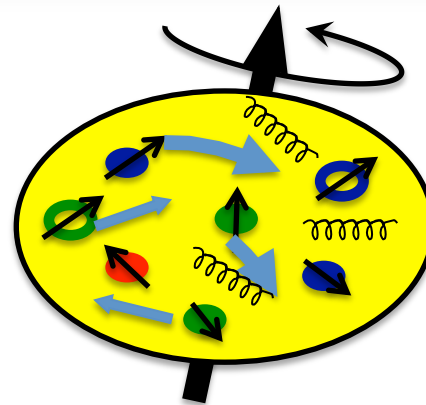
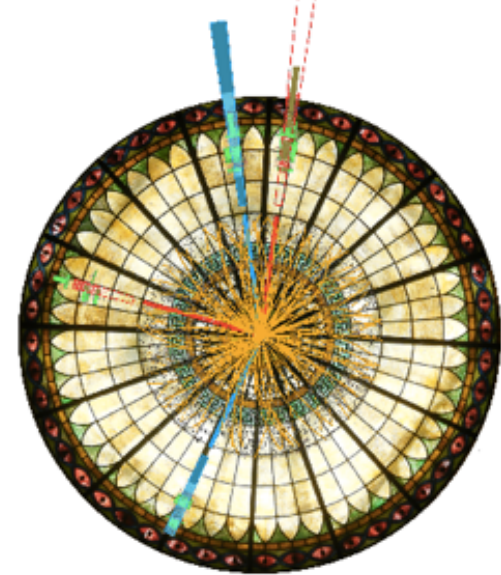


# Spin Physics Highlights: WG6

DIS 2015

XXIII International Workshop on  
Deep-Inelastic Scattering and  
Related Subjects

Dallas, Texas  
April 27 – May 1, 2015



Francesca Giordano, Ted Rogers, Patricia Solvignon

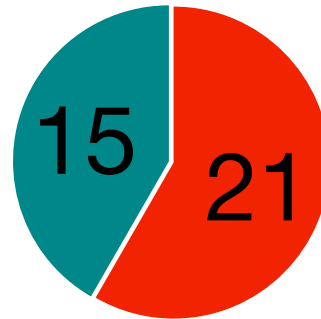
# DIS 2015: spin session

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## Proton Helicity

Hari Guragain  
Xuan Li  
Devika S Gunarathne  
Mike Beaumier  
Nilanga Liyanage

● Experiment  
● Theory



## Future Experiments

Zhihong Ye  
Markus Diefenthaler  
Elke C Aschenauer

## GPDs

Philipp K Gorg  
Carlos M Camacho  
Maxime Defurne  
Pawel Sznajder

Simonetta Liuti  
Carlos Granados

## TMDs

Isabella Garzia  
Anselm Vossen  
Erin Seder  
Giulio Sbrizzai  
Salvatore Fazio  
Kalyan Allada  
Kenneth Barish  
James L Drachenberg

John Collins  
Wenjuan Mao  
Lingyun Dai  
Osvaldo Gonzales  
Cristian Pisano  
Matthias Burkardt

## And more...

Peter Lowdon (Boundary terms)  
Aurore Courtoy (DiHadrons)  
Nobuo Sato (proton/nuclear pdf)  
Tomas Kasemets (double parton scattering)

## Twist 3

Yuji Koike  
Daniel Pytoniak  
(Andreas Metz)



# Spin Physics and Transverse Structure

## TMD structures for quark and gluon PDFs

QUARKS	$\not{p}$	$\not{p}\gamma_5$	$\not{p}\gamma^\alpha\gamma_5$
U	$f_1$		$h_1^\perp$
L		$g_{1L}$	$h_{1L}^\perp$
T	$f_{1T}^\perp$	$g_{1T}$	$h_{1T}, h_{1T}^\perp$

GLUONS	$-g_T^{\alpha\beta}$	$\varepsilon_T^{\alpha\beta}$	$p_T^{\alpha\beta}$
U	$f_1^g$		$h_1^{\perp g}$
L		$g_{1L}^g$	$h_{1L}^{\perp g}$
T	$f_{1T}^{\perp g}$	$g_{1T}^g$	$h_{1T}^g, h_{1T}^{\perp g}$

Piet Mulders

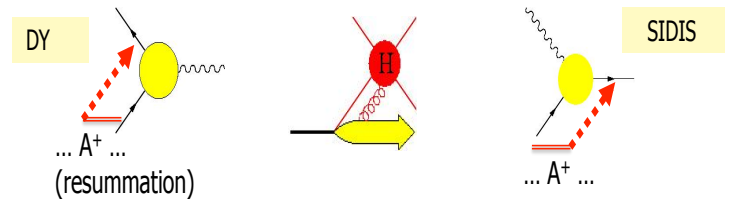
## Plenary Session

Non-universality because of process dependent gauge links

$$\Phi_{ij}^{q[C]}(x, p_T; n) = \int \frac{d(\xi.P)d^2\xi_T}{(2\pi)^3} e^{ip.\xi} \langle P | \bar{\psi}_j(0) U_{[0,\xi]}^{[C]} \psi_i(\xi) | P \rangle_{\xi,n=0} \quad \text{TMD}$$

path dependent gauge link

- ◆ Gauge links associated with dimension zero (not suppressed!) collinear  $A^0 = A^+$  gluons, leading for TMD correlators to **process-dependence**:



# TMD factorization, Non-Perturbative Evolution

*John Collins*

$$\begin{aligned}\frac{d \ln \tilde{f}_{f/H}(x, b_T; Q^2; Q)}{d \ln Q} &= \gamma(\alpha_s(Q)) - \int_{\mu_b}^Q \frac{d\mu}{\mu} \gamma_K(\alpha_s(\mu)) + \tilde{K}(b_T; \mu_b) \\ &= \gamma(\alpha_s(Q)) - \int_{\mu_{b_*}}^Q \frac{d\mu}{\mu} \gamma_K(\alpha_s(\mu)) + \tilde{K}(b_*; \mu_{b_*}) - g_K(b_T; b_{\max})\end{aligned}$$

$$\begin{aligned}g_K(b_T; b_{\max}) &= g_0(b_{\max}) \left( 1 - \exp \left[ -\frac{C_F \alpha_s(\mu_{b_*}) b_T^2}{\pi g_0(b_{\max}) b_{\max}^2} \right] \right) \\ g_0(b_{\max}) &= g_0(b_{\max,0}) + \frac{2C_F}{\pi} \int_{C_1/b_{\max,0}}^{C_1/b_{\max}} \frac{d\mu'}{\mu'} \alpha_s(\mu')\end{aligned}$$

# TMD factorization, Non-Perturbative Evolution

John Collins

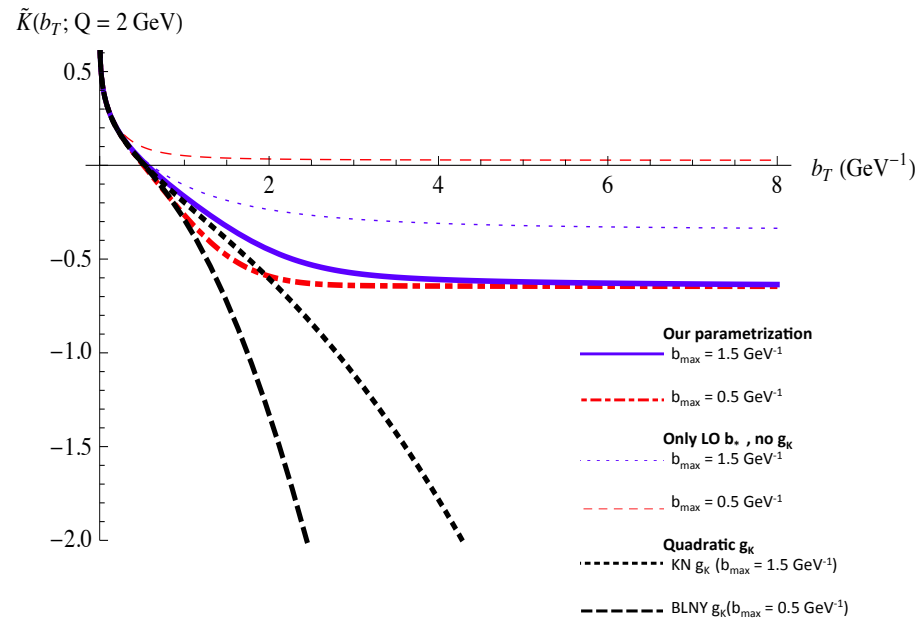
$$\frac{d \ln \tilde{f}_{f/H}(x, b_T; Q^2; Q)}{d \ln Q} = \gamma(c)$$

$$= \gamma(c)$$

$$g_K(b_T; b_{\max}) = g_0(b_{\max}) \left( 1 - \exp \left[ -\frac{g_K(b_T; b_{\max})}{g_0(b_{\max})} \right] \right)$$

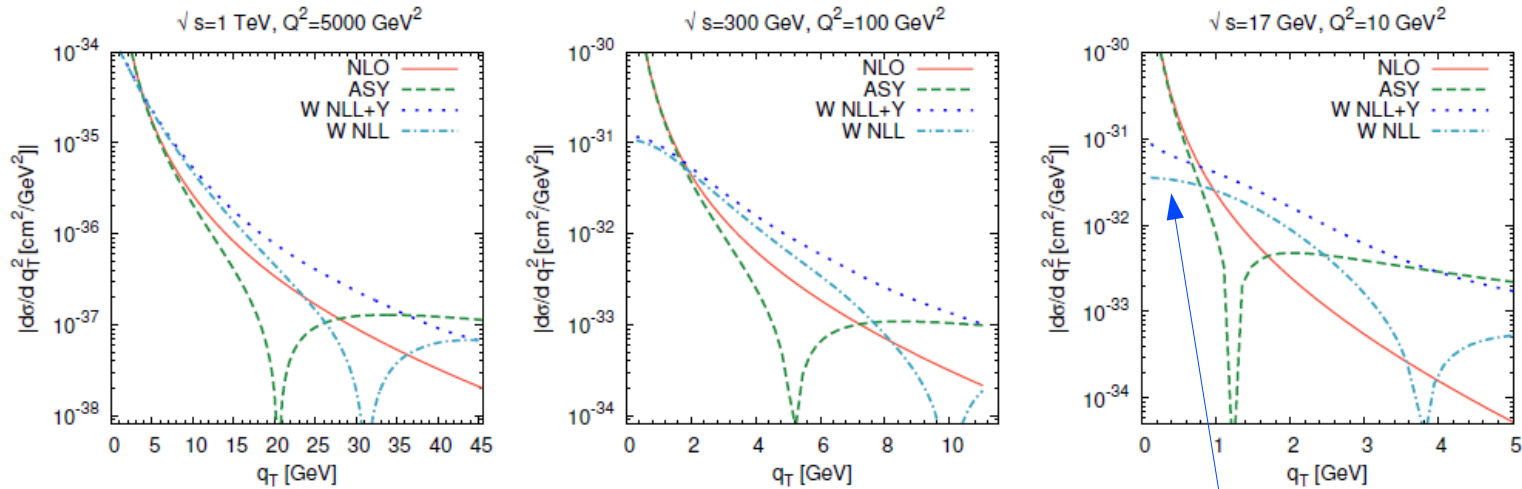
$$g_0(b_{\max}) = g_0(b_{\max,0}) + \frac{2C_F}{\pi} \ln \left( \frac{b_{\max}}{b_{\max,0}} \right)$$

Results with new parameterization for  $\tilde{K}$



J Osvaldo González Hernández

# Large and small $q_T$ Matching



$$\frac{d\sigma^{\text{NLO}}}{dx dy dz dq_T^2} = \frac{d\sigma^{\text{ASY}}}{dx dy dz dq_T^2} + Y$$

sizable contribution from Y term

**M. Boglione, J Osvaldo González Hernández,  
S. Melis, A. Prokudin, JHEP 1502 (2015) 095**

- Message: Large-small  $q_T$  matching is important and delicate

# Overview of Twist-3 Factorization

by Yuji Koike

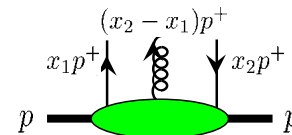
- Twist-3 approaches has been extensively developed for both pole and non-pole contributions.

★ Quark-gluon correlation functions in the  $\perp$  polarized nucleon.

"F-type"

$$\int \frac{d\lambda}{2\pi} \int \frac{d\mu}{2\pi} e^{i\lambda x_1} e^{i\mu(x_2-x_1)} \langle PS | \bar{\psi}_j(0) g F^{\alpha\beta}(\mu n) n_\beta \psi_i(\lambda n) | PS \rangle$$

$$= \frac{M_N}{4} (\not{n})_{ij} \epsilon^{\alpha p n S_\perp} G_F(x_1, x_2) + i \frac{M_N}{4} (\gamma_5 \not{n})_{ij} S_\perp^\alpha \tilde{G}_F(x_1, x_2) + \dots$$



"D-type"

$$\int \frac{d\lambda}{2\pi} \int \frac{d\mu}{2\pi} e^{i\lambda x_1} e^{i\mu(x_2-x_1)} \langle PS | \bar{\psi}_j(0) D_\perp^\alpha(\mu n) \psi_i(\lambda n) | PS \rangle$$

$$= \frac{M_N}{4} (\not{n})_{ij} \epsilon^{\alpha p n S_\perp} G_D(x_1, x_2) + i \frac{M_N}{4} (\gamma_5 \not{n})_{ij} S_\perp^\alpha \tilde{G}_D(x_1, x_2) + \dots$$

$M_N$ : Nucleon mass.

$$p^2 = n^2 = 0, \quad p \cdot n = 1$$

# Overview of Twist-3 Factorization

by Yuji Koike

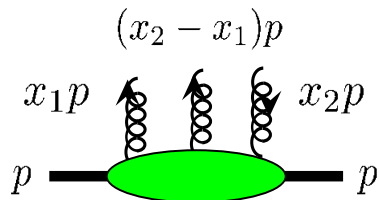
- Twist-3 approaches has been extensively developed for both pole and non-pole contributions.

★ Quark-gluon correlation functions in the  $\perp$  polarized nucleon.

"F-type"

$$\int dx_1 dx_2 \int d\lambda \int d\lambda' \dots \int d\lambda \dots (x_2 - x_1)p^+$$

★ Twist-3 "three-gluon" correlation functions



Beppu-Koike-Tanaka-Yoshida (PRD 82('10)054005)

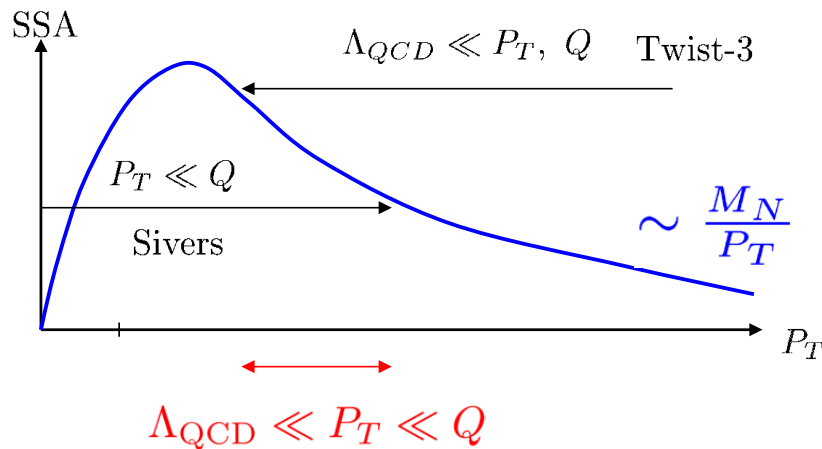
See also, Belitsky-Ji-Lu-Osborne, PRD63,094012(2001)

Braun-Manashov-Pirnay, PRD80,114002(2009).

# Overview of Twist-3 Factorization

by Yuji Koike

★ Relation between TMD and Twist-3 at intermediate  $P_T$  ( $\Lambda_{\text{QCD}} \ll P_T \ll Q$ )



Twist- $\tau =$   
Suppressed by  $\left(\frac{\Lambda_{\text{QCD}}}{Q}\right)^{\tau-2}$

Equivalent for Sivers asymmetry  $F^{\sin(\phi_h - \phi_S)}$  and for DY, consistently with  $f_{1T}^\perp|_{\text{DIS}} = -f_{1T}^\perp|_{\text{DY}}$ .

- Ji-Qiu-Vogelsang-Yuan (PRL 97('06)082002, PLB638('06)178).
- Koike-Vogelsang-Yuan (PLB'07) ( $\leftarrow \tilde{G}_F$ -contribution)

• 3-gluon contribution to  $F^{\sin(\phi_h - \phi_S)}$  is also shown to be consistent between the two frameworks. (Dai,Kang,Prokdin,Vitev,arXiv:1409.5851[hep-ph])

• Similar equivalence also shown for Collins asymmetry  $F^{\sin(\phi_h + \phi_S)}$ .





# NLO weighted Sivers asymmetry in SIDIS: three-gluon correlator

## Three gluon contribution to:

- evolution of Qiu-Sterman function

$$\frac{\partial}{\partial \ln \mu_f^2} T_{q,F}(x_B, x_B, \mu_f^2) = \frac{\alpha_s}{2\pi} \int_{x_B}^1 \frac{dx}{x^2} P_{q \leftarrow g}(\hat{x}) \left( \frac{1}{2} \right) [O(x, x, \mu_f^2) + O(x, 0, \mu_f^2) + N(x, x, \mu_f^2) - N(x, 0, \mu_f^2)]$$

- coefficient function

$$C_{q \leftarrow g, 1}(\hat{x}) = \frac{\alpha_s}{4\pi} \left[ P_{q \leftarrow g}(\hat{x}) \ln \left( \frac{c^2}{b^2 \mu^2} \right) + \hat{x}(1 - \hat{x}) \right],$$

$$C_{q \leftarrow g, 2}(\hat{x}) = \frac{\alpha_s}{4\pi} \left[ P_{q \leftarrow g}(\hat{x}) \ln \left( \frac{c^2}{b^2 \mu^2} \right) - \frac{1}{2} (1 - 6\hat{x} + 6\hat{x}^2) \right].$$

- TMD and collinear twist-3 formalisms are consistent in  $\Lambda_{\text{QCD}} \ll p_{h\perp} \ll Q$  region



# NLO weighted Sivers asymmetry in SIDIS: three-gluon correlator

- three-gluon correlation functions contribution:

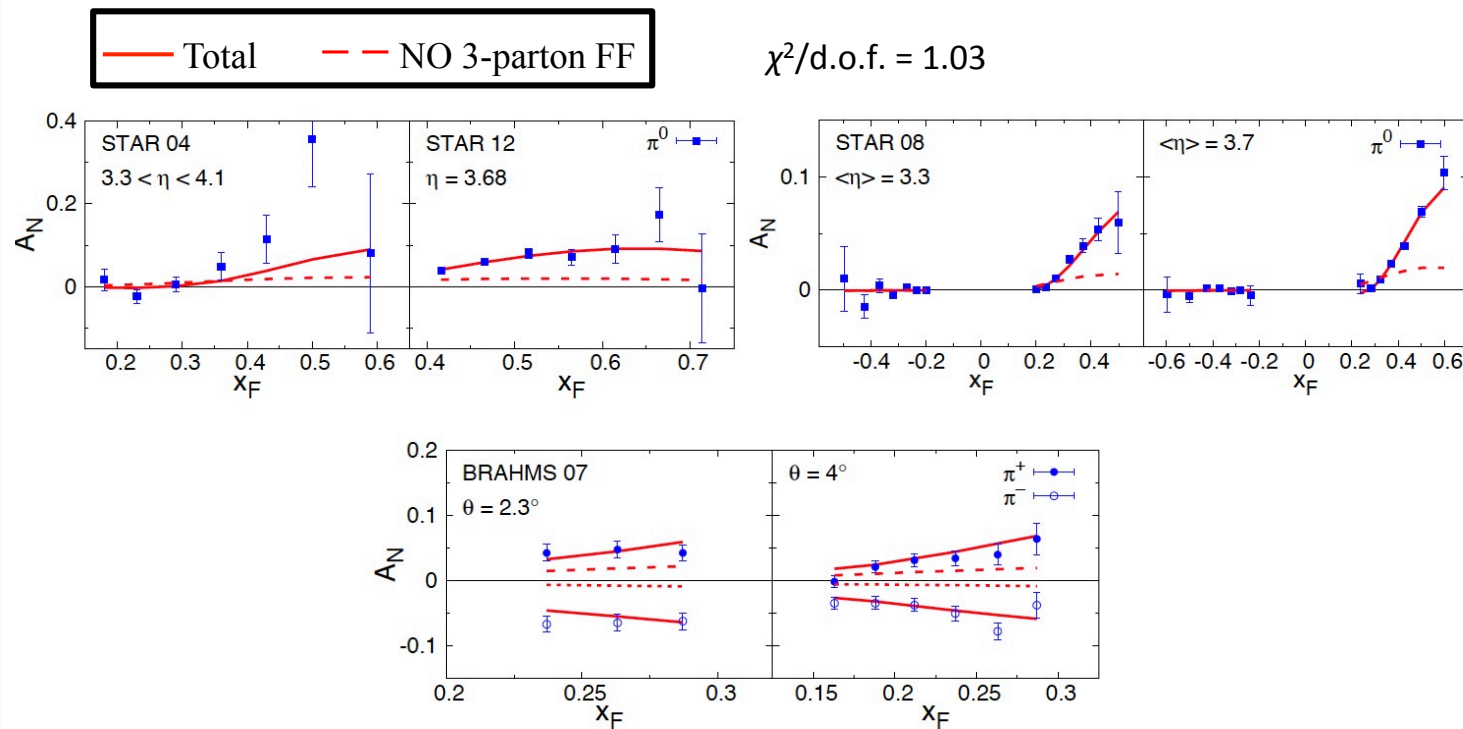
$$\begin{aligned}
 \frac{d\langle p_{h\perp} \Delta\sigma \rangle}{dx_B dy dz_h} &= -\frac{z_h \sigma_0 \alpha_s}{2} \sum_q \frac{\alpha_s}{2\pi} e_q^2 \int_{x_B}^1 \frac{dx}{x^2} \int_{z_h}^1 \frac{dz}{z} D_{h/q}(z) \left\{ \delta(1-\hat{z}) \ln\left(\frac{Q^2}{\mu_f^2}\right) P_{q\leftarrow g}(\hat{x}) \right. \\
 &\times \left(\frac{1}{2}\right) [O(x, x, \mu_f^2) + O(x, 0, \mu_f^2) + N(x, x, \mu_f^2) - N(x, 0, \mu_f^2)] \\
 &+ \left(\frac{1}{4}\right) \left[ \left( \frac{dO(x, x, \mu_f^2)}{dx} - \frac{2O(x, x, \mu_f^2)}{x} \right) \hat{H}_1 + \left( \frac{dO(x, 0, \mu_f^2)}{dx} - \frac{2O(x, 0, \mu_f^2)}{x} \right) \hat{H}_2 \right. \\
 &+ \left. \frac{O(x, x, \mu_f^2)}{x} \hat{H}_3 + \frac{O(x, 0, \mu_f^2)}{x} \hat{H}_4 \right] + \left(\frac{1}{4}\right) \left[ \left( \frac{dN(x, x, \mu_f^2)}{dx} - \frac{2N(x, x, \mu_f^2)}{x} \right) \hat{H}_1 \right. \\
 &\left. - \left( \frac{dN(x, 0, \mu_f^2)}{dx} - \frac{2N(x, 0, \mu_f^2)}{x} \right) \hat{H}_2 + \frac{N(x, x, \mu_f^2)}{x} \hat{H}_3 - \frac{N(x, 0, \mu_f^2)}{x} \hat{H}_4 \right] \left. \right\},
 \end{aligned}$$

- TMD and collinear twist-3 formalisms are consistent in  $\Lambda_{\text{QCD}} \ll p_{h\perp} \ll Q$  region

# Transverse single-spin asymmetries in pion and photon production from proton-proton collisions

Kanazawa, Koike, Metz, DP - PRD 89(RC) (2014)

Daniel Pitonyak

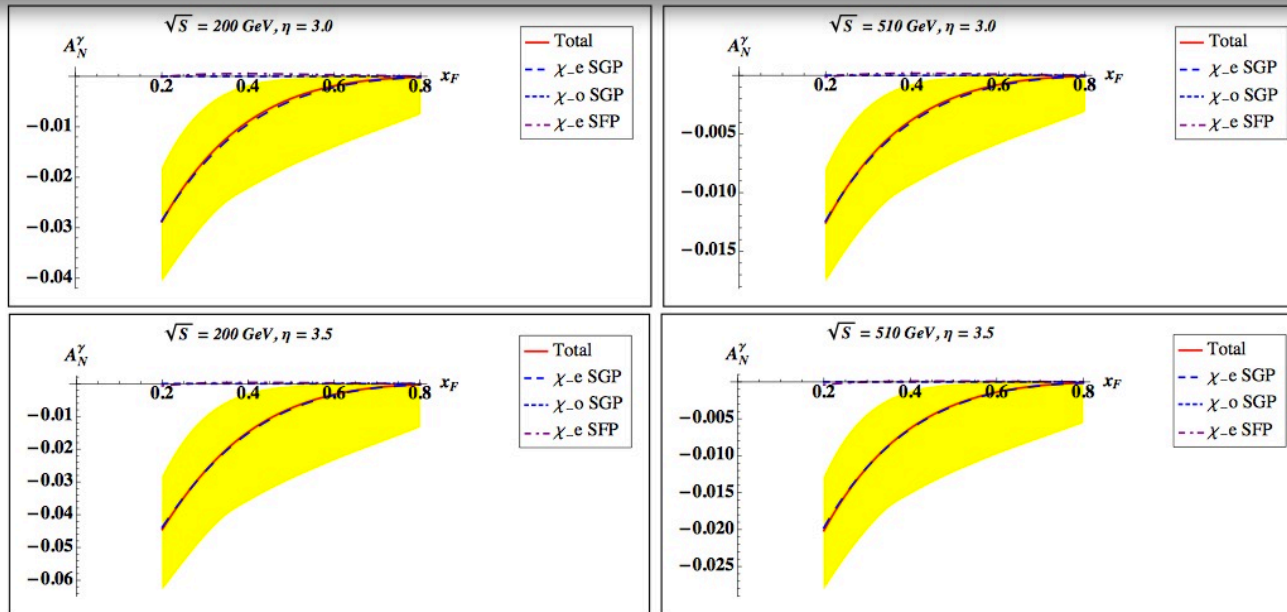
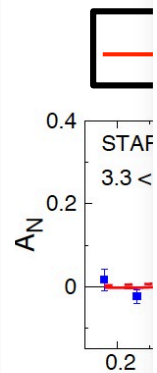


- ➡ Including the (total) fragmentation term leads to very good agreement with the RHIC data, especially with its characteristic rise towards large  $x_F$
- ➡ Without the 3-parton FF, one has difficulty describing the RHIC data
- ➡  $H$  term dominates the asymmetry

# Transverse single-spin asymmetries in pion and photon production from proton-proton collisions

Kanazawa, Koike, Metz, DP - PRD 89(RC) (2014)

