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CP-violation in charged Higgs boson production at LHC

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This talk is based on the results from work in progress in collaboration with E. Christova, INRNE, Sofia & H. Eberl, Institut Fuer Hocherergiephysik, Vienna

Outline

- The subprocess bg→H[±]t
- LHC process pp → H[±]t
- H[±] production and decay at the LHC
- Numerical analysis
- Conclusions

Our process: charged Higgs boson production associated with a t-quark production at LHC

- The main production process at LHC:
 pp → H[±]t +X
- At parton level the reaction proceeds through:
 - \rightarrow Gluon-gluon fusion $gg \rightarrow H^+ \bar{t}b$
 - \rightarrow Bottom-gluon fusion $\bar{b}g \rightarrow H^+ \bar{t}$

Concerning CP-violation...

We consider the charge conjugate processes:

$$b_r(p_b) + g^{\alpha}_{\mu}(b_g) \longrightarrow t_s(p_t) + H^{-}(p_{H^{-}})$$

$$\bar{b}_r(p_{\bar{b}}) + g^{\alpha}_{\mu}(b_g) \longrightarrow \bar{t}_s(p_{\bar{t}}) + H^+(p_{H^+})$$

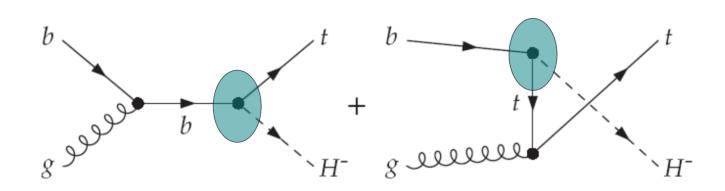
in the Minimal Supersymmetric Standard Model (MSSM) with complex phases

The subprocess b $g \rightarrow t H^{\pm}$

 At tree-level the process b g → t H[±] has two channels:

s-channel

t-channel

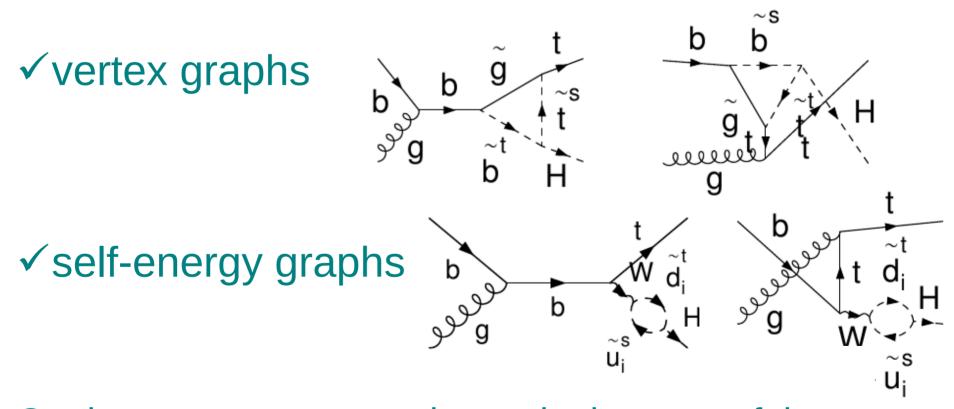


$$\hat{s} = (p_b + p_g)^2, \qquad t = (p_t - p_g)^2 = (p_b - p_{H^+})^2$$

 Effects of CP-violation appear at next-to-leading order, when adding loop corrections with SUSY particles in the H[±]tb-vertices of both s- and tchannels

