





Summary of SiPM studies and overview of applicability for Beam Loss Monitoring systems



LAser Applications at Accelerators
Mallorca 27-03-2015

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Outlook

- Introduction
 - Beam Loss Monitoring (BLM)
 - Silicon PhotoMultipliers (SiPM)
 - SiPM limitations
 - Motivation for the studies
- SiPM response and dynamic range limitations/estimations
 - Single fast pulse
 - Double fast pulse
 - Square pulse
- Conclusions

Introduction to Beam Loss Monitoring

Beam Losses

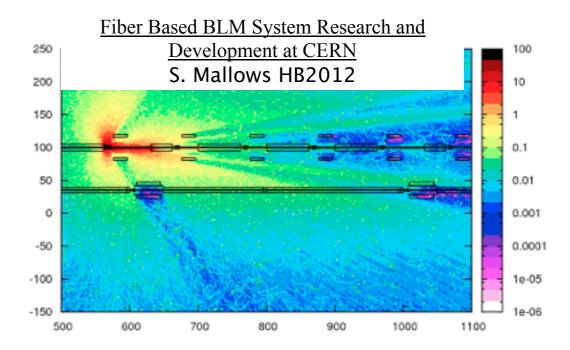
- Particles that deviate from the design orbit hitting the aperture limit and producing secondary showers
- Particle detector outside of the vacuum chamber are necessary to monitor beam losses

Beam Loss Monitoring system

- Machine Protection
- Diagnostics
- Keep activation levels low

Detector technology

- choice depends on many factors: Radiation levels, time response, lifetime, remote testability.....
- In this presentation we focus on optical based sensors due to the advantages on achievable time resolution and bandwidth





BLM requirements

- High sensitivity
 - Subtle instabilities, beam-gas etc
- Time resolution
 - Bunch spacing: LHC (25 ns), CLIC (0.5 ns)
 - Bunch length: PS (4 100 ns), LHC (1 ns, CFT3 ~ 10ps)
- High dynamic range:
 - LHC DR $\sim 10^{+6}$
 - CLIC DR~10⁺⁵

Introduction to SiPMs



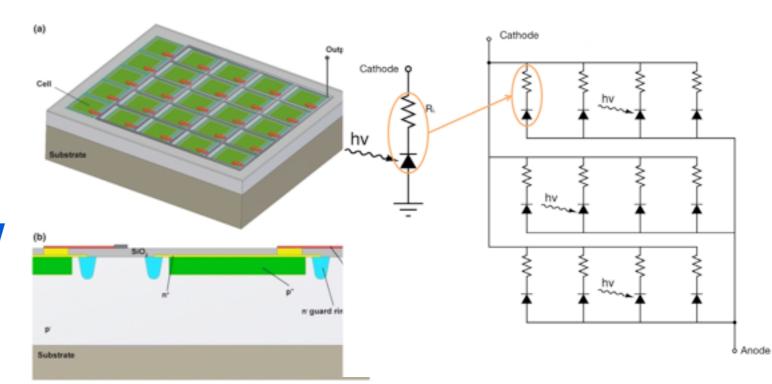
SiPMs:

- Array of independent limited
 Geiger mode APDs
- Common output produces a sum of binary signals

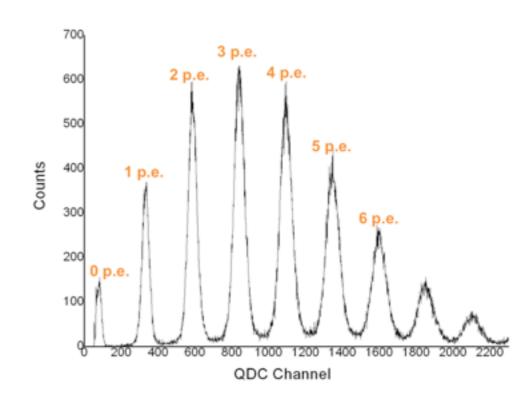


Competitive in fast and low light pulse conditions

- Single photon resolution
- fast (time resolution ~ 100ps)
- Multiple applications: HEP, medical imaging, astrophysics, telecom ...



