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#### Thermal Transport of the Solar Captured Dark Matter and its Impact on the Indirect Dark Matter Search

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in collaboration with

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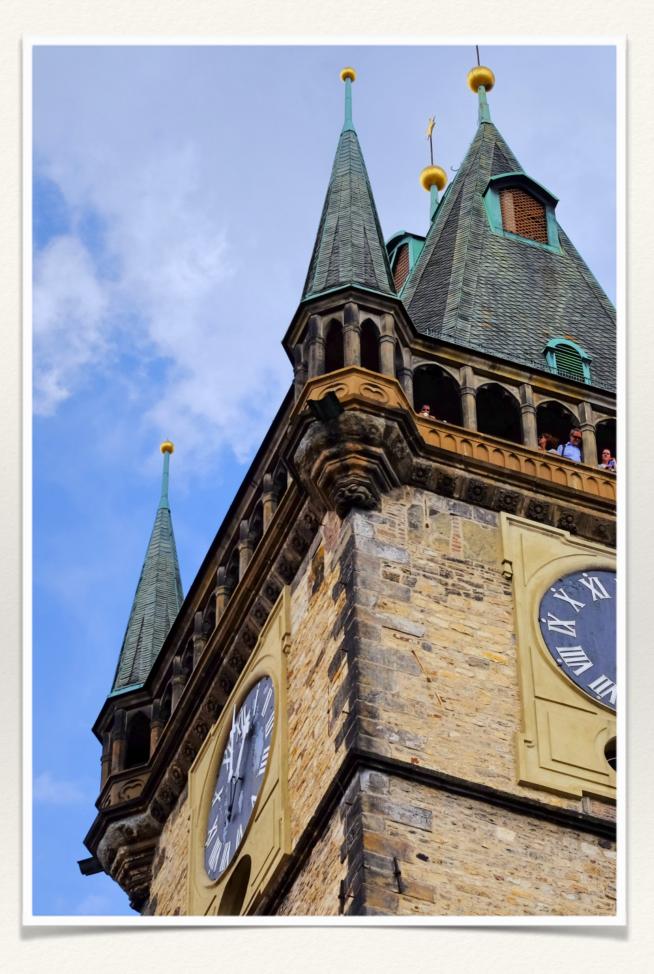
# Outline

- \* Motivations
- \* How does thermal energy transport?
- \* Dark matter (DM) evolution and thermal transport
- Physical implications and its impact on indirect search
- Summary

