

Expansion vessel for supercritical hydrogen in a spallation neutron source moderator circuit M. Klaus^a, S. Eisenhut^a, Ch. Haberstroh^a, H. Quack^a, Y. Bessler^b ^a Technische Universitaet Dresden, Dresden, Germany, ^b ZEA1 – Forschungszentrum Juelich, Juelich, Germany

Motivation

Parahydrogen around 20 K and above critical pressure is a preferred moderating fluid for conditioning of cold neutrons. Heat loads demand recooling and circulation in a closed loop. The engineering challenge is to keep the pressure and temperature within tolerable levels for expected or sudden changes of the neutron heat load.



Pressure control possibilities

Hydrogen acts almost as an incompressible at temperatures around variations in the mean 20 K. Small constant specific temperature for а large volume pressure result in fluctuation in a rather short time.

There are three opportunities:

Bitzer Chair of Refrigeration, Cryogenics and Compressor Technology

MARCEL KLAUS

E-mail: marcel.klaus@tu-dresden.de

Phone 0049 351 463 39736

- Adjusting loop volume (ca. 1.2 %), lacksquare
- Keep mean temperature constant (el. heater in LH₂ and/or energy balance over HX),
- Adjusting loop mass (ca. 1.2 %) by installing a small vertical vessel in a side arm.



0.01 Figure 2. Phase diagram of

parahydrogen.

1. Simplified flow scheme of a moderator cooling circuit based on supercritical parahydroger of a high-power spallation neutron source at 100 % beam power.



Figure 3. Helium gasbacked accumulator for volume variation (left), passive (middle) actively and controlled expansion vessel (right).

Passive expansion vessel

The vapor space at the top of the buffer acts as a gas spring dampening the pressure increase due rising mean loop temperature and inflow of 1725 K liquid into the vessel



closed valve				- B	d valve		
≈ 40 K 2 MPa ≈ 17 K		ΔV_L	≈ 42,2 k 1.57 MP ≈ 17 k		Figu vess volu fron	ure 4. Pass sel (exempla ime of 60 L) n beam OFF (right) and	ive expansior ry for a tota with transitior (left) to beam
beam OFF		isentropic compressio	n →	beam ON	iser	ntropic compr	ession.
Table 1.	Partial de	erivates for r	nean tem	perature cha	nge and pres	sure increase	over loop.
p ₁	T ₁	V ₁	p ₂	T ₂	V ₂	$\left(\frac{\delta v}{\delta T}\right)_p$	$\left(\frac{\delta v}{\delta p}\right)_T$
MPa	К	m3/kg	MPa	К	m3/kg	m3/kg-K	m3/kg-bar
1.32	17.2	0.01328	1.32	18.4	0.01347	0.0001617	
1.32	18.4	0.01347	1.57	18.4	0.01342		0.0001840
		Table 2.	sentropic	compressior	n of 40 K vap	or.	

state	Ρ	Т	S	V	$\left(\frac{\delta v}{\delta p}\right)_{s}$
[-]	MPa	К	kJ/kg-K	m ³ /kg	m ³ /kg-bar
OFF	1.32	40.00	16.60	0.0967	-0.033801
ON	1.57	42.82	16.60	0.0883	

Isentropic compression for 17.25 to 18.75 K, 300 L inventory and a buffer volume of 60 L (85 % vapor) results e.g. in a pressure rise of 0.25 MPa.

Actively controlled expansion vessel

The combination of liquid inflow and simultaneous outflow of seven times less dense vapor from the top of the vessel back to the loop enables an almost steady pressure for mean temperature variations.



Figure 5. Active expansion vessel: transition from beam OFF (left) to beam ON (middle) and open control valve for vapour release and cool-down to pump suctions side; transition from beam ON (middle) to beam OFF (right) and necessary heating to re-establish vapour fraction.

CEC-ICMC 2015, 28 June to 2 July, Tucson, Arizona, United States; C1PoJ – Novel Concepts and New Devices

To push back liquid out to the loop a heater (e.g. thermosiphon) has to restore the vapor volume with decreasing mean loop temperature. This vessel can be much smaller compared to the passive version but requires valve and heater control.

 $\Delta V_{L} = \frac{V_{L} \cdot (\bar{v}_{d})}{2}$

_____ OFF

Numerical approach

resolution table based hydrogen property data allow numerical calculations in the between range 1.3 to 2 MPa and 16 to 100 K. Compared the isentropic to compression pressure increase in the CFD simulation



$$\dot{\overline{v}}_{OFF} - \overline{\overline{v}}_{OFF}) \qquad \dot{\overline{m}}_{L} = \frac{V_{L}^{3} \cdot (\overline{\overline{v}}_{ON} - \overline{\overline{v}}_{OFF})}{\overline{\overline{v}}_{OFF}^{2} \cdot 2\dot{V}_{pump}} \qquad \dot{\overline{m}}_{V} = \frac{\Delta V_{L} \cdot v_{V} \cdot V_{L}}{2\dot{V}_{pump}}$$

Table 3. Change of mean specific volume for actively controlled vessel.

p ₁	T_1	V ₁	p ₂	T_2	V_2	v_mean
MPa	К	m³/kg	MPa	К	m³/kg	m³/kg
1.57	17	0.01320	1.57	17.5	0.01328	0.01324
1.57	17	0.01328	1.57	20.5	0.01380	0.01354

The ideal process of isentropic compression of the 40 K vapor space does not take into account the compressible feature of the transition zone, heat conduction or mixing effects. Therefore a CFD simulation was set up. High



is smaller because of taking into account the compressible transition zone and forced mixing due to the incoming flow of cold hydrogen.

> Figure CFD simulation of inflow followed by outflow for the 60 L passive expansion vessel with transient pressure and temperature distribution.