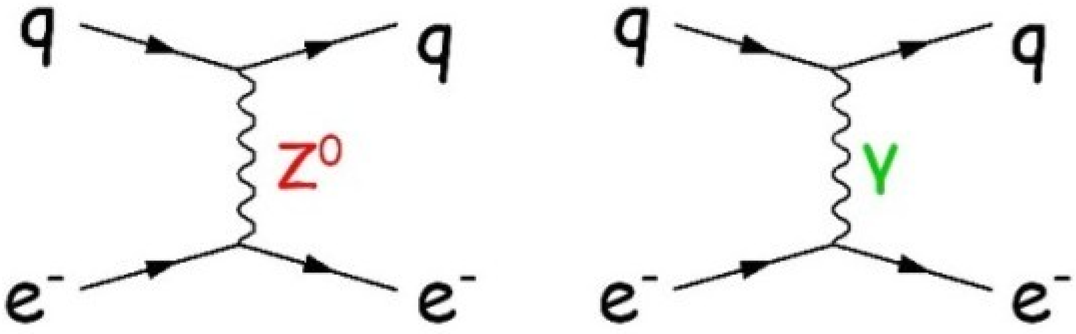
Parity Violation Inelastic Scattering Experiments at Jlab



Vincent Sulkosky

University of Virginia

XXIII International Workshop on Deep-Inelastic Scattering and Related Subjects (DIS 2015)

April 29th, 2015

Acknowledgement: X. Zheng

Outline

- Electron scattering basics
- PVDIS and electron-quark effective couplings
- The JLab 6 GeV PVDIS experiment
- DIS results – electron-quark effective VA couplings
- Resonance results
- Summary and Perspectives

Basics of Inclusive Electron Scattering

Energy transfer:

$$\nu = E - E'$$

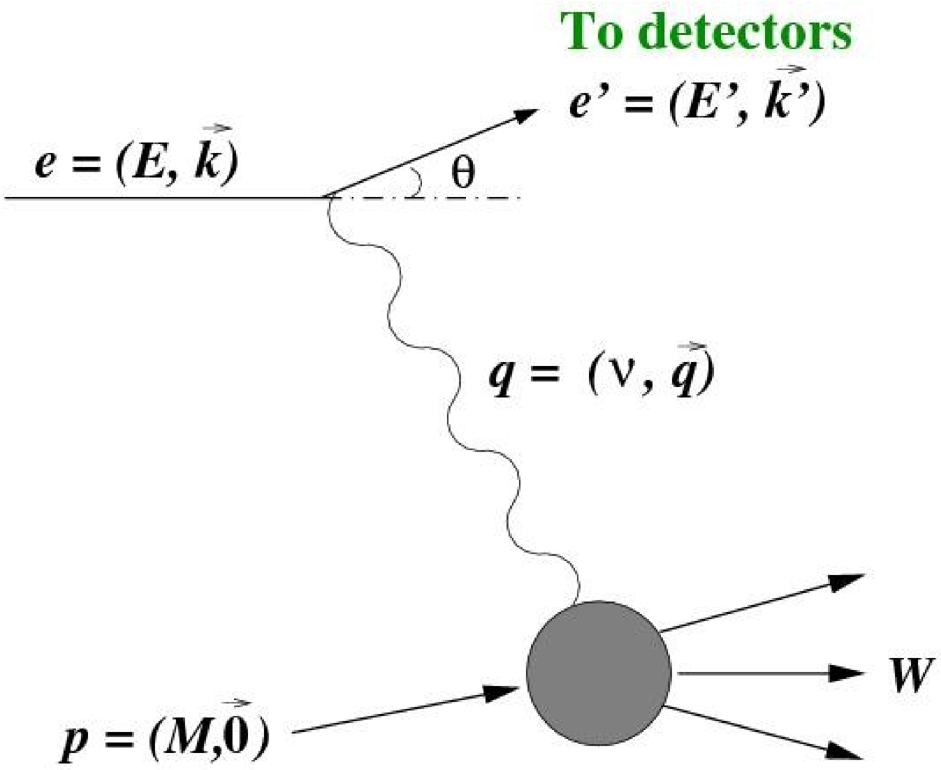
Momentum transfer:

$$\vec{q} = \vec{k} - \vec{k'}$$

4-momentum transfer squared:

$$Q^2 = -q^2 = 4EE' \sin^2 \frac{\theta}{2}$$

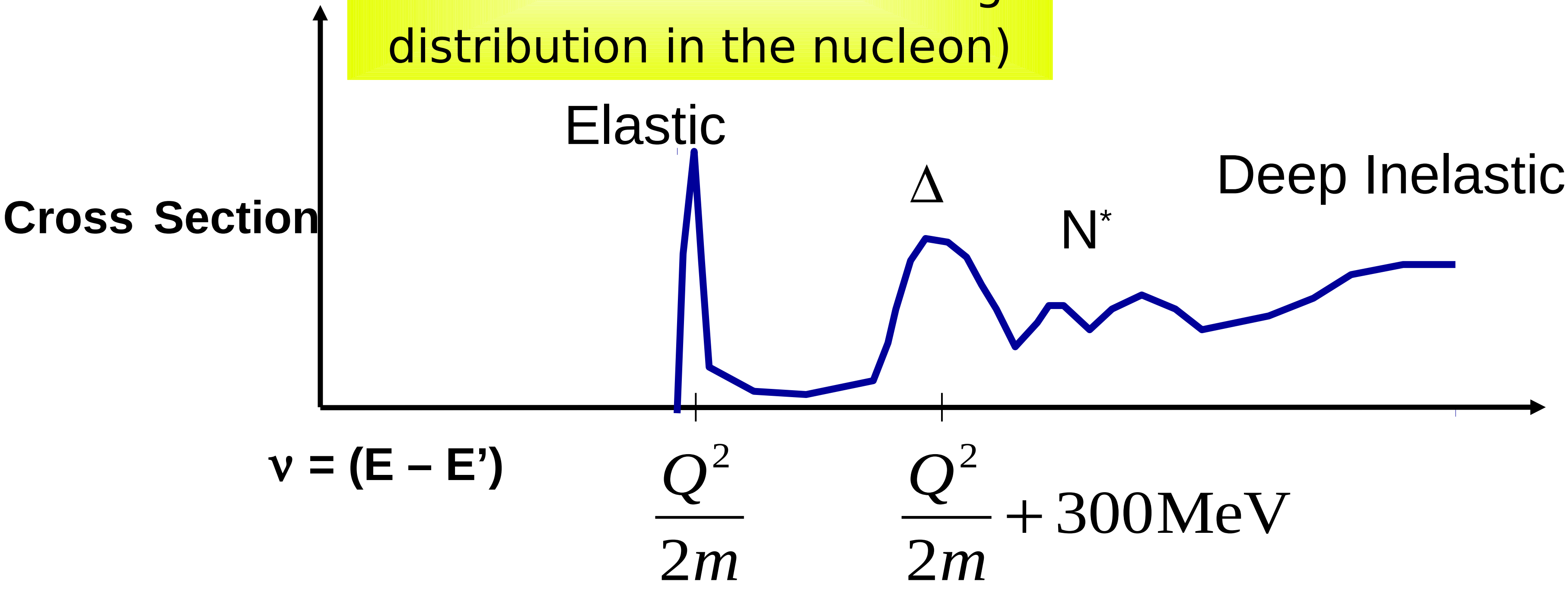
One-photon exchange (Born approximation) for e-p scattering



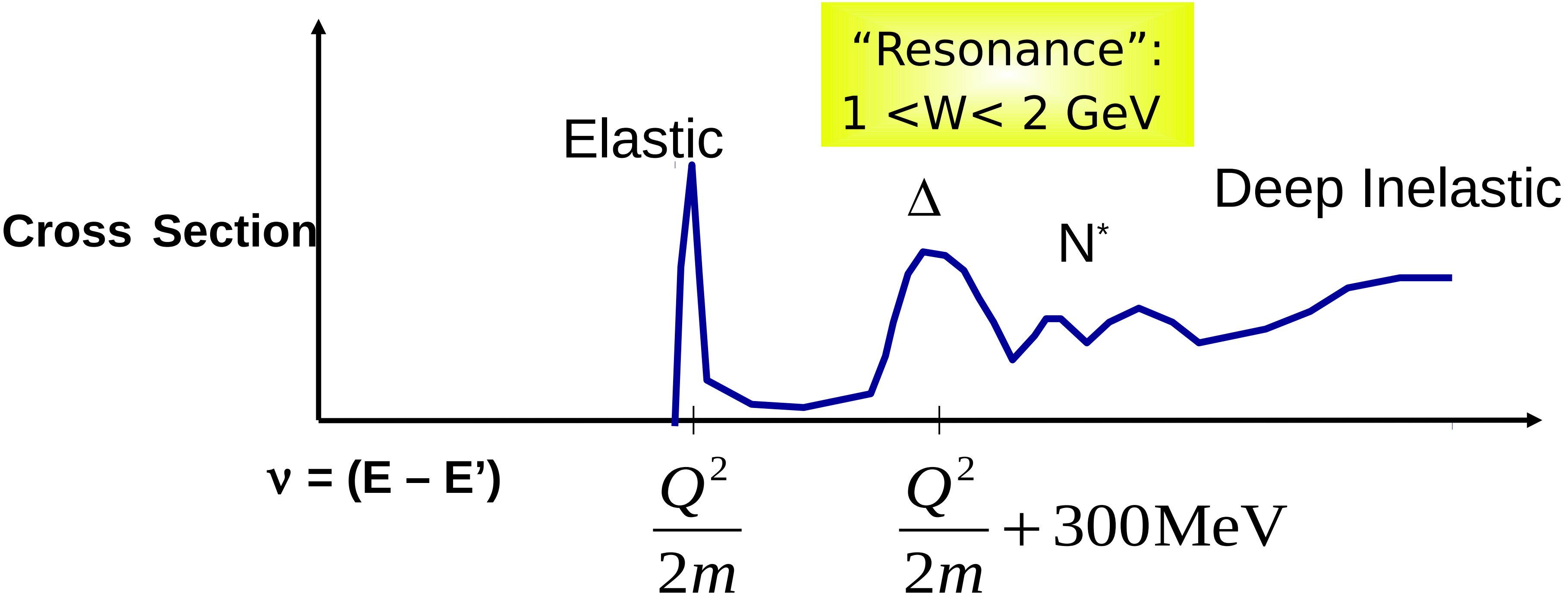
Inclusive Electron Scattering at Fixed Momentum (Q^2)

“Elastic”: $W=M_t$ or M_p

(form factors – fourier transformation of the charge distribution in the nucleon)



Inclusive Electron Scattering at Fixed Momentum (Q^2)



“Resonance”:
1 <W< 2 GeV

Elastic

Δ

N^*

Deep Inelastic

Cross Section

ν = (E – E’)

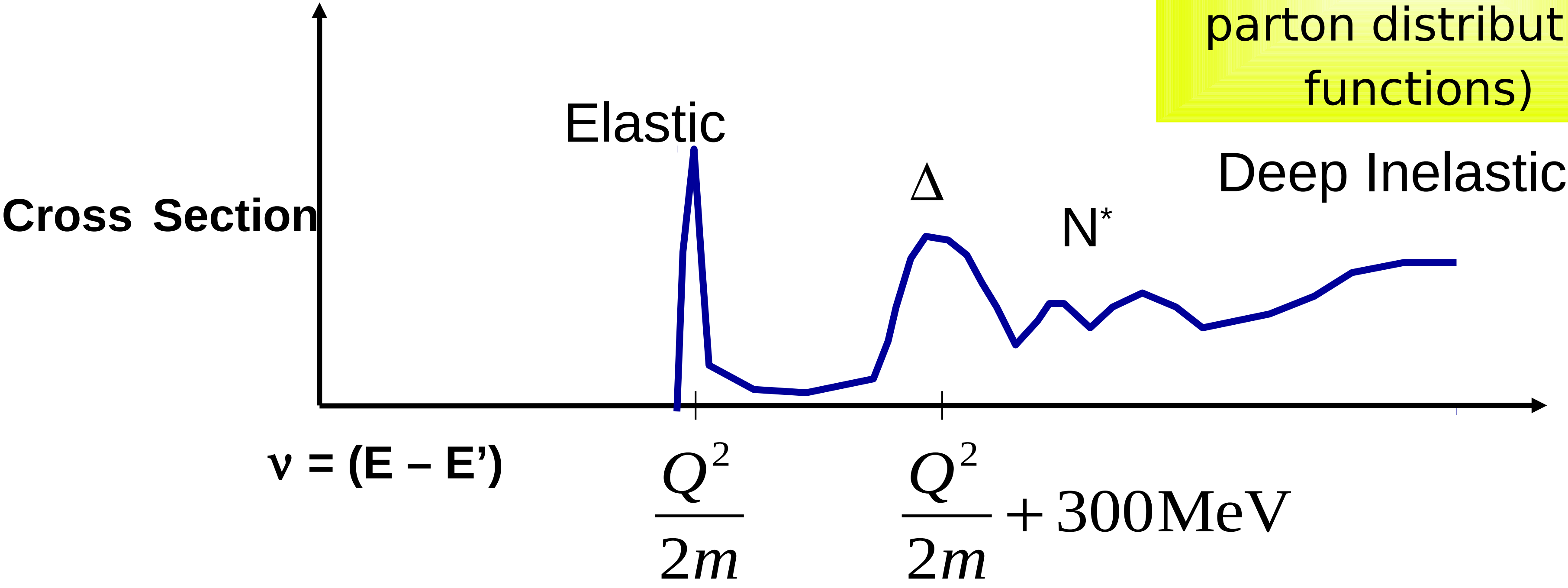
$$\frac{Q^2}{2m} \qquad \frac{Q^2}{2m} + 300\mathrm{MeV}$$

Inclusive Electron Scattering at Fixed Momentum (Q^2)

"Deep Inelastic":

W > 2 GeV,

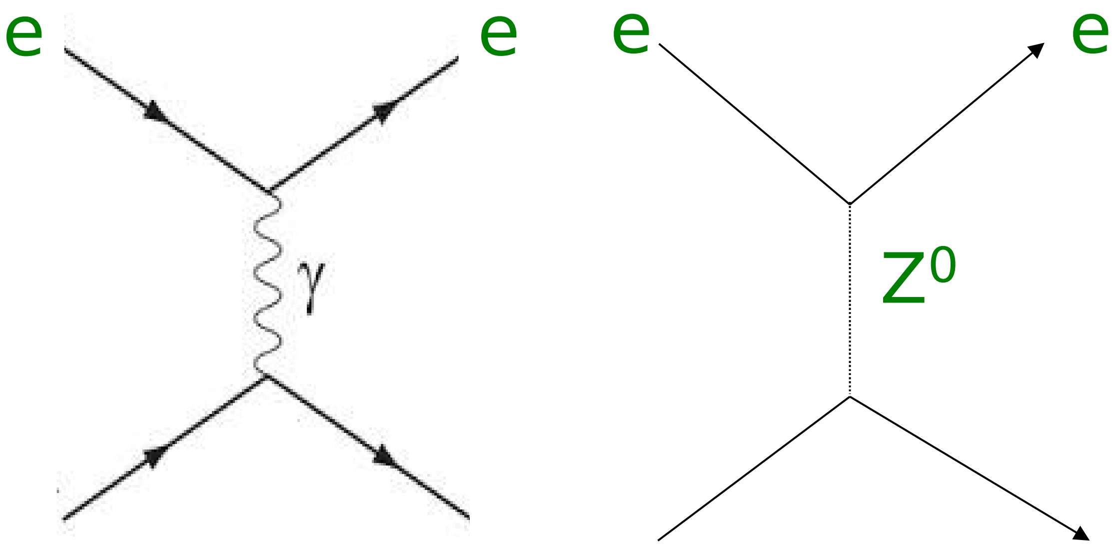
(structure functions, parton distribution functions)



Parity-Violating Electron Scattering (PVES)

