

# Neutrinoless Double Beta Decay and Particle Physics



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$$m_\nu = m_L - m_D^T M_R^{-1} m_D$$

**MANITOP**

Massive Neutrinos: Investigating their  
Theoretical Origin and Phenomenology

Portorož 2015

Particle Phenomenology From the Early Universe to High Energy Colliders



Heisenberg-  
Programm

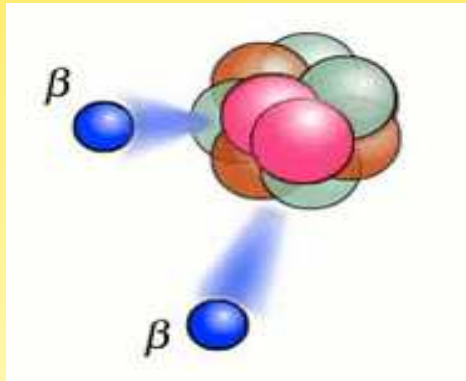
DFG Deutsche  
Forschungsgemeinschaft

## Neutrinoless Double Beta Decay

$$(A, Z) \rightarrow (A, Z + 2) + 2 e^{-} \quad (0\nu\beta\beta) \Rightarrow \text{Lepton Number Violation}$$

- **Standard Interpretation** (neutrino physics)
- **Non-Standard Interpretations** (BSM  $\neq$  neutrino physics)

Int. J. Mod. Phys. **E20**, 1833 (2011); J. Phys. **G39**, 124008 (2012)



## Why should we probe Lepton Number Violation?

- $L$  and  $B$  accidentally conserved in SM
- effective theory:  $\mathcal{L} = \mathcal{L}_{\text{SM}} + \frac{1}{\Lambda} \mathcal{L}_{\text{LNV}} + \frac{1}{\Lambda^2} \mathcal{L}_{\text{LFV, BNV, LNV}} + \dots$
- baryogenesis:  $B$  is violated
- $B, L$  often connected in GUTs
- GUTs have seesaw and Majorana neutrinos
- (chiral anomalies:  $\partial_\mu J_{B,L}^\mu = c G_{\mu\nu} \tilde{G}^{\mu\nu} \neq 0$  with  $J_\mu^B = \sum \bar{q}_i \gamma_\mu q_i$  and  $J_\mu^L = \sum \bar{\ell}_i \gamma_\mu \ell_i$ )

⇒ Lepton Number Violation as important as Baryon Number Violation

( $0\nu\beta\beta$  is much more than a neutrino mass experiment)

## Upcoming/running experiments: exciting time!!

best limit was from 2001, improved 2012

Name	Isotope	Source = Detector; calorimetric with			Source $\neq$ Detector
		high $\Delta E$	low $\Delta E$	topology	topology
AMoRE	$^{100}\text{Mo}$	✓	–	–	–
CANDLES	$^{48}\text{Ca}$	–	✓	–	–
COBRA	$^{116}\text{Cd}$ (and $^{130}\text{Te}$ )	–	–	✓	–
CUORE	$^{130}\text{Te}$	✓	–	–	–
DCBA/MTD	$^{82}\text{Se}$ / $^{150}\text{Nd}$	–	–	–	✓
EXO	$^{136}\text{Xe}$	–	–	✓	–
GERDA	$^{76}\text{Ge}$	✓	–	–	–
IHE	$^{82}\text{Se}$ / $^{100}\text{Mo}$ / $^{116}\text{Cd}$ / $^{130}\text{Te}$	✓	–	–	–
KamLAND-Zen	$^{136}\text{Xe}$	–	✓	–	–
LUCIFER	$^{82}\text{Se}$ / $^{100}\text{Mo}$ / $^{130}\text{Te}$	✓	–	–	–
LUMINEU	$^{100}\text{Mo}$	✓	–	–	–
MAJORANA	$^{76}\text{Ge}$	✓	–	–	–
MOON	$^{82}\text{Se}$ / $^{100}\text{Mo}$ / $^{150}\text{Nd}$	–	–	–	✓
NEXT	$^{136}\text{Xe}$	–	–	✓	–
SNO+	$^{130}\text{Te}$	–	✓	–	–
SuperNEMO	$^{82}\text{Se}$ / $^{150}\text{Nd}$	–	–	–	✓
XMASS	$^{136}\text{Xe}$	–	✓	–	–

## Interpretation of Experiments

Master formula:

$$\Gamma^{0\nu} = G_x(Q, Z) |\mathcal{M}_x(A, Z) \eta_x|^2$$

- $G_x(Q, Z)$ : phase space factor
- $\mathcal{M}_x(A, Z)$ : nuclear physics
- $\eta_x$ : particle physics

## Interpretation of Experiments

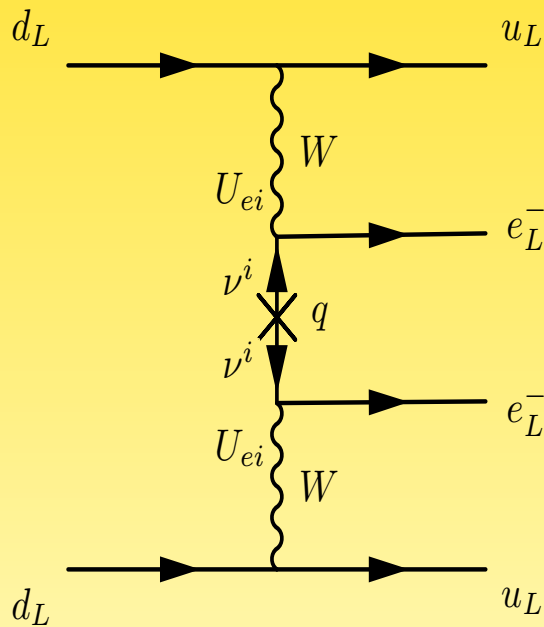
Master formula:

$$\Gamma^{0\nu} = G_x(Q, Z) |\mathcal{M}_x(A, Z) \eta_x|^2$$

- $G_x(Q, Z)$ : phase space factor; **calculable**
- $\mathcal{M}_x(A, Z)$ : nuclear physics; **problematic**
- $\eta_x$ : particle physics; **interesting**

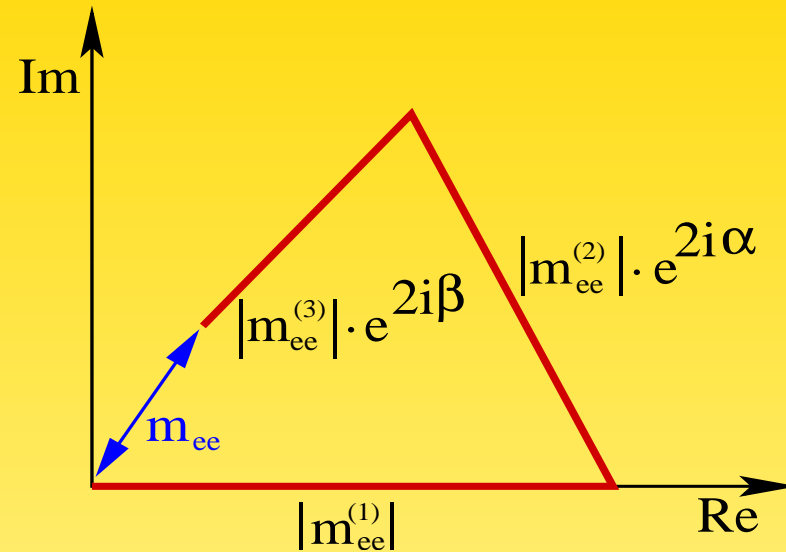
## Standard Interpretation

Neutrinoless Double Beta Decay is mediated by light and massive Majorana neutrinos (the ones which oscillate) and all other mechanisms potentially leading to  $0\nu\beta\beta$  give negligible or no contribution



prediction of  $(100 - \epsilon)\%$  of all neutrino mass mechanisms

## The effective mass



Amplitude proportional to coherent sum (“effective mass”):

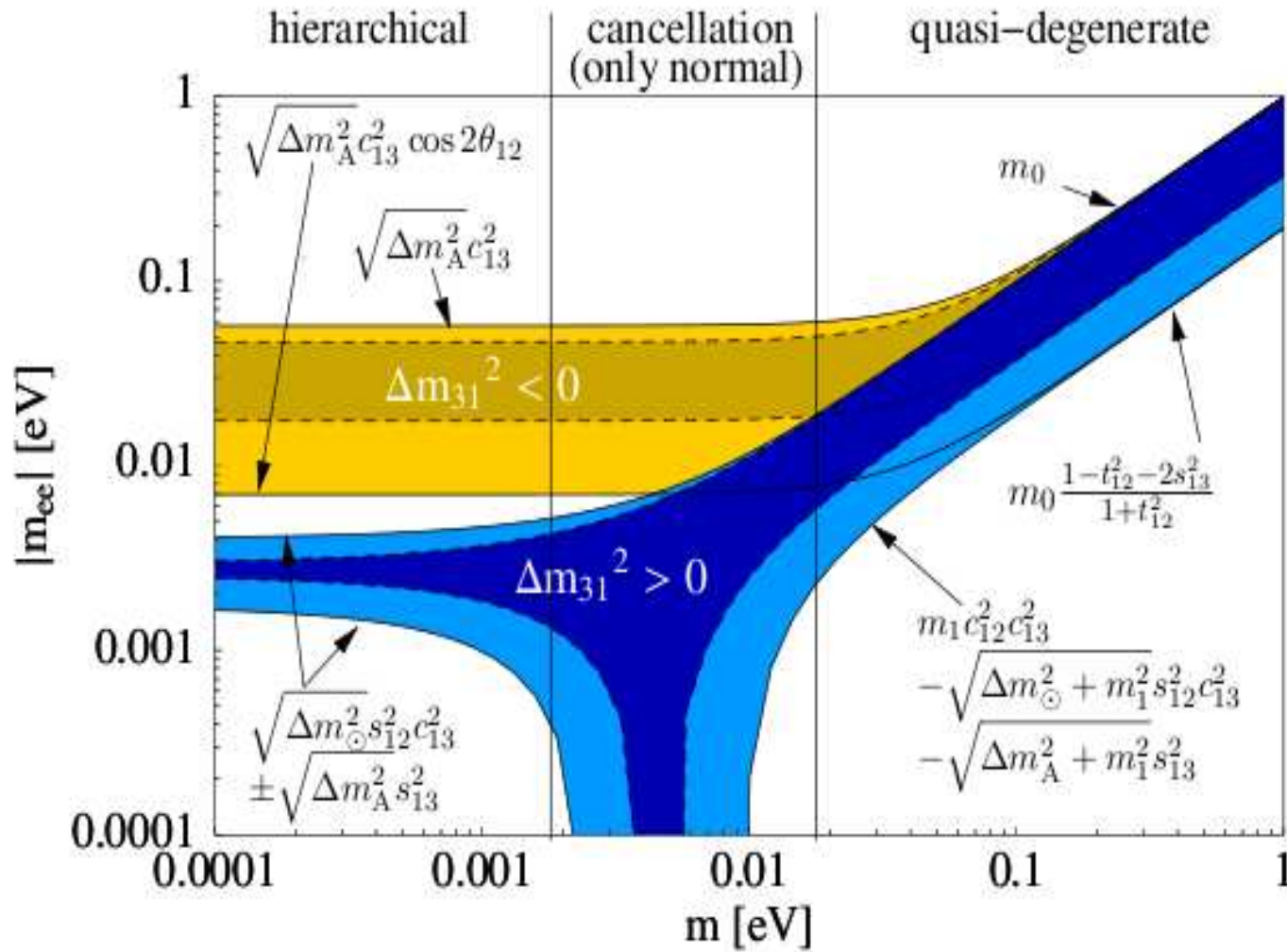
$$|m_{ee}| \equiv \left| \sum U_{ei}^2 m_i \right| = \left| |U_{e1}|^2 m_1 + |U_{e2}|^2 m_2 e^{2i\alpha} + |U_{e3}|^2 m_3 e^{2i\beta} \right|$$

$$= f(\theta_{12}, |U_{e3}|, m_i, \text{sgn}(\Delta m_A^2), \alpha, \beta)$$

7 out of 9 parameters of neutrino physics!