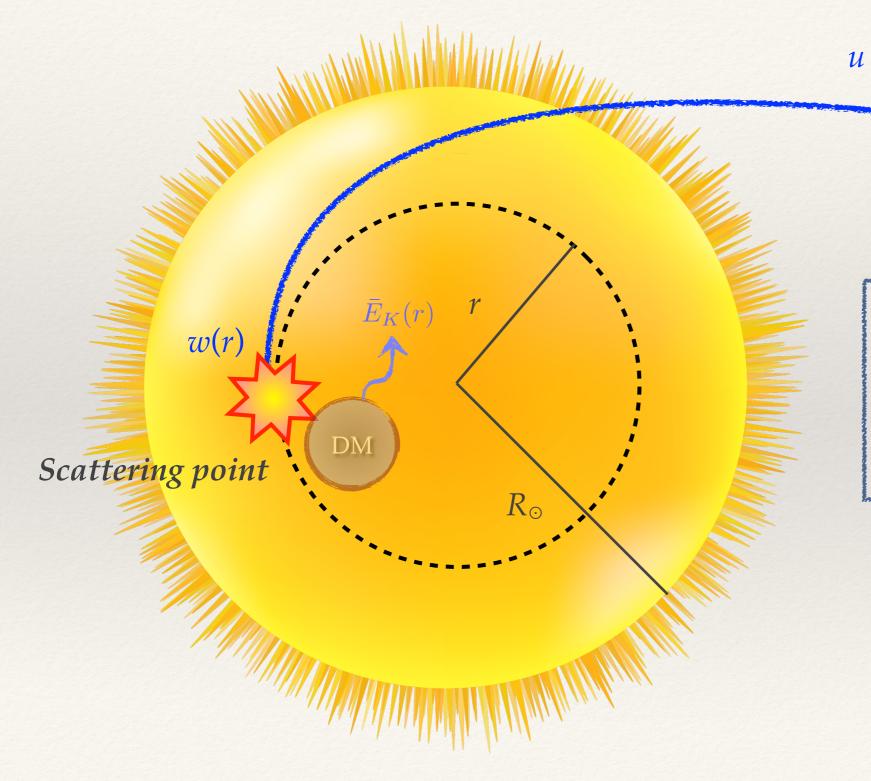
# Motivations

- Recent studies suggest that DM is not collisionless
- \* The DM temperature,  $T_{\chi}$ , is not necessarily to be the same as the core temperature of the Sun,  $T_c$
- \* Thermal energy can exchange between DM-DM and DM-nucleus or even dissipates through annihilation
- \* For much weaker  $\sigma_{\chi p}$ , the thermal energy exchange between DM-nucleus is less efficient
- \* In such case,  $T_{\chi}$  can be distinct from  $T_c$  eventually
- \* As a consequence, it may alter the DM annihilation rate

# How does thermal energy transport?



# Energy flow via capture



The capture could be due to scattering with *nucleus* or *DM themselves* 

DM

*u*: DM velocity in the halo *w*(*r*): DM velocity when
arrives at layer *r* in the Sun

# DM kinetics after scattering

- \* When DM reaches layer *r* in the Sun, it carries velocity  $w = \sqrt{u^2 + v_{\text{esc}}^2(r)}$
- Thus, the average DM kinetic energy after scattering with nucleus is given by

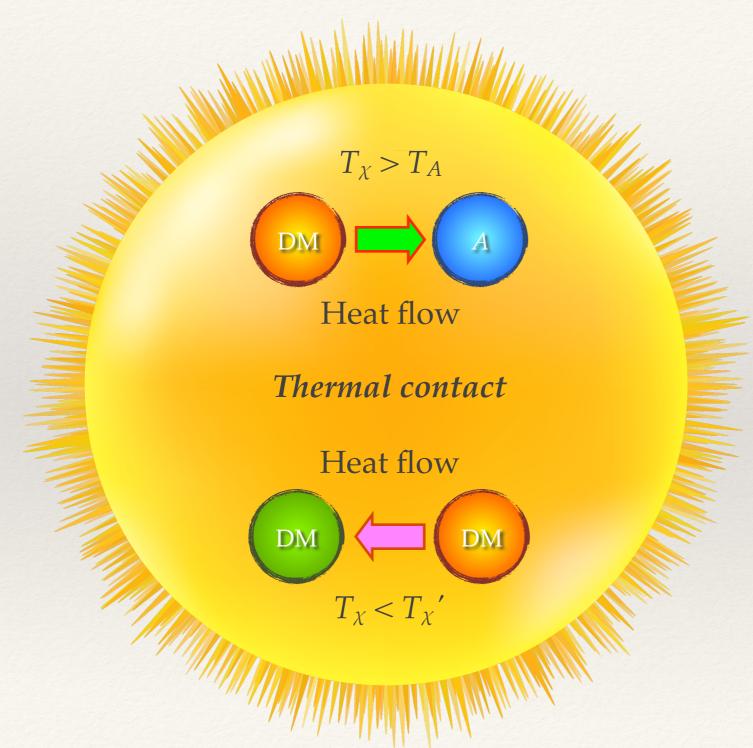
$$\bar{E}_K(r) = \frac{m_{\chi}}{4} \left(\frac{m_{\chi} - m_A}{m_{\chi} + m_A}\right)^2 u^2 + \frac{m_{\chi}}{2} \frac{m_{\chi}^2 + m_A^2}{(m_{\chi} + m_A)^2} v_{\rm esc}^2(r)$$

\* However, the scattering among DM themselves gives

$$\bar{E}_K(r) = \frac{1}{4}m_\chi v_{\rm esc}^2(r)$$

\*  $m_A$  is the nucleus mass of element A in the Sun

# Energy flow via thermal contact



Thermal contact via *DM and nucleus A* 

Thermal contact via DM *themselves* 

[1] D. N. Spergel and W. H. Press, Astrophys. J. 294, 663 (1985)