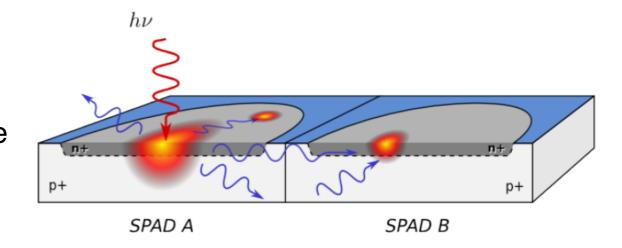
	PMT	SiPM
Gain	10+6	10+5-10+6
Time response	fast	fast
Photon counting	yes	yes (single photon)
Bias Voltage (V)	~1000	70
Dynamic range	10 ⁺⁴ (space charge)	< 10 ⁺⁵ (number of
B field	sensitive	insensitive
Cost	expensive	inexpensive
Size	small	compact



SiPM Drawback and limitations

Xtalk

- High energy photons generated during the avalanche process may trigger and avalanche in neighboring pixels
- Typical values: 5 40%



After-pulsing

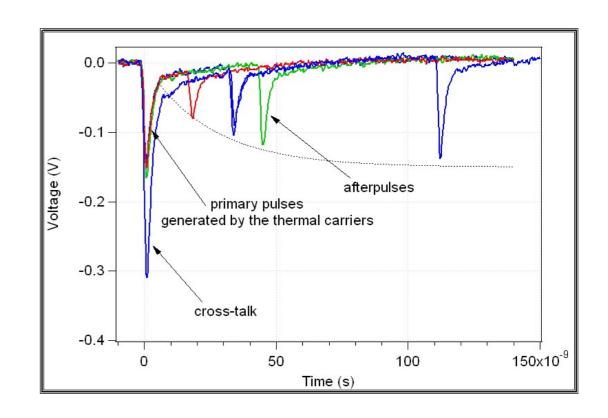
- Electrons captured by impurities and released with some (~>10ns) delay triggering an avalanche
- Typical values: 5 20%

Recovery time (τ_{rec})

- $\Delta V = V_0(1 \exp(\Delta t/\tau_{rec}))$ affects gain (G) and Photon Detection Efficiency (PDE)
- Typical values: 10-120 ns

Number of pixels

Typical values: 10+2-10+5

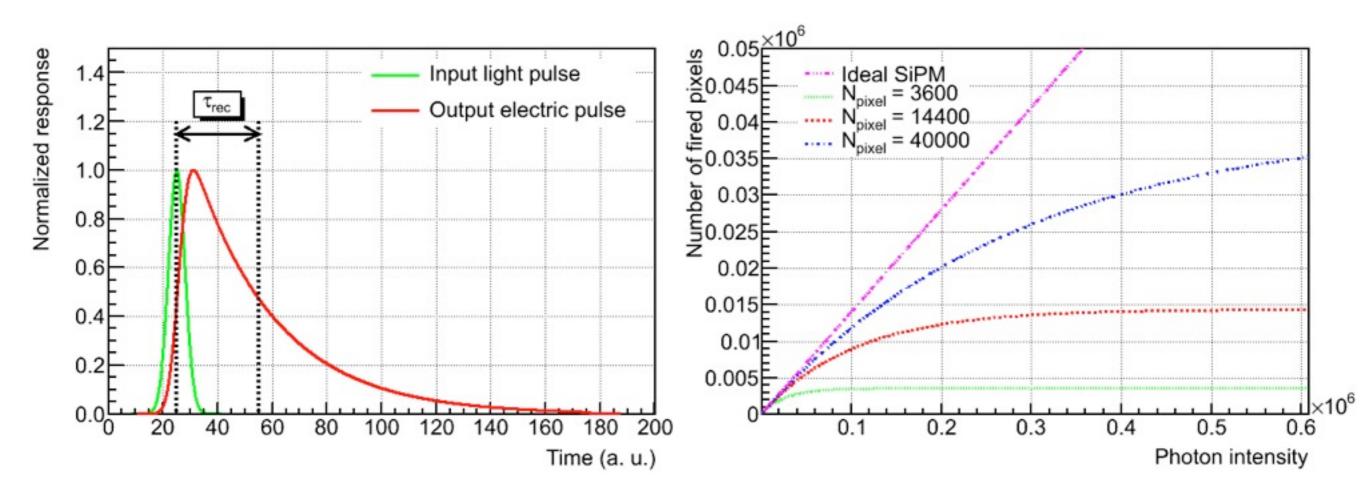


SiPM response

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Saturation effects well understood for light pulses much shorter than the single cell recovery time

- output pulse = input shape convoluted with the Single Electron Response (SER)
- Dynamic range of device limited by the number of single pixels

