

# Jet Physics

## - Experimental Aspects -

**Murilo Rangel**

**NEW TRENDS IN HEP AND QCD SCHOOL**



This lecture is an attempt to cover the **experimental** challenges of jet physics at LHC

How to go **from** detector hits **to** theory comparison?

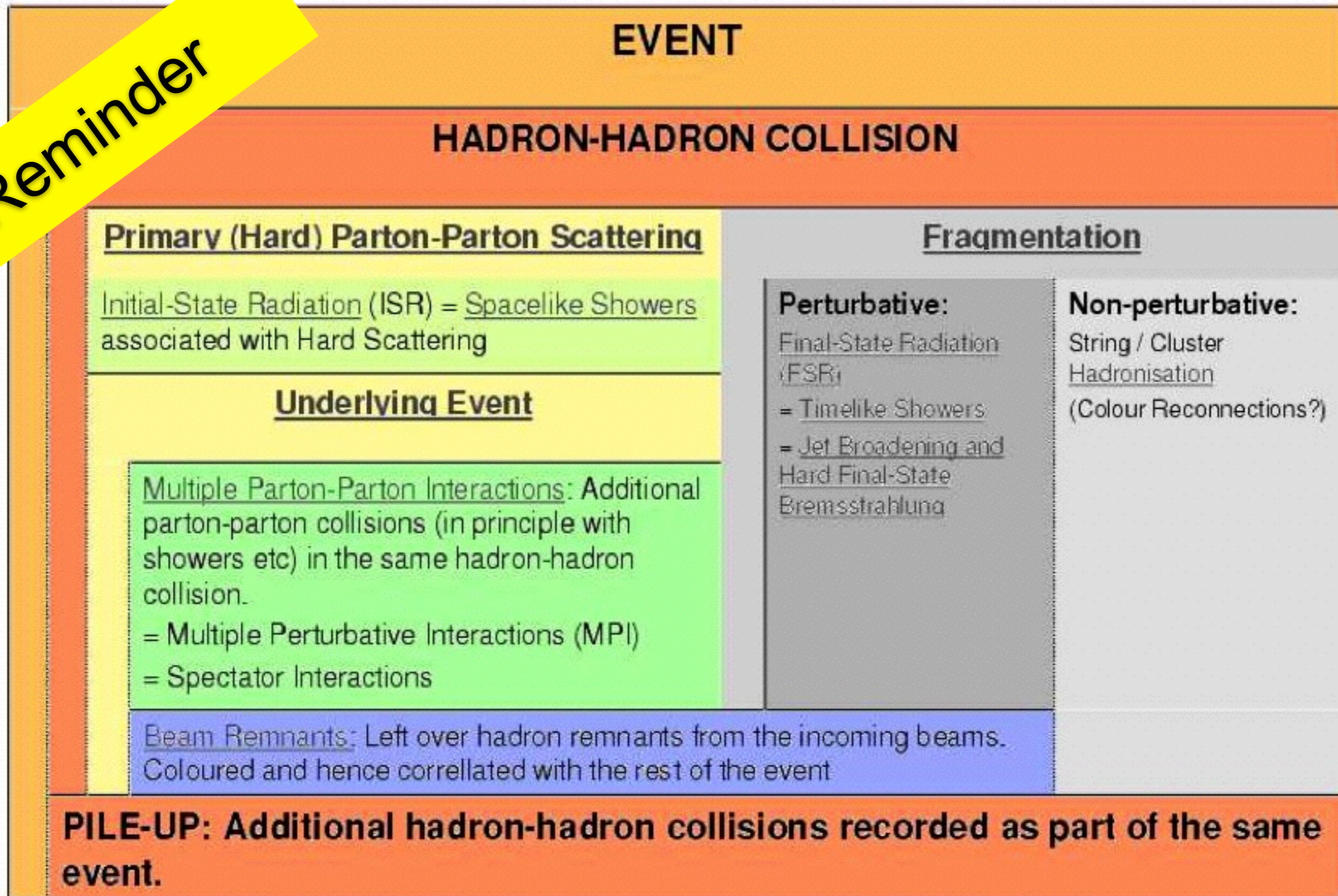
What are the **new** ideas for jet tools?

**Notes:**

- 1) jet algorithms  $\oplus$  theory are not covered in this lectures**
- 2) nice lectures already given (overlap is expected)**  
*Grégory Soyez, Albert de Roeck, Bruno Lenzi, Rikkert Frederix, Marc Besançon*
- 3) some experimental aspects are not covered**  
*(ex: efficiencias, trigger)*

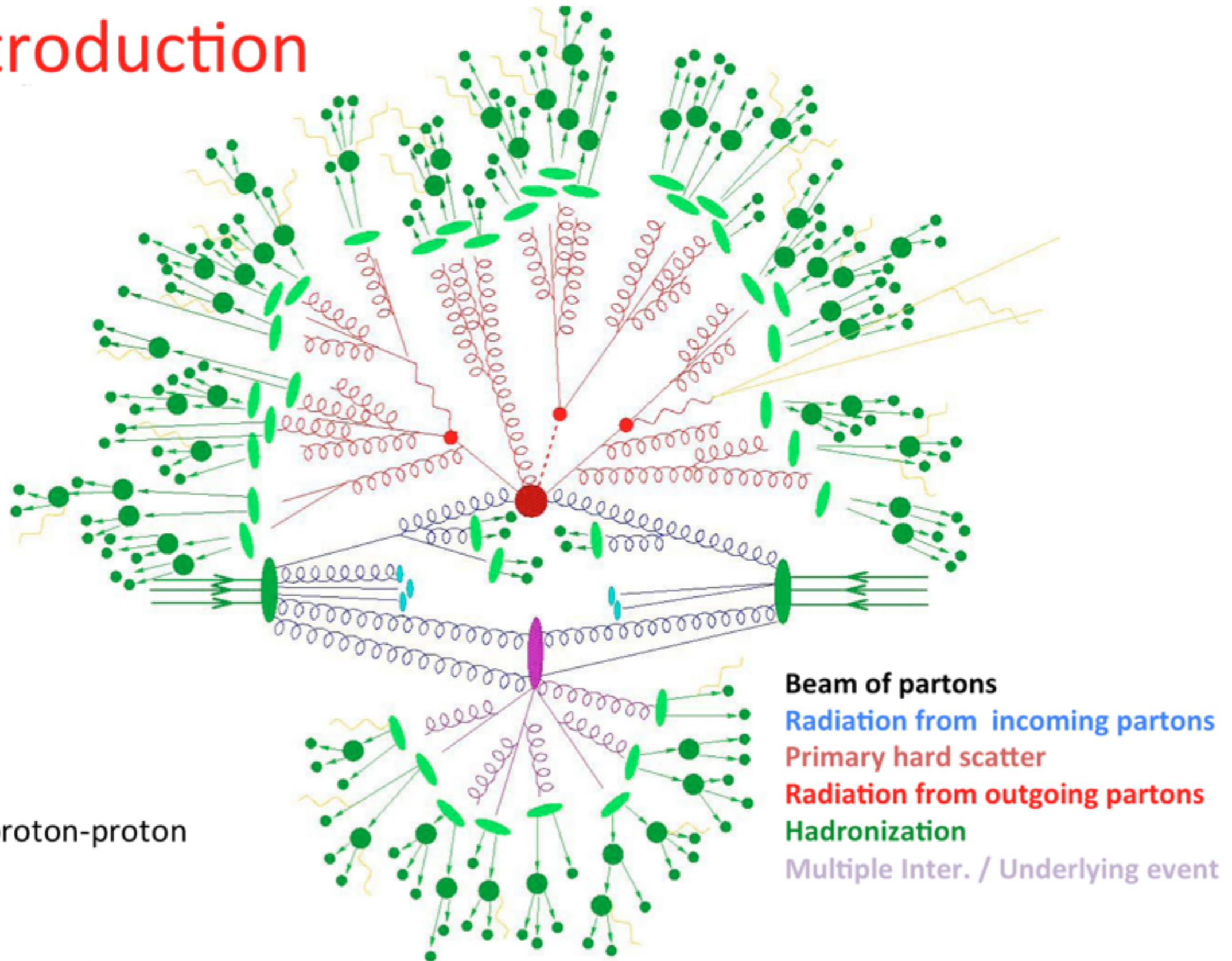
## Dictionary of Hadron Collider Terminology

Reminder



TeV4LHC QCD WG - hep-ph/0610012

## Introduction



Truth is a place we can not go

Truth is a place we can not go

But, we can take pictures of it



Truth is a place we can not go

Truth is a place we can not go

And, we can paint how we think it is





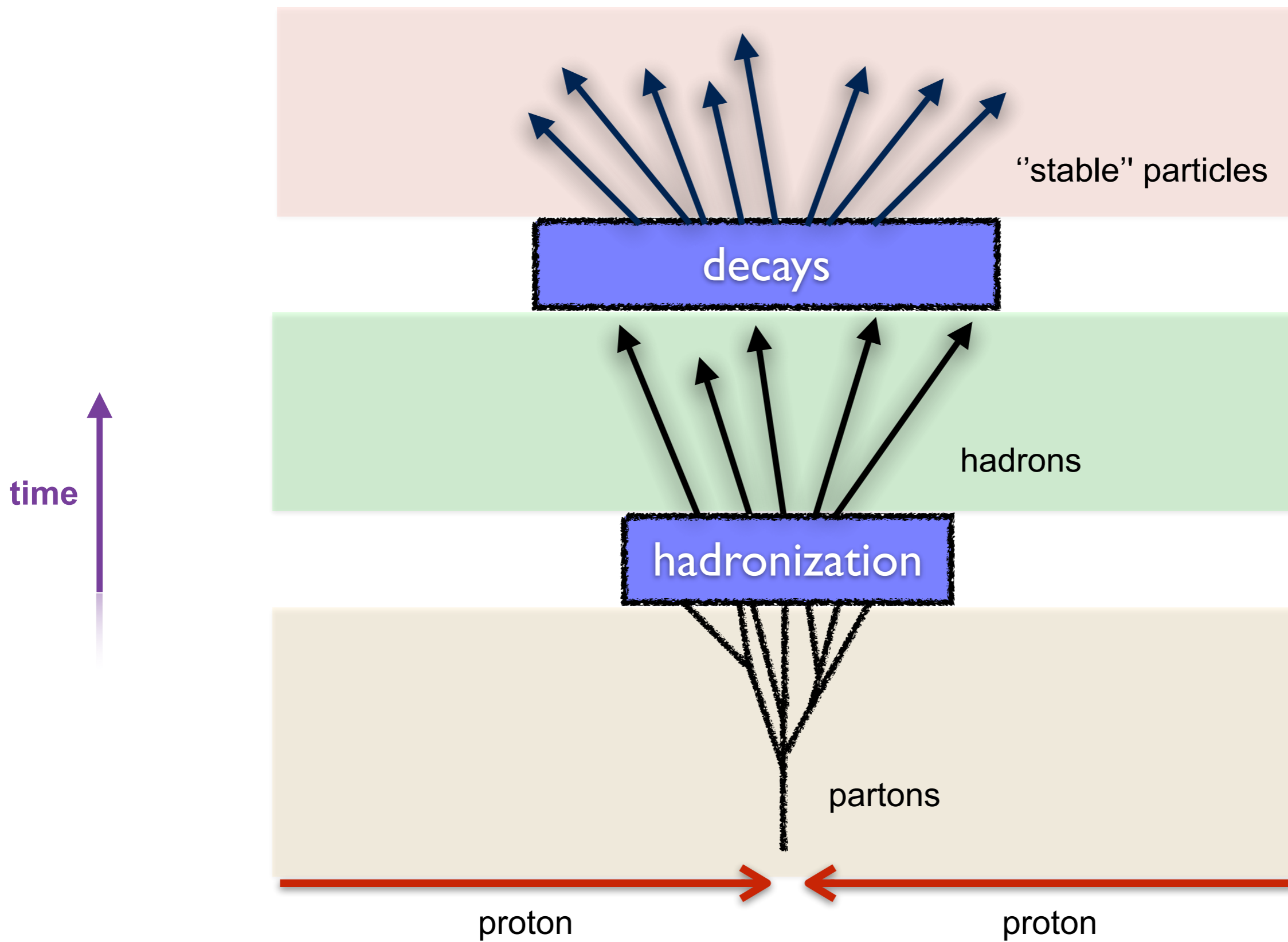
Truth is a place we can not go

Truth is a place we can not go

Our job is to compare photographs with paintings

Both photographers and painters are doing a great job

# Jet evolution



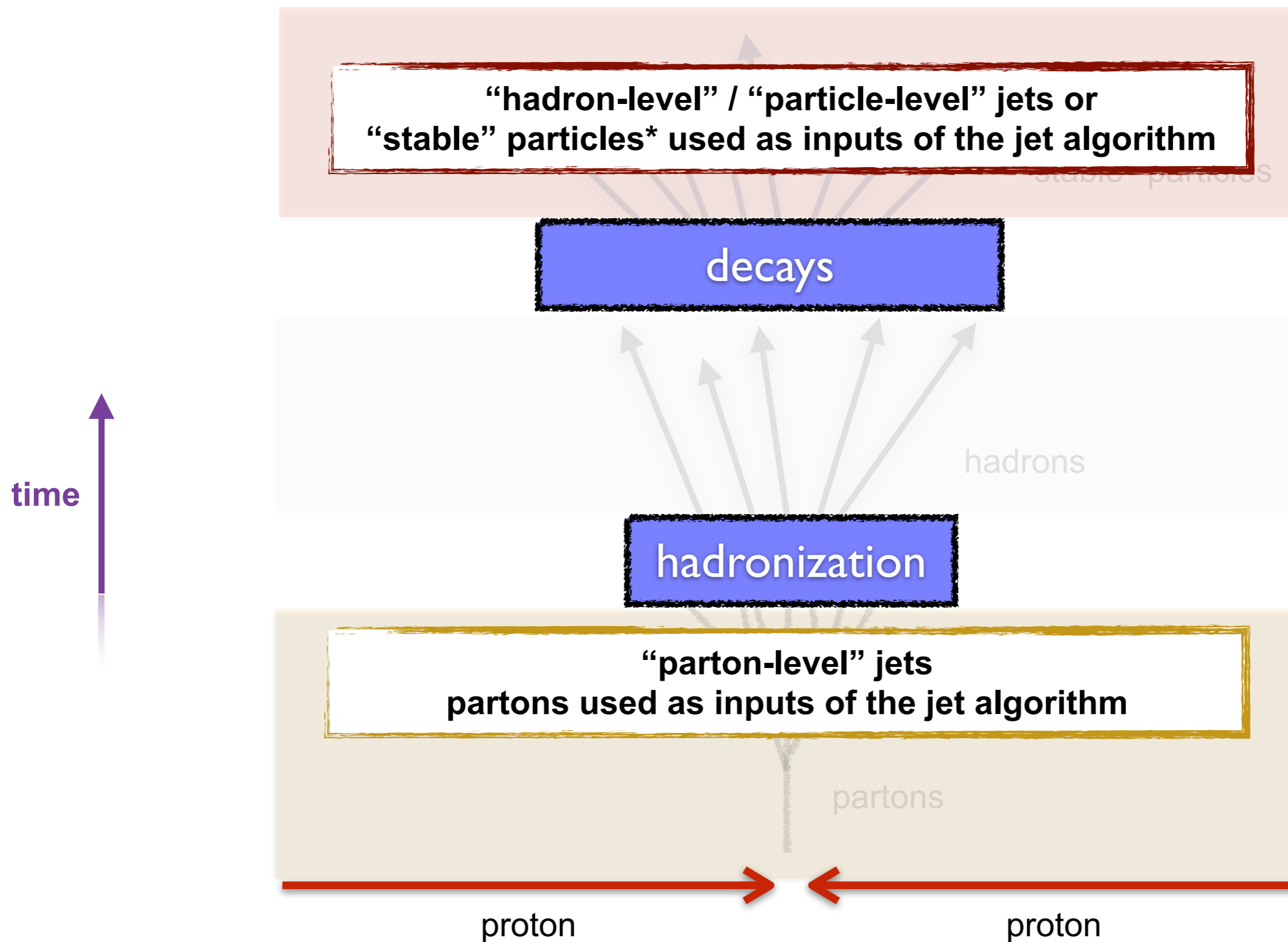
## + Algorithms that combine nearest particles

- Cambridge/Aachen algorithm: combine particles nearest each other
- “kT” algorithm: preference for combining lower-momentum particle pairs first, then moving on to higher-momentum pairs
- “anti-kt” algorithm collects particles around the hardest particle first. It guarantees “cone-like geometry” with well-defined borders around the highest- $k_T$  particles and it maintains the infrared safety and collinear safety of sequential recombination family

+ These algorithms correspond to  $p=0$ ,  $p=1$  and  $p=-1$ .

$$d_{ij} = \min(k_{ti}^{2p}, k_{tj}^{2p}) \frac{\Delta_{ij}^2}{R^2}$$

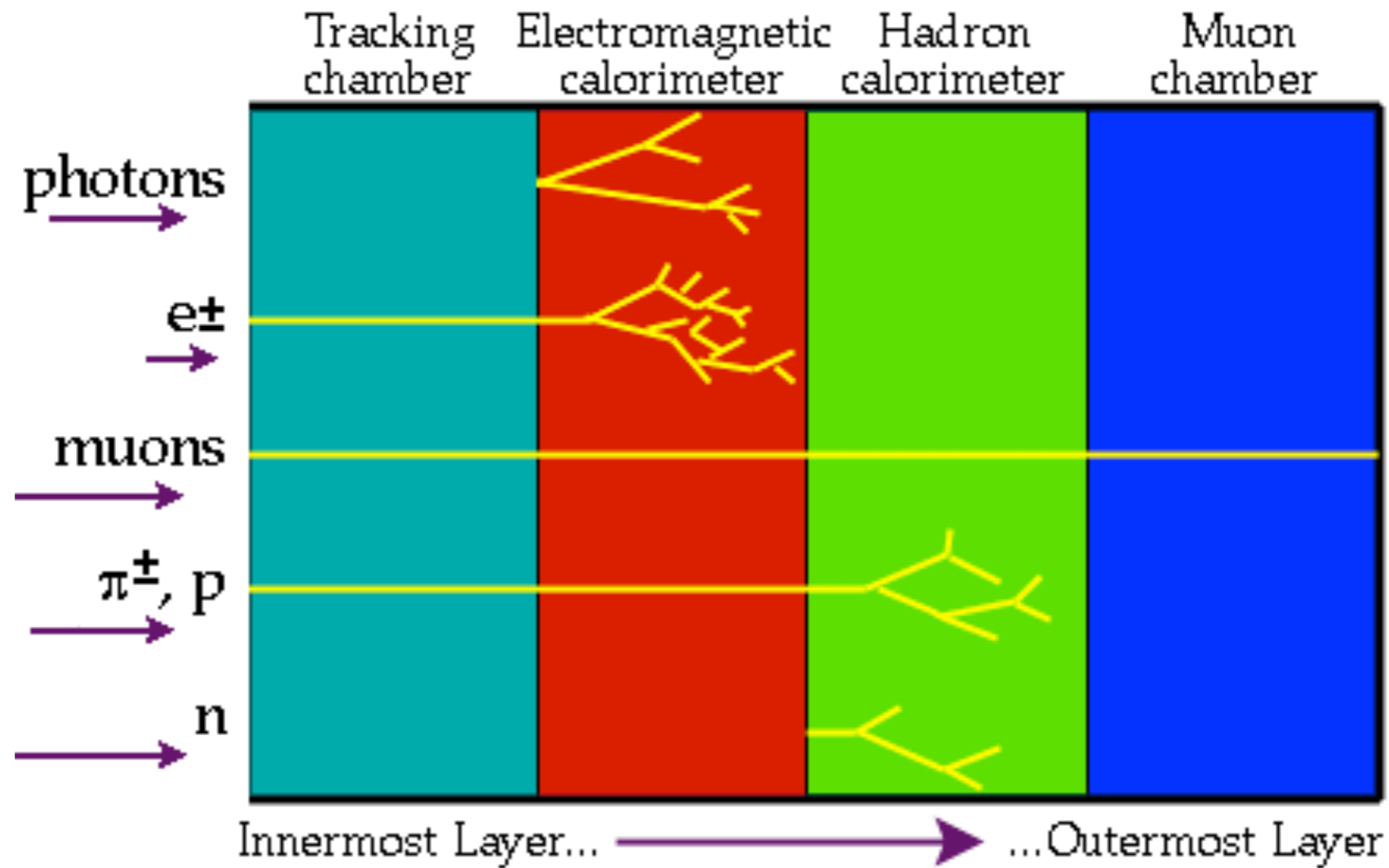
# Jet evolution



\*Neutrinos are excluded

# Experimental Challenge

- Only “stable” particles are detected ( $\tau > 10^{-8}$  s)\*
- Prior knowledge of their interactions are needed

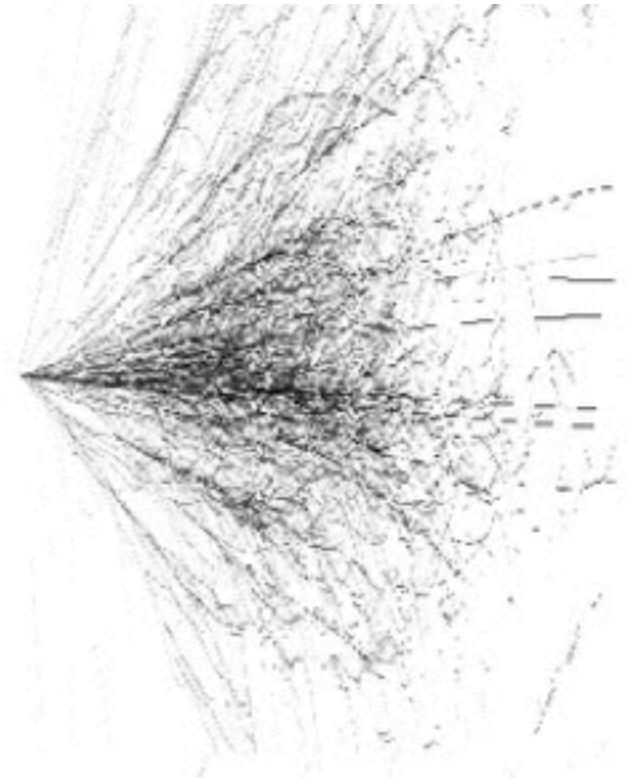
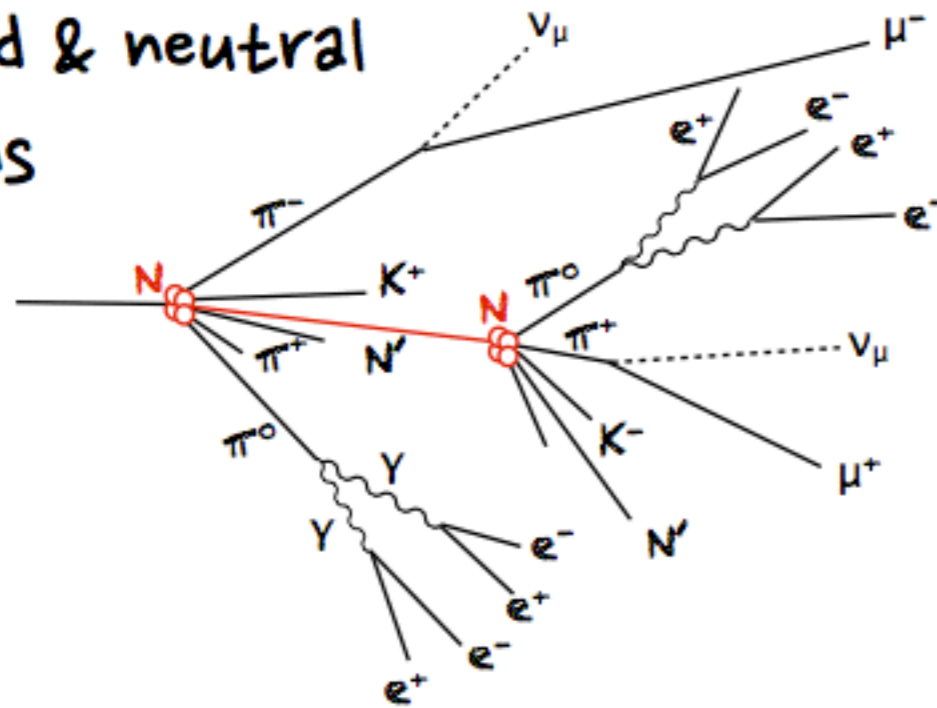


<http://www.particleadventure.org/>

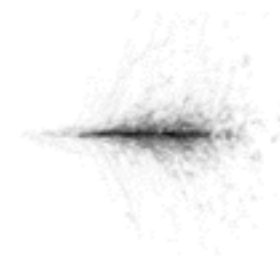
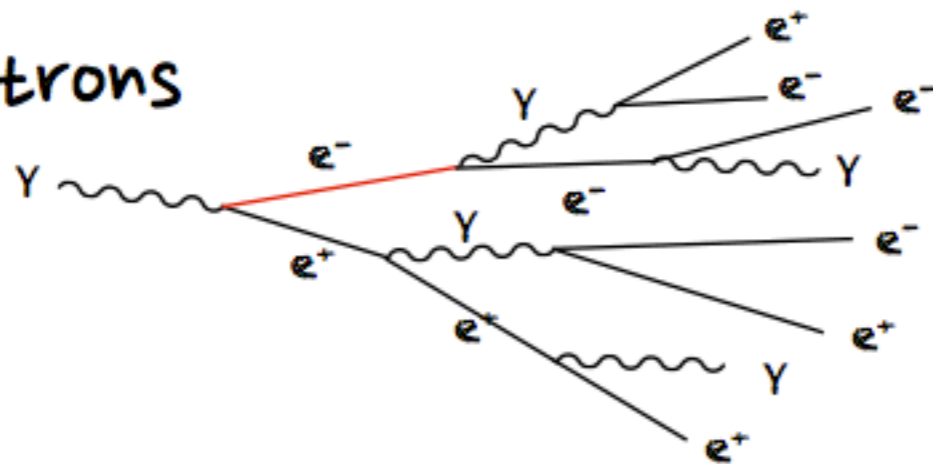
\*These include  $\pi$ ,  $K$ ,  $p$ ,  $n$ ,  $e$ ,  $\mu$ ,  $\gamma$  and  $K_L^0$ .  
Neutrinos are invisible

# Particle Interaction

charged & neutral hadrons



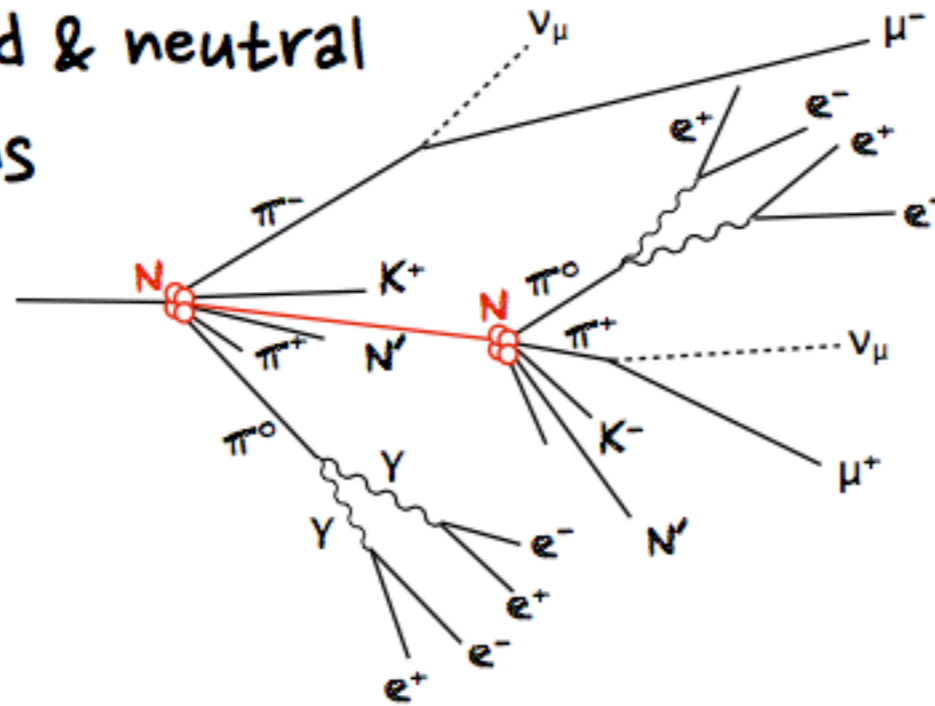
Photons  
Electrons



R. Cavanaugh, HCPSS 2012

# Particle Interaction

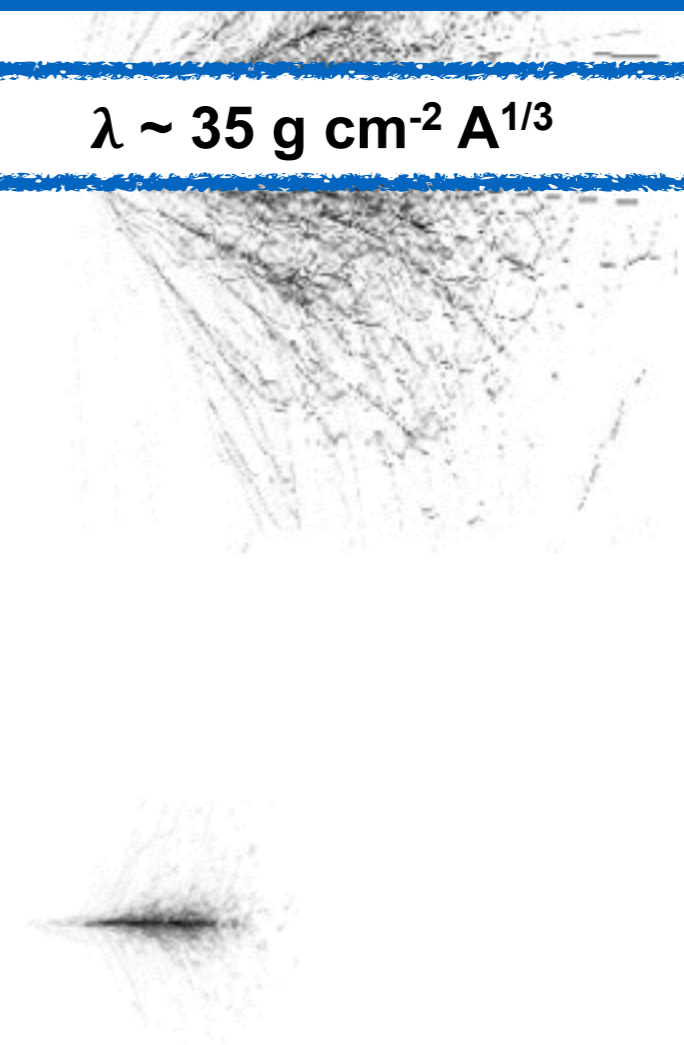
charged & neutral  
hadrons



## Nuclear Interaction Length

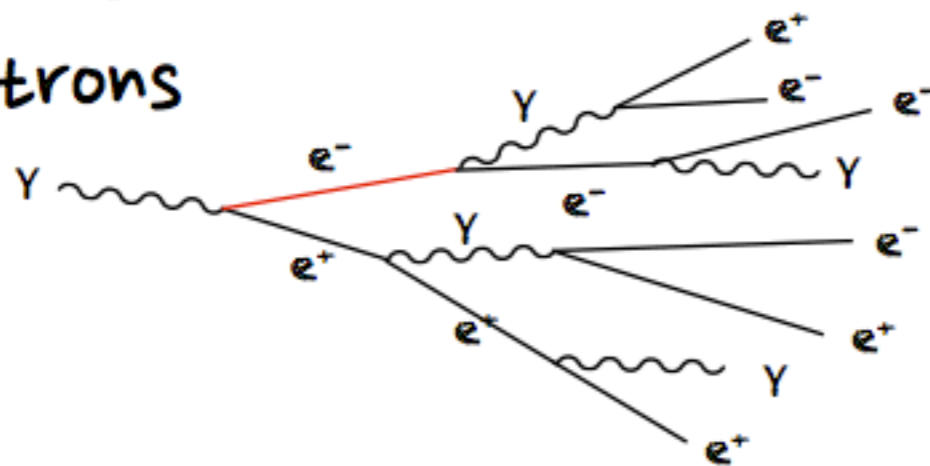
Mean distance over which a  
hadron collides with a nuclei

$$\lambda \sim 35 \text{ g cm}^{-2} A^{1/3}$$



Photons

Electrons

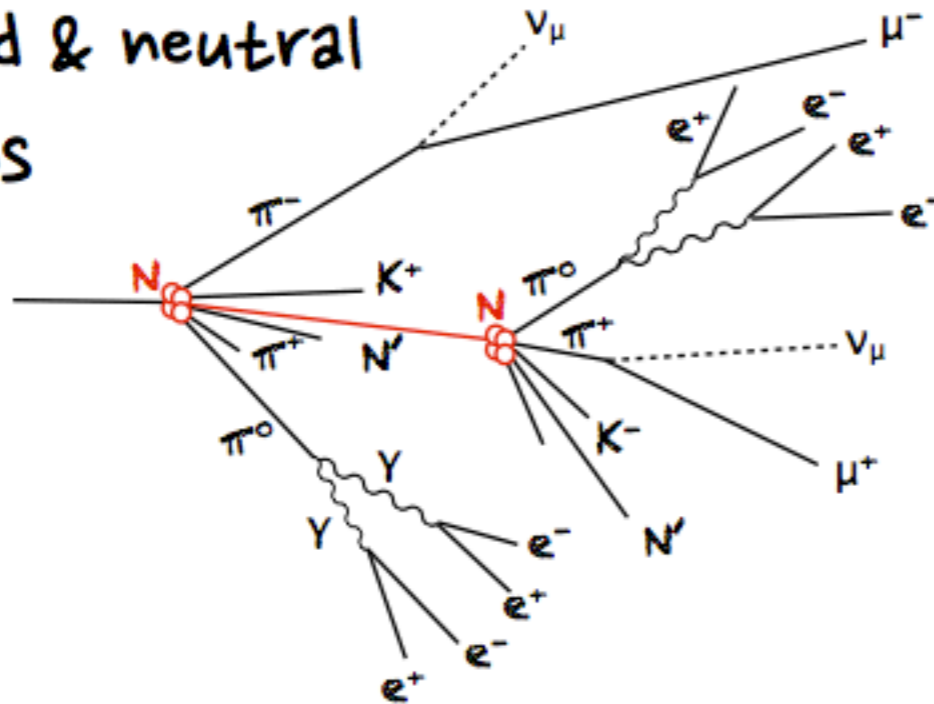


R. Cavanaugh, HCPSS 2012



# Particle Interaction

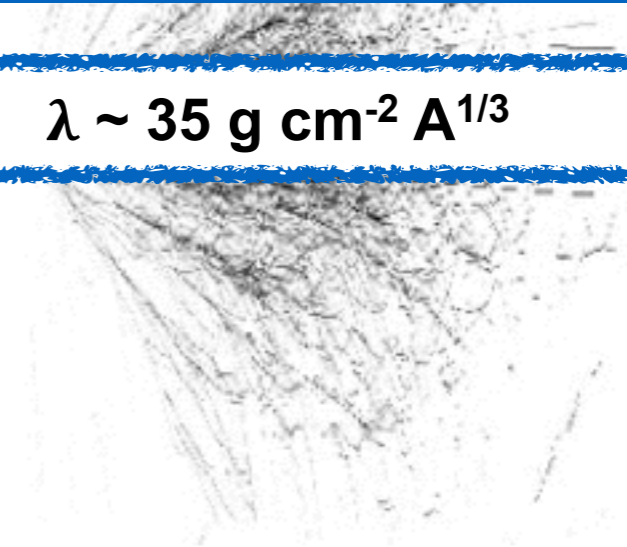
charged & neutral hadrons



## Nuclear Interaction Length

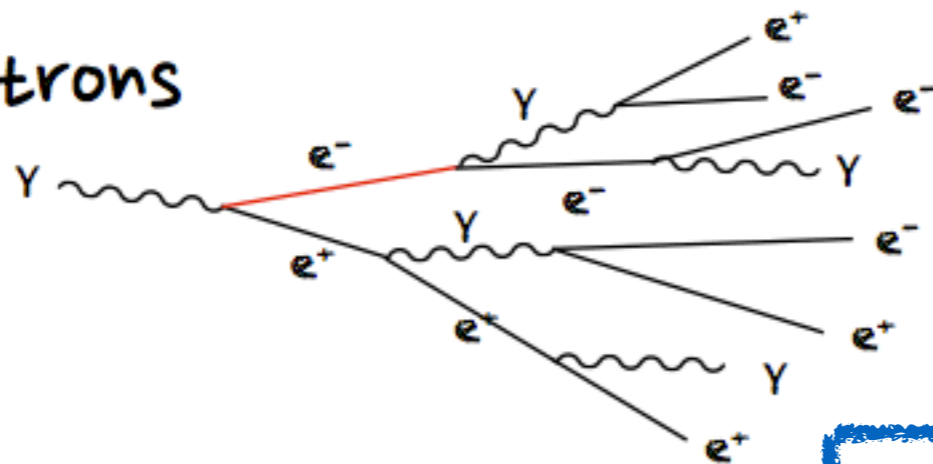
Mean distance over which a hadron collides with a nuclei

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Photons

Electrons



## Radiation length

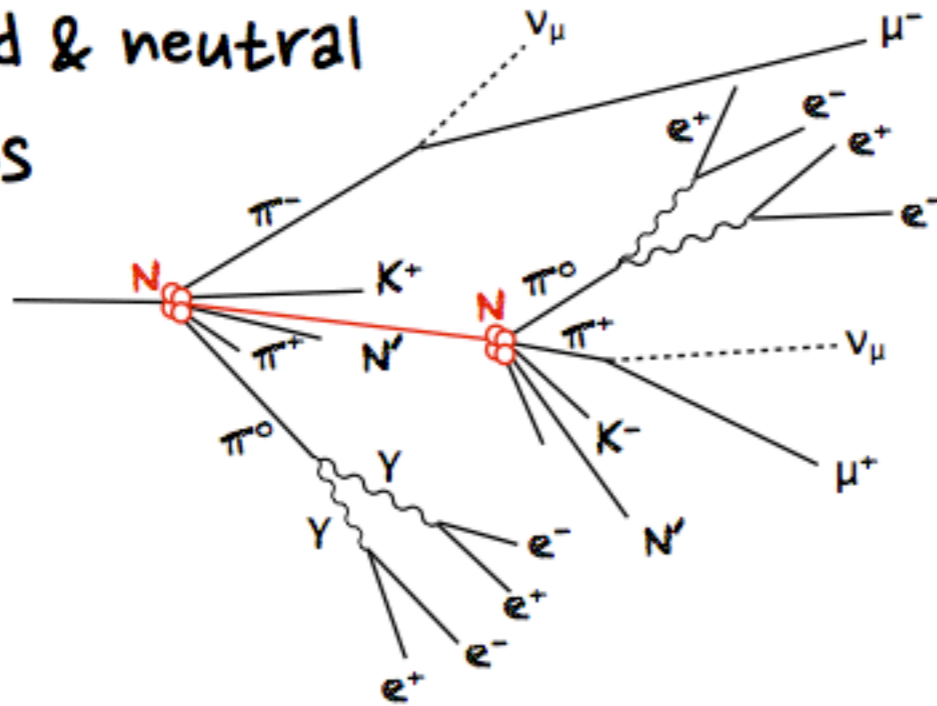
Mean distance over which the electron energy is reduced by a factor of 1/e due to radiation losses

$$X_0 = \frac{716.4 \cdot A}{Z(Z+1) \ln \frac{287}{\sqrt{Z}}} \text{ g} \cdot \text{cm}^{-2} = \frac{1432.8 \cdot A}{Z(Z+1)(11.319 - \ln Z)} \text{ g} \cdot \text{cm}^{-2}$$

R. Cavanaugh, HCPSS 2012

# Particle Interaction

charged & neutral hadrons



## Nuclear Interaction Length

Mean distance over which a hadron collides with a nuclei

$$\lambda \sim 35 \text{ g cm}^{-2} A^{1/3}$$

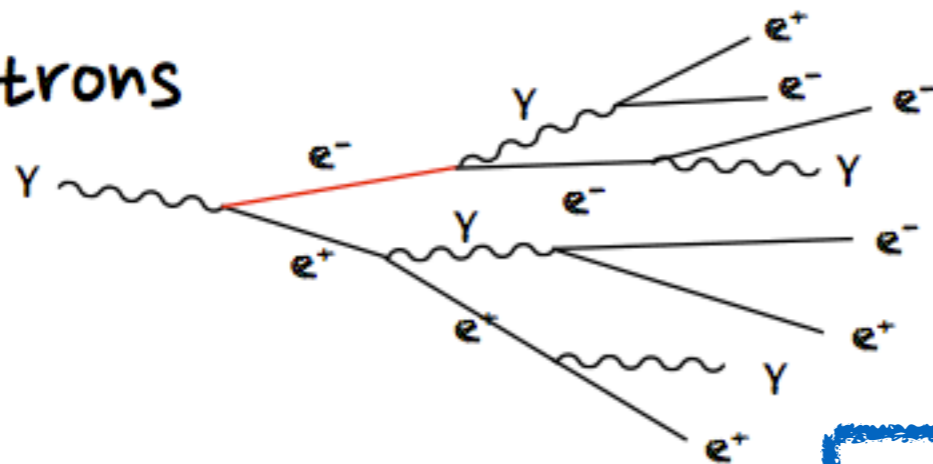
## Typical values for lead

$$\lambda \sim 17 \text{ cm}$$

$$X_0 \sim 5.5 \text{ mm}$$

Photons

Electrons



## Radiation length

Mean distance over which the electron energy is reduced by a factor of 1/e due to radiation losses

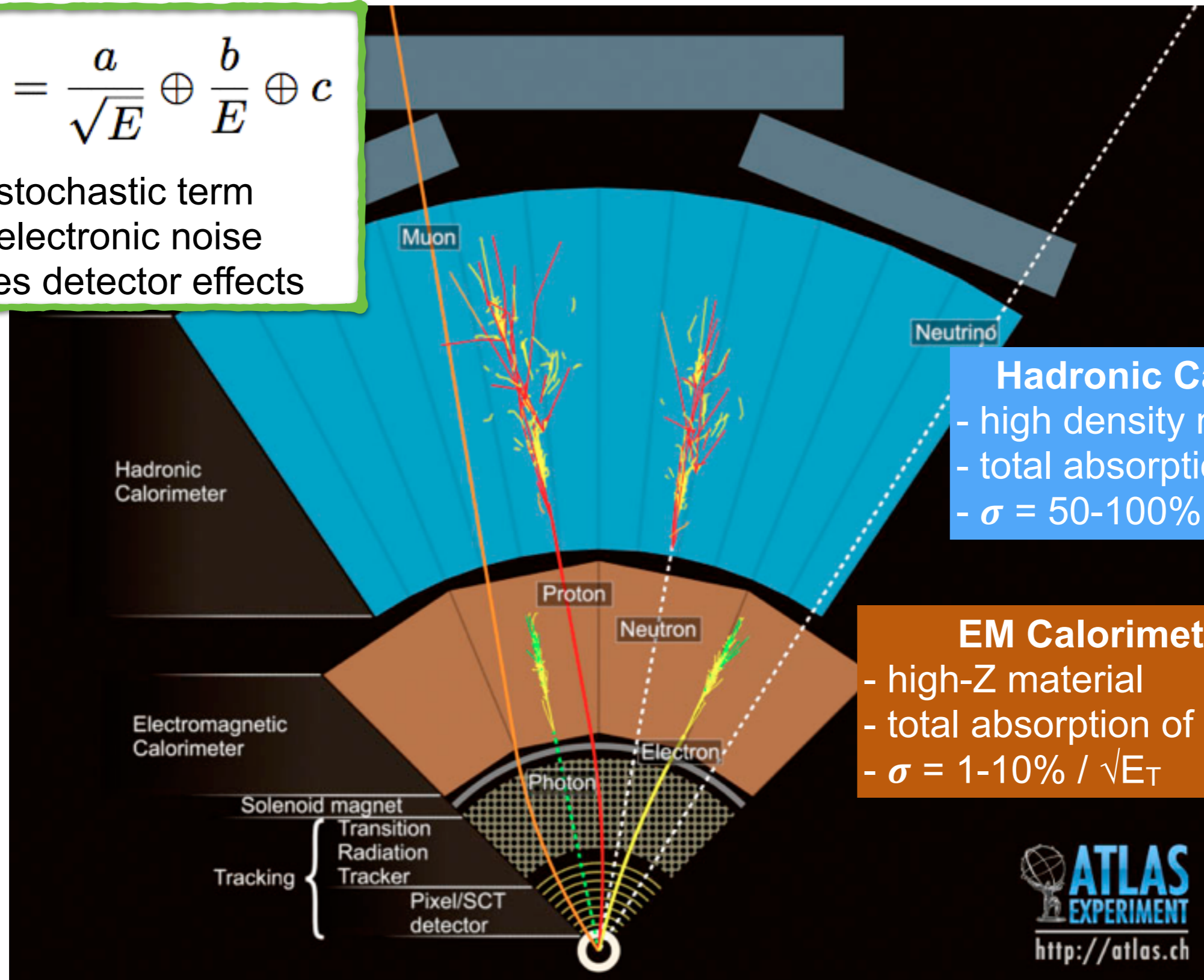
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R. Cavanaugh, HCPSS 2012

# Calorimeters

$$\frac{\sigma(E)}{E} = \frac{a}{\sqrt{E}} \oplus \frac{b}{E} \oplus c$$

$a$  is the stochastic term  
 $b$  is the electronic noise  
 $c$  includes detector effects



