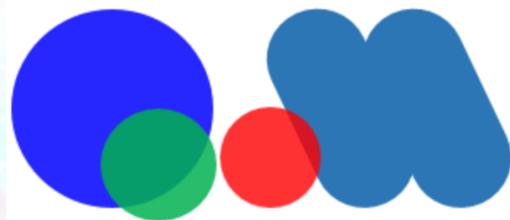
The background features a large, semi-transparent sphere on the left containing a smaller, textured pink sphere. To the right, a green textured sphere is visible. The scene is filled with numerous colorful, glowing ribbons in shades of blue, green, yellow, red, and purple, some appearing as helical structures. The overall aesthetic is vibrant and scientific.

# DIRECT PHOTON PRODUCTION AND JET INTERACTION IN SMALL SYSTEMS



## QUARK MATTER 2015

Sep. 27 – Oct. 3, 2015 Kobe, Japan 

Charles Gale  
McGill University



[Image: [physics.org](http://physics.org)]

# Outline

- Fluid behaviour in small systems at RHIC & LHC
- Photon production from small systems at RHIC & LHC
- Jet modification in small systems

Gabriel Denicol

Sangyong Jeon

Jean-François Paquet

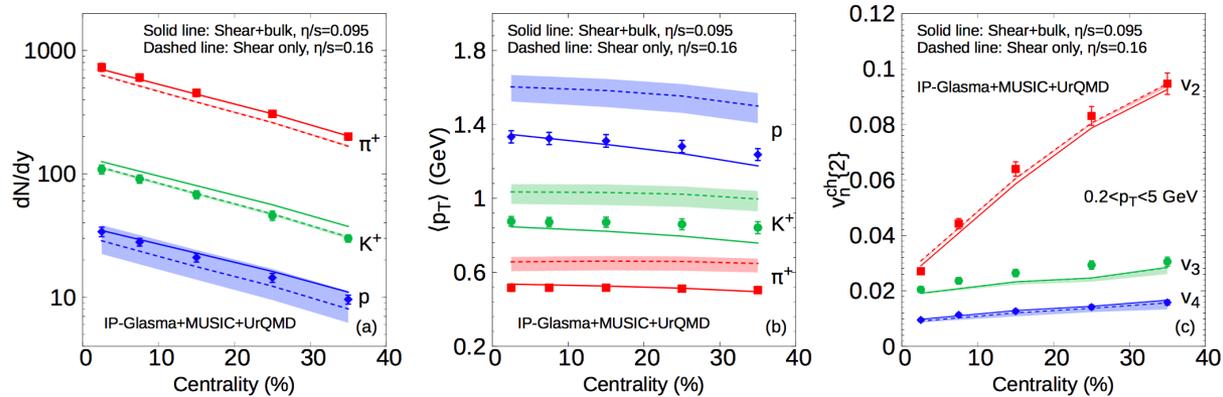
Chanwook Park

Chun Shen

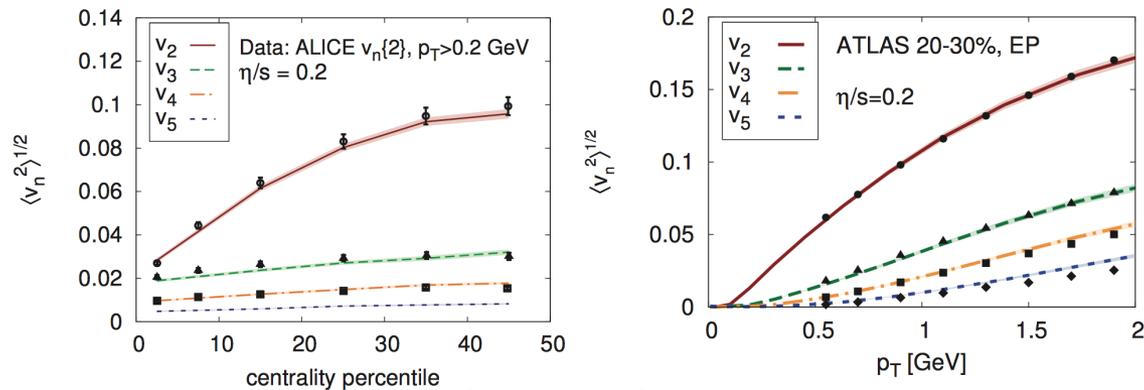


# Collectivity in large systems

In AA collisions, collectivity has been quantified by its flow characteristics, and by the behaviour of global observables:



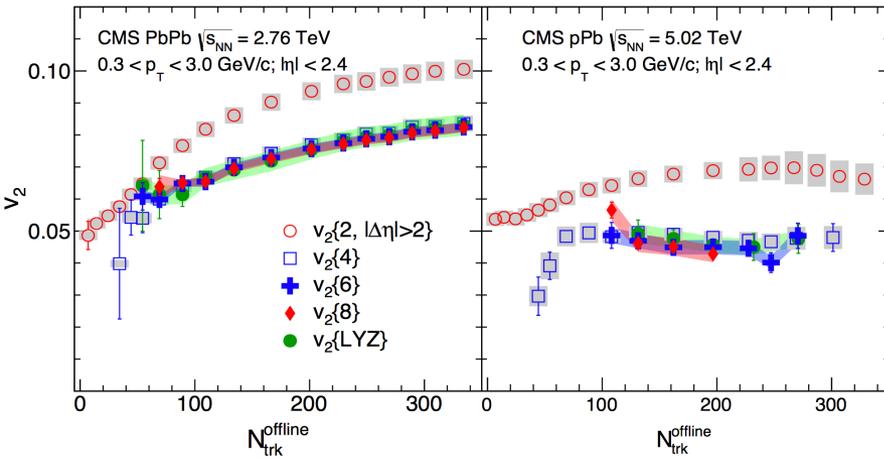
S. Ryu *et al.*, PRL (2015)



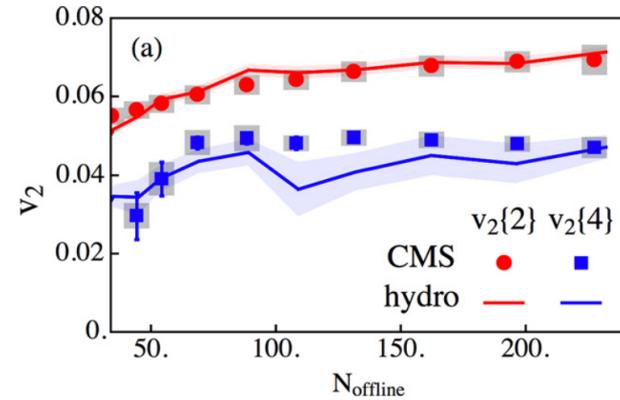
Gale, Jeon, Schenke, Int. J. Mod. Phys. A (2013)

See Gabriel Denicol's talk on Thursday

# Collectivity in small systems?

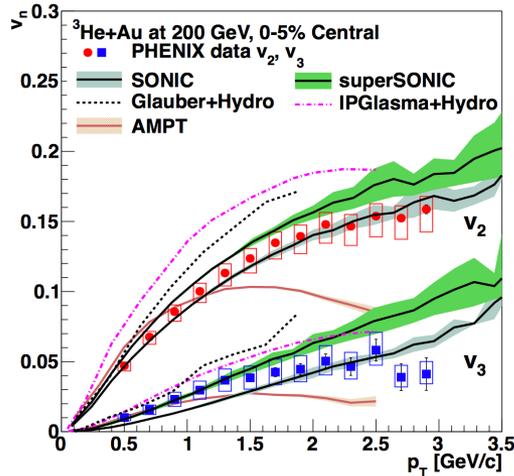


CMS Collab., PRL 2015



LHC

Kozlov *et al.*, NPA (2014)