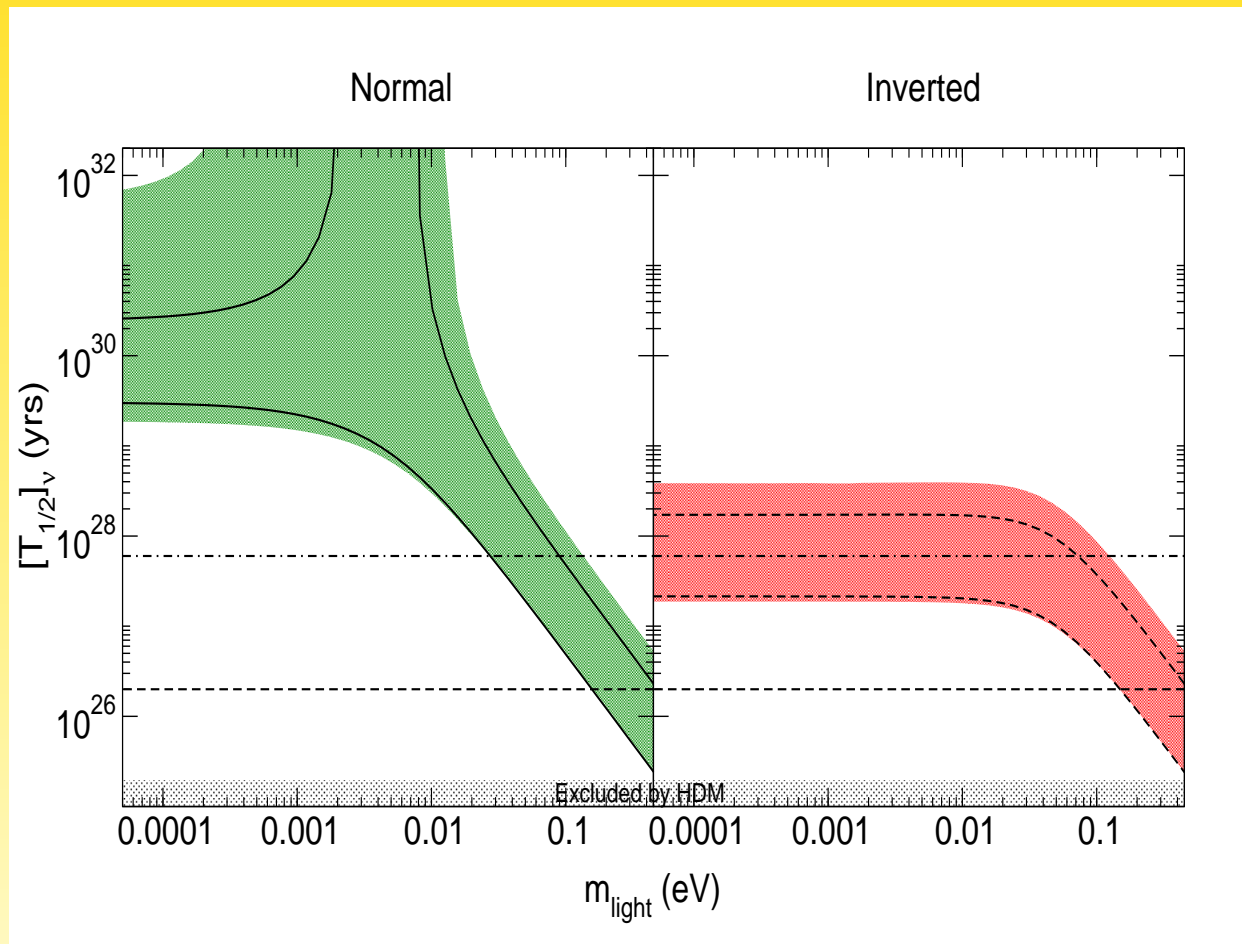


## The usual plot

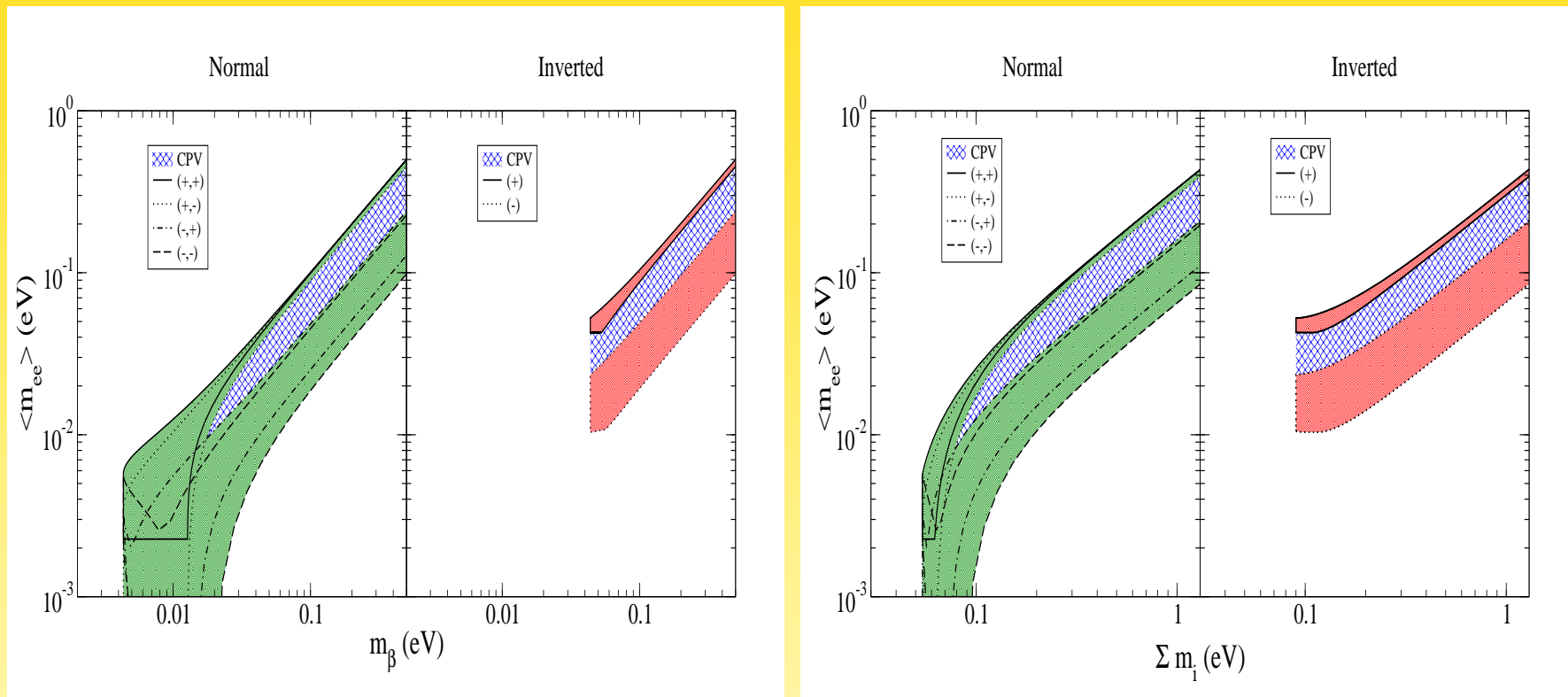


# The usual plot

(life-time instead of  $|m_{ee}|$ )



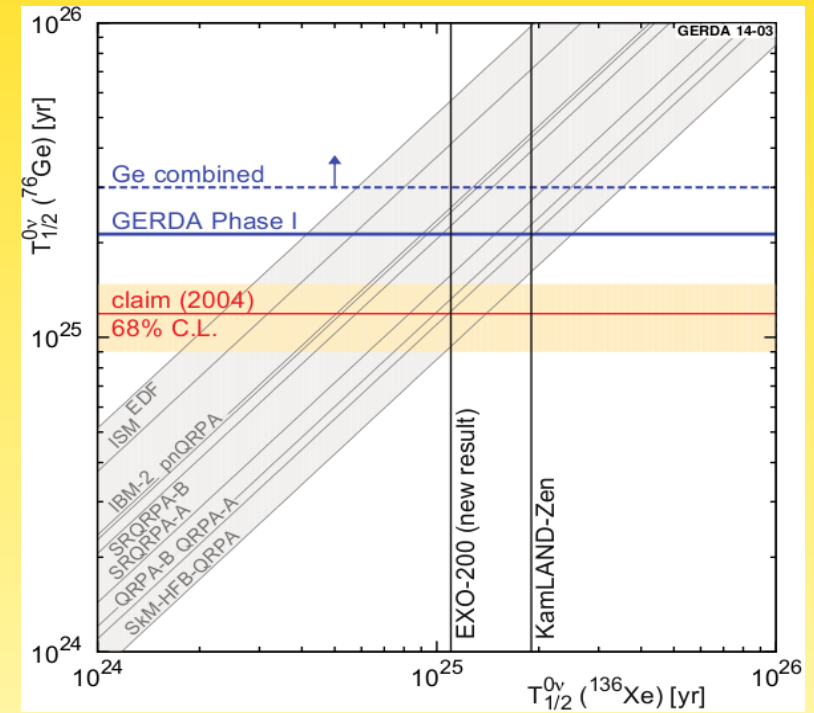
## Plot against other observables



**Complementarity** of  $|m_{ee}| = U_{ei}^2 m_i$ ,  $m_\beta = \sqrt{|U_{ei}|^2 m_i^2}$  and  $\Sigma = \sum m_i$

## Current Limits on $|m_{ee}|$

NME	$^{76}\text{Ge}$		$^{136}\text{Xe}$	
	GERDA	comb	KLZ	comb
EDF(U)	0.32	0.27	0.13	—
ISM(U)	0.52	0.44	0.24	—
IBM-2	0.27	0.23	0.16	—
pnQRPA(U)	0.28	0.24	0.17	—
SRQRPA-A	0.31	0.26	0.23	—
QRPA-A	0.28	0.24	0.25	—
SkM-HFB-QRPA	0.29	0.24	0.28	—



## Predictions of $SO(10)$ theories

Yukawa structure of  $SO(10)$  models depends on Higgs representations

$$10_H (\leftrightarrow H), \overline{126}_H (\leftrightarrow F), 120_H (\leftrightarrow G)$$

Gives relation for mass matrices:

$$m_{\text{up}} \propto r(H + sF + it_u G)$$

$$m_{\text{down}} \propto H + F + iG$$

$$m_D \propto r(H - 3sF + it_D G)$$

$$m_\ell \propto H - 3F + it_l G$$

$$M_R \propto r_R^{-1} F$$

Numerical fit including RG, Higgs,  $\theta_{13}$

$$10_H + \overline{126}_H: 19 \text{ free parameters}$$

$$10_H + \overline{126}_H + 120_H: 18 \text{ free parameters}$$

$$20 \text{ (19) observables to be fitted}$$

## Predictions of $SO(10)$ theories

Model	Fit	$ m_{ee} $ [meV]	$m_0$ [meV]	$M_3$ [GeV]	$\chi^2$
$10_H + \overline{126}_H$	NH	0.49	2.40	$3.6 \times 10^{12}$	23.0
$10_H + \overline{126}_H + SS$	NH	0.44	6.83	$1.1 \times 10^{12}$	3.29
$10_H + \overline{126}_H + 120_H$	NH	2.87	1.54	$9.9 \times 10^{14}$	11.2
$10_H + \overline{126}_H + 120_H + SS$	NH	0.78	3.17	$4.2 \times 10^{13}$	$6.9 \times 10^{-6}$
$10_H + \overline{126}_H + 120_H$	IH	35.52	30.2	$1.1 \times 10^{13}$	13.3
$10_H + \overline{126}_H + 120_H + SS$	IH	24.22	12.0	$1.2 \times 10^{13}$	0.6

Dueck, W.R., JHEP **1309**

## Sterile Neutrinos and $0\nu\beta\beta$

- recall:  $|m_{ee}|_{\text{NH}}^{\text{act}}$  can vanish and  $|m_{ee}|_{\text{IH}}^{\text{act}} \sim 0.03 \text{ eV}$  cannot vanish
- $|m_{ee}| = \left| \underbrace{|U_{e1}|^2 m_1 + |U_{e2}|^2 m_2 e^{2i\alpha} + |U_{e3}|^2 m_3 e^{2i\beta}}_{m_{ee}^{\text{act}}} + \underbrace{|U_{e4}|^2 m_4 e^{2i\Phi_1}}_{m_{ee}^{\text{st}}} \right|$
- sterile contribution to  $0\nu\beta\beta$  (assuming 1+3):

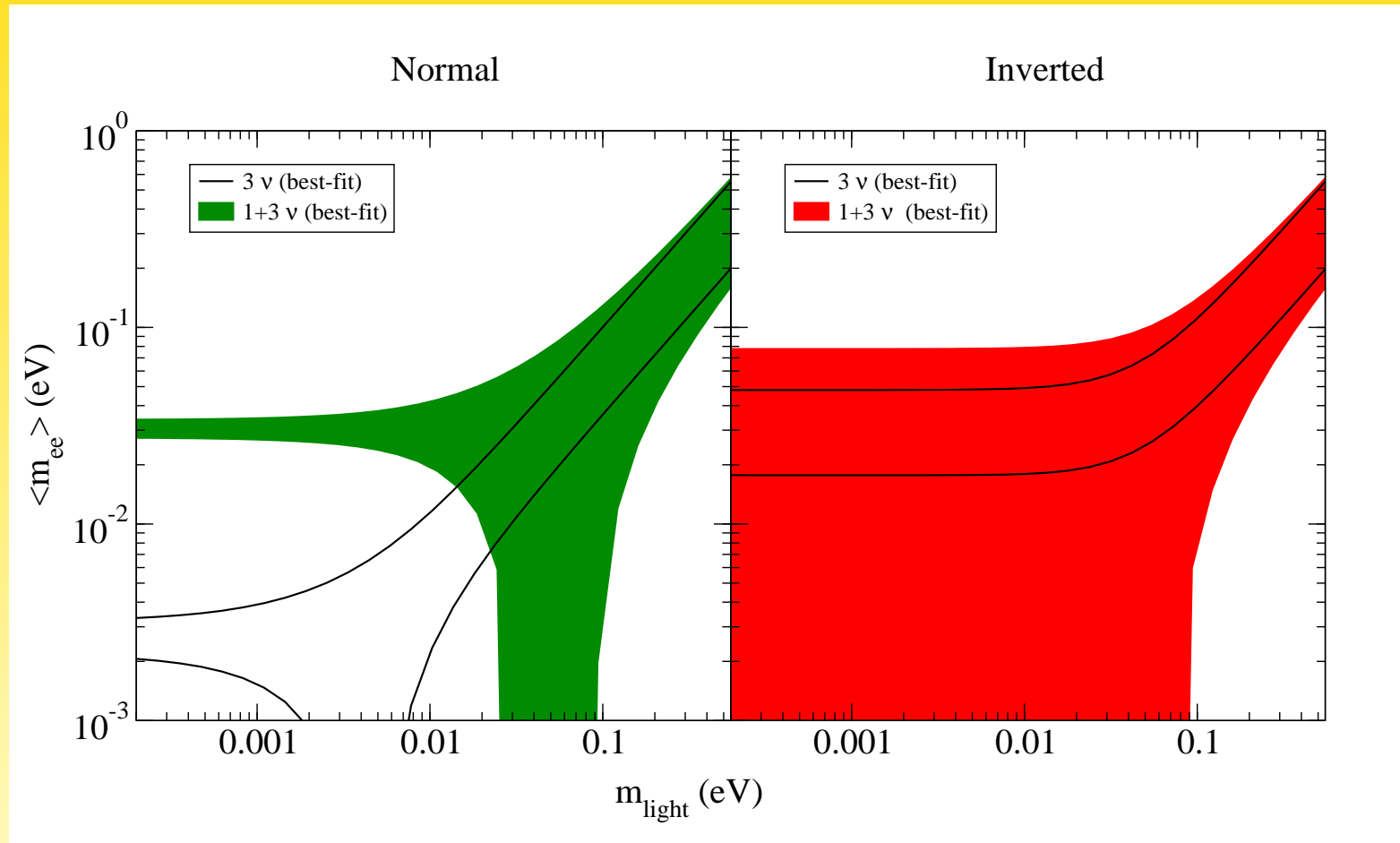
$$|m_{ee}|^{\text{st}} \simeq \sqrt{\Delta m_{\text{st}}^2} |U_{e4}|^2 \begin{cases} \gg |m_{ee}|_{\text{NH}}^{\text{act}} \\ \simeq |m_{ee}|_{\text{IH}}^{\text{act}} \end{cases}$$

$\Rightarrow |m_{ee}|_{\text{NH}}$  cannot vanish and  $|m_{ee}|_{\text{IH}}$  can vanish!

$\Rightarrow$  usual phenomenology gets completely turned around!

Barry, W.R., Zhang, JHEP **1107**; Giunti *et al.*, PRD **87**; Girardi, Meroni,  
Petcov, JHEP **1311**

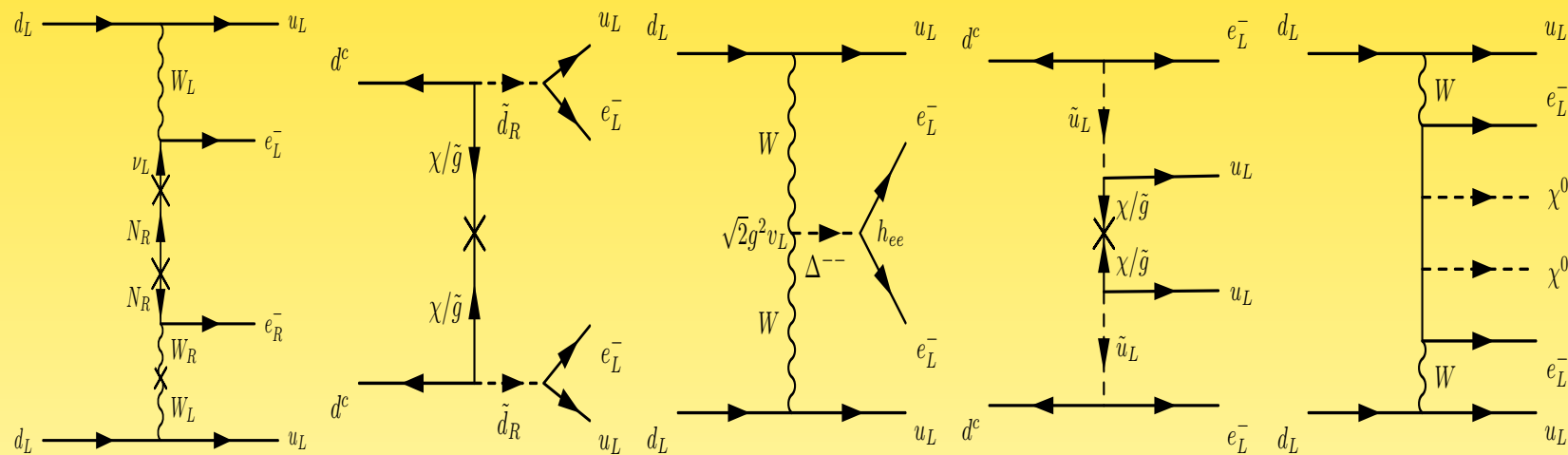
Usual plot gets completely turned around!





