

DISCRETE '08, 11–16 December 2008, València

Rare B decays at LHCb

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On behalf of the LHCb
Collaboration

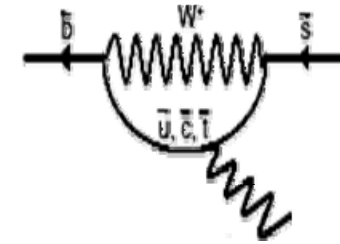


Institut de Ciències del Cosmos



Introduction

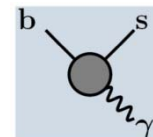
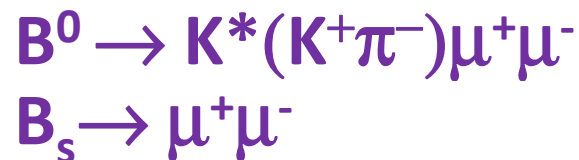
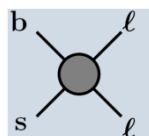
- In the SM, $b \rightarrow s$ only through loops (FCNC) which implies:
 - Processes are rare
 - Powerful to find/constrain NP!



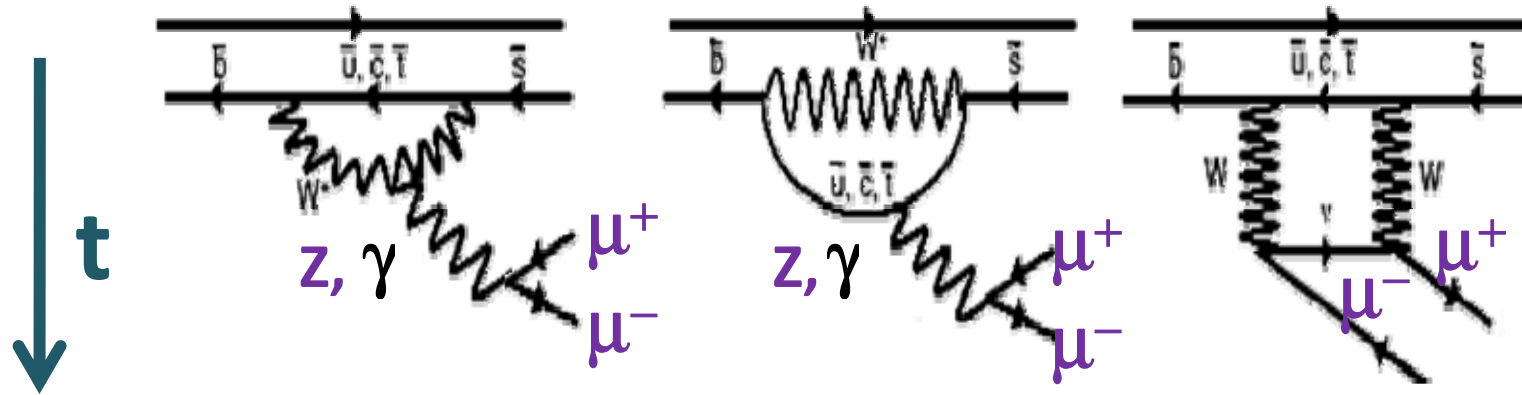
- Operator Product Expansion** allows parametrizing effect of new physics throughout different $b \rightarrow s$ observables :

$$H_{\text{eff}} = -\frac{4G_F}{\sqrt{2}} V_{tb} V_{ts}^* \left\{ \sum_{i=1}^{10} c_i(\mu) \mathcal{O}_i(\mu) + c_S(\mu) \mathcal{O}_S(\mu) + c_P(\mu) \mathcal{O}_P(\mu) + c'_S(\mu) \mathcal{O}'_S(\mu) + c'_P(\mu) \mathcal{O}'_P(\mu) \right\}$$

- Observables are functions of **C**'s.
 - Branching ratios (*BR*)
 - Polarizations
 - Angular distributions
- Three examples for LHCb:



Three interesting rare decays



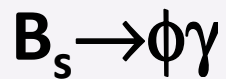
↓ t

NP? in

BR(SM)

BR exp

@ LHCb



$O_{7\gamma} \sim m_b \bar{s}_L \sigma_{\mu\nu} b_R F^{\mu\nu}$

Large theory errors on exclusive BRs

$(57^{+18}_{-12} \text{ } ^{+12}_{-11}) \cdot 10^{-6}$
Belle'08

γ polarization



$O_{7\gamma} \sim m_b \bar{s}_L \sigma_{\mu\nu} b_R F^{\mu\nu}$
 $O_{9\ell(10\ell)} \sim \bar{s}_L \gamma_\mu b_L \bar{\ell} \gamma^\mu (\gamma_5) \ell$

