

Lecture 3

The Violation of Symmetry between Matter and Antimatter

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Lecture Themes

I. Introduction

- Antimatter
- Discrete Symmetries

II. The Phenomena of CP Violation

- Electric and weak dipole moments
- The strong CP problem
- The discovery of CP violation in the kaon system

III. CP Violation in the Standard Model

- The CKM matrix and the Unitarity Triangle
- B Factories
- CP violation in the B -meson system and a global CKM fit
- The Future at the LHC

IV. CP Violation and the Genesis of a Matter World

- Baryogenesis and CP violation
- Models for Baryogenesis

CP Violation in the Standard Model

We have learned that different types of CP violation have been observed ... we will later see that there is also CP violation in meson systems other than kaons.

All these phenomena can be described by a *unique* parameter in the Standard Model !

The Standard Model

- ☀ The Standard Model forces and their gauge bosons:

Electromagnetic interaction	↔	Photons (γ)
Strong interaction (QCD)	↔	Gluons (g)
Weak interaction	↔	Neutral (Z^0) and charged (W^\pm)

- ☀ Left-handed quarks are fermions organized in *doublets*:

$$\begin{array}{l}
 \text{up-type quarks } (U_i): \\
 \text{down-type quarks } (D_i):
 \end{array}
 \begin{array}{l}
 \begin{pmatrix} u \\ d \end{pmatrix} \\
 \begin{pmatrix} c \\ s \end{pmatrix} \\
 \begin{pmatrix} t \\ b \end{pmatrix}
 \end{array}
 \begin{array}{l}
 Q = +2/3 \\
 Q = -1/3
 \end{array}
 \quad \dots \text{and similar for the leptons.}$$

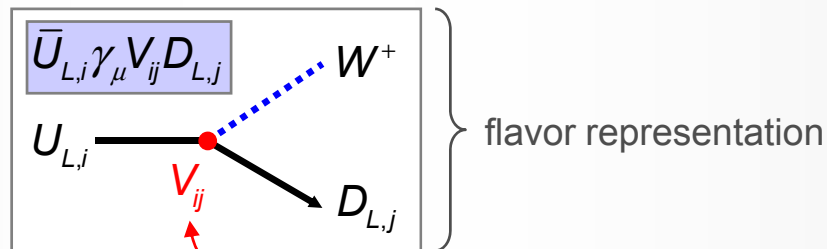
- ☀ The charged weak current is of $V-A$ type:

$$\bar{U}_i \gamma^\mu \underbrace{(1 - \gamma_5)} D_i = \bar{U}_{L,i} \gamma^\mu D_{L,i}$$

The operator projects upon left-handed particles (and right-handed antiparticles) – which means that the W^\pm boson is *blind* to the right-handed particles (and left-handed antiparticles)

Three-Generation Quark Mixing

- The charged weak current generates **transitions between generations**, i.e., the flavoured quarks are not the same as the physical quarks:



There are 3×3 of these

- Again:* since mass and flavor eigenstates are not the same → quark mixing:

$$\begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \underbrace{\begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}}_{\text{CKM matrix}} \circ \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$

Quark mixing would simplify (= reduced parameter space) if some of the quarks had equal masses and would hence not be distinguishable !

Cabibbo-Kobayashi-Maskawa (CKM) matrix – 1973 (KM)

CP Violation in the Standard Model

☀ What does CP or T conjugation with the Hamiltonian H ?

📖 Simple exercise:

Recall:

$$P\hat{x} = -\hat{x}, P\hat{p} = -\hat{p}$$

$$T\hat{x} = \hat{x}, T\hat{p} = -\hat{p}$$

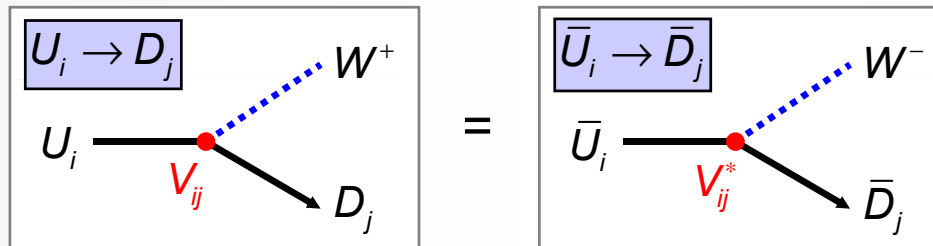
$$[\hat{x}, \hat{p}] = i\hbar \Rightarrow \begin{cases} P[\hat{x}, \hat{p}]P^{-1} = P iP^{-1} \hbar \xrightarrow{P\text{-invariance}} PiP^{-1} = i \\ T[\hat{x}, \hat{p}]T^{-1} = TiT^{-1} \hbar \xrightarrow{T\text{-invariance}} TiT^{-1} = -i \end{cases}$$

→ The T (and CP) operations are **anti-unitary**, which is **complex conjugation** !



Since $H = H(V_{ij})$, complex V_{ij} would generate $[T, H] \neq 0 \rightarrow CP$ violation

☀ CP conservation is: $A(U_i \rightarrow D_j) = \bar{A}(\bar{U}_i \rightarrow \bar{D}_j)$ (up to unphysical phase)



only, if: $V_{ij} = V_{ij}^*$

The Quark-Mixing Matrix

✿ The $|V_{ij}|^2$ are transition probabilities and hence the matrix must be unitary

☞ For example, a t quark can decay into a d , s , or b quark and nothing else; thus, the sum of the decay probabilities into these quarks must be one:

$$|V_{td}|^2 + |V_{ts}|^2 + |V_{tb}|^2 = 1$$

✿ Unitarity condition:

$$VV^\dagger = 1 \Leftrightarrow \sum_j V_{ij}V_{jk}^* = \delta_{ik}$$

✿ The unitarity condition sets strong constraints on the V_{ij} , which initially has $2N^2$ unknowns (N is number of generations)

Quark-Mixing Matrices for Different Generations

➡ Example for $N = 1$ generation:

- 2 Unknowns – module and phase: $|V| e^{i\phi}$
- Unitarity determines $|V| = 1$
- The phase is arbitrary (non-physical): $\bar{U}_L \gamma_\mu e^{i\phi} D_L \rightarrow \bar{U}_L \gamma_\mu D'_L$...with same physics

➡ No phase, no CPV

➡ Example for $N = 2$ generations:

- 8 Unknowns – 4 moduli and 4 phases
- Unitarity gives 4 constraints : $VV^\dagger = \begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix}$
- For 4 quarks, we can adjust 3 relative phases

➡ Only 1 parameter, a rotation (= Cabibbo) angle left: no phase \rightarrow no CPV

Quark-Mixing Matrices for Different Generations

➡ Example for $N = 3$:

- 18 Unknowns – 9 moduli and 9 phases
- Unitarity gives 9 constraints
- For 6 quarks, we can adjust 5 relative phases

➡ 4 Unknown parameters left, 3 rotation (Euler) angles and 1 phase → CPV !

➡ Example for $N = 4$:

- 32 Unknowns, 16 unitarity constraints, 7 arbitrary phases

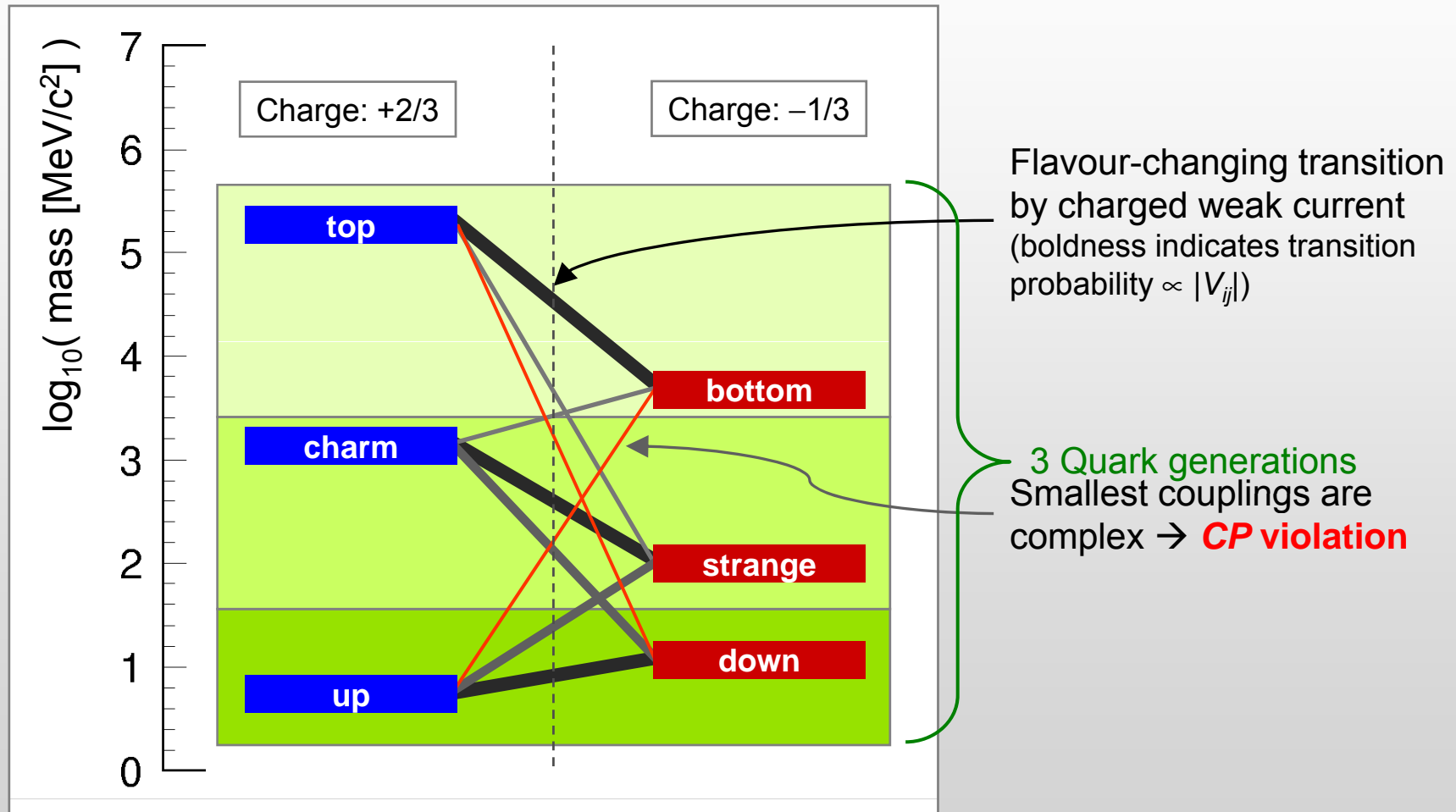
➡ 9 Unknown parameters left, 6 rotation angles and 3 phases → lots of CPV !