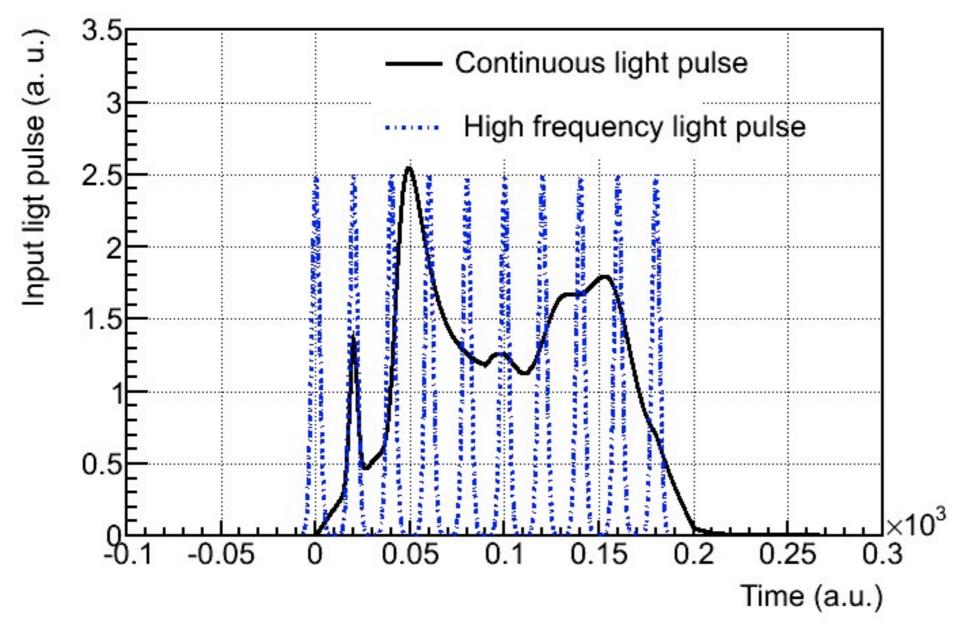


SiPM response II

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BLM request a linear response under an arbitrary light pulse

- output pulse = input shape convoluted with SER
- Dynamic range of device limited by the number of single pixels and recovery time



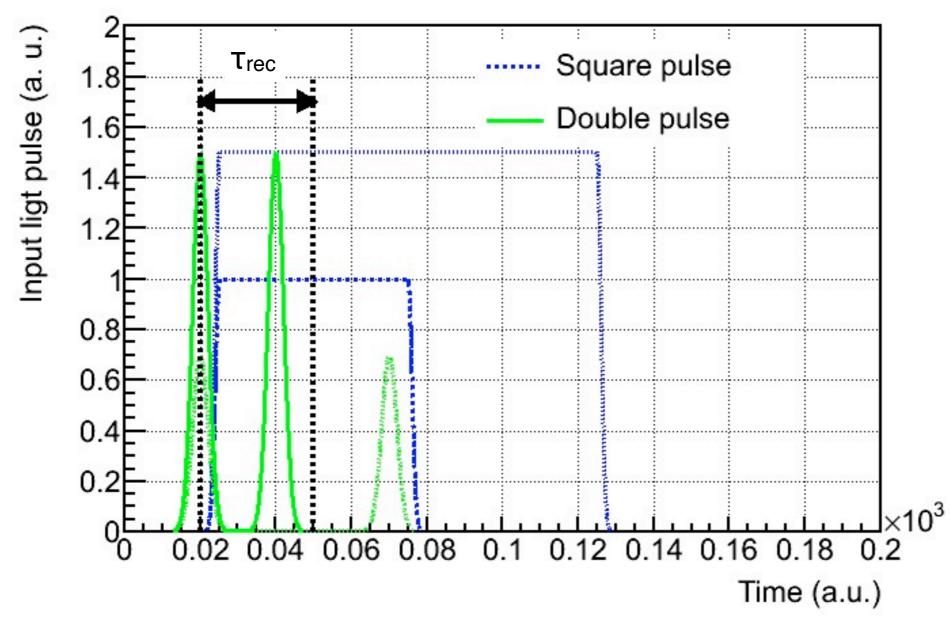


SiPM response III

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Two study cases to extrapolate to arbitrary shape

- Double pulsed SiPM. Parameters: Laser intensity and delay
- Long LED pulsed SiPM. Parameters: LED intensity and pulse length



Double pulse I: The model/experiment

"Studies of SiPM nonlinearities and transients at short light pulse detection" E. Nebot et al. This conference, POSTER session.