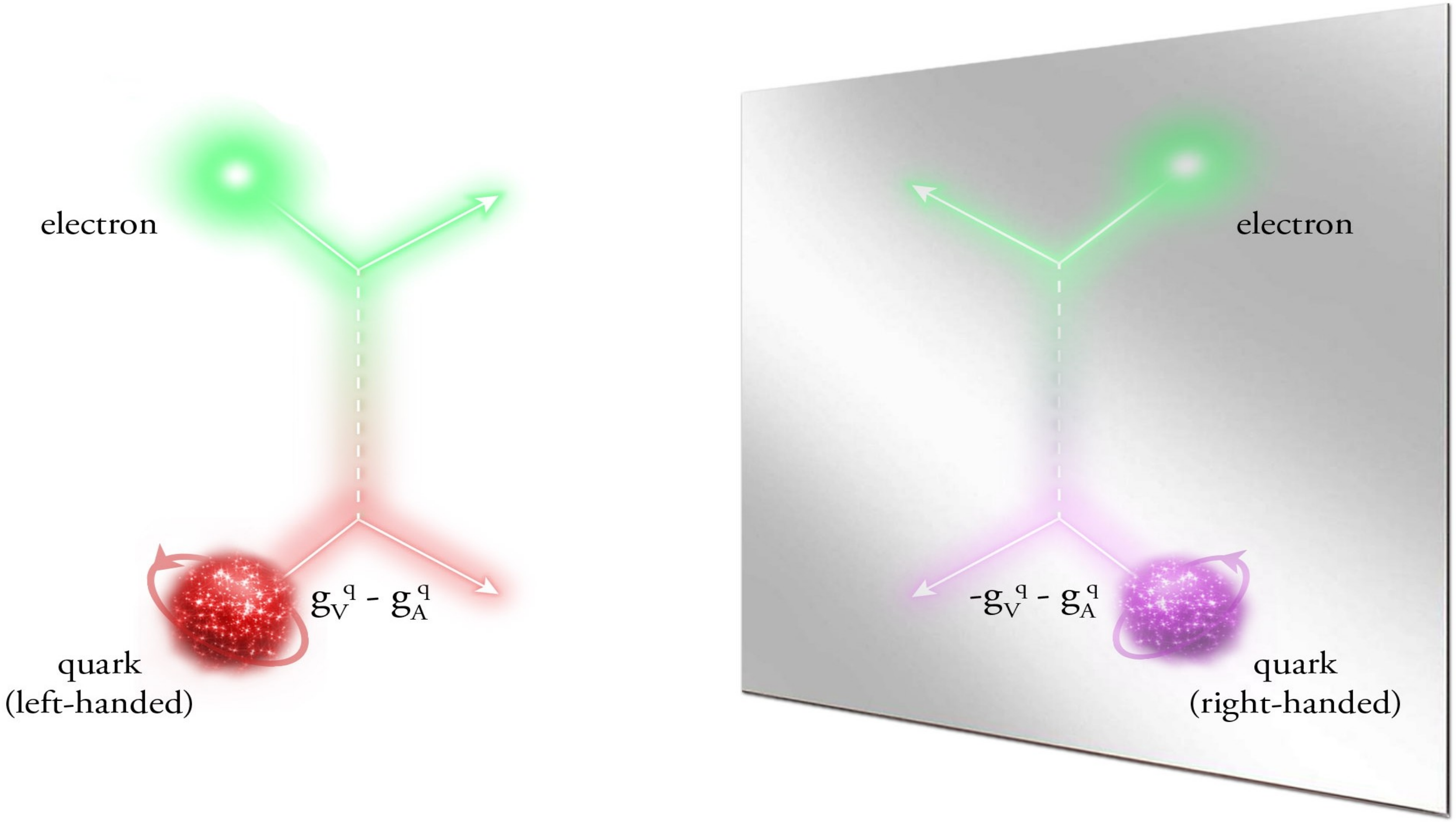
- To study nucleon structure not accessible in the electromagnetic interaction:
  - elastic PVES: nucleon strange form factors (SAMPLE@MIT/Bates,A4@MAINZ, HAPPEX, G0 @ JLab); “neutron skin” in heavy nucleus (PREX@JLab)
- To test the electroweak Standard Model:
  - e-e (E158@SLAC)
  - PVDIS

$$A_{PV} \approx \frac{Q^2}{Q^2+M_Z^2} \approx 10^{-4} Q^2$$



<ins>interference causes parity-violating asymmetry</ins>

Parity Violation in the Standard Model



- In weak interaction, all elementary fermions behave differently under parity transformation

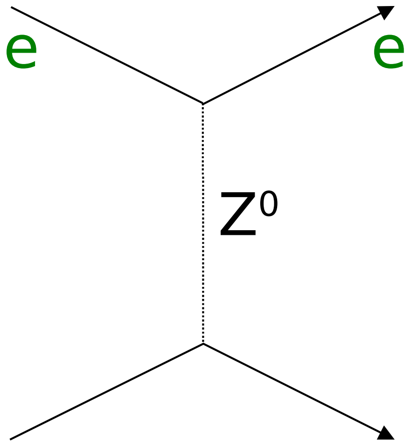
- They have a preferred chiral state when coupling to the Z^0

Parity Violation in the Standard Model

- Unlike electric charge, two charges (couplings) are needed for the weak interaction: g_L, g_R

  or “vector” and “axial” weak charges: $g_V \sim (g_L+g_R)$, $g_A \sim (g_L-g_R)$

$$-i\frac{g_Z}{2}\gamma^{\mu}[g_V^e - g_A^e\gamma^5]$$



fermions	$g_A^f = I_3$	$g_V^f = I_3 - 2Q\sin^2\theta_W$
ν_e, ν_μ	$\frac{1}{2}$	$\frac{1}{2}$
e-, *μ*-	$-\frac{1}{2}$	$-\frac{1}{2}+2\sin^2\theta_W$
u, *c*	$\frac{1}{2}$	$\frac{1}{2}-\frac{4}{3}\sin^2\theta_W$
d, *s*	$-\frac{1}{2}$	$-\frac{1}{2}+\frac{2}{3}\sin^2\theta_W$

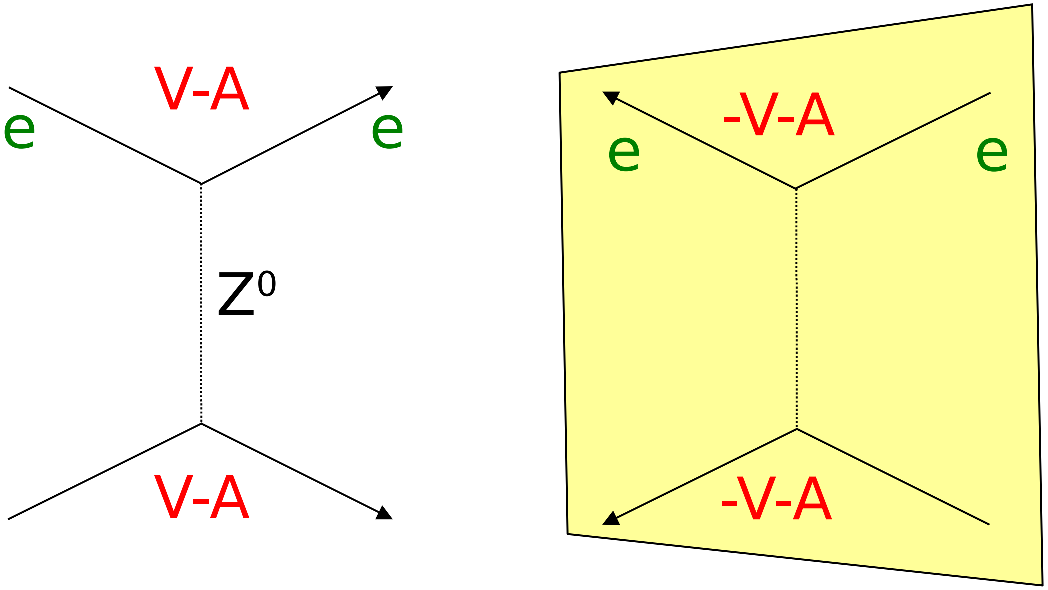
Parity Violation in the Standard Model

- Unlike electric charge, two charges (couplings) are needed for the weak interaction: g_L, g_R

  or "vector" and "axial" weak charges: $g_V \sim (g_L + g_R)$, $g_A \sim (g_L - g_R)$

- PVES asymmetry comes from **V**(e) X **A**(targ) and **A**(e) X **V**(targ)

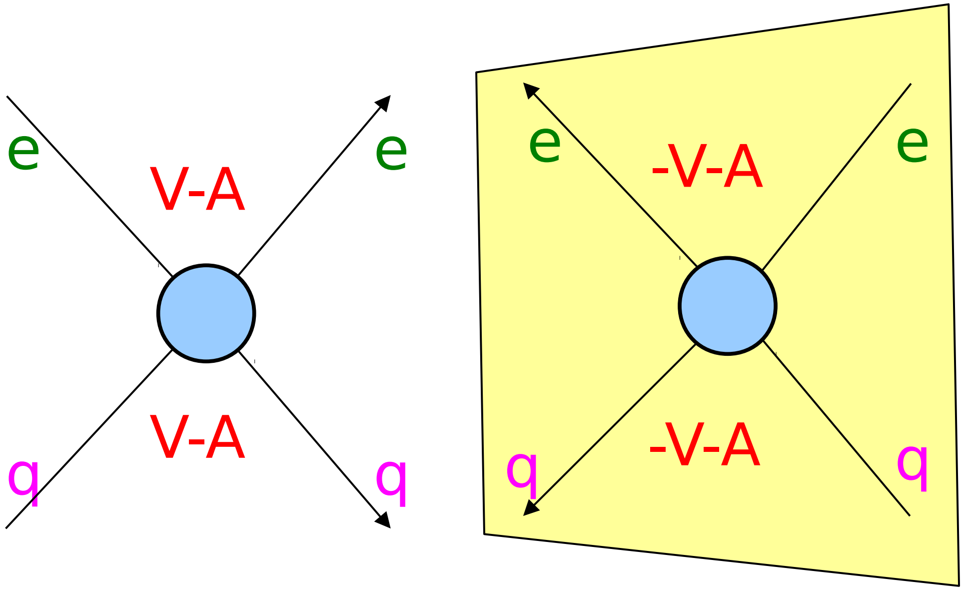
"electron-quark effective couplings" $\boxed{C_{1q} \equiv 2 g_A^e g_V^q, \quad C_{2q} \equiv 2 g_V^e g_A^q}$



Effective Couplings and New Contact Interactions

- Unlike electric charge, two charges (couplings) are needed for the weak interaction: g_L, g_R

  or "vector" and "axial" weak charges: $g_V \sim (g_L + g_R)$, $g_A \sim (g_L - g_R)$
- PVDIS asymmetry comes from: "electron-quark effective couplings"



$$C_{1q} = g_{AV}^{e\ q},\ C_{2q} = g_{VA}^{e\ q}$$

Erler and Su, Prog. Part. Nucl. Phys. 71, 119 (2013)

Accessing $C_{1q,2q}$

- Polarized electron beam on hadronic target, compare scattering between left-handed electron beam vs. right-handed.
- Elastic PVES:
  - directly probes C_{1q}, electrons' parity-violating property;
  - quarks' parity-violation ↔ nucleon axial form factor G_A, and extracting C_{2q} from G_A is model-dependent
- Only in PVDIS, electron probes the quark and PVDIS asymmetry depends on C_{2q} directly.

Formalism for Parity Violation in DIS

$$\boxed{A_{PV} = \frac{G_F Q^2}{\sqrt{2}\pi\alpha}\left[a(x) + Y(y)\,b(x)\right]}$$

$$x \equiv x_{Bjorken} \qquad y \equiv 1 - E'/E$$

$$q_i^+(x) \equiv q_i(x) + \bar{q}_i(x)$$

$$q_i^-(x) = q_i^V(x) \equiv q_i(x) - \bar{q}_i(x)$$

For an isoscalar target (^{2}H), structure functions largely simplify:

$$a(x) = \frac{3}{10}\left(2C_{1u} - C_{1d}\right)\left(1 + \frac{0.6\,s^+}{u^+ + d^+}\right) \qquad b(x) = \frac{3}{10}\left(2C_{2u} - C_{2d}\right)\left(\frac{u_V + d_V}{u^+ + d^+}\right)$$

Formalism for Parity Violation in DIS

$$\boxed{A_{PV} = \frac{G_F Q^2}{\sqrt{2}\pi\alpha}\left[a(x) + Y(y)\, b(x)\right]}$$

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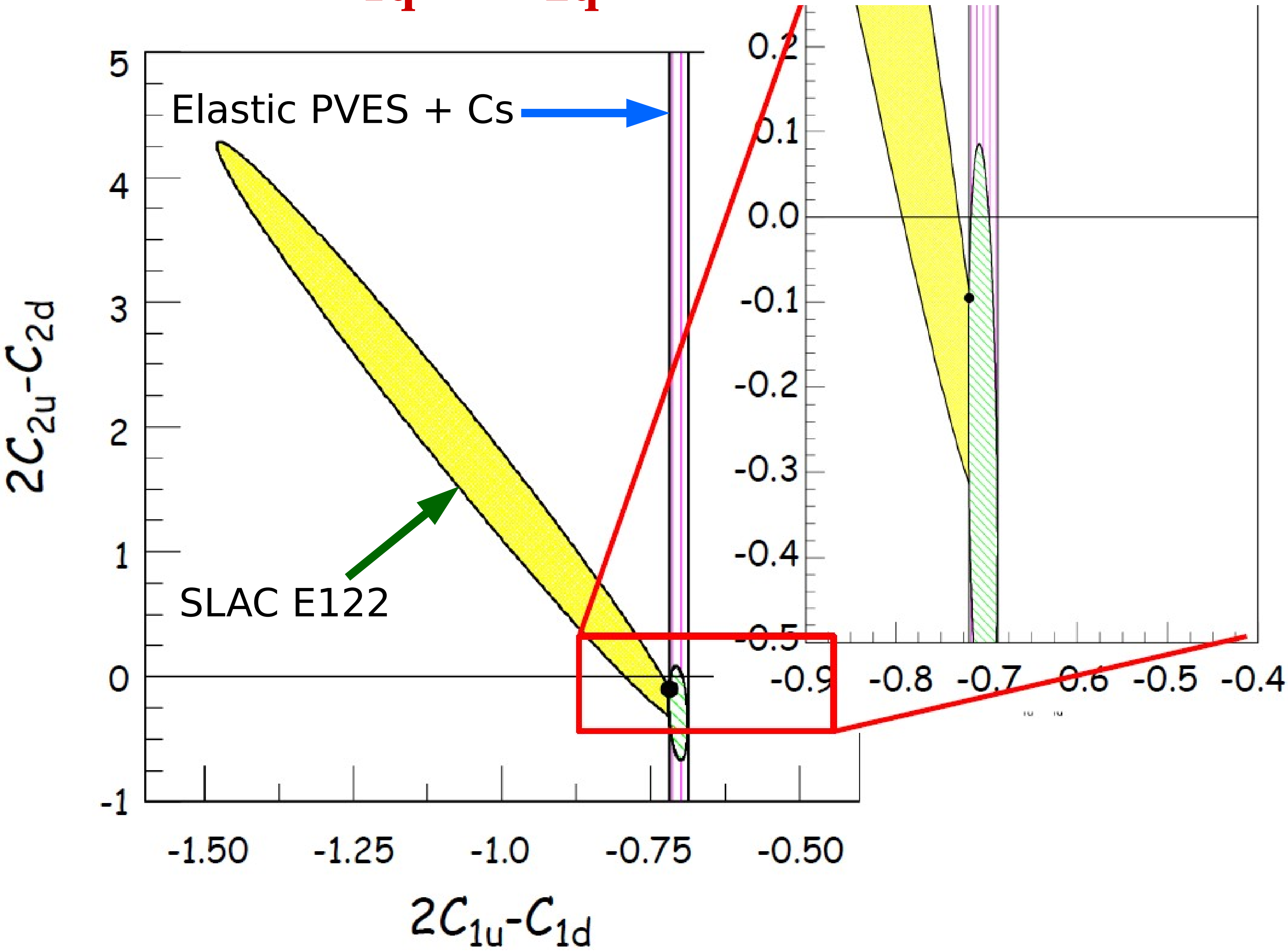
For an isoscalar target (^{2}H), structure functions largely simplify:

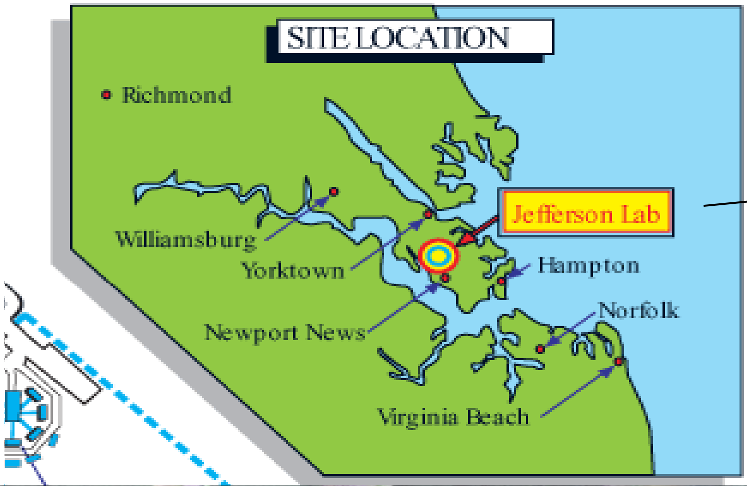
$$a(x) = \frac{3}{10}\left(2C_{1u} - C_{1d}\right)\left(1 + \cancelto{0}{\frac{0.6\, s^+}{u^+ + d^+}}\right) \qquad b(x) = \frac{3}{10}\left(2C_{2u} - C_{2d}\right)\left(\cancelto{1}{\frac{u_V + d_V}{u^+ + d^+}}\right)$$

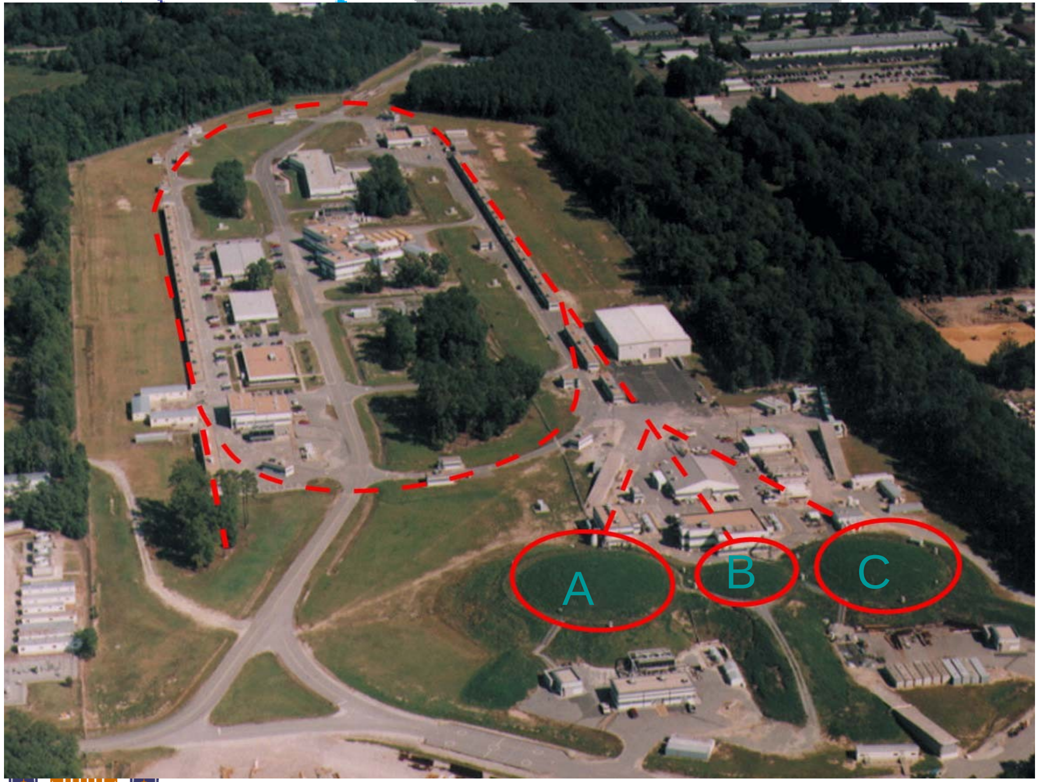
If neglecting sea quarks, asymmetry is no longer sensitive to PDFs → “static limit”