### Mean collision time

- \* The mean collision time is used to determine which one reaches thermal equilibrium earlier, DM-DM or DM-nucleus
- \* Thereupon, by  $\tau \sim 1/(n\sigma v)$  we have

$$\begin{cases} \tau_{\chi\chi}(t) \simeq \frac{V_{\odot}}{N_{\chi}(t)\sigma_{\chi\chi}v}, & \text{for DM-DM} \\ \tau_{\chi\odot} \simeq \frac{V_{\odot}}{\sum_{i}N_{i}\sigma_{\chi A_{i}}v}, & \text{for DM-nucleus} \end{cases}$$

\* Suppose the time scale for DM to reach thermal equilibrium is  $t = \tau_{\chi}^{eq}$ , we have

$$\tau_{\chi}^{\mathrm{eq}} \simeq \tau_{\chi\chi}(\tau_{\chi}^{\mathrm{eq}}) = \frac{V_{\odot}}{N_{\chi}(\tau_{\chi}^{\mathrm{eq}})\sigma_{\chi\chi}v}$$

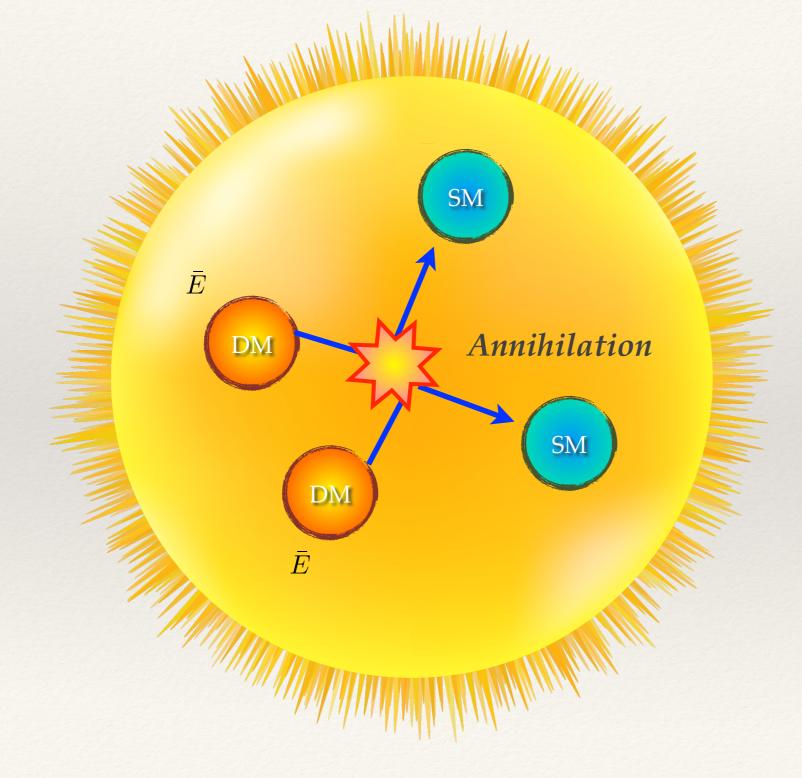
# Thermal equilibrium time scale

- \* Assuming when DM reaches its own thermal equilibrium,  $N_{\chi}$  is still its early stage of accumulation
- \* In other words, the capture by DM-nucleus scattering is dominant,  $N_{\chi} \approx C_c t$
- \* By such assumption, we can define the ratio *r*

$$r \equiv \frac{\tau_{\chi}^{\rm eq}}{\tau_{\chi\odot}} \simeq 10^9 \sqrt{\frac{\sigma_{\chi p}}{\sigma_{\chi\chi}}}$$