Sources of CP-violation in MSSM

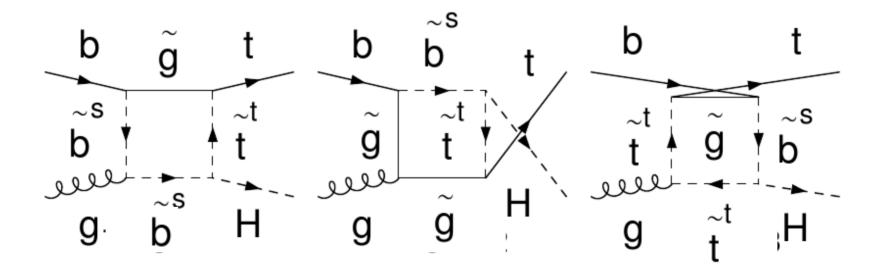
 The (main) contributions to CP-violating asymmetry comes from:



 On the same argumentation as in the case of the decay, only these two types of corrections are further considered analytically

Sources of CP-violation in MSSM

✓ box graphs*



The s- and t-channel amplitudes

 The loop-corrected amplitudes¹ have a different structure in comparison with the decay case – one of the quarks is always off-shell:

$$\mathcal{M}^{s} = i \frac{g_{s}}{\hat{s}} \bar{u}_{s}(p_{t}) \Big\{ [(y_{t} + \delta \tilde{Y}_{t}^{s}) P_{L} + (y_{b} + \delta \tilde{Y}_{b}^{s}) P_{R}] (\not\!{p}_{b} + \not\!{p}_{g}) + \\ + \hat{s} [f_{RR}^{s,2} P_{L} + (f_{LL}^{s,2} - \tilde{f}_{LL}) P_{R}] \Big\} T_{sr}^{\alpha} \gamma^{\mu} u_{r}(p_{b}) \epsilon_{\mu}^{\alpha}(p_{g}) \\ \mathcal{M}^{t} = i \frac{g_{s}}{t - m_{t}^{2}} \bar{u}_{s}(p_{t}) \epsilon_{\mu}^{\alpha}(p_{g}) \gamma^{\mu} T_{sr}^{\alpha} \Big\{ (\not\!{p}_{t} - \not\!{p}_{g} + m_{t}) [(y_{t} + \delta \tilde{Y}_{t}^{t}) P_{L} + (y_{b} + \delta \tilde{Y}_{b}^{t}) P_{R}] \\ + (t - m_{t}^{2}) [(f_{LL}^{t,1} + \tilde{f}_{LL}) P_{L} + f_{RR}^{t,1} P_{R}] \Big\} u_{r}(p_{b}) , \\ \delta \tilde{Y}_{t}^{s} = m_{\tilde{g}} f_{RL}^{s,0} + m_{t} (f_{LL}^{s,1} + \tilde{f}_{LL}) , \qquad \delta \tilde{Y}_{b}^{s} = m_{\tilde{g}} f_{LR}^{s,0} + m_{t} f_{RR}^{s,1} , \\ \delta \tilde{Y}_{t}^{t} = m_{\tilde{g}} f_{RL}^{t,0} + m_{t} (f_{LL}^{t,1} + \tilde{f}_{LL}) , \qquad \delta \tilde{Y}_{b}^{t} = m_{\tilde{g}} f_{LR}^{t,0} + m_{t} f_{RR}^{t,1} , \\ \delta \tilde{Y}_{t}^{t} = m_{\tilde{g}} f_{RL}^{t,0} + m_{t} (f_{LL}^{t,1} + \tilde{f}_{LL}) , \qquad \delta \tilde{Y}_{b}^{t} = m_{\tilde{g}} f_{LR}^{t,0} + m_{t} f_{RR}^{t,1} , \\ \delta \tilde{Y}_{t}^{t} = m_{\tilde{g}} f_{RL}^{t,0} + m_{t} (f_{LL}^{t,1} + \tilde{f}_{LL}) , \qquad \delta \tilde{Y}_{b}^{t} = m_{\tilde{g}} f_{LR}^{t,0} + m_{t} f_{RR}^{t,1} , \\ \delta \tilde{Y}_{t}^{t} = m_{\tilde{g}} f_{RL}^{t,0} + m_{t} (f_{LL}^{t,1} + \tilde{f}_{LL}) , \qquad \delta \tilde{Y}_{b}^{t} = m_{\tilde{g}} f_{LR}^{t,0} + m_{t} f_{RR}^{t,1} , \\ \delta \tilde{Y}_{t}^{t} = m_{\tilde{g}} f_{LR}^{t,0} + m_{t} (f_{LL}^{t,1} + \tilde{f}_{LL}) , \qquad \delta \tilde{Y}_{b}^{t} = m_{\tilde{g}} f_{LR}^{t,0} + m_{t} f_{RR}^{t,1} , \\ \delta \tilde{Y}_{t}^{t} = m_{\tilde{g}} f_{LR}^{t,0} + m_{t} (f_{LL}^{t,1} + \tilde{f}_{LL}) , \qquad \delta \tilde{Y}_{b}^{t} = m_{\tilde{g}} f_{LR}^{t,0} + m_{t} f_{RR}^{t,1} , \\ \delta \tilde{Y}_{t}^{t} = m_{\tilde{g}} f_{LR}^{t,0} + m_{t} f_{LL}^{t,1} , \qquad \delta \tilde{Y}_{b}^{t} = m_{\tilde{g}} f_{LR}^{t,0} + m_{t} f_{RR}^{t,1} , \\ \delta \tilde{Y}_{t}^{t} = m_{\tilde{g}} f_{LR}^{t,0} + m_{t} f_{LL}^{t,1} , \qquad \delta \tilde{Y}_{b}^{t} = m_{\tilde{g}} f_{LR}^{t,0} + m_{t} f_{RR}^{t,1} ,$$