## Non-Standard Interpretations:

There is at least one other mechanism leading to Neutrinoless Double Beta Decay and its contribution is at least of the same order as the light neutrino exchange mechanism



Clear experimental signature:

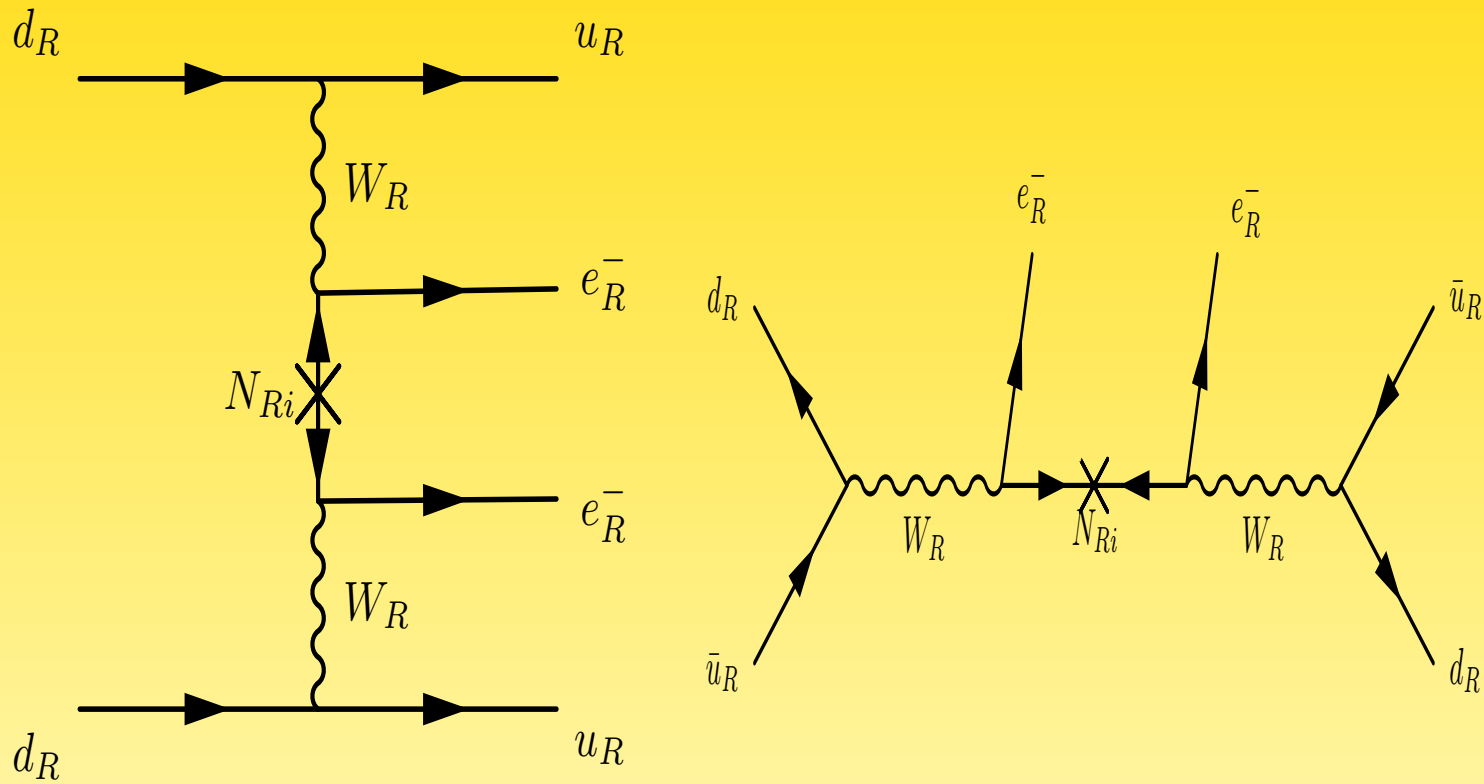
KATRIN and/or cosmology see nothing but  $0\nu\beta\beta$  does

$$T^{0\nu}(1 \text{ eV}) = T^{0\nu}(1 \text{ TeV})$$

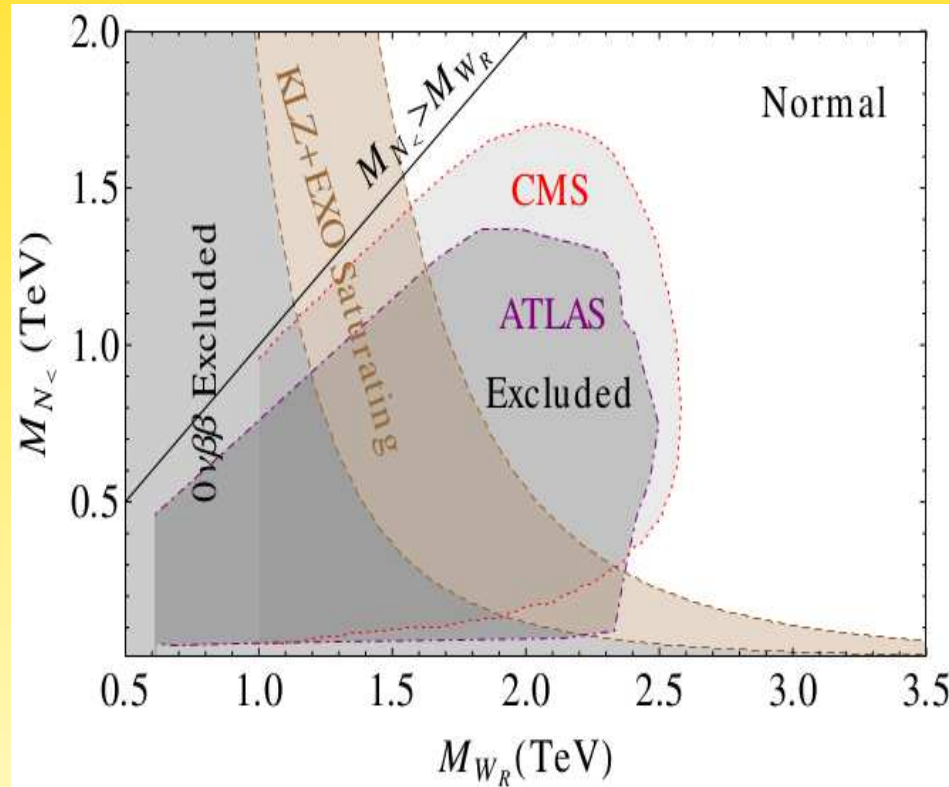
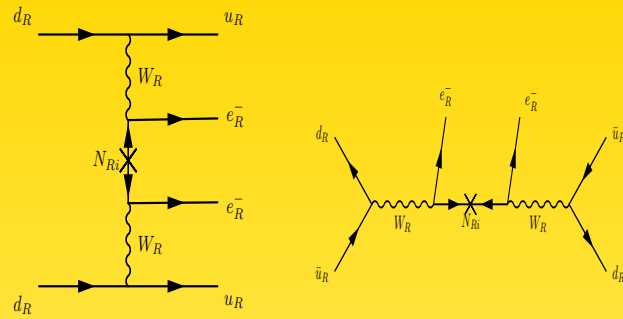
- RPV Supersymmetry
- left-right symmetry
- heavy neutrinos
- color octets
- leptoquarks
- effective operators
- extra dimensions
- ...

⇒ need to solve the inverse problem...

## Left-right symmetry



Senjanovic, Keung, 1983; Tello *et al.*; Nemevsek *et al.*



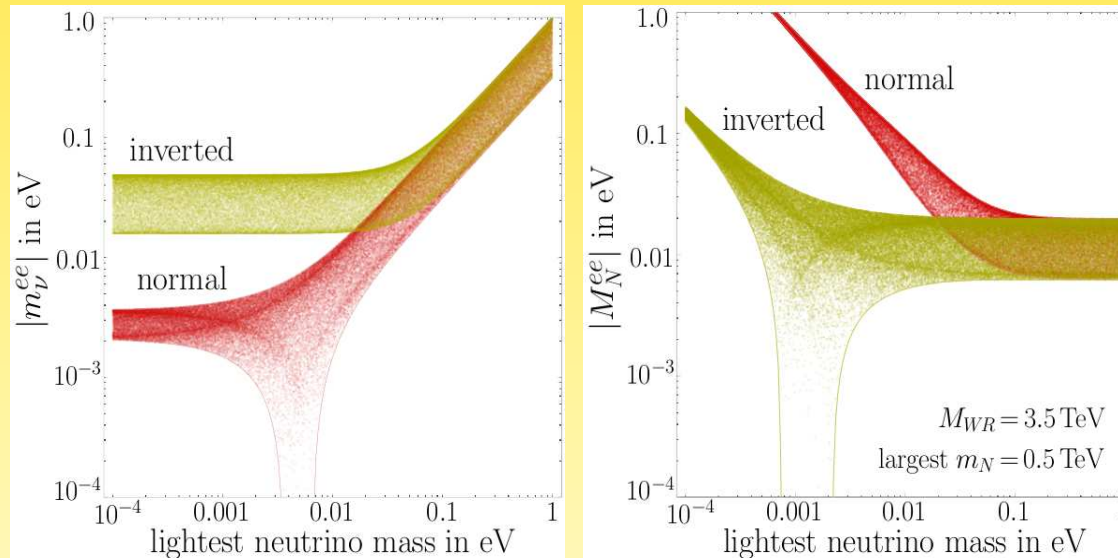
Bhupal Dev, Goswami, Mitra, W.R.

## Type II dominance (Tello *et al.*, 1011.3522)

$$m_\nu = m_L - m_D M_R^{-1} m_D^T = v_L f - \frac{v^2}{v_R} Y_D f^{-1} Y_D^T \xrightarrow{*} v_L f$$

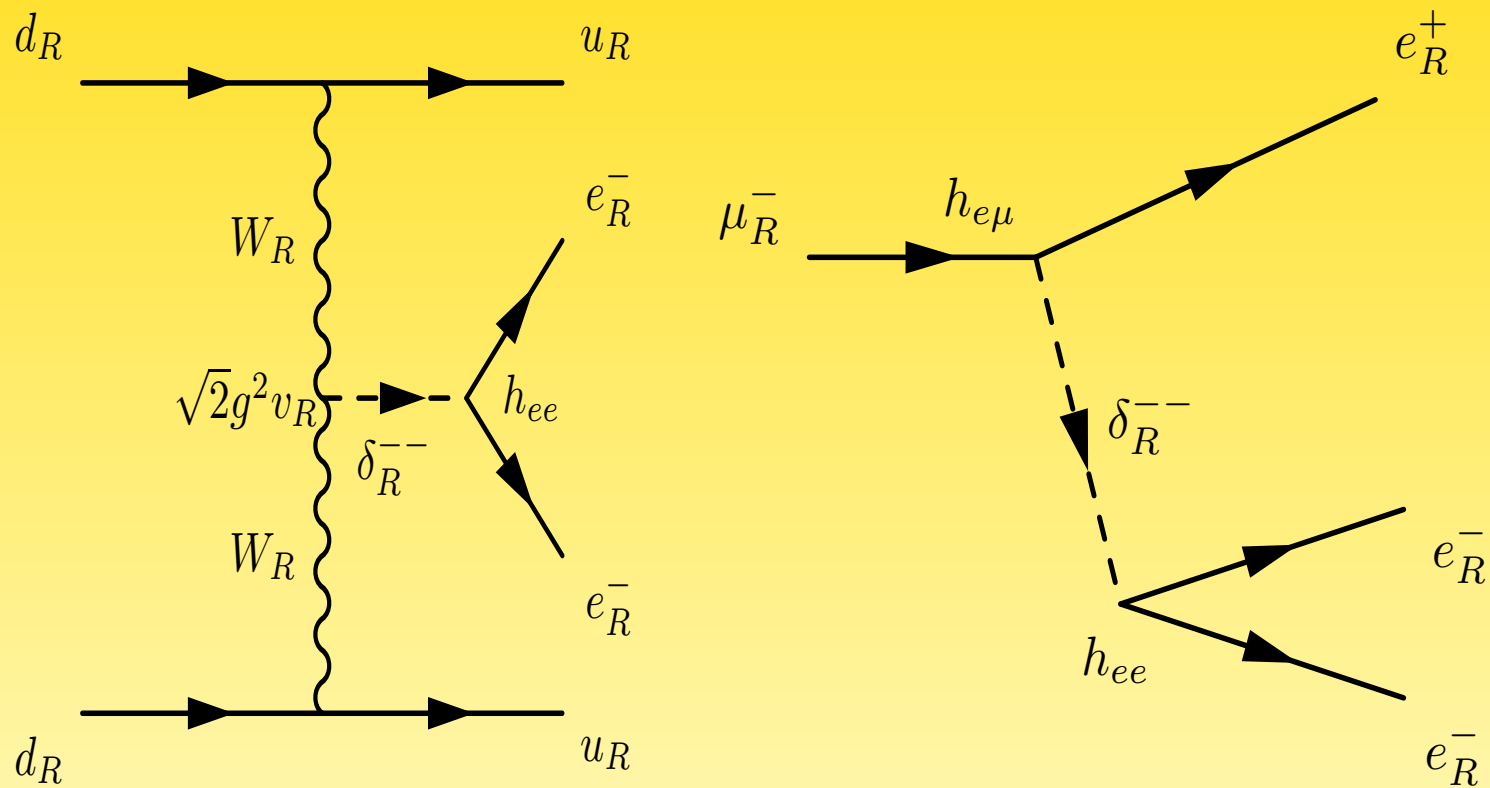
$\Rightarrow m_\nu$  fixes  $M_R$  and exchange of  $N_R$  with  $W_R$  fixed in terms of PMNS:

$$\Rightarrow \mathcal{A}_{N_R} \simeq G_F^2 \left( \frac{m_W}{M_{W_R}} \right)^4 \sum \frac{V_{ei}^2}{M_i} \propto \sum \frac{U_{ei}^2}{m_i}$$

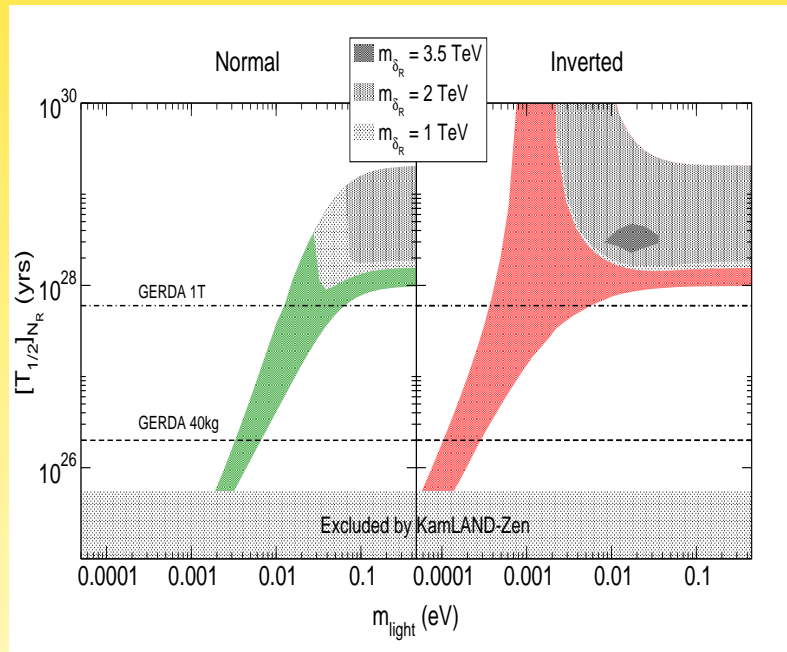
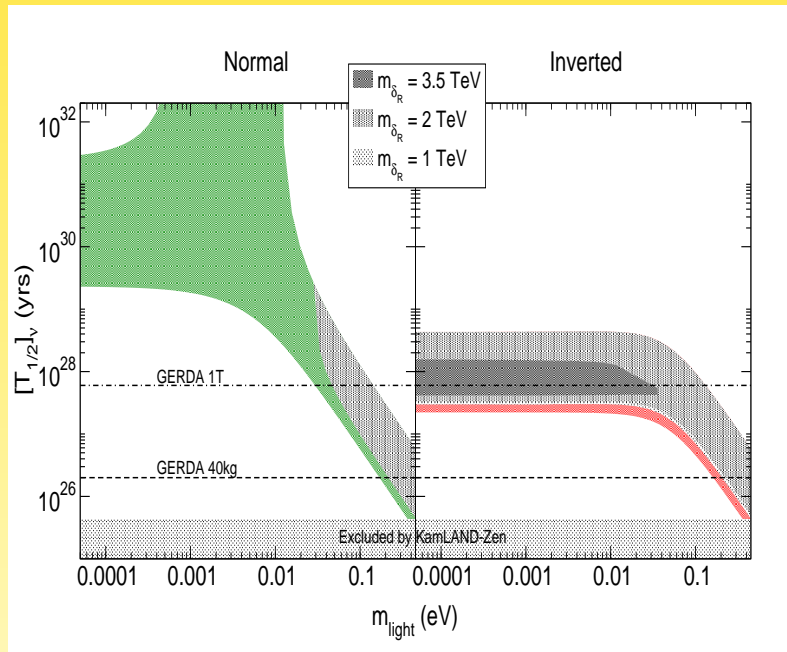
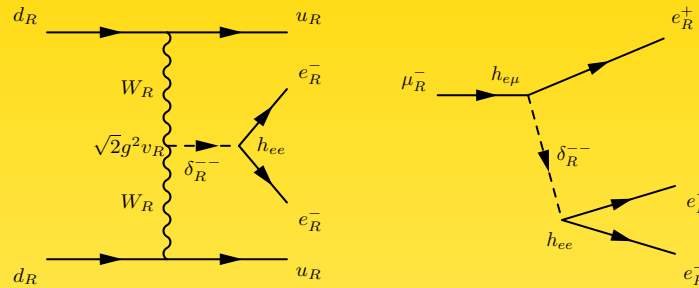


\* (for leptogenesis: Joshipura, Paschos, W.R., JHEP 0108)