PHENIX Collab., arXiv:1507.06273

- Magnitude and behaviour of flow coefficients consistent with fluid-dynamical modelling
- Pair correlation variable  $r_n(p_T^a, p_T^b)$  confirmed by measurements (CMS)
- Some tension between AA and pA hydro calculations
- Initial state correlations
- Details of the shape of the proton/deuteron
- ... (a lot more this week)

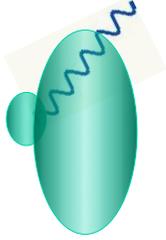
RHIC



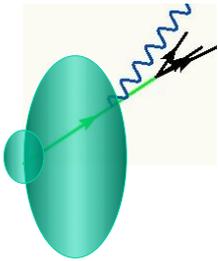
# Help from a complementary observable: Photons

A penetrating probe (tomography), with little final-state interaction:

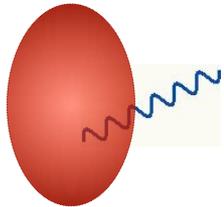
## Photons (real and/or virtual)



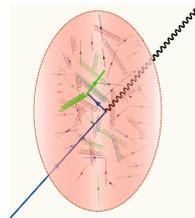
Hard direct photons. pQCD with shadowing  
Non-thermal



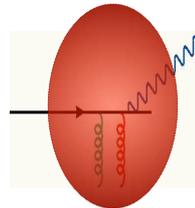
Fragmentation photons. pQCD with shadowing  
Non-thermal



Thermal photons  
Thermal



Jet-plasma photons  
Thermal



Jet in-medium bremsstrahlung  
Thermal

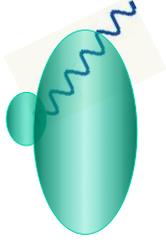
An additional, penetrating probe could help validate hydrodynamic behaviour in small systems



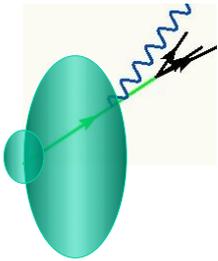
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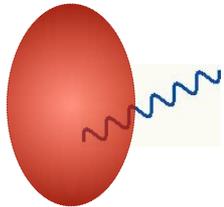
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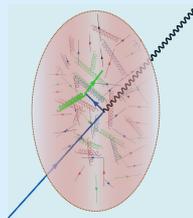
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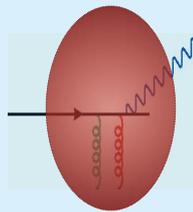
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Non-thermal



Thermal photons  
Thermal



Jet-plasma photons  
Thermal



Jet in-medium bremsstrahlung  
Thermal

An additional, penetrating probe could help validate hydrodynamic behaviour in small systems



# Electromagnetic emissivity

$$\omega \frac{d^3 R}{d^3 k} = - \frac{g^{\mu\nu}}{(2\pi)^3} \text{Im} \Pi_{\mu\nu}^R(\omega, k) \frac{1}{e^{\beta\omega} - 1}$$

- Partonic rates @ LO: Arnold, Moore, Yaffe, JHEP (2001);  
Partonic rates @ NLO: J. Ghiglieri et al., JHEP (2013)
- Hadronic rates: Turbide et al., PRC (2004); Heffernan et al., PRC (2015)

$$\begin{aligned} \mathcal{L} = & \frac{1}{8} F_\pi^2 \text{Tr} D_\mu U D^\mu U^\dagger + \frac{1}{8} F_\pi^2 \text{Tr} M (U + U^\dagger) \\ & - \frac{1}{2} \text{Tr} (F_{\mu\nu}^L F^{L\mu\nu} + F_{\mu\nu}^R F^{R\mu\nu}) + m_0^2 \text{Tr} (A_\mu^L A^{L\mu} + A_\mu^R A^{R\mu}) \\ & + \text{non-minimal terms} \end{aligned}$$

$$\left. \begin{aligned} X + Y &\rightarrow Z + \gamma \\ \rho &\rightarrow Y + Z + \gamma \\ K^* &\rightarrow Y + Z + \gamma \end{aligned} \right\} X, Y, Z \in \{\rho, \pi, K^*, K\}$$

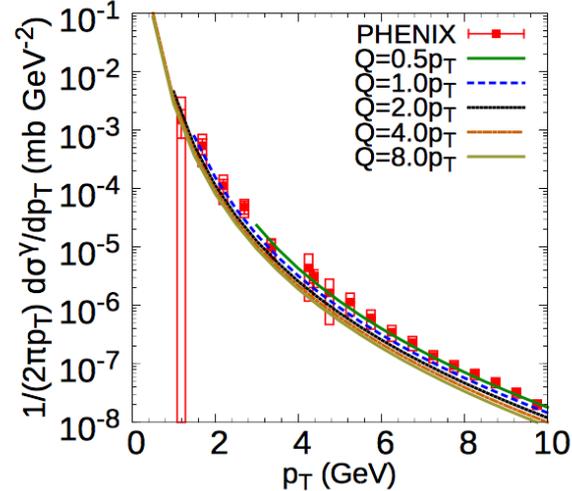
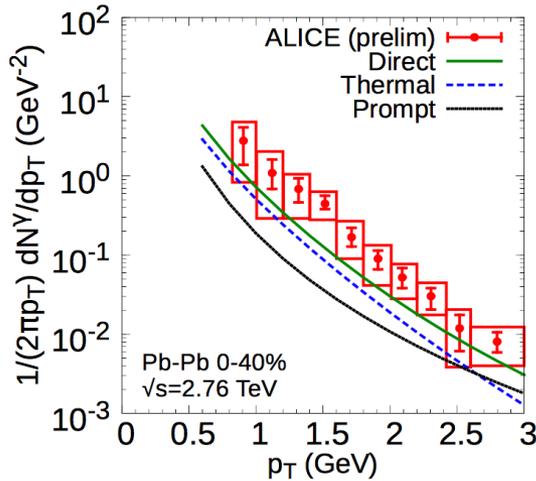
$$\pi\pi \rightarrow \pi\pi\gamma, \Sigma \rightarrow \Lambda\gamma, f_1(1285) \rightarrow \rho^0\gamma \dots$$

+ viscous corrections



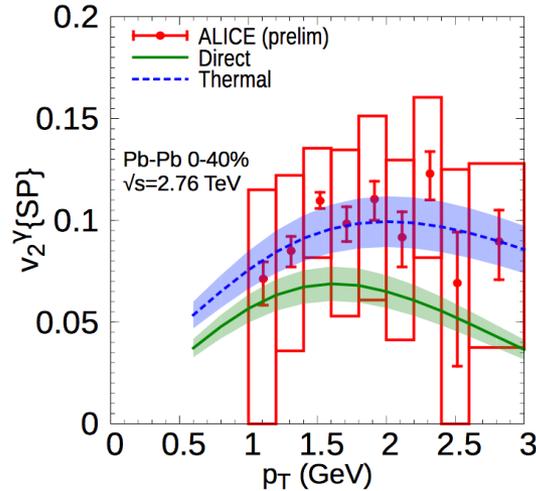
# Photons and hydro calculations?

