

Search of resonant s-channel Higgs production at FCC-ee

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Resonant s-channel $e^+e^- \rightarrow H$ production

- Resonant Higgs production considered so far only for muon collider:

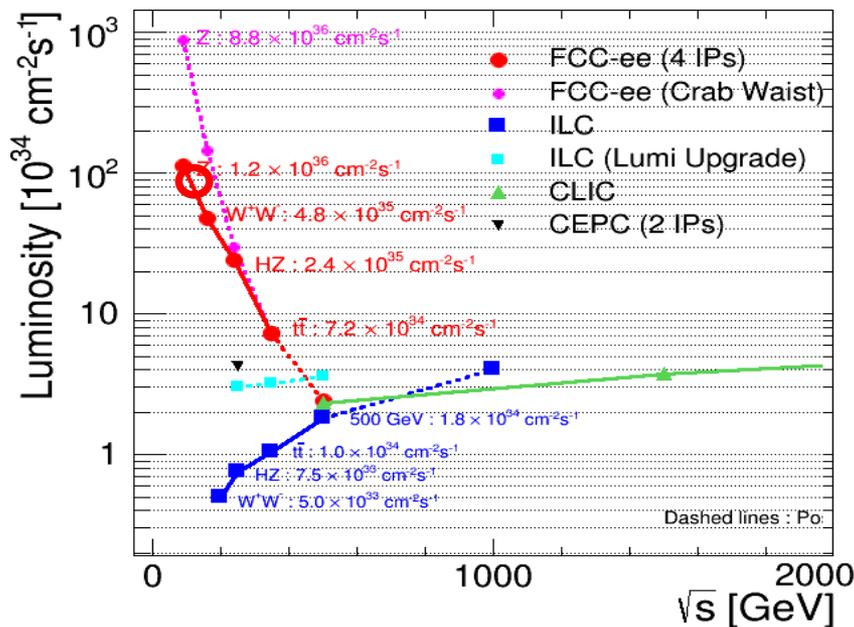
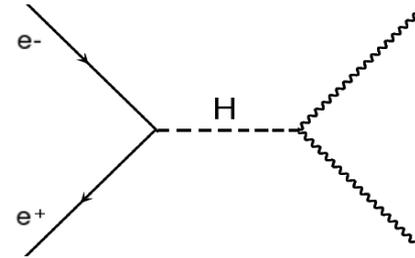
$\sigma(\mu\mu \rightarrow H) \sim 70$ pb. **Tiny $g_{H\mu\mu}$ Yukawa coupling** \Rightarrow Tiny $\sigma(ee \rightarrow H)$

$$\frac{g_{H\mu\mu}}{g_{Hee}} \propto \frac{m_\mu^2}{m_e^2} = 4.28 \times 10^4$$

$BR(H \rightarrow e^+e^-) \sim 5.3 \cdot 10^{-9}$ (decay unobservable)

$$\sigma(e^+e^- \rightarrow H) = \frac{4\pi\Gamma_H^2 Br(H \rightarrow e^+e^-)}{(\hat{s} - M_H^2)^2 + \Gamma_H^2 M_H^2} = 1.64 \text{ fb } (m_H=125 \text{ GeV}, \Gamma_H=4.2 \text{ MeV})$$

- Huge luminosities** available at FCC-ee:



In theory, FCC-ee ($L_{int} \sim 10 \text{ ab}^{-1}/\text{yr}$) running at H pole-mass **would produce $O(16,000)$ H's**

