

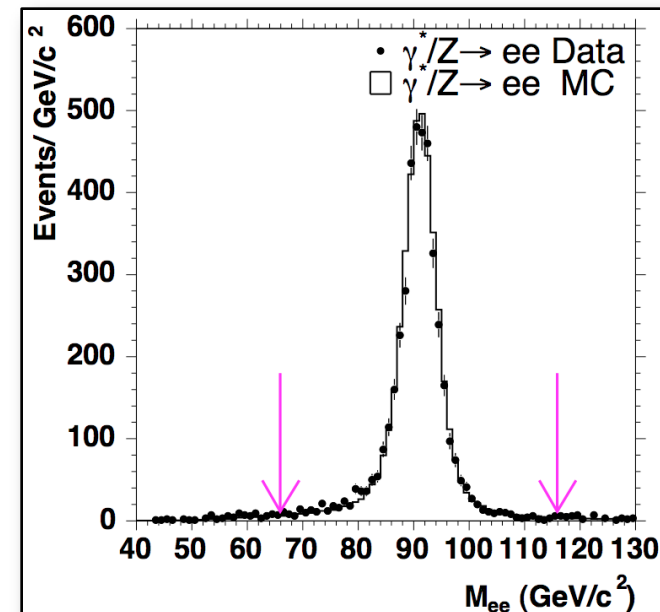
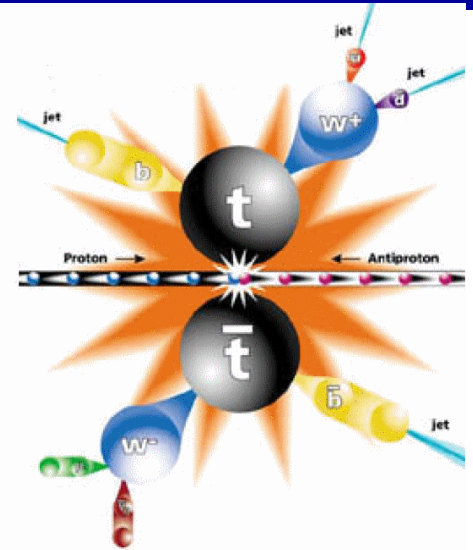
Monika Wielers

Rutherford Appleton Laboratory

- This talk will cover different methods to do particle identification in a typical multi-purpose detector
  - Emphasis put on LHC detectors
- Outline
  - Introduction
  - Track and calorimeter reconstruction
  - Particle Identification
    - Muons, Electrons, Photons, Taus, Jets, Missing Energy
  - Summary

# Introduction

- During collisions of e.g. 2 particles energy is used to create new particles
- Particles produced are non stable and will decay in other (lighter) particles
- The end-product are the basic input to any physics analysis
- E.g. if you want to reconstruct a Z boson, you need to look for events with 2 muons, electrons or jets and then calculate the invariant mass
- There will be events in which you also find 2 objects and which have a similar invariant mass
  - Better do your particle identification right, so that you have to deal with little background



# Global Detector Systems

Overall Design Depends on:

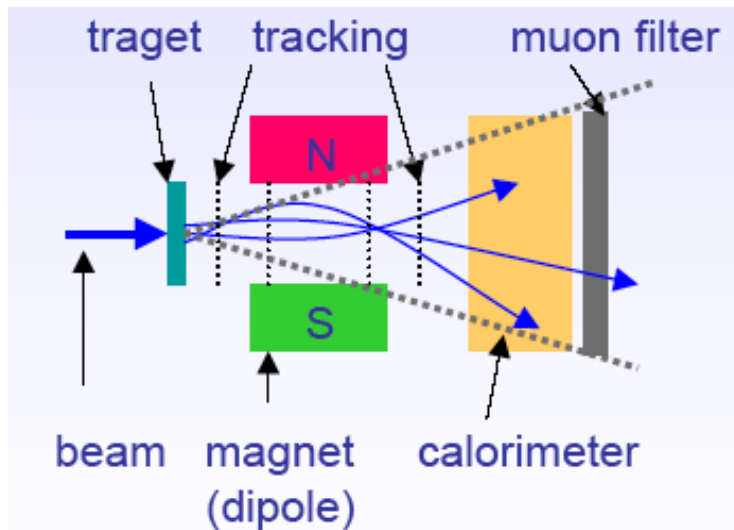
- Number of particles
- Event topology
- Momentum/energy
- Particle type



**No single detector does it all...**

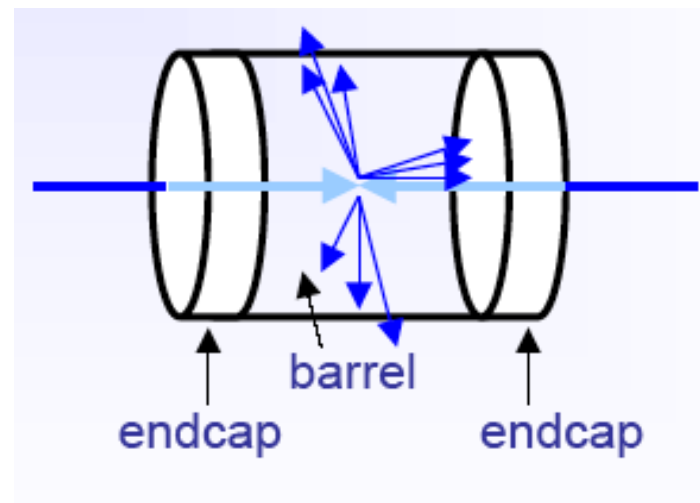
**→ Create detector systems**

## Fixed Target Geometry



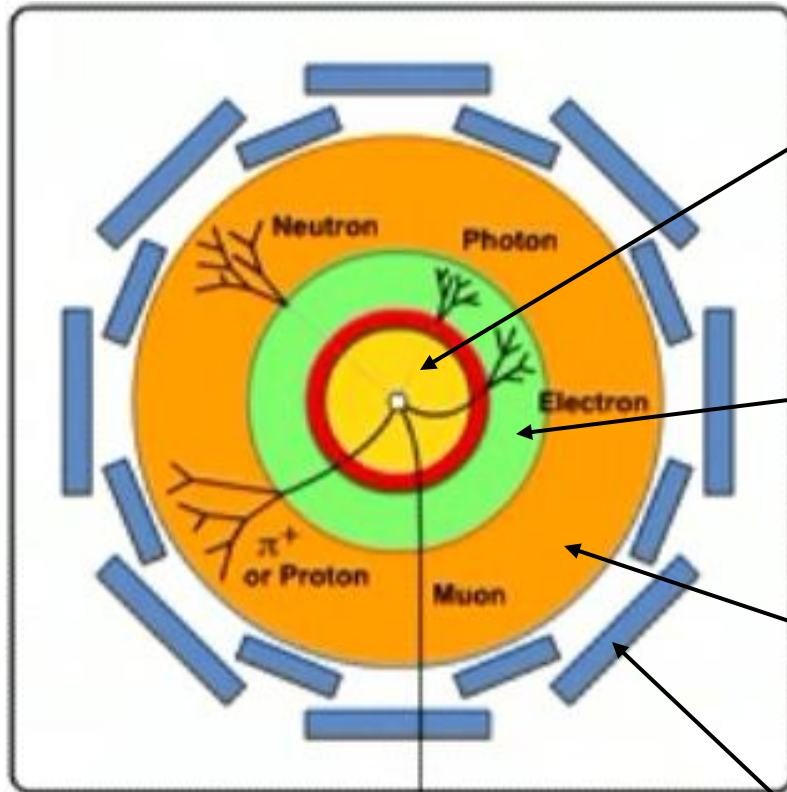
- Limited solid angle ( $d\Omega$ ) coverage (forward)
- Easy access (cables, maintenance)

## Collider Geometry



- “full” solid angle  $d\Omega$  coverage
- Very restricted access

# How to detect particles in a detector



## Tracking detector

– Measure charge and momentum of charged particles in magnetic field

## Electro-magnetic calorimeter

– Measure energy of electrons, positrons and photons

## Hadronic calorimeter

– Measure energy of hadrons (particles containing quarks), such as protons, neutrons, pions, etc.

Neutrinos are only detected indirectly via ‘missing energy’ not recorded in the calorimeters

## Muon detector

– Measure charge and momentum of muons

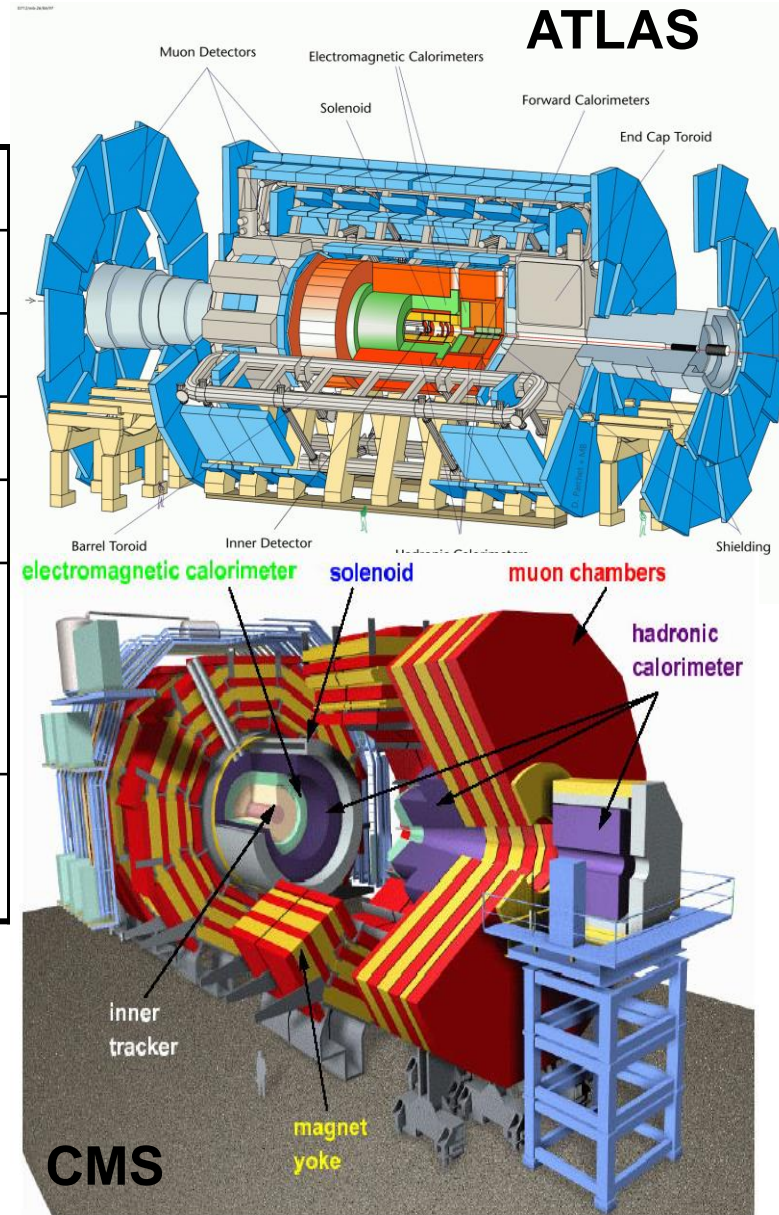
# How to detect particles in a detector

- Use the inner tracking detector, the calorimeters and the muon detector information
- There can be also some special detectors to identify particles
  - $\pi/K/p$  identification using Cerenkov effect
  - Dedicated photon detector
- There are other things which I won't explain
  - Energy loss measurement in tracking detector for  $\pi/K/p$  separation ( $dE/dx$ )
  - Transition radiation detectors for  $e/\pi$  separation
  - ...

