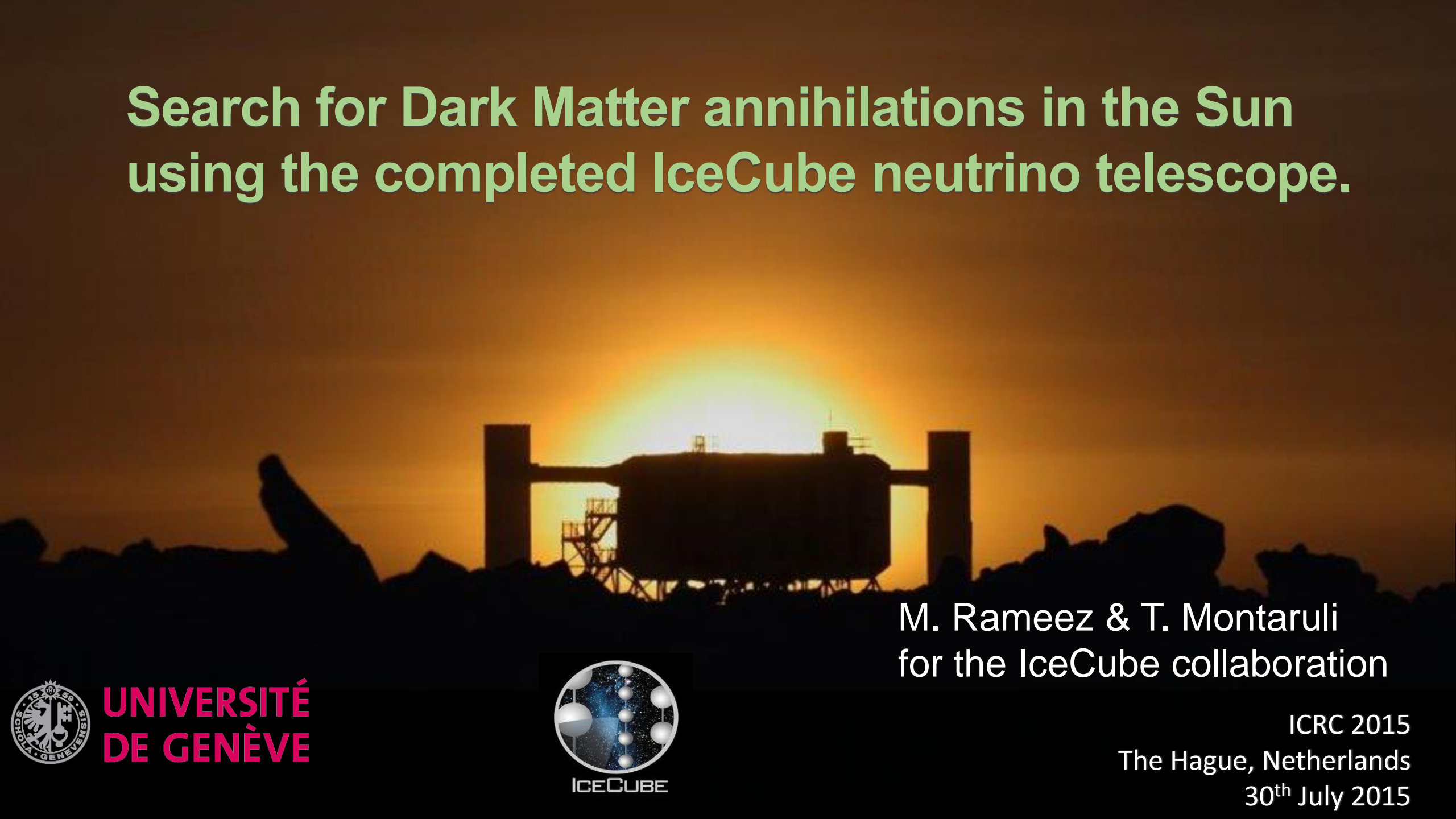


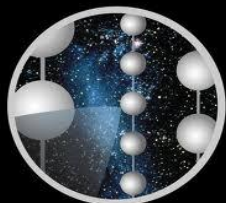
Search for Dark Matter annihilations in the Sun using the completed IceCube neutrino telescope.



M. Rameez & T. Montaruli
for the IceCube collaboration



UNIVERSITÉ
DE GENÈVE



ICECUBE

ICRC 2015
The Hague, Netherlands
30th July 2015

WIMP Capture and Annihilation in the Sun

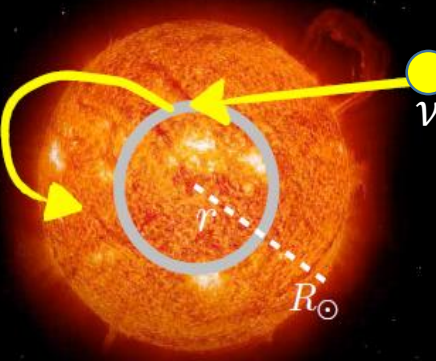


Diagram illustrating the capture of a WIMP particle by the Sun. A yellow arrow shows a WIMP particle entering the Sun's radius R_\odot and being captured.

$$\Gamma_{\text{capt}} = \frac{\rho_{\text{DM}}}{M_{\text{DM}}} \sum_i \sigma_i \int_0^{R_\odot} dr 4\pi r^2 n_i(r) \int_0^\infty dv 4\pi v^2 f_\odot(v) \frac{v^2 + v_{\odot\text{esc}}^2}{v} \rho_i(v, v_{\odot\text{esc}})$$

DM number density

Scattering Cross Section
 $\sigma_{SD} \propto J(J+1)$
 $\sigma_{SI} \propto A^2$

Number density of element $i \rightarrow$ Solar Model

velocity distribution
 (in solar frame, without Sun's gravity)

effect of solar gravity

Spin Dependent scattering

- Only the hydrogen in the Sun contributes significantly.
- Lower event rates in direct detection experiments
- More interesting for IceCube

Spin Independent scattering

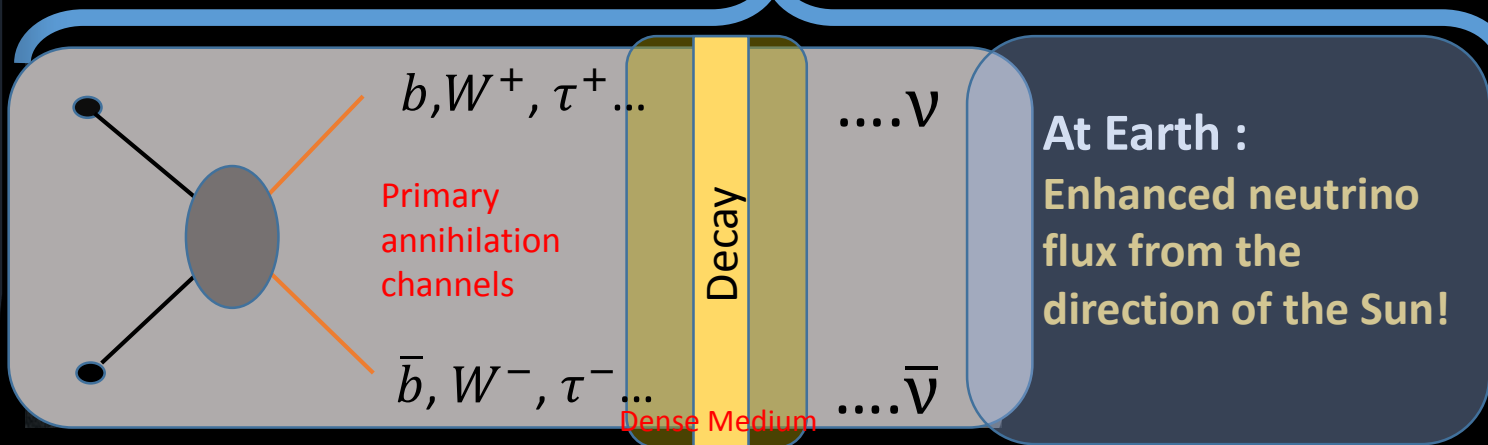
- Heavier nuclei contribute more due to $\propto A^2$ enhancement.
- Better sensitivity using direct detection experiments such as LUX, XENON etc