$(1.22^{+0.38}_{-0.32}) \cdot 10^{-6}$
B factories

angular distributions



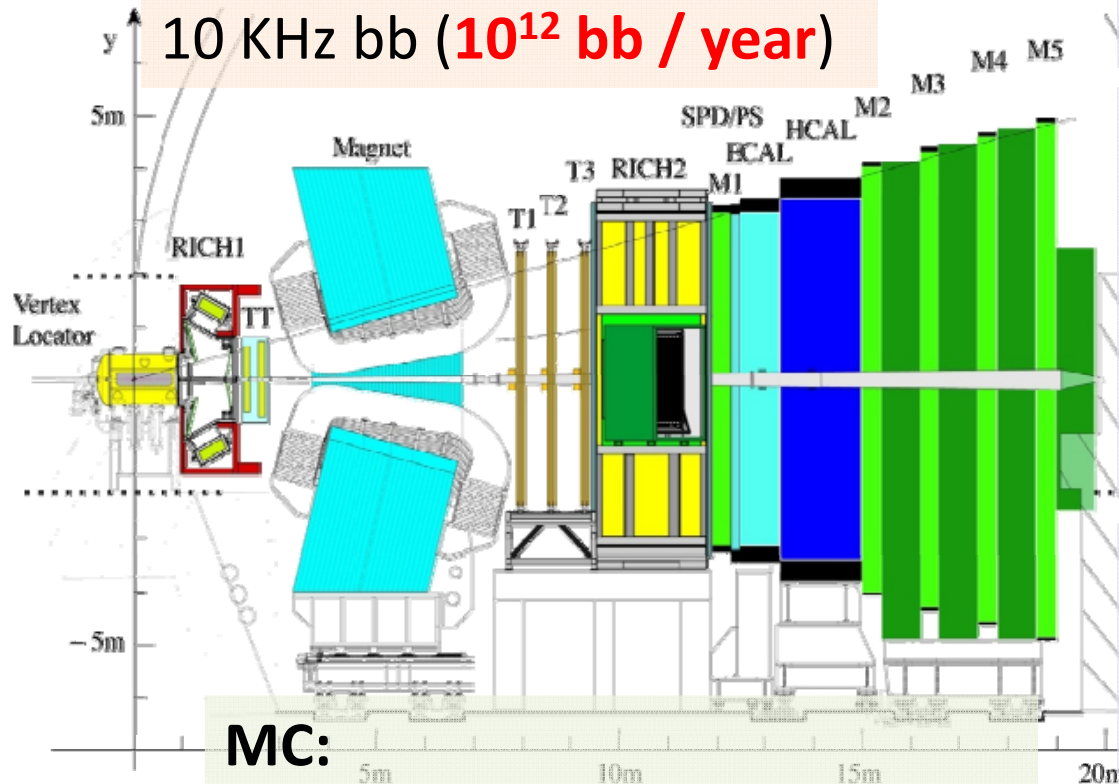
$O_{S(P)} \sim \bar{s}_L b_R \bar{\ell} (\gamma_5) \ell$
 $(3.35 \pm 0.32) \cdot 10^{-9}$
helicity suppressed

TeVatron
@ 90% CL (2 fb⁻¹)
< 45×10^{-9}

BR

LHCb overview

$\mathcal{L} = 2(5) \cdot 10^{32}$, **2fb⁻¹/year**
 10 MHz visible interaction
 10 KHz bb (**10¹² bb / year**)



MC:
 Full sim, pile-up & spillover
 Photos for FSR in signal

VELO:

$\sigma(\text{IP}) \sim 14\text{mm} + 35\text{mm}/p_T$
 $\sigma(\tau) \sim$ **40-100 fs**

Tracking:

$\epsilon = 95\%$ $p > 5$ GeV, $1.9 < h < 4.9$
 $\sigma(p)/p \sim (0.4 + 1.5 p/\text{TeV})\%$
 $\sigma(m[B_s \rightarrow \mu\mu]) \sim$ **20 MeV**
 $\sigma(m[K^* \mu^+ \mu^-]) \sim$ **15 MeV**

ECAL:

$\sigma(E)/E \sim (9.4/\sqrt{E} \oplus 0.83)\%$
 $\sigma(m[B_s \rightarrow \phi\gamma]):$ **90 MeV**

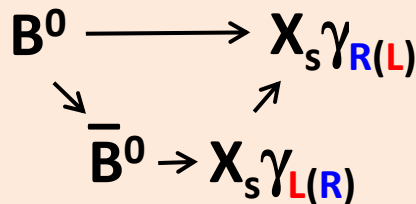
Muon, RICH:

k-ID: 88% for 3% π misID
 μ -ID: 95% for 5% π/k misID

$$B_s \rightarrow \phi\gamma$$

γ polarization in $B_s \rightarrow \phi\gamma$

- SM @ LO: $O_7 \Rightarrow B^0 \rightarrow X_s \gamma_R, \bar{B}^0 \rightarrow X_s \gamma_L, \tan \psi \equiv A_R/A_L \sim m_s/m_b \sim 0$
- NLO (gluon interchange, etc..) $\tan \psi \sim 0.1$ [1]
- SM extensions (left-right-symmetric [2], unconstrained MSSM [3]) predict large $\tan \psi$ while no change on inclusive BR ($b \rightarrow s\gamma$)
- Interference mixing-decay gives access to γ polarization:



$$\Gamma(B_q(\bar{B}_q) \rightarrow f^{CP} \gamma) \propto e^{-\Gamma_q t} \left(\cosh \frac{\Delta\Gamma_q t}{2} - \mathcal{A}^\Delta \sinh \frac{\Delta\Gamma_q t}{2} \pm \mathcal{C} \cos \Delta m_q t \mp \mathcal{S} \sin \Delta m_q t \right)$$

no flavour tagging required

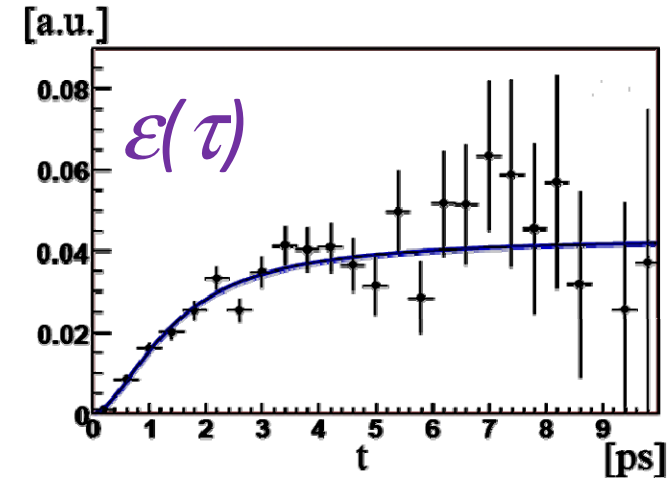
$$A_{CP}(t) \equiv \frac{\Gamma[\bar{B}_q \rightarrow \phi\gamma] - \Gamma[B_q \rightarrow \phi\gamma]}{\Gamma[\bar{B}_q \rightarrow \phi\gamma] + \Gamma[B_q \rightarrow \phi\gamma]} \quad A_{CP}(t) = - \frac{\mathcal{C} \cos(\Delta m_q t) + \mathcal{S} \sin(\Delta m_q t)}{\mathcal{A}^\Delta \sinh(\Delta\Gamma_q t / 2) + \cosh(\Delta\Gamma_q t / 2)}$$

flavour tagging required

- In the SM: $\mathcal{C}=0, \mathcal{S}=\sin 2\psi \sin \phi, \mathcal{A}^\Delta=\sin 2\psi \cos \phi, \cos \phi \sim 1$ (mix + CP odd weak phases)
- B-factories: A_{CP} @ $B_d \rightarrow K^*(K_s \pi^0)\gamma$: $\mathcal{C}=-0.03 \pm 0.14, \mathcal{S}=-0.19 \pm 0.23$ [HFAG]
- LHCb can study $B_s \rightarrow \phi\gamma$: $\Delta\Gamma_s \neq 0$, it probes \mathcal{A}^Δ as well as \mathcal{C} and \mathcal{S} !!