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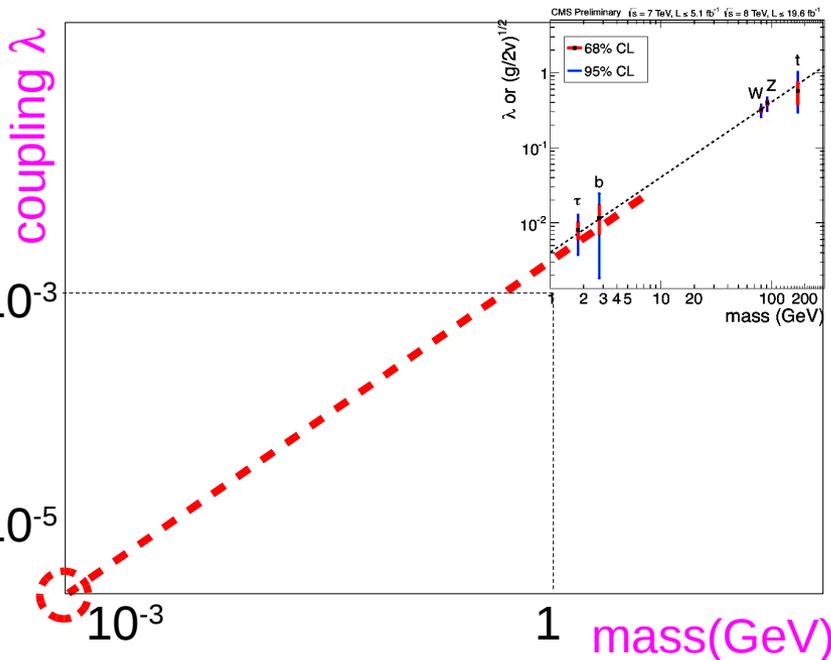
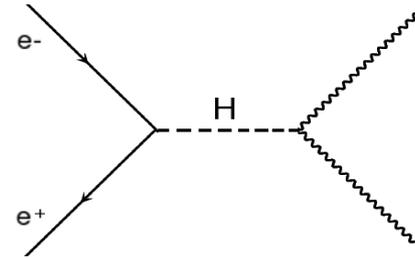
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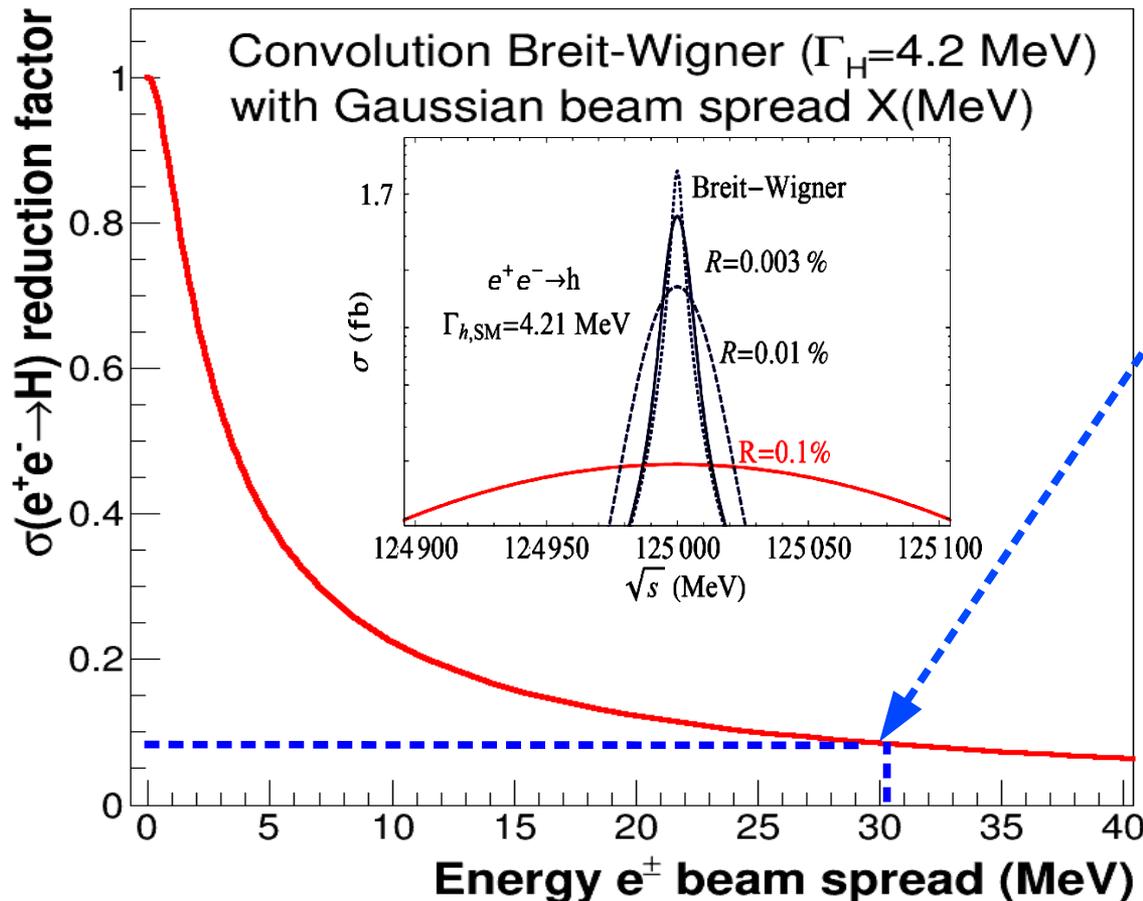
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IFF we can handle: (i) beam-energy spread, (ii) ISR, and (iii) huge backgrounds...

- \rightarrow **Electron Yukawa coupling** measurable?
- \rightarrow **Higgs width** measurable (threshold scan)?
- \rightarrow Separation of possible **nearly-degen.** H's?

$\sigma(e^+e^- \rightarrow H)$ reduction: Beam energy spread

- $\sigma(e^+e^- \rightarrow H) = 1.64$ fb for Breit-Wigner with $\Gamma_H = 4.2$ MeV width. Higgs production **greatly suppressed off resonant peak.**
- **Convolution of Gaussian energy spread** of each e^\pm beam with Higgs B.-W. results on a (Voigtian) **effective cross-section decrease:**



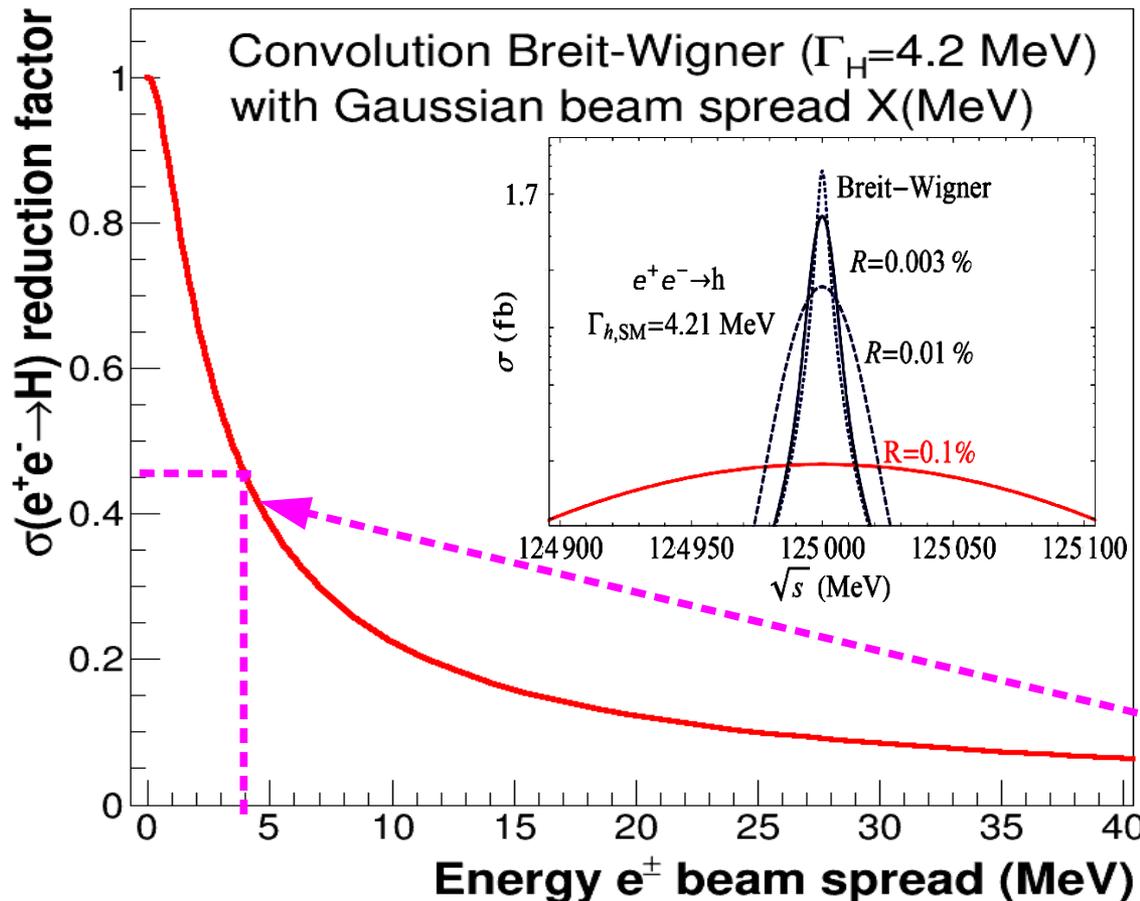
Current FCC-ee nominal ($\Delta E_{\text{beam}}/E_{\text{beam}} \sim 0.05\%$):