Projecting to C_{1q} vs C_{2q} (e-q AV vs. VA couplings)



Jefferson Lab
Thomas Jefferson National Accelerator Facility

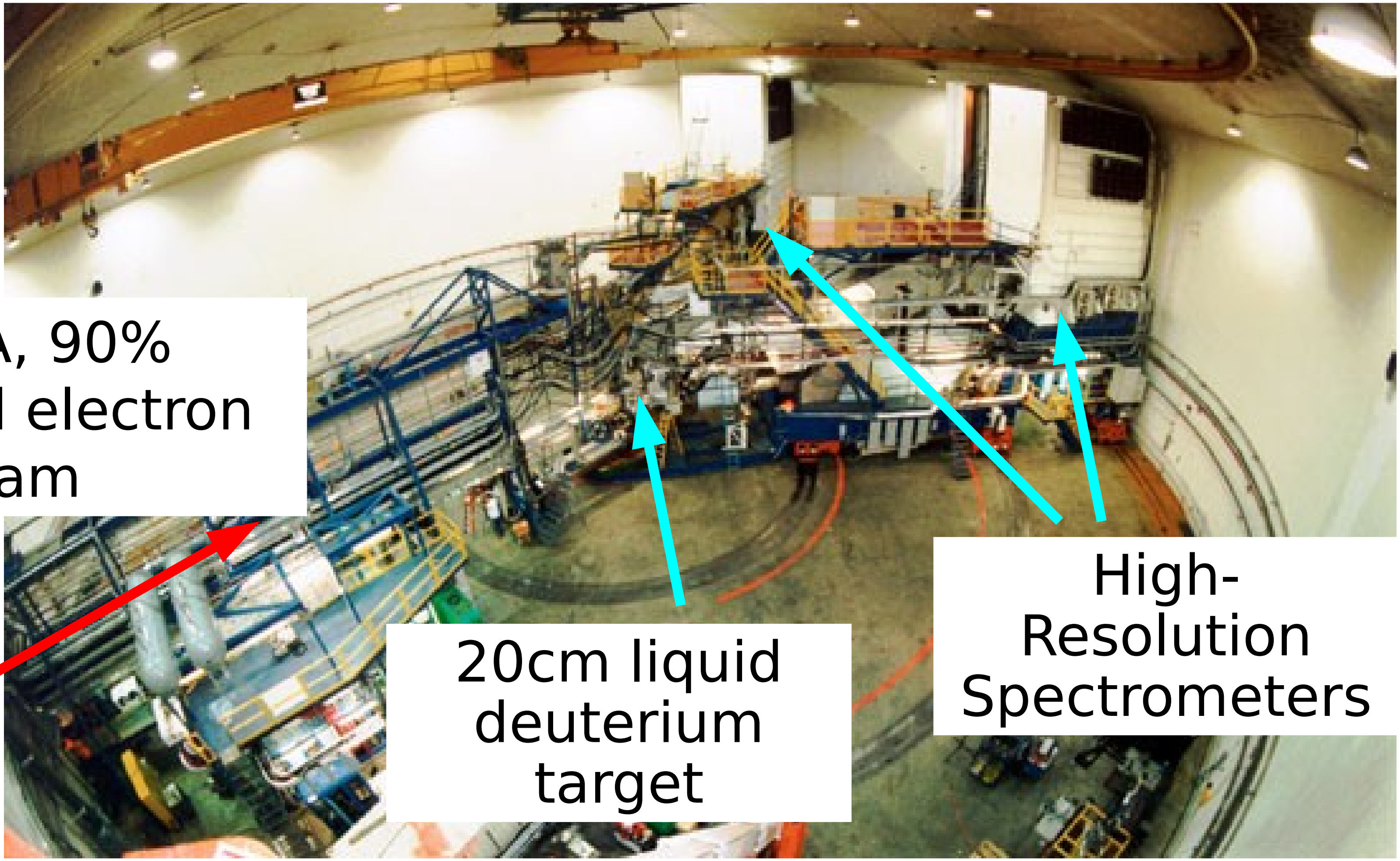




- **Staff: ~700**
- **User community: ~1300**
- Beam first delivered in 10/95
- ~1/3 of US PhDs in Nuclear Physics
- Energy: 6 GeV, 12 GeV ongoing
- **The first and largest superconducting RF accelerator in the world, the highest polarized luminosity.**

PVDIS at 6 GeV (JLab E08-011, ran in Oct-Dec. 2009)

- Measured two DIS points: Q^2=1.085 and 1.901 $(GeV/c)^2$
- Collected 170 billion (E9) electrons in total



100uA, 90% polarized electron beam

20cm liquid deuterium target

High-Resolution Spectrometers

- Students: Xiaoyan Deng, Kai Pan, Diancheng Wang (PhD)
- Postdoc: Ramesh Subedi

From Measured to Physics Asymmetry

$$A^{raw}_{Q^2=1.085,\, x=0.241} = -78.45 \pm 2.68 \pm 0.07\ ppm$$

$$A^{raw}_{Q^2=1.901,\, x=0.295} = -140.30 \pm 10.43 \pm 0.16\ ppm\,(L)$$

$$A^{raw}_{Q^2=1.901,\, x=0.295} = -139.84 \pm 6.58 \pm 0.46\ ppm\,(R)$$

- beam polarization
- counting deadtime
- EM radiative correction
- box correction
- target aluminum endcap
- beam depolarization

- beam-normal asym
- Q^2 determination
- pair production
- target impurity
- charged pion background

$$A^{phys}_{Q^2=1.085,\, x=0.241} = -91.10 \pm 3.11 \pm 2.97\ ppm$$

$$A^{phys}_{Q^2=1.901,\, x=0.295} = -160.80 \pm 6.39 \pm 3.12\ ppm$$

Compare to Standard Model?

$$A^{phys}_{Q^2=1.085,\,x=0.241} = -91.10 \pm 3.11 \pm 2.97\ ppm$$

$$A^{SM} = \left(1.156\times 10^{-4}\right)\left[\left(2C_{1u} - C_{1d}\right) + 0.348\left(2C_{2u} - C_{2d}\right)\right] = -87.7\ ppm$$

$$A^{phys}_{Q^2=1.901,\,x=0.295} = -160.80 \pm 6.39 \pm 3.12\ ppm$$

$$A^{SM} = \left(2.022\times 10^{-4}\right)\left[\left(2C_{1u} - C_{1d}\right) + 0.594\left(2C_{2u} - C_{2d}\right)\right] = -158.9\ ppm$$

Compare to Standard Model?

$$A^{phys}_{Q^2=1.085,\, x=0.241} = -91.10 \pm 3.11 \pm 2.97\ ppm$$

$$A^{SM} = \left(1.156\times 10^{-4}\right)\left[\left(2C_{1u}-C_{1d}\right)+0.348\left(2C_{2u}-C_{2d}\right)\right] = -87.7\ ppm$$

uncertainty due to PDF: 0.5%	5%
uncertainty due to HT: 0.5%/Q²,	0.7ppm

$$A^{phys}_{Q^2=1.901,\, x=0.295} = -160.80 \pm 6.39 \pm 3.12\ ppm$$

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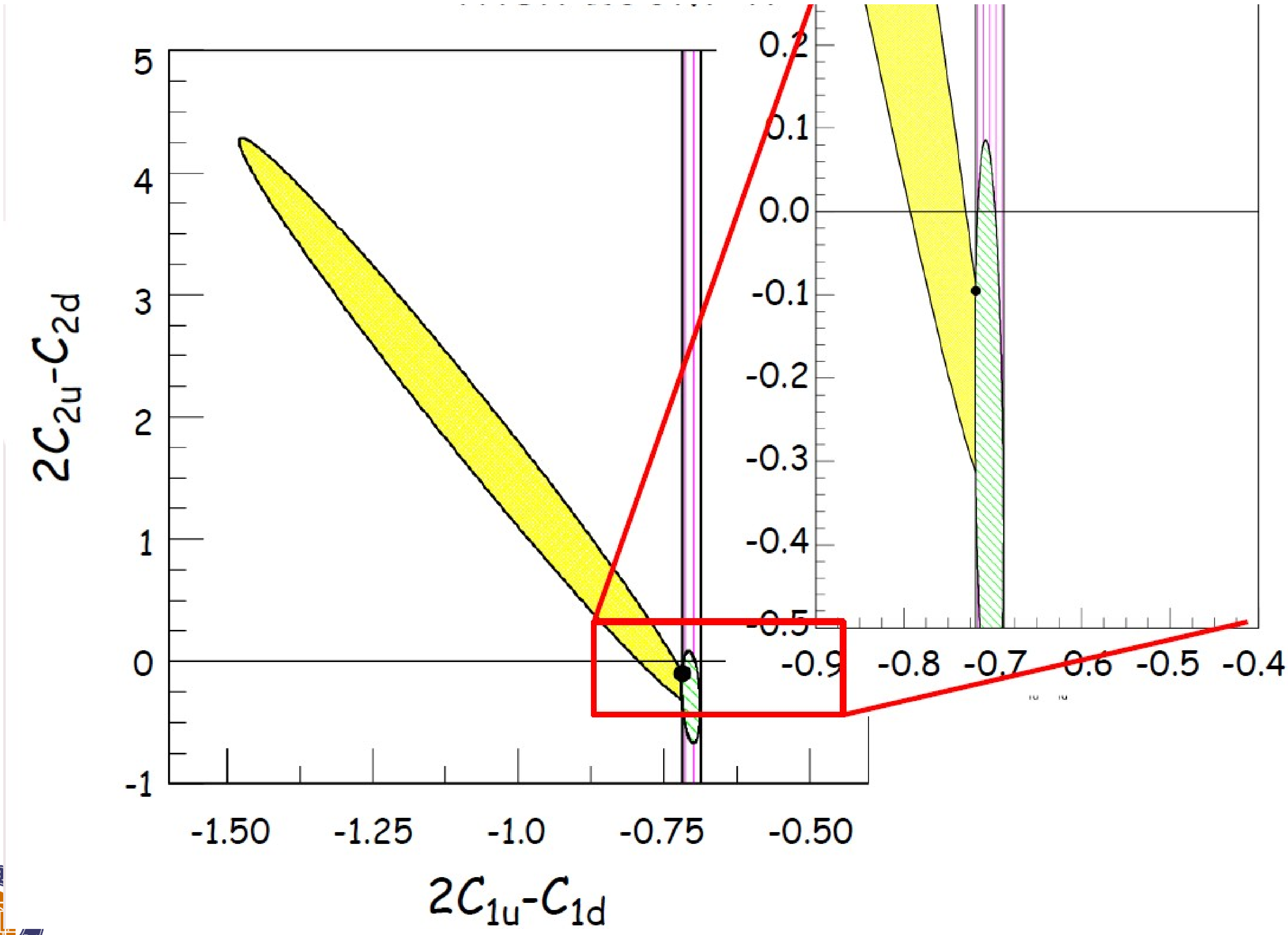
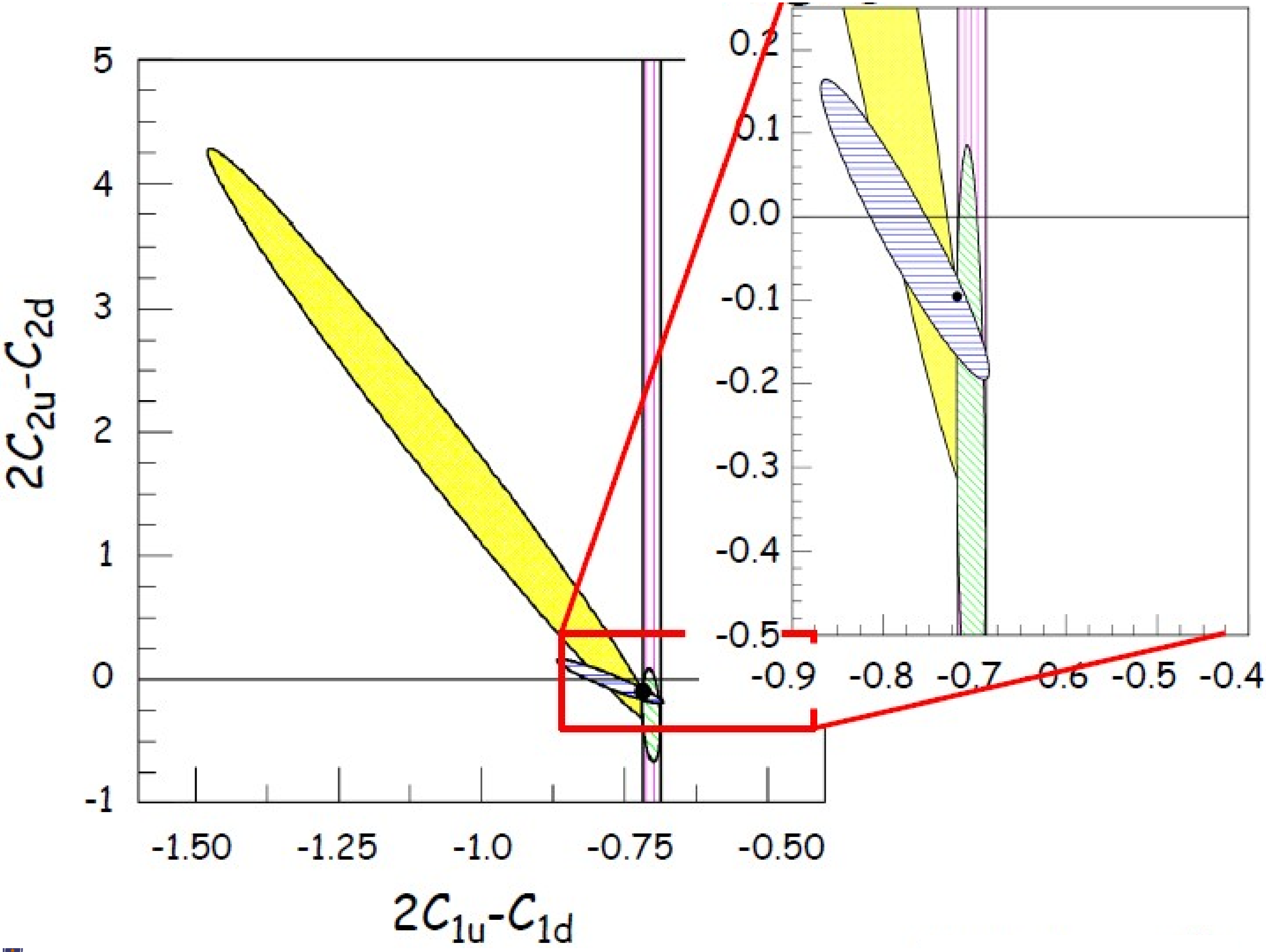
uncertainty due to PDF: 0.5%	5%
uncertainty due to HT: 0.5%/Q²,	1.2ppm