Capture

Equilibrium

$$\Gamma_A^{\text{equi}} = \frac{1}{2} C_c$$

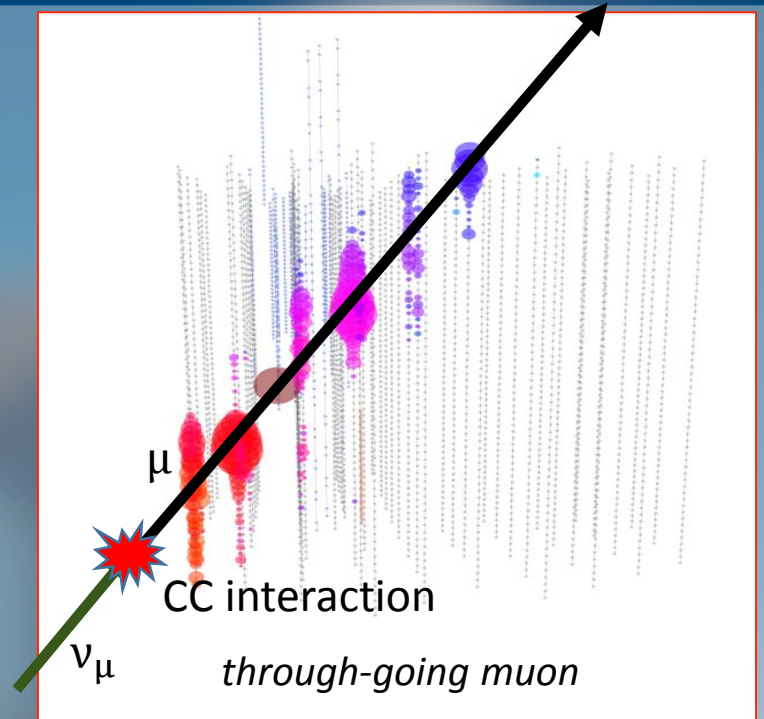
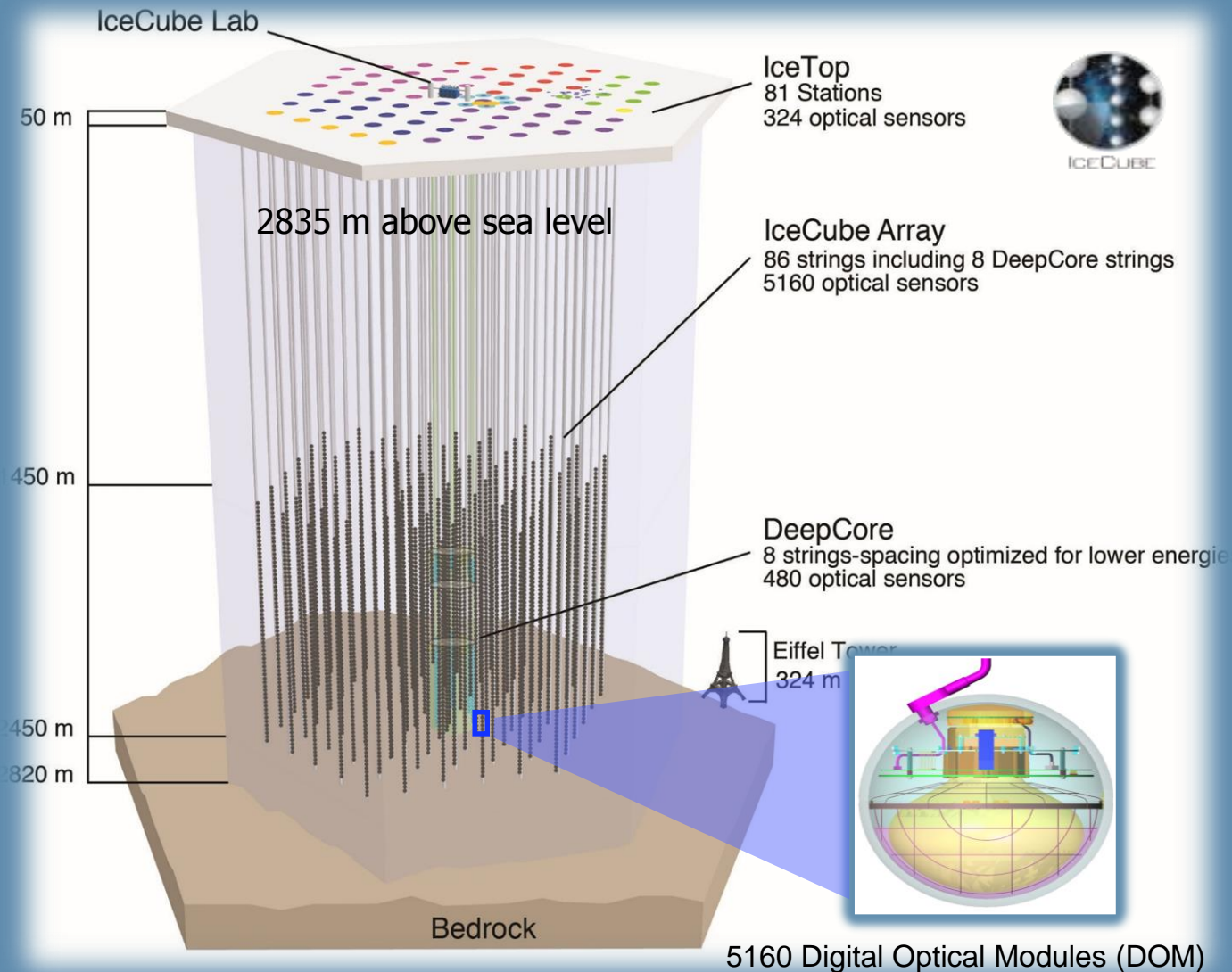
Annihilation



At Earth :
Enhanced neutrino flux from the direction of the Sun!

