Dark Matter-Baryogenesis Connection

Géraldine SERVANT

ICREA@IFAE-Barcelona

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INSTITUCIÓ CATALANA DE RECERCA I ESTUDIS AVANÇATS

Are the Dark Matter and baryon abundances related ?

Ma!*er Anti-ma*!*er asymmetry:*

characterized in terms of the baryon to photon ratio

$$
\eta = \frac{n_B - n_{\bar{B}}}{n_{\gamma}} \equiv \eta_{10} \times 10^{-10}
$$

 $5.1 < \eta_{10} < 6.5$ (95% CL)

The great annihilation

The Baryon Asymmetry of the Universe (BAU) deduced from the Cosmic Microwave Background measurements is now more precise than the one deduced from Big Bang Nucleosynthesis (D/H abundance)

 η remains unexplained within the Standard Model

double failure:

- lack of out-of-equilibrium condition

- so far, no baryogenesis mechanism that works with only SM CP violation (CKM phase)

> proven for standard EW baryogenesis

Gavela, P. Hernandez, Orloff, Pene '94 Konstandin, Prokopec, Schmidt '04

unconclusive attempts in

Tranberg, A. Hernandez, Konstandin, Schmidt '09 cold EW baryogenesis **Brauner, Taanila,Tranberg,Vuorinen '12**

Shaposhnikov, The progress over last 30 years is quite impressive: one can distinguish more than 44 different Journal of Physics: Conference Series 171 (2009) 012005

1. GUT baryogenesis. 2. GUT baryogenesis after preheating. 3. Baryogenesis from primordial black holes. 4. String scale baryogenesis. 5. Affleck-Dine (AD) baryogenesis. 6. Hybridized AD baryogenesis. 7. No-scale AD baryogenesis. 8. Single field baryogenesis. 9. Electroweak (EW) baryogenesis. 10. Local EW baryogenesis. 11. Non-local EW baryogenesis. 12. EW baryogenesis at preheating. 13. SUSY EW baryogenesis. 14. String mediated EW baryogenesis. 15. Baryogenesis via leptogenesis. 16. Inflationary baryogenesis. 17. Resonant leptogenesis. 18. Spontaneous baryogenesis. 19. Coherent baryogenesis. 20. Gravitational baryogenesis. 21. Defect mediated baryogenesis. 22. Baryogenesis from long cosmic strings. 23. Baryogenesis from short cosmic strings. 24. Baryogenesis from collapsing loops. 25. Baryogenesis through collapse of vortons. 26. Baryogenesis through axion domain walls. 27.
Baryogenesis through OCD domain walls. 28. Baryogenesis through unstable domain walls. Baryogenesis through QCD domain walls. 28. Baryogenesis through unstable domain walls. 29. Baryogenesis from classical force. 30. Baryogenesis from electrogenesis. 31. B-ball baryogenesis. 32. Baryogenesis from CPT breaking. 33. Baryogenesis through quantum gravity. baryogenesis. 52. Baryogenesis from Cr 1 breaking. 55. Baryogenesis unough quantum gravity.
34. Baryogenesis via neutrino oscillations. 35. Monopole baryogenesis. 36. Axino induced baryogenesis. 37. Gravitino induced baryogenesis. 38. Radion induced baryogenesis. 39. Baryogenesis in large extra dimensions. 40. Baryogenesis by brane collision. 41. Baryogenesis via density fluctuations. 42. Baryogenesis from hadronic jets. 43. Thermal leptogenesis. 44. Nonthermal leptogenesis. \mathbf{L}

History of baryogenesis papers

Two leading candidates for baryogenesis:

--> Leptogenesis by out of equilibrium decays of RH neutrinos before the EW phase transition

--> Baryogenesis at a first-order EW phase transition

Models of Baryogenesis

Electroweak baryogenesis mechanism relies **on a first-order phase transition**

In the SM, a 1rst-order phase transition can occur due to thermally generated cubic Higgs interactions:

In the MSSM: new bosonic degrees of freedom with large coupling to the Higgs Main effect due to the stop

$\ddot{=}$ **Very light stop searches at the LHC** $\overline{}$

The 2 decay channels that have been studied in most detail:

When stop is very light we have instead:

e substantial Flavour Violation Sustainable mode: Minimal Flavour Violation Sustainable mode: Minimal Flavour
The Minimal Flavour Violation Sustainable mode: Minimal Flavour Violation Sustainable mode: Minimal Flavour Vi **branching ratios depend on flavour structure**

38

 $m_{\tilde{t}_1}$ [GeV]

16 **and in addition... EDM constraints!**

Order of Magnitude Smaller Limit on the Electric Dipole Moment of the Electron **biuch of Iviagnitude Sinanci Enii** of Magnitude Smaller Limit on the Electric Dinole new particles to be such the electron to be such as $\frac{1}{\sqrt{2}}$ **plansma at** $\frac{1}{\sqrt{2}}$ **THEITE OF LITE LIEULI OII**
The ACME Collaboration^{*}: I Baron¹ W. C. Campbell² D. DeMille³ I. M. Dovle¹ G. Gabrielse¹ Y. V. Gurevich^{1,**}

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The ACME Collaboration^{*}: J. Baron¹, W. C. Campbell², D. DeMille³, J. M. Doyle¹, G. Gabrielse¹, Y. V. Gurevich^{1,**}, P. W. Hess¹, N. R. Hutzler¹, E. Kirilov^{3,#}, I. Kozyryev^{3,†}, B. R. O'Leary³, C. D. Panda¹, M. F. Parsons¹, E. S. Petrik¹, B.
Snavnal A. G. Vutka⁴, and A. D. Wast³ asymmetry. Reprinted from V. Cirigiano, Y. Reprinted from V. Profiles and M. J. Ramsey-J. Ramsey-J. Ramsey-J. R W. Hess¹, N. R. Hutzler¹, E. Kirilov^{3,#}, I. Kozyryev^{3,†}, B. R. O'Leary³, C. D. Panda¹, M. F. Parsons¹, E. S. Petrik¹, B. \overrightarrow{V} Subsequent summary (for a recent summary \overrightarrow{V} and \overrightarrow{A} . D. West³ The Active Compountion is the transportation of the transport in the transport in Section 3. W. Hess¹, N. R. Hutzler¹, E. Kirilov^{3, #}, I. Kozyryev^{3,†}, B. R. O'Leary³, C. D. Panda¹, M. F. Parsons¹, E. S. Petr S paun¹, A. C. Vutha⁴, and A. D. West³

$|d| \leq 8.7 \times 10^{-29}$ e cm \odot 00% 2*.*5syst) ⇥ 10 *e* cm. This corresponds $|d_e| < 8.7 \times 10^{-29}$ *e* cm @ 90%CL ^{[131} @ 90%CL [1310.7534] $|we| \sim 0.1 \wedge 10$ to evading the one-loop EDM constraints. In the MSSM, the one-loop EDMs contain one $|d_e| < 8.7 \times 10^{-29}$ e cm **@ 90%C** 1310 making one or the other species suciently heavy, the one-loop EDMs can be evaded,

versus

Three ways to obtain a strongly 1st order phase transition by inducing a barrier in the thermal effective potential

\mathbf{f} thermally driven

(thermal loop of bosonic modes)

(example:stop loop in MSSM)

tree-level driven

(competition between renormalizable operators)

renormalizable operators)

1) Scenario where the 1st order phase transition is thermally driven in the presence of a background Higgs field is given by the property following [1401 Universe is possible or not. The goal of this paper is to demonstrate that this is indeed the case, and identify the relevant observables and levels of precision needed to a precision needed to a meta*r*io where the 1st order pha + *...* (3.1) following [1401.1827]

p scenario in MS:
. most famous example: light stop scenario in MSSM '2

this question.

consider effect of new scalar coupled to the Higgs via problem in the consider a single scalar coupled to the Higgs via If $\overline{}$ is such that such that such the second term in the theory is e $\overline{}$ consider effect of new scalar coupled to the rilygs via

$$
V \propto \kappa |\Phi|^2 |H|^2 \; .
$$

Its effect on the thermal Higgs effective potential is: The effect on the thermal lliese effective retential is: potential in the second se
In the second secon T<u>te effect</u> on the thenmel Lliese effective notentiel is: and expose on the thermal riggs expedited potential is.

