Jets at the LHC

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What is a jet?

Energetic quarks and gluons radiate and hadronize
 Produce sprays of collimated hadrons





What is a jet?

- Jet definition must be easy to implement and infrared safe
- Two basic approaches:









p

p

 \tilde{b}

h

 $\tilde{\chi}_1^0$

 $\tilde{\chi}_1^0$

Why do jets matter?





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experiments. From the K^+/π^+ ratio in high energy proton-proton experiments [23] extrapolated to the Feynman x of one (to avoid resonance contributions), we estimate $p_s/p \sim 0.50$. Another estimate of p_s/p can be obtained from the cross section ratios $(J/\psi \rightarrow K^+ K^*)/(J/\psi \rightarrow \rho \pi)$ corrected for phase-space factors [24]. The result $p_s/p = 0.49 \pm 0.11$ implies $p = 0.40 \pm 0.02$. An electroproduction experiment obtains for the ratio $(K^0 + \overline{K}^0)/(\pi^+ + \pi^-)$ a value of 0.13 ± 0.03 which the authors interpret as the ratio p_s/p (ref. [25]); this value would mean considerably stronger SU(3) symmetry violation in the quark jets. A jet net charge measurement in the same experiment, on the other hand, gives $p_s/p = 0.36$ (ref. [26]), which is again consistent with our measurements.

Field and Feynman have proposed an alternative way of distinguishing quark jets of different flavour [6]. There, one weights each particle with a z-dependent weight such that particles closer to the overlap region get a small weight and particles with large fractional energy z (further from the overlap region) get a large weight; i.e., the weighted charge is defined as $Q_{w}^{\nu,\bar{\nu}} = \sum_{i} (z_{i})^{r} e_{i}$, where r is a small number and e_{i} is the integer charge of the *i*th hadron in the final state. Resulting distributions from our experiment are shown in fig. 10 (fig. 11) for antineutrino (neutrino) charged current



Outline

- 1. Jet cross sections
- 2. Jet substructure for boosted objects
- 3. Probing partons with substructure
- 4. Probing the medium with jets



1. Jet cross sections

Fixed-order calculations

• NLO calculations are automated [MCFM, BlackHat, Rocket, NJet, MadLoop, ...]



Large uncertainties at LO reduced at NLO

Fixed-order calculations

Certain observables require NNLO precision. E.g.



[CMS-PAS-SMP-14-023]

• Lots of new NNLO results due to slicing with N-jettiness \mathcal{T}_N [Stewart, Tackmann, WW; Boughezal, Focke, Liu, Petriello; Gaunt, Stahlhofen, Tackmann, Walsh]

$$\sigma(X) = \int_0^{\delta} d\mathcal{T}_N \, \frac{d\sigma(X)}{d\mathcal{T}_N} + \int_{\delta} d\mathcal{T}_N \, \frac{d\sigma(X)}{d\mathcal{T}_N}$$
analytic up to $\mathcal{O}(\delta)$ from NLO

Resummed calculations

- Tight restriction on radiation \rightarrow large logarithms and uncertainties

$$\sigma(H+0 \text{ jets}) \propto 1 - \frac{6\alpha_s}{\pi} \ln^2 \frac{p_T^{\text{veto}}}{m_H} + \dots$$

Resummation captures dominant effect of all emissions



Resummation for jets

Jet radius resummation

[Dasgupta, Dreyer, Salam, Soyez; Chien, Hornig, Lee; Kolodrubetz, Pietrulewicz, Stewart, Tackmann, WW; Kang, Ringer, Vitev; Dai, Kim, Leibovich; ...]

Nonglobal logarithms

[Caron-Huot; Larkoski, Moult, Neill; Becher, Neubert, Rothen, Shao,...]

Resummation of kinematic jet hierarchies
 [Bauer, Tackmann, Walsh, Zuberi; Larkoski, Moult, Neill; Pietrulewicz, Tackmann, WW]



[Pietrulewicz, Tackmann, WW]

2. Jet substructure for boosted objects

When does a top quark become a jet?

