



# Numerical optimizations on dielectric laser acceleration(DLA) of electrons in a grating-based microstructure

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# Outline

- ❖ Background
- ❖ Modelling & simulations for DLA
- ❖ Summary & Outlook



# Dielectric Laser Accelerator(DLA) Concept

## Key objective:

- Higher gradient
- Lower cost
- More compact

- **Lasers:** high rep rates, strong field gradients, commercial support
- **Dielectrics:** higher damage threshold, higher gradients (1-5 GV/m), leverage industrial fabrication processes



Image courtesy CERN

Conventional  
RF structure

metal

100 MV/m

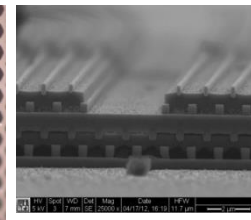
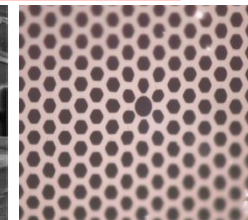
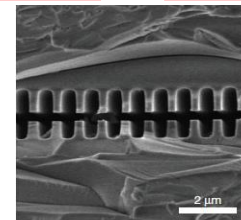
$\lambda = 2.5$  cm

dielectric

1-2 GV/m

1-10  $\mu$ m

Dielectric Laser  
microstructures





# What am I talking about?

- Various names: “**Dielectric Laser Accelerator (DLA)**”, “Laser Structure Accelerator (LSA)”, “Optical Accelerator”, “Micro-Accelerator”, etc.
- Include: Our DLA concepts operate at optical wavelengths, driven by lasers, and the accelerating fields exist inside of an enclosed structure made of dielectrics, no conducting boundaries.
- Exclude: particle-driven wakefield accelerators, laser plasmas wakefield accelerators, dielectric wakefield accelerator and so on.

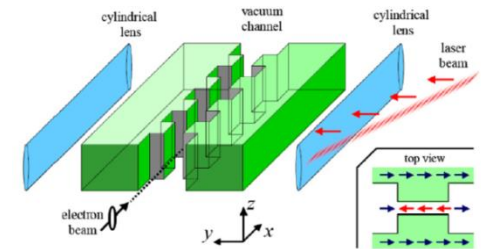


# Many DLA structures

## 1-D grating Structure

*Silica,  $\lambda=800\text{ nm}$ ,  $E_z=700\text{ MV/m}$*

T. Plettner, et al, *PRST-AB*, **9**, 111301 (2006).

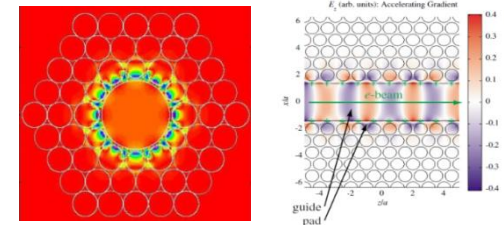


## 2-D Fiber Structures

*Silica,  $\lambda=1053\text{ nm}$ ,  $E_z=400\text{ MV/m}$*

B. Cowan, *PRST-AB*, **6**, 101301 (2003).

X. Lin, *PRST-AB*, **4**, 051301 (2001).

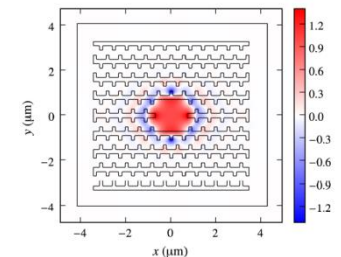
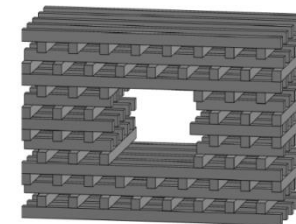


## 3-D Woodpile Structures

*Silicon,  $\lambda=1550\text{ nm}$ ,  $E_z=301\text{ MV/m}$*

Z Wu, et al, *PRST-AB*, **17**, 081301 (2014).

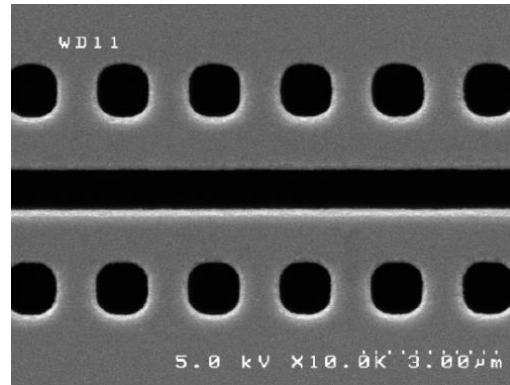
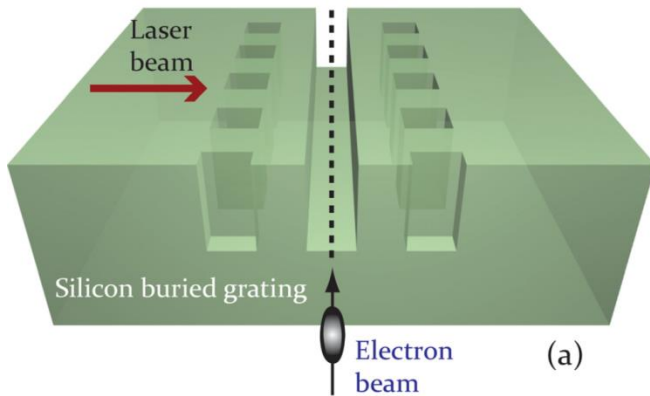
B. Cowan, et al, *PRST-AB*, **11**, 011301 (2008).





