

The 16th International Conference on B-physics at Frontier Machines

# BEAUTY 2016

Marseille, France, 2-6 May 2016

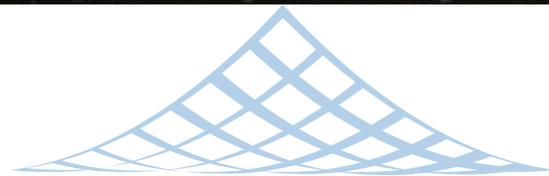


## Theory in the LHC era – overview and vision –

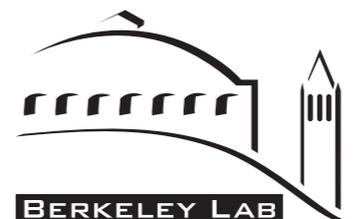
Hitoshi Murayama (Berkeley, Kavli IPMU)  
Beauty 2016, Marseille, May 2, 2016



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KAVLI  
IPMU

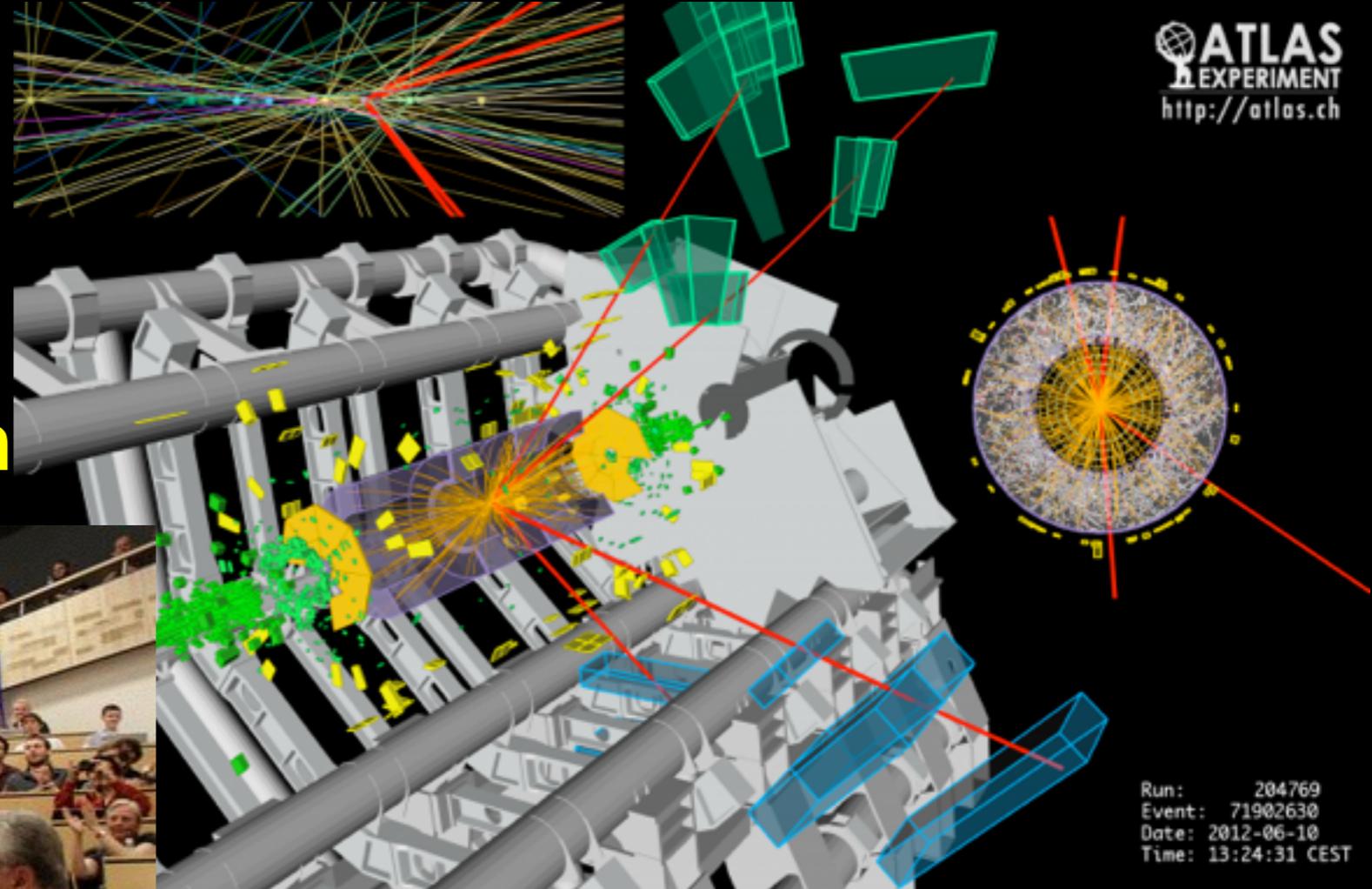
# Conclusions

- Flavor physics all the more important given lack of new physics at LHC
  1. **tool to explore** beyond the LHC energy
  2. **origin of flavor** important on its own
- new possibilities on dark matter
  3. **light, very weakly coupled** dark matter

flavor to probe  $E > \text{LHC}$

2012.7.4

# discovery of Higgs boson



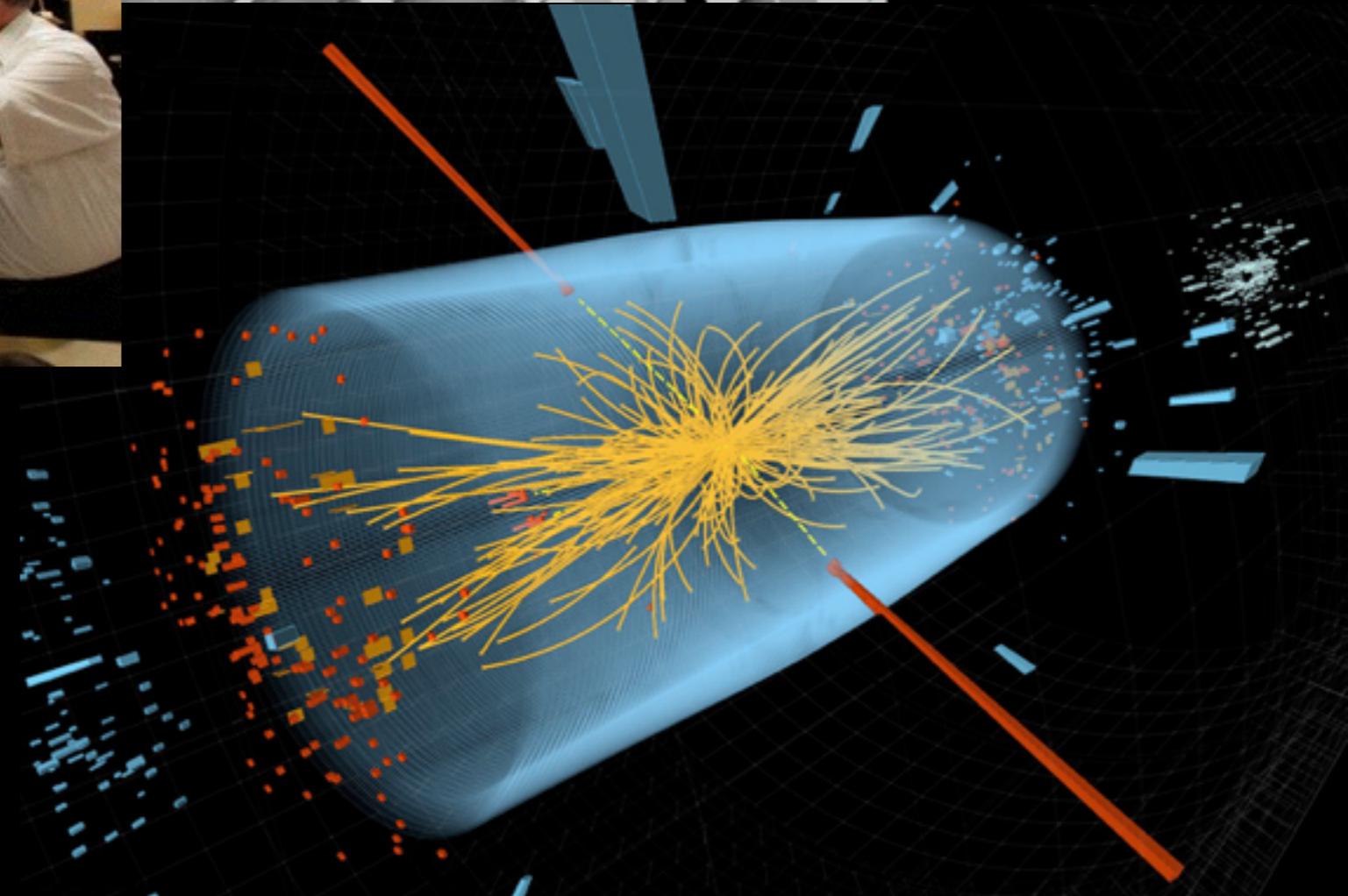
Run: 204769  
Event: 71902630  
Date: 2012-06-10  
Time: 13:24:31 CEST



theory : 1964

design : 1984

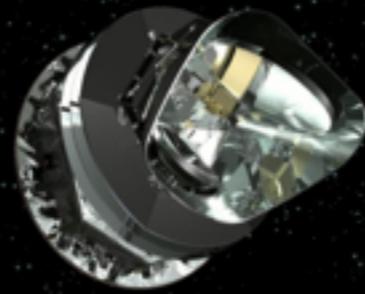
construction : 1998



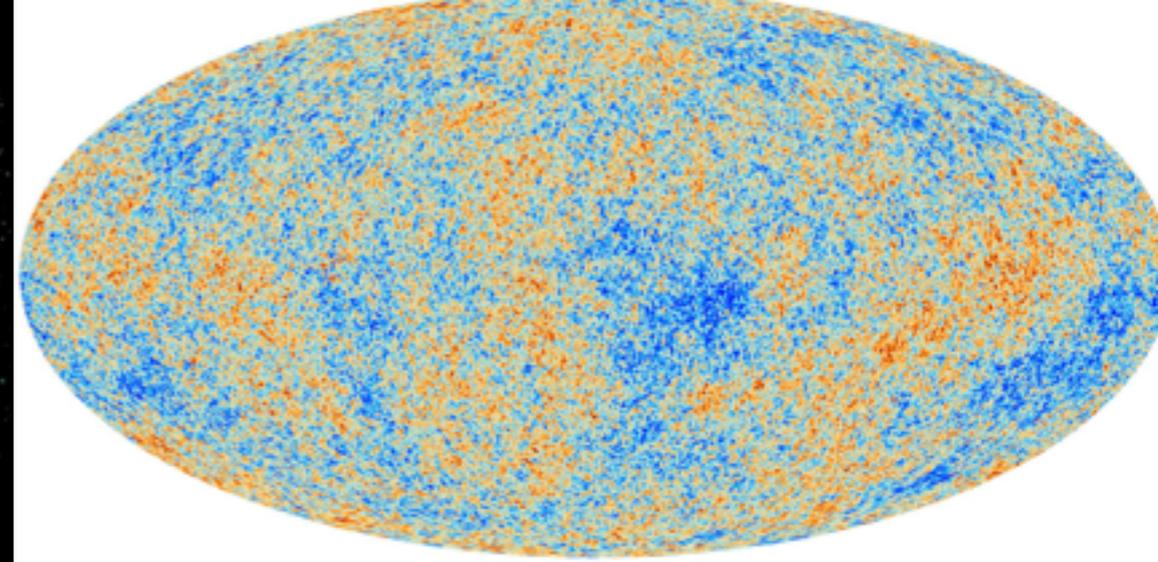
*Higgsdependence Day*  
July 4, 2012



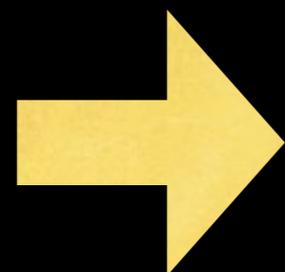
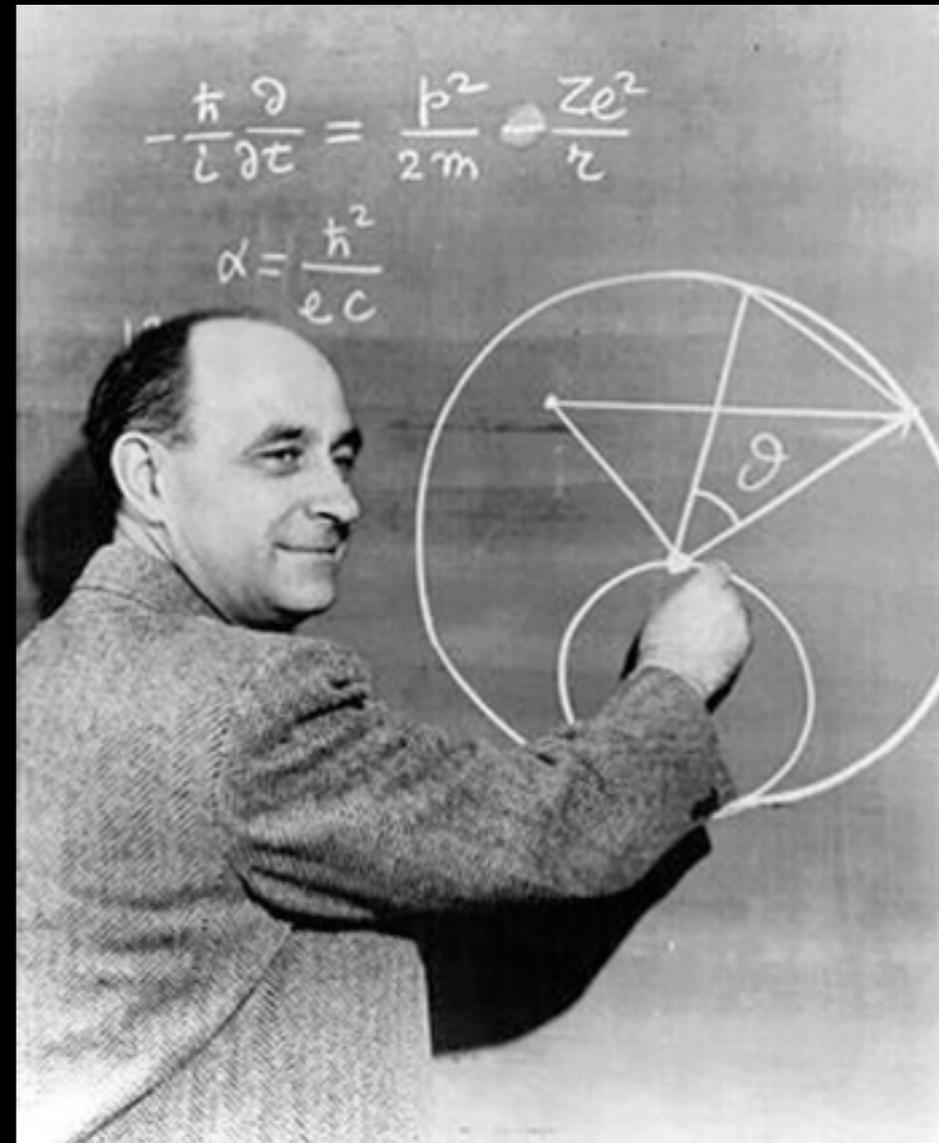
# Minimal



Planck



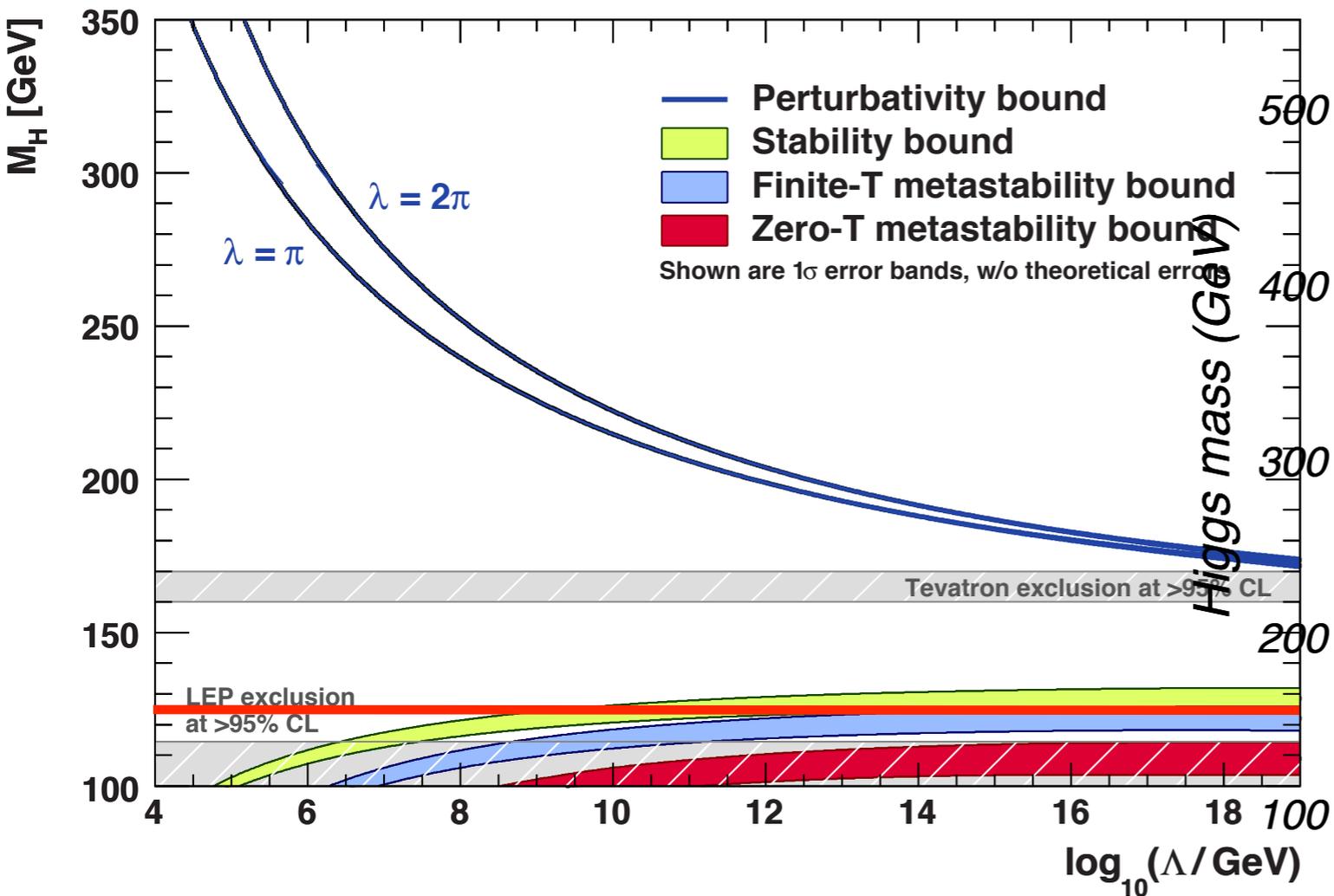
- It looks very much like *the* Standard Model Higgs boson
- **We've known the energy scale to probe since 1933**
- now a UV complete theory of strong, weak, EM forces **possibly valid up to even  $M_{Pl}$**
- cosmology also looks minimal single-field inflation (Planck)
- *the year of elementary scalars!!!*



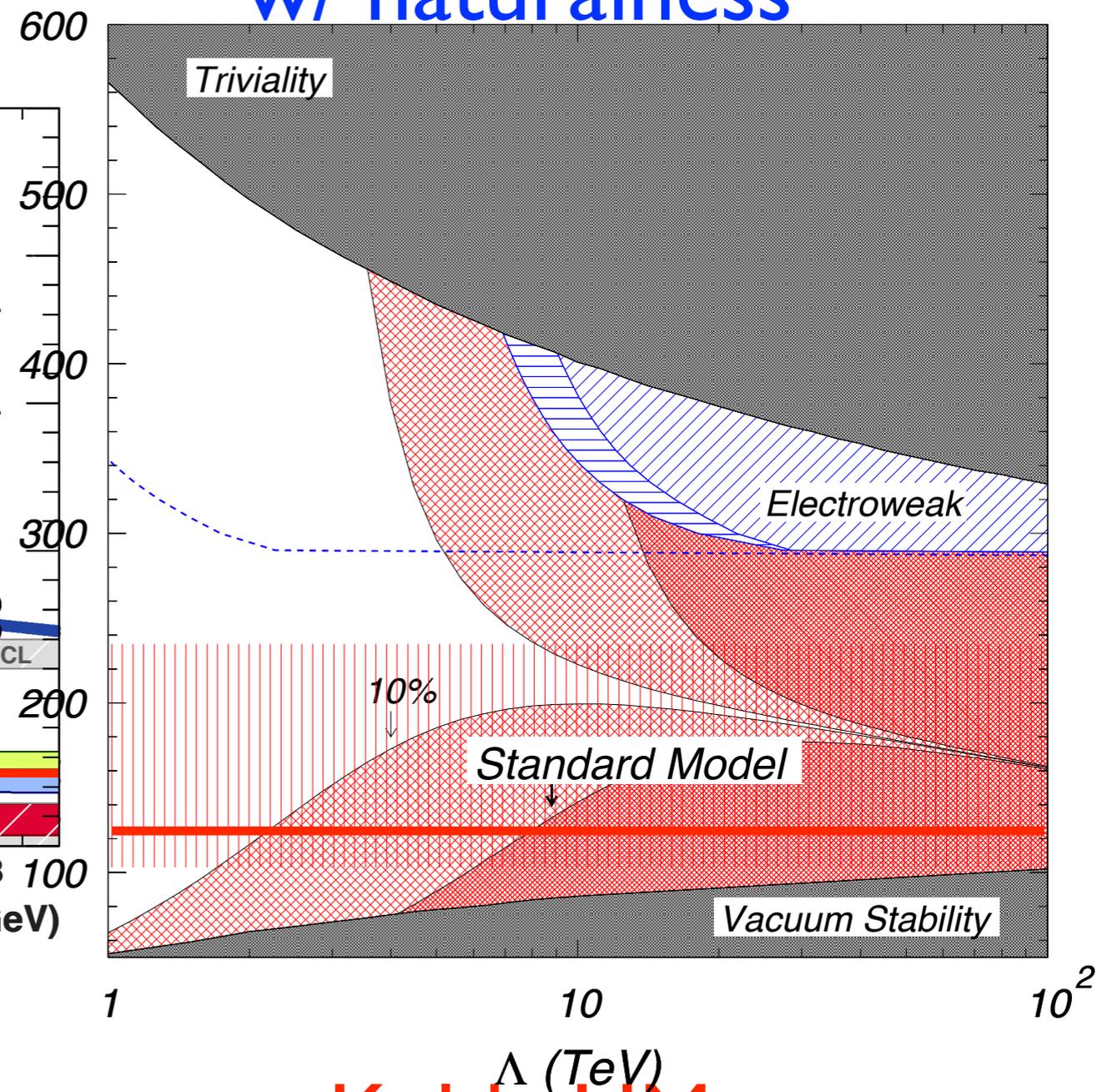
Where do we go next?