$B_s \rightarrow \phi \gamma$ at LHCb

- **Acceptance function:** $\varepsilon = \varepsilon(\tau)$
 - because of IP, vertex displacement cuts @ trigger and selection
 - $B_d \rightarrow K^*(K^+\pi^-)\gamma$ useful x-check
- **Selection:** $\varepsilon \sim 0.3\%$
 - $\varepsilon_{LO} \sim 85\%$, $\varepsilon_{HLT} \sim 80\%$
 - $E_T^\gamma > 2.7$ GeV



- **Main background:** $B \rightarrow X\phi + \pi^0$
 - $B_s \rightarrow \phi\pi^0 < 4\%$ CALO
 - $B \rightarrow K^{*0}\gamma < 0.3\%$ RICH

Yields and purities:

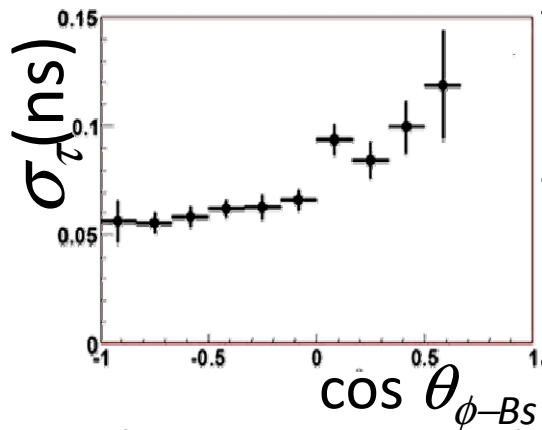
	#/2fb ⁻¹	rate	B/S
$B_s \rightarrow \phi\gamma$	11k	5/hour	<0.55
$B_d \rightarrow K^*\gamma$	68k	30/hour	~0.60

Belle: O(1 $B_s \rightarrow \phi\gamma$)/day at Y(5S)

$B_s \rightarrow \phi \gamma$ at LHCb

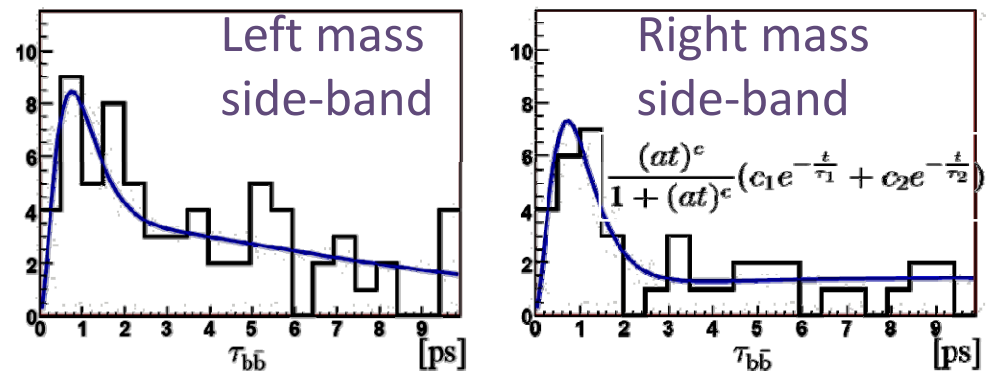
- Other analysis issues:

a) σ_τ depends on $\theta_{\phi-B_s}$



→ event-by-event errors used in fit

b) Background “lifetime” vs mass:



→ checked that parameter resolutions are robust under bkg lifetime, B/S, σ_τ

- Precision on A_{CP} parameters:

– Fix m_ψ , Γ_ψ , $\Delta\Gamma_\psi$ acceptance, ϵ tagging, background “lifetime”

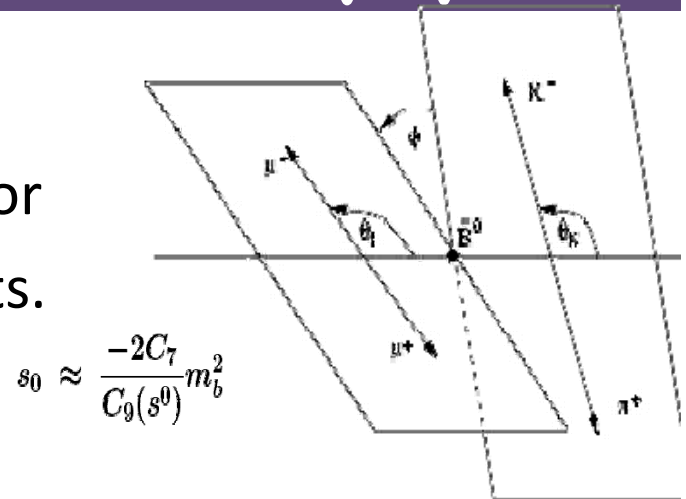
	Tagging	0.5fb^{-1}	2fb^{-1}
$\sigma(A^\Delta)$	No	0.3	0.22
$\sigma(S, C)$	Yes	0.2	0.11