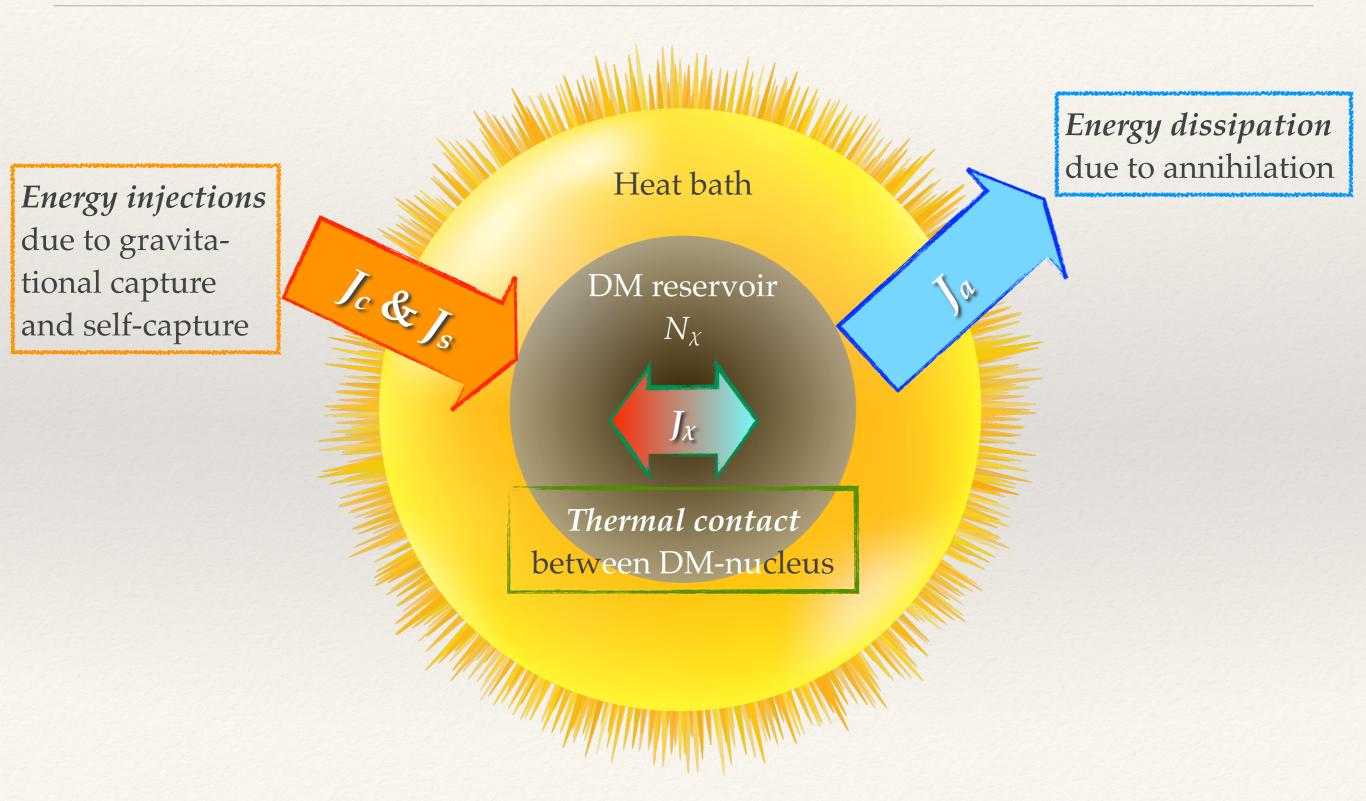
- For *r* < 1, DMs will reach their own thermal equilibrium quicker than with the solar medium</li>
- \* Thus it is sufficient to just consider the thermal contact between DM and nucleus after  $t = \tau_{\chi}^{eq}$

# Energy dissipation via annihilation



Annihilation takes DM away and transports them into the final SM products

# Defining physical quantities





### DM evolution process and thermal exchange



### DM evolution in the Sun

\* The common DM evolution equation:

$$\frac{dN_{\chi}}{dt} = C_c + C_s N_{\chi} - C_a N_{\chi}^2$$

\* Additionally,  $N_{\chi}$  contributes to the total energy evolving as well. Thus, we have the energy evolution equation:

$$\frac{d(N_{\chi}\bar{E})}{dt} = J_c + (J_{\chi} + J_s)N_{\chi} - J_a N_{\chi}^2$$

$$\bar{E} = \frac{s}{2} k_B T_{\chi}(t)$$

\*  $T_{\chi}(t)$  is the average DM temperature and *s* denotes the d.o.f. of DM. We take *s* = 3 for subsequent discussions