Daniel Pitonyak



- Measurements planned by PHENIX and STAR at RHIC
- Sivers-type contribution is dominant, others are negligible
  - ➡ Can “cleanly” extract QS function to help resolve “sign mismatch” issue
  - ➡ Clear measurement of a negative  $A_N$  would be a strong indication on the process dependence of the Sivers function (see also TSSA in inclusive DIS – Metz, et al. (2012), and in jet production from  $A_N DY$  – Gamberg, Kang, Prokudin (2013))

➡  $T_T$  term dominates the asymmetry

# Twist-3 Spin Observables for Single-Hadron Production in DIS

(A. Metz, Temple University, Philadelphia)

talk mainly based on

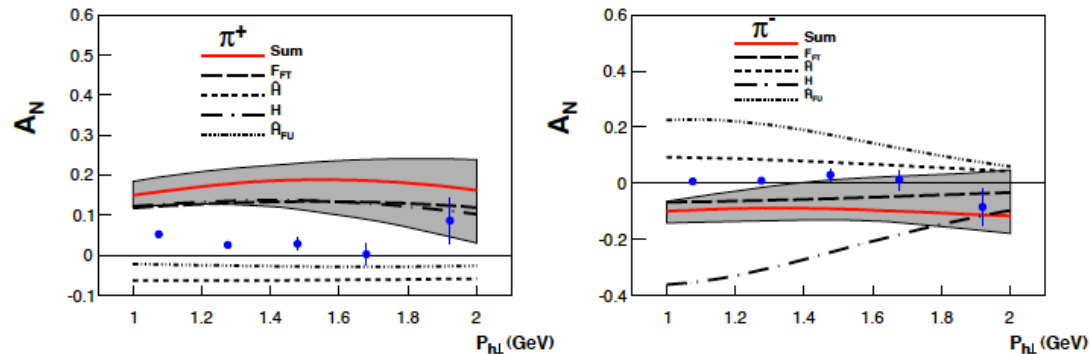
arXiv:1407.5078, Gamberg, Kang, A.M., Pitonyak, Prokudin

arXiv:1411.6459, Kanazawa, A.M., Pitonyak, Schlegel

arXiv:1503.02003, Kanazawa, A.M., Pitonyak, Schlegel

- Numerical results and discussion

- comparison with HERMES data (JLab data are at very low  $P_{h\perp}$ )



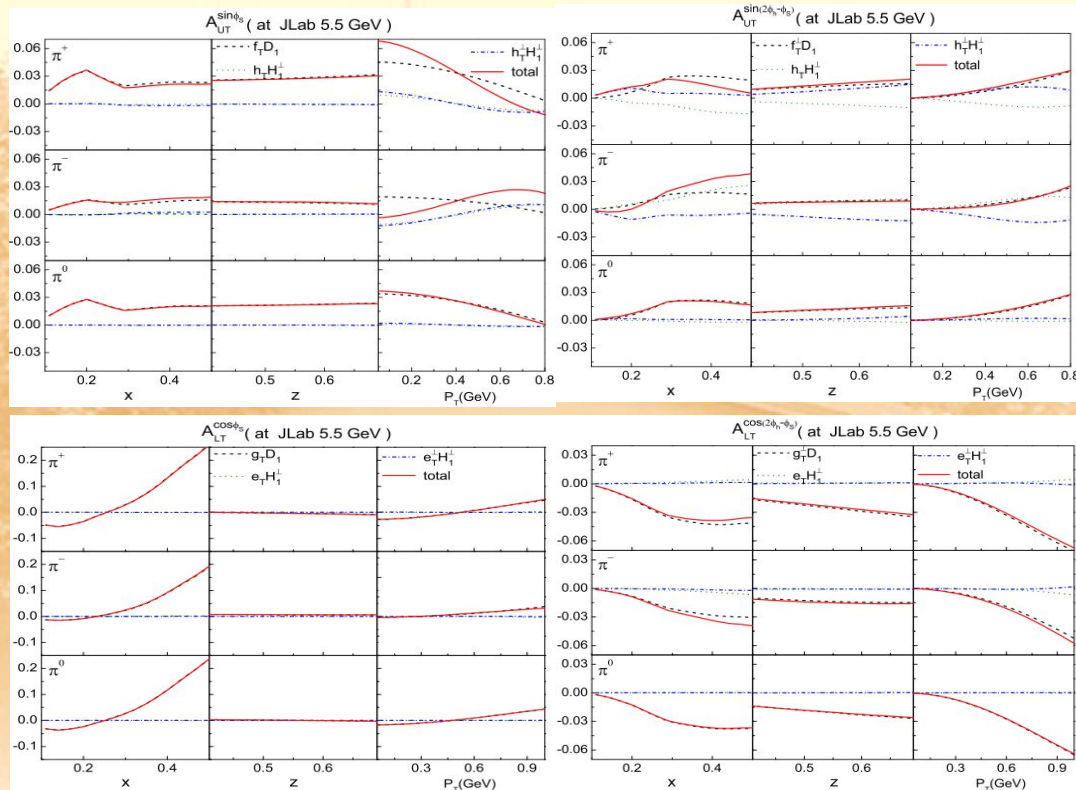
- \* error band based on uncertainties of  $f_{1T}^\perp$ ,  $h_1$ ,  $H_1^\perp$  only
- \* relatively poor comparison with data, especially for  $\pi^+$  production
- \* potential reasons for discrepancy:
  - (1) no error band for twist-3 FF  $\hat{H}_{FU}^S$  and hence for FF  $H$
  - (2) (significant) other source(s) for  $A_N$  in  $pp^\uparrow \rightarrow hX$
  - (3) leading order formalism not appropriate for rather low  $P_{h\perp}$  of available data; HERMES: even data at highest  $P_{h\perp}$  dominated by quasi-real photo-production → calculation of NLO correction needed

# Transverse single-spin asymmetries

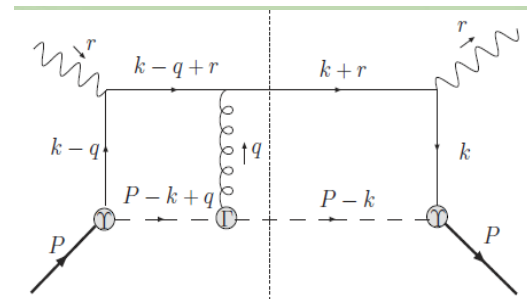
$$A_{UT}^{\sin \phi_S} \quad \text{and} \quad A_{UT}^{\sin(2\phi_h - \phi_S)}$$

## in SIDIS

Model Predictions on Transverse SSAs and DSAs at JLab



Wenjuan Mao



Phys.Rev. D90 (2014) 1, 014048



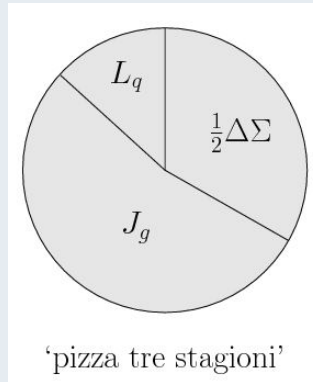
# Transverse Force on Quarks in DIS

Matthias Burkardt

## The Nucleon Spin Pizzas

12

### Ji decomposition



$$\frac{1}{2} = \sum_q \frac{1}{2} \Delta q + L_q + J_g$$

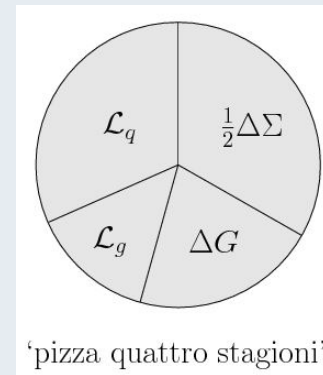
$$\frac{1}{2} \Delta q = \frac{1}{2} \int d^3x \langle P, S | q^\dagger(\vec{x}) \Sigma^3 q(\vec{x}) | P, S \rangle$$

$$L_q = \int d^3x \langle P, S | q^\dagger(\vec{x}) (\vec{x} \times i\vec{D})^3 q(\vec{x}) | P, S \rangle$$

$$J_g = \int d^3x \langle P, S | [\vec{x} \times (\vec{E} \times \vec{B})]^3 | P, S \rangle$$

- $i\vec{D} = i\vec{\partial} - g\vec{A}$

### Jaffe-Manohar decomposition



light-cone framework & gauge  $A^+ = 0$

$$\frac{1}{2} = \sum_q \frac{1}{2} \Delta q + \mathcal{L}_q + \Delta G + \mathcal{L}_g$$

$$\mathcal{L}_q = \int d^3r \langle P, S | \bar{q}(\vec{r}) \gamma^+ (\vec{r} \times i\vec{\partial})^z q(\vec{r}) | P, S \rangle$$

$$\Delta G = \varepsilon^{+-ij} \int d^3r \langle P, S | \text{Tr} F^{+i} A^j | P, S \rangle$$

$$\mathcal{L}_g = 2 \int d^3r \langle P, S | \text{Tr} F^{+j} (\vec{x} \times i\vec{\partial})^z A^j | P, S \rangle$$

manifestly gauge invariant definition  
for each term exists ( $\rightarrow$  Hatta)



# Transverse Force on Quarks in DIS

Matthias Burkardt

straight line ( $\rightarrow$  Ji)

$$\frac{1}{2} = \sum_q \frac{1}{2} \Delta q + L_q + J_g$$

$$L_q = \int d^3x \langle P, S | \bar{q}(\vec{x}) \gamma^+ (\vec{x} \times i\vec{D})^z q(\vec{x}) | P, S \rangle$$

- $i\vec{D} = i\vec{\partial} - g\vec{A}$

light-cone staple ( $\rightarrow$  Jaffe-Manohar)

$$\frac{1}{2} = \sum_q \frac{1}{2} \Delta q + \mathcal{L}_q + \Delta G + \mathcal{L}_g$$

$$\mathcal{L}^q = \int d^3x \langle P, S | \bar{q}(\vec{x}) \gamma^+ (\vec{x} \times i\vec{D})^z q(\vec{x}) | P, S \rangle$$

$$i\mathcal{D}^j = i\partial^j - gA^j(x^-, \mathbf{x}_\perp) - g \int_{x^-}^{\infty} dr^- F^{+j}$$

difference  $\mathcal{L}^q - L^q$

$$\mathcal{L}^q - L^q = -g \int d^3x \langle P, S | \bar{q}(\vec{x}) \gamma^+ [\vec{x} \times \int_{x^-}^{\infty} dr^- F^{+\perp}(r^-, \mathbf{x}_\perp)]^z q(\vec{x}) | P, S \rangle$$

# Towards a Direct Measurement of the Quark Orbital Angular Momentum Distribution

Simonetta Liuti  
University of Virginia

$$\underbrace{x\tilde{G}_2(x) + xG_2(x)}_{t=3} = \underbrace{\int d^2k_T \frac{k_T \cdot \Delta_T}{\Delta_T^2} G_{14}(x, 0, \vec{k}_T)}_{\tau=2} + \underbrace{\int d^2k_T \frac{k_T^2}{M^2} F_{14}(x, 0, \vec{k}_T)}_{\tau=3} + \underbrace{\bar{G}_2^{tw3}}_{\tau=3}$$

$$x\tilde{G}_2(x) + xG_2(x) = G_{14}^{(1')} + F_{14}^{(1')} + \bar{G}_2^{tw3}$$

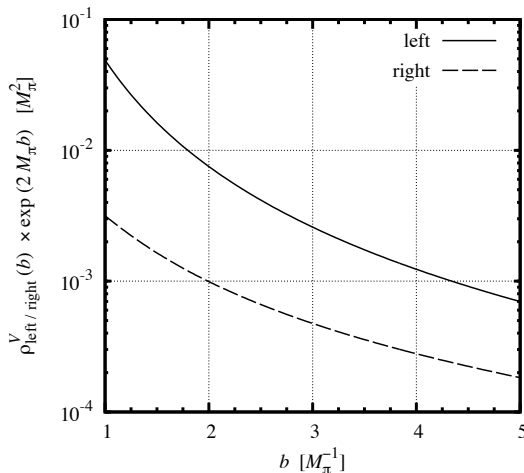
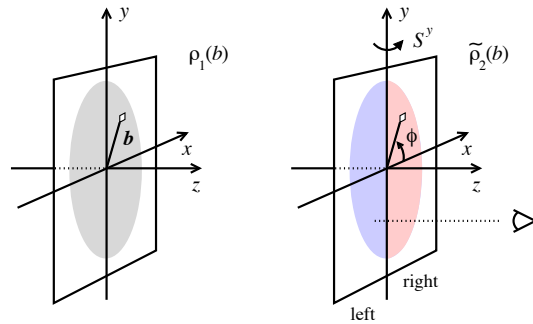
A sum rule relating Ji and JM OAM

# Left-right asymmetry of transverse densities from chiral dynamics

**Carlos Granados**

## Transverse polarization and asymmetry

CG, C. Weiss, arXiv:1503.04839 [hep-ph]



LFWF components of a transversely polarized nucleon,

$$\begin{aligned}\Phi_{\text{tr}}(+, +) &= \sin \alpha U_1, \\ \Phi_{\text{tr}}(-, -) &= -\sin \alpha U_1, \\ \Phi_{\text{tr}}(+, -) &= U_0 + \cos \alpha U_1, \\ \Phi_{\text{tr}}(-, +) &= -U_0 + \cos \alpha U_1,\end{aligned}$$

Define Left and Right transverse densities from LFWF at  $\alpha = 0$ ,

$$\left. \begin{aligned}\rho_{\text{left}}^V(b) \\ \rho_{\text{right}}^V(b)\end{aligned} \right\} = \int_0^1 dy \frac{|\Phi_{\text{tr}}(y, \mp r_T \mathbf{e}_x; -, +)|^2}{2\pi y \bar{y}^3}$$

$[r_T = b/\bar{y}]$

to find for the charge and magnetization densities that

$$\left. \begin{aligned}\rho_1^V(b) \\ \tilde{\rho}_2^V(b)\end{aligned} \right\} = \frac{1}{2} [\pm \rho_{\text{left}}^V(b) + \rho_{\text{right}}^V(b)].$$

$-\tilde{\rho}_2$  measures Left-Right asymmetry of LF currents in the nucleon.

Strikingly large in the chiral periphery, generates the near equality  $\rho_1 \approx -\tilde{\rho}_2$ .

# Spatial Boundary Terms, Angular Momentum and QFT

*Peter Lowdon*

- It turns out that by using this more rigorous QFT approach one can determine a necessary and sufficient condition for these terms to vanish [Lowdon (2014)]:

$$\int d^3x \partial_i B^i \text{ vanishes in } \mathcal{H} \iff \int d^3x \partial_i B^i |0\rangle = 0$$

*An interesting feature of this condition is that it only depends on the action of the operator on the vacuum state*

*...and from this one has the following condition:*

$$\text{If } \exists |p\rangle \in \mathcal{H} \text{ s.t.: } \langle p | \int d^3x \partial_i B^i |0\rangle \neq 0 \implies \int d^3x \partial_i B^i \neq 0$$

→ which can then be applied to the superpotentials  $\mathcal{S}_1^i$  and  $\mathcal{S}_2^i$

[P. Lowdon, *Nucl. Phys. B* **889**, 801 (2014).]

# Spatial Boundary Terms, Angular Momentum and QFT

Peter Lowdon

- It turns out we can determine if the terms vanish or not

$$\int d^3x$$

An interesting question depends on the action

...and from the action

If  $\exists |p\rangle$

→ which can be used to

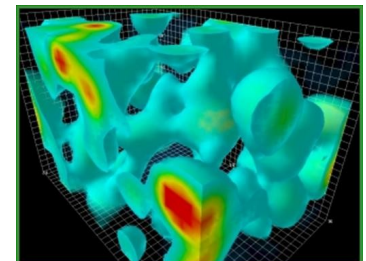
- So in this case if  $\exists |p\rangle \in \mathcal{H}$  s.t.  $\langle p | \mathcal{S}_1^i | 0 \rangle \neq 0$  or:  $\langle p | \mathcal{S}_2^i | 0 \rangle \neq 0$  then  $\mathcal{S}_1^i$  or  $\mathcal{S}_2^i$  are non-vanishing as operators
- Choosing  $|p\rangle = |0\rangle$  one has:  $\langle 0 | \mathcal{S}_1^i | 0 \rangle \sim \epsilon^{ijk} \epsilon^{0jkl} \langle 0 | \bar{\psi} \gamma^l \gamma^5 \psi | 0 \rangle$

→ which suggests:  $J_{QCD}^i \neq S_q^i + L_q^i + S_g^i + L_g^i$

Evidence [Pasupathy, Singh (2006)] to suggest this is non-vanishing

- This condition therefore casts doubt on the validity of the Jaffe-Manohar angular momentum operator decomposition

→ what's interesting about the apparent failure of this decomposition is that it follows from the non-trivial structure of the QCD vacuum



[The University of Adelaide (2015)]

[J. Pasupathy and R. K. Singh, *Int. J. Mod. Phys. A* **21**, 5099 (2006).]

# Update on the phenomenology of collinear Dihadron FFs

Aurore Courtoy

- **Collinear extraction** [Pavia]
- **TMD extraction** [Anselmino et al, Kang et al]
- **GPD extraction** [Goldstein et al]

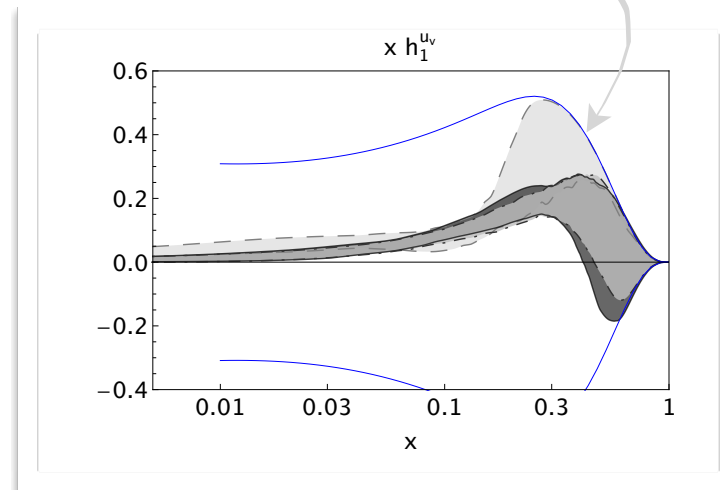
## State-of-the-art: Extractions of transversity

### NEW FOR DIFF EXTRACTION

- COMPASS data for identified pions
- Two Values for  $\alpha_s(M_Z^2)$
- Replica methods for both pol. DiFF & transversity

Pavia 15  
1503.03495

OLD  $1\sigma$  error band from replicas @2.4 GeV<sup>2</sup>



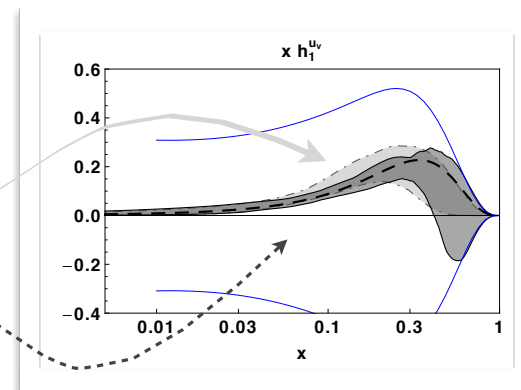
NEW  $1\sigma$  error band from replicas @2.4 GeV<sup>2</sup>

$\alpha_s(M_Z^2)=0.125$

$\alpha_s(M_Z^2)=0.139$

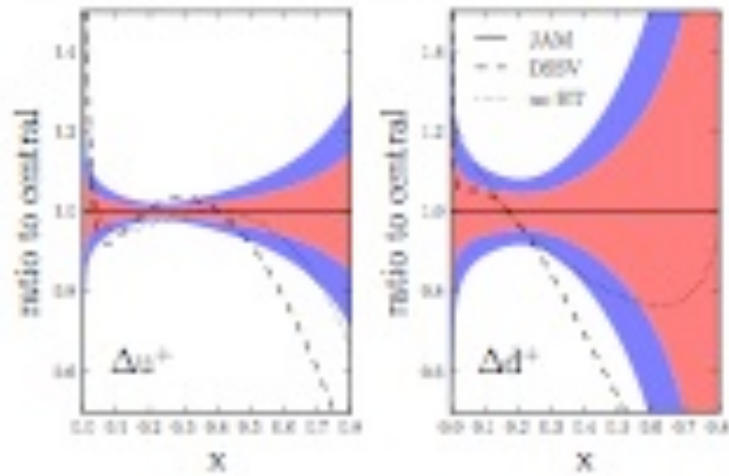
Torino 2013 @2.4 GeV<sup>2</sup>

Kang et al central value

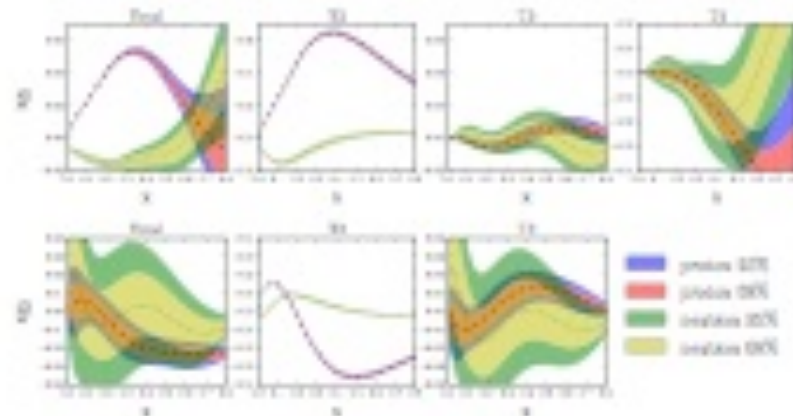
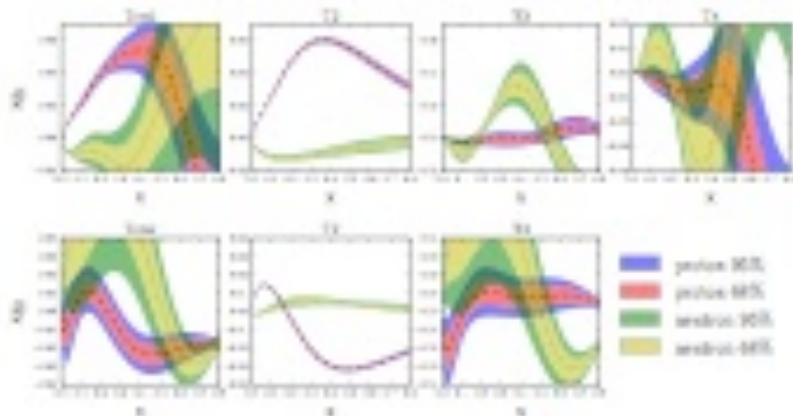
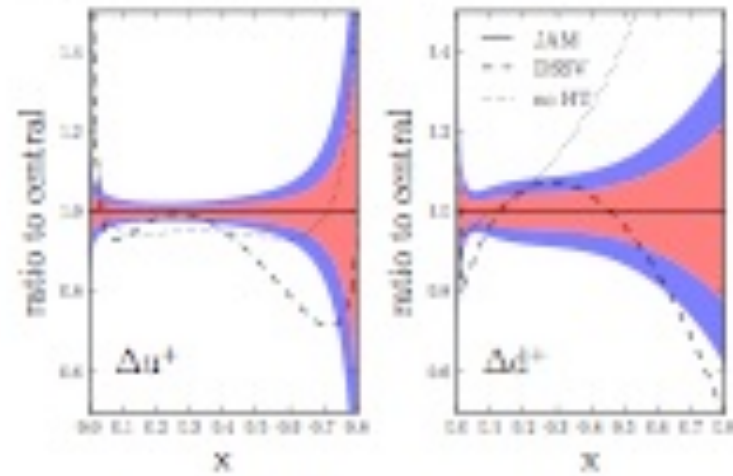


# The JAM analysis (summary)

without JLab data



with JLab data

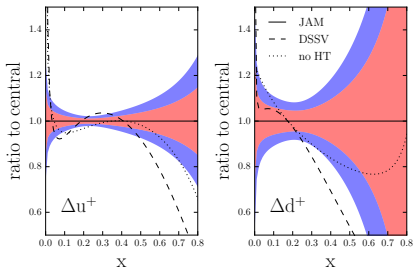


- ▶ The new JLab data conclusively favors the extraction of  $g_1$  and  $g_2$  with HT contributions.

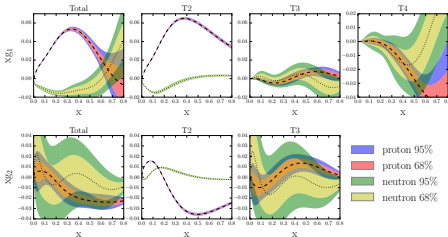
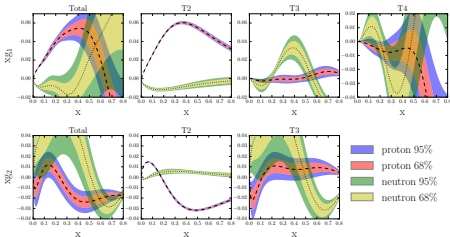
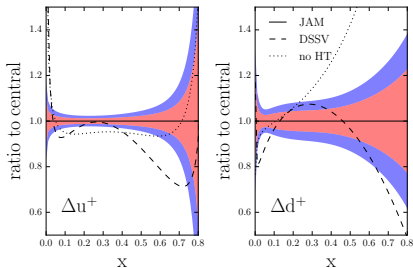


# The JAM analysis (summary)

without JLab data



with JLab data



- ▶ The new JLab data conclusively favors the extraction of  $g_1$  and  $g_2$  with HT contributions.