→ $\sigma_\psi \sim 0.1$

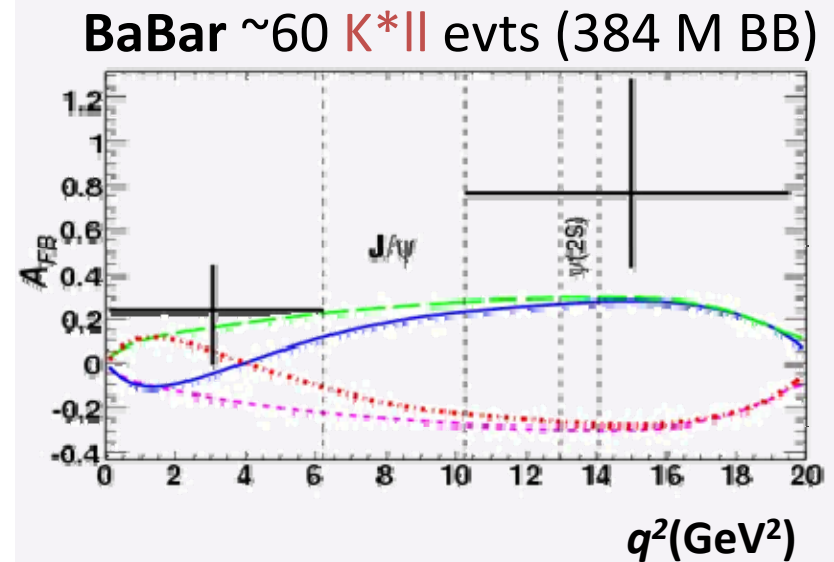
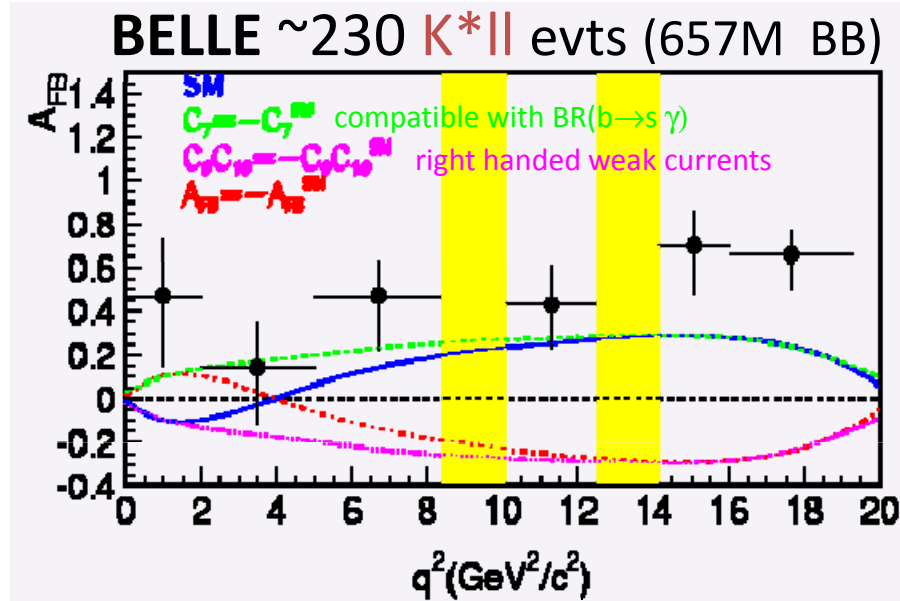
$$B^0 \rightarrow K^* \mu^+ \mu^-$$

Angular distributions in $B^0 \rightarrow K^* \mu^+ \mu^-$

- Decay described by θ_ν , ϕ , θ_K and $q^2 \equiv m_{\mu\mu}^2$
- Some observables have low theoretical error
- Ex: A_{FB} of θ_l vs q^2 in $1 < q^2 < 6 \text{ GeV}^2$ low systs.
- For 0 x-ing point s_0 , cancellation of form factors,
- $s_0^{SM} = 4.36^{+0.33}_{-0.31} \text{ GeV}^2$ [1]



$$s_0 \approx \frac{-2C_7}{C_9(s^0)} m_b^2$$



CDF ~20 $K^* \mu\mu$ events (0.9 fb^{-1})



[1] M Beneke et al, Eur Phys J C 41 173-188, 2005

$B^0 \rightarrow K^* \mu^+ \mu^-$ at LHCb

- Selection:

	S/2fb ⁻¹	B/2fb ⁻¹	ϵ (%)	B/S	S/√S+B
Cuts	4 k	1 k	0.7	0.3	60
Fisher	8 k	3 k	1.4	0.3	80

$\epsilon_{LO} \sim 90\%$

$\epsilon_{HLT} \sim 75\%$

~230@BELLE

- Background:

	fraction
$b \rightarrow \mu, b \rightarrow \mu$	60%
$b \rightarrow \mu c (\rightarrow \mu)$	40%
$B_s \rightarrow \phi \mu \mu$	negligible
$B_{d,u} \rightarrow s \mu \mu$	
μ missid	

effect on asymmetry, ex:
 $B^+ \rightarrow \mu^+ \nu D^0 (\rightarrow K^+ \mu^- \nu)$
 but can be modeled from
 mass side-bands

- Developed 4 methods, with increasing:
 - Sensitivity to NP, model independence
 - Requirements in terms of statistics, control of acceptance functions

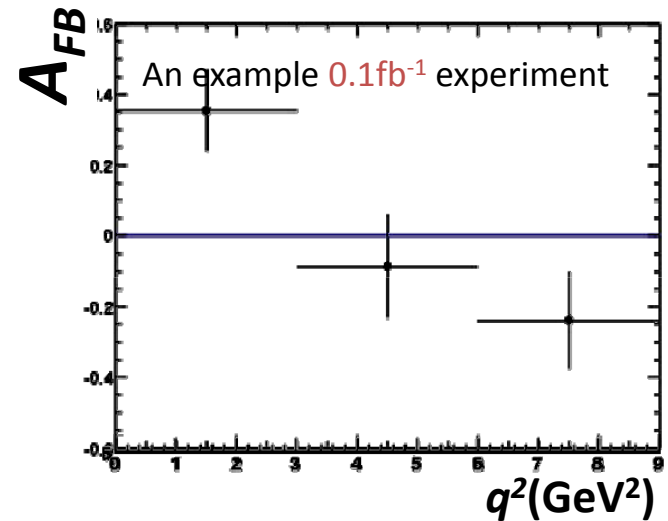
$B^0 \rightarrow K^* \mu^+ \mu^-$ at LHCb