## The photon "elliptic flow puzzle" in AA?



Prompt, pQCD pp photons@NLO

Paquet *et al.*, arXiv: 1509.06738

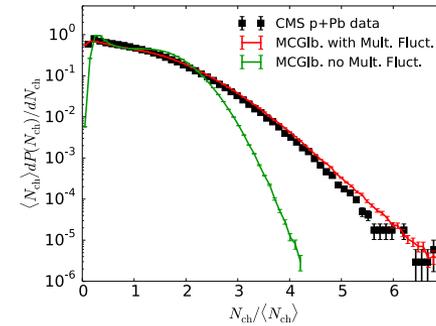
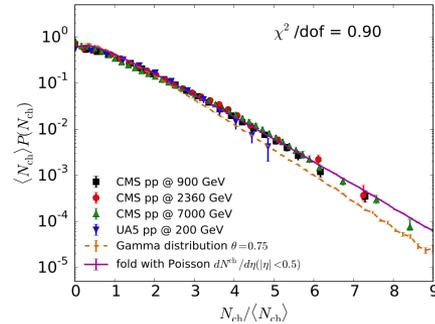


- LHC: Hydro calculation consistent with ALICE measurements, considering the statistical and systematic uncertainties
- RHIC and discussion of the details: J.-F. Paquet's parallel session talk on Wednesday
- See Chun Shen's plenary talk on Friday
- See experimental presentations at this meeting



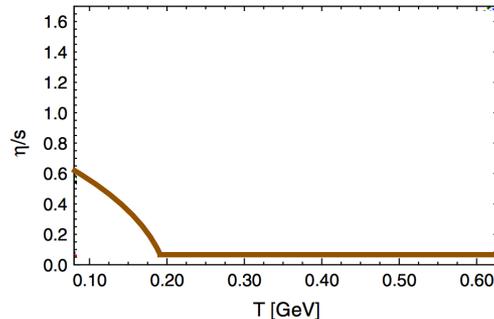
# Fluid-dynamical simulation

- Event-by-event simulations
- Initial state entropy density fluctuates according to a Gamma distribution



C. Shen *et al.*, arXiv:1409.8164

- Temperature-dependent shear viscosity



H. Niemi *et al.*, PRL (2011)

- Owing to compact fireball sizes (v.s. AA) pA collisions have larger pressure gradients, driving a larger expansion rate



# The limits of hydrodynamics

One indicator, the Knudsen number, Kn  $\text{Kn} = \frac{\ell_{\text{micro}}}{L_{\text{macro}}}$

For a dilute gas  $\ell_{\text{micro}} = \lambda_{\text{mfp}} \sim \tau_{\pi} = 5 \frac{\eta}{\epsilon + P}$

For  $L_{\text{macro}}$ , use the local fields  $\epsilon, u^{\mu}$  to construct all possibilities

Denicol *et al.*, PRD (2012); Niemi, Denicol, *arXiv:1404.7327*

$$\frac{1}{L_{\text{macro}}^{\theta}} = \theta, \quad \frac{1}{L_{\text{macro}}^{\epsilon}} = \frac{1}{\epsilon} \sqrt{\nabla_{\mu} \epsilon \nabla^{\mu} \epsilon} \quad \text{are the larger ones} \quad (\theta = \nabla_{\mu} u^{\mu})$$
$$\text{Kn} = \frac{\tau_{\pi}}{L}, \quad L = \min(L_{\text{macro}}^{\theta}, L_{\text{macro}}^{\epsilon})$$



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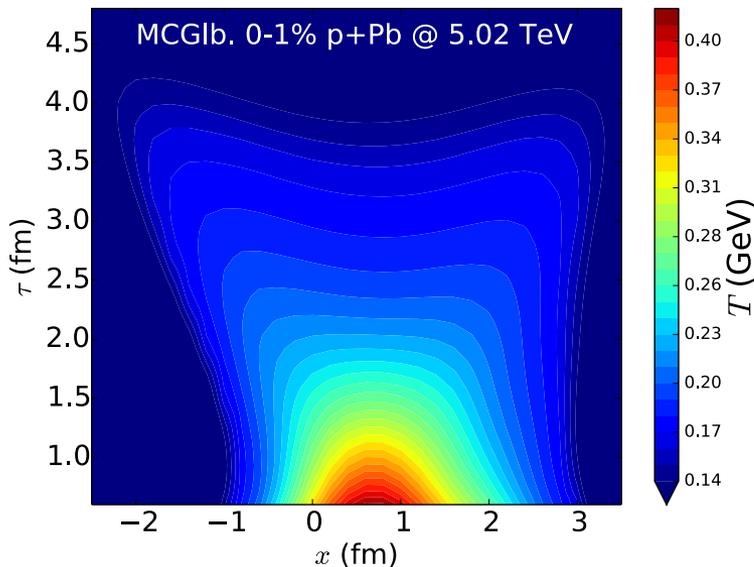
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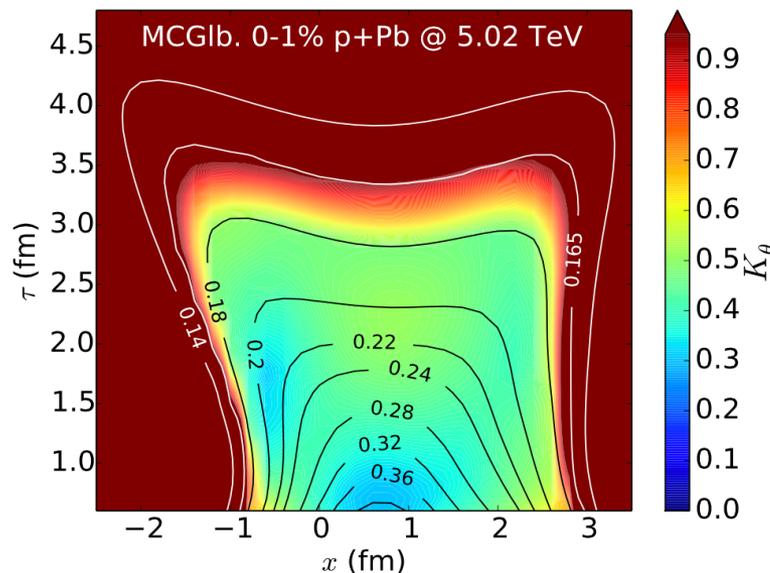
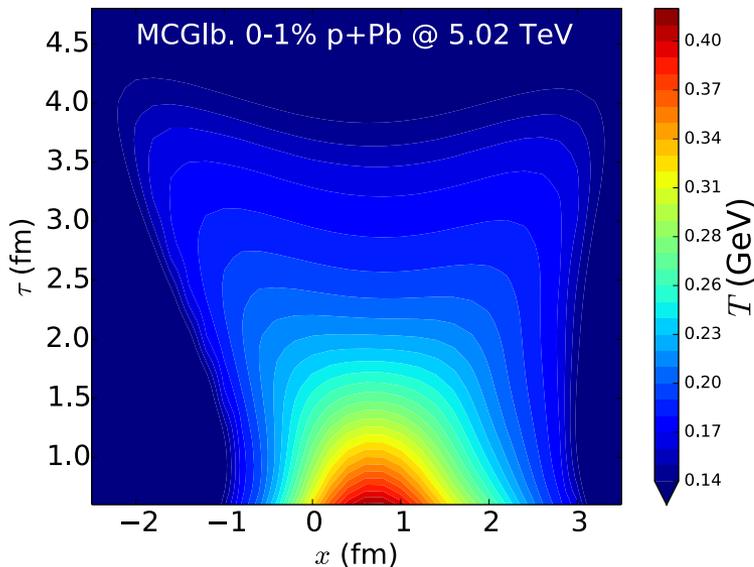
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$$\text{Kn} = \frac{\tau_{\pi}}{L}, \quad L = \min(L_{\text{macro}}^{\theta}, L_{\text{macro}}^{\epsilon})$$



$\text{Kn} > 1$

$\text{Kn} \sim 1$

$\text{Kn} < 1$

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One indicator, the Knudsen number,  $\text{Kn}$   $\text{Kn} = \frac{\ell_{\text{micro}}}{L_{\text{macro}}}$

For a dilute gas  $\ell_{\text{micro}} = \lambda_{\text{mfp}} \sim \tau_{\pi} = 5 \frac{\eta}{\epsilon + P}$