• Boosted analysis overtakes resolved at $p_T^{top} \sim 400 \,\mathrm{GeV}$



Important as BSM searches move to ever higher energies

Tagging by kinematics

 Test whether jet consists of three subjets with kinematics of top decay, using templates T [Almeida, Lee, Perez, Sterman, Sung]

$$Overlap = \max_{T} \exp \left[-\sum_{i \in T} \frac{1}{2} \sum_{j \in T} \sum_{i \in T} \sum_{j \in T} \frac{1}{2} \sum_{i \in T} \sum_{j \in T} \sum_{i \in T} \sum_$$

Output is not only overlap but also the best matching template



Tagging by power counting

• Start from energy correlation functions [Larkoski, Salam, Thaler]

$$e_2^{(\beta)} = \sum_{i < j \in J} z_i z_j \theta_{ij}^{\beta} \qquad e_3^{(\beta)} = \sum_{i < j < k \in J} z_i z_j z_k \theta_{ij}^{\beta} \theta_{ik}^{\beta} \theta_{jk}^{\beta}$$

with z_i the energy fraction of *i* and θ_{ij} the angle between *i* and *j*

• Parametric discrimination of 1 vs. 2 prong [Larkoski, Moult, Neill]

$$e_{2}^{(\beta)} \sim \theta_{cc}^{\beta} + z_{s}$$

$$e_{3}^{(\beta)} \sim \theta_{cc}^{\beta} + z_{s}$$

$$e_{3}^{(\beta)} \sim \theta_{cc}^{\beta\beta} + \theta_{cc}^{\beta} z_{s} + z_{s}^{2} \qquad (e_{2}^{(\beta)})^{3} \lesssim e_{3}^{(\beta)}$$

$$e_{3}^{(\beta)} \sim \theta_{cc}^{\beta} + \theta_{cc}^{\beta} z_{s} + z_{s}^{2} \qquad (e_{2}^{(\beta)})^{3} \lesssim e_{3}^{(\beta)}$$

$$e_{2}^{(\beta)} \sim \theta_{12}^{\beta} \qquad e_{3}^{(\beta)} \ll (e_{2}^{(\beta)})^{3}$$

$$e_{3}^{(\beta)} \sim \theta_{12}^{\beta} z_{s} + \theta_{12}^{2\beta} \theta_{cc}^{\beta} + \theta_{12}^{3\beta} z_{cs}$$

$$(e_{2}^{(\beta)})^{3} = e_{3}^{(\beta)} \approx \theta_{12}^{\beta} z_{s} + \theta_{12}^{2\beta} \theta_{cc}^{\beta} + \theta_{12}^{3\beta} z_{cs}$$

Predicting the tagger efficiency

• Tag W boson jets using
$$D_2^{(\beta,\beta)}\equiv rac{e_3^{(\beta)}}{(e_2^{(\beta)})^3}$$

 Soft-Collinear Effective Theory yields resummed prediction for the cross section of D₂, compatible with Monte Carlos



Tagging with deep learning

- Use methods from image recognition
- As powerful as combination of (expert) substructure observables





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3. Probing partons with substructure

Jet charge as discriminant

Jet charge can help characterize BSM. E.g. hadronic Z' vs. W'



[Krohn, Lin, Schwartz, WW]

- Optimal κ : trade off between soft contamination vs. sensitivity
- Jet charge not infrared safe \rightarrow only evolution calculable

Calculating jet charge

• Jet charge = nonlinear DGLAP evolution \otimes hadronization



Taking Pythia as input and evolving gives good agreement:



Jet charge measurements



- The largest dependence on je
- Observing scale violation is the structure



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Quark-gluon discrimination

- New physics often more quarks than QCD backgrounds
- Largest difference between quark and gluon jet is color charge
- Extensive Pythia study: track multiplicity + girth are best two



Current limitations of Monte Carlos

- Many quark-gluon discriminants are generalized angularities
- Big spread between predictions from different Monte Carlos



4. Probing the medium with jets

Dijet inbalance



- Jets lose energy as they propagate in medium (quenching)
- Leads to a distortion of the p_T balance of dijets

$$x_J = \frac{p_{T,2}}{p_{T,1}}$$

Splitting fraction

- Cluster jet using Cabridge/Aachen (purely angular)
- Go through clustering tree until splitting satisfies

$$z_g \equiv \frac{\min(p_{T1}, p_{T2})}{p_{T1} + p_{T2}} > z_{cut} \qquad r_g \equiv \Delta R_{12} > \Delta$$
[Larkoski, Marzani, Soyez, Thaler]

At LO this is proportional to Altarelli-Parisi splitting function







Medium effect on splitting functions described by Glauber gluons



Conclusions

- Jets play a crucial role in many LHC measurements
- Jet (substructure) as probe of
 - boosted heavy particles
 - initiating parton of QCD jets
 - medium in heavy ion collisions



• There is room for new ideas, new observables, new calculations...