1. Counting A_{FB} in bins of q^2

- Precision from linear fit, incl. bkg:

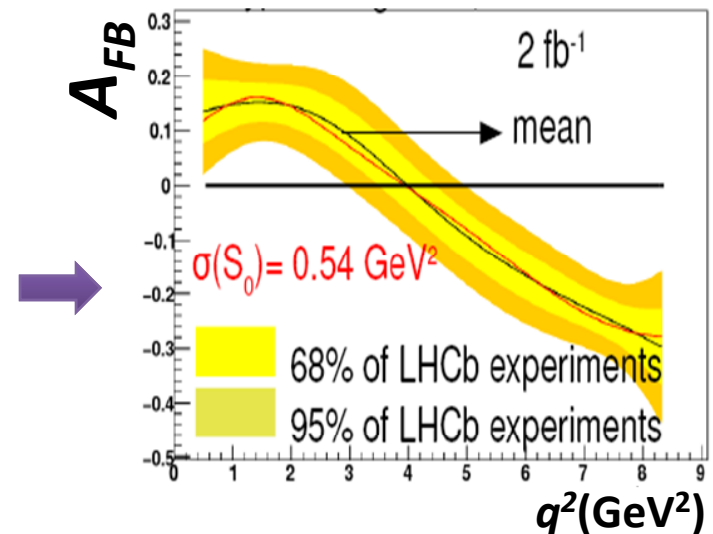
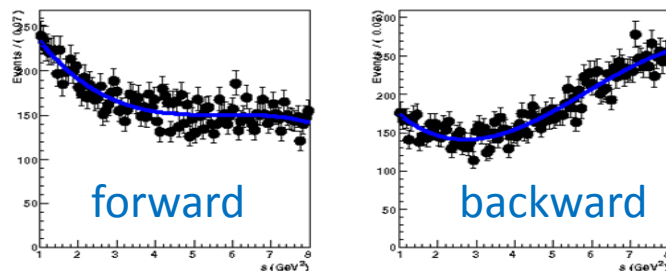
	0.5fb ⁻¹	2fb ⁻¹	10fb ⁻¹
$\sigma(s^0)$	0.8 GeV ²	0.5 GeV ²	0.3 GeV ² $\sim \sigma(s_0^{SM})$

- @ 0.07 fb⁻¹ competitive with B-facts



2. Unbinned A_{FB} vs q^2

- No need to assume linearity
- Remove dependence on bin-size, fit range



B_d → K* μμ at LHCb

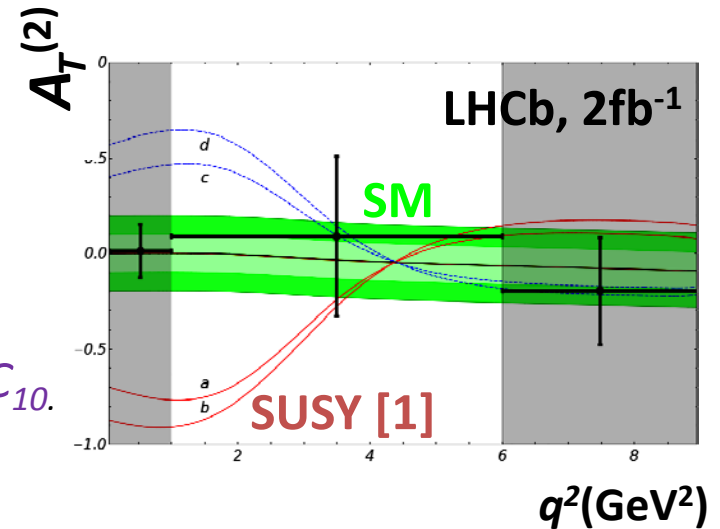
3. Fitting projections on θ_ν , ϕ , θ_{K^*} :

$$\frac{d\Gamma^\nu}{d\phi} = \frac{\Gamma^\nu}{2\pi} \left(1 + \frac{1}{2}(1 - F_L) A_F^{(2)} \cos 2\phi + A_{FB} \sin 2\phi \right)$$

$$\frac{d\Gamma^\nu}{d\theta_\ell} = \Gamma^\nu \left(\frac{3}{4} F_L \sin^2 \theta_\ell + \frac{3}{8}(1 - F_L)(1 + \cos^2 \theta_\ell) + A_{FB} \cos \theta_\ell \right) \sin \theta_\ell$$

$$\frac{d\Gamma^\nu}{d\theta_K} = \frac{3\Gamma^\nu}{4} \sin \theta_K (2F_L \cos^2 \theta_K + (1 - F_L) \sin^2 \theta_K)$$

- F_L , A_F , A_{FB} model-indep. functions of C_7 , C_9 , C_{10} .
- $\sigma(s_0)$ factor ~ 2 better



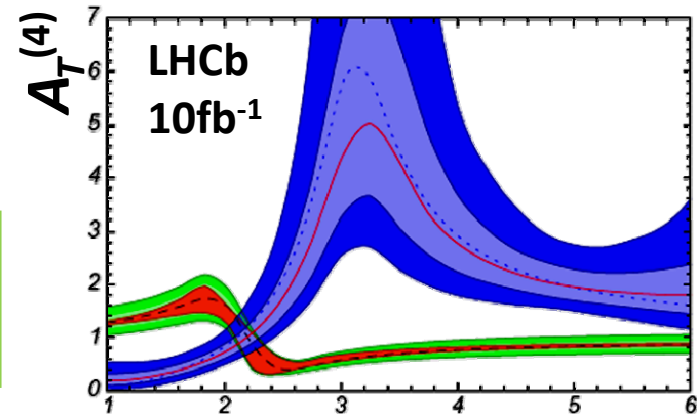
4. Full angular analysis:

- Requires $\sim 2\text{fb}^{-1}$, full acceptance correction
- Can form any observable
- Eg [2]:

SUSY, large-gluino +
positive mass insertion
⊗ 1σ, 2σ LHCb

VS

SM with
theory error
bands



$$B_s \rightarrow \mu^+ \mu^-$$

$B_s \rightarrow \mu^+ \mu^-$

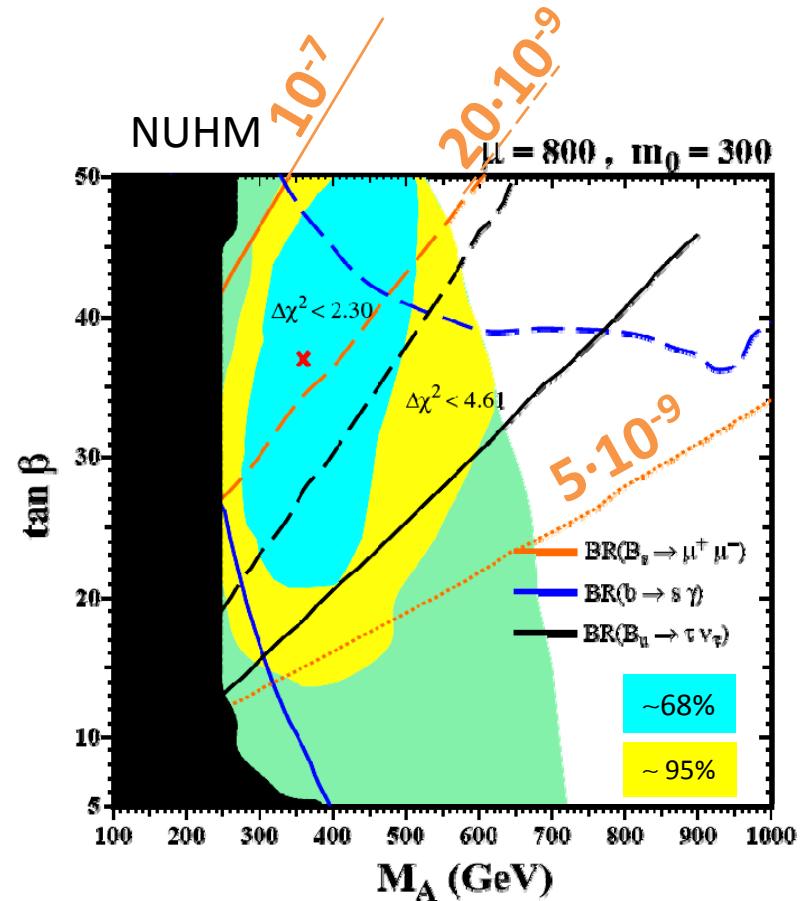
- SM: $BR = (3.35 \pm 0.32) \cdot 10^{-9}$ [1]
- TeVatron
 - @ 90% CL ($\sim 2 \text{ fb}^{-1}$) $< 45 \cdot 10^{-9}$
 - final (8 fb^{-1}): $< 20 \cdot 10^{-9}$ **6x BR!**

- MSSM:

$$Br^{MSSM}(Bq \rightarrow l^+ l^-) \propto \frac{m_b^2 m_l^2 \tan^6 \beta}{M_{A0}^4}$$

- Ex: Non-Universal Higgs Masses framework (generalization of CMSSM) [2]
 - $b \rightarrow s \gamma$, $M_h > 114.4 \text{ GeV}$, $(g_\mu - 2)$ @ 3.4σ from SM, WMAP dark matter density
 - \Rightarrow **$BR(B_s \rightarrow \mu^+ \mu^-) \sim 20 \times 10^{-9}$**

Excluded @ 95% if $BR(B_s \rightarrow \mu^+ \mu^-) <$



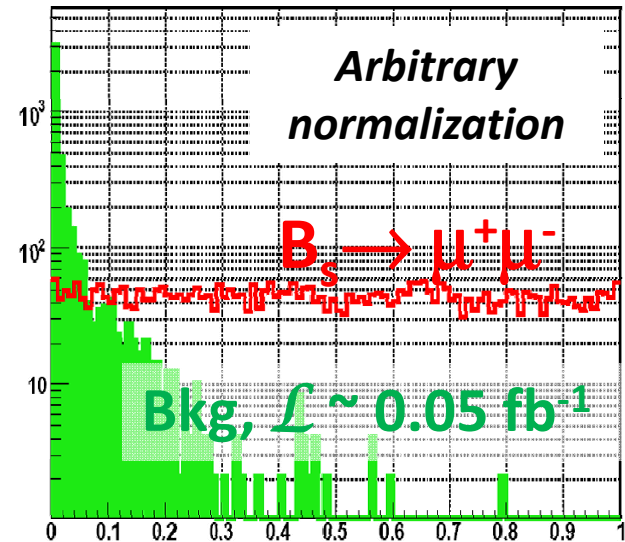
$B_s \rightarrow \mu^+ \mu^-$ analysis

1. Selection $\varepsilon \sim 6\%$

($\varepsilon_{LO} \sim 95\%$, $\varepsilon_{HLT} \sim 90\%$)

2. Categorization of signal likelihood:

- **Geometry:** combination of IPS, B lifetime, isolation, B IP, DOCA
- **Invariant mass**
- **μ identification**



Geometry likelihood

3. Exclude/observe BR from distrib. in 3D bins, use CLs method [1]

- BR reach 20% better than in simple cut analysis

	#/2fb ⁻¹ for GL>0.5
Signal	21*
$b \rightarrow \mu b \rightarrow \mu$	172*
$B \rightarrow hh$	7.8*
$B_c \rightarrow J/\psi \mu^+ \nu$ μ missid	~ 0

(*) In many bins!