# Next energy scale

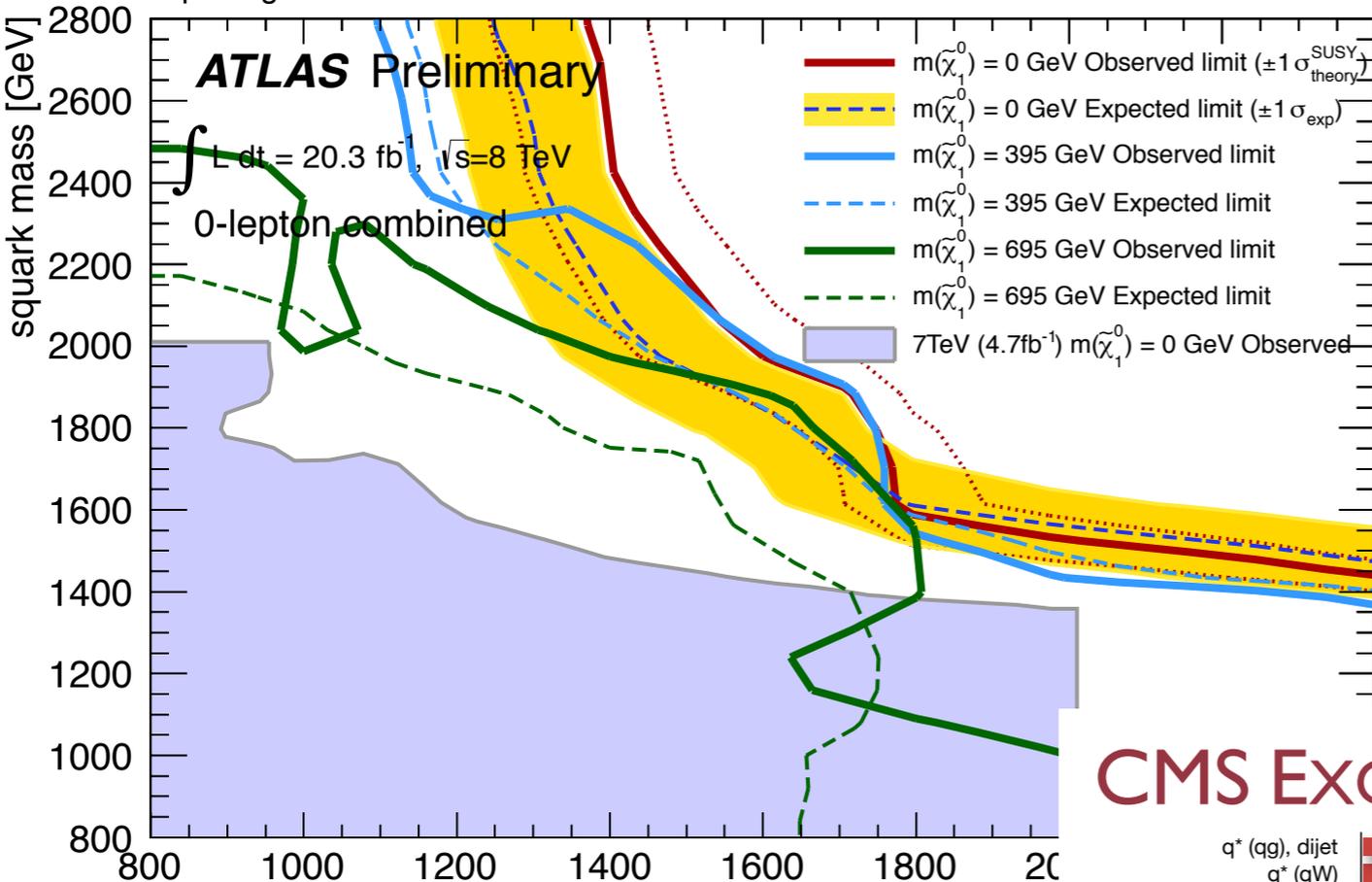
w/o naturalness



w/ naturalness

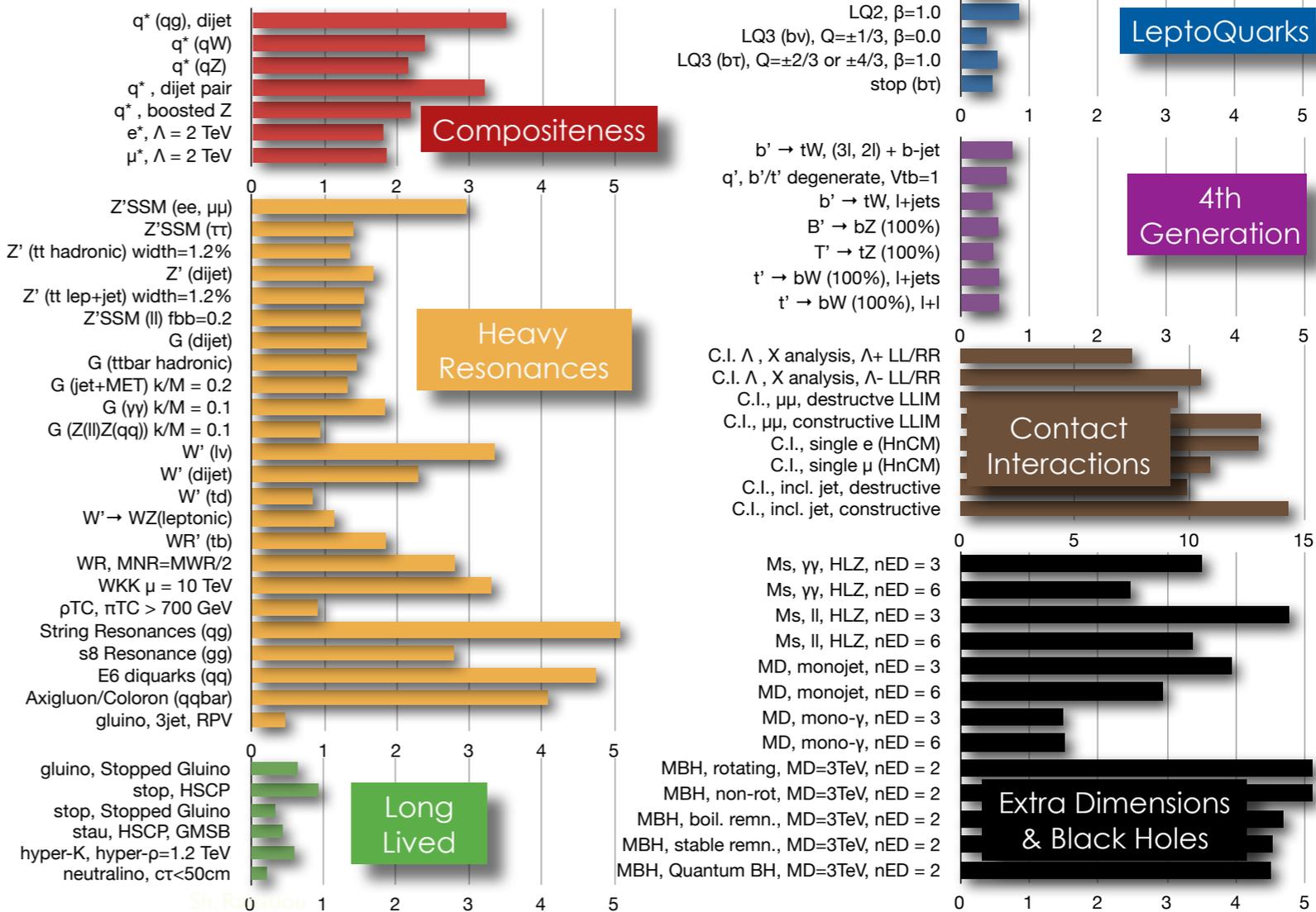


Squark-gluino-neutralino model



no sign of new physics that explains Higgs!

**CMS EXOTICA 95% CL EXCLUSION LIMITS (TeV)**



# Nima's anguish



$m_H=125$  GeV seems almost maliciously designed to prolong the agony of BSM theorists....



# Faceless Higgs

- every elementary particles spin forever
- electrons, photons, quarks, ....
- only Higgs boson doesn't spin
- Faceless! *A spooky particle*
- I had proposed “Higgsless theories”
- *Is it the only one?*
- *does it have siblings? relatives?*
- *Maybe it's spinning in extra dimensions?*
- *maybe composite?*
- *why did it freeze in?*



# Electron mass is natural by doubling #particles

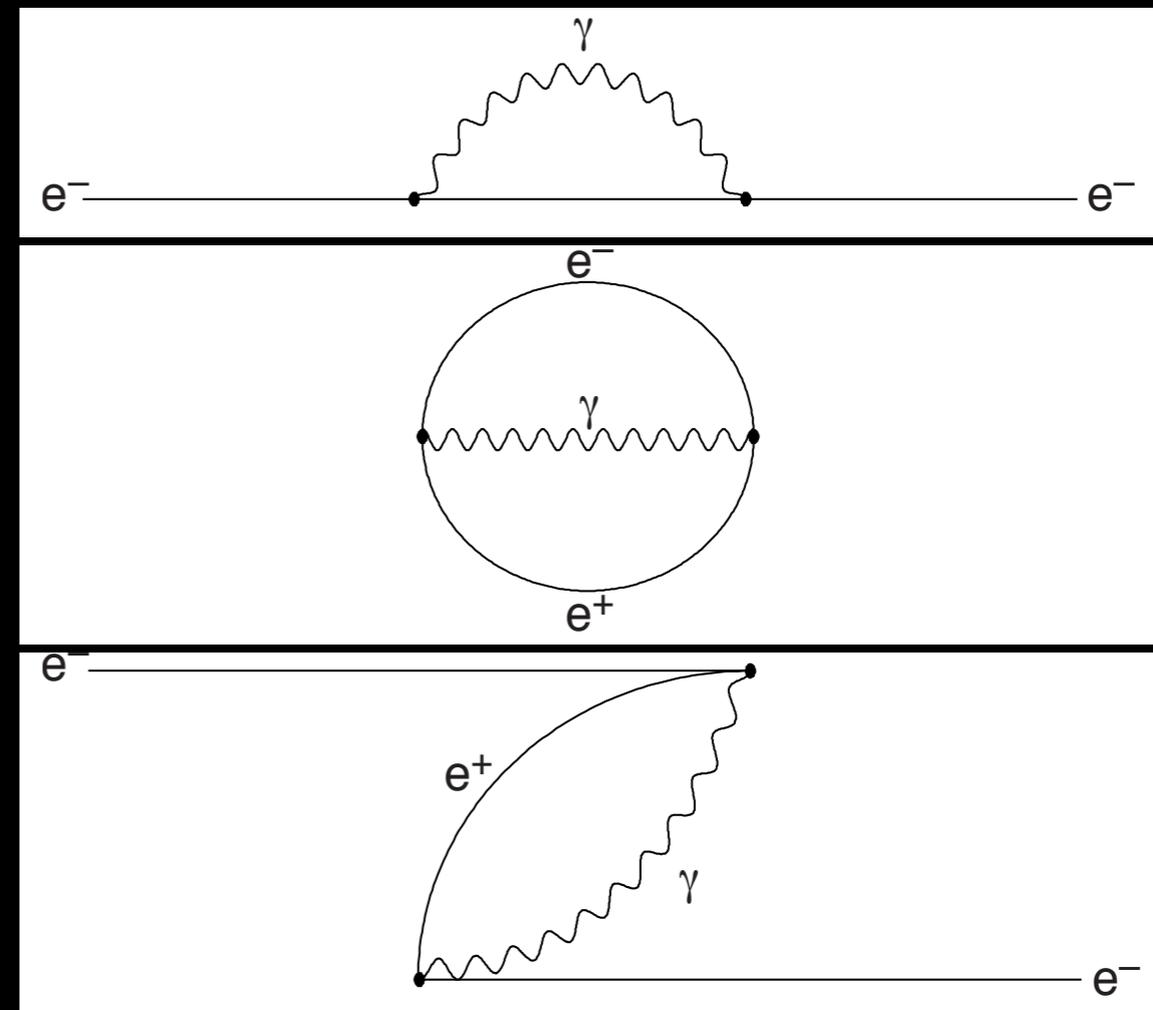
- Electron creates a force to repel itself

$$\Delta m_e c^2 \sim \frac{e^2}{r_e} \sim \text{GeV} \frac{10^{-17} \text{cm}}{r_e}$$

- quantum mechanics and anti-matter

⇒ only 10% of mass even

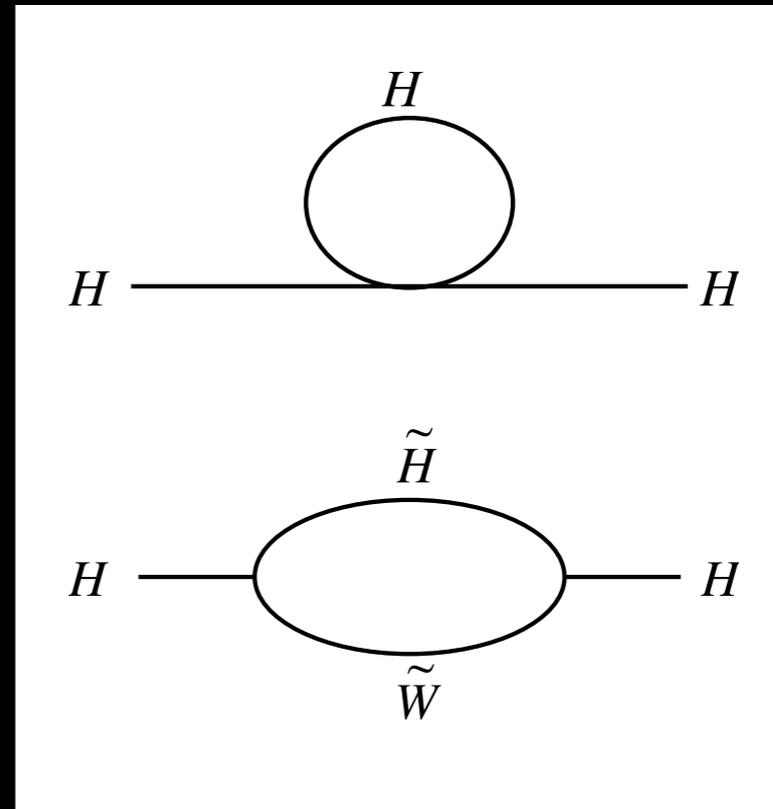
for Planck-size  $r_e \sim 10^{-33} \text{cm}$



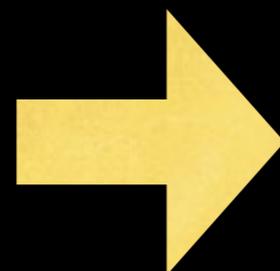
$$\Delta m_e \sim m_e \frac{\alpha}{4\pi} \log(m_e r_e)$$

# Higgs mass is natural by doubling #particles?

- Higgs also repels itself
- Double #particles again  
⇒ superpartners
- only log sensitivity to UV
- Standard Model made  
consistent up to higher  
energies

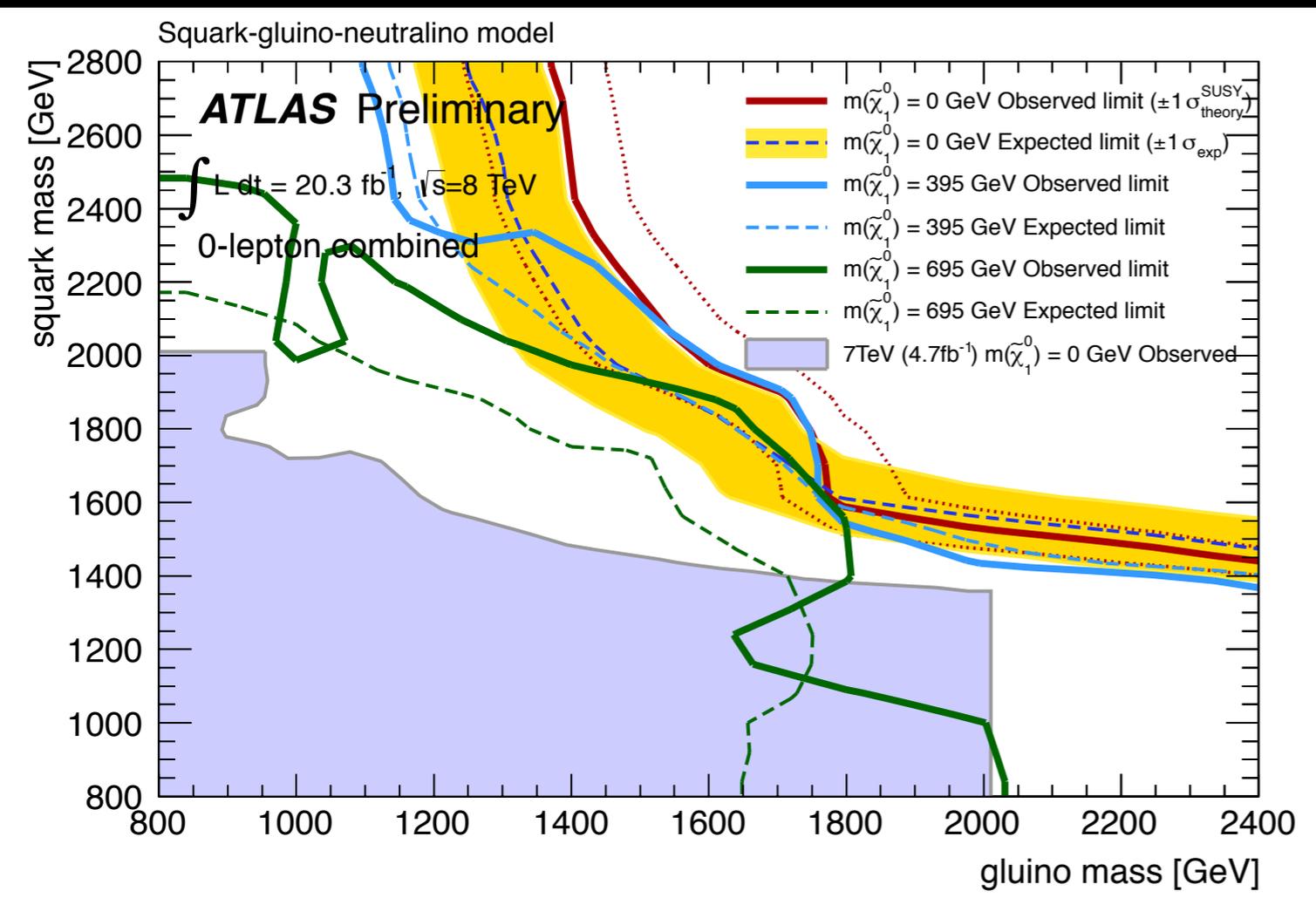


$$\Delta m_H^2 \sim \frac{\alpha}{4\pi} m_{SUSY}^2 \log(m_H r_H)$$

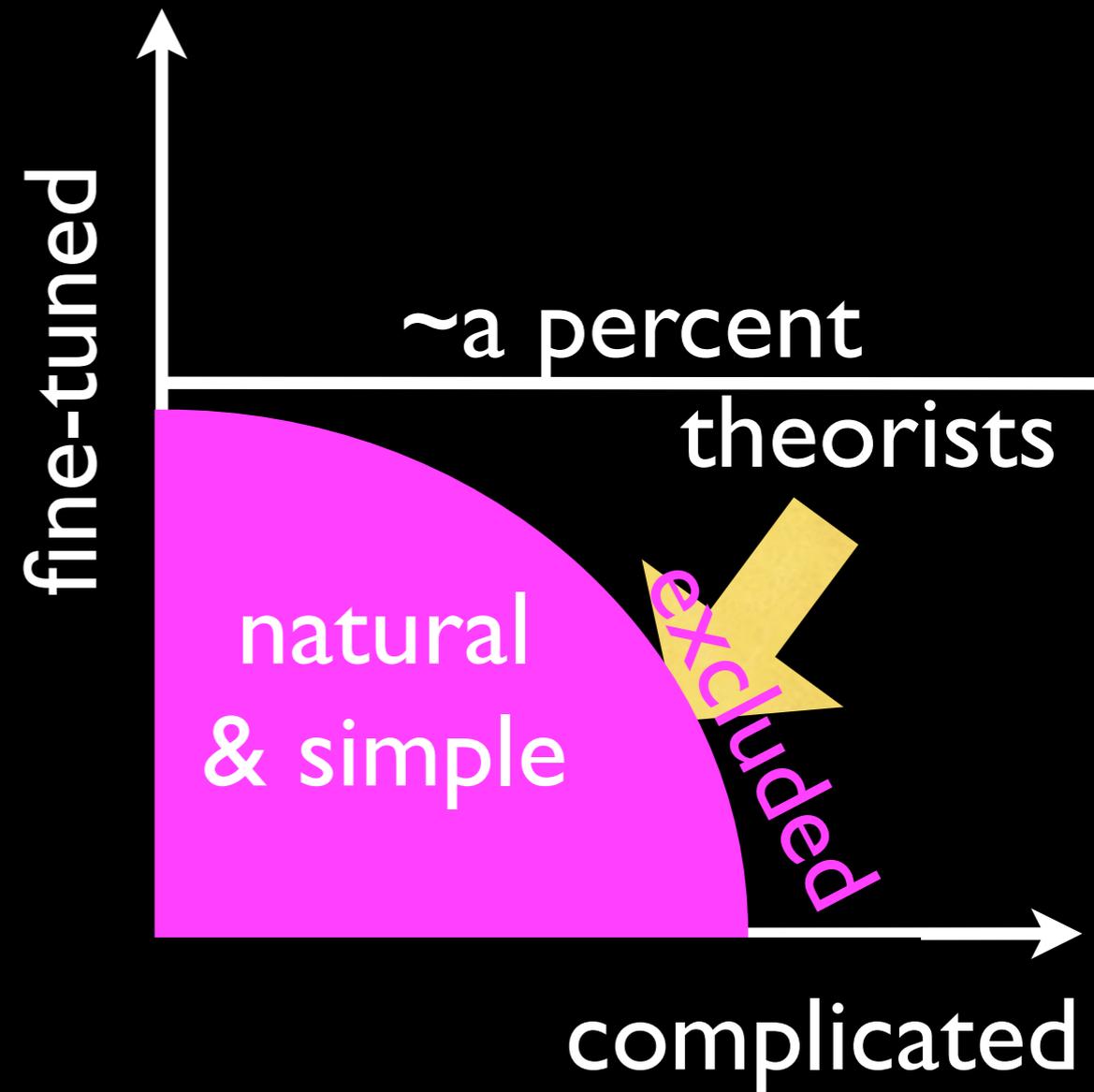
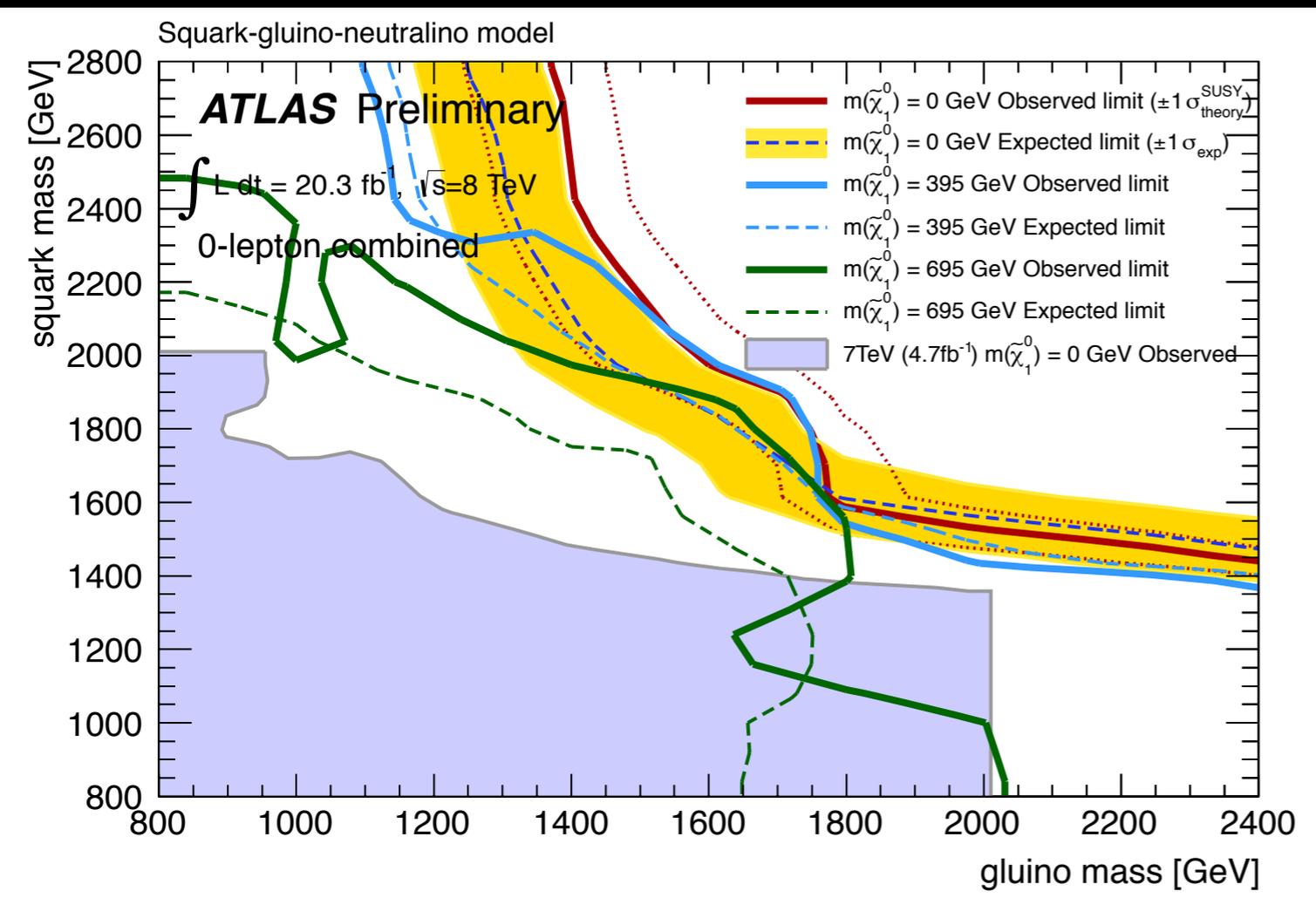


I still take it seriously

# no sign of new physics



# no sign of new physics



ENGINEERING  
**Machines That  
Change Shape**

MEDICINE  
**An Off Switch  
for Cancer**

NEUROSCIENCE  
**How to Reach  
"Vegetative" Patients**

# SCIENTIFIC AMERICAN

ScientificAmerican.com

IF SUPERSYMMETRY

# CRISIS

DOESN'T PAN OUT,

# IN

SCIENTISTS NEED A NEW WAY

# PHYSICS

TO EXPLAIN THE UNIVERSE

# ?



\$5.99 U.S.