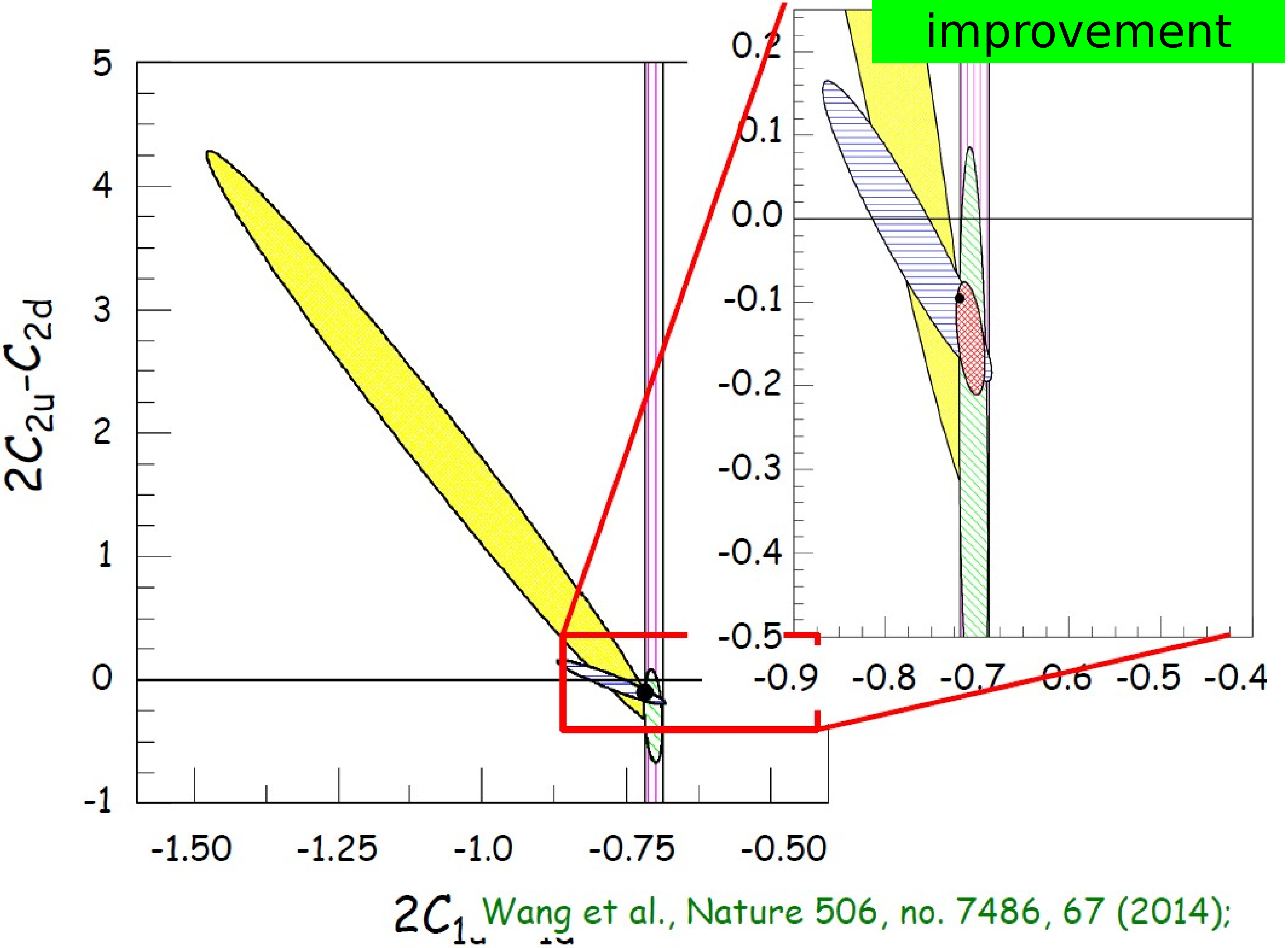
Previous data: Elastic PVES + APV



Add Jlab 6 GeV PVDIS



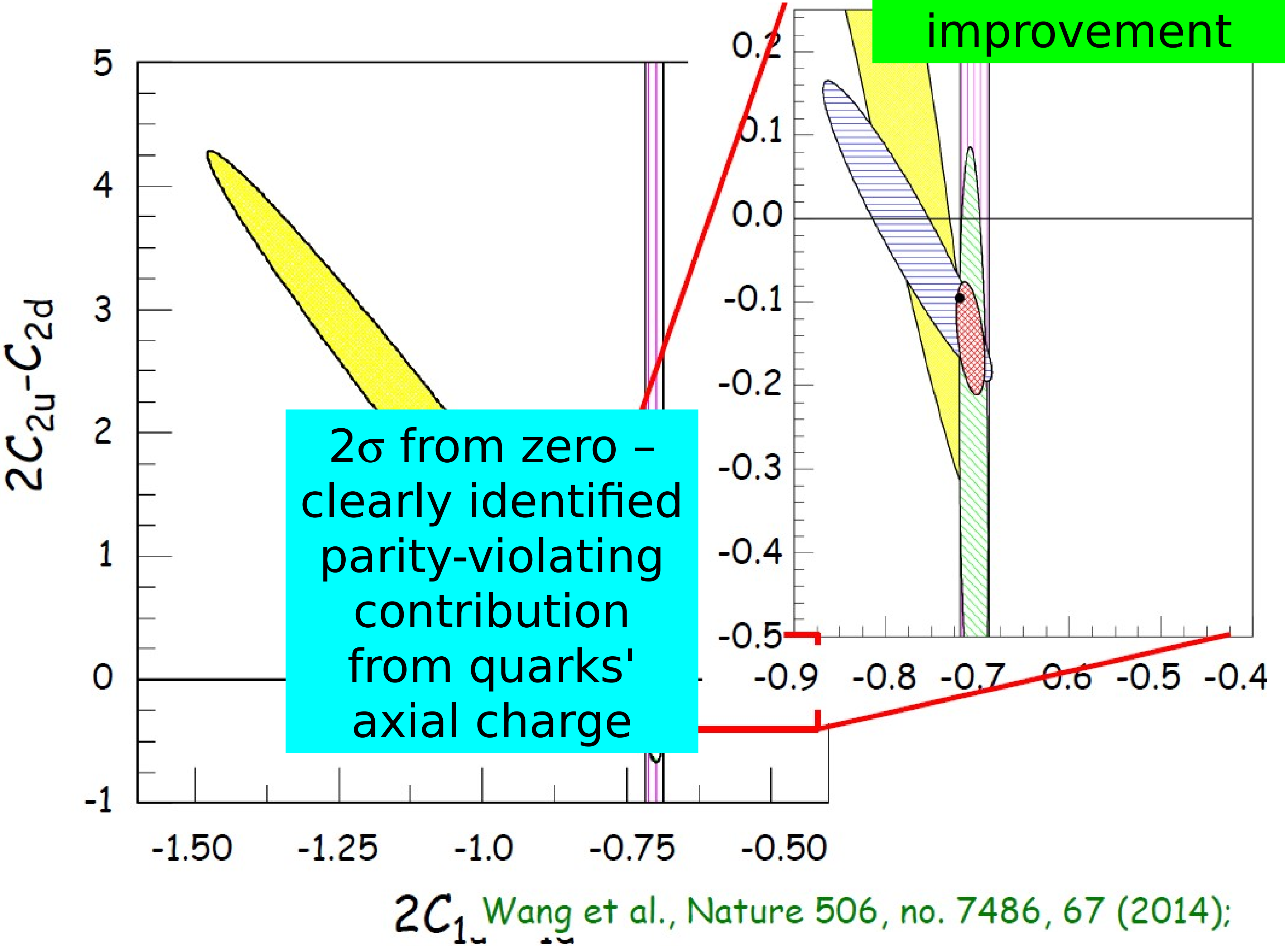
Best Fit



factor five improvement

Wang et al., Nature 506, no. 7486, 67 (2014);

Best Fit



factor five improvement

2σ from zero – clearly identified parity-violating contribution from quarks' axial charge

Wang et al., Nature 506, no. 7486, 67 (2014);

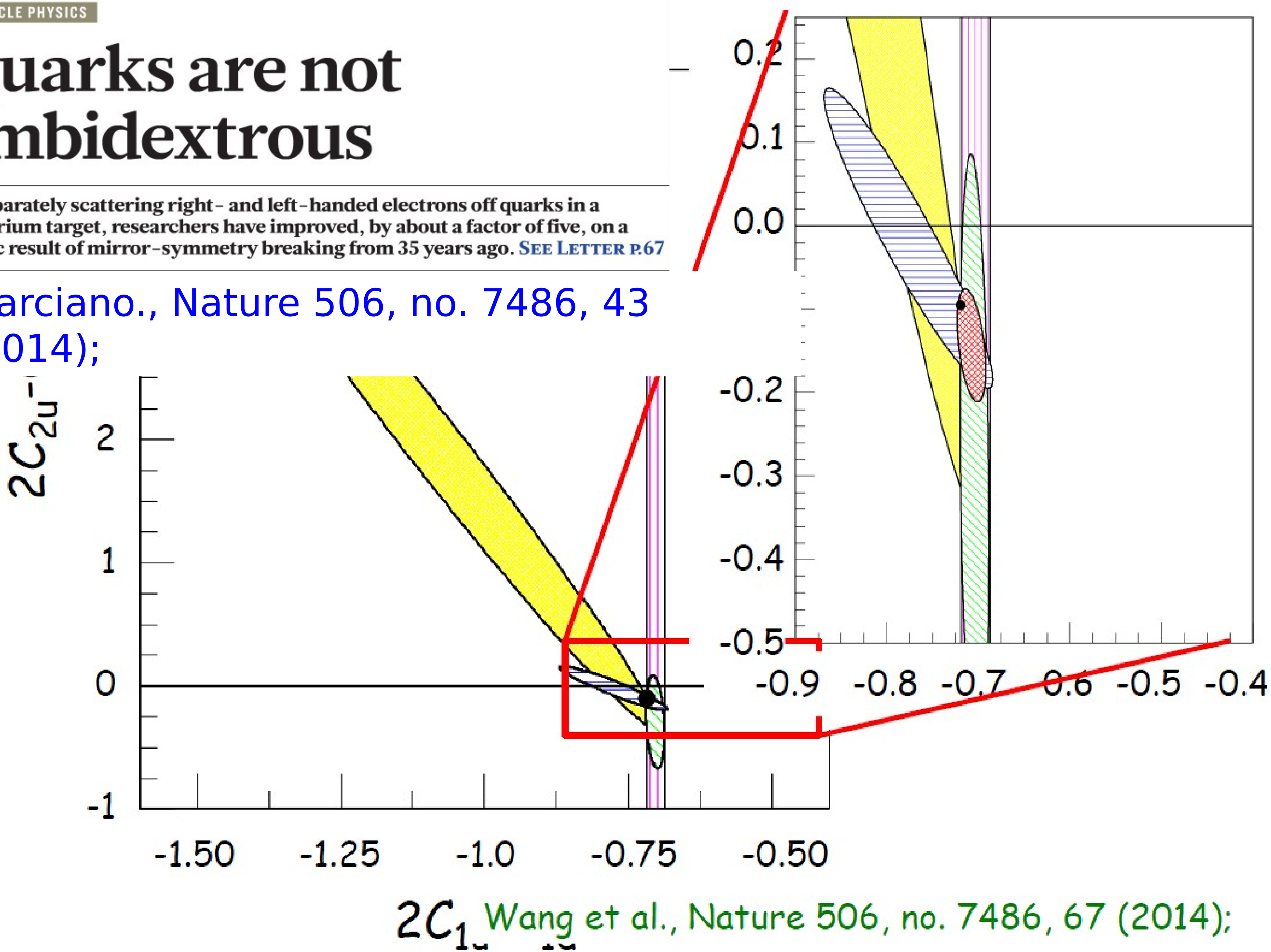
Best Fit

PARTICLE PHYSICS

Quarks are not ambidextrous

By separately scattering right- and left-handed electrons off quarks in a deuterium target, researchers have improved, by about a factor of five, on a classic result of mirror-symmetry breaking from 35 years ago. SEE LETTER P.67

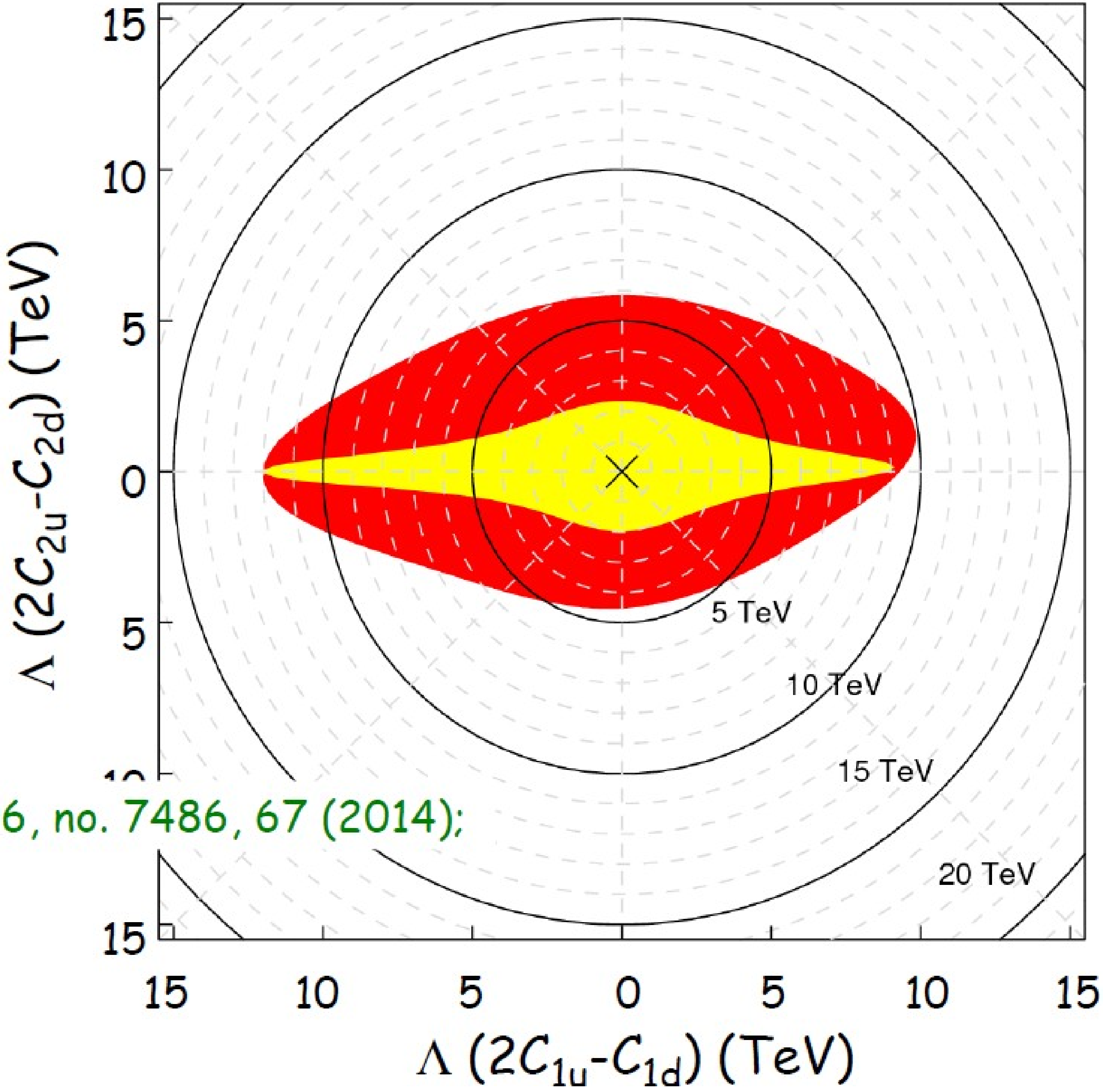
Marciano., Nature 506, no. 7486, 43 (2014);



Wang et al., Nature 506, no. 7486, 67 (2014);

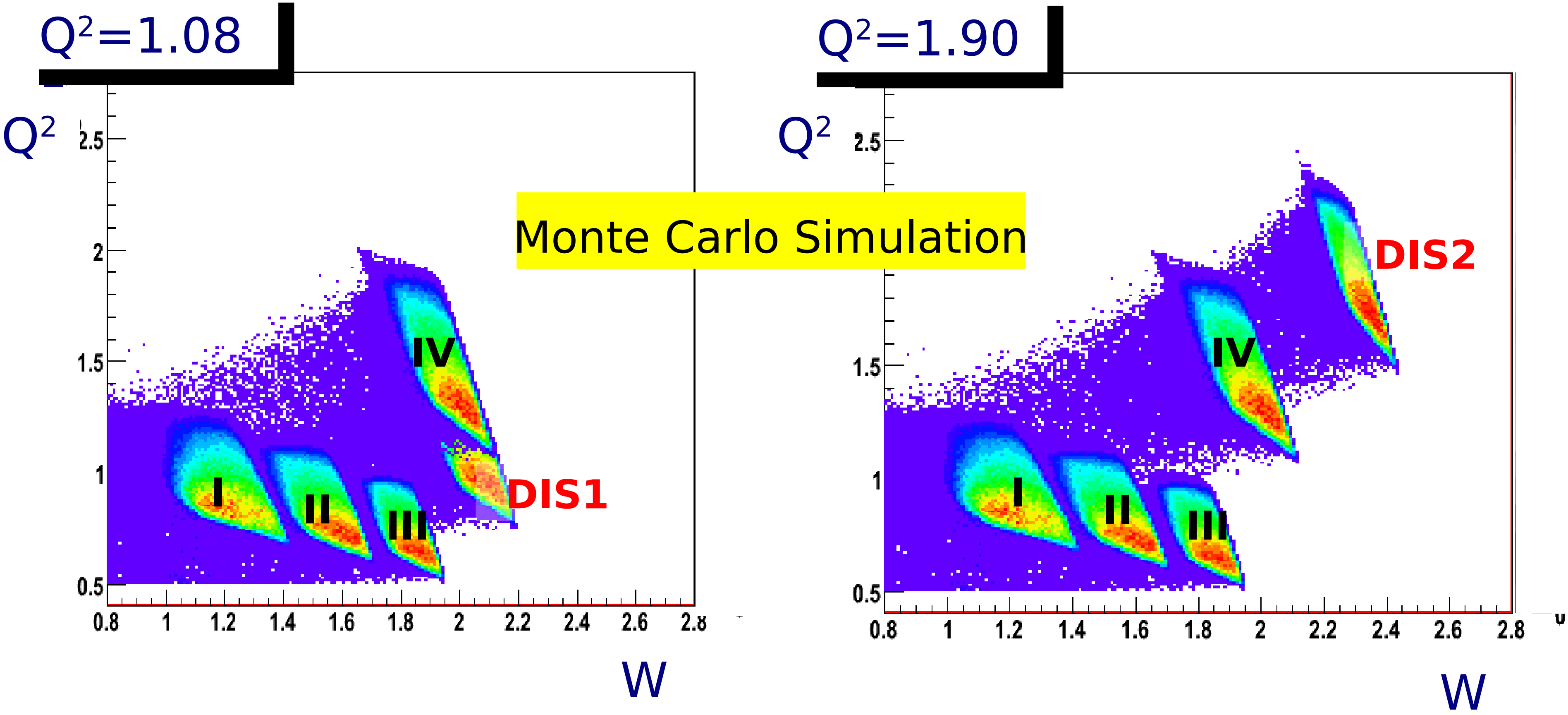
BSM Mass Limit on e-q VA contact interaction

Complementary to LHC results on the mass limit of electron-quark contact interactions



Wang et al., Nature 506, no. 7486, 67 (2014);