$E_{\text{spread}} \sim 30$ MeV:

Reduction factor: $\times 1/12$

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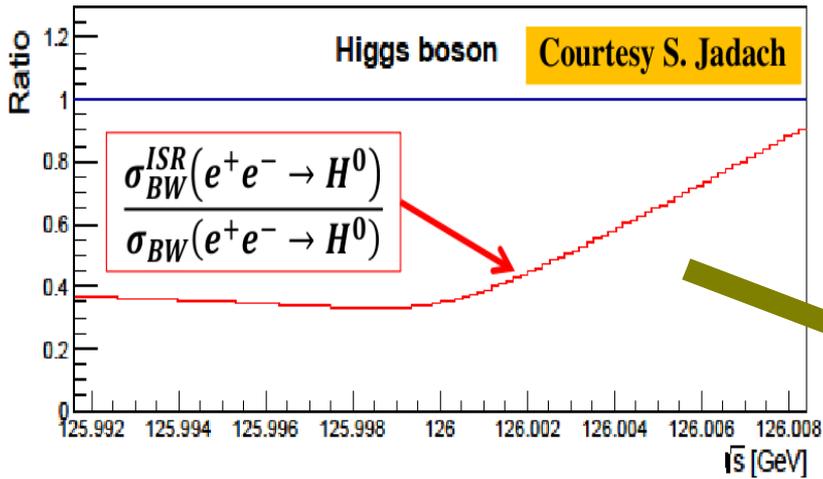
$\sqrt{s}_{\text{spread}} \sim \Gamma_H = 4.2$ MeV

(monochromatization?):

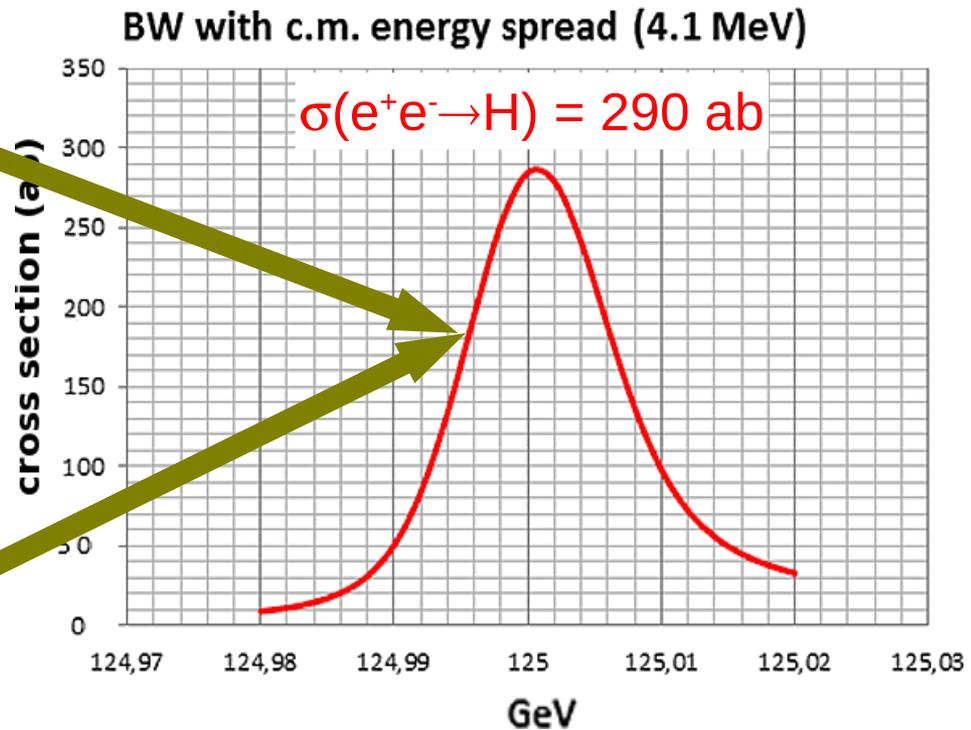
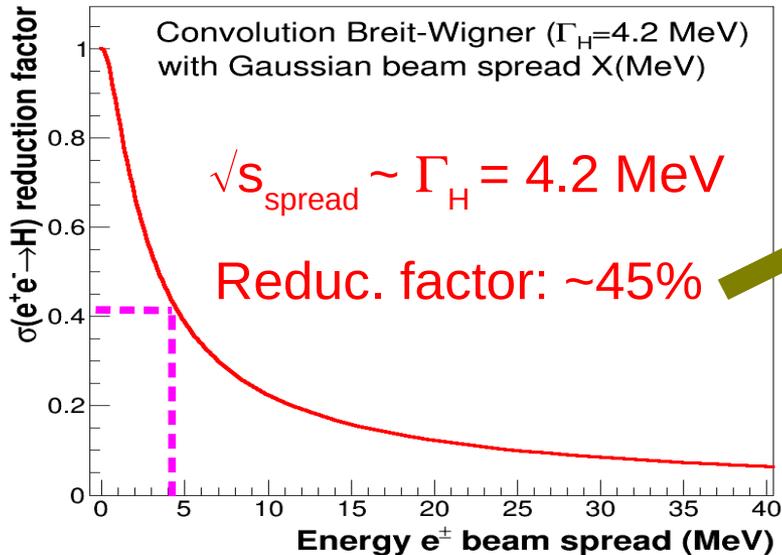
Reduction factor: $\sim 45\%$