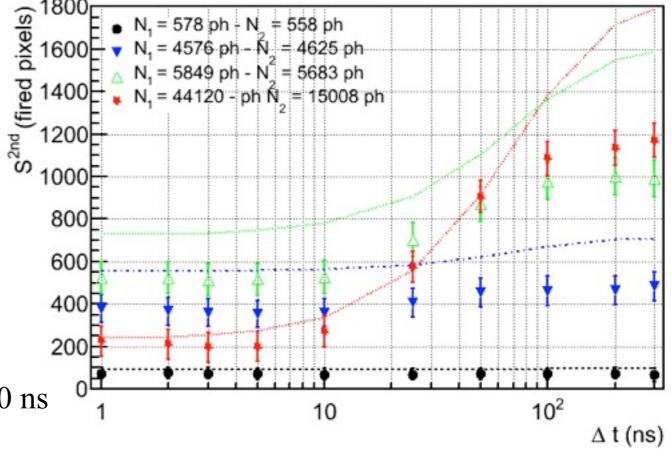
Study of the simultaneous effect of recovery time (τ_{rec}) and N_{pixels}

- Illuminating SiPM with 2 pulses of controlled intensity separated by Δt
- $I = 10^{+2}$ - 10^{+6} photons (680 nm)
- $\Delta t = 0 300 \text{ ns}$

Multi-parameter (I_1 , I_2 , Δt , PDE, τ_{rec} , Xtalk, Gain) model based on statistical arguments

- Achieved good qualitative agreement
- Total agreement within 50 %

PDE = 14%, Xtalk=25% and τ_{rec} = 60 ns



Double pulse II: Parameter selection

- Statistical model used to extrapolate performance of SiPMs
- Arguments for parameter selection
 - N_{pixels} reaching the limit (10 μ m)
 - τ_{rec}
 - X-talk (trenches)
 - After-pulsing (Si purity)

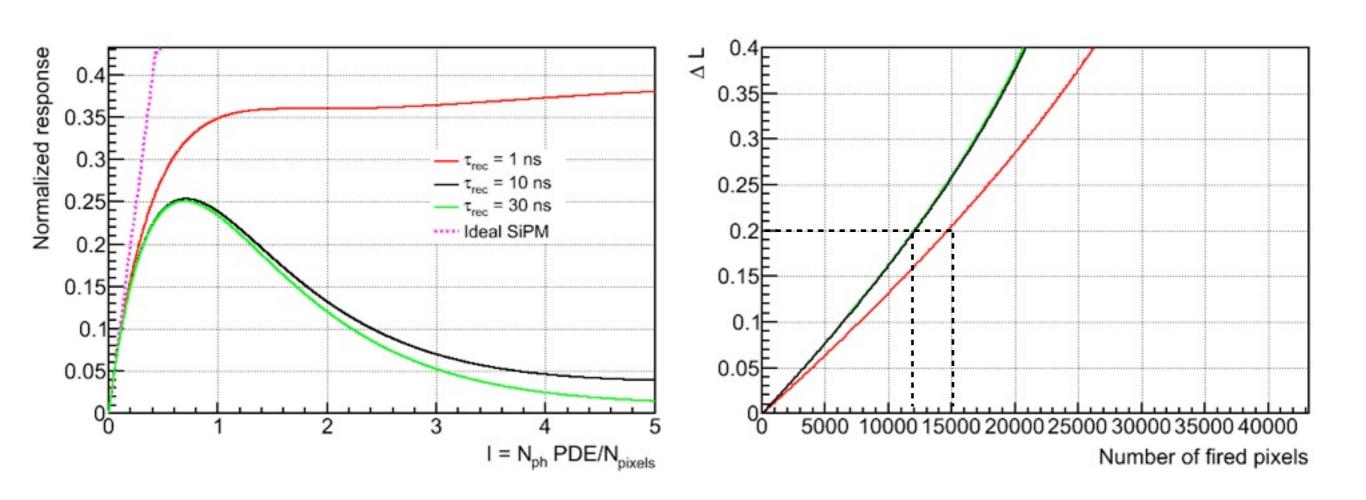
Param	Typical	Model
Npixels	up to 10 ⁺⁵	10+5
τ_{rec} (ns)	10-120	1
X-talk (%)	5 - 40	0
Gain	10^{+5} - 10^{+6}	10^{+6}

- Fine lapses between pulses (Δt) of interest in the range of bunch spacing of different machines (0.5ns)
- Results studied in terms of deviation from linearity (ΔL)
 - ΔL = (response ideal)/ideal with ideal = $N_{ph} \times PDE$