MAY 2014

# been there before

- Before COBE, upper limit on CMB anisotropy kept getting better and better
- Before 1998, the universe appeared younger than oldest stars
- **cosmologists got antsy**
- “crisis in standard cosmology”
- it turned out **a little “fine-tuned”**
  - low quadrupole
  - dark energy

**“Big Bang not yet dead  
but in decline”**

Nature 377, 14 (1995)

**“Bang! A Big Theory May Be Shot”**

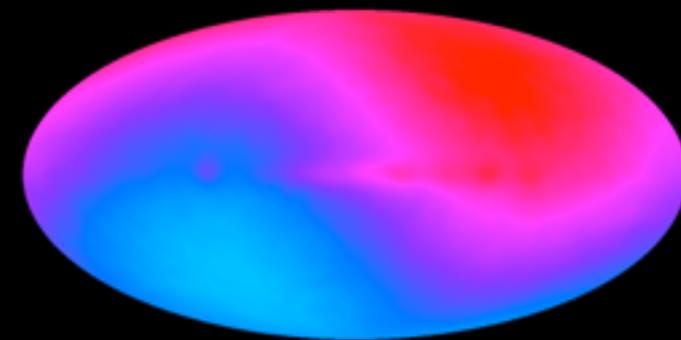
A new study of the stars could rewrite the history of the universe

Times, Jan 14 (1991)

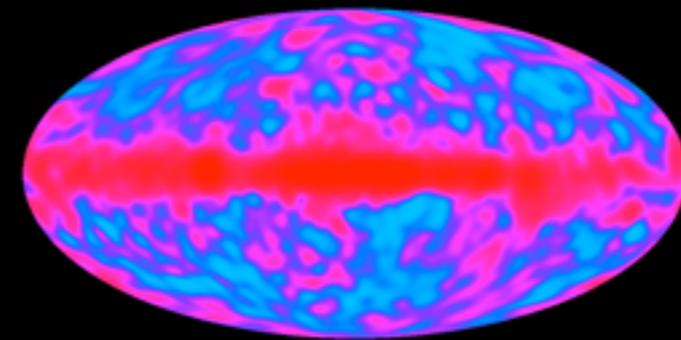
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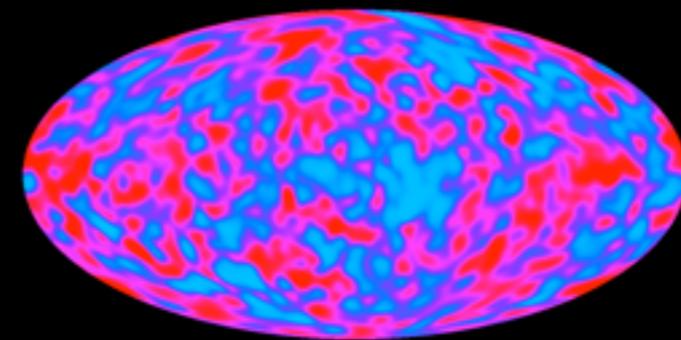
“Big Bang  
Natural



“Bang! A new study  
the history  
Times, Jan



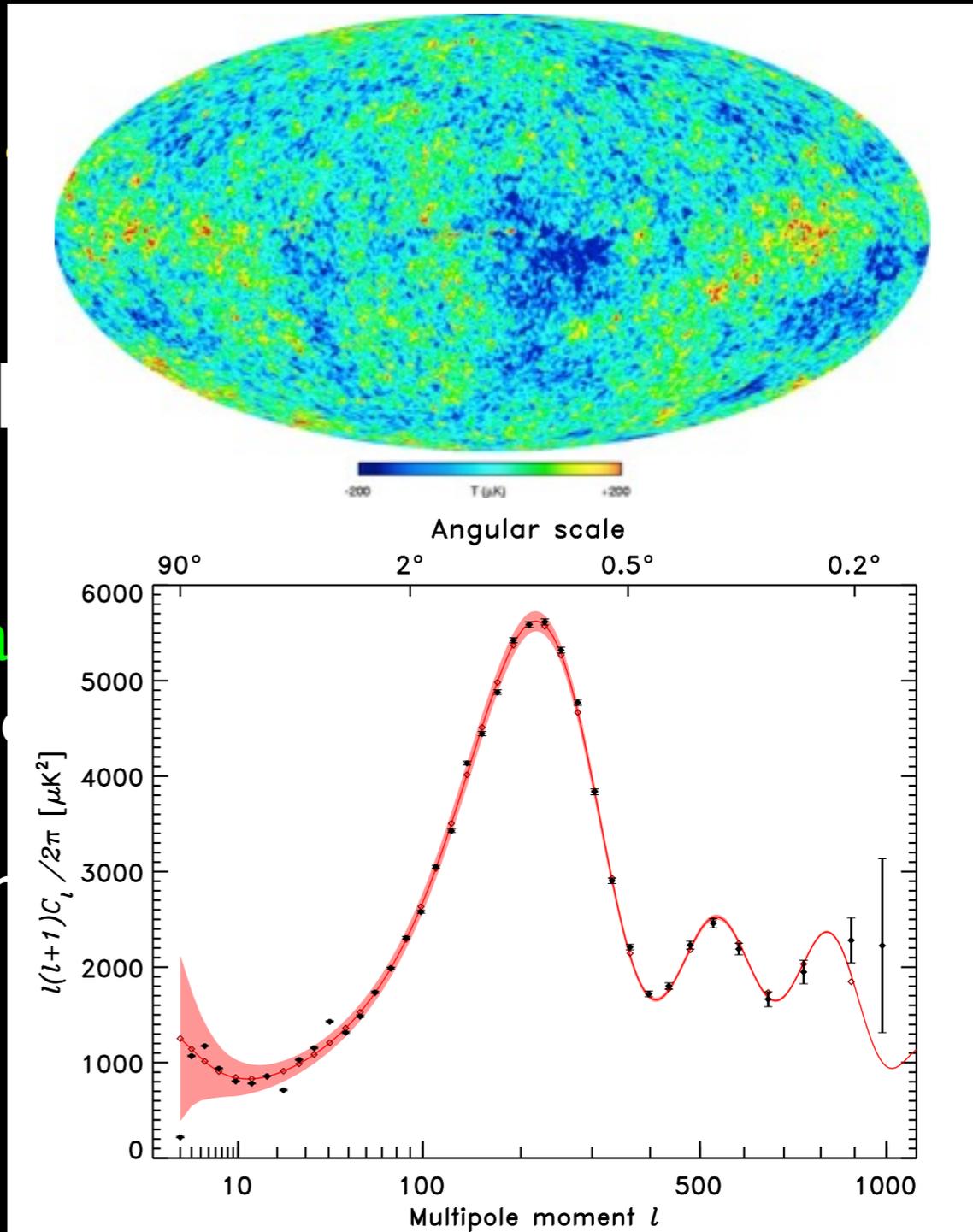
“hot”  
write



# been there before

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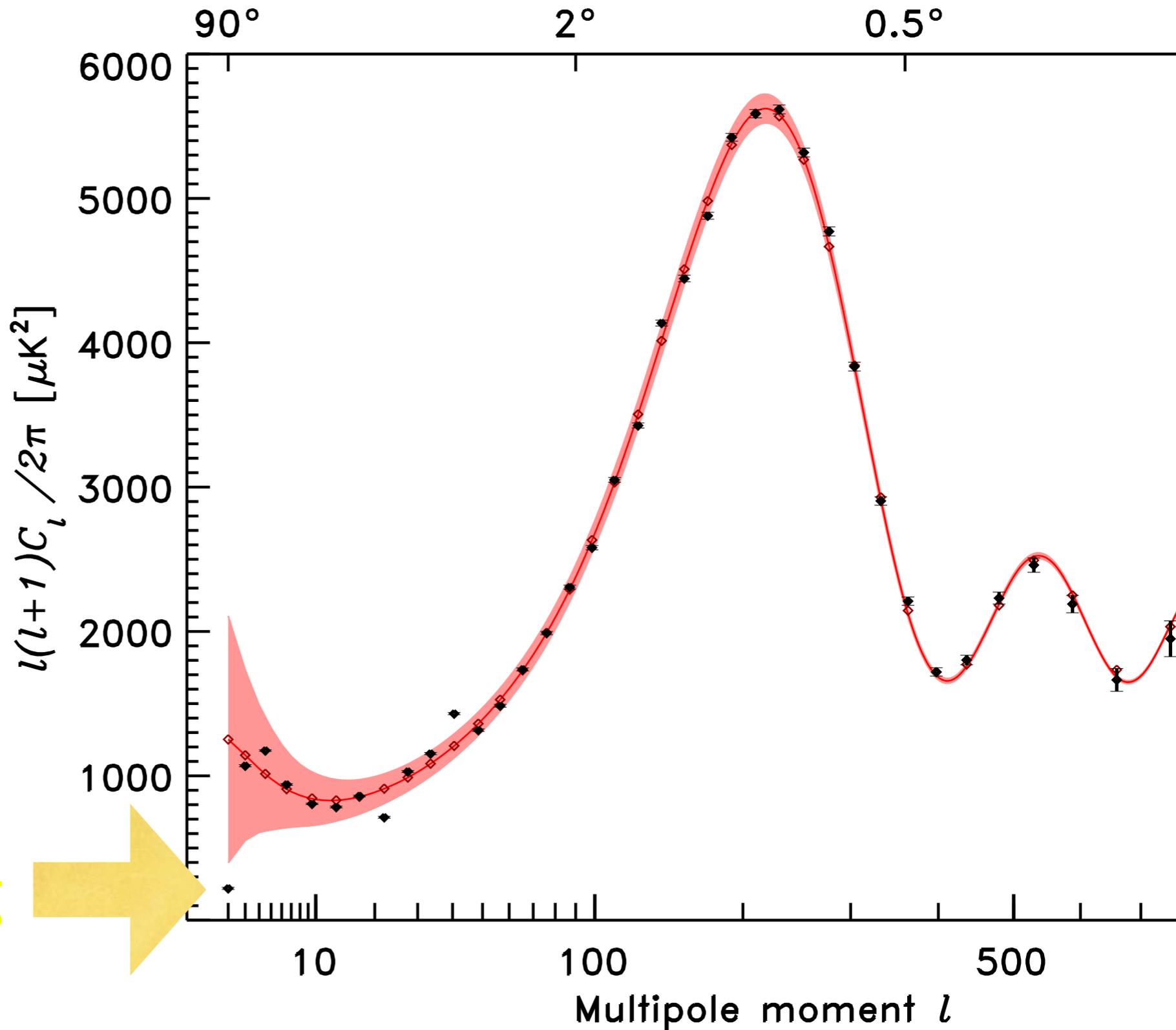
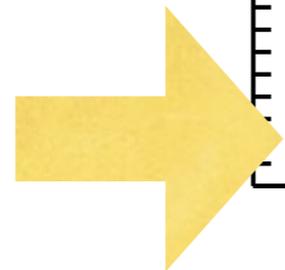


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bee

- Before COBE, up on CMB anisotropy getting better and
- Before 1998, the appeared younger oldest stars
- cosmologists got
- “crisis in standard cosmology”
- it turned out a lit tuned”
- low quadrupole
- dark energy

1% tuning



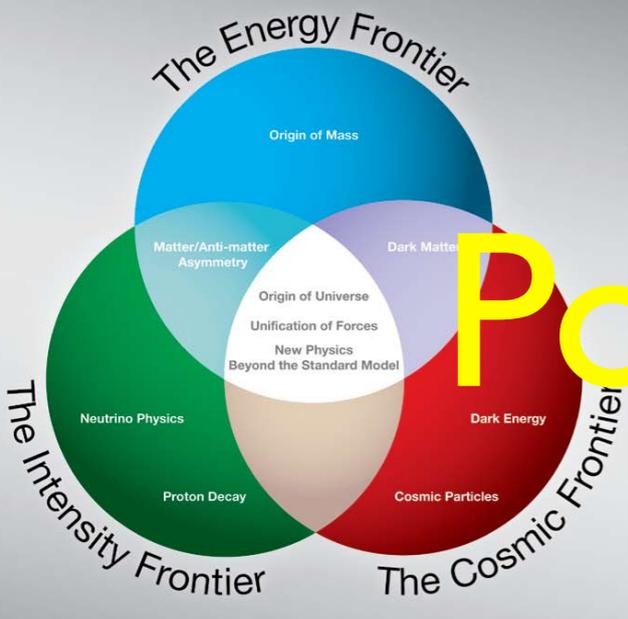
# what we learned

- Standard Model looks minimal
- elementary-looking spinless boson exists
- **naturalness problem is real**
- no sign of solution to the naturalness problem e.g., supersymmetry
- Higgs mass is **too heavy for MSSM**
- **new physics “postponed”**

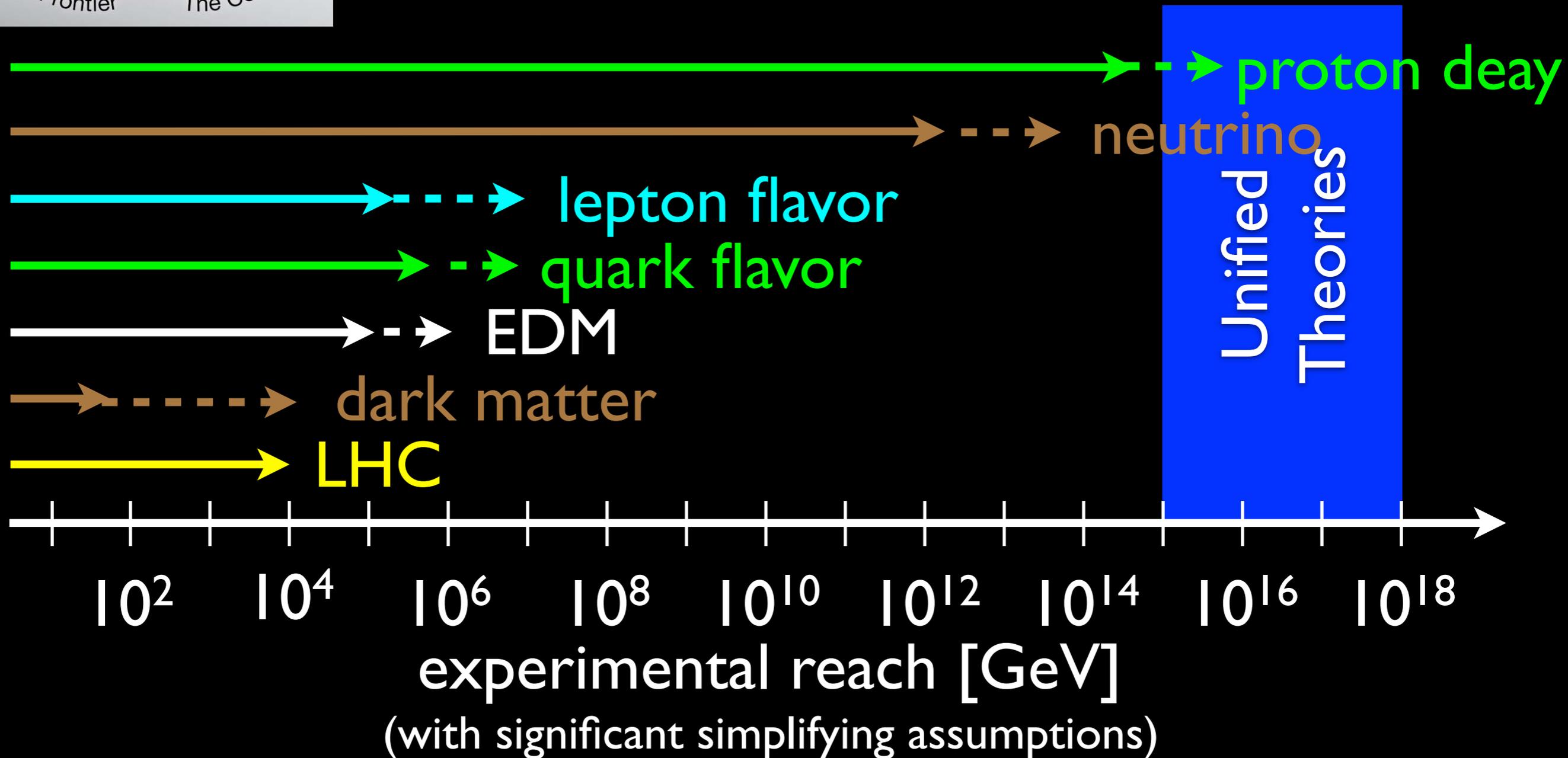
$$\Delta m_h^2 = \frac{3N_c}{4\pi^2} \frac{m_t^4}{v^2} \log \frac{m_{\tilde{t}}^2}{m_t^2}$$

Okada, Yamaguchi, Yanagida  
Ellis, Ridolfi, Zwirner  
Haber, Hempfling

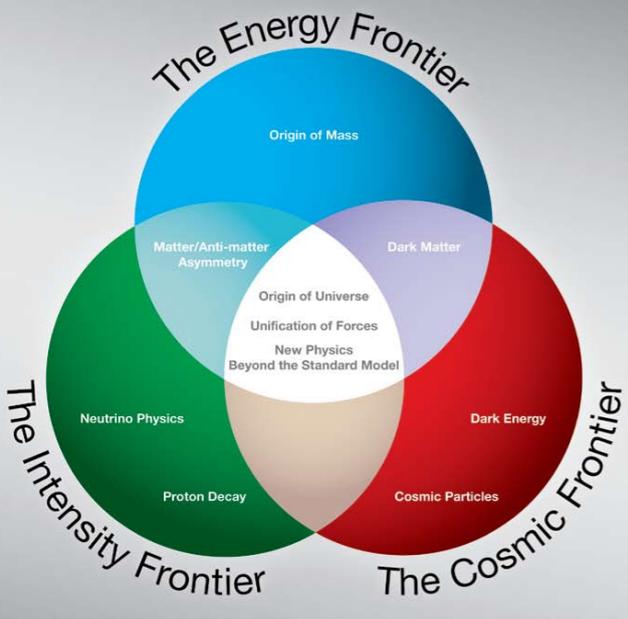
scalar top mass  $\geq 10$  TeV preferred



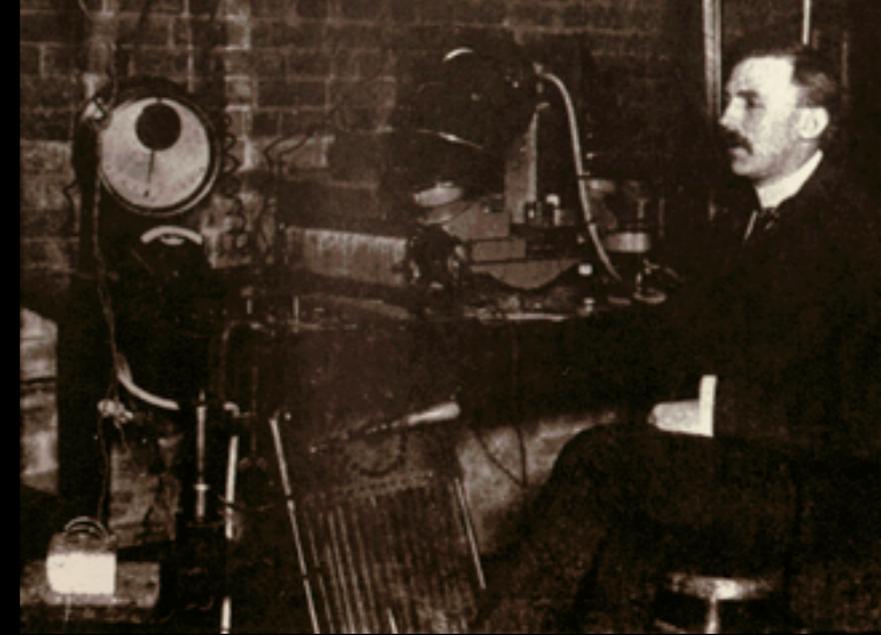
# Power of Expedition



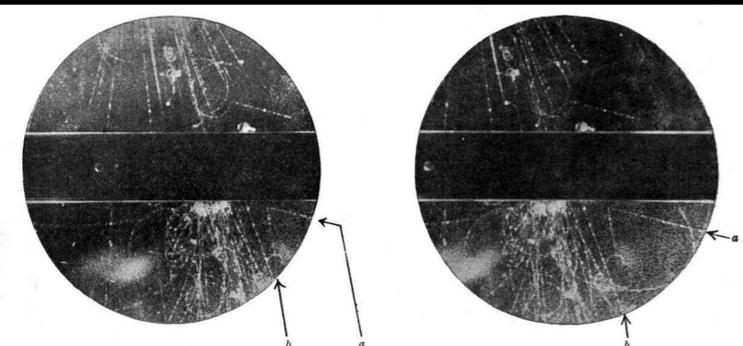
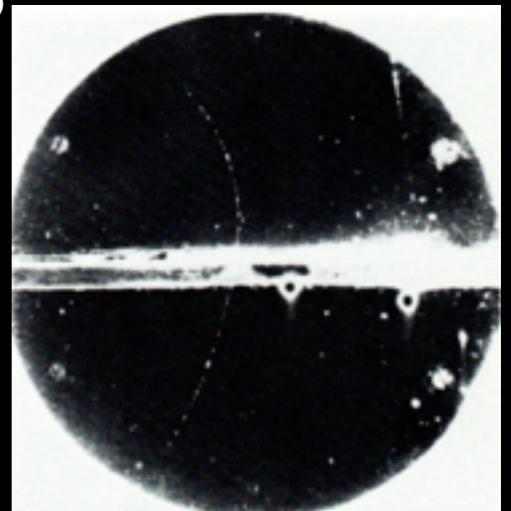
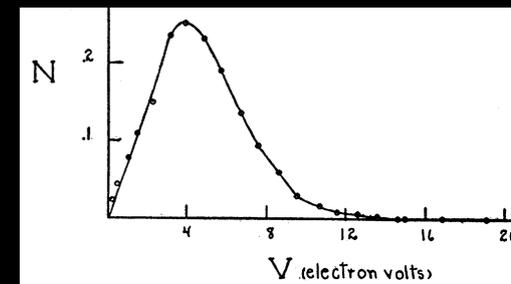
courtesy: Zoltan Ligeti



# examples



- Rutherford experiment: **energy frontier**
  - 10 MeV  $\alpha$  probes  $< \text{fm} \Rightarrow$  nuclear size
- nuclear beta decay: **rare process**  $\Rightarrow 10^{-16} \text{cm}$ 
  - changes atomic number=#protons
  - “discovered” neutrinos
- **cosmic rays**: anti-matter  $e^+$ , muon, pion, strangeness, parity violation



# Rare effects from high energies

- Effects of high-energy physics mostly disappear by power suppression

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \frac{1}{\Lambda} \mathcal{L}_5 + \frac{1}{\Lambda^2} \mathcal{L}_6 + \dots$$

- can be classified systematically

$$\mathcal{L}_5 = (LH)(LH) \rightarrow \frac{1}{\Lambda} (L\langle H \rangle)(L\langle H \rangle) = m_\nu \nu \nu$$

$$\mathcal{L}_6 = QQQQL, \bar{L}\sigma^{\mu\nu}W_{\mu\nu}Hl, \epsilon_{abc}W_\nu^{a\mu}W_\lambda^{b\nu}W_\mu^{c\lambda}, \\ (H^\dagger D_\mu H)(H^\dagger D^\mu H), B_{\mu\nu}H^\dagger W^{\mu\nu}H, \dots$$

# Why is the sky blue?

- neutral atoms, if point-like, do not scatter light
- finite size, and its internal structure with charged particles, makes light scatter
- optical light does not resolve atomic size
- yet shorter-wavelength “sees” it better
- blue light scattered more than red light
- still “rare”, but possible with abundant sunlight and thick atmosphere

$$\mathcal{L}_{\text{eff}} = \frac{e^2}{\Lambda^3} F_{\mu\nu} F^{\mu\nu} \psi^\dagger \psi \quad \longrightarrow \quad \sigma \propto \frac{\alpha^2}{\Lambda^6} \omega^4$$

# Effective Operators

- Surprisingly difficult question
- In the case of the Standard Model
  - Weinberg (1980) on  $D=6$   $\not\beta$ ,  $D=5$   $\not\psi$
  - Buchmüller-Wyler (1986) on  $D=6$  ops
    - 80 operators for  $N_f=1$ ,  $B$ ,  $L$  conserving
  - Grzadkowski et al (2010) removed redundancies and discovered one missed
    - 59 operators for  $N_f=1$ ,  $B$ ,  $L$  conserving
  - Mahonar et al (2013) general  $N_f$
  - Lehman-Martin (2014, 15)  $D=7$  for general  $N_f$ ,  $D=8$  for  $N_f=1$  (incorrect)

Repeating this at order  $\epsilon^6$  we obtain the Hilbert series for dimension-six operators of the SM EFT:

$$\begin{aligned}
\widehat{H}_6 = & H^3 H^\dagger{}^3 + u^\dagger Q^\dagger H H^\dagger{}^2 + 2Q^2 Q^\dagger{}^2 + Q^\dagger{}^3 L^\dagger + Q^3 L + 2QQ^\dagger LL^\dagger + L^2 L^\dagger{}^2 + uQH^2 H^\dagger \\
& + 2uu^\dagger QQ^\dagger + uu^\dagger LL^\dagger + u^2 u^\dagger{}^2 + e^\dagger u^\dagger Q^2 + e^\dagger L^\dagger H^2 H^\dagger + 2e^\dagger u^\dagger Q^\dagger L^\dagger + eLHH^\dagger{}^2 + euQ^\dagger{}^2 \\
& + 2euQL + ee^\dagger QQ^\dagger + ee^\dagger LL^\dagger + ee^\dagger uu^\dagger + e^2 e^\dagger{}^2 + d^\dagger Q^\dagger H^2 H^\dagger + 2d^\dagger u^\dagger Q^\dagger{}^2 + d^\dagger u^\dagger QL \\
& + d^\dagger e^\dagger u^\dagger{}^2 + d^\dagger eQ^\dagger L + dQH H^\dagger{}^2 + 2duQ^2 + duQ^\dagger L^\dagger + de^\dagger QL^\dagger + deu^2 + 2dd^\dagger QQ^\dagger + dd^\dagger LL^\dagger \\
& + 2dd^\dagger uu^\dagger + dd^\dagger ee^\dagger + d^2 d^\dagger{}^2 + u^\dagger Q^\dagger H^\dagger G_R + d^\dagger Q^\dagger H G_R + HH^\dagger G_R^2 + G_R^3 + uQH G_L \\
& + dQH^\dagger G_L + HH^\dagger G_L^2 + G_L^3 + u^\dagger Q^\dagger H^\dagger W_R + e^\dagger L^\dagger H W_R + d^\dagger Q^\dagger H W_R + HH^\dagger W_R^2 + W_R^3 \\
& + uQHW_L + eLH^\dagger W_L + dQH^\dagger W_L + HH^\dagger W_L^2 + W_L^3 + u^\dagger Q^\dagger H^\dagger B_R + e^\dagger L^\dagger H B_R \\
& + d^\dagger Q^\dagger H B_R + HH^\dagger B_R W_R + HH^\dagger B_R^2 + uQH B_L + eLH^\dagger B_L + dQH^\dagger B_L + HH^\dagger B_L W_L \\
& + HH^\dagger B_L^2 + 2QQ^\dagger HH^\dagger \mathcal{D} + 2LL^\dagger HH^\dagger \mathcal{D} + uu^\dagger HH^\dagger \mathcal{D} + ee^\dagger HH^\dagger \mathcal{D} + d^\dagger uH^2 \mathcal{D} + du^\dagger H^\dagger{}^2 \mathcal{D} \\
& + dd^\dagger HH^\dagger \mathcal{D} + 2H^2 H^\dagger{}^2 \mathcal{D}^2.
\end{aligned} \tag{3.16}$$

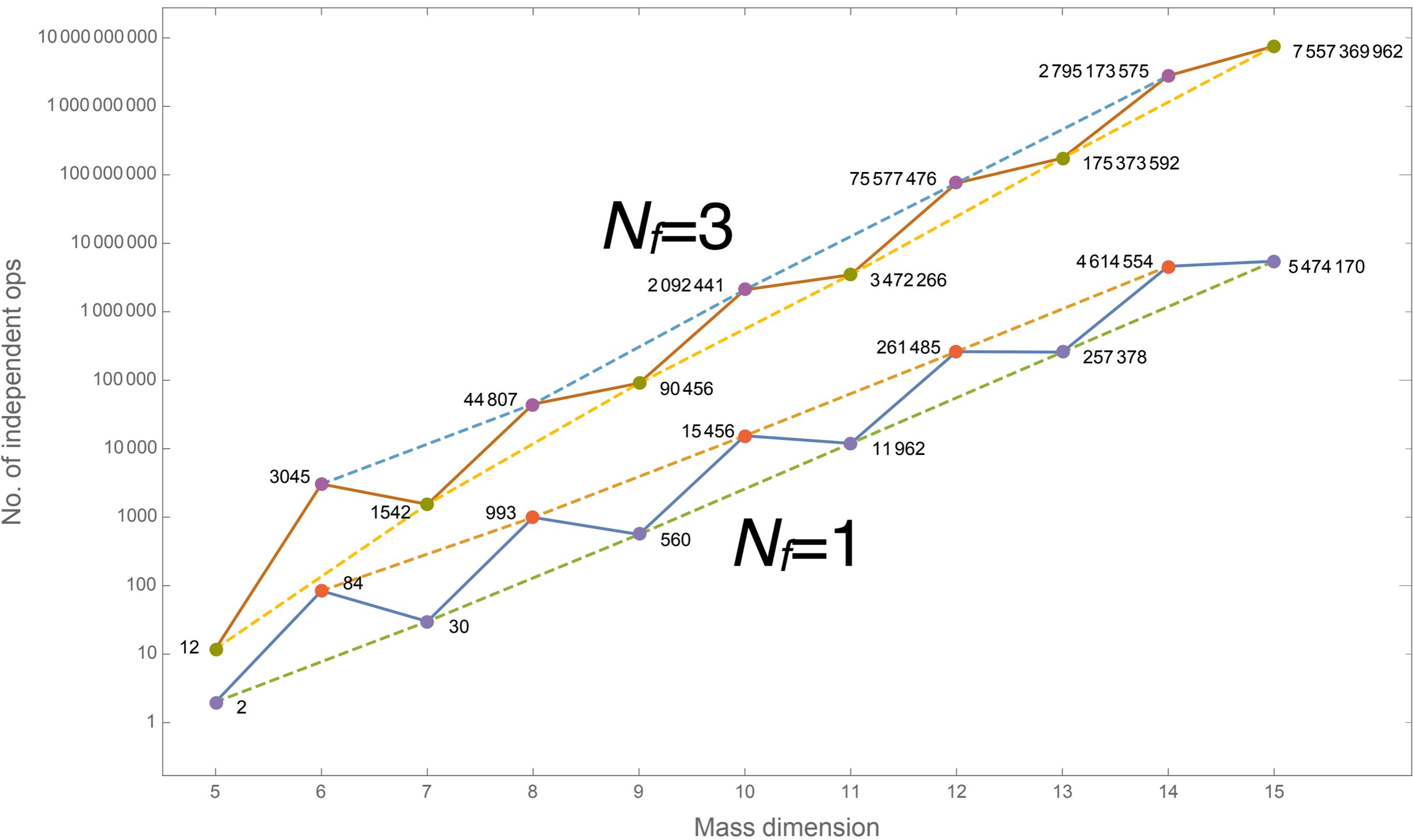
Setting all of the spurions equal to unity gives  $\widehat{H}_6 = 84$ , the total number of independent local operators at dimension 6, but more information is contained in eq.(3.16). For instance, the counting can easily be further decomposed by baryon number violation,  $76 + 8$ . The perhaps more familiar ‘ $59 + 4$ ’ counting is one in which hermitian conjugates of fermionic operators are not counted separately (such counting can of course also be obtained from eq. (3.16)).