# Polarization in Double Parton Scattering

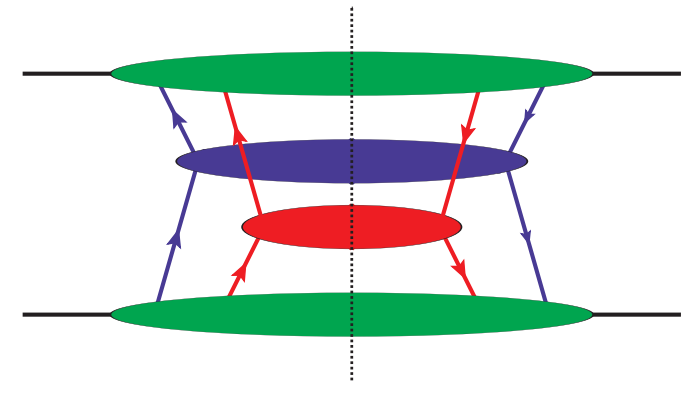
Tomas Kasemets

## Polarization in DPS

- Longitudinal polarization:
  - Changes rate as well as rapidity and  $|p_T|$  distributions
- Transverse quark/linear gluon polarization
- Leads to azimuthal asymmetries
- Double Drell-Yan

$$d\sigma_{DPS}(pp \rightarrow ZZ \rightarrow l_1 \bar{l}_1 l_2 \bar{l}_2) \subset A \cos(2\Delta\phi) f_{\delta q \delta q} f_{\delta \bar{q} \delta \bar{q}}$$

TK, M. Diehl, 2012



$$d\sigma_{DPS}(pp \rightarrow c_1 \bar{c}_1 c_2 \bar{c}_2) \subset B \cos(2\Delta\phi) f_{\delta g \delta g} f_{g \delta g} \\ + C \cos(4\Delta\phi) f_{\delta g \delta g} f_{\delta g \delta g}$$

for linearly polarized gluons

Echevarria, TK, Mulders, Pisano, 2015

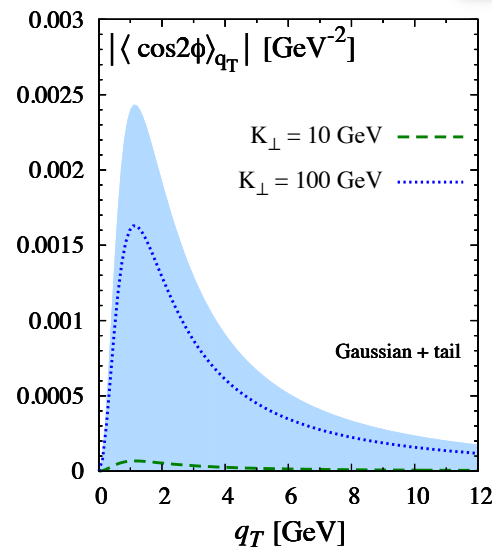
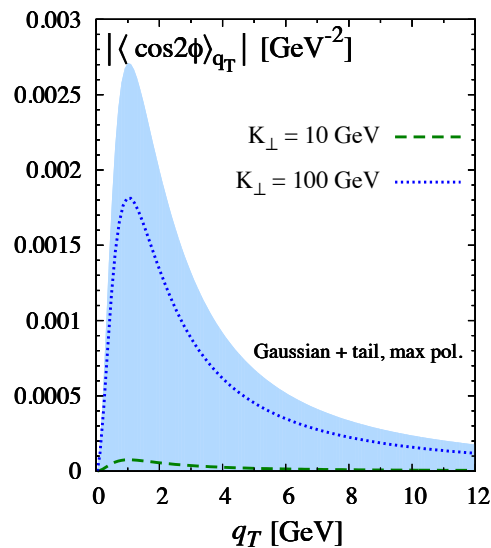
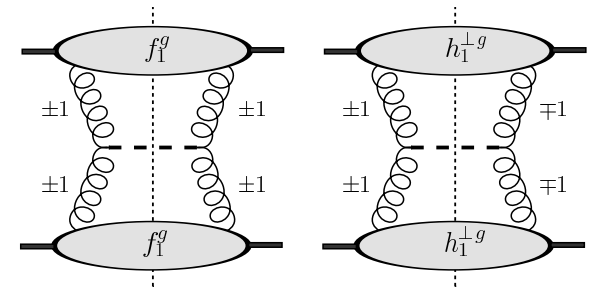
# Gluon TMDs and Higgs Phenomenology

Cristian Pisano

Higgs plus jet production  
Numerical results

## Azimuthal $\cos 2\phi$ asymmetries

Sensitive to the sign of  $h_1^{\perp g}$ :  $\langle \cos 2\phi \rangle_{q_T} < 0 \implies h_1^{\perp g} > 0$

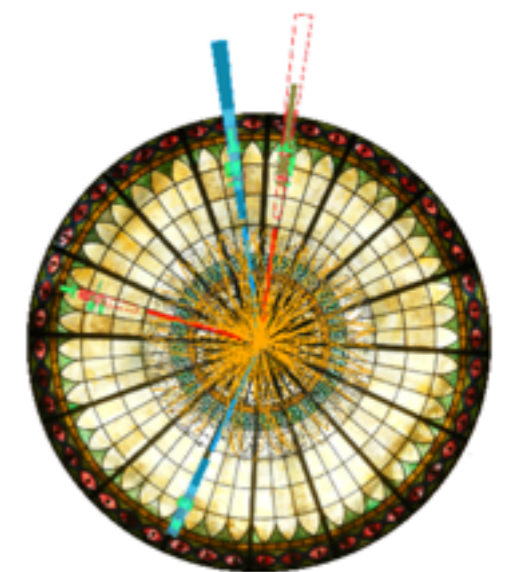


$$q_{T\max} = M_H/2$$

$$\langle \cos 2\phi \rangle \approx 12\% \text{ at } K_{\perp} = 100 \text{ GeV}$$

# News from the Experiments

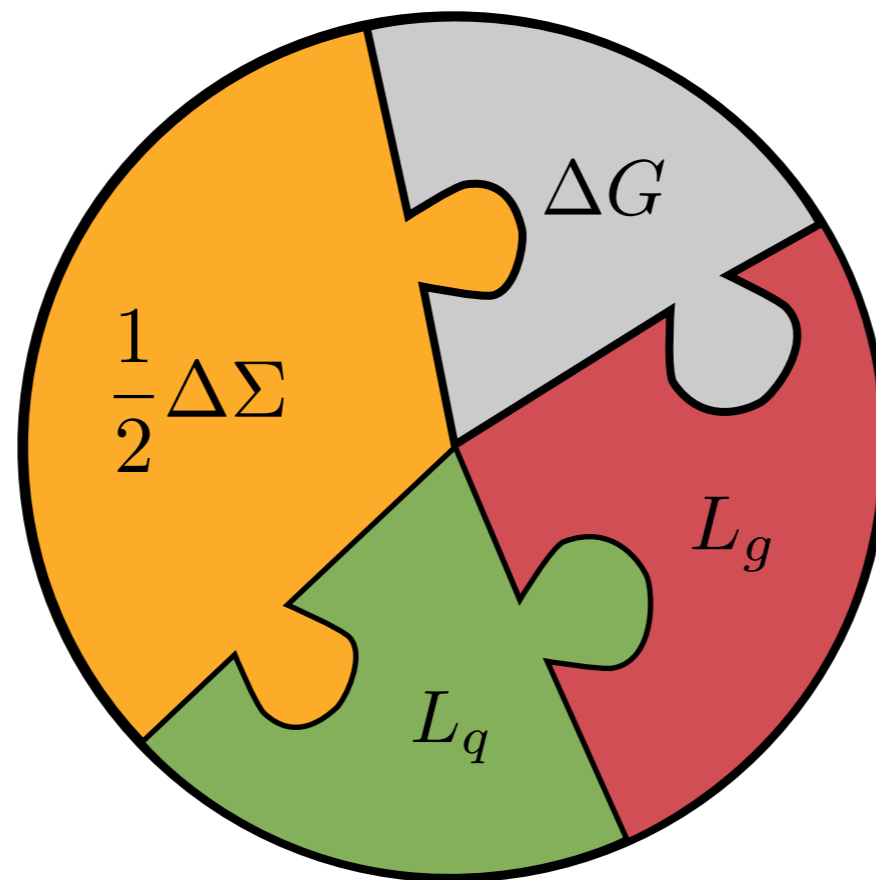
Francesca Giordano, Ted Rogers



# Spin Puzzle

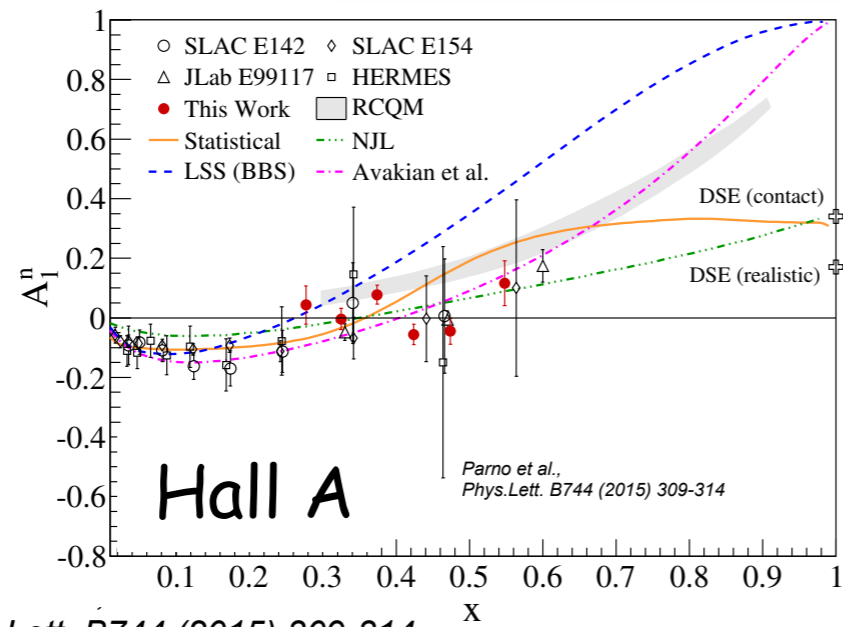
Parton contribution to the proton spin

$$\frac{1}{2} = \frac{1}{2} \overset{\text{quark spins}}{\Delta\Sigma} + \overset{\text{gluon spins}}{\Delta G} + \overset{\text{quark\&gluon orbital motion}}{L_z}$$

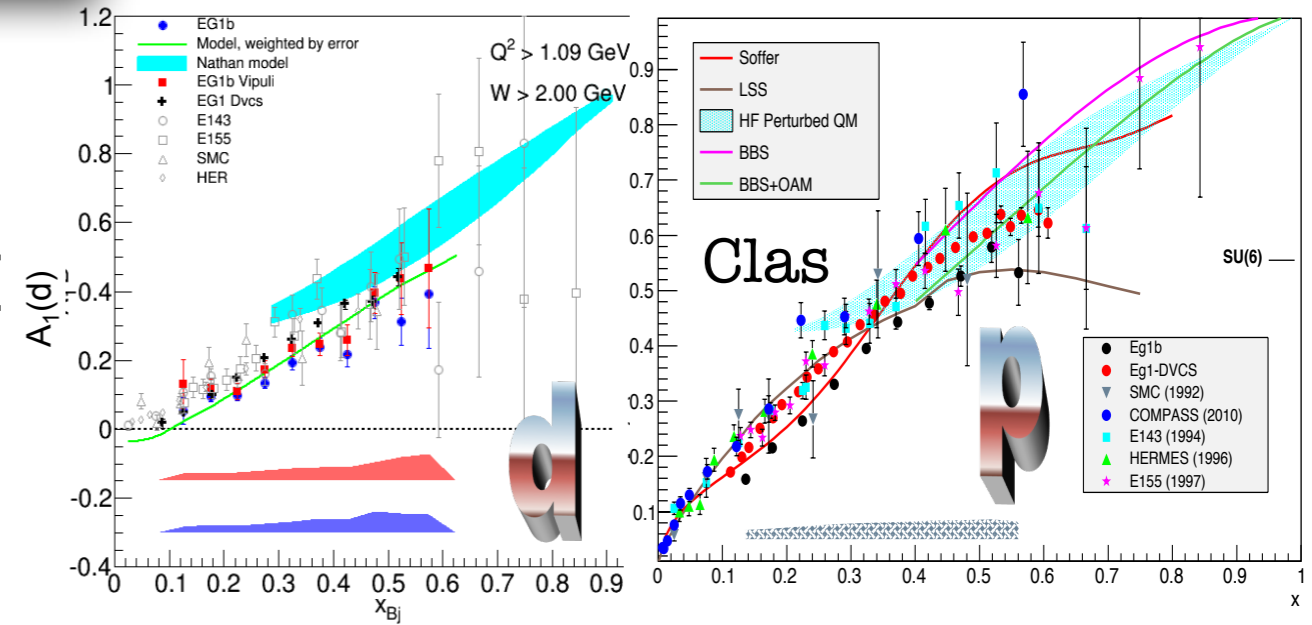


# Proton helicity from Quarks: Valence

$$A_1 = \frac{\sigma_{1/2} - \sigma_{3/2}}{\sigma_{1/2} + \sigma_{3/2}} \approx \frac{g_1}{F_1}$$

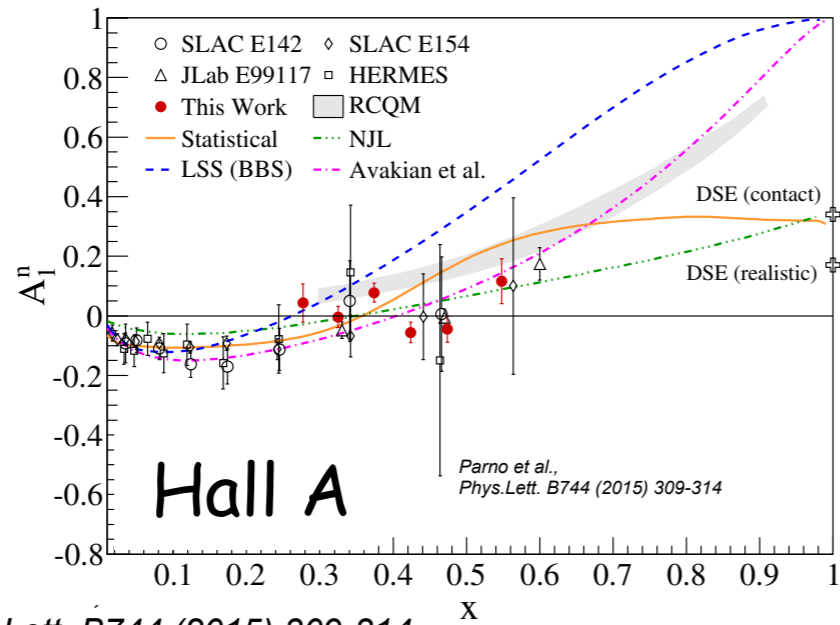


Phys.Lett. B744 (2015) 309-314

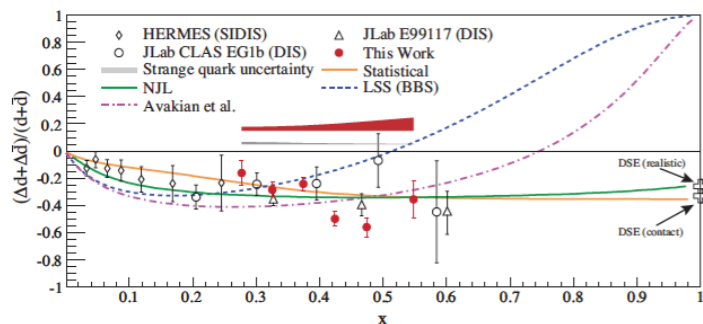
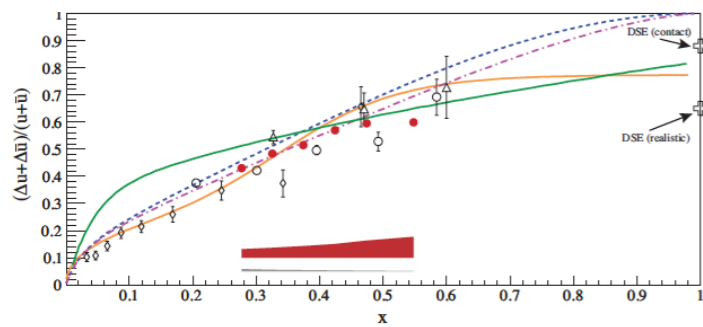
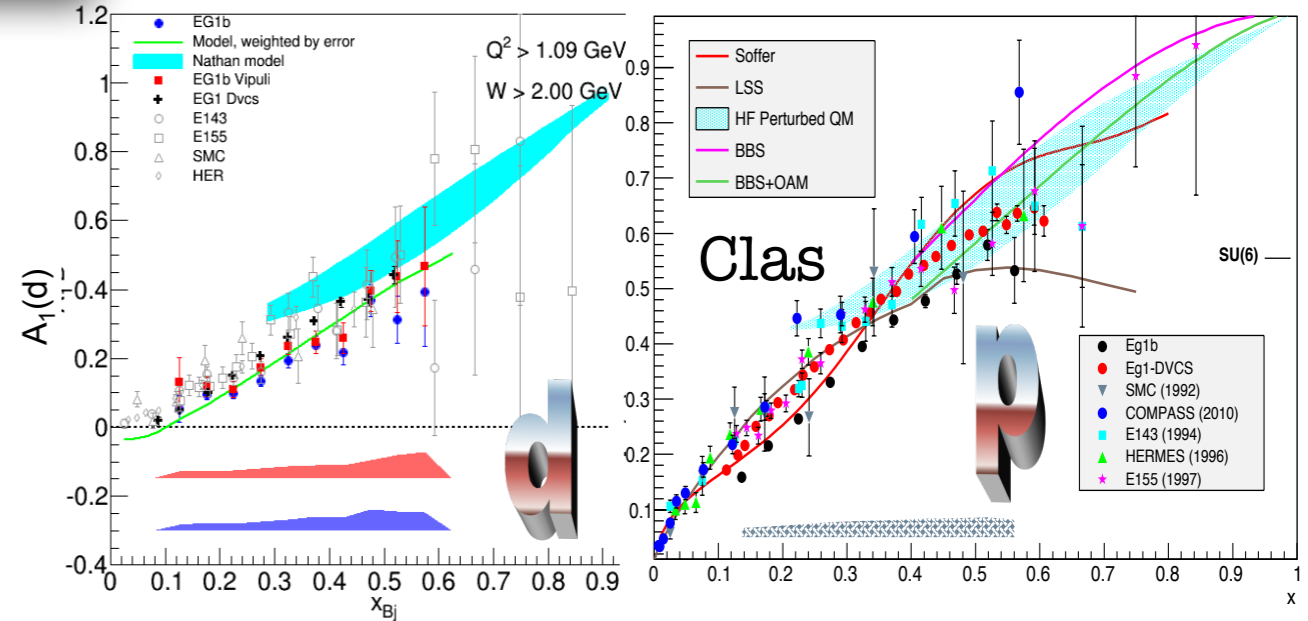


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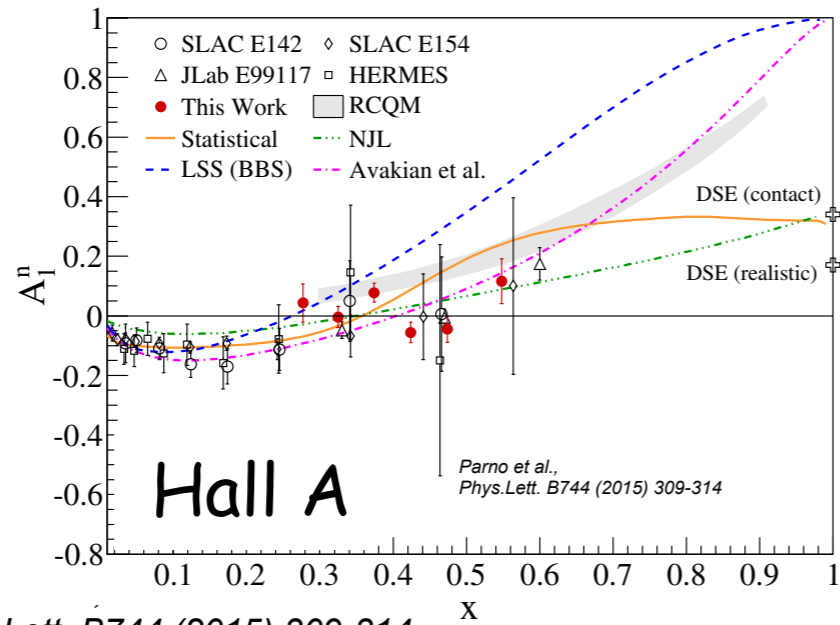
Phys.Lett. B744 (2015) 309-314



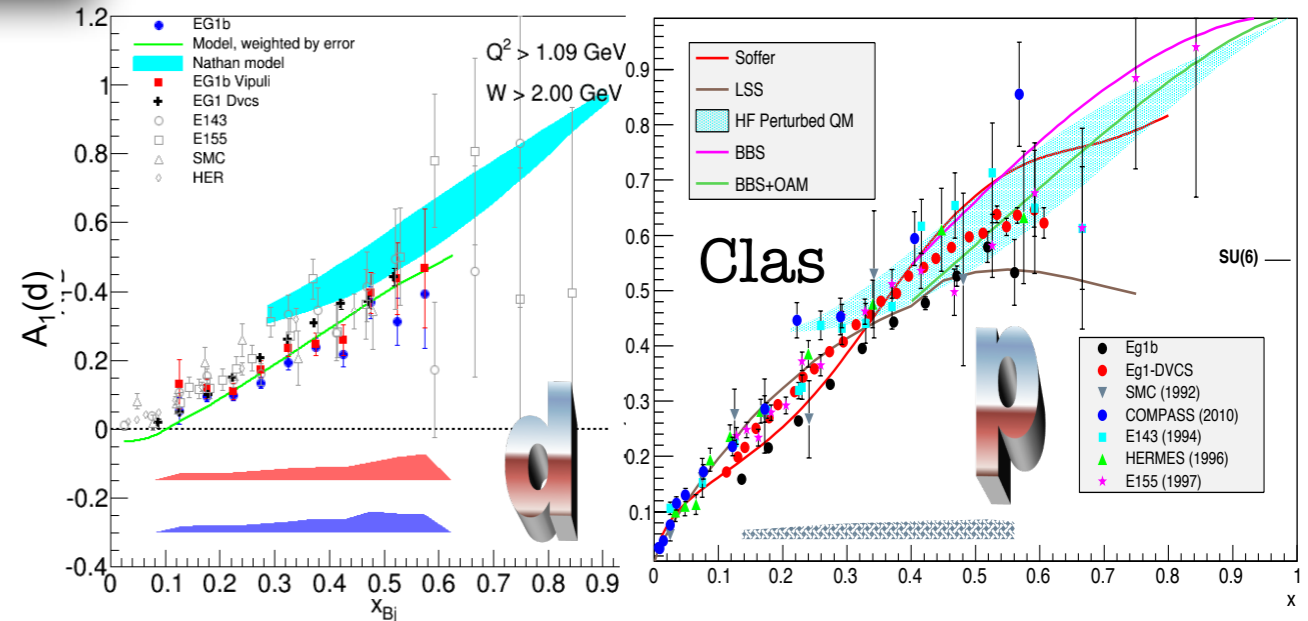


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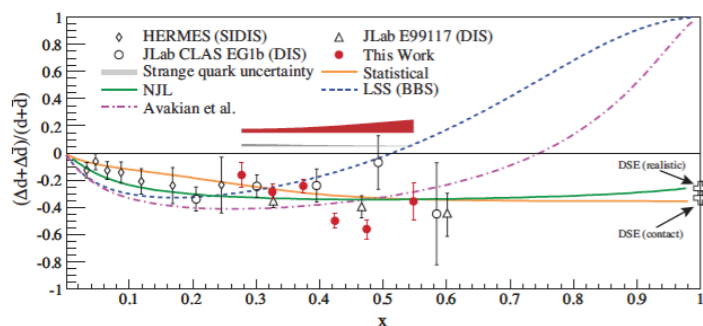
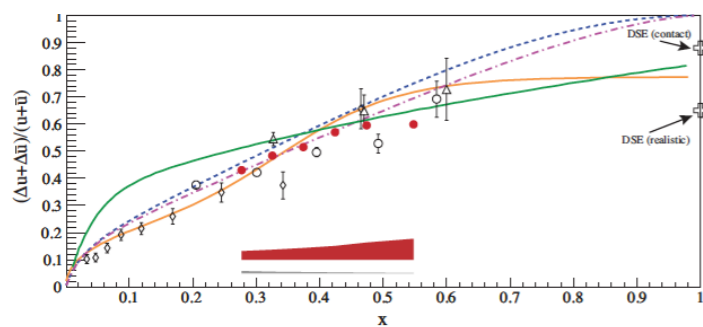


Phys.Lett. B744 (2015) 309-314

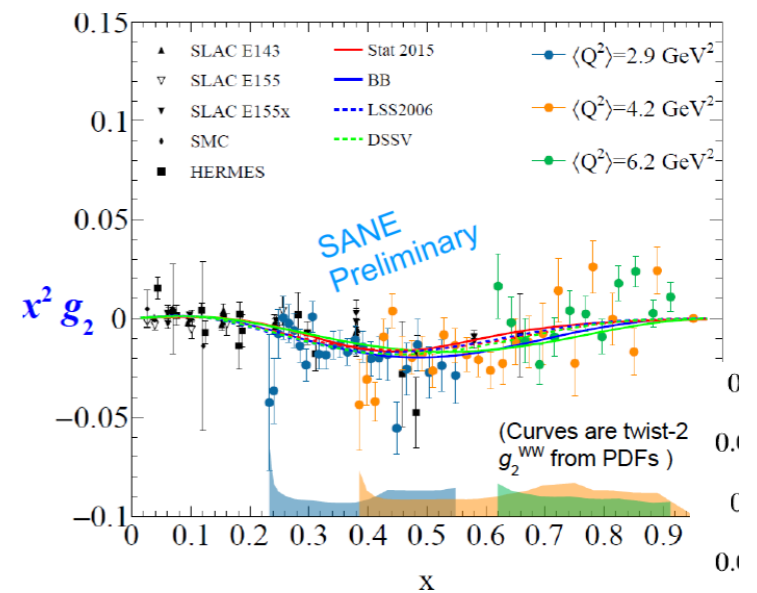
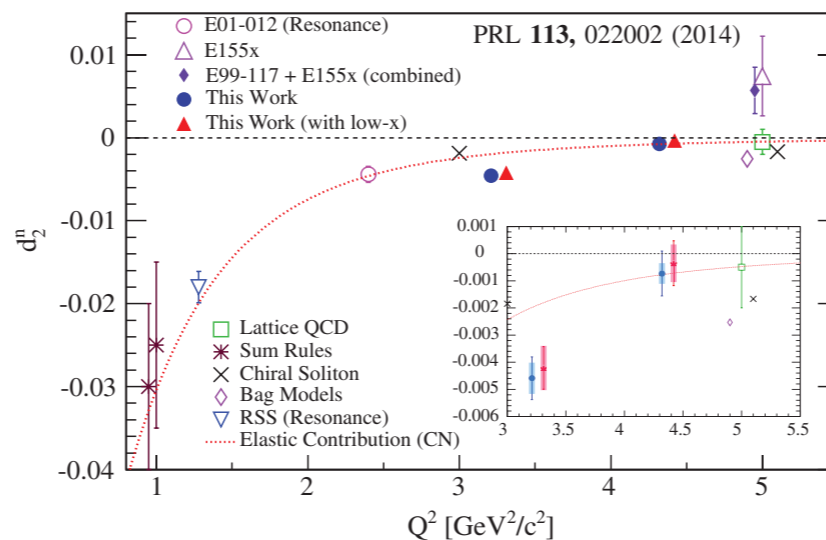