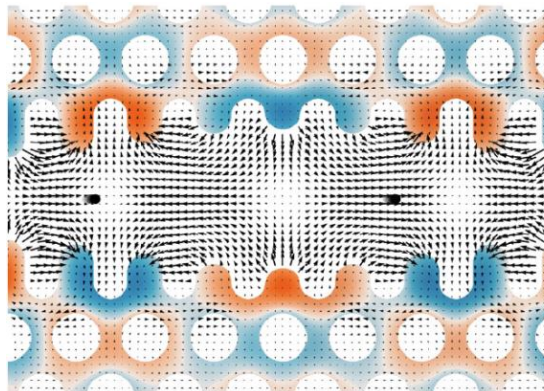
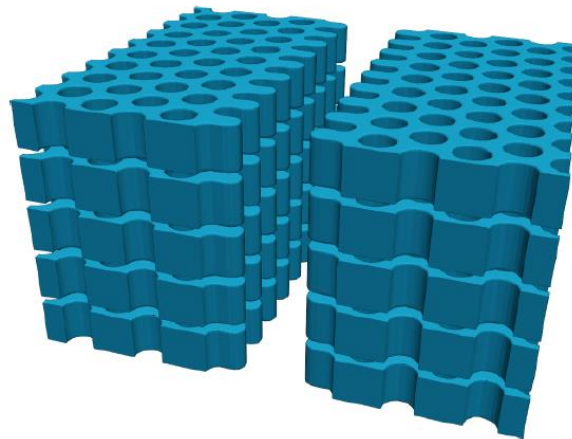


# Other DLA structures



C-M. Chang, O. Solgaard, APPLIED PHYSICS LETTERS **104**, 184102 (2014)

“Buried” phase mask of holes reduces peak fields



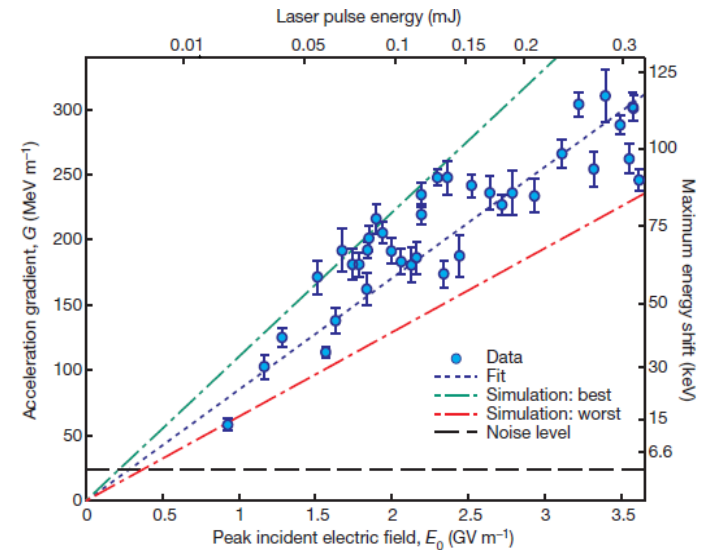
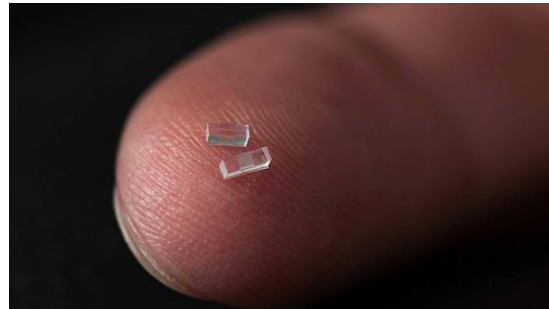
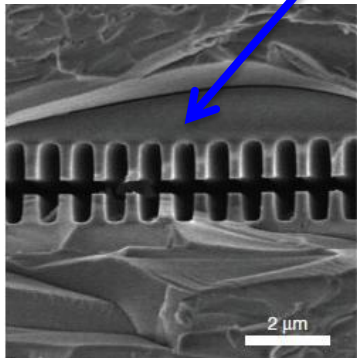
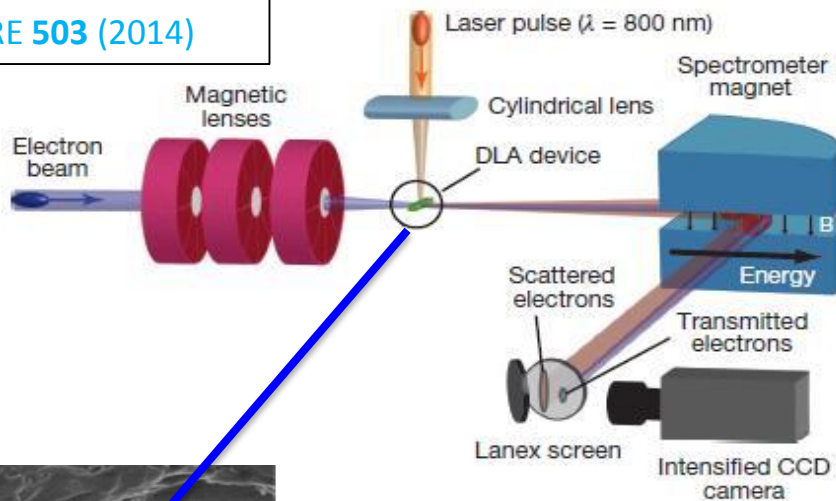
B. Naranjo, A. Valloni, S. Putterman, and J. B. Rosenzweig, PRL **109**, 164803 (2012)

Combination of resonant and non-resonant spatial harmonics provides acceleration and focusing.