**Hadronic Calorimeter**  
- high density material  
- total absorption of energy  
-  $\sigma = 50-100\% / \sqrt{E_T}$

**EM Calorimeter**  
- high-Z material  
- total absorption of energy  
-  $\sigma = 1-10\% / \sqrt{E_T}$



calorimeter transverse energy uncertainty for charged hadrons:

$$\sigma(E_T) \approx 100\% \sqrt{E_T}$$

Tracker transverse momentum uncertainty for charged hadrons:

$$\sigma(p_T) \approx 0.01\% (p_T)^2$$

The point at which the calorimeter resolution overcomes the tracker resolution is (very roughly):

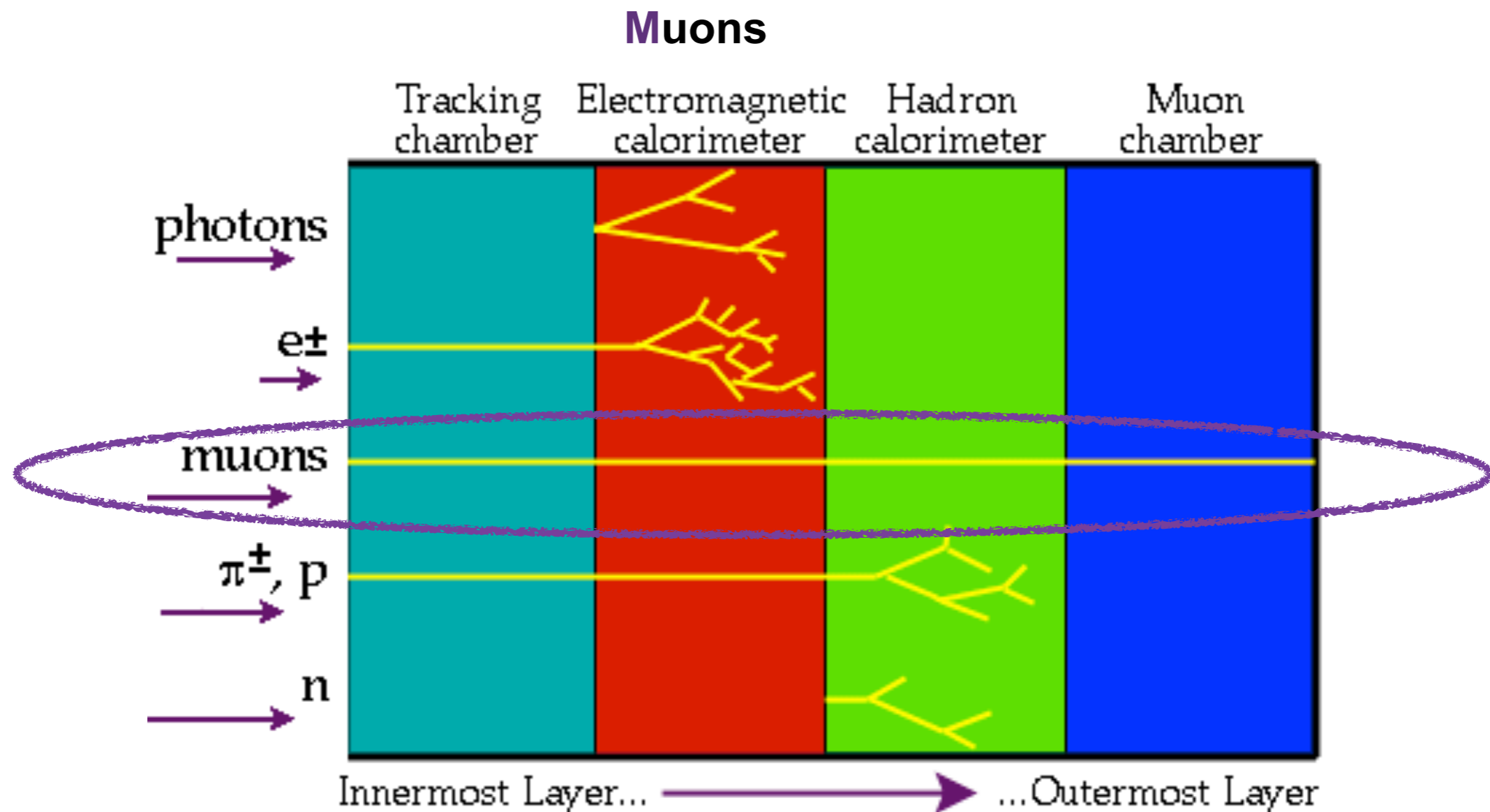
$$\frac{\sigma(p_T)}{p_T} \approx \frac{\sigma(E_T)}{E_T} \quad \rightarrow \quad p_T \approx 10^{\frac{8}{3}} \approx 464 \text{ GeV}$$

# Particle Flow

Strategy to get most of detector is to match tracks with calorimeter clusters

Track momentum is preferred over calorimeter energy

Steps are ordered motivated by **momentum resolution** and **particle identification purity**



<http://www.particleadventure.org/>

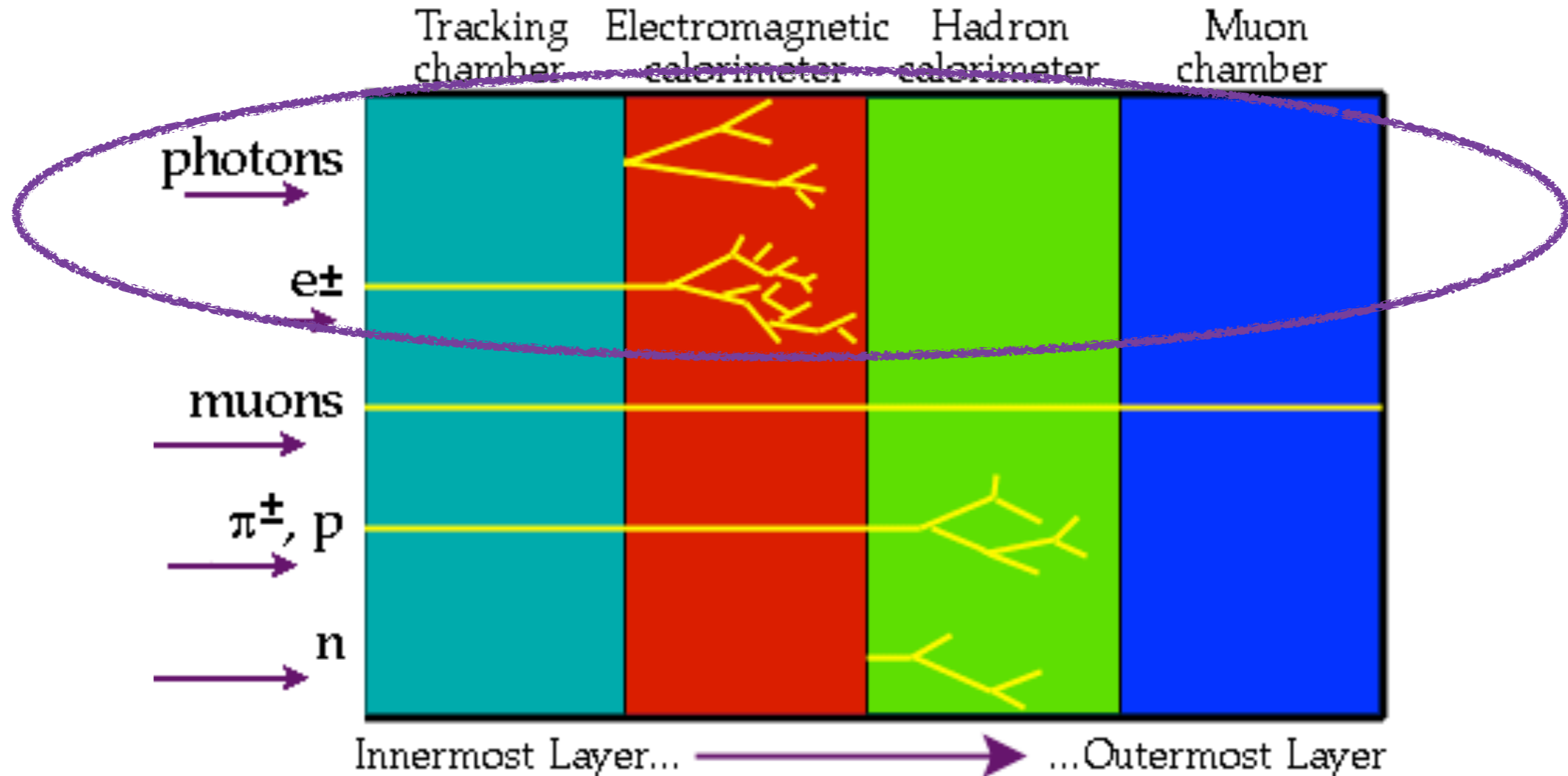
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## Electrons / Photons



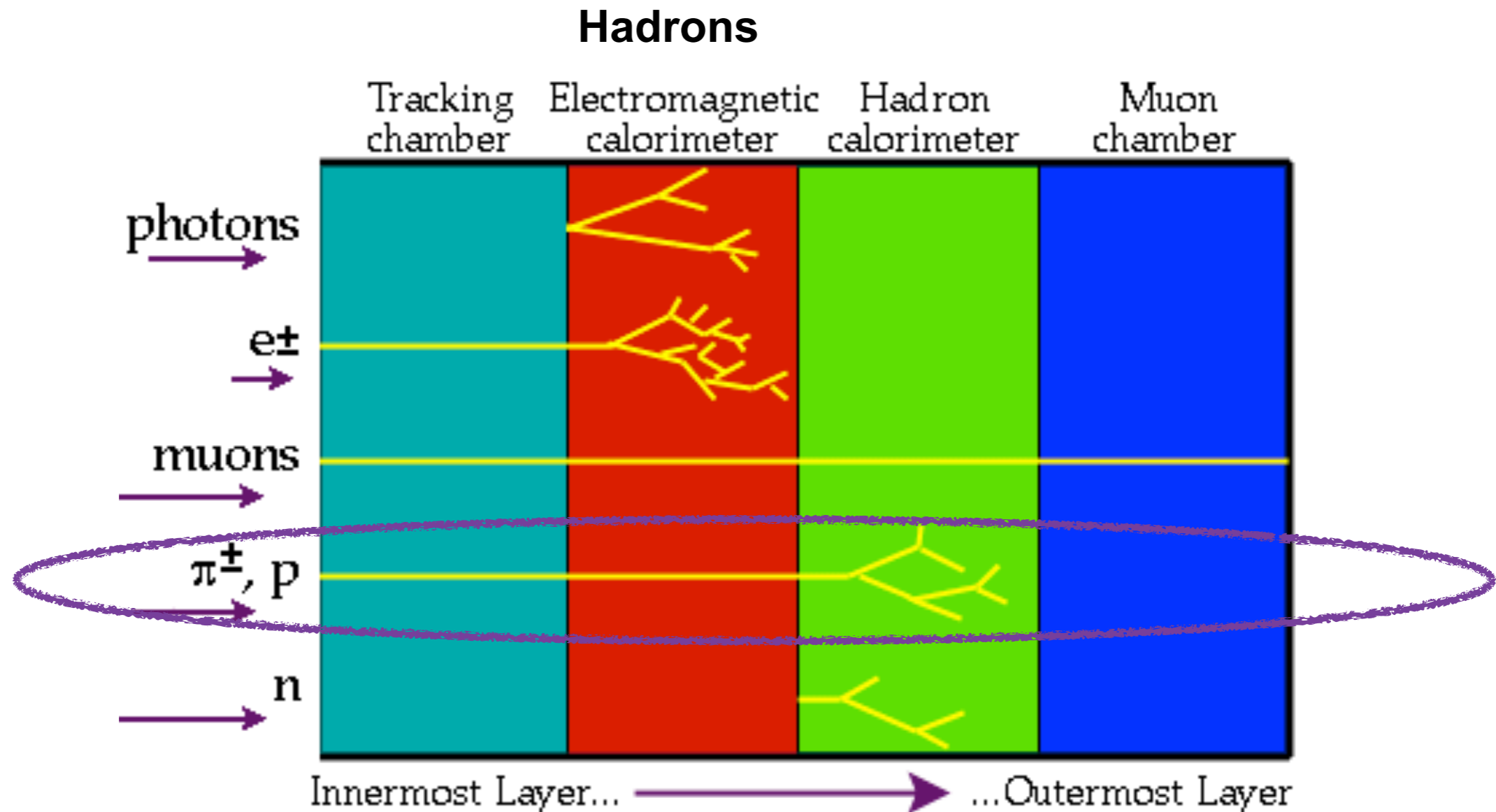
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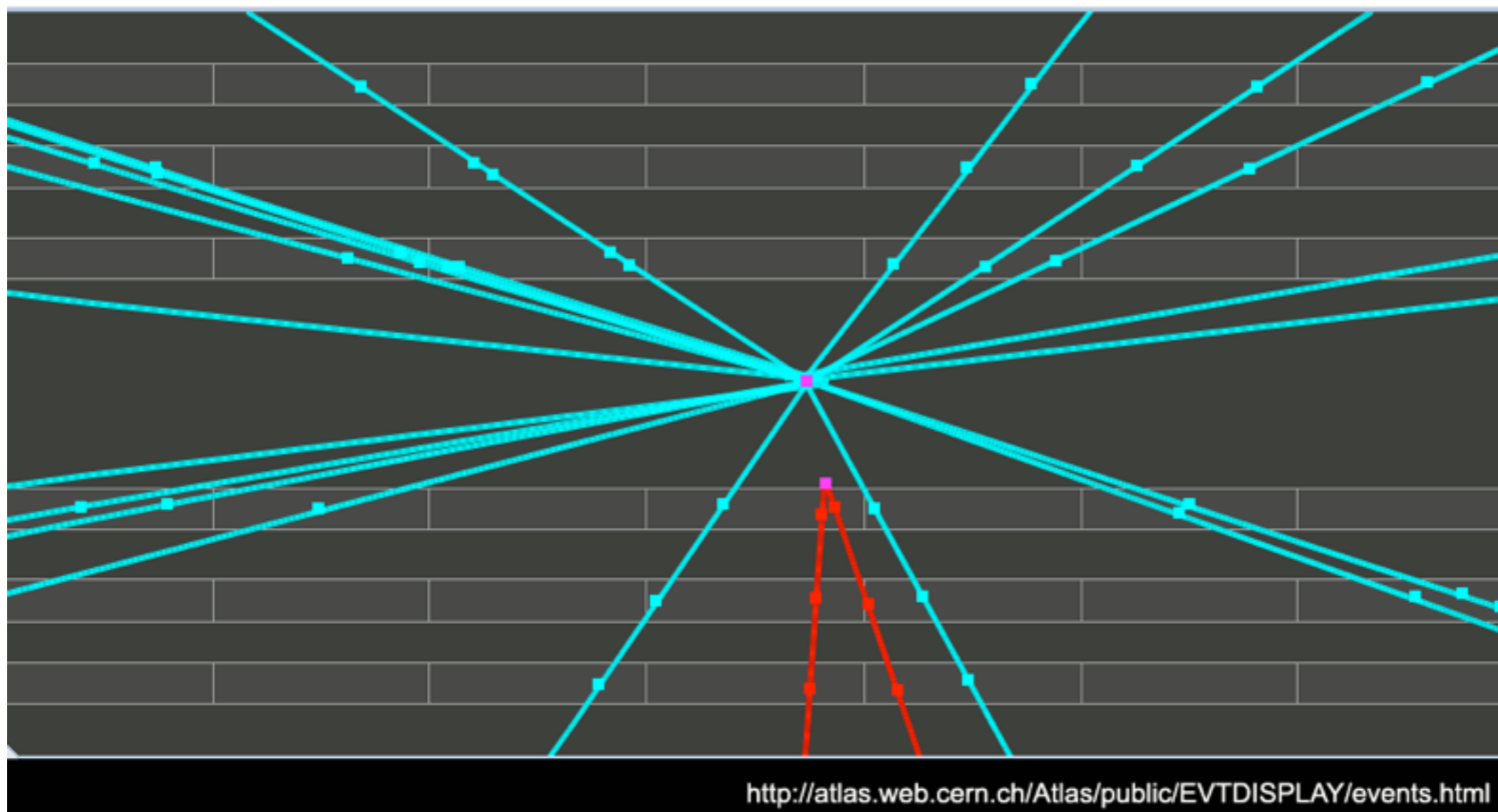
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## Converted photons



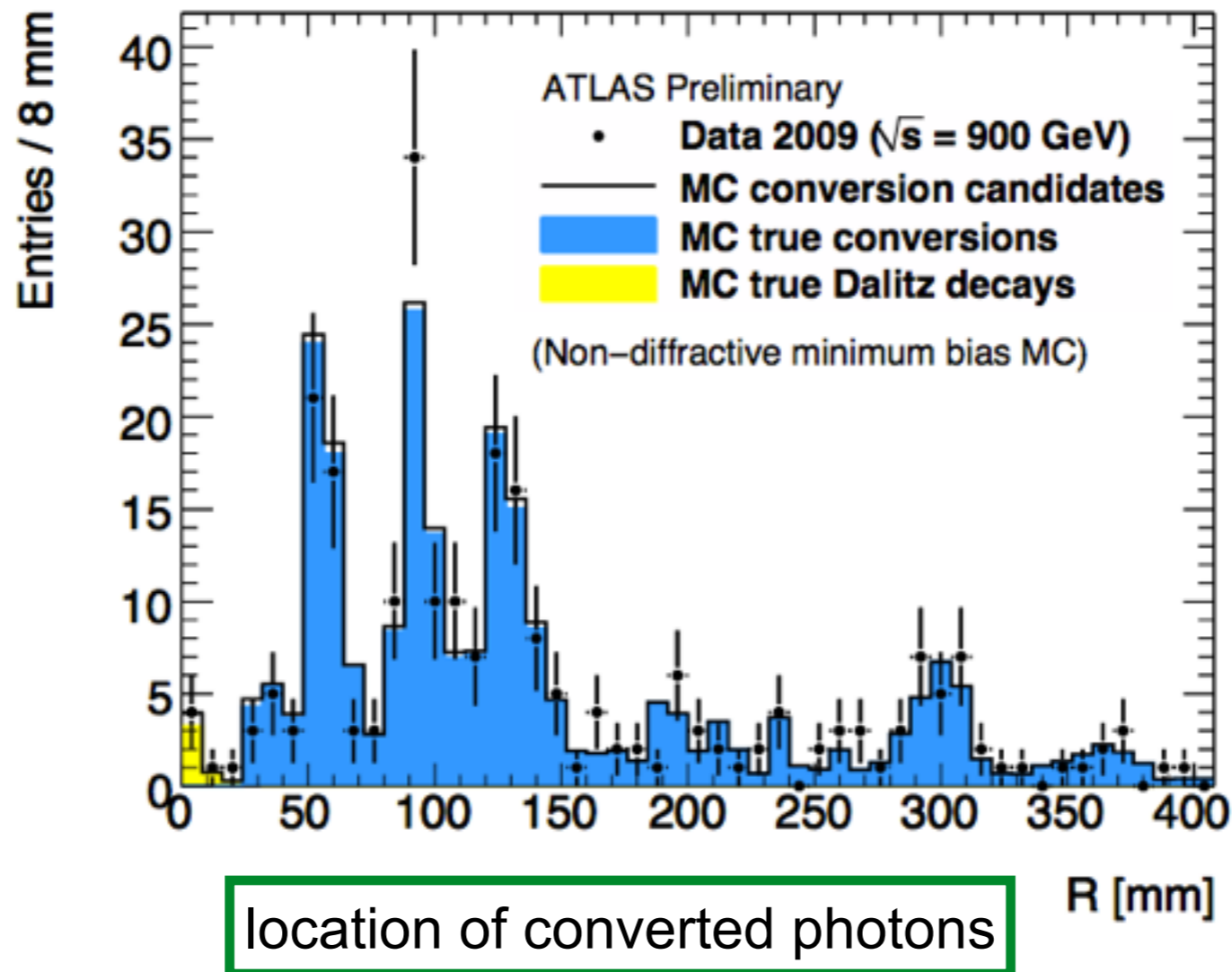


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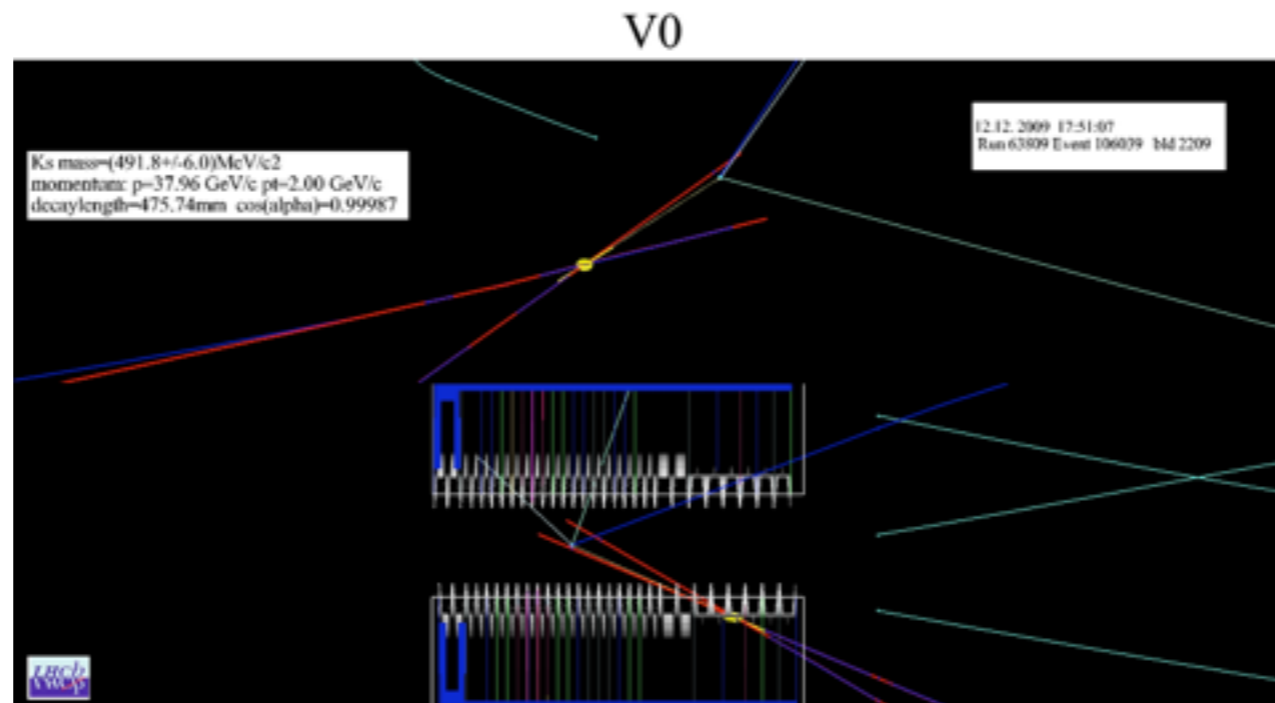


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$V^0$ s ( $\tau \sim 10^{-10}$  s)



$V^0$ s live long enough to reconstruct its vertex

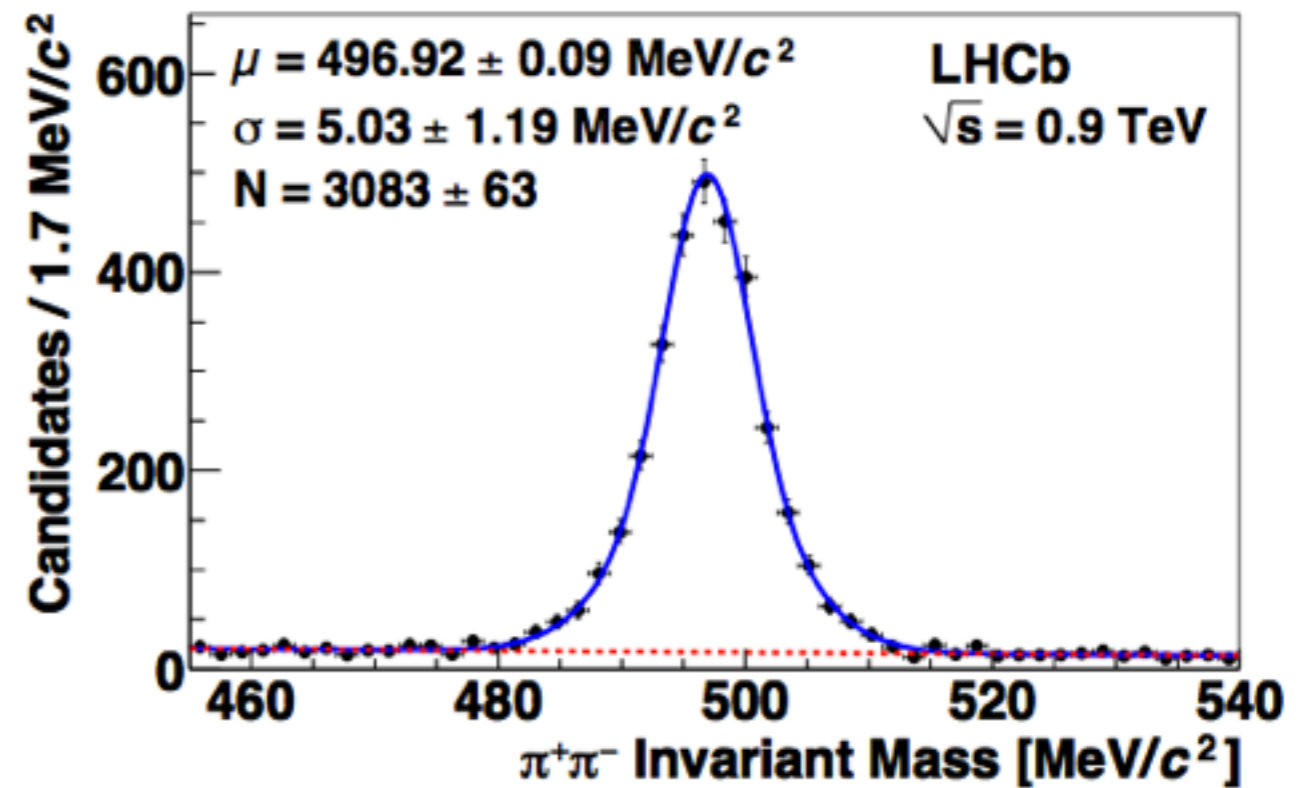
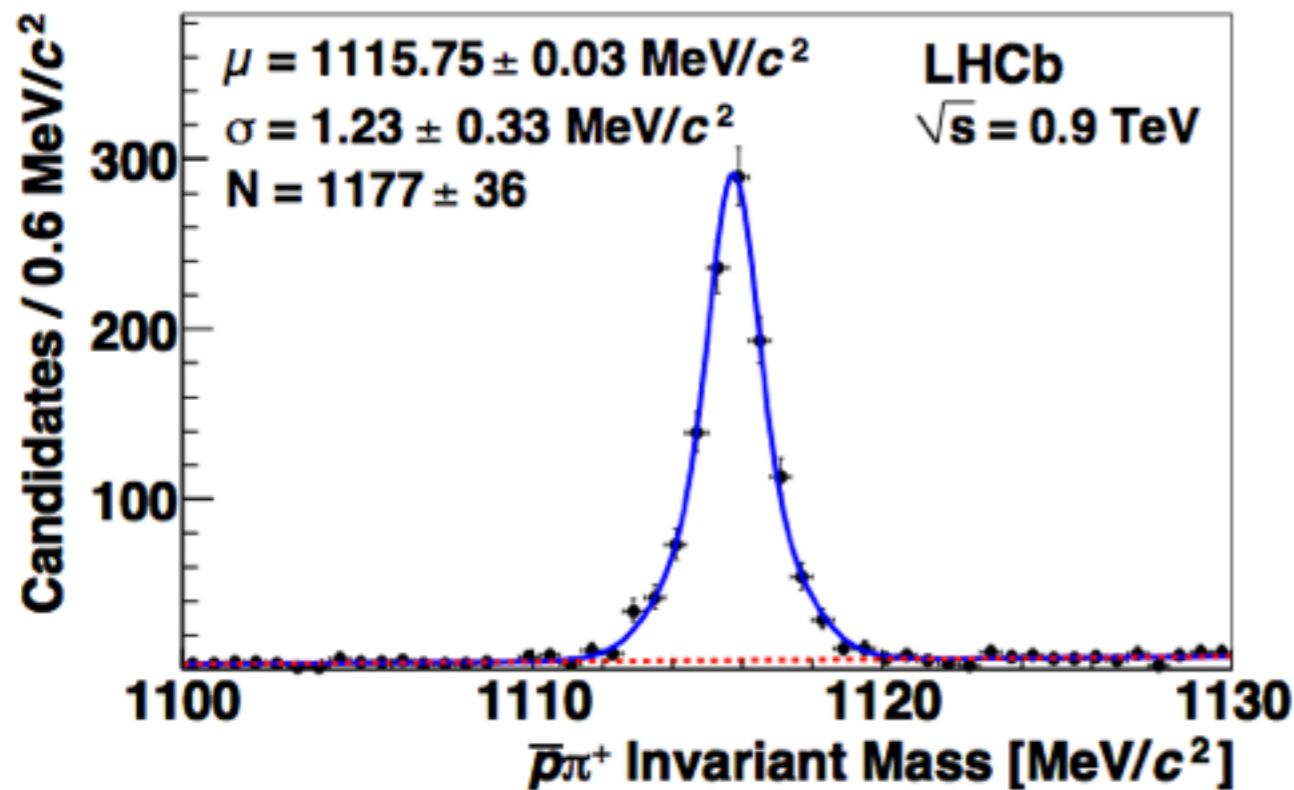
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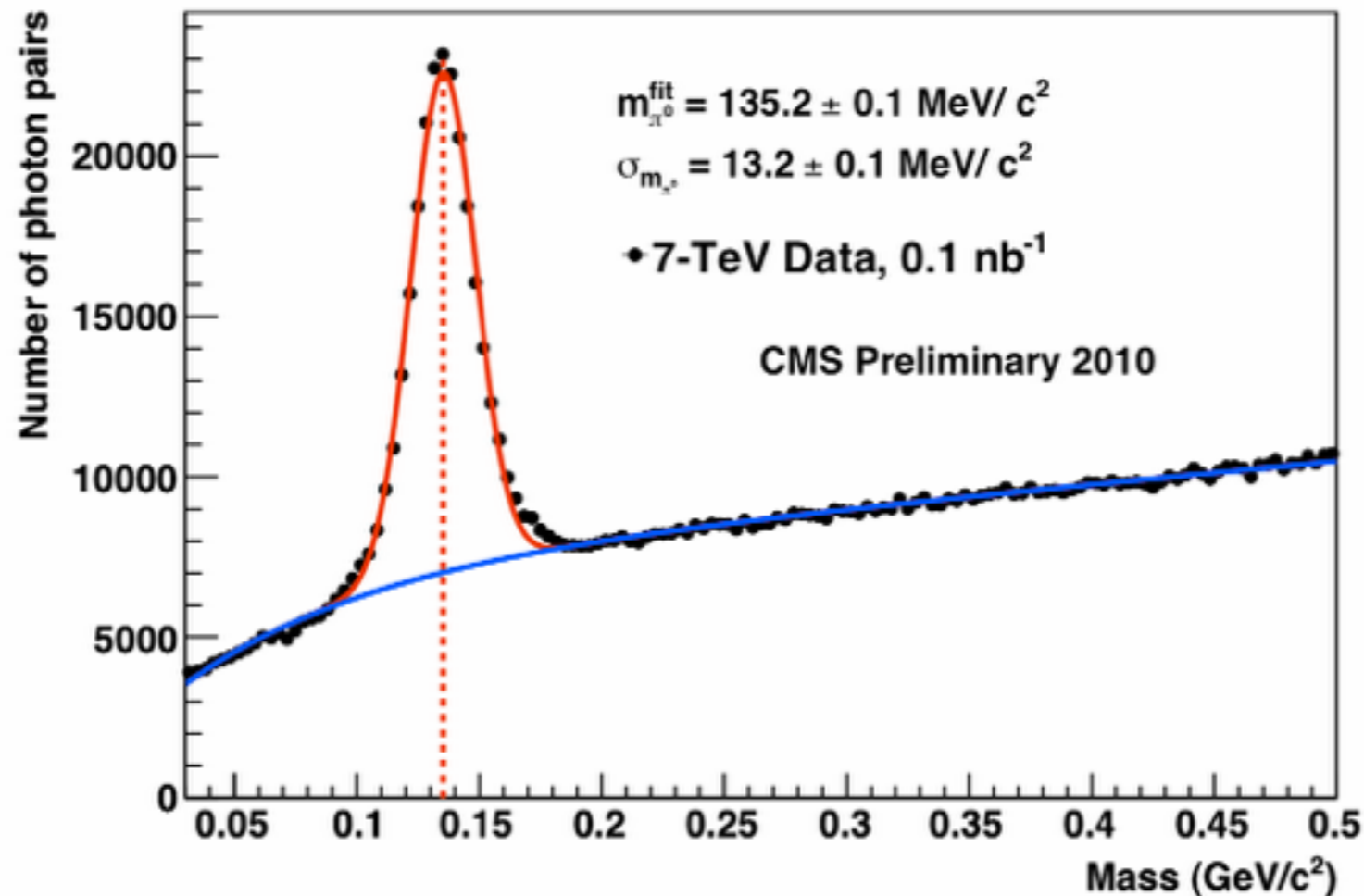
# Particle Flow

Strategy to get most of detector is to match tracks with calorimeter clusters

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$$\pi^0 \rightarrow \gamma\gamma$$



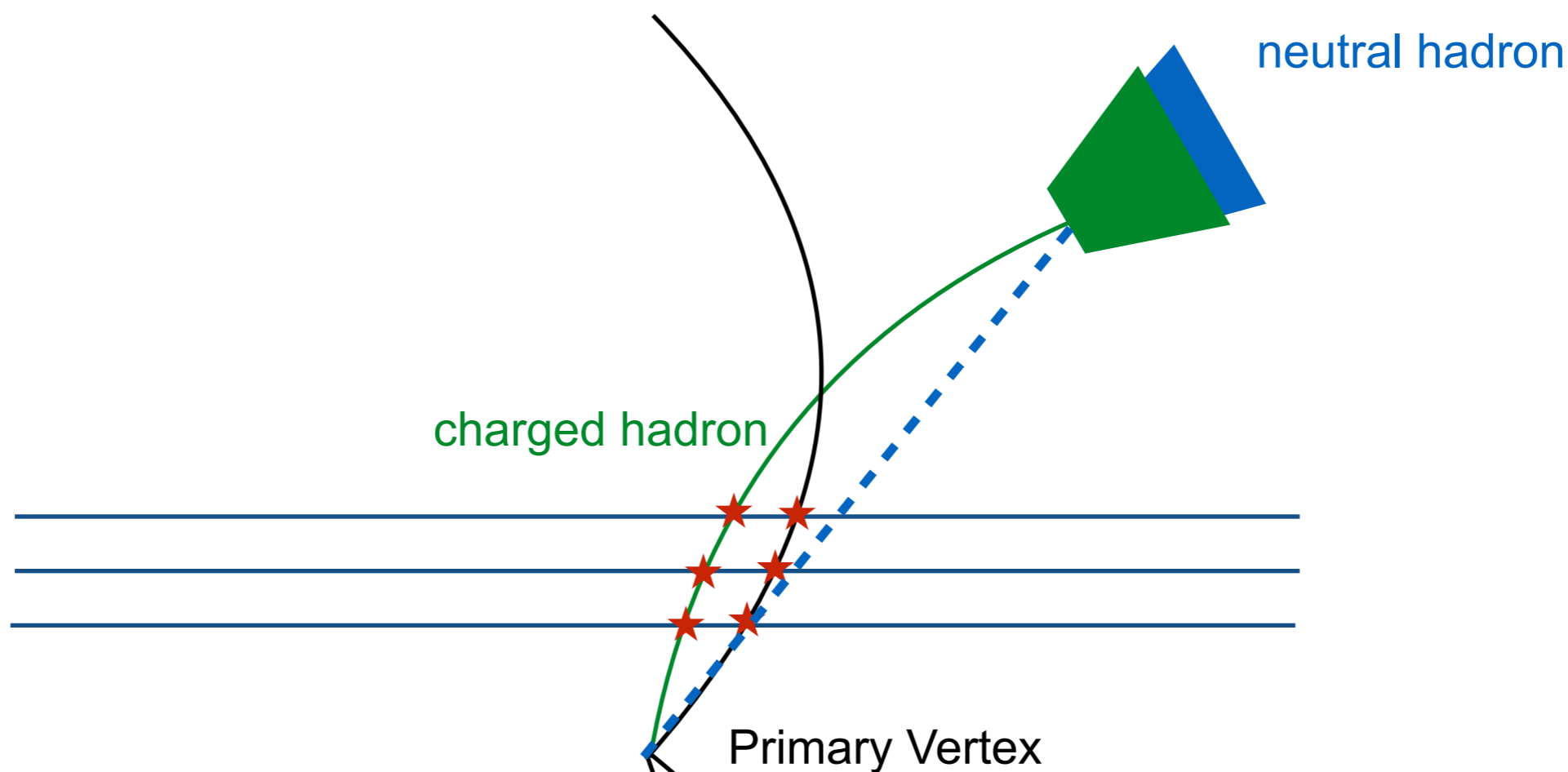
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## Neutral Hadrons

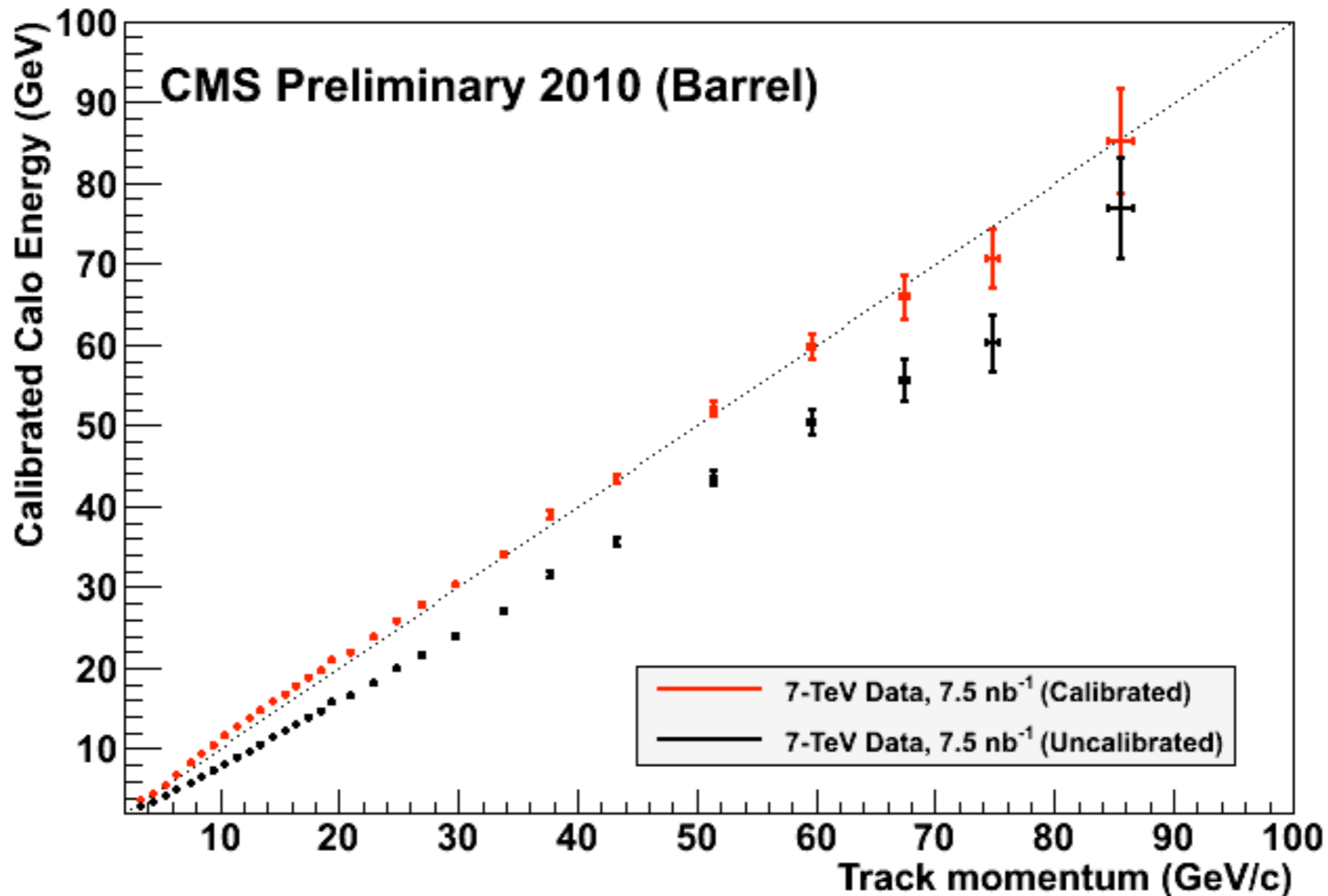


# Particle Flow

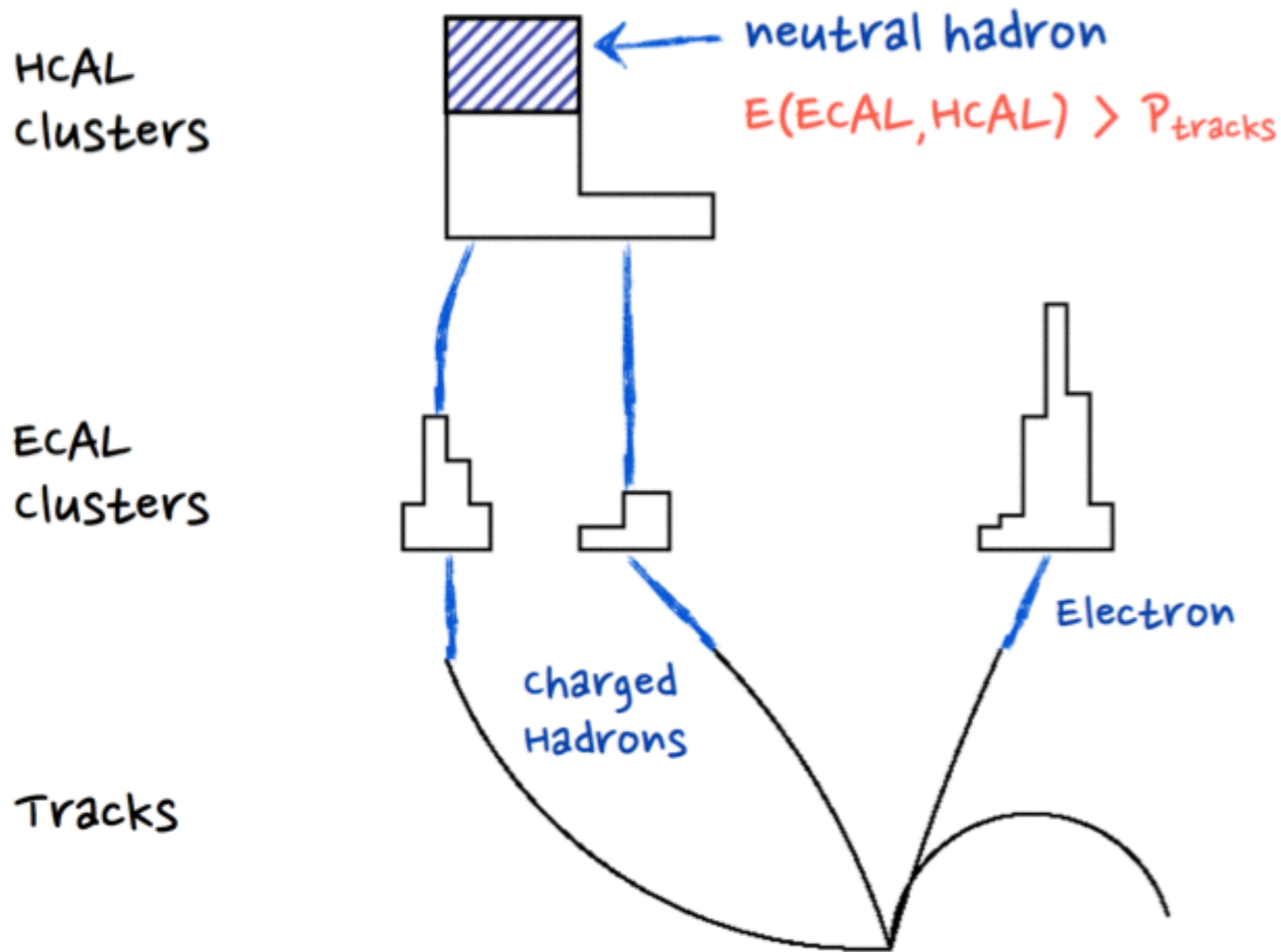
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# Particle Flow



Diagrams from R. Cavanaugh and P. Janot

Reconstructed “particles” are used as inputs of the jet algorithm - “detector-level” jets

“Detector-level” jets must be **corrected/calibrated** to compare with theory/models  
Calibration of jets to “particle-level” is necessary

## Calibrated jets

- little dependence with detector effects (segmentation, response and resolution)
- good resolution and no angle biases
- good efficiency and low fake rate (Jet Identification)
- stable with beam luminosity (pile-up)
- computer time efficient

## Inputs

- calorimeter cells/towers/clusters
- tracks
- tracks+calorimeter (particle flow)



At “detector-level”, the jet algorithm can reconstruct fake jet candidates:

- Hadronic tau decays (electrons and photons too)
- Cosmic ray
- Detector noise
- Pile-Up contribution

# Jet Identification

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Jet characteristics can be used to reduce these background rate to  $O(1\%)$