1) Given here for H⁻ production

Cross section

The couplings have real and imaginary parts

$$f_{LR}^{\pm} = \operatorname{Re}(f_{LR}) \pm i \operatorname{Im}(f_{LR}), \qquad f_{LR} \equiv f_{LR}^{-}$$

as well as the PV-integrals \Rightarrow we write the cross sections as a sum $\hat{\sigma}^{\pm} = \hat{\sigma}^{inv} \pm \hat{\sigma}^{CP}$, where

$$\hat{\sigma}^{inv} = \hat{\sigma}^{tree} - \frac{\alpha_s}{24\hat{s}^2} \left\{ \mathcal{A}^{s,inv} \int_{t_{min}}^{t_{max}} (\mathcal{X}_1 + \mathcal{X}_{12} + \mathcal{U}\mathcal{V}) dt + \int_{t_{min}}^{t_{max}} \mathcal{A}^{t,inv} (\mathcal{X}_{12} + \mathcal{X}_2 - \mathcal{U}\mathcal{V}) dt - \int_{t_{min}}^{t_{max}} (\mathcal{B}^{s,inv} + \mathcal{B}^{t,inv}) (1 + \mathcal{Y} - \mathcal{V}) dt \right\}$$

$$\hat{\sigma}^{CP} = \frac{\alpha_s}{24\hat{s}^2} \Big\{ \mathcal{A}^{s,CP} \int_{t_{min}}^{t_{max}} (\mathcal{X}_1 + \mathcal{X}_{12} + \mathcal{U}\mathcal{V}) \ dt + \int_{t_{min}}^{t_{max}} \mathcal{A}^{t,CP} (\mathcal{X}_{12} + \mathcal{X}_2 - \mathcal{U}\mathcal{V}) \ dt - \int_{t_{min}}^{t_{max}} (\mathcal{B}^{s,CP} + \mathcal{B}^{t,CP}) (1 + \mathcal{Y} - \mathcal{V}) \ dt \Big\}$$

$$t_{min,max} = \frac{1}{2} \Big(m_t^2 + m_{H^+}^2 - \hat{s} \mp \lambda^{1/2} (\hat{s}, m_t^2, m_{H^+}^2) \Big)$$