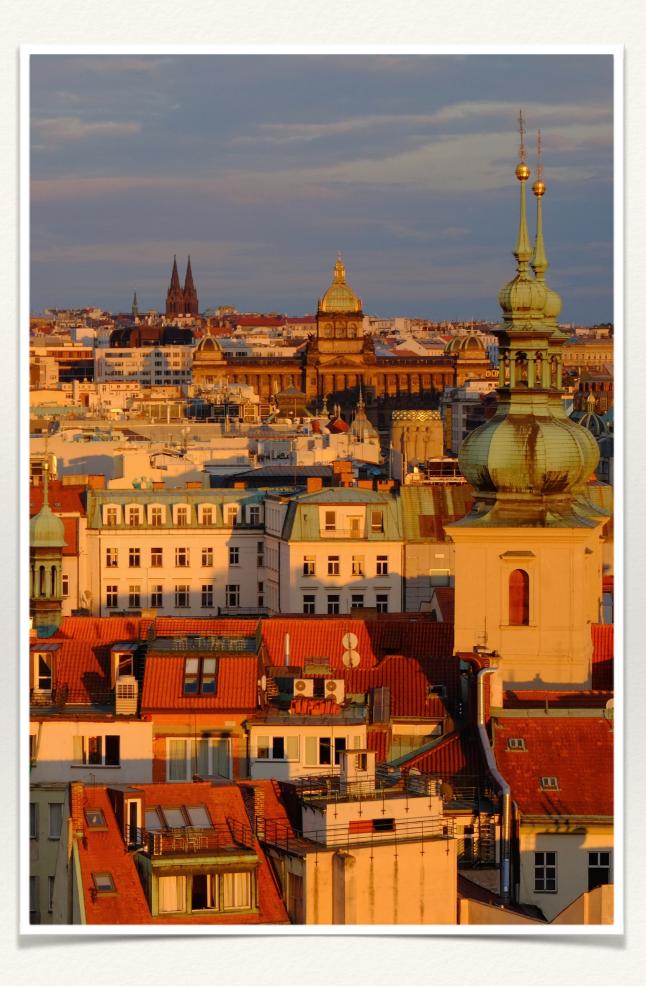
# $T_{\chi}$ -dependent quantity in $dN_{\chi}/dt$

\* The two differential equations are mutual dependent since  $C_a$  is  $T_{\chi}$ -dependent<sup>[2]</sup>

$$C_a = \frac{\langle \sigma v \rangle V_2}{V_1^2} \qquad V_j \propto \left(\frac{T_{\chi}}{T_c} \frac{10 \text{ GeV}}{jm_{\chi}}\right)^{3/2} \quad j = 1, 2$$

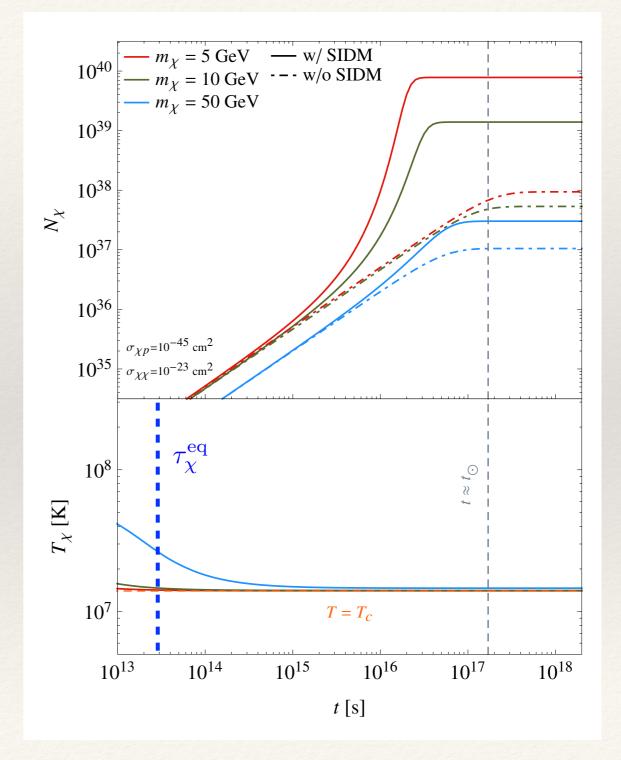
- \* How  $T_{\chi}$  evolving will affect  $N_{\chi}$  accumulation and then feedback to  $T_{\chi}$  itself
- \* The factors  $J_{c,s,\chi,a}$  are all  $T_{\chi}$ -dependent