$\sigma(e^+e^- \rightarrow H)$ reduction: Beam energy spread + ISR

- Extra $\sim 40\%$ reduction also due to initial state radiation:



- Combined reduction factors:

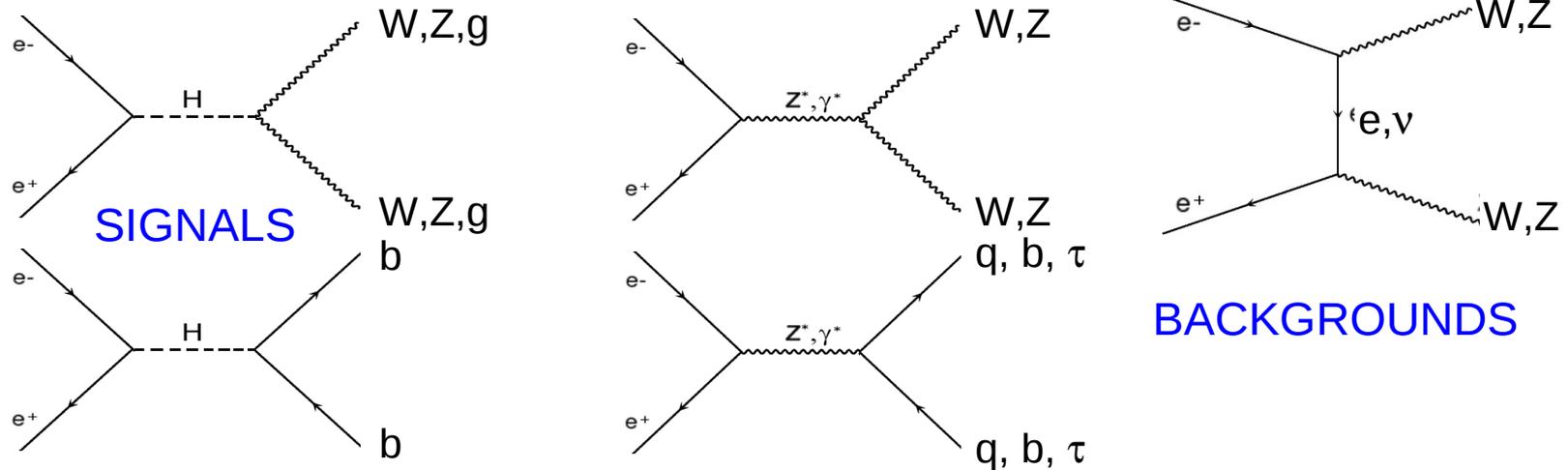


$$\sigma_{\text{beam-spread+ISR}}(e^+e^- \rightarrow H) = 0.17 \times \sigma(e^+e^- \rightarrow H)$$

Theoretical setup

- PYTHIA8 at $\sqrt{s} = m_H = 125$ GeV for s-channel Higgs plus 5 backgrounds

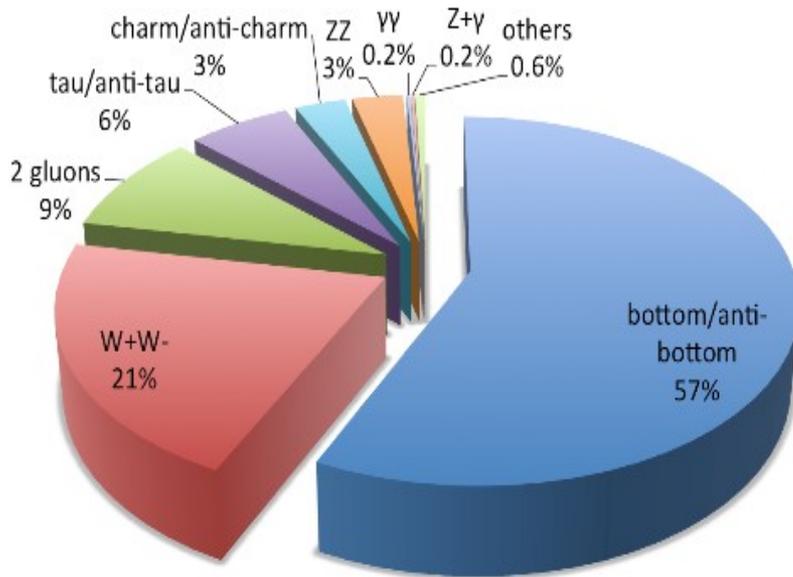
($e^+e^- \rightarrow WW^*, ZZ^*, \tau\tau, qq\bar{q}, gg$):



- FastJet package: exclusive e^+e^- (2,4) jet algorithm.
- ISR automatically included. Beam energy spread included as scaling factor to match final computed ~ 0.17 suppression.
- ISR events tagged via 2 methods (depending on ν 's in final state):
 - (1) Cut on the ME vector. ISR photons mostly emitted along beam axis: Large missing energy (ME) but low transverse missing energy (MET). constructed with sum of all particles outside of acceptance ($|\eta| < 5$).
 - (2) Cut on E_{total} (computed without isolated ISR photons within $|\eta| < 5$): Isolated photons ($\Sigma E < 1$ GeV, $\Delta R < 0.25$) with $E > 5$ GeV omitted: $E_{\text{total}} > 120$ GeV

7 visible Higgs decays at FCC-ee(62.5 GeV)

Decays of a 125 GeV Standard-Model Higgs boson



- **Other 2-jet** final-state (cc) swamped by $e^+e^- \rightarrow Z^*, \gamma^* \rightarrow qq$ (390 pb)
- **Other 4-jet** final-state (ZZ*) swamped by $e^+e^- \rightarrow Z^*, \gamma^* \rightarrow qq gg$ (1 pb), $e^+e^- \rightarrow WW^*, ZZ^*$ (20 fb)
- $\tau\text{-}\tau$ and rare decays swamped by backgrounds and/or have ~ 0 counts.
- Note: H s-channel measurement =

PYTHIA8 (ISR+beam-spread) for signal & backgrounds at $\sqrt{s} = m_H = 125$ GeV:

1) WW^* (2jlv): $\sigma = 28$ ab

Dominant bckgd ($ee \rightarrow WW^*$): $\sigma = 20$ fb (S/B $\sim 10^{-3}$)