Resonance Background Data Coverage



Q^2=1.08

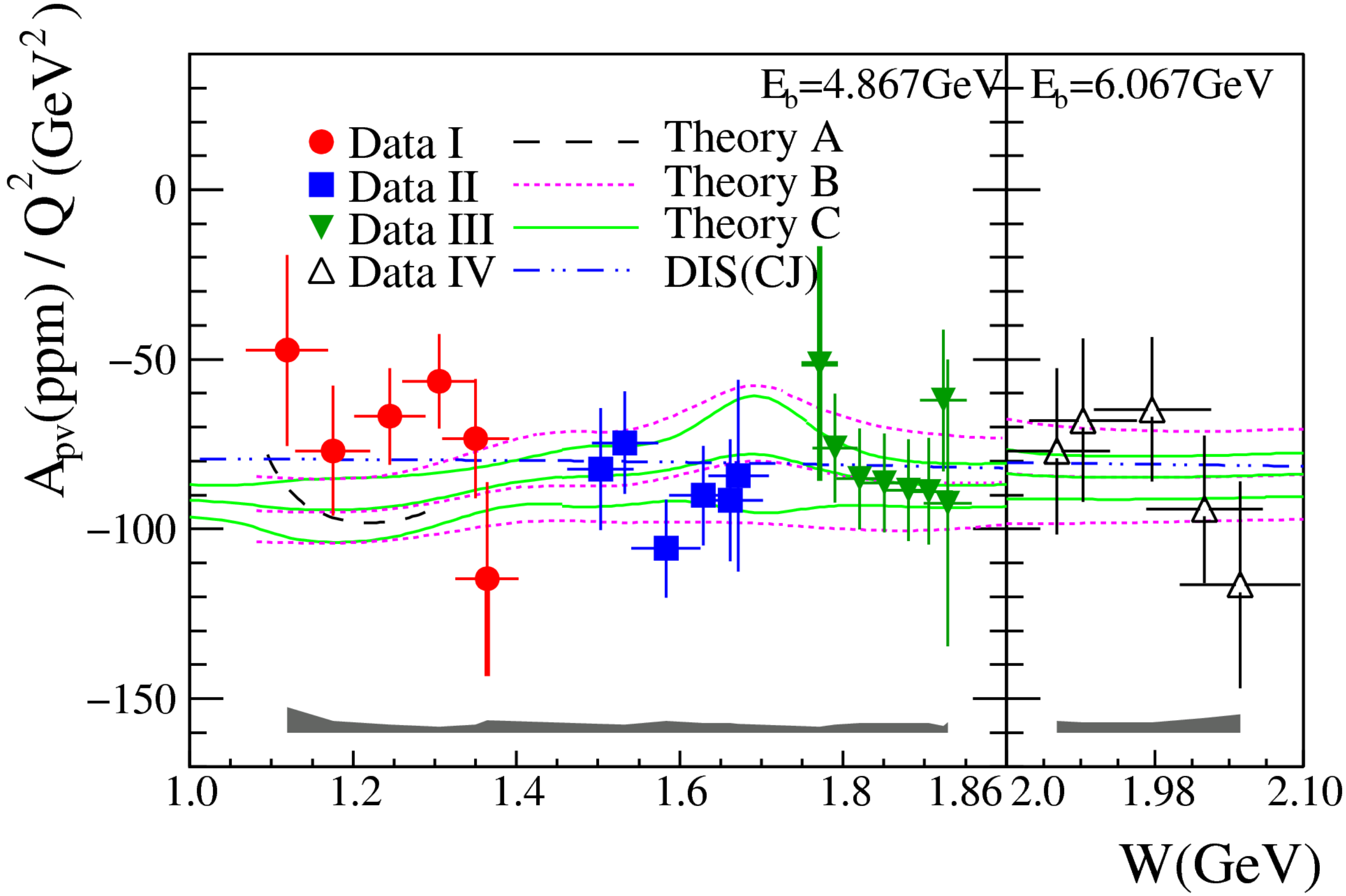
Q^2=1.90

Monte Carlo Simulation

- Four settings covered the full resonance region;
- "Grouping" of lead glass blocks allowed a reasonable study of the W-dependence;

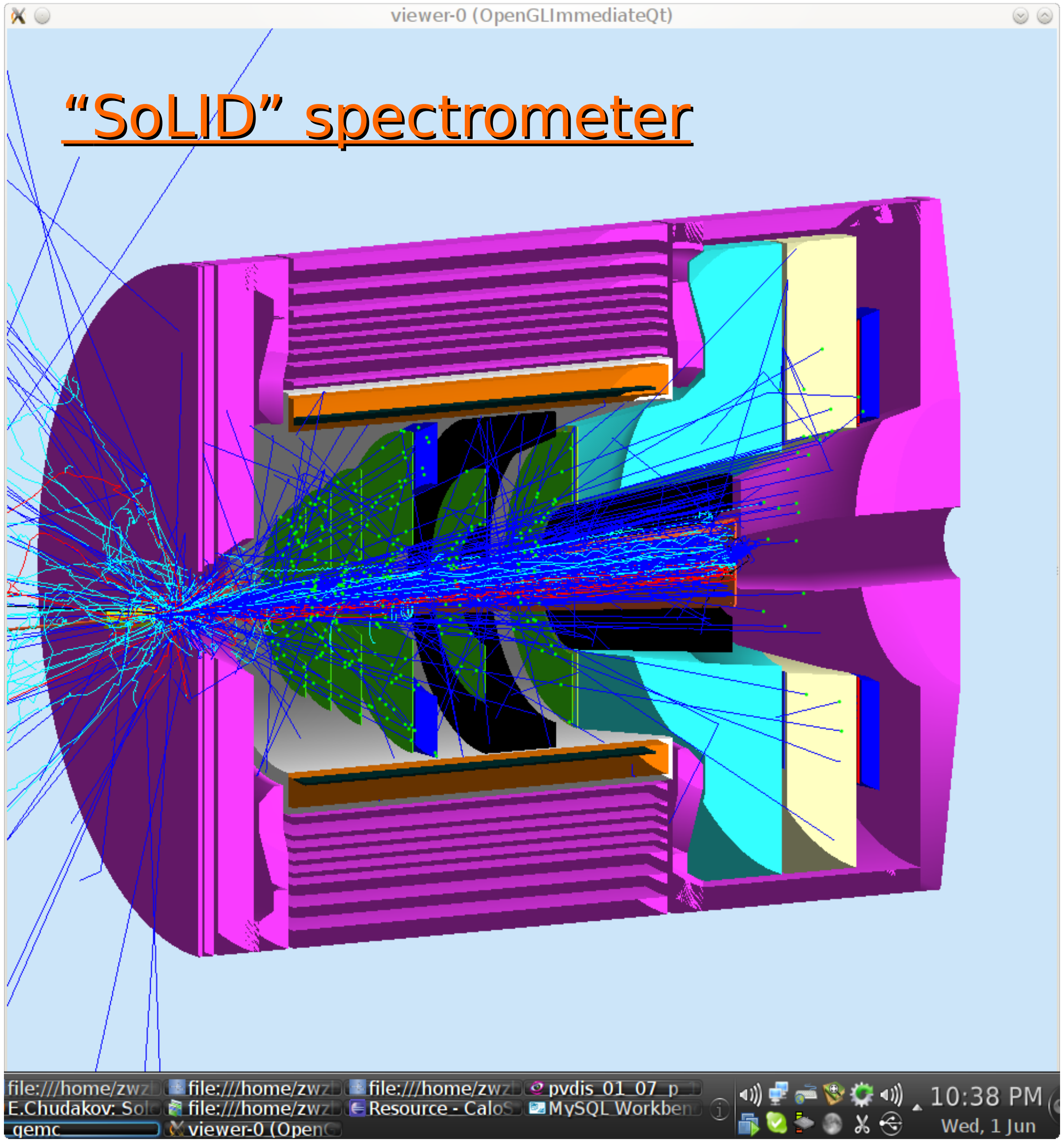
Resonance PV Asymmetry Results

A: Matsui, Sato, Lee, PRC72,025204(2005)
B: Gorchtein, Horowitz, Ramsey-Musolf, PRC84,015502(2011)
C: Hall, Blunden, Melnitchouk, Thomas, Young, PRD88, 013011 (2013)



Wang et al., PRL 111, 082501 (2013)

Coherent PVDIS Program with SoLID @ 11 GeV



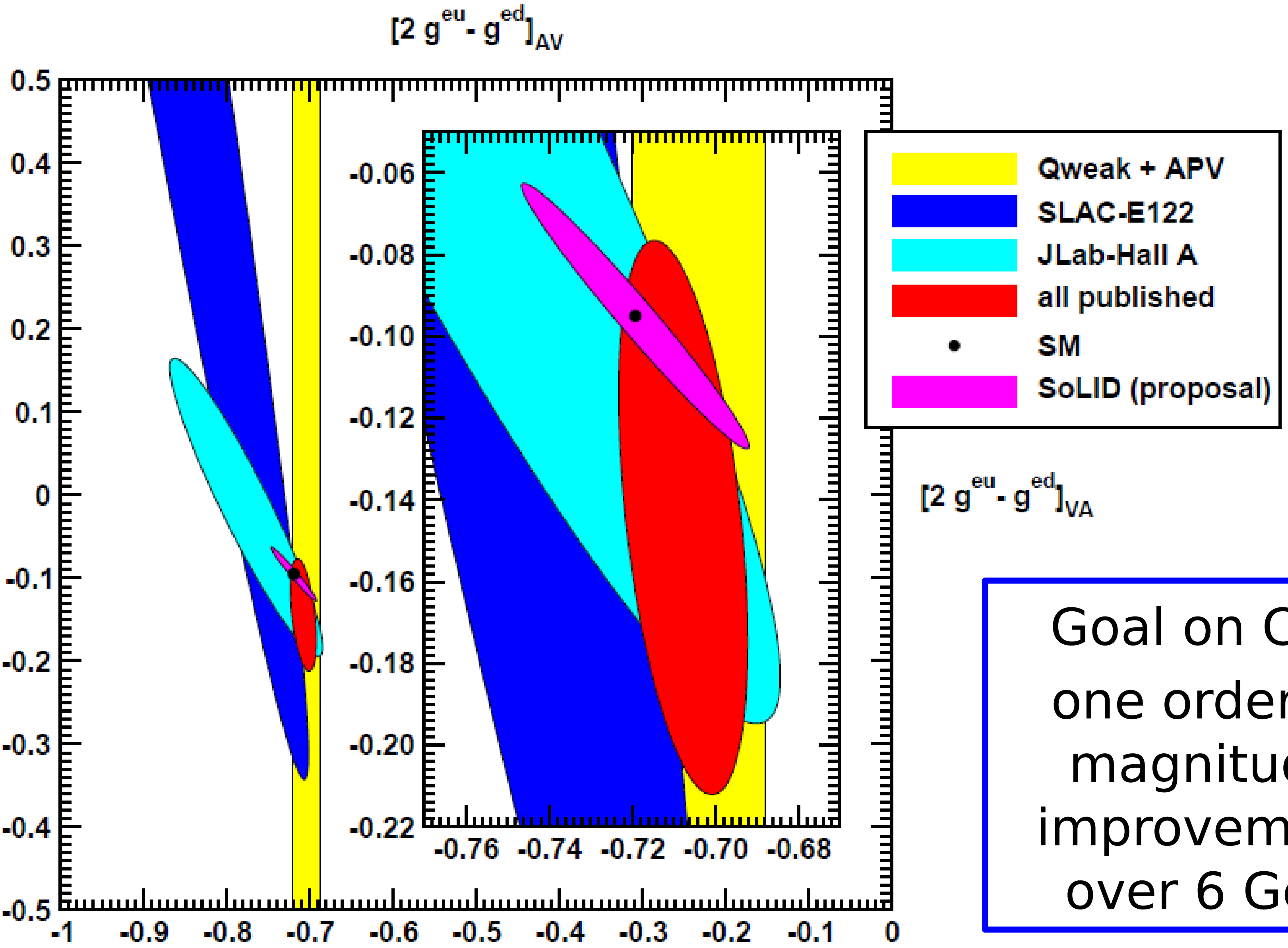
SoLID Physics topics:

- PVDIS deuteron (180 days) – C_2, $\sin^2\theta_W$, CSV, diquarks,
- PVDIS proton (90 days) – d/u
- PV with $^3\overrightarrow{\mathrm{He}}$ (LOI)
- SIDIS
- J/ψ
- Presentations:

K. Allada, WG6, April 30, 11:10

Z. Ye, WG6+WG7, April 30, 8:30

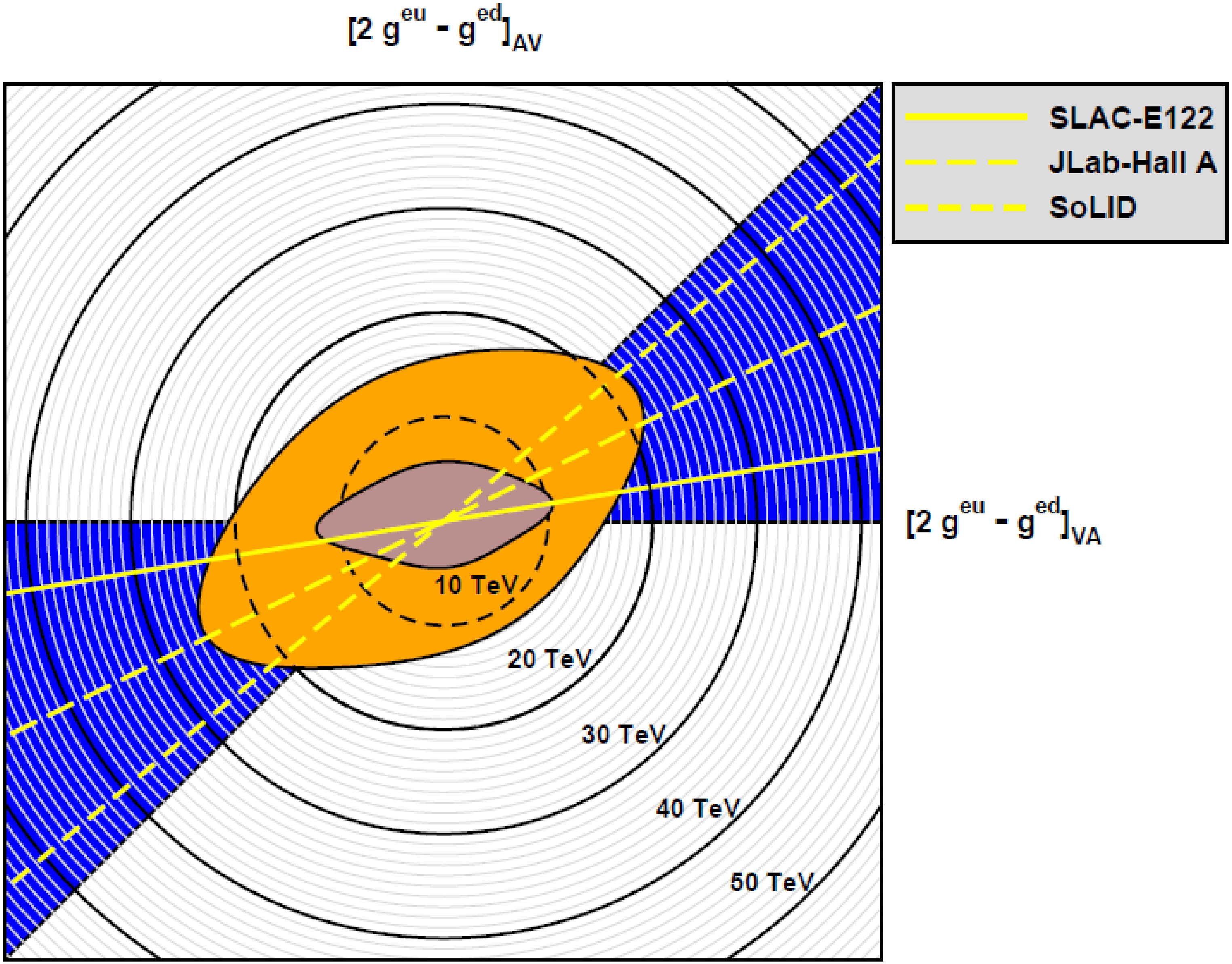
Coherent PVDIS Program with SoLID @ 11 GeV



Goal on C_{2q}: one order of magnitude improvement over 6 GeV

See Rakitha Beminiwattha's talk WG3+WG7 joint session at 9:45 (April 29th)

Coherent PVDIS Program with SoLID @ 11 GeV



Summary and Perspectives

The 6 GeV PVDIS from JLab:

- Improved world data on the *eq* VA effective coupling term $2C_{2u}$-C_{2d} by factor of five
- agrees with the SM
- showed $2C_{2u}$-C_{2d} is 2σ from zero – indicating a nonzero contribution to PVDIS asymmetry due to quark's chirality preference