- o Charged Fraction (from PV)
- o EM Fraction

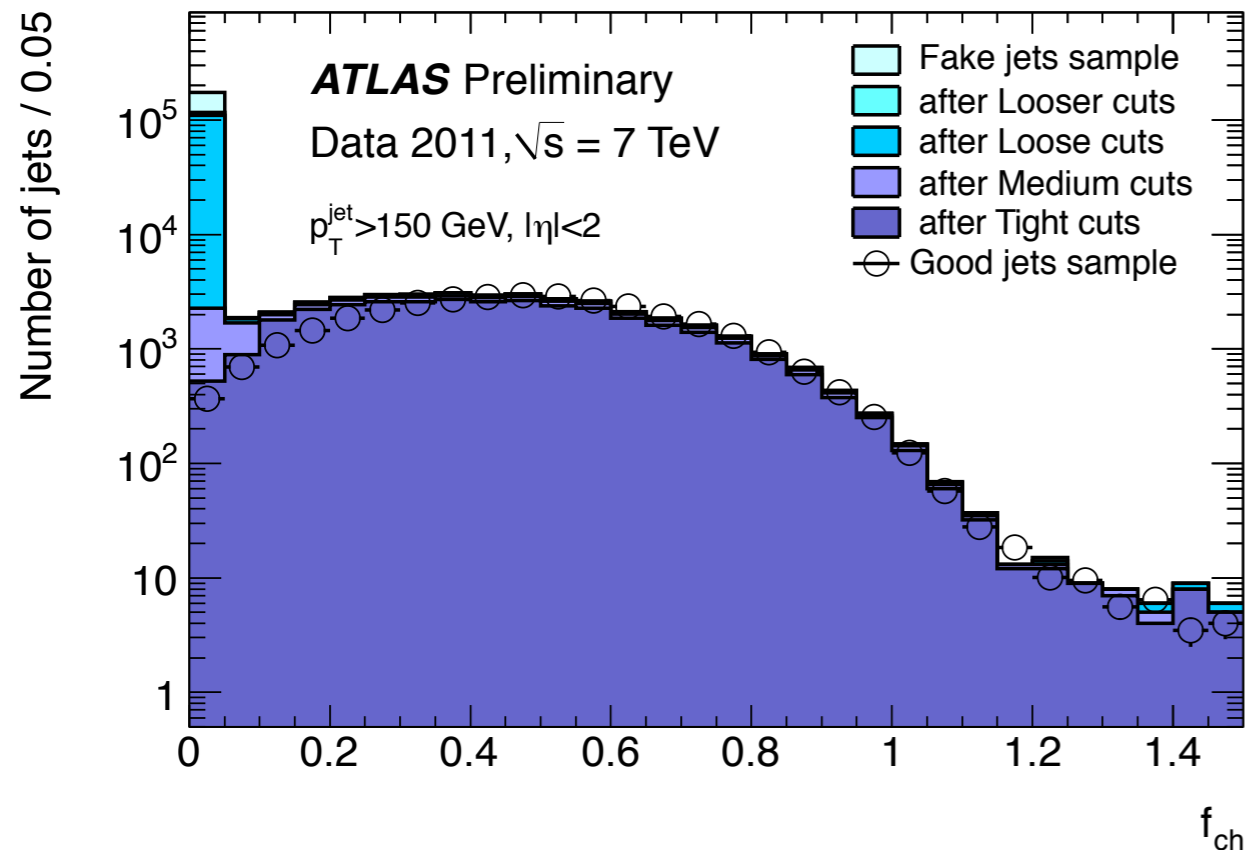
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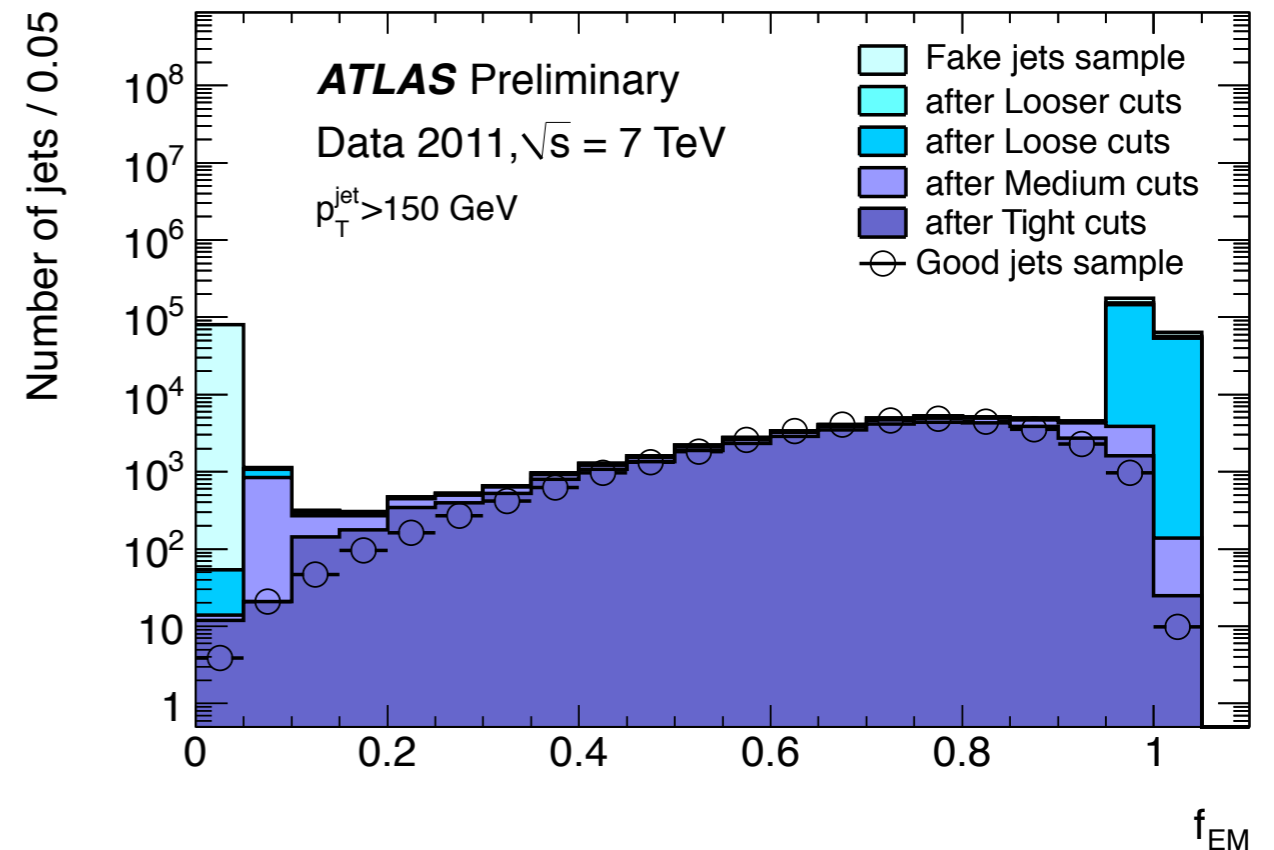
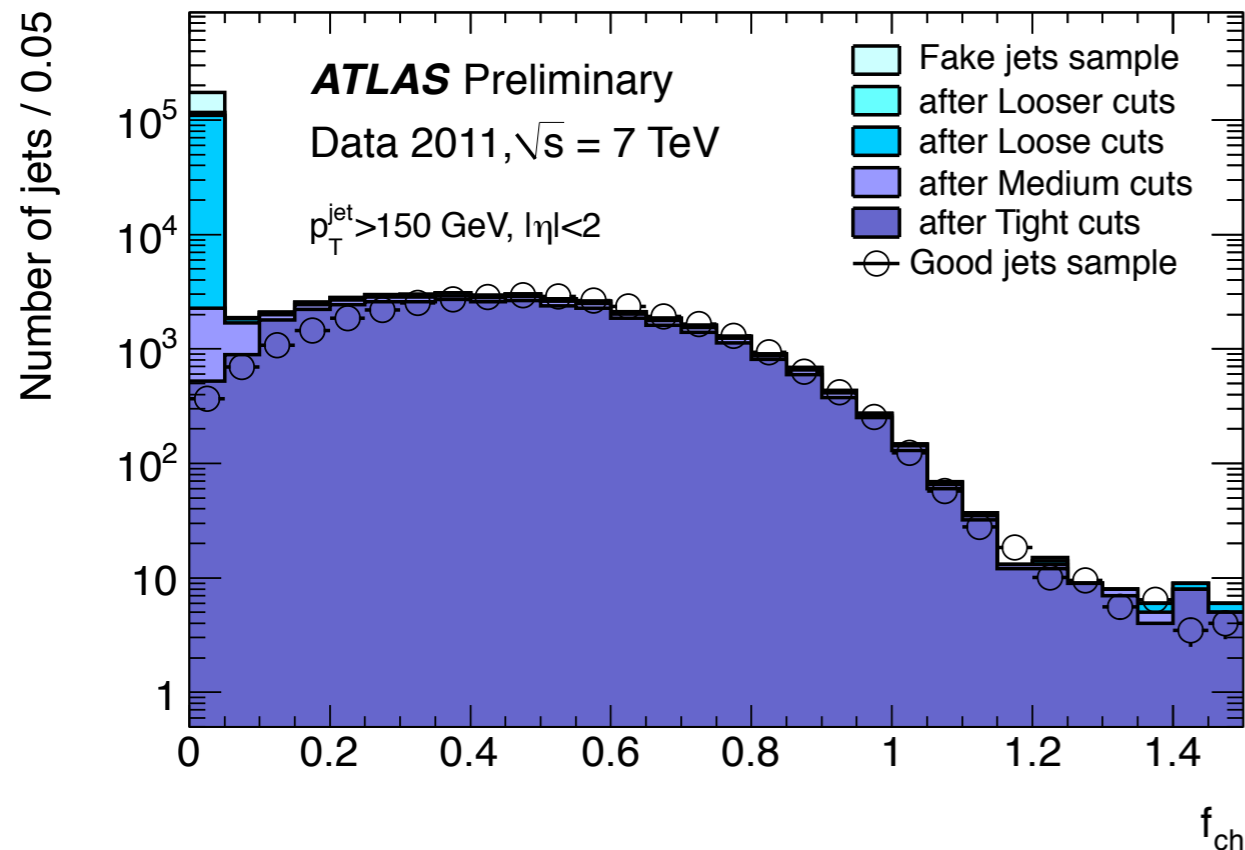
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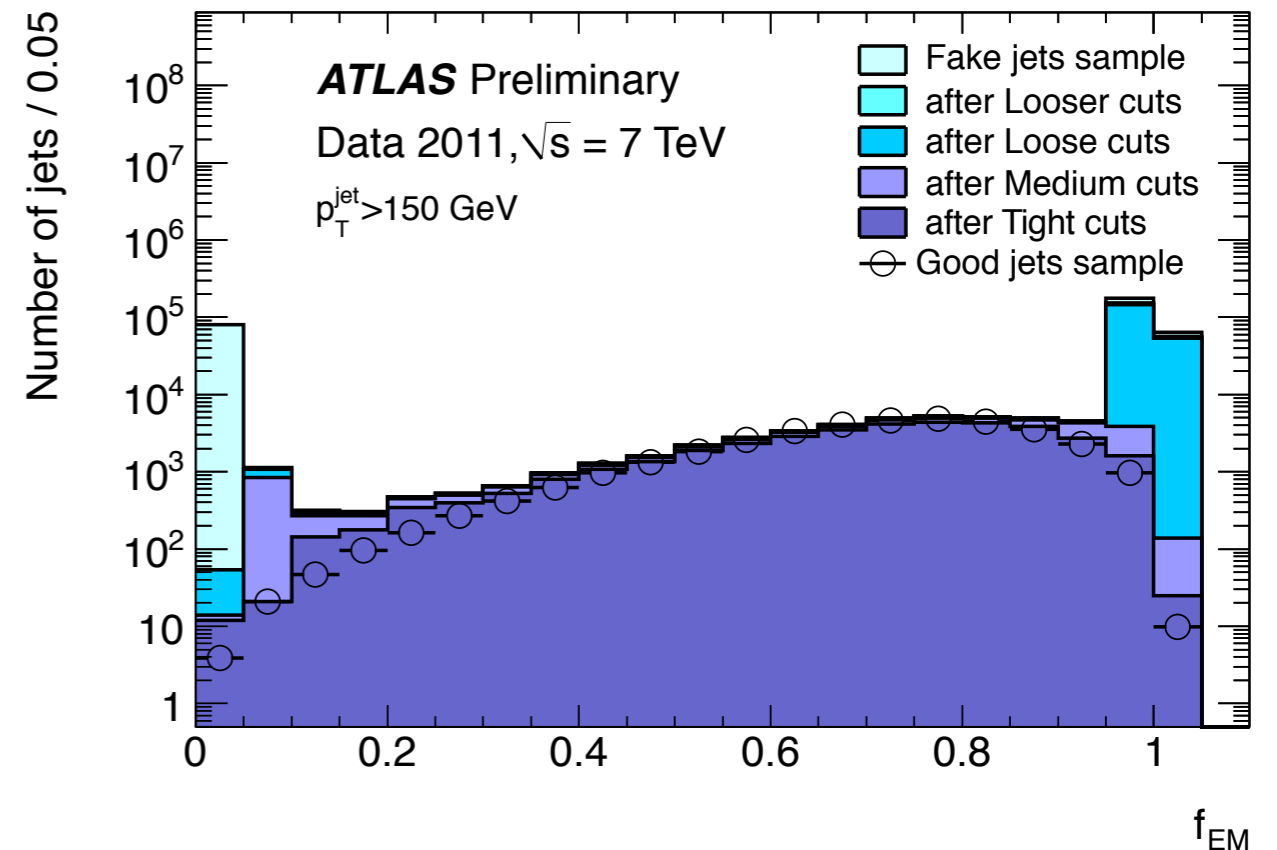
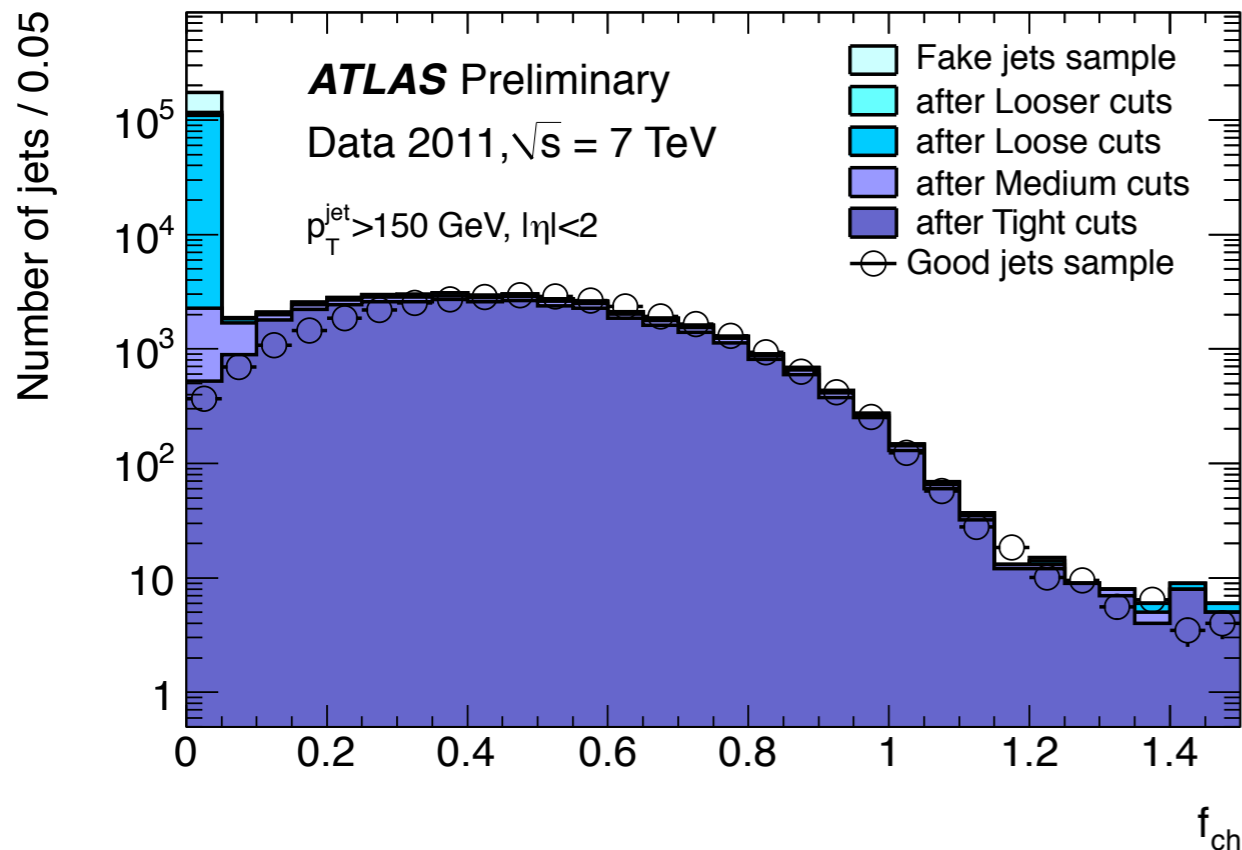
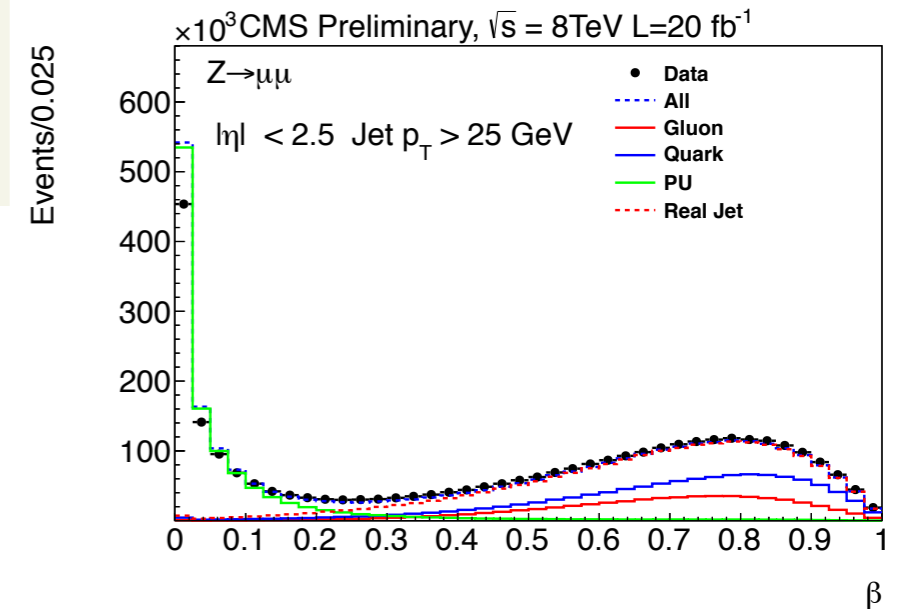
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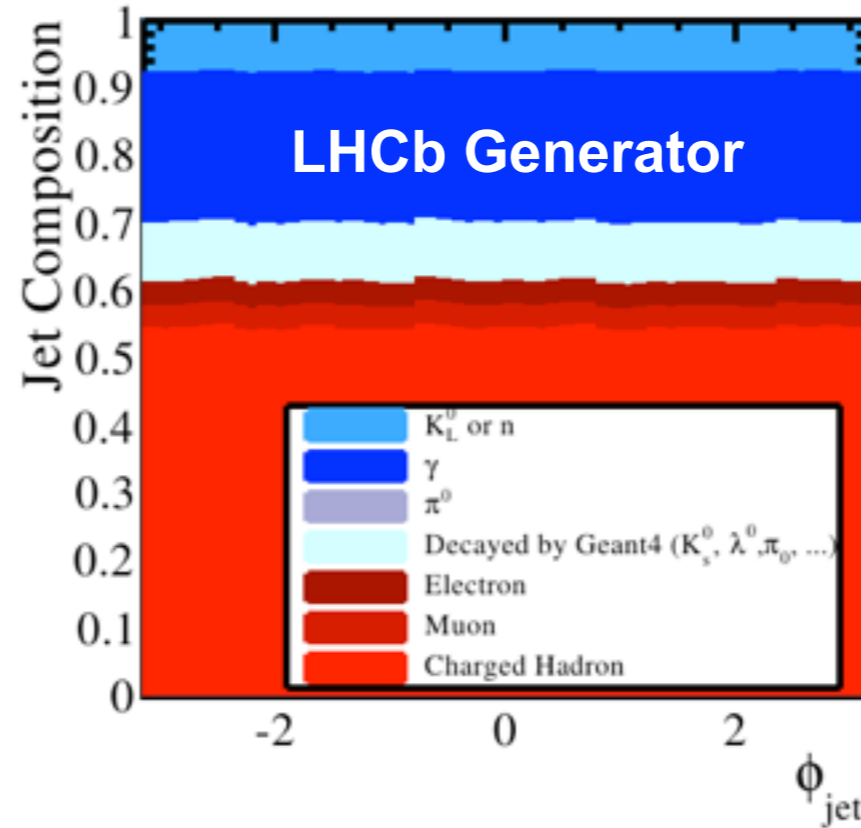
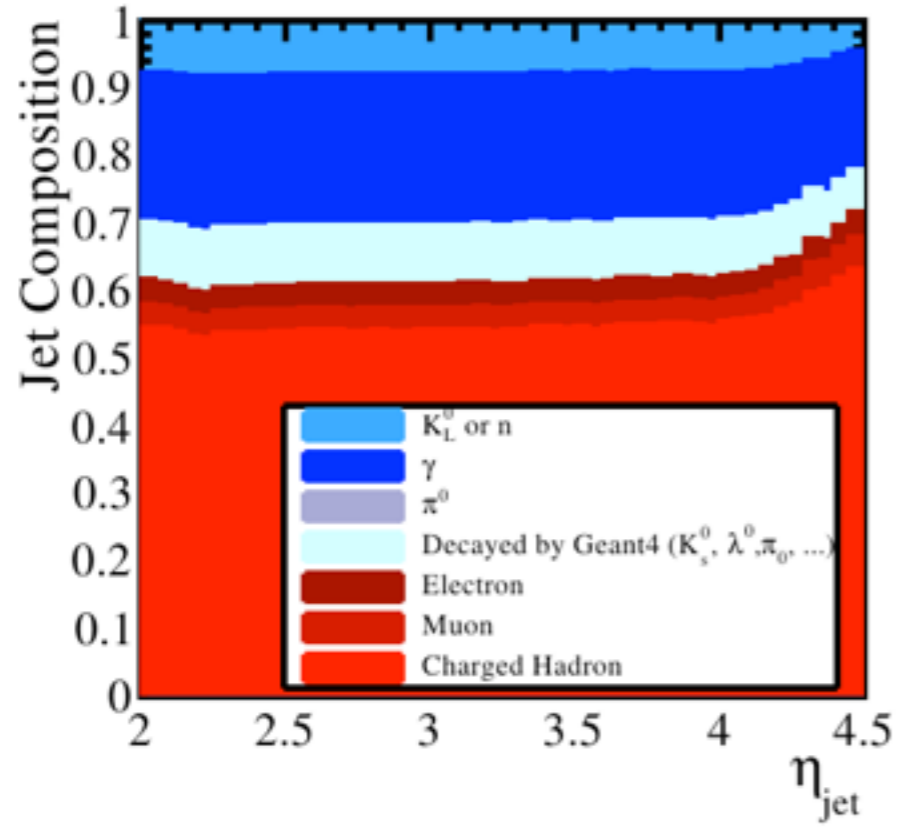
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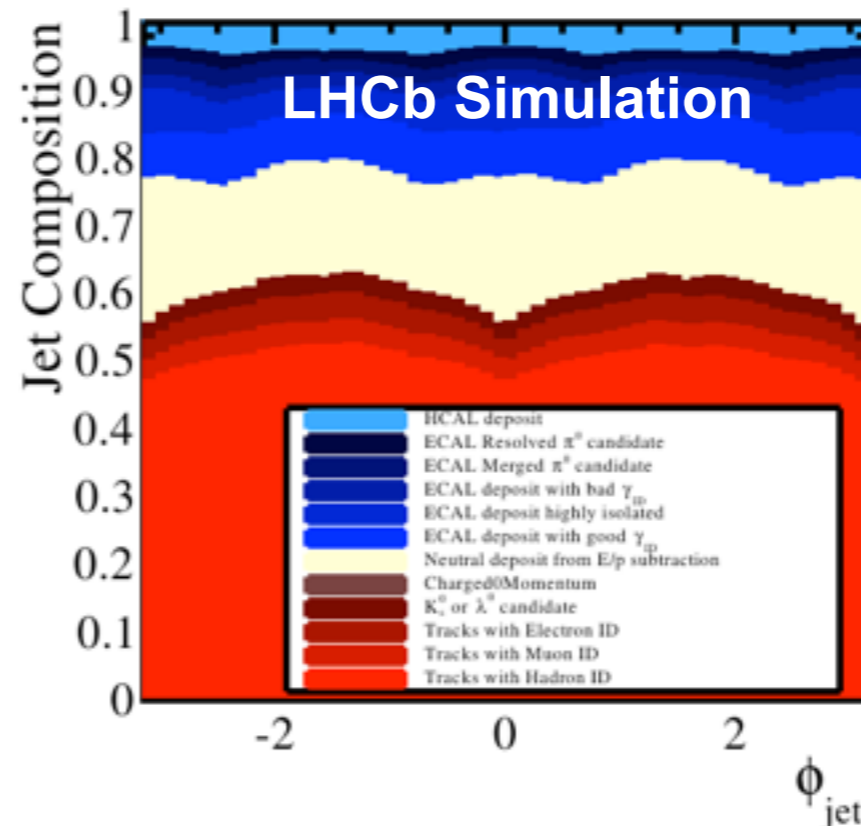
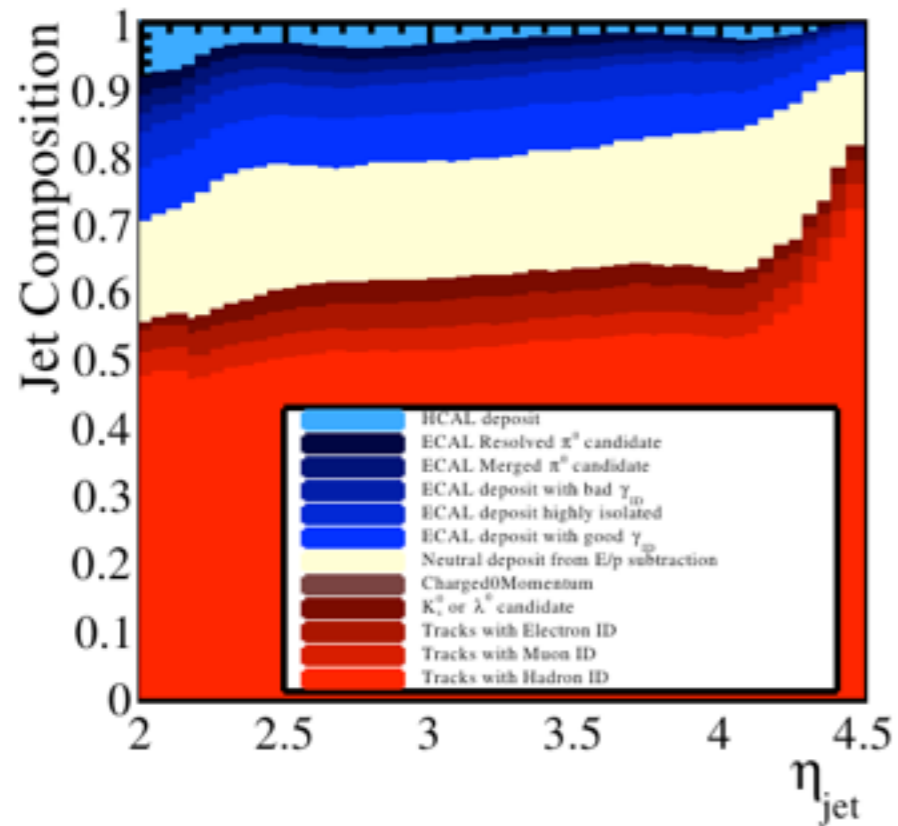
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# Jet Composition



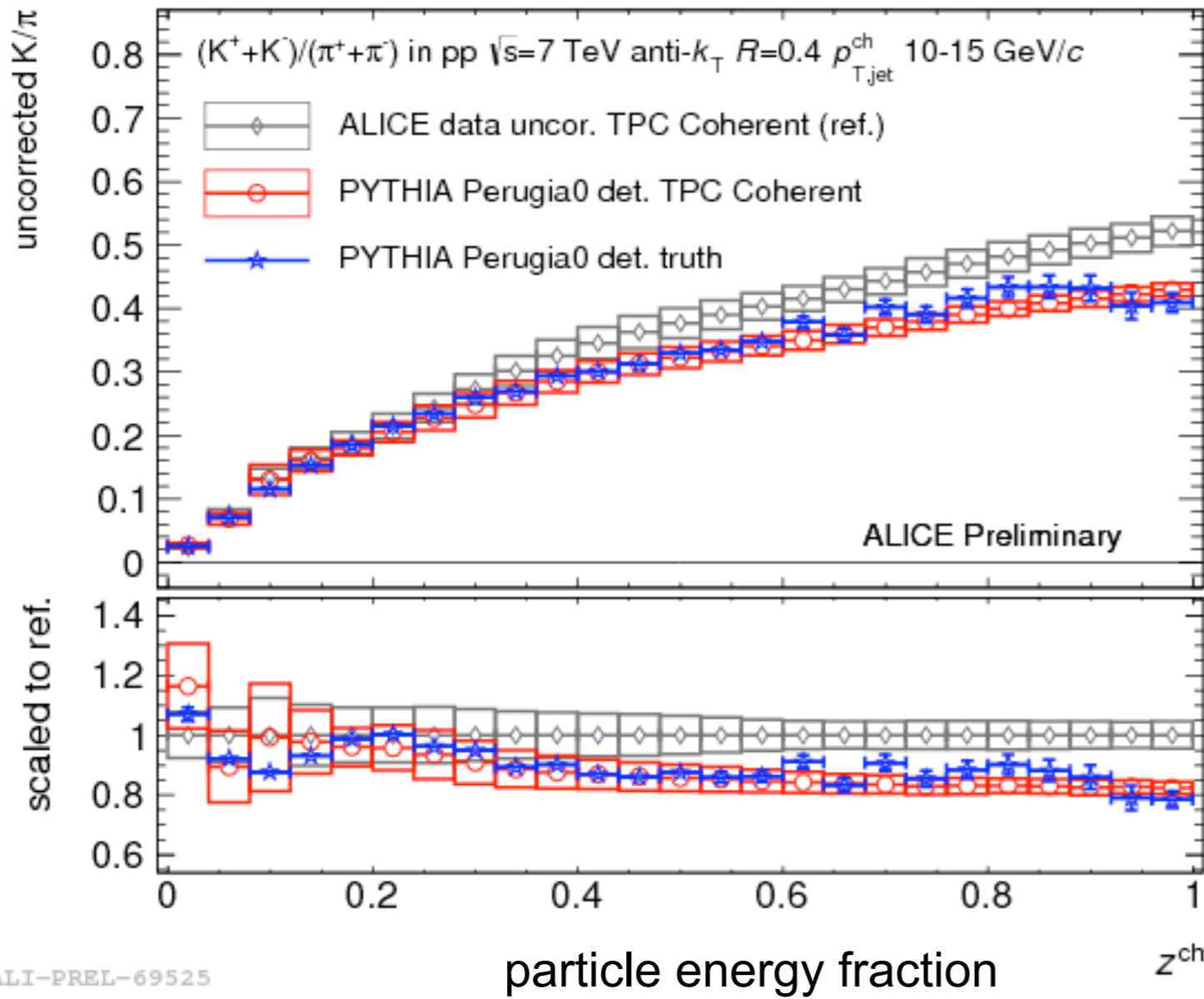
Jet at "particle level"



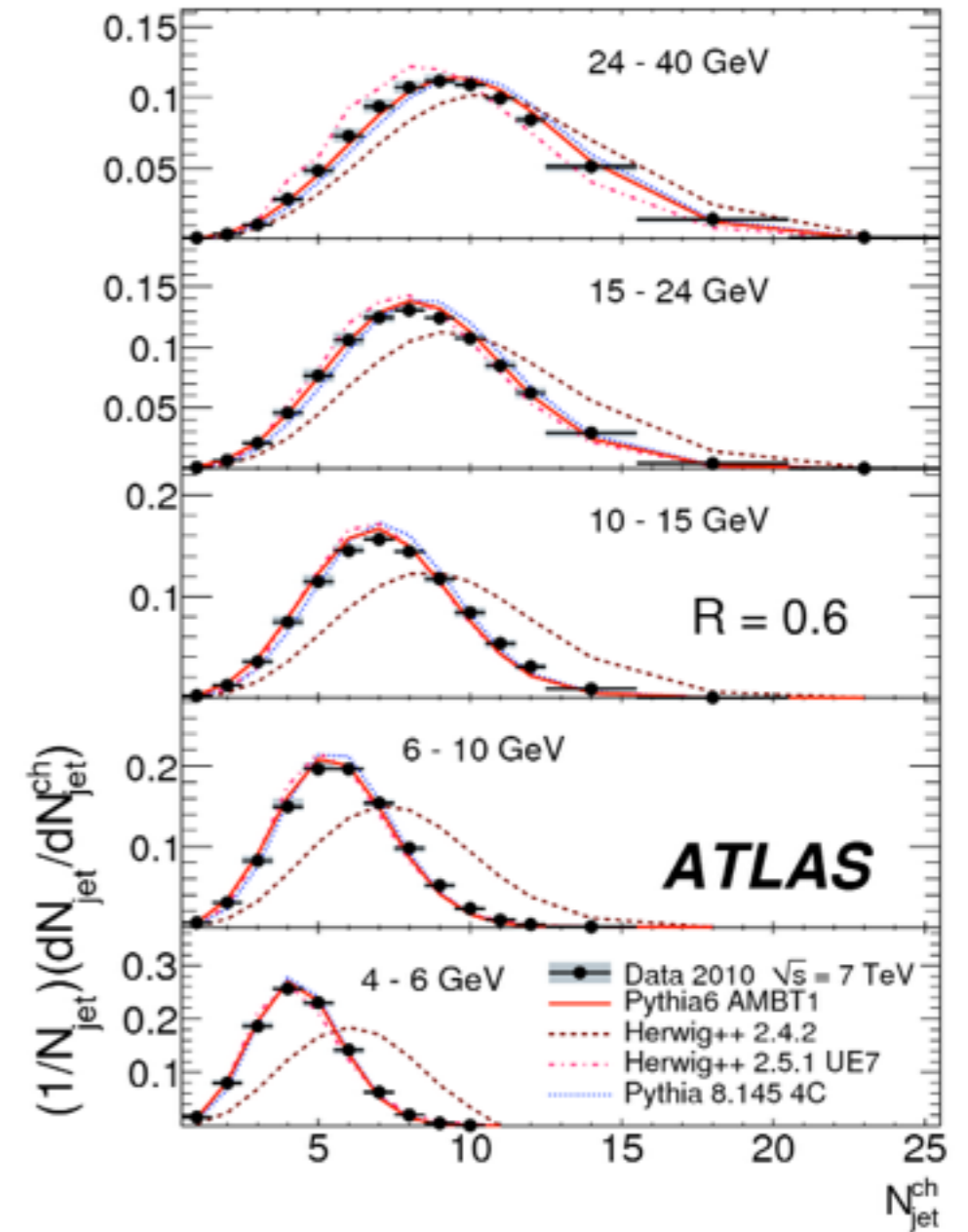
Jet at "detector level"  
(uncorrected)

# Jet Composition

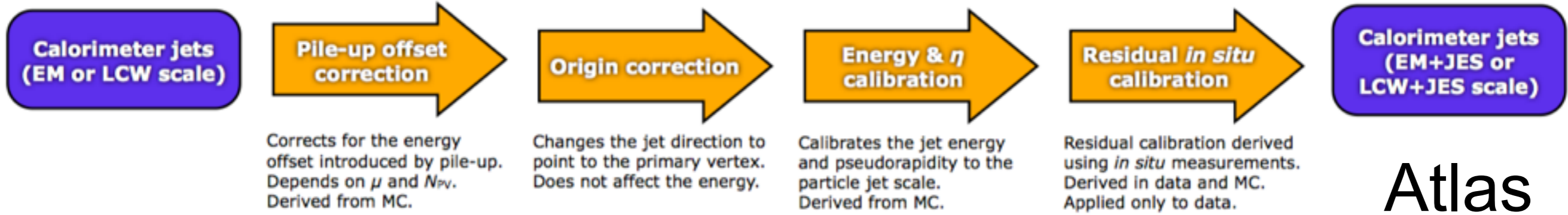
Tests of parton-shower $\oplus$ hadronization models are **necessary**



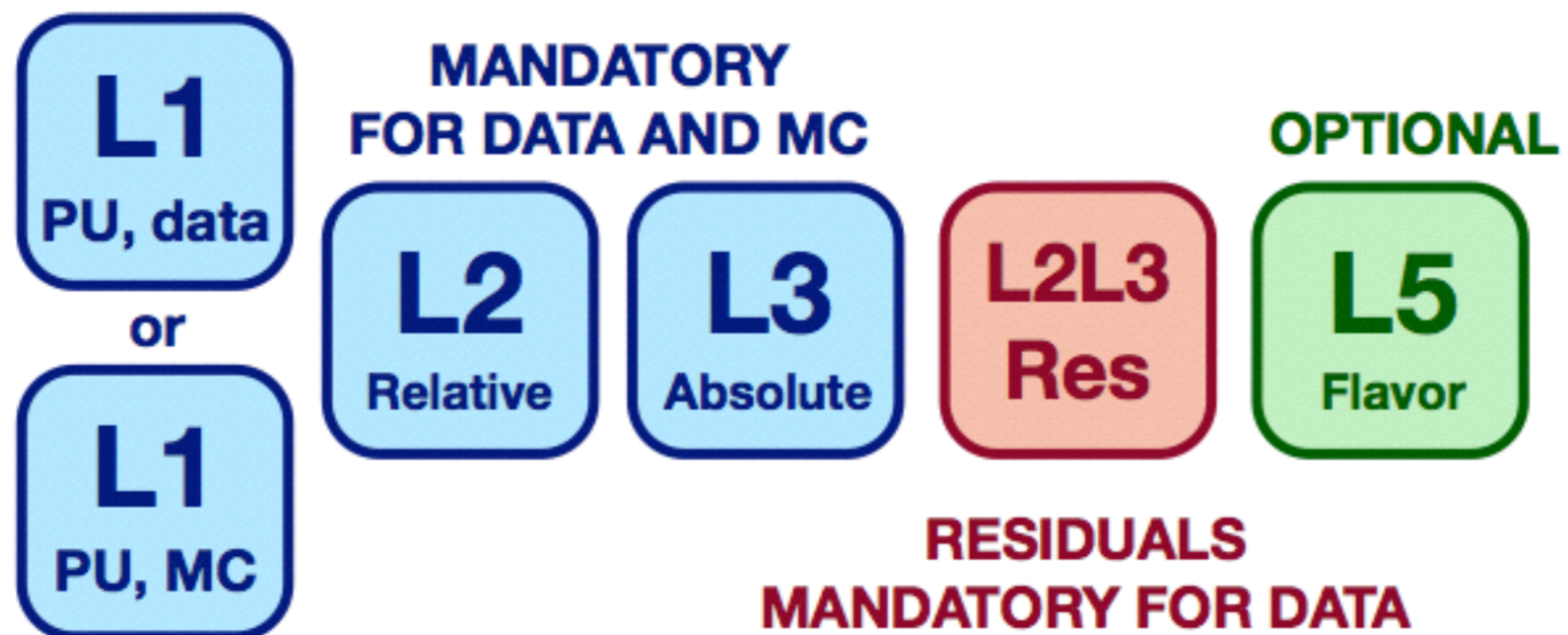
ALI-PREL-69525



# Calibration Factorization



## CORRECTIONS (FACTORIZED APPROACH):



**CMS**

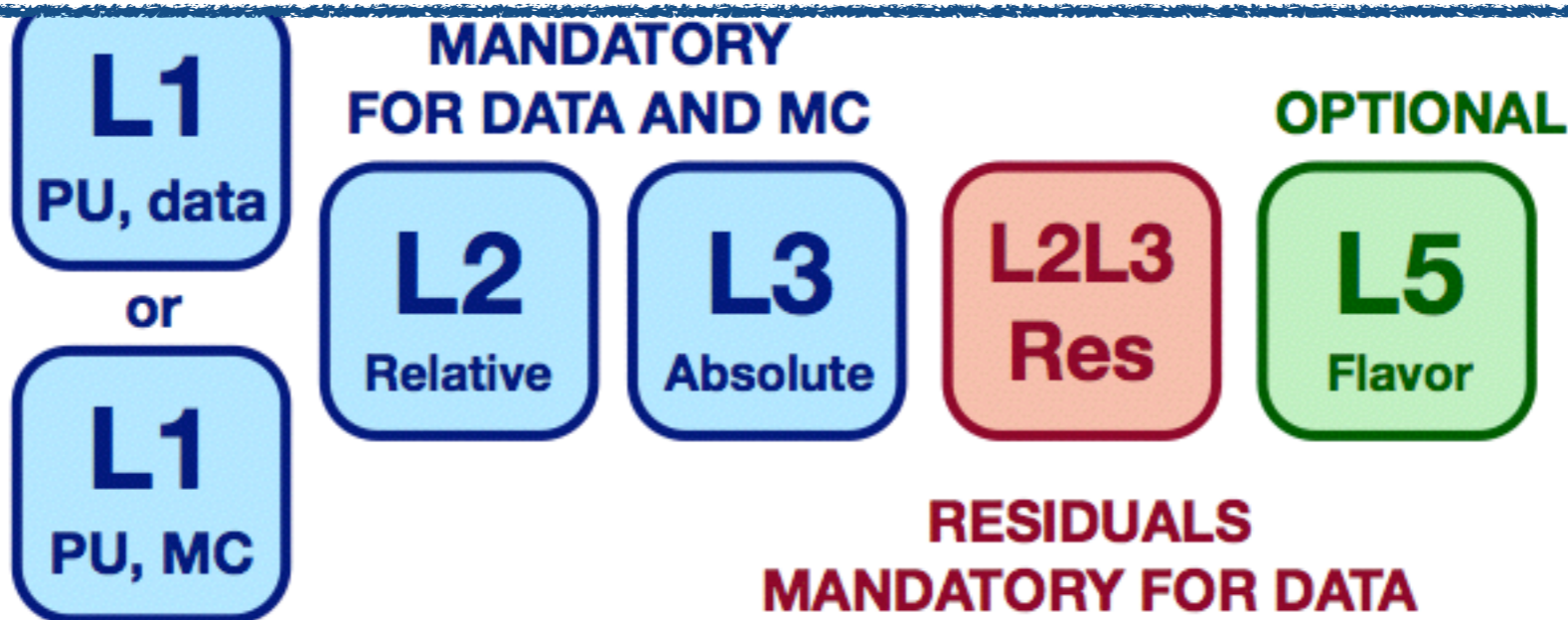


# Calibration Factorization



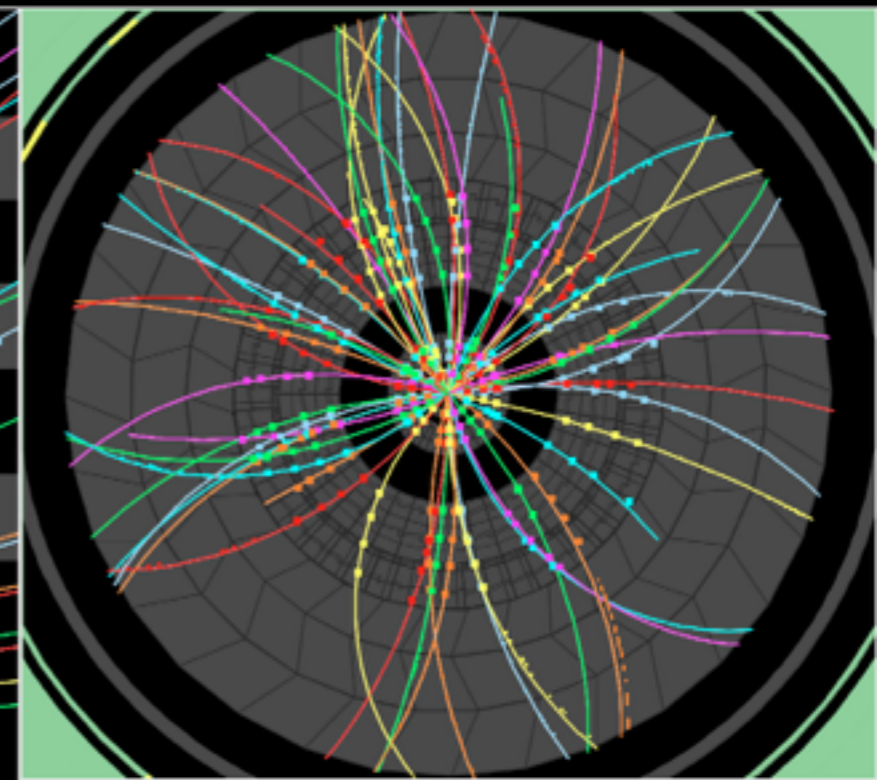
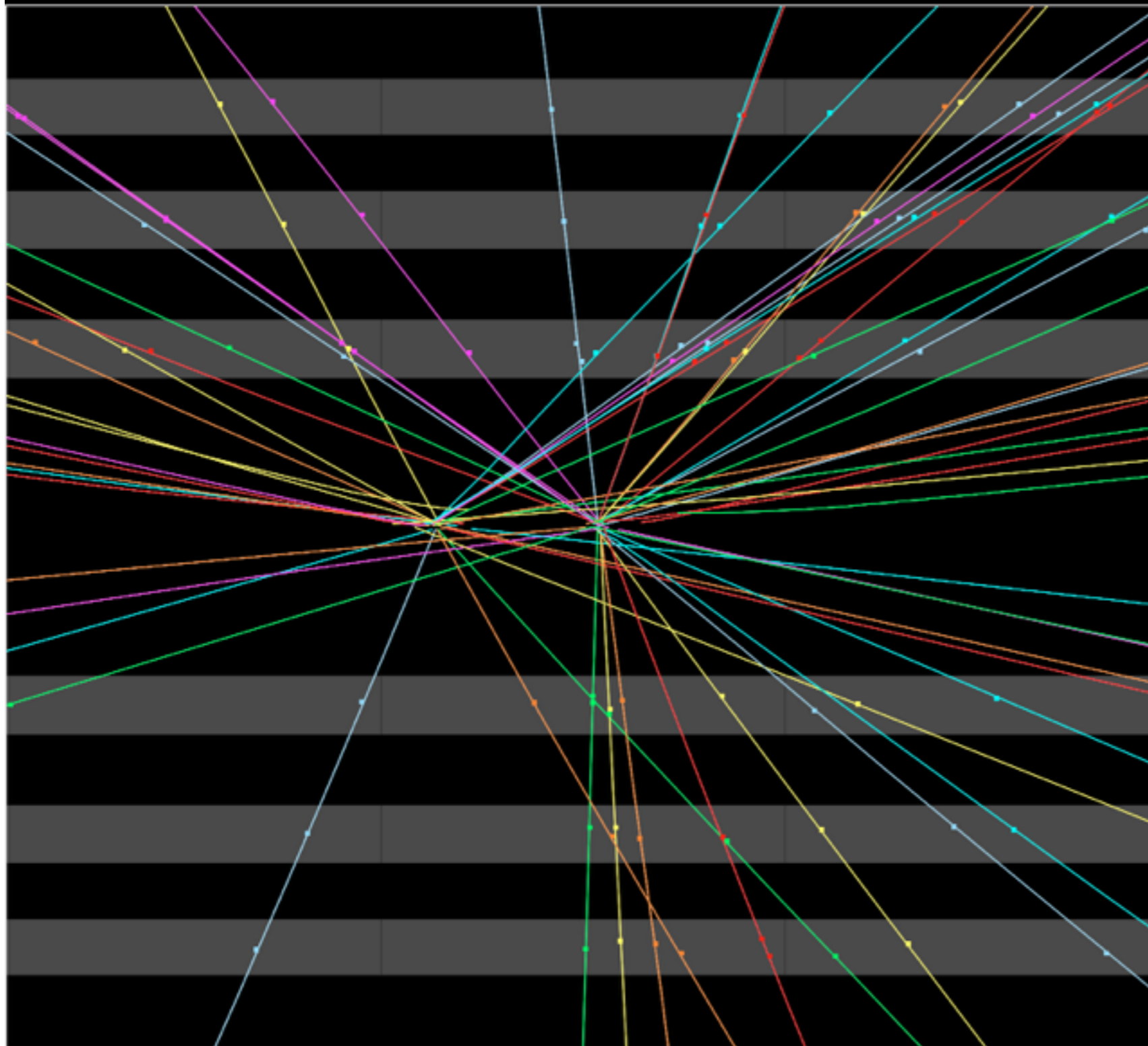
$$p_{\mu}^{\text{cor}} = \mathcal{C} \cdot p_{\mu}^{\text{raw}}$$

$$\mathcal{C} = C_{\text{offset}}(p_T^{\text{raw}}) \cdot C_{\text{MC}}(p_T', \eta) \cdot C_{\text{rel}}(\eta) \cdot C_{\text{abs}}(p_T'')$$