All calculations performed with DarkSusy/WimpSim

IceCube : Detector and Event Signatures

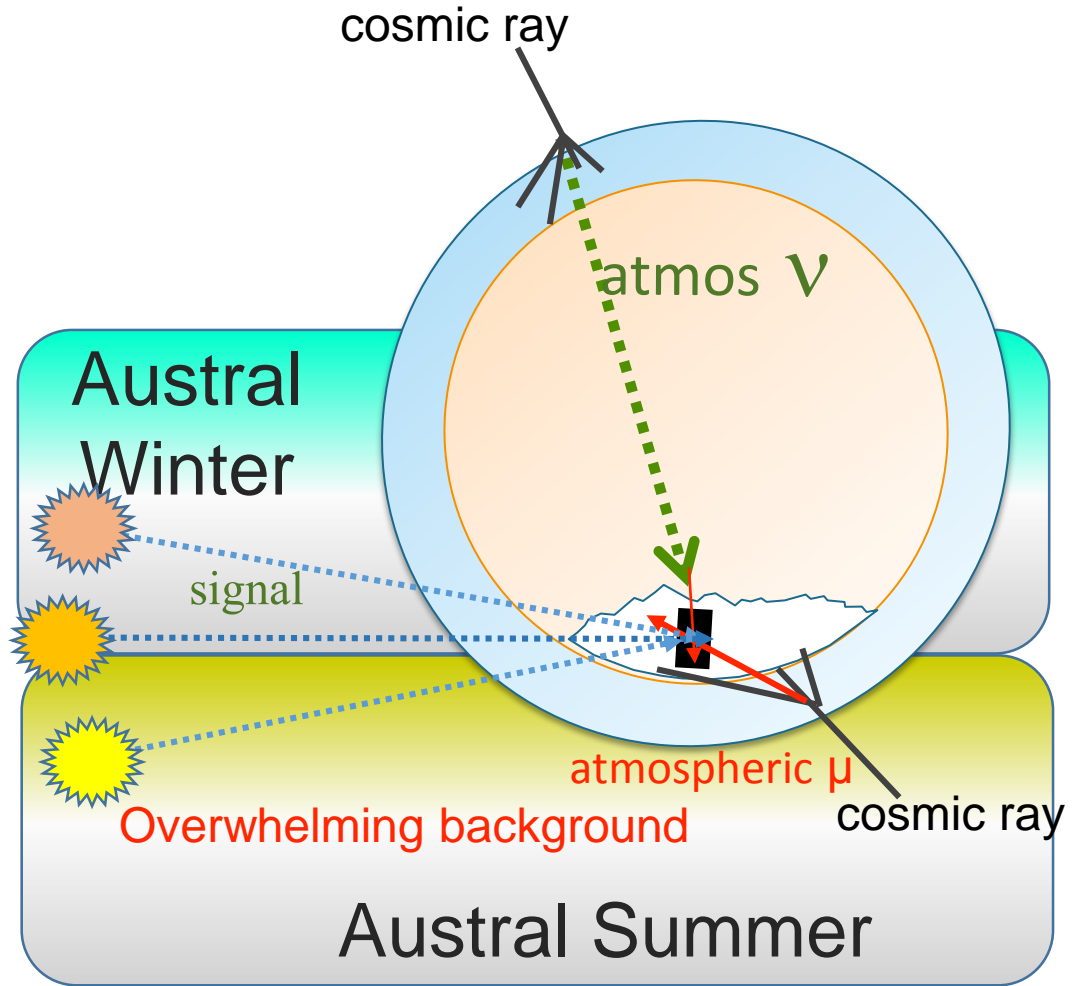


- Good angular resolution: **Neutrino Astronomy**
- Vertex can be outside the detector: **Increased effective volume!**

Other signatures such as cascades from ν_e , ν_τ and all-flavor neutral current interactions are not used in this analysis.

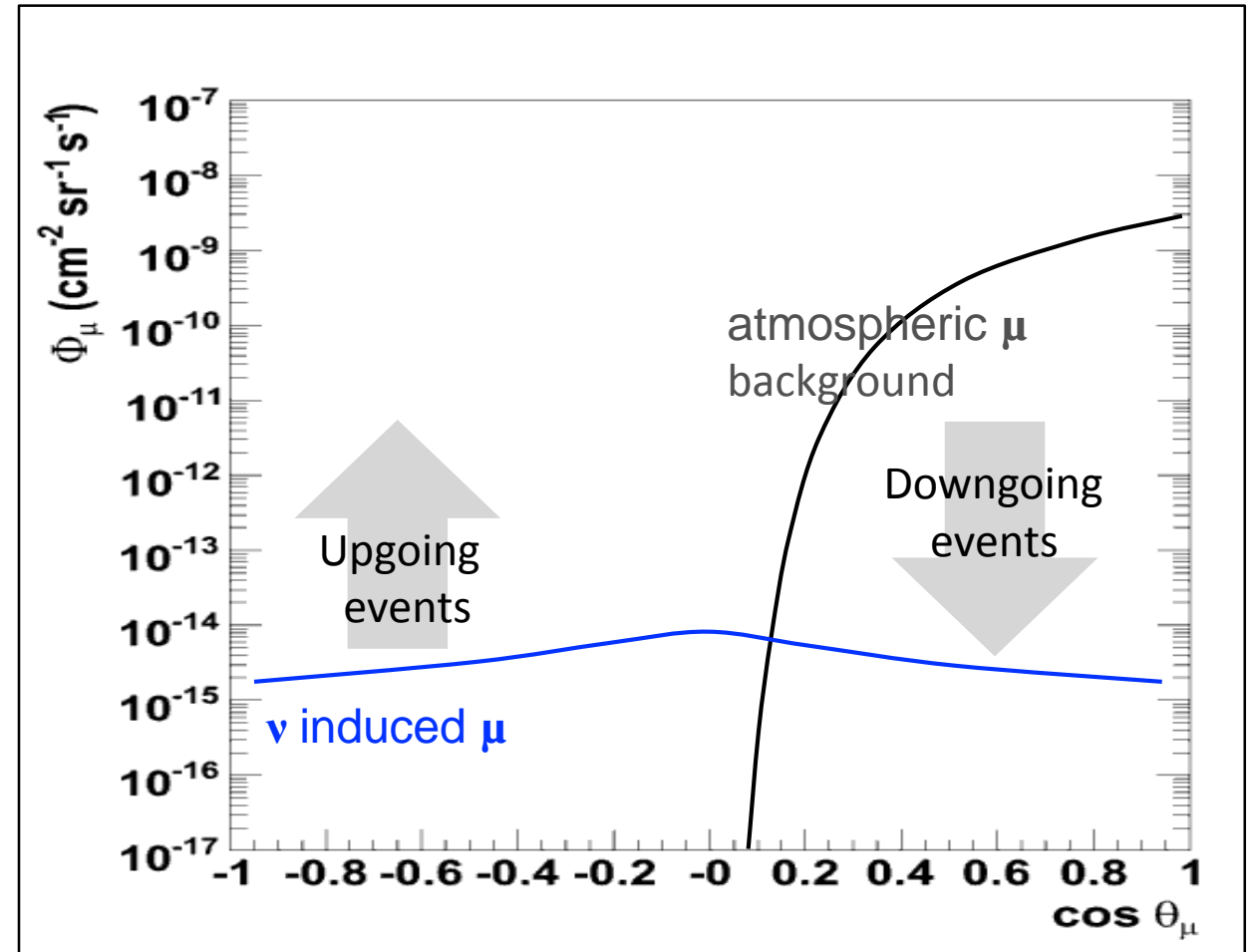
IceCube and the Sun

Northern Sky



Southern Sky

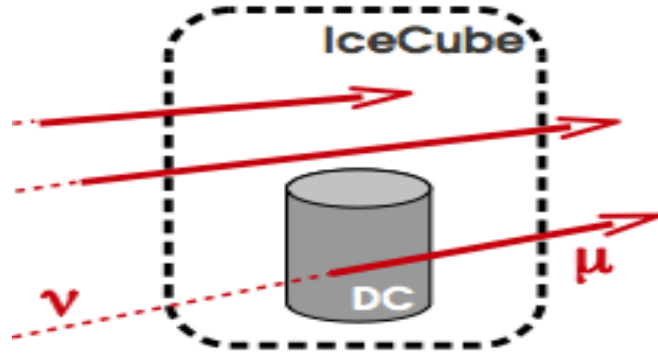
10^6 lower background during the Austral Winter