2) WW^* (2l2v): $\sigma = 6.7$ ab

Dominant bckgd ($ee \rightarrow WW^*$): $\sigma = 5$ fb (S/B $\sim 10^{-3}$)

3) ZZ^* (2j2v): $\sigma = 2.3$ ab

Dominant bckgd ($ee \rightarrow ZZ^*$): $\sigma = 213$ ab (S/B $\sim 10^{-2}$)

4) ZZ^* (2l2j): $\sigma = 1.14$ ab

Dominant bckgd ($ee \rightarrow ZZ^*$): $\sigma = 114$ ab (S/B $\sim 10^{-2}$)

5) bb (2 b-jets): $\sigma = 156$ ab

Dominant bckgd ($ee \rightarrow bb$): $\sigma = 90$ pb (S/B $\sim 10^{-6}$)

6) gg (2 jets): $\sigma = 24$ ab

Domin. bckgd ($ee \rightarrow "gg"$): $\sigma = 0.9$ pb (S/B $\sim 10^{-4}$)

7) WW^* (4j): $\sigma = 29.5$ ab

Dominant bckgd ($ee \rightarrow 4j$): $\sigma = 16$ fb (S/B $\sim 10^{-3}$)

Counting experiment over many channels

Channel 1: $e^+e^- \rightarrow H(WW^*) \rightarrow lvjj$

- Final state (all objects reconstructed within $|\eta| < 5$ acceptance):
1 isolated ($\Sigma E < 1$ GeV, $\Delta R < 0.25$) lepton $e, \mu, \tau(e), \tau(\mu)$ + $ME > 2$ GeV + 2 jets
Retains 80% of $\sigma(WW^*(lvjj)) = 28$ ab.

- Kinematic cuts:

$$E_{j1,j2} < 52,45 \text{ GeV} \quad \neg \text{ Kills } qq\bar{q}$$

$$m_{w(l\nu)} > 12 \text{ GeV}/c^2 \quad \neg \text{ Kills } qq\bar{q}$$

$$E_{\text{lepton}} > 10 \text{ GeV} \quad \neg \text{ Kills } qq\bar{q}$$

$$ME > 20 \text{ GeV} \quad \neg \text{ Kills } qq\bar{q}$$

$$m(\text{ME}) < 3 \text{ GeV}/c^2 \quad \neg \text{ Kills } \tau\text{-}\tau$$

- Boosted Decision Tree** across angular variables & 4-vectors (MELA) applied to remove WW^* continuum.

- Signal & backgrounds before & after kinematics+MVA:

$$H(WW^*): \quad \sigma = 23 \text{ ab} \Rightarrow \sigma(\text{after cuts}) \sim 8 \text{ ab}$$

$$WW^*: \quad \sigma = 16.3 \text{ fb} \Rightarrow \sigma(\text{after cuts}) \sim 2.7 \text{ fb}$$

$$qq\bar{q}: \quad \sigma = 22 \text{ pb} \Rightarrow \sigma(\text{after cuts}) \sim 4 \text{ ab}$$

$$\tau\text{-}\tau: \quad \sigma = 1 \text{ pb} \Rightarrow \sigma(\text{after cuts}) \sim 2.6 \text{ ab}$$

$$\text{For } L_{\text{int}} = 10 \text{ ab}^{-1}$$

$$S/\sqrt{B} \sim 80/\sqrt{27000} \sim 0.5$$

$$\text{Significance} \sim 0.5$$

$$\text{BR}(H_{ee}) < 6.1 \times \text{BR}_{\text{SM}} (3\sigma)$$

$$g_{\text{hee}} < 2.47 \times g_{\text{Hee,SM}} (3\sigma)$$

Channel 2: $e^+e^- \rightarrow H(WW^*) \rightarrow 2l2\nu$

- Final state (all objects reconstructed within $|\eta| < 5$ acceptance):
2 isolated ($\Sigma E < 1$ GeV, $\Delta R < 0.25$) leptons $e, \mu, \tau(e), \tau(\mu)$ + $ME > 2$ GeV
+ no unisolated leptons or final state hadrons.
This retains 60% of the $\sigma(WW^*(2l2\nu)) = 7$ ab.

- Kinematic cuts (Preselection kills qqbar entirely):

$\cos(\theta_{l_1 l_2}) > -0.6$ \neg Kills τ - τ
 $\Delta R(l_2, E_{\text{miss}}) > 1.5$ \neg Kills τ - τ
 $E_{l_1, l_2} > 3$ GeV \neg Kills τ - τ
 $ME > 20$ GeV \neg Kills τ - τ
+ BDT MVA \neg Kills WW^*

For $L_{\text{int}} = 10$ ab $^{-1}$

$S/\sqrt{B} \sim 21/\sqrt{5063} \sim 0.3$

Significance ~ 0.3

$BR(\text{Hee}) < 10.3 \times BR_{\text{SM}} (3\sigma)$

$g_{\text{hee}} < 3.2 \times g_{\text{Hee, SM}} (3\sigma)$

- Signal & backgrounds before & after kin. & MVA cuts:

$H(WW^*)$: $\sigma = 4$ ab \Rightarrow $\sigma(\text{after cuts}) \sim 2.1$ ab

WW^* : $\sigma = 2.9$ fb \Rightarrow $\sigma(\text{after cuts}) \sim 454$ ab

τ - τ : $\sigma = 3.1$ pb \Rightarrow $\sigma(\text{after cuts}) \sim 51$ ab

qqbar: $\sigma \sim 0$ pb \Rightarrow $\sigma(\text{after cuts}) \sim 0$ ab

ZZ^* : $\sigma = 24$ ab \Rightarrow $\sigma(\text{after cuts}) \sim 0.4$ ab

Channel 3: $e^+e^- \rightarrow H(ZZ^*) \rightarrow 2j2\nu$

- Final state (all objects reconstructed within $|\eta| < 5$ acceptance):
0 isolated ($\Sigma E < 1$ GeV, $\Delta R < 0.25$) leptons $e, \mu, \tau(e), \tau(\mu)$ + ME > 30 GeV +
2 jets (exclusive 2-jet algo) + 0 τ 's in event (0.75% τ mistag rate).