# Main idea

Brian Henning, Xiaochuan Lu, Tom Melia, HM

- Take kinetic terms as the zeroth order  
Lagrangian  $(\partial\phi)^2, \bar{\psi}i\not{\partial}\psi, (F_{\mu\nu})^2$
- Classically, it is conformally invariant under  $SO(4,2) \simeq SO(6, \mathbb{C})$
- Operator-State correspondence tells us that operators fall into representations of the conformal group
  - equation of motion: short multiplets
  - remove total derivatives: primary states

$$H(\mathcal{D}, \phi_1, \dots, \phi_n) = \int d\mu_{\text{conf}} d\mu_{\text{gauge}} \sum_k \mathcal{D}^k \chi_{\Delta_0+k,0}^* PE \left[ \frac{\phi_1}{\mathcal{D}^{d_1}} \chi_1 \right] \cdots PE \left[ \frac{\phi_n}{\mathcal{D}^{d_n}} \chi_n \right]$$



origin of flavor:  
important on its own

# Five evidences for physics beyond SM

- Since 1998, it became clear that there are **at least five missing pieces in the SM**

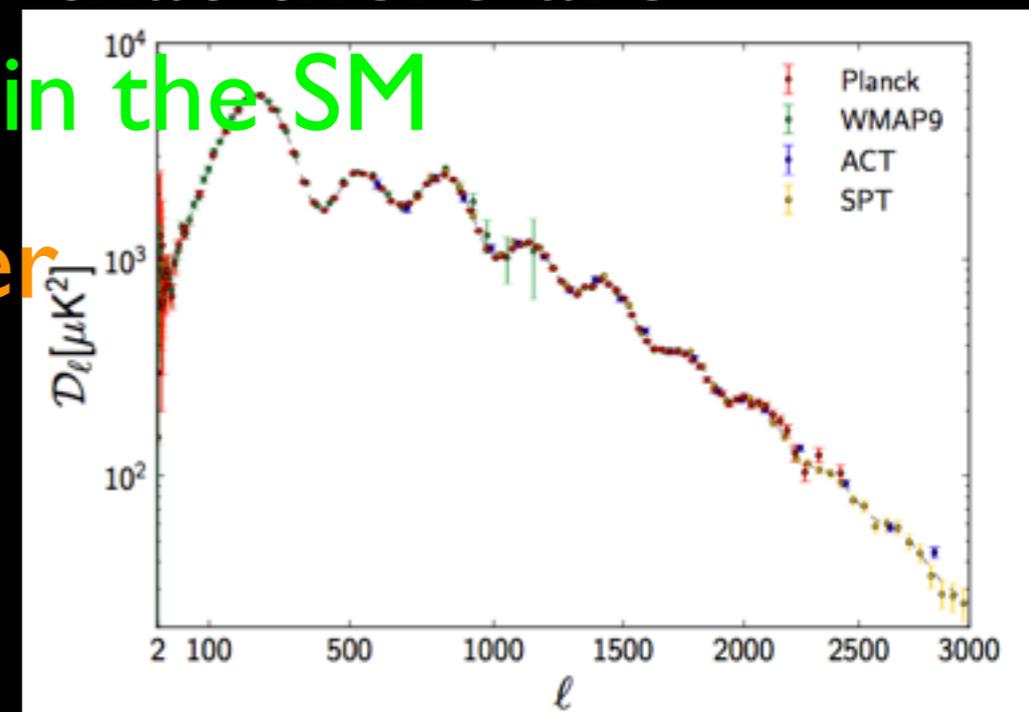
- **non-baryonic dark matter**

- **neutrino mass**

- **dark energy**

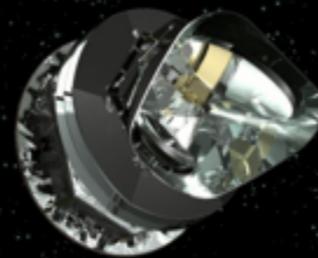
- **apparently acausal density fluctuations**

- **baryon asymmetry**

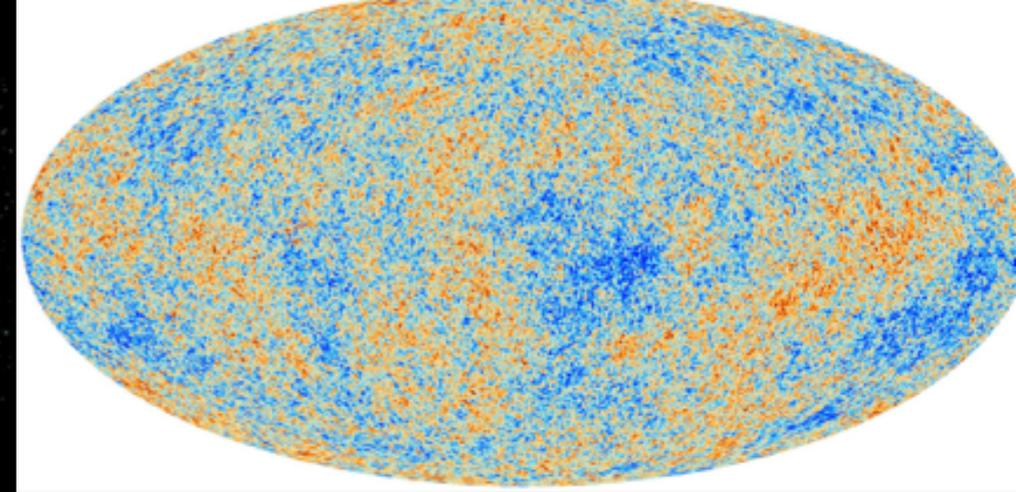


We don't really know their energy scales...

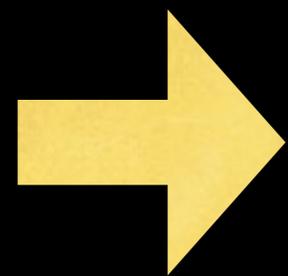
# Puzzle is sharpened



Planck



- with success of inflation, **it can't be the initial condition** of the Universe
- Kobayashi and Maskawa phase can only explain  $\eta_b \approx \alpha_W^5 J \approx 10^{-27}$
- **new** sources of CPV are needed
- we also need to see how anti-matter can turn into matter



**quark sector:** LHCb, SuperKEKB, rare kaon decays  
**lepton sector:** CPV in neutrinos,  $0\nu\beta\beta$ , LFV  
**both sectors:** proton decay

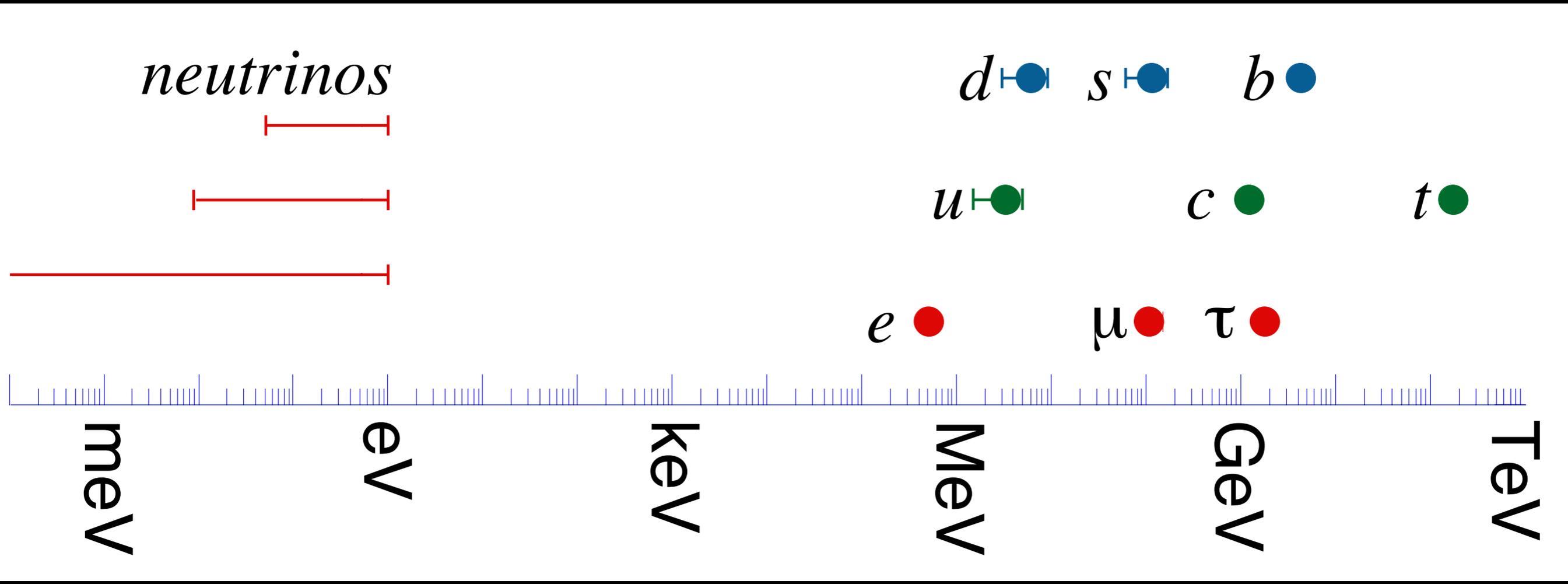
# Great Flavor Questions

- Why are there **three generations**?
- What physics determines the pattern of **masses and mixings**?
- What is the origin of **CP violation**?
- What is the origin of **matter anti-matter asymmetry** in Universe?

*How exactly are we trying to answer these questions?*

# Strategy

1. Look for small deviations from the standard CKM
2. Identify their patterns and symmetry structure
3. Figure out dynamics behind the new symmetry



# Question of Flavor

- What distinguishes different generations?
  - Same gauge quantum numbers, yet different
- Hierarchy with small mixings:
  - ⇒ Need some ordered structure
- Probably a hidden *flavor quantum number*
  - ⇒ Need flavor symmetry
    - Flavor symmetry must allow top Yukawa  $\sim O(1)$
    - Other Yukawas forbidden
    - Small symmetry breaking generates small Yukawas and small mixings

# Flavor Symmetry: simple example

- Flavor quantum numbers (SU(5)-ish):
  - $10(Q, u_R, e_R)$  (+2, +1, 0)
  - $5^*(L, d_R)$  (+1, +1, +1)
  - U(1) symmetry broken by  $\epsilon(-1) \sim 0.07$

$$Y_u \sim \begin{pmatrix} \epsilon^4 & \epsilon^3 & \epsilon^2 \\ \epsilon^3 & \epsilon^2 & \epsilon \\ \epsilon^2 & \epsilon & 1 \end{pmatrix} \quad Y_d \sim \begin{pmatrix} \epsilon^3 & \epsilon^3 & \epsilon^3 \\ \epsilon^2 & \epsilon^2 & \epsilon^2 \\ \epsilon & \epsilon & \epsilon \end{pmatrix} \quad Y_l \sim \begin{pmatrix} \epsilon^3 & \epsilon^2 & \epsilon \\ \epsilon^3 & \epsilon^2 & \epsilon \\ \epsilon^3 & \epsilon^2 & \epsilon \end{pmatrix}$$

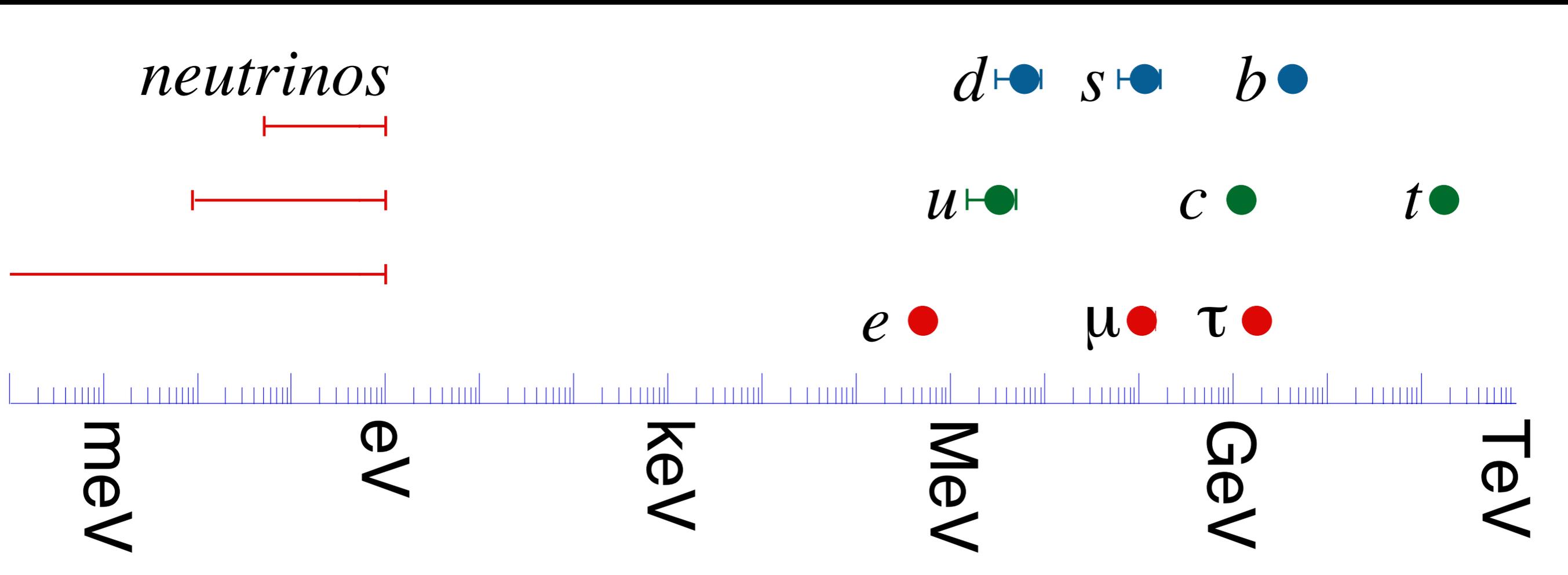
- $m_u:m_c:m_t \sim m_d^2:m_s^2:m_b^2 \sim m_e^2:m_\mu^2:m_\tau^2$
- $m_d \sim m_e, m_s \sim m_\mu, m_b \sim m_\tau$

(Haba, HM)

# Not bad!

$$V_{CKM} \sim \begin{pmatrix} 1 & 3\epsilon & 3\epsilon^2 \\ 3\epsilon & 1 & \epsilon \\ 3\epsilon^2 & \epsilon & 1 \end{pmatrix}$$

- $m_u:m_c:m_t \sim m_d^2:m_s^2:m_b^2 \sim m_e^2:m_\mu^2:m_\tau^2$
- $m_d \sim 3m_e, 3m_s \sim m_\mu, m_b \sim m_\tau$



# Neutrinos

- Flavor quantum numbers (SU(5)-ish):

- $10(Q, u_R, e_R) (+2, +1, 0)$

- $5^*(L, d_R) (+1, +1, +1)$

- U(1) symmetry broken by  $\epsilon(-1) \sim 0.07$

$$Y_{\nu}^{ij} \frac{(L_i H)(L_j H)}{M}$$

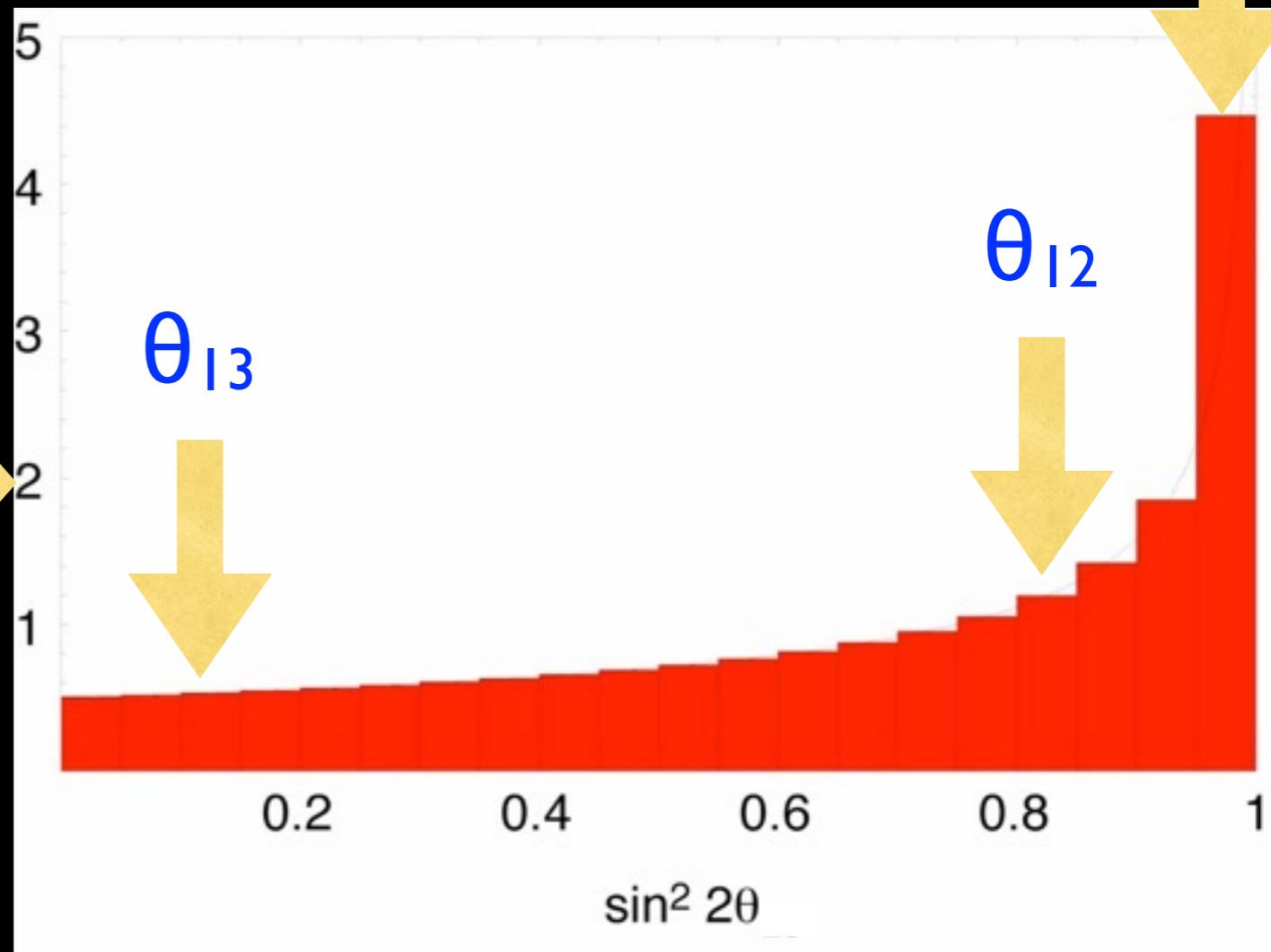
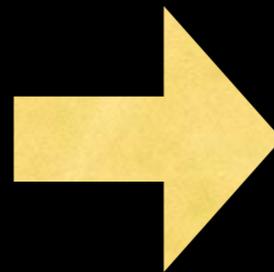
$$Y_{\nu} \sim \epsilon^2 \begin{pmatrix} 1 & 1 & 1 \\ 1 & 1 & 1 \\ 1 & 1 & 1 \end{pmatrix}$$

- assume O(1) constants are all random
- then we can predict the probability distribution of mixing angles

# anarchy

Miriam-Webster: “A *utopian society of individuals* who enjoy complete freedom without government”

*neutrinos*  
*large mixing*                      *symmetry*

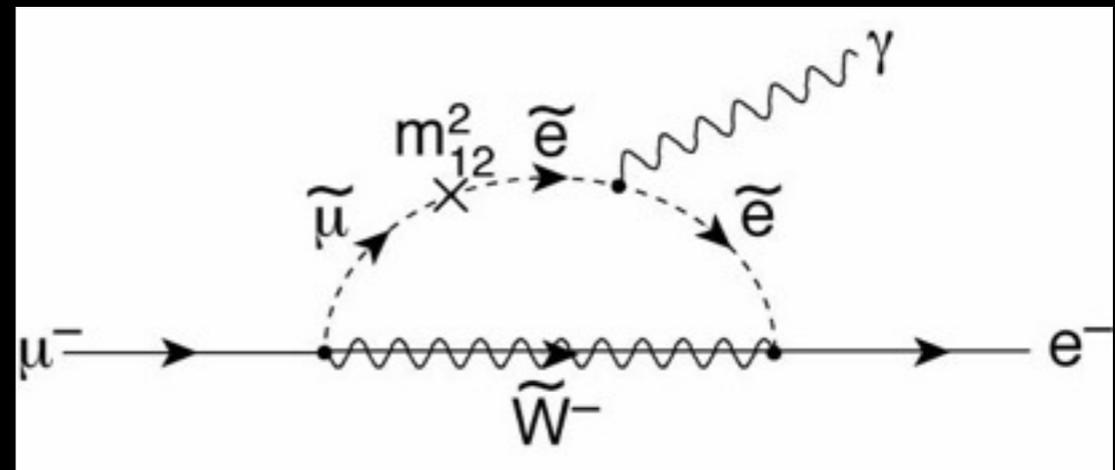
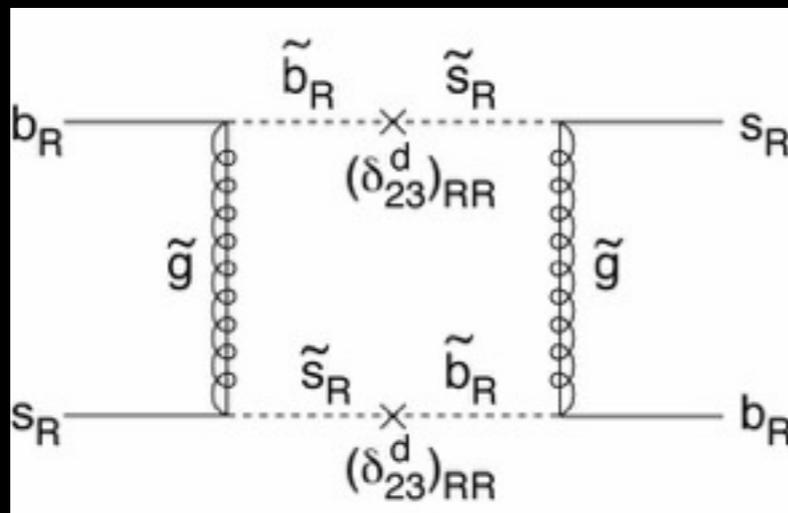


KS probability = 44%  
(de Gouvêa, HM)