## Constraints from Lepton Flavor Violation

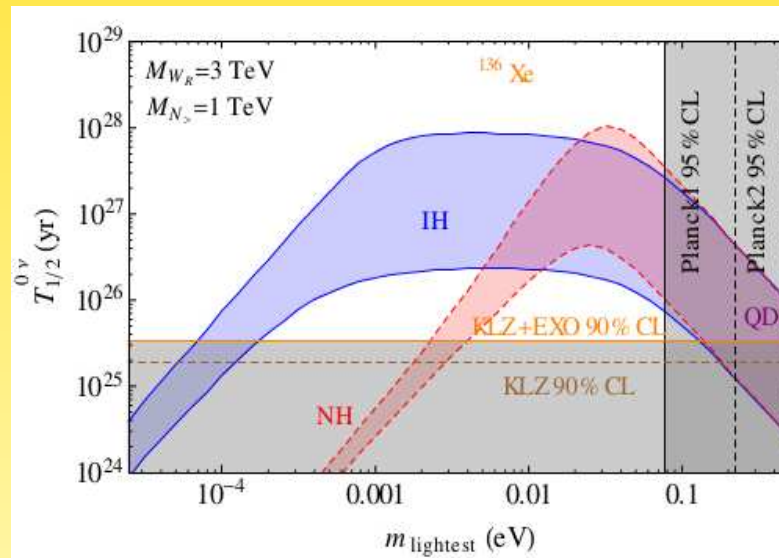
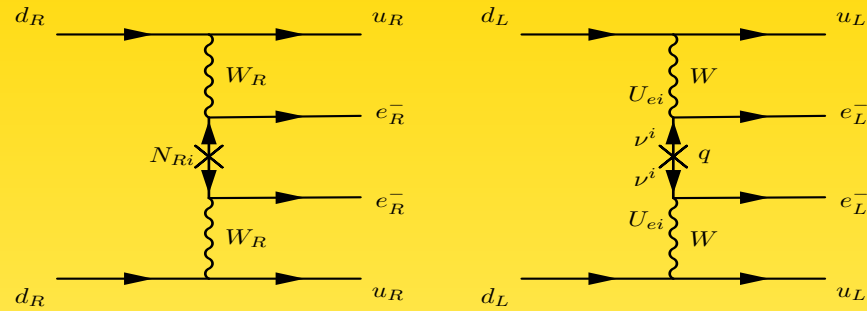


# Constraints from Lepton Flavor Violation



Barry, W.R., JHEP 1309

## Adding diagrams

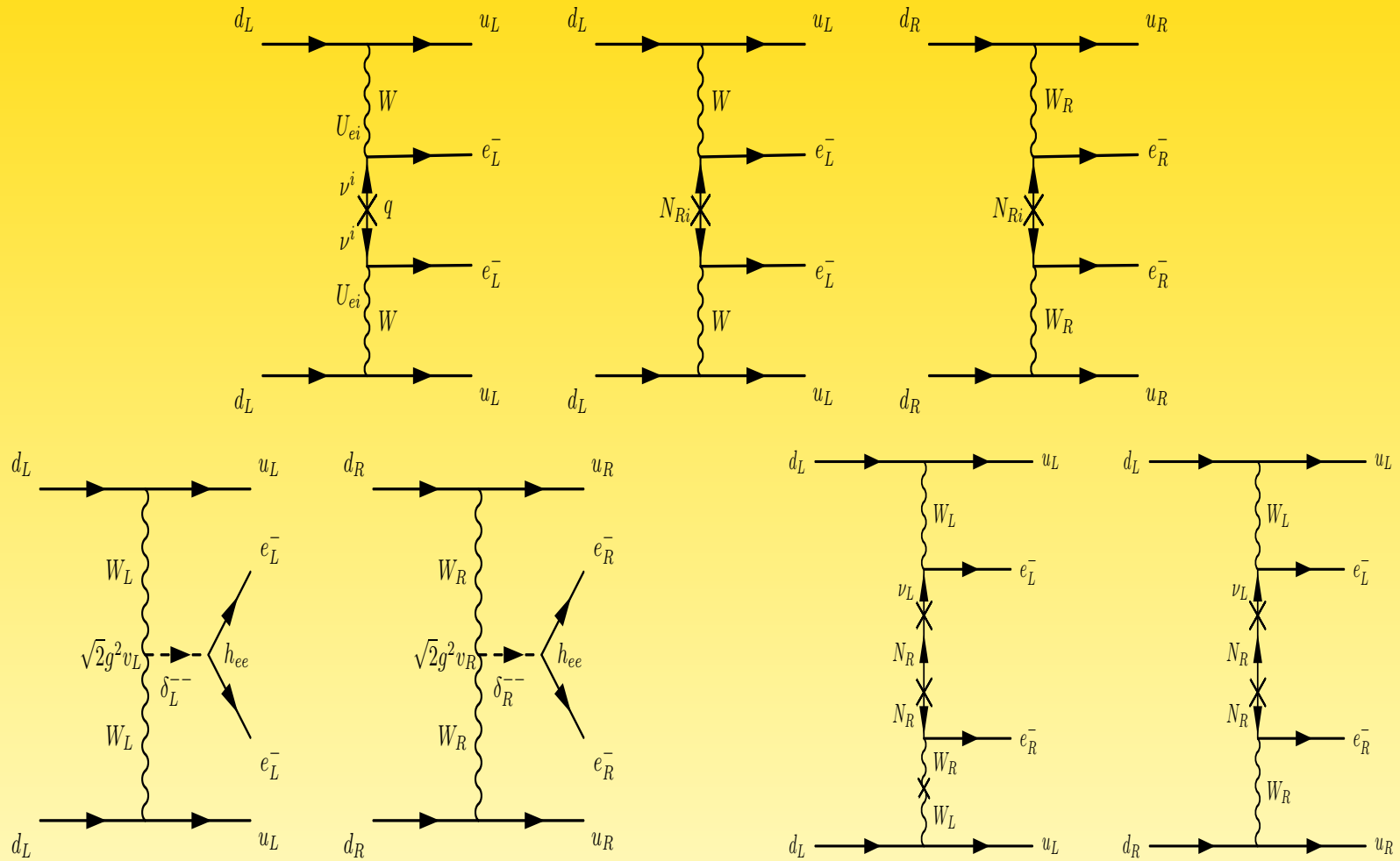


$\Rightarrow$  lower bound on  $m(\text{lightest}) \gtrsim \text{meV}$

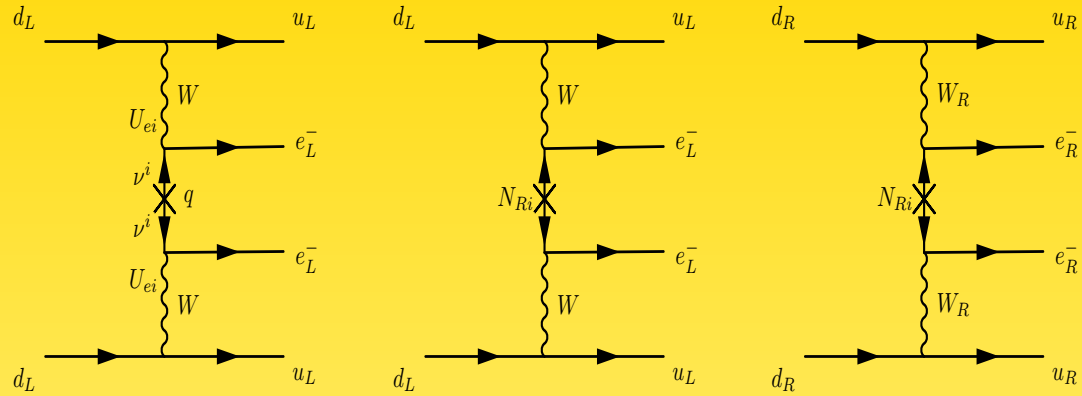
Bhupal Dev, Goswami, Mitra, W.R., Phys. Rev. **D88**



# Left-right symmetry



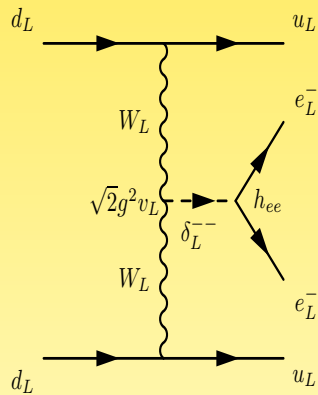
# Left-right symmetry



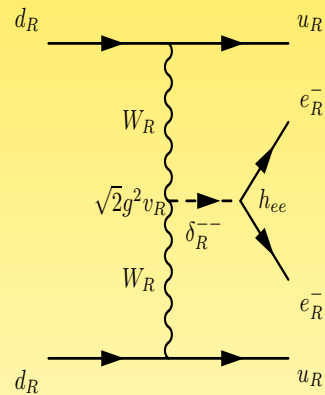
$$U_{ei}^2 m_i$$

$$\frac{S_{ei}^2}{M_i}$$

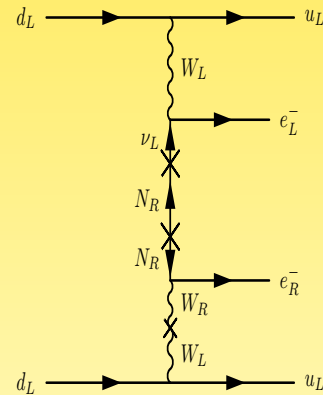
$$\frac{V_{ei}^2}{M_{W_R}^4 M_i}$$



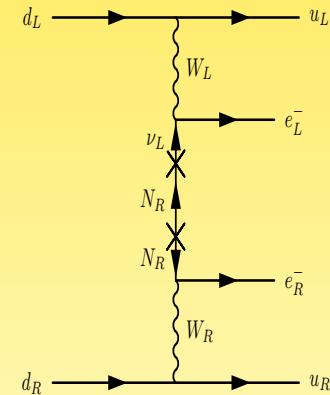
$$\frac{U_{ei}^2 m_i}{M_{\Delta_L}^2}$$



$$\frac{V_{ei}^2 M_i}{M_{W_R}^4 M_{\Delta_R}^2}$$

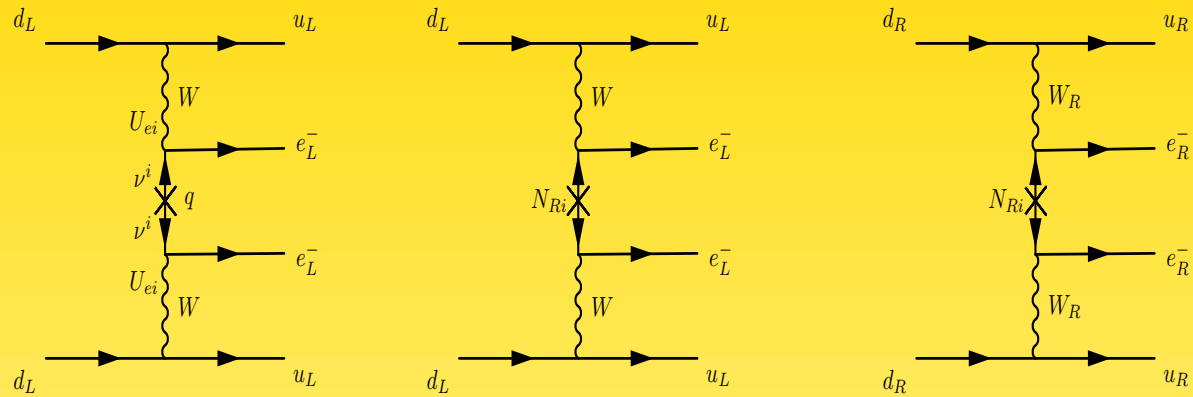


$$U_{ei} T_{ei} \tan \zeta$$



$$\frac{U_{ei} T_{ei}}{M_{W_R}^2}$$

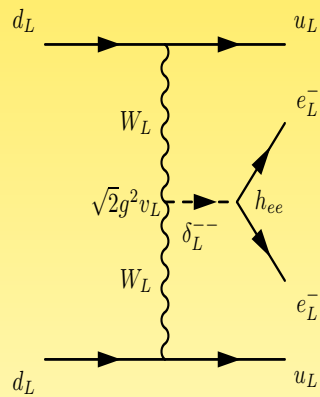
# Left-right symmetry



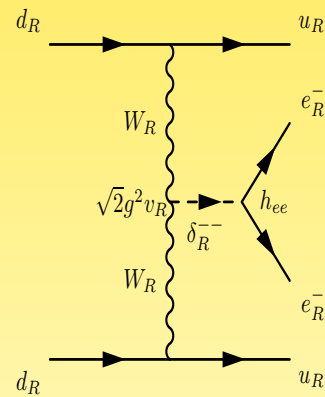
$0.4 \text{ eV}$

$2 \times 10^{-8} \text{ GeV}^{-1}$

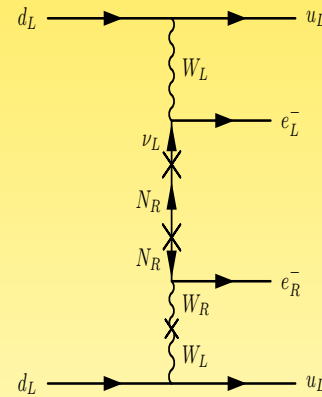
$4 \times 10^{-16} \text{ GeV}^{-5}$



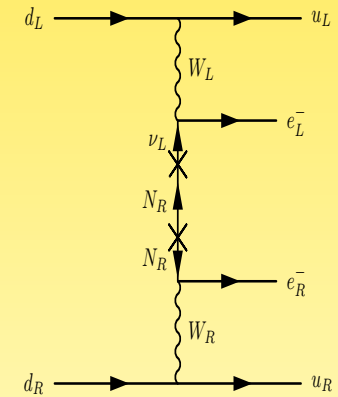
—



$10^{-15} \text{ GeV}^{-5}$

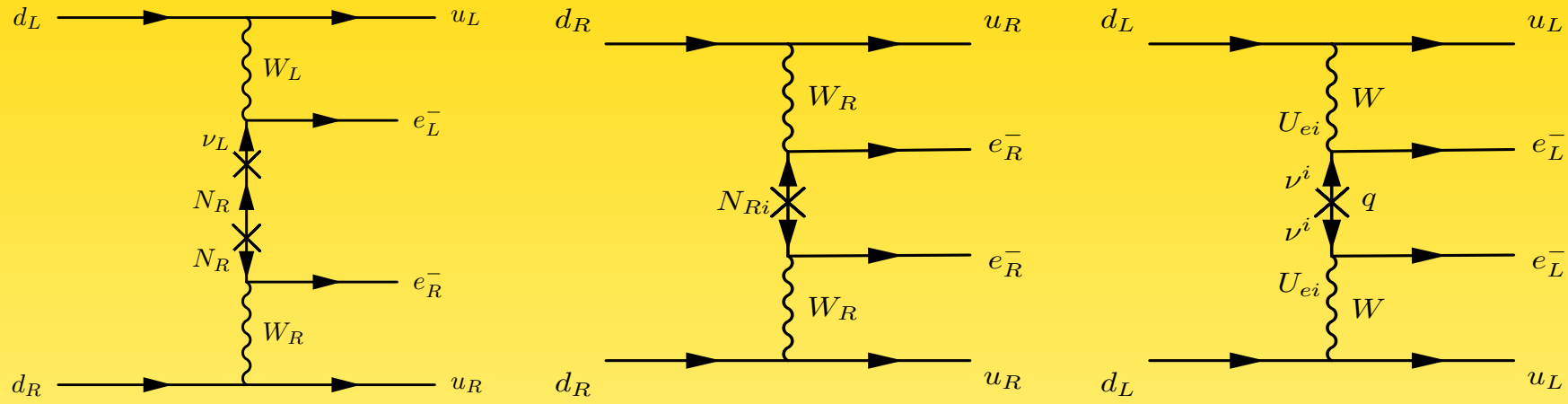


$6 \times 10^{-9}$



$1.4 \times 10^{-10} \text{ GeV}^{-2}$

## Mixed Diagrams can dominate



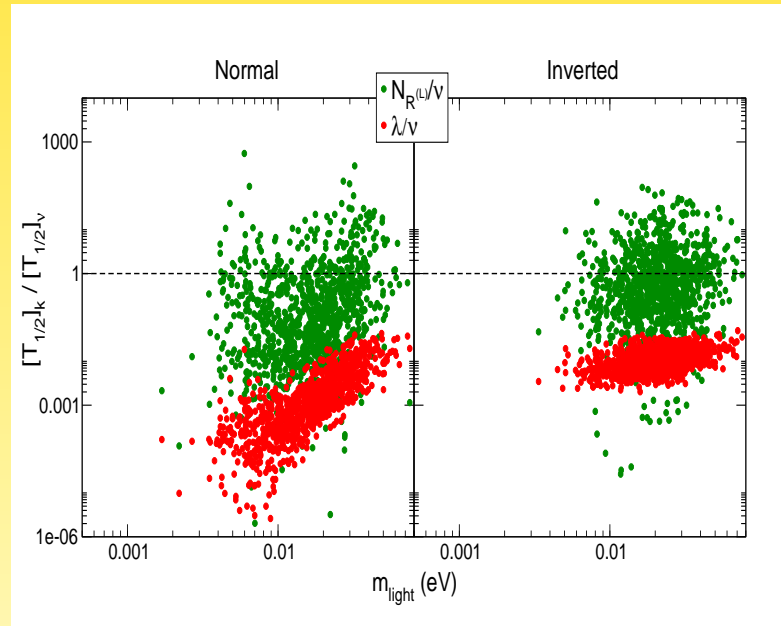
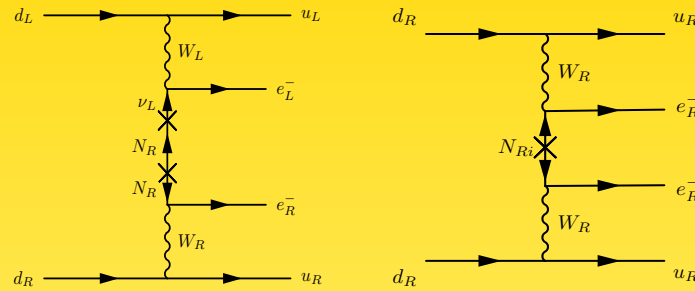
$$A_\lambda \sim \left( \frac{m_W}{M_{W_R}} \right)^2 \frac{UT}{q} \quad A_{N_R} \sim \left( \frac{m_W}{M_{W_R}} \right)^4 \frac{V^2}{M_R} \quad A_\nu \sim U^2 \frac{m_i}{q^2}$$

with  $T \simeq \sqrt{\frac{m_\nu}{M_R}} \sim 10^{-7}$  (or huge enhancements up to  $10^{-2}$ )

$$\Rightarrow \frac{A_\lambda}{A_{N_R}} \simeq \frac{M_R}{q} \left( \frac{M_{W_R}}{m_W} \right)^2 T \simeq 10^5 T$$