$$
V_{\text{eff}}(\varphi;T) = V_0(\varphi) + V_T(\varphi;T) \approx \frac{1}{2} \left(-\mu^2 + \frac{g_{\Phi} \kappa T^2}{24} \right) \varphi^2 - \frac{g_{\Phi} \kappa^{3/2} T}{24\sqrt{2}\pi} \varphi^3 + \frac{\lambda}{4} \varphi^4.
$$

ce of 20, *Ducky*, June *myys piera p* is: as the mass of Φ in presence of background higgs field φ is: *^V^T* ('; *^T*) ⇡ *^gm*² ²⁴ *^gm*³ 12⇡ $T_{\rm eff}$ in the presence of a background Higgs field is given by $T_{\rm eff}$ φ

$$
m^2_{\Phi}(\varphi)=m^2_0+\frac{\kappa}{2}\varphi^2.
$$

At the same time the Φ loop contributes **to the Higgs-gluon coupling**

-> A strong 1st order PT leads to sizable deviations in Higgs production rate and decays in $\gamma\gamma$

-> typically excluded

And if BSM scalar is neither colored nor electrically charged? can be measured with a very section of the contribution and a very form good

still induces a 1-loop contribution to Higgs wave function renormalization and affect e+e- -> hZ cross section

$$
\delta_{hZ} = -\frac{g_{\Phi} \kappa^2 v^2}{24\pi^2 m_h^2} (1 + F(\tau_{\Phi}))
$$
 1305.5251

expected deviation: ~0.6%

can be probed at upgraded ILC-**D** can be probed at upgraded ILC-500 and at TLEP

<u>l</u> (similarly for colored and/or electrically charged BSM scalars) *.* (2.14)

expected deviation: ~10-20% difficult to test with proposed facilities **still induces a deviation in the Higgs cubic self-coupling**

Estimated per-experiment precision on Higgs triple self-coupling \times (1310.8361) *include only the bbbb final state and assume 80% electron beam polarization. HE-LHC and VLHC numbers extended running period on top of the low luminosity program and cannot be directly compared to CLIC*

Estimated precision from combined facilities (1310.8361) *final states, polarizations, and integrated luminosities assumed above in Table 1-24. Here "ILC-up" refers to* **ILC1000-up, and "CLIC3000" with the two numbers shown assuming unpolarized beams shown assuming units in the two numbers shown assuming under the two numbers shown assuming under the two numbers shown assuming under the t** *measurement of the self-coupling, but could be a step along the way to the higher-energy hadron colliders.*

Indirect constraints on Higgs self-coupling at TLEP via its contribution to Higgsstrahlung

1312.3322

constrains deviations of order a gaught anise as manually by a done FIG. 3: Indirect 1 constraints possible in *^Z ^h* param**constrains deviations of order ~ 30%**

2) Tree level modifications of the Higgs potential:

 the SM+ a real scalar singlet: the nightmare scenario? U ine SWF a real scalar singlet, the highlifter scenario.

1409.0005

$$
V_0 = -\mu^2 |H|^2 + \lambda |H|^4 + \frac{1}{2} \mu_S^2 S^2 + \lambda_{HS} |H|^2 S^2 + \frac{1}{4} \lambda_S S^4.
$$

tion, as discussed in Section 1.

2.1 Model Definition

$$
V_0 = -\mu^2|H|^2 + \lambda|H|^4 + \frac{1}{2}\mu_S^2 S^2 + \lambda_{HS}|H|^2 S^2 + \frac{1}{4}\lambda_S S^4.
$$

very difficult to test at colliders but Xenon 1T can test all relevant parameter space!

In the parameter space relevant for EW baryogenesis, the singlet scalar is a subdominant dark matter component.

Conclusion 1:

The minimal scalar extension to the SM (adding a real singlet) leads to strong first-order EW phase transition as needed for EW baryogenesis

> **Very challenging to test at future colliders (100 TeV collider needed)**

Relevant region of parameter space for baryogenesis cannot account for dark matter

Still, large Higgs-singlet interactions enable to test the relevant region with Xenon 1 T.