Event Selections

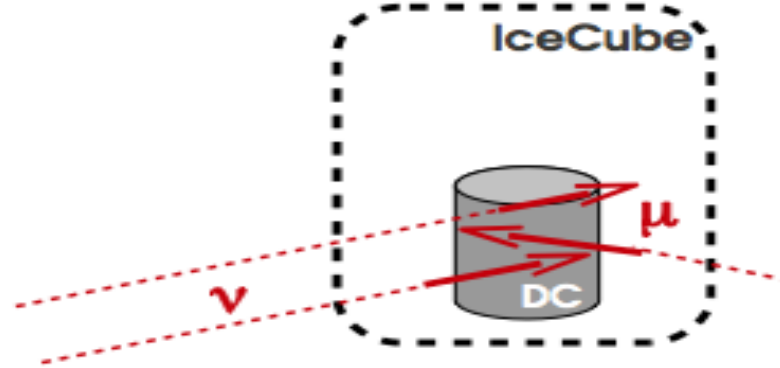
High Energy
Large Effective Volume
Excellent Angular Resolution

1



Low Energy
Better Energy Resolution

2



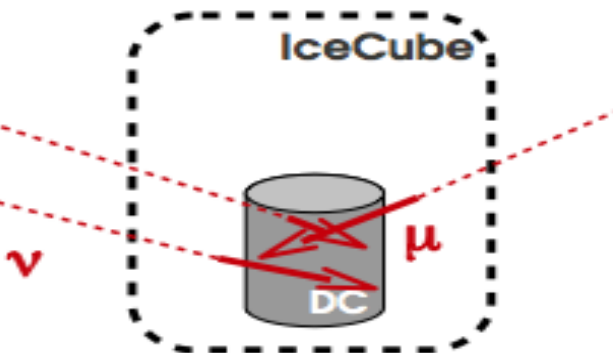
All three samples are non overlapping and hence combined in likelihood.

1 Optimized for high energy (>100 GeV) Signals

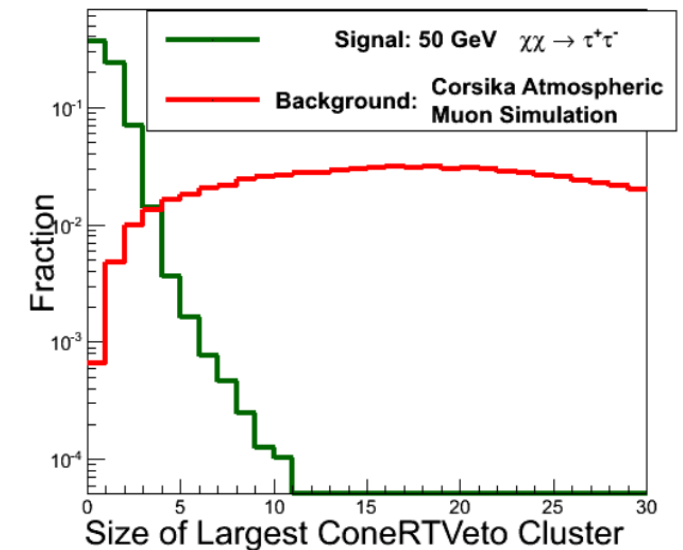
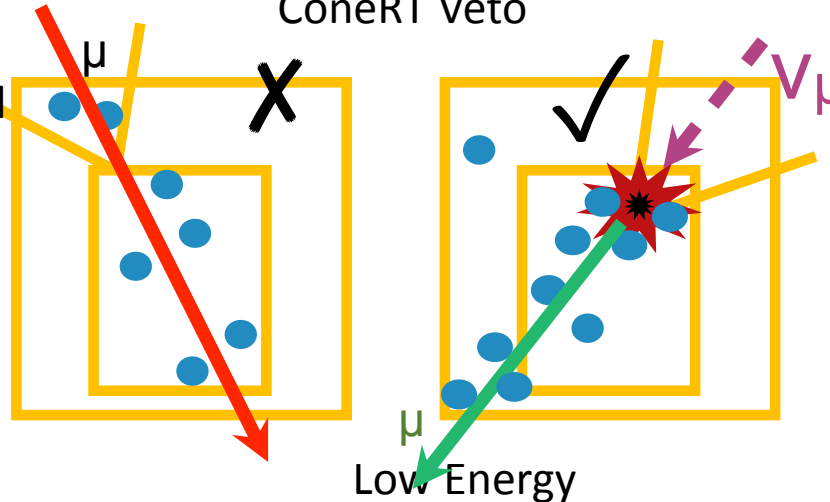
2 and 3 Optimized for low energy (<100 GeV) Signals