# Milestone DLA experiment for high $\beta$ electrons

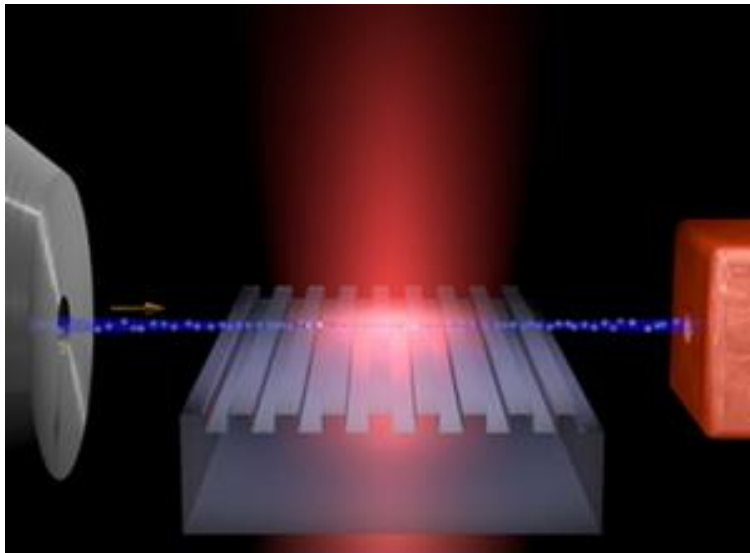
E. A. Peralta *et al.*  
NATURE 503 (2014)



Electron source: 60 MeV;  
Acceleration gradient can be  
higher than 250 MeV/m  
Double grating structure



# Another DLA experiment for low $\beta$ electrons



Electron source: 28 keV

Observed maximum acceleration  
gradient:

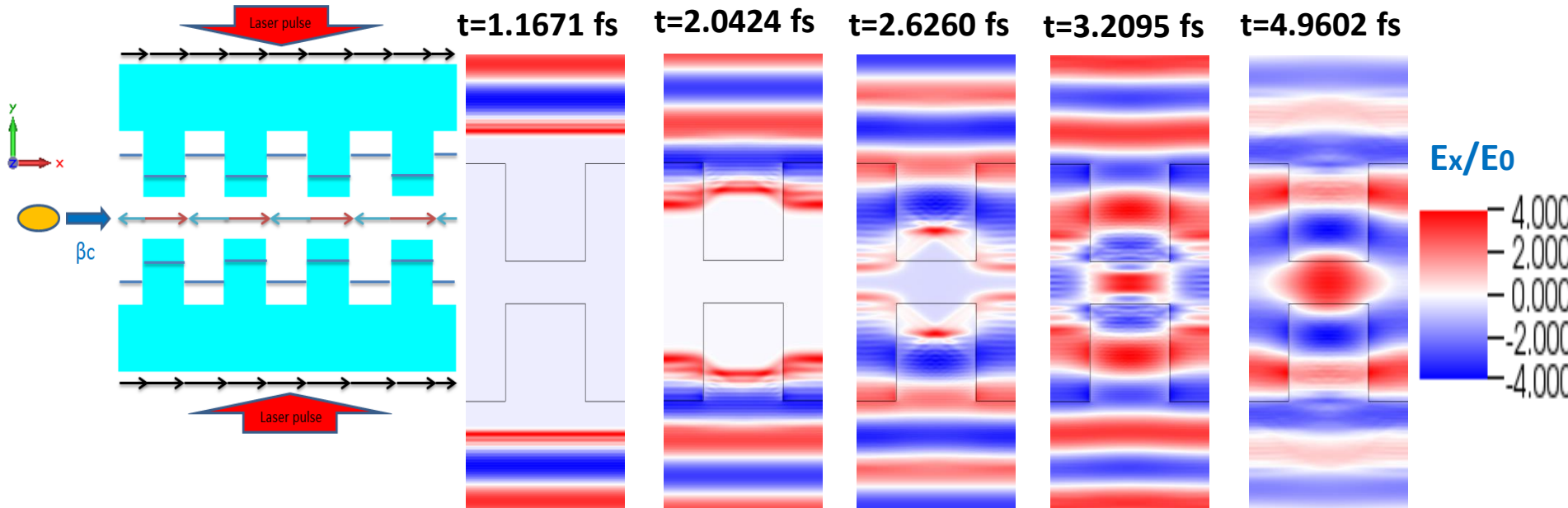
25 MeV/m -- Single grating  
structure

John Breuer and Peter Hommelhoff, Laser-based acceleration of non-relativistic electrons at a dielectric structure, PRL 111, 134803(2013)