☀ For N generations:

$$\left\{ \begin{array}{l} \text{Number of rotation angles} : \frac{1}{2}N(N-1) \\ \text{Number of phases} : \frac{1}{2}(N-1)(N-2) \end{array} \right.$$

Quark Flavours in the Standard Model

- ☀ Quarks (as leptons) in the SM are organized in 3 generations:



The CKM Matrix in the Wolfenstein Parameterization

- ☀ The 3-generation CKM matrix has 4 unknowns, one of which is a phase
- ☀ Flavor-changing transitions between families are allowed, but are small
- ➡ We can develop the CKM matrix elements around the small flavor-changing transition between the 1st and the 2nd family (the Cabibbo mixing), denoted $\lambda \approx 0.2$:

$$V = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \Rightarrow \begin{pmatrix} 1 - \lambda^2/2 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \lambda^2/2 & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix} + O(\lambda^4)$$

- ☀ Decay-rate measurements give: $\Gamma(i \rightarrow j\bar{\ell}\nu) \propto |V_{ij}|^2 \times F^2(i \rightarrow j)$ Strong-interaction form factor (taken from theory)

$$(|V|)_{ij} = \begin{pmatrix} 0.9738 \pm 0.0003 & 0.2257 \pm 0.0021 & 0.0043 \pm 0.0003 \\ 0.230 \pm 0.011 & 0.96 \pm 0.10 & 0.0416 \pm 0.0006 \\ - & - & > 0.78^{[95\% \text{ C.L.}]} \end{pmatrix}$$

- ☀ **How can we determine the CP-violating phase ?**

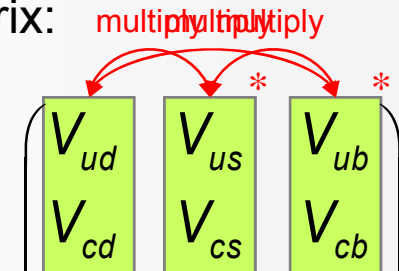
The CKM Matrix and the “Unitarity Triangle(s)”

- The 9 unitarity conditions of the 3×3 generations CKM matrix:

$$|V_{id}|^2 + |V_{is}|^2 + |V_{ib}|^2 = 1$$

$$\forall i \in \{u, c, t\}$$

$$\sum_{j=1}^3 V_{ij} V_{kj}^* = 0, \quad \forall i \neq k \in \{1, 2, 3\}$$



CKM-type *CP* violation is always a rare phenomenon:

1. Either the *CP* asymmetry is small
2. Or/and the decay rate is suppressed

$$V_{ud} V_{ub}^* + V_{cd} V_{cb}^* + V_{td} V_{tb}^* = 0$$

$$V_{us} V_{ub}^* + V_{cs} V_{cb}^* + V_{ts} V_{tb}^* = 0$$

$$V_{ud} V_{cd}^* + V_{us} V_{cs}^* + V_{ub} V_{cb}^* = 0$$

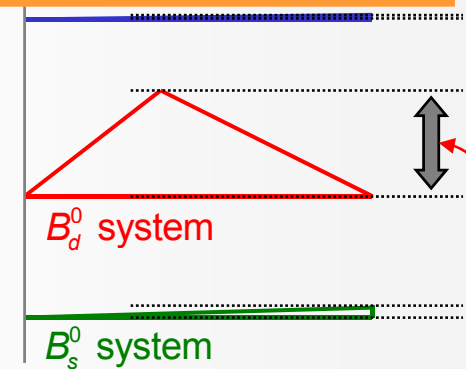
$$V_{ud} V_{td}^* + V_{us} V_{ts}^* + V_{ub} V_{tb}^* = 0$$

$$V_{cd} V_{td}^* + V_{cs} V_{ts}^* + V_{cb} V_{tb}^* = 0$$

$$O(\lambda) + O(\lambda) + O(\lambda^5) = 0$$

$$O(\lambda^3) + O(\lambda^3) + O(\lambda^3) = 0$$

$$O(\lambda^4) + O(\lambda^2) + O(\lambda^2) = 0$$



relative size of *CP*-violating effect

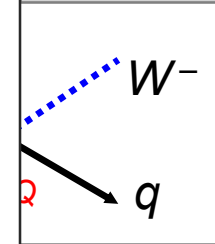
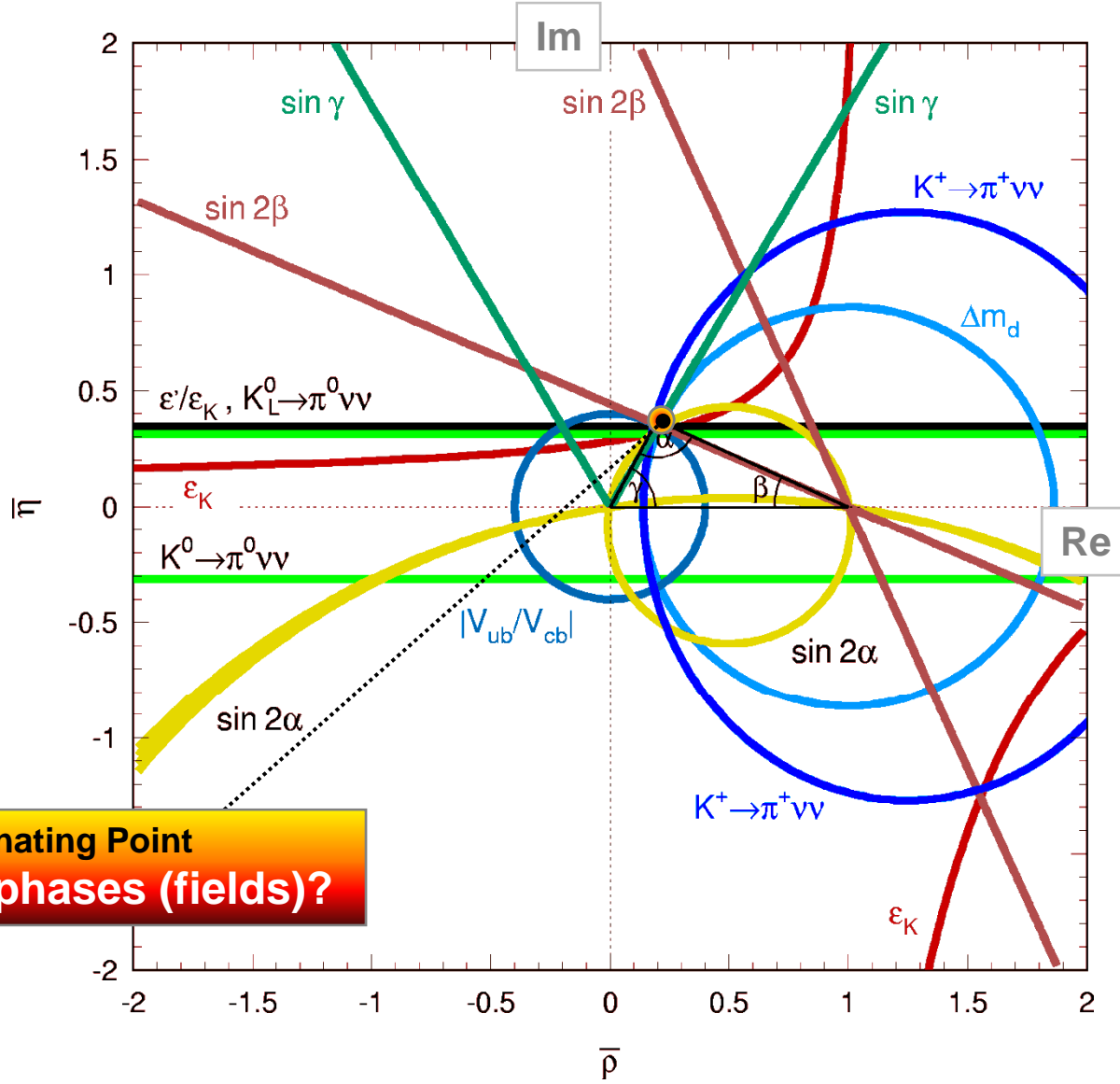
The CKM Matrix and the Unitarity Triangle

Kobayashi-Maskawa 1973

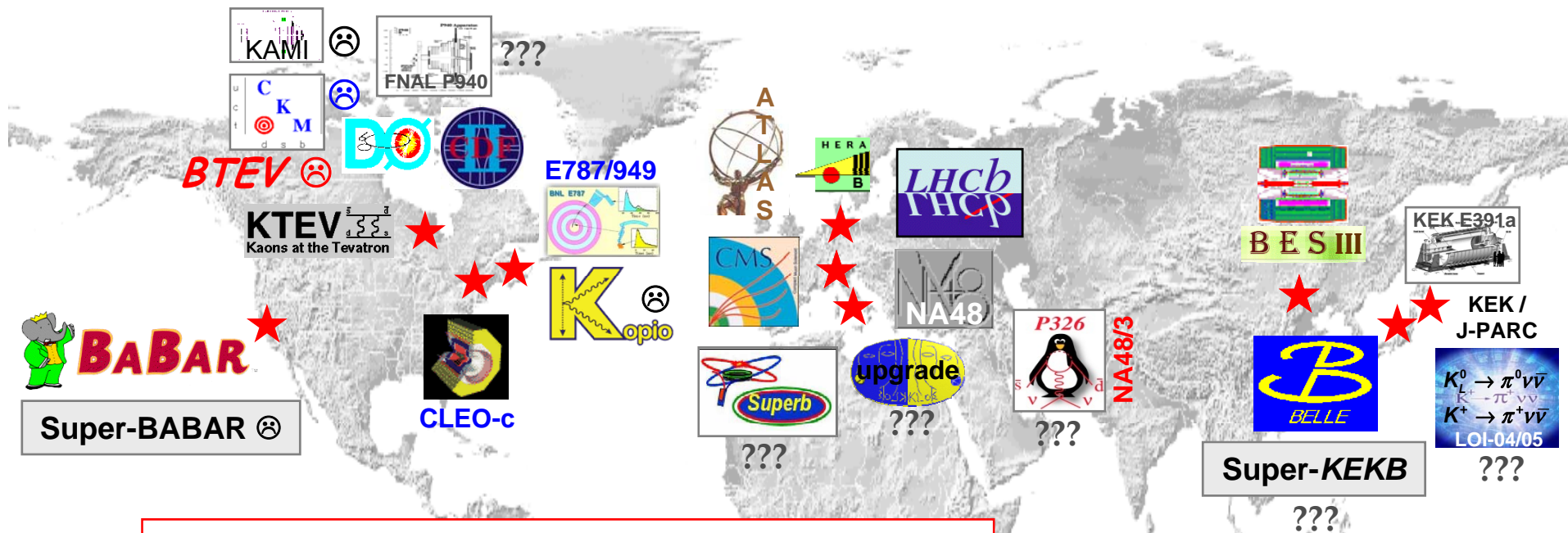
V_{CKM}

V_{ud}

(∞)



**Culminating Point
SM or new phases (fields)?**



Planned experiments that were not ratified

Approved experiments (mostly in construction)

New proposals

Currently running or recently ended programs

CKM Physics and CP Violation

Worldwide Experimental Facilities

The B -Meson System

The study of CP violation, mixing and rare decays of B mesons allows to over-determine the Unitarity Triangle (UT)

1. Relative CP -violating effects are expected to be large
2. Requires dedicated experiments
3. Goal: measure all three angles, α , β , γ , and the sides of the UT

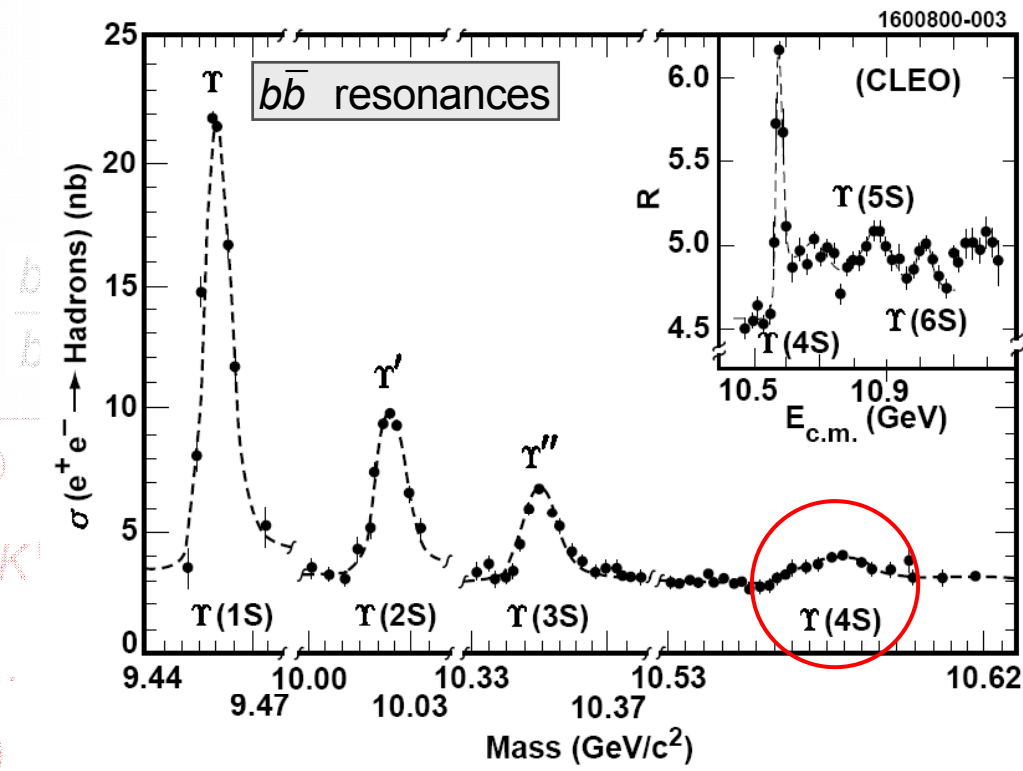
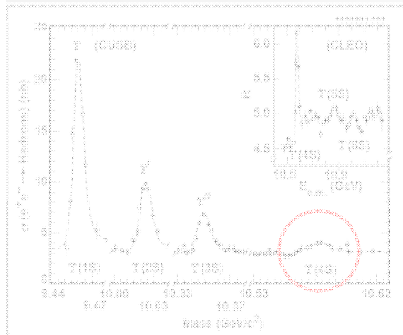
$$\alpha = \arg\left(-\frac{V_{td}V_{tb}^*}{V_{ud}V_{ub}^*}\right)$$

$$\beta = \arg\left(-\frac{V_{cd}V_{cb}^*}{V_{td}V_{tb}^*}\right)$$

$$\gamma = \arg\left(-\frac{V_{ud}V_{ub}^*}{V_{cd}V_{cb}^*}\right)$$

concentrate lecture on
this measurement

the B_d is also produced by the hadron machines



$B \rightarrow D^{(*)}K^{(*)}$
 $B \rightarrow D_{K_S^0 \pi^+ \pi^-} K^+$
 $B^0 \rightarrow DK_S^0, \dots$
 $B^0 \rightarrow D^* \pi(\rho)$