# ATLAS and CMS Detectors Revisited

Two different approaches for detectors

|          | ATLAS                                | CMS           |
|----------|--------------------------------------|---------------|
| tracking | Silicon/gas                          | Silicon       |
| EM calo  | Liquid Argon                         | PbWO crystals |
| Had calo | Steel/scint, LAr                     | Brass/scint   |
| Muon     | RPCs / drift                         | RPCs / drift  |
| Magnet   | Solenoid (inner)<br>/ Toroid (outer) | Solenoid      |
| B-field  | ~ 2 Tesla / 4<br>Tesla               | ~ 4 Tesla     |



# As these terms will crop up during the talk...

## Coordinate system used in hadron collider experiments

- Particle can be described as

- $\vec{p} = (p_x, p_y, p_z)$

- In a hadron collider we use

- $p, \eta, \varphi$

- $\eta$  is called “pseudo-rapidity”

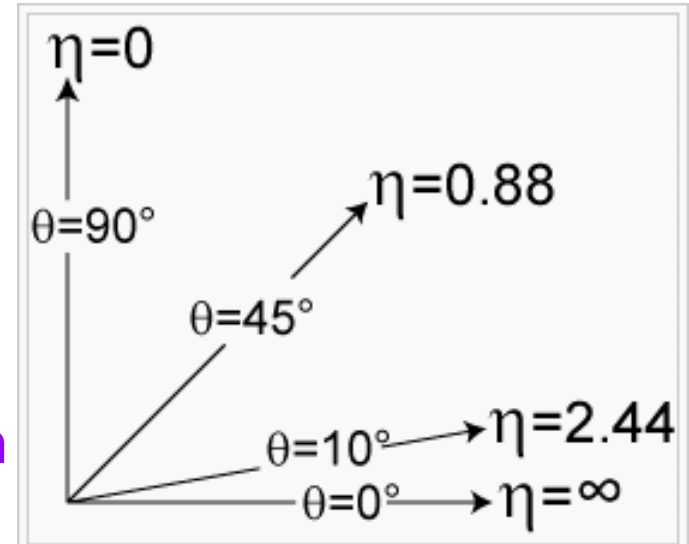
- Angle between particle momentum and beam axis (z-direction)

- $\eta = -\ln \left[ \tan \left( \frac{\theta}{2} \right) \right]$

- Good quantity as number of particles per  $\eta$  unit is constant

- $\varphi$  is angle in x-y-plane

- $p_x = p_T \cdot \cos(\varphi), p_y = p_T \cdot \sin(\varphi), p_T = \sqrt{p_x^2 + p_y^2}$



---

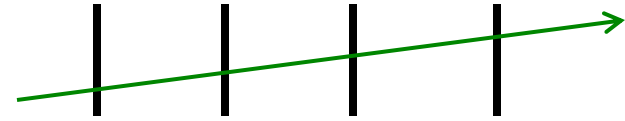
# Detector Reconstruction

- Tracking
- Calorimetry



# Tracking

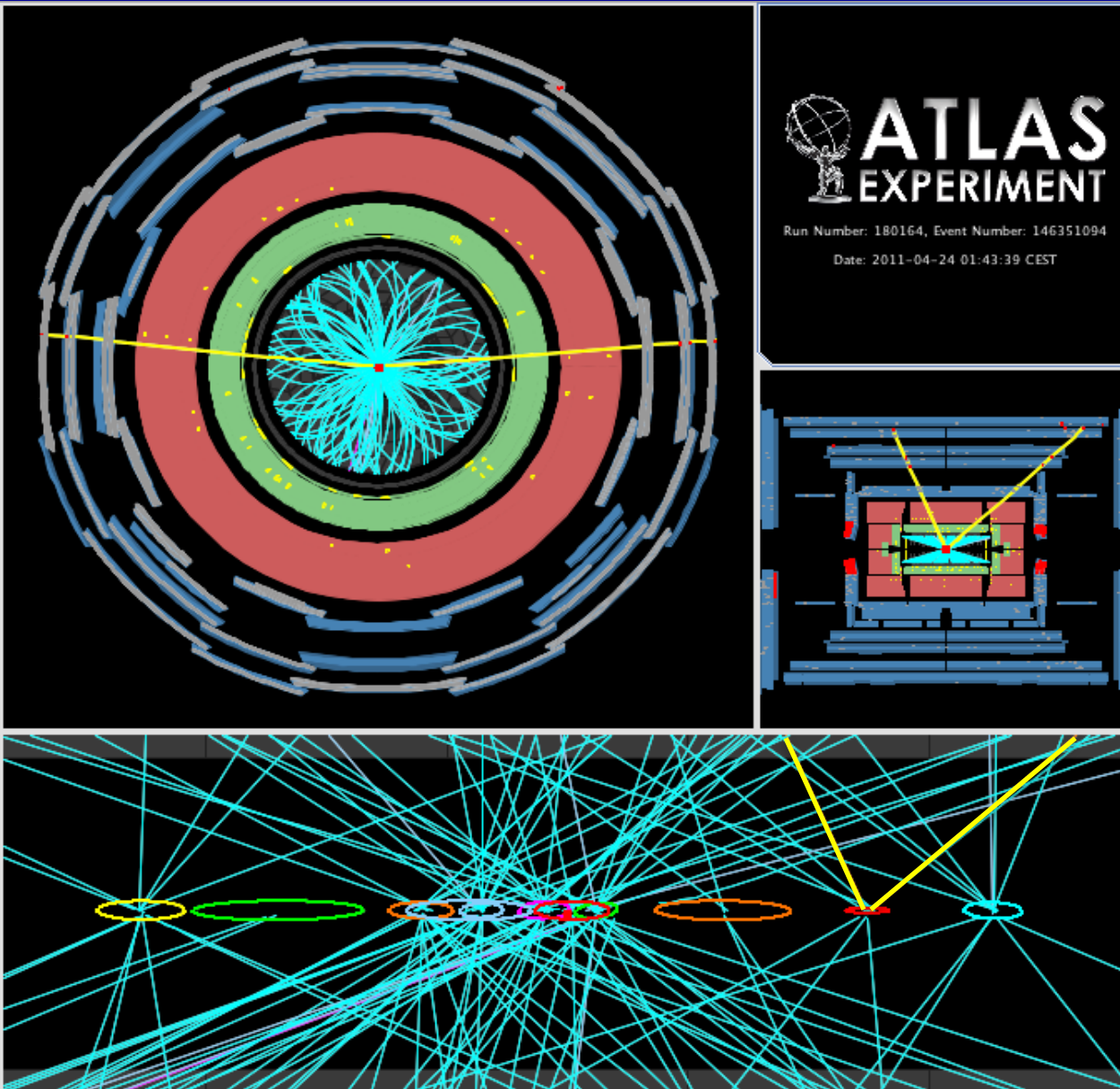
- Inner Detector: Several layers of detectors
- Measure the trajectory of charged particles
  - Fit curve to several measured points (“hits”) along the track
  - Extrapolate track back to the point of origin
  - Measure the momentum of charged particles from their curvature in a magnetic field
- Reconstruct decay vertices
  - Reconstruct **primary vertex**, point where collision has taken place
    - Typically sum over momenta of tracks from the same vertex, take the one with highest  $p_T$
  - Secondary vertices
    - Identify tracks from tau-leptons, b and c-hadrons, which decay inside the beam pipe, by **lifetime tagging**
    - Reconstruct strange hadrons, which decay in the detector
    - Identify photon conversions
  - You also have vertices from pile-up (overlapping collisions)



# Another Complication: Pileup

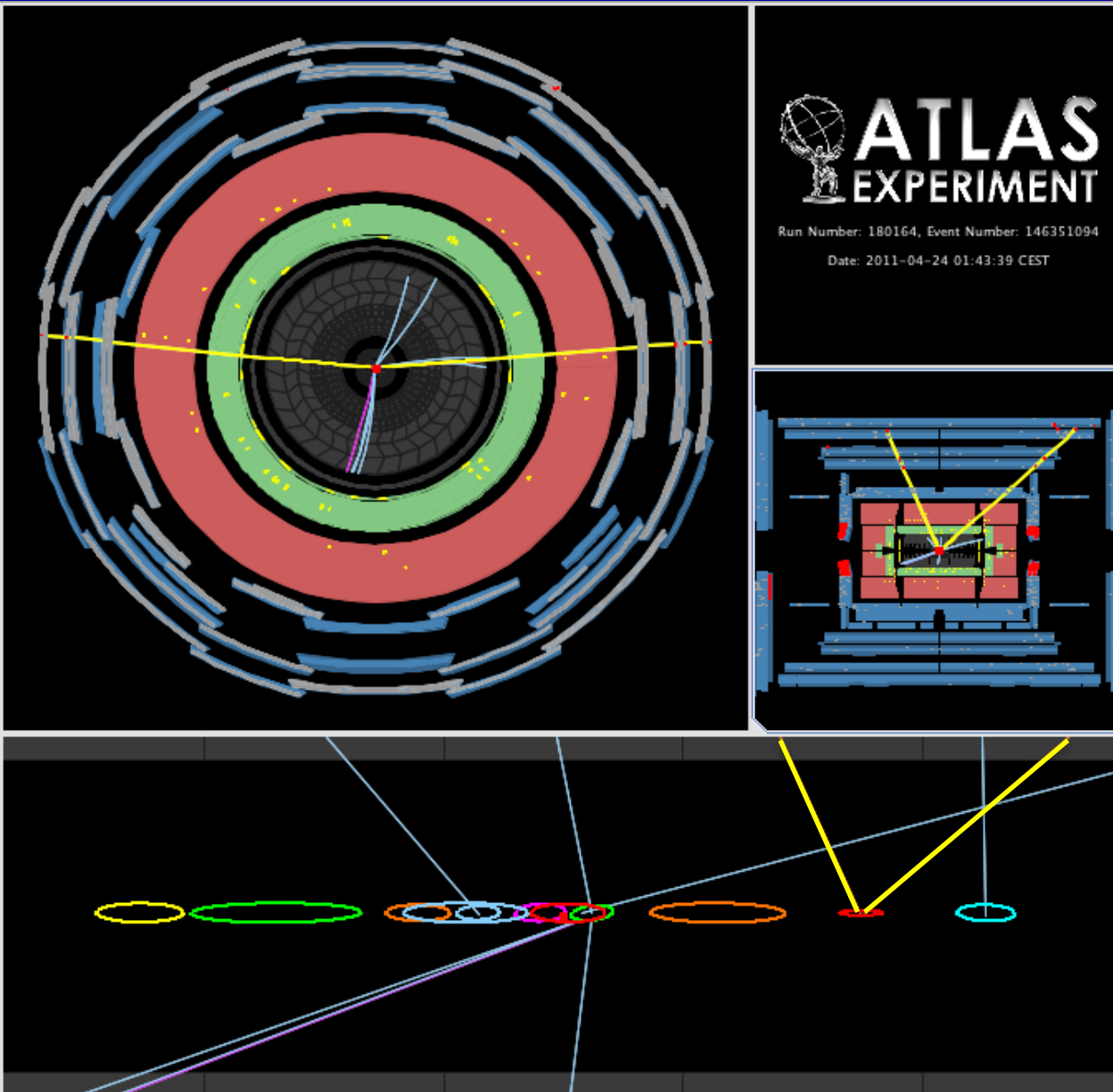
- When the LHC collides bunches of protons we can get more than one p-p interaction – this is called **pileup**
- These are mainly soft interactions producing low momentum particles
- The number of pileup interactions depends on the LHC parameters
  - How many protons per bunch
  - How small the bunches
- In 2012 we already had up to ~30 overlapping p-p collisions
- We can usually identify which tracks are from which interactions by combining tracks that come from the same vertex