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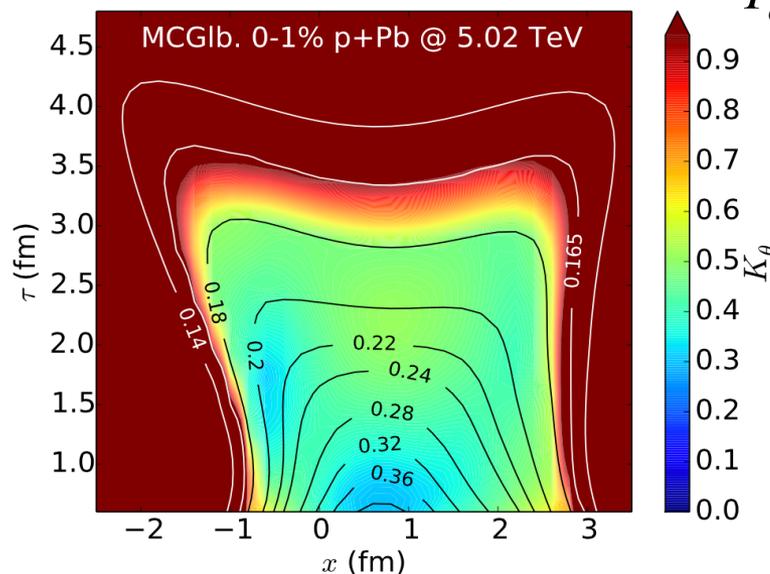
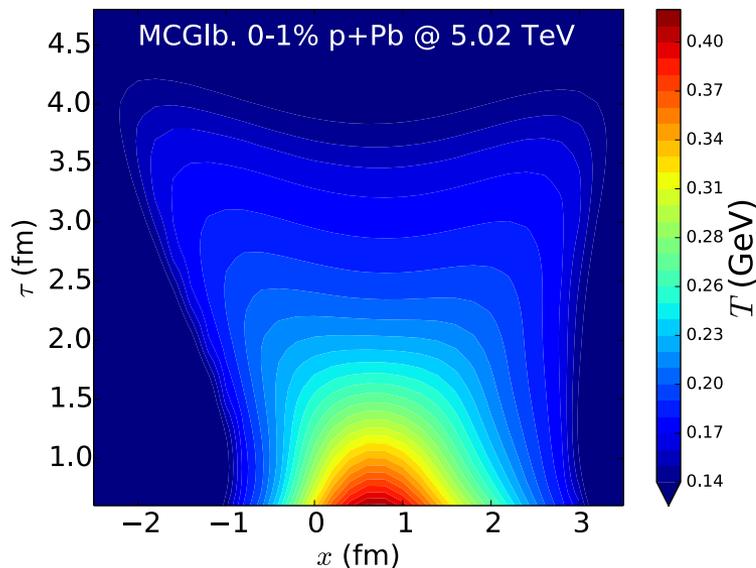
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Stop at

$$T_{\text{dec}} = 165 \text{ MeV}$$



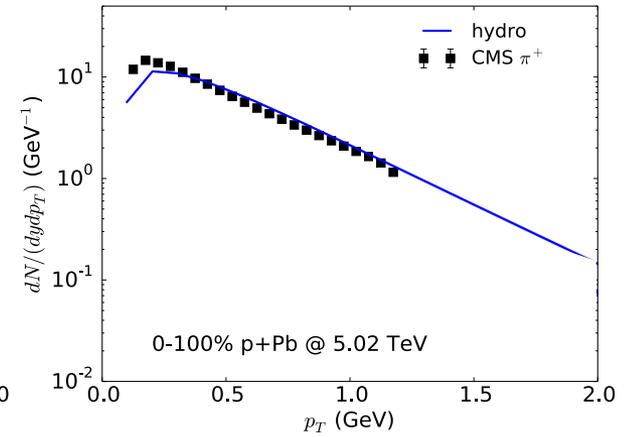
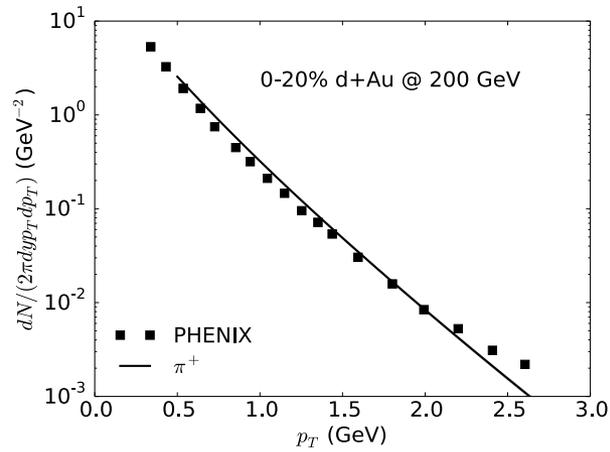
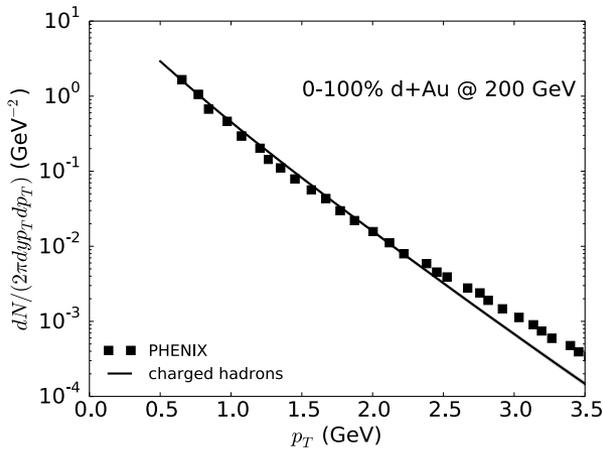
$\text{Kn} > 1$

$\text{Kn} \sim 1$

$\text{Kn} < 1$

# Soft hadrons @ RHIC and @ LHC

p+Pb @ 5.02 TeV	$\langle N_{\text{coll}} \rangle$	$\frac{dN^{\text{ch}}}{d\eta} \big _{ \eta  < 0.5}$	$\langle p_T \rangle (\pi^+)$ (GeV)	$v_2^{\text{ch}} \{2\}$	$v_3^{\text{ch}} \{2\}$
0-1%	$15.4 \pm 0.03$	$57.6 \pm 0.3$	$0.59 \pm 0.01$	$0.056 \pm 0.001$	$0.018 \pm 0.001$
0-100%	$6.6 \pm 0.01$	$16.6 \pm 0.3$	$0.51 \pm 0.02$	$0.034 \pm 0.001$	$0.007 \pm 0.001$
d+Au @ 200 GeV	$\langle N_{\text{coll}} \rangle$	$\frac{dN^{\text{ch}}}{d\eta} \big _{ \eta  < 0.5}$	$\langle p_T \rangle (\pi^+)$ (GeV)	$v_2^{\text{ch}} \{2\}$	$v_3^{\text{ch}} \{2\}$
0-100%	$8.05 \pm 0.01$	$8.85 \pm 0.19$	$0.46 \pm 0.02$	$0.025 \pm 0.001$	$0.003 \pm 0.001$