Moments of  $g_2$  SF

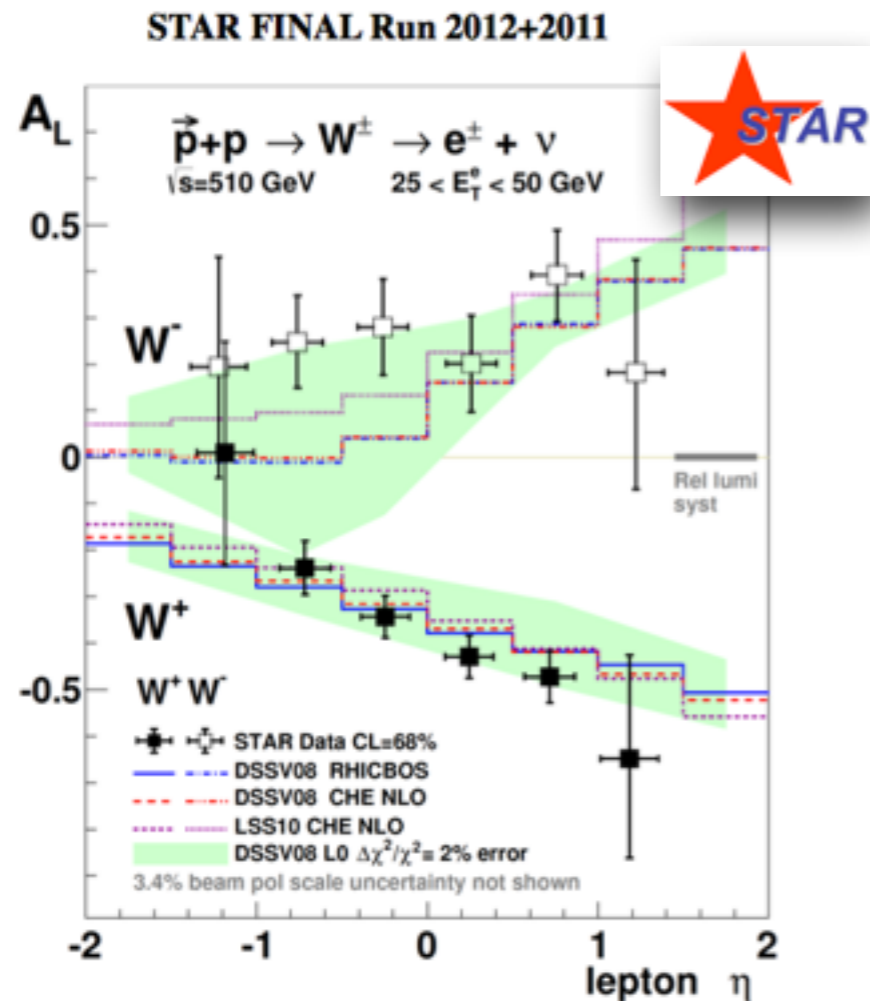
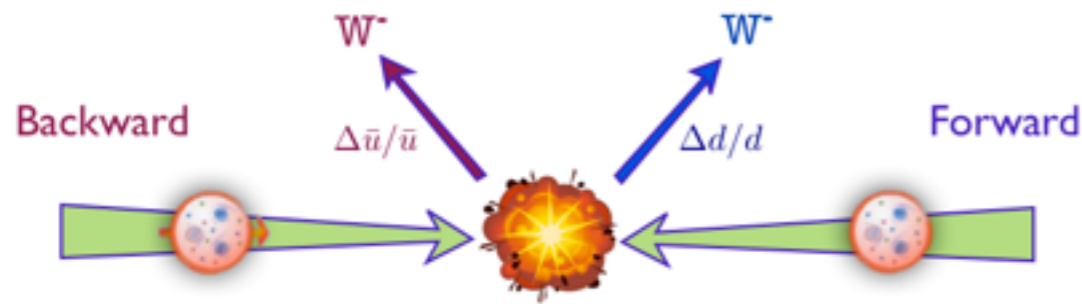
Hall C



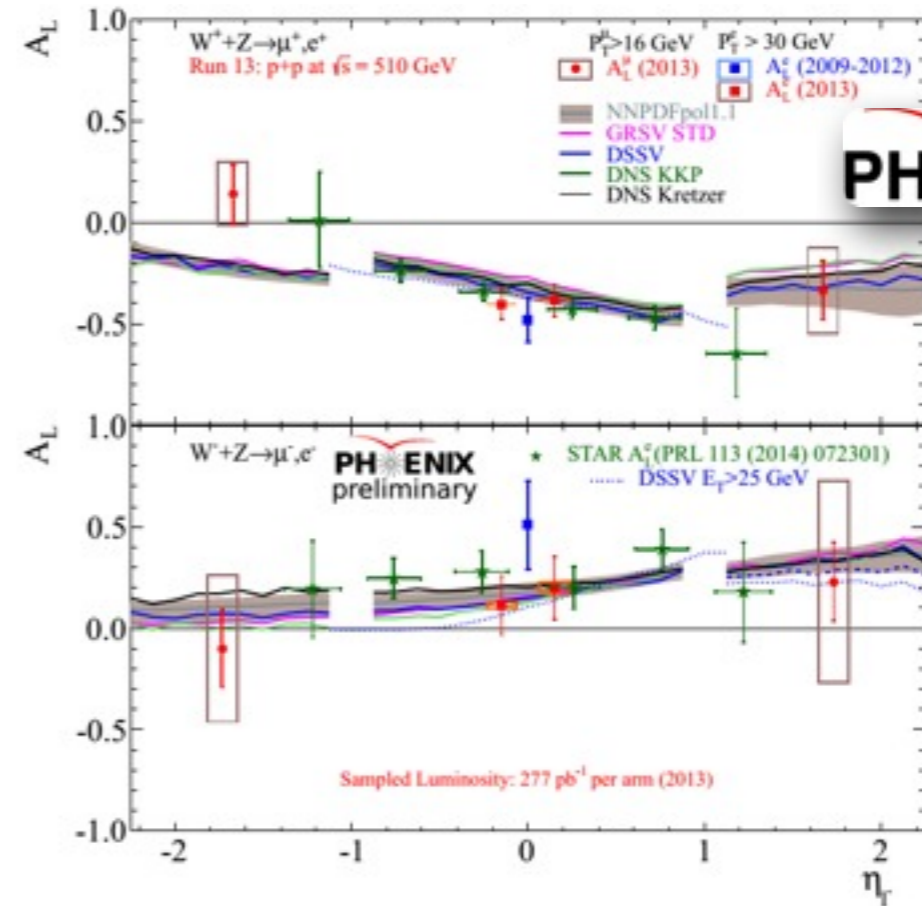
Hall A



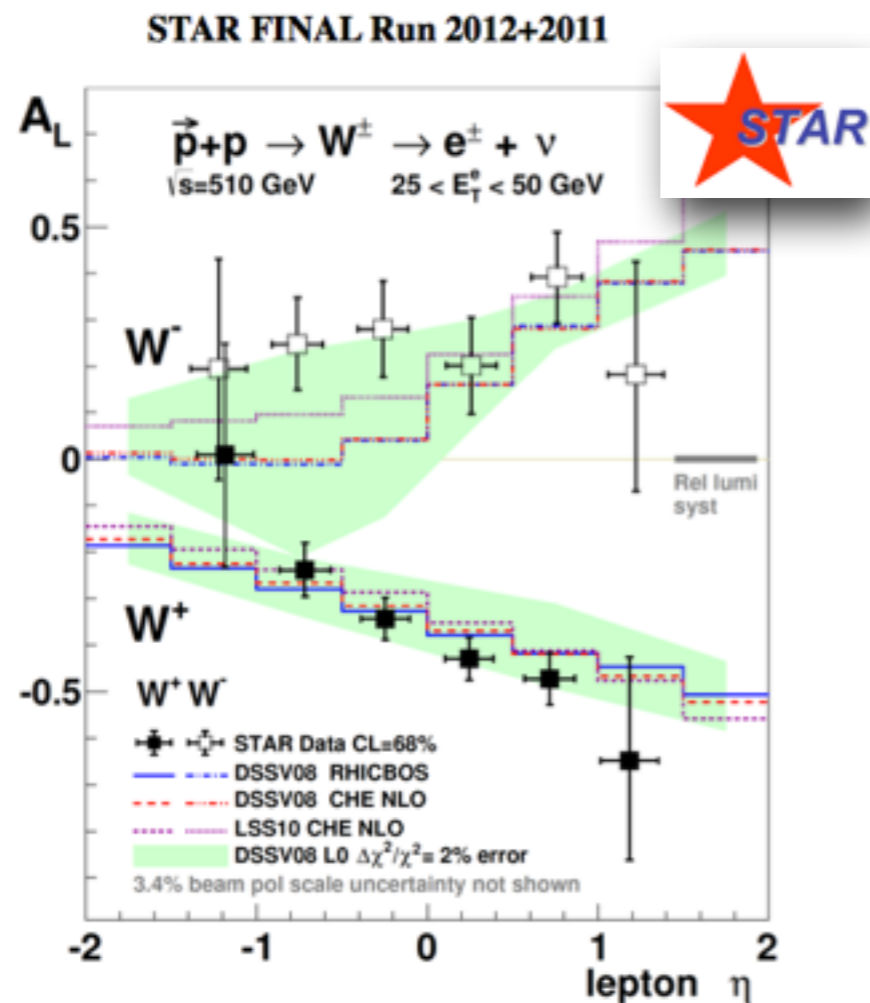
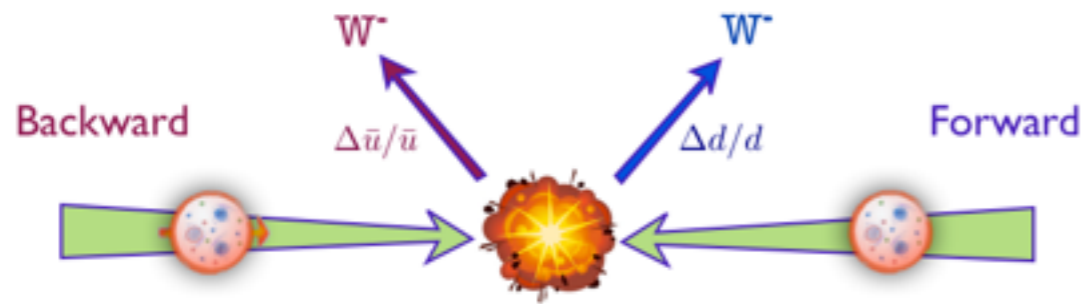
# Proton helicity from Quarks: Sea



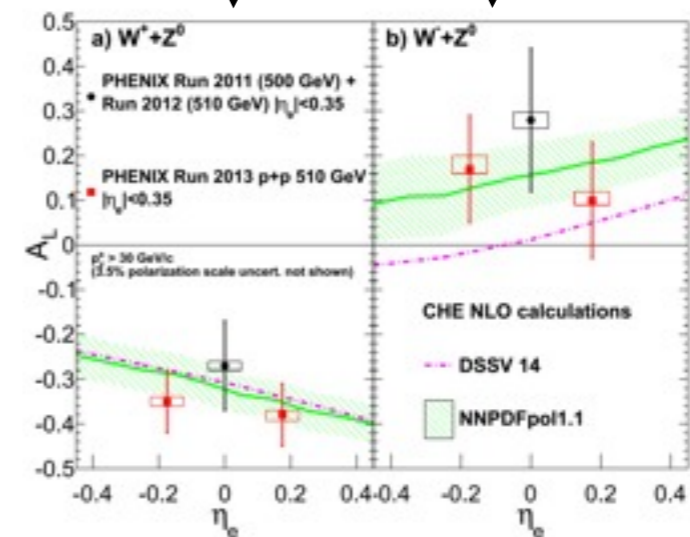
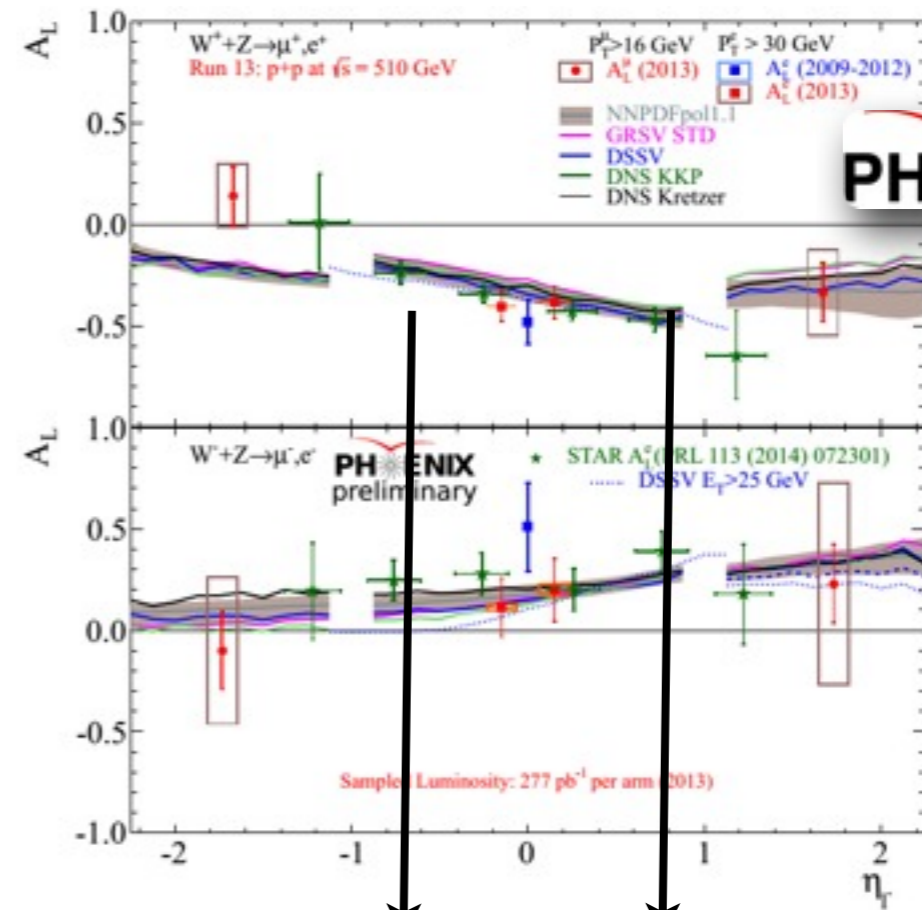
PRL 113,72301 (2014)



# Proton helicity from Quarks: Sea

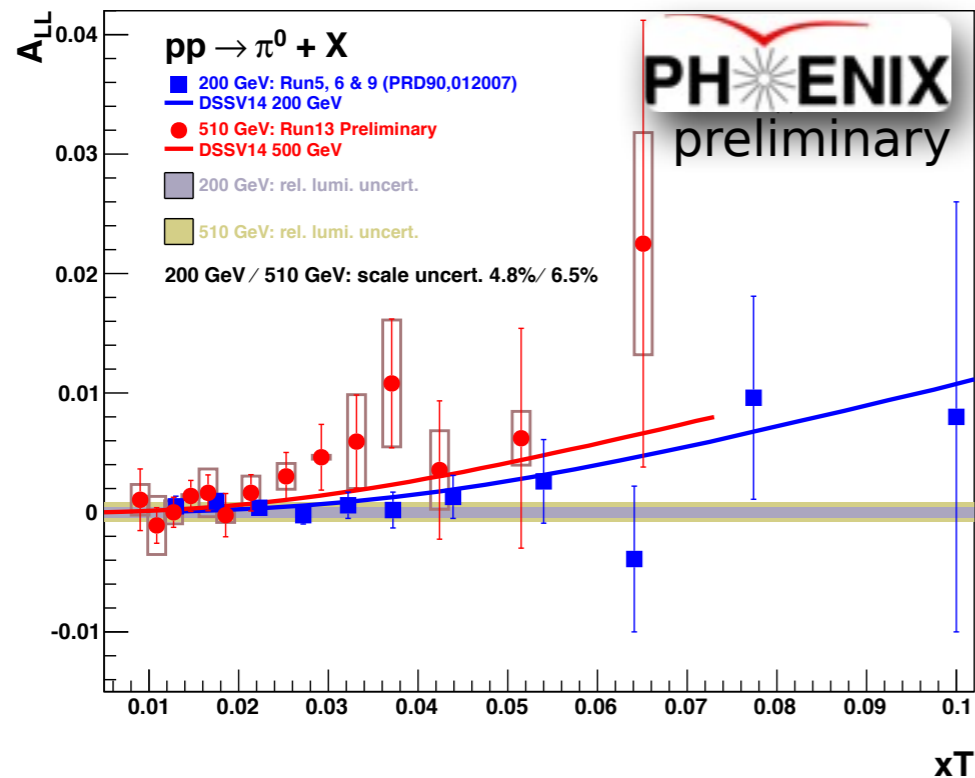
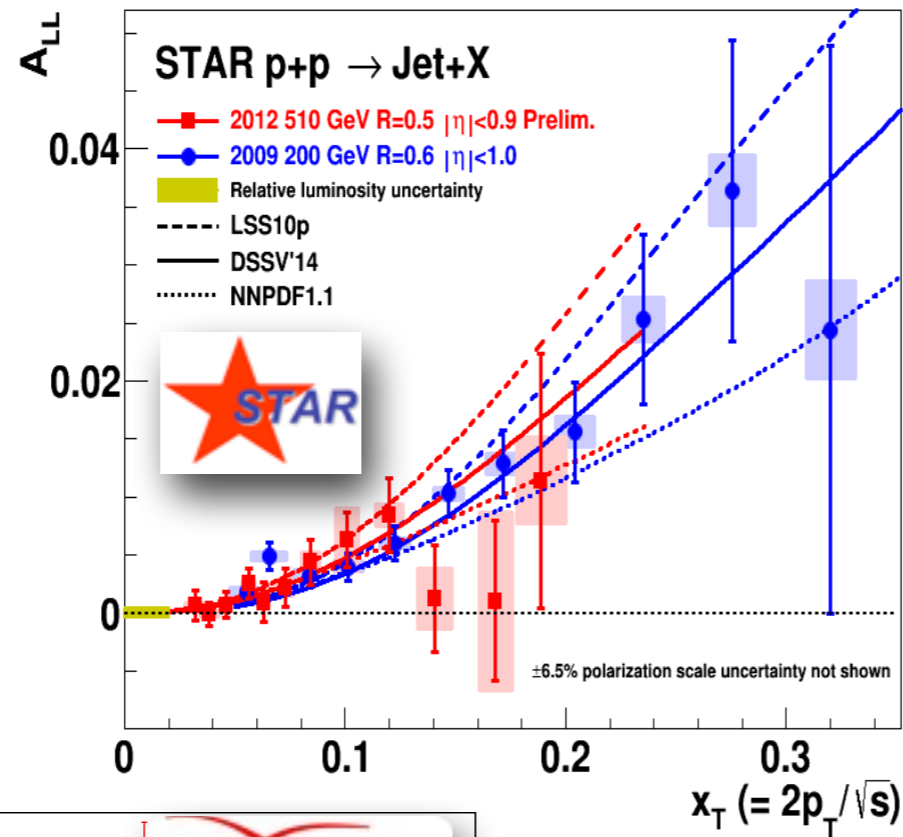
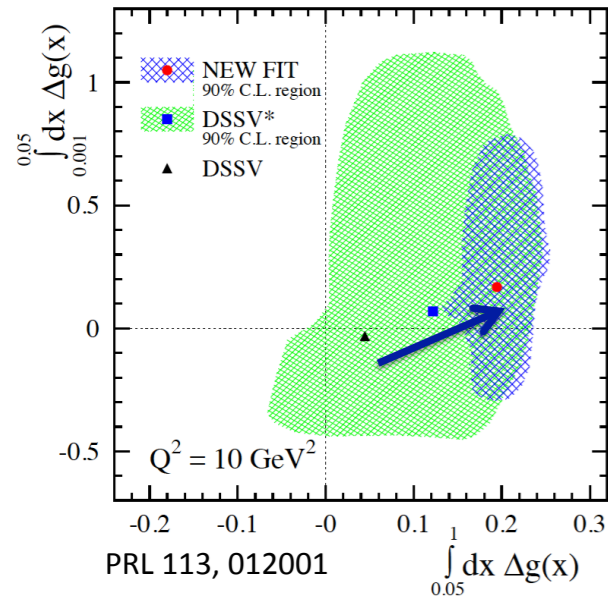


PRL 113,72301 (2014)



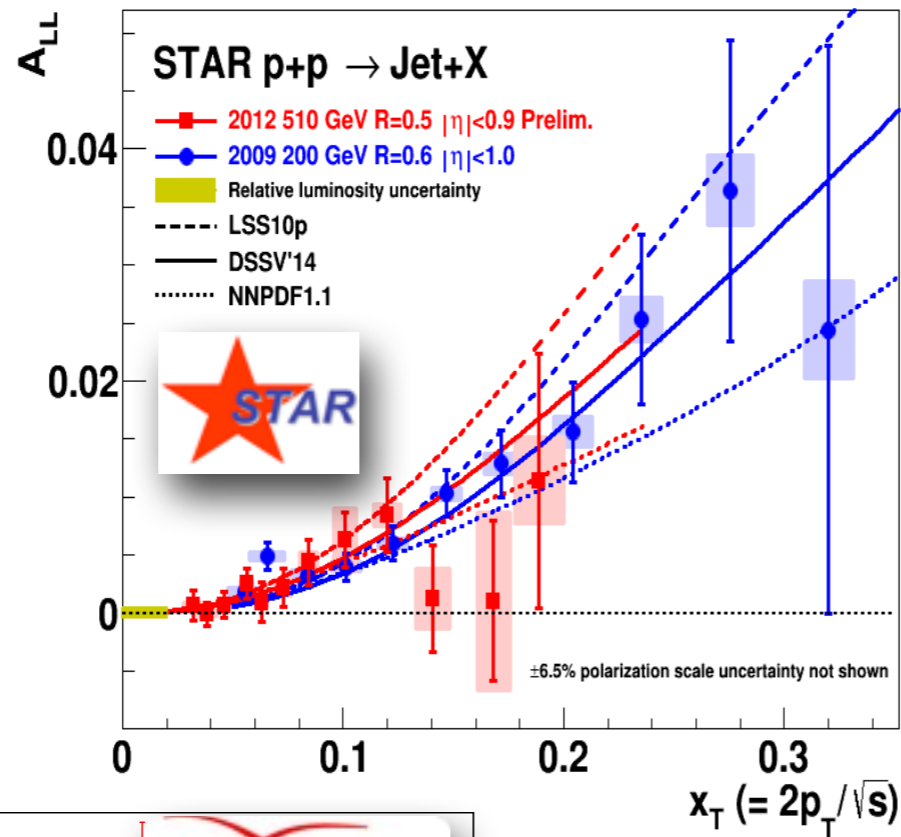
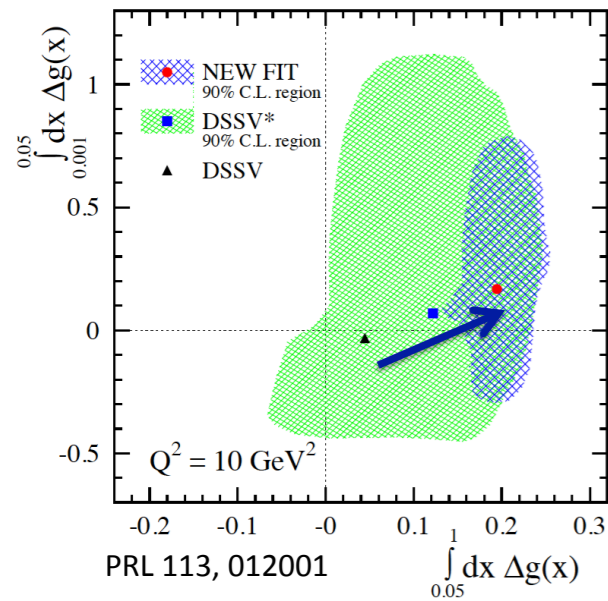
<http://arXiv.org/pdf/1504.07451v1.pdf>

# Proton helicity from Gluons

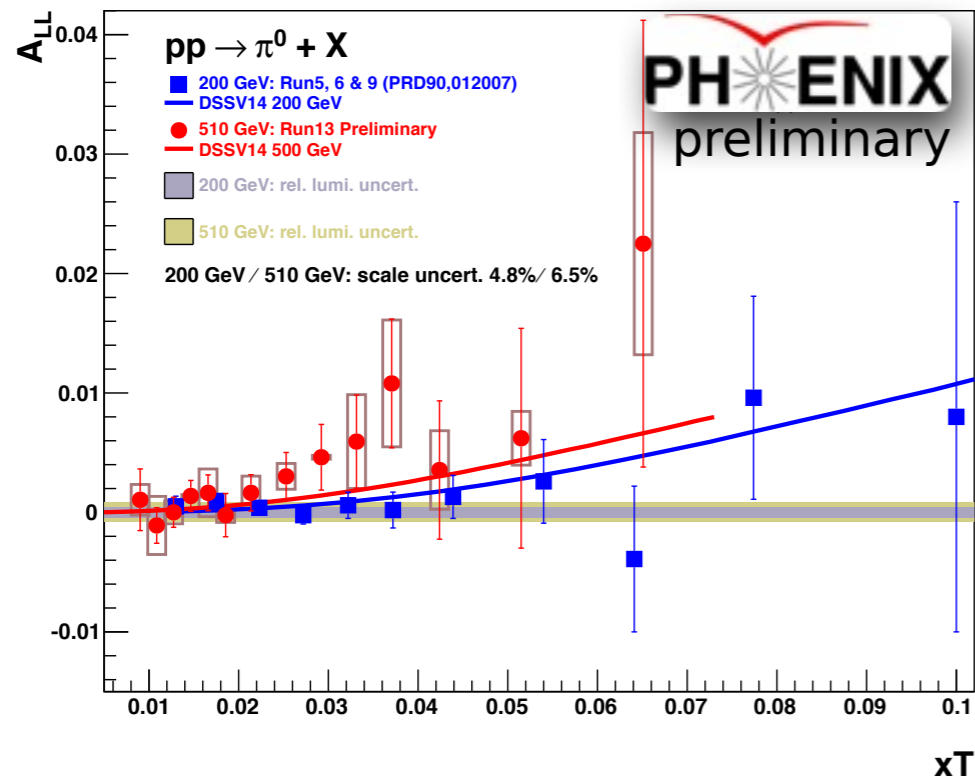
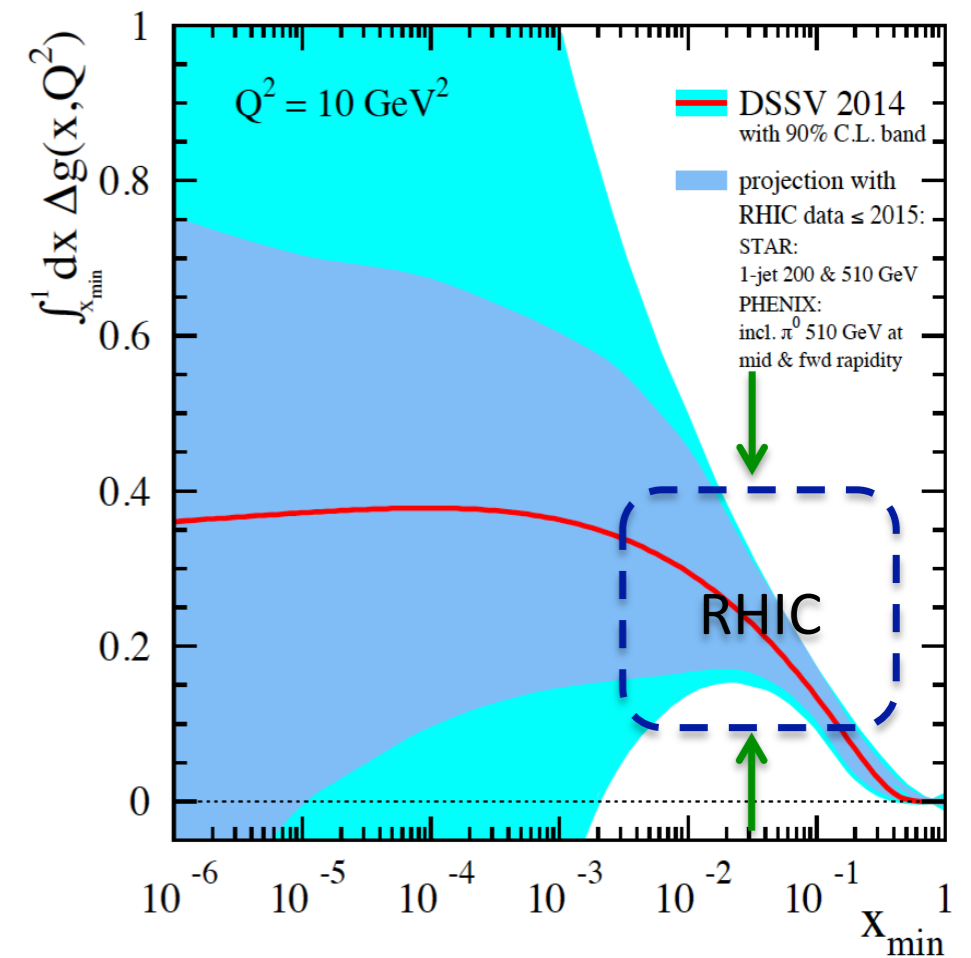