CMS

## Collision Event at 7 TeV with 2 Pile Up Vertices

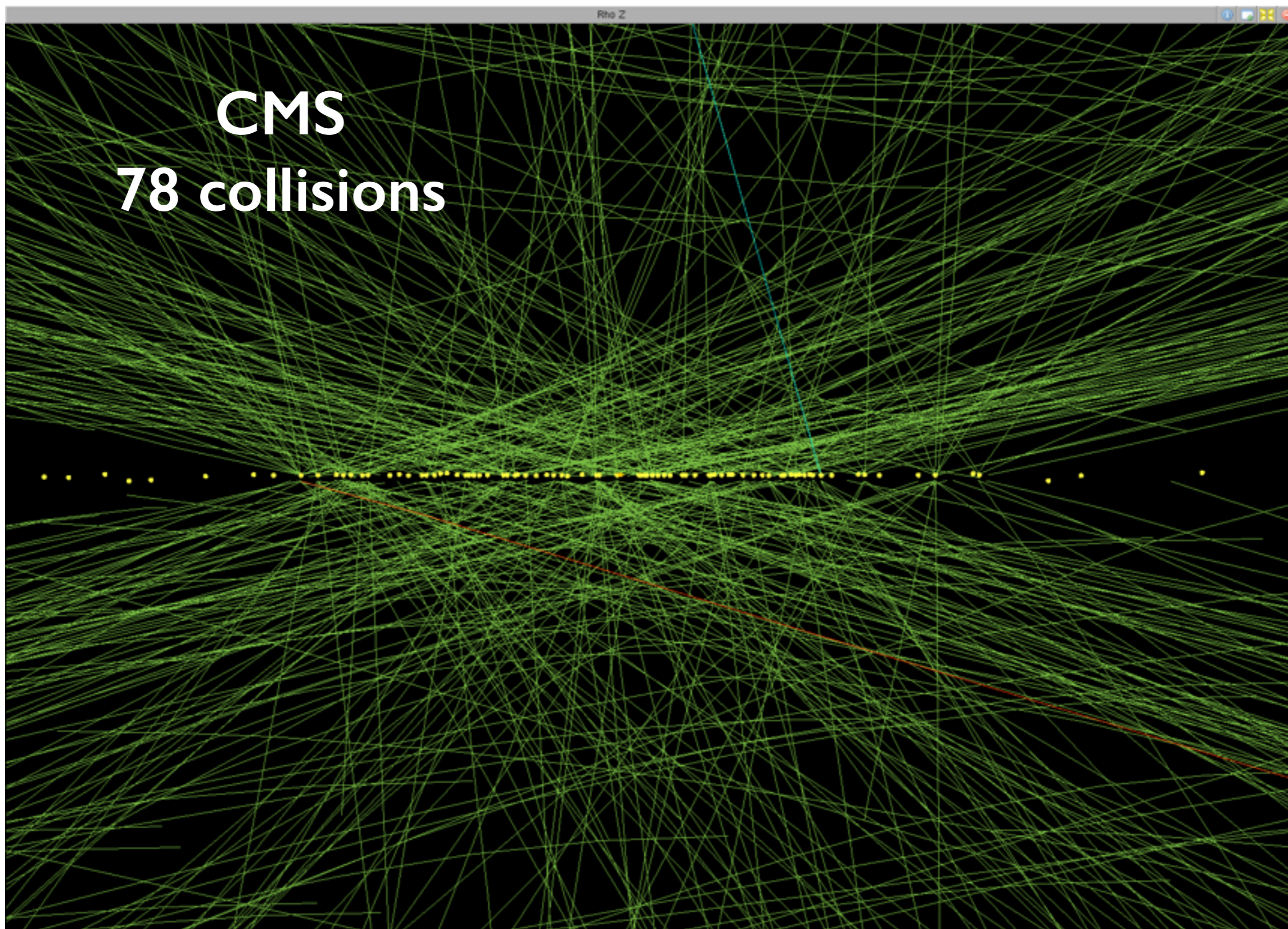


**ATLAS**  
**EXPERIMENT**

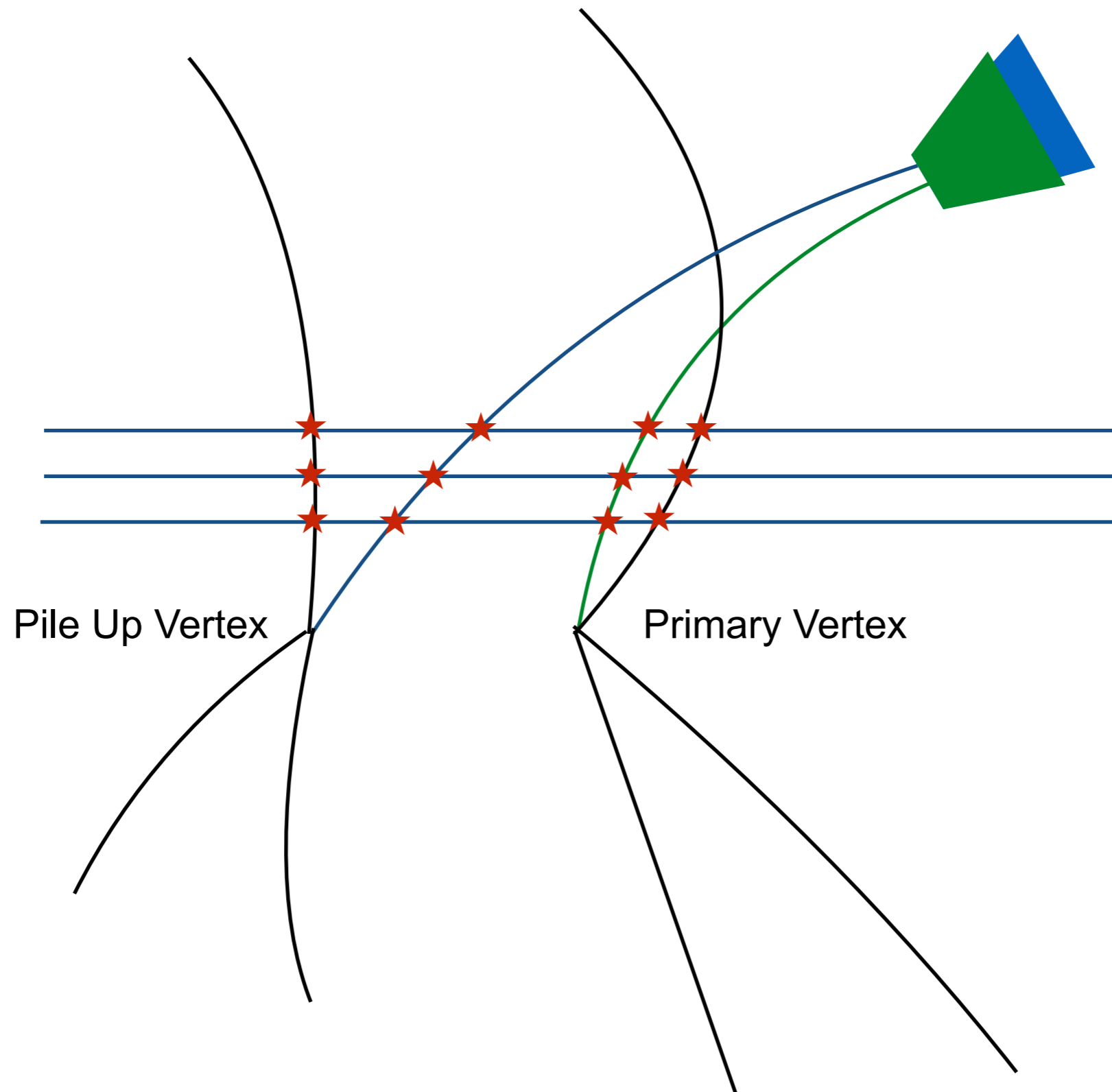
Run Number: 152166, Event Number: 467774

Date: 2010-03-30 13:31:46 CEST

<http://atlas.web.cern.ch/Atlas/public/EVTDISPLAY/events.html>



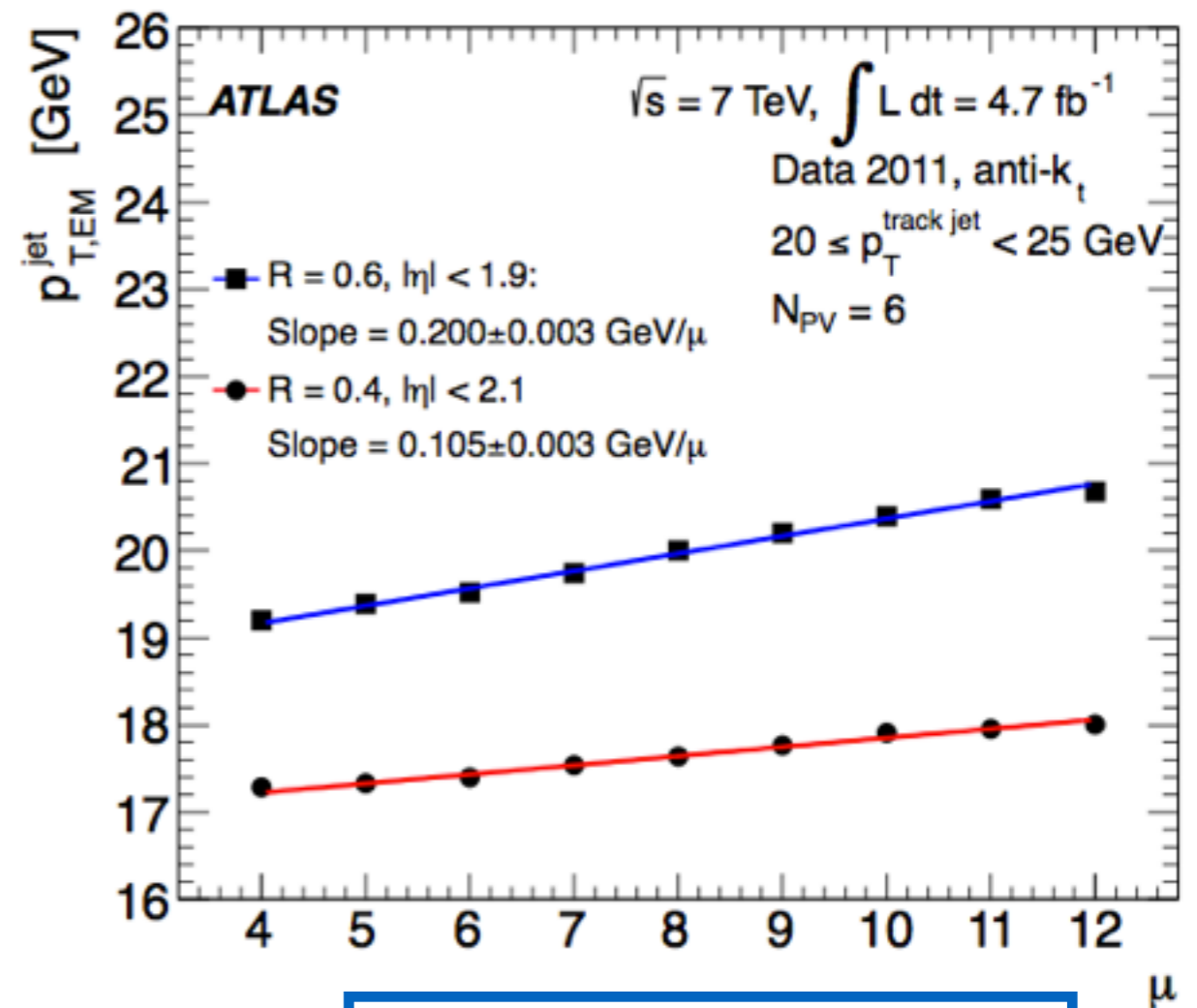
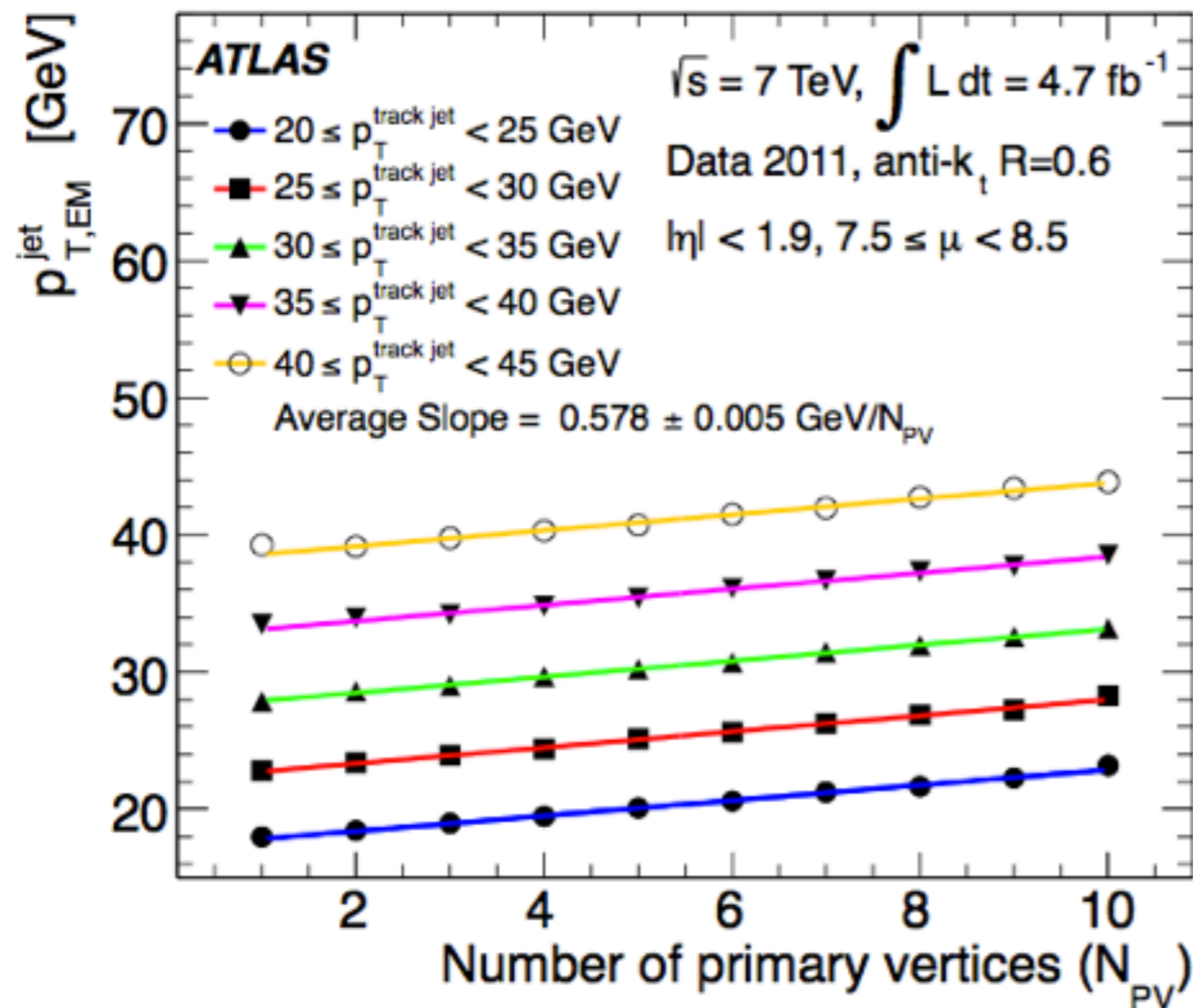
# Pile up



# Pile up Correction

In-time pile up activity depends on the number of **Primary Vertices (PVs)**  
 Out-of-time pile up activity depends on the average number of **PVs**

$$\mu = \frac{L \times \sigma_{\text{inel}}}{N_{\text{bunch}} \times f_{\text{LHC}}}$$



larger R, larger PU

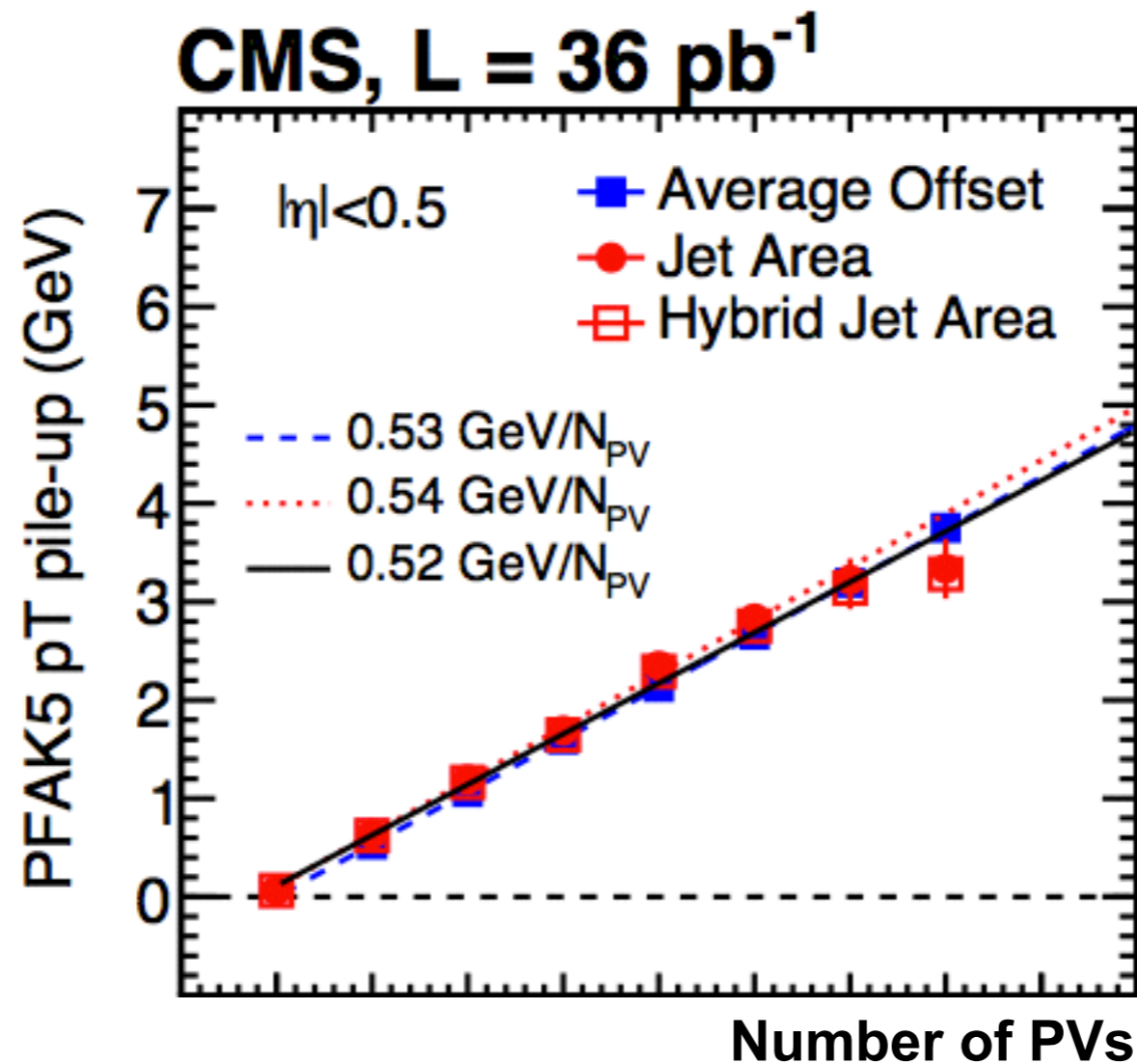
# Pile up Correction

Jet “independent” PU correction is also possible, e.g., **jet area method**.

- ➔ adding “infinite” number of **very soft** 4-momentum vectors to cluster jets
- jet area is defined ( $A_j$ ) as the space occupied by the very soft particles
- ➔ distribution of  $p_T^j/A_j$  is **related** to the PU activity

$$C_{\text{area}}(p_T^{\text{raw}}, A_j, \rho) = 1 - \frac{(\rho - \langle \rho_{\text{UE}} \rangle) \cdot A_j}{p_T^{\text{raw}}}$$

NPVs=1

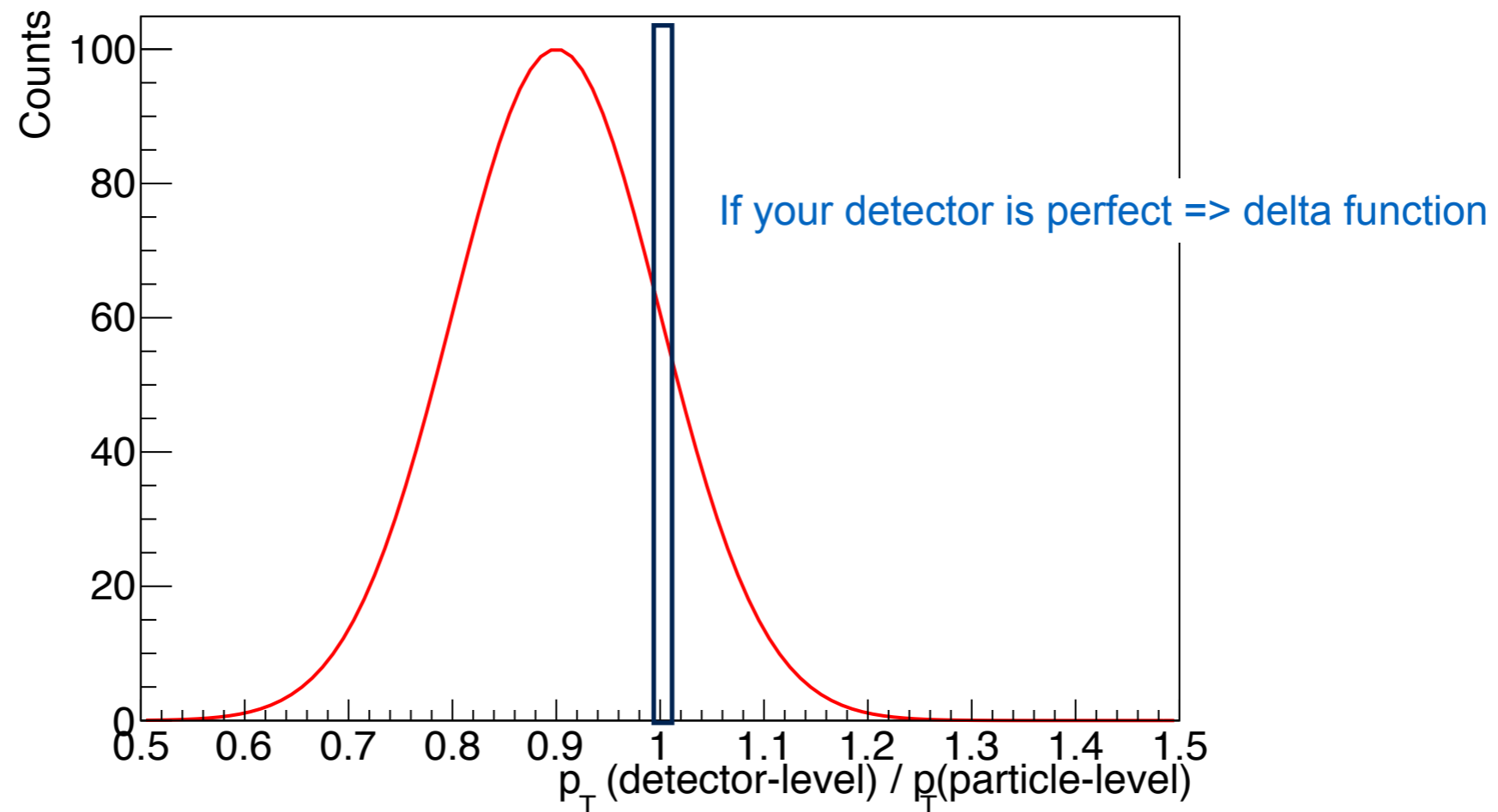


# Jet Energy Calibration - Simple view

Using simulation, we can match jets at “particle-level” and at “detector-level”



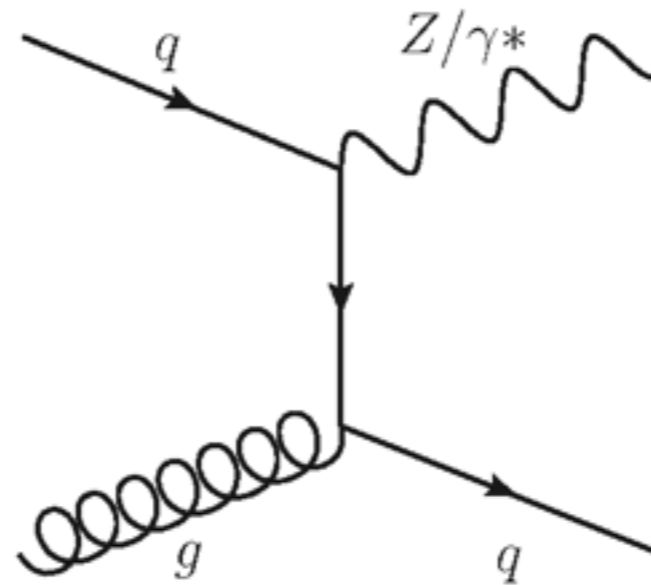
Calibration factor is taken from the ratio  $p_T(\text{detector-level})/p_T(\text{particle-level})$   
+ factor is applied to 4-momentum: angle biases needed to be checked



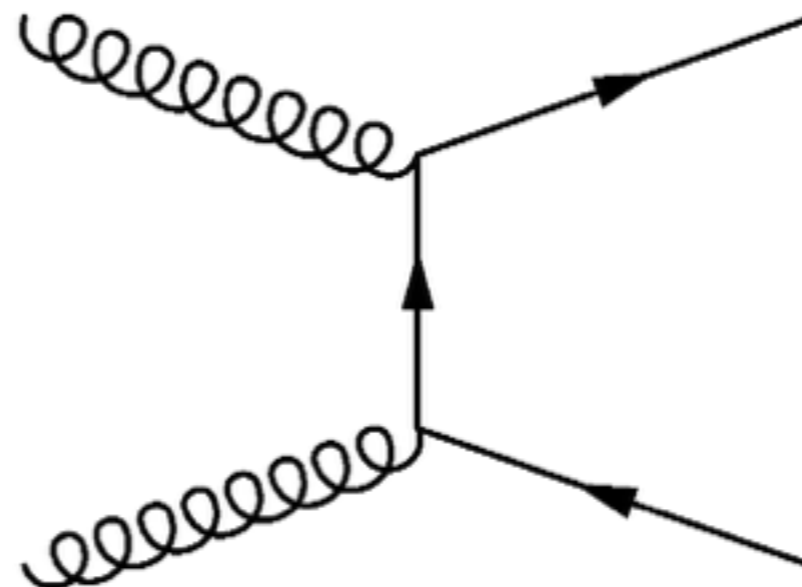
# Jet Energy Calibration - Samples

We do not want to be **simulation** dependent.

**Data-driven** methods are developed using production of **well calibrated object** with a jet  
**photon+jet or  $Z(\rightarrow\mu^+\mu^-/e^+e^-)+jet$**



**Two jet** production are also very useful for relative jet energy calibration





## Dijet sample

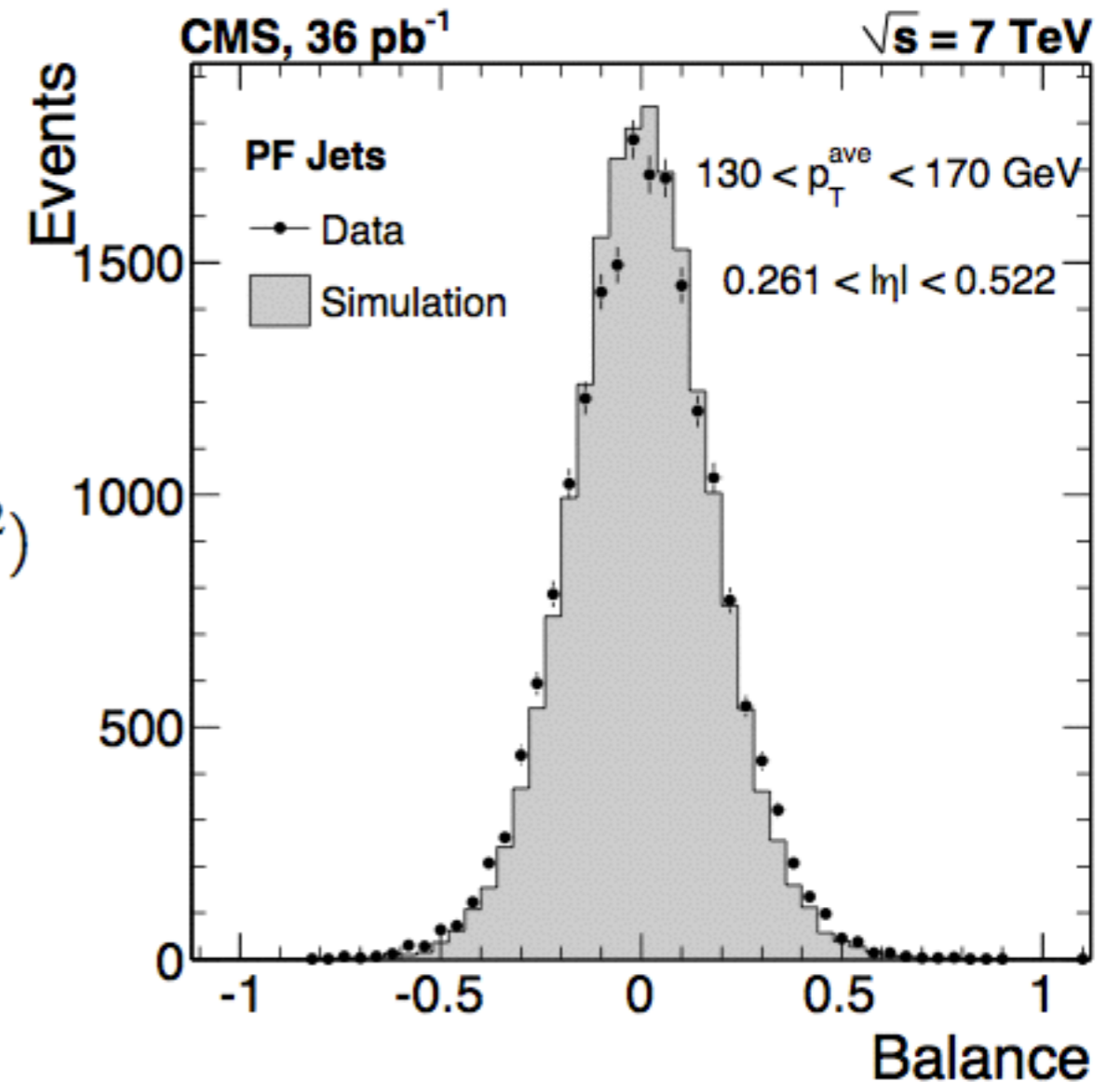
- ➔ Both objects are the subject for calibration - this sample can be used to calibrate one region of the detector **relative** to another one.
- ➔ Jet energy ( $p_T$ ) **resolution** can be measured

$$\mathcal{A} = \frac{p_T^{\text{Jet1}} - p_T^{\text{Jet2}}}{p_T^{\text{Jet1}} + p_T^{\text{Jet2}}}$$

$$\sigma_{\mathcal{A}}^2 = \left| \frac{\partial \mathcal{A}}{\partial p_T^{\text{Jet1}}} \right|^2 \cdot \sigma^2(p_T^{\text{Jet1}}) + \left| \frac{\partial \mathcal{A}}{\partial p_T^{\text{Jet2}}} \right|^2 \cdot \sigma^2(p_T^{\text{Jet2}})$$

$$\sigma(p_T) \equiv \sigma(p_T^{\text{Jet1}}) = \sigma(p_T^{\text{Jet2}})$$

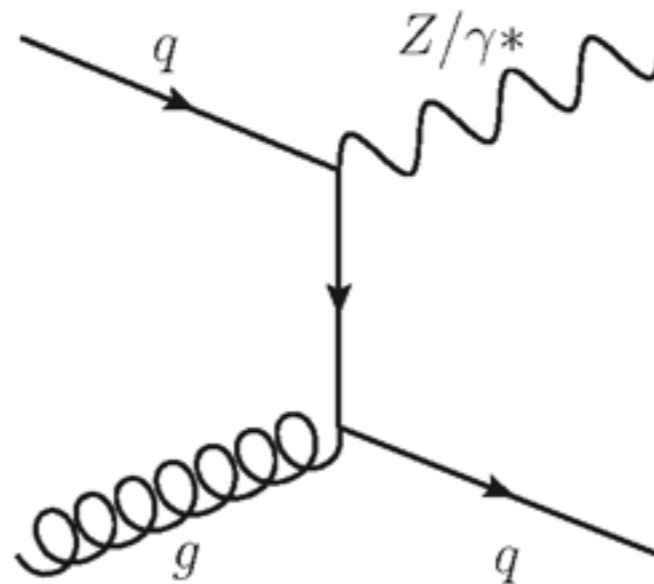
$$\frac{\sigma(p_T)}{p_T} = \sqrt{2} \sigma_{\mathcal{A}}$$



## $\gamma/Z$ +jet

The reference object energy resolution is much better than the jet energy resolution.

- ➔ At LO, the  $\gamma/Z$  is balanced with the parton that **originates** the jet.
- ➔ Missing transverse energy projection fraction (MPF) is used to include effects like:
  - **additional** parton radiation
  - **underlying-event (UE)** contribution
  - **out-of-cone** contribution



## $\gamma/Z$ +jet

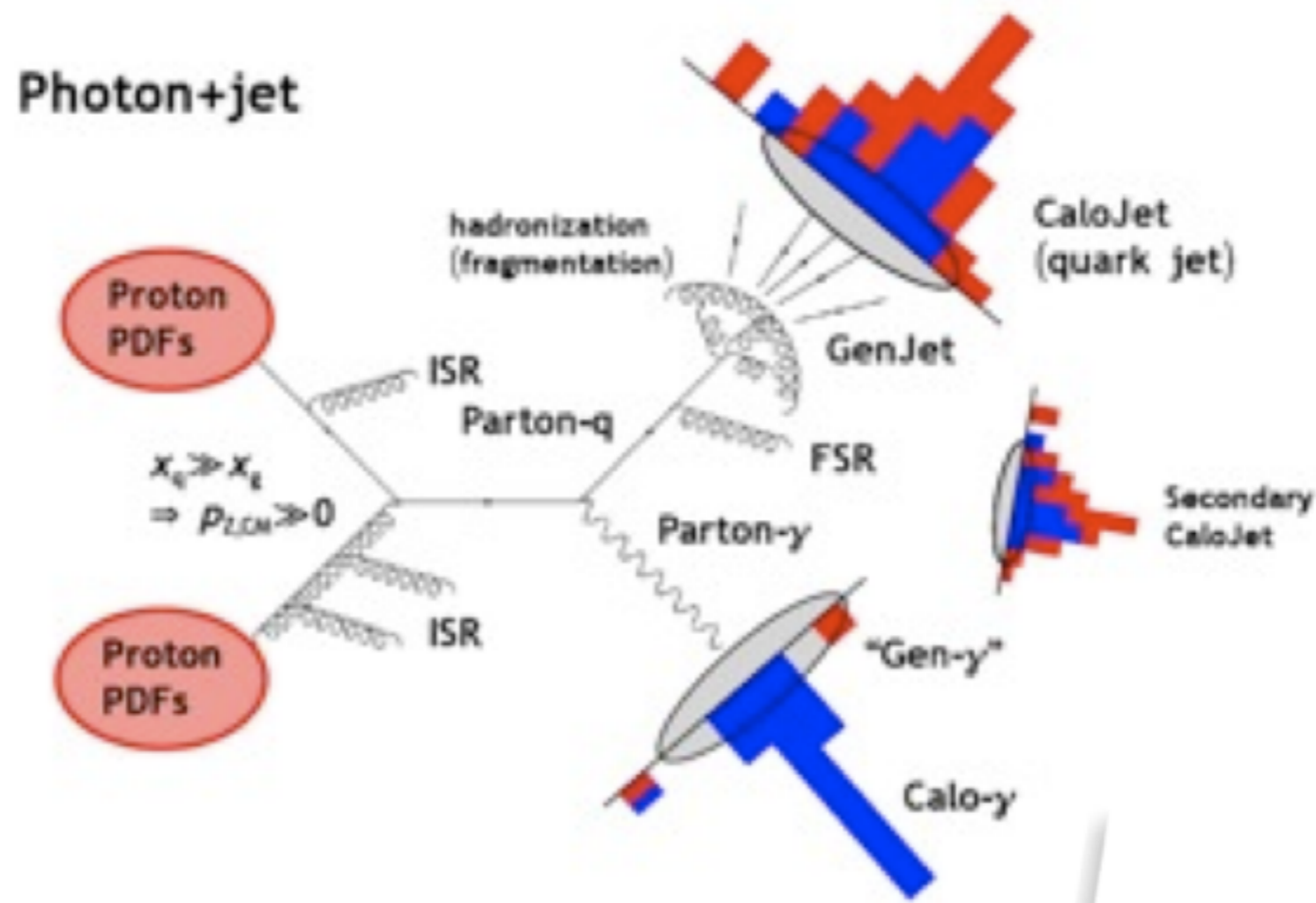
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$$\vec{p}_T^{\gamma,Z} + \vec{p}_T^{\text{recoil}} = 0.$$

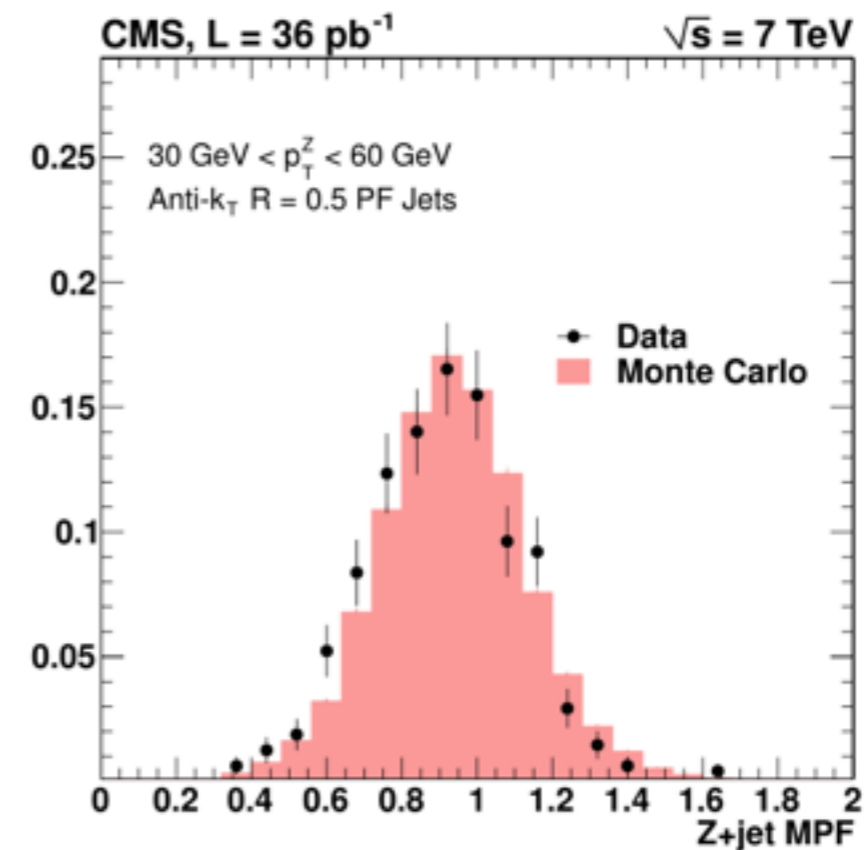
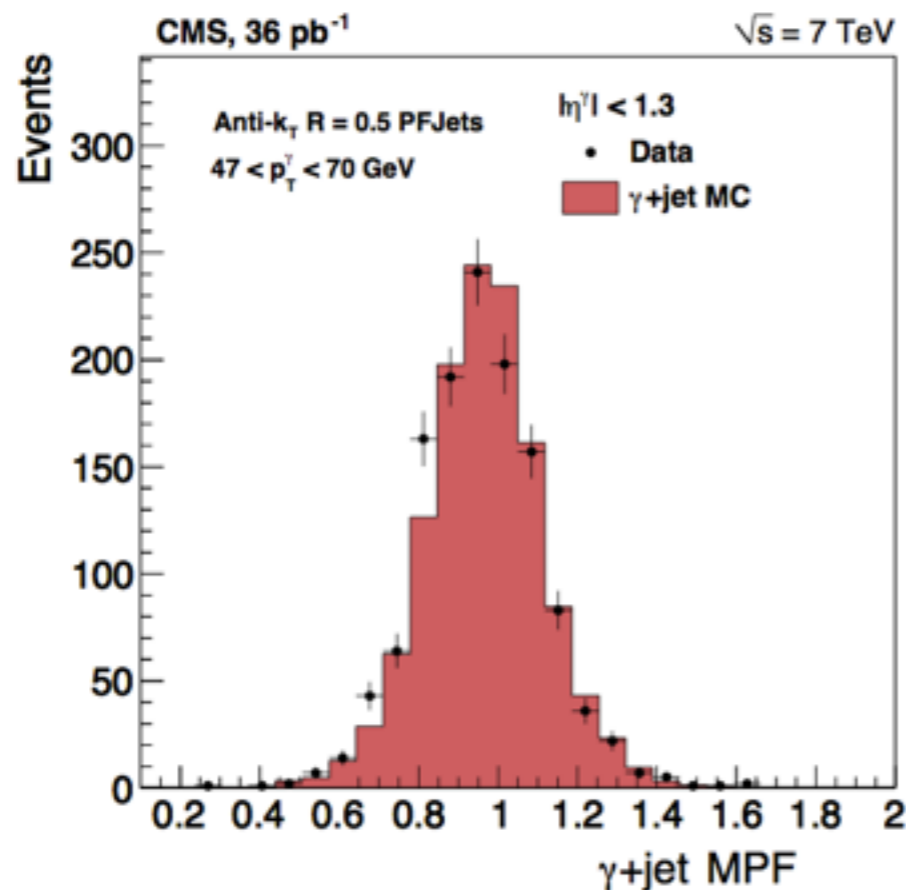
$$R_{\gamma,Z} \vec{p}_T^{\gamma,Z} + R_{\text{recoil}} \vec{p}_T^{\text{recoil}} = -\vec{\cancel{E}}_T,$$

$$R_{\text{recoil}} = R_{\gamma,Z} + \frac{\vec{\cancel{E}}_T \cdot \vec{p}_T^{\gamma,Z}}{(p_T^{\gamma,Z})^2} \equiv R_{\text{MPF}}.$$