This retains 75% of the $\sigma(WW^*(2j2\nu)) = 2.3$ ab

- Kinematic cuts:

$\min(|m_{ME} - m_Z|, |m_{jj} - m_Z|) < 10$ GeV \neg Kills qqbar, τ - τ

$E_{total} > 120$ GeV \neg Kills qqbar, τ - τ

$M_{ME} > 60$ GeV/ c^2 \neg Kills qqbar, τ - τ

$\cos(\Delta\theta_{ME,j2}) < 0.8$ \neg Kills τ - τ

$|\eta_{jj}| < 2$ \neg Kills qqbar, τ - τ

$E_{jj} > 14$ GeV \neg Kills τ - τ

For $L_{int} = 10$ ab $^{-1}$

$S/\sqrt{B} \sim 3.7/\sqrt{316} \sim 0.21$

Significance ~ 0.21

$BR(H_{ee}) < 14.3 \times BR_{SM}$ (3σ)

$g_{hee} < 3.78 \times g_{Hee,SM}$ (3σ)

- Signal & backgrounds before & after kin. cuts:

$H(WW^*)$: $\sigma = 1.75$ ab $\Rightarrow \sigma(\text{after cuts}) \sim 0.37$ ab

ZZ^* : $\sigma = 179$ ab $\Rightarrow \sigma(\text{after cuts}) \sim 25$ ab

qqbar: $\sigma = 963$ fb $\Rightarrow \sigma(\text{after cuts}) \sim 4$ ab

τ - τ : $\sigma = 471$ ab $\Rightarrow \sigma(\text{after cuts}) \sim 2$ ab

WW^* : $\sigma = 526$ ab $\Rightarrow \sigma(\text{after cuts}) \sim 0$ ab

Channel 4: $e^+e^- \rightarrow H(ZZ^*) \rightarrow 2l2j$

- Final state (all objects reconstructed within $|\eta| < 5$ acceptance):
2 isolated ($\Sigma E < 1 \text{ GeV}, \Delta R < 0.25$) opposite-charge leptons $e, \mu, \tau(e), \tau(\mu)$ +
2 jets (exclusive 2-jet algo)

This retains 73% of the $\sigma(WW^*(2l2\nu)) = 1.14 \text{ ab}$

- Kinematic cuts:

$\min(|M_{l_1} - M_{Z_1}|, |M_{l_2} - M_{Z_2}|) < 20 \text{ GeV} \rightarrow$ Kills $qq\bar{q}$, $\tau\text{-}\tau$

$ME < 10 \text{ GeV} \rightarrow$ Kills $\tau\text{-}\tau$

$E_{\text{lepton}} > 6 \text{ GeV} \rightarrow$ Kills $qq\bar{q}$

$E_{l_1} + E_{l_2} > 20 \text{ GeV} \rightarrow$ Kills $qq\bar{q}$

$M_{l_1} > 20 \text{ GeV}/c^2 \rightarrow$ Kills $qq\bar{q}$

$M_{jj} > 10 \text{ GeV}/c^2 \rightarrow$ Kills $\tau\text{-}\tau$

For $L_{\text{int}} = 10 \text{ ab}^{-1}$

$S/\sqrt{B} \sim 2.7/\sqrt{296} \sim 0.16$

Significance ~ 0.16

$\text{BR}(H_{ee}) < 19 \times \text{BR}_{\text{SM}} (3\sigma)$

$G_{\text{hee}} < 4.35 \times g_{\text{Hee,SM}} (3\sigma)$

- Signal & backgrounds before & after kin. cuts:

$H(WW^*)$: $\sigma = 0.84 \text{ ab} \Rightarrow \sigma(\text{after cuts}) \sim 0.27 \text{ ab}$

ZZ^* : $\sigma = 87 \text{ ab} \Rightarrow \sigma(\text{after cuts}) \sim 23 \text{ ab}$

$\tau\text{-}\tau$: $\sigma \sim 0.8 \text{ pb} \Rightarrow \sigma(\text{after cuts}) \sim 2.5 \text{ ab}$

WW^* : $\sigma = 3.1 \text{ fb} \Rightarrow \sigma(\text{after cuts}) \sim 0.04 \text{ ab}$

$qq\bar{q}$: $\sigma = 17 \text{ pb} \Rightarrow \sigma(\text{after cuts}) \sim 4 \text{ ab}$

Channel 5: $e^+e^- \rightarrow H(bb) \rightarrow jj$

- Final state (all objects reconstructed within $|\eta| < 5$ acceptance):
2 jets (exclusive 2-jet algo) + 1 b-jet tagged (70% effic., 5% charm mistag rate, 1.5% light-q mistag rate) + 0 taus (0.75% tau mistag rate).
This keeps $\sim 90\%$ of the original signal of $\sigma = 156$ ab

- Kinematic cuts:
None. Final-state selection +
MVA applied to kill dominant
bbar continuum

For $L_{\text{int}} = 10 \text{ ab}^{-1}$

$S/\sqrt{B} \sim 1310/\sqrt{1.7e+8} \sim 0.1$
Significance ~ 0.1

$\text{BR}(H_{ee}) < 30 \times \text{BR}_{\text{SM}} (3\sigma)$

$g_{H_{ee}} < 5.44 \times g_{H_{ee,SM}} (3\sigma)$

- Signal & backgrounds before & after MVA cuts:
H(bb): $\sigma = 142 \text{ ab} \Rightarrow \sigma (\text{after cuts}) \sim 131 \text{ ab}$
qqbar: $\sigma = 87 \text{ pb} \Rightarrow \sigma (\text{after cuts}) \sim 17 \text{ pb}$
 $\tau\text{-}\tau$: $\sigma = 607 \text{ ab} \Rightarrow \sigma (\text{after cuts}) \sim 375 \text{ ab}$

Channel 6: $e^+e^- \rightarrow H(gg) \rightarrow jj$

- Final state (all objects reconstructed within $|\eta| < 5$ acceptance):
 - 0 isolated ($\Sigma E < 1$ GeV, $\Delta R < 0.25$) leptons $e, \mu, \tau(e), \tau(\mu)$ +
 - 2 gluon-tagged jets (60% efficiency, 5% quark mistagging rate) +
 - 0 taus (0.75% τ mistag rate).

This keeps $\sim 30\%$ of the original signal of $\sigma = 24$ ab.