Low Energy
Veto to remove downgoing background

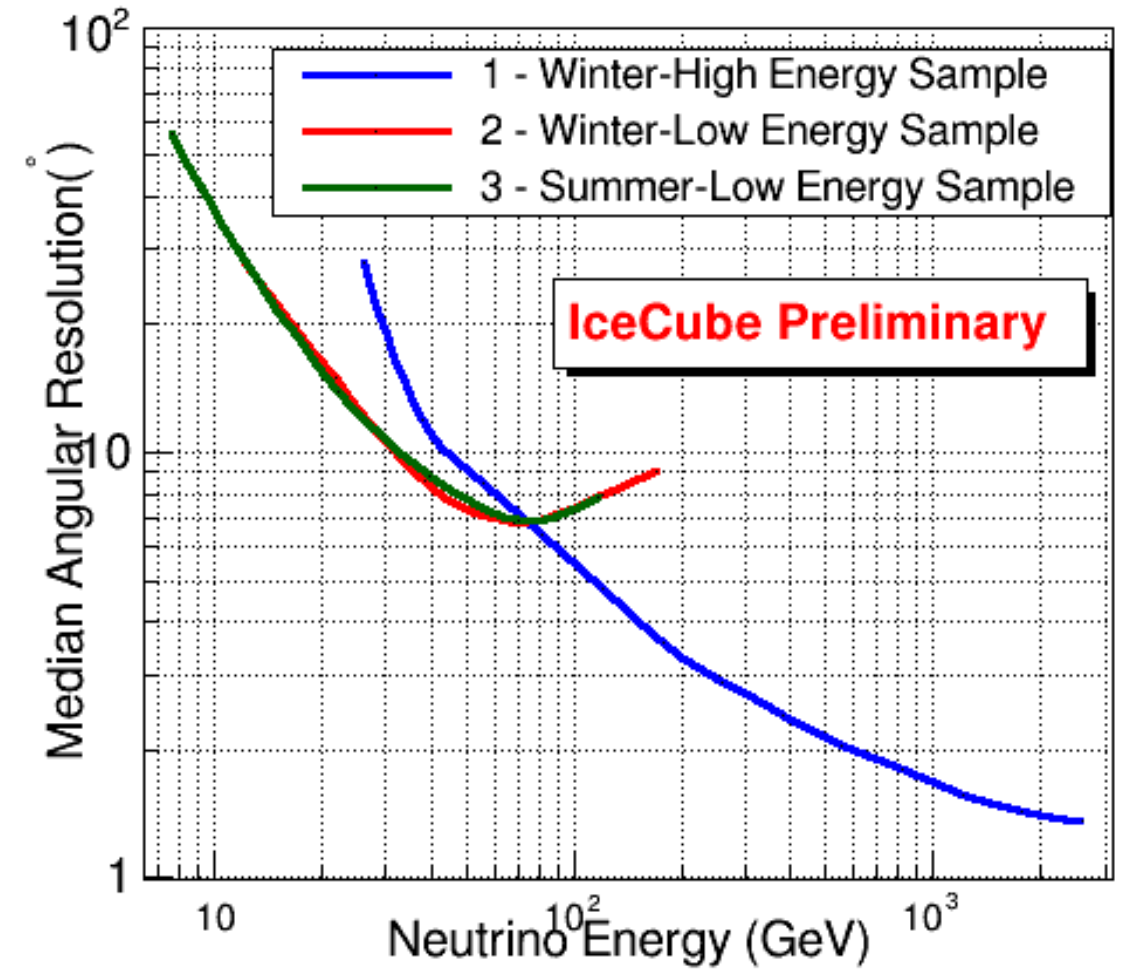
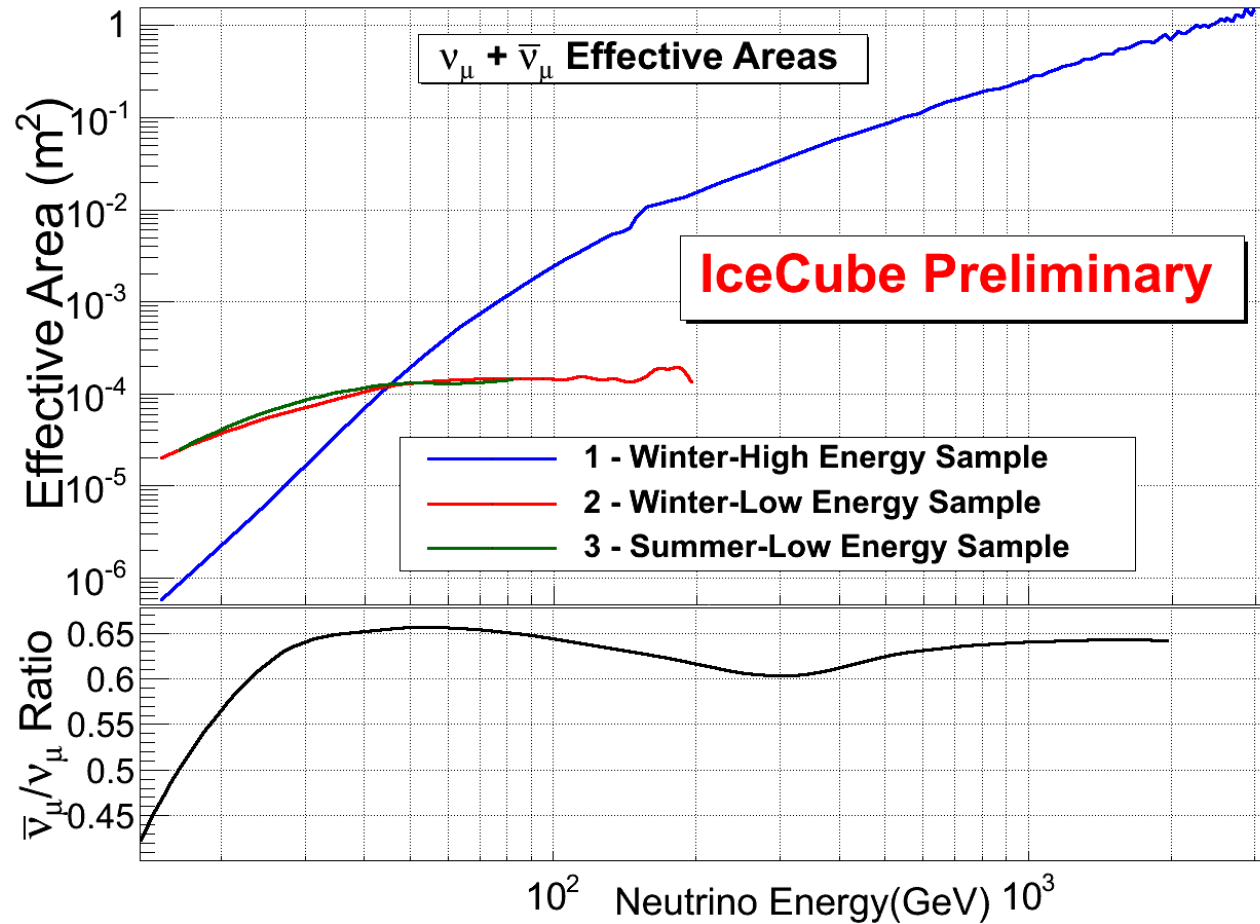
3



ConeRT Veto



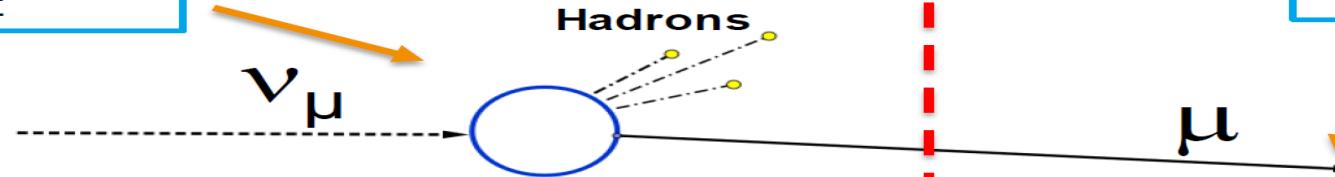
Event Selection Performance



Energy Reconstruction

$$E_{\text{reco}} = E_{\mu}(R_{\mu}) + E_{\text{vertex}}(E_{\text{had}}, \vec{x}_{\text{vertex}})$$

Fit of a cascade with a track segment

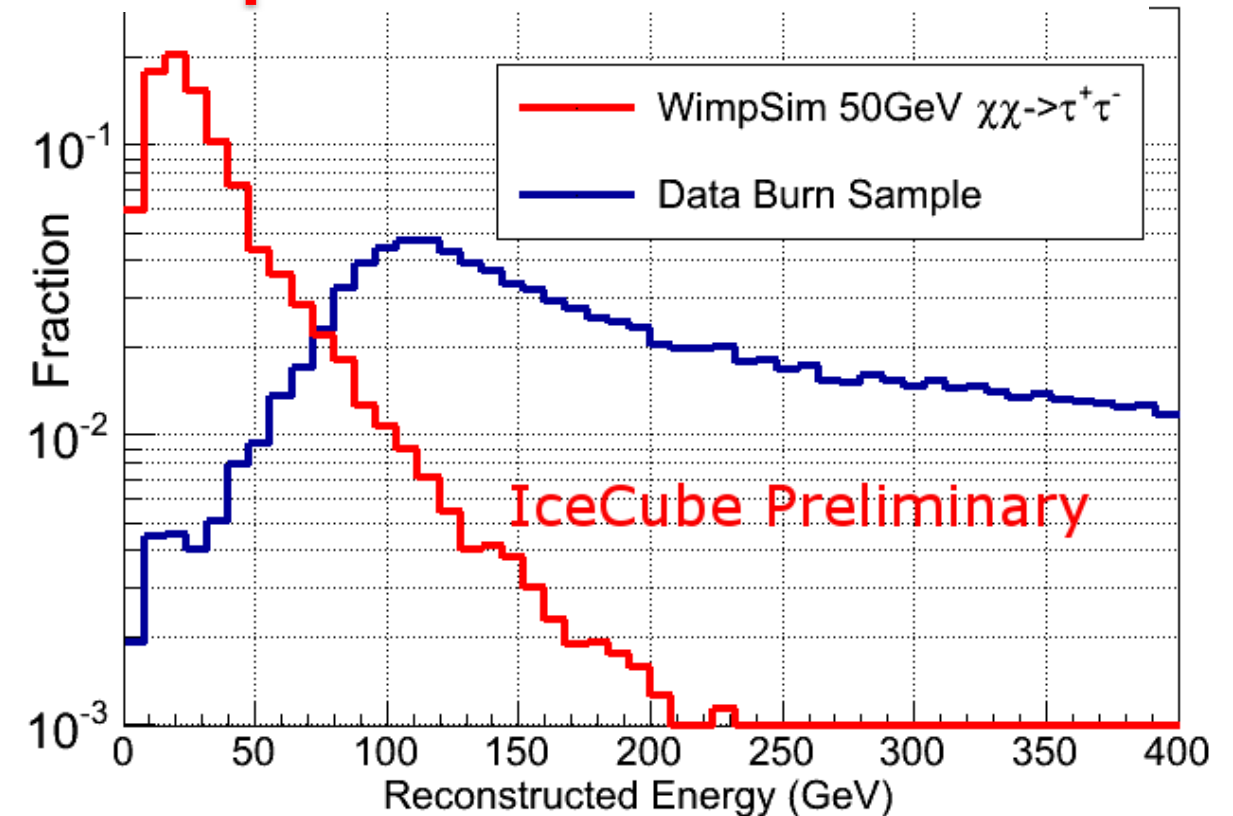


Find last point of Cherenkov emitter

A full neutrino energy estimator for contained tracks

Enhances signal to background discrimination, and hence sensitivity for the low energy samples