## $\gamma/Z$ +jet

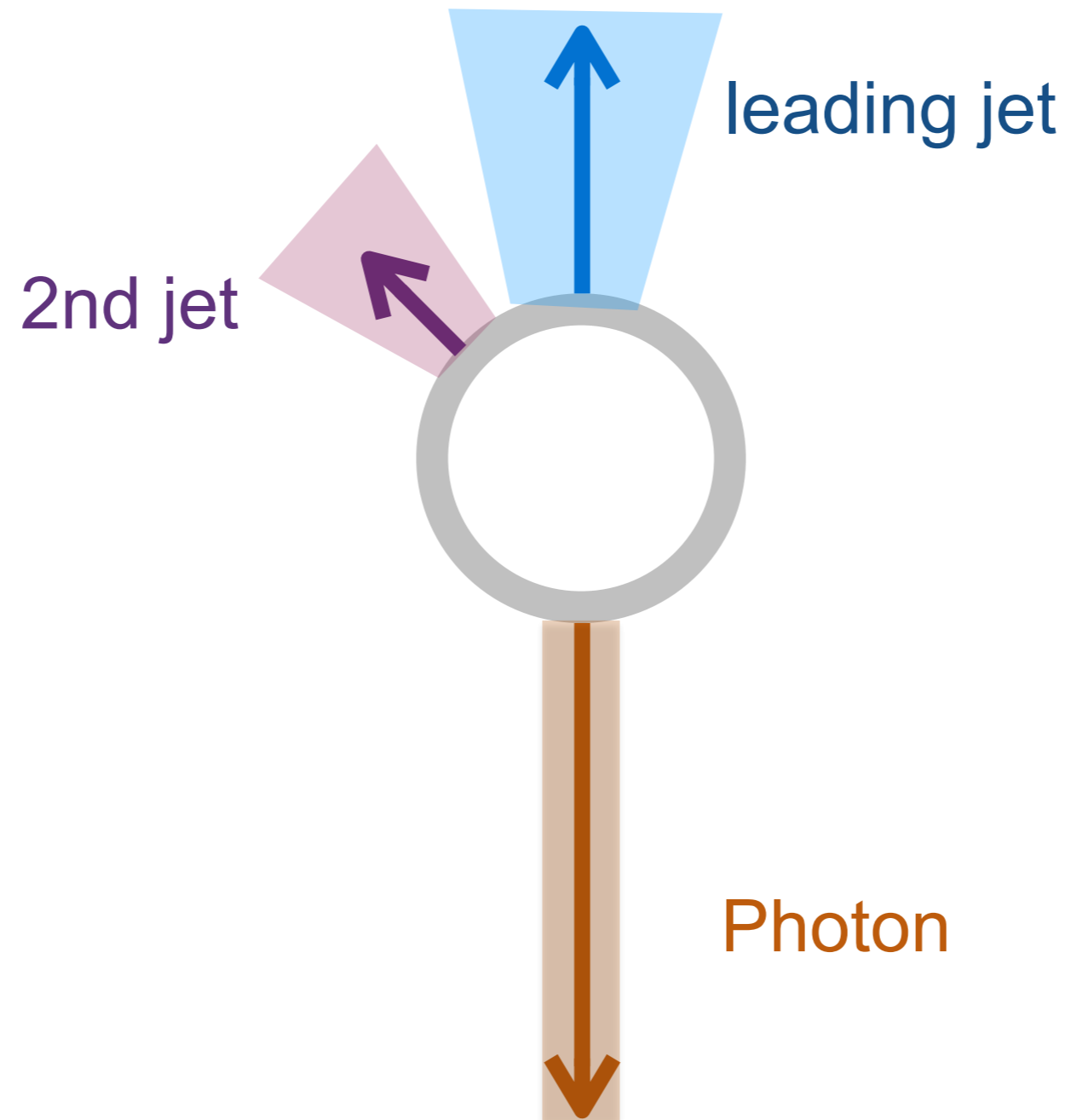
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# Jet Energy Calibration - ISR/FSR

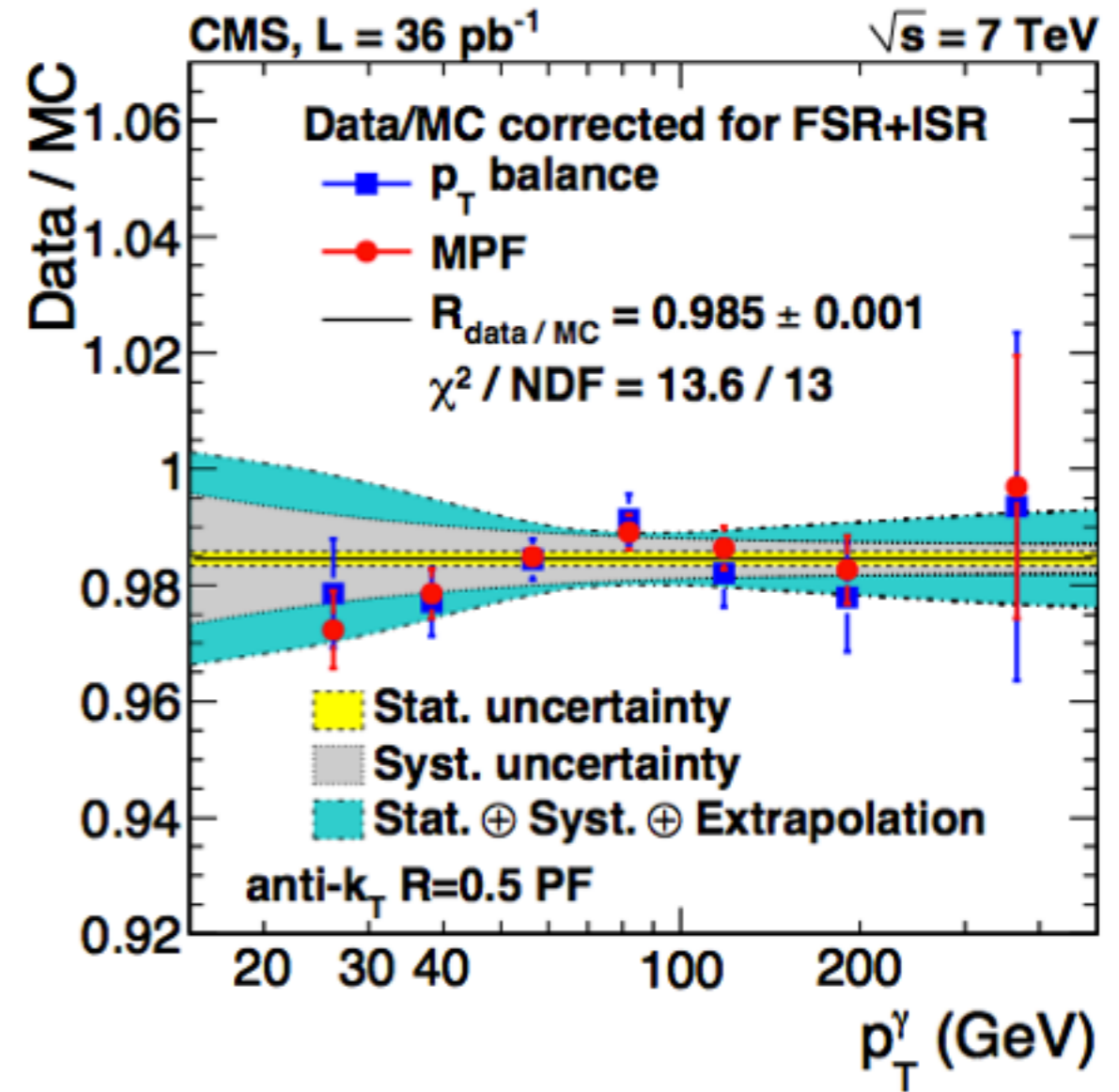
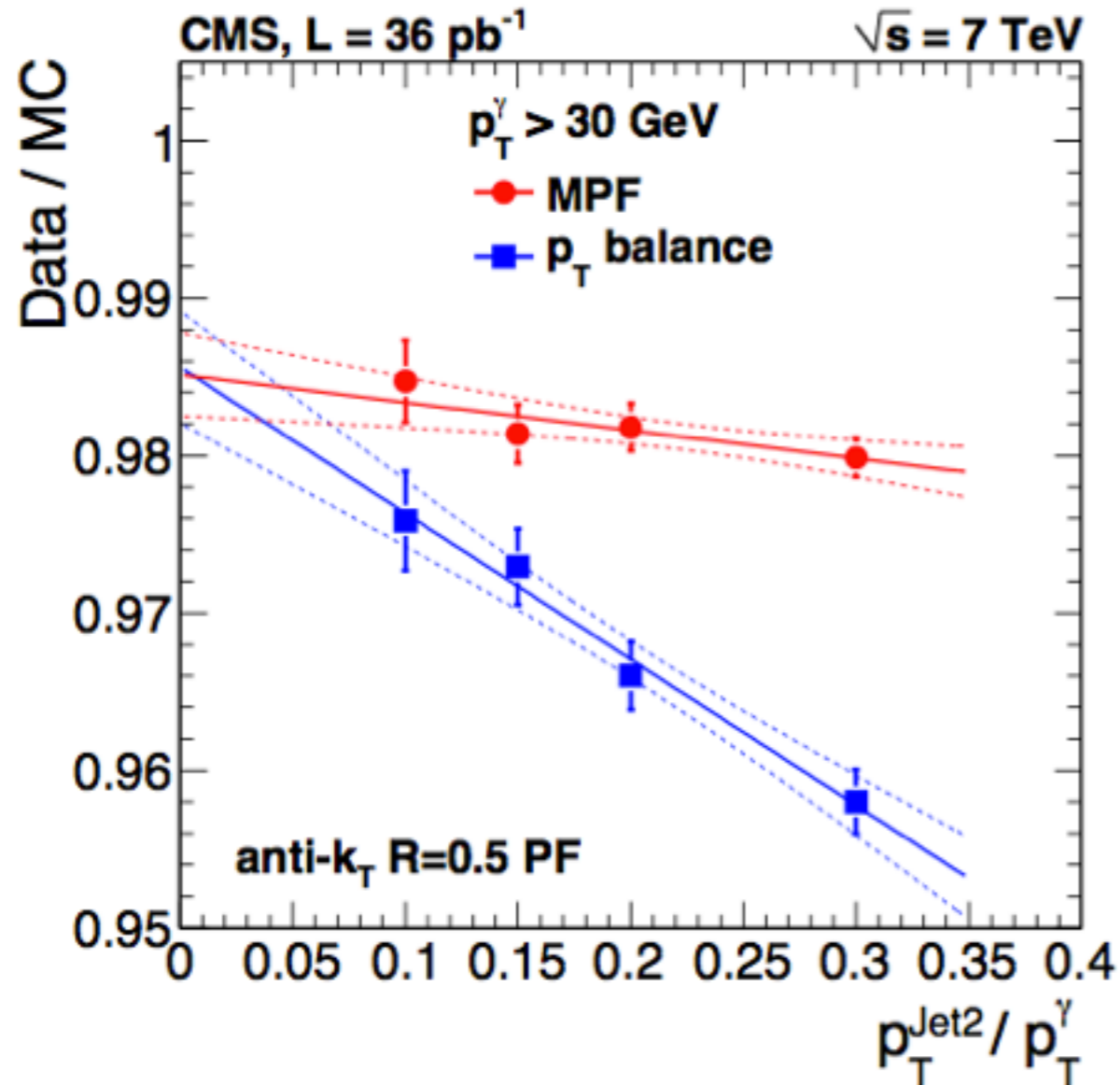
By vetoing **additional** jets in the sample ( $p_T^{\text{Jet2}} > \alpha p_T^{\gamma}$ ),  
the effect of initial and final parton **radiation** can be studied





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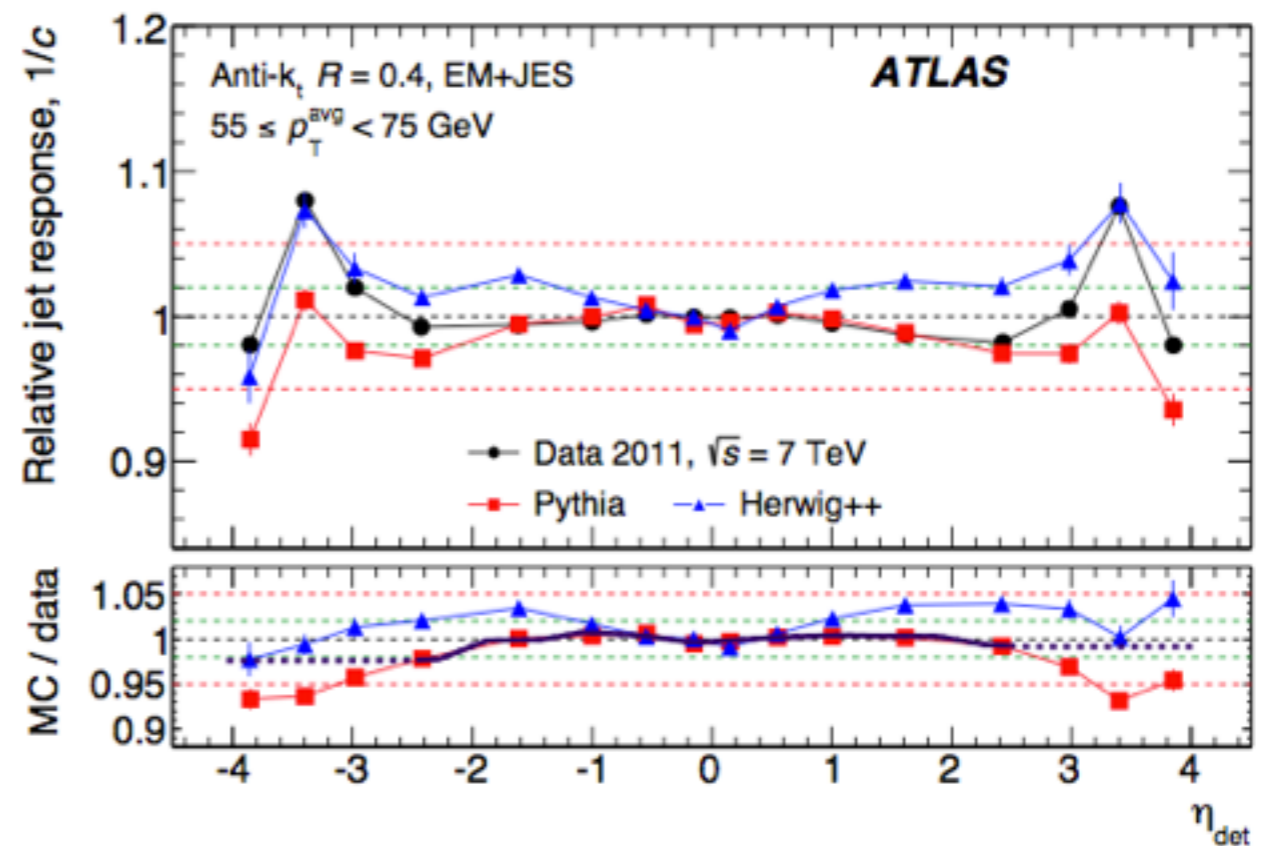
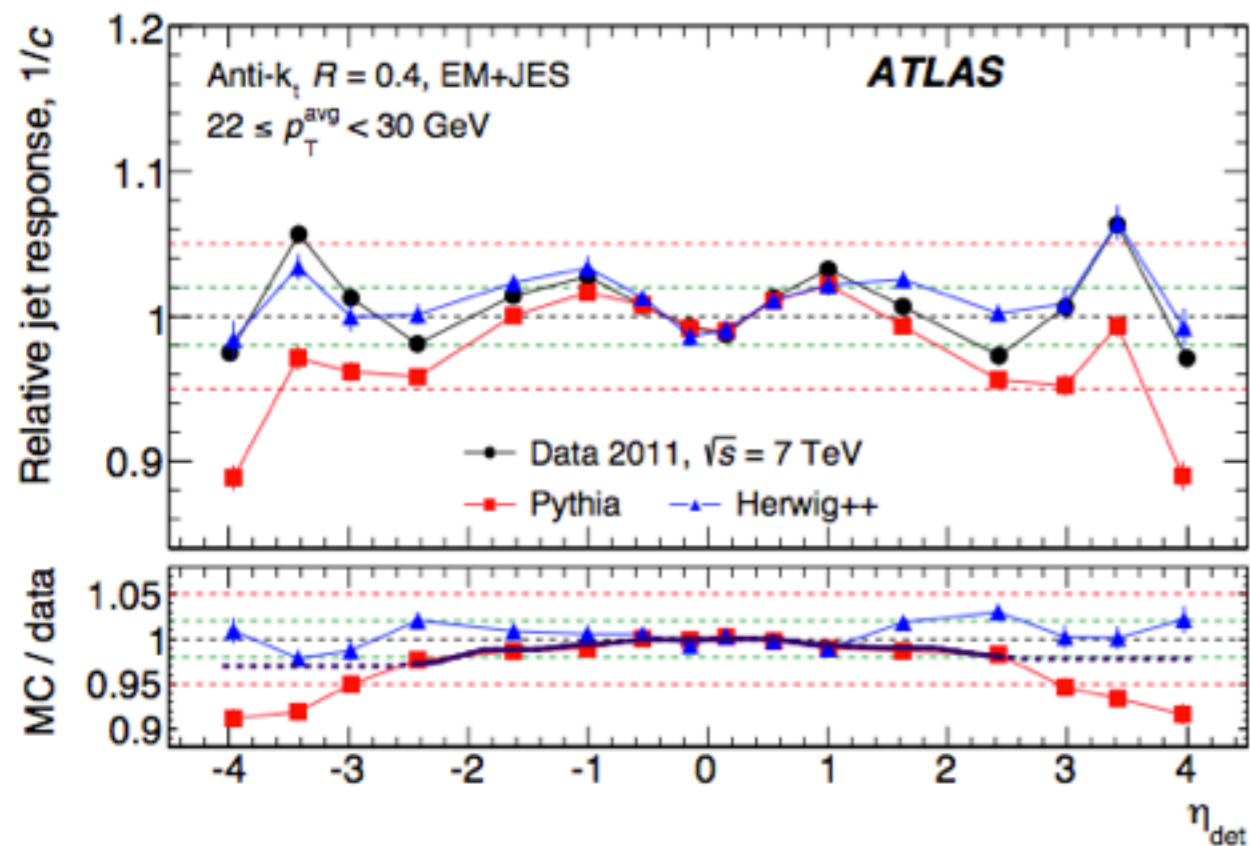


# Residual Correction

Calibration derived in data may need to be corrected by residual effects

⇒ data-to-MC differences

⇒ different MC can provide different corrections

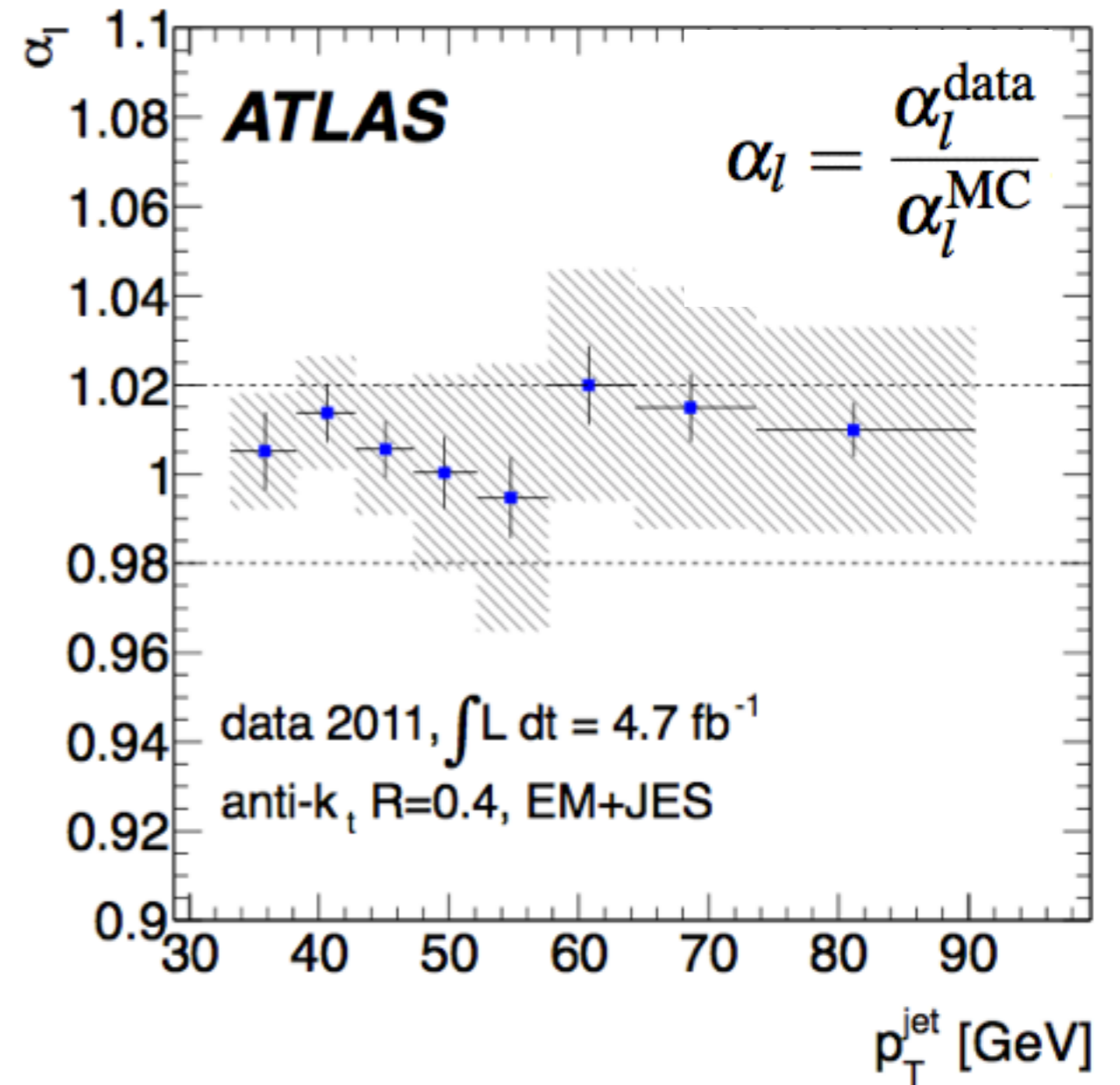
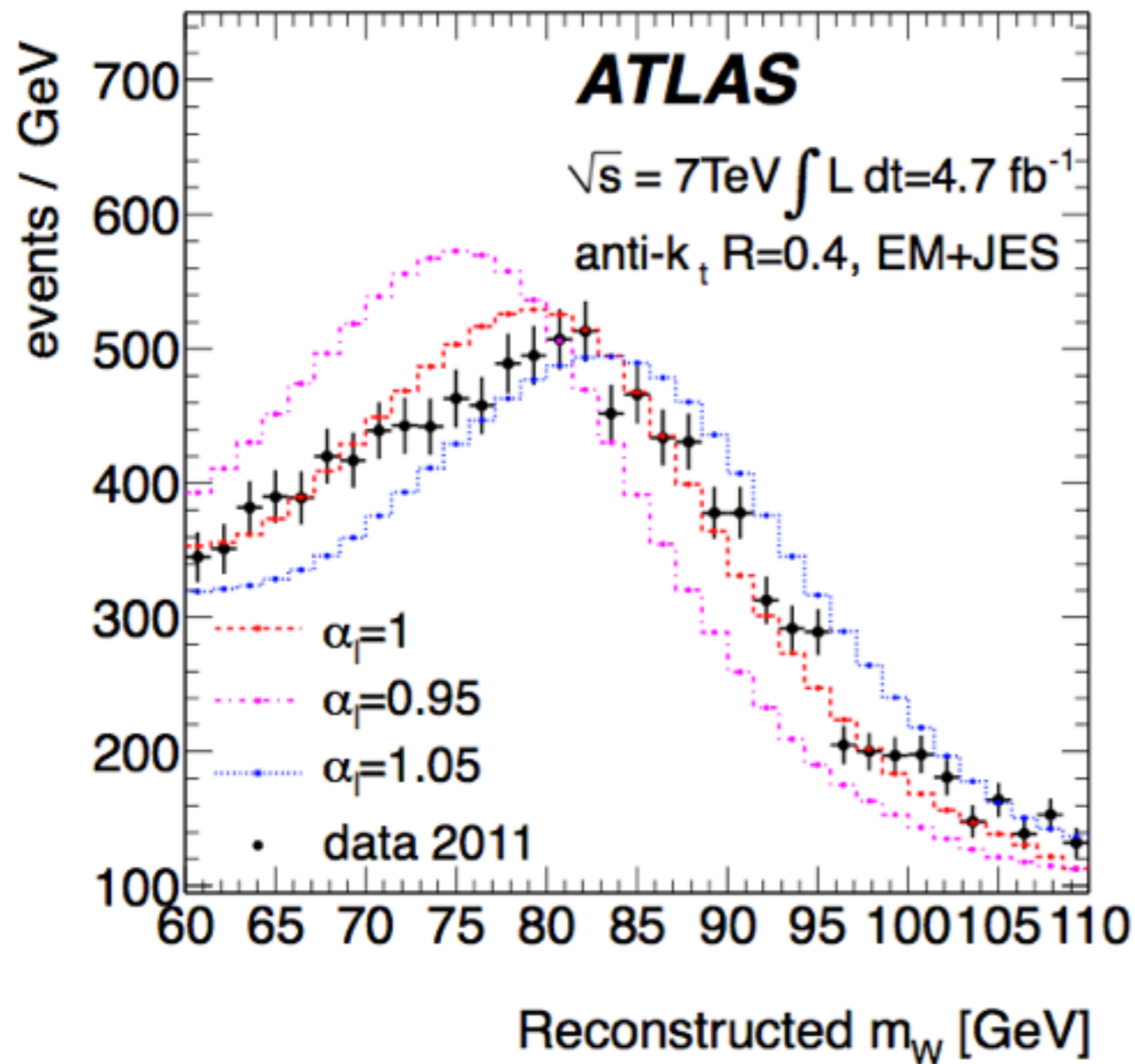


# Sanity check using $W \rightarrow \text{jets}$

Good knowledge of the W boson mass can be used to test the jet energy calibration

⇒ W from **top quark** decay

⇒ **sensitive** to jets originating from **quarks**

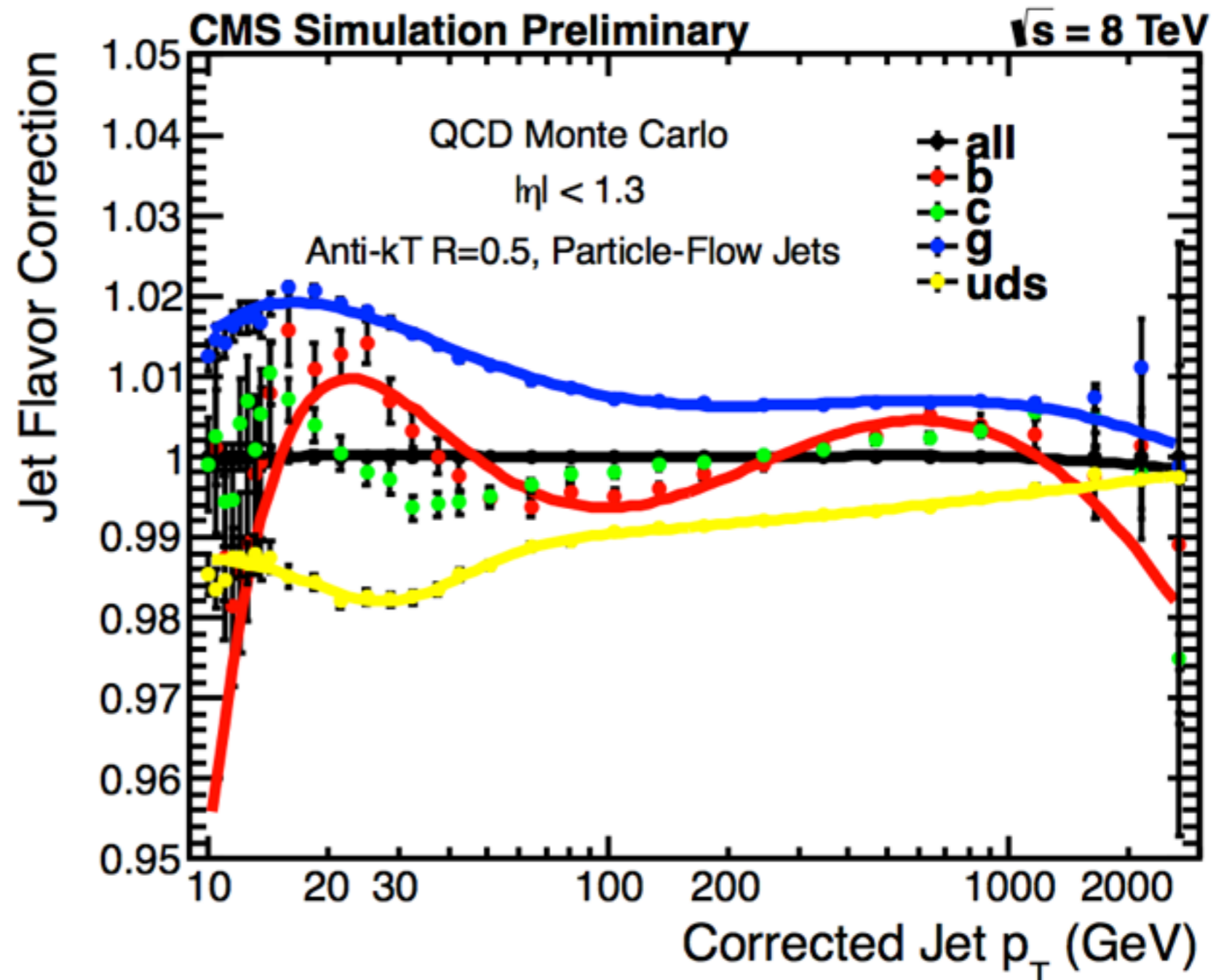


# Jet Calibration - Flavour dependence

How can the calibration vary by changing the initial parton **flavour** (gluon)?

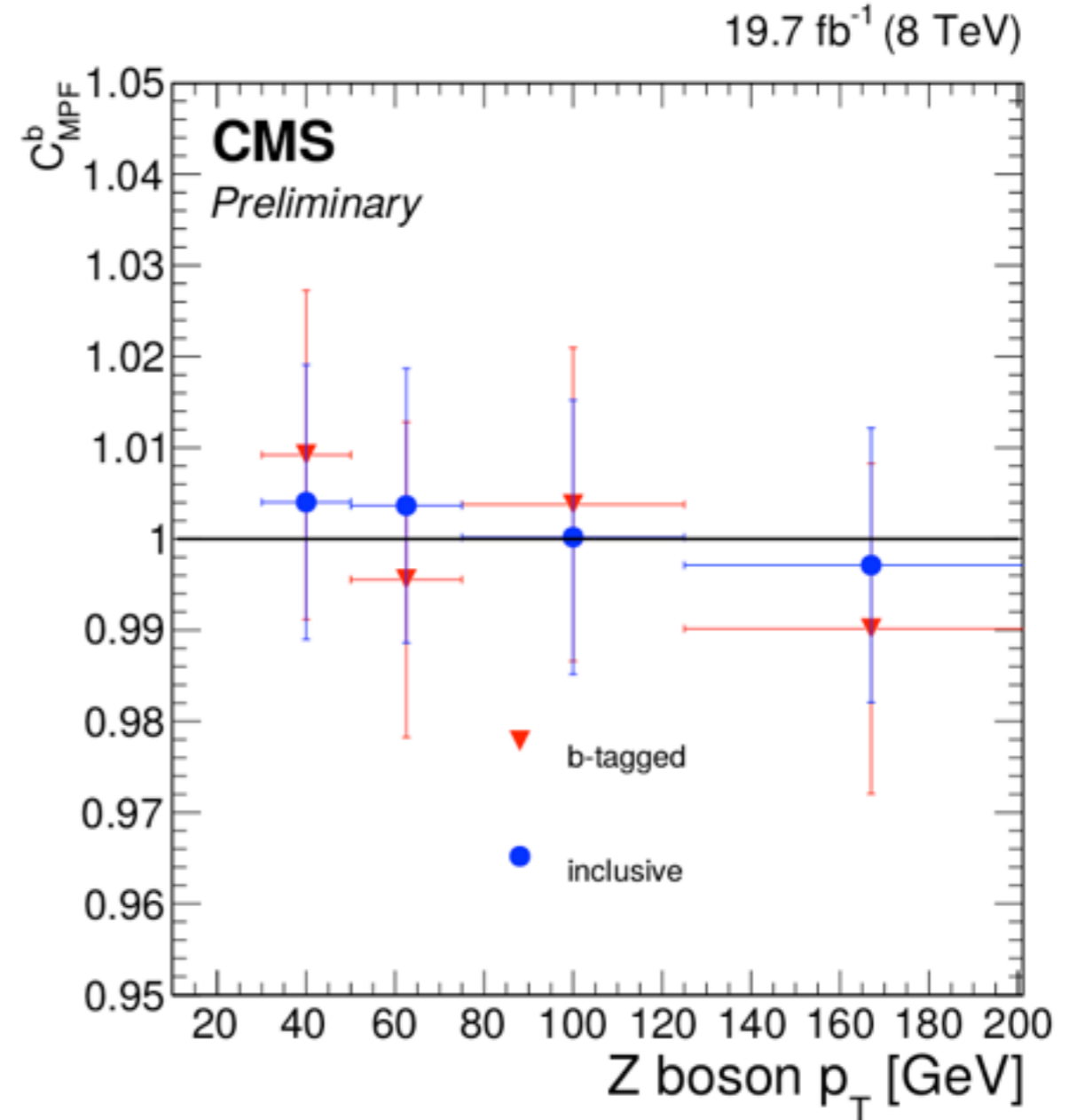
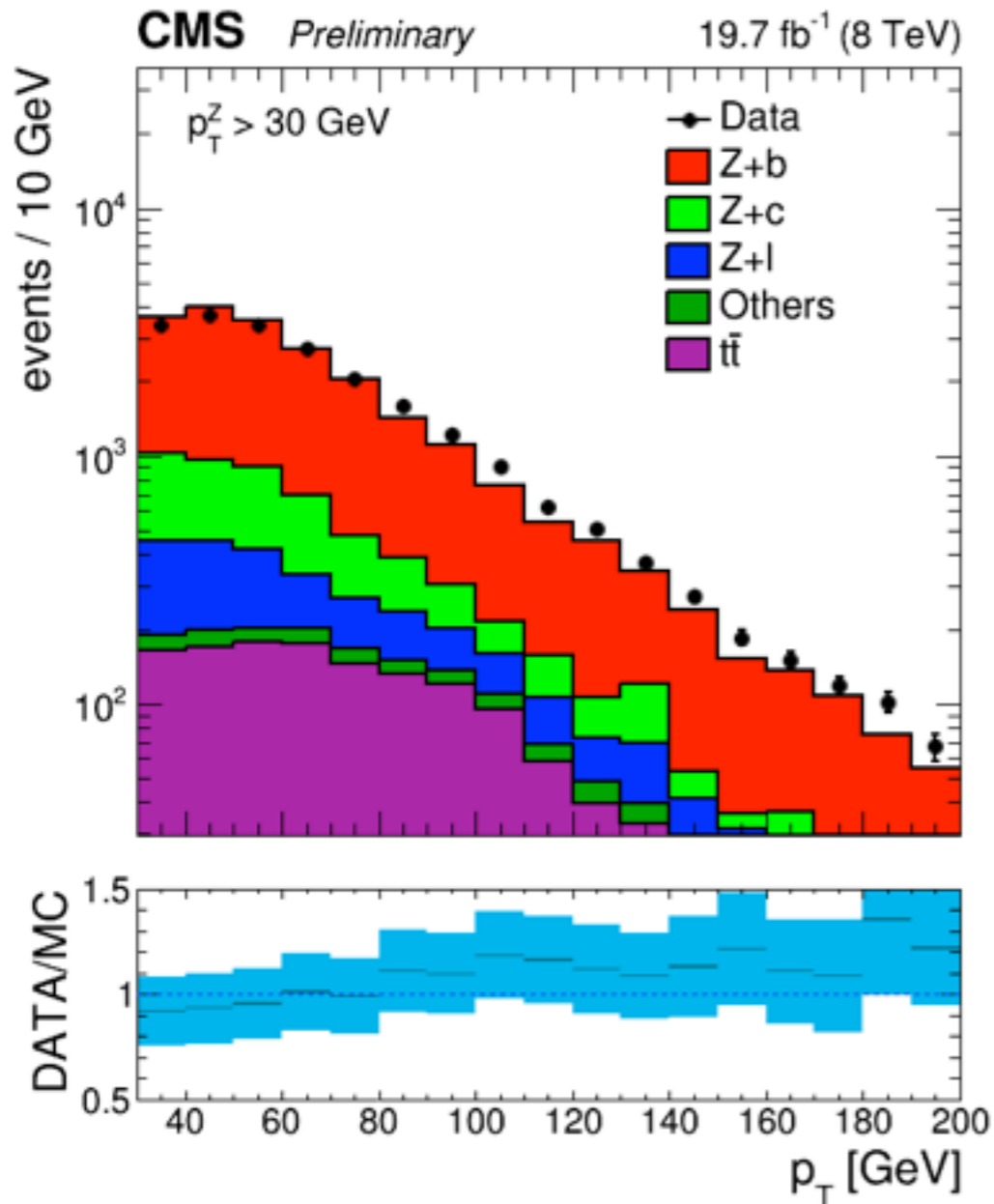
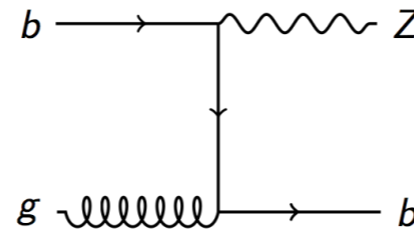
⇒ Usually no extra correction is applied

⇒ Differences go to the systematic error of the calibration



# Jet Calibration for b-jets

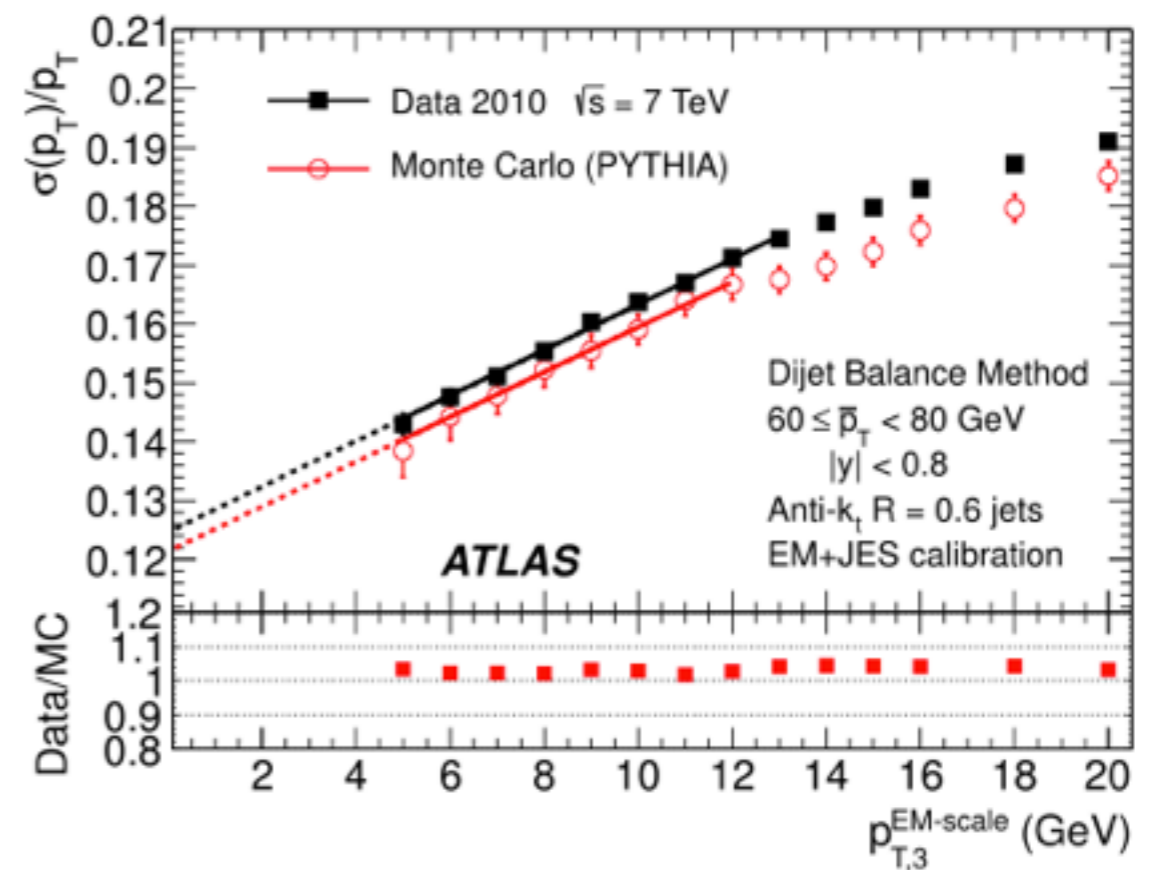
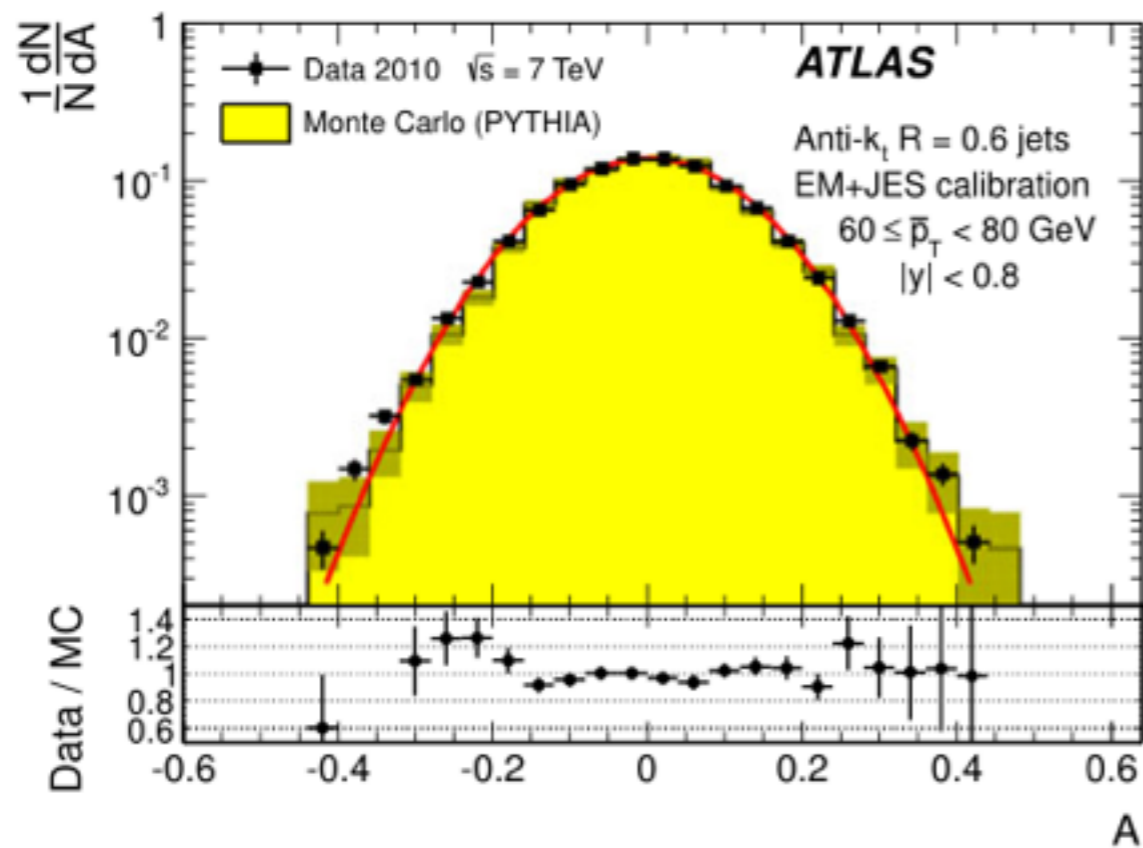
⇒ Using a data sample enriched in b-jets, one can check possible additional corrections



# Jet $p_T$ resolution

In dijet events, asymmetry distribution provides information about the jet energy resolution

- ◉ Extra activity affects the resolution
  - ⇒ resolution is evaluated with different **veto thresholds** of a third jet in the event
- ◉ Contribution from **balance** between “particle-jets” need to be considered