$K^{(*)}\gamma$

$b \rightarrow c\bar{c}s$

$B^0 \rightarrow J/\psi K_S^0, \dots$

$B^0 \rightarrow \phi K_S^0, \dots$

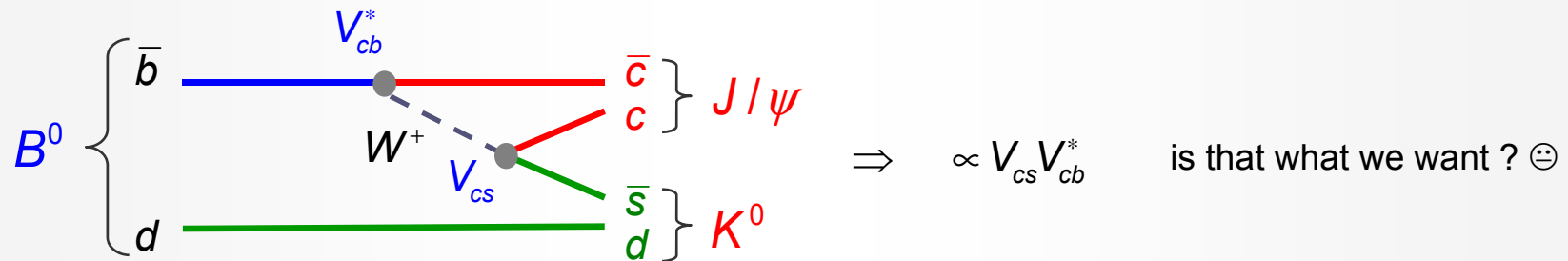
$b \rightarrow s\bar{s}s$

The Measurement of β (... or more precisely: $\sin 2\beta$)

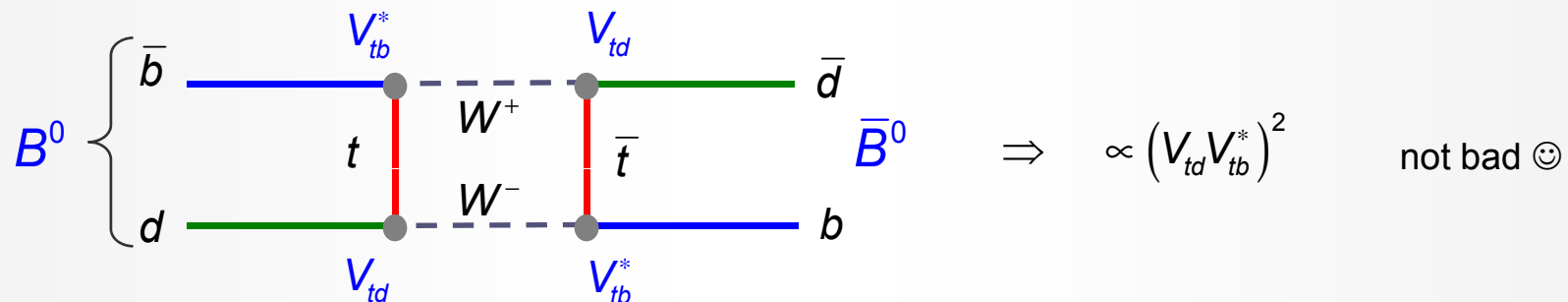
We need to identify the processes that involve the CKM matrix elements that occur in the definition of β :

$$\beta = \arg\left(-\frac{V_{cd}V_{cb}^*}{V_{td}V_{tb}^*}\right)$$

1. The decay $b \rightarrow c$:

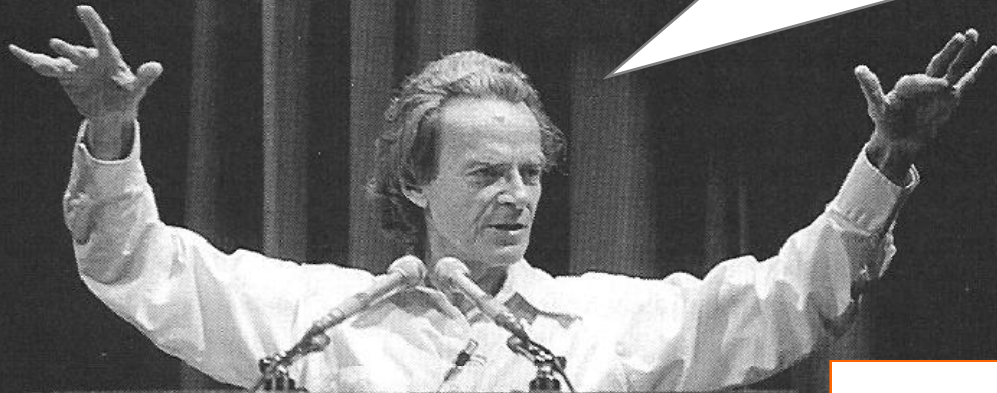


2. Like for the K^0 , the B^0 can first mix and then decay into the “CP eigenstate (?)” $J/\psi K^0$



2. Also the K^0 in the decay must mix for interference $\Rightarrow \infty (V_{cd} V_{cs}^*)^2$ good ☺

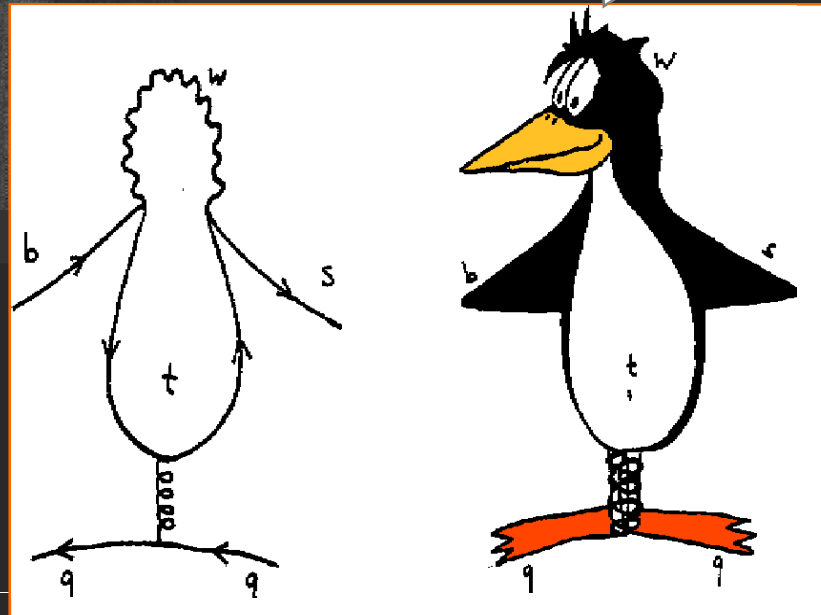
A controversy...



Mirror image of Richard Feynman

Why do you call these
Penguin diagrams?
They don't look like penguins!

I've never seen a
Feynman diagram
that looks like you 😊



Courtesy: G. Hamel de Monchenault

What are the Experimental Requirements ?

☀ The Observable :

$$A_{CP}(t) = \frac{\Gamma(\bar{B}^0(t) \rightarrow J/\psi K_S) - \Gamma(B^0(t) \rightarrow J/\psi K_S)}{\Gamma(\bar{B}^0(t) \rightarrow J/\psi K_S) + \Gamma(B^0(t) \rightarrow J/\psi K_S)} = \sin(2\beta) \cdot \sin(\Delta m_d t)$$

➡ We need to measure:

1. Identify a final state that is **CP eigenstate** (e.g., $J/\psi K_S$)
2. Determine the **flavour** of the **decaying B^0** (assume here it is a B^0)
3. How can we do this if $J/\psi K_S$ **can be reached by both B flavors** ?
4. If we could produce the $B^0\bar{B}^0$ pairs in a **coherent** quantum state, we could “**tag**” **the flavor of the decaying B^0 from the flavor of the other B** , not decaying into a CP eigenstate → see later
5. Since the coherence is destroyed once one of the two B 's decays, we **need** the **decay time difference between the two B 's** to calculate the flavor of the tagged B at the time when the B^0 decayed: $t \rightarrow \Delta t$

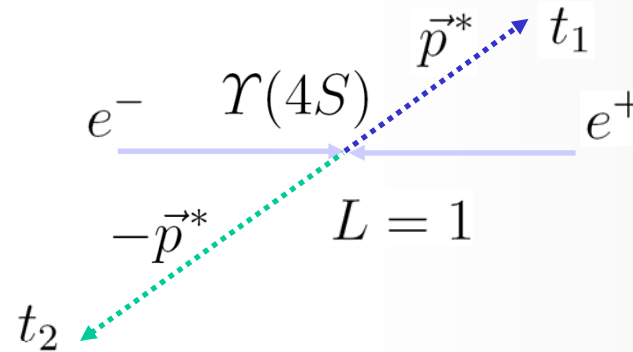
We must determine the decay time difference of the B 's by measuring their decay vertices

digression: Quantum Mechanics for $\Upsilon(4S) \rightarrow B\bar{B}$ Decay

$$e^+e^- \rightarrow \Upsilon(4S) \rightarrow B^0\bar{B}^0$$

$$J^{PC} = 1^{--}$$

Two pseudoscalar bosons in a P -wave
 \Rightarrow antisymmetric wave function



proper times:

$$t \equiv (t_1 + t_2)/2$$

$$\Delta t \equiv t_2 - t_1$$

☀ initial state:

$$\begin{aligned} |\Upsilon(4S) \rightarrow B^0\bar{B}^0\rangle &\propto (|B^0, \vec{p}^*\rangle |\bar{B}^0, -\vec{p}^*\rangle - |\bar{B}^0, \vec{p}^*\rangle |B^0, -\vec{p}^*\rangle) \\ &= (|B_H, \vec{p}^*\rangle |B_L, -\vec{p}^*\rangle - |B_L, \vec{p}^*\rangle |B_H, -\vec{p}^*\rangle) \frac{1}{2pq} \end{aligned}$$

flavor and mass eigenstates:

$$|B^0\rangle = \frac{1}{2p} (|B_L\rangle + |B_H\rangle)$$

$$|\bar{B}^0\rangle = \frac{1}{2q} (|B_L\rangle - |B_H\rangle)$$

☀ double proper-time wave function:

$$\left| (\Upsilon(4S) \rightarrow B^0\bar{B}^0)_{\text{phys}}(t, \Delta t) \right\rangle \propto e^{-2i\mu t} \begin{pmatrix} + e^{+i\Delta\mu\Delta t/2} |B_H, \vec{p}^*\rangle |B_L, -\vec{p}^*\rangle \\ - e^{-i\Delta\mu\Delta t/2} |B_L, \vec{p}^*\rangle |B_H, -\vec{p}^*\rangle \end{pmatrix}$$

where:

$$\mu = M - i\Gamma/2$$

$$\Delta\mu = \Delta M - i\Delta\Gamma/2$$

Quantum Coherence at $\Upsilon(4S) \rightarrow B\bar{B}$ Decay

Quantum coherence (due to synchronous evolution)

⇒ for $\Delta t = 0$, the system is the superposition of:

one B^0	and one \bar{B}^0
one B_H	and one B_L
one $B_{CP=+1}$	and one $B_{CP=-1}$

An **Einstein-Podolsky-Rosen** phenomenon:

The measurement of the flavor (or CP) of one meson (e.g. from its decay products) determines the flavor (or CP) of the other meson at the same proper time (it is opposite)

For the study of time evolution, one needs to measure Δt .