# Proton helicity from Gluons



More data from 2013 and 2015



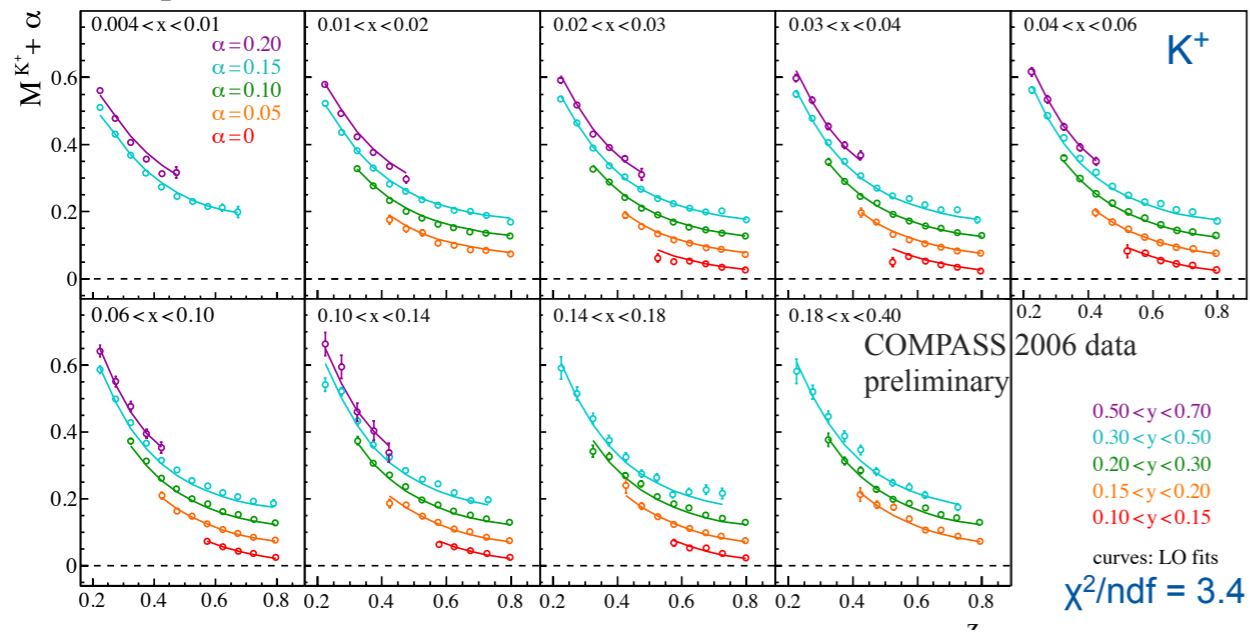
# PDF & Fragmentation



## Multi-D Kaon multiplicities

317 kinematic bins

Example of fit



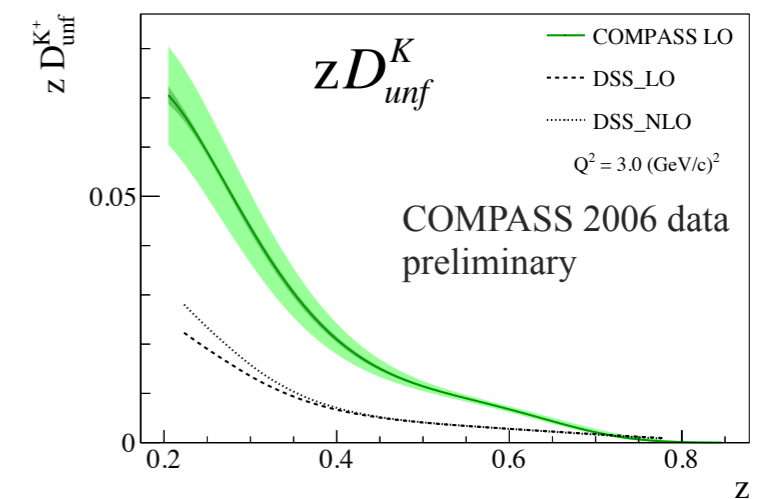
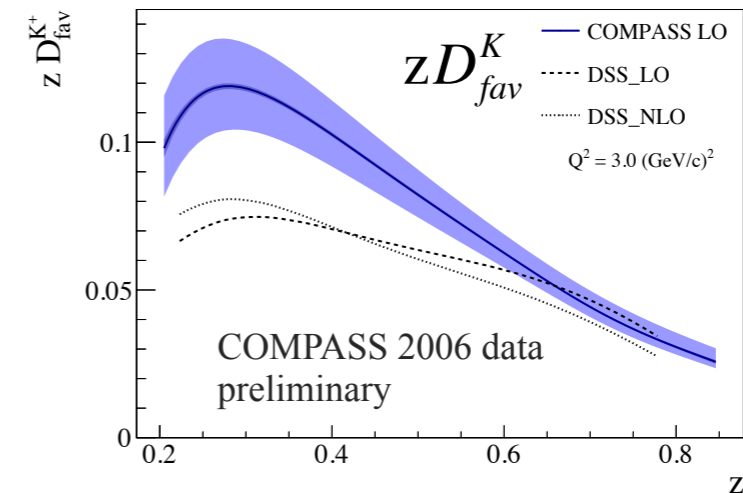
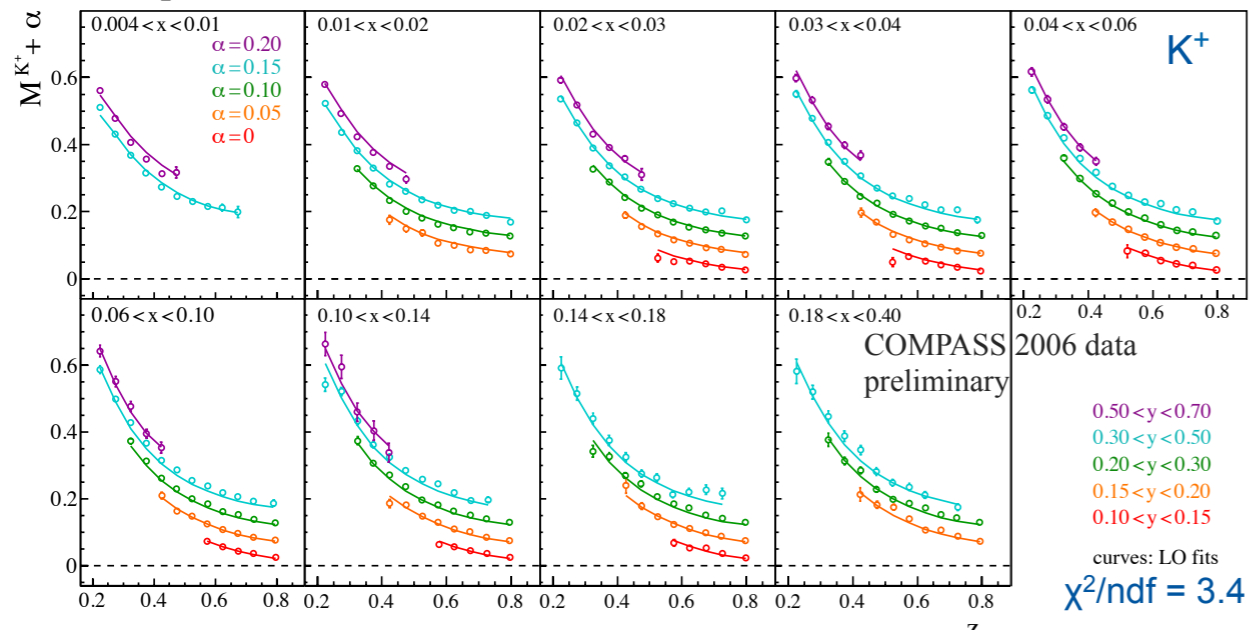
# PDF & Fragmentation



## Multi-D Kaon multiplicities

317 kinematic bins

Example of fit



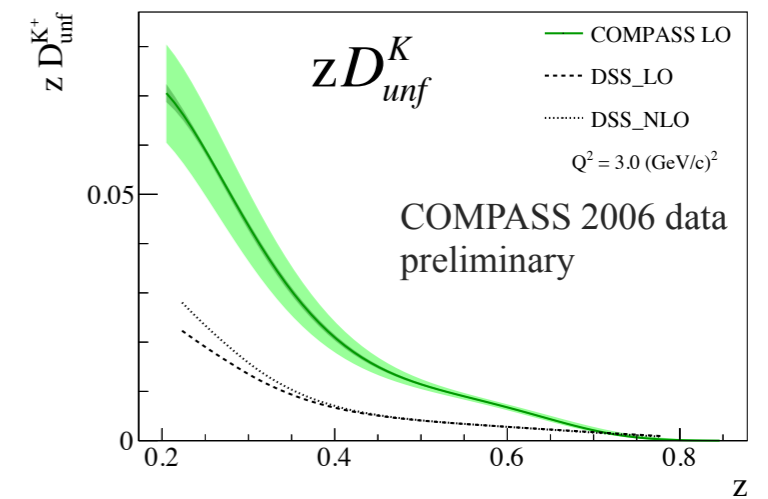
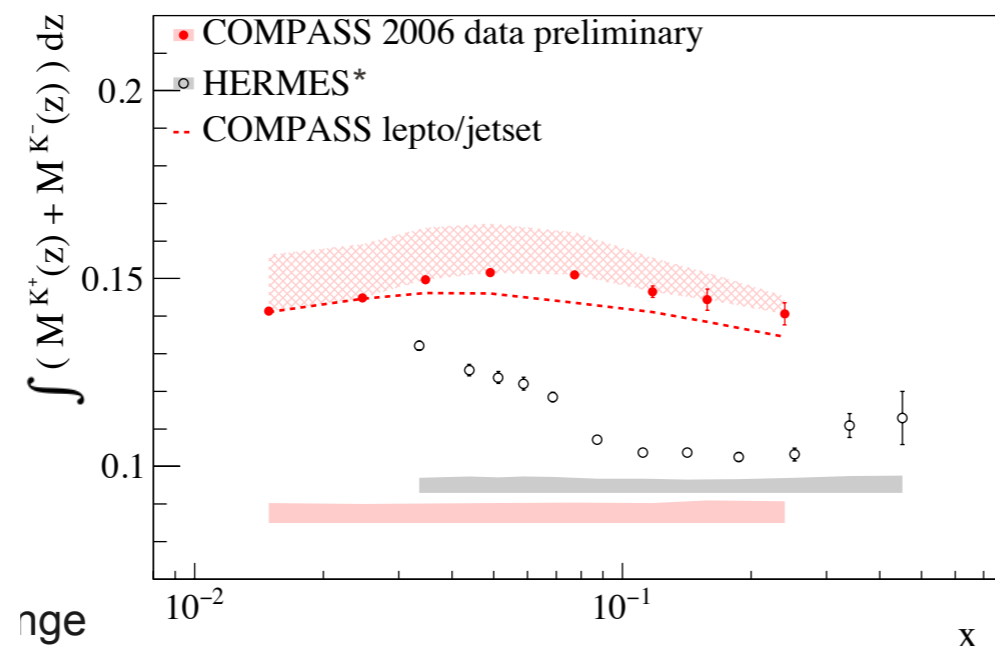
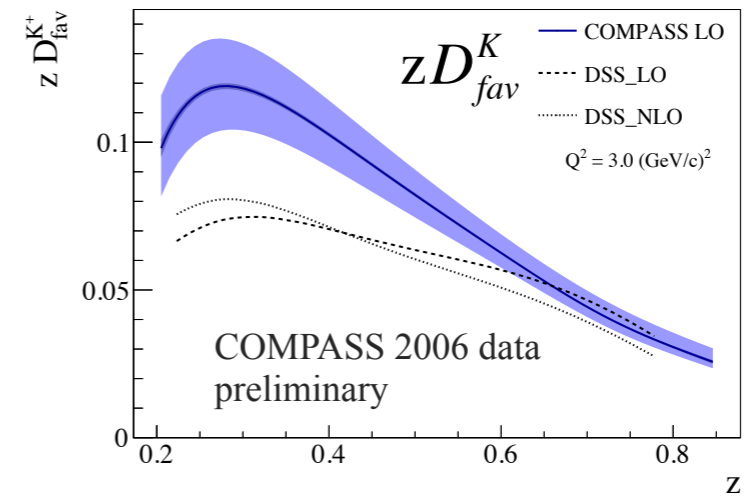
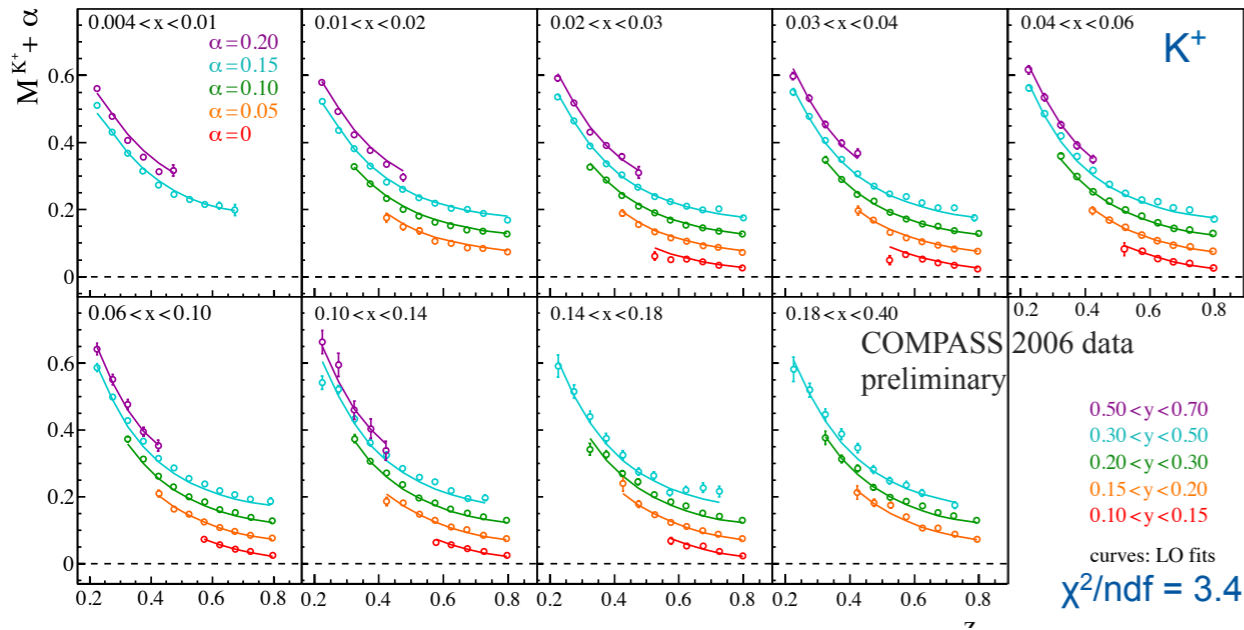
# PDF & Fragmentation



## Multi-D Kaon multiplicities

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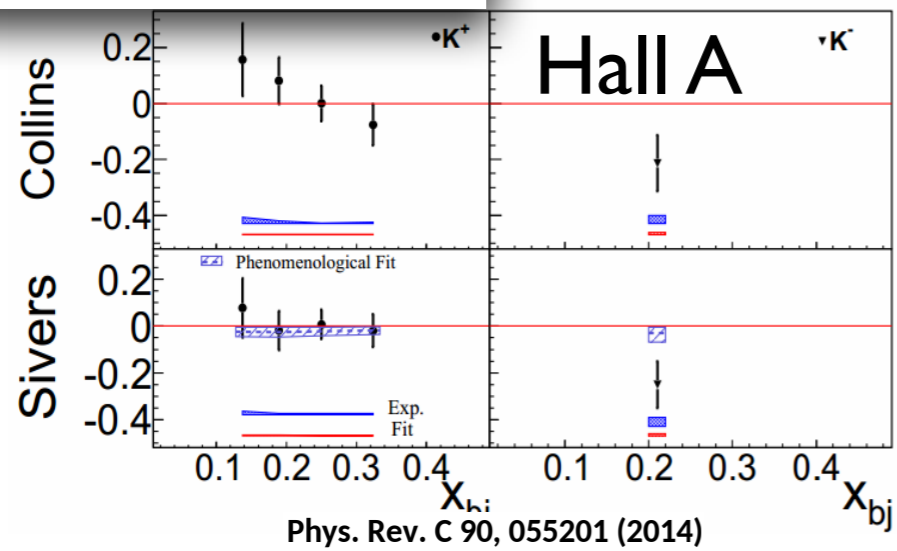


# TMDs

Proton distribution in momentum space

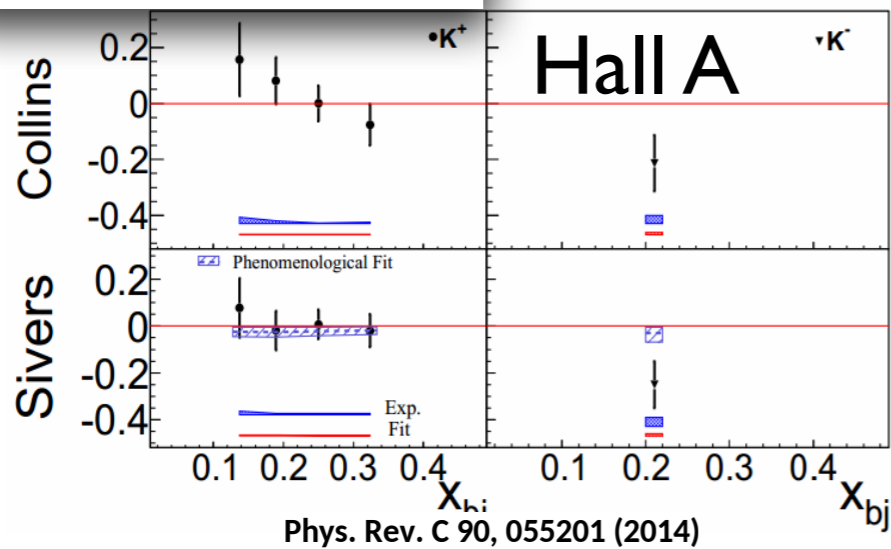
# TMD Transversity

$$A_{UT} \propto h_1 \otimes H_1^\perp$$

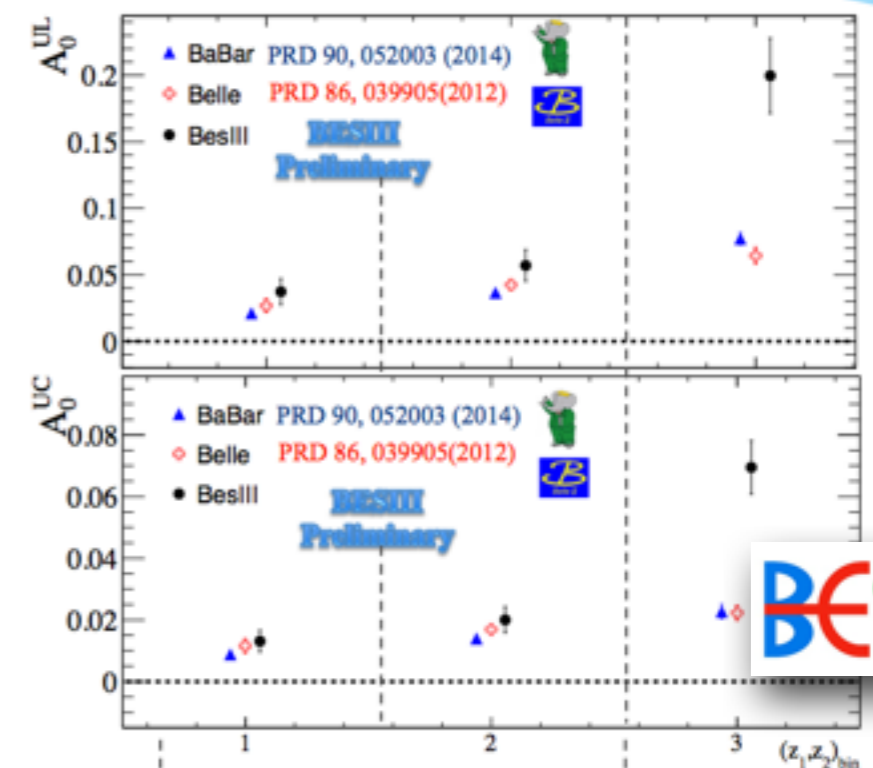


# TMD Transversity

$$A_{UT} \propto h_1 \otimes H_1^\perp$$



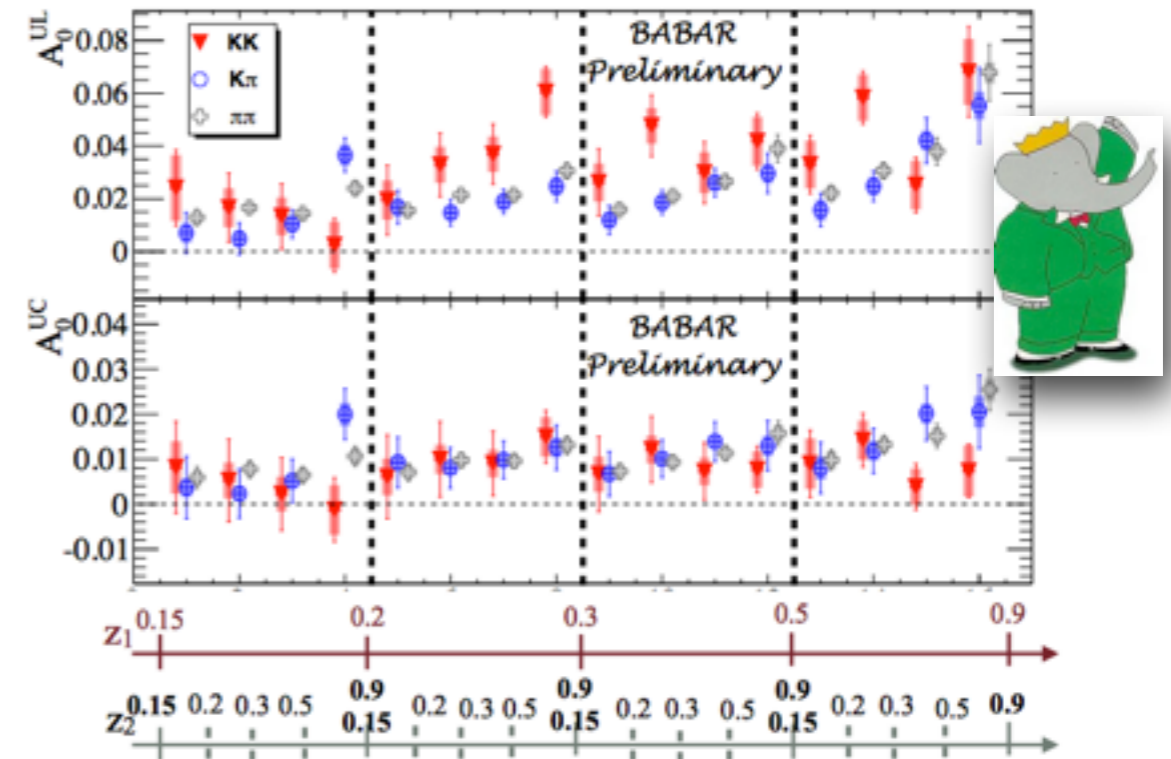
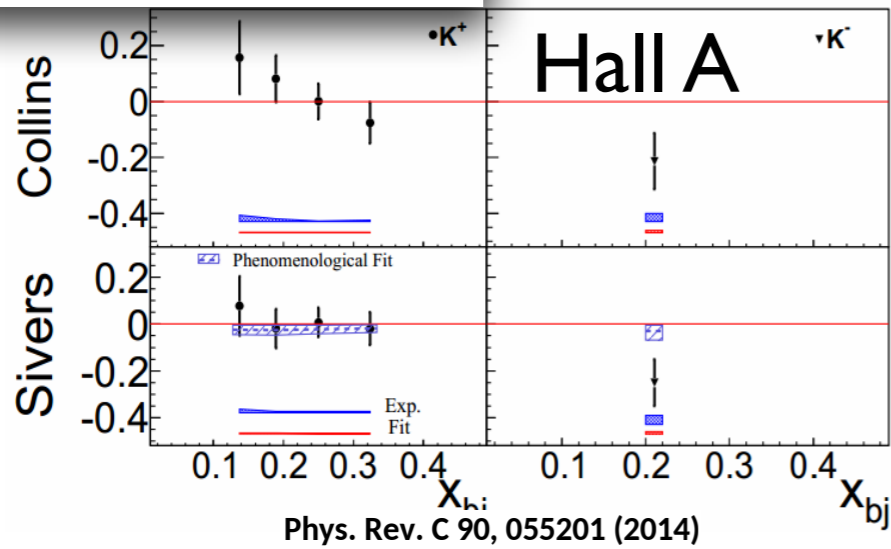
Pion Collins at low energy  
( $Q^2 = 13 \text{ GeV}^2$ )



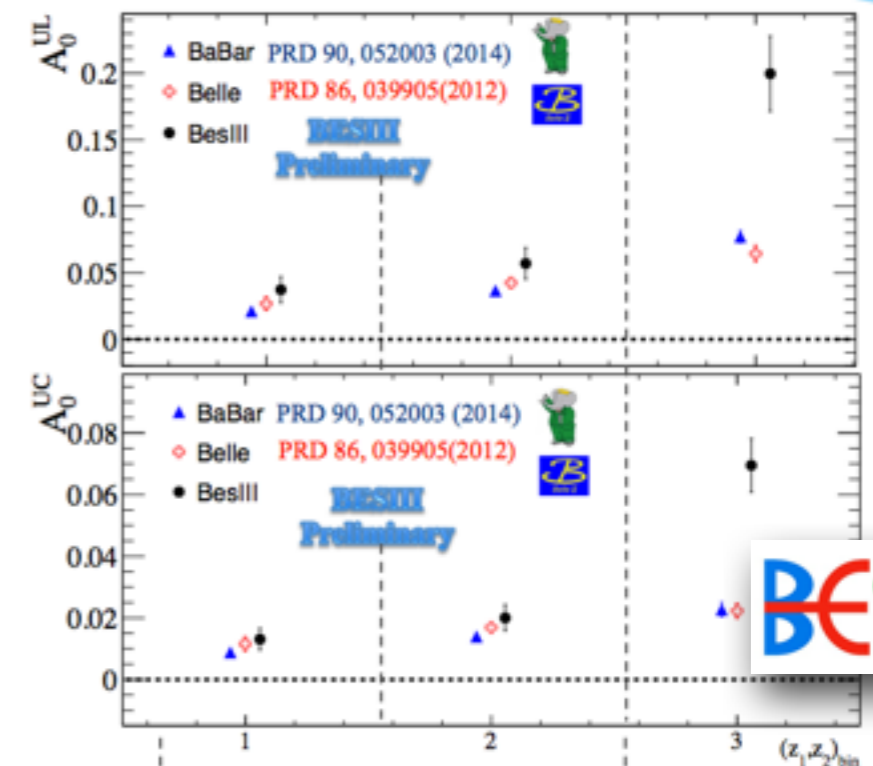
# TMD Transversity

Jefferson Lab  
Thomas Jefferson National Accelerator Facility

$$A_{UT} \propto h_1 \otimes H_1^\perp$$



Pion Collins at low energy  
( $Q^2 = 13 \text{ GeV}^2$ )