② and ③

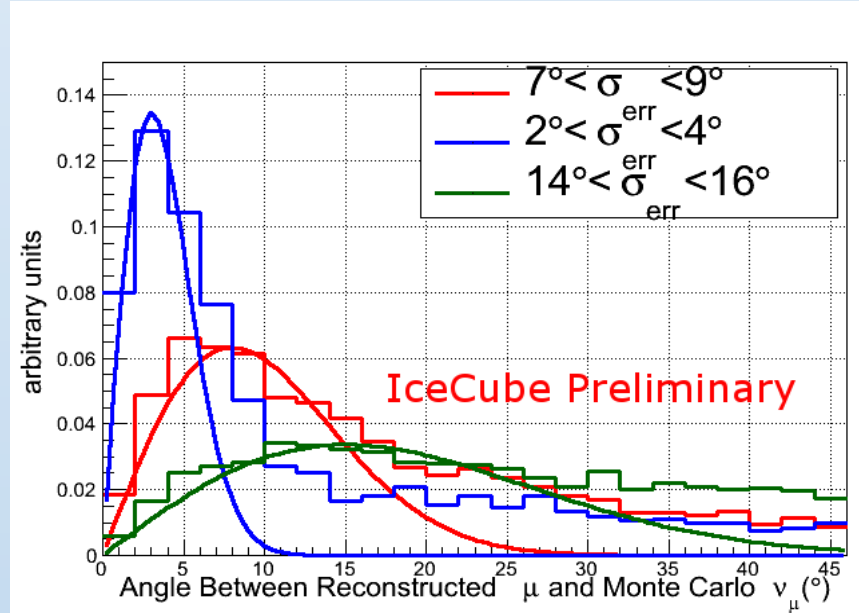
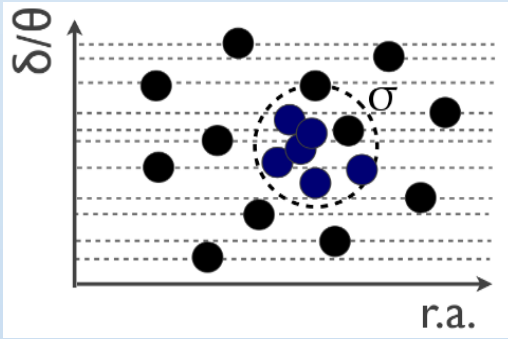


Analysis Method

Signal

$$S_i(m_\chi, c) = Kent(\alpha_{sun}, \delta_{sun}, \alpha_i, \delta_i, \sigma_i) \cdot P(E_i | m_\chi, c)$$

Spatially clustered around the Sun



Background

$$B_i = B(\theta_i) \cdot P_{atm}(E_i)$$

Background estimated from Scrambled data – independent of Monte Carlo

Significance is estimated from repeated trials on scrambled data

Likelihood

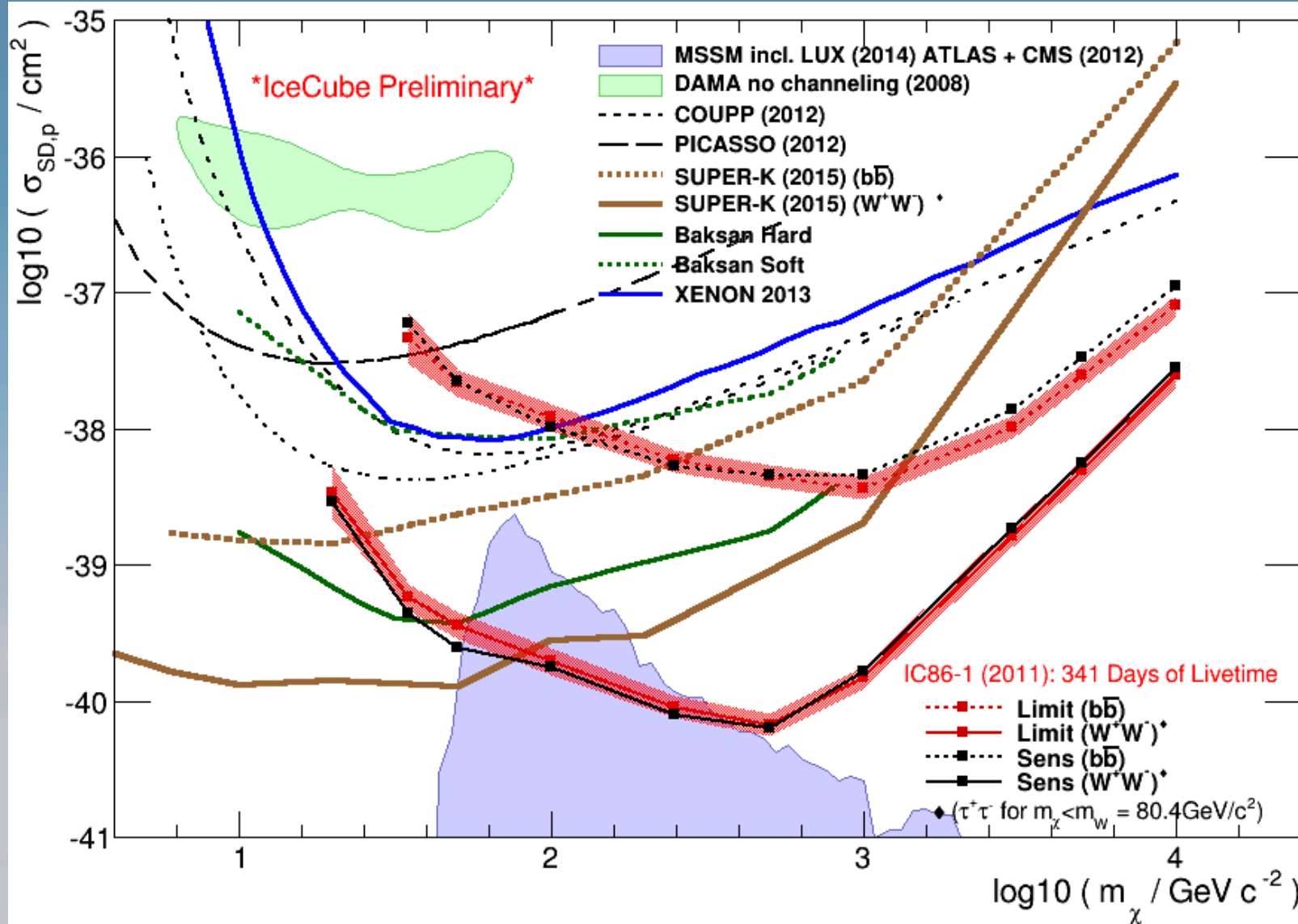
$$\mathcal{L}(n_s) = \prod_{i=1}^N \left(\frac{n_s}{N} S_i(m_\chi, c) + \left(1 - \frac{n_s}{N}\right) B_i \right)$$

Confidence intervals on n_s are constructed using the method of Feldman and Cousins.