However, at the $\Upsilon(4S)$:

$$\left. \begin{array}{l} p_B^* = 340 \text{ MeV}/c \\ (\beta\gamma)_B^* = 0.064 \end{array} \right\} \Rightarrow \text{flight distance } d^* \sim 30 \text{ } \mu\text{m} \text{ (beyond experimental reach)}$$

⇒ Cannot perform decay-time-dependent measurements ?

Pier Oddone's Clever Idea (1987)

Why not produce the $\Upsilon(4S)$ with a strong boost?

One could deduce the Δt from the **distance between the two B vertices along the boost axis**. What we need is an **asymmetric-energy B Factory** with peak luminosity of order $5 \times 10^{33} \text{ cm}^{-2}\text{s}^{-1}$

PEP-II: 9 GeV e^- on 3.1 GeV e^+ :

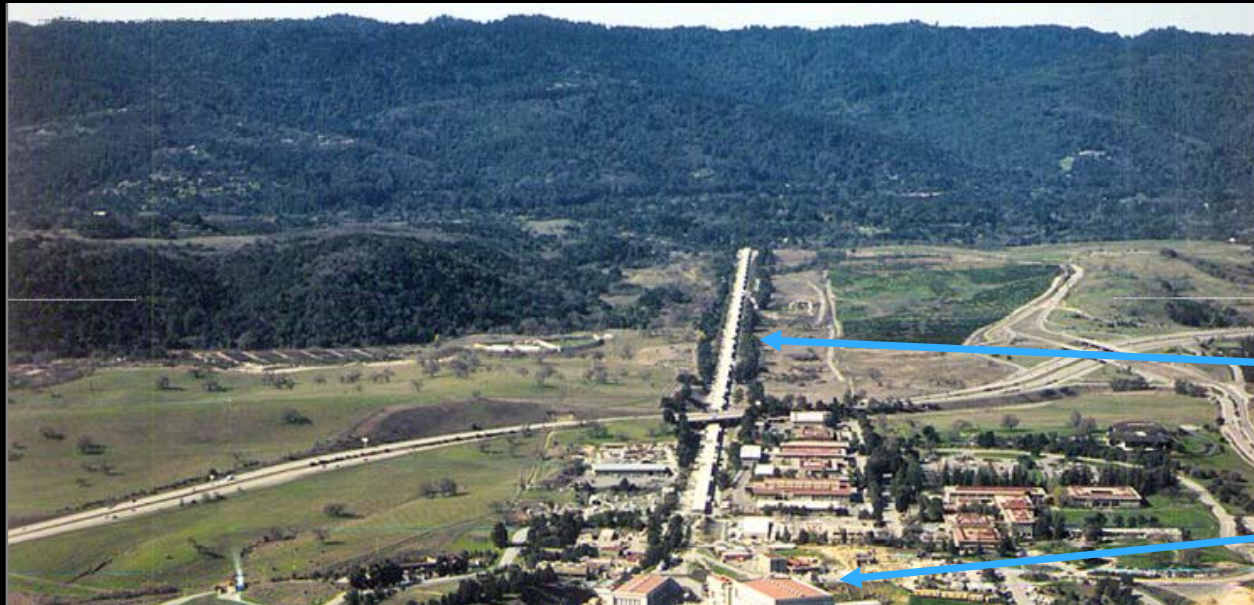
- Coherent neutral B pair production and decay (P -wave)
- Boost of $\Upsilon(4S)$ in lab frame : $\beta\gamma = 0.56$

Pier Oddone, LBL (now: FNAL)

Oddone & Dorfan in PEP-II Tunnel, 2003

**10 years later exist two asymmetric B Factories :
PEP-II at SLAC and KEKB at KEK**

The B Factories: PEP-2 (SLAC, USA) and KEK-B (KEK, Japan)

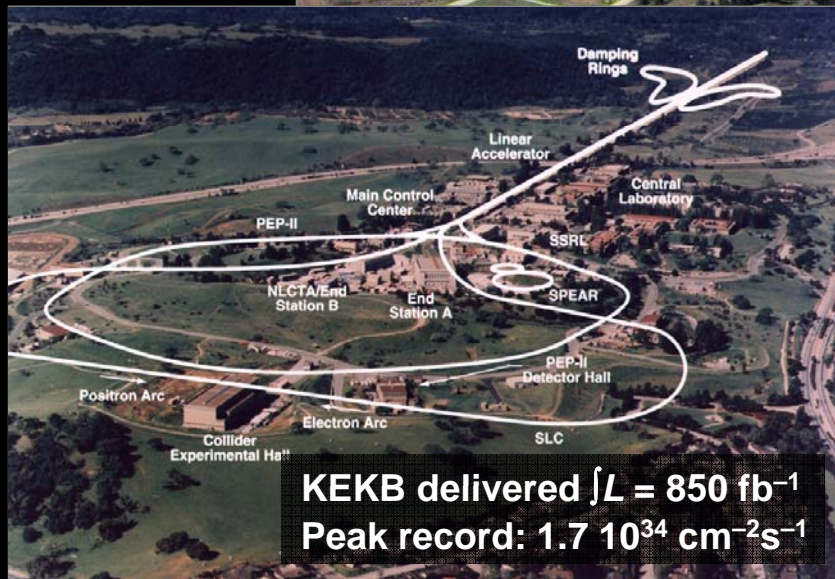


Linac

Fixed Target Experiments

BABAR

SLD (& MARK II)

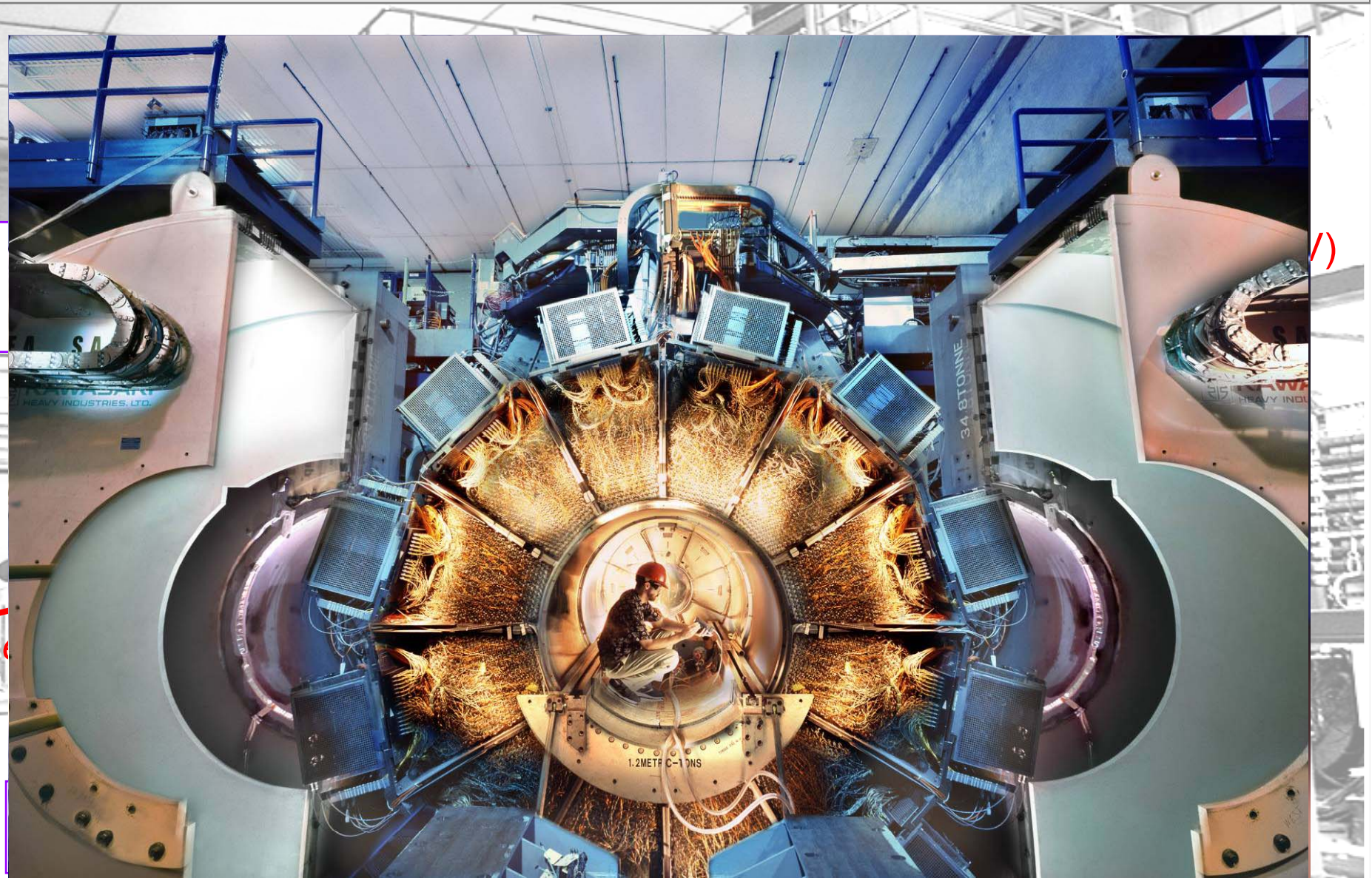


KEKB delivered $\int L = 850 \text{ fb}^{-1}$
Peak record: $1.7 \cdot 10^{34} \text{ cm}^{-2}\text{s}^{-1}$



PEP-II delivered $\int L = 557 \text{ fb}^{-1}$
Peak record: $1.2 \cdot 10^{34} \text{ cm}^{-2}\text{s}^{-1}$