# $Z \rightarrow \mu\mu$ in pile-up environment



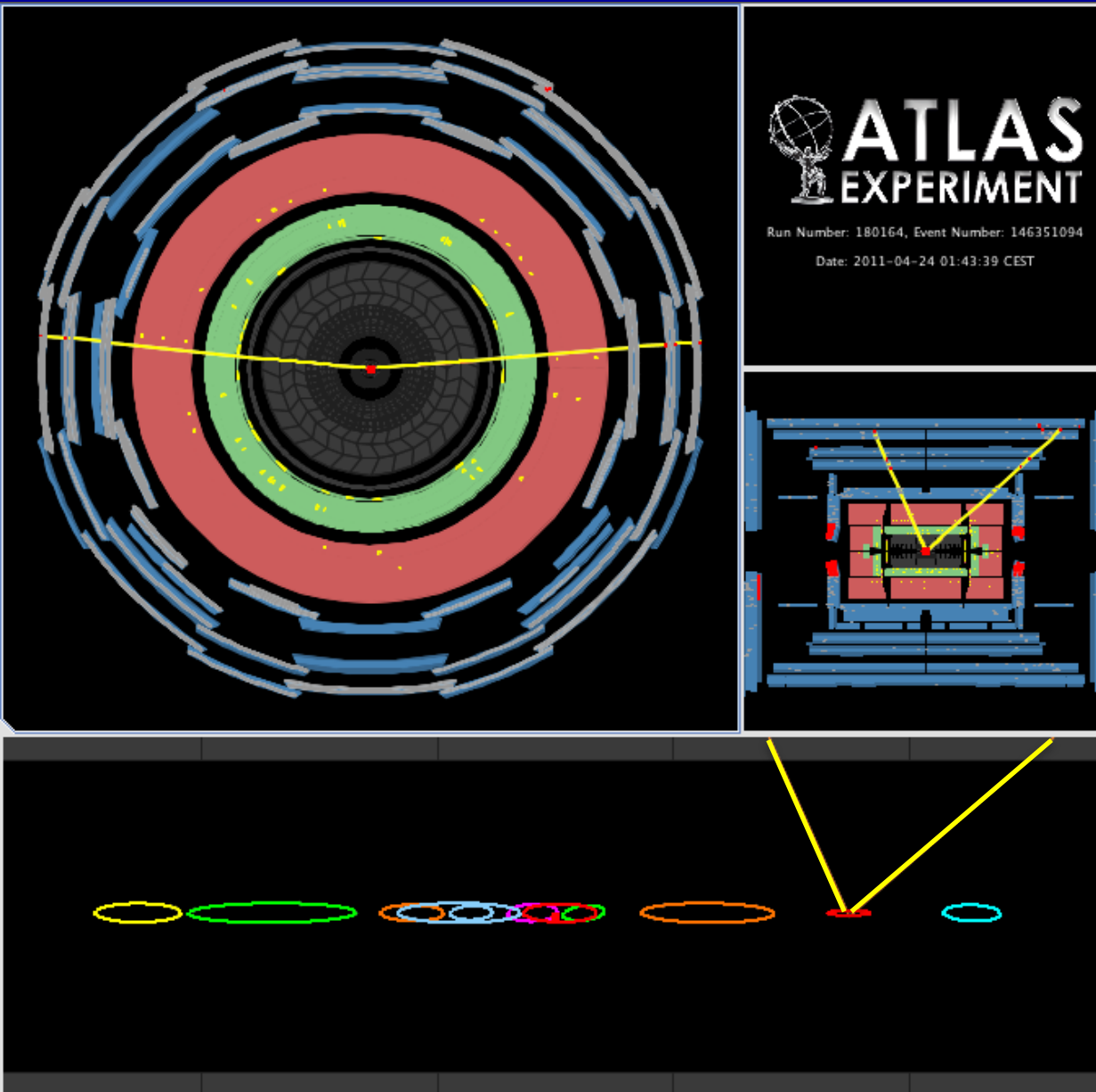
- $Z \rightarrow \mu\mu$  event with 11 reconstructed vertices.
- Tracks with transverse momentum above 0.5 GeV are shown ( $p_T > 0.5 \text{ GeV}$ ).

# $Z \rightarrow \mu\mu$ in pile-up environment



- $Z \rightarrow \mu\mu$  event with 11 reconstructed vertices.
- Looks already much better if we increase the  $p_T$  cut to 2 GeV

# $Z \rightarrow \mu\mu$ in pile-up environment



- $Z \rightarrow \mu\mu$  event with 11 reconstructed vertices.
- Even better if we increase the  $p_T$  cut to 10 GeV

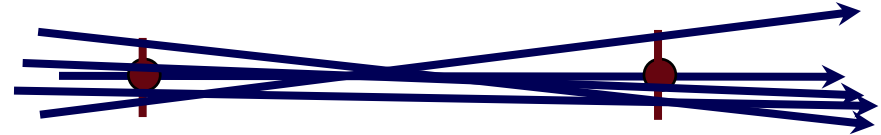
# Track reconstruction

- 1D straight line fit as simple case
- Two perfect measurements in 2 layers of the detector



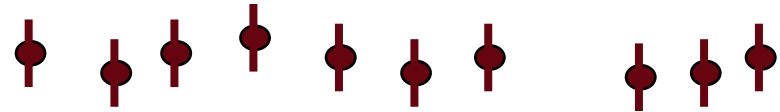
- No measurement uncertainty
- Just draw a straight line through them and extrapolate

- Imperfect measurements give less precise results



- The farther you extrapolate, the less you know

- Smaller errors and more points help to constrain the possibilities.



- But how to find the best point from a large set of points?

- Parameterise track  $y(x) = \theta x + d$  (helix is you have magnetic field)

- Find track parameters by **Least-Squares-Minimisation**

- Gives you errors  $\delta\theta$ ,  $\delta d$

A 3D coordinate system with a red helix. A green arrow labeled 'B' points upwards, representing the magnetic field.

predicted track position at  $i^{\text{th}}$  hit

position of  $i^{\text{th}}$  hit

$$\chi^2 = \sum_{i=1}^{n_{\text{hits}}} \frac{(y_i - y(x_i))^2}{\sigma_i^2}$$

uncertainty of  $i^{\text{th}}$  measurement

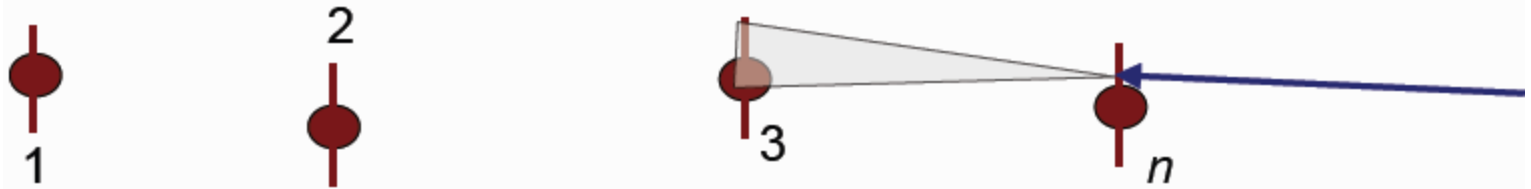
# Track Reconstruction

- Reality is a bit more complicated
- Particles interact with matter
  - Energy loss
  - Change in direction
  - This is **multiple scattering**
- Your track parameterisation needs to take this into account
- Do calculate very precisely would take too long, therefore, work outward N times



# Track Reconstruction

- Reality is a bit more complicated
- Particles interact with matter
  - energy loss
  - change in direction
  - This is **multiple scattering**
- Your track parameterisation needs to take this into account
- Do calculate very precisely would take too long, therefore, work inward N times

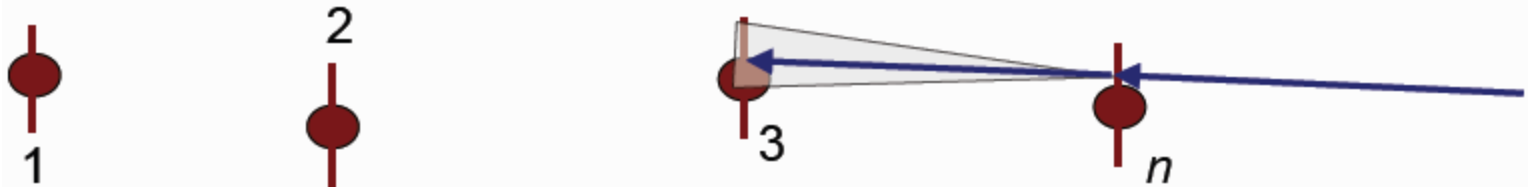


- In each step extrapolate to next layer, using info from current track parameters, expected scattering error, and measurement in next layer
- Needs starting estimate (seed) and may need some iterations, smoothing



# Track Reconstruction

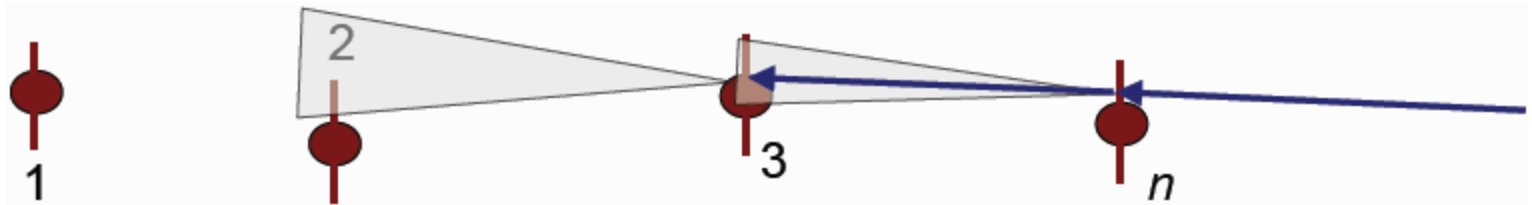
- Reality is a bit more complicated
- Particles interact with matter
  - energy loss
  - change in direction
  - This is **multiple scattering**
- Your track parameterisation needs to take this into account
- Do calculate very precisely would take too long, therefore, work inward N times



- In each step extrapolate to next layer, using info from current track parameters, expected scattering error, and measurement in next layer
- Needs starting estimate (seed) and may need some iterations, smoothing