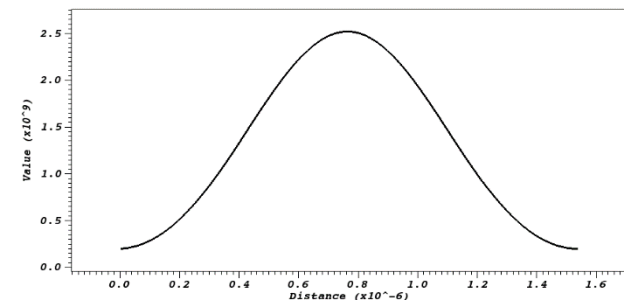




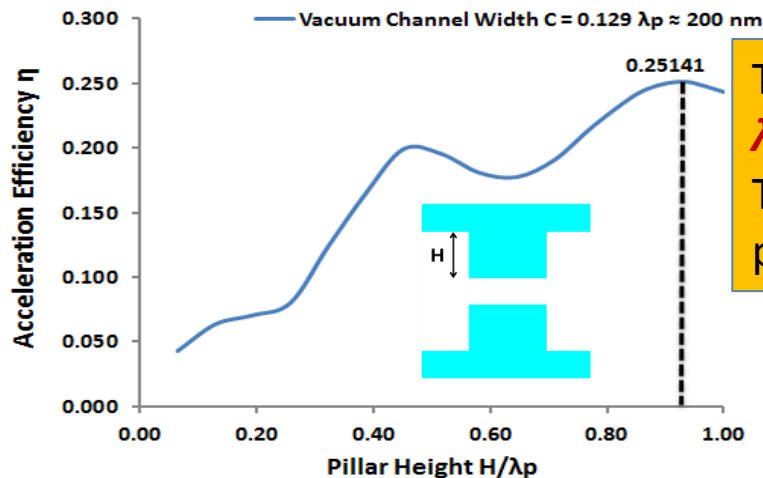
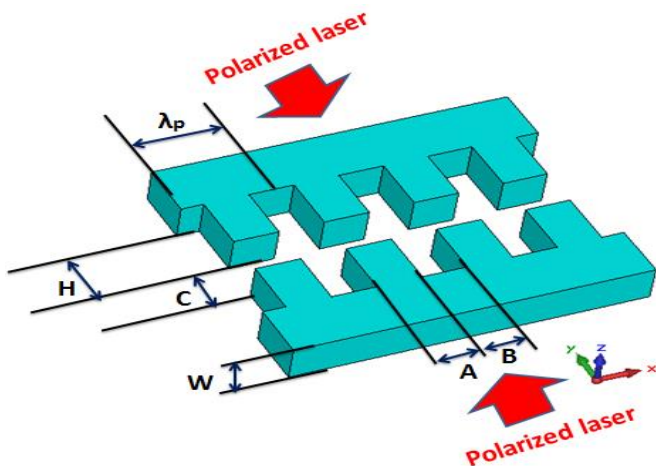
# Modelling & Simulation for DLA(1)



- Illuminated by linearly-polarized laser from both sides;
- Each grating pillar acts as an optical phase-delay to generate  $\pi$ -phase shift with respect to the electric field in the adjacent vacuum space;
- Oscillating electric field in the vacuum channel to interact with electrons;

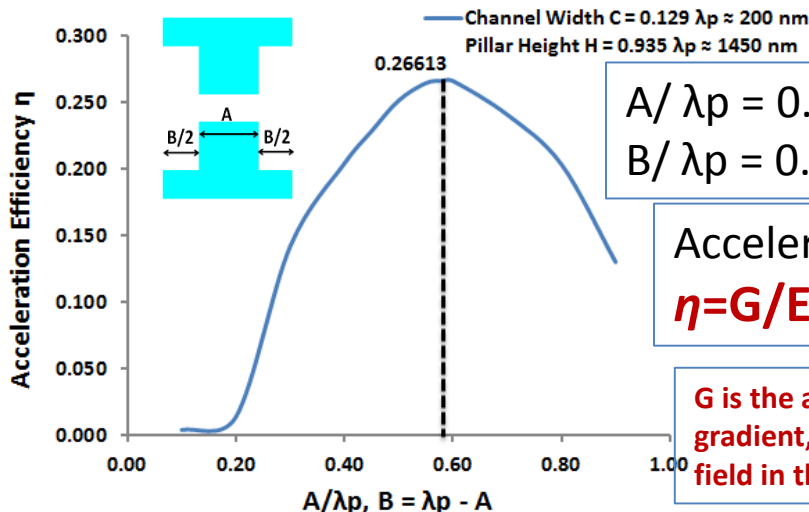
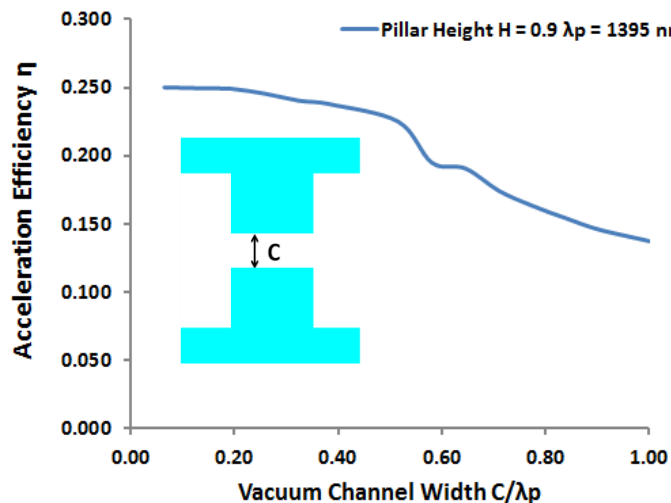


# Optimizations for acceleration of high $\beta$ electrons



The laser wavelength  
 $\lambda = 1550 \text{ nm}$ ;  
 The double grating  
 period  $\lambda_p = 1550 \text{ nm}$

$C = 200 \text{ nm}$   
 $H = 1450 \text{ nm}$



$A/\lambda_p = 0.58$  -- **Duty factor**  
 $B/\lambda_p = 0.42$

Acceleration efficiency  
 $\eta = G/E_p = 0.26613$

$G$  is the average acceleration  
 gradient,  $E_p$  is the peak electric  
 field in the grating structure

