



# Supersymmetric Dark Matter: Prospects for LHC Run 2

**(WORK IN PROGRESS, NO RESULTS YET)**

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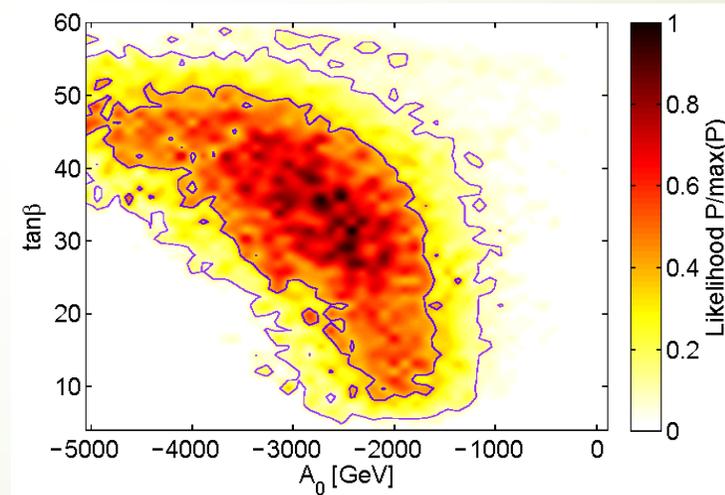
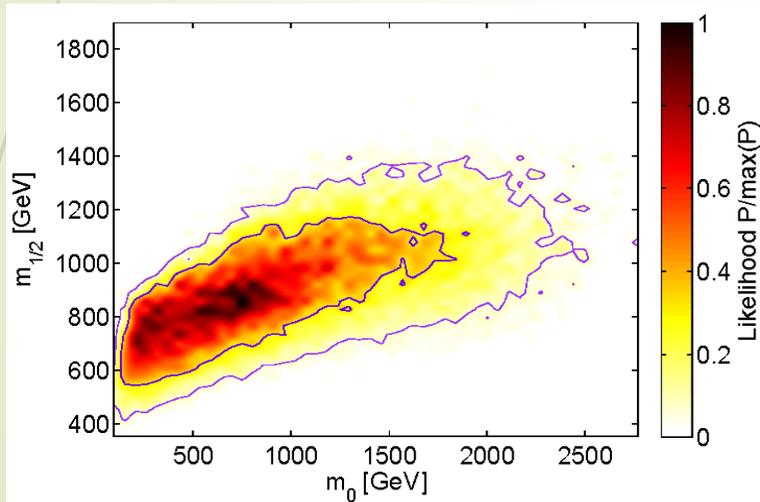
From Higgs to Dark Matter, Geilo 15.12.2014

# Introduction

- ▶ ATLAS effort to apply multiple existing analysis to DM compatible regions of pMSSM aiming for summary paper for Run 1 based on [paper by Rizzo et. al](#) (See talk by Lillian Smestad)
- ▶ We aim at implementing similar constraints to investigate pMSSM regions of interest for Run2
- ▶ Computationally hard problem:
  - ▶ High dimensionality (10x10 grid in 19D=1e19 models)
  - ▶ Event generation and NLO calculations are slow (hours single core)
- ▶ Proposed solution:
  - ▶ Efficient sampling technique: MCMC
  - ▶ Parallelize as much as possible and use supercomputer
  - ▶ Some sacrifice in accuracy

# MCMC Based Scan: 4-parameter CMSSM

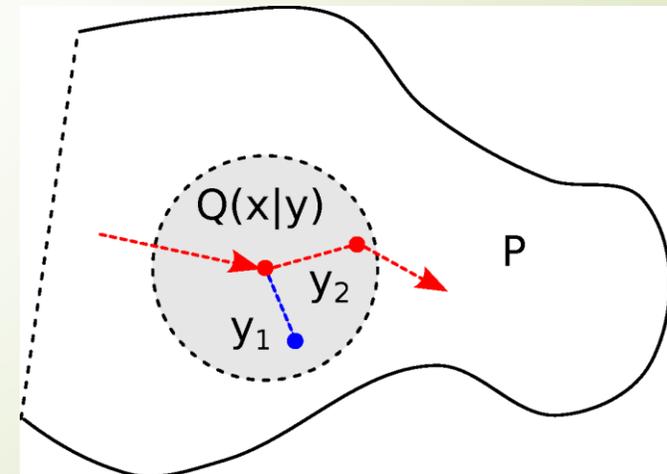
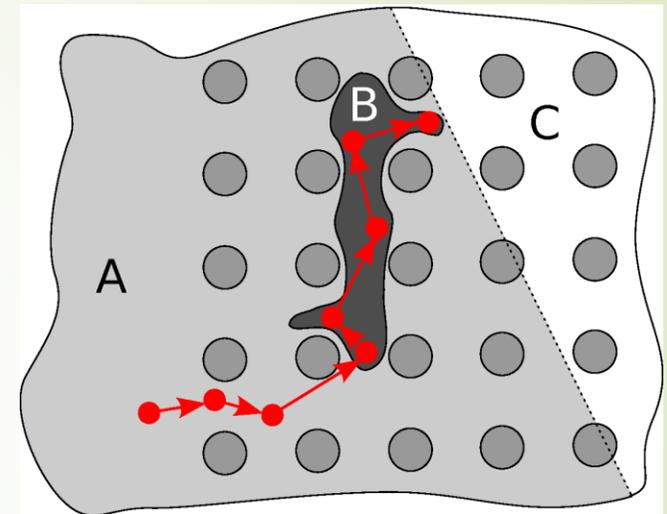
- Aim to apply an updated version of the MCMC scan developed for scanning cMSSM for experimentally viable  $\tau$ -rich models to pMSSM19