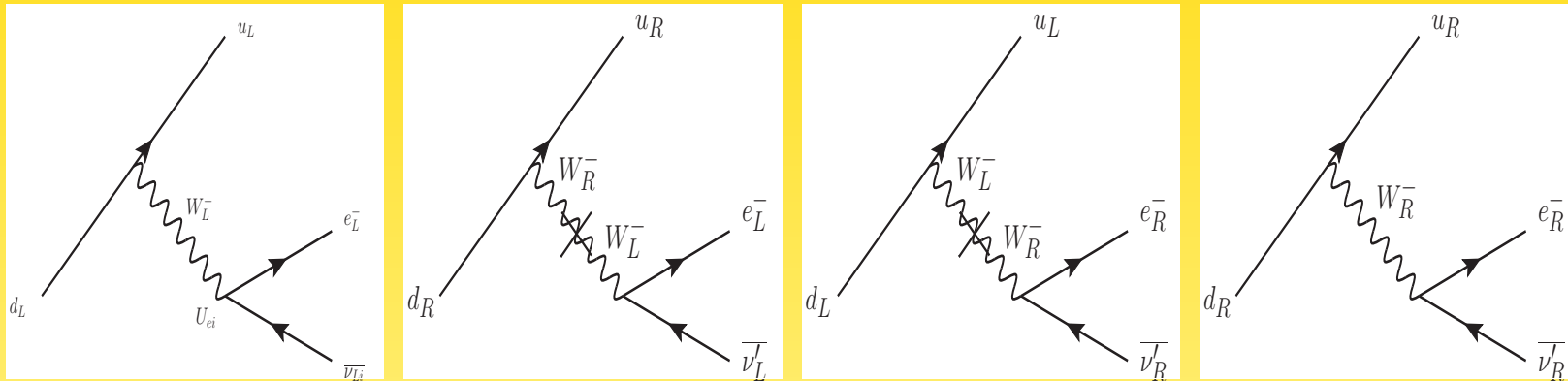
Barry, W.R., JHEP **1309**

# Mixed Diagrams can dominate



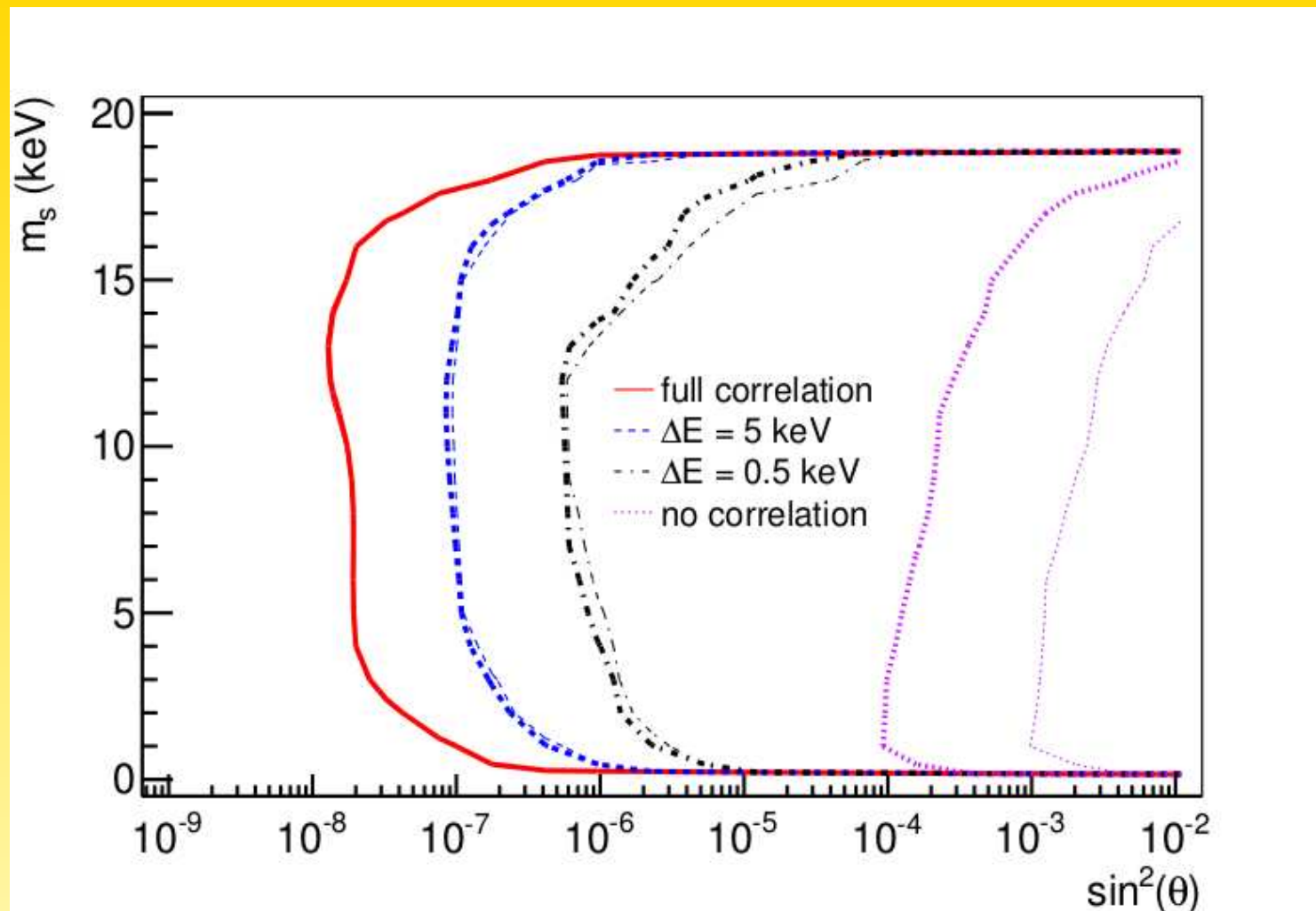
Barry, W.R., 1303.6324

## KATRIN and right-handed currents



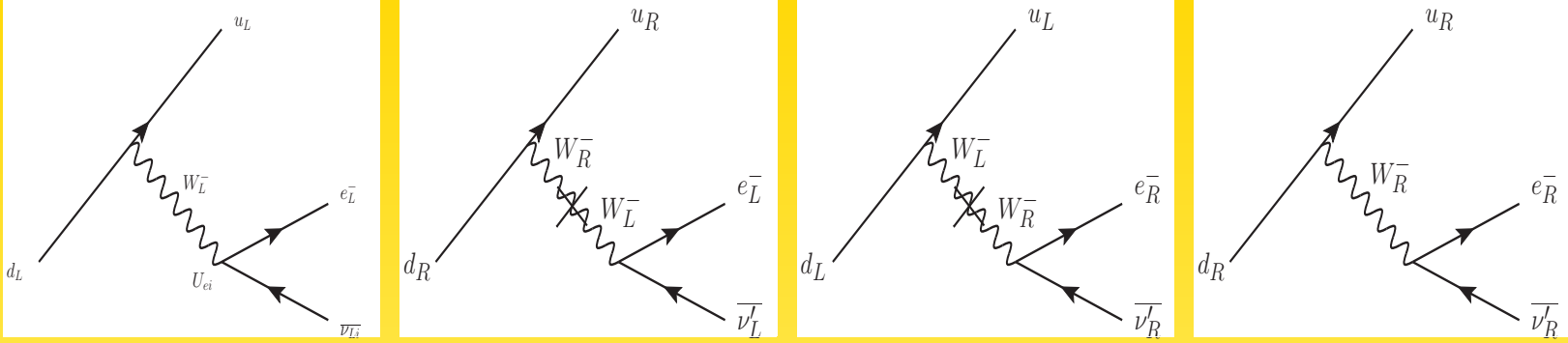
- left-handed contribution
- right-handed contribution
- interference contribution

Neutrino masses up to  $m = 18.6$  keV testable



⇒ mixing down to  $10^{-7}$  in reach!?

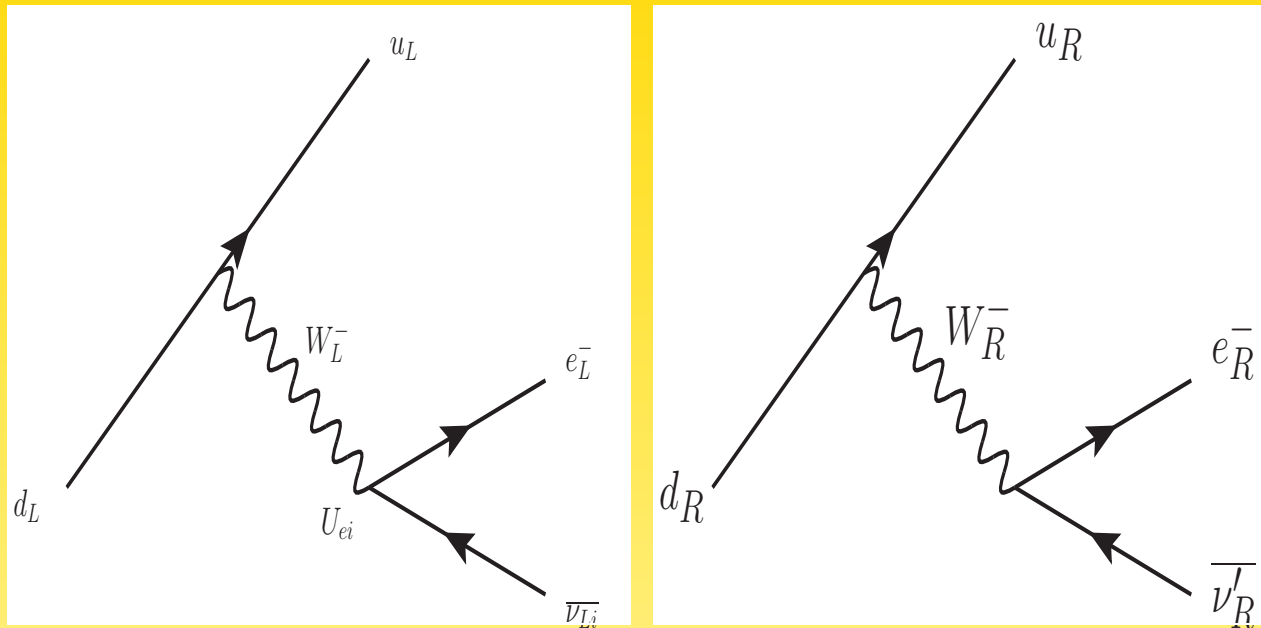
Mertens *et al.*, 1409.0920



$$\begin{aligned}
& \left( \frac{d\Gamma}{dE} \right)_{LL} = K' (E + m_e) p_e X [1 + 2C \tan \xi] \\
& \times \left[ |U_{ei}|^2 \sqrt{X^2 - m_i^2} \Theta(X - m_i) + |S_{ei}|^2 \sqrt{X^2 - M_i^2} \Theta(X - M_i) \right] \\
& \left( \frac{d\Gamma}{dE} \right)_{RR} \simeq K' (E + m_e) p_e X \left[ \frac{m_{W_L}^4}{m_{W_R}^4} + \tan^2 \xi + 2C \frac{m_{W_L}^2}{m_{W_R}^2} \tan \xi \right] \\
& \times |V_{ei}|^2 \sqrt{X^2 - M_i^2} \Theta(X - M_i) \\
& \left( \frac{d\Gamma}{dE} \right)_{LR} = -2K' m_e p_e \text{Re} \left\{ \left[ \left( \frac{m_{W_L}}{m_{W_R}} \right)^2 + C \tan \xi \right] \right. \\
& \times \left. \left[ U_{ei} T_{ei} m_i \sqrt{X^2 - m_i^2} \Theta(X - m_i) + S_{ei} V_{ei} M_i \sqrt{X^2 - M_i^2} \Theta(X - M_i) \right] \right\} \\
& \text{with } X = E_0 - E
\end{aligned}$$



Focus for simplicity on



total contribution of keV neutrino with mass  $M$  to beta decay:

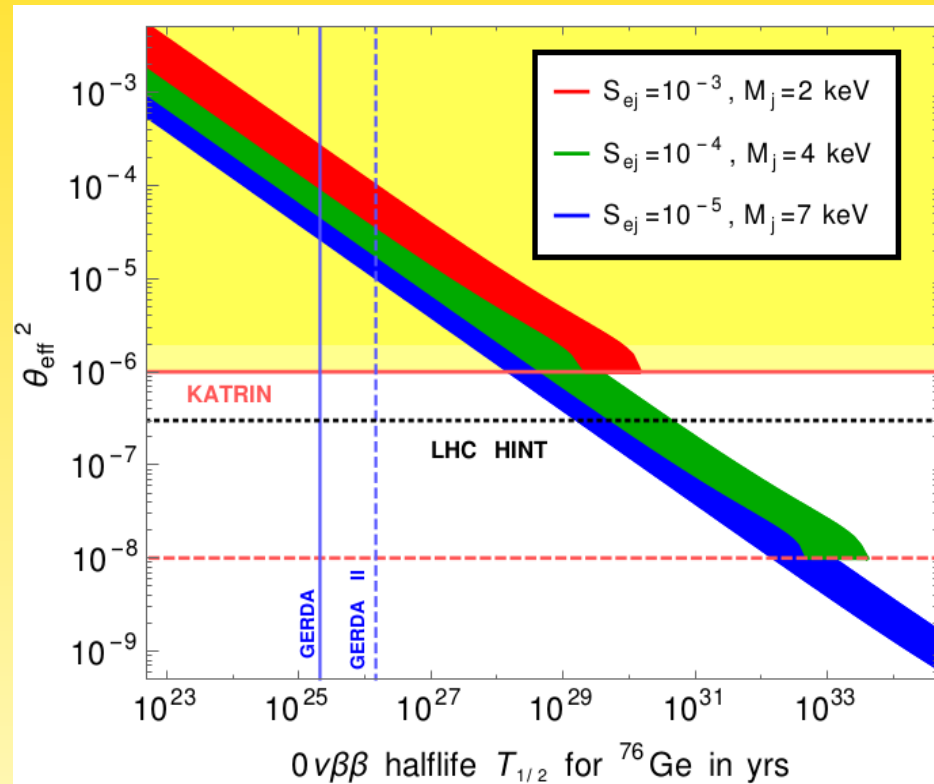
$$\theta_{\text{eff}}^2 \simeq |S_{ej}|^2 + 1.1 \times 10^{-6} |V_{ej}|^2 \left( \frac{2.5 \text{ TeV}}{m_{W_R}} \right)^4$$

and note that  $M$  does  $0\nu\beta\beta$  with amplitude  $\propto |V_{ej}|^2 (m_W/m_{W_R})^4 M$

$\Rightarrow$  connection to  $0\nu\beta\beta$  constraints!

connection to  $0\nu\beta\beta$  constraints:

$$\theta_{\text{eff}}^2 = |S_{ej}|^2 + \frac{m_e}{M_j} \left[ |\mathcal{M}_\nu^{0\nu}|^{-2} (G_{01}^{0\nu})^{-1} (T_{1/2}^{0\nu})^{-1} - |S_{ej}^2 M_j / m_e|^2 \right]^{\frac{1}{2}}$$



Barry, Heeck, W.R., JHEP 1407

## How the additional interactions save the day

- double beta decay without RHC:  $\theta^2 M = 7 \times 10^{-10} \text{ keV} = 70 \mu\text{eV}$
- double beta decay with RHC:  $(m_{W_L}/m_{W_R})^4 |V_{ei}|^2 M = 8 \text{ meV}$
- decay:  $\frac{\Gamma_{\text{RHC}}(N_j \rightarrow \bar{\nu}\gamma)}{\Gamma_{\text{SM}}(N_j \rightarrow \nu\gamma)} \simeq \frac{m_{W_L}^4 |S_{ei}|^2}{m_{W_R}^4 |T_{ei}|^2} \simeq \frac{m_{W_L}^4}{m_{W_R}^4}$
- beta decay:  $\theta_{\text{eff}}^2 \simeq |S_{ej}|^2 + 1.1 \times 10^{-6} |V_{ej}|^2 \left(\frac{2.5 \text{ TeV}}{m_{W_R}}\right)^4 > |S_{ej}|^2$

## Do Dirac neutrinos imply that there is no Lepton Number Violation?

possible to construct  $U(1)_{B-L}$  model with  $\chi \sim -2$  and  $\phi \sim 4$

$$\mathcal{L} = \left( y_{\alpha\beta} \bar{L}_\alpha H \nu_{R,\beta} + \kappa_{\alpha\beta} \chi \bar{\nu}_{R,\alpha} \nu_{R,\beta}^c + h.c. \right) + \sum_{X=H,\phi,\chi} (\mu_X^2 |X|^2 + \lambda_X |X|^4) \\ + \lambda_{H\phi} |H|^2 |\phi|^2 + \lambda_{H\chi} |H|^2 |\chi|^2 + \lambda_{\chi\phi} |\chi|^2 |\phi|^2 - (\mu\phi\chi^2 + h.c.)$$

break it by allowing only scalar  $\phi$  to obtain VEV:

$\Rightarrow$  neutrinos are Dirac particles, and Lepton Number violated by 4 units!