# Track Reconstruction

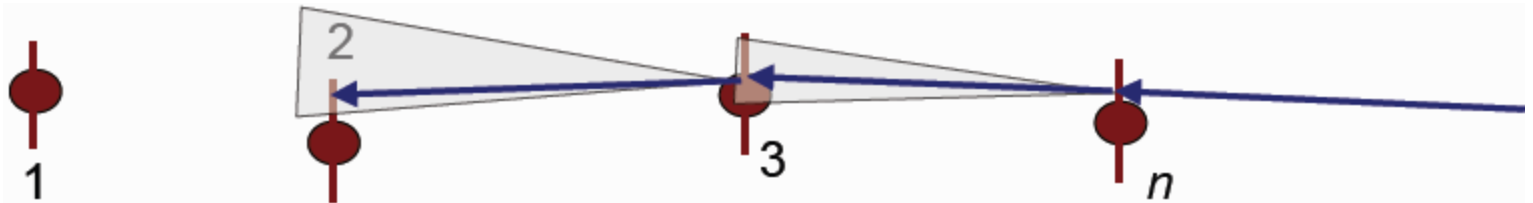
- Reality is a bit more complicated
- Particles interact with matter
  - energy loss
  - change in direction
  - This is **multiple scattering**
- Your track parameterisation needs to take this into account
- Do calculate very precisely would take too long, therefore, work inward N times



- In each step extrapolate to next layer, using info from current track parameters, expected scattering error, and measurement in next layer
- Needs starting estimate (seed) and may need some iterations, smoothing

# Track Reconstruction

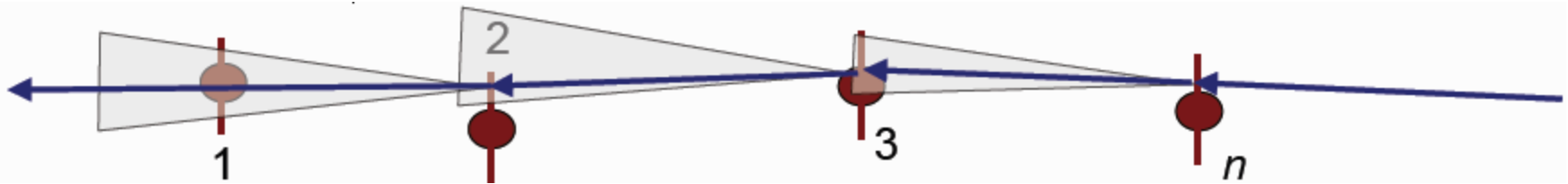
- Reality is a bit more complicated
- Particles interact with matter
  - energy loss
  - change in direction
  - This is **multiple scattering**
- Your track parameterisation needs to take this into account
- Do calculate very precisely would take too long, therefore, work inward N times



- In each step extrapolate to next layer, using info from current track parameters, expected scattering error, and measurement in next layer
- Needs starting estimate (seed) and may need some iterations, smoothing

# Track Reconstruction

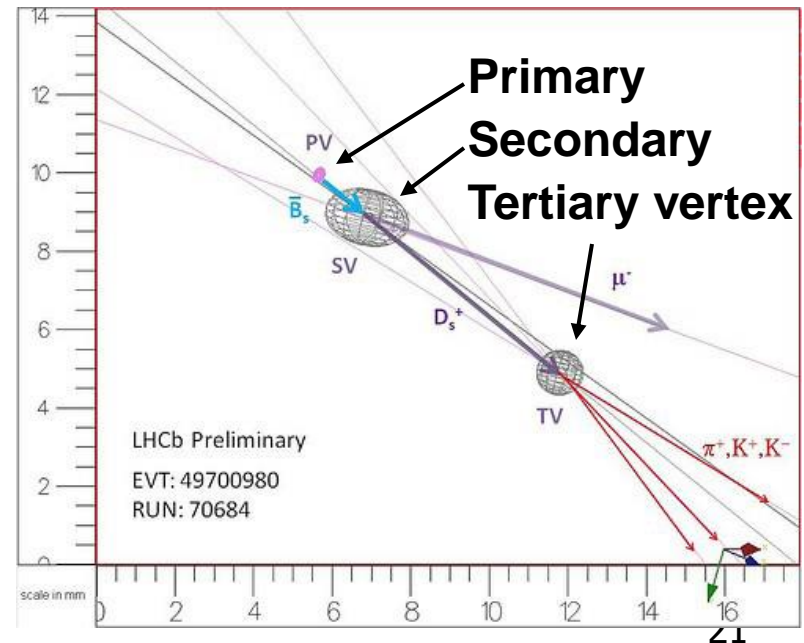
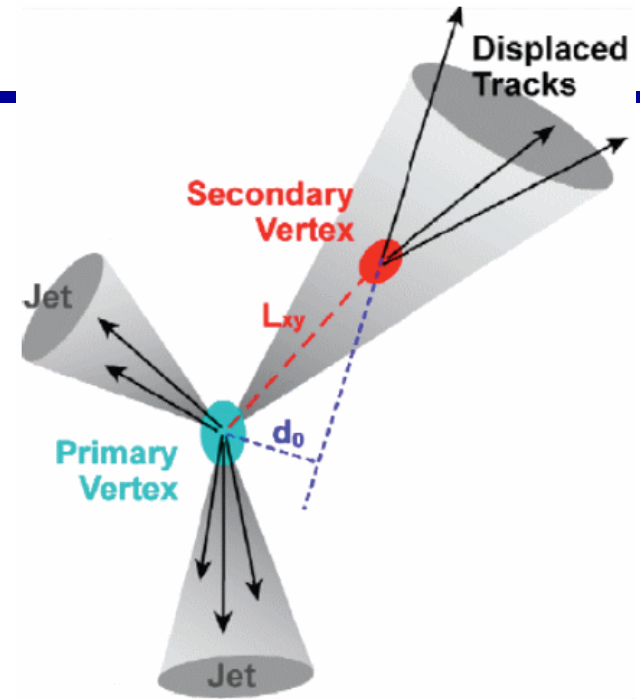
- Reality is a bit more complicated
- Particles interact with matter
  - energy loss
  - change in direction
  - This is **multiple scattering**
- Your track parameterisation needs to take this into account
- Do calculate very precisely would take too long, therefore, work inward N times



- In each step extrapolate to next layer, using info from current track parameters, expected scattering error, and measurement in next layer
- Needs starting estimate (seed) and may need some iterations, smoothing
- This method is based on theory of the **Kalman Filter**

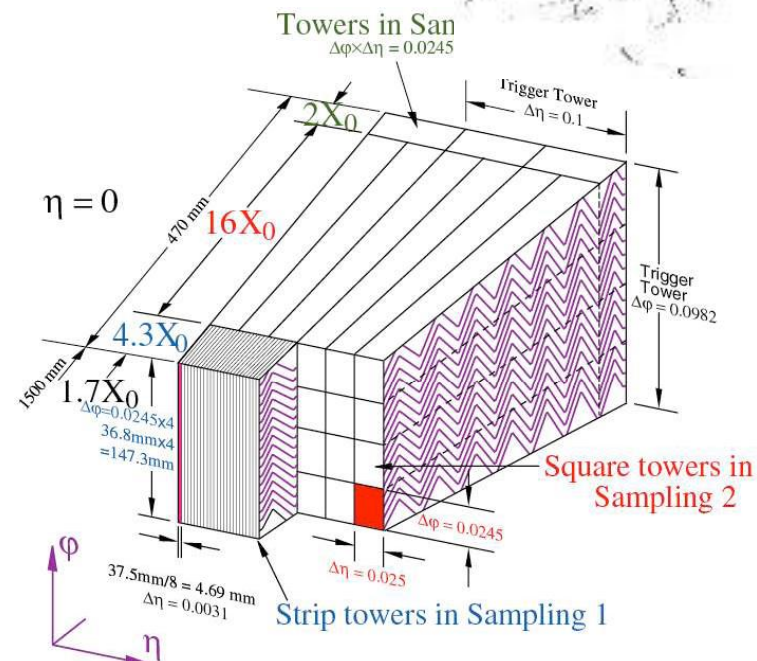
# B-tagging

- b hadrons are
  - long-lived ( $c\tau \sim 450 \mu\text{m}$ )
  - Massive
- Signature: **displaced vertex**
  - Important parameters are
    - $d_0$  = impact parameter (point closest approach in the x-y plane)
    - $L_{xy}$  = distance between primary and secondary vertices
- As LHC is a b- (and even top) factory, b-tagging is a very useful measure



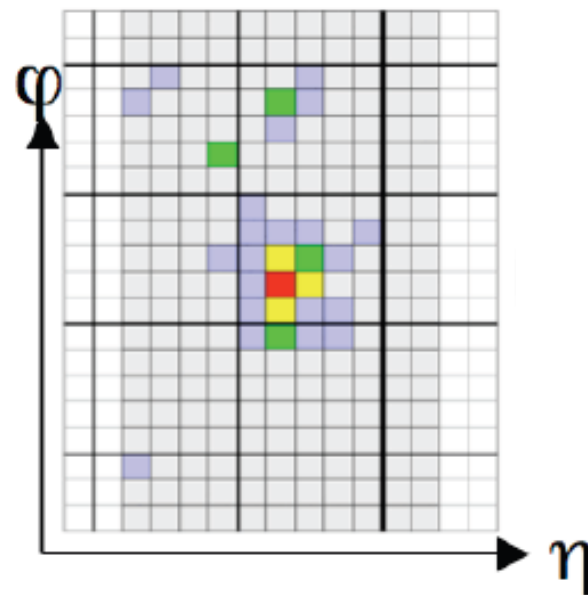
# Calorimeter

- Measure the total energy of particles
  - Versatile detectors, can measure also position, angle, timing for charged & neutral particles (even neutrinos through missing (transverse) energy (if hermetic))
- Compact detectors: shower length increases logarithmically with  $E$
- Unlike tracking detectors,  $E$  resolution improves with increasing  $E$
- Divide into categories: electro-magnetic (EM) calorimeters and hadron calorimeters
- Typically subdivided into several layers and many readout units (cells)
- More on calorimetry in Dave's talk



# Cluster Reconstruction

- **Clusters** of energy in a calorimeter are due to the original particles
  - Clustering algorithm groups individual channel energies
- Ways to do clustering
  - Just scan the calorimeter cell energies and look for higher energetic cells which give local maximum, build cluster around
    - Can use fixed window or cone size or can do it dynamically and add cell if above a given threshold
    - Don't want to miss any, don't want to pick up fakes