# Program: more flavor parameters

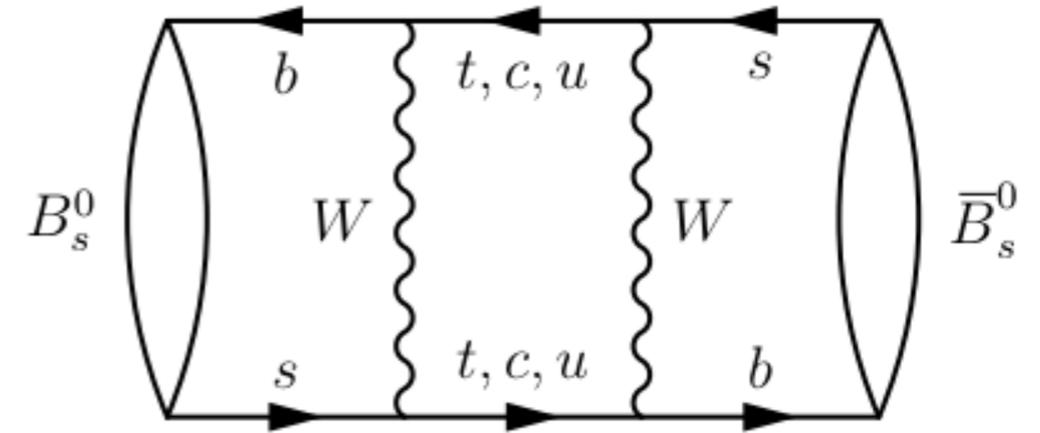
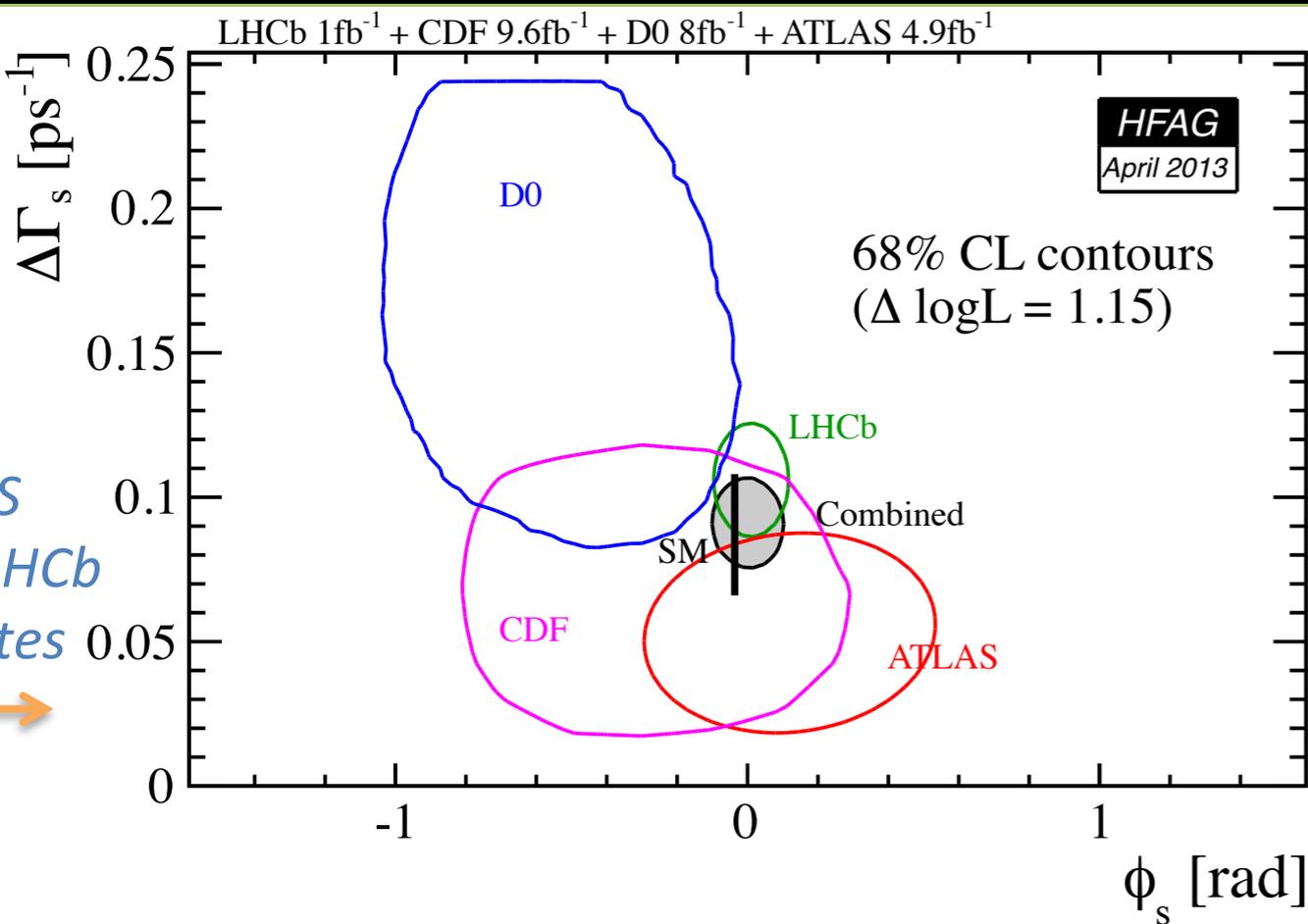
- SUSY  $\sim 10\text{--}100$  TeV?

$$m_{\tilde{Q}}^2 \sim m_{\tilde{u}}^2 \sim m_{\tilde{e}}^2 \sim m_0^2 \begin{pmatrix} 1 & \epsilon & \epsilon^2 \\ \epsilon & 1 & \epsilon \\ \epsilon^2 & \epsilon & 1 \end{pmatrix} \quad m_{\tilde{d}}^2 \sim m_{\tilde{L}}^2 \sim m_0^2 \begin{pmatrix} 1 & 1 & 1 \\ 1 & 1 & 1 \\ 1 & 1 & 1 \end{pmatrix}$$

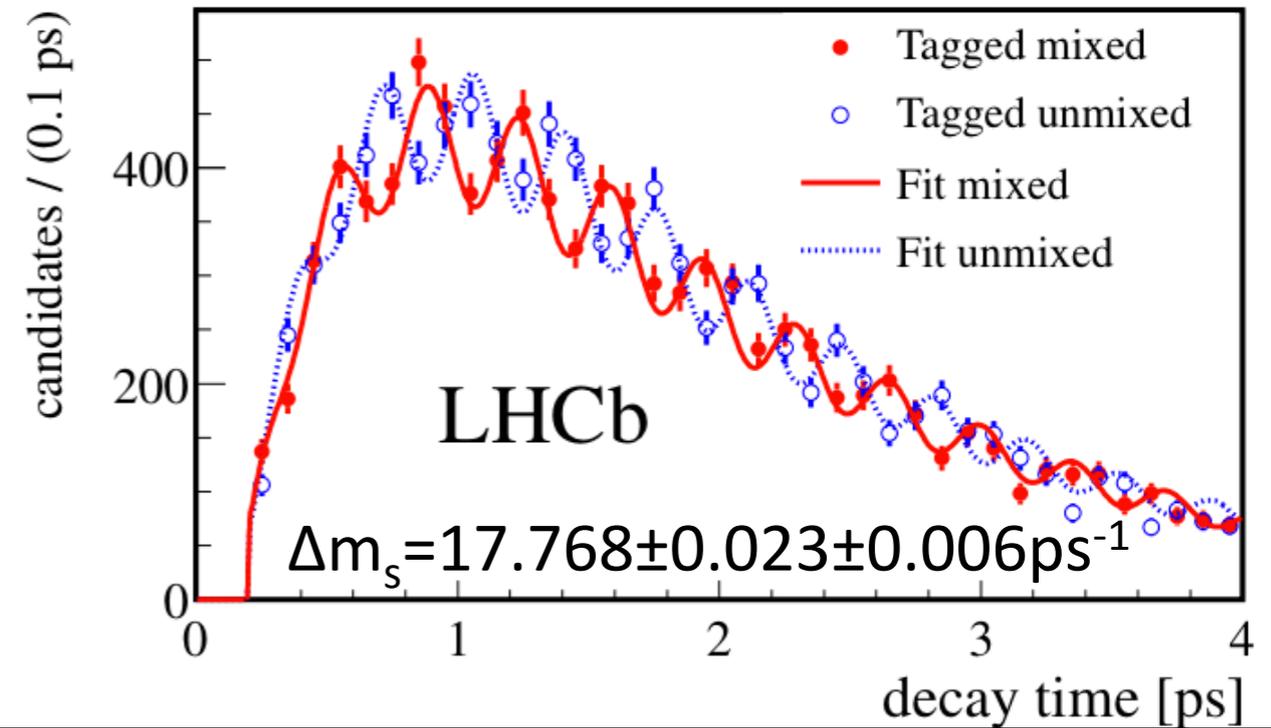


- patterns in deviation and the chirality information test flavor quantum numbers

# $B_s$ : Strangely Beautiful

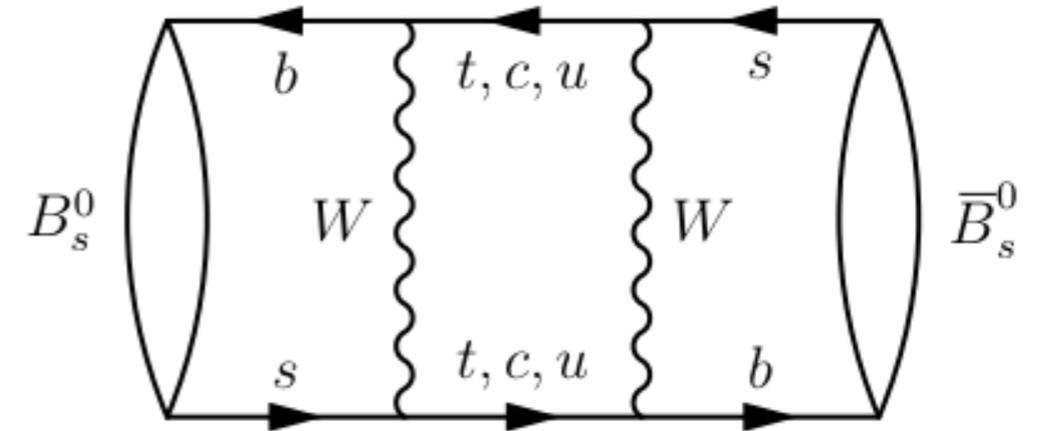
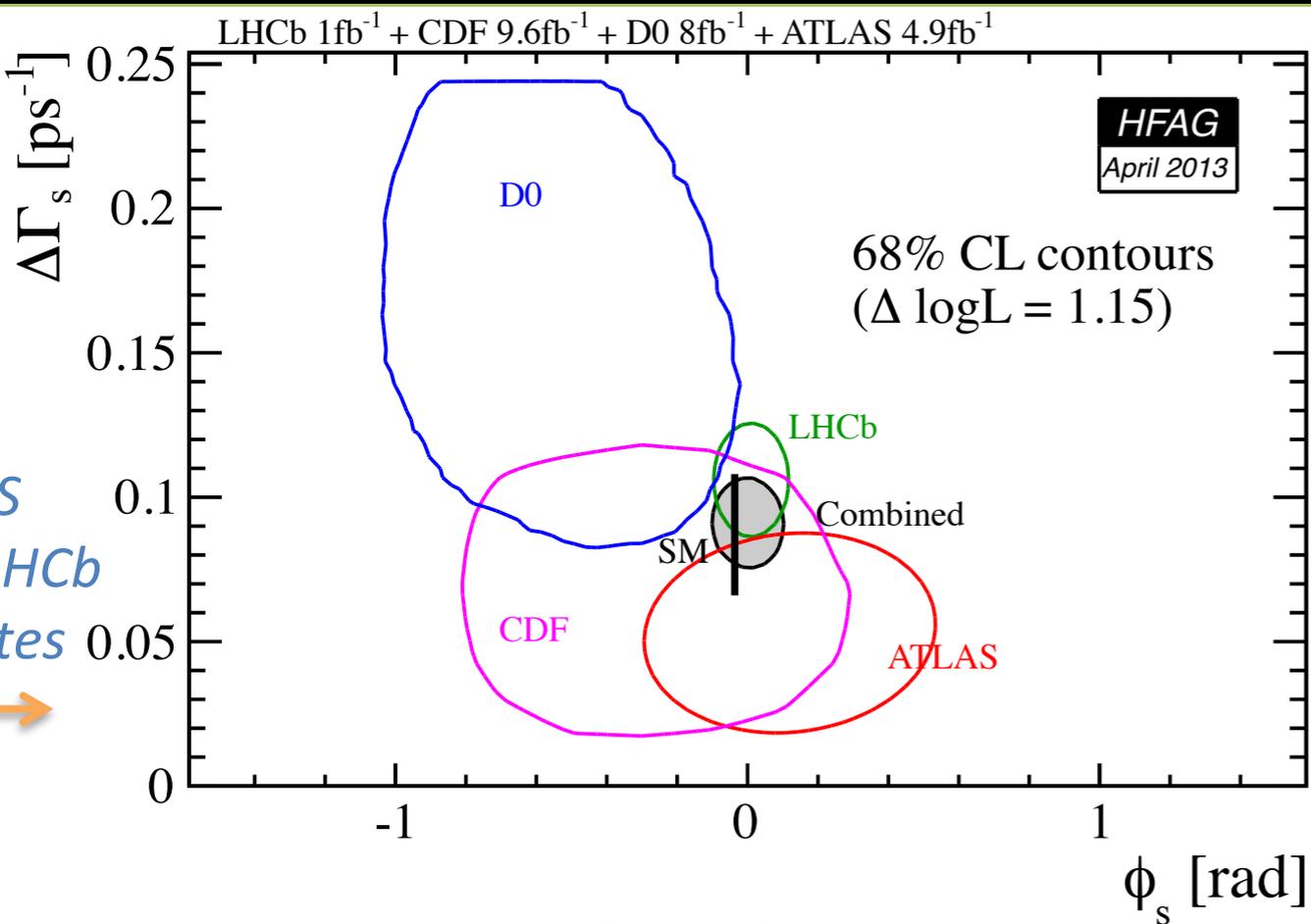


*New J Phys 15 (2013) 053021*

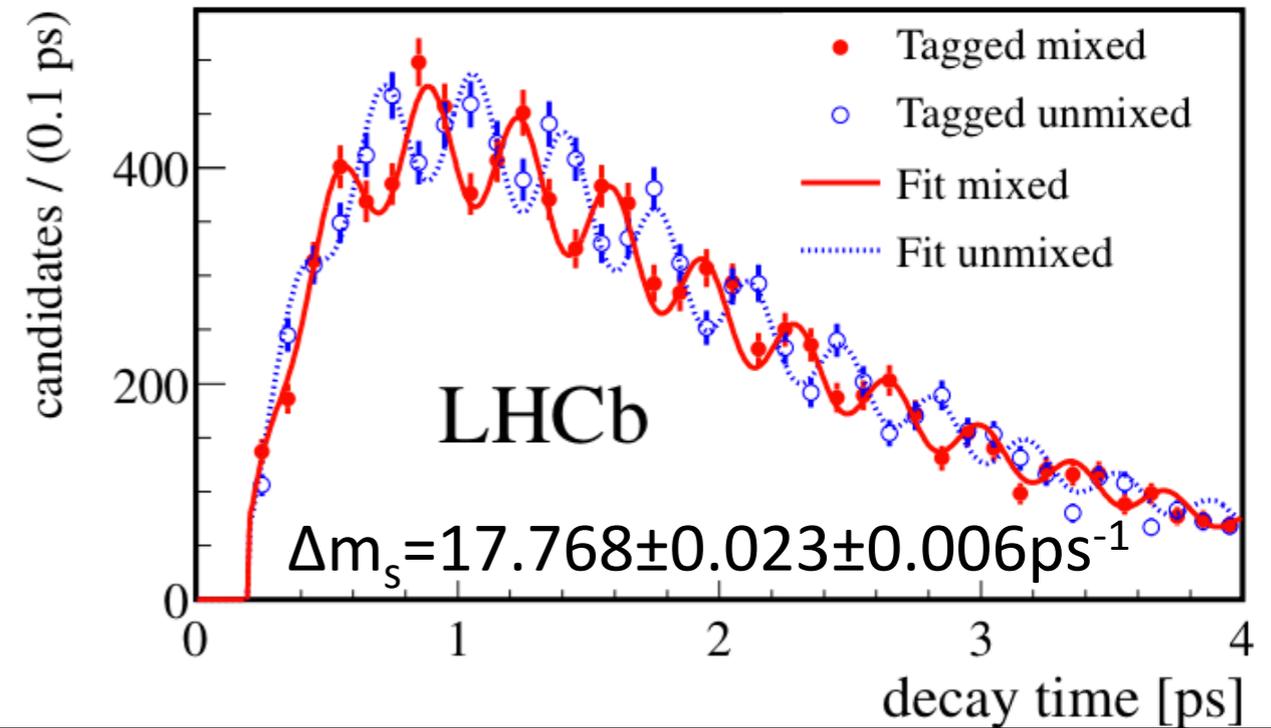


I had predicted big effects  
of new physics on  $B_s$

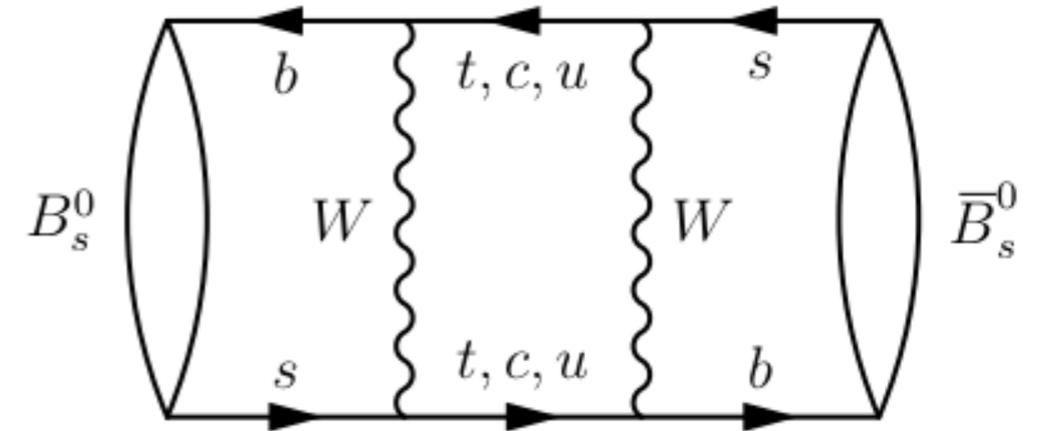
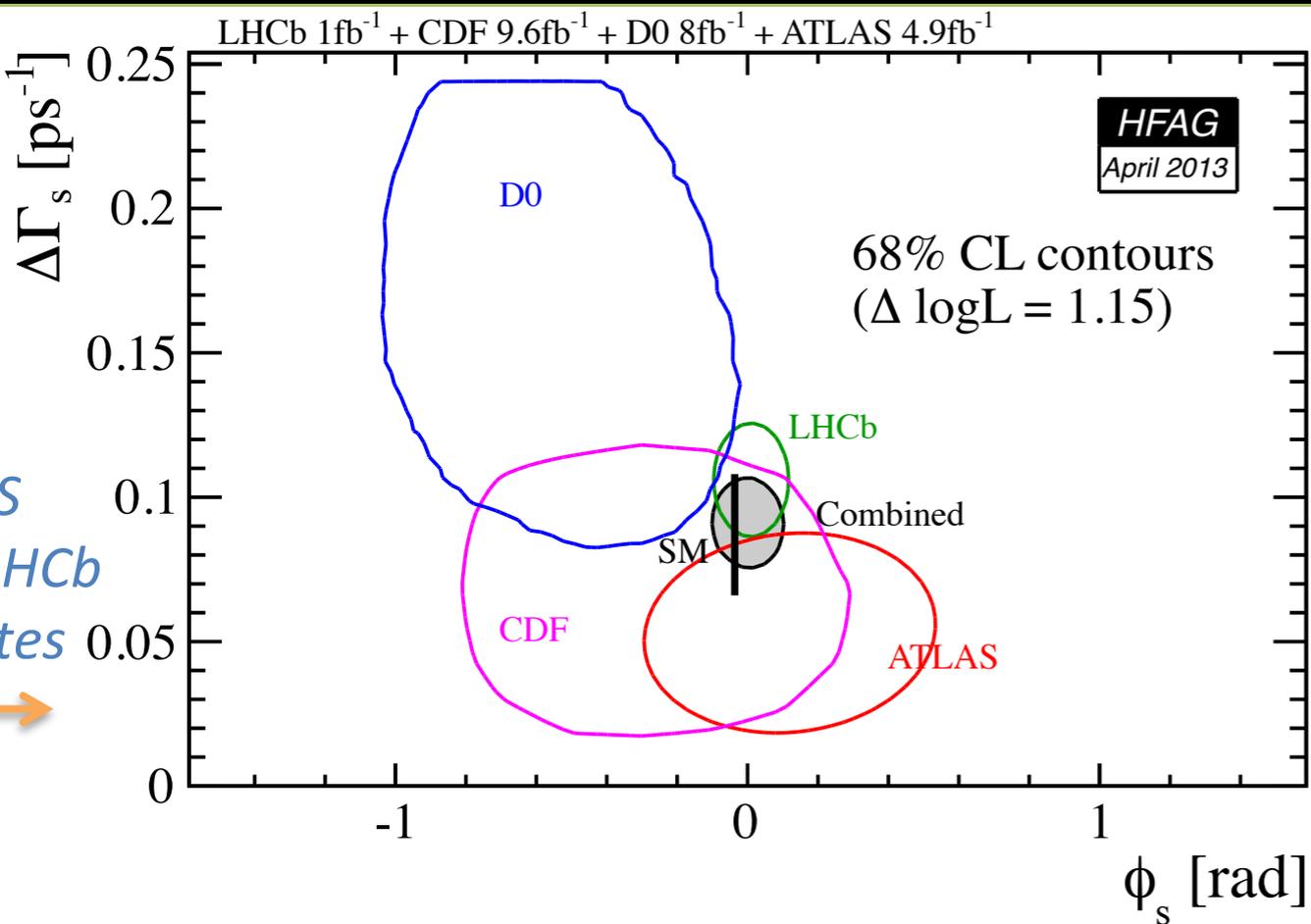
# $B_s$ : Strangely Beautiful



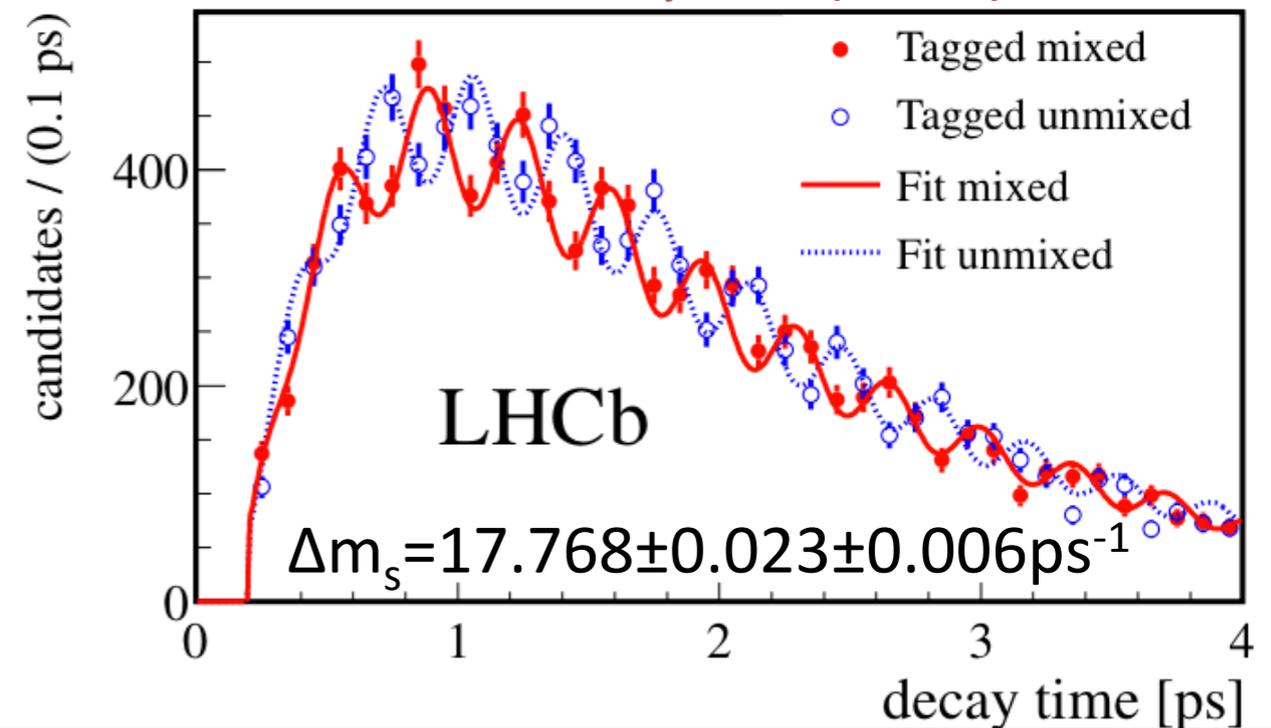
*New J Phys 15 (2013) 053021*



# $B_s$ : Strangely Beautiful



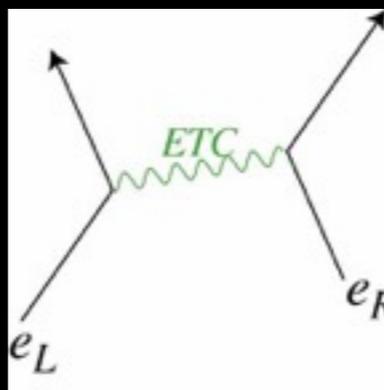
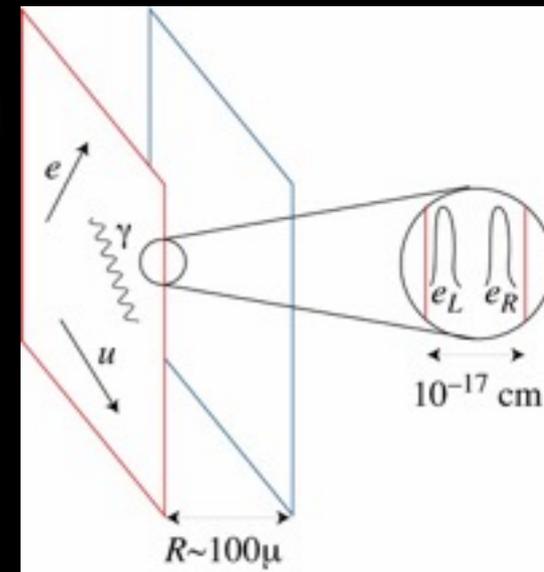
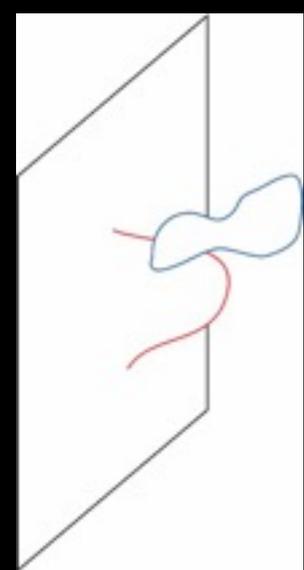
*New J Phys 15 (2013) 053021*