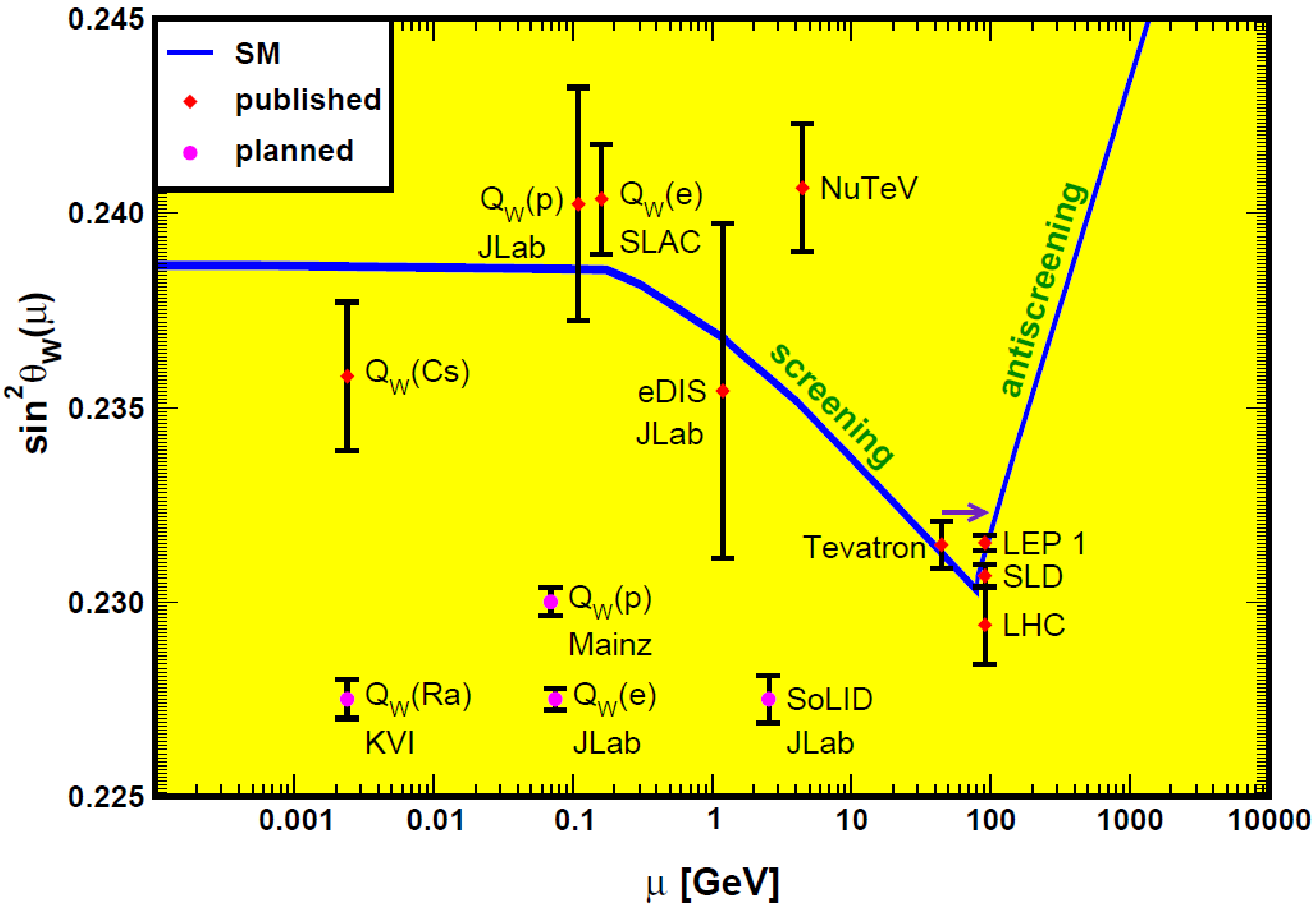
- BSM mass limits complimentary to collider experiments.

“New construction” experiments at JLab 12 GeV:

- PVDIS @ 11 GeV (SoLID) will improve C_{2q} by another order of magnitude.

Subedi et al, NIM-A 724, 90 (2013); Wang et al., PRL 111, 082501 (2013);
Wang et al., Nature 506, no. 7486, 67 (2014); Wang et al., PRC91 (2015) 4, 045506.

Running of Sin^{2} q$_{W}$



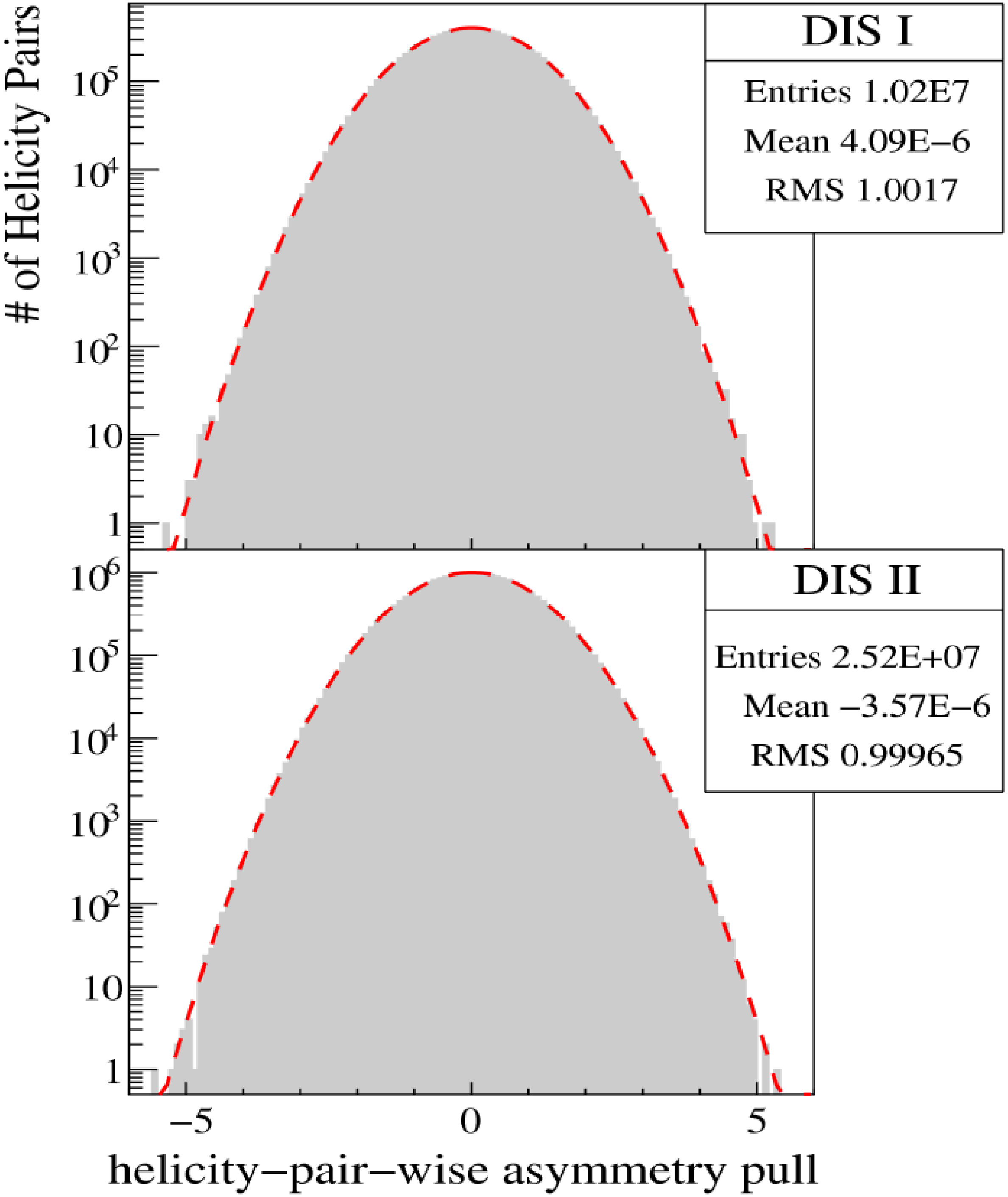
E08-011 Kinematics

Kine#	HRS	E_b (GeV)	θ_0(deg)	E'_0 (GeV)	R_e(kHz)	R_{π^-}/R_e
DIS#1	Left	6.067	12.9	3.66	≈210	≈0.5
DIS#2	Left & Right	6.067	20.0	2.63	≈18	≈3.3
RES I	Left	4.867	12.9	4.0	≈300	$<$ ≈0.25
RES II	Left	4.867	12.9	3.55	≈600	$<$ ≈0.25
RES III	Right	4.867	12.9	3.1	≈400	$<$ ≈0.4
RES IV	Left	6.067	15	3.66	≈80	$<$ ≈0.6
RES V	Left	6.067	14	3.66	≈130	$<$ ≈0.7

Data Quality

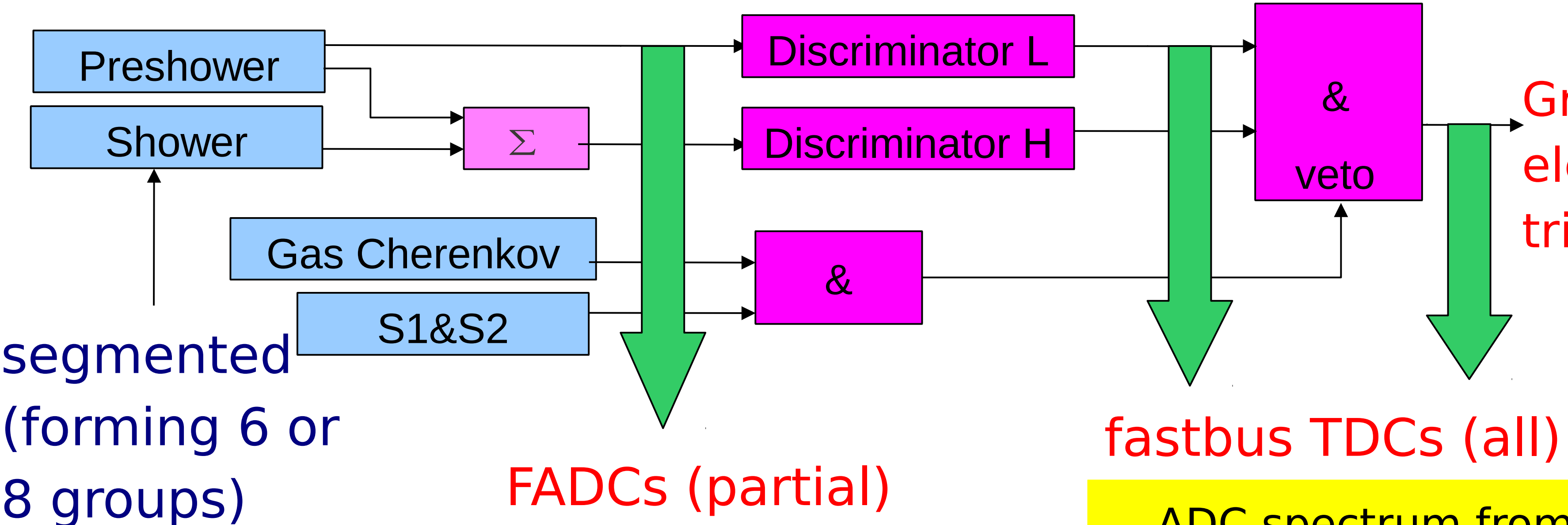
(pair-wise
asymmetry pull plots):

$$pull = \frac{A_i - \langle A \rangle}{\Delta A_i}$$



Scaler-Based Counting DAQ with online (hardware) PID

- DIS region, pions contaminate, can't use integrating DAQ.
- High event rate (~500KHz), exceeds Hall A regular DAQ's Limit (4kHz)



Preshower

Shower

Σ

Discriminator L

Discriminator H

& veto

Group electron trigger

Gas Cherenkov

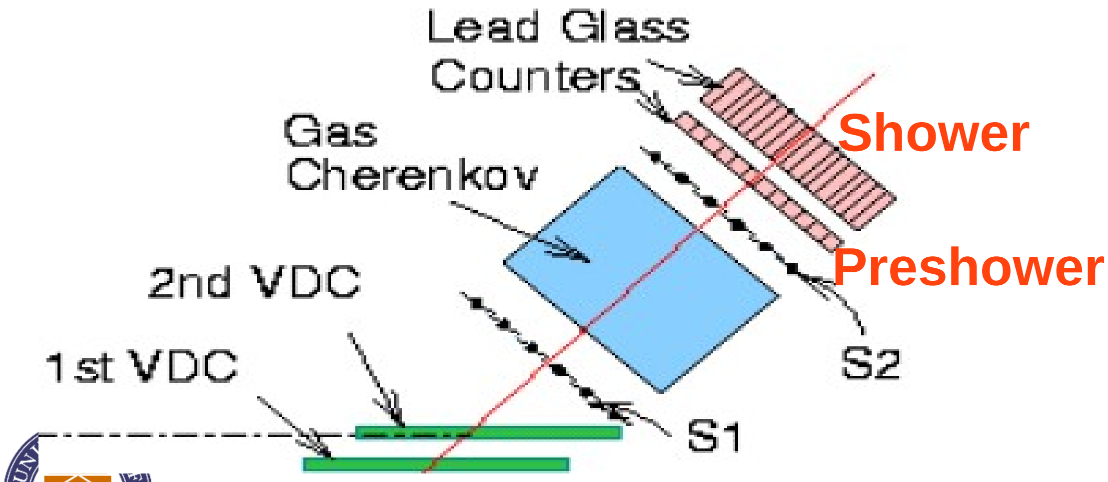
S1&S2

&

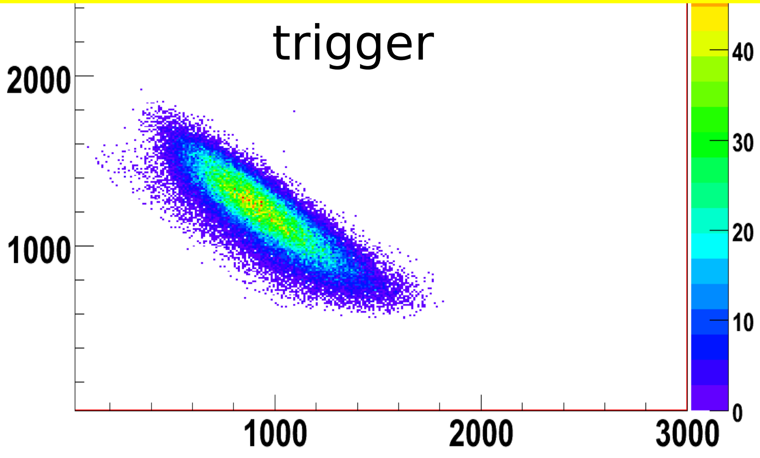
segmented (forming 6 or 8 groups)

FADCs (partial)

fastbus TDCs (all)



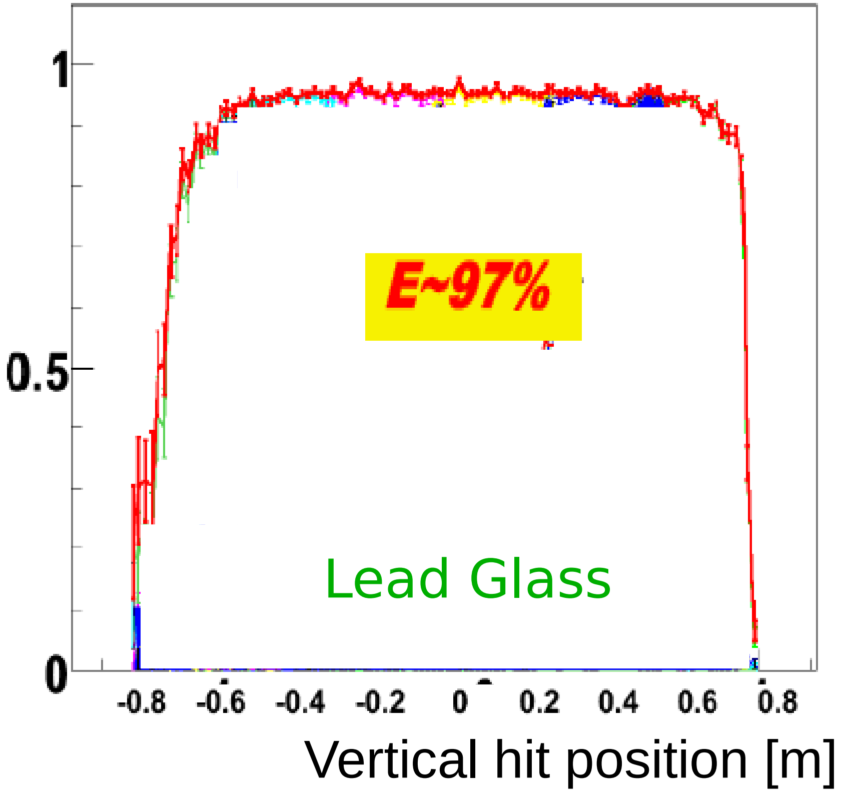
ADC spectrum from regular DAQ, with PVDIS electron trigger



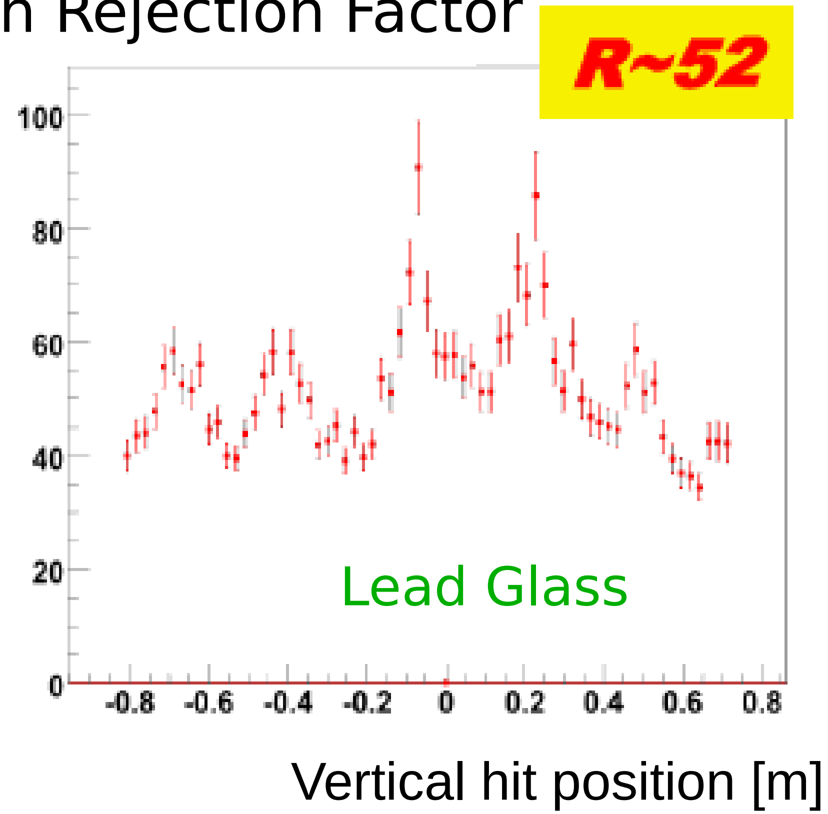
PID Performance – Single Run

(work of K. Pan)