- Kinematic cuts:

$$E_{\text{total}} > 124 \text{ GeV} \rightarrow \text{Kills part of } \tau\tau, WW, ZZ$$

$$\text{For } L_{\text{int}} = 10 \text{ ab}^{-1}$$

$$S/\sqrt{B} \sim 39.1/\sqrt{1.9 \times 10^5} \sim 0.09$$

$$\text{Significance} \sim 0.09$$

$$\text{BR}(H_{ee}) < 32 \times \text{BR}_{\text{SM}} (3\sigma)$$

$$g_{H_{ee}} < 5.66 \times g_{H_{ee}, \text{SM}} (3\sigma)$$

- Signal & backgrounds before & after kin. cuts:

$$H(gg): \sigma = 7.34 \text{ ab} \Rightarrow \sigma (\text{after cuts}) = 3.91 \text{ ab}$$

$$q\bar{q}: \sigma = 0.86 \text{ pb} \Rightarrow \sigma (\text{after cuts}) = 18.7 \text{ fb}$$

$$\tau\text{-}\tau: \sigma = 607 \text{ ab} \Rightarrow \sigma (\text{after cuts}) = 257 \text{ ab}$$

$$WW^*: \sigma = 44.6 \text{ ab} \Rightarrow \sigma (\text{after cuts}) = 26 \text{ ab}$$

$$ZZ^*: \sigma = 0.74 \text{ ab} \Rightarrow \sigma (\text{after cuts}) = 0.26 \text{ ab}$$

Channel 7: $e^+e^- \rightarrow H(WW^*) \rightarrow 4j$

- Final state (all objects reconstructed within $|\eta| < 5$ acceptance):

0 isolated ($\Sigma E < 1$ GeV, $\Delta R < 0.25$) leptons $e, \mu, \tau(e), \tau(\mu)$ + 0 taus (0.75% tau mistag rate) + 4 jets (exclusive 4 jet algo) + 0 b-jets (70% b tagging effic., 5% charm mistag rate, 1.5% light-q mistag rate) + 0 gluon jets (60% q-tagging efficiency, 5% gluon mistag rate) + jet pairs around m_W must not both be c-tagged (80% c-tagging rate, 18% b mistagging rate, 2% light-q mistag rate) + ≥ 1 jet c-tagged jet

This retains 9% of the $\sigma(WW^*(4j)) = 29$ ab.

- Kinematic cuts:

$$-\ln(y_{j3,jet4}) > 5., E_{total} > 110 \text{ GeV}$$

$$\max(M_{jj}) = 60 - 85 \text{ GeV}/c^2$$

$$|\Delta\Phi_{Z \text{ decay planes}}| < 1.$$

- Signal & backgrounds before & after kin. cuts:

$$H(WW^*): \sigma = 2.75 \text{ ab} \Rightarrow \sigma(\text{after cuts}) = 1.4 \text{ ab}$$

$$qq\bar{q}: \sigma = 15.7 \text{ fb} \Rightarrow \sigma(\text{after cuts}) \sim 2 \text{ fb}$$

$$WW^*: \sigma = 1.4 \text{ fb} \Rightarrow \sigma(\text{after cuts}) = 810 \text{ ab}$$

$$\tau-\tau: \sigma = 0 \text{ ab} \Rightarrow \sigma(\text{after cuts}) \sim 0 \text{ ab}$$

$$ZZ^*: \sigma = 4 \text{ ab} \Rightarrow \sigma(\text{after cuts}) = 1.38 \text{ ab}$$

$$\text{For } L_{int} = 10 \text{ ab}^{-1}$$

$$S/\sqrt{B} \sim 14/\sqrt{29000} \sim 0.08$$

$$\text{Significance} \sim 0.08$$

$$\text{BR}(H \rightarrow ee) < 36 \times \text{BR}_{SM} (3\sigma)$$

$$g_{Hee} < 6 \times g_{Hee,SM} (3\sigma)$$

Multi-Channel Combination (Significance)

- Channels combination using **Roostats-based statistics tool** for LHC Higgs analyses: ProfileLikelihood & HybridNew all give ~identical results, which are also very close to naive S/\sqrt{B} expectation (no background uncertainty).

Channel	Significance (1 ab ⁻¹)	Significance (6 ab ⁻¹)	Significance (10 ab ⁻¹)
WW→lvjj	0.15	0.38	0.49
WW→2l2v	0.09	0.23	0.29
ZZ→2j2v	0.07	0.16	0.21
ZZ→2l2j	0.05	0.12	0.16
bb	0.03	0.08	0.1
gg	0.03	0.07	0.09
WW→4j	0.03	0.06	0.08
Combined	0.2	0.5	0.65

- For 10 ab⁻¹: 3σ limit of $4.6 \cdot \text{BR}(H \rightarrow ee)$ for SM branching ratio
 3σ limit of $2.15 \cdot g_{\text{Hee,SM}}$ for the H-e Yukawa coupling

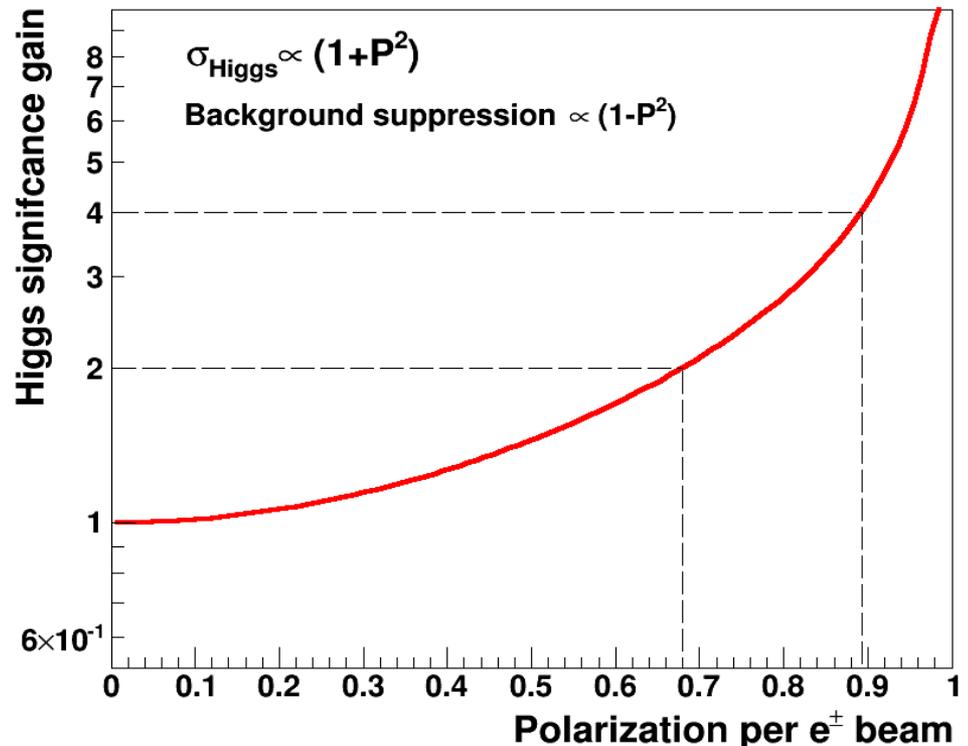
Possible significance gains ?