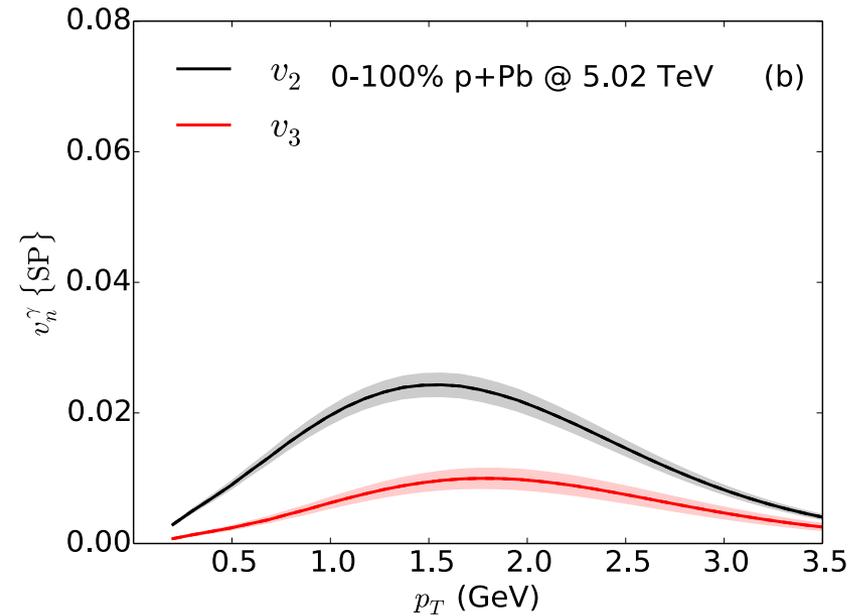
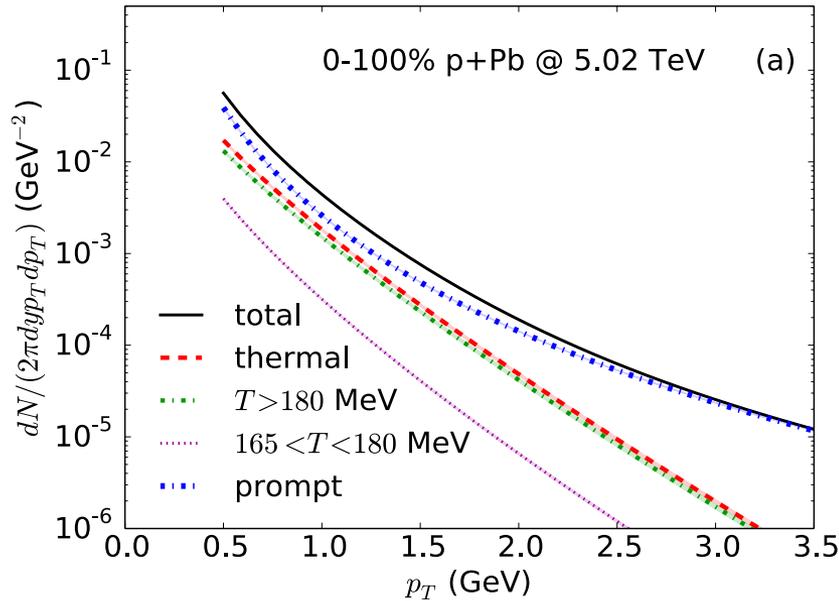


- Reasonable agreement between theory and measurement
- $\langle p_T \rangle$  values in agreement within 10%



# Photon results

## Min. bias

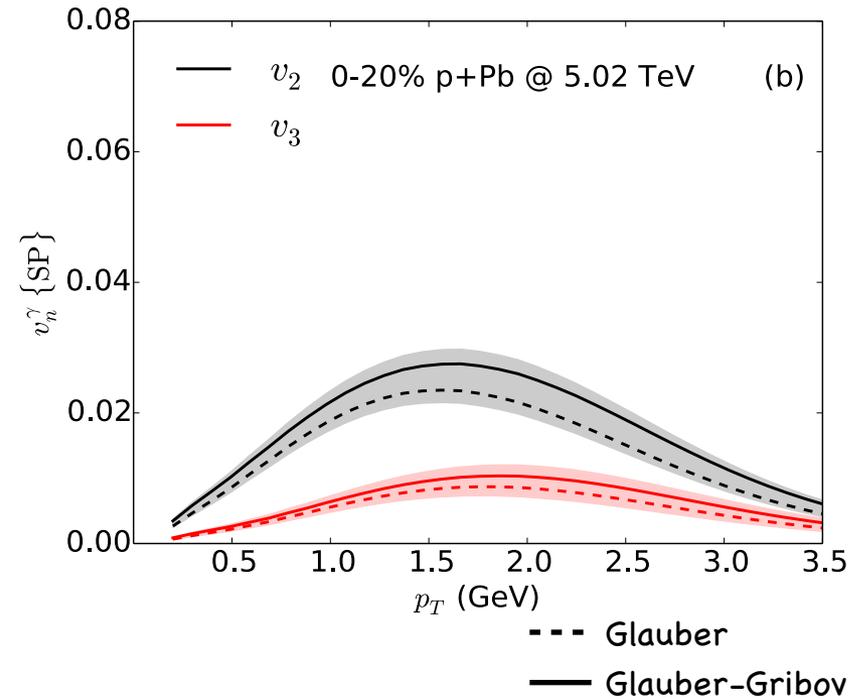
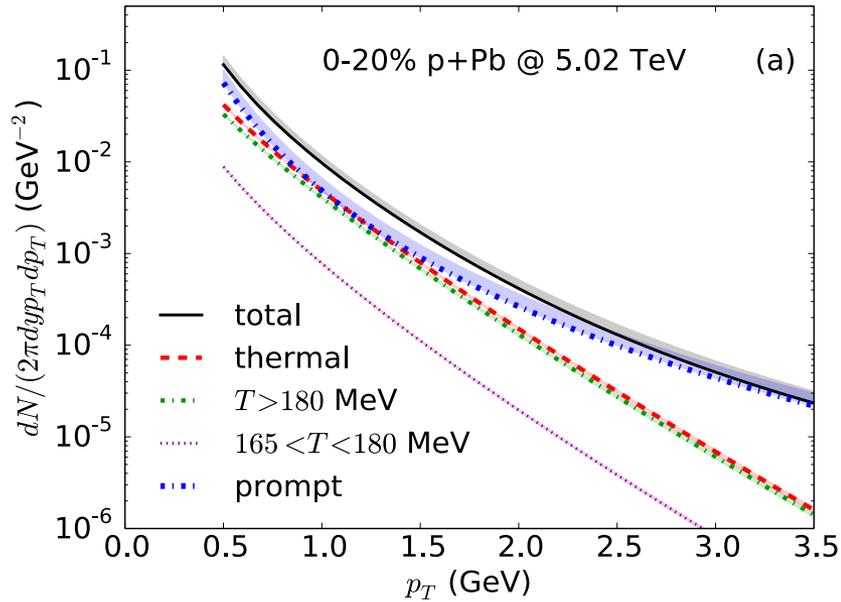


- For minimum bias p+Pb collisions, thermal photons are suppressed w.r.t. prompt photons, but are still visible in the total yield
- Prompt photons: NLO pQCD
- There is however a clear photon elliptic flow, and a photon triangular flow



# Photon results

0-20%

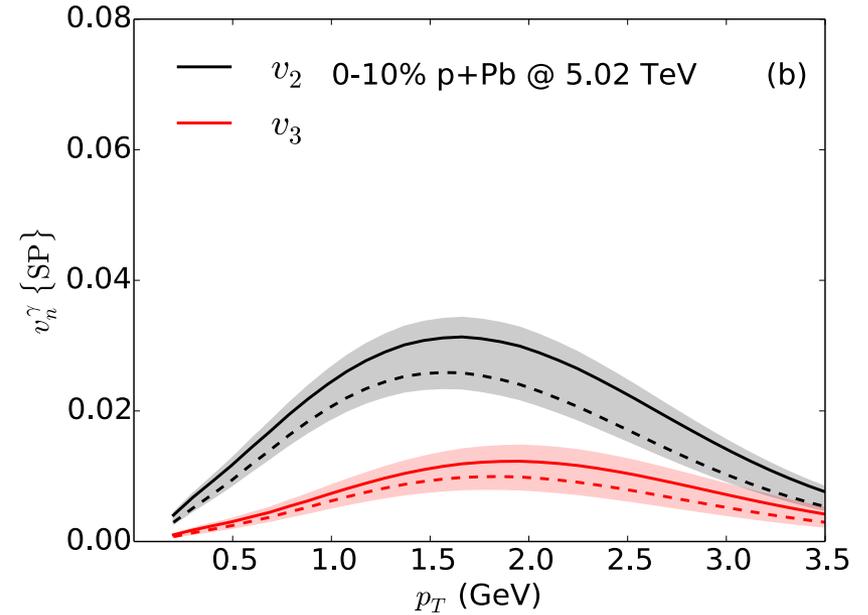
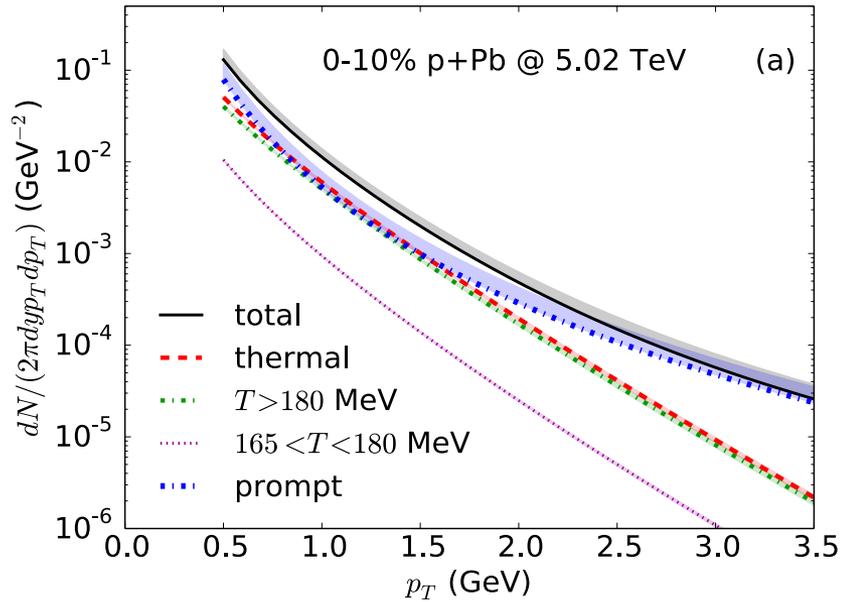