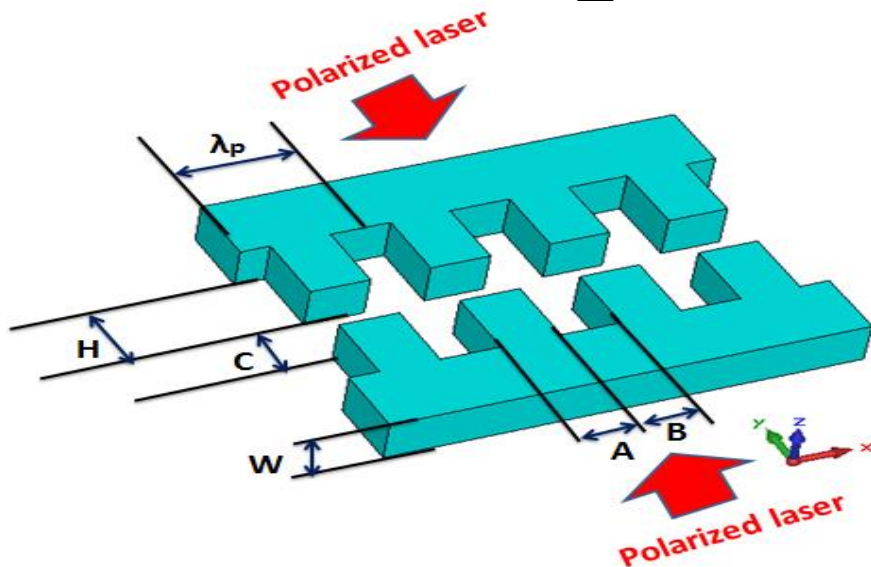


- The dielectric material is chosen as silica( $\text{SiO}_2$ );
- The damage threshold is  $1 \text{ J/cm}^2$  at 100 fs of laser pulse, which is equivalent to peak field of 8.7 GV/m;
- So the maximum achieved acceleration gradient is about

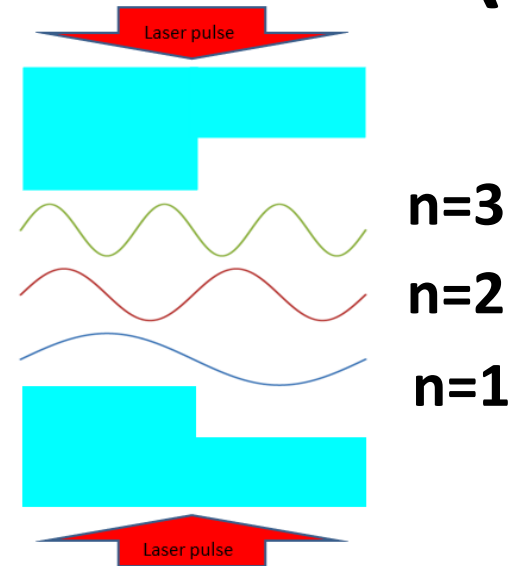
$$2.3 \text{ GV/m} = 0.26613 * 8.7$$

Laser parameters	
wavelength	1550 nm(erbium fiber)
Pulse energy	10 $\mu\text{J}$
Average power	1 kW
Pulse width	100 fs
Repetition rate	1 MHz

# Modelling & Simulation for DLA(2)



- We also need to optimize the  $C$ ,  $H$  and  $\Delta=A-B$  to maximize the acceleration efficiency  $\eta=G/E_p$ , for different spatial harmonic, where  $G$  is the average acceleration gradient and  $E_p$  is the peak electric field in the grating structure



$$\lambda_p = n \beta \lambda$$

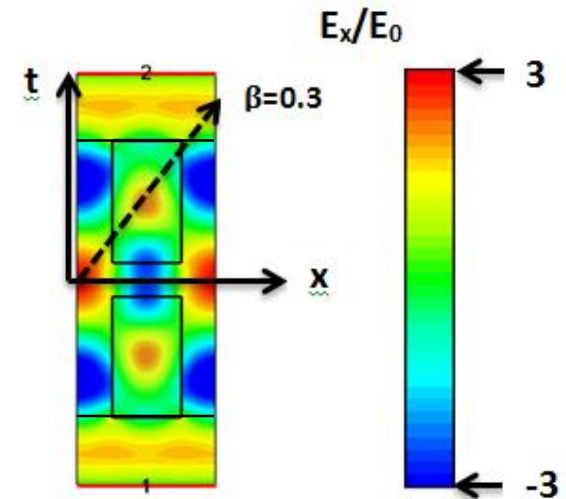
$n$  is the numbers of laser cycles per electron passing one grating period,  $\lambda_p$  is the grating period,  $\lambda$  is the incident laser wavelength,  $v$  is the speed of injection electrons,  $\beta=v/c$