---

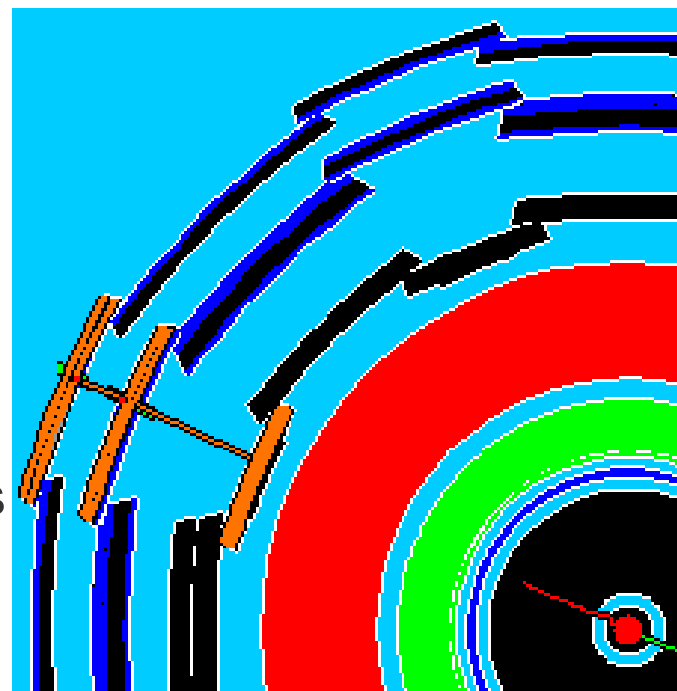
# Particle Identification

- Muon
- Electron and Photon
- Taus
- Jets
- Missing transverse energy



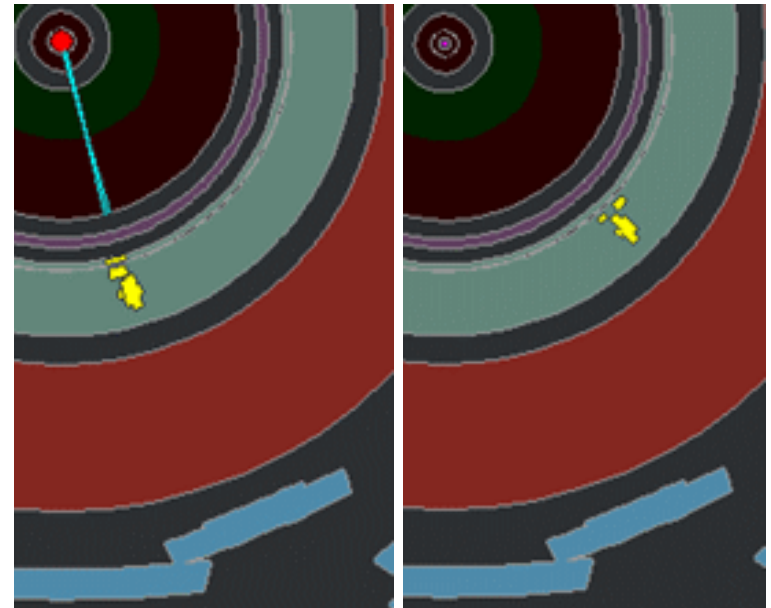
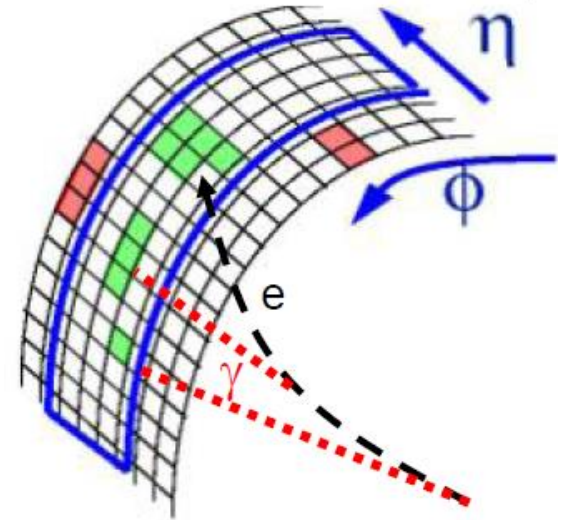
# Muon Identification

- Because of its long lifetime, the muon is basically a stable particle for us ( $c\tau \sim 700$  m)
- It does not feel the strong interaction
  - Therefore, they are very penetrating
- Muons are detected in muon detector and inner tracking detector
  - But much less combinatorics to deal with
- Reconstruct tracks in muon and inner detector
- Strategy
  - Find tracks in the muon system
  - Match with track in inner tracker
  - Combine track measurements
  - Consistent with MIP (minimum ionising particle)
    - Little or no energy in calorimeters
- Very clean signal!



# Electrons and Photons

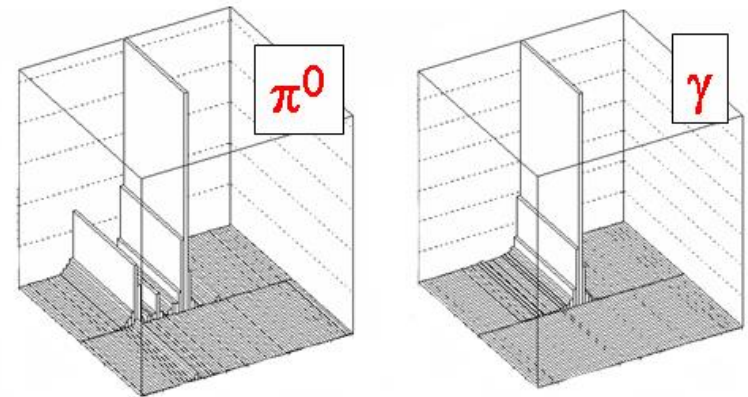
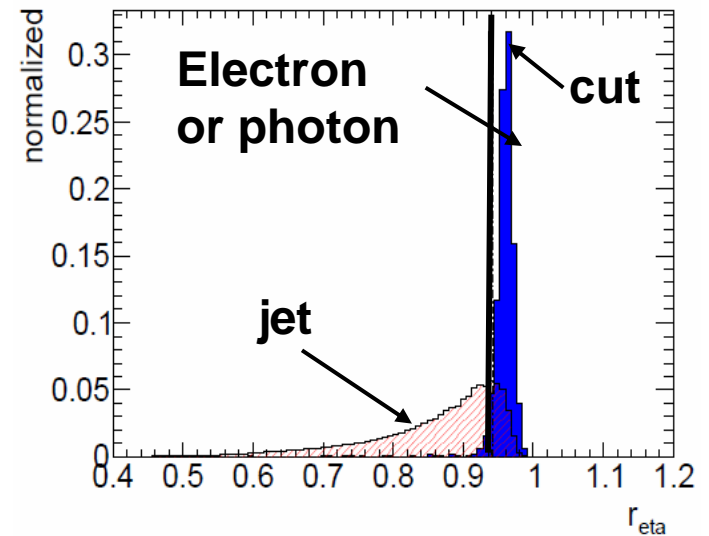
- Energy deposit in EM calorimeter
  - Energy nearly completely deposited in EM calorimeter
    - Little or no energy in had calorimeter (**hadronic leakage**)
    - “Narrow” cluster in EM calorimeter
- Electrons has a track pointing to the cluster
- If there is no track: photon
  - But be careful, photons can convert before reaching the calorimeter
- Final Electron momentum measurement can come from tracking or calorimeter information (or a combination of both)
- Often want isolated electrons
  - Require little calorimeter energy or tracks in the region near the electron



# Electron and photon identification

- Leakage into 1<sup>st</sup> layer of hadronic calorimeter
- Analyse shape of the cluster in the different layers of the EM calo
  - “narrow“ e/ $\gamma$  shape vs “broad“ one from mainly jets
- Look for sub-structures
  - 1<sup>st</sup> EM layer with very fine granularity in ATLAS
  - Very useful for  $\pi^0 \rightarrow \gamma\gamma / \gamma$  separation, 2 photons from  $\pi^0$  tend to end up in the same cluster at LHC energies
- Look at how well your track position matches with the one from the calorimeter
- Use E/p

Transverse shower shape in 2<sup>nd</sup> EM layer (ATLAS)



ATLAS

# Electron and photon identification

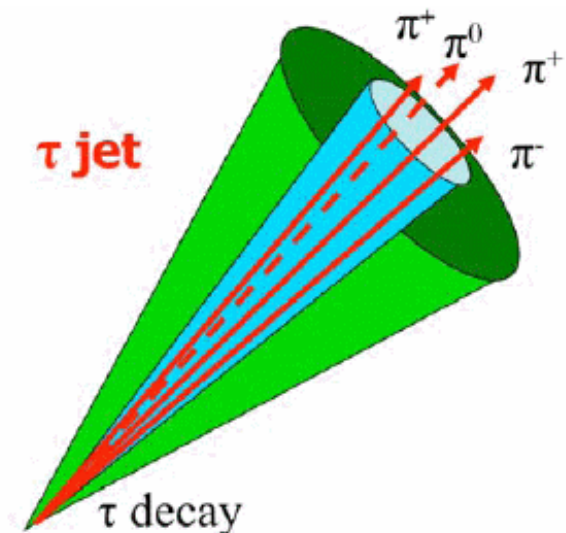
- As shower shape from jets broader it should be easy to separate electrons/photons from jets
- However have many thousands more jets than electrons, so need the rate of jets faking an electron to be very small  $\sim 10^{-4}$  for electrons and several times  $10^{-3}$  for photons
- Need complex identification algorithms to give the rejection whilst keeping a high efficiency

# Taus

## Decays

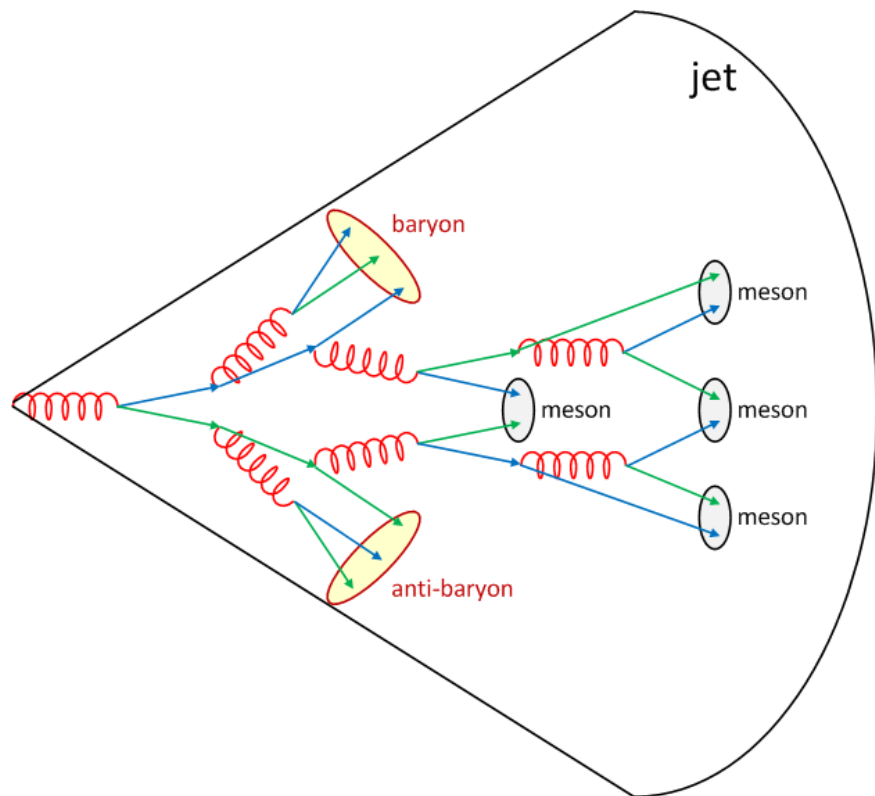
- 17% in muons
- 17% in electrons
- ~65% of  $\tau$ 's decay hadronically in 1- or 3-prongs ( $\tau^\pm \rightarrow \pi^\pm \nu$ ,  $\tau^\pm \rightarrow \pi^\pm \nu + n\pi^0$  or  $\tau^\pm \rightarrow 3\pi^\pm \nu$ ,  $\tau^\pm \rightarrow 3\pi^\pm \nu + n\pi^0$ )
- For reconstruct hadronic taus
  - Look for “narrow“ jets in calorimeter (EM + hadronic)
    - i.e. measure EM and hadronic radius (measurement of shower size in  $\eta$ - $\phi$ ):
$$\sum E_{\text{cell}} \cdot R_{\text{cell}}^2 / \sum E_{\text{cell}}$$
  - Form  $\Delta R$  cones around tracks
    - tau cone
    - isolation cone
  - Associate tracks (1 or 3)

|                                     |              |
|-------------------------------------|--------------|
| $e^- \nu$                           | <b>17.8%</b> |
| $\mu^- \nu$                         | <b>17.4%</b> |
| $h^- \nu$                           | <b>49%</b>   |
| $\pi^- \nu$                         | 11%          |
| $K^- \nu$                           | 0.7%         |
| $\rho^- \nu$                        | 25.4%        |
| <b><math>h^+ h^- h^- \nu</math></b> | <b>15%</b>   |