Standard EW baryogenesis is essentially disconnected from the problem of dark matter generation and does not try to find a unified explanation for dark and visible matter densities.

Dark Matter Candidates

constraints on axion **CONSTRAINTS ON AXION**

WIMP-baryogenesis Connection?

asymmetric dark matter

Similarly, Dark Matter may be asymmetric • WIMP paradigm assumes *symmetric* DM JET MAY DE ASYMMETTIC

$$
\frac{\Omega_{d\mathcal{H}_m^n}^{n} - \overline{n}_{dm} \neq 0
$$
\n
$$
\frac{\Omega_b}{\Omega_b}
$$
\n
$$
\frac{\Omega_b}{\Omega_b}
$$
\n
$$
\frac{\text{Initial B}}{\text{asymmetry}} \boxed{B \boxed{B}}
$$
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$$
\frac{B}{\text{asymmetry}} \boxed{B \boxed{B}}
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\frac{B}{\text{asymmetry}} \boxed{B \boxed{B}}
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$$
\frac{\Omega_b}{\text{asymmetry}} \boxed{B \boxed{B}}
$$
\n

b

two possibilities:

1) asymmetries in baryons and in DM generated simultaneously 2) a pre-existing asymmetry (either in DM or in baryons) is transferred between the two sectors

Crucial role played by the Higgs in the 2 major theories of baryogenesis

 Higgs bubbles provide out-of-equilibrium dynamics - in EW baryogenesis:

 Decay into the Higgs of RH neutrinos produce lepton asymmetry - in leptogenesis:

New proposal **Servant & Tulin, PRL 111, 151601 (2013)**

-Use the Higgs to mediate the asymmetries between the visible and dark sector

In the early universe, at T>~ 100 GeV, before the EW phase transition, the thermal bath contains both Higgs particles and anti-Higgs particles since (since the Higgs doublet is a complex scalar)

We can therefore define an asymmetry between H and H^{*}, particles and anti-particles of the Higgs field, like we do for leptons and quarks.

 If the Higgs couples to the dark sector, it can transfer the asymmetry in the dark sector.

Standard Model equations describing chemical equilibrium in the hot plasma ential: potentials of the article childrens of relate chemical potentials of the different species :

i asymmetries between baryon a the b the following relations b relations and c relations among chemical relations among chemical relations among chemical relations among chemical relations c relations among chemical give rise to the following relation, EW Sphalerons convert and lepton number

$$
\sum_i (3\mu_{q_i}+\mu_{\ell_i})=0
$$

Yukawa interactions can induce a Higgs asymmetry $\mu_{q_i} - \mu_H - \mu_{d_j} = 0 \ ,$ $\mu_{q_i} + \mu_H - \mu_{u_j} = 0 \; ,$ $\mu_{\ell_i} - \mu_H - \mu_{e_i} = 0$. $\mu_{q_i} + \mu_H - \mu_{u_j} = 0,$

ber density n^L = Total hypercharge of the plasma

$$
\text{arge of} \qquad \sum_i (\mu_{q_i} + 2\mu_{u_i} - \mu_{d_i} - \mu_{\ell_i} - \mu_{e_i} + \frac{2}{N_f} \mu_H) = 0 \; .
$$

i (2000) (2000) (2000) (2000) (2000) (2000) (2000) (2000) (2000) (2000) (2000) (2000) (2000) (2000) (2000) (2000 $\mathbf{L} = \mathbf{L} \mathbf{L} \mathbf{L} + \mathbf{L} \mathbf{L} \mathbf{L} \$ pymmetry, say in leptons, induces a Higg a primordial asymmetry, say in leptons, induces a Higgs asymmetry though the equations of chemical equilibrium

Minimal illustrative example

 Just add to the Standard Model 2 vector-like fermions: a singlet X_1 (Dark matter) and one EW doublet X_2 whose role is to transfer the asymmetries between the visible and dark sectors

$$
\mathcal{L} \supset \frac{1}{\Lambda_2} (H^{\dagger} X_2)^2 + y_H \bar{X}_2 X_1 H + h.c
$$