The BABAR Detector



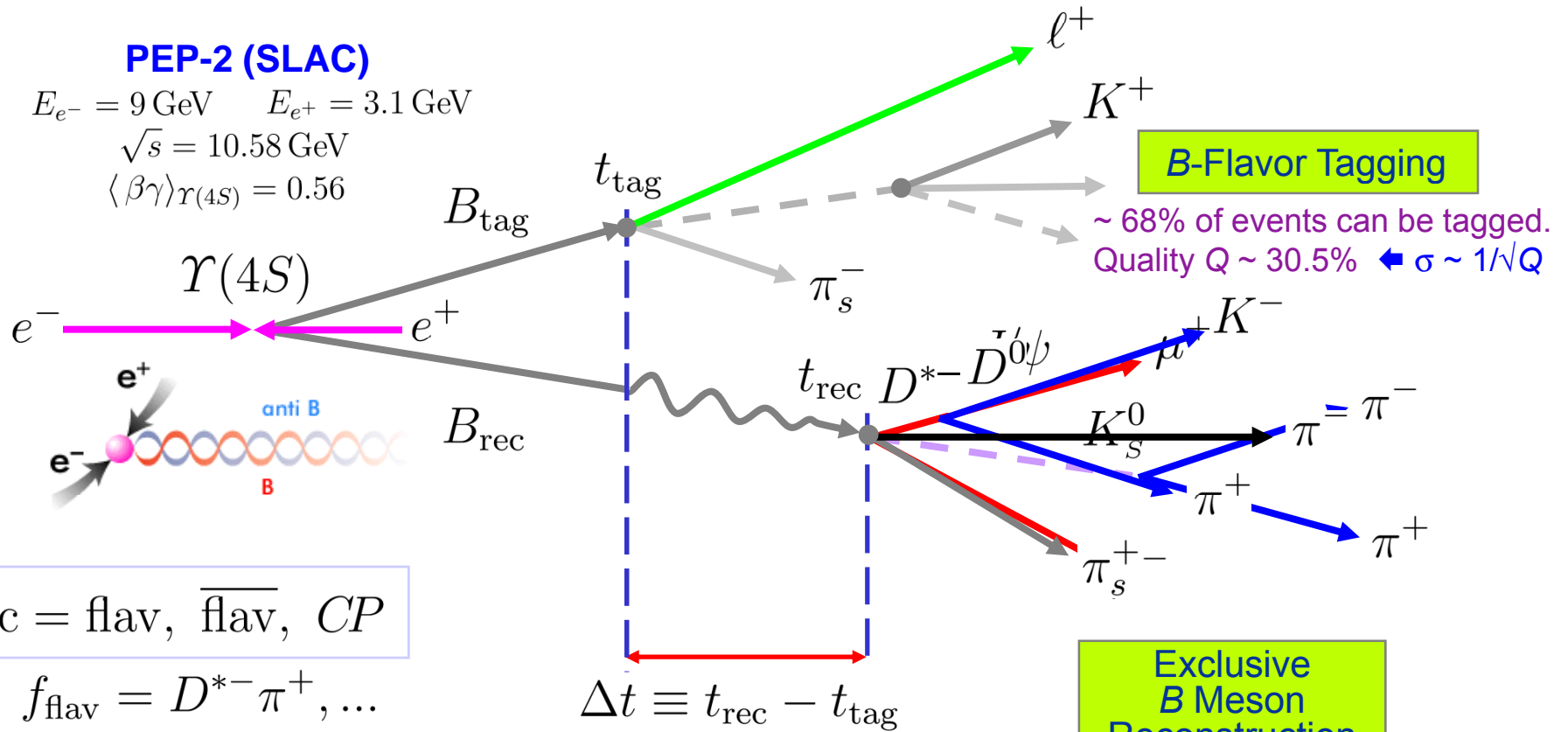
Analysis Technique at the B Factories

PEP-2 (SLAC)

$$E_{e^-} = 9 \text{ GeV} \quad E_{e^+} = 3.1 \text{ GeV}$$

$$\sqrt{s} = 10.58 \text{ GeV}$$

$$\langle \beta\gamma \rangle_{r(4S)} = 0.56$$



rec = flav, $\overline{\text{flav}}$, CP

$$f_{\text{flav}} = D^{*-} \pi^+, \dots$$

$$f_{CP} = J/\psi K_S^0, J/\psi K_L^0, \dots$$

tag = B^0 , \overline{B}^0

$$f_{B^0} = X \ell^+ \nu, X K^+, X \pi_s^-, \dots$$

Vertexing &
Time Difference
Determination

Exclusive
B Meson
Reconstruction

$$\Delta t \approx \Delta z / c \langle \beta\gamma \rangle_{r(4S)}$$

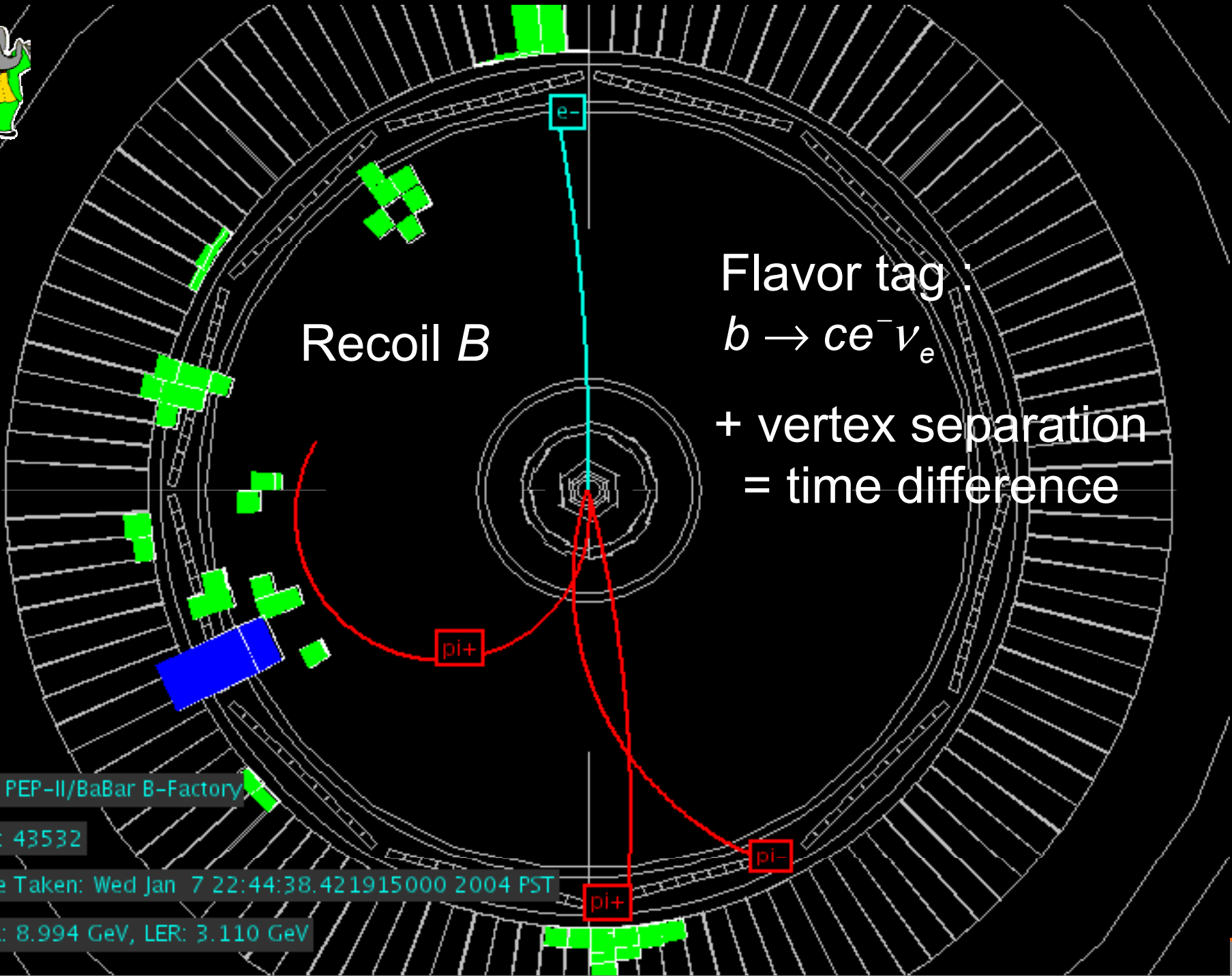
$$\langle \Delta z \rangle_{B\overline{B}} \approx 260 \mu\text{m}$$



Recoil B

Flavor tag :
 $b \rightarrow ce^- \nu_e$
+ vertex separation
= time difference

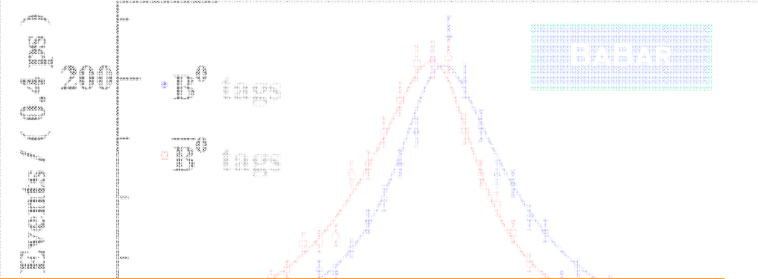
The PEP-II/BaBar B-Factory
Run: 43532
Date Taken: Wed Jan 7 22:44:38.421915000 2004 PST
HER: 8.994 GeV, LER: 3.110 GeV



Discovery of CP Violation in the B System

- CP Violation due to the interference of decays with and without mixing

$$\text{Prob}(\bar{B}^0(t) \rightarrow f_{CP}) \neq \text{Prob}(B^0(t) \rightarrow f_{CP})$$



Wonderful measurements ...

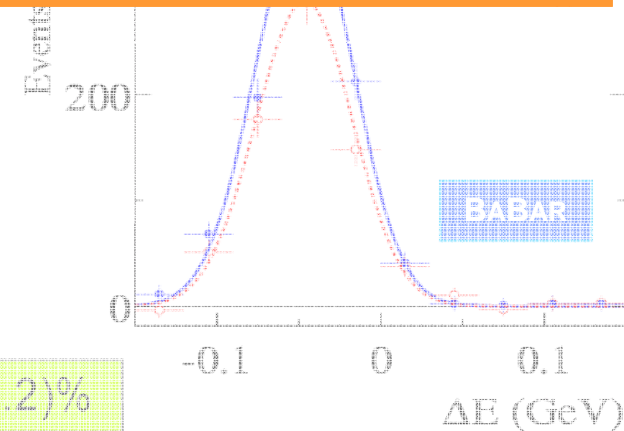
... what do they tell us ?

with : $\sin(2\beta) = 0$ and $\sin(2\alpha) = 0$ for $B \rightarrow J/\psi K^0, \phi$

- Direct CP Violation is due to interference of decay amplitudes with different weak and hadronic phases

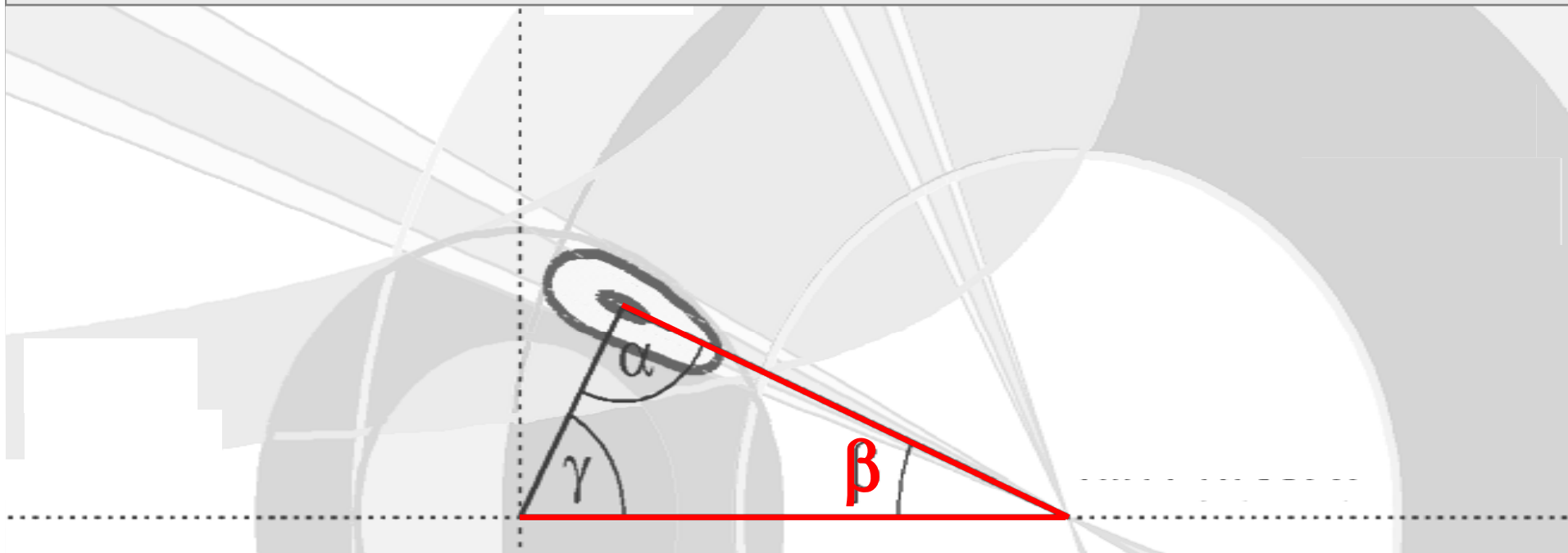
$$\text{Prob}(\bar{B} \rightarrow \bar{f}) \neq \text{Prob}(B \rightarrow f)$$

$$A_{CP|WA} = -(9.7 \pm 1.2)\%$$



Already seven charmless modes with evidence or hints for direct CPV !