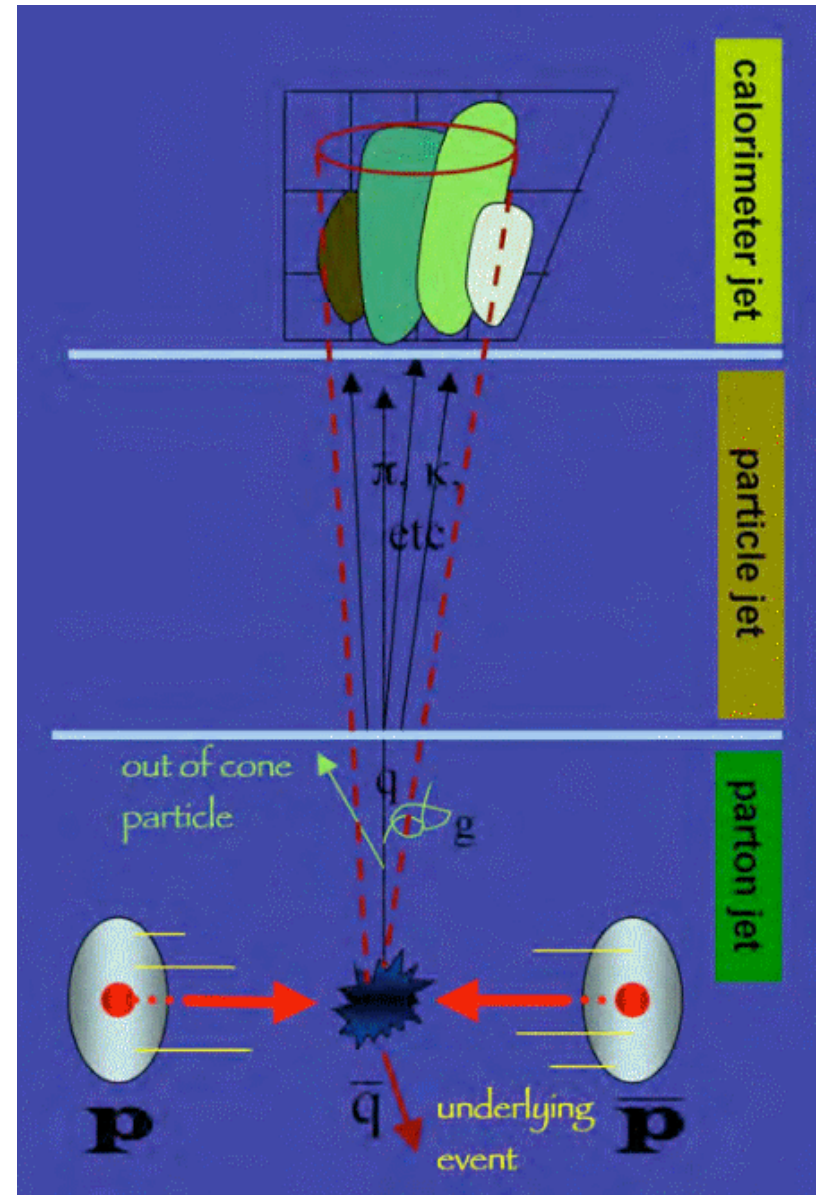
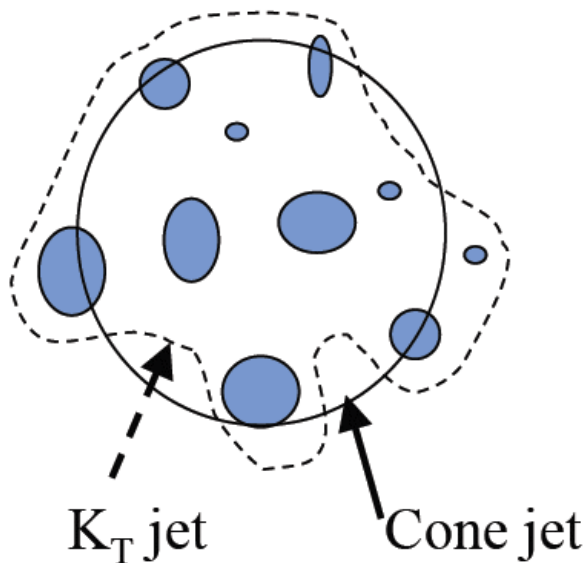
# Jets

- In “nature” do not observe quarks and gluons directly, only hadrons, which appear collimated into **jets**
- Jet definition (experimental point of view): bunch of particles generated by hadronisation of a common otherwise confined source
  - Quark-, gluon fragmentation
- Signature
  - Energy deposit in EM and hadronic calorimeters
  - Several tracks in the inner detector



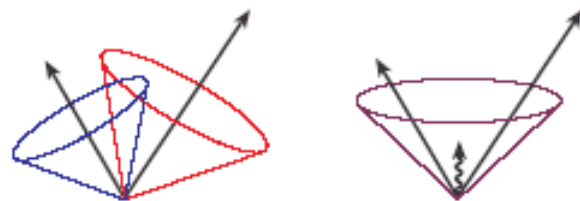
# Jet Reconstruction

- How to reconstruct the jet?
  - Group together the particles from hadronisation
  - 2 main types
    - Cone
    - kT

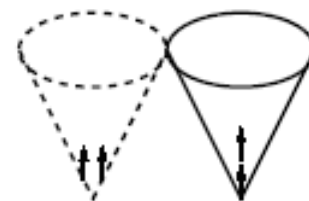


# Theoretical requirement to jet algorithm choices

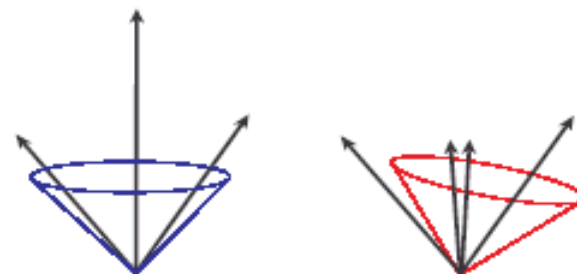
- Infrared safety
  - Adding or removing soft particles should not change the result of jet clustering
- Collinear safety
  - Splitting of large  $p_T$  particle into two collinear particles should not affect the jet finding
- Invariance under boost
  - Same jets in lab frame of reference as in collision frame
- Order independence
  - Same jet from partons, particles, detector signals
- Many jet algorithms don't fulfill above requirements!



**infrared sensitivity**  
(artificial split in absence of soft gluon radiation)



**collinear sensitivity (1)**  
(signal split into two towers below threshold)



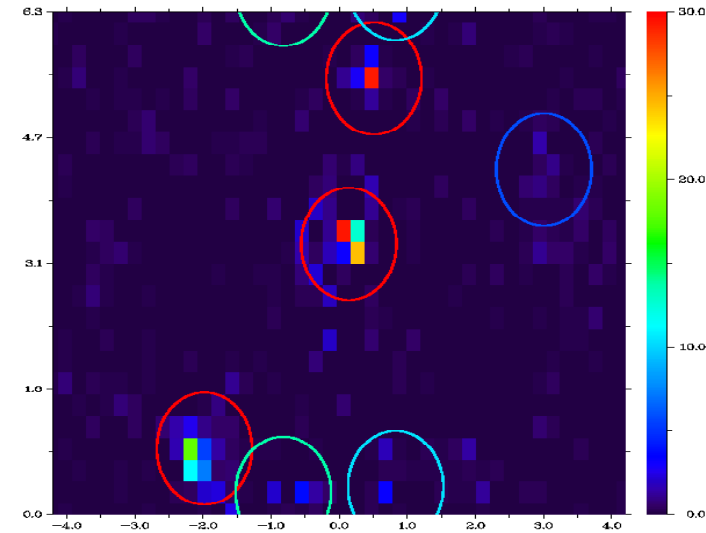
**collinear sensitivity (2)**  
(sensitive to  $E_T$  ordering of seeds)



# Types of jet reconstruction algorithms: cone

## Example: iterative cone algorithms

- Find particle with largest  $p_T$  above a seed threshold
- Draw a cone of fixed size around this particle
  - $\Delta R = \sqrt{\Delta\eta^2 + \Delta\phi^2} < R_{\text{cone}}$
- Collect all other particles in cone and re-calculate cone directions
- Take next particle from list with largest  $p_T$  seed threshold
- Repeat procedure and find next jet candidate
- Continue until no more jet above threshold can be reconstructed
- Check for overlaps between jets
  - Add lower  $p_T$  jet to higher  $p_T$  jet if sum of particle  $p_T$  in overlap is above a certain fraction of the lower  $p_T$  jet (merge)
  - Else remove overlapping particles from higher  $p_T$  jet and add to lower  $p_T$  jet (split)
- All surviving jet candidates are the final jets
- Different varieties: (iterative) fixed cone, seedless cone, midpoint...

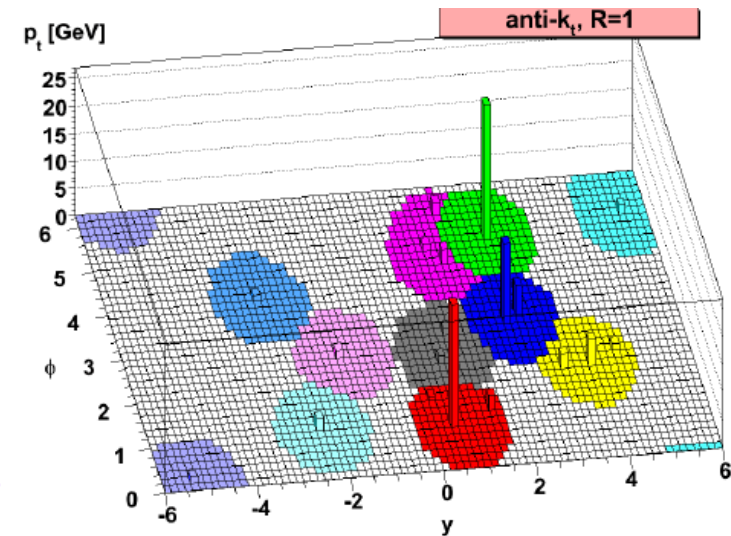
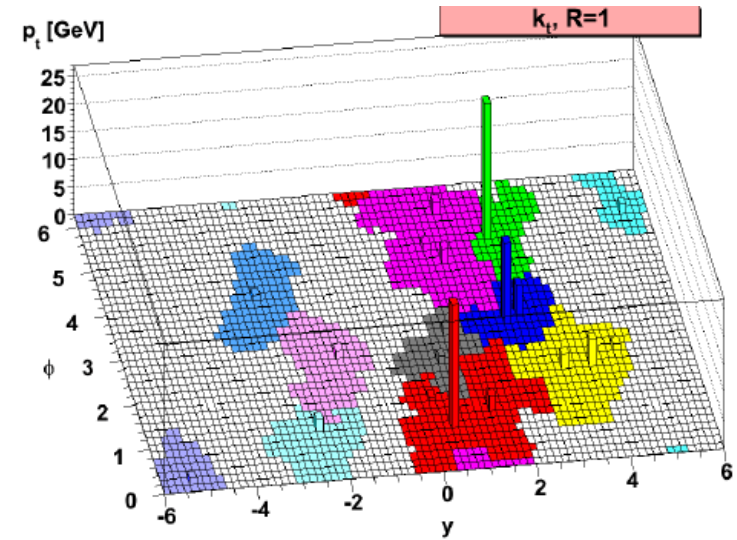