Electron Detection Efficiency



Pion Rejection Factor



Affects measured asymmetry (Q^2) if it varies over the acceptance or if there are “holes”

Combined with Cherenkov, pion contamination < 2×10^{-4}

Detector efficiencies extracted from VDC-on runs, taken daily

From Measured to Physics Asymmetry

- correcting for background f_i with asymmetry A_i:

$$A^{phys} = \frac{\left(\frac{A^{raw}}{P_b} - \sum_i A_i f_i \right)}{1 - \sum_i f_i}$$

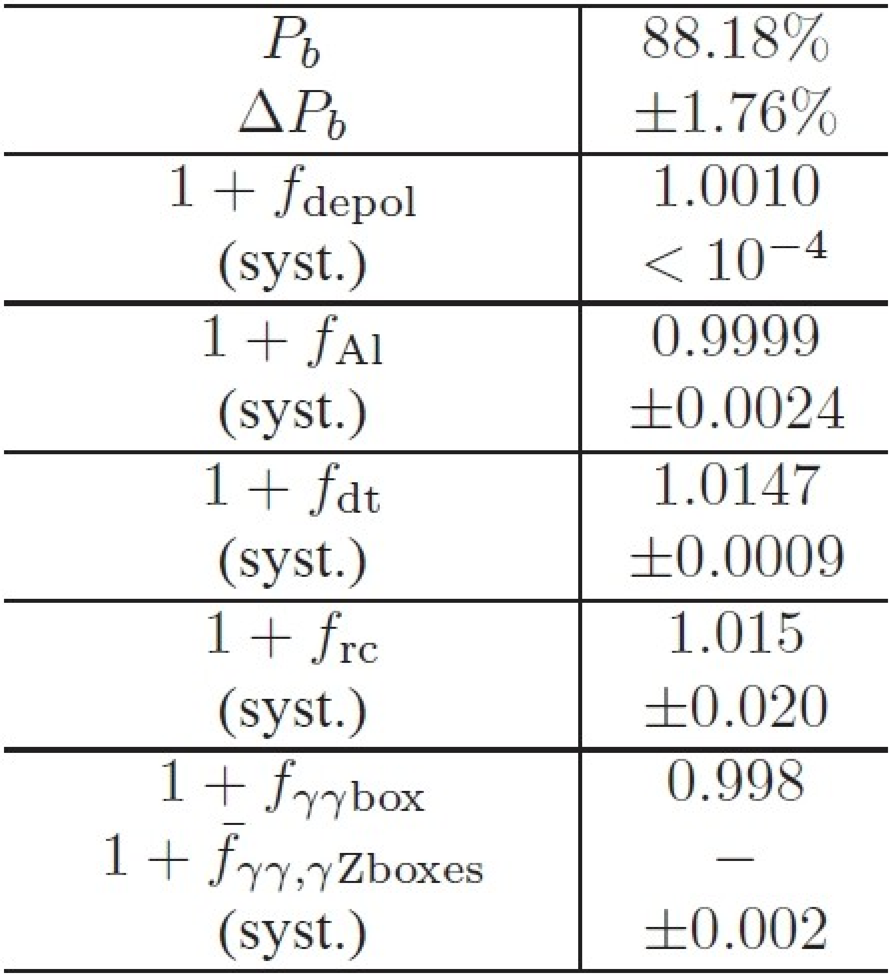
⇓

$$A^{phys} \approx \frac{A^{raw}}{P_b} \Pi_i \left(1 + \bar{f}_i\right)$$

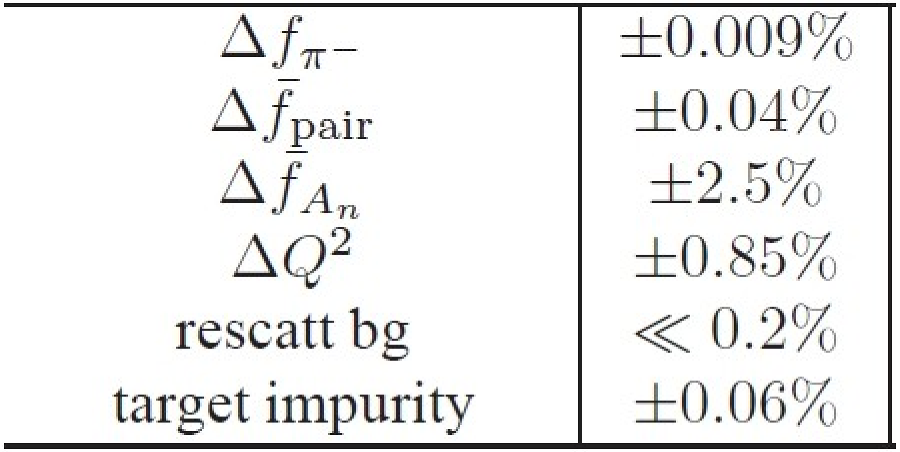
$$\bar{f}_i \equiv f_i \left(1 - \frac{A_i}{A^{raw}} P_b \right)$$

From Measured to Physics Asymmetry

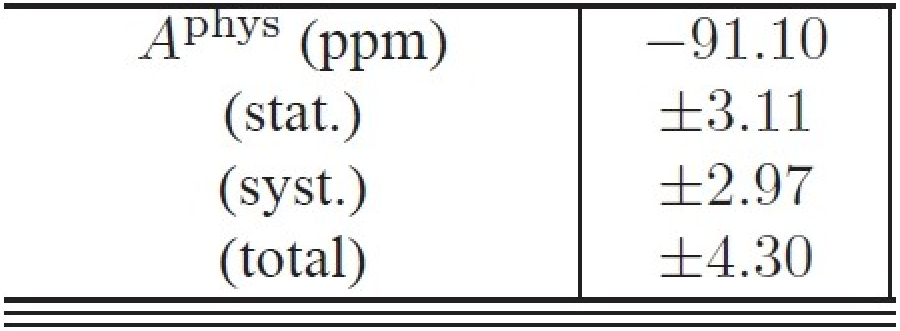
$$A^{raw}_{Q^2=1.085,\, x=0.241} = -78.45 \pm 2.68 \pm 0.07\ ppm$$



P_b	88.18%
ΔP_b	$\pm 1.76\%$
$1+f_{\mathrm{depol}}$	1.0010
(syst.)	$< 10^{-4}$
$1+f_{\mathrm{Al}}$	0.9999
(syst.)	± 0.0024
$1+f_{\mathrm{dt}}$	1.0147
(syst.)	± 0.0009
$1+f_{\mathrm{rc}}$	1.015
(syst.)	± 0.020
$1+f_{\gamma\gamma\mathrm{box}}$	0.998
$1+f_{\gamma\gamma,\gamma Z\mathrm{boxes}}$	–
(syst.)	± 0.002



Δf_{π^-}	$\pm 0.009\%$
Δf_{pair}	$\pm 0.04\%$
Δf_{A_n}	$\pm 2.5\%$
ΔQ^2	$\pm 0.85\%$
rescatt bg	$\ll 0.2\%$
target impurity	$\pm 0.06\%$

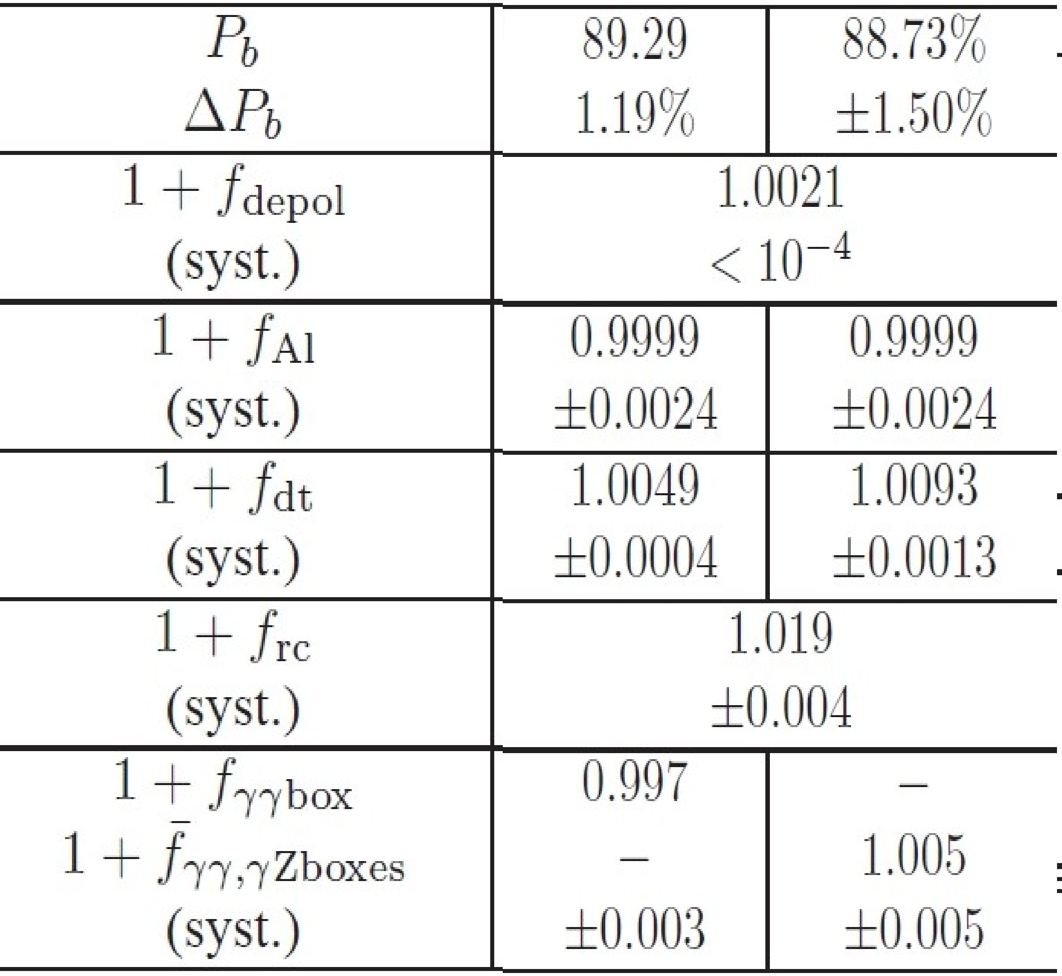


A^{phys} (ppm)	-91.10
(stat.)	± 3.11
(syst.)	± 2.97
(total)	± 4.30

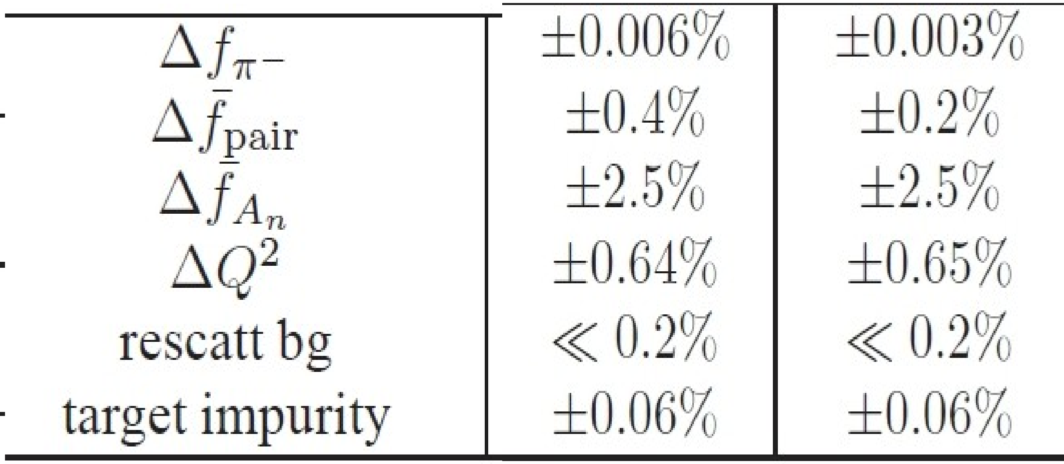
From Measured to Physics Asymmetry

$$A^{raw}_{Q^2=1.901,\,x=0.295} = -140.30 \pm 10.43 \pm 0.16\ ppm\,(LHRS)$$

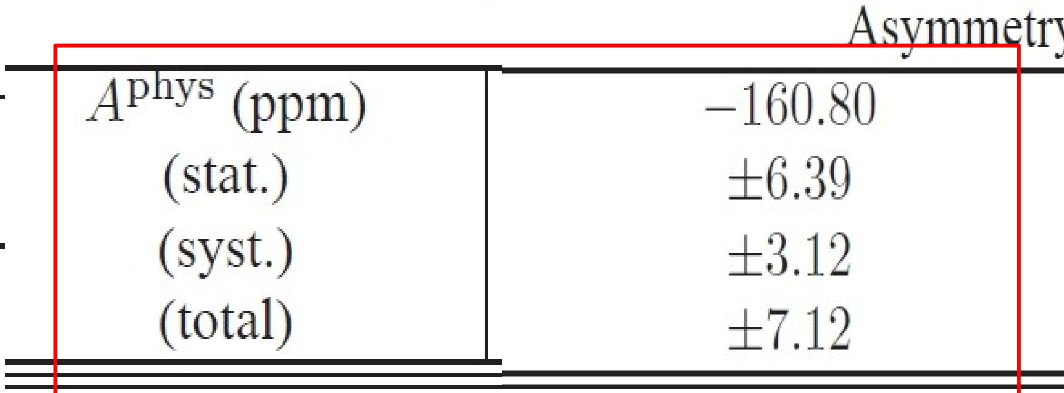
$$A^{raw}_{Q^2=1.901,\,x=0.295} = -139.84 \pm 6.58 \pm 0.46\ ppm\,(RHRS)$$



P_b ΔP_b	89.29 1.19%	88.73% ±1.50%
$1 + f_{\rm depol}$ (syst.)	1.0021 $< 10^{-4}$	
$1 + f_{\rm Al}$ (syst.)	0.9999 ±0.0024	0.9999 ±0.0024
$1 + f_{\rm dt}$ (syst.)	1.0049 ±0.0004	1.0093 ±0.0013
$1 + f_{\rm rc}$ (syst.)	1.019 ±0.004	
$1 + f_{\gamma\gamma{\rm box}}$ $1 + \bar{f}_{\gamma\gamma,\gamma Z{\rm boxes}}$ (syst.)	0.997 – ±0.003	– 1.005 ±0.005



Δf_{π^-} $\Delta \bar{f}_{\rm pair}$ $\Delta \bar{f}_{A_n}$ ΔQ^2 rescatt bg target impurity	±0.006% ±0.4% ±2.5% ±0.64% ≪ 0.2% ±0.06%	±0.003% ±0.2% ±2.5% ±0.65% ≪ 0.2% ±0.06%



	Asymmetry
$A^{\rm phys}$ (ppm) (stat.) (syst.) (total)	−160.80 ±6.39 ±3.12 ±7.12

SLAC E122 vs. JLab E08-011

	SLAC E122 (1978)	JLab E08-011 (2009)
Beam	37%, 16.2-22.2 GeV	90%, 6.0674 GeV, 100uA
Target	30-cm LD2, LH2	20-cm LD2
Spectrometer	4^o	12.9^o and 20^o
Q^2	1-1.9 GeV^2	1.1 and 1.9 GeV^2
Data collection	Integrating gas Cerenkov and lead glass detectors, independently	Counting DAQ using both GC and lead glass for PID at the hardware level
$\sin^2\theta_W=0.20\pm0.03$ results	(two highest energies only) $A/Q^2=(-9.5\pm1.6)x10^{-5}$ $(GeV/c)^{-2}$ $\pm0.86x10^{-5}$(stat)±5%(Pb) ±3.3%(beam)±2%(π contamination) ±3%(radiative corrections) $A/Q^2=(-9.7\pm2.7)x10^{-5}$ $(GeV/c)^{-2}$	±(3-4)%(stat) ±syst.