$\Rightarrow$  neutrinoless double beta decay forbidden...

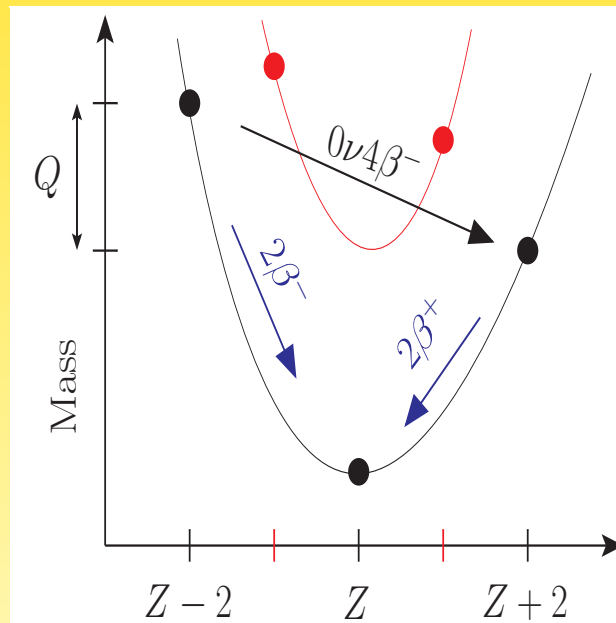
Heeck, W.R., EPL 103

## Do Dirac neutrinos mean there is no Lepton Number Violation?

Model based on gauged  $B - L$ , broken by 4 units

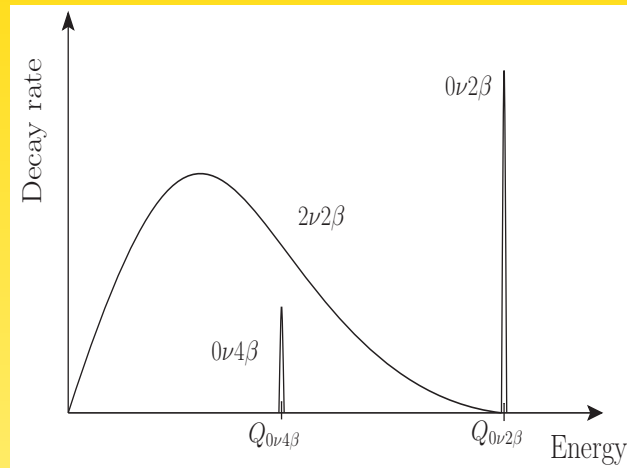
⇒ Neutrinos are Dirac particles,  $\Delta L = 2$  forbidden, but  $\Delta L = 4$  allowed...

⇒ observable: neutrinoless quadruple beta decay  $(A, Z) \rightarrow (A, Z + 4) + 4e^-$



Heeck, W.R., EPL 103

## Candidates for neutrinoless quadruple beta decay



	$Q_{0\nu 4\beta}$	Other decays	NA
${}_{40}^{96}\text{Zr} \rightarrow {}_{44}^{96}\text{Ru}$	0.629	$\tau_{1/2}^{2\nu 2\beta} \simeq 2 \times 10^{19}$	2.8
${}_{54}^{136}\text{Xe} \rightarrow {}_{58}^{136}\text{Ce}$	0.044	$\tau_{1/2}^{2\nu 2\beta} \simeq 2 \times 10^{21}$	8.9
${}_{60}^{150}\text{Nd} \rightarrow {}_{64}^{150}\text{Gd}$	2.079	$\tau_{1/2}^{2\nu 2\beta} \simeq 7 \times 10^{18}$	5.6

Heeck, W.R., EPL **103**

## Summary

**Chi l'ha visto ?**



Ettore Majorana, ordinario di fisica teorica all'Università di Napoli, è misteriosamente scomparso dagli ultimi di marzo. Di anni 31, alto metri 1,70, snello, con capelli neri, occhi scuri, una lunga cicatrice sul dorso di una mano. Chi ne sapesse qualcosa è pregato di scrivere al R. P. E. Maria-necci, Viale Regina Margherita 66 - Roma.

## Experimental Aspect

$$(T_{1/2}^{0\nu})^{-1} \propto \begin{cases} a M \epsilon t & \text{without background} \\ a \epsilon \sqrt{\frac{M t}{B \Delta E}} & \text{with background} \end{cases}$$

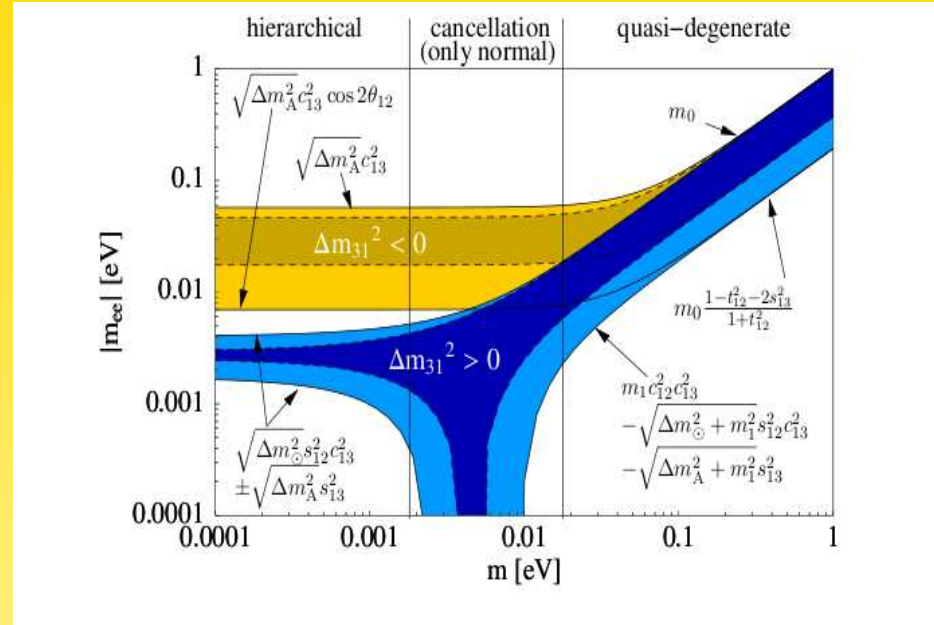
with

- $B$  is background index in counts/(keV kg yr)
- $\Delta E$  is energy resolution
- $\epsilon$  is efficiency
- $(T_{1/2}^{0\nu})^{-1} \propto (\text{particle physics})^2$

*Note: factor 2 in particle physics is combined factor of 16 in  $M \times t \times B \times \Delta E$*



## Inverted Ordering



Nature provides 2 scales:

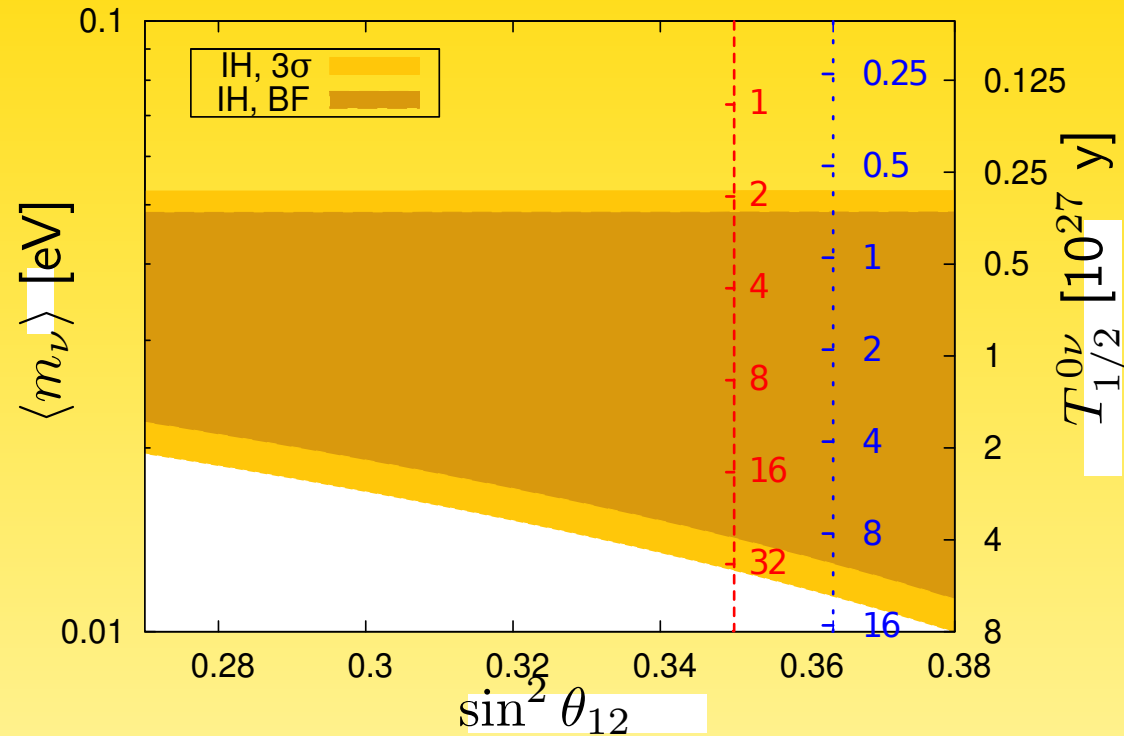
$$|m_{ee}|_{\max}^{\text{IH}} \simeq c_{13}^2 \sqrt{\Delta m_A^2} \quad \text{and} \quad |m_{ee}|_{\min}^{\text{IH}} \simeq c_{13}^2 \sqrt{\Delta m_A^2} \cos 2\theta_{12}$$

requires  $\mathcal{O}(10^{26} \dots 10^{27})$  yrs

is the lower limit  $|m_{ee}|_{\min}^{\text{IH}}$  fixed?

# Inverted Hierarchy

$$m_3 = 0.001 \text{ eV}$$



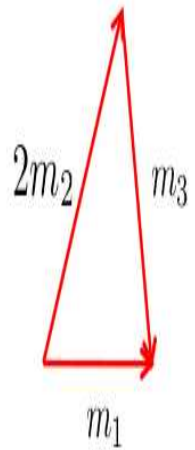
Current  $3\sigma$  range of  $\sin^2 \theta_{12}$  gives factor of  $\sim 2$  uncertainty for  $|m_{ee}|_{\min}^{\text{IH}}$

$\Rightarrow$  combined factor of  $\sim 16$  in  $M \times t \times B \times \Delta E$

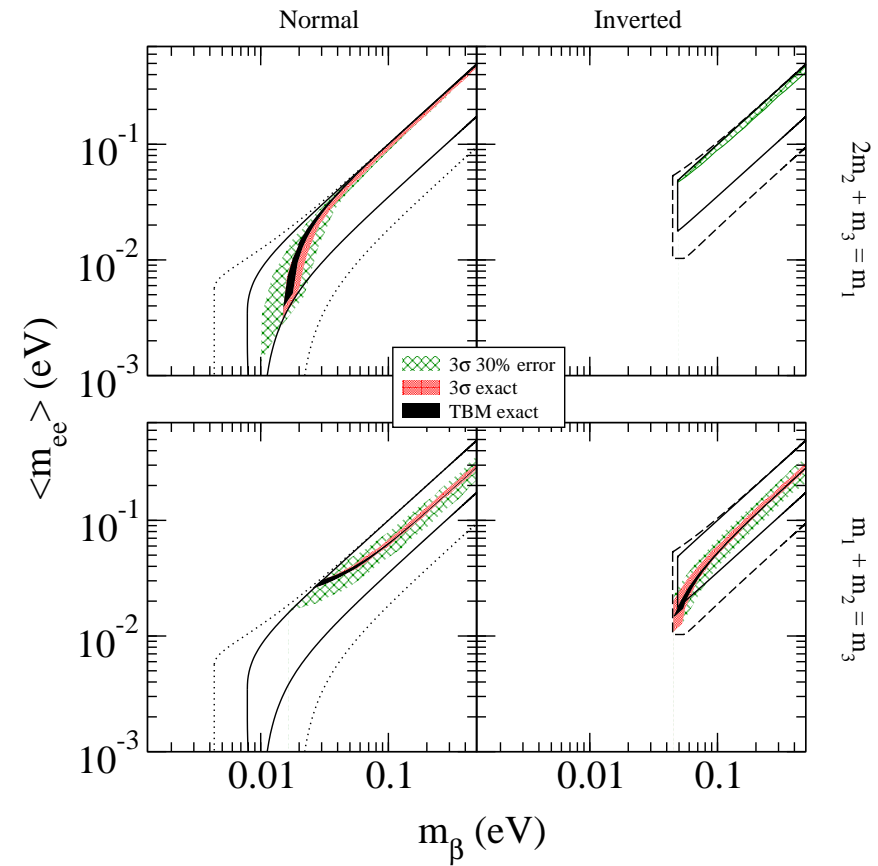
$\Rightarrow$  need precision determination of  $\theta_{12}$ !  $\leftrightarrow$  JUNO