Gauge invariance

 One should be careful with the gauge invariance of the process!
 For the gluon helicity spin summation we use

$$\sum_{\lambda=1}^{2} \epsilon_{\mu}^{\alpha*}(k,\lambda) \epsilon_{\nu}^{\beta}(k,\lambda) = \delta^{\alpha\beta} \left(-g_{\mu\nu} - \frac{\eta^{2}k_{\mu}k_{\nu}}{(\eta \cdot k)^{2}} + \frac{\eta_{\mu}k_{\nu} + \eta_{n}uk_{\mu}}{\eta \cdot k} \right)$$

At one loop level in this massless case it is gauge dependent. In the cross section the η -dependence should cancel ultimately.

CP-violating asymmetry

 The CP-violating asymmetry at parton level is defined as

$$\hat{A}_P^{CP} = \frac{\hat{\sigma}^+(\bar{b}g \to \bar{t}H^+) - \hat{\sigma}^-(bg \to tH^-)}{\hat{\sigma}^+(\bar{b}g \to \bar{t}H^+) + \hat{\sigma}^-(bg \to tH^-)}$$

In our terms

$$\hat{A}_P^{CP} = \frac{\hat{\sigma}^{CP}}{\hat{\sigma}^{inv}}$$

The LHC process pp → t H[±]

• At hadron level: $p(P_A) + p(P_B) \rightarrow t(p_t) + H^{\pm}(p_{H^{\pm}})$ with $s = (P_A + P_B)^2$, for LHC $\sqrt{s} = 14$ TeV

The cross sections including PDFunctions:

$$\sigma^{\pm}(pp \to tH^{-}) = 2 \int_{0}^{1} f_b(x_b) \int_{0}^{1} f_g(x_g) \hat{\sigma}^{\pm}(x_b x_g s) \theta(x_b x_g s - s_0) dx_b dx_g$$

CP-violating asymmetry

The CP-violating asymmetry is defined as:

$$A_P^{CP} = \frac{\sigma^+(pp \to \bar{t}H^+) - \sigma^-(pp \to tH^-)}{\sigma^+(pp \to \bar{t}H^+) - \sigma^-(pp \to tH^-)}$$

In our terms:

$$A_P^{CP} = \frac{\sigma^{CP}}{\sigma^{inv}} = \frac{\alpha_s}{12\sigma^{tree}} \int dx_b dx_g f_b(x_b) f_g(x_g) \frac{1}{(x_b x_g \hat{s})^2} \left\{ \frac{2\alpha_s}{3\pi} \mathcal{C}_s + \frac{3\alpha_\omega}{8\pi} \mathcal{C}_w \right\}$$

$$C_s = [\operatorname{Im}(f_{RL})y_t + \operatorname{Im}(f_{LR})y_b]\mathcal{I}_1 + [\operatorname{Im}(f_{LL})y_t + \operatorname{Im}(f_{RR})y_b]\mathcal{I}_2$$

$$C_\omega = \operatorname{Im}(f_{LL})y_t\mathcal{I}_3$$

Production and decay process at LHC: $pp \rightarrow t H^{\pm} \rightarrow ...$

 The full CP-violating asymmetry in the production and the particular decay H[±] →tb is defined as:

$$A^{CP} = \frac{\sigma^{+}(pp \to \bar{t}H^{+} \to t\bar{b}) - \sigma^{-}(pp \to tH^{-} \to \bar{t}b)}{\sigma^{+}(pp \to \bar{t}H^{+} \to t\bar{b}) + \sigma^{-}(pp \to tH^{-} \to \bar{t}b)}$$

- Analogical definition can be made for any subsequent decay, e.g. $H^\pm\!\to\!\tau\nu$
- In narrow width approximation, the CP-asymmetry is a direct sum from the CP-asymmetry in the production and the CP-asymmetry in the relevant decay:

$$A^{CP} = A_P^{CP} + \delta_D^{CP}$$

- Production process at parton level:
 - ► Parameter space:

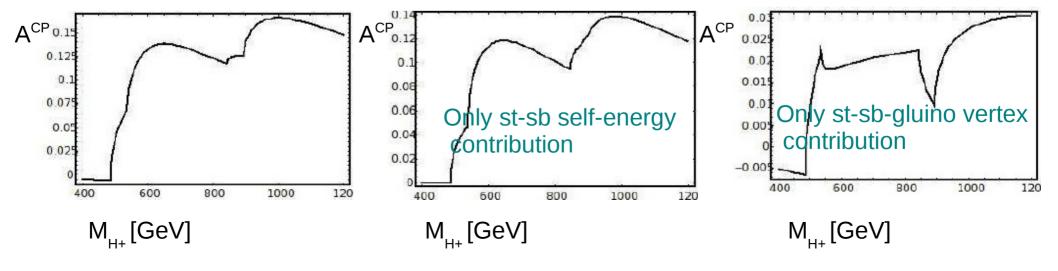
$$M_2 = 300 \text{ GeV}, \quad M_{\tilde{U}} = M_{\tilde{Q}} = M_{\tilde{D}} = M_E = M_L = 350 \text{ GeV},$$

 $\mu = -700 \text{ GeV}, \quad |A_t| = |A_b| = |A_\tau| = 700 \text{ GeV}$

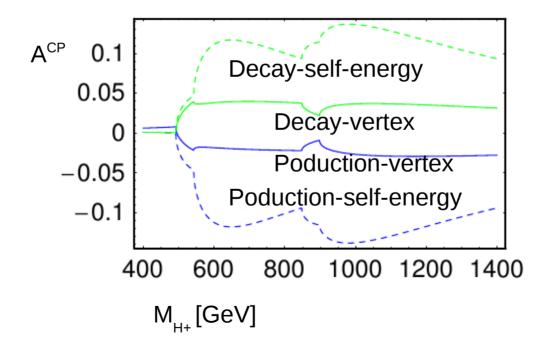
CP-violating asymmetry

$$\tan \beta = 5, \ \phi_{\mu} = 0$$

 $\phi_{A_t} = \pi/2, \phi_{A_b} = 0$



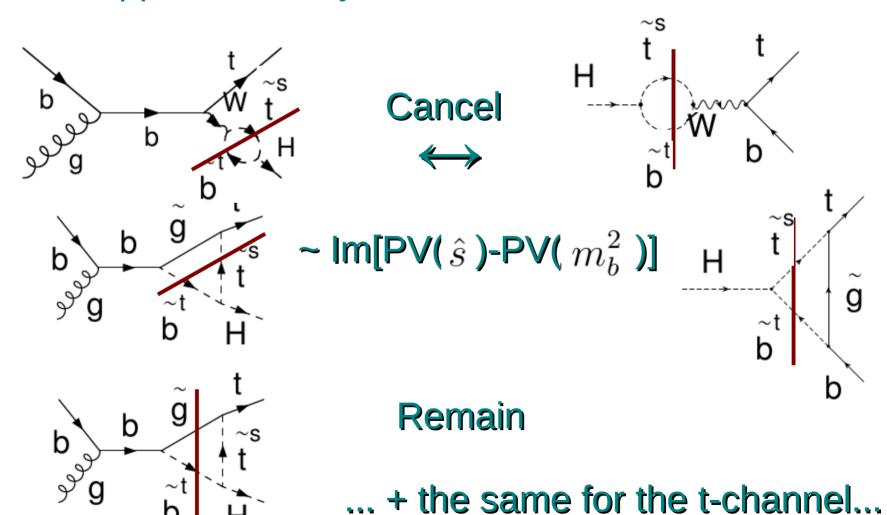
 Production and decay pp → t H[±] → tb process at parton level