Test Statistic

$$TS = \log \left[\frac{\mathcal{L}(\hat{n}_s)}{\mathcal{L}(n_s = 0)} \right]$$

Results



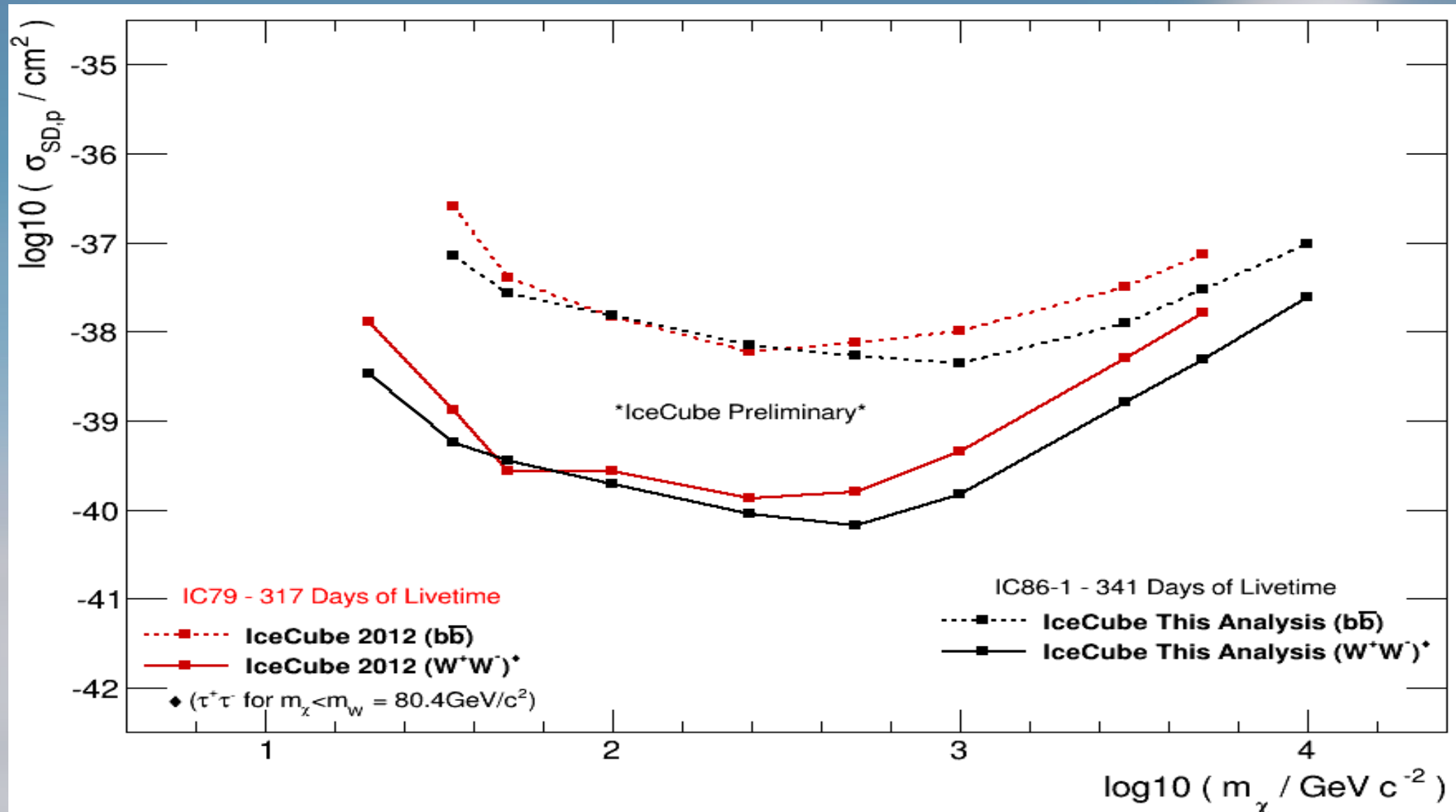
Assume equilibrium between capture and annihilation in the sun
 -> Set limit on WIMP-Nucleon scattering cross section

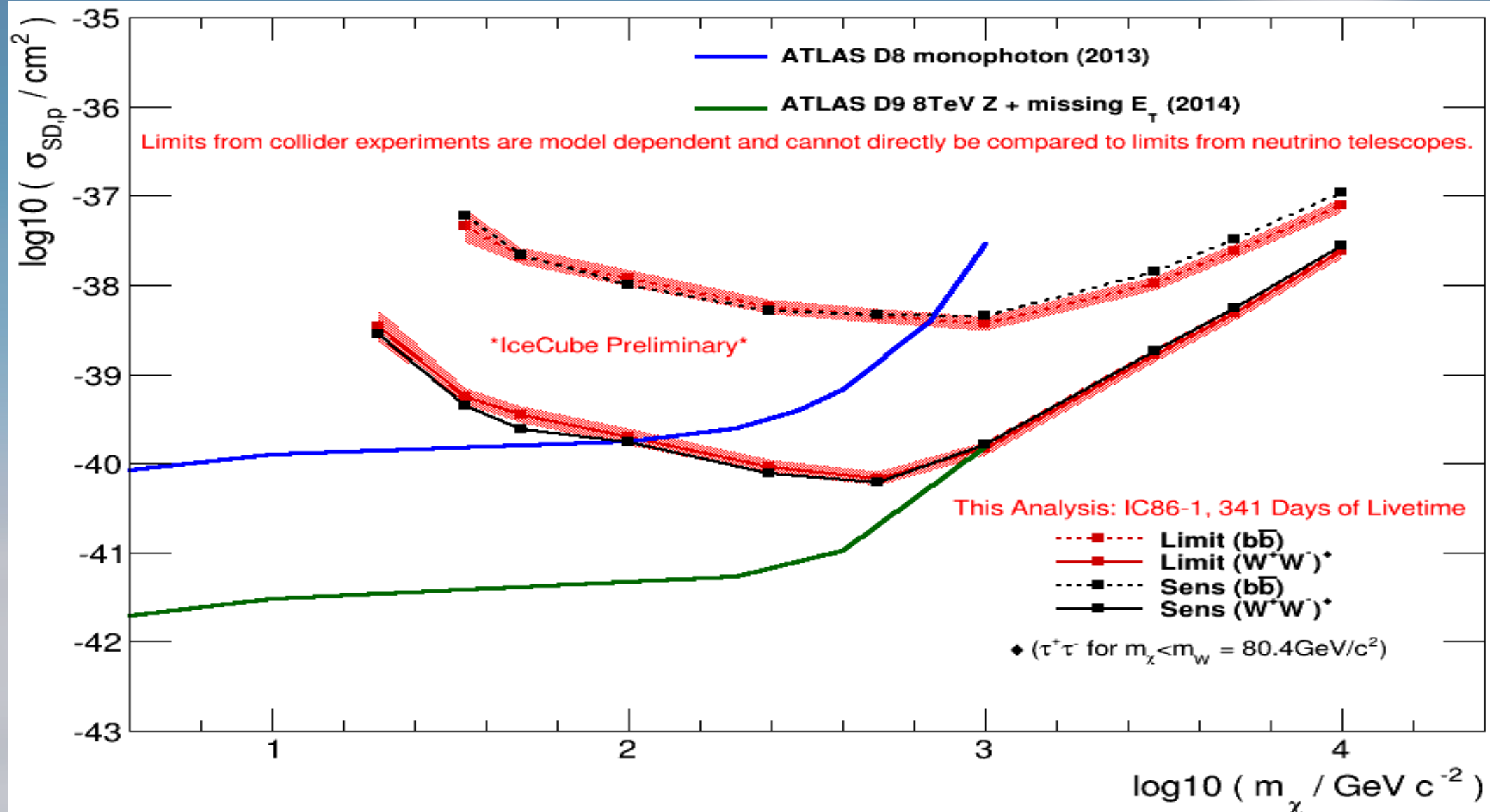
Comparable to direct detection experiments.