# Optimizations for acceleration of low $\beta$ electrons

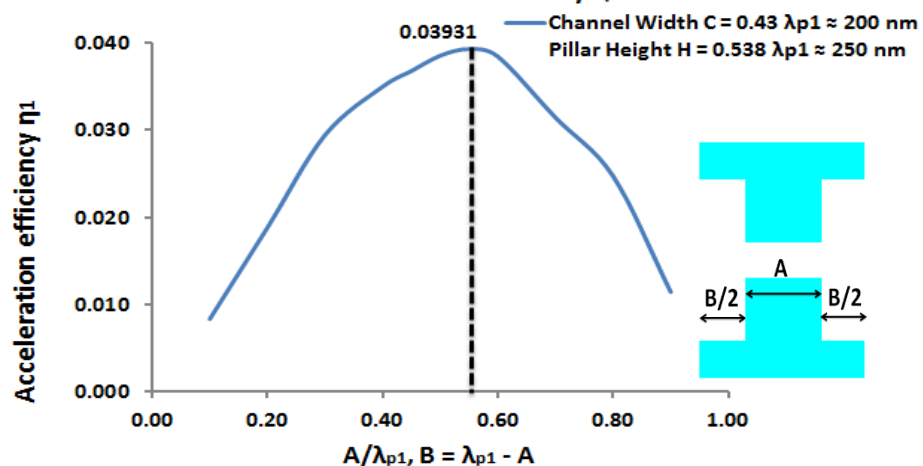
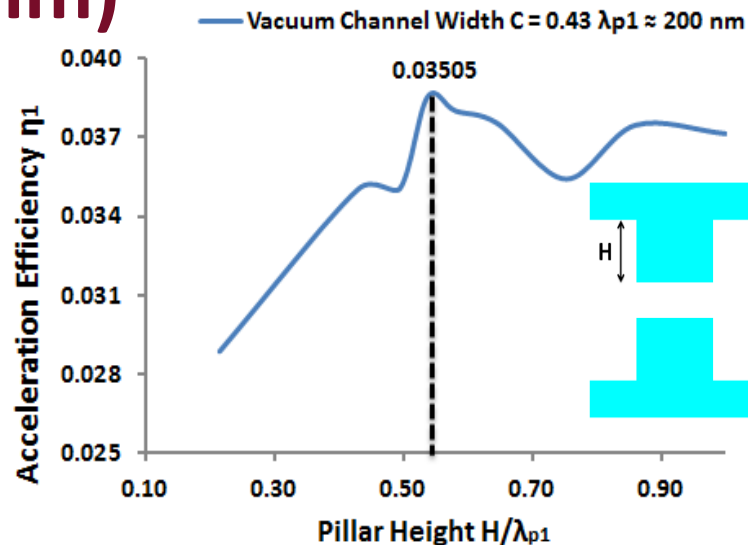
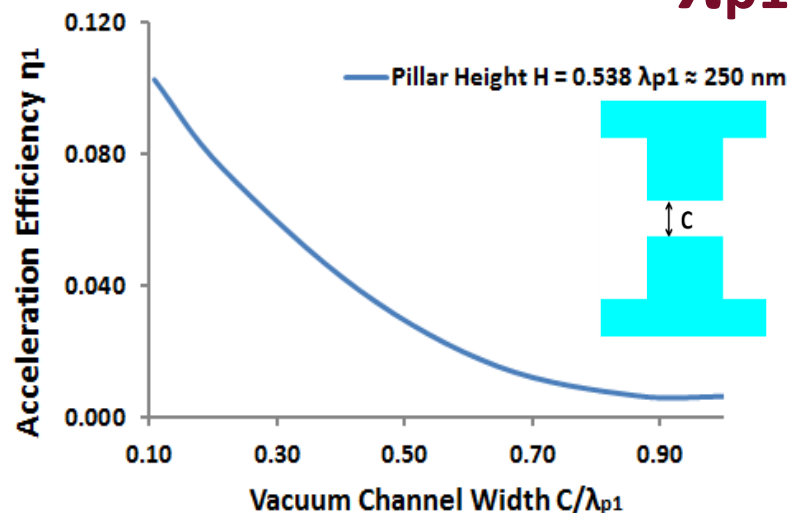
When the injection electron energy is 25 keV (  $\beta=0.3$  ), we have three different options to accelerate electrons with this energy:

- 1) Synchronous with first spatial harmonic,  $n=1$
- 2) Synchronous with second spatial harmonic,  $n=2$
- 3) Synchronous with third spatial harmonic,  $n=3$





# Synchronous with **First** Spatial Harmonic ( $\beta=0.3$ , $\lambda_{p1}=465$ nm)



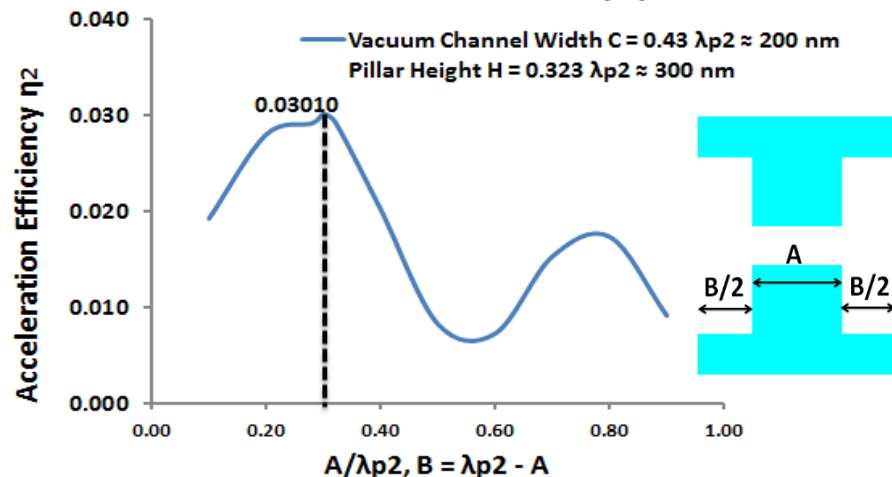
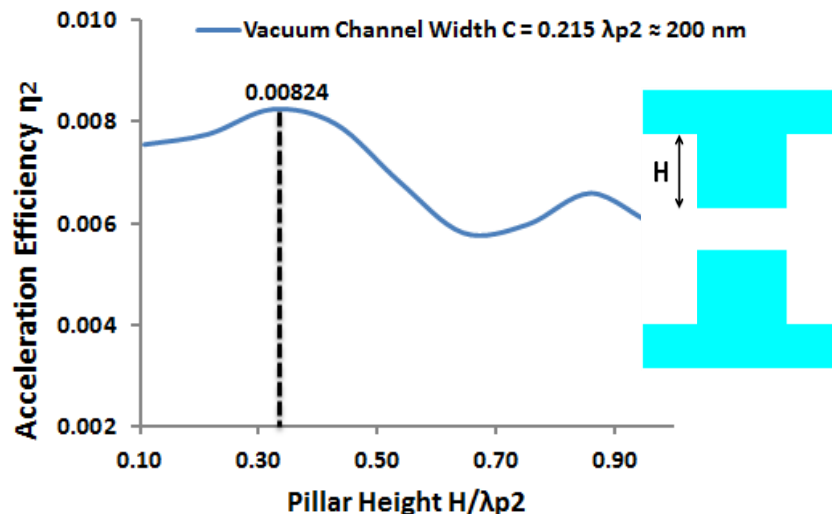
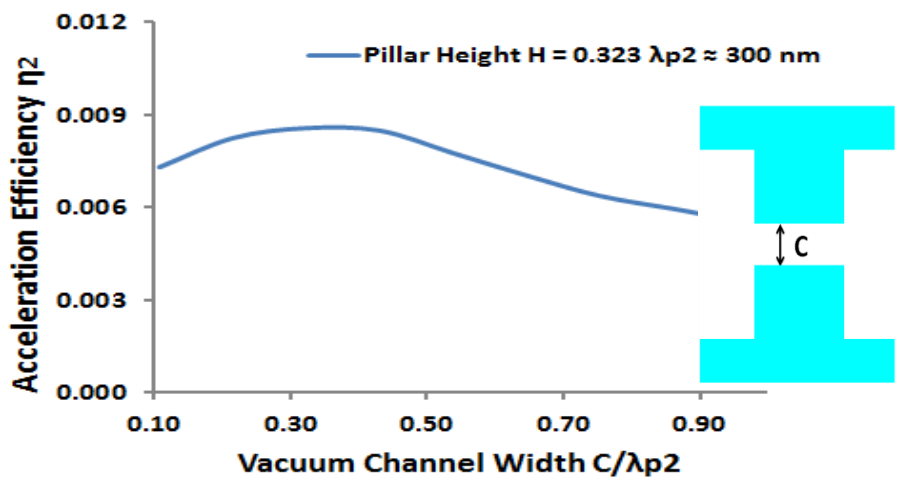
$C=200$  nm  
 $H=250$  nm