[1] A. L. Read, <http://doc.cern.ch/yellowrep/2000/2000-005/p81.pdf>

$B_s \rightarrow \mu^+ \mu^-$: calibration

- For normalization of BR, use control channels instead of MC

$$BR = \frac{BR_h \cdot \epsilon_n^{REC} \epsilon_n^{SEL} \epsilon_n^{TRIG}}{\epsilon^{REC} \epsilon^{SEL} \epsilon^{TRIG}} \cdot \frac{N}{N_n}$$

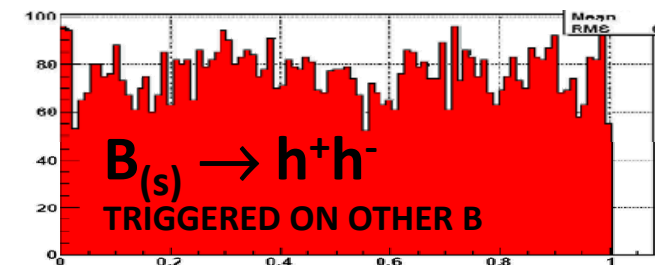
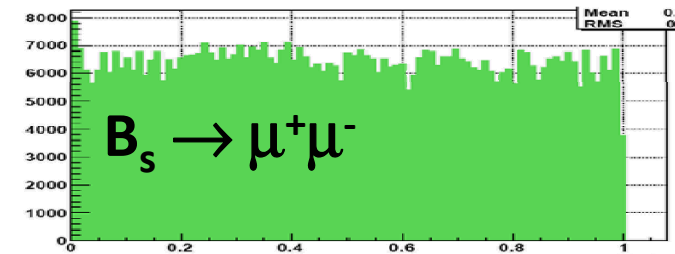
- B_s BRs measured with large errors (>20%) → use B_d , B^+
 - Then the largest syst. (13%) comes from additional factor:

$$\frac{f_{B_s^0}}{f_{B^+}} = \frac{f_{B_d^0}}{f_{B^+}} = 0.265 \pm 0.034 \quad [\text{HFAG}]$$

- Useful channels:

	#/2fb ⁻¹	σ_{BR}/BR
$B^+ \rightarrow J/\psi (\mu^+ \mu^-) K^+$	1.6 M	~ 3%
$B \rightarrow J/\psi (\mu^+ \mu^-) K^* (K^+ \pi^-)$	1.3 M	~ 5%
$B_{(s)} \rightarrow h^+ h^- (B_d \rightarrow K^+ \pi^-)$	440 k	(~ 4%)

Ex: Calibration of geometry likelihood

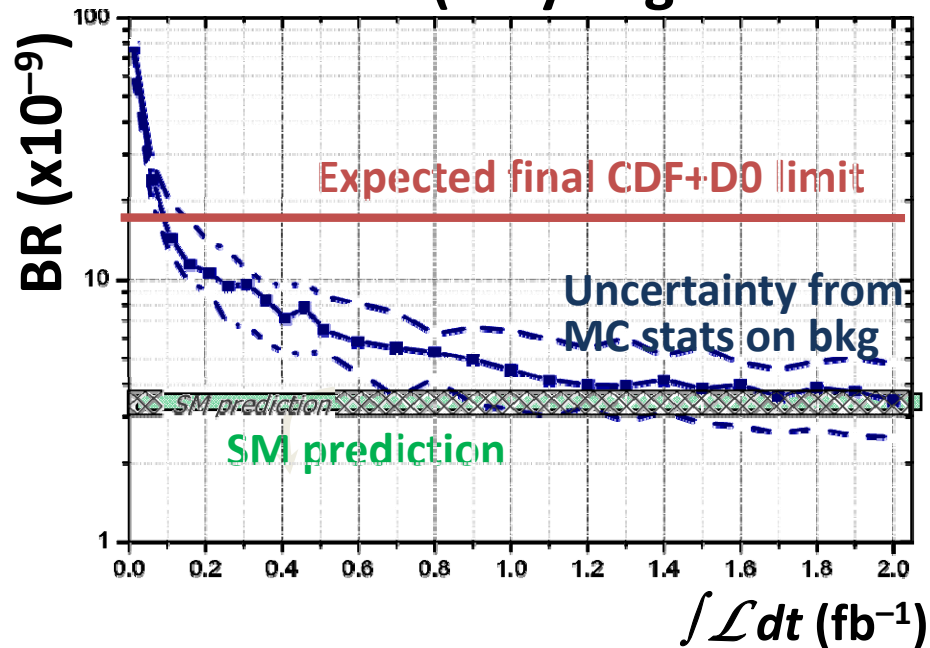


Geometry likelihood

< 6% per bin for 0.5fb⁻¹ (bkg incl.)

$B_s \rightarrow \mu^+ \mu^-$: performance

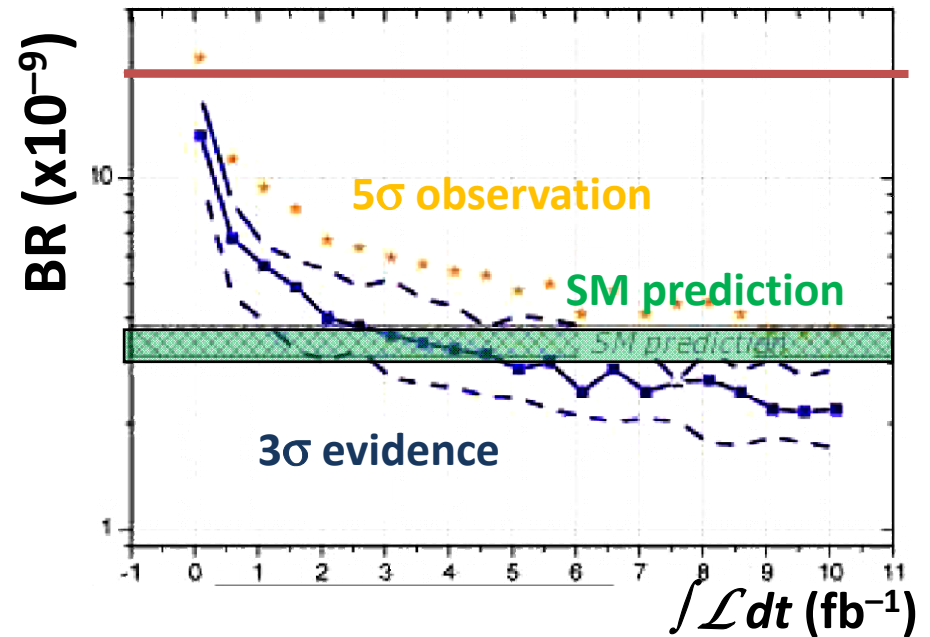
90%CL limit (only bkg observed)