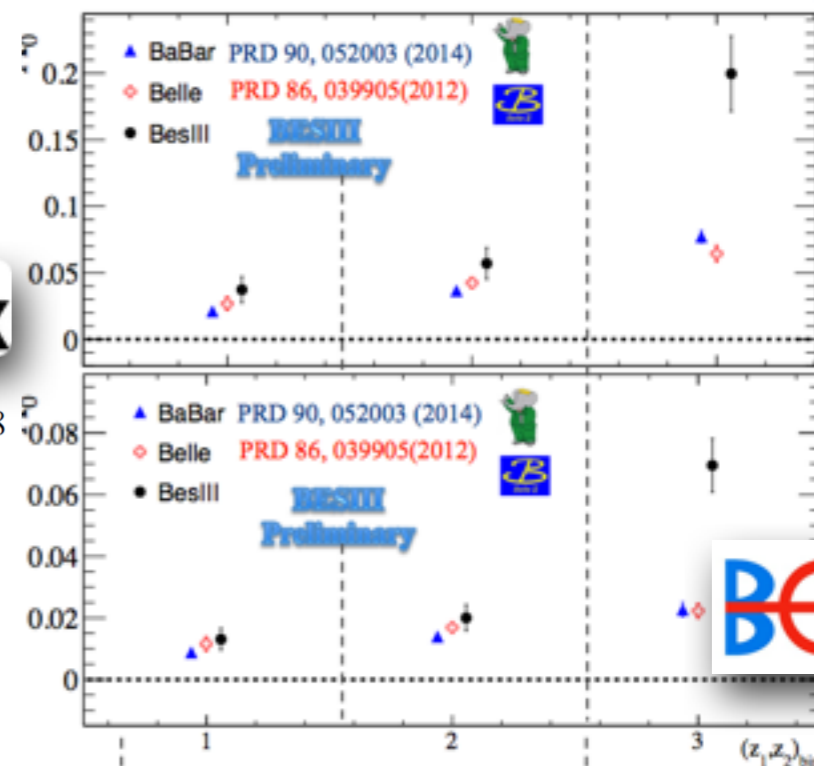
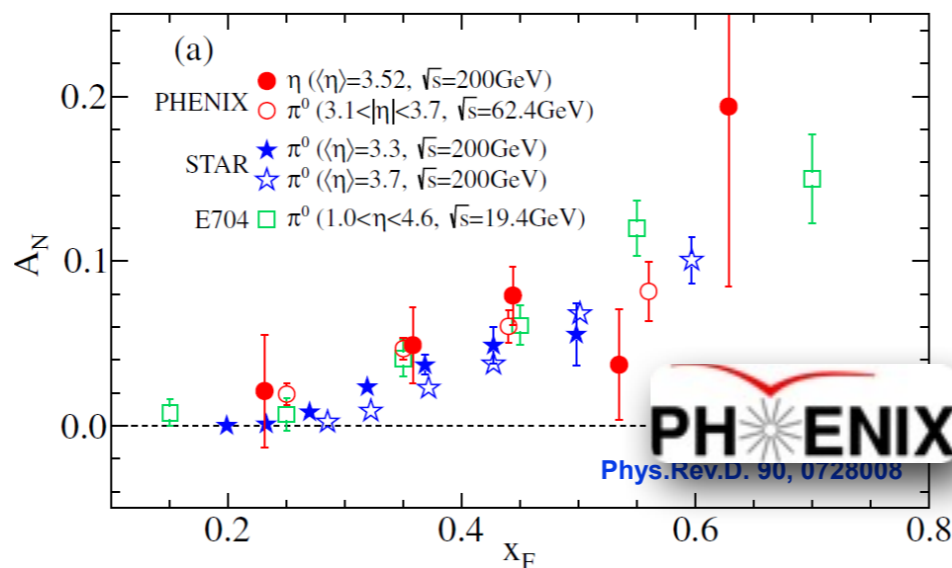
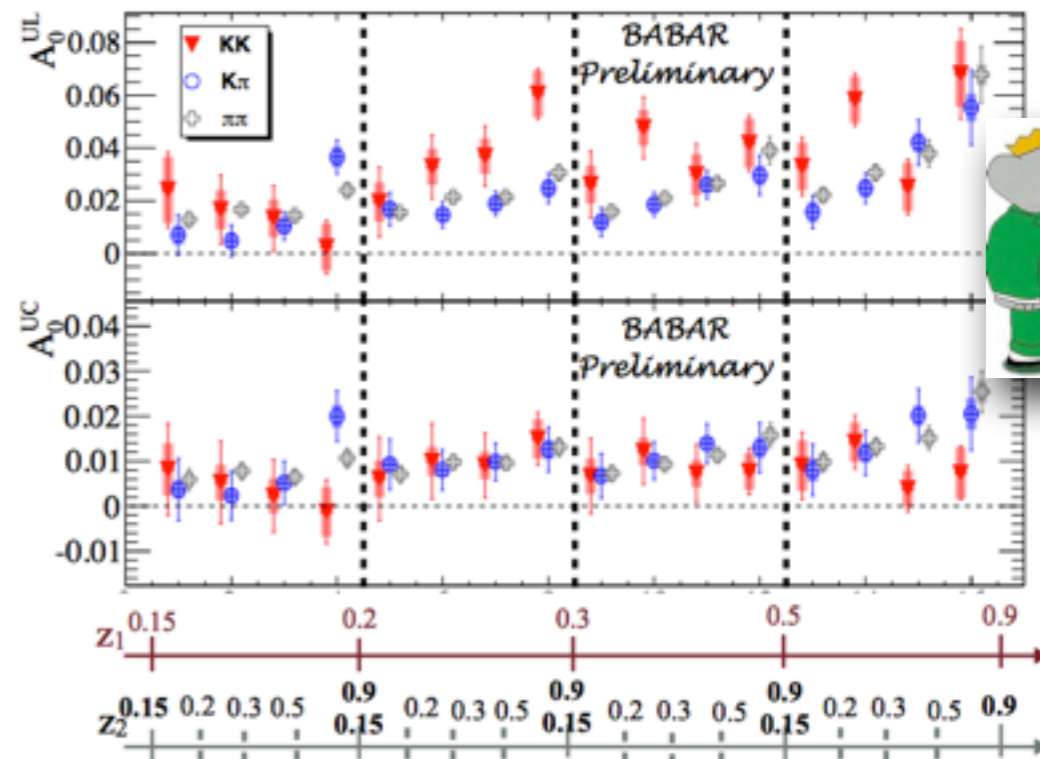
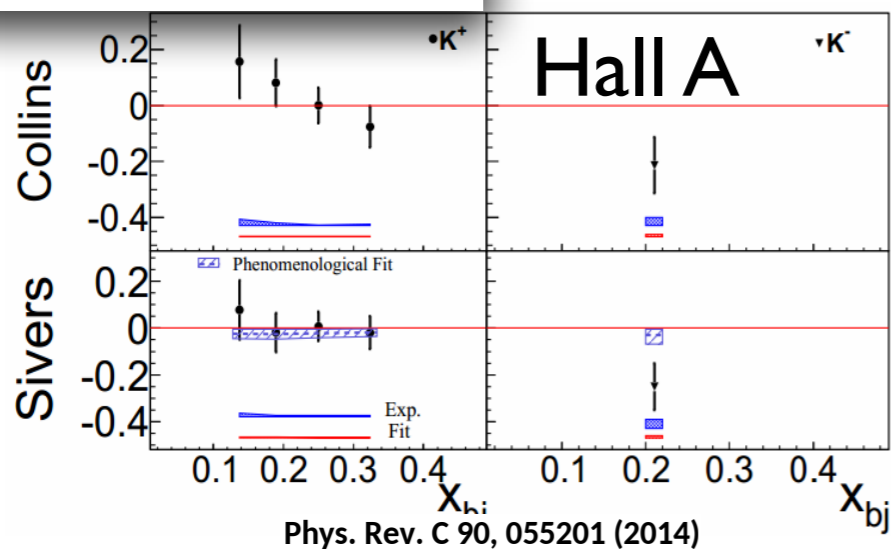


BESIII

# TMD Transversity

Jefferson Lab  
Thomas Jefferson National Accelerator Facility

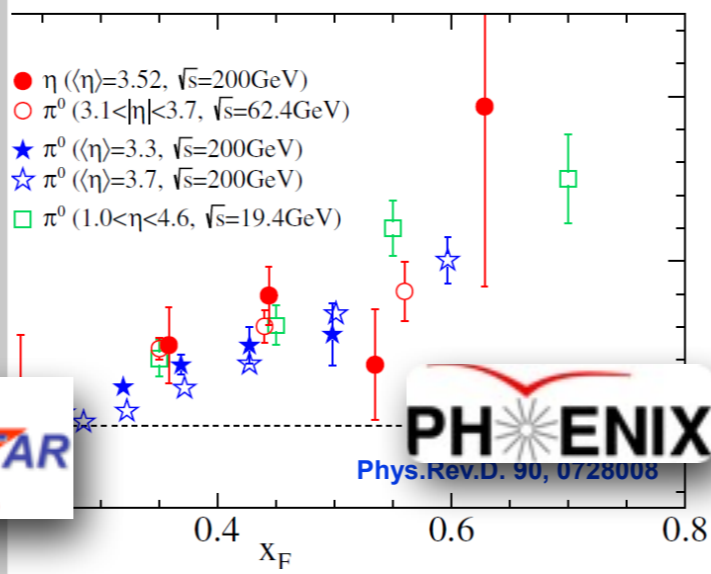
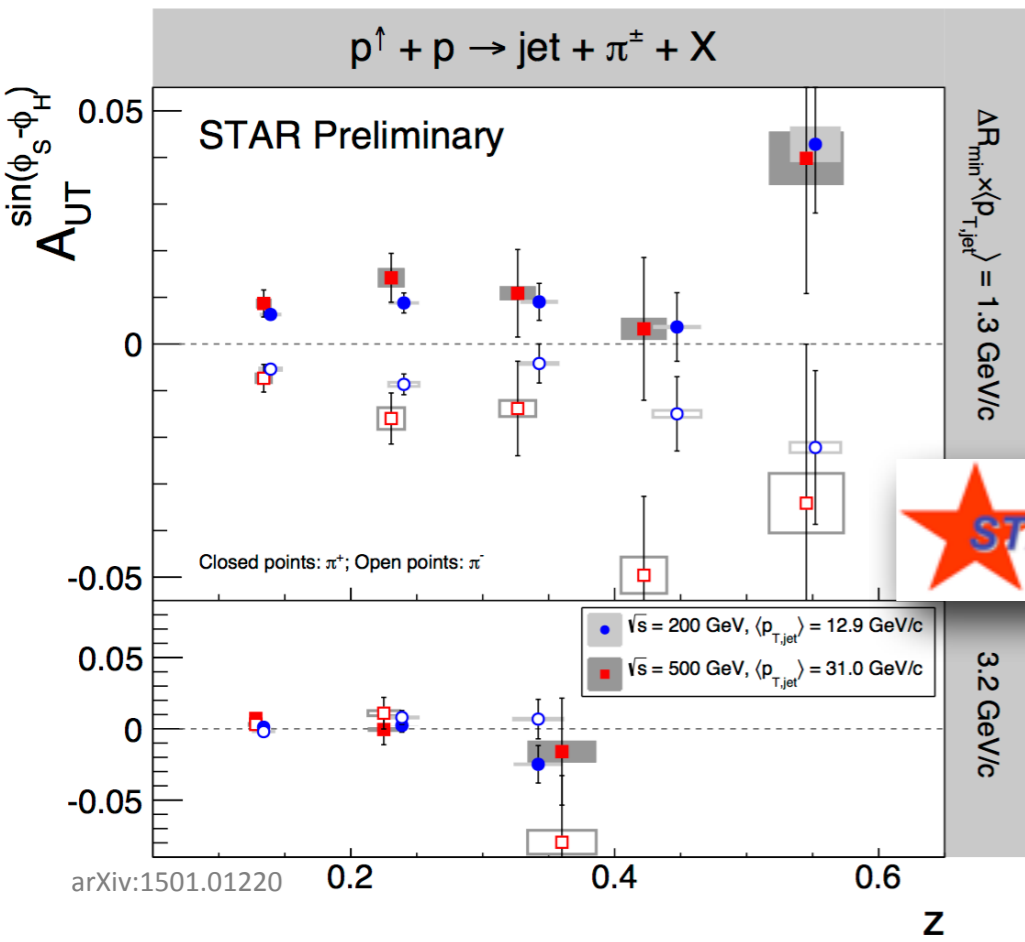
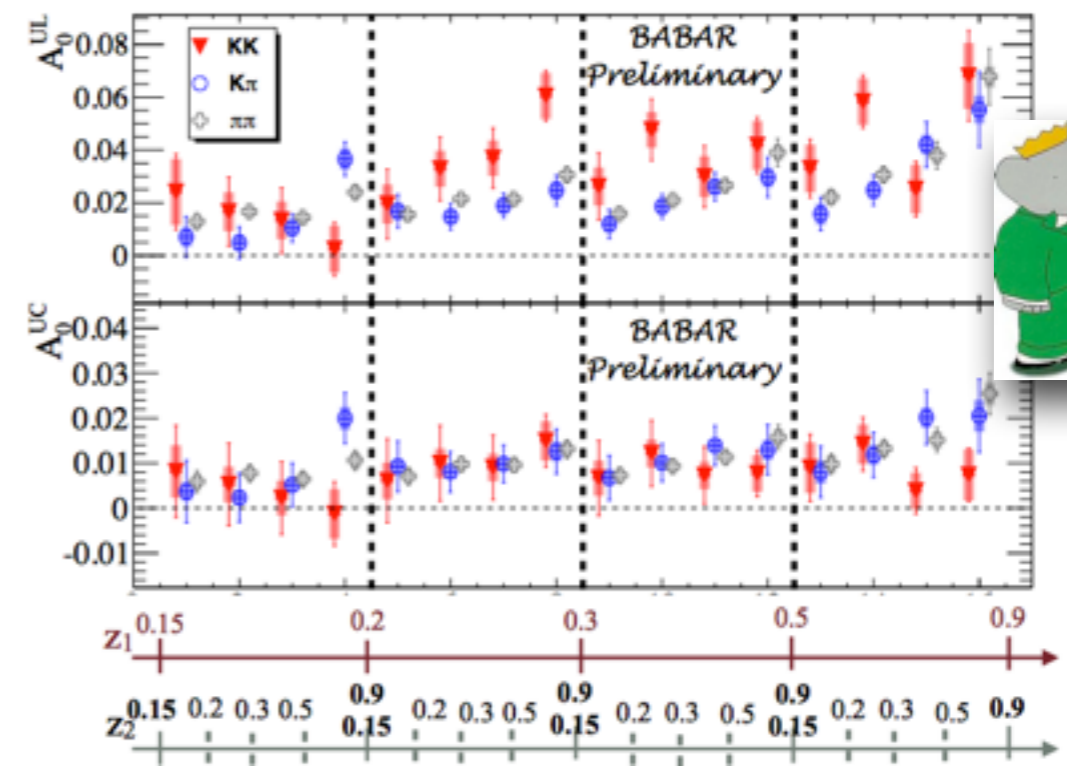
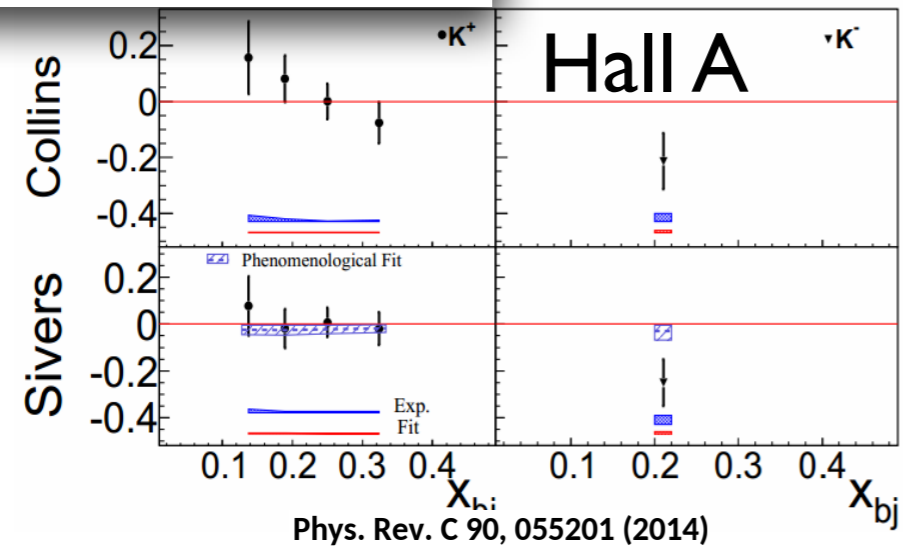
$$A_{UT} \propto h_1 \otimes H_1^\perp$$



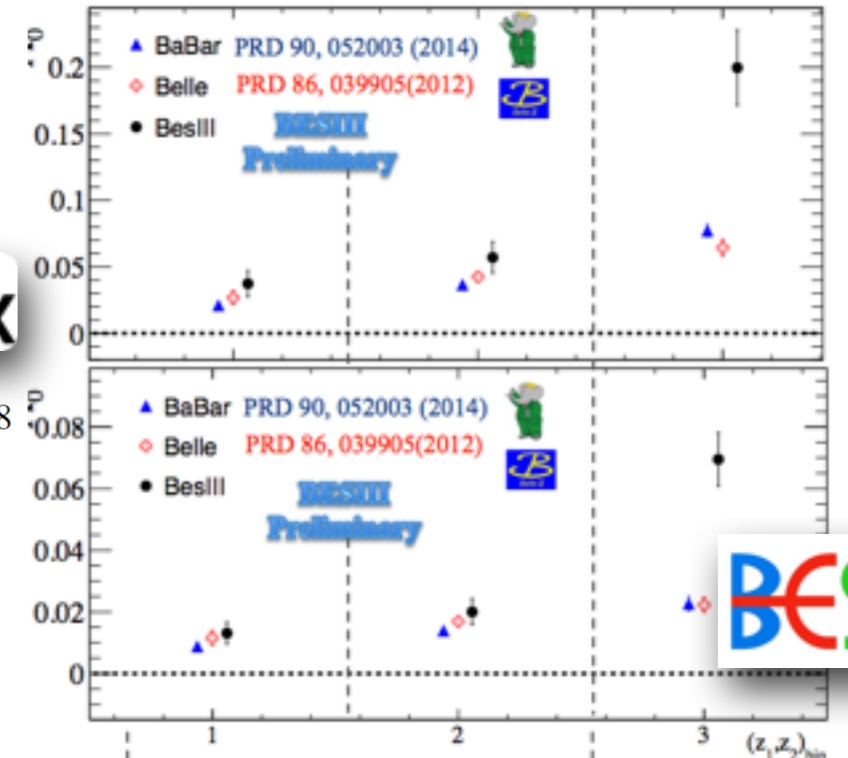
# TMD Transversity



$$A_{UT} \propto h_1 \otimes H_1^\perp$$



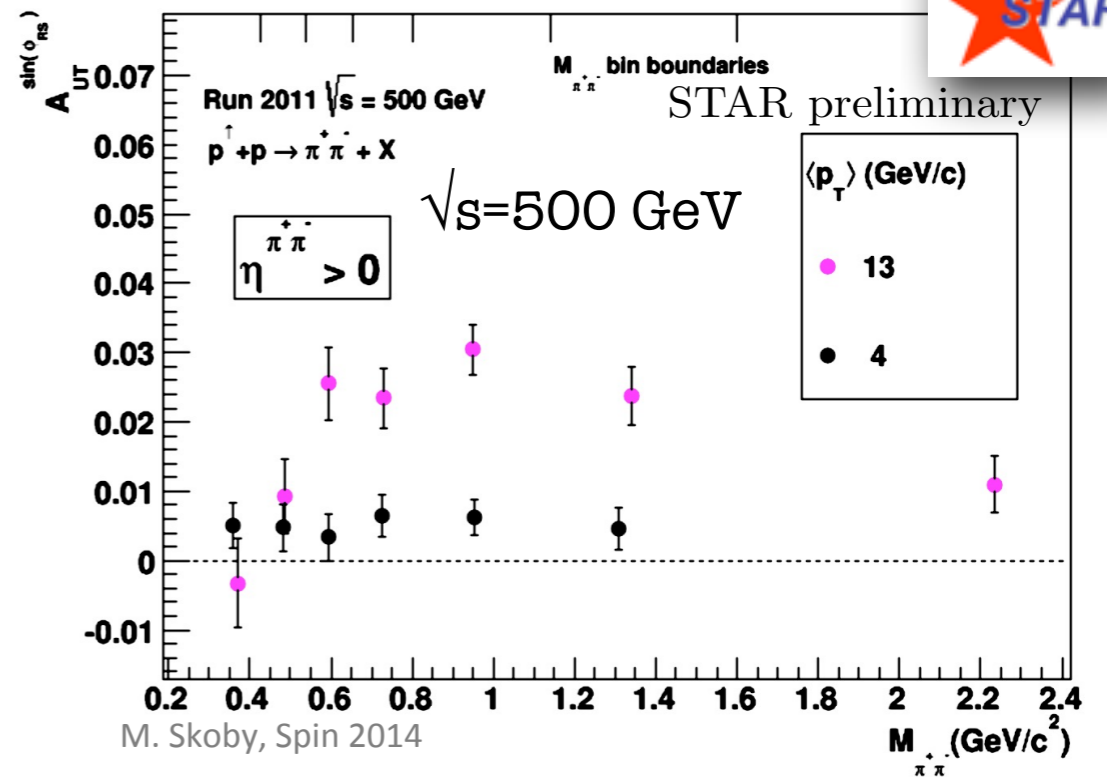
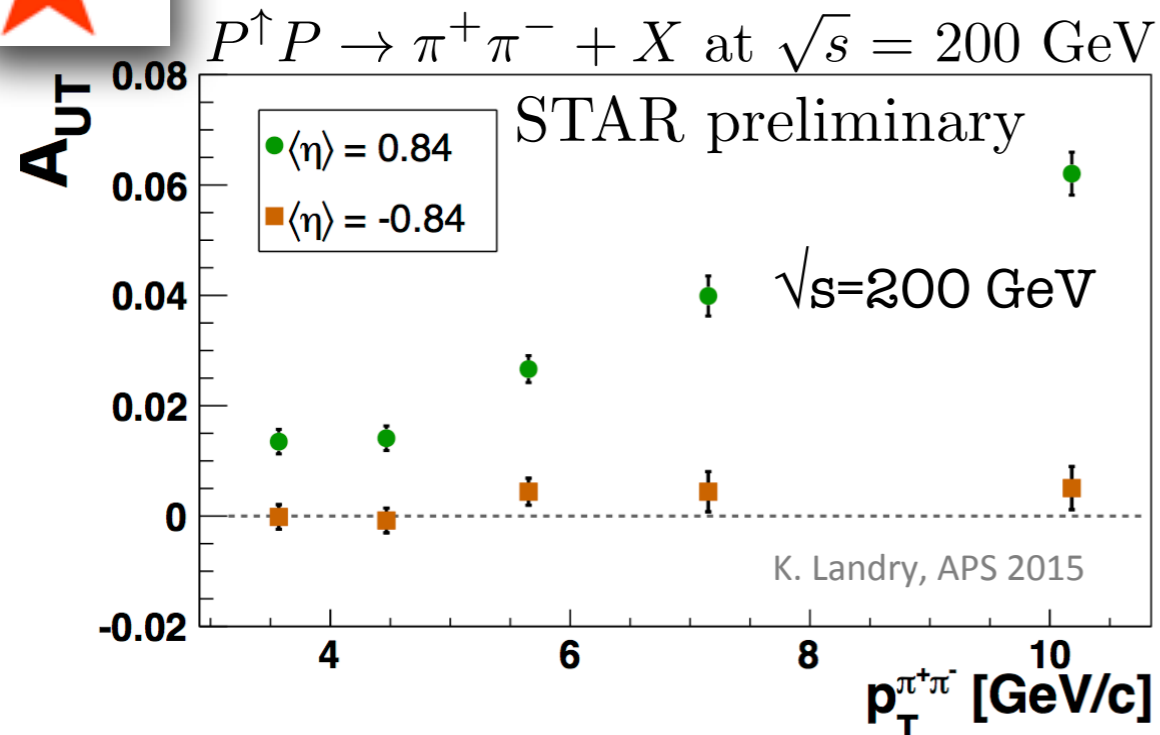
Pion Collins at low energy ( $Q^2 = 13 \text{ GeV}^2$ )