Dueck, W.R., Zuber, PRD **83**

# Flavor Symmetry Models: sum-rules



Sum-rule	Flavour symmetry
$2m_2 + m_3 = m_1$	$A_4, T', (S_4)$
$m_1 + m_2 = m_3$	$S_4, (A_4)$
$\frac{2}{m_2} + \frac{1}{m_3} = \frac{1}{m_1}$	$A_4, T'$
$\frac{1}{m_1} + \frac{1}{m_2} = \frac{1}{m_3}$	$S_4$



constrains masses and Majorana phases

Barry, W.R., Nucl. Phys. **B842**

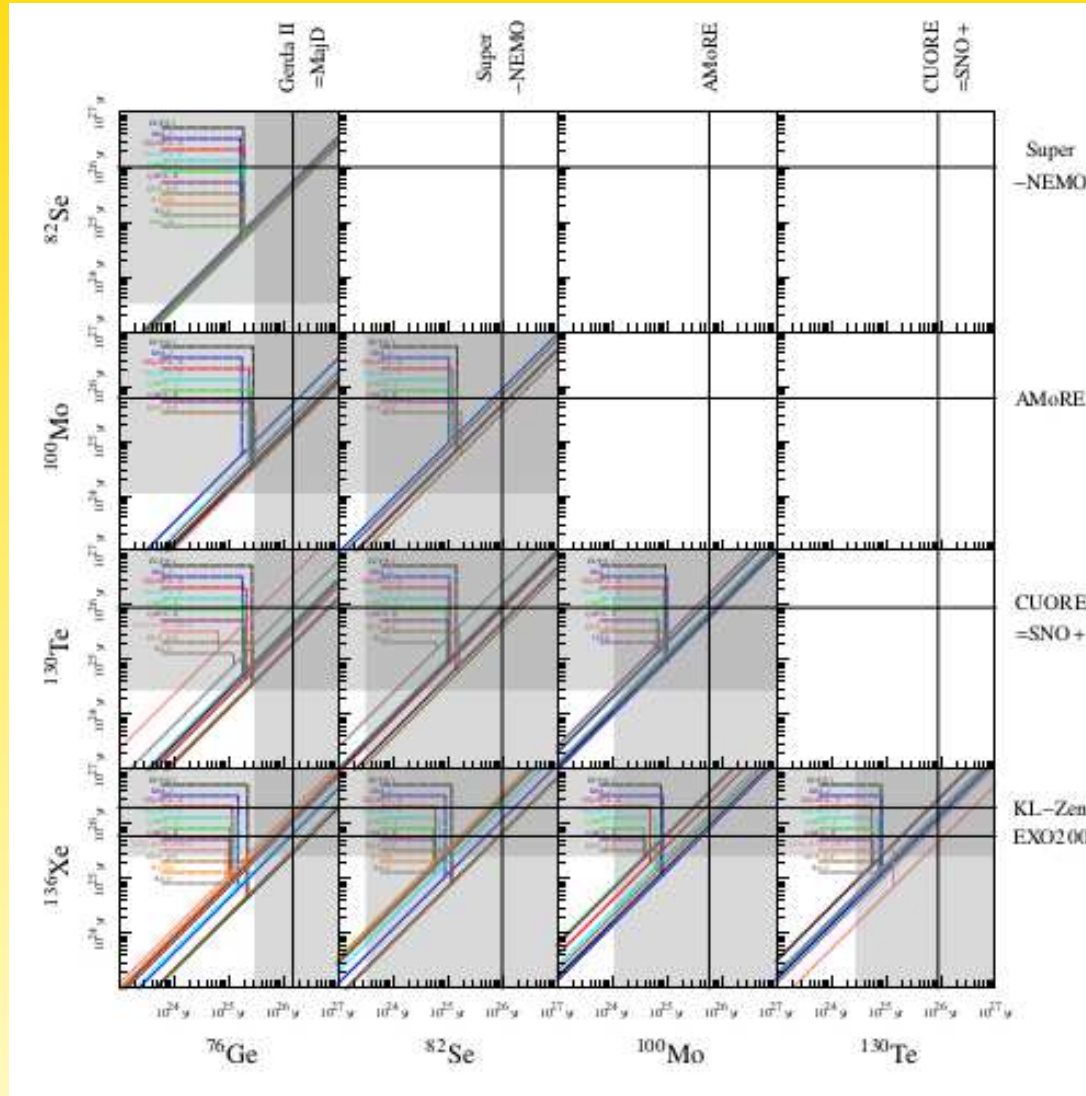
## Neutrino Mass

$$m(\text{heaviest}) \gtrsim \sqrt{|m_3^2 - m_1^2|} \simeq 0.05 \text{ eV}$$

3 **complementary** methods to measure neutrino mass:

Method	observable	now [eV]	near [eV]	far [eV]	pro	con
Kurie	$\sqrt{\sum  U_{ei} ^2 m_i^2}$	2.3	0.2	0.1	model-indep.; theo. clean	final?; worst
Cosmo.	$\sum m_i$	0.7	0.3	0.05	best; NH/IH	systemat.; model-dep.
$0\nu\beta\beta$	$ \sum U_{ei}^2 m_i $	0.3	0.1	0.05	fundament.; NH/IH	model-dep.; theo. dirty

# Generalization...



## Sterile Neutrinos??

- LSND/MiniBooNE/gallium
- cosmology
- BBN
- $r$ -process nucleosynthesis in Supernovae
- reactor anomaly

	$\Delta m_{41}^2 [\text{eV}^2]$	$ U_{e4} $	$ U_{\mu 4} $	$\Delta m_{51}^2 [\text{eV}^2]$	$ U_{e5} $	$ U_{\mu 5} $
3+2/2+3	0.47	0.128	0.165	0.87	0.138	0.148
1+3+1	0.47	0.129	0.154	0.87	0.142	0.163

or  $\Delta m_{41}^2 = 1.78 \text{ eV}^2$  and  $|U_{e4}|^2 = 0.151$

Kopp, Maltoni, Schwetz, 1103.4570

## Note on TeV scale left-right symmetry

Usual relation between VEVs:

$$v_L v_R \simeq \gamma v^2 \Rightarrow \gamma \simeq 10^{-10}$$

(or strong cancellations in  $m_D^T M_R^{-1} m_D$ )

possible to break discrete left-right parity  $P$  at high scale:

$$SU(2)_L \times SU(2)_R \times U(1)_{B-L} \times P \xrightarrow{\langle \sigma_P \rangle} SU(2)_L \times SU(2)_R \times U(1)_{B-L}$$

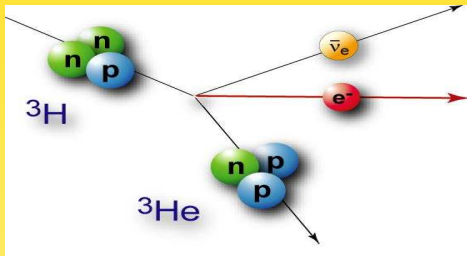
and break gauge symmetry later (Chang, Mohapatra, Parida, PRL **52**); results in

$$v_L = \beta \frac{v^2 v_R}{M_\Delta \langle \sigma_P \rangle}$$

gives  $g_R/g_L \neq 1$ , weaker  $M_{W_R}$  limits, etc.

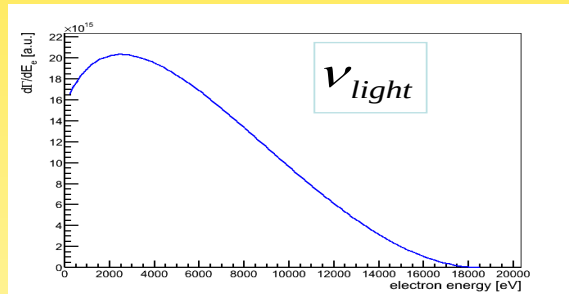
(recent use for  $eejj$  excess: Deppisch *et al.*, PR **D91**)

# Imprint of keV neutrinos on $\beta$ -spectrum

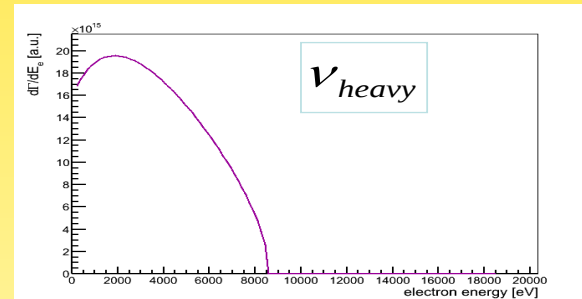


$$\begin{pmatrix} \nu_e \\ \nu_s \end{pmatrix} = \begin{pmatrix} \cos \theta & -\sin \theta \\ \sin \theta & \cos \theta \end{pmatrix} \begin{pmatrix} \nu_{light} \\ \nu_{heavy} \end{pmatrix}$$

$\cos^2(\theta)$

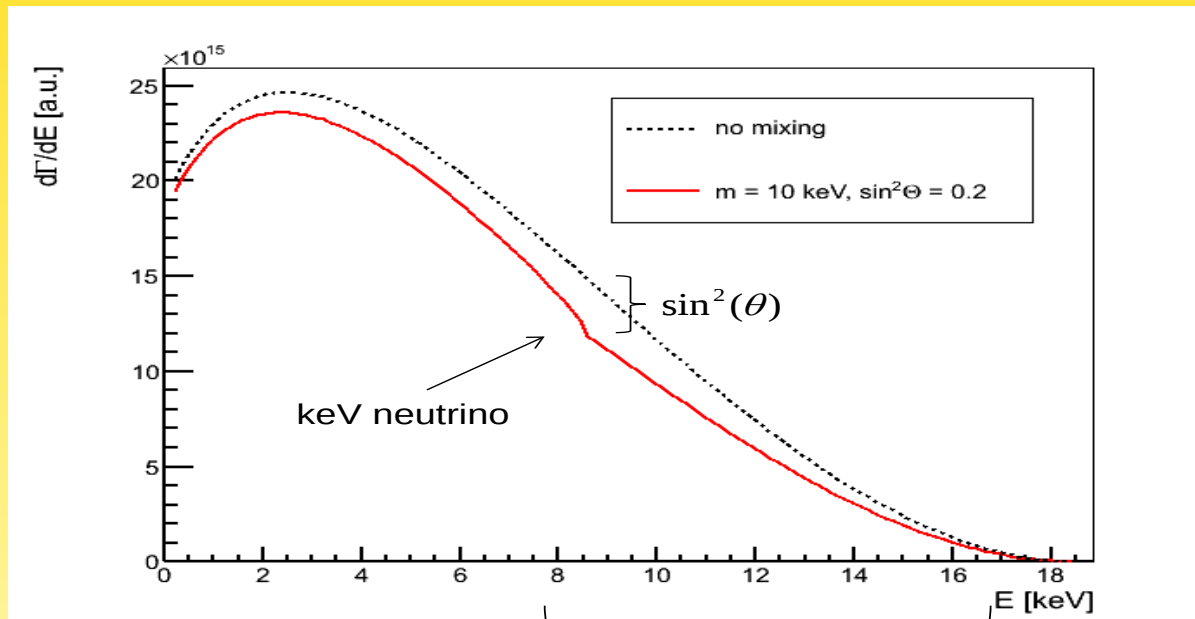


+  $\sin^2(\theta)$





# Imprint of keV neutrinos on $\beta$ -spectrum



Susanne Mertens

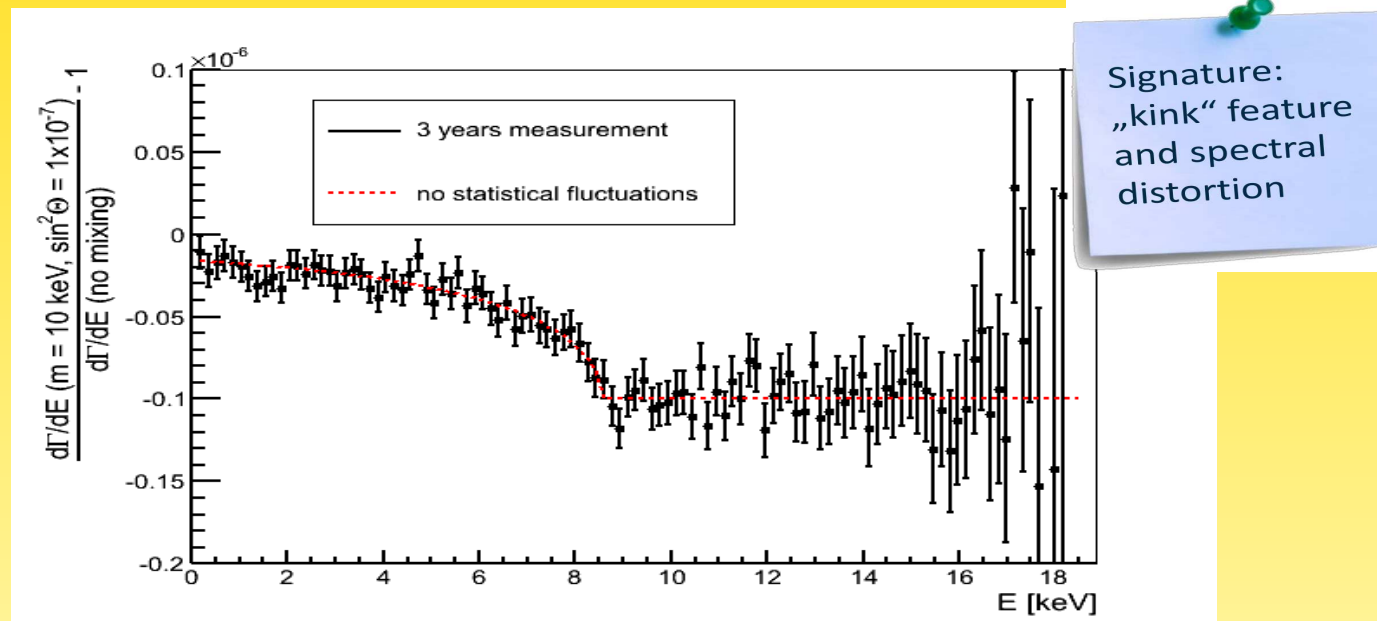
13

$m_{Vheavy}$



Mertens *et al.*, 1409.0920

# Imprint of keV neutrinos on $\beta$ -spectrum

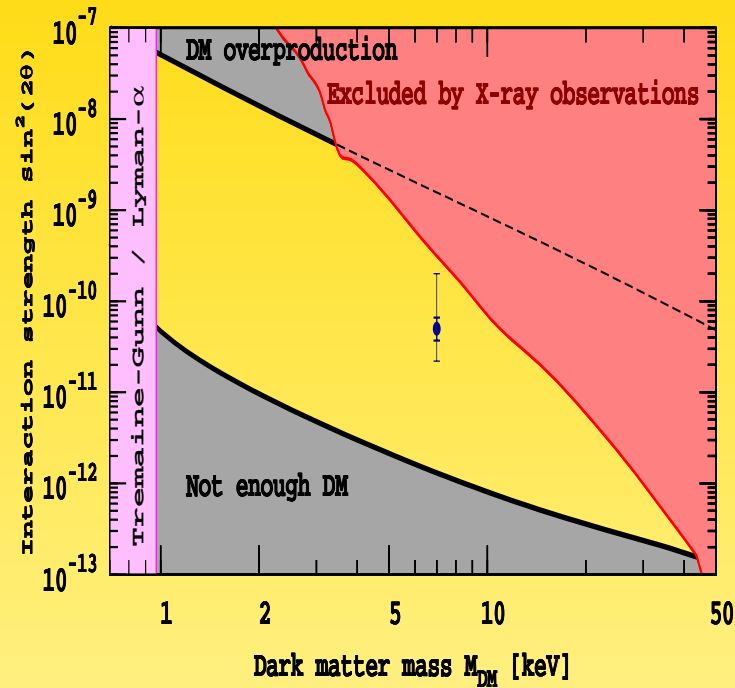


Susanne Mertens

15



Mertens *et al.*, 1409.0920



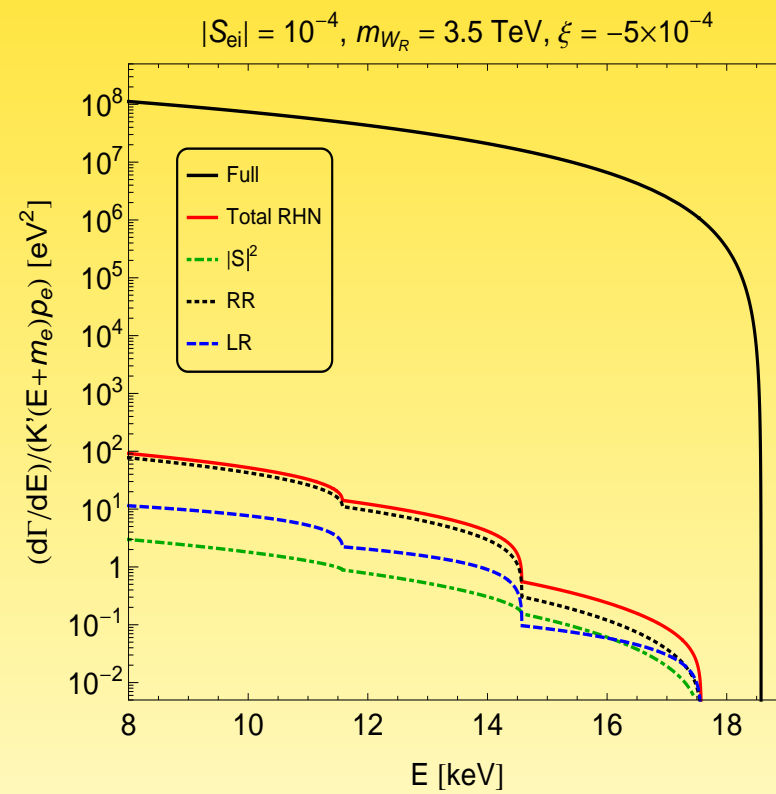
⇒ mixing down to  $10^{-7}$  in reach!?

hard for KATRIN to see something...