Exclusion

$0.25 \text{ fb}^{-1} \rightarrow \text{BR} < 10^{-8}$
 $2 \text{ fb}^{-1} \rightarrow \text{BR} < \text{SM}$

Discovery



Discovery (@ SM BR):

$3 \text{ fb}^{-1} \rightarrow 3\sigma \text{ evidence}$
 $10 \text{ fb}^{-1} \rightarrow 5\sigma \text{ observation}$

Conclusions

- LHCb ready to exploit the B factory known as LHC
- With 2fb^{-1} integrated luminosity:
 - $B_s \rightarrow \mu\mu$: BR exclusion down to SM value
 - 5σ observation at SM value with 10fb^{-1}
 - $B_d \rightarrow K^* \mu\mu$: $\sigma(s_0) \sim 0.5\text{GeV}^2$
 - Start having sensitivity to other observables with more complex fits
 - $B_s \rightarrow \phi\gamma$: from CP asymmetry, $\sigma_{\psi/\psi} \sim 10\%$
- **Rare B decays in LHCb will constrain extensions of SM or find NP**

Back-up

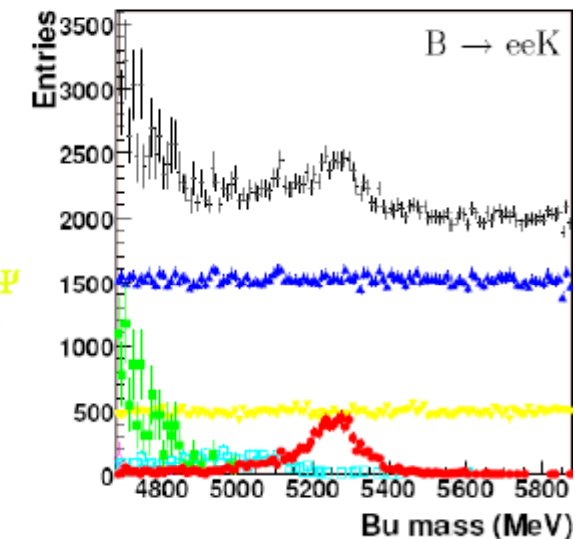
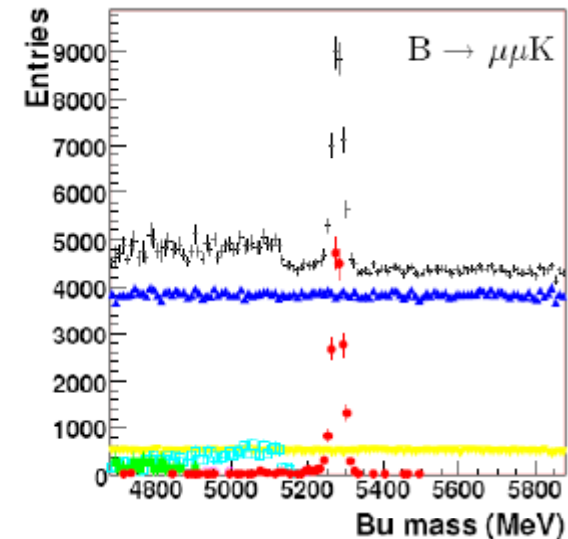
More rare decays

- **Radiative :**
 - **Polarization through angular distributions:**
 - $\Lambda_b \rightarrow \Lambda^0 \gamma, \Lambda_b \rightarrow \Lambda^* \gamma$ for $\tan\psi$, @ $3\sigma > 20\text{-}25\%$ each with 10fb^{-1}
 - $B^\pm \rightarrow \phi K^\pm \gamma$ for $\cos 2\psi$
 - $B \rightarrow \rho^0 \gamma, B \rightarrow \omega \gamma$ for $b \rightarrow d$
- **Other $b \rightarrow sll$ observables:**
 - $B^+ \rightarrow K^+ ll$ direct CP asymmetry in $B \rightarrow K^* \mu^+ \mu^-, B^+ \rightarrow K^+ \mu^+ \mu^-$
 - small in SM $< \sim 0.01$, statistical error with $10/\text{fb}$: ~ 0.01
 - $B^+ \rightarrow K^+ ll$ for ratio $e^+ e^- / \mu^+ \mu^-$ (R_K)
 - SM prediction 0.1% theoretical uncertainty, 4% @ LHCb after 10fb^{-1}
 - $B_s \rightarrow \phi \mu^+ \mu^-$, $B_s/B_d, \sim 1/4$, flavour tagging $\sim 1/15$
 - $\Lambda_b \rightarrow \Lambda \mu^+ \mu^-$ not yet studied
- **$b \rightarrow dll$:**
 - $B_s \rightarrow K^* \mu^+ \mu^-$, $B_s/B_d, \sim 1/4$, $|V_{td}/V_{ts}|^2 = 0.208^2 \sim 1/25$
- **Lepton Flavour Violation : $B_q \rightarrow ll'$**

$\Gamma(B \rightarrow K\mu^+\mu^-) / \Gamma(B \rightarrow Ke^+e^-)$

- $R_K = \Gamma(B \rightarrow K\mu^+\mu^-) / \Gamma(B \rightarrow Ke^+e^-)$
 - precise prediction in SM (e.g. Hiller & Kruger, 2004)
 - $R(K^+) = 1.000 \pm 0.001$
 - $R(K^*) = 0.991 \pm 0.002$ (for $\sqrt{s} > 2m_\mu$)
 - like $B_s \rightarrow \mu^+\mu^-$ sensitive to C_S and C_P
 - corrections can be $O(10\%)$ for instance with neutral Higgs exchange

- challenging in LHCb, due to large background
 - in particular in e^+e^- final state
 - expected number of selected events for with 10/fb
 - $\sim 10k B^\pm \rightarrow K^\pm e^+e^-$
 - $\sim 19k B^\pm \rightarrow K^\pm \mu^+\mu^-$
 - gives $\sigma(R_K) = 0.04$ in 10/fb



b b-bar
 B \rightarrow J/ Ψ K
 prompt J/ Ψ
 B \rightarrow X_s e⁺e⁻
 signal
 total