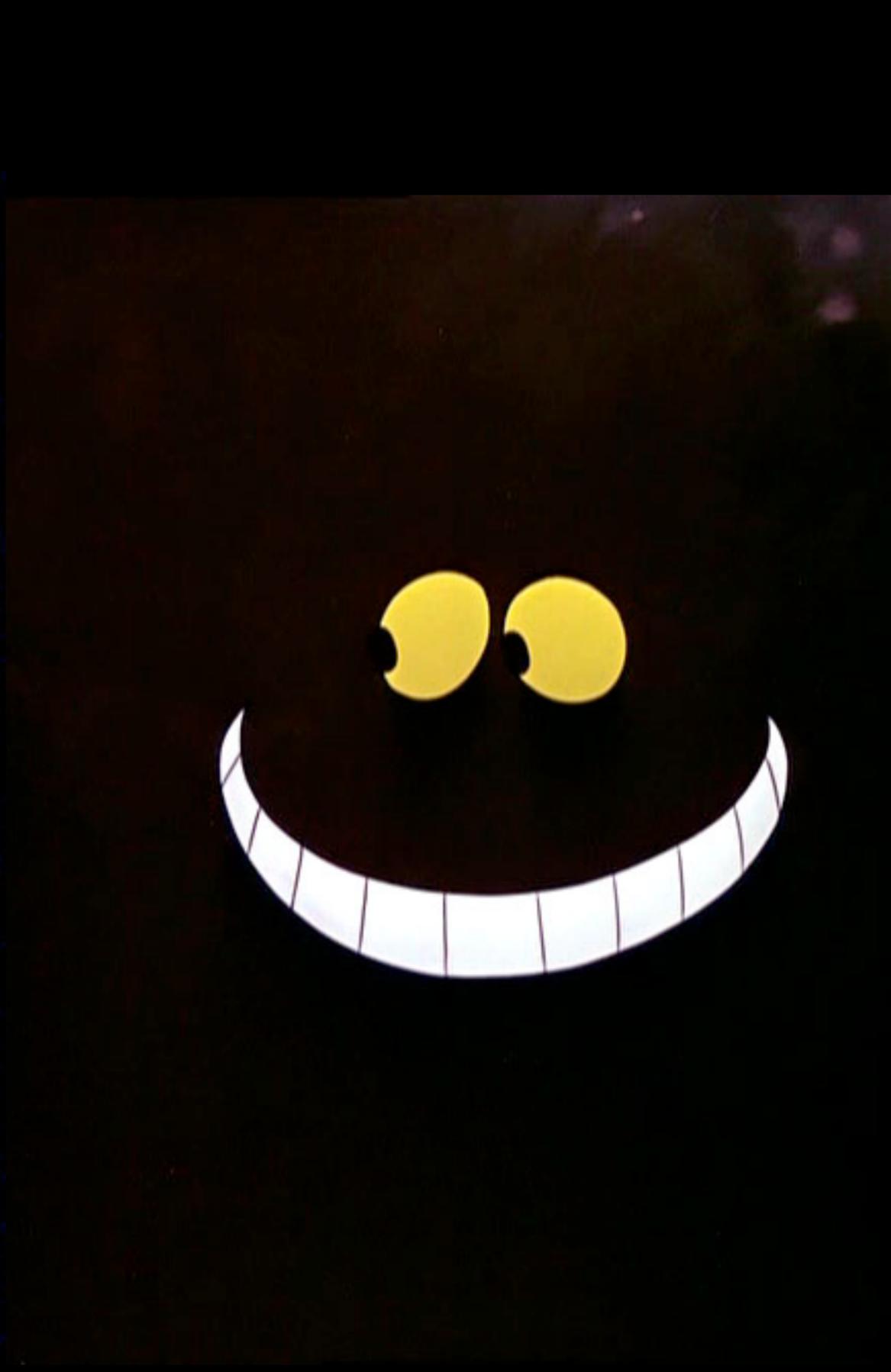
**small** but **detectable**  
effects of new physics on  $B_s$

# Dynamics behind flavor symmetry?

- Once flavor symmetry (e.g.  $SU(3)$ ), what is the underlying dynamics (e.g. QCD)?
- **Supersymmetry**: anomalous  $U(1)$  from Green–Schwarz mechanism
- **extra dimensions**: separation of wave functions in the 5D direction
- **composite Higgs**: new broken flavor gauge symmetries



new opportunities  
on dark matter



Ceshire cat

# dark matter

mass



LHC

no candidate

# dark matter

mass

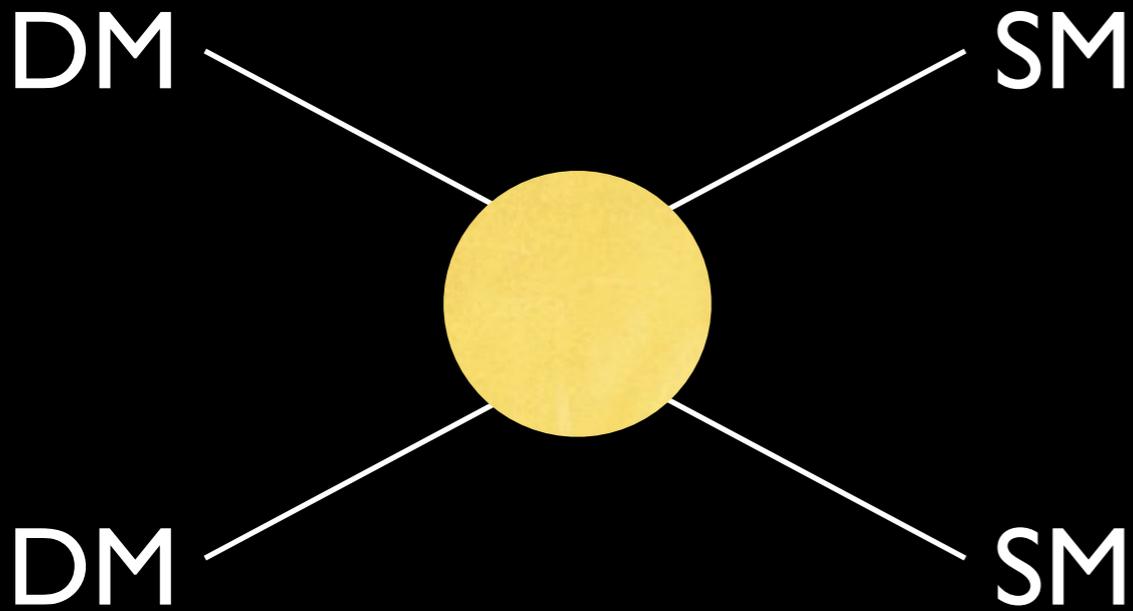


coupling



# WIMP Miracle

$$\frac{n_{DM}}{s} = 4.4 \times 10^{-10} \frac{\text{GeV}}{m_{DM}}$$

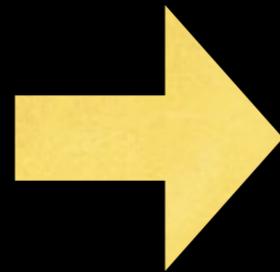


$$\langle \sigma_{2 \rightarrow 2\nu} \rangle \approx \frac{\alpha^2}{m^2}$$

$$\alpha \approx 10^{-2}$$

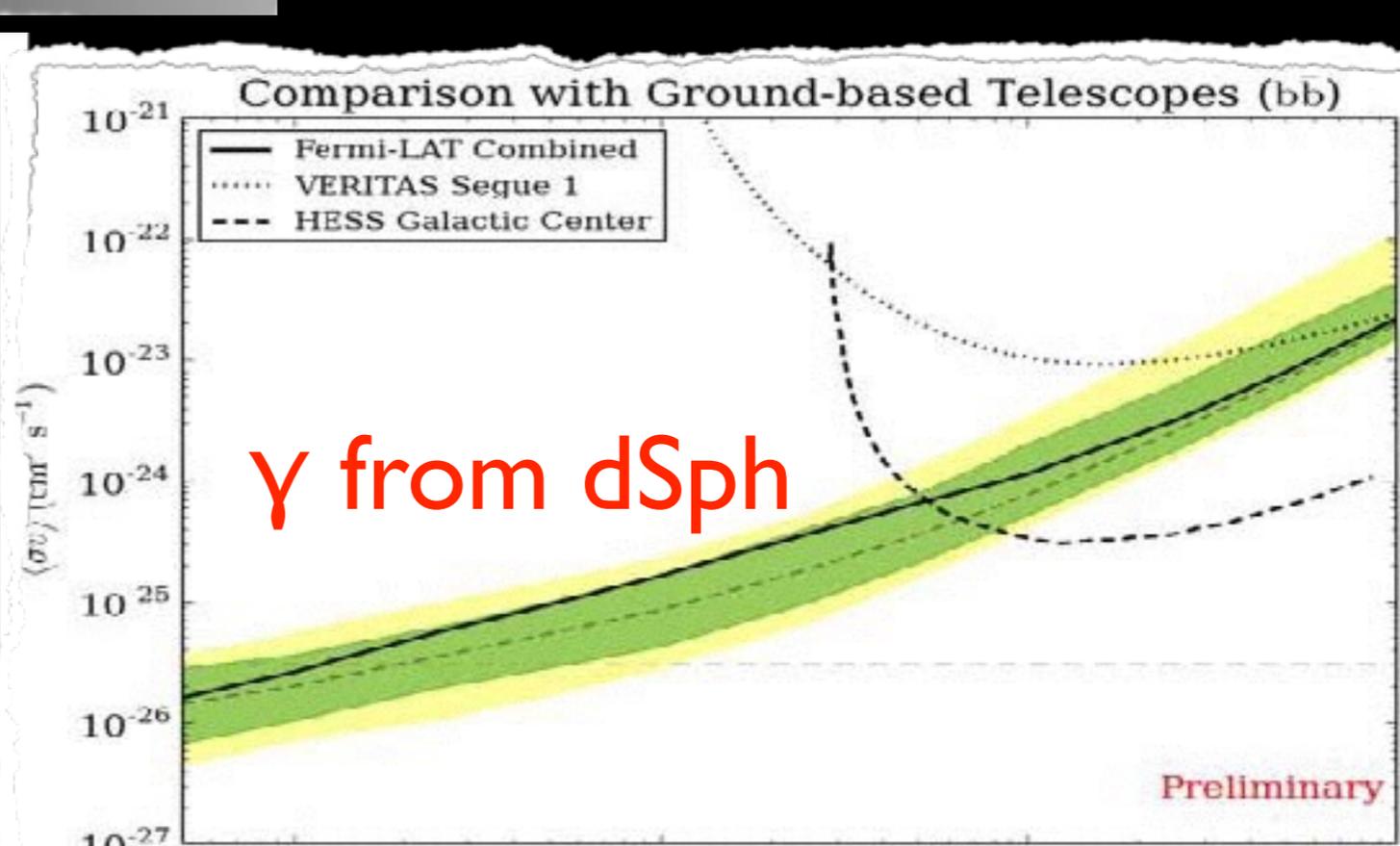
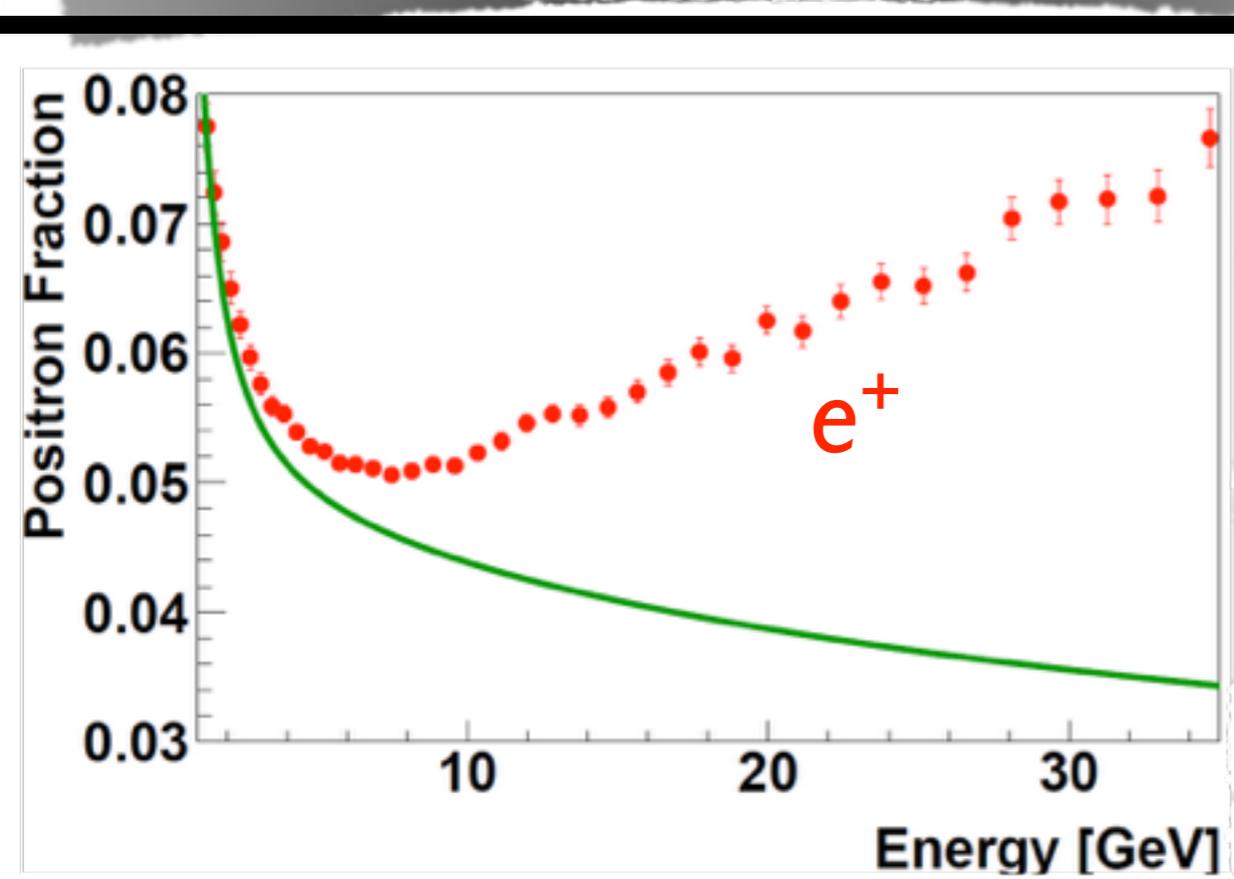
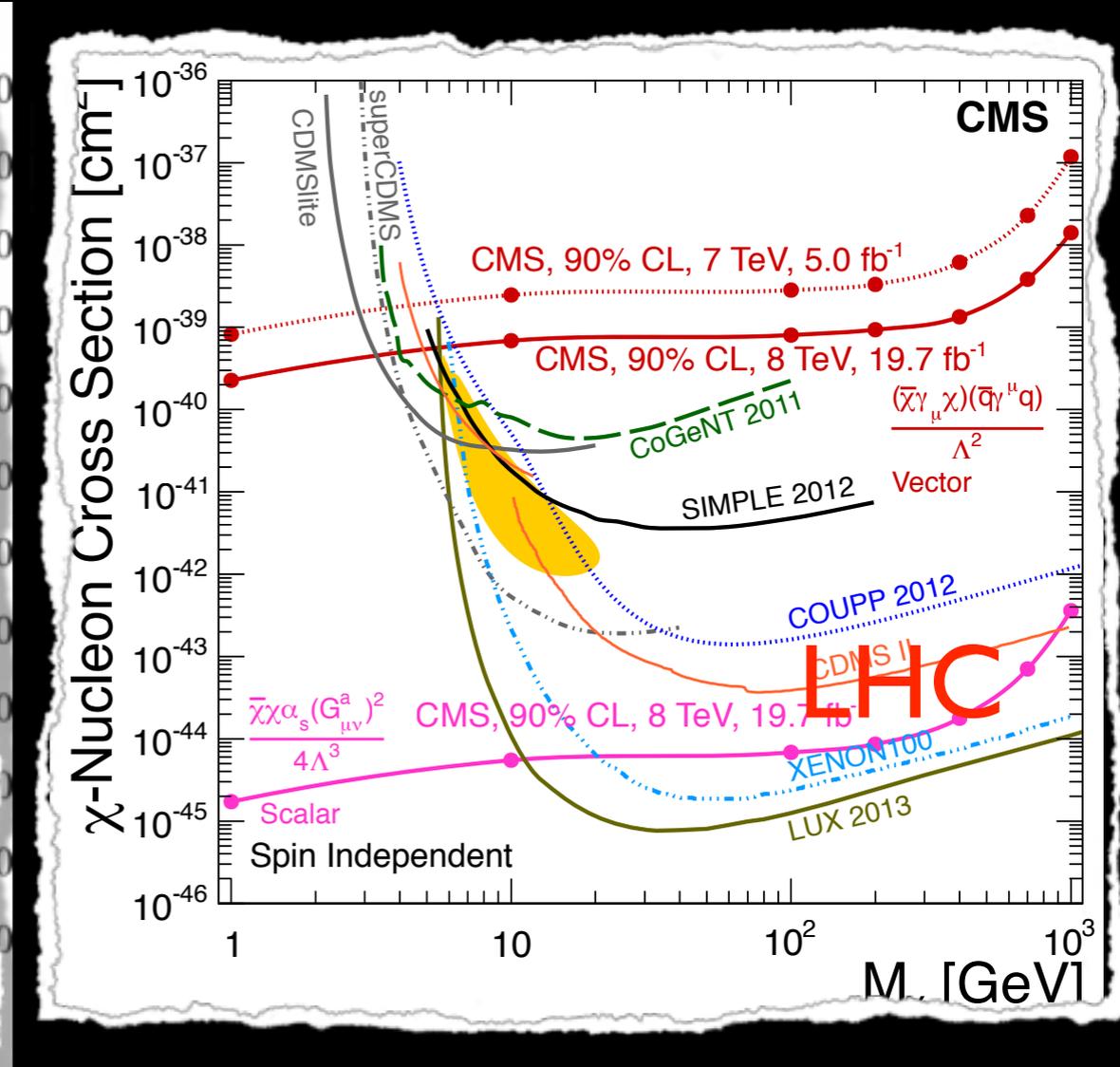
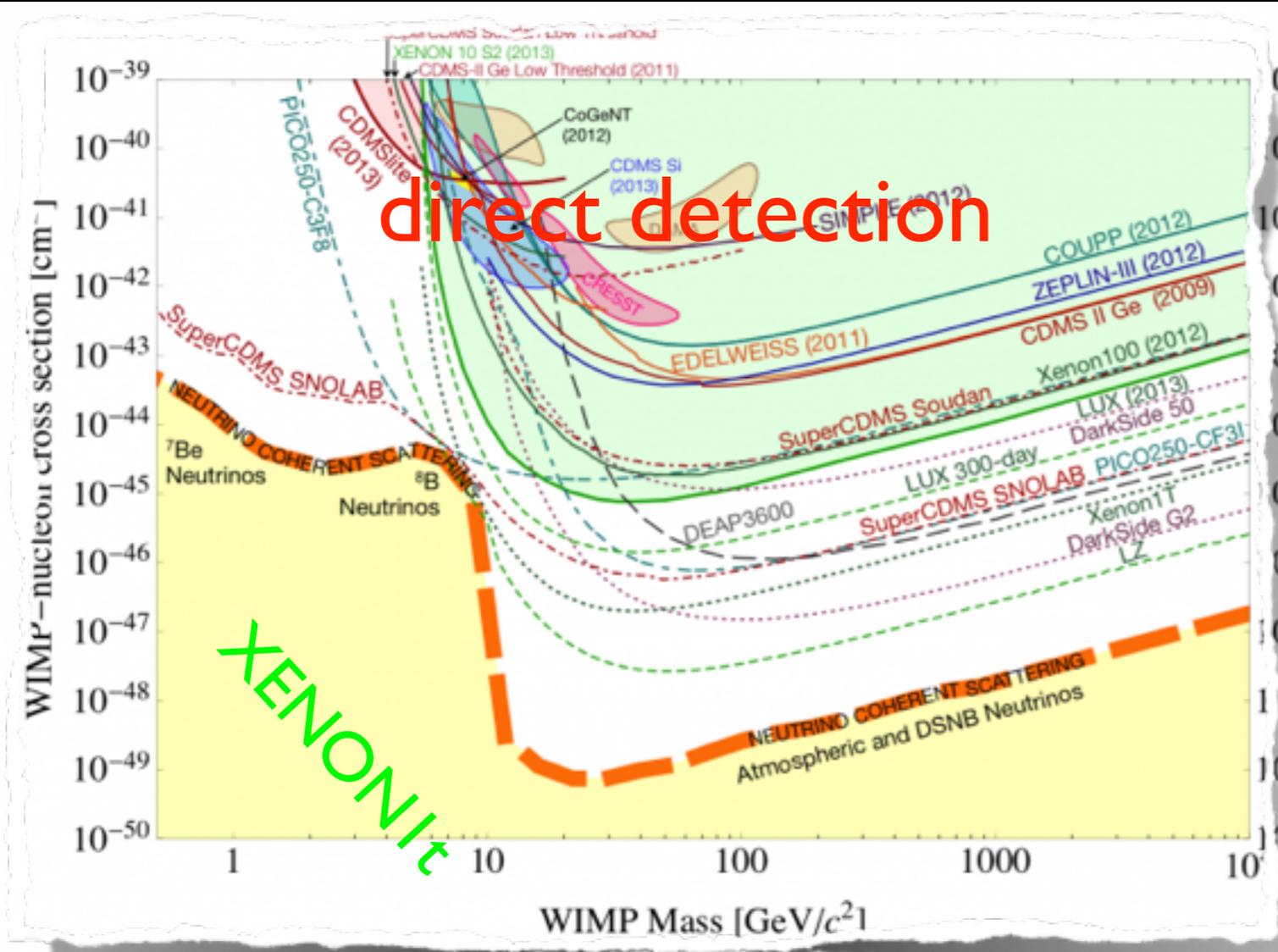
$$m \approx 300 \text{ GeV}$$

“weak” coupling  
“weak” mass scale



correct abundance

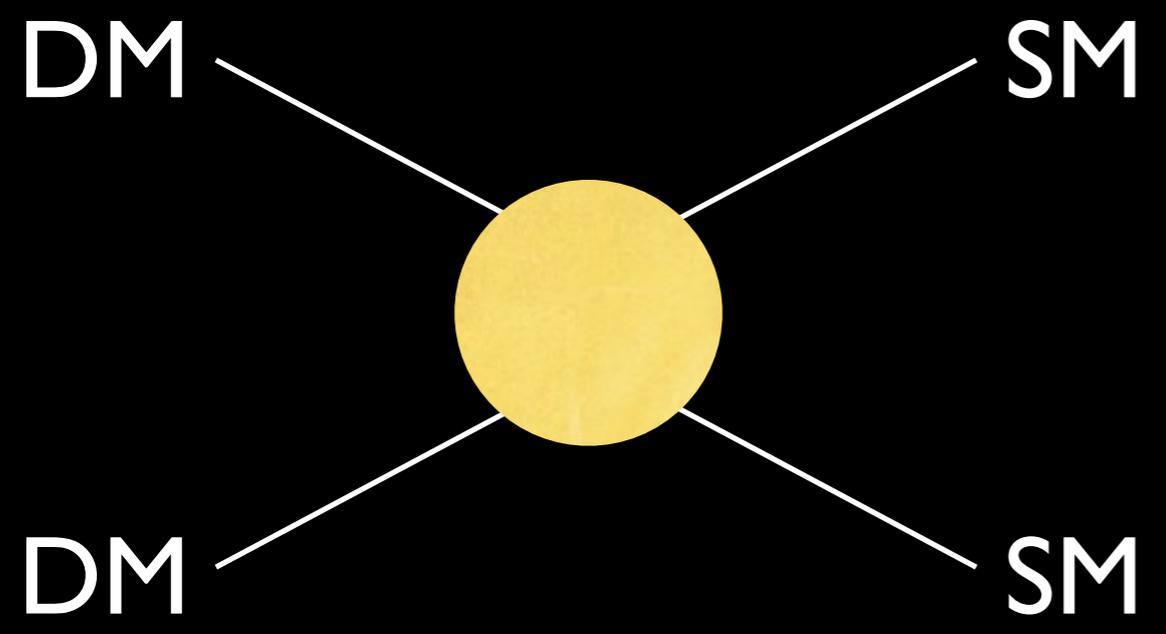
Miracle<sup>2</sup>





$$\frac{n_{\text{DM}}}{s} = 4.4 \times 10^{-10} \frac{\text{GeV}}{m_{\text{DM}}}$$