...can increase signal with additional interactions, e.g. right-handed currents

in total one has

$$\frac{d\Gamma}{dE} = \left(\frac{d\Gamma}{dE}\right)_{LL} + \left(\frac{d\Gamma}{dE}\right)_{RR} + \left(\frac{d\Gamma}{dE}\right)_{LR}$$



## Energy Scale:

Note: *standard amplitude* for light Majorana neutrino exchange:

$$\mathcal{A}_l \simeq G_F^2 \frac{|m_{ee}|}{q^2} \simeq 7 \times 10^{-18} \left( \frac{|m_{ee}|}{0.5 \text{ eV}} \right) \text{ GeV}^{-5} \simeq 2.7 \text{ TeV}^{-5}$$

if new heavy particles are exchanged:

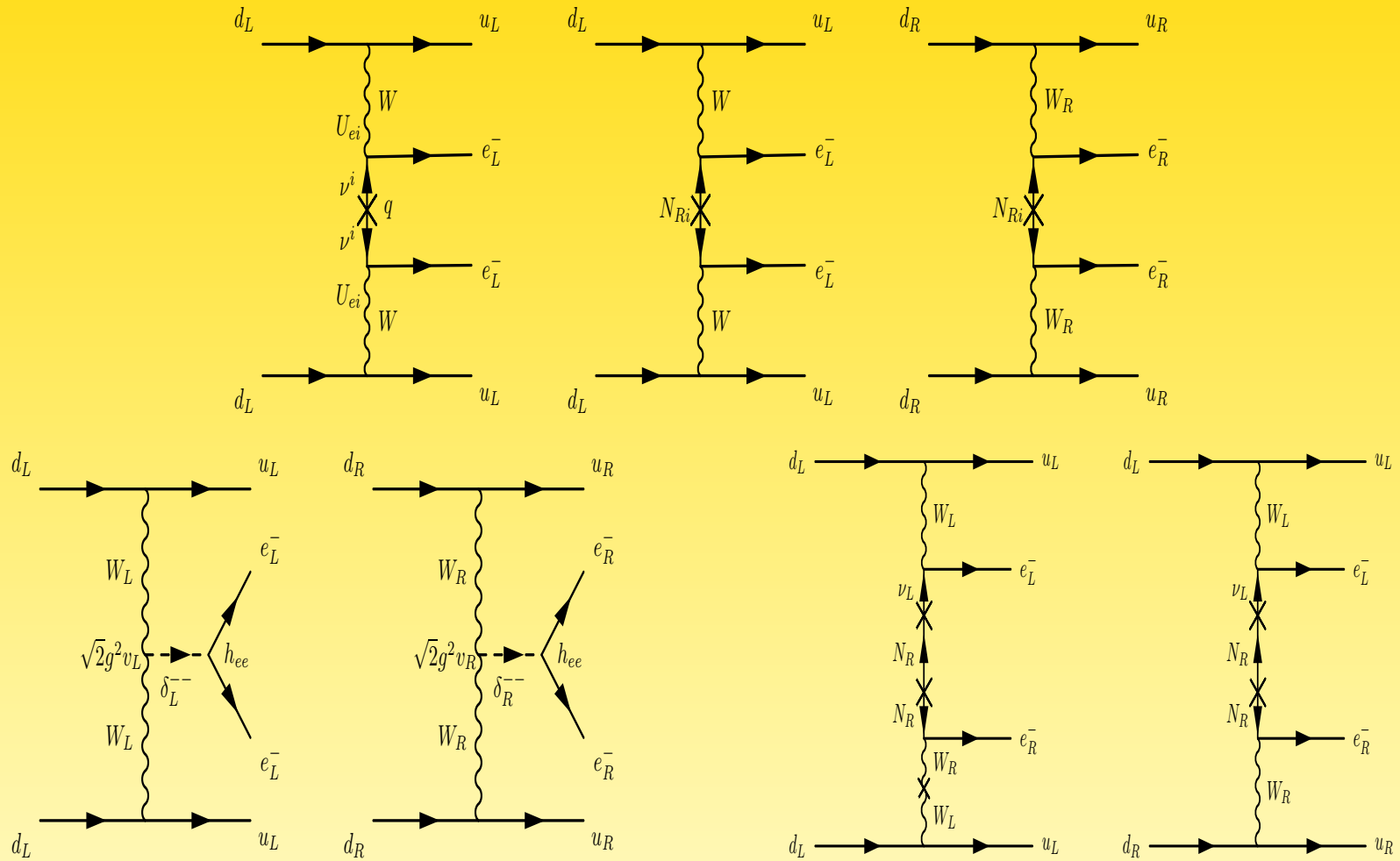
$$\mathcal{A}_h \simeq \frac{c}{M^5}$$

$\Rightarrow$  for  $0\nu\beta\beta$  holds:

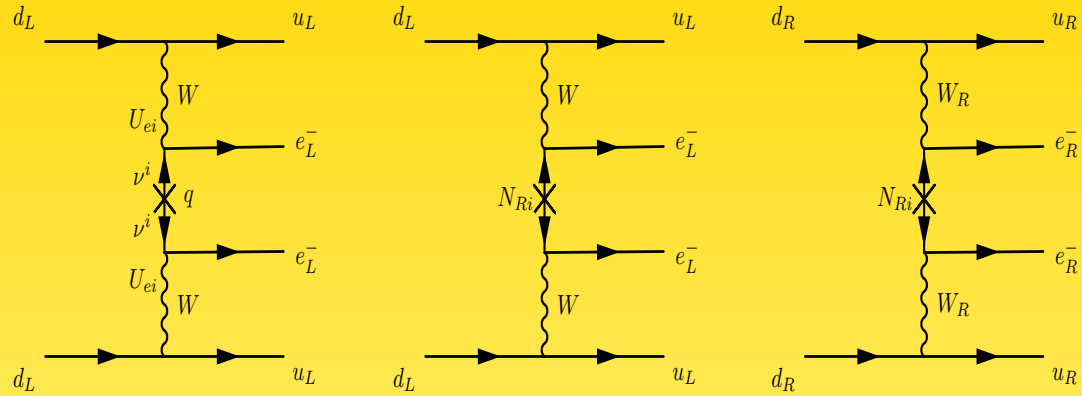
$$1 \text{ eV} = 1 \text{ TeV}$$

$\Rightarrow$  Phenomenology in colliders, LFV

# Left-right symmetry



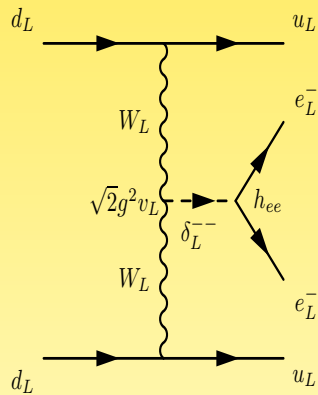
# Left-right symmetry



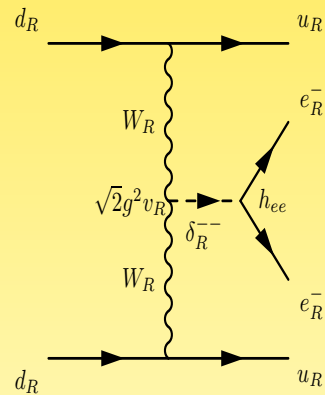
$$U_{ei}^2 m_i$$

$$\frac{S_{ei}^2}{M_i}$$

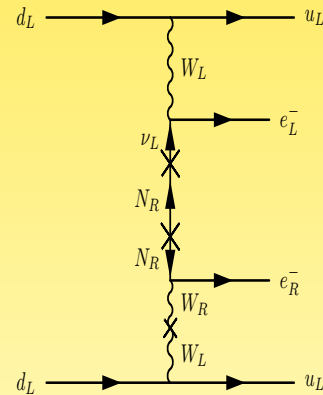
$$\frac{V_{ei}^2}{M_{W_R}^4 M_i}$$



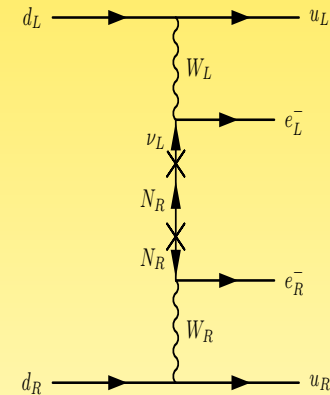
$$\frac{U_{ei}^2 m_i}{M_{\Delta_L}^2}$$



$$\frac{V_{ei}^2 M_i}{M_{W_R}^4 M_{\Delta_R}^2}$$

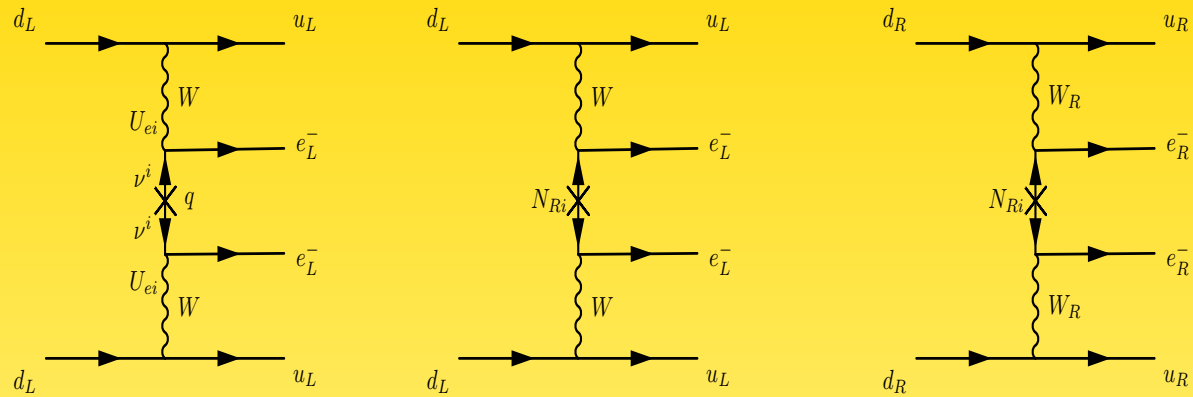


$$U_{ei} T_{ei} \tan \zeta$$



$$\frac{U_{ei} T_{ei}}{M_{W_R}^2}$$

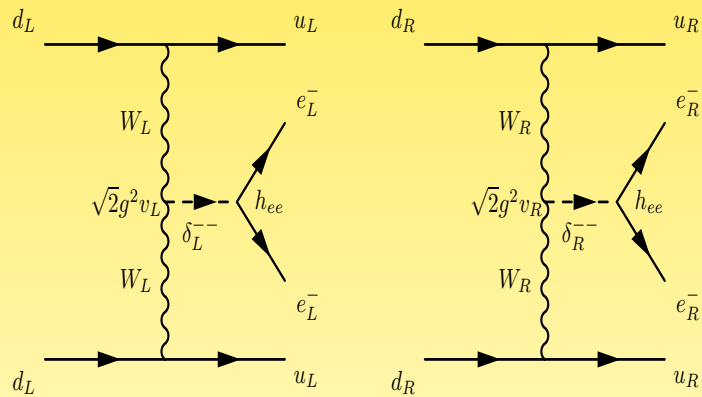
# Left-right symmetry



0.4 eV

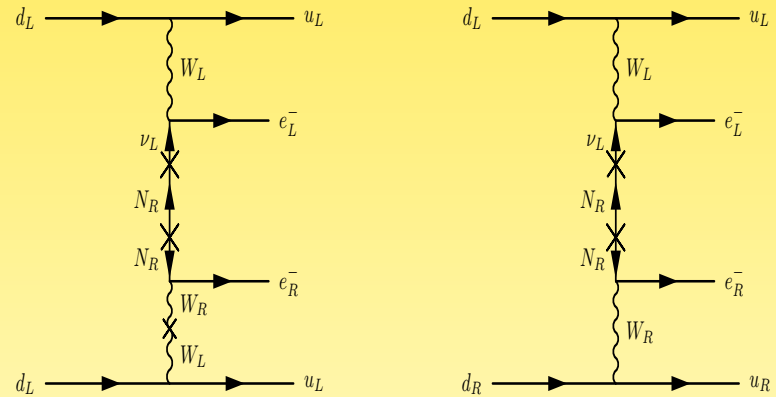
$2 \times 10^{-8} \text{ GeV}^{-1}$

$4 \times 10^{-16} \text{ GeV}^{-5}$



—

$10^{-15} \text{ GeV}^{-5}$



$6 \times 10^{-9}$

$1.4 \times 10^{-10} \text{ GeV}^{-2}$

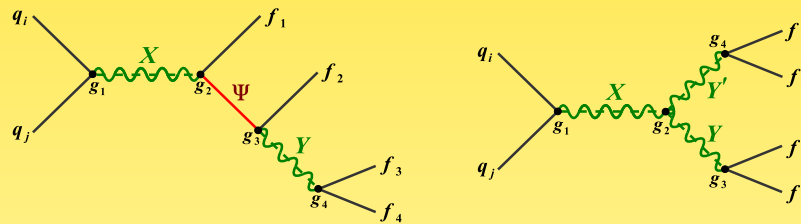


# Observation of LNV at LHC implies washout effects in early Universe!

Example TeV-scale  $W_R$ : leading to washout  $e_R^\pm e_R^\pm \rightarrow W_R^\pm W_R^\pm$  and  $e_R^\pm W_R^\mp \rightarrow e_R^\mp W_R^\pm$ . Further,  $e_R^\pm W_R^\mp \rightarrow e_R^\mp W_R^\pm$  stays long in equilibrium

(Frere, Hambye, Vertongen; Bhupal Dev, Lee, Mohapatra; U. Sarkar *et al.*)

More model-independent (Deppisch, Harz, Hirsch):



$$\text{washout: } \log_{10} \frac{\Gamma_W(qq \rightarrow \ell^+ \ell^+ qq)}{H} \gtrsim 6.9 + 0.6 \left( \frac{M_X}{\text{TeV}} - 1 \right) + \log_{10} \frac{\sigma_{\text{LHC}}}{\text{fb}}$$

(TeV- $0\nu\beta\beta$ , LFV and  $Y_B$ : Deppisch, Harz, Huang, Hirsch, Päs)

$\leftrightarrow$  post-Sphaleron mechanisms,  $\tau$  flavor effects,...

## Paths to Neutrino Mass

approach	ingredient	quantum number of messenger	$\mathcal{L}$	$m_\nu$	scale
“SM” (Dirac mass)	RH $\nu$	$N_R \sim (1, 0)$	$h \overline{N}_R \Phi L$	$h v$	$h = \mathcal{O}(10^{-12})$
“effective” (dim 5 operator)	new scale + LNV	–	$h \overline{L}^c \Phi \Phi L$	$\frac{h v^2}{\Lambda}$	$\Lambda = 10^{14}$ GeV
“direct” (type II seesaw)	Higgs triplet + LNV	$\Delta \sim (3, -2)$	$h \overline{L}^c \Delta L + \mu \Phi \Phi \Delta$	$h v_T$	$\Lambda = \frac{1}{h\mu} M_\Delta^2$
“indirect 1” (type I seesaw)	RH $\nu$ + LNV	$N_R \sim (1, 0)$	$h \overline{N}_R \Phi L + \overline{N}_R M_R N_R^c$	$\frac{(h v)^2}{M_R}$	$\Lambda = \frac{1}{h} M_R$
“indirect 2” (type III seesaw)	fermion triplets + LNV	$\Sigma \sim (3, 0)$	$h \overline{\Sigma} L \Phi + \text{Tr} \overline{\Sigma} M_\Sigma \Sigma$	$\frac{(h v)^2}{M_\Sigma}$	$\Lambda = \frac{1}{h} M_\Sigma$

plus seesaw variants (linear, double, inverse, . . .)

plus radiative mechanisms

plus extra dimensions

plusplusplus

## Recent Results

- $^{76}\text{Ge}$ :
  - GERDA:  $T_{1/2} > 2.1 \times 10^{25}$  yrs
  - GERDA + IGEX + HDM:  $T_{1/2} > 3.0 \times 10^{25}$  yrs
- $^{136}\text{Xe}$ :
  - EXO-200:  $T_{1/2} > 1.1 \times 10^{25}$  yrs (first run with less exposure:  $T_{1/2} > 1.6 \times 10^{25}$  yrs. . .)
  - KamLAND-Zen:  $T_{1/2} > 2.6 \times 10^{25}$  yrs

Xe-limit is stronger than Ge-limit when:

$$T_{\text{Xe}} > T_{\text{Ge}} \frac{G_{\text{Ge}}}{G_{\text{Xe}}} \left| \frac{\mathcal{M}_{\text{Ge}}}{\mathcal{M}_{\text{Xe}}} \right|^2 \text{ yrs}$$