For a different analysis of the same data that has produced consistent results, see:
IceCube Coll., PoS (ICRC2015) 1099 these proceeding
 Poster 2 - DM and NU session,
 NU-EX Track, Board #269

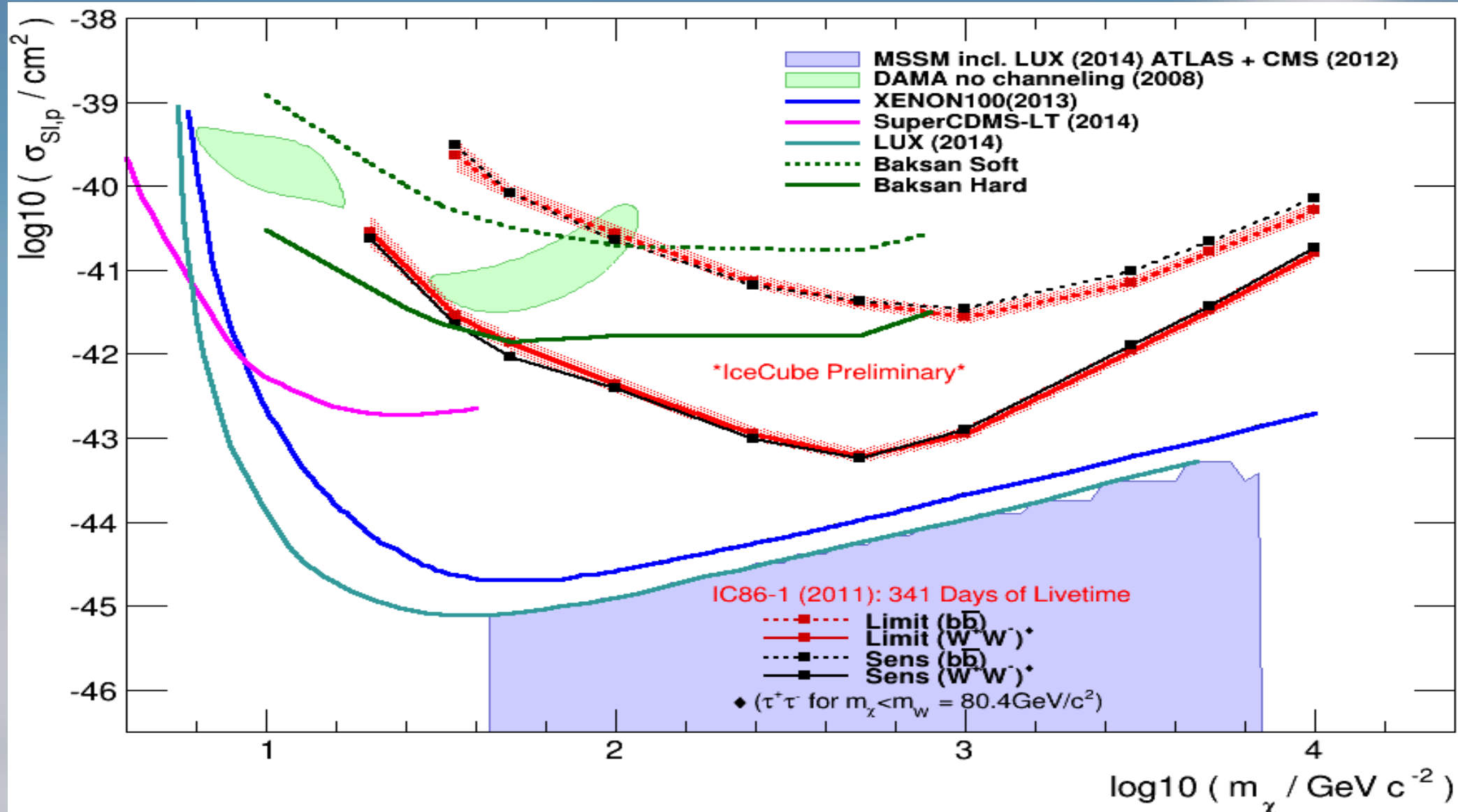
Backup Slides

Comparison with previous IceCube Analysis

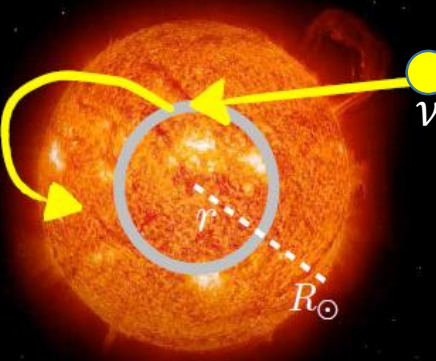




Spin Independent Scattering



WIMP Capture and Annihilation in the Sun



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Spin Independent scattering

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Capture

$$\Gamma_A = \frac{C_c}{2} \tanh^2(t/\tau)$$

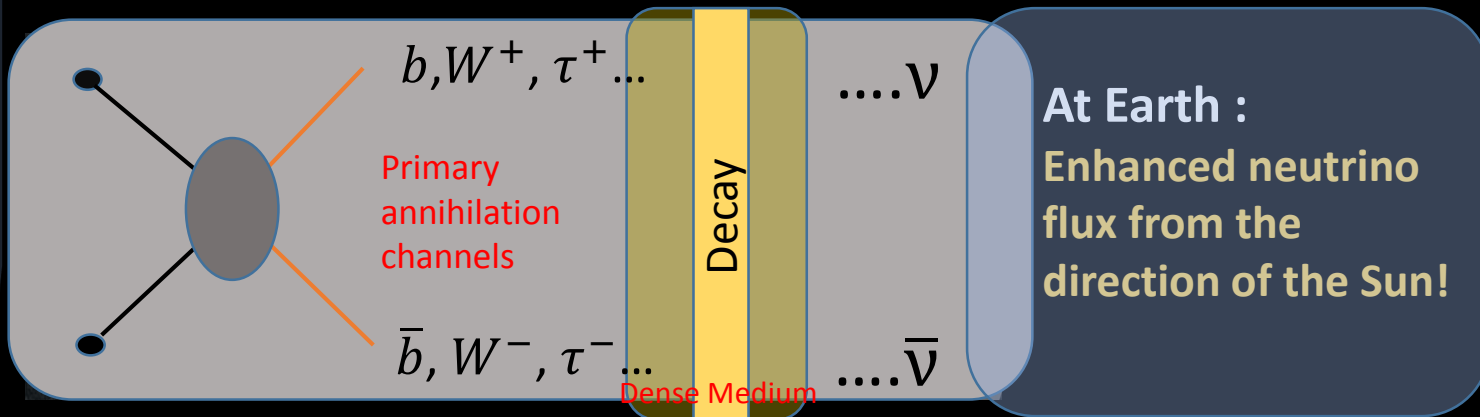
Equilibrium

$$\Gamma_A^{\text{equi}} = \frac{1}{2} C_c$$

$$\frac{dN}{dt} = C_c - C_A N^2$$

Annihilation

$$\tau = (C_c C_A)^{-1/2}$$



All calculations performed with DarkSusy/WimpSim