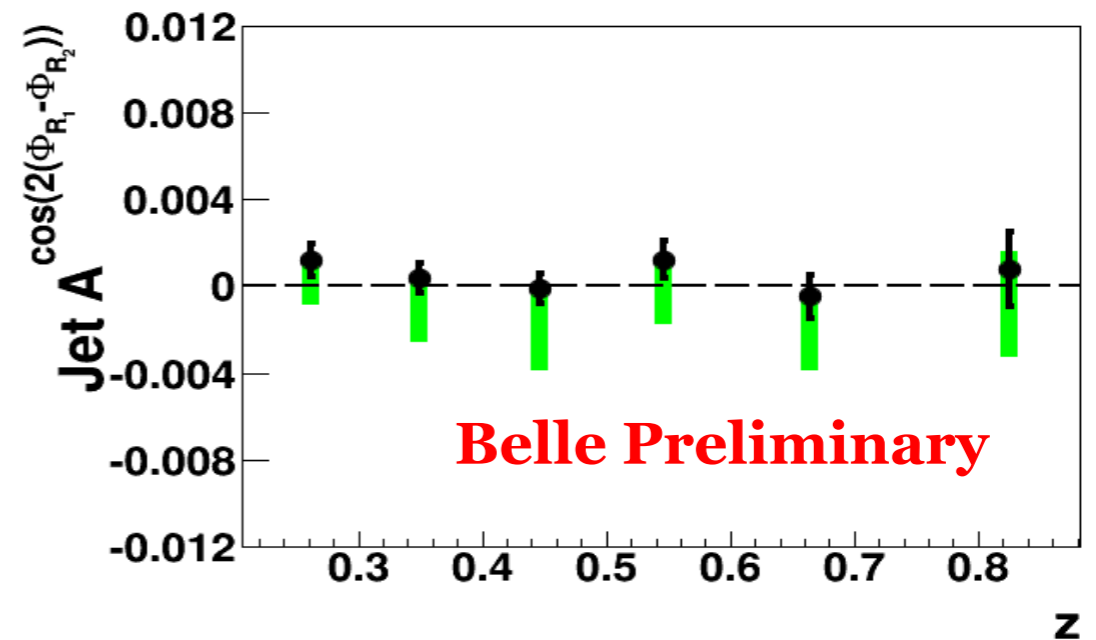
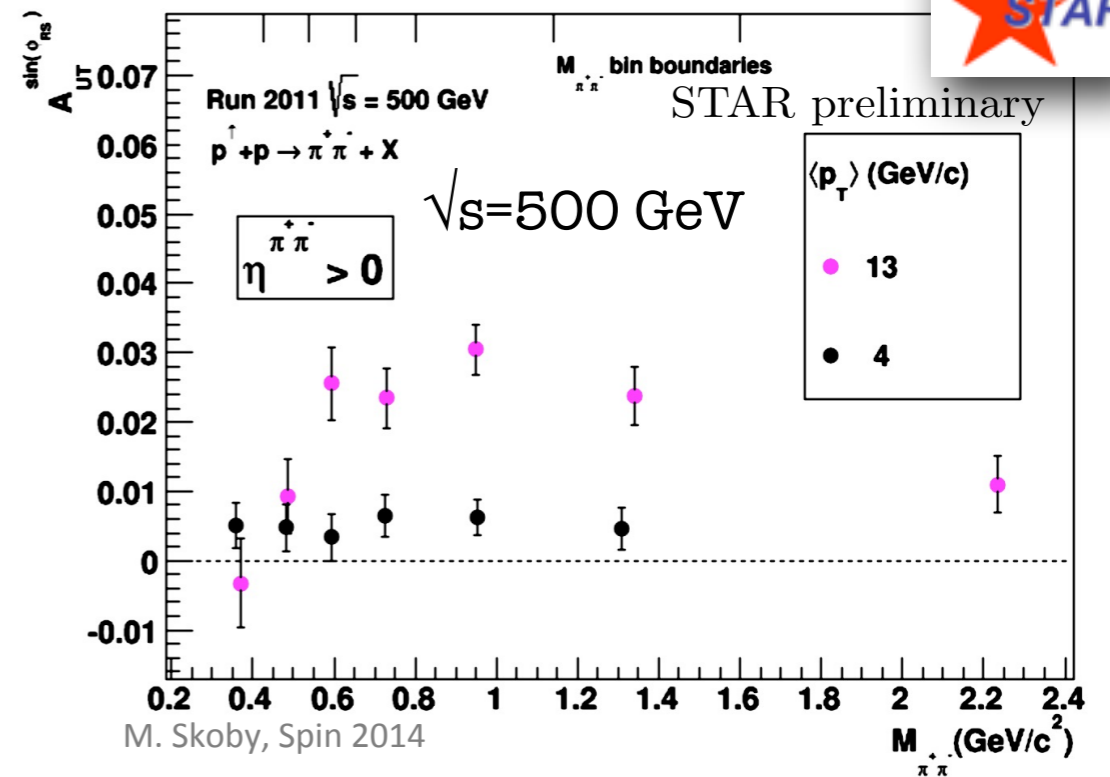
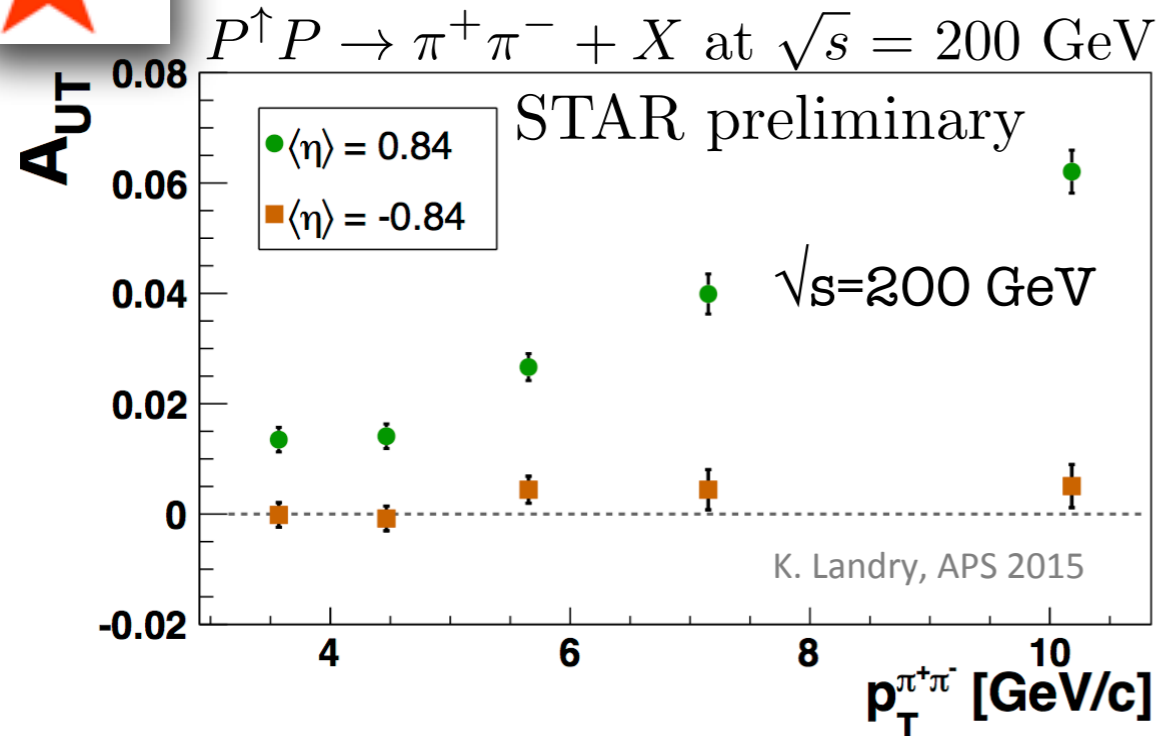
# Collinear Transversity

$$A_{UT} \propto h_1 \times H_1^{\triangleleft}$$



# Collinear Transversity

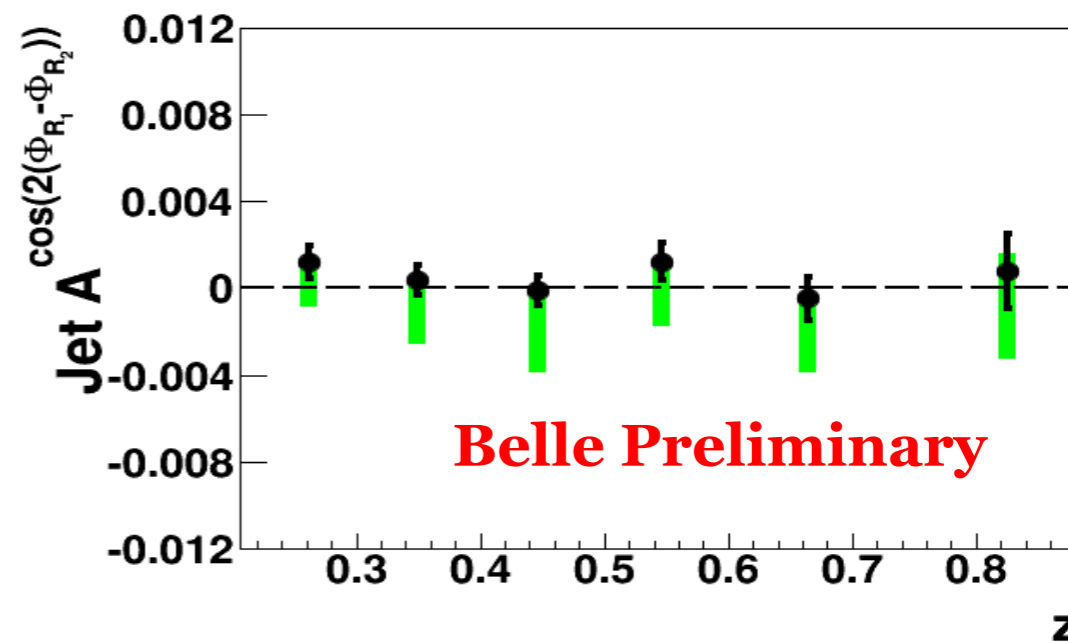
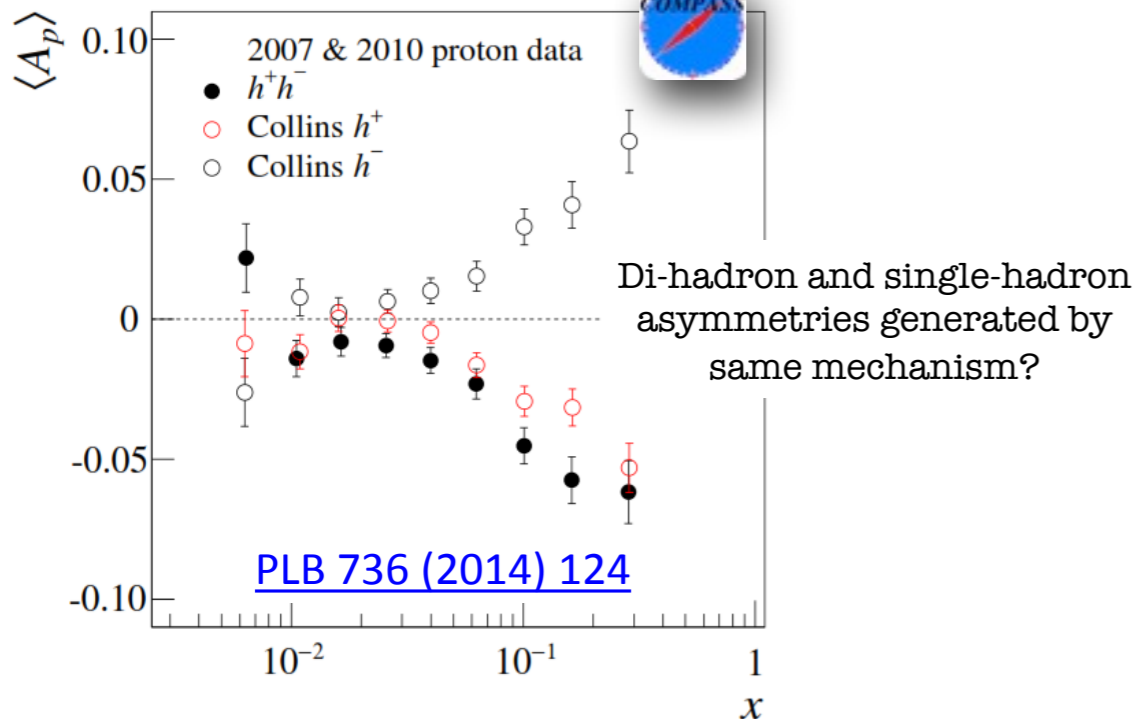
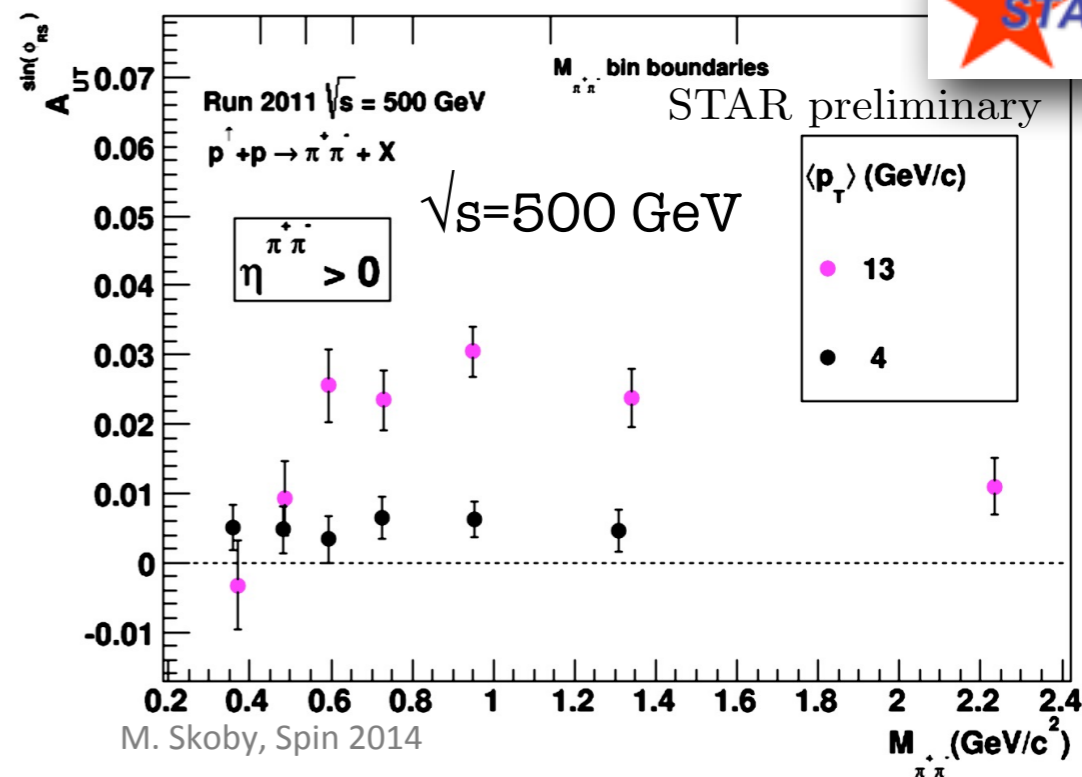
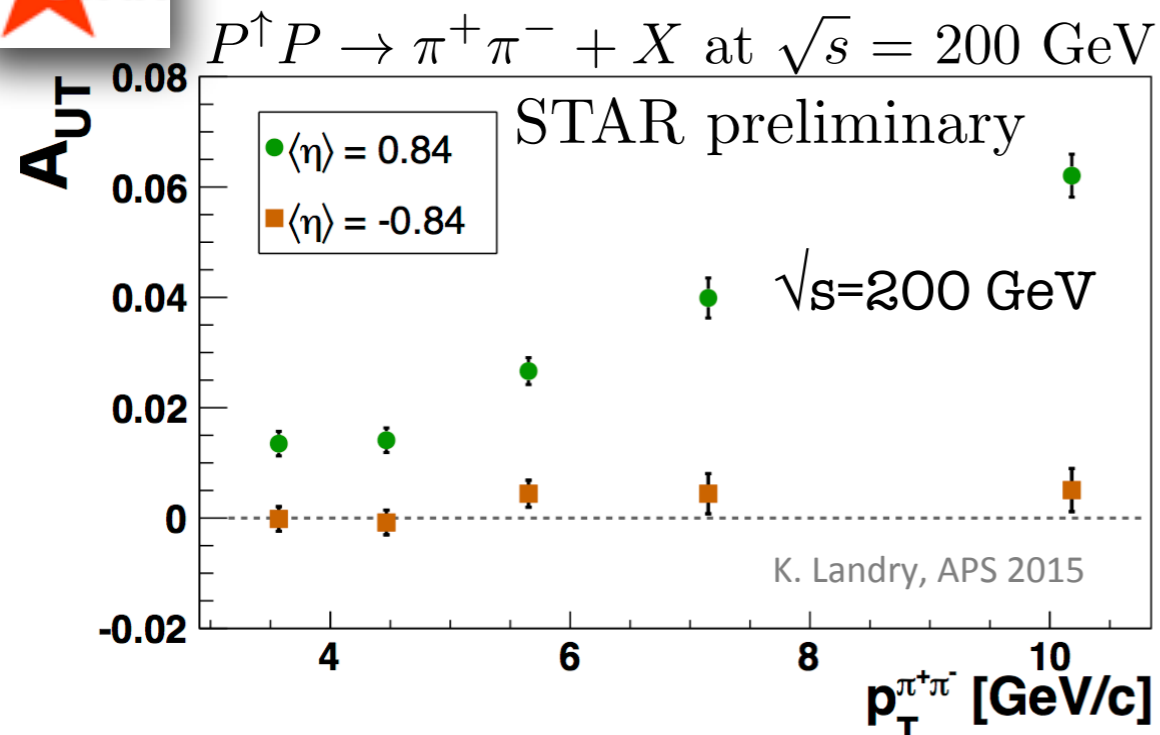
$$A_{UT} \propto h_1 \times H_1^{\triangleleft}$$




















# Collinear Transversity
















$$A_{UT} \propto h_1 \times H_1^{\triangleleft}$$

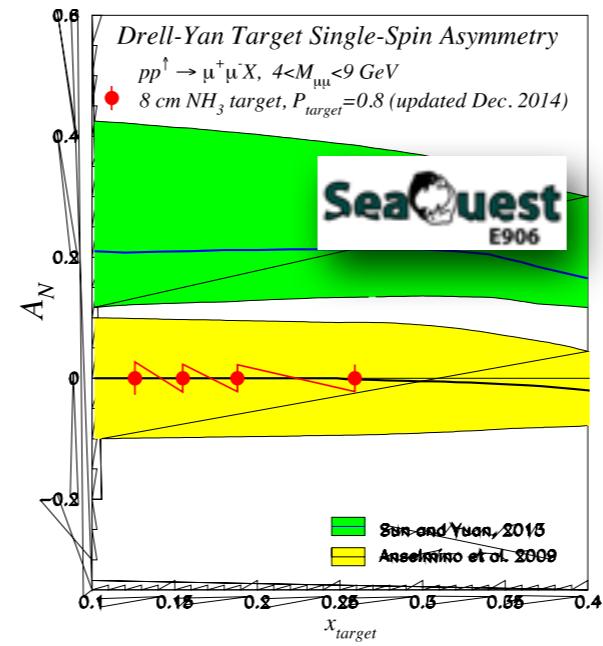


# TMDs

		quark		
		U	L	T
n u c i e o n	U	$f_1$ 		$h_1^+$  - 
	L		$g_1$  - 	$h_{1L}^+$  - 
	T	$f_{iT}^+$  - 	$g_{iT}^+$  - 	$h_1$  -  $h_{iT}^+$  - 

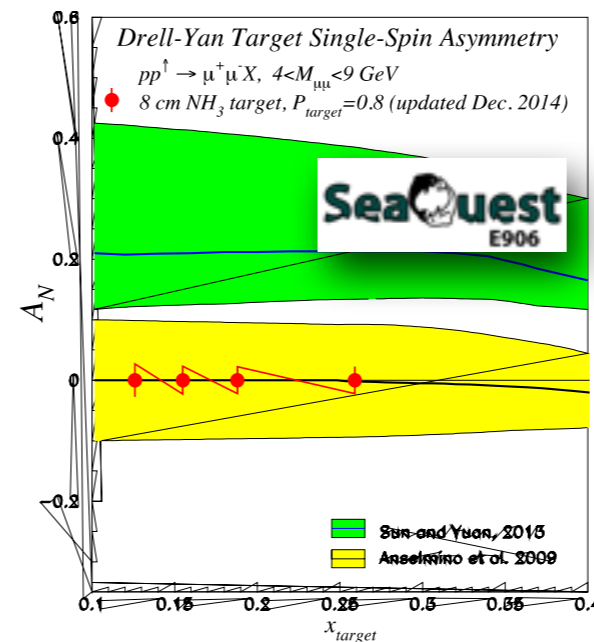
# TMDs

		quark		
		U	L	T
nucleon	U	$f_1$ 		$h_1^+$  - 
	L		$g_1$  - 	$h_{1L}^+$  - 
	T	$f_{iT}^+$  - 	$g_{iT}^+$  - 	$h_1^-$  -  $h_{iT}^+$  - 

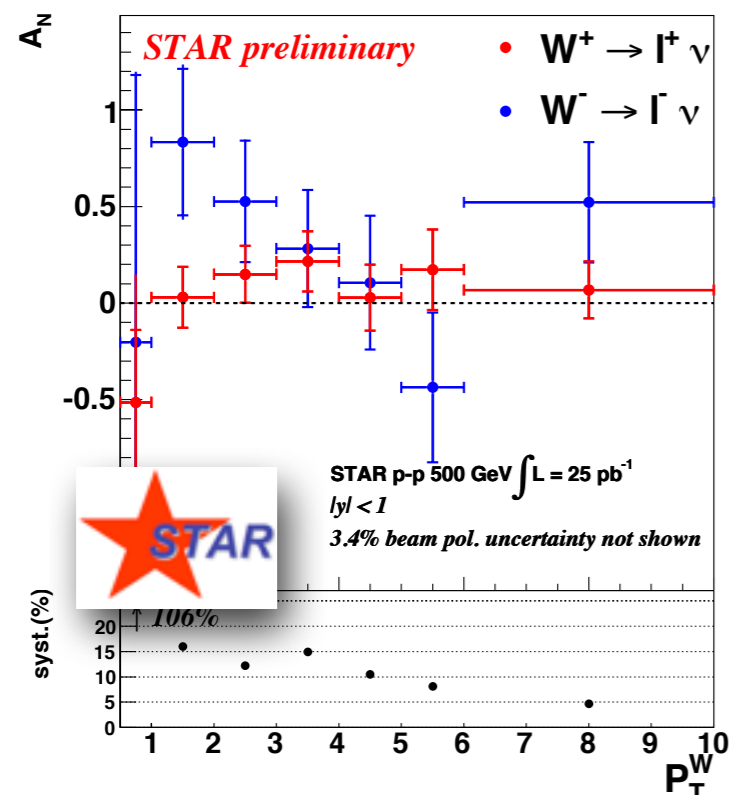


# TMDs

		quark		
		U	L	T
nucleon	U	$f_1$		$h_1^+$
	L		$g_1$	$h_{1L}^+$
	T	$f_{iT}^+$	$g_{iT}^+$	$h_{iT}^+$

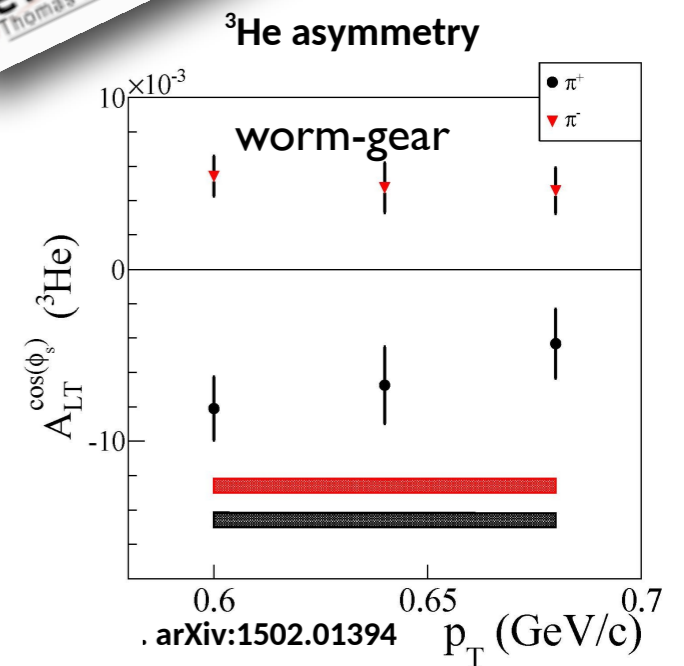
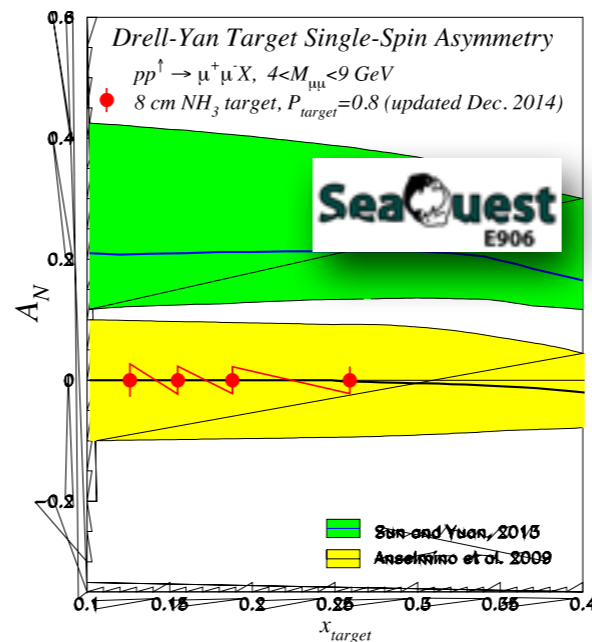


Hint of Sivers sign-change in pp?  
 More data on the way!

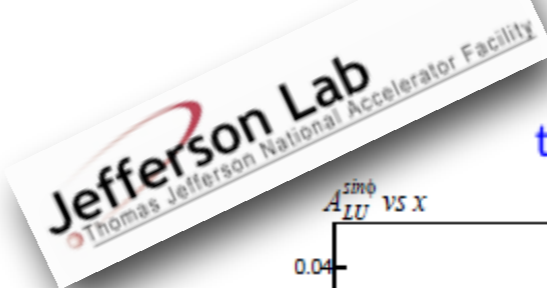
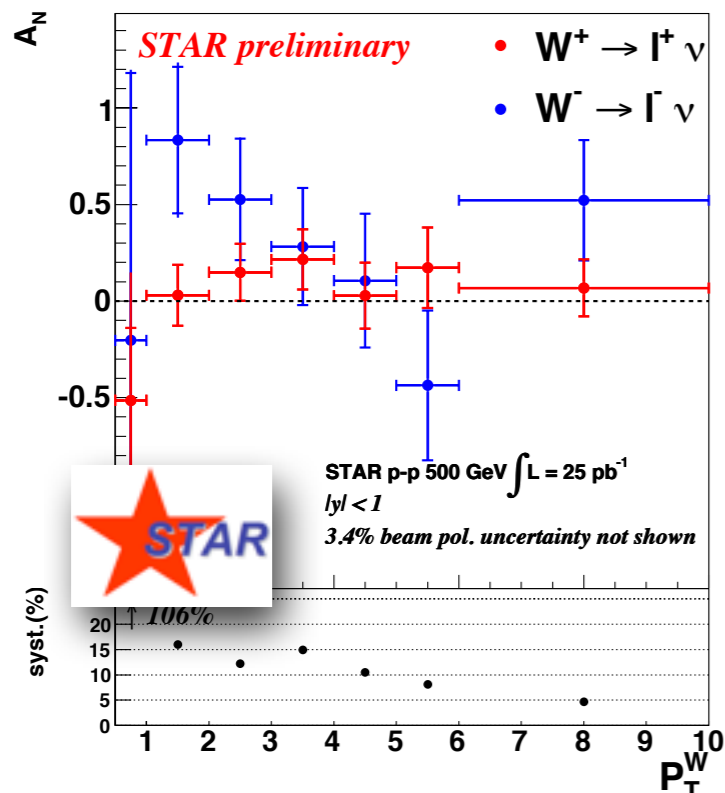


# TMDs

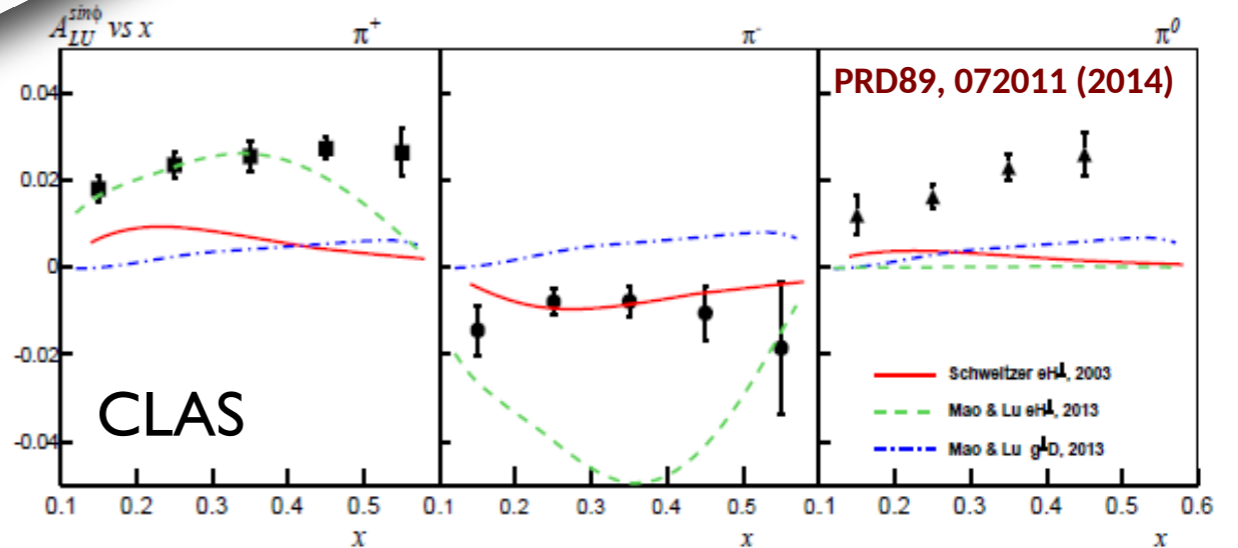
		quark		
		U	L	T
nucleon	U	$f_1$		$h_1^+$
	L		$g_1$	$h_{1L}^+$
	T	$f_{1T}^+$	$g_{1T}^+$	$h_{1T}^+$



Hint of Sivers sign-change in pp?  
More data on the way!