- In the 0-20% centrality range, the thermal photons compete with the prompt, up to intermediate  $p_T$
- Larger elliptic and triangular flows



# Photon results

0-10%

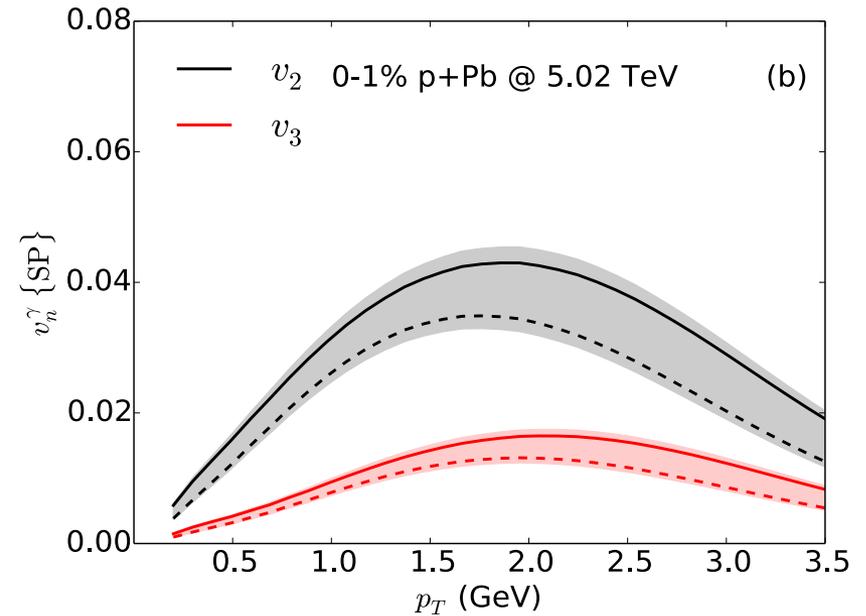
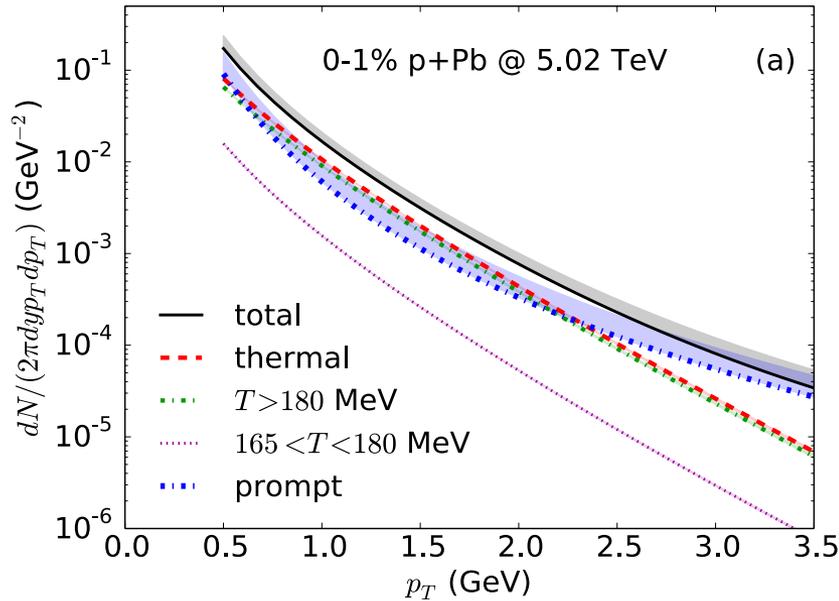


- In the 0-10% centrality range, the thermal photons compete with the prompt, up to intermediate  $p_T$
- Larger elliptic and triangular flows



# Photon results

0-1%

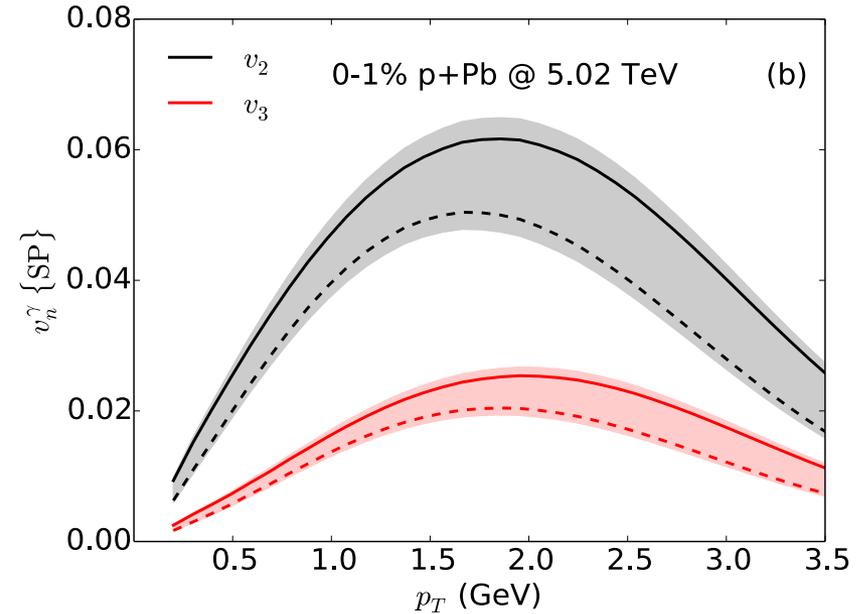
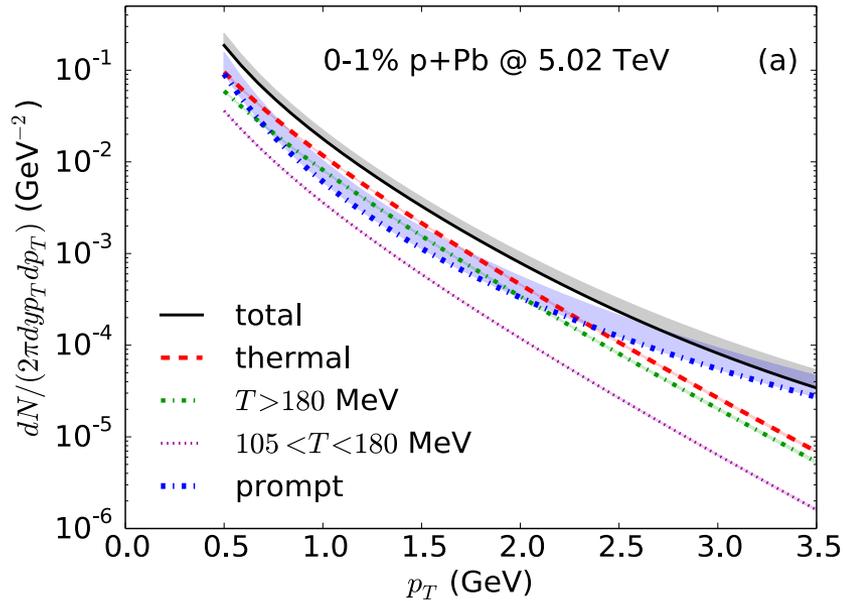