cMSSM likelihood maps from [ArXiv ePrint: 1210.7020](https://arxiv.org/abs/1210.7020)

# Basic idea

- Construct a distribution function (likelihood)  $P$  based on interest: Higher  $P \rightarrow$  more interesting
- Use Markov Chain Monte Carlo (MCMC) to efficiently map out the interesting regions
- For pMSSM scan we are interested:
  1. Fitting experimental constraints: DM, Higgs, LHC
  2. Possibility of discovery using ATLAS data
$$P = P_{exp} \cdot P_{obs}$$
- $P$  should be as smooth as possible for efficient MCMC



# Implementation: $P_{exp}$

- Construct experimental likelihood based on various experimental constraints

Constraints	Distribution $P_i$ ( <b>Undecided</b> )
Theory constraints (No tachyons, Correct EWSB)	Discrete
LEP mass limits, $\Delta \rho$ , Invisible Z-width	Discrete, Gaussians
Branching fractions $[Br(B_s \rightarrow \mu\mu), Br(b \rightarrow s + \gamma)]$	Gaussians
Higgs sector $[m_{h0}, Br(H \rightarrow XX)]$	Gaussians
Dark Matter $[\Omega h^2, \sigma_{\chi N}]$	Gaussian (one sided)
ATLAS 8 TeV $[N_{obs}] (0l, 1\tau, \dots)$	<b>Discrete/Poisson</b>

Some important constraints

# Implementation: $P_{obs}$

- $P_{obs}$  based on probability of producing one or more observable SUSY events (sum over Poissonians)

$$P_{obs}(\mu_N) = \sum_{n=1}^{\infty} Poiss(n|\mu_N) \quad , \quad \mu_N = \epsilon_{obs} \sigma_{SUSY} \int \mathcal{L} dt$$

- Events are stored for analysis specific reweighing of likelihoods
- Same sample used for 14 TeV discovery and 8 TeV exclusion, by PDF reweighing

$$w_{14} = 1 \rightarrow w_{13/8} = \frac{PDF(Q^2, x_{13/8})}{PDF(Q^2, x_{14})}$$

# Implementation: Tool chain

- For the likelihood calculation several publicly available packages are used, tools communicate through slha interface

Tool	Output (Undecided)
Softsusy 3.5.1	SUSY spectrum
Susyhit 1.4 (modified)	SUSY and Higgs decays
FeynHiggs 2.10/ Higgsbounds	Higgs sector
microMEGAS 3.5.5 (modified)	$\sigma_{\chi N}, \Omega h^2, Br(B_s \rightarrow \mu\mu), Br(b \rightarrow s + \gamma)$
Pythia 8 w. MG procs	$\sigma_{LO}^{Susy}$ , Showered Events (jet clustering?)
Delphes/Prospino 2.1	Detector simulation and/or k-factors