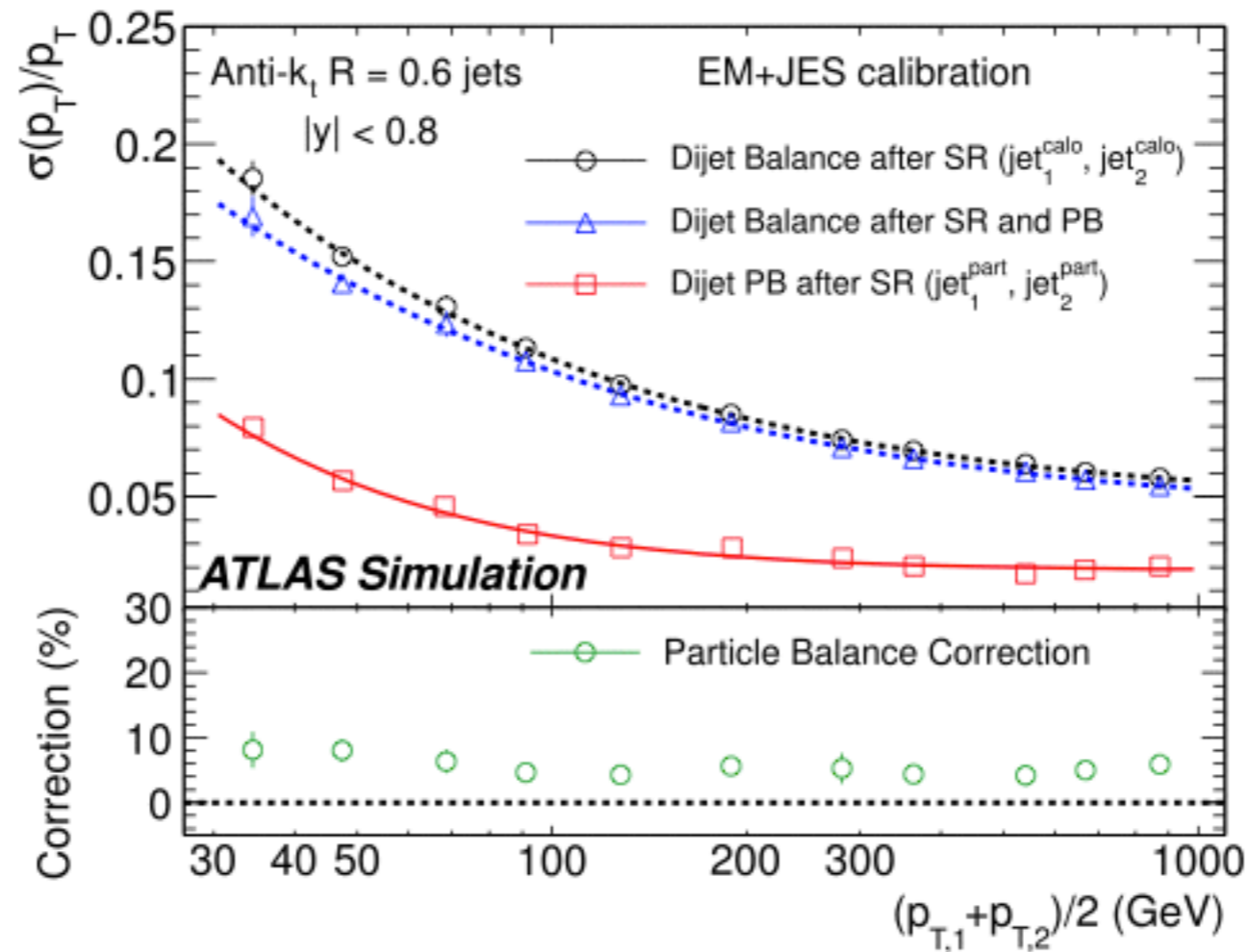
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# Unfolding

- To **compare** with theory, one needs to **unfold** measured distribution
- ➔ correction for **bin migration** effects due to detector resolution
  - ➔ **non-trivial** mathematical operation

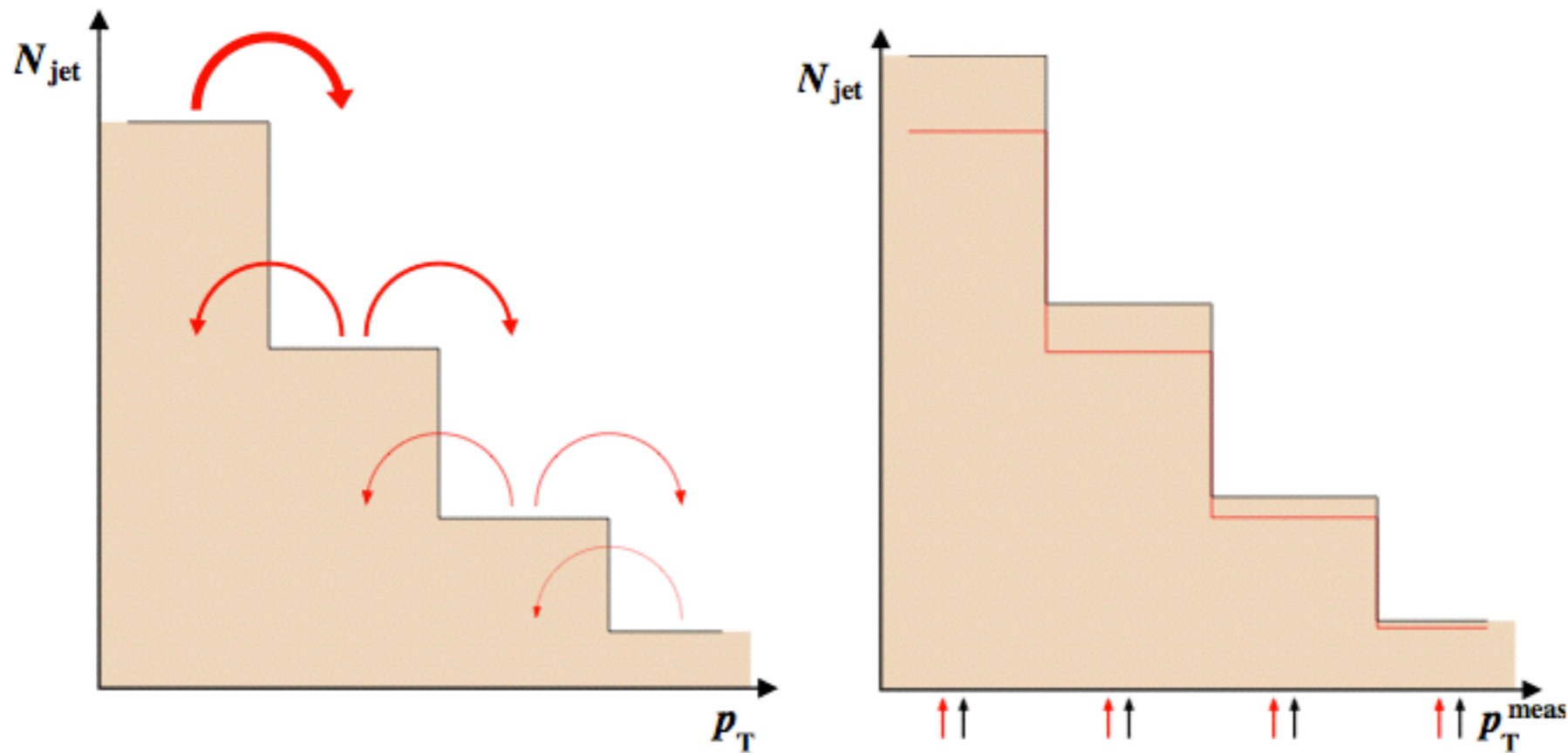
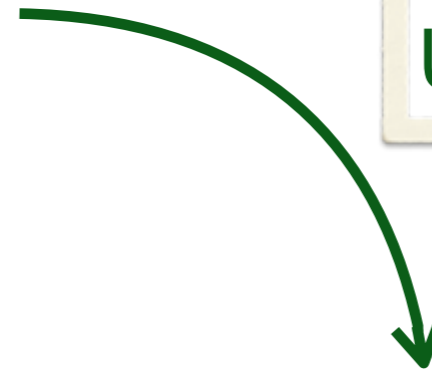


Figure from Mikko Voutilainen





Calibration  
Correction  
Unfolding



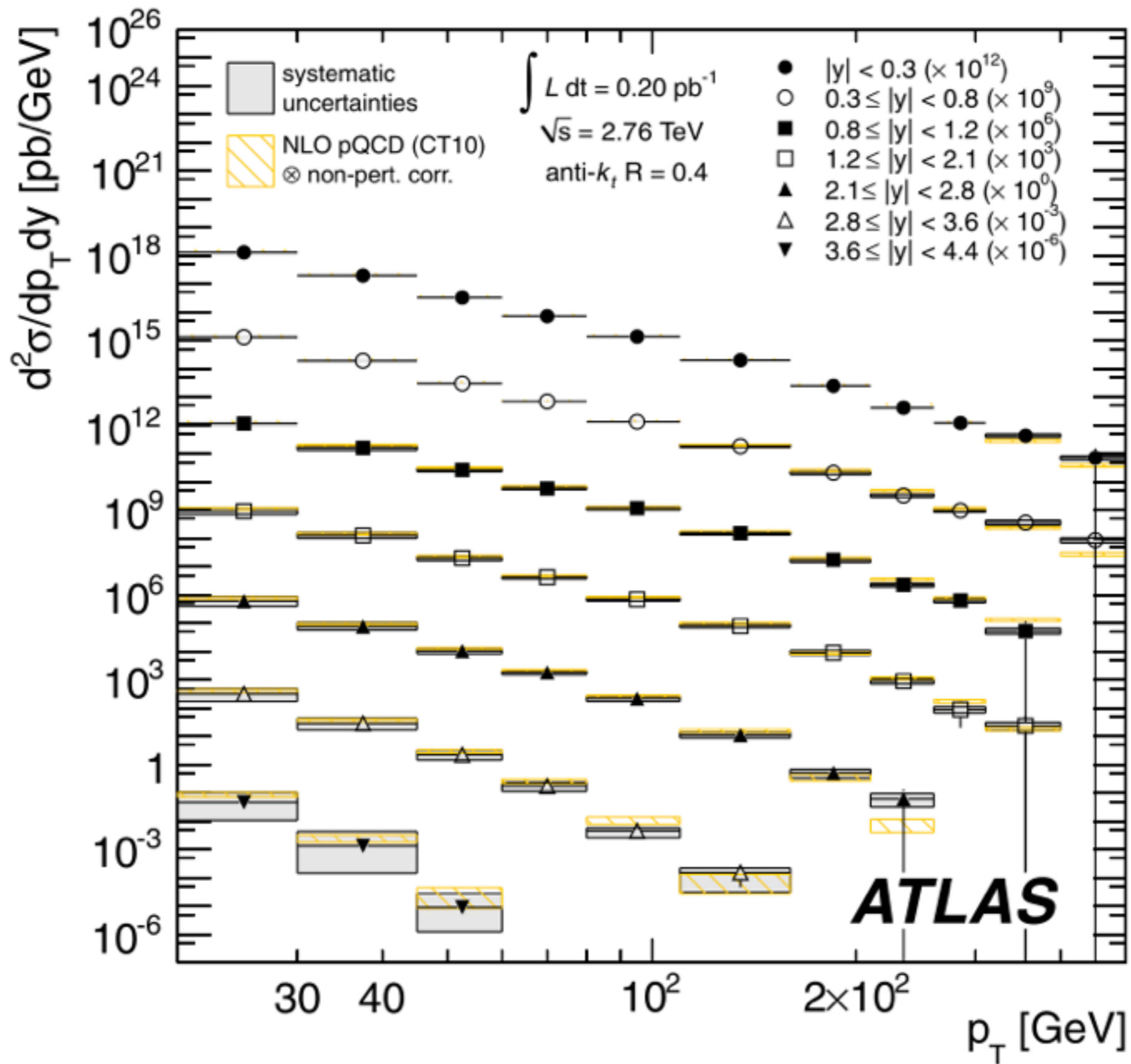
# Measurement



Calibration  
Correction  
Unfolding



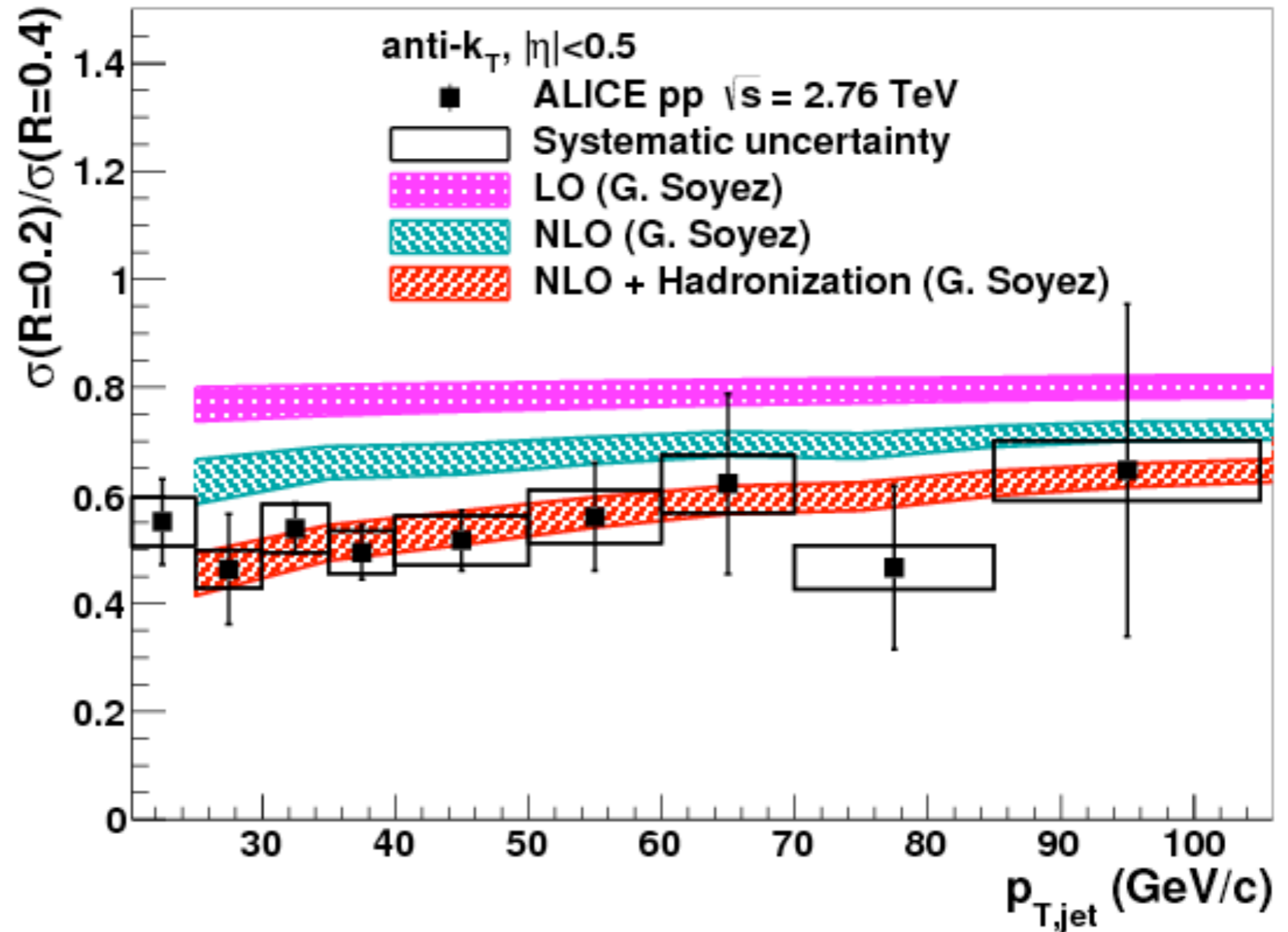
# Measurement



24 orders of magnitude

How the jet reconstruction parameter (R) affects cross section?

$$\mathcal{R}(p_t; R_1, R_2) = \frac{\frac{d\sigma}{dp_t}(R = R_1)}{\frac{d\sigma}{dp_t}(R = R_2)}$$

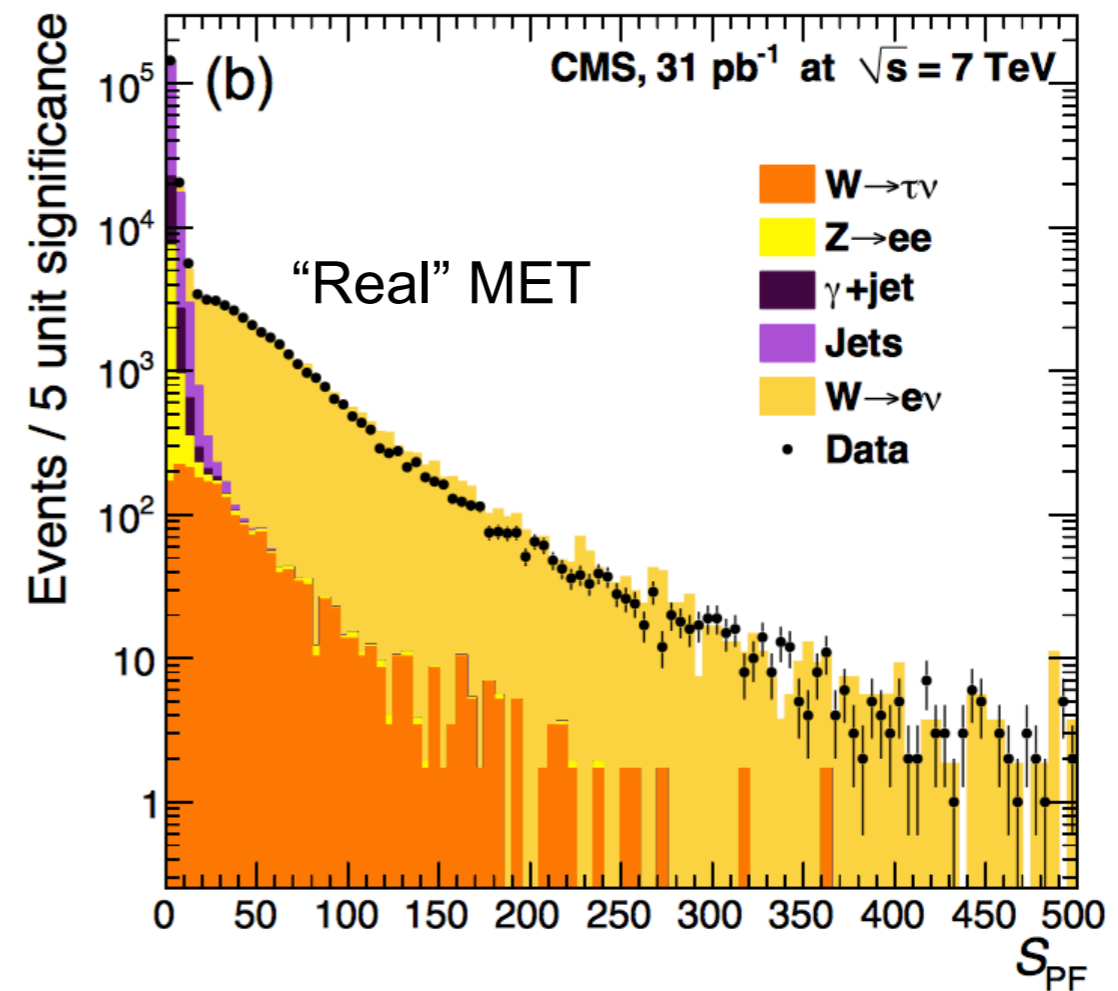
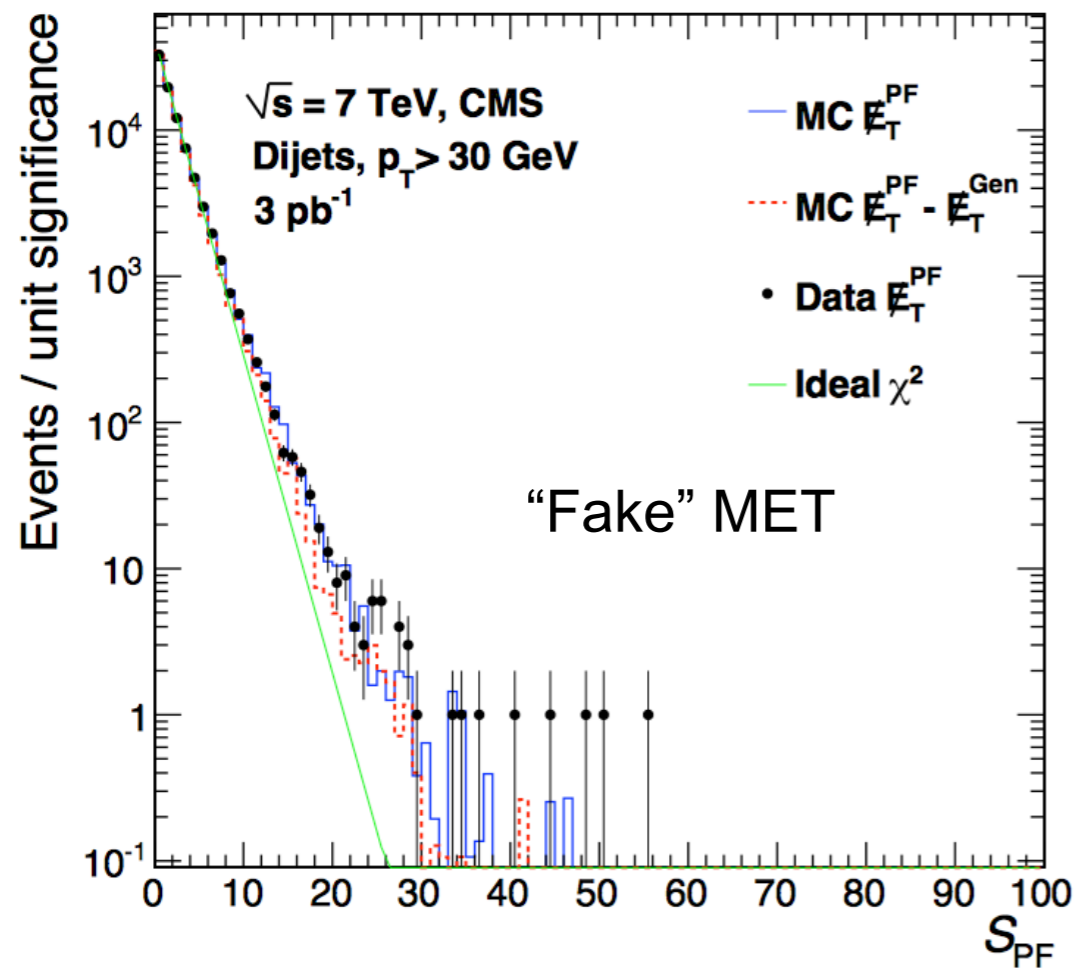


⊙ pQCD calculation considers the ratio directly, rather than each distribution separately, making the calculated ratio effectively **one perturbative** order higher than the individual cross sections

# Missing Transverse Energy

Neutrinos and dark matter particles are identified with MET

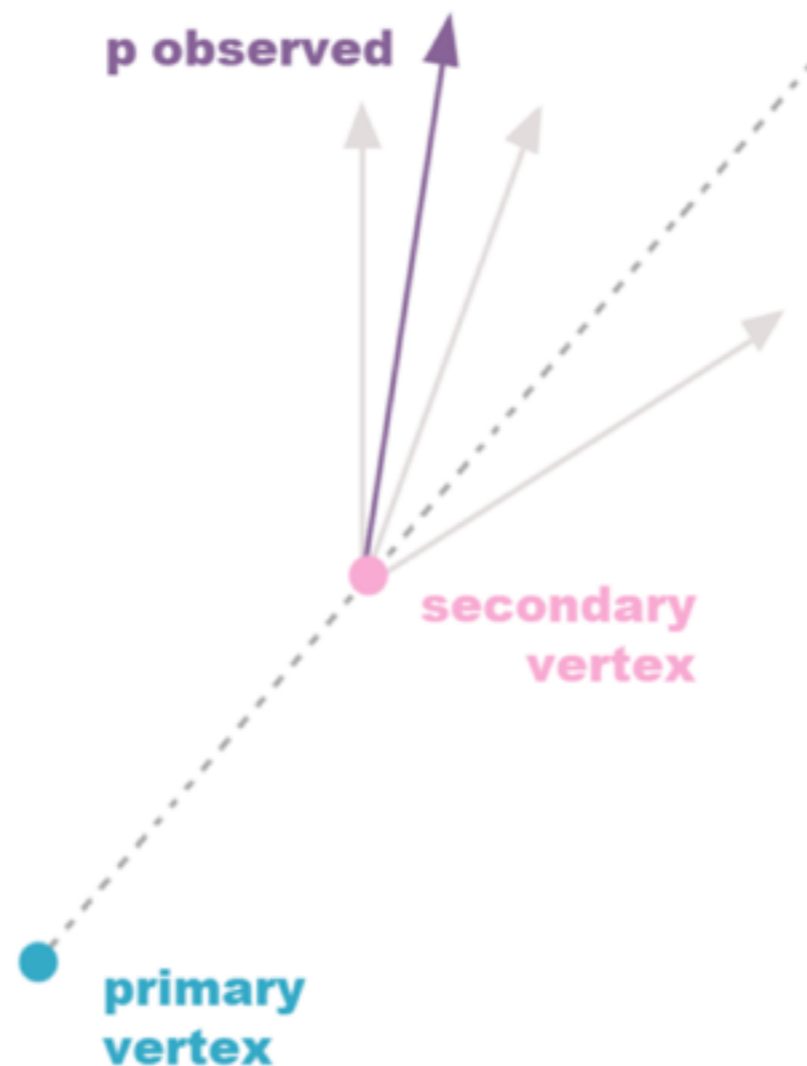
- ➔ Use of **calibrated** objects: muons, photons, electrons, **jets**
- ➔ **Pileup** robust strategy
- ➔ Resolution can be used to quantify MET consistency



$$\mathcal{S} \equiv 2 \ln \left( \frac{\mathcal{L}(\vec{\epsilon} = \sum \vec{\epsilon}_i)}{\mathcal{L}(\vec{\epsilon} = 0)} \right)$$

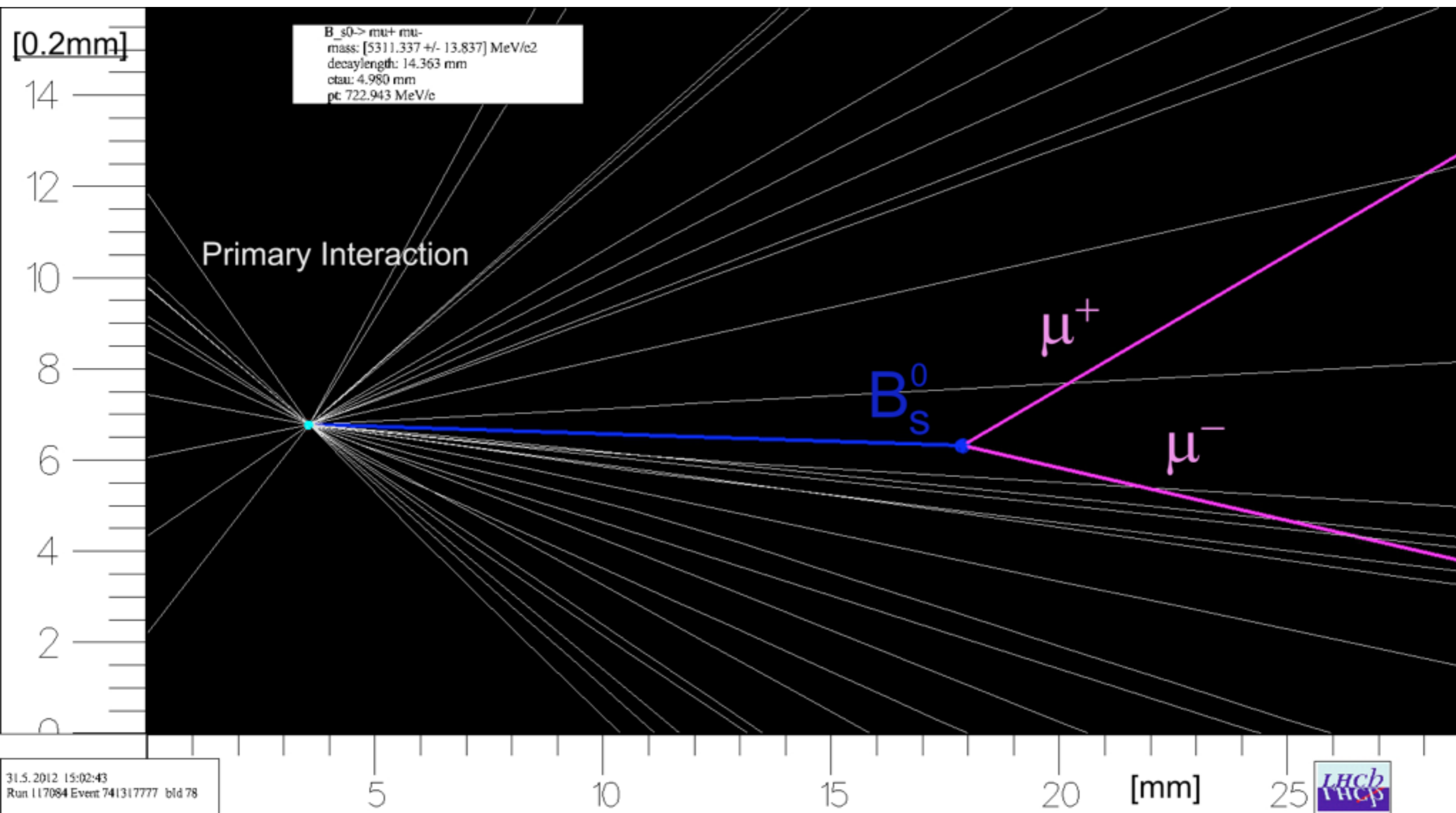
- ⊙ b-hadrons can decay  $> \sim 1$  mm away from the PV.
  - Need secondary vertex **resolution** of  $O(30 \mu\text{m})$
- ⊙ c-hadrons have **similar** behaviour

$$d_0 \sim \theta L_B \sim \left( \frac{p_{\perp}}{p_{\parallel}} \right) L_B \sim \left( \frac{p_{\perp}}{p_{\parallel}} \right) (c\tau_B) \gamma_B \sim \left( \frac{m_B}{p_B} \right) (c\tau_B) \gamma_B \sim (c\tau_B)$$

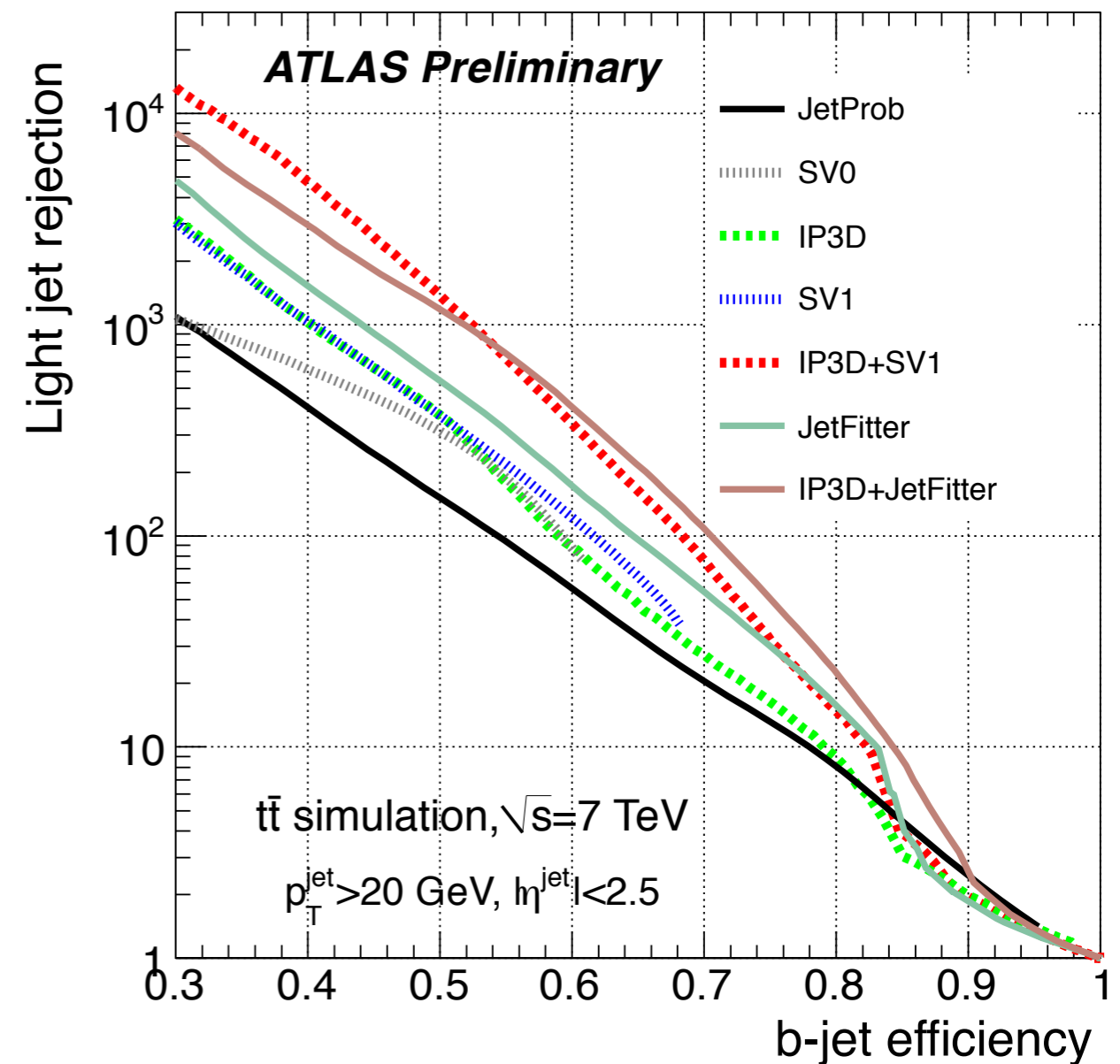
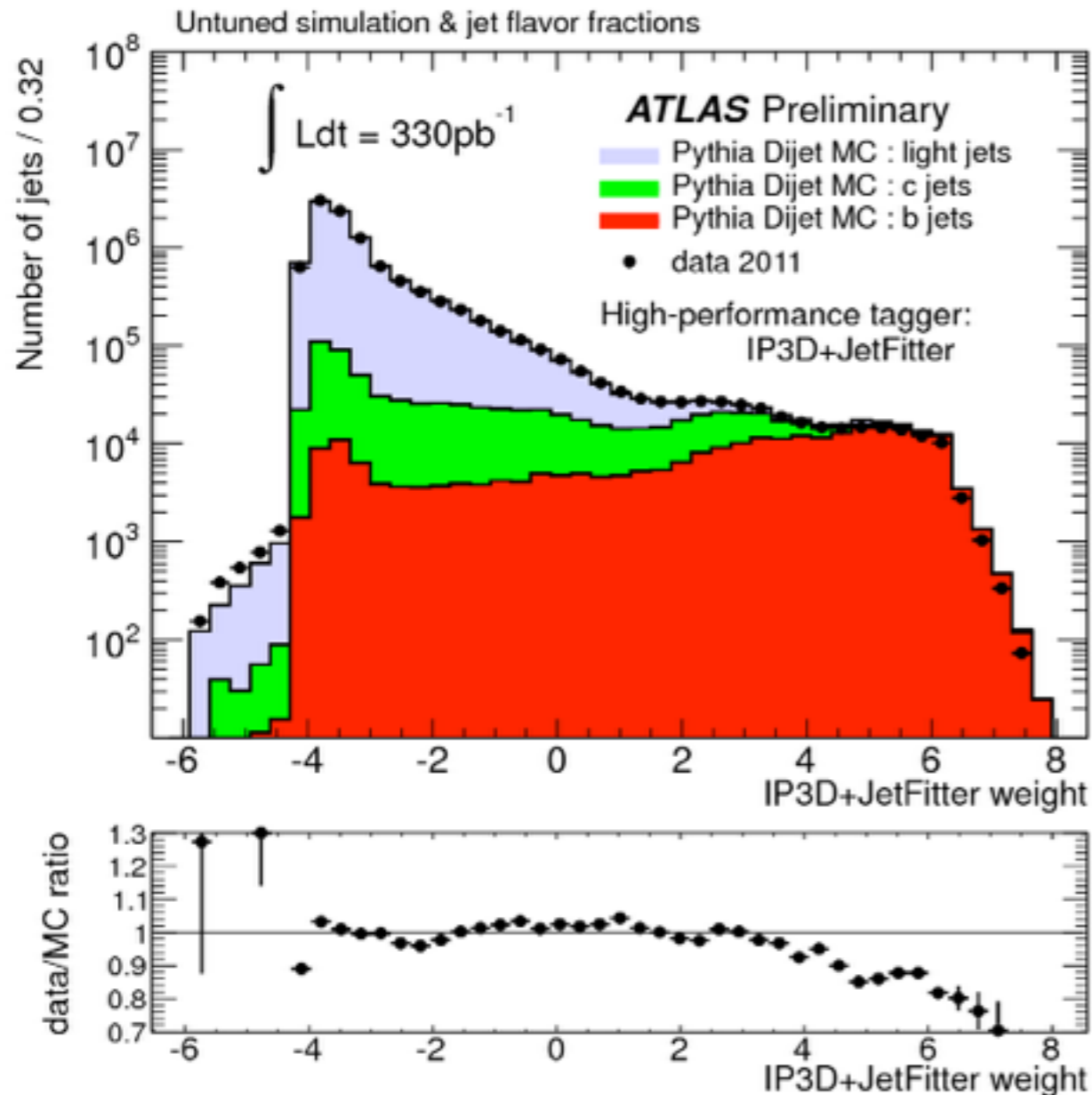




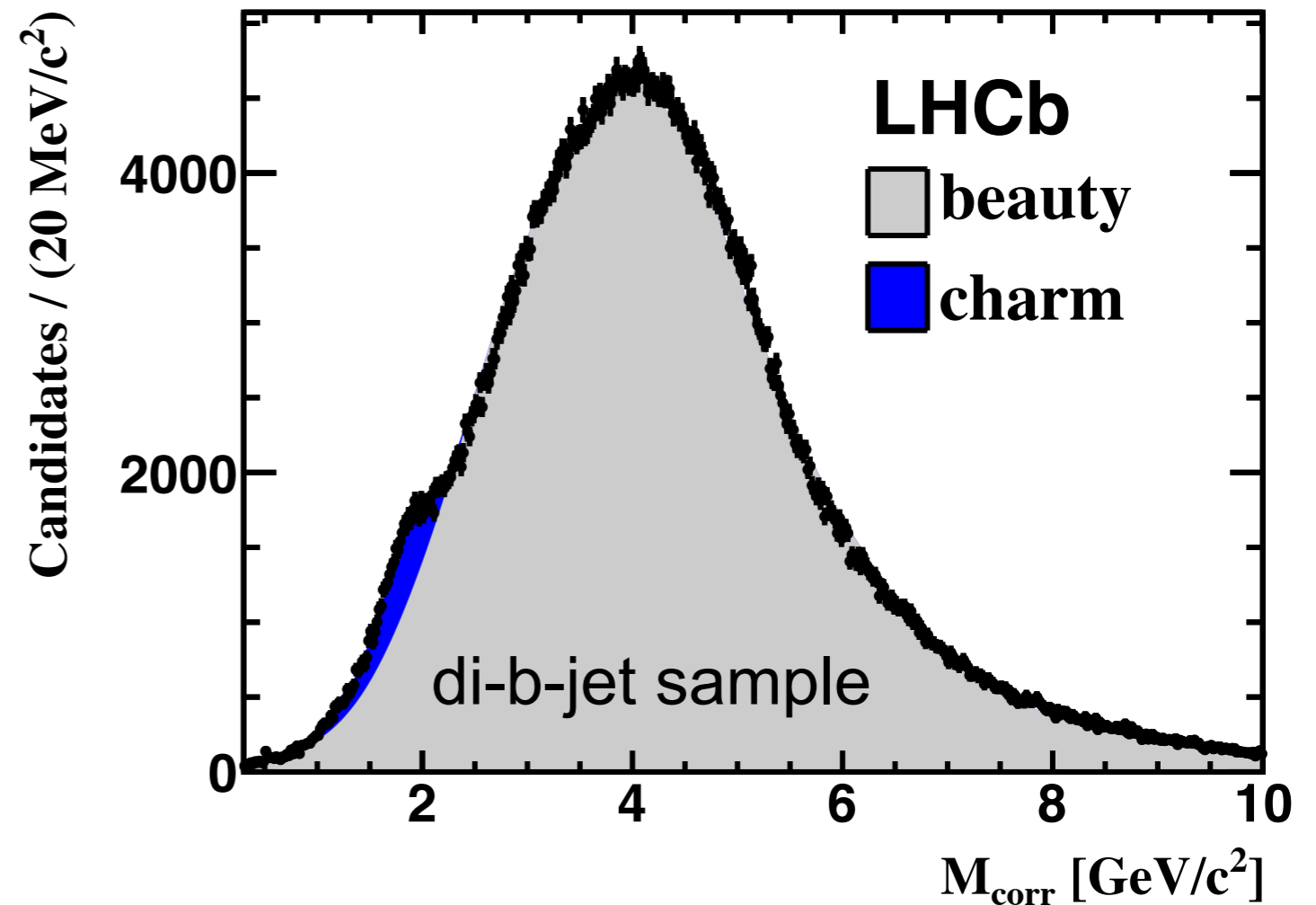
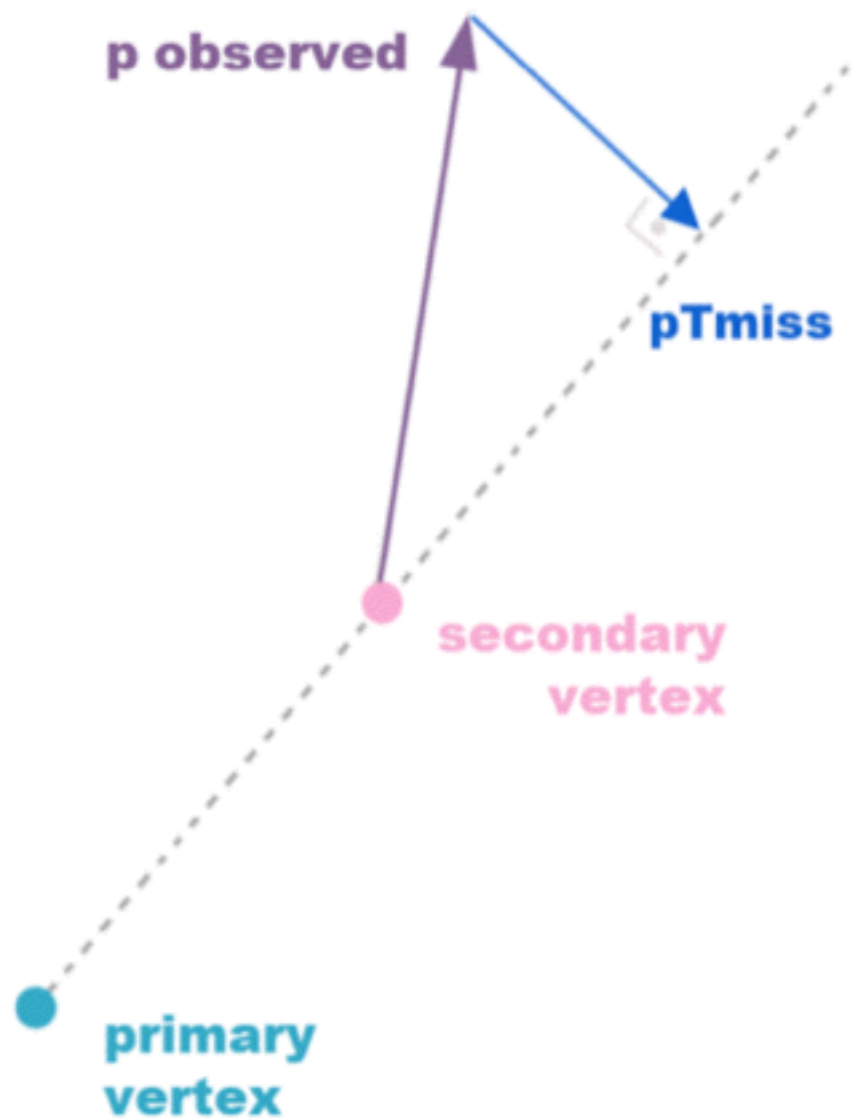
# Secondary Vertex



- Use of **tracks** is **mandatory**
- Several variables can be used for discrimination between b-jets and l-jets  
Multivariate techniques are often used



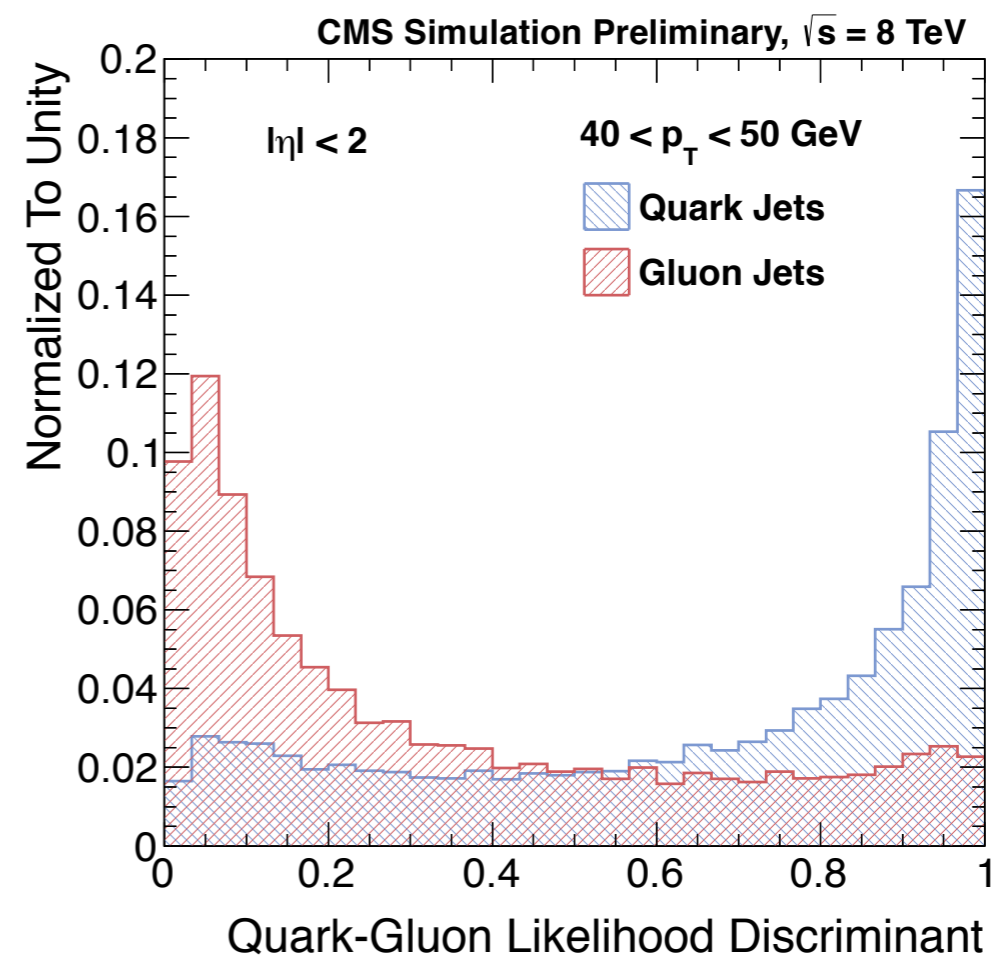
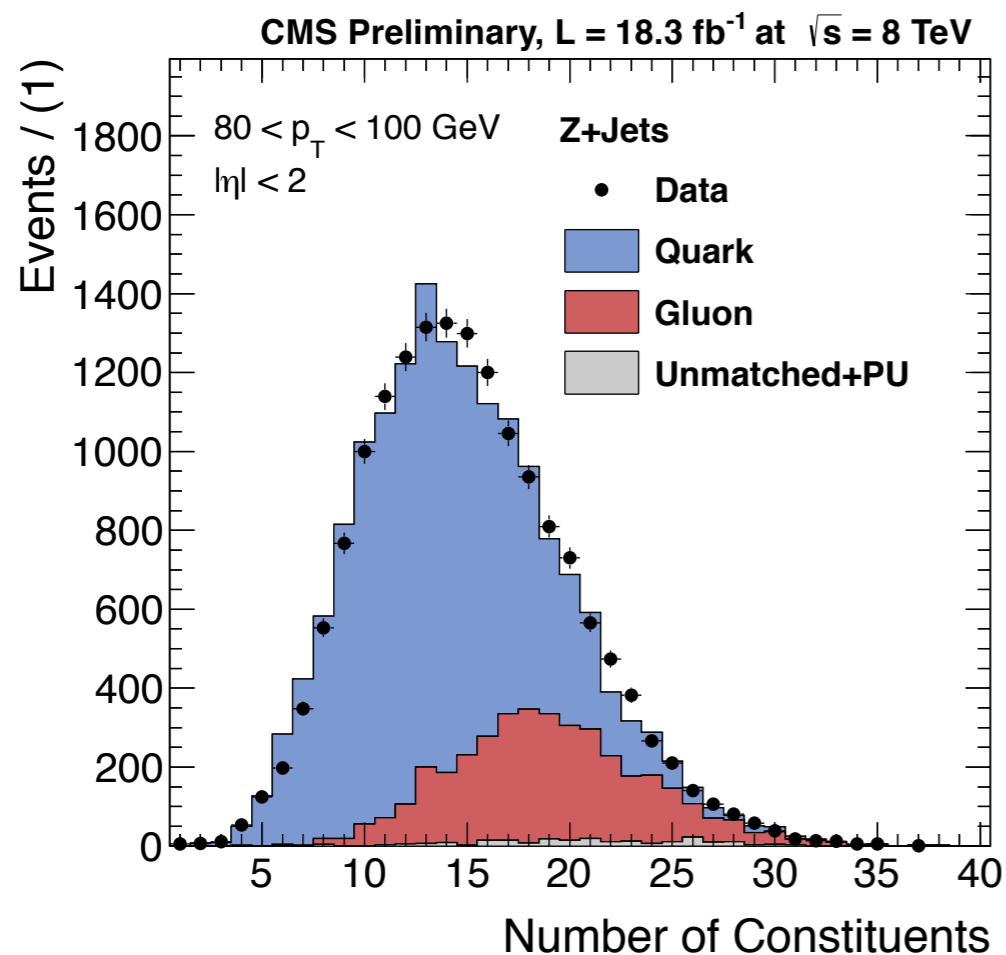
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$$m_{\text{corr}} = \sqrt{m^2 + |\mathbf{pT}_{\text{miss}}|^2} + |\mathbf{pT}_{\text{miss}}|$$

# Quark-Gluon Tagging

- ◉ Many measurements and searches can benefit from identifying jets parton origin
  - ⇒ Models that predict production of many quarks vs multi-jet QCD production
- ◉ Colour factor  $\propto$  radiation  $\propto$  particle multiplicity
  - ⇒  $C_A/C_F = 9/4$
- ◉ Other variables can be used: width, number of subjets, etc.

