VV$  (our  $B_s^0 \rightarrow J/\psi \phi$  but also  $B^0 \rightarrow J/\psi K^{*0}$ , ...) decay to two CP even states (**S**-wave or **D**-wave) and one CP odd (**P**-wave)
- Alternatively to the **S,P,D**-wave states one can use the “**transversity basis**”: the three independent components in which the vector mesons polarizations w.r.t. their direction of motion are:
  - longitudinal (**0**)
  - transverse but parallel to each other (**||**)
  - transverse but perpendicular to each other (**⊥**)

CP even

CP odd

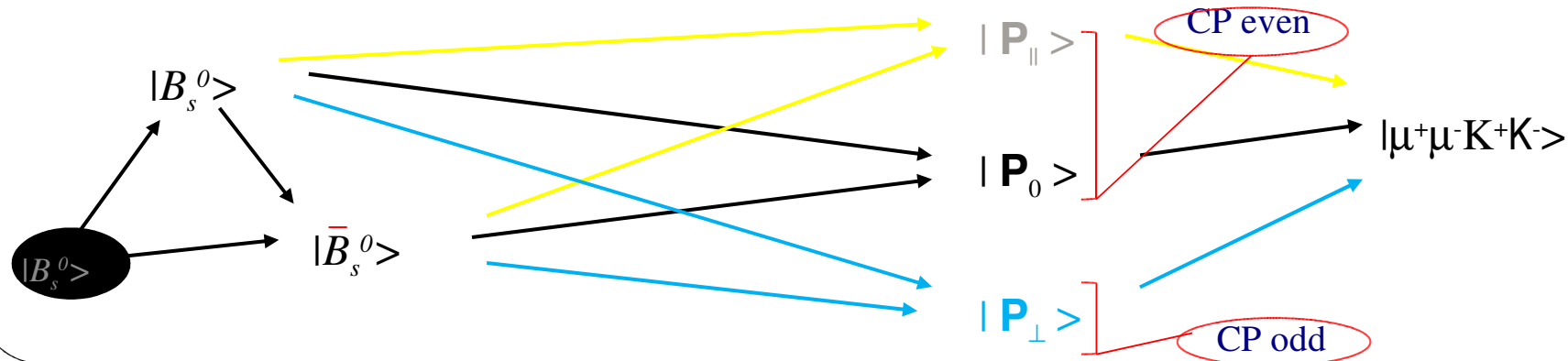
Each final pol.state  $P_0, P_{||}, P_{\perp}$  has transition amplitude  $A_0, A_{||}, A_{\perp}$ ;  $\langle B_s^0 | P \rangle = A$

The  $\langle B_{s,\text{phys}}^0(t) | P \rangle = A(t)$  are convolutions of decay and oscillation functions

Oscillations

Intermediate “final” state ( $J/\psi \phi$ )

Final State



CDF Run II Preliminary

$L = 2.8 \text{ fb}^{-1}$