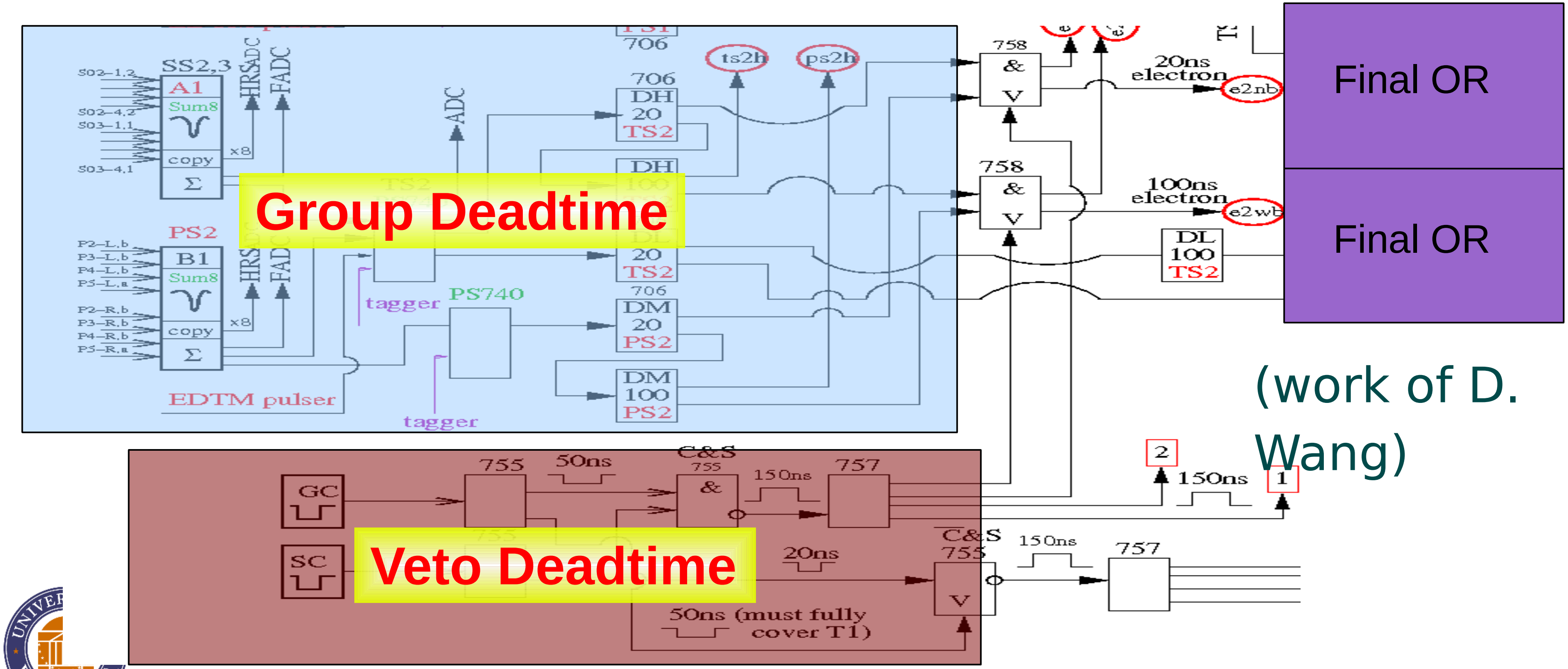
DAQ Deadtime Correction

Deadtime correction to asymmetry:

$A_{measured} = A_{phys}$ (1 – deadtime loss)

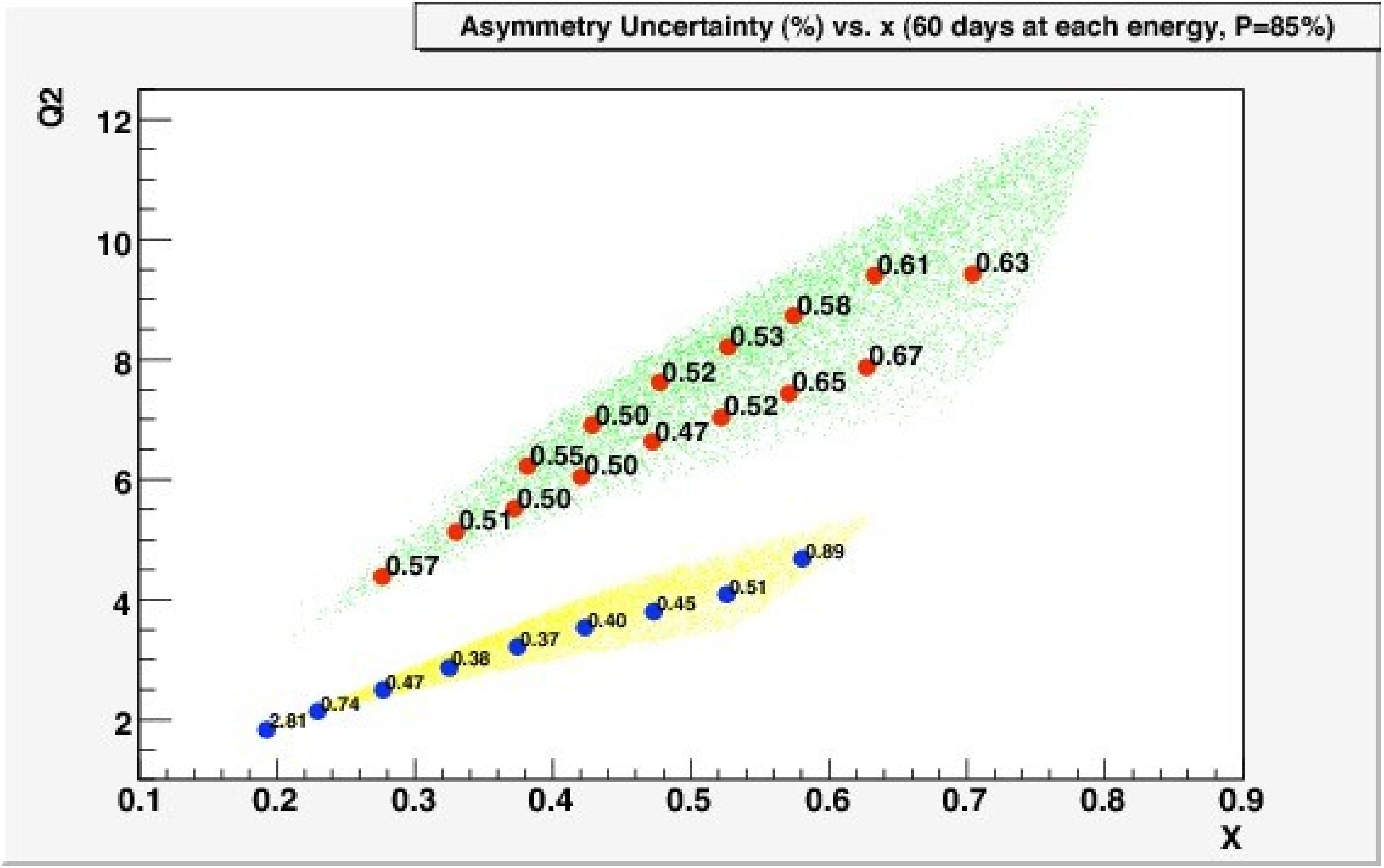
Deadtime Decomposition:

- Group Deadtime: proportional to group rate; narrow/wide.
- Veto Deadtime: T1/GC rate; the same for all groups.
- Final OR.
- Overall Deadtime: Veto DT + Group DT + Final OR DT



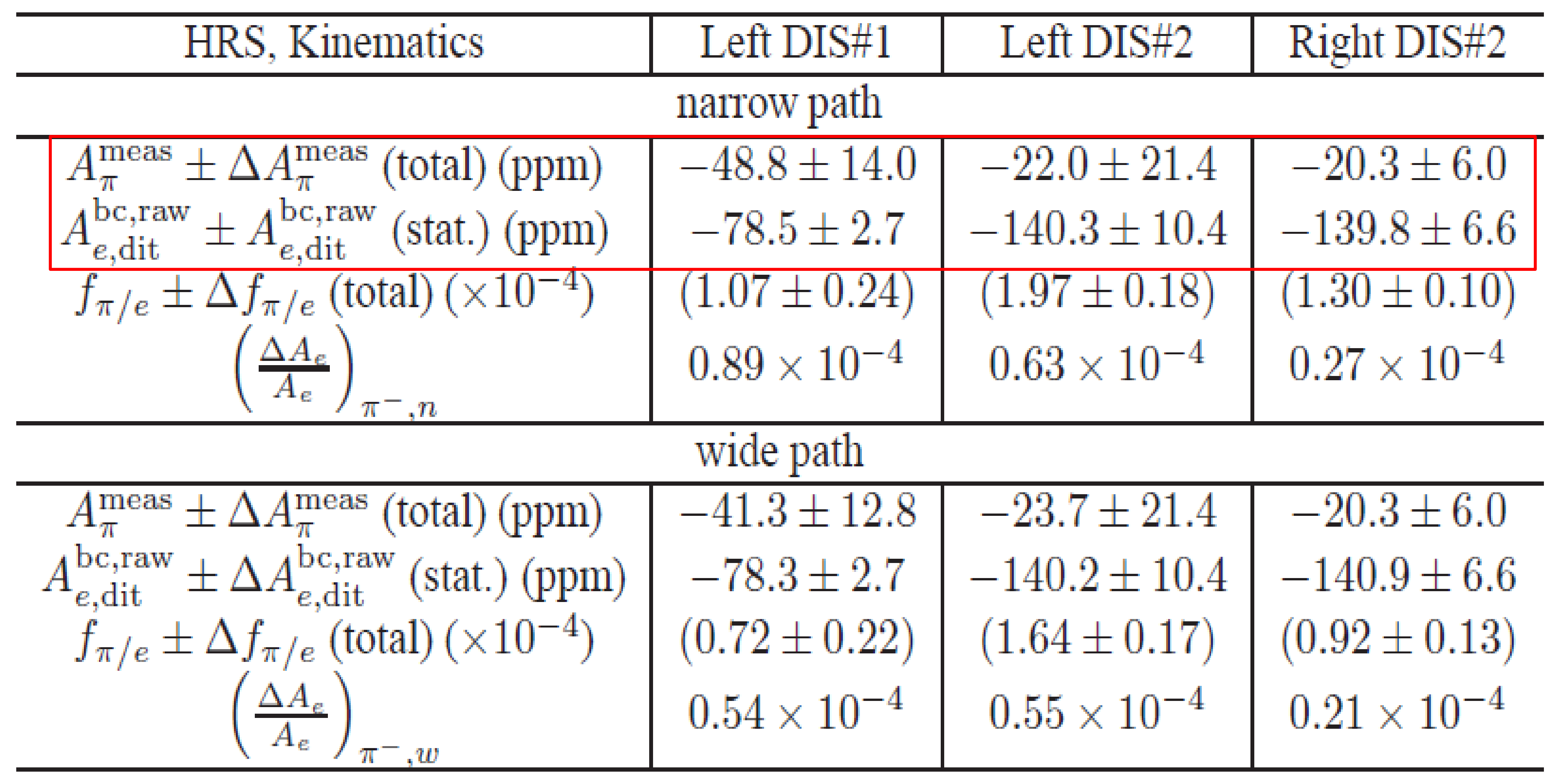
(work of D. Wang)

Coherent PVDIS Program with SoLID @ 11 GeV



Goal on C_{2q}: one order of magnitude improvement over 6 GeV

Pion Asymmetries



HRS, Kinematics	Left DIS#1	Left DIS#2	Right DIS#2
narrow path			
$A_\pi^{\mathrm{meas}} \pm \Delta A_\pi^{\mathrm{meas}}$ (total) (ppm)	-48.8 ± 14.0	-22.0 ± 21.4	-20.3 ± 6.0
$A_{e,\mathrm{dit}}^{\mathrm{bc,raw}} \pm A_{e,\mathrm{dit}}^{\mathrm{bc,raw}}$ (stat.) (ppm)	-78.5 ± 2.7	-140.3 ± 10.4	-139.8 ± 6.6
$f_{\pi/e} \pm \Delta f_{\pi/e}$ (total) ($\times 10^{-4}$)	(1.07 ± 0.24)	(1.97 ± 0.18)	(1.30 ± 0.10)
$\left(\frac{\Delta A_e}{A_e}\right)_{\pi^-,n}$	0.89×10^{-4}	0.63×10^{-4}	0.27×10^{-4}
wide path			
$A_\pi^{\mathrm{meas}} \pm \Delta A_\pi^{\mathrm{meas}}$ (total) (ppm)	-41.3 ± 12.8	-23.7 ± 21.4	-20.3 ± 6.0
$A_{e,\mathrm{dit}}^{\mathrm{bc,raw}} \pm \Delta A_{e,\mathrm{dit}}^{\mathrm{bc,raw}}$ (stat.) (ppm)	-78.3 ± 2.7	-140.2 ± 10.4	-140.9 ± 6.6
$f_{\pi/e} \pm \Delta f_{\pi/e}$ (total) ($\times 10^{-4}$)	(0.72 ± 0.22)	(1.64 ± 0.17)	(0.92 ± 0.13)
$\left(\frac{\Delta A_e}{A_e}\right)_{\pi^-,w}$	0.54×10^{-4}	0.55×10^{-4}	0.21×10^{-4}

Pair Production Background

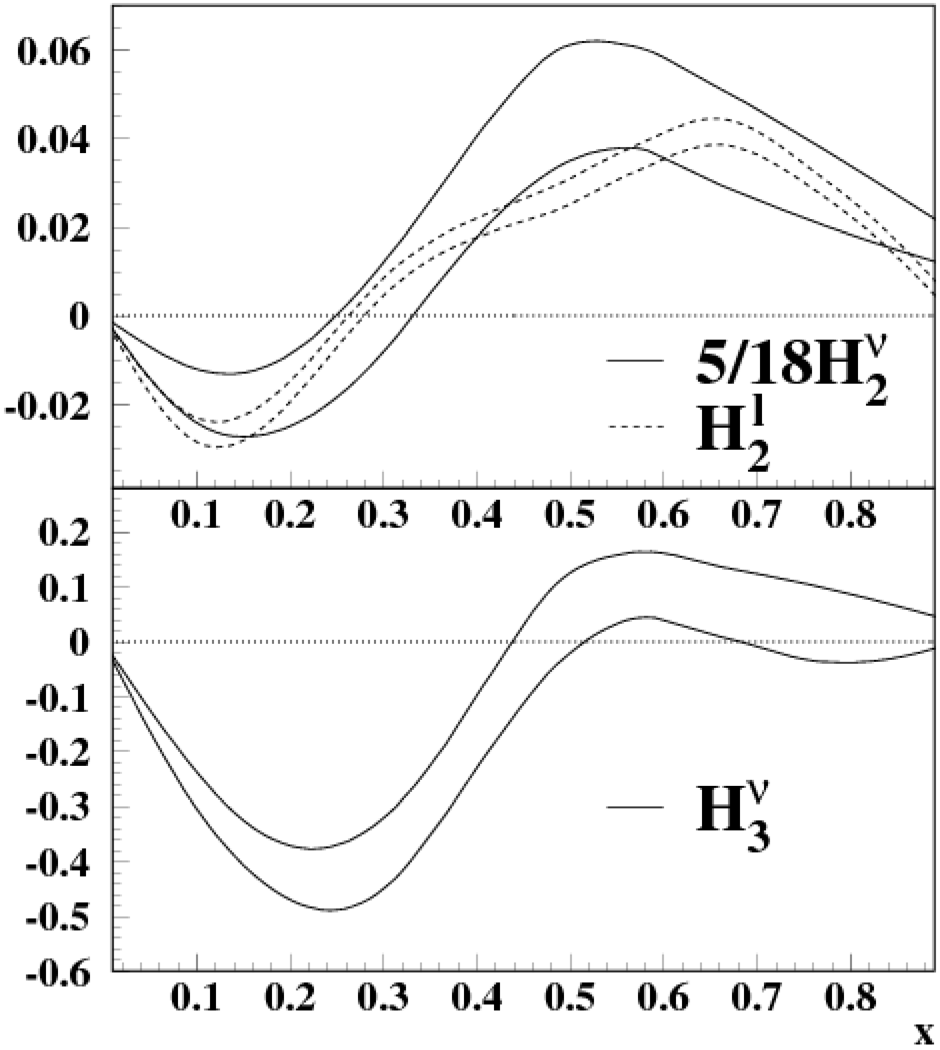
- Took reversed-polarity runs, mostly to determine e+/e- ratio. Positron asymmetry from those runs have very large error;
- Assumed positron asymmetry to be similar to π- asymmetry;
- Effect on the measurement is about 10 times larger than π- background.

Estimation of HT on the a_3 term

We could use HT results on $F_3^{\gamma Z}$ from neutrino data in 0710.0124 (hep-ph) to correct the a_3 term:

$$F_{2,T,3}(x,Q^2)=F^{\tau=2}_{2,T,3}(x,Q^2)+\frac{H^{\tau=4}_{2,T,3}(x)}{Q^2}+\frac{H^{\tau=6}_{2,T,3}(x)}{Q^4}+\ldots\ldots$$

isoscalar target



for F_2^ν and F_2^1

for xF_3^ν

(not F_3^ν)

for any target

$$F_3^\nu=2[d+s-\bar{u}-c]$$

for deuteron

$$F_3^\nu=2[u_V+d_V+2s-2\bar{c}]$$

Formalism for Parity Violation in DIS

$$\boxed{A_{PV} = \frac{G_F Q^2}{\sqrt{2}\pi\alpha}\left[a(x) + Y(y)\, b(x)\right]}$$

$$x \equiv x_{Bjorken} \qquad y \equiv 1 - E'/E$$

$$q_i^+(x) \equiv q_i(x) + \bar{q}_i(x)$$

$$q_i^-(x) = q_i^V(x) \equiv q_i(x) - \bar{q}_i(x)$$

$$a(x) = \frac{1}{2} g_A^e \frac{F_1^{\gamma Z}}{F_1^{\gamma}} = \frac{1}{2}\frac{\sum_i C_{1i} Q_i q_i^+(x)}{\sum_i Q_i^2 q_i^+(x)}$$

$$b(x) = g_V^e \frac{F_3^{\gamma Z}}{F_1^{\gamma}} = \frac{1}{2}\frac{\sum_i C_{2i} Q_i q_i^-(x)}{\sum_i Q_i^2 q_i^+(x)}$$

For an isoscalar target (²H), structure functions largely simplifies:

$$a(x) = \frac{3}{10}\left(2C_{1u} - C_{1d}\right)\left(1 + \cancelto{0}{\frac{0.6\, s^+}{u^+ + d^+}}\right)$$

$$b(x) = \frac{3}{10}\left(2C_{2u} - C_{2d}\right)\left(\cancelto{1}{\frac{u_V + d_V}{u^+ + d^+}}\right)$$

If neglecting sea quarks, asymmetry is no longer sensitive to PDFs → “static limit”