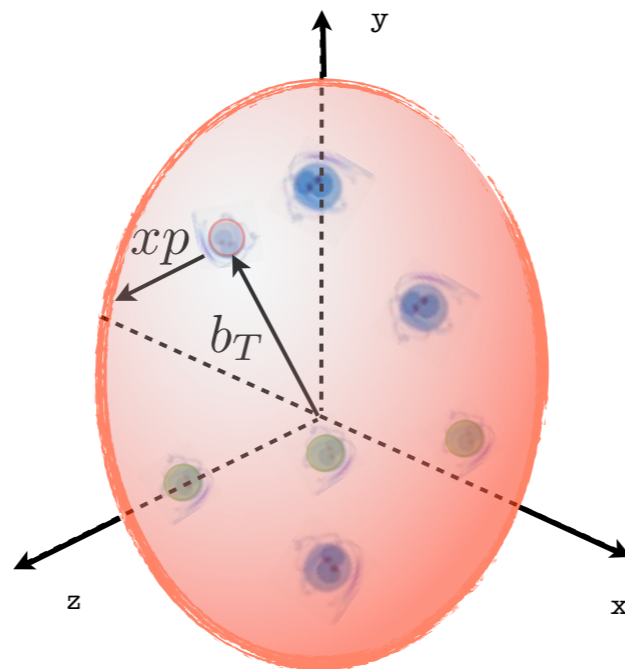


twist-3 PDF sensitive to q-g-q correlations

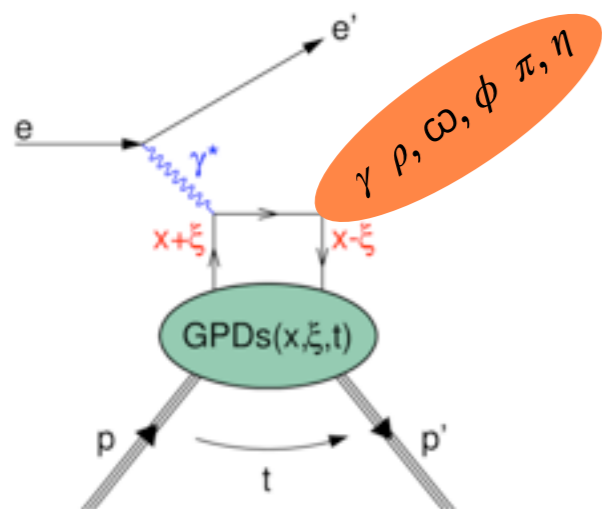


# GPDs

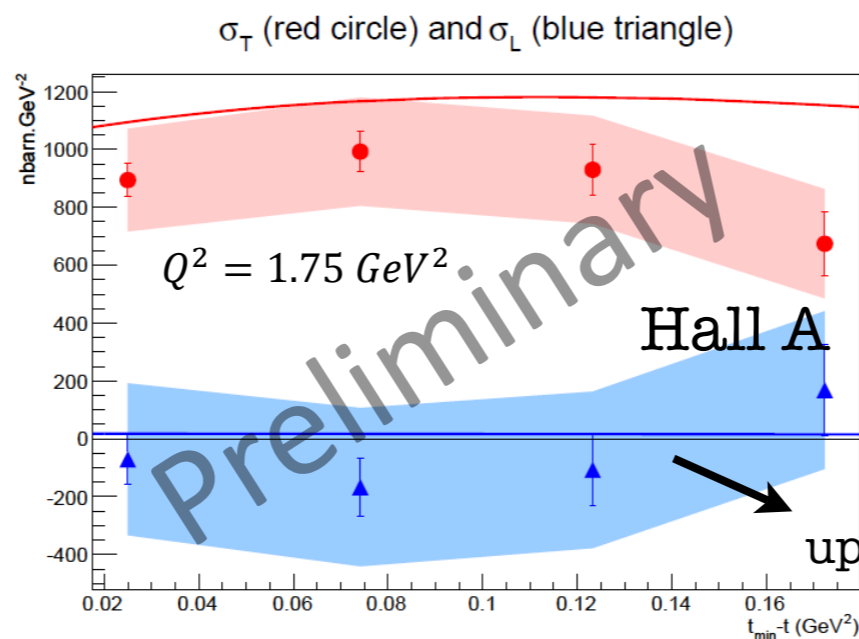
Proton distribution in impact parameter space



# Constraining GPDs

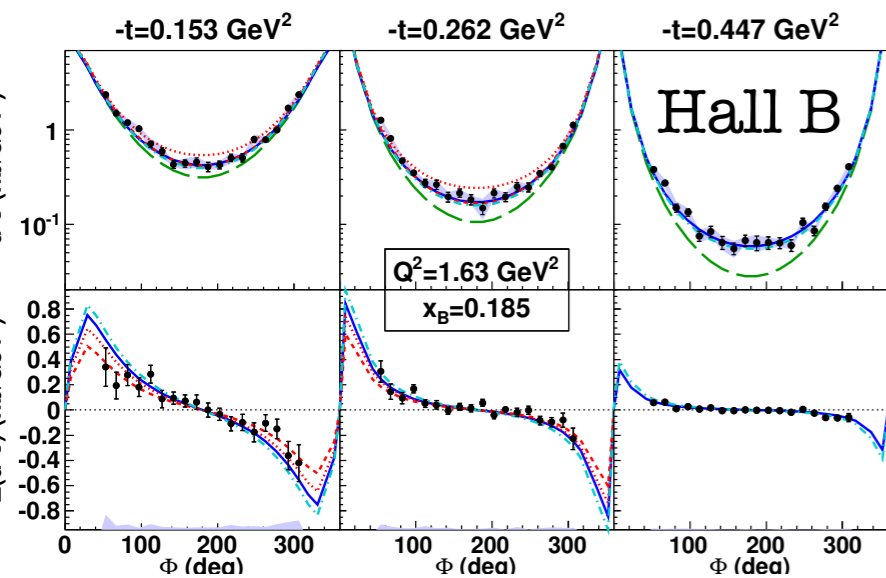


- DVCS ( $\gamma$ )  $\rightarrow H, E, \tilde{H}, \tilde{E}$
- Vector mesons ( $\rho, \omega, \phi$ )  $\rightarrow H, E$
- Pseudoscalar mesons ( $\pi, \eta$ )  $\rightarrow \tilde{H}, \tilde{E}$

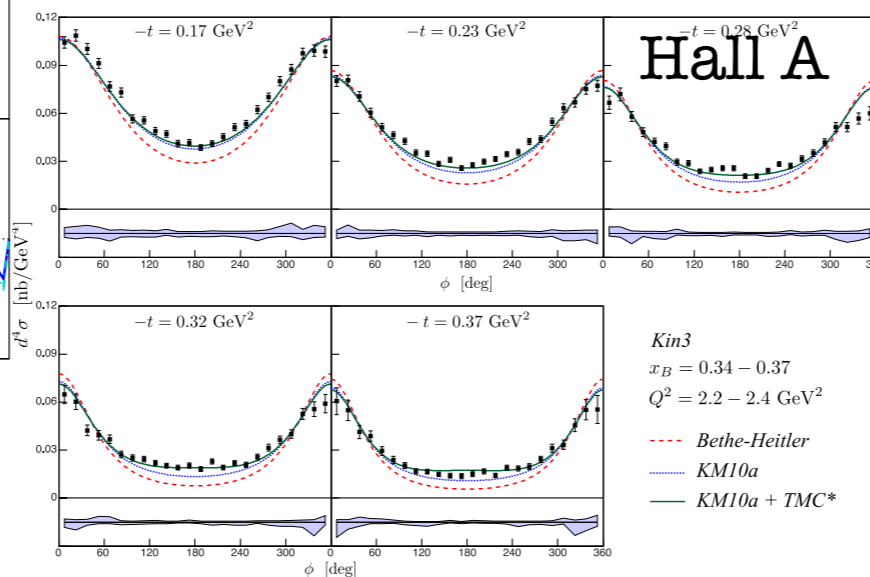


upper limit on  $\tilde{H}, \tilde{E}$

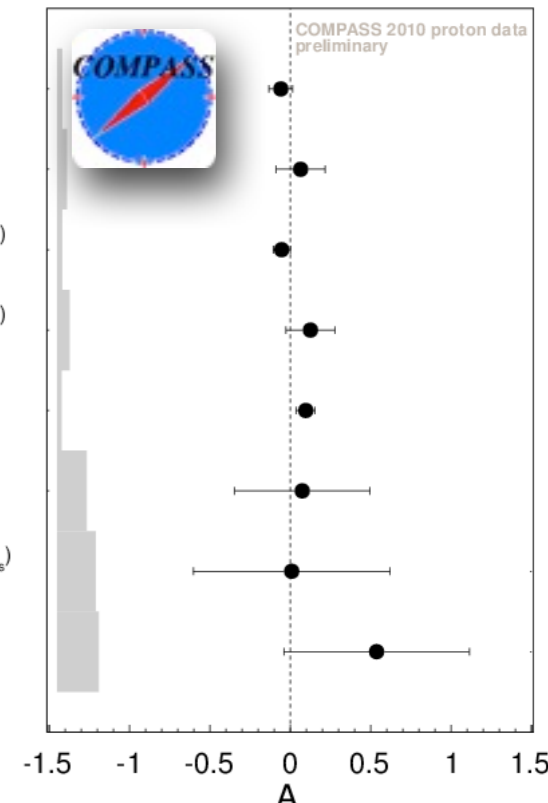
$\omega$  production



DVCS cross section modulation

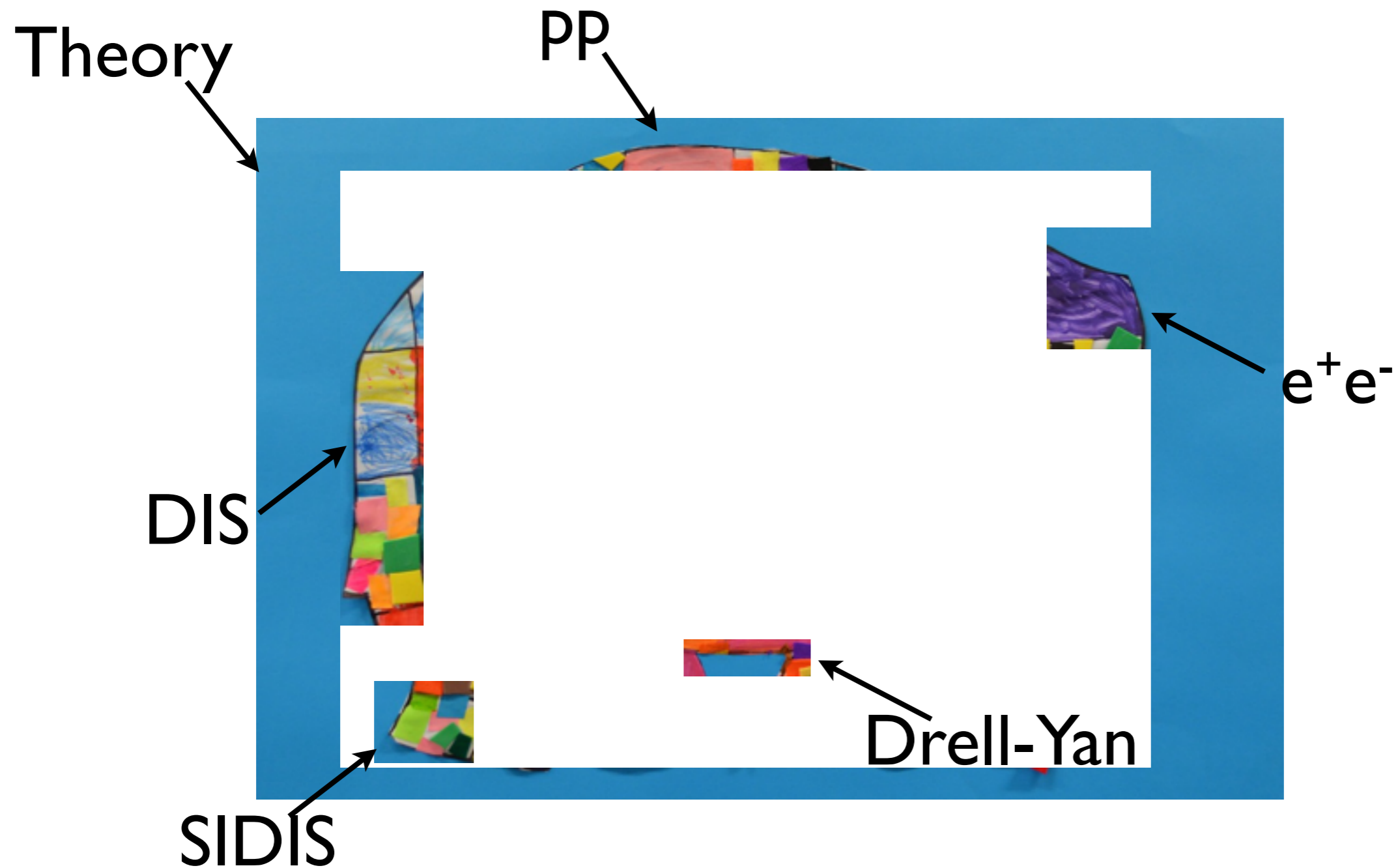


- $A_{UT}^{\sin(\phi - \phi_s)}$
- $A_{UT}^{\sin(\phi + \phi_s)}$
- $A_{UT}^{\sin(2\phi - \phi_s)}$
- $A_{UT}^{\sin(3\phi - \phi_s)}$
- $A_{UT}^{\sin \phi_s}$
- $A_{LT}^{\cos(\phi - \phi_s)}$
- $A_{LT}^{\cos(2\phi - \phi_s)}$
- $A_{LT}^{\cos \phi_s}$



# The complete picture

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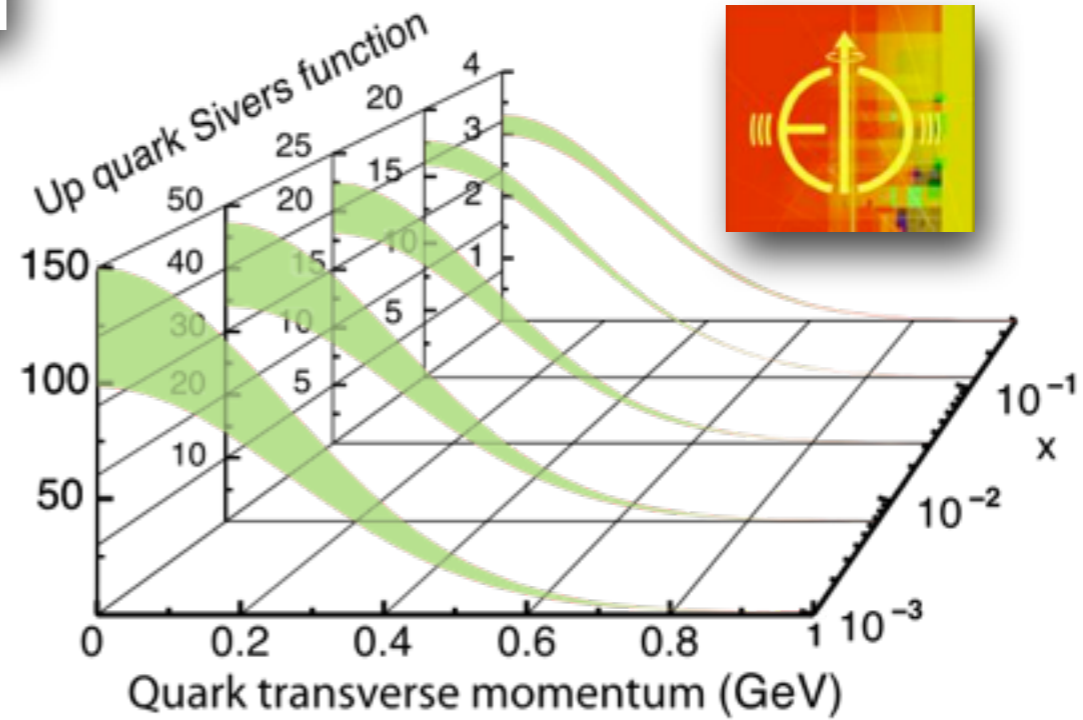
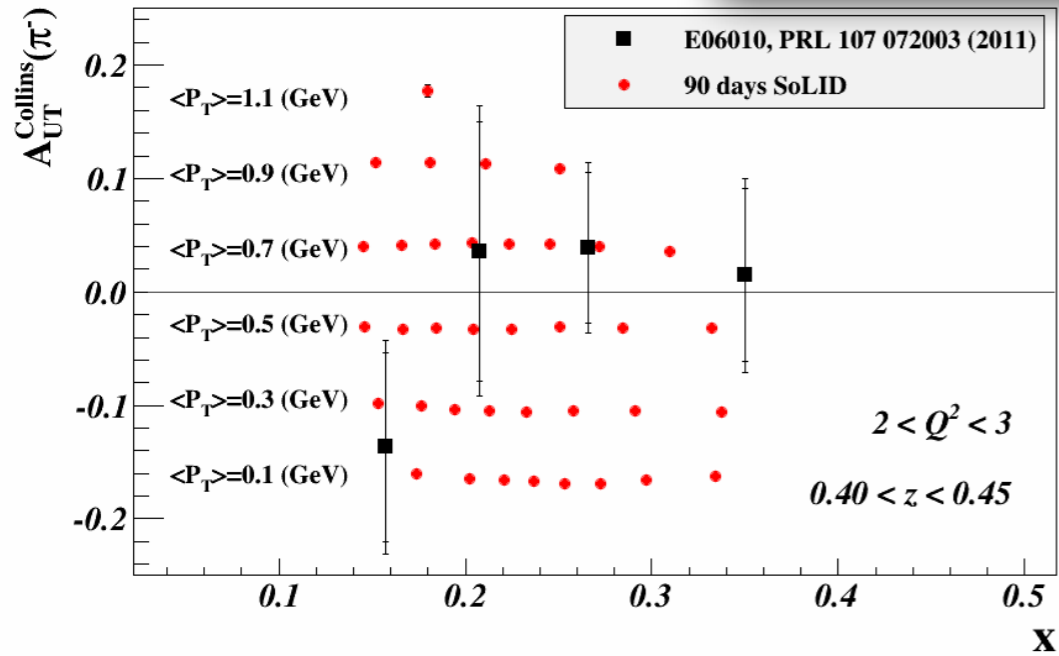
\*The elephant and the blind men



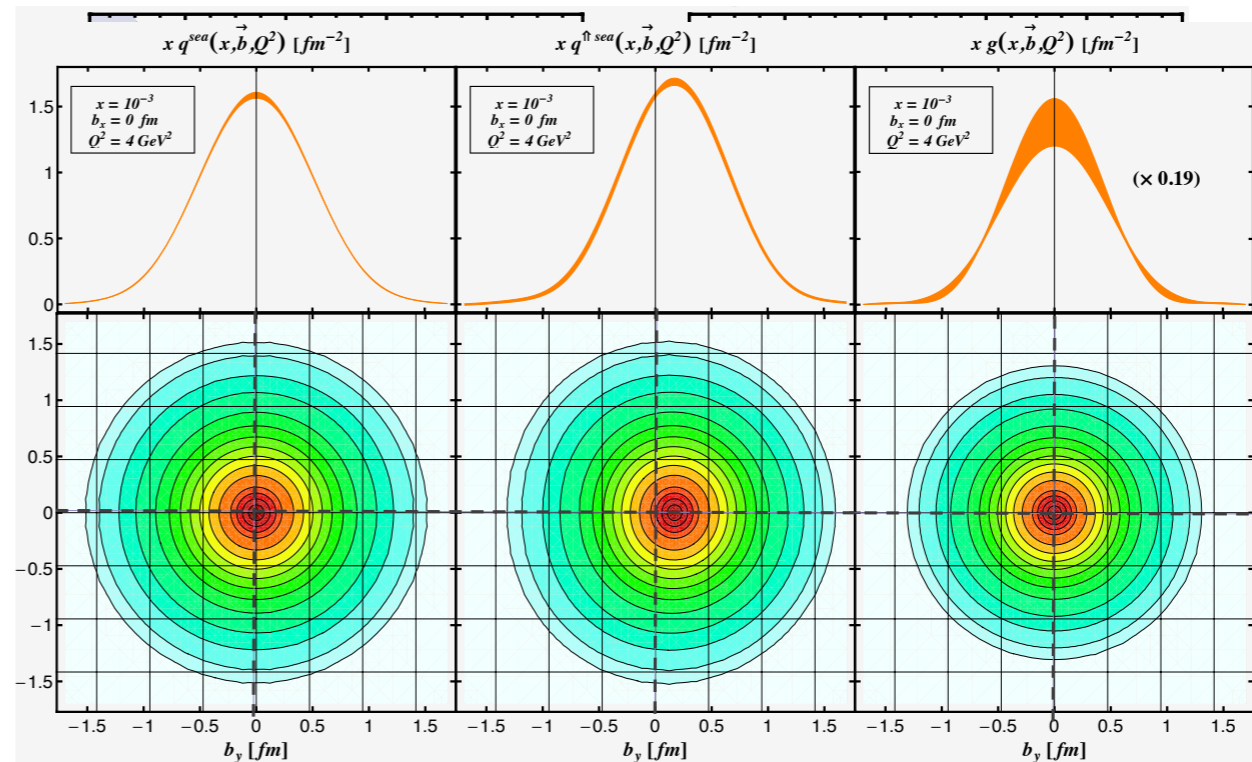
# What's next?



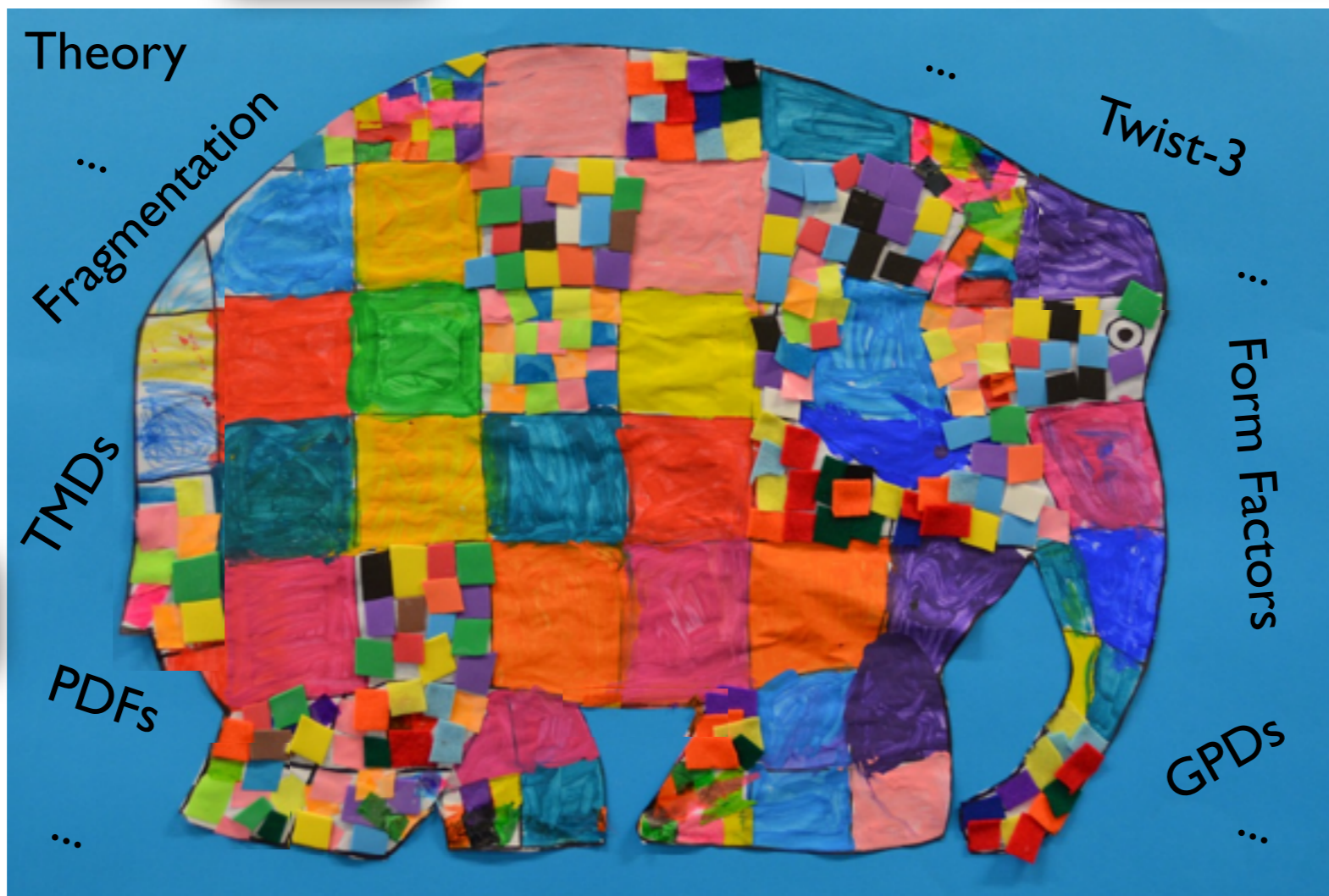
(see WG7 summary talk)



and much more ...!



# The complete picture



\*The elephant and the blind men



# The complete picture



\*The elephant and the blind men