A Standard Model Prediction for $\sin(2\beta)$? **How ?**



Since the CKM matrix describes all CP -violating effects by a single phase, and the complete quark-mixing matrix depends only on 4 parameters, we can constrain it (for example, using the CP measurements in the kaon sector) and hence obtain a prediction for $\sin(2\beta)$.

We can even **overconstrain** the CKM matrix by a global fit using all the available information, and thus **search for inconsistencies that would reveal the presence of new physics !**

The Global CKM Fit

- To determine (and then predict) the phase of the CKM matrix we need to measure processes that involve the matrix elements V_{ub} and V_{td} , i.e.: ρ and η

$$V = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \Leftrightarrow \begin{pmatrix} 1 - \lambda^2/2 & \lambda & A\lambda^3(\rho - i\eta) \\ -\lambda & 1 - \lambda^2/2 & A\lambda^2 \\ A\lambda^3(1 - \rho - i\eta) & -A\lambda^2 & 1 \end{pmatrix} + \mathcal{O}(\lambda^4)$$

- Some processes are already well established:

- The rate of $b \rightarrow u$ transitions determine $|V_{ub}|$
- Indirect CP Violation in the kaon system (ε) is sensitive to V_{td}
- Neutral B_d mixing determines $|V_{td}|$ (reduce theory uncertainty by also using neutral B_s mixing)
- Mixing-induced CP violation in B system determines $\sin(2\beta)[\arg(V_{td})]$

- Some processes need larger data samples, now approached by the B factories:

- CP -violation measurements in $B^0 \rightarrow \pi^+\pi^-$, $\rho^+\pi^-$, $\rho^+\rho^-$ determine $\alpha(\bar{\rho}, \bar{\eta})$
- Direct- CP -violation measurements in $B \rightarrow DK$ determine $\gamma = \arctan\left(\frac{\bar{\eta}}{\bar{\rho}}\right)$
- The rates of $b \rightarrow d$ loop transitions determine $|V_{td}|$
- The leptonic decay $B^+ \rightarrow \tau^+\nu$ ($\bar{b}d \rightarrow W^+$ “tree annihilation”) determines $|V_{ub}|$

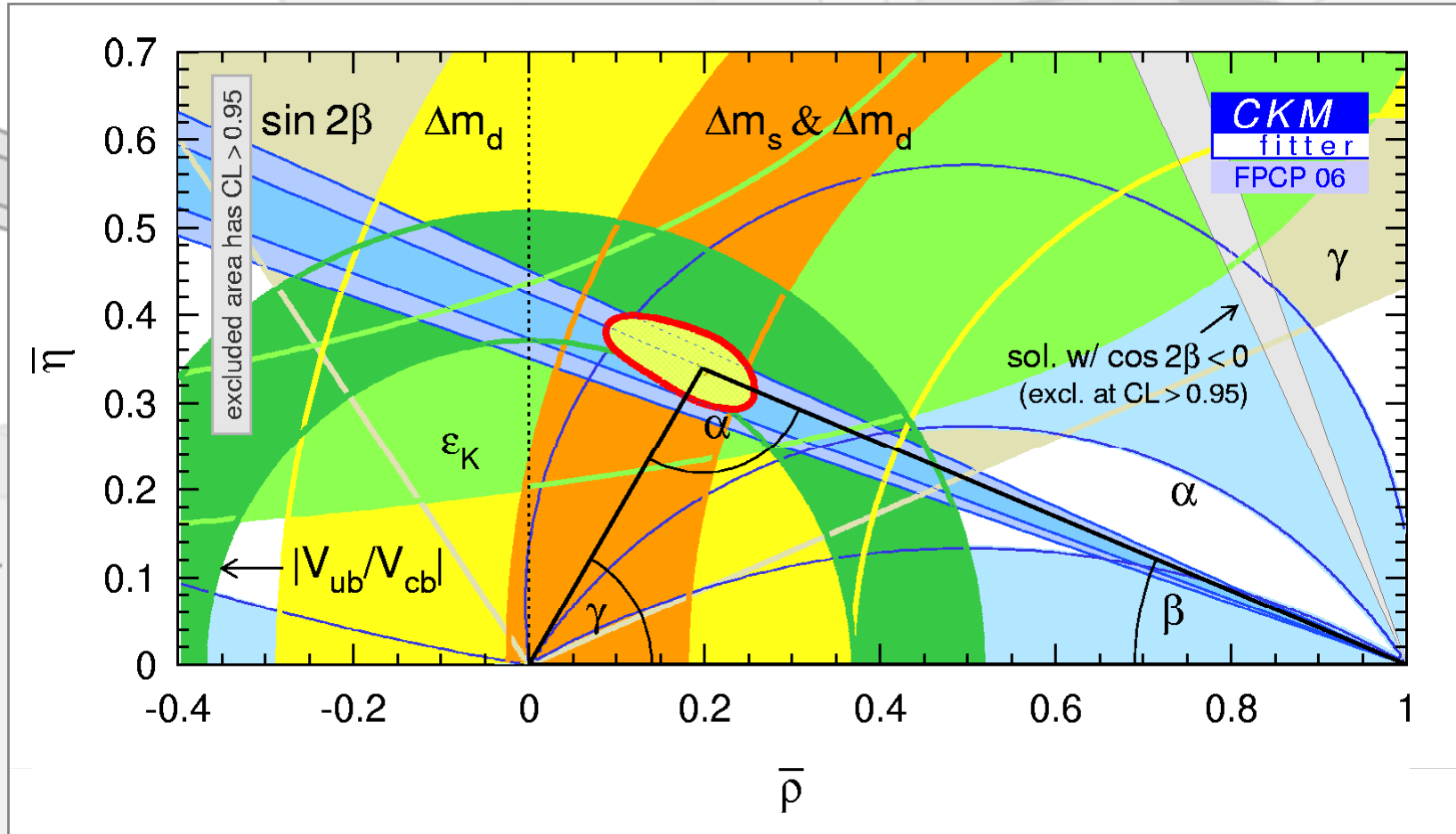
Parameter	Value ± Error(s)
$ V_{ud} $ (nuclei)	0.97377 ± 0.00027
$ V_{us} $ (K_{CB})	0.2258 ± 0.0010
$ V_{ub} $	$(3.86 ± 0.09 ± 0.47) × 10^{-3}$
$ V_{cb} $	$(41.50 ± 0.90) × 10^{-3}$
$ \varepsilon_K $	$(2.232 ± 0.007) × 10^{-3}$
Δm_d	$(0.507 ± 0.005) \text{ ps}^{-1}$
Δm_s	CDF measurement
$\text{sin}(2\beta)_{\text{CDF}}$	0.681 ± 0.025
$S_{\pi\pi}^1$	-0.61 ± 0.08
$C_{\pi\pi}^{+-}$	-0.38 ± 0.07
$C_{\pi\pi}^{00}$	-0.36 $^{+0.33}_{-0.31}$
$B_{\pi\pi}$ all charges	Inputs to isospin analysis
$S_{pp,L}^{+-}$	0.05 ± 0.17
$C_{pp,L}^{+-}$	0.06 ± 0.33
$S_{pp,L}^{00}$	0.0 ± 0.0 ± 0.2
$C_{pp,L}^{00}$	0.4 ± 0.0 ± 0.2
$B_{pp,L}$ all charges	Inputs to isospin analysis
$B^0 \rightarrow (\rho\pi)^0 \rightarrow 3\pi$	Time-dependent Dalitz analysis
$B^- \rightarrow D^{(*)}K^{(*)-}$	Inputs to GTW analysis
$B^- \rightarrow D^{(*)}K^{(*)-}$	Inputs to ADS analysis
$B^- \rightarrow D^{(*)}K^{(*)-}$	CSZ Dalitz analyses
$B(B^- \rightarrow \tau^- \bar{\nu}_\tau)$	Experimental likelihoods
$\bar{m}_c(m_c)$	$(1.24 ± 0.037 ± 0.095) \text{ GeV}$
$\bar{m}_t(m_t)$	$(163.8 ± 2.0) \text{ GeV}$
m_b	$(493.677 ± 0.016) \text{ MeV}$
m_{DK}	$(3.4833 ± 0.0066) × 10^{-12} \text{ MeV}$
m_{D^*}	$(5.2794 ± 0.0005) \text{ GeV}$
m_{D_s}	$(5.3696 ± 0.0024) \text{ GeV}$
m_W	$(80.423 ± 0.039) \text{ GeV}$
G_F	$1.16639 × 10^{-5} \text{ GeV}^{-2}$
f_K	$(159.8 ± 1.5) \text{ MeV}$
B_K	$0.79 ± 0.02 ± 0.09$
$\alpha_s(m_Z^2)$	0.1176 ± 0.0020
η_{cc}	Calculated from $\bar{m}_c(m_c)$ and α_s
η_{ct}	0.47 ± 0.04
η_{tt}	0.5765 ± 0.0065
$\eta_B(\overline{MS})$	0.551 ± 0.007
f_{B_s}	$(268 - 17 + 20) \text{ MeV}$
B_s	1.29 ± 0.05 ± 0.08
f_{B_s}/f_{B_d}	1.20 ± 0.02 ± 0.05
B_s/B_d	1.00 ± 0.02