# Miracles

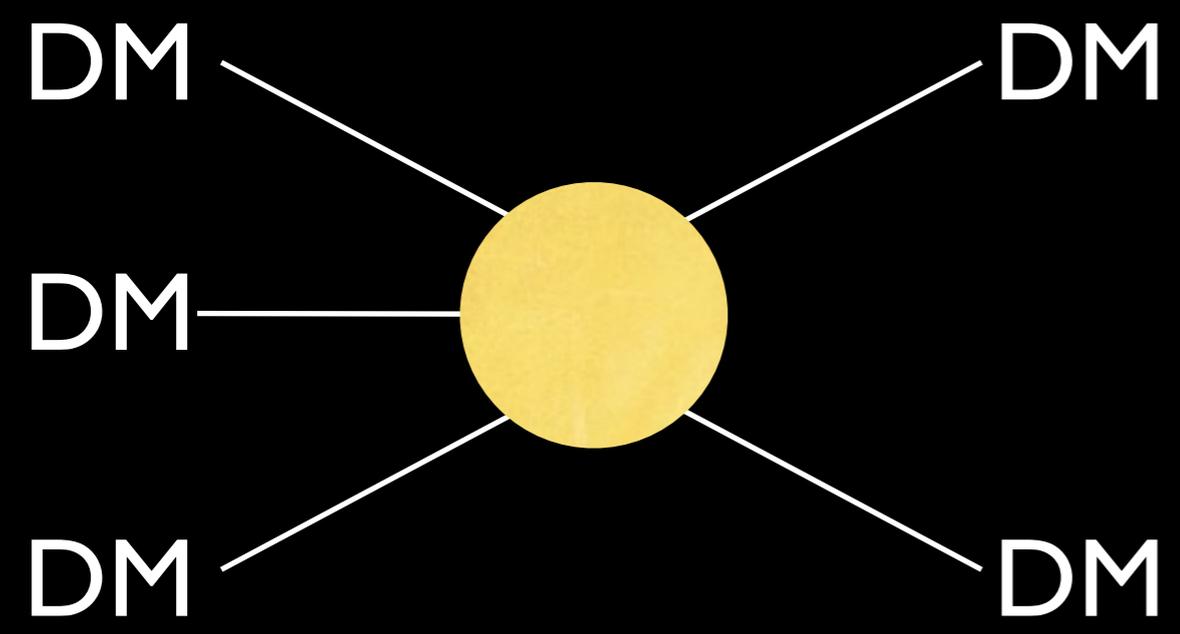


$$\langle \sigma_{2 \rightarrow 2\nu} \rangle \approx \frac{\alpha^2}{m^2}$$

$$\alpha \approx 10^{-2}$$

$$m \approx 300 \text{ GeV}$$

**WIMP miracle!**



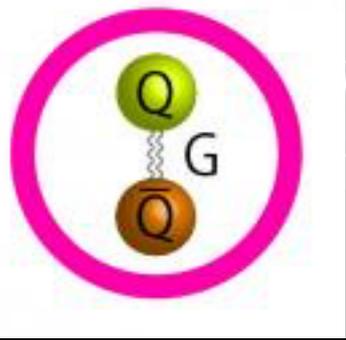
$$\langle \sigma_{3 \rightarrow 2\nu^2} \rangle \approx \frac{\alpha^3}{m^5}$$

$$\alpha \approx 4\pi$$

Hochberg, Kuflik, Volansky, Wacker  
arXiv:1402.5143

$$m \approx 300 \text{ MeV}$$

**SIMP miracle!**

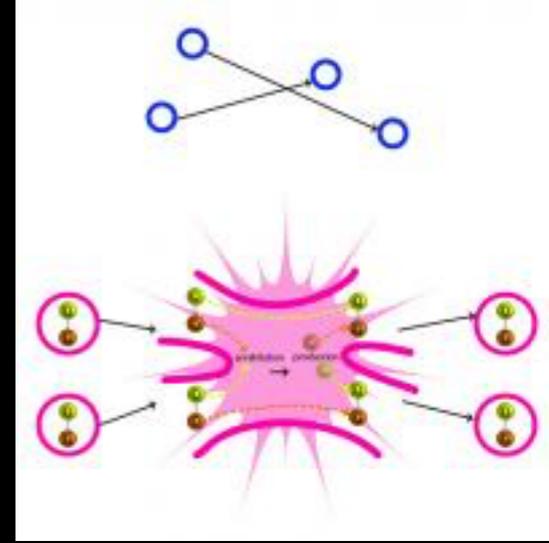


# SIMPlEst Miracle

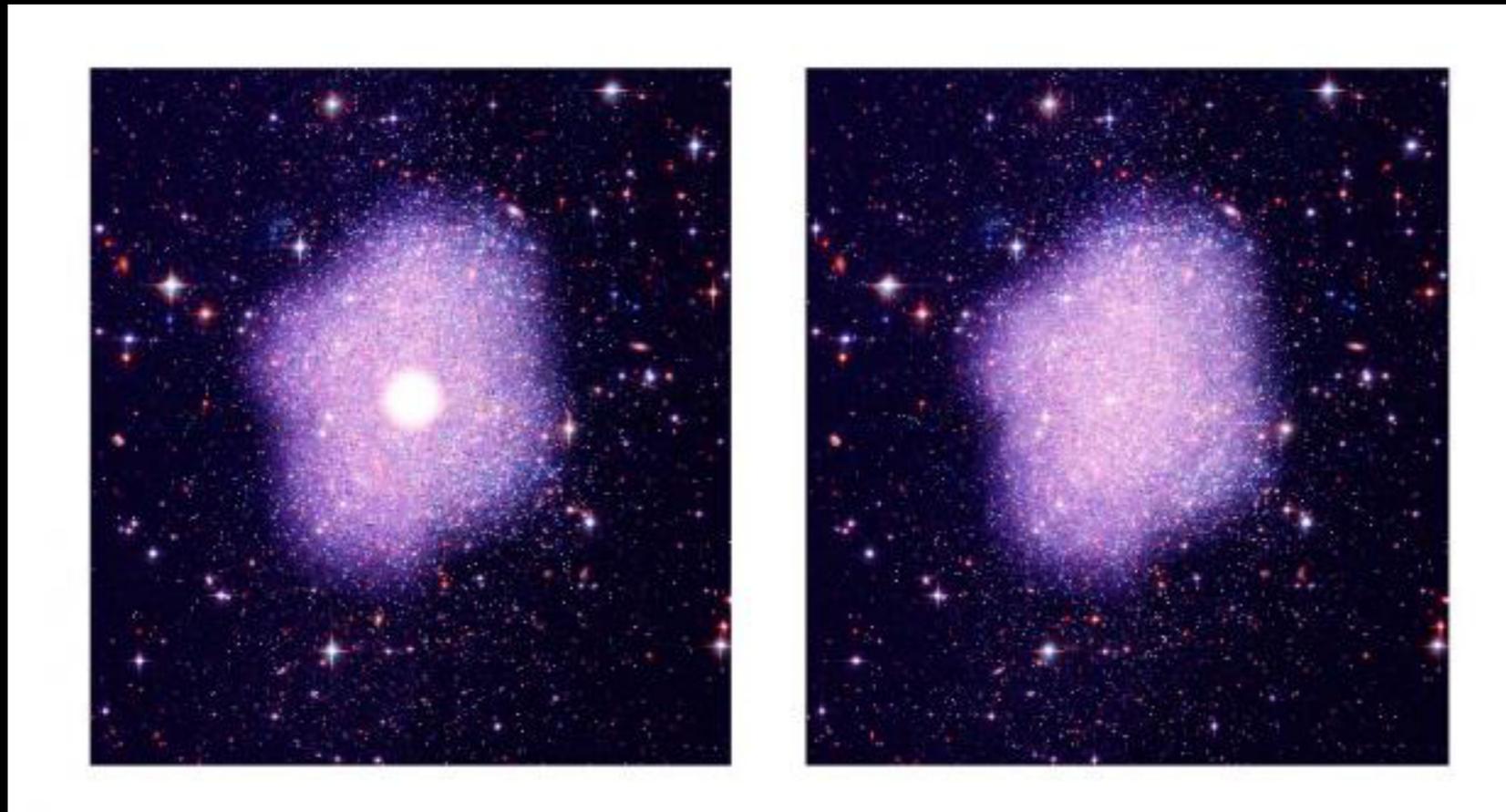
Yonit Hochberg, Eric Kuflik, HM, Tomer Volansky, Jay Wacker

- $SU(2)$  gauge theory with four doublets
- $SU(4)=SO(6)$  flavor symmetry
- $\langle q^i q^j \rangle \neq 0$  breaks it to  $Sp(2)=SO(5)$
- coset space  $SO(6)/SO(5)=S^5$
- $\pi_5(S^5)=\mathbb{Z} \Rightarrow$  Wess-Zumino term
- $L_{WZ} = \epsilon_{abcde} \epsilon^{\mu\nu\rho\sigma} \pi^a \partial_\mu \pi^b \partial_\nu \pi^c \partial_\rho \pi^d \partial_\sigma \pi^e$

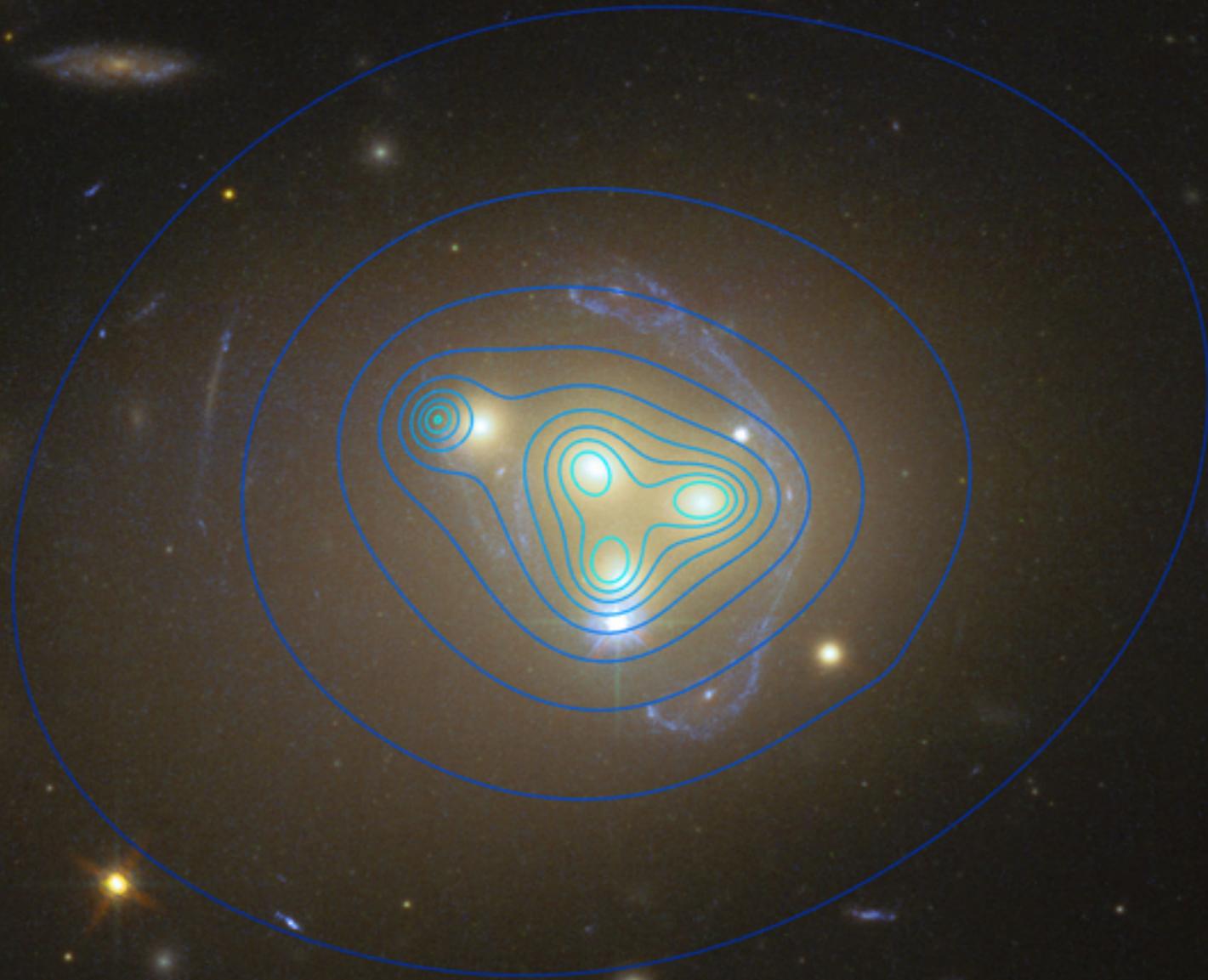
# self interaction



- self interaction of  $\sigma/m \sim O(1) \text{ b/GeV}$
- flattens the cusps in NFW profile
- actually desirable for dwarf galaxies?



$$\frac{\sigma}{m} \approx 1.5 \frac{\text{cm}^2}{g} = \frac{0.27\text{b}}{100\text{MeV}}$$