- In the 0-1% centrality range, a clear thermal photon signal over the prompt photon contribution; a factor of 3 @ 1.5 GeV
- There is a clear photon elliptic flow, and a photon triangular flow
- $T_{\text{dec}}$  is kept high: arguably even a lower limit to the thermal contributions



# Photon results

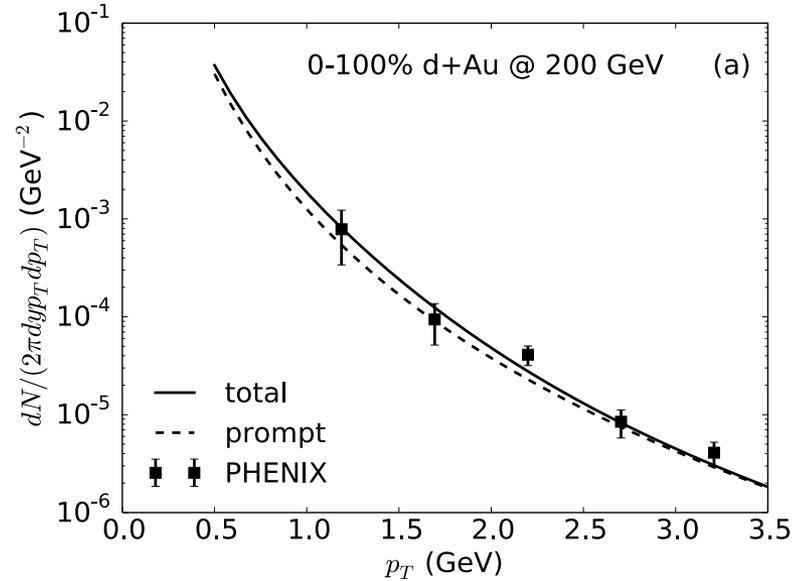
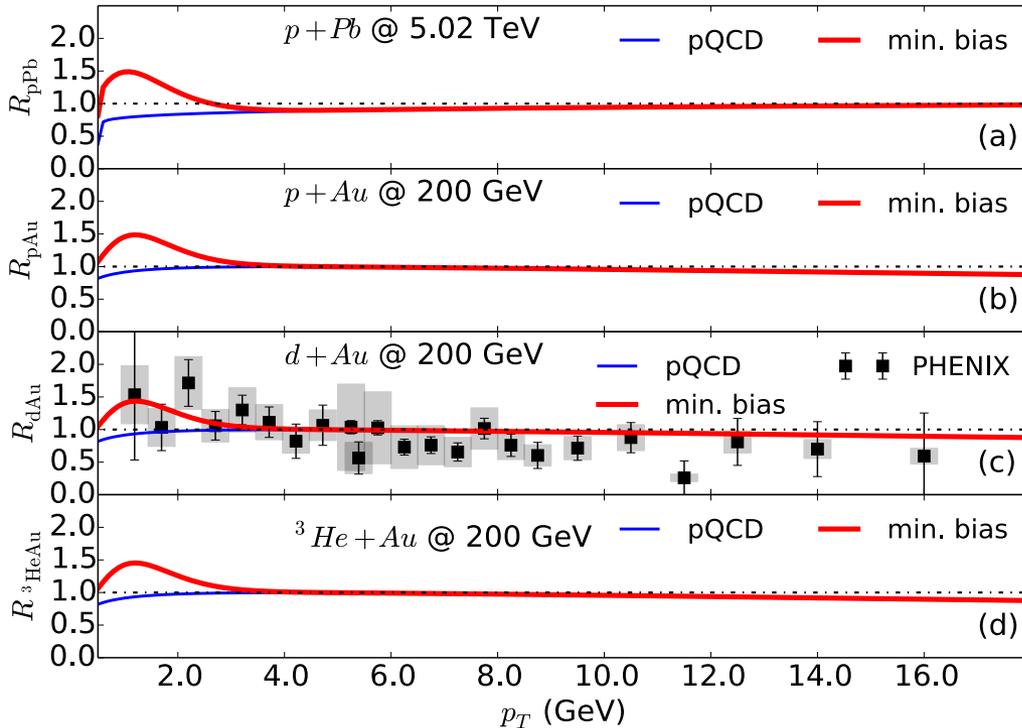
0-1%



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- There is a clear photon elliptic flow, and a photon triangular flow
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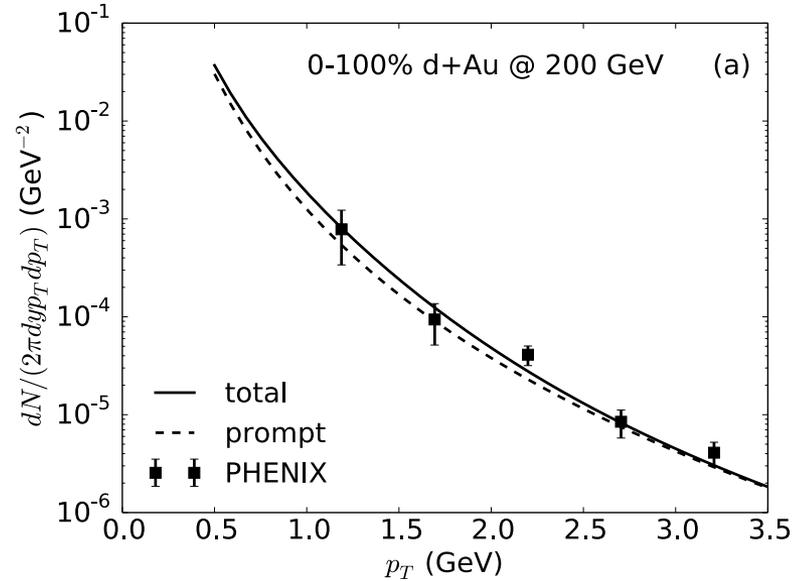
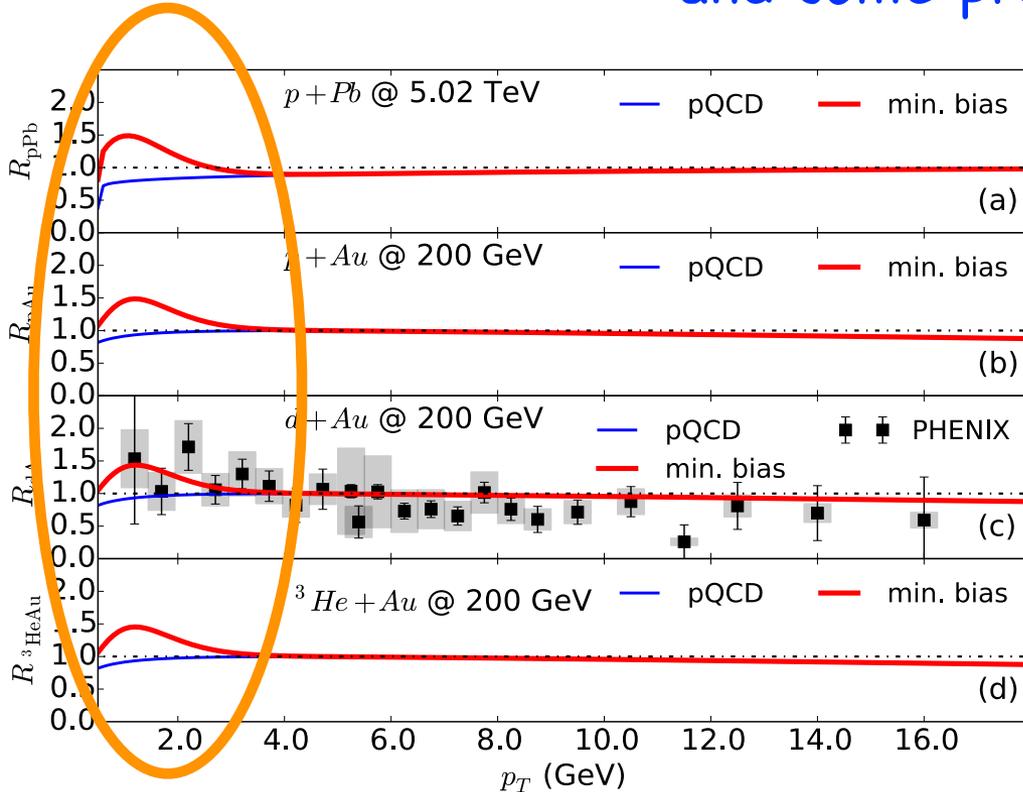
# Comparing against what is currently known, and some predictions