Observable	Central ± 1 σ	± 2 σ	± 3 σ
Δ	0.807 [+0.018 - 0.018]	0.807 [+0.036 ± 0.036]	0.807 [+0.053 ± 0.053]
λ	0.2265 [+0.0008 - 0.0008]	0.2265 [+0.0015 - 0.0015]	0.2265 [+0.0023 - 0.0023]
ρ_{bar}	0.141 [+0.029 - 0.017]	0.141 [+0.097 - 0.032]	0.141 [+0.115 - 0.050]
η_{bar}	0.343 [+0.016 - 0.010]	0.343 [+0.032 - 0.056]	0.343 [+0.049 - 0.059]
β [10^{-5}]	0.01 [+0.19 - 0.18]	0.01 [+0.40 - 0.5]	0.01 [+0.60 - 0.5]
$\text{sin}2\alpha$	-0.02 [+0.10 - 0.16]	-0.02 [+0.19 - 0.3]	-0.02 [+0.28 - 0.4]
$\text{sin}2\alpha$ (meas. not in the fit)	-0.41 [+0.43 - 0.09]	-0.41 [+0.55 - 0.1]	-0.41 [+0.67 - 0.21]
$\text{sin}2\beta$	0.688 [+0.025 - 0.024]	0.688 [+0.049 - 0.049]	0.688 [+0.074 - 0.074]
$\text{sin}2\beta$ (meas. not in the fit)	0.800 [+0.020 - 0.086]	0.800 [+0.037 - 0.103]	0.800 [+0.054 - 0.120]
α (rad)	1.583 [+0.078 - 0.090]	1.583 [+0.293 - 0.293]	1.583 [+0.410 - 0.410]
α (rad) (meas. not in the fit)	1.78 [+0.05 - 0.22]	1.78 [+0.10 - 0.2]	1.78 [+0.15 - 0.3]
α (rad) (dir. meas.)	1.525 [+0.111 - 0.092]	0.905 [+0.144 - 0.153]	0.905 [+0.55 - 0.1]
β (rad)	0.379 [+0.017 - 0.017]	0.379 [+0.035 - 0.035]	0.379 [+0.052 - 0.052]
β (rad) (meas. not in the fit)	0.464 [+0.017 - 0.066]	0.464 [+0.032 - 0.032]	0.464 [+0.049 - 0.049]
β (rad) (dir. meas.)	0.375 [+0.017 - 0.017]	0.375 [+0.035 - 0.035]	0.375 [+0.052 - 0.052]
γ (rad)	1.179 [+0.048 - 0.075]	1.179 [+0.092 - 0.092]	1.179 [+0.136 - 0.136]
γ (rad) (meas. not in the fit)	1.179 [+0.047 - 0.083]	1.179 [+0.091 - 0.091]	1.179 [+0.134 - 0.134]
γ (rad) (dir. meas.)	-1.80 [+0.54 - 0.54]	-1.80 [+0.93 - 0.93]	-1.80 [+1.36 - 1.36]
$\beta_s^{\text{argi}} = \text{VcsVcb}^*/\text{VtsVtb}^*$ (rad)	-0.01839 [+0.00089 - 0.00086]	-0.0184 [+0.0018 - 0.0030]	-0.0184 [+0.0027 - 0.0038]
$\text{sin}2\beta_s$	-0.0368 [+0.0018 - 0.0017]	-0.0368 [+0.0035 - 0.0061]	-0.0368 [+0.0053 - 0.0075]
R_u	0.371 [+0.016 - 0.015]	0.371 [+0.033 - 0.028]	0.371 [+0.050 - 0.041]
R_t	0.925 [+0.018 - 0.030]	0.925 [+0.034 - 0.034]	0.925 [+0.050 - 0.12]
Δm_d [ps^{-1}] (meas. not in the fit)	0.63 [+0.06 - 0.12]	0.63 [+0.12 - 0.12]	0.63 [+0.18 - 0.21]
Δm_s [ps^{-1}] (meas. not in the fit)	17.7 [+6.4 - 2.1]	17.7 [+10.9 - 4.1]	17.7 [+13.7 - 5.3]
ρ_K [10^{-3}] (meas. not in the fit)	2.4 [+0.8 - 0.7]	2.4 [+1.1 - 1.1]	2.4 [+1.4 - 1.2]
m_B [GeV/c^2] (meas. not in the fit)	1.10 [+0.09 - 0.09]	1.10 [+0.10 - 0.10]	1.10 [+0.10 - 0.10]
m_{D^*} [GeV/c^2] (meas. not in the fit)	128.0 [+12.0 - 12.0]	128.0 [+21.0 - 21.0]	128.0 [+27.0 - 27.0]
D_K (lattice value not in the fit)	0.75 [+0.17 - 0.17]	0.75 [+0.21 - 0.20]	0.75 [+0.24 - 0.24]
D_{D^*} (lattice value not in the fit)	1.106 [+0.018 - 0.018]	1.106 [+0.027 - 0.027]	1.106 [+0.031 - 0.031]
D_B (lattice value not in the fit)	0.242 [+0.009 - 0.021]	0.242 [+0.016 - 0.031]	0.242 [+0.025 - 0.037]
N_{B^0}	0.97400 [+0.00017 - 0.00018]	0.97400 [+0.00035 - 0.00035]	0.97400 [+0.00053 - 0.00053]
N_{B^+}	0.22653 [+0.00075 - 0.00077]	0.22653 [+0.0015 - 0.0015]	0.22653 [+0.0023 - 0.0023]
N_{D^*}	0.00357 [+0.00017 - 0.00017]	0.00357 [+0.00035 - 0.00035]	0.00357 [+0.00054 - 0.00054]
N_{D_s}	0.0405 [+0.0032 - 0.0029]	0.0405 [+0.0051 - 0.0037]	0.0405 [+0.0067 - 0.0043]
N_{ud} (meas. not in the fit)	0.97417 [+0.00023 - 0.00023]	0.97417 [+0.00046 - 0.00046]	0.97417 [+0.00069 - 0.00070]
N_{ud} (meas. not in the fit)	0.2275 [+0.0011 - 0.0012]	0.2275 [+0.0023 - 0.0023]	0.2275 [+0.0034 - 0.0035]
N_{cd} (meas. not in the fit)	0.22638 [+0.00076 - 0.00076]	0.2264 [+0.0015 - 0.0015]	0.2264 [+0.0023 - 0.0023]
N_{cs}	0.97316 [+0.00018 - 0.00018]	0.97316 [+0.00036 - 0.00036]	0.97316 [+0.00054 - 0.00054]
N_{cs} (meas. not in the fit)	0.04143 [+0.00086 - 0.00087]	0.0414 [+0.0017 - 0.0018]	0.0414 [+0.0026 - 0.0026]
N_{ud}	0.00068 [+0.00025 - 0.00033]	0.00068 [+0.00049 - 0.00110]	0.00068 [+0.00072 - 0.00128]
N_{ud}	0.0407 [+0.0009 - 0.0008]	0.0407 [+0.0017 - 0.0017]	0.0407 [+0.0026 - 0.0026]
N_{ub}	0.999135 [+0.000036 - 0.000037]	0.999135 [+0.000071 - 0.000074]	0.999135 [+0.00011 - 0.00011]
$B(B \rightarrow \tau \nu)$ [10^{-4}]	0.96 [+0.12 - 0.10]	0.96 [+0.40 - 0.22]	0.96 [+0.56 - 0.30]
$D(B \rightarrow \tau \nu)$ [10^{-4}] (meas. not in the fit)	0.93 [+0.11 - 0.12]	0.93 [+0.37 - 0.24]	0.93 [+0.55 - 0.30]
$D(B \rightarrow \mu \nu)$ [10^{-6}]	0.38 [+0.05 - 0.04]	0.38 [+0.16 - 0.09]	0.38 [+0.22 - 0.12]
$B(B \rightarrow s \gamma)$ [10^{-4}]	0.89 [+0.12 - 0.09]	0.89 [+0.48 - 0.21]	0.89 [+0.52 - 0.28]
$B(B \rightarrow s^* \gamma)$ [10^{-12}]	2.24 [+0.12 - 0.18]	2.24 [+0.34 - 0.43]	2.24 [+0.48 - 0.54]
$B(B \rightarrow \mu^+ \mu^-)$ [10^{-11}]	9.6 [+0.5 - 0.8]	9.6 [+1.0 - 1.8]	9.6 [+1.6 - 2.3]
$B(B_c \rightarrow s^* \gamma)$ [10^{-11}]	7.4 [+0.3 - 0.6]	7.4 [+0.7 - 1.4]	7.4 [+1.1 - 1.7]
$D(B_c \rightarrow \mu^+ \mu^-)$ [10^{-9}]	3.14 [+0.15 - 0.22]	3.14 [+0.31 - 0.59]	3.14 [+0.49 - 0.72]

Results for Summer 2007

<http://CKMfitter.in2p3.fr>

The Unitarity Triangle from the global CKM fit

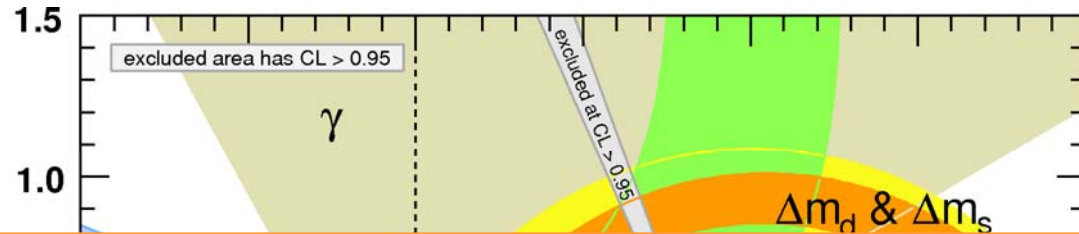


- Inputs:
- $\left| \frac{V_{ub}}{V_{cb}} \right|$
 - $\left| \frac{V_{ub}}{V_{cb}} \right|$
 - Δm_d
 - Δm_s
lower limit
 - $B \rightarrow \tau \nu$
 - $|\epsilon_K|$
 - $\sin 2\beta$
&
 $\cos 2\beta$
 - α
 - γ
 - Δm_s

The Unitarity Triangle from the global CKM fit

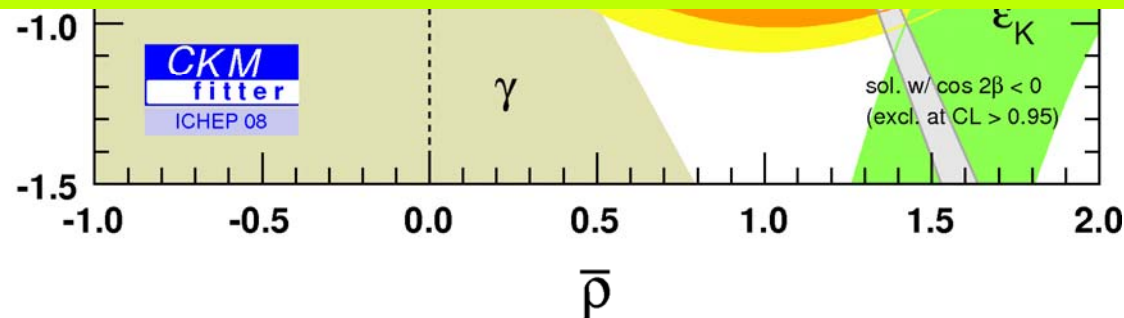
SUMMER
2008

The big
picture



The global fit shows that the **Kobayashi-Maskawa mechanism is the dominant source of CP violation** at the energy scale of the electroweak interaction

No need so far for physics beyond the Standard Model



digression: Are All Measurements Consistent ?

- Almost, but not quite all yet ...

→ more sensitivity to unknown heavy fields from loop diagrams

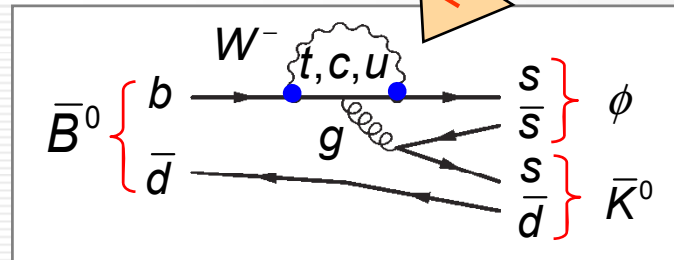
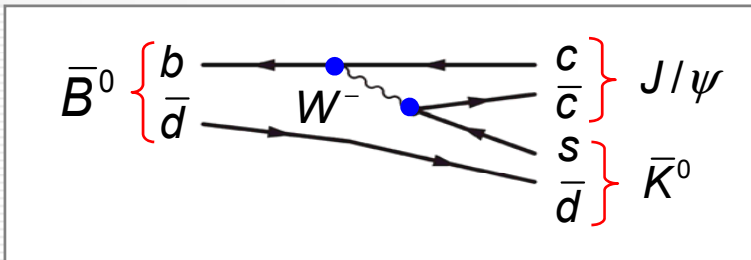


Diagram:

Tree

“Penguin”-loop diagram

CP observable:

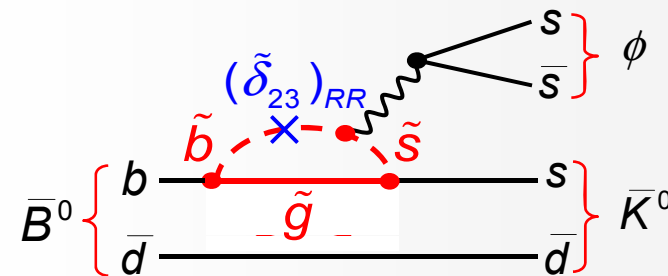
$$\sin(2\beta)[J/\psi K^0]$$

$$\sin(2\beta)[\phi K^0]$$

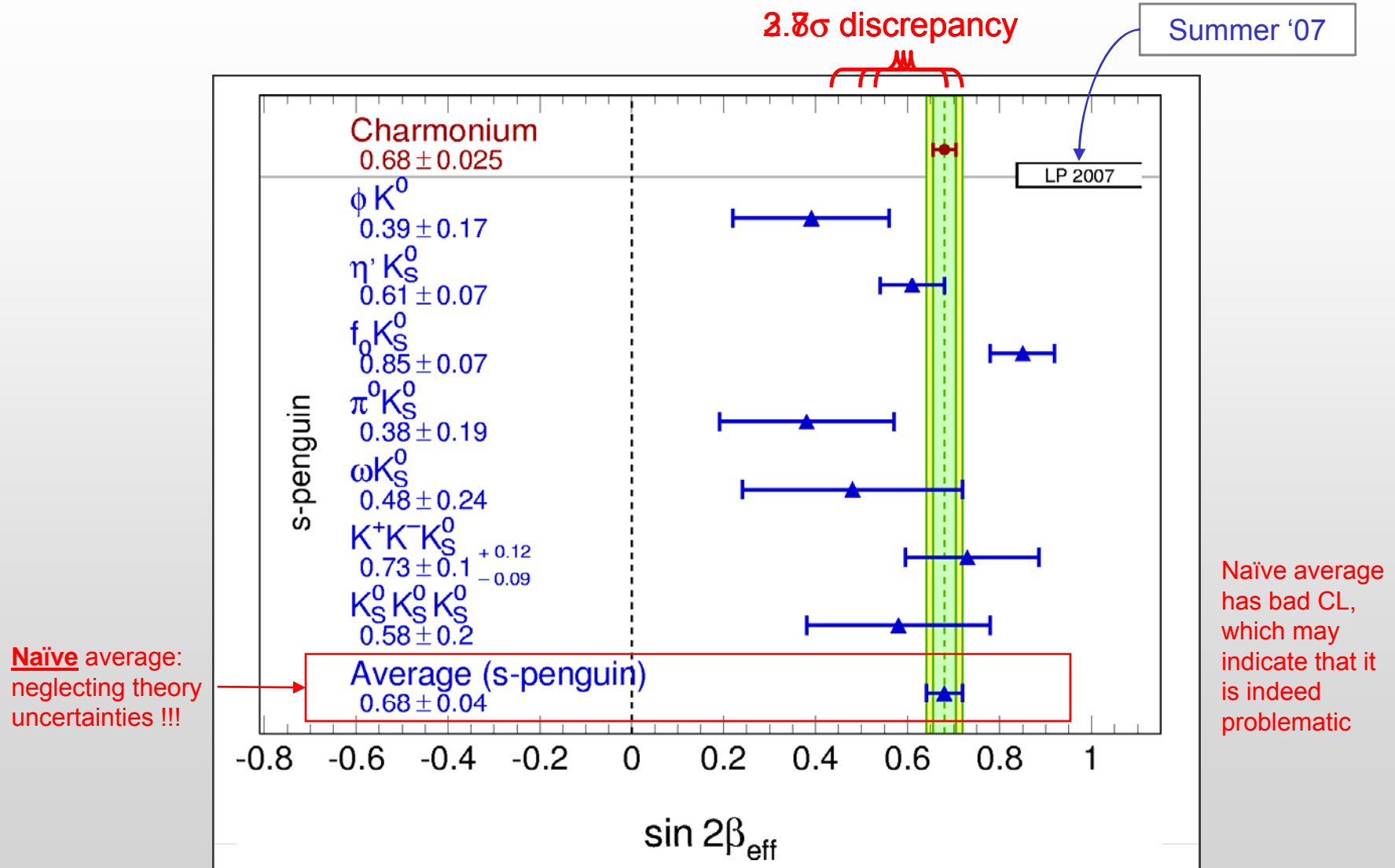
- The penguin diagram prefers heavy virtual fields in the loop; penguin-to-tree ratio:

$$\left| \frac{A_{Q\text{-heavy}}^{\text{penguin}} - A_{q\text{-light}}^{\text{penguin}}}{A^{\text{tree}}} \right| \approx \frac{\alpha_s}{12\pi} \ln \left(\frac{m_{Q\text{-heavy}}^2}{m_b^2} \right)$$

- GUT-inspired example for SUSY penguin diagram:

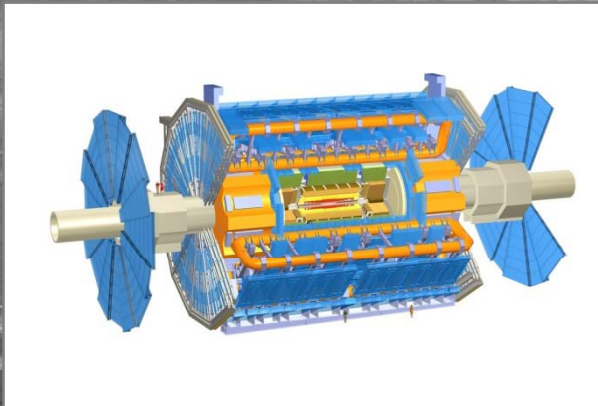


digression: CP Violation in Penguin Modes

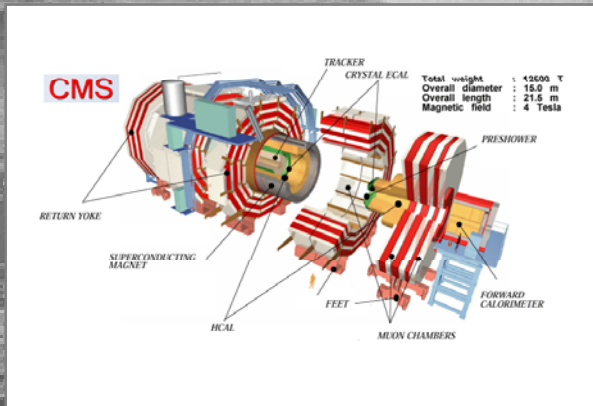


The Future of B Physics and CP Violation at the LHC

ATLAS



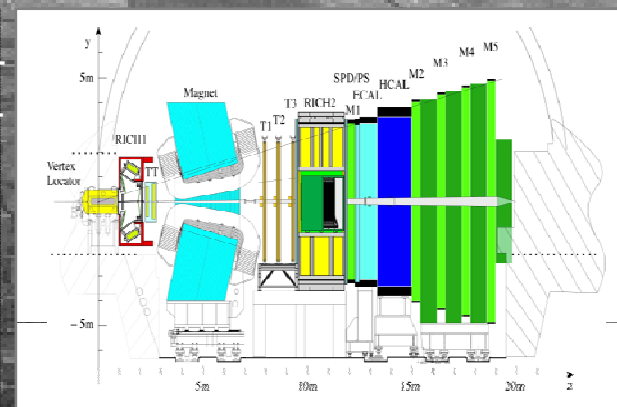
CMS



ATLAS and CMS concentrate on “high- p_T ” discovery physics.

Their B -physics potential relies on the low- p_T performance of the Trigger systems.

LHCb



LHCb is **not** a fixed-target experiment (looks like one). It concentrates on low- p_T B physics.

Virtues over ATLAS & CMS:
Low- p_T track trigger, particle ID & better mass resolution

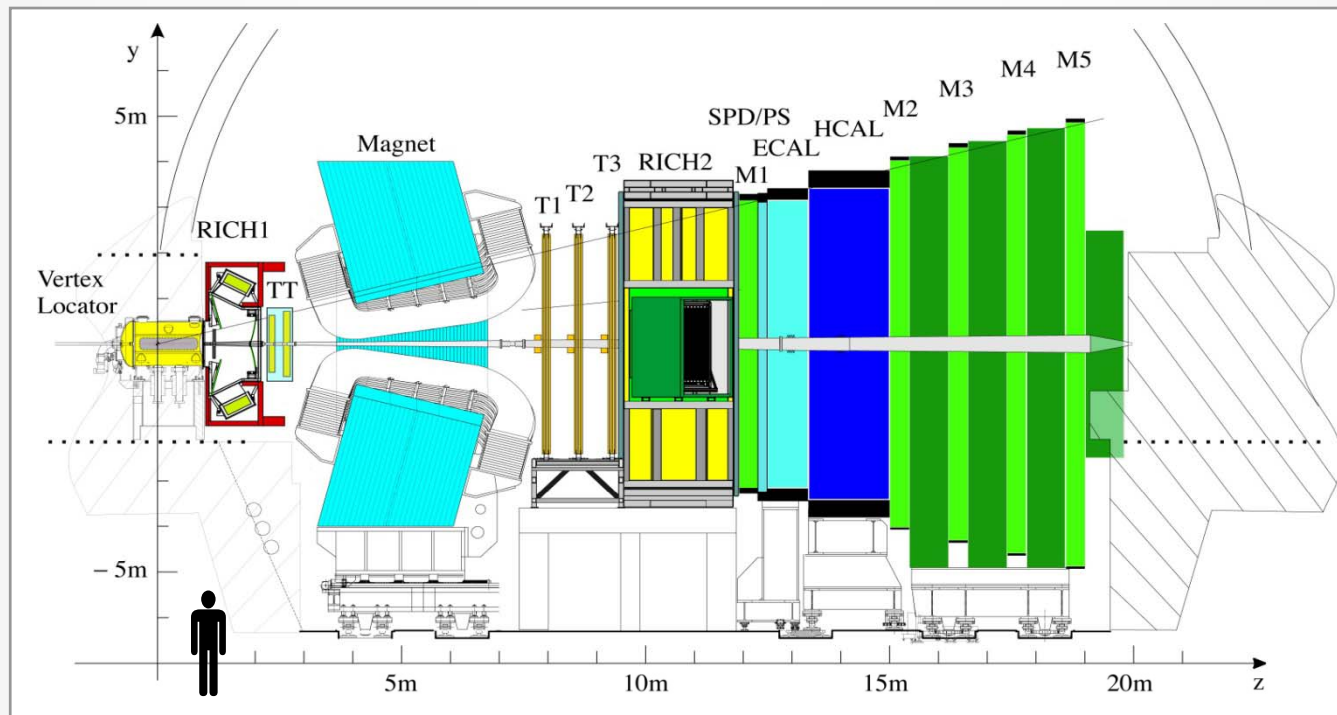
B Physics at Tevatron and LHC



B physics at hadron colliders is complementary to the e^+e^- B factories.

Strengths: High statistics; accesses the B_s ; sensitive to very rare modes, if clean signature; production of b baryons and B_c mesons

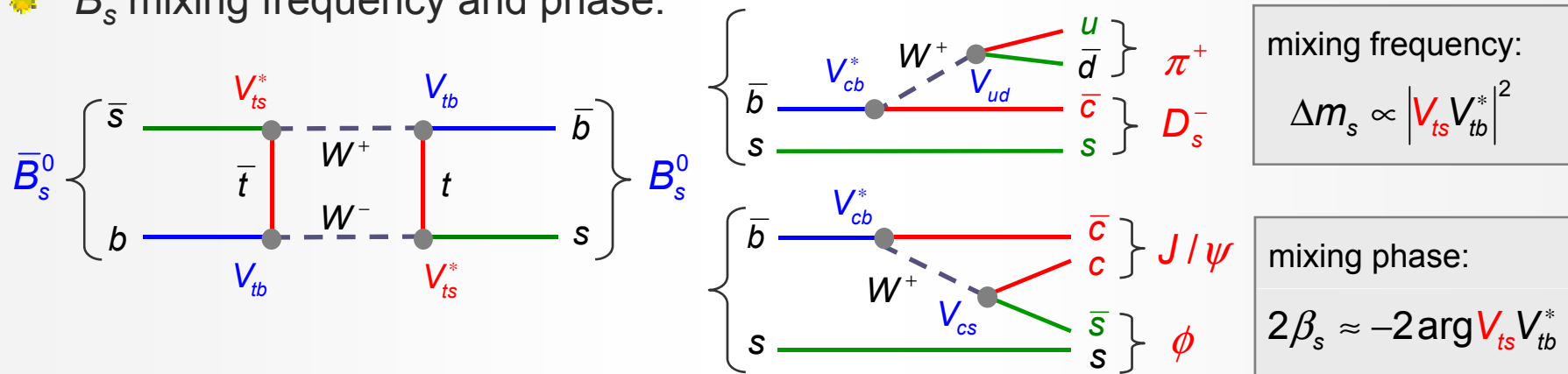
Weaknesses: Worse tagging (no quantum coherence) and background; no rare modes with neutrinos can be reconstructed; less efficient for π^0 ;



digression: B Physics at Tevatron and LHC

Prime Measurements: (many, many more interesting measurements to be done!)

☀ B_s mixing frequency and phase:



- ➡ Frequency: **just measured by CDF!** CKM fit prediction not very precise yet (needs γ)
- ➡ Phase: not measured yet, but precisely known in SM: **excellent** probe for new physics

☀ $B_s \rightarrow \mu^+ \mu^-$: FCNC (box & EW-penguin-mediated) rare decay
(BR $\sim 3 \cdot 10^{-9}$; current limit (CDF) $< 5.8 \cdot 10^{-8}$ at 95% CL)

History of the Universe

Accelerators: CERN-LHC
 FNAL-Tevatron
 high-energy cosmic rays
 BNL-RHIC
 CERN-LEP
 SLAC-SLC

CP Violation and the Genesis of a Matter World

Key:

W, Z bosons		photon	
quark		meson	
gluon		baryon	
electron		ion	
muon		atom	
tau		black hole	
neutrino			
		star	
		galaxy	