Case 1: Asymmetric Dark Matter from Lepto/Baryogenesis

Assume a primordial B-L asymmetry. It induces a Higgs asymmetry which flows into the dark sector

does not reguire new states that carry baryon or lepton which subsequently flows the Higgs transfer operator freezes out at *T*_{tr}, the visible and *X* sectors are no longer and *X* secto number, unlike other Asymmetric DM models. Such a scenario does not require new states that carry baryon or lepton

which through spectator processes, biases electroweak sphalerons into generating *B* and *L* charge (even though *BL* = 0). The *B* density A theory of baryogenesis that does not require B nor L violation beyond the SM but by having an asymmetry today is (*nB/nX*)*^Tew* times a washout factor *W* (see text). trapped in spectator X_2 we bias sphalerons into generating B+L.

Tests?

Visible and WIMP Dark Matter abundances could be explained and related through the asymmetric Dark Matter paradigm

And what if dark matter is the axion, can it play any role in baryogenesis?

Baryogenesis from Strong CP violation T ev scale extensions of the SM and have been considered for baryogenesis, it is natural to it is nat Baryogenesis trom Strong CP violation

Servant'14, 1407.0030

$$
\mathcal{L}=-\bar{\Theta}\frac{\alpha_s}{8\pi}G_{\mu\nu a}\tilde{G}^{\mu\nu}_a
$$

today $|\overline{\Theta}| < 10^{-11}$ as explained by Peccei-Quinn mechanism:

 $\theta \rightarrow \frac{1}{f_a}$ for minimize the QCD vacuum energy. $\overline{\Theta} \rightarrow \frac{u(x)}{f}$ promoted to a dynamical field which relaxes to zero,
 f to minimize the QCD vacuum energy.

 $|\Omega| \sim 1$

in early universe, before the axion gets a mass around the QCD scale.
 $|\bar{\Omega}|$

 $|\Theta|\sim 1$

Could $\bar{\Theta}$ have played any role during the EW phase transition?

Wantz, Shellard '10

Baryogenesis from Strong CP violation and so using the sphaleron rate in the symmetric phase \mathbb{Z} , \mathbb{Z} , \mathbb{Z} , \mathbb{Z} , \mathbb{Z} , \mathbb{Z} = *nf*↵⁴ **P viola**
 P refacted by S P violation P_{eff} section can be summarized as **◆ ★ ★ FURT FOIS**
Extive learangian generated by SU(3) instantons Baryogenesis trom strong *T Tef f* and so using the sphaleron rate in the symmetric phase = 30↵⁵ *^wT*⁴ ⇠ ↵⁴ *wT*⁴

Government,

Effective lagrangian generated by SU(3) instantons *s* = *nf*↵⁴ *w* **VIOIATION**
rated by SU(3) ins) insta Effective lagrangian generated by SU(3) instantons nerated **T**
by SU(3) ii **Stantons**

Examin, Shaposhnikov, Tkachev '92
 $C_{eff} = \frac{10}{\sqrt{2\pi}} \frac{\alpha_s}{\sqrt{G}} G \frac{\alpha_w}{\sqrt{F}} \tilde{F}$ \tilde{G} $\frac{\alpha_w}{8\pi}F$ 100 *F*² ⇡*m*² $\mathcal{L}_{eff} = \frac{10}{\pi^2} \frac{\alpha_s}{\pi} G \tilde{G} \frac{\alpha_w}{\pi} F \tilde{F}$ $F_{\pi}^2 m_{\eta}^2$, 8π 8π $\tilde{\tilde{L}}$ *ex* $\frac{\alpha_w}{\alpha}$. 1 $\mathcal{L}_{eff} = \frac{16}{F_{\pi}^2 m_{\nu}^2} \frac{\alpha_s}{8\pi} G G \frac{\alpha_w}{8\pi} FF$ ⌘ ي عسار
ا 10 $F_{\pi}^2 m_{\eta}^2$ α_s 8π $G\tilde{G}$ $\frac{\alpha_w}{\alpha_w}$ 8π $F\tilde{F}$ (13) '