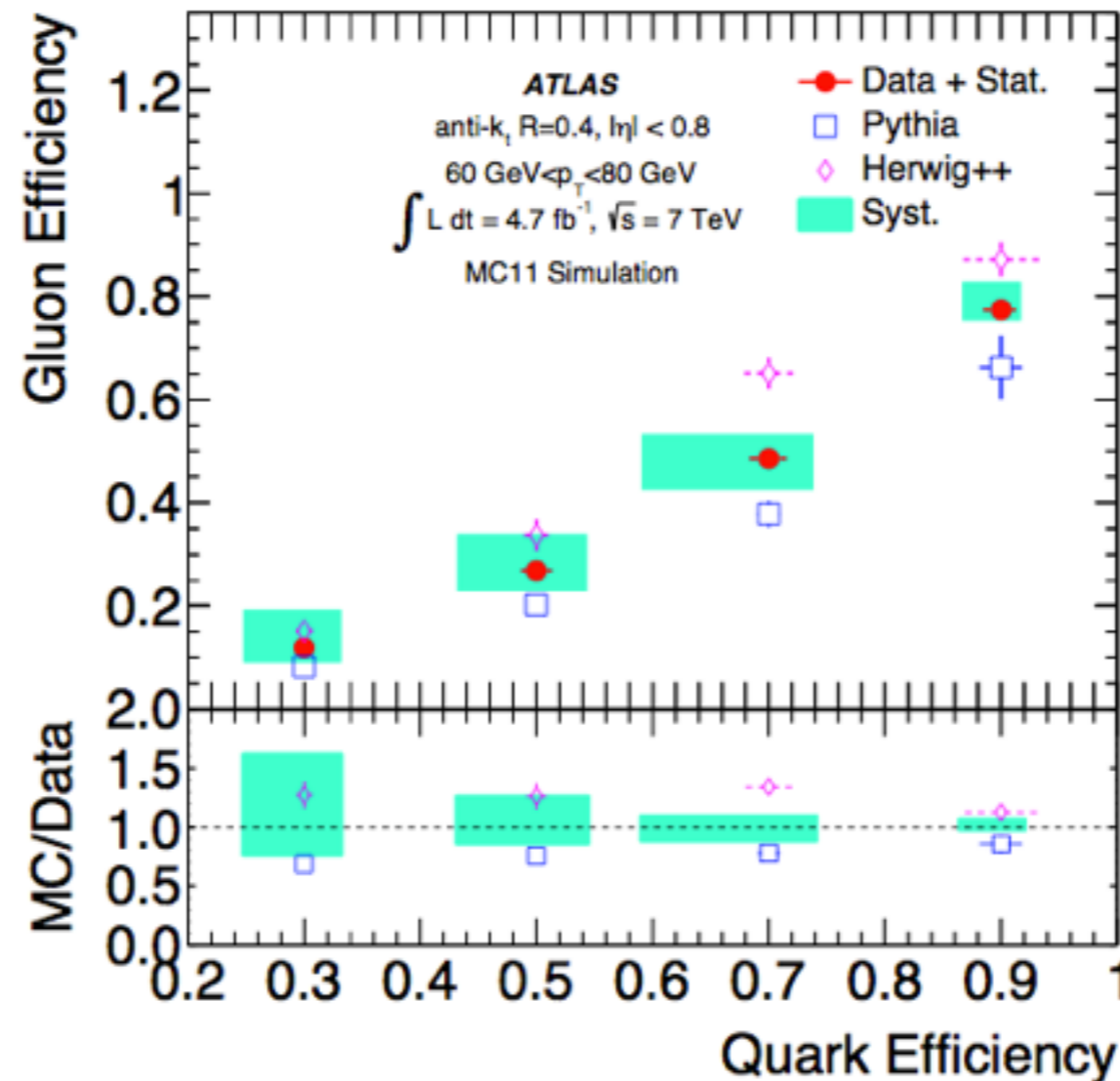


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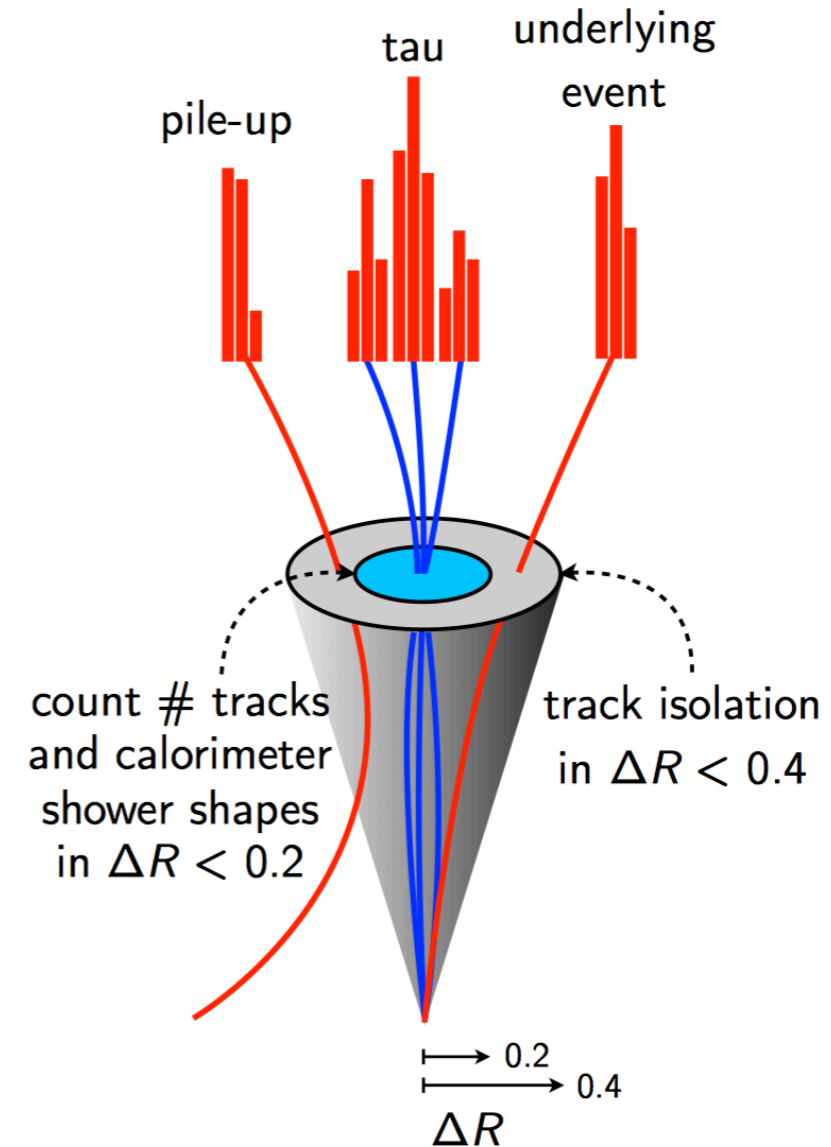
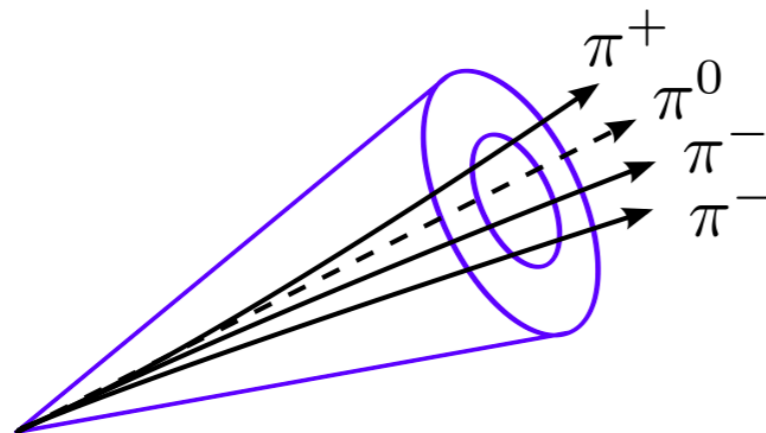
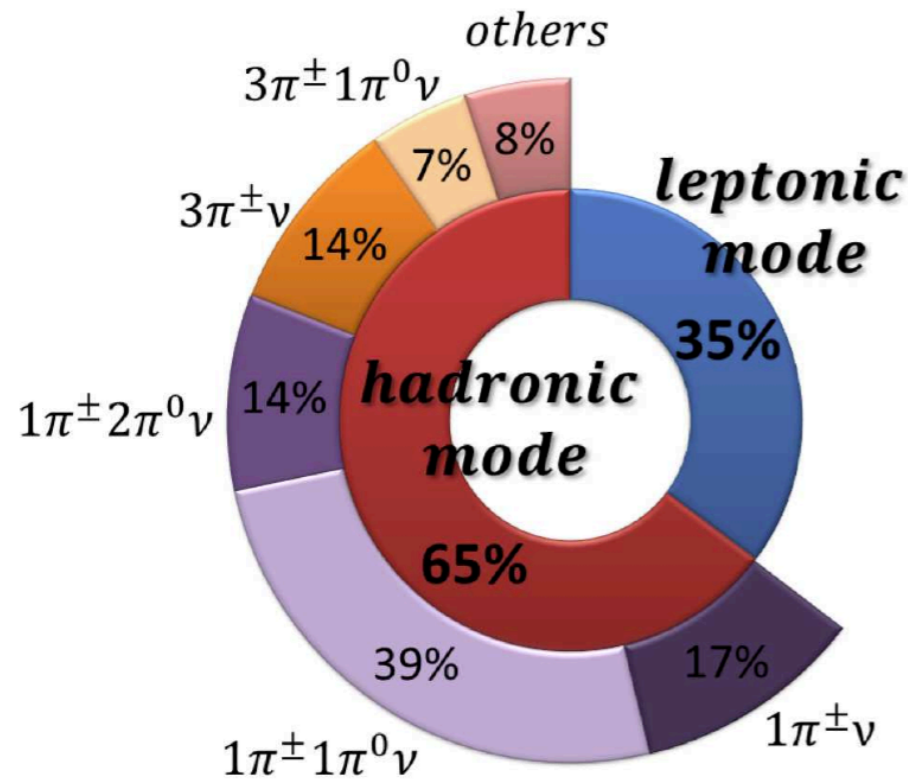
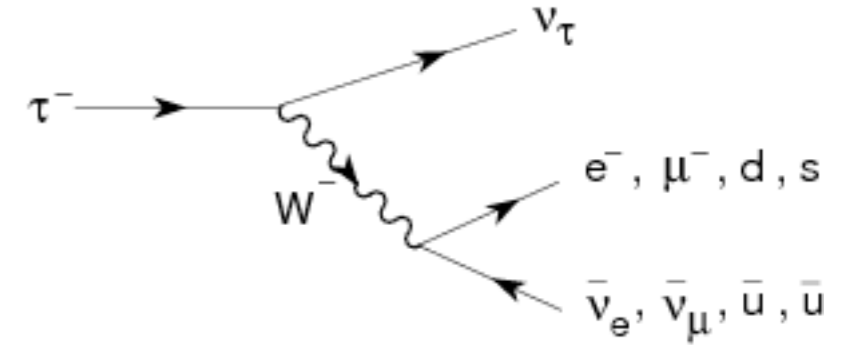
# Tau-Jets

Tau-jet is the **first** use of jets to tag other particles than quarks/gluons

It is **massive** enough to decay hadronically ( $M \sim 1.8 \text{ GeV}$ )

Tau-jets are **different** than quark/gluon jets

- ⊙ **"displaced" tracks**: decay in beam pipe  $c\tau = 87 \mu\text{m}$
- ⊙ **narrow jets** with 1 or 3 tracks, possibly with neutrals



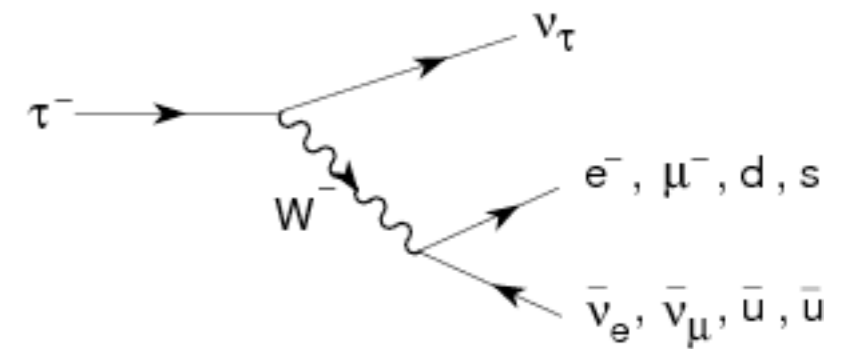
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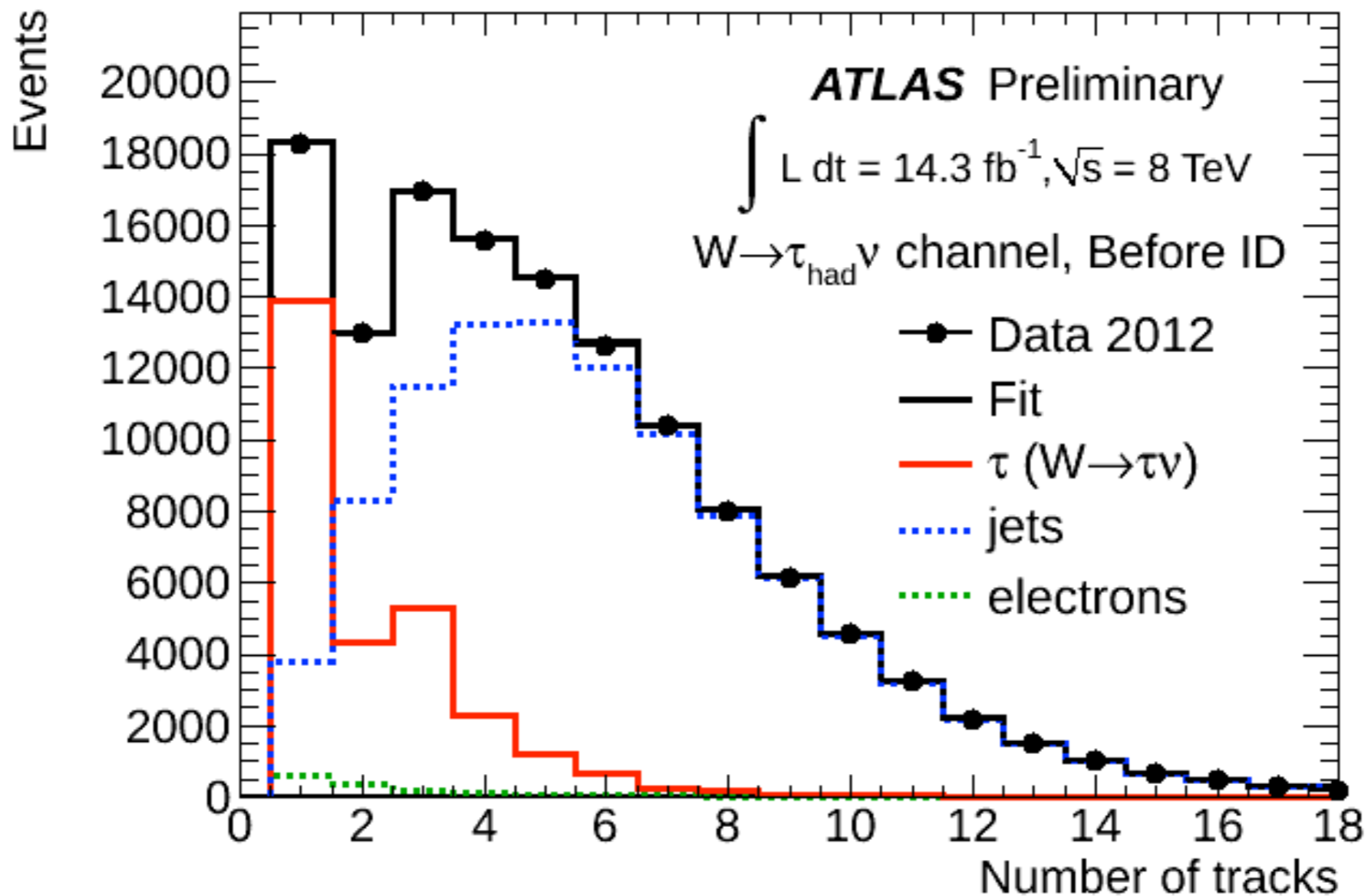
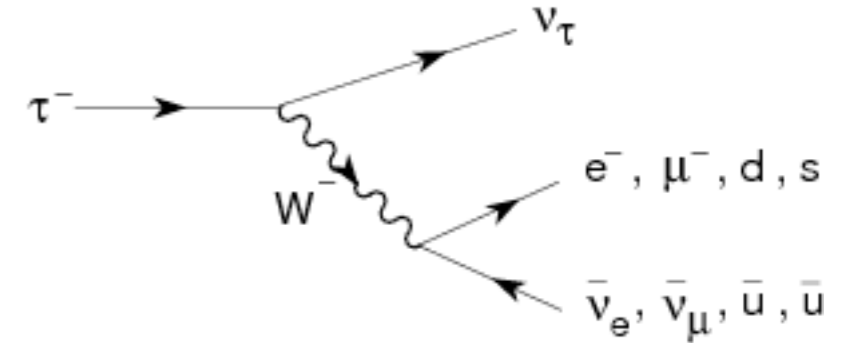
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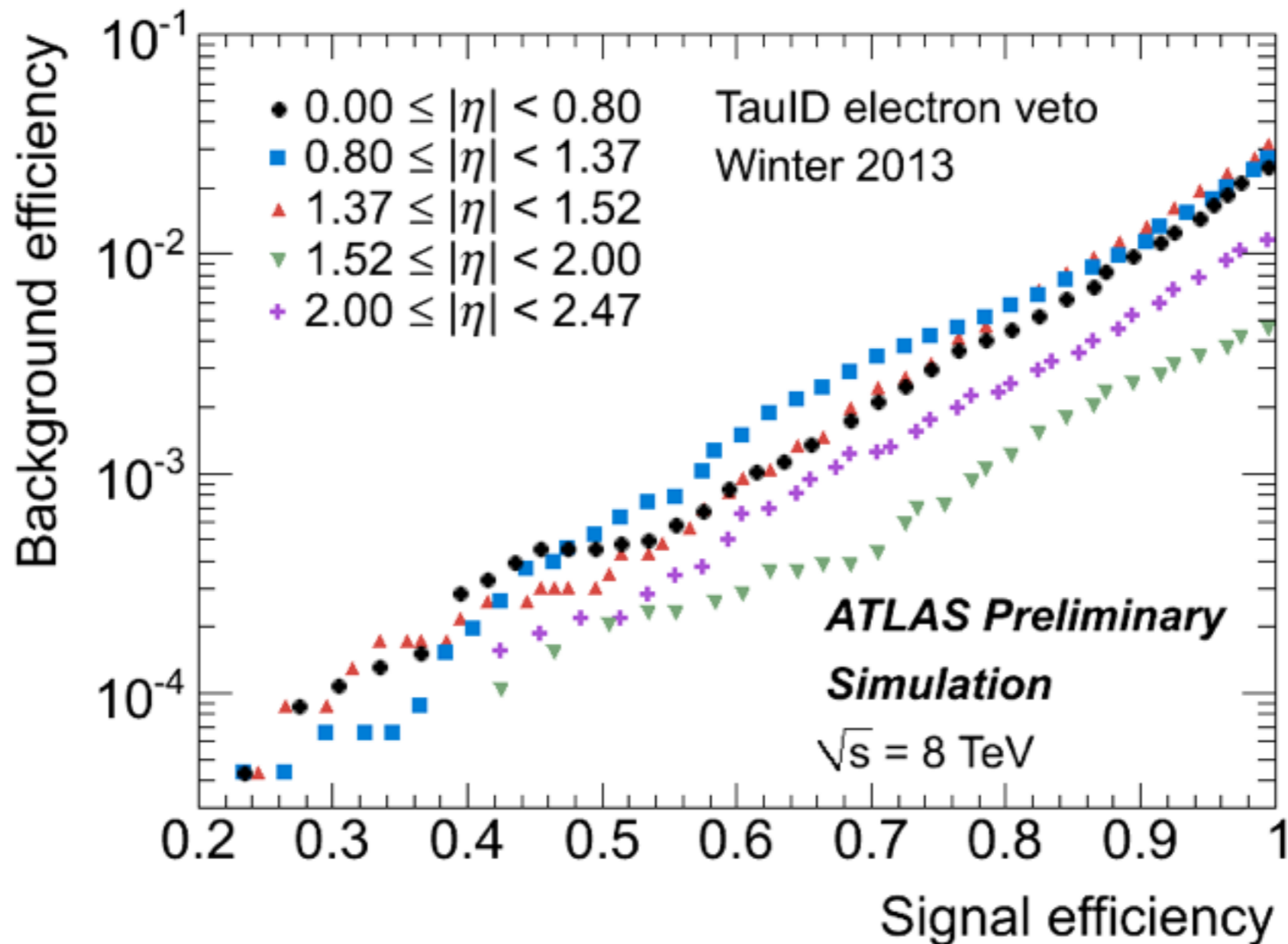
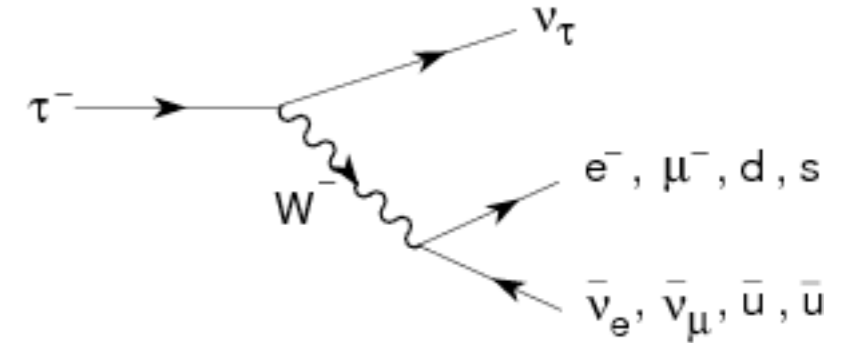
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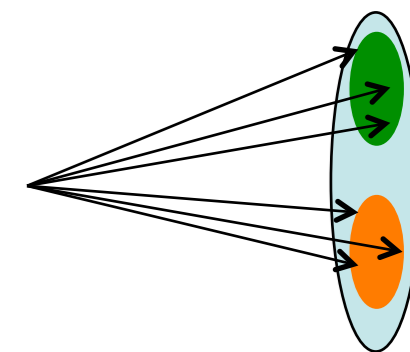
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# Boosted High Mass Particles

- ⊙ At higher LHC energies, **high mass particles** (W,Z,H,top) move boosted regimes  
This can be used to reduce the backgrounds for signals, e.g.,
  - ⇒ WH measurements
  - ⇒ WW measurements and high-mass searches ( $p \sim M_X/2$ )
  - ⇒ Boosted top quark decays
- ⊙ **Hadronic decays** of W bosons may be boosted into a single (**fat**) jet
  - ⇒ Typical size of this jet is  $\Delta R > 2/\gamma$ , where  $\gamma$  is boost factor of W
  - ⇒ How can we **separate** these “W-jets” from light uds jets and b-jets?
- ⊙ Several well-motivated handles to quantify **substructure**
  - ⇒ Main observable is the **mass** of the boosted (fat) jet
  - ⇒ **Jet pruning** techniques serve to reduce the mass of QCD light jets
  - ⇒ **Mass drop** observable contrasts fat jet mass with subjet masses
  - ⇒ Jet variables must be intended to be robust against **pileup** contributions



# Jet Pruning

C/A jet ( $R > 0.8$ )

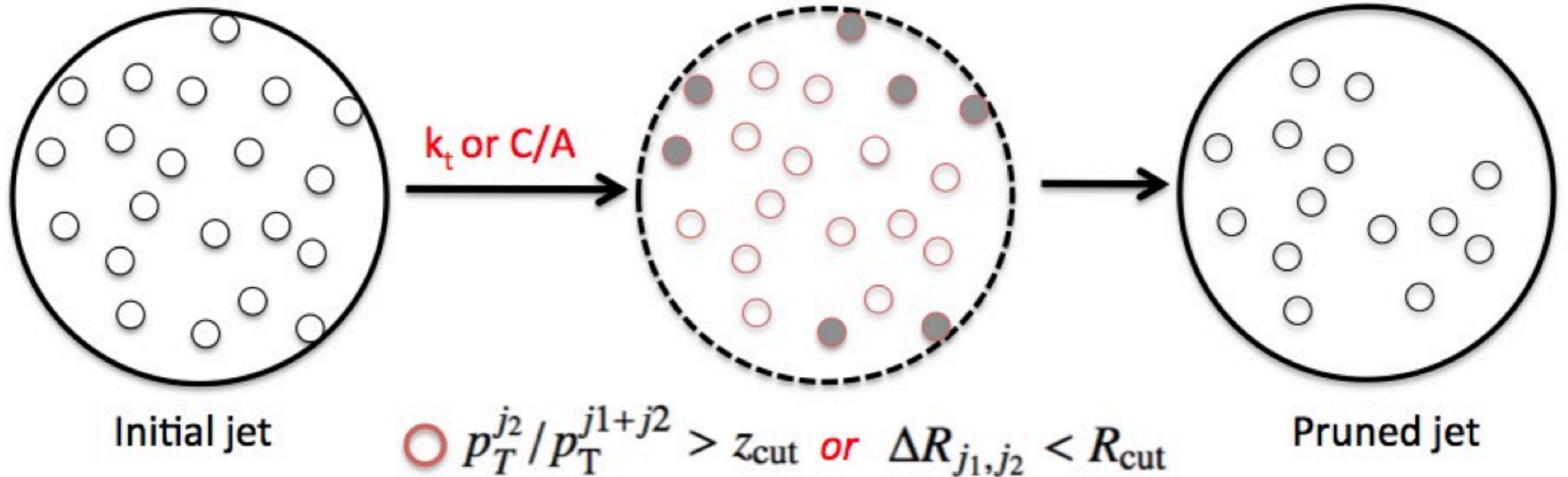
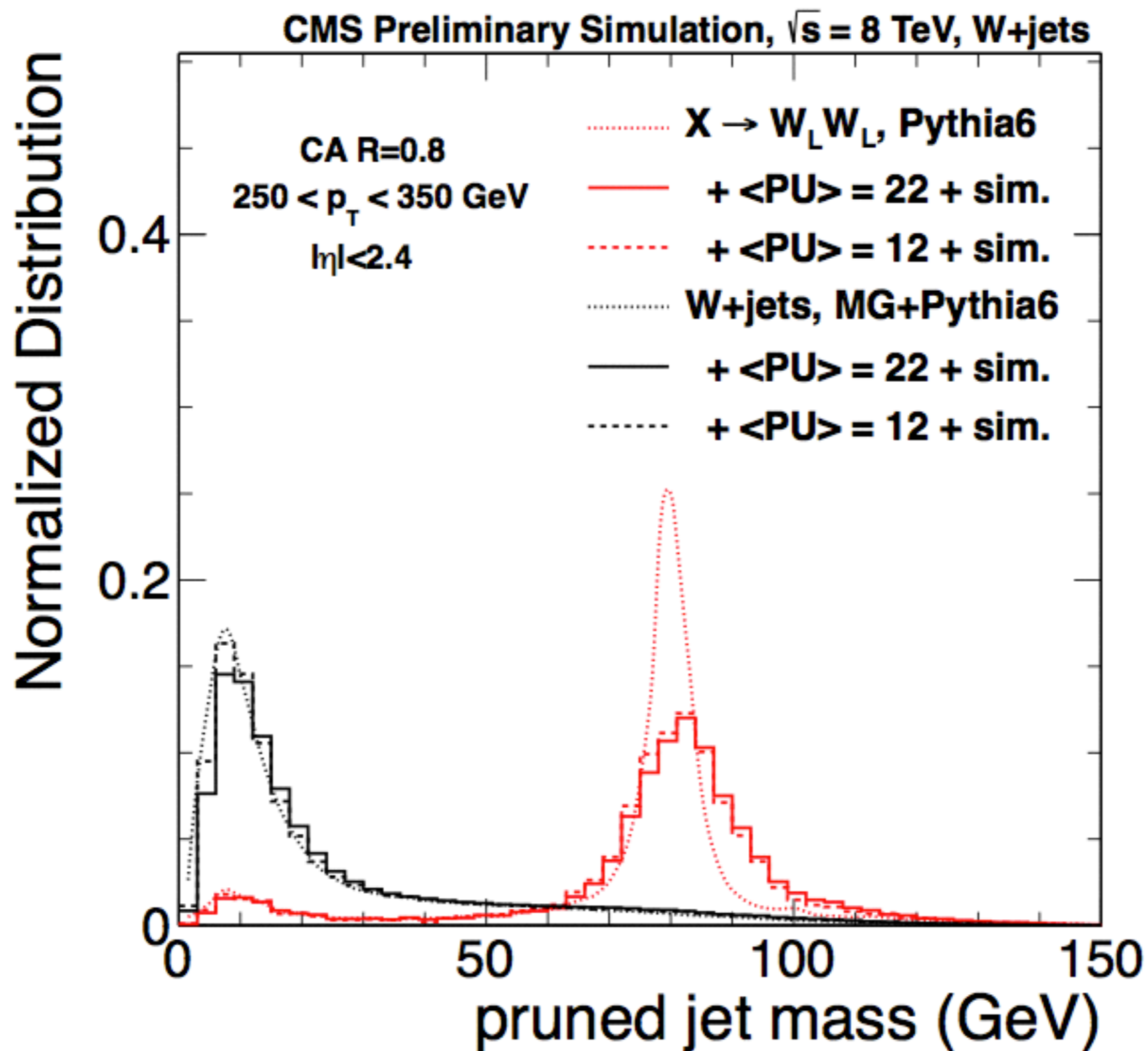


Figure from JHEP09(2013)076

recluster using distance between particles and ignoring softer “proto-jets” if  $z < z_{\text{cut}}$   
 $z = \min(p_T^i, p_T^j) / p_T^p$

# Jet Pruning

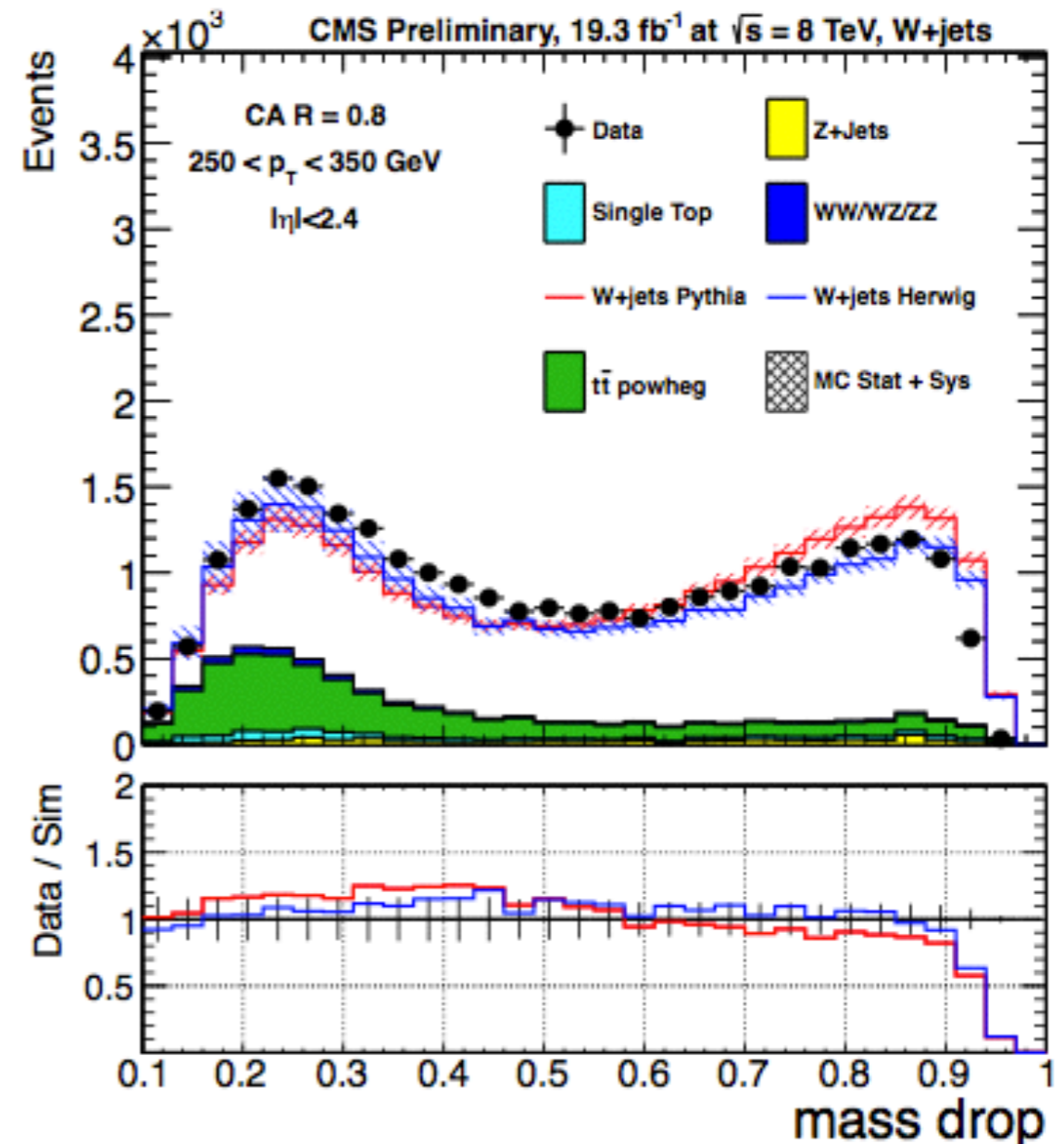
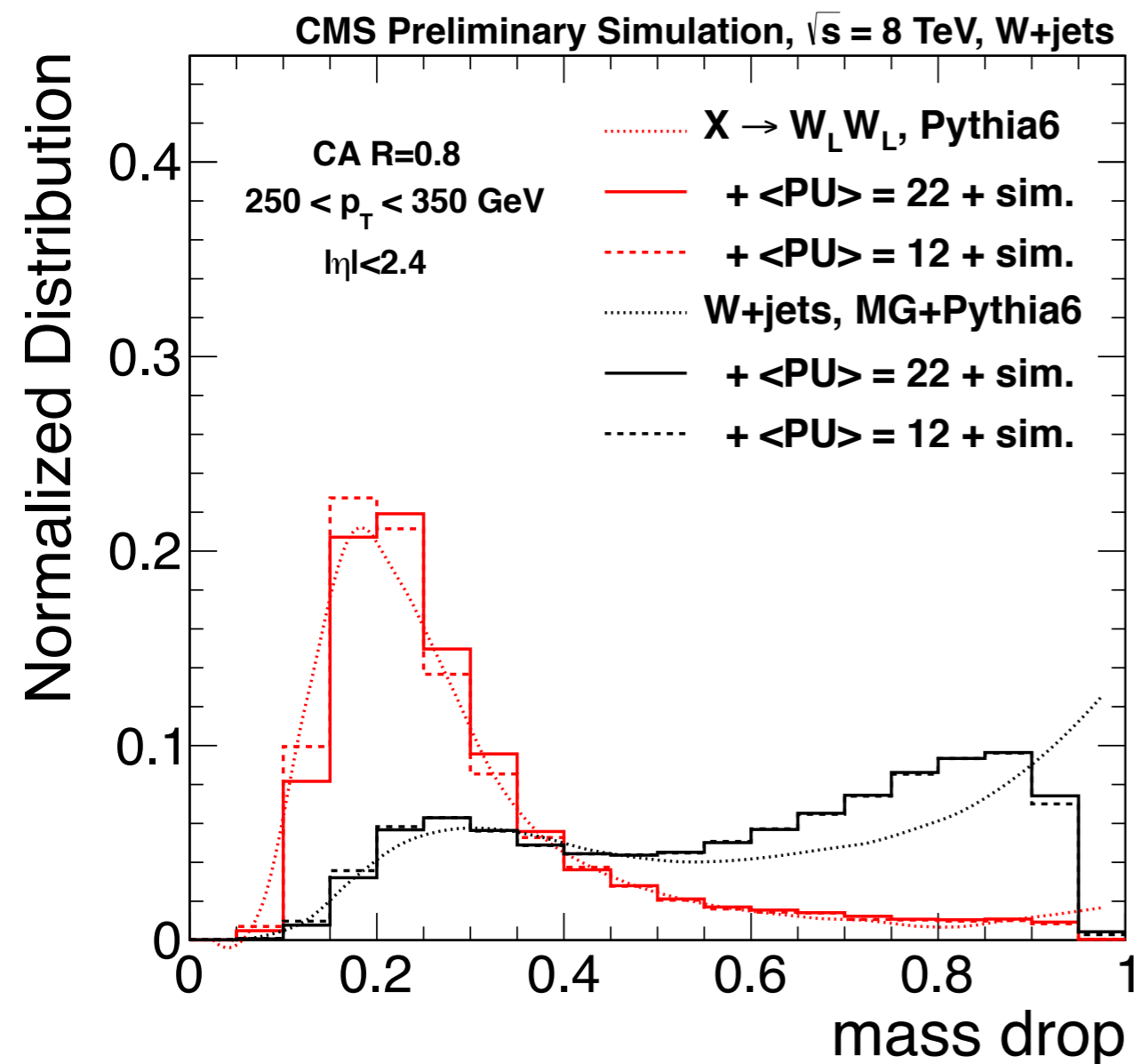


# Fat Jet Variables

Jet variables can be used to **discriminate** between W-jets from parton-jets:

⊙ **Mass drop**: Undoing the last clustering step, the highest mass jet should have mass much lower than the W-jet.