$A/\lambda_{p1} = 0.55$   
 $B/\lambda_{p1} = 0.45$

Acceleration efficiency  $\eta_1 = G/E_p = 0.03931$ , where  $G$  is the average acceleration gradient and  $E_p$  is the peak electric field in the grating structure



# Synchronous with **Second** Spatial Harmonic ( $\beta=0.3$ , $\lambda_{p2}=930$ nm)



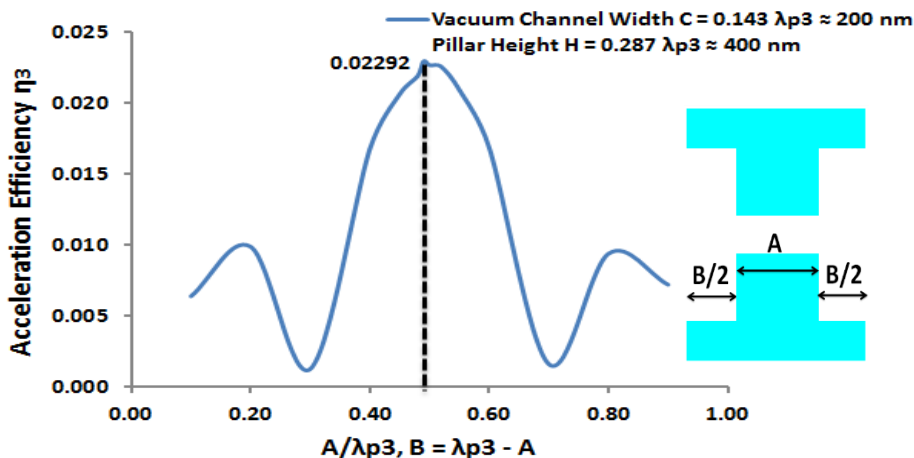
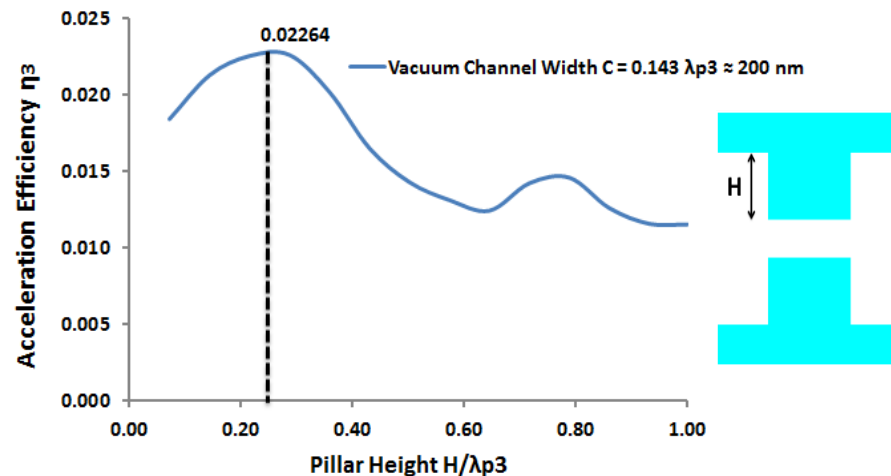
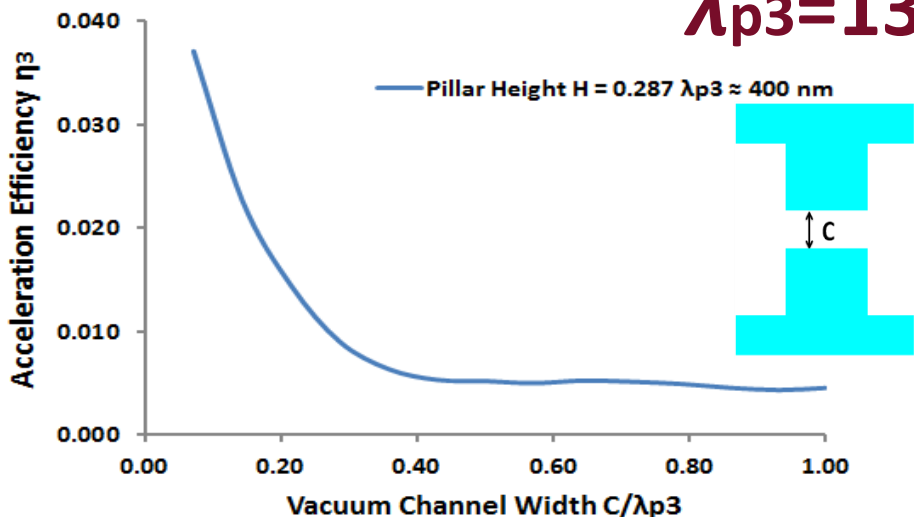
$C = 200$  nm  
 $H = 300$  nm