Double pulse III: Extrapolations

Estimation of dynamic range as values for which non linearity exceeds 20%

- $\Delta t = 0.5 \text{ ns}$
- Achievable DR $\sim 1.5 \times 10^{+4}$



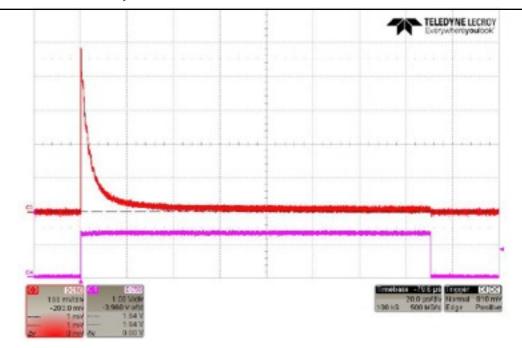
Square Pulse I: The model/experiment

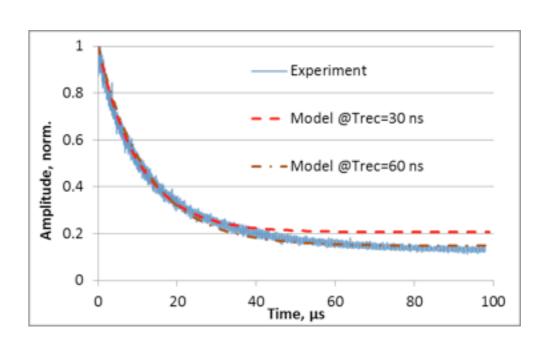
"SiPM response to long and intense light pulses" S. Vinogradov et al, NIMA "Investigations into the effect of long intense light pulses on SiPMs for the purpose of Beam Loss Monitoring". L. Devlin et al. This conference, POSTER session.

- Study of the (simultaneous) effect of recovery time (τ_{rec}) and N_{pixels}
 - Illuminating SiPM with 1 pulses of controlled intensity of length $\Delta t > \tau_{rec}$



- Good agreement within and $\tau_{rec} = 60$ ns
- $I_{resp} = I_{bin} + I_{steady}$





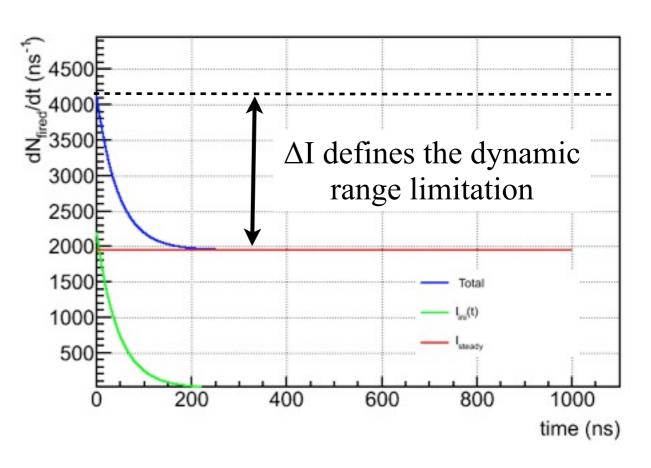
Square Pulse II: Parameter selection

Statistical model used to extrapolate performance of SiPMs

- Similar parameters as used for previous model
 - Including after-pulsing

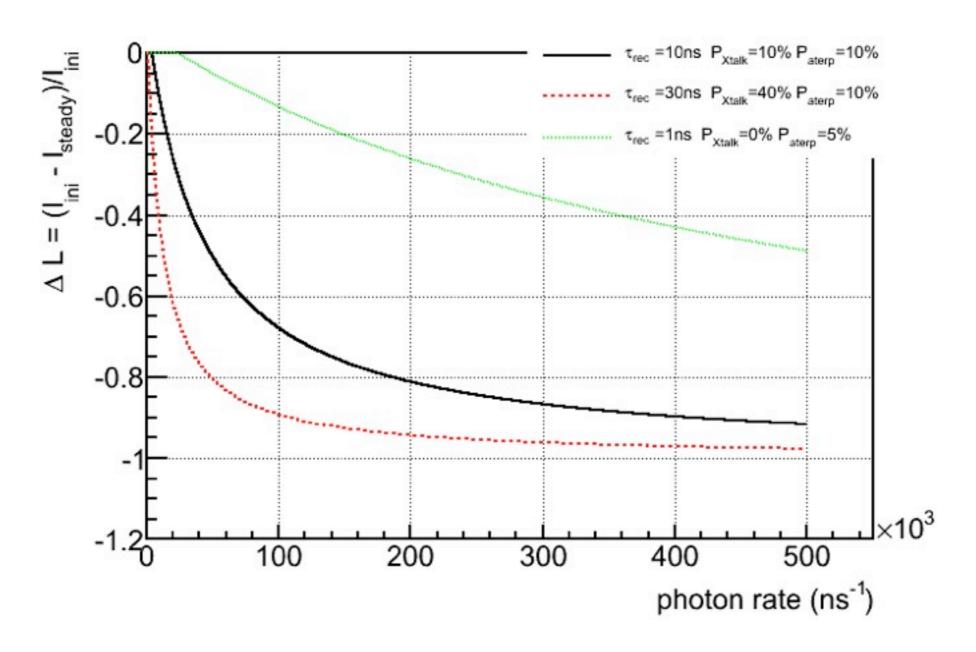
Param	Typical	Model
N_{pixels}	up to 10 ⁺⁵	10+5
τ_{rec} (ns)	10-120	1
X-talk (%)	5 - 40	0
Gain	10^{+5} - 10^{+6}	10^{+6}
After-pulsing (%)	5-20%	0