- $L_{\text{int}} = L \times \Delta t = 10^{36} \text{ cm}^{-2}\text{s}^{-1} \times 10\text{Ms (8 months, 50\%)} = 10 \text{ ab}^{-1}$ (4 exps)
- **Crab waist** upgrade would result in $\times 6$ more lumi at $\sqrt{s} = m_H$
i.e. $\times 2.5$ improve in significance: $S = 1.65\sigma$, 3σ limit of 1.35^*g_{Hee} (SM).

- **Polarization** of beams would enhance the signal ($\sim 1 + P^2$) & suppress background ($1 - P^2$) but this would limit the lumi. Realistic polarization estimates ($P = 20\text{-}30\%$) are however clearly insufficient.

$P \sim 0.7$: $\times 2$ significance

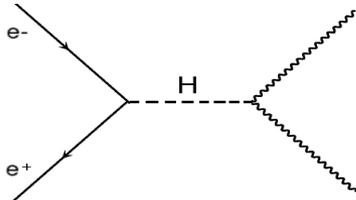
$P \sim 0.9$: $\times 4$ significance



- Evidence (observation?) will require important improvements in **large-BR** (huge background) jet-channels: $H \rightarrow bb$, $H \rightarrow WW \rightarrow 4j$

Conclusions

- Resonant s-channel Higgs production at FCC-ee ($\sqrt{s} = 125$ GeV):



$$\sigma(e^+e^- \rightarrow H)_{\text{B-W}} \sim 1.64 \text{ fb}$$

$$\sigma(e^+e^- \rightarrow H)_{\text{visible}} \sim 280 \text{ ab (ISR + } E_{\text{beam-spread}} \sim \Gamma_H = 4.2 \text{ MeV)}$$

- Signal + backgrounds study for 7 decay channels:

$$WW^*(2j,lv) \ (\sigma = 28 \text{ ab}), \ WW^*(2l2\nu) \ (\sigma = 6.7 \text{ ab}),$$

$$WW^*(4j) \ (\sigma = 29.5 \text{ ab}), \ ZZ^*(2j2\nu) \ (\sigma = 2.3 \text{ ab}), \ ZZ^*(2l2j) \ (\sigma = 1.14 \text{ ab}),$$

$$bb \ (2j) \ (\sigma = 156 \text{ ab}), \ gg \ (2j) \ (\sigma = 24 \text{ ab})$$

- Preliminary analysis:

$$L_{\text{int}} = 10 \text{ ab}^{-1}, \ S=0.65: \text{BR}(H_{ee}) < 4.63 \times \text{BR}_{\text{SM}} \ (3\sigma), \ g_{\text{hee}} < 2.15 \times g_{\text{Hee,SM}} \ (3\sigma)$$

Evidence (observation?) will require further improvements in large-BR (huge background) jet channels: $H \rightarrow bb$, $H \rightarrow WW \rightarrow 4j$

- Challenging accelerator conditions: mono-chromatization, huge lumi

- Fundamental & unique physics accessible if measurement feasible:

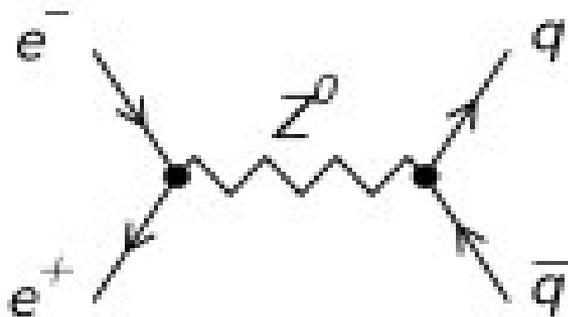
→ Electron Yukawa coupling

→ Higgs width measurable (“natural” threshold scan)

Backup slides

$e^+e^- \rightarrow H(WW^*) \rightarrow 4j$

- The qqbar background $\sigma \sim O(100 \text{ pb})$ produces mainly 2-jet events, which can be killed by cutting on event shape variables (sphericity & aplanarity), but $\sim 6 \text{ pb}$ remains from quarks that radiate gluons to produce 4-jet events.



- Tagging b-jets (which are produced $\sim 20\%$ of the time in the qqbar background and $\sim 5\%$ of the time in the signal) and removing events with any b-tagged jets provides marginal improvement in separation, but the qqbar background still dominates and washes out the signal almost entirely
- Attempts to reconstruct W mass to apply cuts met with little success (low discriminating power). Try hemisphere separation ...

Other channels

- $WW^*(4j)$ and $bb(\text{jets})$ have HUGE backgrounds. Clearly, further investigation into methods to reduce these backgrounds is needed. particularly interesting areas include:
 - (1) Distinguishing between gluon jets (emitted by the $q\bar{q}$ background in the $WW^*(4j)$ case) and jets from quarks (which all 4 jets will be in the signal for this channel)
 - (2) Finding methods to distinguish between s-channel and t-channel processes in 2-body decays (which I'll need to kill the continuum in the bb channel).
- Less urgently, it would be useful to find effective methods to distinguish signal from continuum background for the $WW^*(l\nu jj)$ and $ZZ^*(2\nu jj)$ channels, which would boost significance in these channels.