$A/\lambda_{p2} = 0.30$   
 $B/\lambda_{p2} = 0.70$

Acceleration efficiency

**$\eta_2 = G/E_p = 0.03010$** , where  $G$  is the average acceleration gradient and  $E_p$  is the peak electric field in the grating structure

# Synchronous with **Third** Spatial Harmonic ( $\beta=0.3$ , $\lambda_{p3}=1395$ nm)



$$C = 200 \text{ nm}$$

$$H = 400 \text{ nm}$$

$$A/\lambda_{p3} = 0.49$$

$$B/\lambda_{p3} = 0.51$$

Acceleration efficiency

$\eta_3 = G/E_p = 0.02292$ , where  $G$  is the average acceleration gradient and  $E_p$  is the peak electric field in the grating structure



# Comparisons

Acceleration Efficiency with a vacuum channel width  $C=200$  nm:

- 1)  $A=B=\lambda_p/2$  , First spatial structure > third > second
- 2)  $A \neq B$ , First spatial structure > second > third

Damage threshold for the electric field is  $E_{th}=8.7$  GV/m.

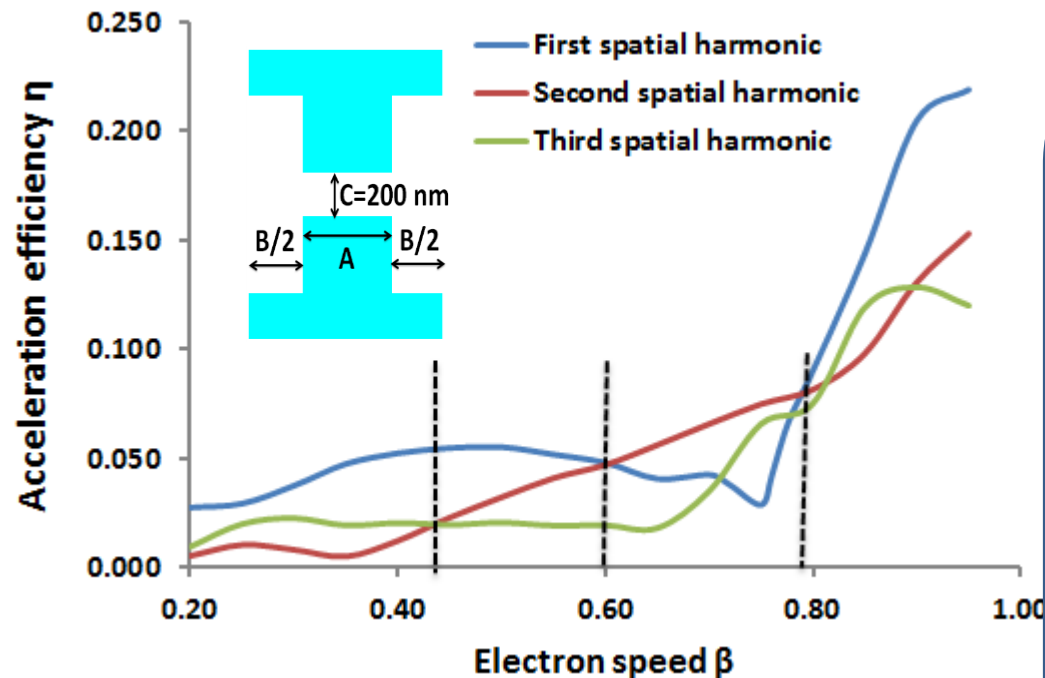
When  $E_p=8.7$  GV/m was assumed in the simulation, acceleration gradient for 2<sup>nd</sup> spatial harmonic can reach up to 260 MV/m when the vacuum channel width  $C=200$  nm and the grating period = 930 nm.







# Preliminary Analysis of Multi-stage DLA



- $A/\lambda_p = B/\lambda_p = 0.5$ ,  $C=200$  nm, which are assumed in the simulation;
- $\lambda_p = n * \beta * \lambda$

## • Analysis

- 1) When electron with speed  $\beta < 0.45$ , first spatial > third > second;
- 2)  $0.45 < \beta < 0.60$ , first spatial > second > third;
- 3)  $0.60 < \beta < 0.80$ , second spatial structure is most efficient;
- 4)  $\beta > 0.80$ , first spatial structure is most efficient



# Summary & Outlook

- ❖ Investigation into acceleration of high  $\beta$  electrons in a double grating structure;
- ❖ Investigation into acceleration of electrons with  $\beta=0.3$  in a double grating structure;
- ❖ Did some preliminary research on multi-stage dielectric laser acceleration.
- ❑ Experimental studies at DL with ASTeC;
- ❑ With ULAN/ASTeC: 2D/3D photonic crystal DLA



# Thank you!