$$\mu = m_{\text{sub}1} / m_{\text{jet}}$$

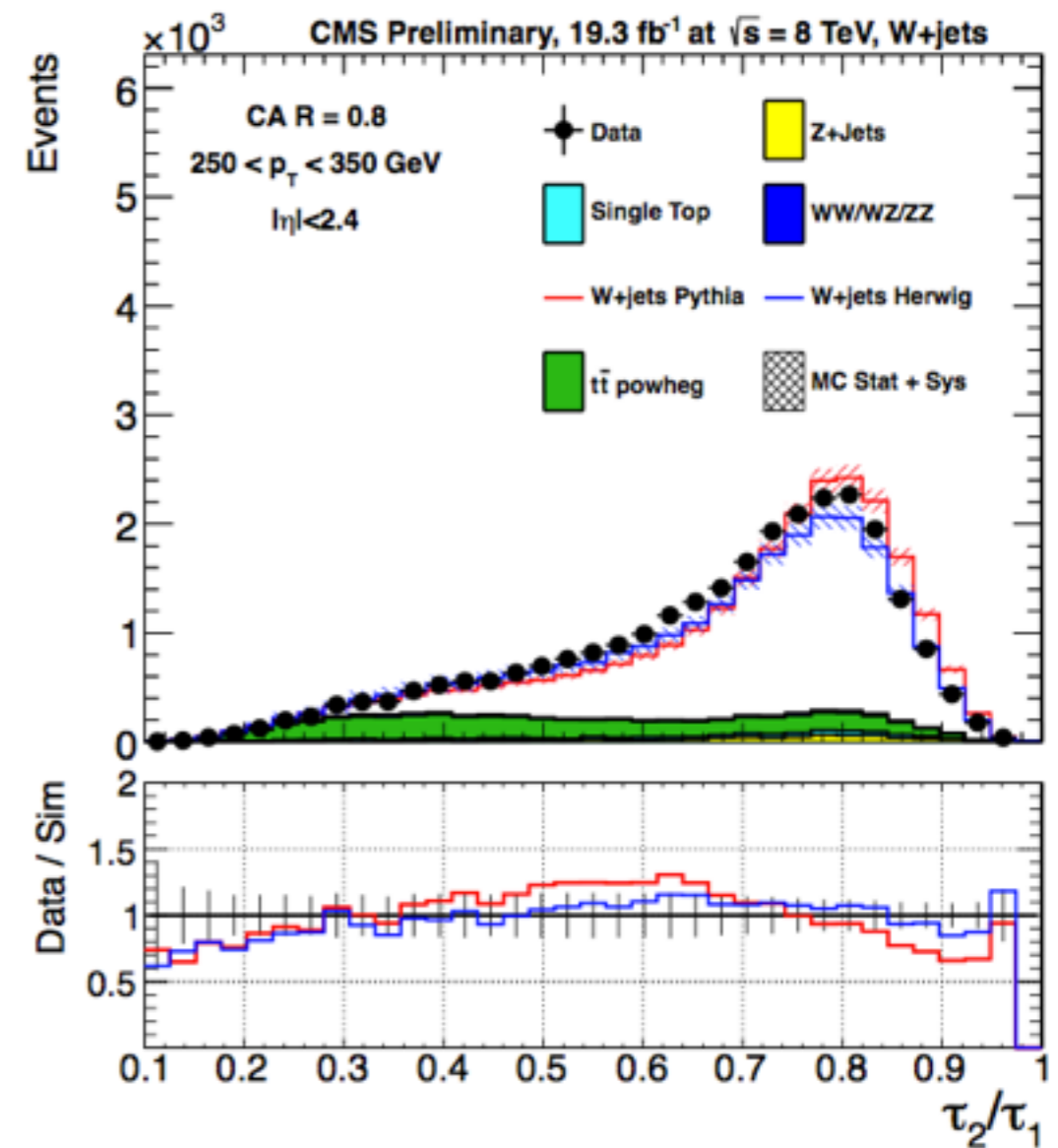
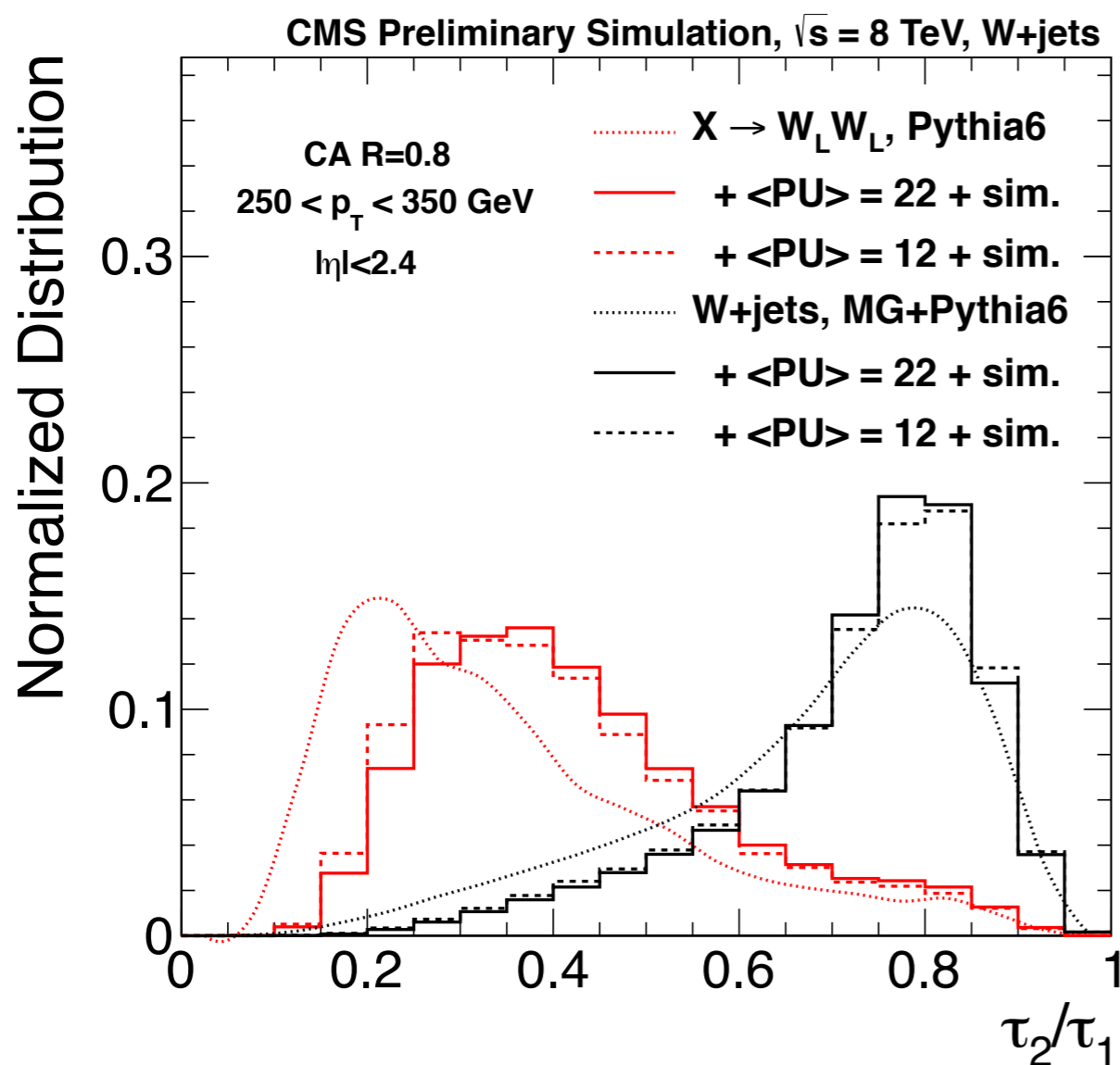


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◎ **N-subjettiness**: For  $W \rightarrow \text{jets}$ ,  $\tau_2/\tau_1$  is a good discriminant

$$\tau_N = \frac{1}{d_0} \sum_k p_{T,k} \min\{\Delta R_{1,k}, \Delta R_{2,k}, \dots, \Delta R_{N,k}\}$$

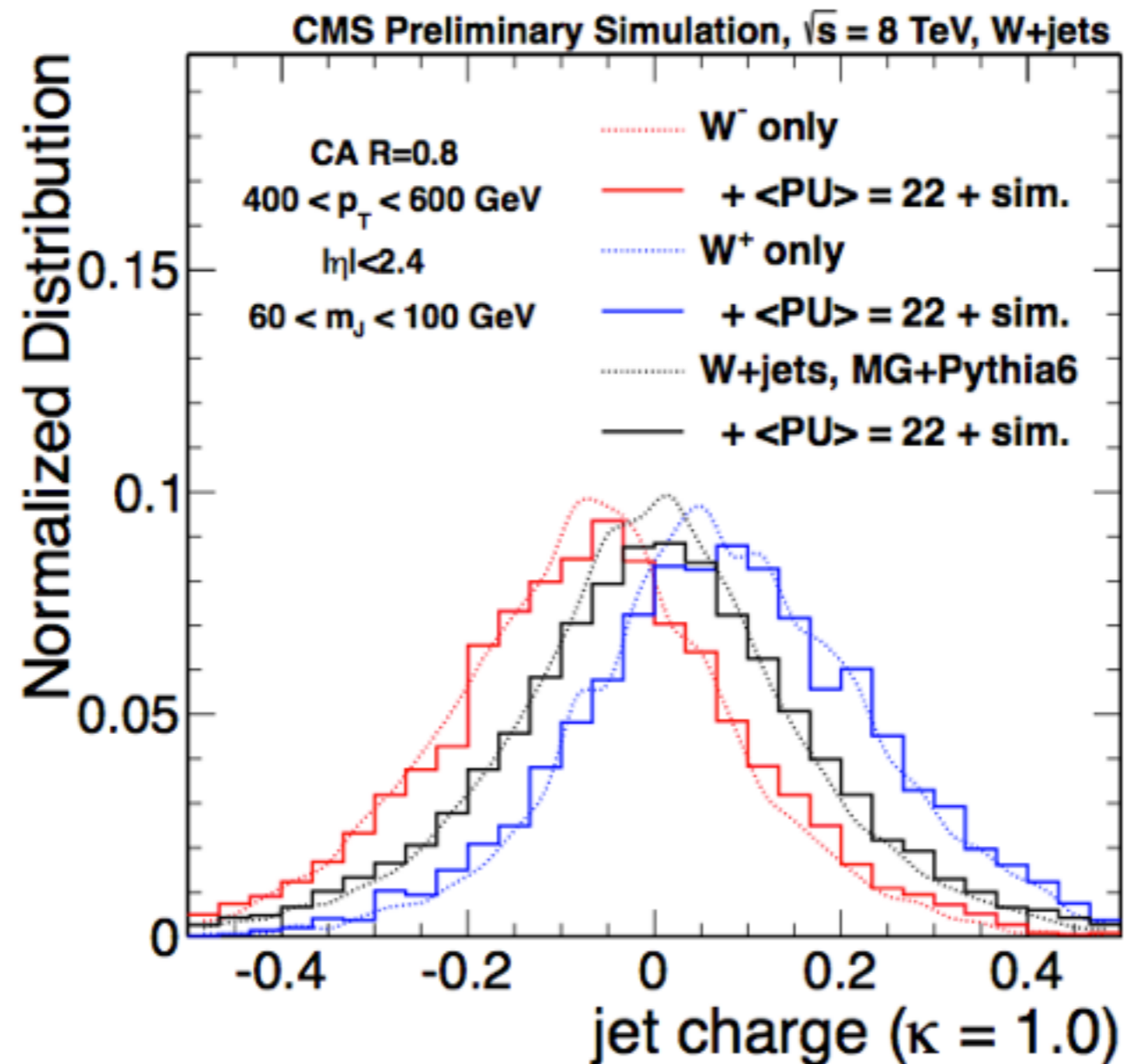


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◎ **Charge**: Neutral jets are background-like vs W-jets

$$Q^\kappa = \frac{\sum_i q_i (p_T^i)^\kappa}{(p_T^{\text{jet}})^\kappa}$$



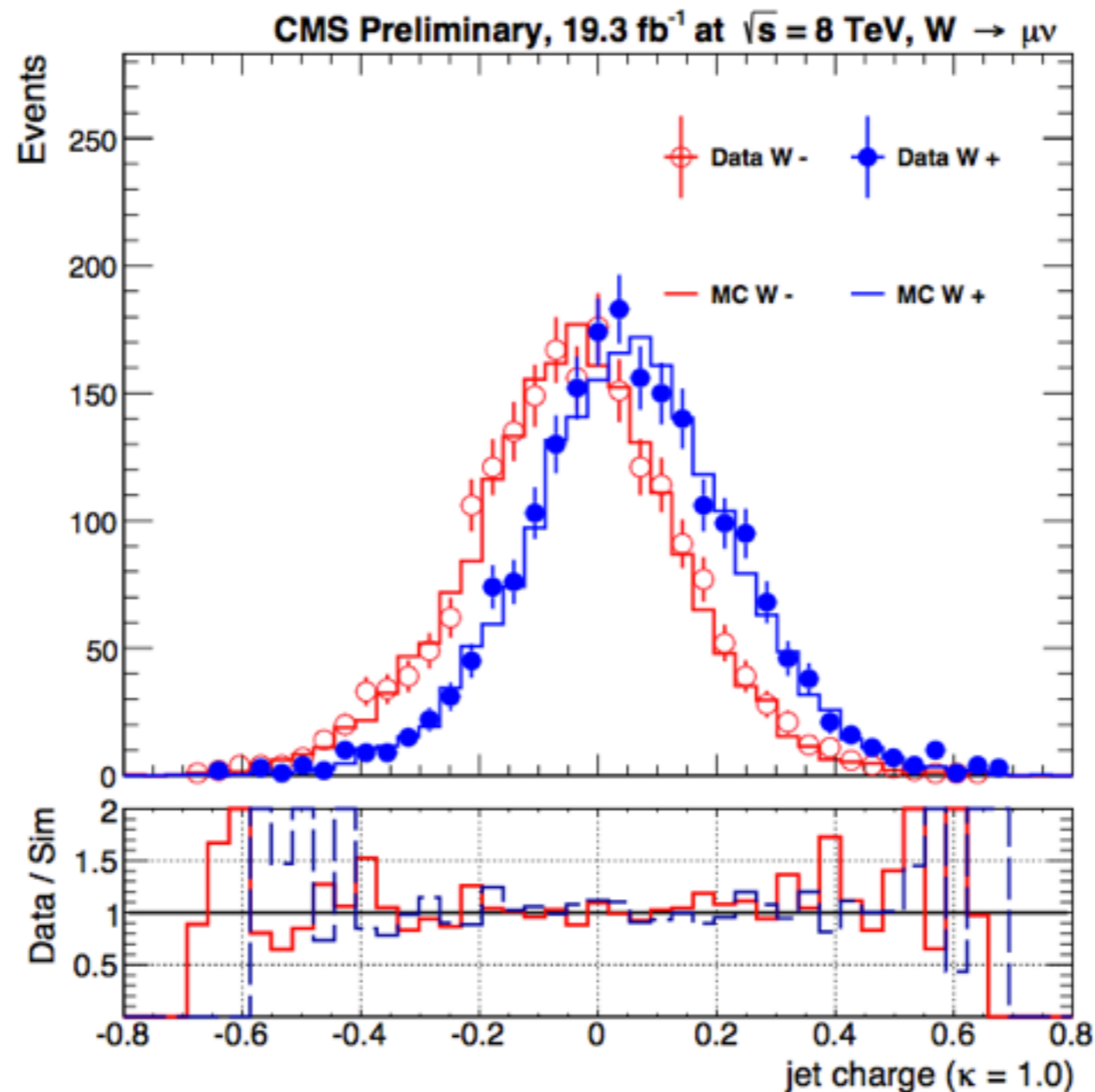


# Fat Jet Variables

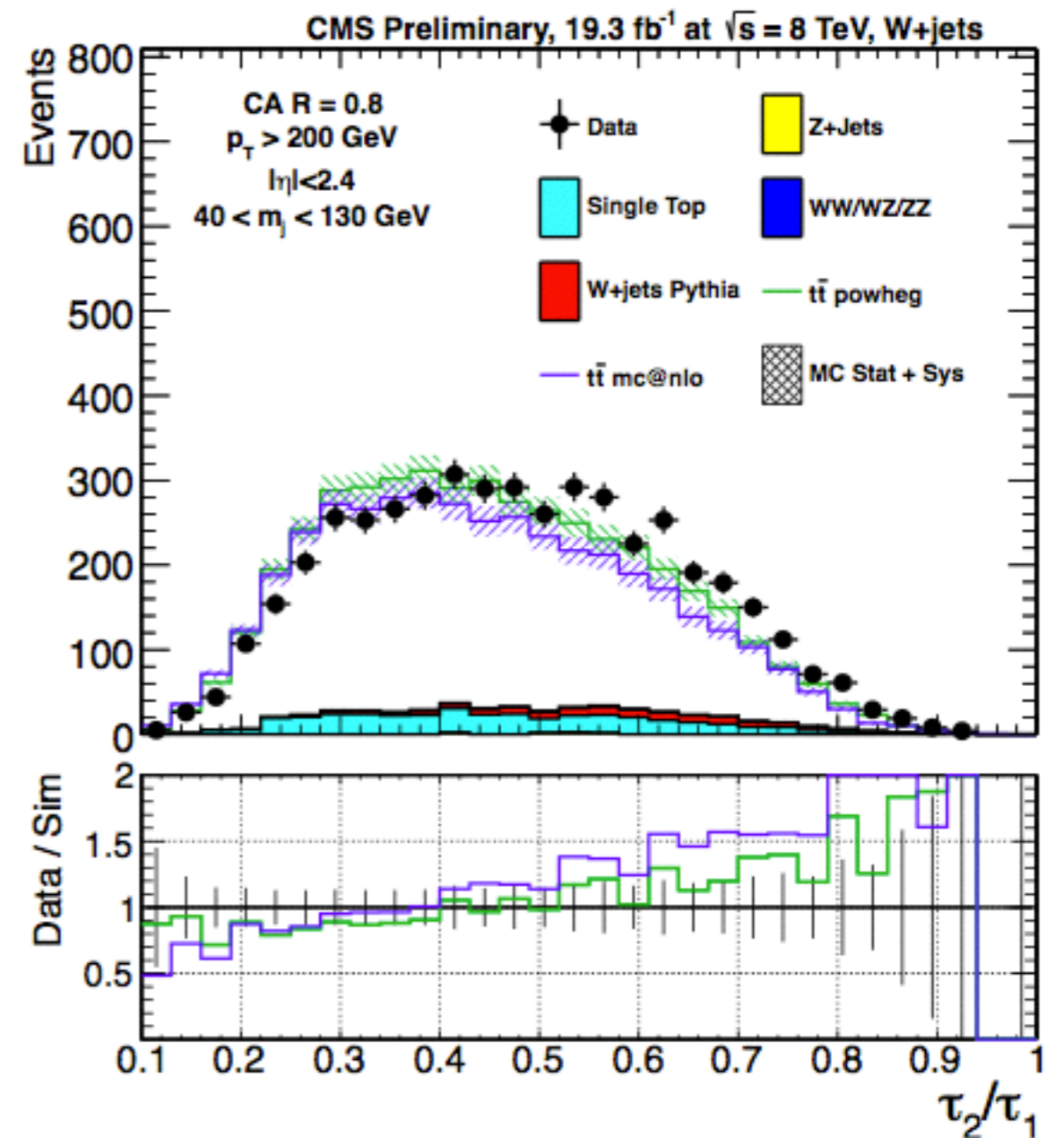
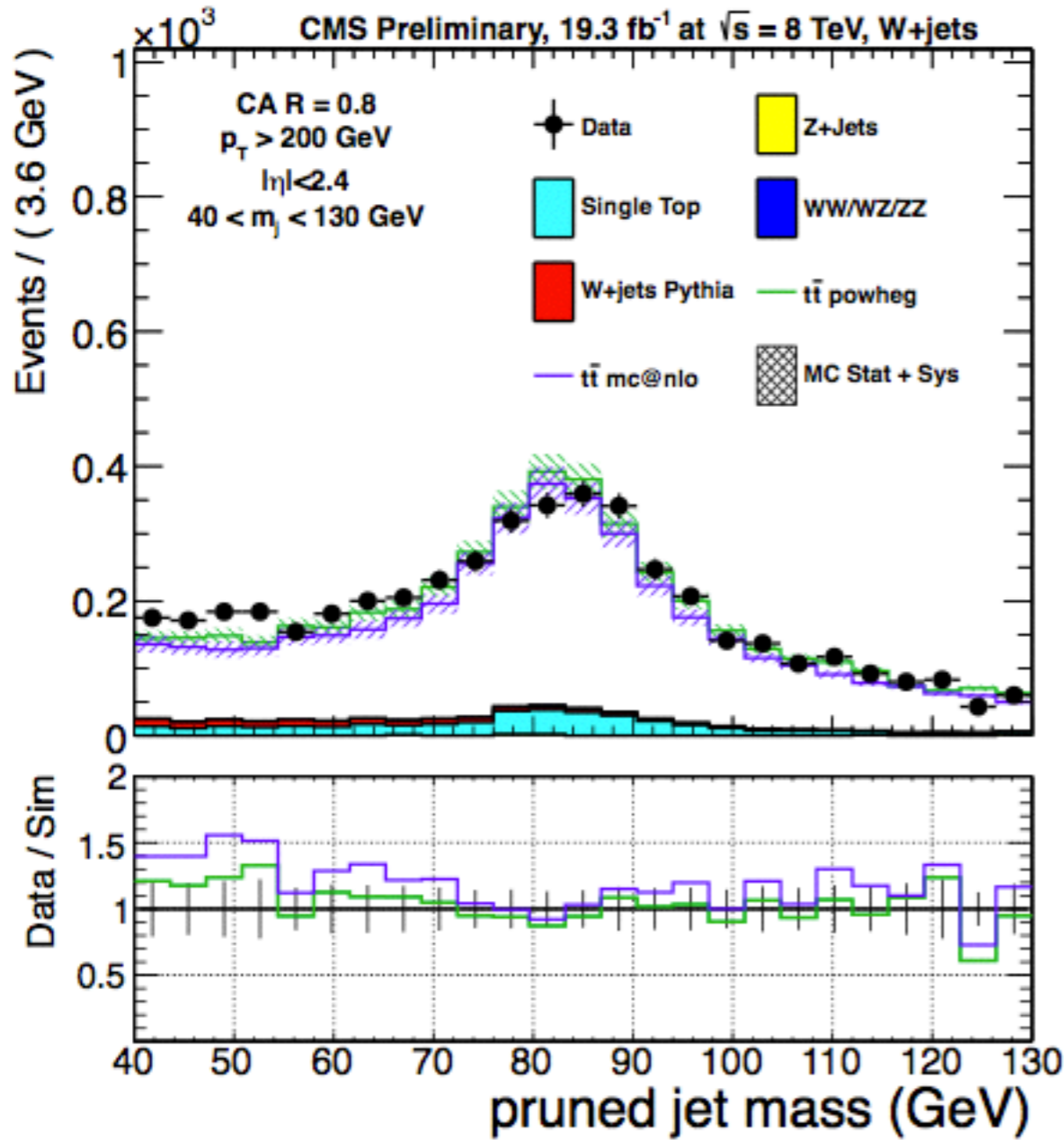
Jet variables can be used to **discriminate** between W-jets from parton-jets:

◎ **Charge**: Neutral jets are background-like vs W-jets

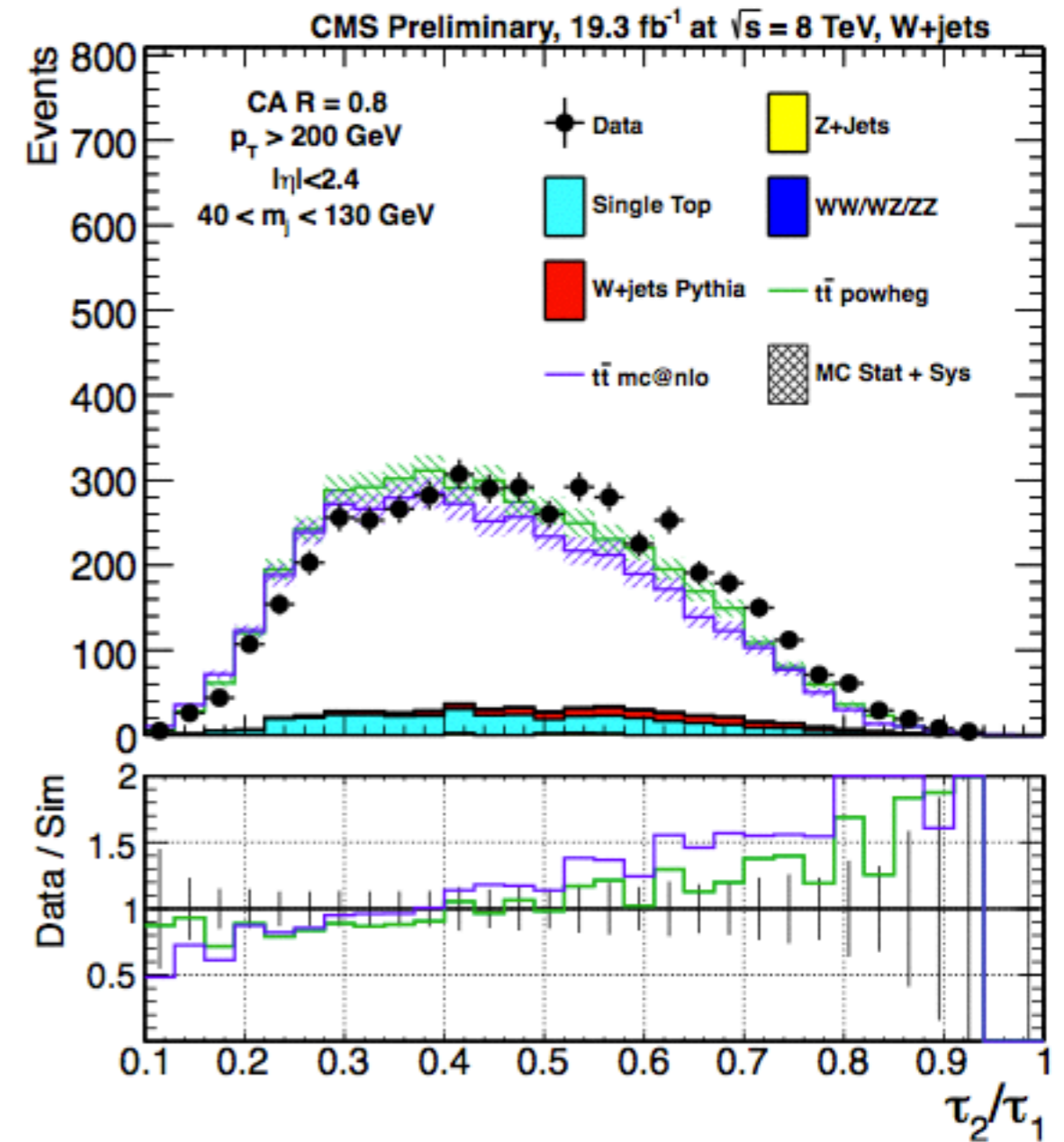
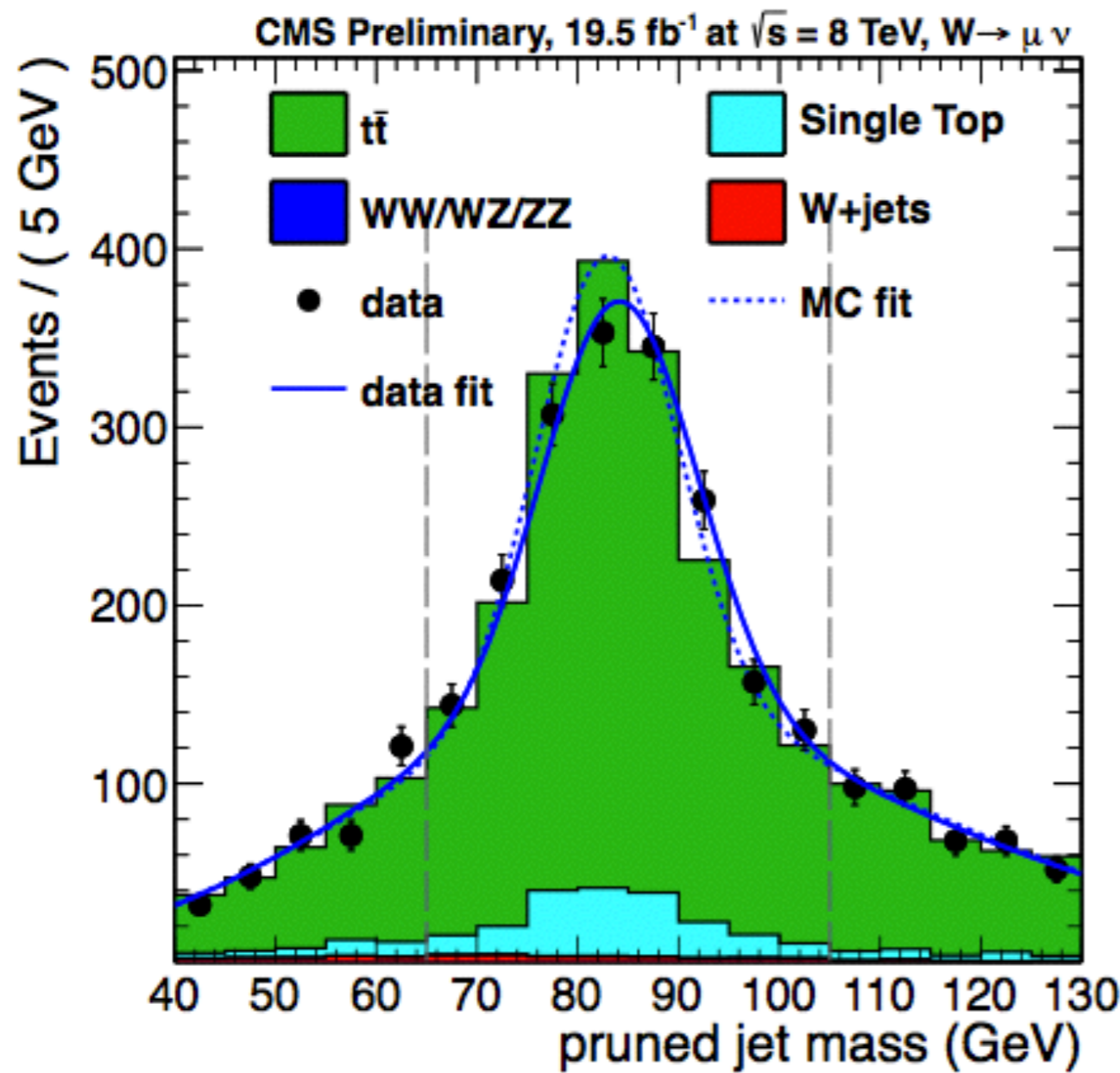
$$Q^\kappa = \frac{\sum_i q_i (p_T^i)^\kappa}{(p_T^{\text{jet}})^\kappa}$$



Data studies show promising results.



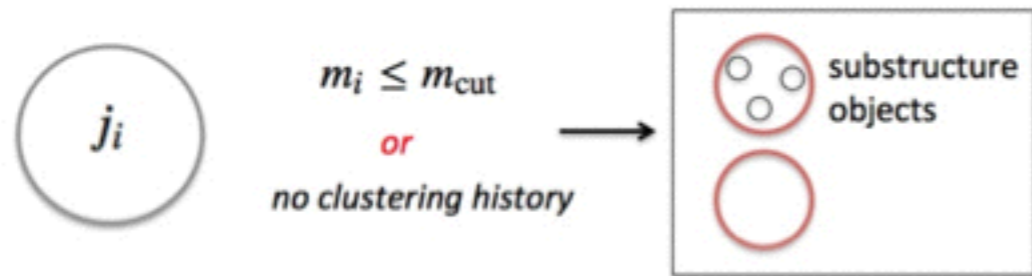
Data studies show promising results.



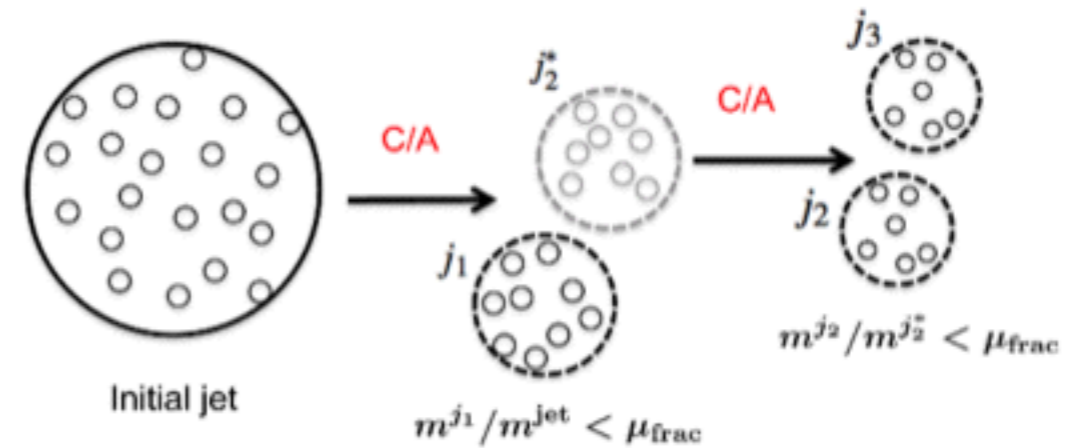
**Boosted** top quarks can be produced in decays of **ultra-high-mass** resonances  
⇒ one big **fat** jet can contain the top quark decays

HEPTopTagger has been proposed to tag top quarks with hadronic W boson

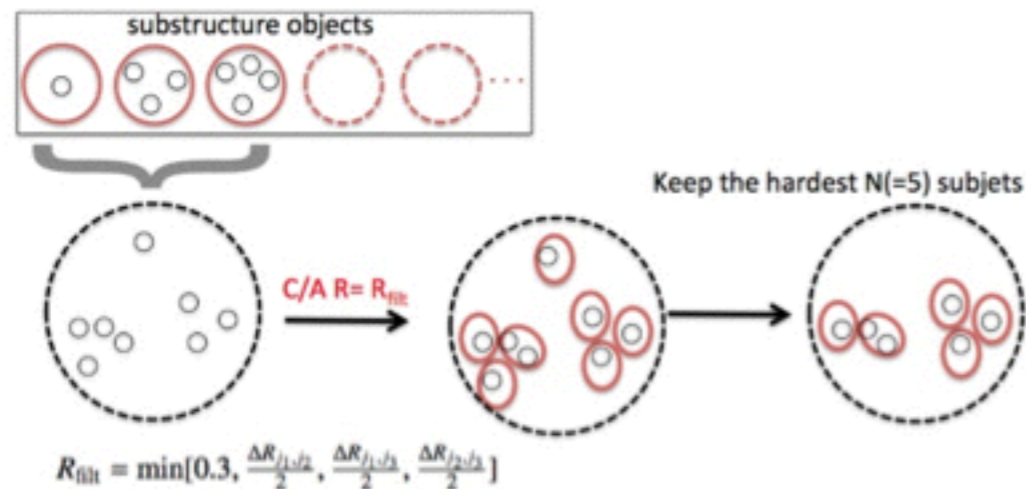
# Top Quark Tagging



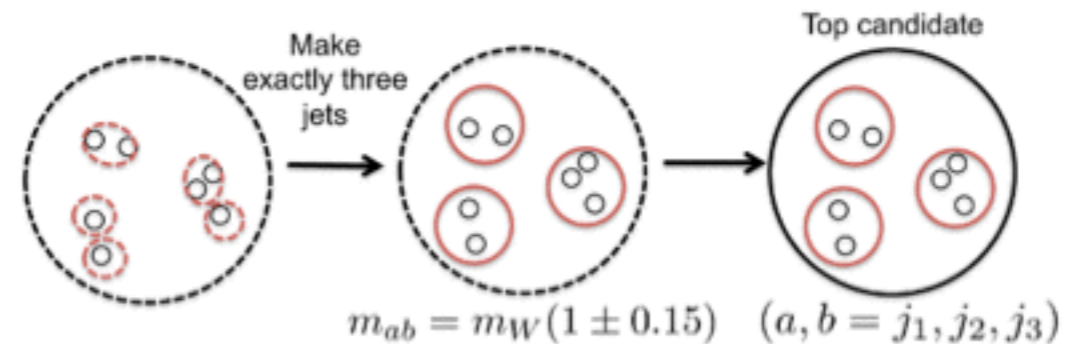
(a) Every object encountered in the declustering process is considered a 'substructure object' if it is of sufficiently low mass or has no clustering history.



(b) The mass-drop criterion is applied iteratively, following the highest subjet-mass line through the clustering history, resulting in  $N_i$  substructure objects.



(c) For every triplet-wise combination of the substructure objects found in (b), recluster the constituents into subjets and select the  $N_{\text{subjet}}$  leading- $p_T$  subjets, with  $3 \leq N_{\text{subjet}} \leq N_i$  (here,  $N_{\text{subjet}} = 5$ ).



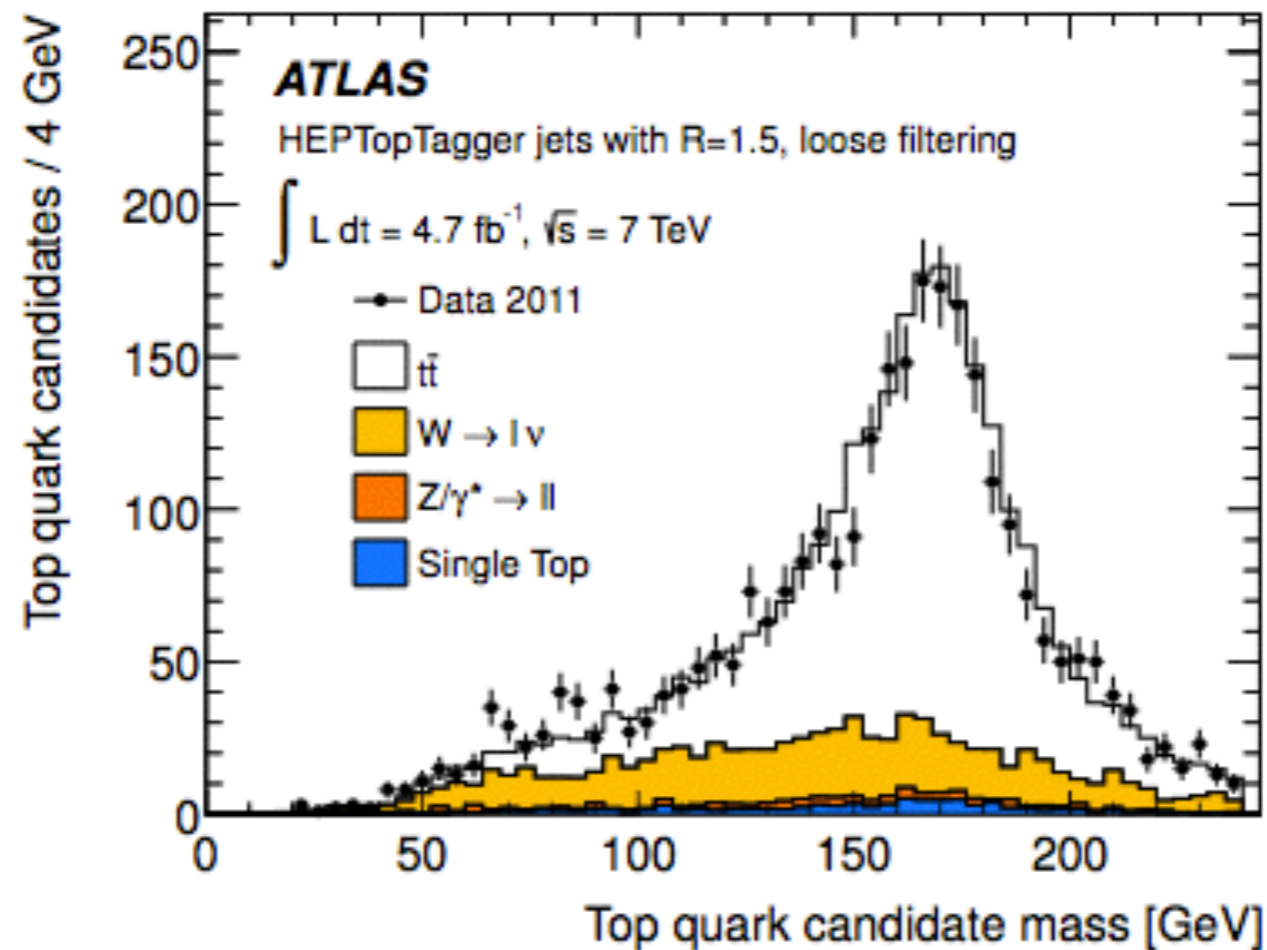
(d) Recluster the constituents of the  $N_{\text{subjet}}$  subjets into exactly three subjets to make the top candidate for this triplet-wise combination of substructure objects.

Figure from JHEP09(2013)076

# Top Quark Tagging

**Boosted** top quarks can be produced in decays of **ultra-high-mass** resonances  
⇒ one big **fat** jet can contain the top quark decays

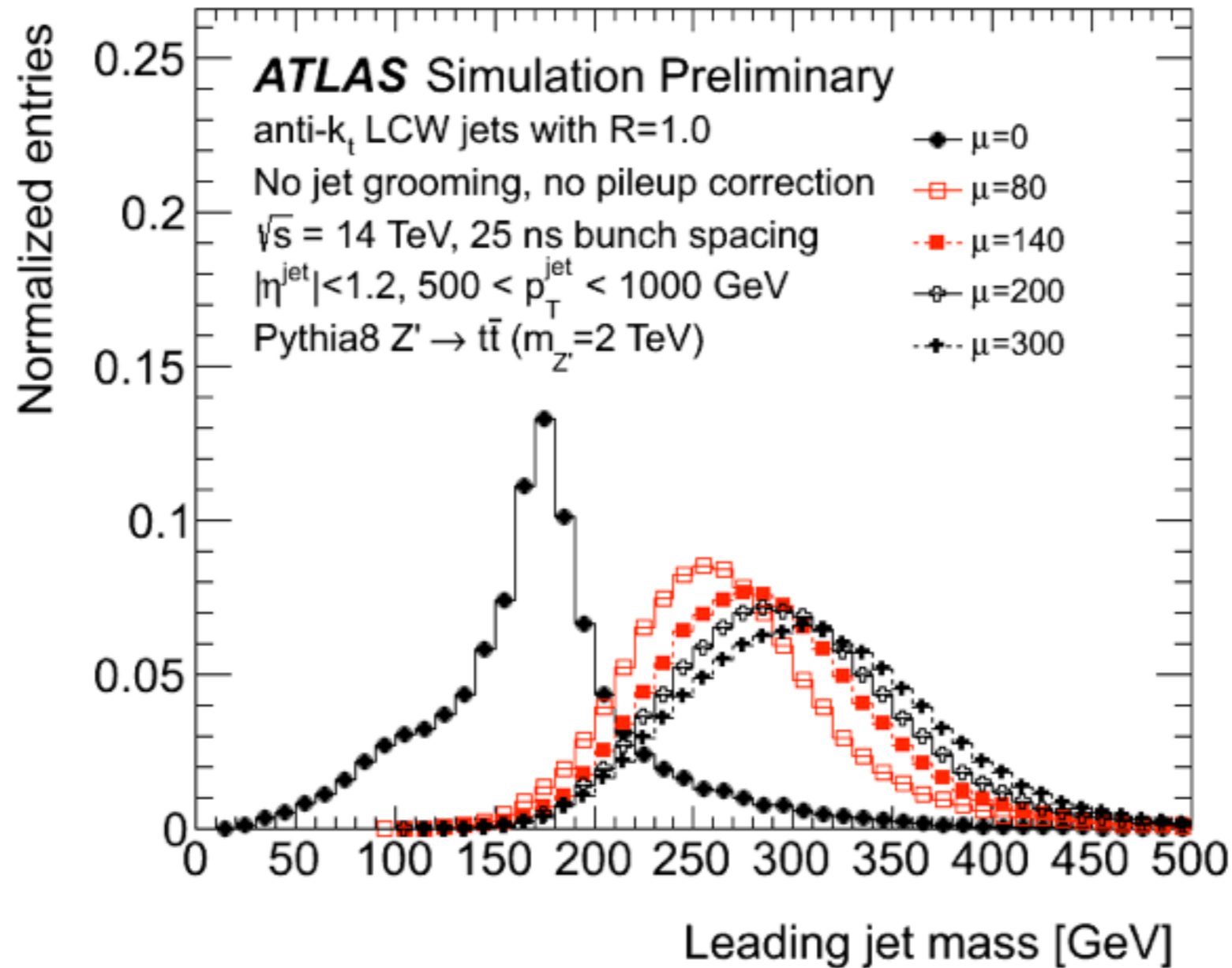
Data studies show **promising** results.



(d)  $R = 1.5$ , loose filtering

# Future - High Pile Up

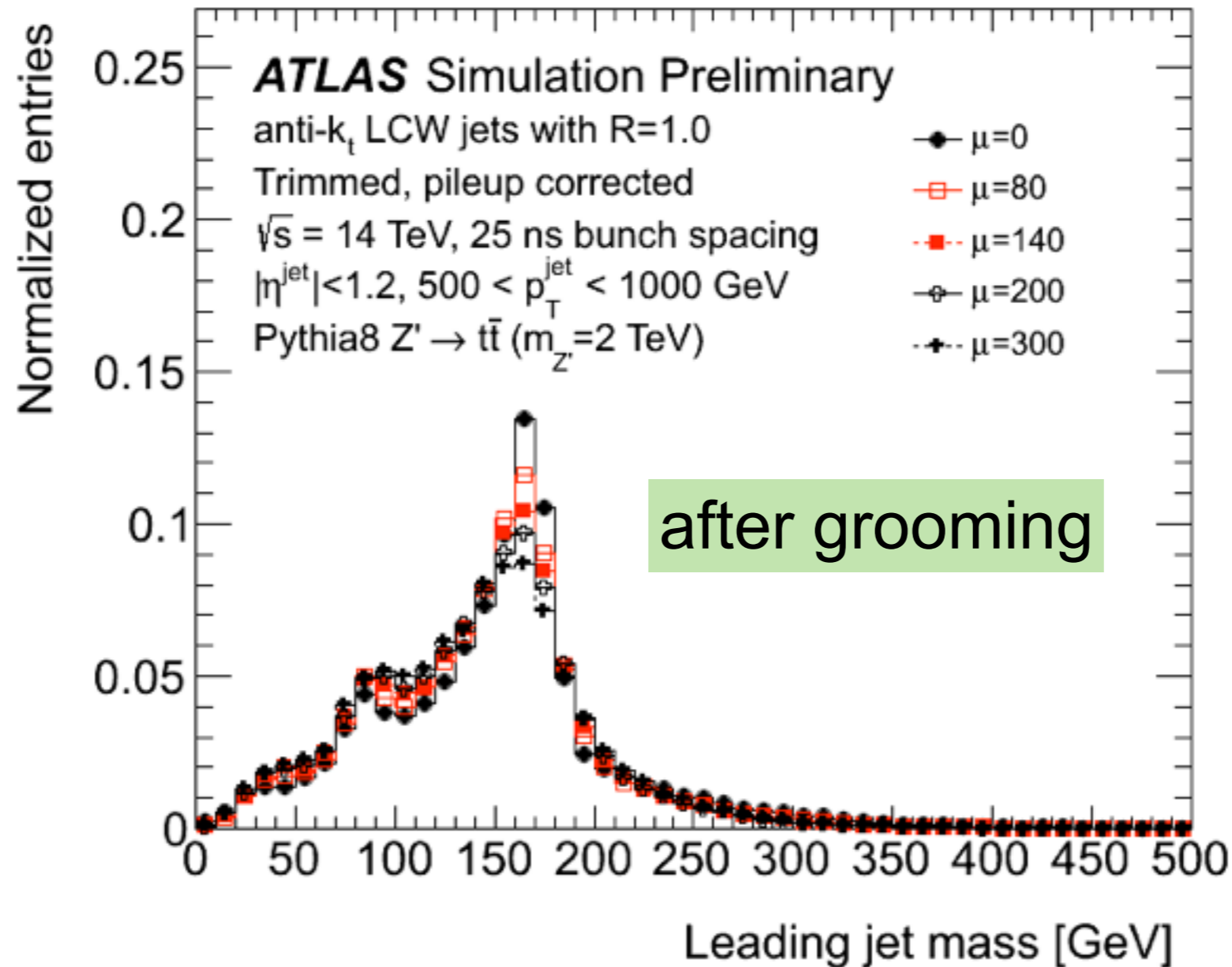
Jet substructure methods must be robust against pile up for the next run.



# Future - High Pile Up

Jet substructure methods must be robust against pile up for the next run.

So far, simulation studies are promising!





Jets are **key** ingredients of measurements and new physics searches

**Understanding** jets improves impact of data

Jet algorithms can be used to **tag** boosted objects