- Thermal radiation can leave a measurable imprint even on min. bias  $R_{pPb}^\gamma$
- An additional empirical support to the existence of a medium with collectivity features



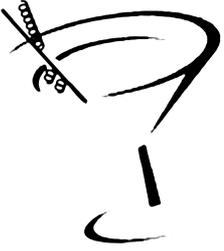
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- An additional empirical support to the existence of a medium with collectivity features



# Jets in the pA medium?

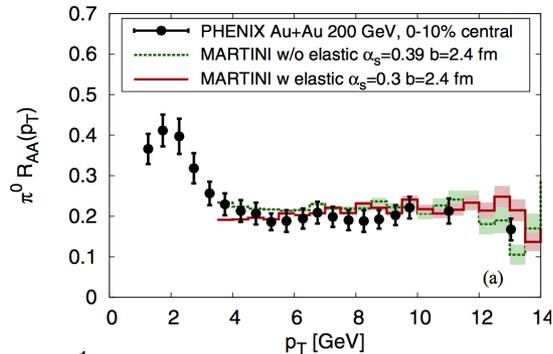


Martini: Combines PYTHIA, MUSIC (relativistic viscous hydro, jet-medium interaction (inelastic & elastic, AMY)). Modular.

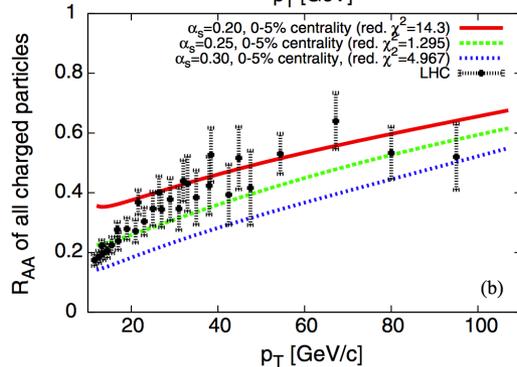
Schenke *et al.*, PRC (2009)

## Running $\alpha_s$ , finite-size effects

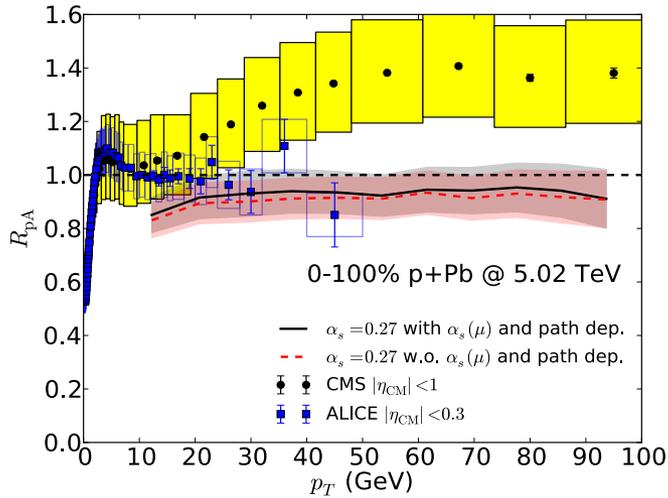
Caron-Huot, Gale, PRC (2010)



Burke *et al.*, PRC (2014)



# Jets in the pA medium? Here, charged hadrons

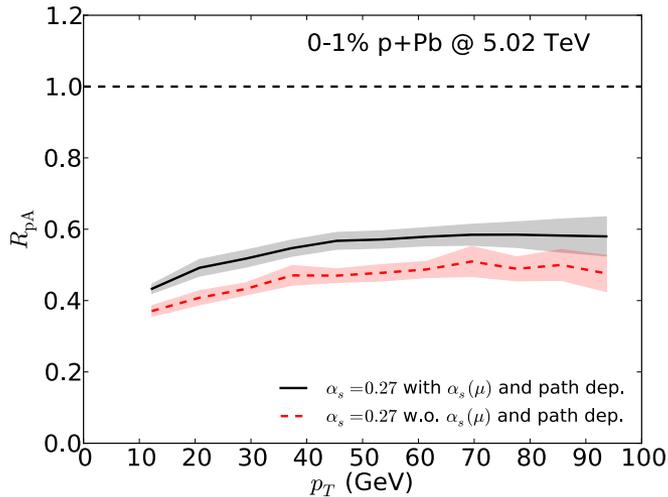
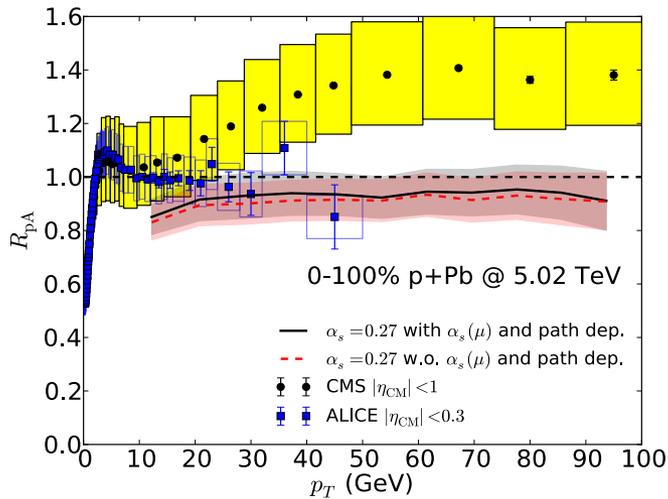


- Situation in min. bias pA clearly sensitive to the value of  $\alpha_s$
- Some possibility of suppression @ ~10-20 GeV, but data mostly 1



# Jets in the pA medium?

## Here, charged hadrons



- Situation in min. bias pA clearly sensitive to the value of  $\alpha_s$
- Some possibility of suppression @ ~10-20 GeV, but data mostly 1

- A large(r) effect in central collisions
- Enhanced sensitivity to physical conditions and model characteristics (medium size and granularity)
- Much more to do:  $y$ , jet  $R_{pA}$ ...
- A clear manifestation of the medium in pA collisions



# Conclusions

- pA/dA/HeA systems explore the limits of fluid dynamical modelling
- Ideal to study non-equilibrium features
- Photons in pA collisions offer the opportunity to confirm fluid behaviour in small systems
- Photon yield and flow (elliptic & triangular) large in central collisions
  - Much to explore (jet-medium photons, photon-hadron correlations...)
- pA systems do offer a medium for QCD jets to interact
  - Next, jet reconstruction
- High centrality measurements are/will be revealing; even min bias data still contains signature for photons, some for hadrons





$$|\delta f| / f_0$$