 \mathbf{r}

A condensate for $G\tilde{G}$ induces a mass for the axion : A condensate for G G induces a mass for

 α_s 8π $\frac{\partial G}{\partial \sigma} \langle G \tilde{G} \rangle = m_a^2(T) f_a^2 \sin \theta$ $\mathcal{L}_{eff} = \frac{1}{F_{\pi}^2 m_{\eta}^2} \sin \theta \ m_a^2(T) f_a^2 \ \frac{1}{8\pi} F F$ $\int_{d\zeta}$ ime variation of the $\int_{d\zeta}$ is $\int_{d\zeta}$ the Higgs mass turns negative. axionic mass and $\mu = \frac{ds}{dt} = \frac{Ja}{M^4} \frac{a}{dt} [\sin \Theta \; m_a^2(T)]$ charyogenesis the rate of the e \sim this leads to: time variation of **axionic mass and** axionic mass and
field is source for **baryogenesis** \overline{a} \hat{G} $\Big\rangle$ = $\alpha_{s}/\tilde{\gamma}$ = $m^{2}(T)$ f^{2} sin θ where 1*/M*⁴ = 10*/*(*F*² .
مم**ل**م: $\overline{}$ and to: $F_{\pi}^2 m_{\eta}^2$, $F_{\pi}^2 m_{\eta}^2$ $m_{\tilde{t}}$.
الم≛اريخ
الم≛اريخ \int^{π} (1) \int^{π} $\frac{1}{\pi}$ r
C *^a*(*T*)*f* ² $d\zeta$ *dt* = f_a^2 *M*⁴ *d* $\frac{a}{dt}[\sin \bar{\Theta} \; m_a^2(T)]$ **Duryogenesis** and mass is a source for the axiom field and mass is a source for baryon field and mass is a $h \sim \tilde{\alpha}$ ¹ $2(\pi)$ e^2 e^2 e^2 $\mathcal{L}_{eff} =$ 10 $F_\pi^2 m_\eta^2$ $\sin\theta \; m_a^2(T) f_a^2$ α_w 8π $F\tilde{F}$ time variation of $\frac{3}{d\zeta}$ from the distribution of The time is source for the time at at M^* dt $\begin{bmatrix} a t & -a t \\ -a t & a t \end{bmatrix}$ when the Higgs mass turns of the time $\begin{bmatrix} a & a t \\ a & b t \end{bmatrix}$ T speed of the speed of the q dimensionless velocity parameter is a dimensionless velocity parameter T ' $\frac{G}{G}(GG) = m_a^2(T) f_a^2 \sin$ δ the speed of the quench or δ dimensionless velocity parameter is a dimensionless velocity parameter δ this leads to: $\sqrt{10}$ e⊥
2 $\frac{1}{\sqrt{2}}$ $Covariance and$ a $d\zeta$ f_a^2 d_1 , ζ 2ζ , ζ $\begin{aligned} \textbf{field is source time} \\ \textbf{fourc, for} \end{aligned} \qquad \qquad \begin{aligned} \mu = \frac{1}{dt} = \frac{1}{M^4} \frac{1}{dt} \sin \theta \, m_a(T) \end{aligned}$

47

Operator relevant for baryogenesis: *l*evant for baryogenesis: ↵*^W*

Operation Technology

\n
$$
\mathcal{L}_{eff} = \frac{\alpha_W}{8\pi} \zeta(\varphi) \text{Tr } F\tilde{F}
$$
\ntime-varying function

\n
$$
\int d^4x \frac{\alpha_W}{8\pi} \zeta \text{Tr } F\tilde{F} = \int d^4x \zeta \partial_\mu j_{CS}^\mu = -\int dt \partial_t \zeta \int d^3x j_{CS}^0
$$
\n
$$
\mathcal{L}_{eff} = \mu \ N_{CS}
$$
\n
$$
\mathcal{L}_{eff} = \mu \ N_{CS}
$$
\nThe time derivative of ζ can be interpreted as a time-
dangent chemical potential for Chern. *Simon* number

the time derivative of ζ can l
dependent chemical potential *T* @*NCS* .
oł *The Time derivative of S* can be miler presed as a time-
dependent chemical potential for Chern-Simons number the time derivative of ζ can be interpreted as a time-
dependent chemical potential for Chern-Simons number dependent chemical potential for Chern-Simons number
0 - Time denendent chemical notential for Chern-

fhis operator has been used with the form of ϵ and ϵ a

this operator has been used with
$$
\zeta = \frac{8\pi}{\alpha_W} \frac{\Phi^\dagger \Phi}{M^2}
$$