- **Results studied in terms of deviation from linearity (ΔL)**
 - $\Delta L = (I_{ini} I_{steady})/I_{ini}$



Square pulse III: Extrapolations

- Estimation of dynamic range as values for which non linearity exceeds 20%
 - $5 \ 10^{+3} \ ph/ns \ / \ 1.5 \ 10^{+4} \ ph/ns \ / \ 1.4 \ 10^{+5} \ ph/ns \ @ \ \tau_{rec} = 30/10/1 \ ns$



Summary and Conclusion

SiPMs have many advantages

- Fast, sensitive, cheap, compact, insensitive to B fields
- Limitations in dynamic range from τ_{rec} and N_{pixels}
- Challenge reconstruct (linearly) an arbitrary shaped light pulse

Extrapolations have been made based on statistical models:

- Double pulsed SiPM (pulses much faster than τ_{rec})
- Squared pulse SiPM (pulse much longer than τ_{rec})

Future SiPM performance:

- Choice of parameters $N_{pixels} = 10^{+5} / \tau_{rec} = 1 \text{ ns} / Xtalk ~ 0\% / Afterp ~ 5\%$
- Dynamic range:
 - 10⁴ (instantaneous)
 - 10⁵ (ns⁻¹)

Thank you for your attention!

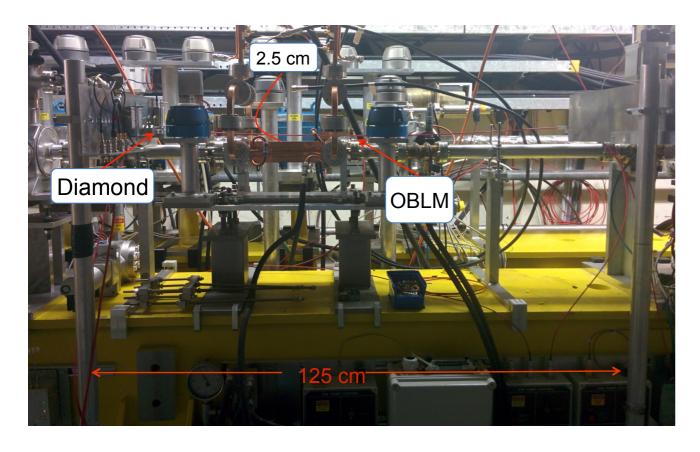


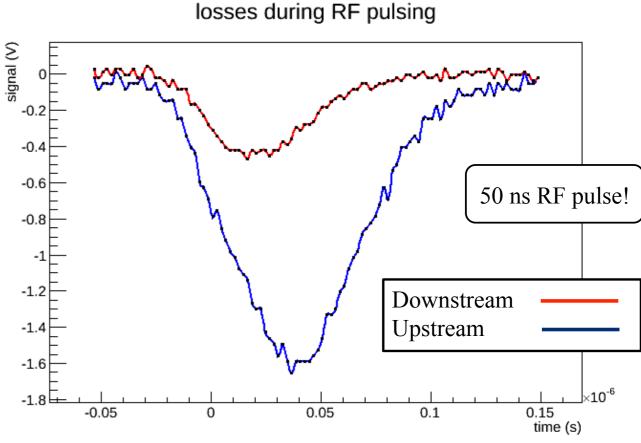
Diagnostics with SiPMs I

"Studies of SiPM nonlinearities and transients at short light pulse detection" M. Kastriotou at al. This proceedings POSTER session.

