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Lattice QCD simulations on physical point* show:

- J/ψ and η_c stable beyond phase transition temperature (T_c) RPD91 (2015) 5,054503
- Other mesons with up/down, strange and charmed flavors modified at T_c
- Chiral symmetries restored at T_c , whereas $U_A(1)$ not at T_c

Abstract

Thermal modifications of meson states and restorations of broken symmetries are studied from spatial correlation functions in (2+1)-flavor lattice QCD. We focus on the meson correlation functions which consist of up/down, strange and charmed flavors and show a direct signal of thermal modifications of meson spectral functions and degeneracies of parity-partner meson states. Results of lattice QCD simulations are shown above. Moreover we find that a modification pattern of π , K and D mesons is very similar below T_c , whereas a clear flavor dependence appears above T_c . The broken $U_A(1)$ symmetry is effectively restored only above $1.6T_c$.



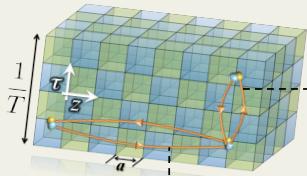
Modifications of hadrons
sequential melting of quarkonium and open-flavors
e.g.) J/ψ suppression Matsui and Satz (1986)

Thermal fluctuation in QCD causes:

Restorations of broken symmetries
restored pattern of chiral and $U_A(1)$ symmetries
the nature of phase transition Pisarski and Wilczek (1984)



Hadronic excitation on lattice at finite temperature



Temporal correlation function can describe ground state at large τ :

$$G^T(\tau, T) = \int d^3x \langle J_H^\dagger(0, 0) J_H(\tau, \mathbf{x}) \rangle \xrightarrow{\tau \rightarrow \infty} A e^{-m_0 \tau} \quad \dots \text{difficult due to the limitation } \tau < T$$

Spatial correlation function characterizes **screening mass** $M(T)$ and has no limitation to spatial direction:

$$G^S(z, T) = \int_0^{1/T} d\tau \int dxdy \langle J_H^\dagger(0, 0) J_H(\tau, \mathbf{x}) \rangle \xrightarrow{z \rightarrow \infty} A e^{-M(T)z} \quad \dots \text{more sensitive to in-medium modification}$$

Limiting case: at low T , bound state $M(T) \sim m_0$, whereas at $T \rightarrow \infty$, free quark-antiquark pair: $M(T) = \sqrt{m_q^2 + (\pi T)^2}$

Modifications of meson states

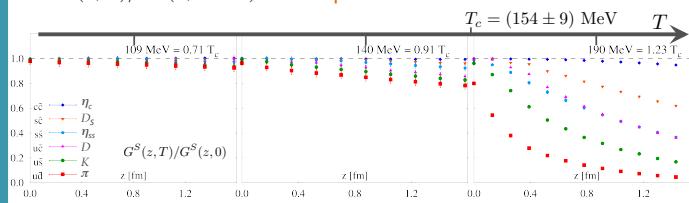
Spectral function σ can describe modification of meson states:

$$G^T(\tau, T) = \int_0^\infty d\omega \frac{\cosh(\omega(\tau - 1/2T))}{\sinh(\omega/2T)} \sigma(\omega, T) \quad \text{e.g.) MEM}$$

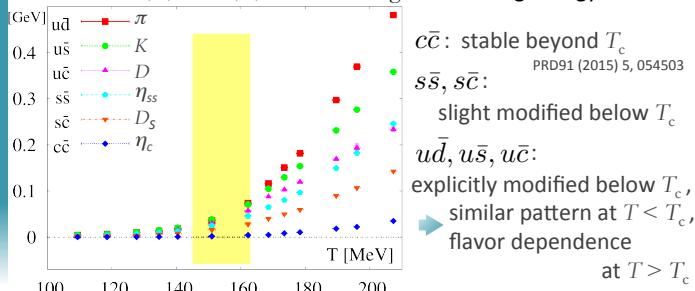
$$G^S(z, T) = \int_0^\infty \frac{2d\omega}{\omega} \int_{-\infty}^\infty dp_z e^{ip_z z} \sigma(\omega, p_z, T)$$

NO T dependence in Kernel:

$G^S(z, T)/G^S(z, 0)$: Direct probe of thermal modification σ

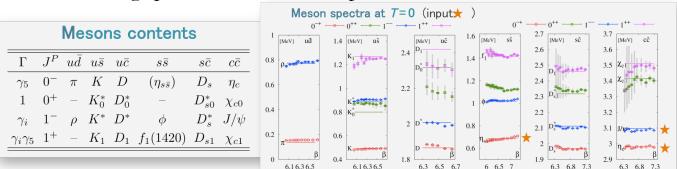


$\Delta M(T) = M(T) - m_0 \sim$ change of "binding energy"



*Lattice setup

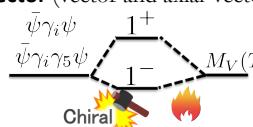
- (2+1)-flavor QCD with Highly Improved Staggered Quarks action
- m_s : physical, $m_l/m_s = 1/20$ ($m_\pi \sim 160$ MeV), charm quenched
- $N_\tau = 8, 10, 12$ keeping $N_s/N_\tau = 4 \rightarrow$ Continuum limit
- Calculating quark-line connected part of meson correlators



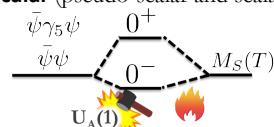
Restorations of broken symmetries

Parity partners of mesons are split due to broken symmetries:

Vector (vector and axial-vector)



Scalar (pseudo-scalar and scalar)



Degeneracy of parity partners: indicator of symmetry restorations