Temperature dependence of axion mass ature denendence of a **0 0.05 0.1 0.15 0.2 0.25 0.3 0.35 0.4** This leads to **16** ↵*^w* dependence of axion mass sin ✓ *m*² *^a*(*T*)*f* ² *a* ↵*^w* **EXTON MUSS**

tor that the contractive field r

For T > T_t =0.1 GeV
$$
m^2(T) = m^2(T = 0) \times \left(\frac{T_t}{T}\right)^{6.68}
$$

\n $\delta m^2(T) \sim m^2(T)$
\n $\Delta \zeta \gtrsim 10^{-3} \to T \lesssim 0.3 \text{ GeV}$

*m*² the same time...✓*T^t* ◆⁶*.*⁶⁸ *^M*⁴ sin ⇥¯ *^m*² *dt M*⁴ *dt*[sin ⇥¯ *^m*² B-VIOIDITON AND TIME-VARIATION OF AXION MASS SNOUID OCCUR AT BARYOGE-BARYOGE-BARYOGE-BARYOGE-BARYOGE-BARYOGE-B
D-VIOIDITON and mass is a source for baryoge-baryoge-baryoge-baryoge-baryoge-baryoge-baryoge-baryoge-baryoge-b B-violation and time-variation of axion mass should occur at

$$
n_B \propto \int dt \frac{\Gamma(T)}{T} \frac{d}{dt} [\sin \bar{\Theta} \ m_a^2(T)]
$$

⇠ *n^f*

6

1) For the axion to be the source of baryogenesis, the EW phase transition should be delayed down to ~ 1 GeV. Fine ... but *T Tef f* on to be the <mark>sour</mark>
on should b*e* dela *a*
*m*22 or uwok ✓*T^t* ◆⁶*.*⁶⁸ *T*

$$
\frac{n_B}{s} = n_f \alpha_w^4 \left(\frac{T_{eff}}{T_{reh}}\right)^3 \Delta \zeta \frac{45}{2\pi^2 g_*} \sim 10^{-7} \left(\frac{T_{eff}}{T_{reh}}\right)^3 \Delta \zeta
$$

$$
\left(\frac{T_{eff}}{T_{reh}}\right)^3 \sim \left(\frac{0.1}{100}\right)^3 \text{ killing factor}
$$

2) and there should not be any reheating -> unacceptable as $T_{reh}\sim m_h$.

Kuzmin, Shaposhnikov, Tkachev '92 **bisebu' parameter is a dimensionless velocity parameter is a dimensionless velocity parameter in the speed of the speed of**

Conclusion of the authors: conclusion of the euthors: This kills baryogenesis from strong CP violation.

However, H awayan that that the α of CP violation in baryon in baryon in baryon in baryon in baryon of dark matter to that origin of the origin o
The origin of the origin o

in 1992, the mechanism of cold baryogenesis was not yet known *^Treh* ◆³ $10³$ \cdots in 1992, the mechanism of cold baryogenesis was not vet known

Cold baryogenesis cures it all as $\frac{1 \, e f f}{\varpi} \sim [20-30]$

$$
\text{ Cold baryogenesis cures it all as } \quad \frac{T_{eff}}{T_{reh}} \sim [20-30]
$$