# Types of jet reconstruction algo.: Recursive Recombination

- Motivated by gluon splitting function
- Classic procedure
  - Calculate all distances  $d_{ij}$  for list of particles / cell energies / jet candidates
    - $d_{ij} = \min(d_i, d_j) \Delta R_{ij}^2 / R^2$   
with  $d_i = p_{Ti}^{2n}$ ,  $n=1$
  - Find smallest  $d_{ij}$ , if lower than cutoff combine (combine particles if relative  $p_T < p_T$  of more energetic particle)
  - Remove  $i$  and  $j$  from list
  - Recalculate all distances, continue until all particles are removed or called a jet

## • Alternatives

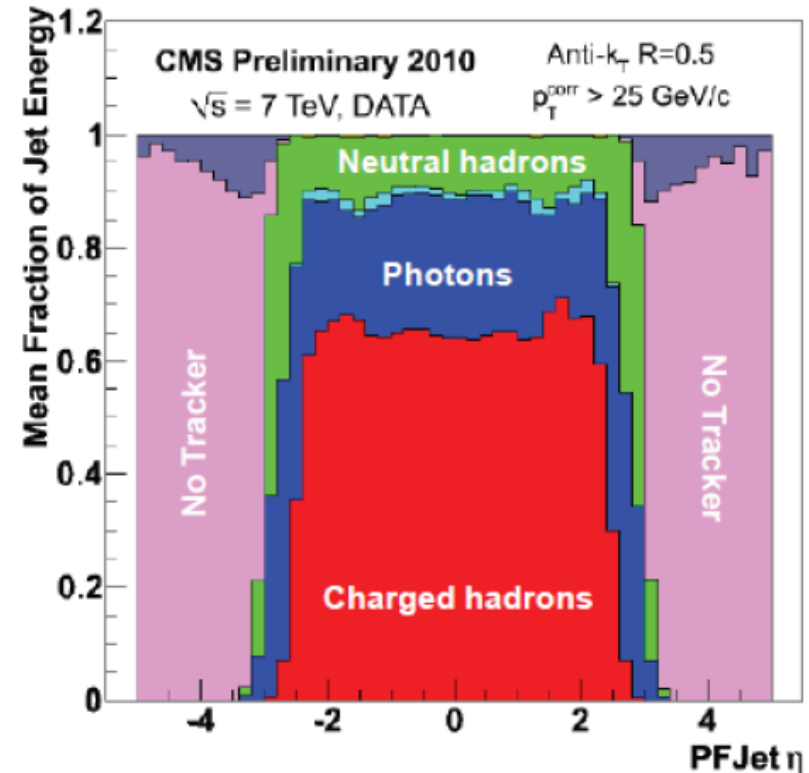
- Cambridge / Aachen ( $n=0$ )
  - Uses angular distances only
- **Anti-kT** ( $n= -1$ , preferred by ATLAS/CMS)
  - First cluster high E with high E and high E with low E particles



→ This keeps jets nicely round

# Energy Flow

- You might want to combine tracking with calorimeter information
  - See Dave's talk
- Use “best measurement” of each component
  - Charged tracks = Tracker
  - e/photons = Electromagnetic calorimeter
  - Neutral hadrons from hadronic calo: only 10%
- Critical points:
  - Very fine granularity
  - Very large number of channels
  - Confusion due to shower overlaps in calorimeter
- Successfully used for ALEPH experiment and now by CMS experiment (in both case rather poor HCAL )



# Missing Transverse Energy

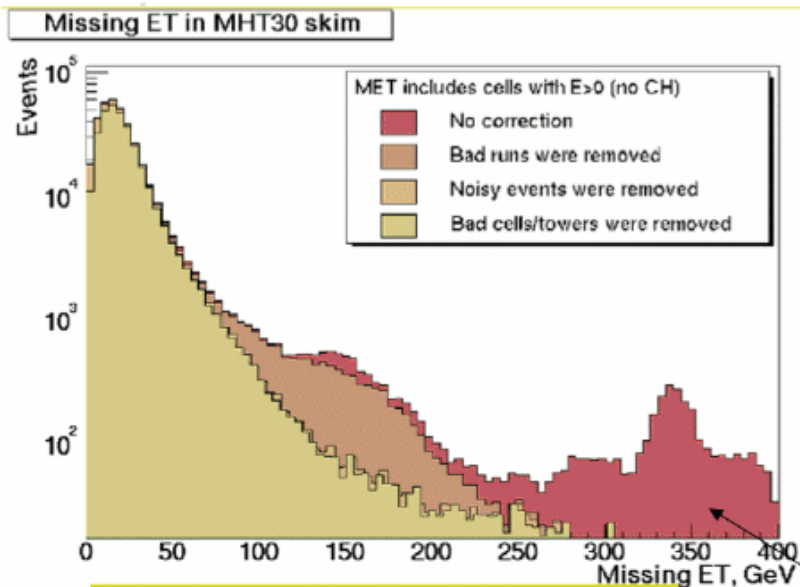
- ❗ Missing energy is not a good quantity in a hadron collider as much energy from the proton remnants are lost near the beampipe
- ❗ Missing transverse energy ( $E_T^{\text{miss}}$ ) much better quantity
  - ❗ Measure of the loss of energy due to neutrinos
- ❗ Definition:
  - ❗ 
$$\cancel{E}_T \equiv -\sum_i E_T^i \hat{n}_i = -\sum_{\text{all visible}} \vec{E}_T$$
- ❗ Best missing  $E_T$  reconstruction
  - ❗ Use all calorimeter cells which are from a clusters from electron, photon, tau or jet (use particle-type dependent corrections)
  - ❗ Use all other calorimeter cells
  - ❗ Use all reconstructed particles not fully reconstructed in the calorimeter
    - ❗ e.g. muons from the muon spectrometer

# Missing Transverse Energy

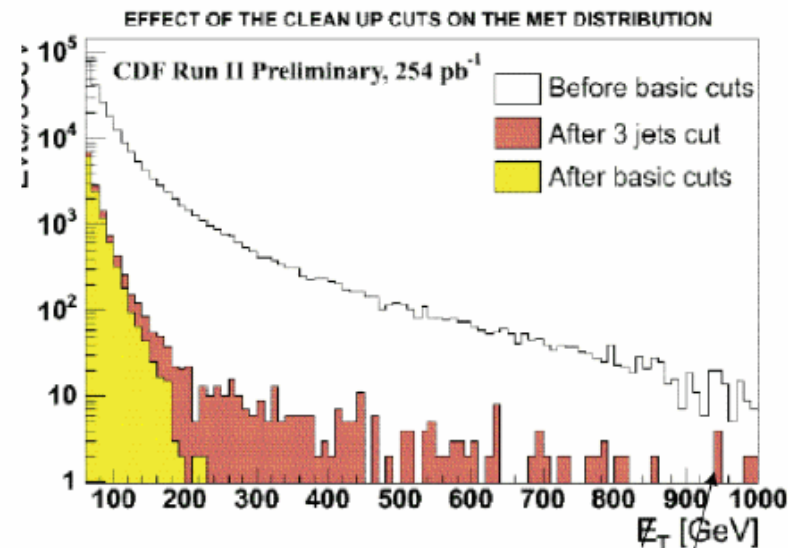
- But it's not that easy...
  - Electronic noise might bias your  $E_T$  measurement
  - Particles might have ended in cracks / insensitive regions
  - Dead calorimeter cells
  - Pile-up
- Corrections needed to calorimeter missing  $E_T$ 
  - Correction for muons
    - Recall: muons are MIPs
  - Correct for known leakage effects (cracks etc)
  - Particle type dependent corrections
    - Each cell contributes to missing  $E_T$  according to the final calibration of the reconstructed object (e,  $\gamma$ ,  $\mu$ , jet...)
  - Pile-up effects will need to be corrected for

# Missing Transverse Energy

🐾 Difficult to understand quantity



MET, before corrections (Do)



MET, after corrections (CDF)

This is where new physics may sit

# Summary

---

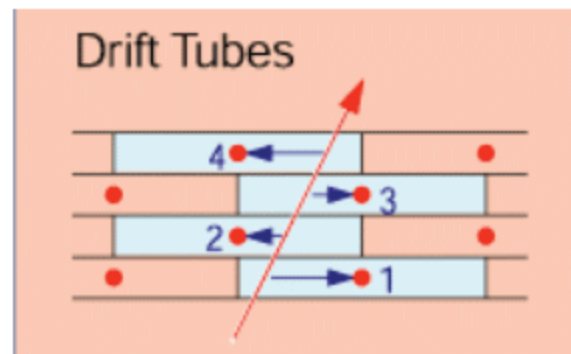
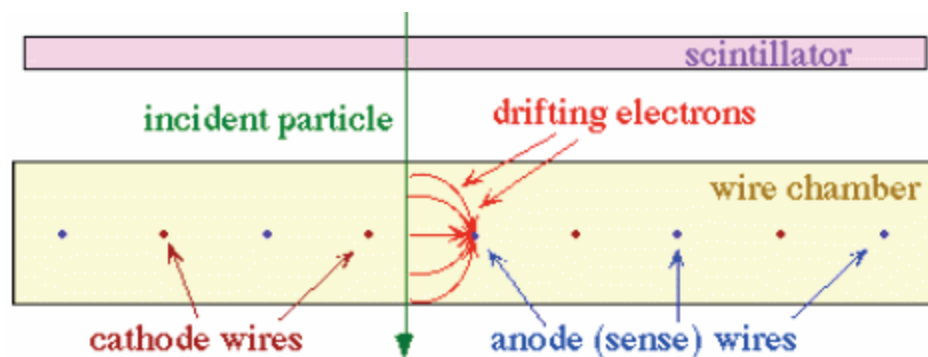
- Summarise basic features of particle identification
  - Muon, Electron, Photon, Tau, Jet, Missing  $E_T$
  - These are the basic quantities we use as input to any of our analyses