$$\sqrt{\hat{s}} = 2 \text{ TeV}$$

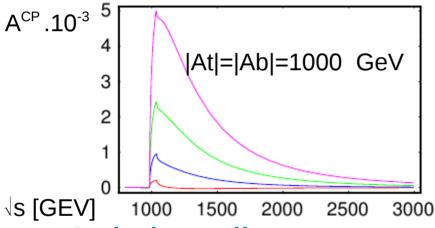


What happens actually? s-channel

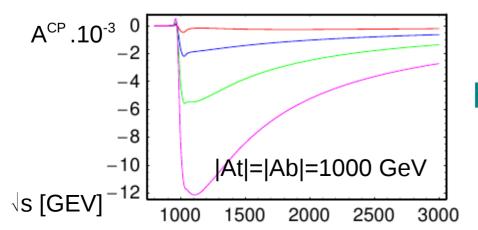


Check for other parameter space: sps1a point:

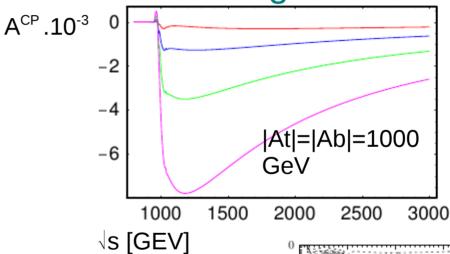
Only vertex diagrams



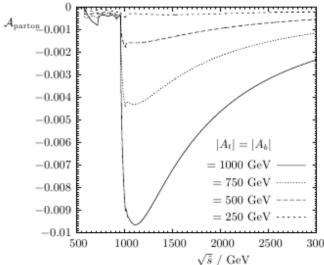
Only box diagrams



→ Both together



check: hep-ph/060807 J. Williams

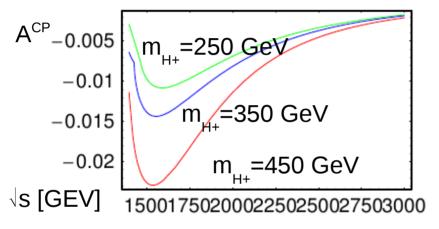


Numerical analisys

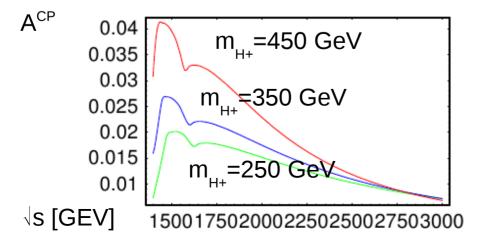
What is left?

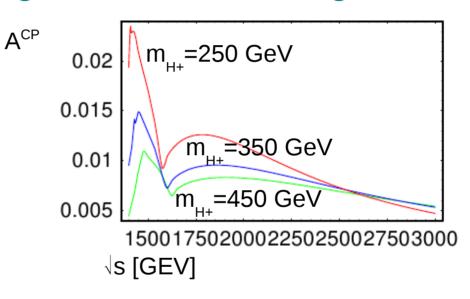
"Low" charged Higgs masses, below the stop-sbottom threshold, $Br(H^{\pm} \rightarrow tb) \sim 1$, the CP-violation remains what it is only in the production.

Including only vertex diagrams → Both together



 Including only box diagrams





Heavy chargino & neutralino scenario

$$\tan \beta = 5, \mu = 1000 \text{ GeV}, m_{H^{\pm}} = 350 \text{ GeV},$$

 $|A_t| = 700, |A_b| = 3000, \phi_{A_t} = \phi_{A_b} = \frac{\pi}{2}$
 $\text{Br}(H^{\pm} \to tb) = 0.961807003$

Summary

- The CP-violating asymmetry in the production process pp → H[±]t can be rather large at a particular parameter point
- As the the CP-asymmetry in the decay H[±]→ the adds to this asymmetry, it becomes very small due to cancelation of the main contribution
- The resulting CP-asymmetry in the production and decay process can reach hardly 2%, which is almost impossible to be observed at LHC, according to the big background of the process

Thank you! ©