 \bar{r} en for $\bar{\Theta}$ $\zeta(T) \gtrsim 10^{-6}$ --> large enough baryon asymmetry even for $ \bar{\Theta}(T) \gtrsim 10^{-6}$ because the produced baryon of the product $\bar{\Omega}(T) > 10^{-6}$ as, for *TEWPT* . ⇤*QCD*,

$$
\frac{n_B}{s} \sim 10^{-8} \left(\frac{T_{eff}}{T_{reh}}\right)^3 \sin \bar{\Theta}\big|_{EWPT}
$$

key point: $\; T_{eff} \neq T_{EWPT}$ where T _{eff} $\perp T$ key point: $I_{eff} \neq I_{EWPT}$

Cold baryogenesis arises naturally in models where EW symmetry bold bar ybgenesis at ises naturaly in models where EW symmetry
breaking is induced by the radion/dilaton vev. So even if $\; T_{EWPT} \lesssim \Lambda_{QCD} \;$ we can have $\; \; T_{eff} \gtrsim T_{reh} \sim m_H$ So even if $T_{EWPT} \leq \Lambda_{QCD}$ we can have $T_{eff} \geq T_{sub} \sim m_H$ \sim 1407.0030 in the universe had been discarded back in 1407.0030 in Ref. [16], while the cold baryon bar

cold baryogenesis: production of baryon number at T=0 from out-of equilibrium dynamics

However, H awayan that that the α of CP violation in baryon in baryon in baryon in baryon in baryon of dark matter to that origin of the origin o
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 \bar{r} en for $\bar{\Theta}$ $\zeta(T) \gtrsim 10^{-6}$ --> large enough baryon asymmetry even for $ \bar{\Theta}(T) \gtrsim 10^{-6}$ because the produced baryon of the product $\bar{\Omega}(T) > 10^{-6}$ as, for *TEWPT* . ⇤*QCD*,

$$
\frac{n_B}{s} \sim 10^{-8} \left(\frac{T_{eff}}{T_{reh}}\right)^3 \sin \bar{\Theta} \big|_{EWPT}
$$

key point: $\; T_{eff} \neq T_{EWPT}$ where T _{eff} $\perp T$ key point: $I_{eff} \neq I_{EWPT}$

Cold baryogenesis arises naturally in models where EW symmetry bold bar ybgenesis at ises naturaly in models where EW symmetry
breaking is induced by the radion/dilaton vev. So even if $\; T_{EWPT} \lesssim \Lambda_{QCD} \;$ we can have $\; \; T_{eff} \gtrsim T_{reh} \sim m_H$ So even if $T_{EWPT} \leq \Lambda_{QCD}$ we can have $T_{eff} \geq T_{sub} \sim m_H$ $\overline{1407.0030}$ in $\overline{1407.0030}$ in Axion dynamics during a supercooled EW phase transition can lead to baryogenesis

Servant, 1407.0030

 $f_a \le 7 \times 10^{10}$ GeV

requires a coupling between the Higgs and an compared value (dotted light scalar and *Tel*

Summary

Strong CP violation from the QCD axion can be responsible for the matter antimatter asymmetry of the universe in the context of cold baryogenesis

if the EW phase transition is delayed down to the QCD scale

These conditions can arise naturally in models with a light dilaton (e.g Goldberger-Wise radion stabilisation mechanism)

scenario testable at LHC : existence of a O(100) GeV Higgs-like dilaton

LHC constraints on the scale of conformal symmetry breaking (dilaton)

 Γ it on the scale of conformal symmetry breaking, Γ it \sim it of conformal symmetry breaking, breaking, Γ it \sim it of conformal symmetry breaking, breaking, breaking, breaking, breaking, breaking, breaking, breakin [1410.1873]

Smoking gun signature of a strongly first-order phase transition

Detection of a GW stochastic background peaked in the milliHertz:

a signature of near conformal dynamics at the TeV scale

Konstandin & Servant 1104.4791

Detection prospects for eLISA

Baryogenesis and dark Matter:

No lack of theoretical ideas!

For Standard EW baryogenesis through a Z_2 singlet, the connection to the EW phase transition does not make it necessarily easy to test at future colliders. Besides, no unified description of dark matter

WIMP-baryogenesis connection through asymmetric dark matter: interesting but no model-independent generic prediction

QCD axion-baryogenesis connection: easier to test at the LHC (relies on the existence of a light dilaton) and usual generic dark matter prediction of QCD axion remains unaffected