High sensitivity diagnostics

- Exploding single photon counting and single photon resolution





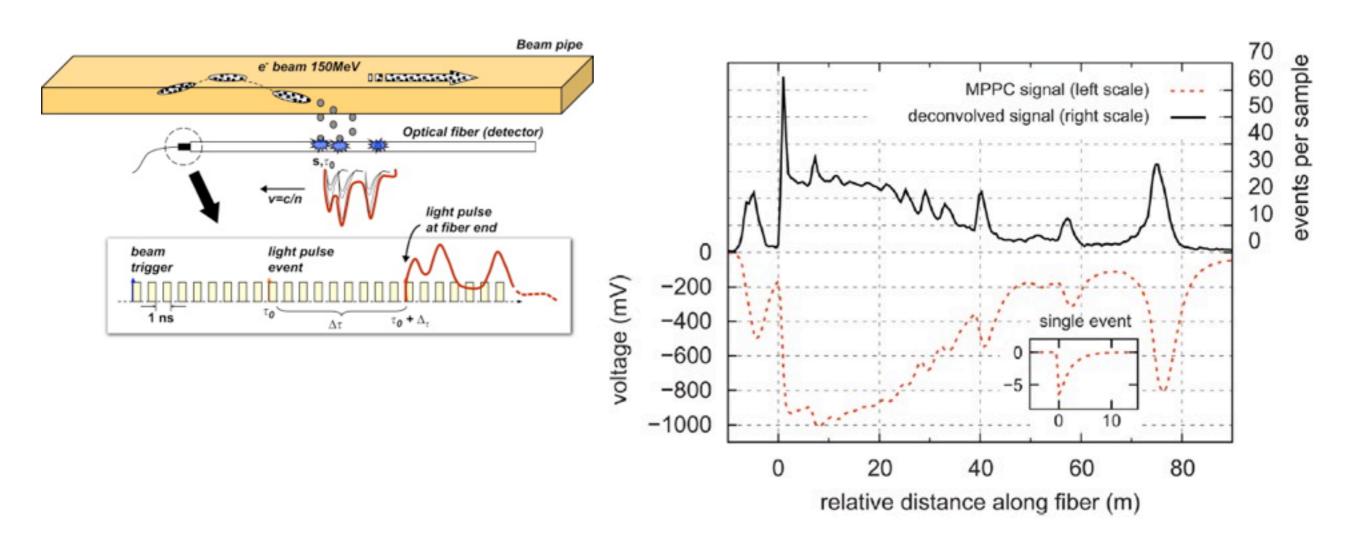
Diagnostics with SiPMs II

"A read-out system for online monitoring of intensity and position of beam losses in electron linacs"

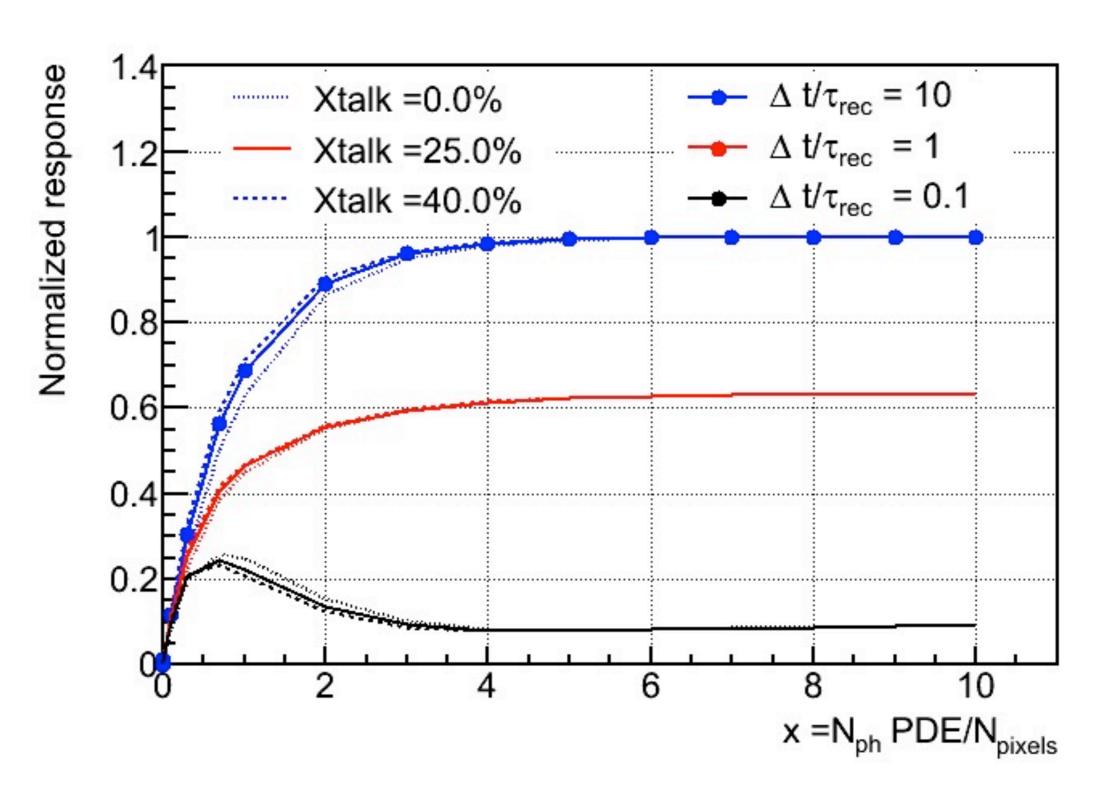
D. di Giaovenale at al. Nucl.Instrum.Meth. Phys.Res.A.665(33–39) (2011),