# Backup

---



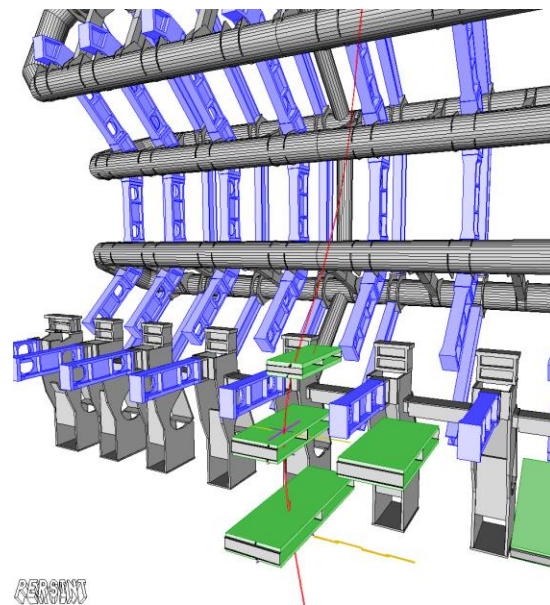
# Gas/Wire Drift Chambers



- ❦ Wires in a volume filled with a gas (such as Argon/Ethan)
- ❦ Measure where a charged particle has crossed
  - ❦ charged particle ionizes the gas.
  - ❦ electrical potentials applied to the wires so electrons drift to the sense wire
  - ❦ electronics measures the charge of the signal and when it appears.
- ❦ To reconstruct the particles track several chamber planes are needed
- ❦ Example:
  - ❦ CDF COT: 30 k wires, 180  $\mu\text{m}$  hit resolution
- ❦ Advantage:
  - ❦ low thickness (fraction of  $X_0$ )
  - ❦ traditionally preferred technology for large volume detectors

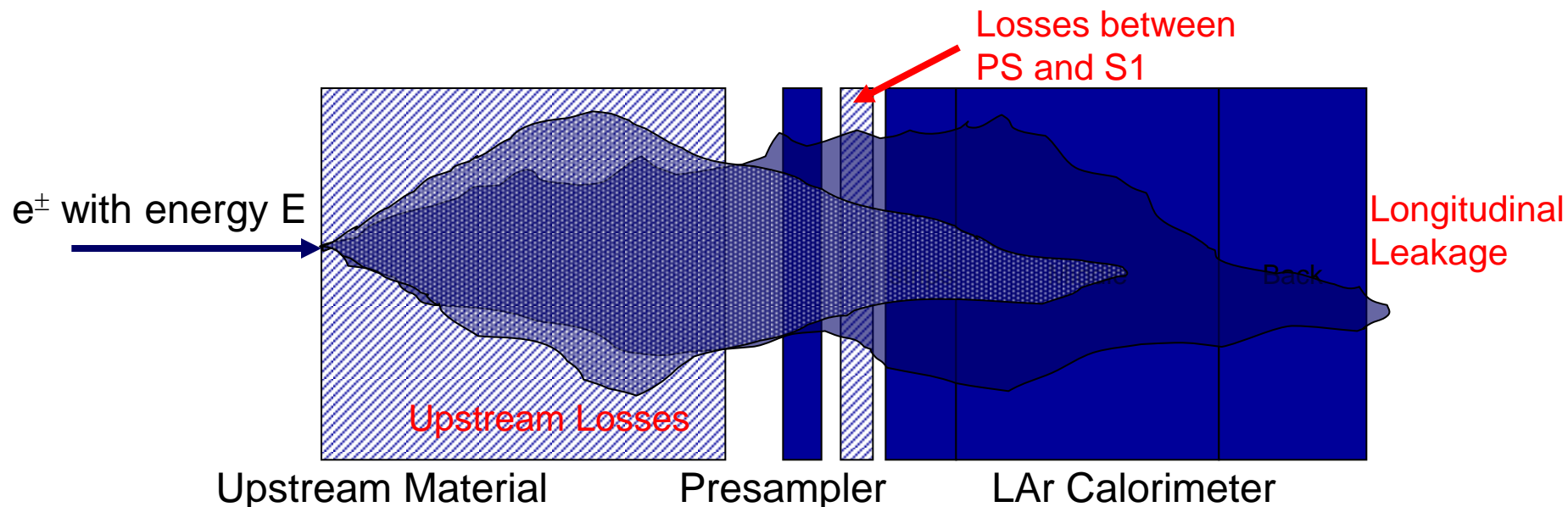
# Muon Chambers

- Purpose: measure momentum / charge of muons
- Recall that the muon signature is extraordinarily penetrating
- Muon chambers are the outermost layer
- Measurements are made combined with inner tracker
- Muon chambers in LHC experiments:
  - Series of tracking chambers for precise measurements
    - RPC's: Resistive Plate Chambers
    - DT's: Drift Tubes
    - CSC's: Cathode Strip Chambers
    - TGC's: Thin Gap Chambers



Cosmic muon in MDT/RPC

# Cluster reconstruction



- Input to clustering:
  - Cells calibrated at the EM scale
- Sum energy in EM calo, correct for losses in upstream material, longitudinal leakage and possible other losses between calo layers (if applicable)
  - e.g.  $E_{rec} = \lambda(b + W_0 E_{pres} + E_1 + E_2 + W_3 E_3)$
- Typically need to find best compromise between best resolution and best linearity

# Calorimeters: Hadronic Showers

- Much more complex than EM showers

- visible EM O(50%)

- $e^\pm, \gamma, \pi^0 \rightarrow \gamma\gamma$

- visible non-EM O(25%)

- ionization of  $\pi^\pm, p, \mu^\pm$

- invisible O(25%)

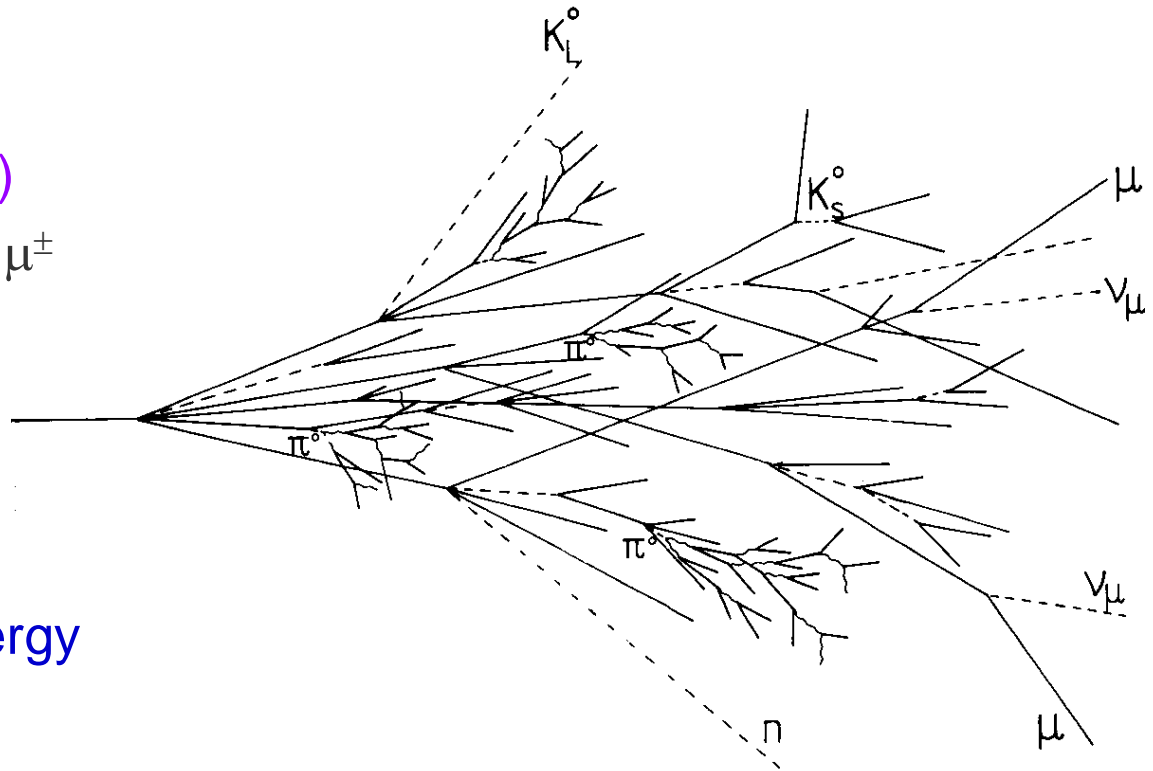
- nuclear break-up

- nuclear excitation

- escaped O(2%)

- Only part of the visible energy is measured (e.g. some energy lost in absorber in sampling calorimeter)

- calibration tries to correct for it

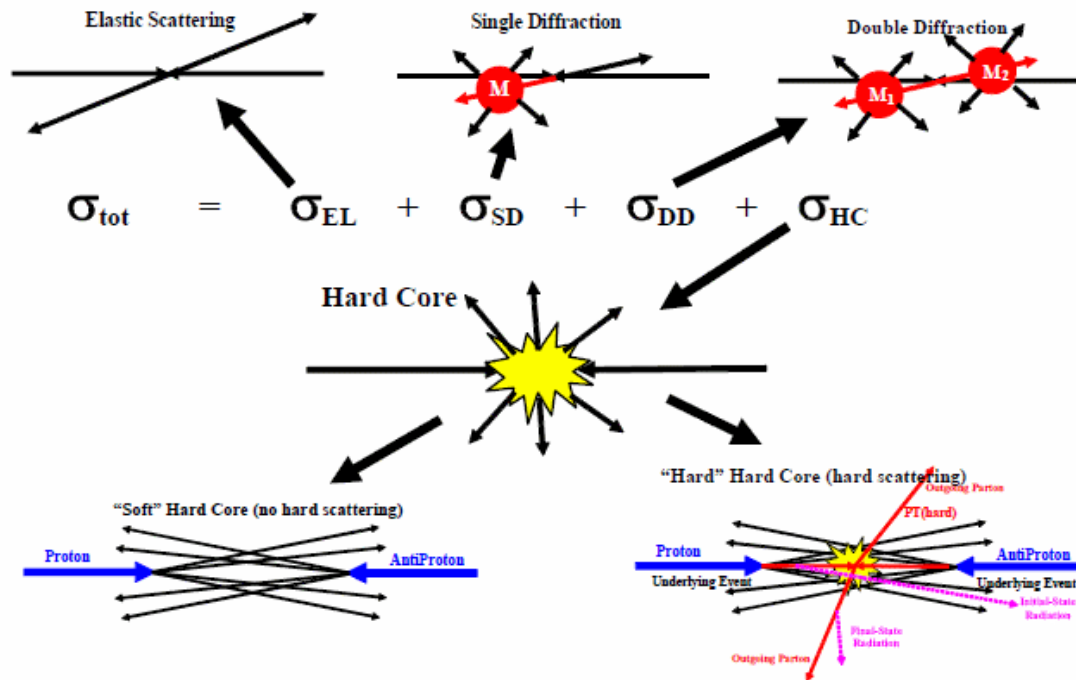


---

• Useful things to know in the LHC environment

# Minimum bias

- “soft” partonic interactions
- “all events, with no bias from restricted trigger conditions”
- On average
  - low transverse energy produced
  - low number of particles produced
- Minimum bias contains following processes



# Pile-up

- One single bunch crossing may produce several collisions between protons seen in the detector → pile-up
- At design lumi of  $10^{34}\text{cm}^{-2}\text{s}^{-1}$  we expect  $\sim 20$  of them (in time pile-up)
- Most of them come from “soft“ interactions and will create minimum bias events
- As readout times at the LHC are typically larger than the bunch spacing pile-up also expected in the previous or following bunches (out of time pile-up)

# Underlying event

- In collision we have
  - Hard subprocess
  - Initial and final state radiation
  - Multiple parton-parton interactions
  - Beam remnants and other outgoing partons
  - Pileup
- Underlying event is everything without the hard interaction in leading order
- Nice theoretical recipe, but not trivial for an experimentalist