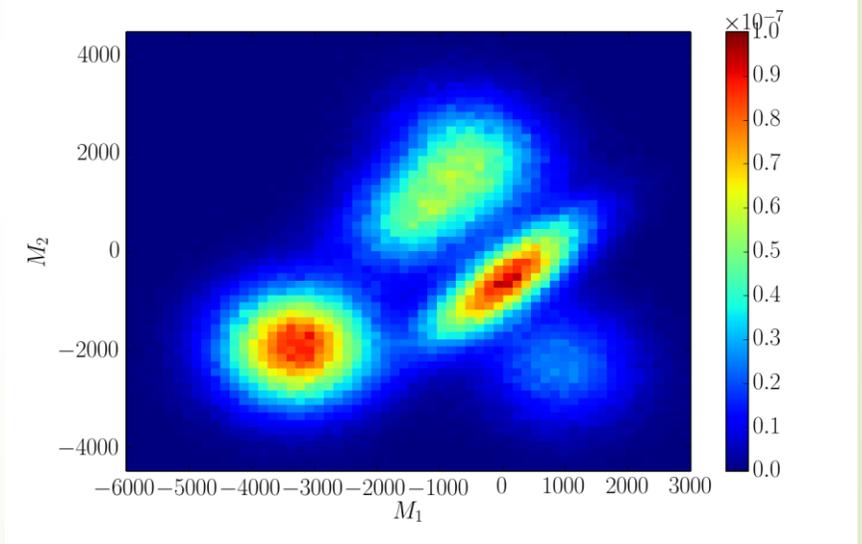
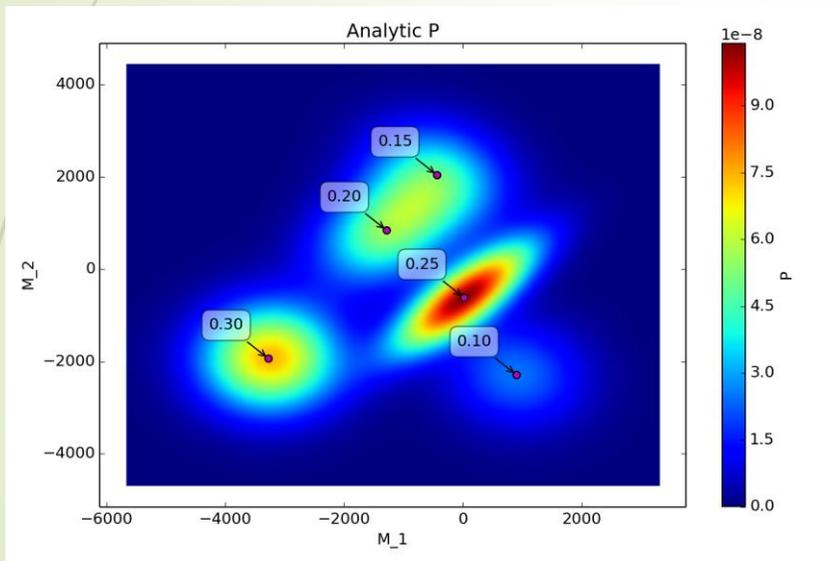
Codes used, some of the tools have been modified with the help of Rizzo et. al

# Implementation: MCMC algorithm Hybrid MPI-Multithread

- ▶ Multichain MCMC algorithm with multimodal sampling distribution and adaptive stepsize
  - ➔ Convergence speed up for multimodal distributions
- ▶ Sampling distribution is constructed by clustering an initial sample of models.
- ▶ Each chain with multithreaded event generation and hierarchical likelihood evaluation
  - ➔ Model calculation speed up
- ▶ Implementation on supercomputer Hexagon (Ongoing):
  - ▶ Cray XE6, 205 Tflops peak performance
  - ▶ 696 nodes, 22272 2.3GHz cores in total

# Current Status

- Validation of algorithm using test distributions and benchmarking



Test using 19D gaussian mixture model (without reclustering)

# Current Status

- ▶ Validation of physics calculations against ATLAS pMSSM sample
- ▶ MCMC code has been rewritten for MPI and multithreading
- ▶ Optimization ongoing, currently  $\sim 4$  min per point (12 cores per chain, LO Pythia+Delphes, wo. ATLAS analysis)
- ▶  $10^6$  points with 100 chains (1200 cpus) with optimal scaling:  
 $t \sim 1$  month ,  $\text{cpuhours} \sim 10^6$
- ▶ Considering swapping Delphes for multithreaded NLO calculations
- ▶ Hopes to have Hexagon run started early 2015

# Back Up

# pMSSM Scan: Proposal Distribution

- Start with crude random scan to locate high likelihood regions with  $P > P_{min}$
- Construct an approximation  $Q_G(y)$  to the underlying distribution  $P(y)$  using a weighted Gaussian mixture

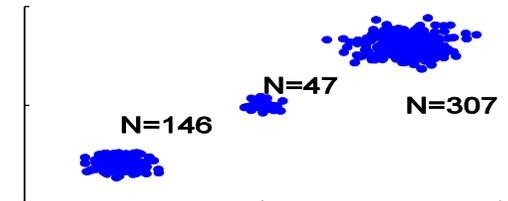
$$Q_G(y) = \sum_i \omega_i \mathcal{N}_i$$

- Let the full proposal  $Q(y|x)$  be a combination of a local Gaussian term with mean  $x$ ,  $Q_L(y|x)$ , and the Gaussian mixture  $Q_G(y)$  given by the

$$Q(y|x) = \beta Q_L(y|x) + Q_G(y)$$

- $Q_L(y|x)$  is taken to have covariance proportional to that of the closest gaussian in the mixture and is adapted to give a local acceptance rate  $r_{acc} \sim 0.1$

Initial sample N=500



Clustered k=10



Gaussian mixture