High sensitivity diagnostics

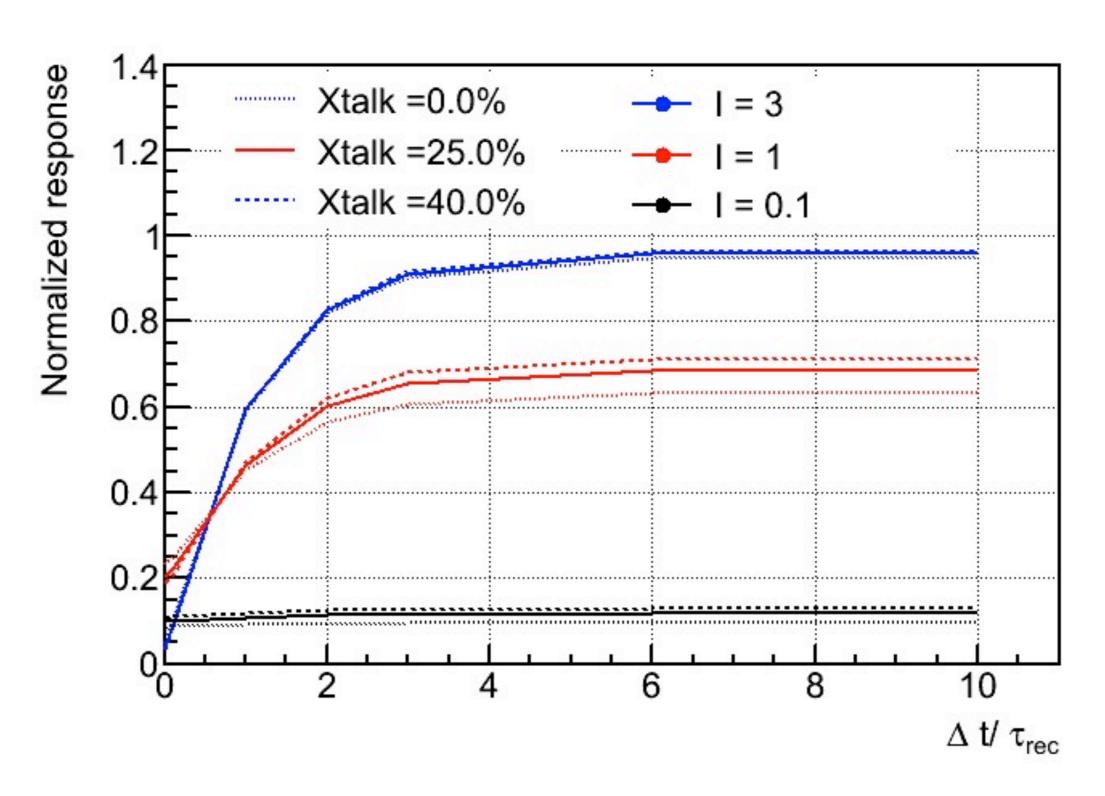
- Exploding TOF to obtain position resolution of beam losses.



Double pulse model: X-talk



Double pulse model: X-talk



Double pulse model: τ_{rec}

Arr N_{pixel}= 3600/ PDE = 0.14/ Xtalk = 0 (I = Nph PDE/N_{pixel})