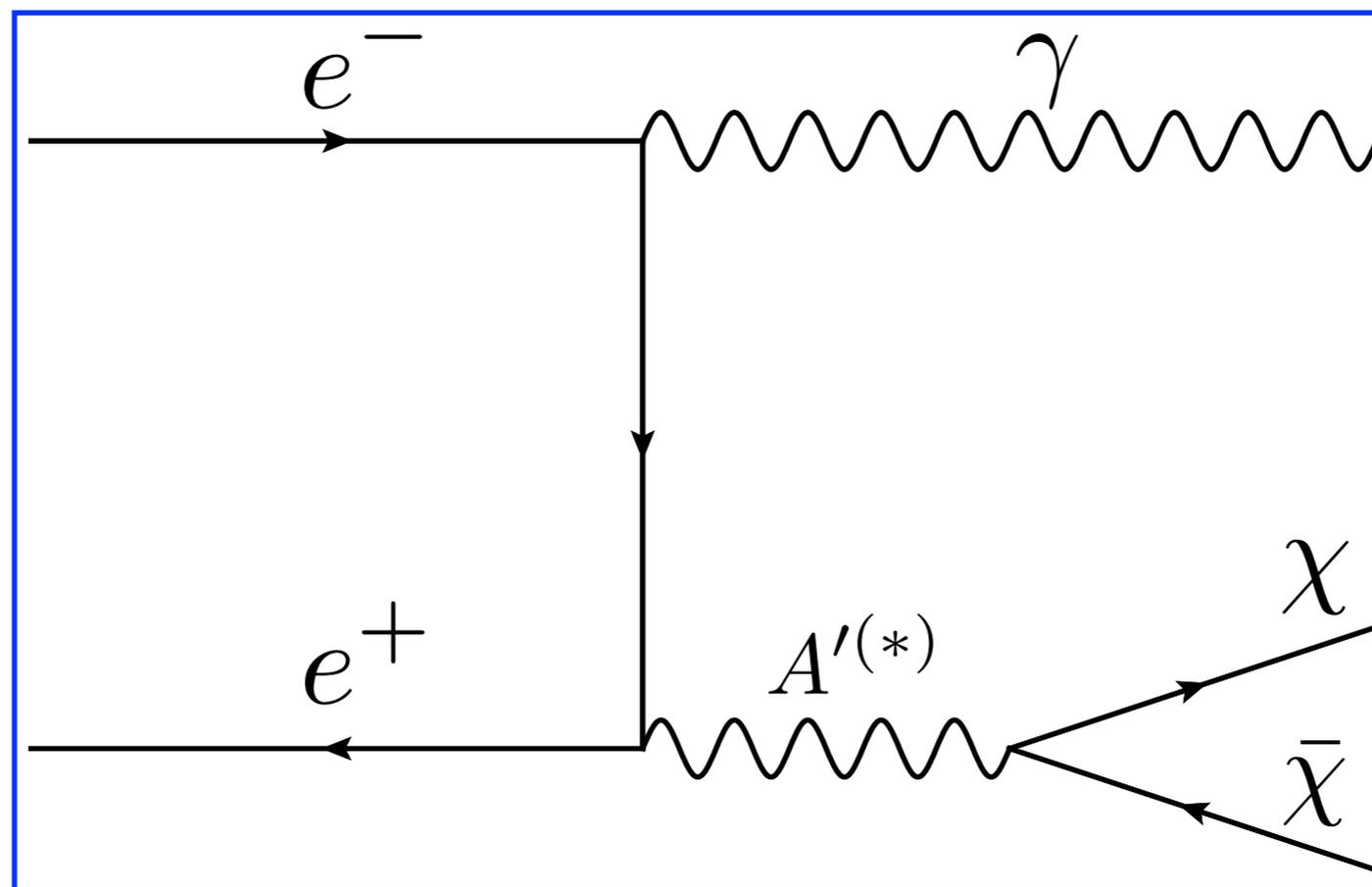


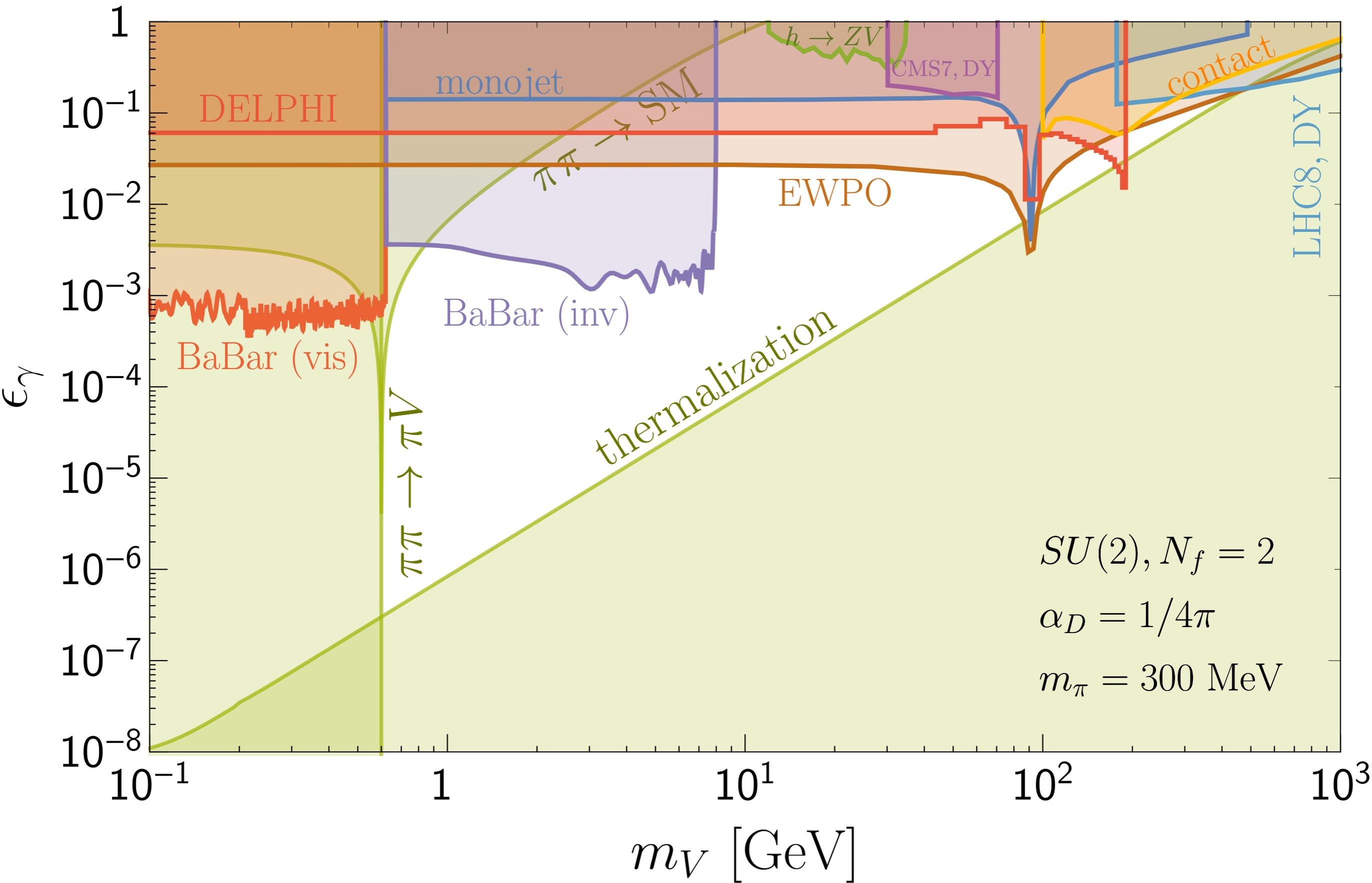
# explore dark sector

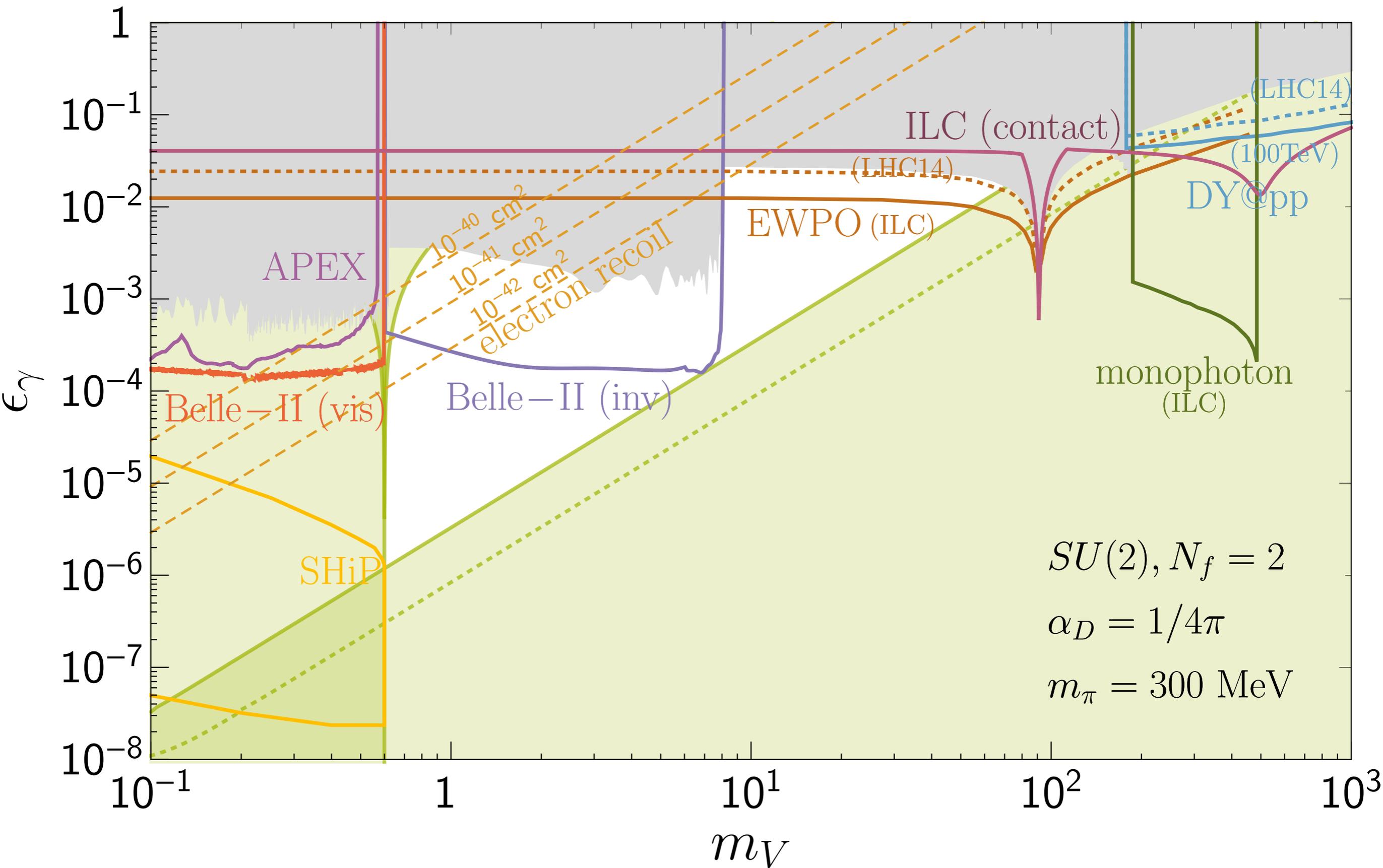
dark QCD  
with SIMP

dark photon  $\times$  photon

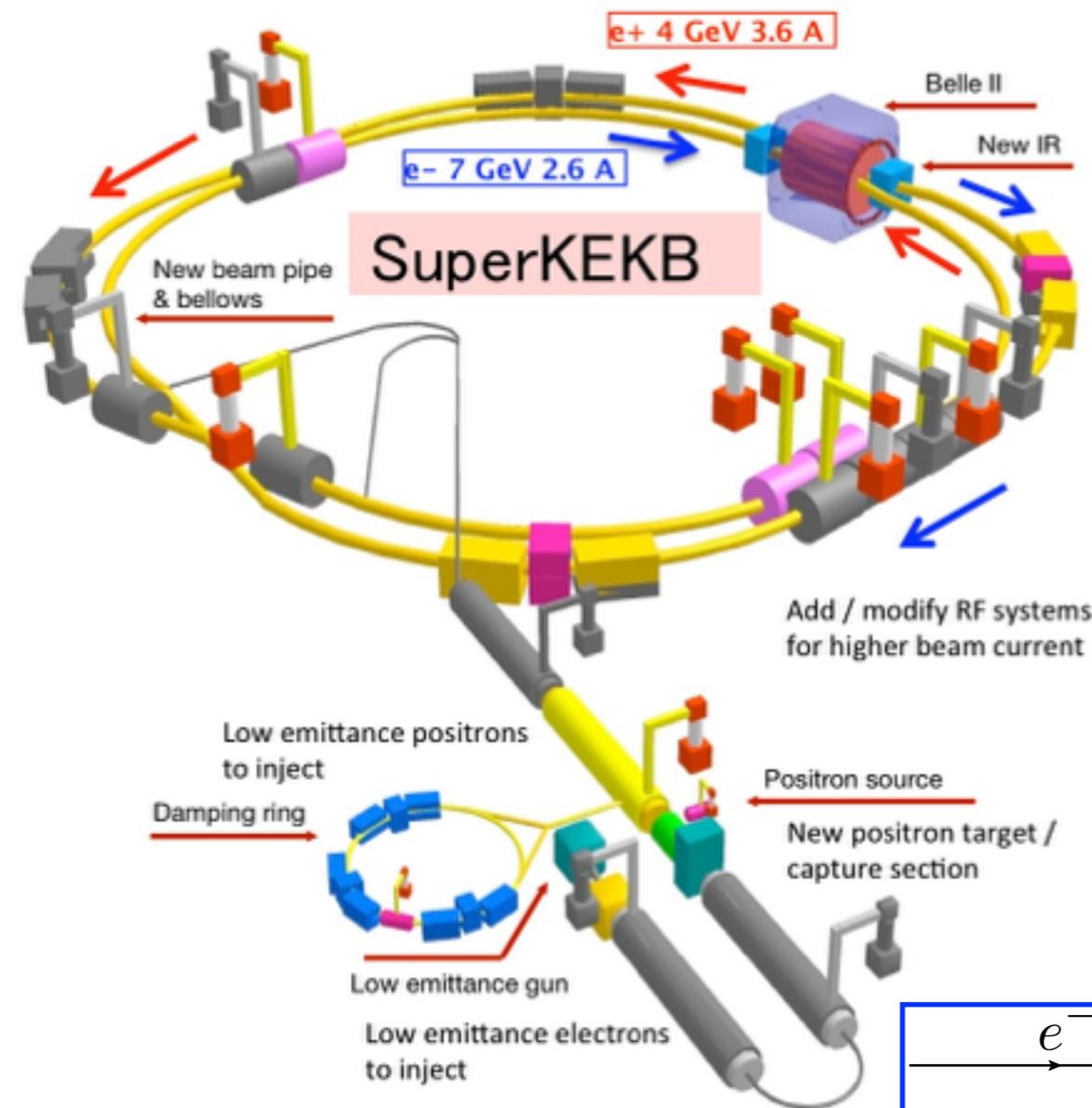
Standard Model



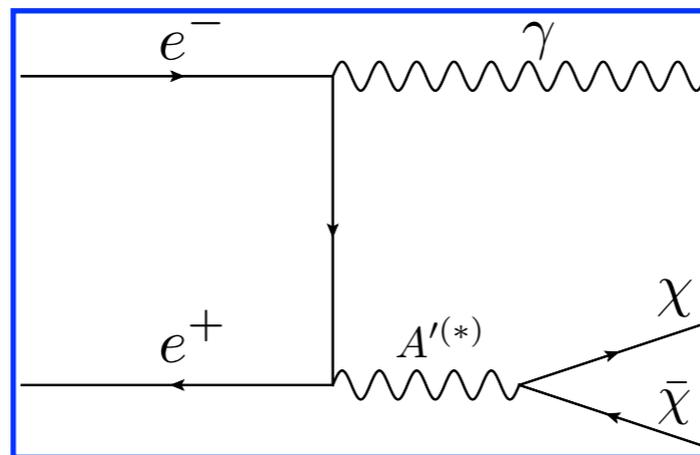
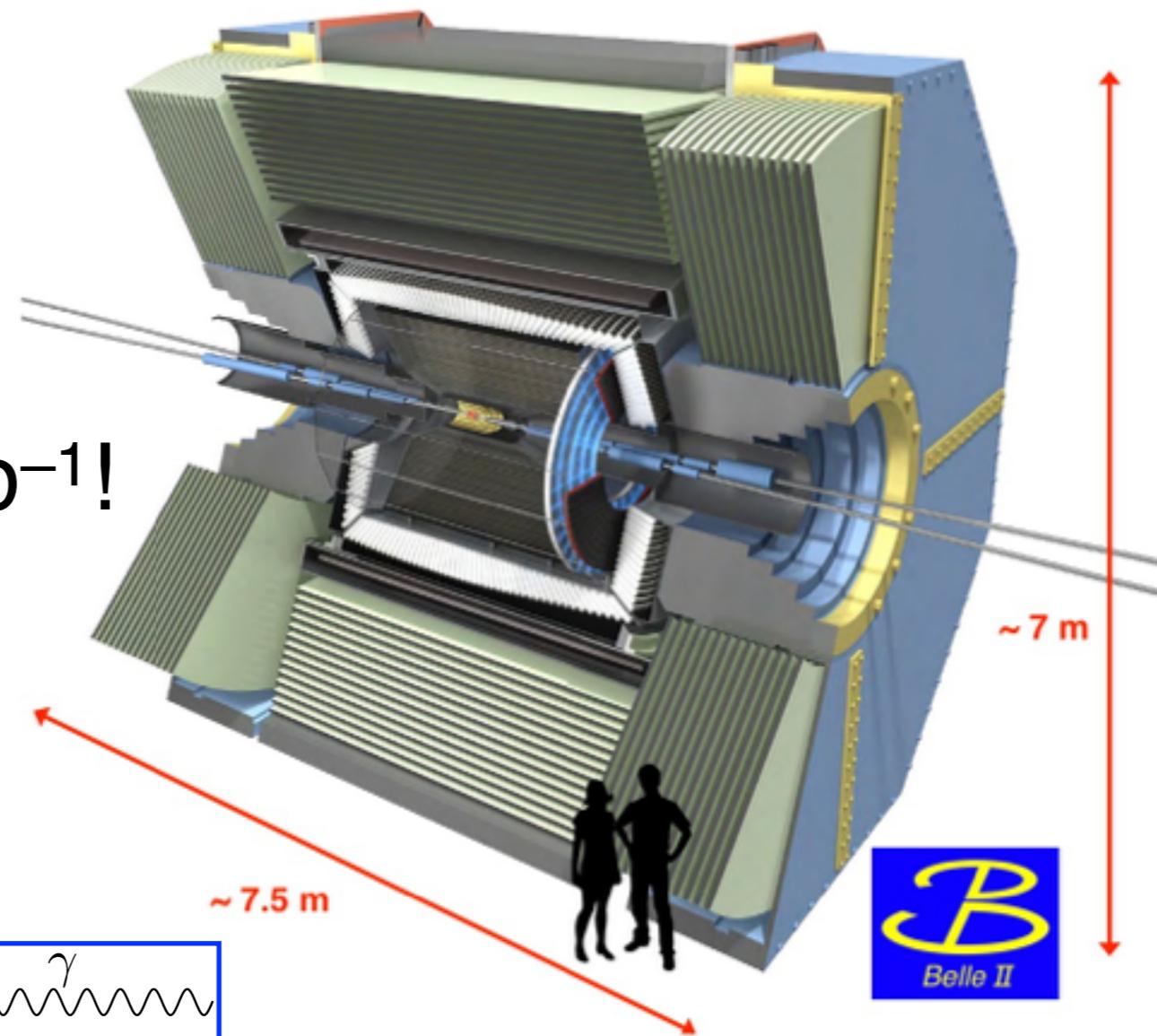




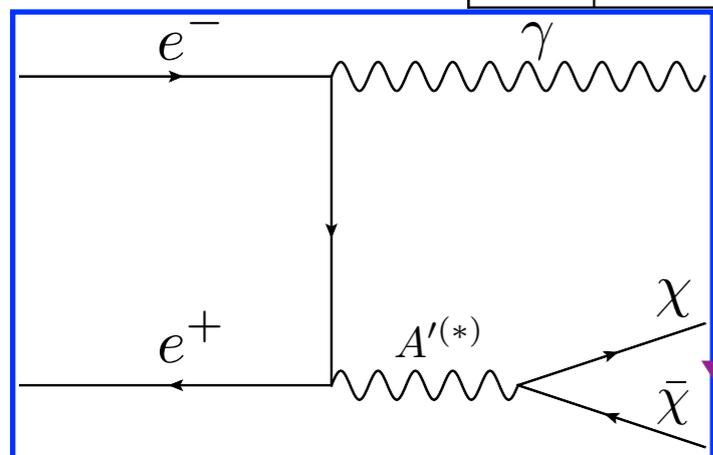
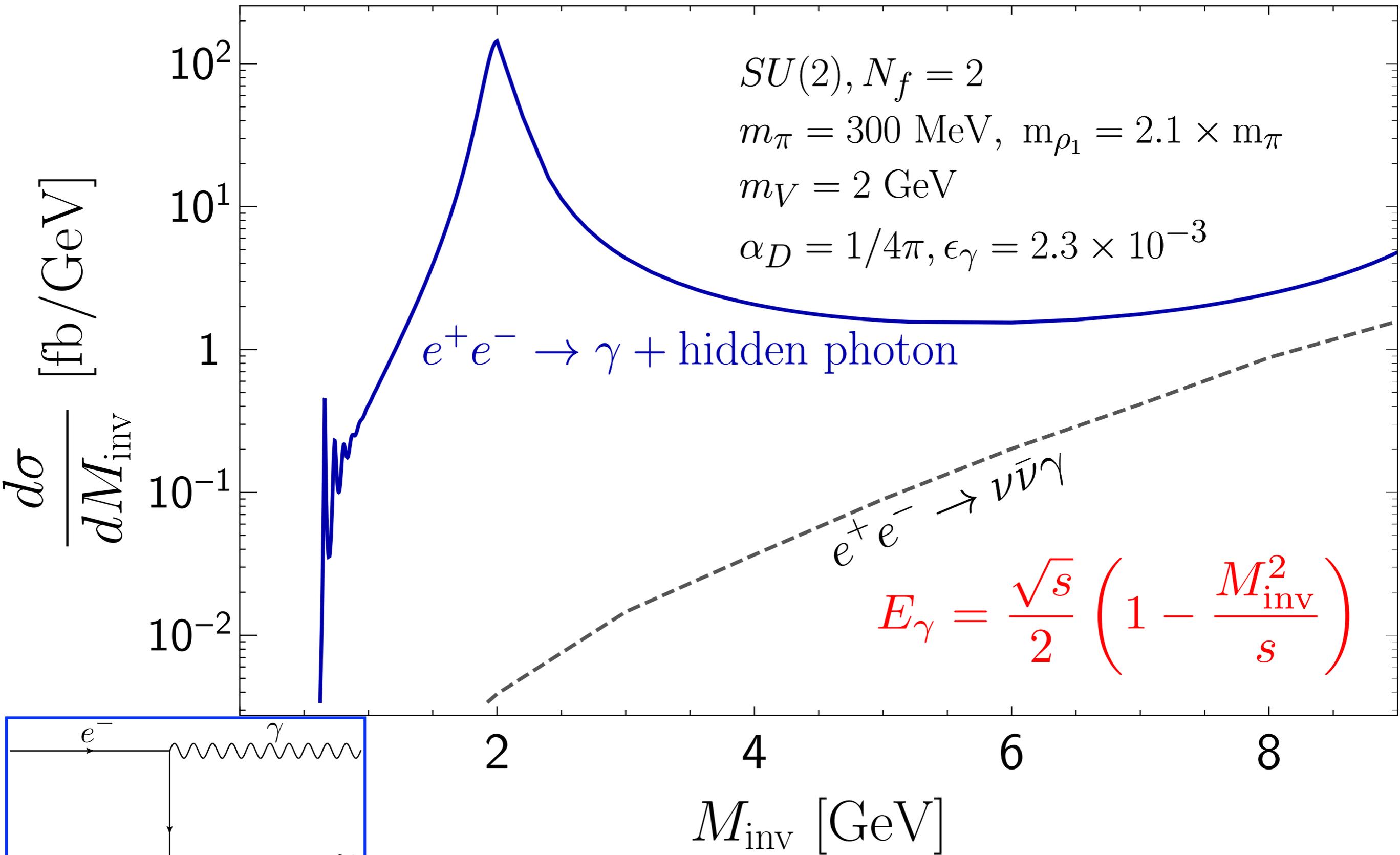
# Super KEK B & Belle II



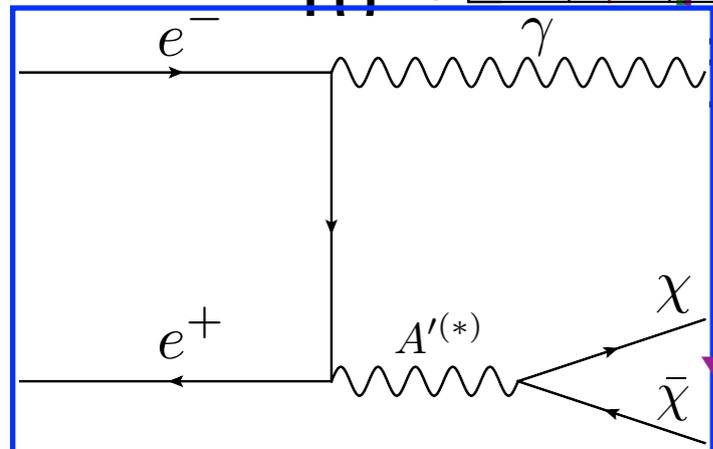
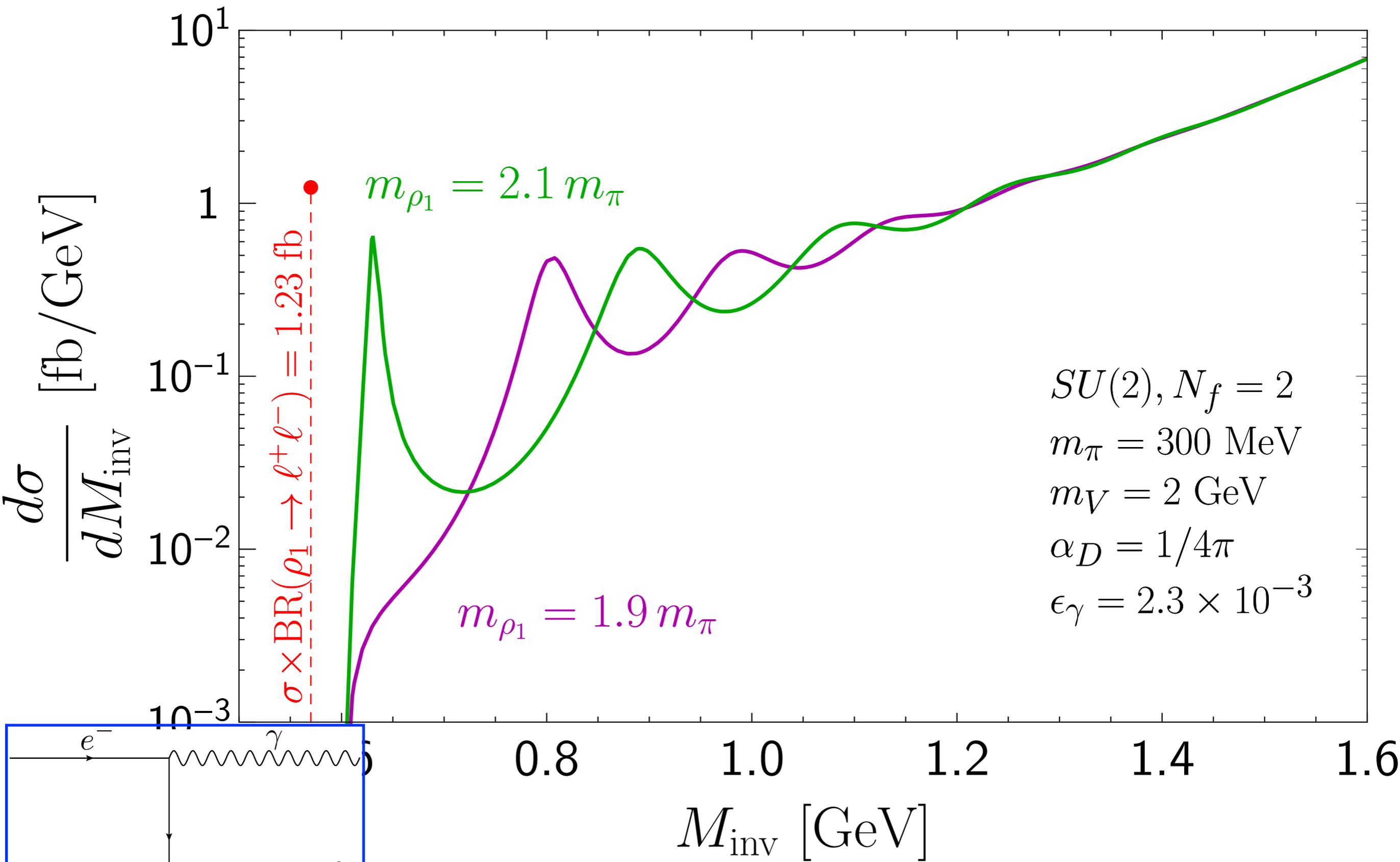
50  $ab^{-1}$ !



$$E_\gamma = \frac{\sqrt{s}}{2} \left( 1 - \frac{M_{\text{inv}}^2}{s} \right)$$

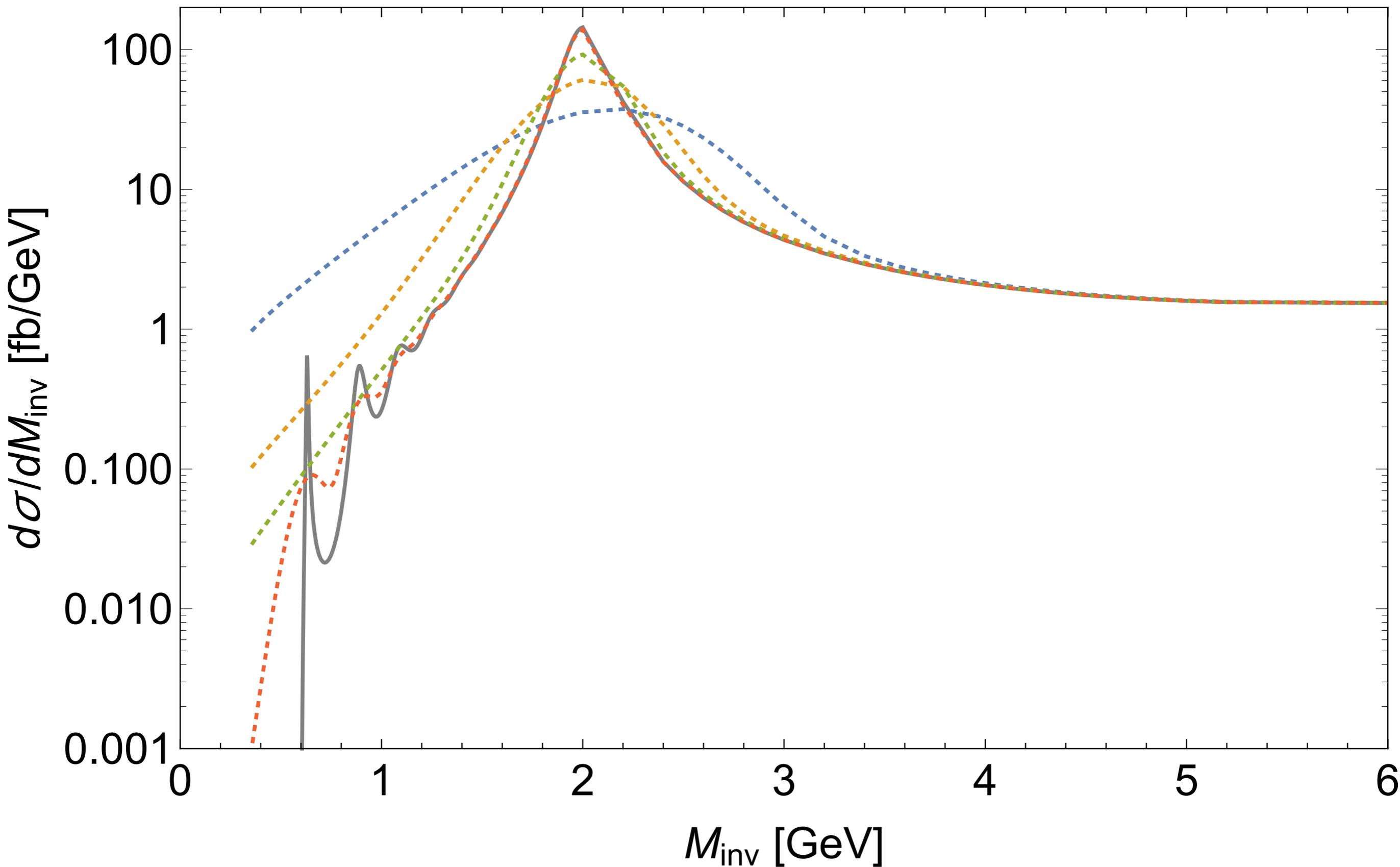


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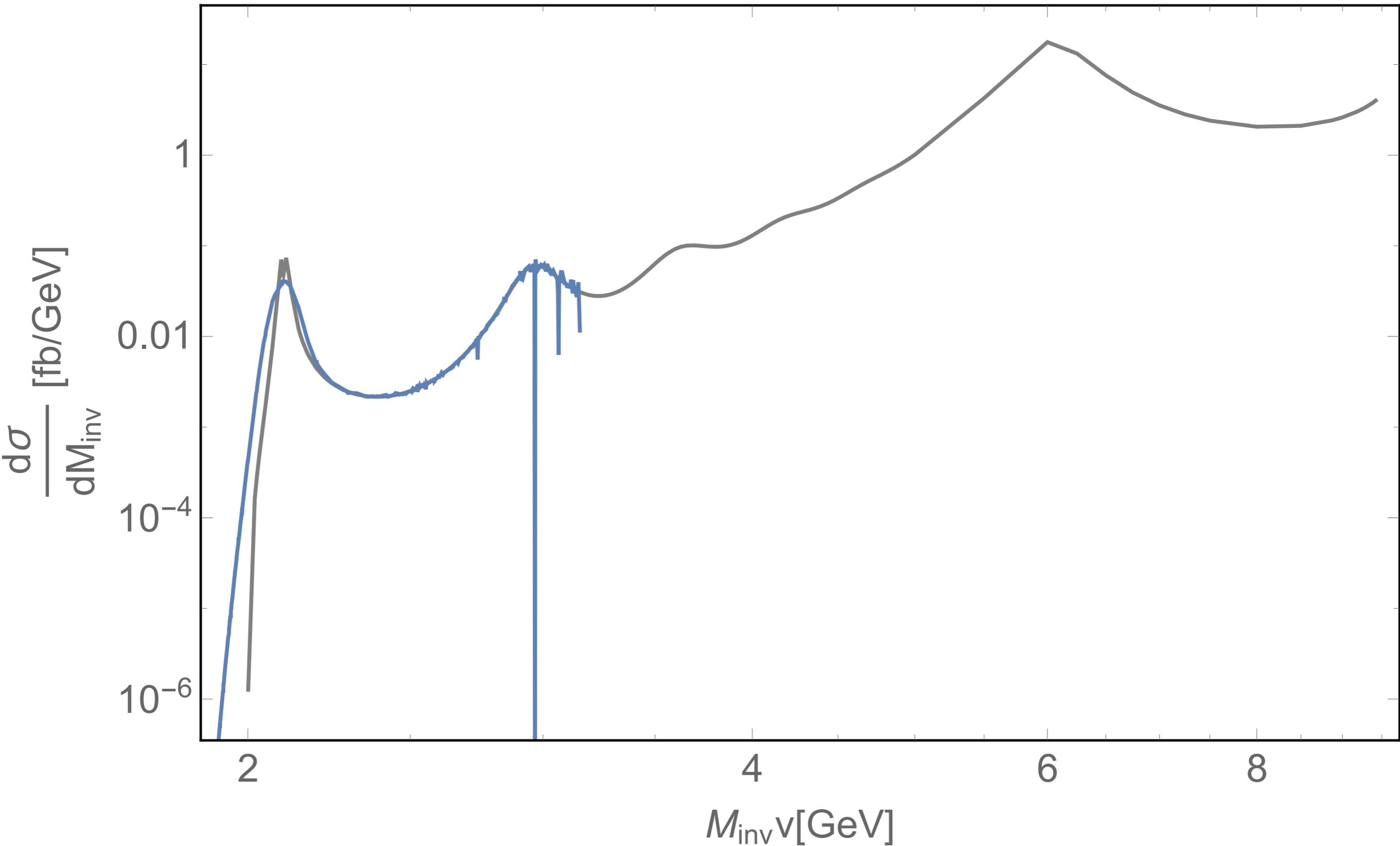
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$\sqrt{s} = 10 \text{ GeV}$



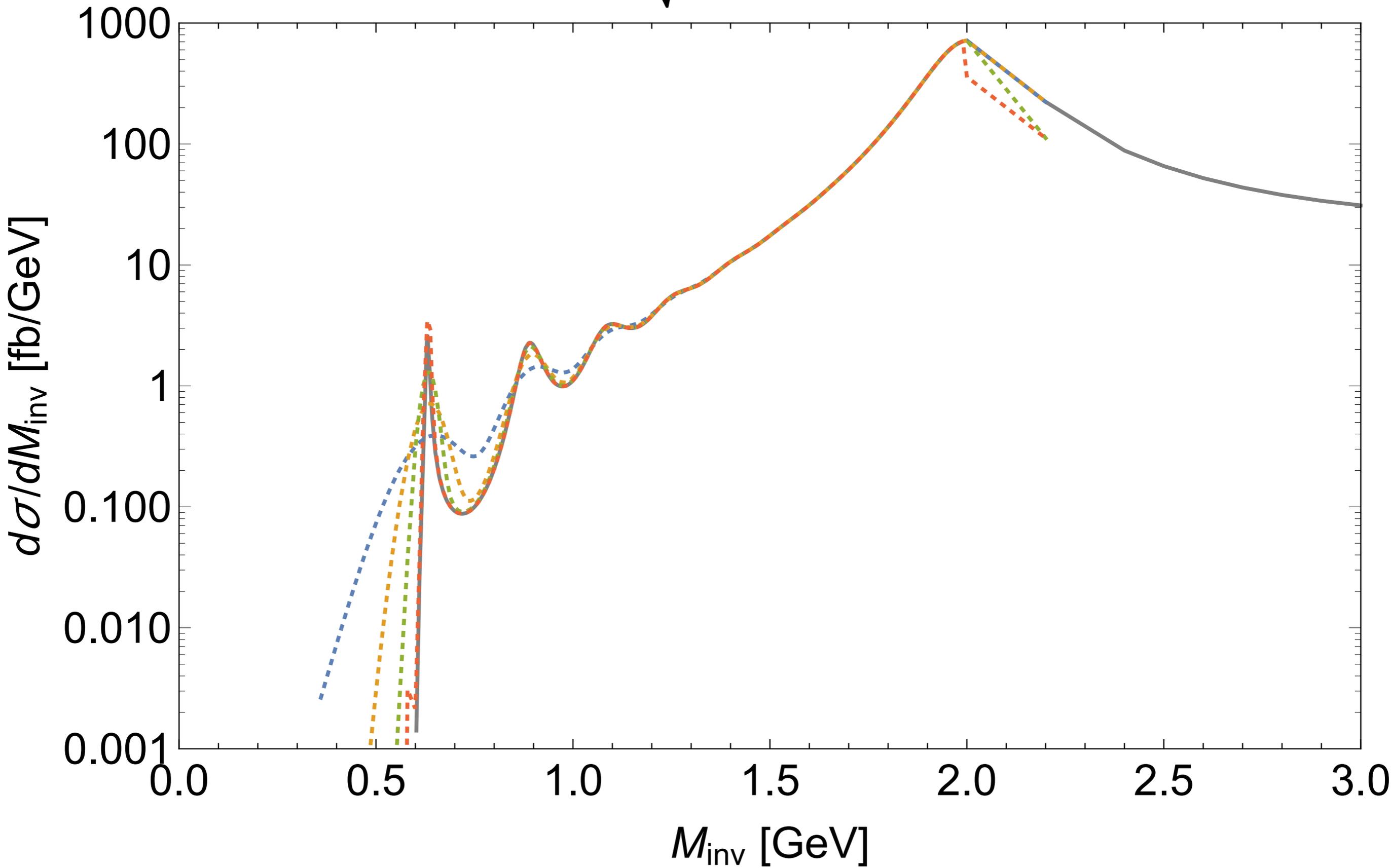
Yonit Hochberg, Eric Kuflik, HM

$m_V=6$  GeV,  $m_\pi=1$  GeV,  $m_\rho/m_\pi=2.1$ , Sqrt[s]=10 GeV



Yonit Hochberg, Eric Kuflik, HM

$\sqrt{s} = 5 \text{ GeV}$



Yonit Hochberg, Eric Kuflik, HM

# Conclusions

- Flavor physics all the more important given lack of new physics at LHC
  1. **tool to explore** beyond the LHC energy
  2. **origin of flavor** important on its own
- new possibilities on dark matter
  3. **light, very weakly coupled** dark matter



theorist

experiments



LHCb

CMS

theorists

ATLAS

healthy field!