### Physical implications



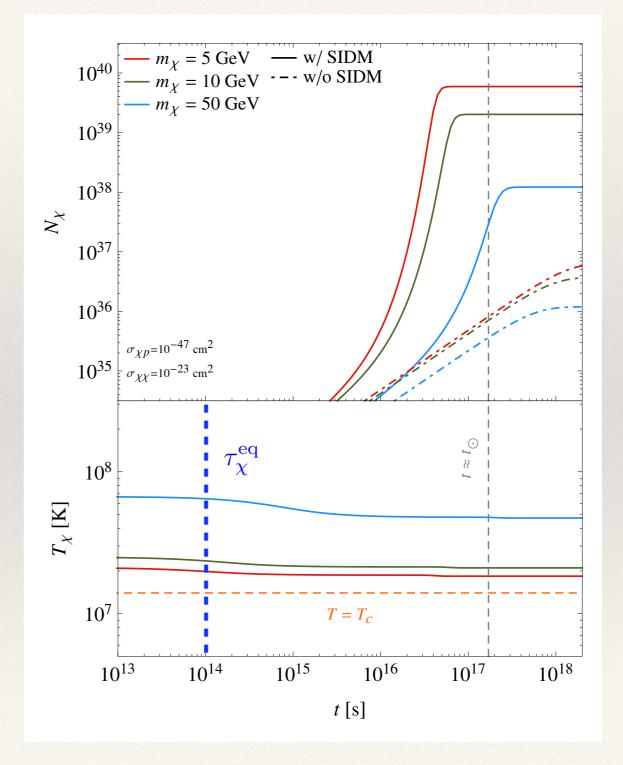
# $N_{\chi}$ and $T_{\chi}$ evolutions: Stronger $\sigma_{\chi p}$

- \*  $r \sim 0.01$  for  $(\sigma_{\chi p}, \sigma_{\chi \chi}) = (10^{-45}, 10^{-23})$ cm<sup>2</sup>
- \* Although  $J_c$  and  $J_s N_{\chi}$  transport energy into the DM reservoir, the thermal contact  $J_{\chi}N_{\chi}$  makes the heat out of the reservoir due to larger  $\sigma_{\chi p}$  as well as the  $J_a N_{\chi}^2$
- \* Eventually  $T_{\chi}$  will be balanced by the Sun with the core temperature  $T_c$



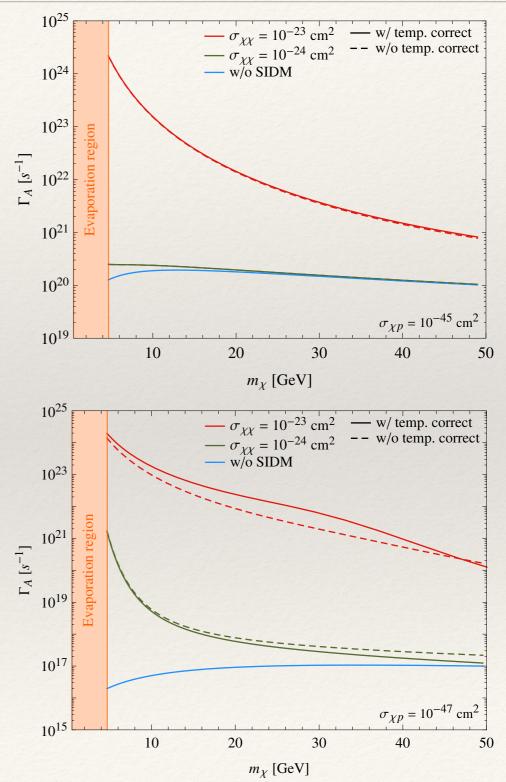
# $N_{\chi}$ and $T_{\chi}$ evolutions: Weaker $\sigma_{\chi p}$

- \*  $r \sim 10^{-4}$  for  $(\sigma_{\chi p}, \sigma_{\chi \chi}) = (10^{-47}, 10^{-23})$ cm<sup>2</sup>
- In such case, the energy injection
   via J<sub>c</sub> and J<sub>s</sub> can overcome the
   dissipation due to J<sub>χ</sub> and J<sub>a</sub>
- Moreover, energy injects to the DM reservoir constantly and makes them form their own thermal system
- \* The  $T_{\chi}$  is distinct from  $T_c$  in this case



### The total annihilation rate $\Gamma_A$

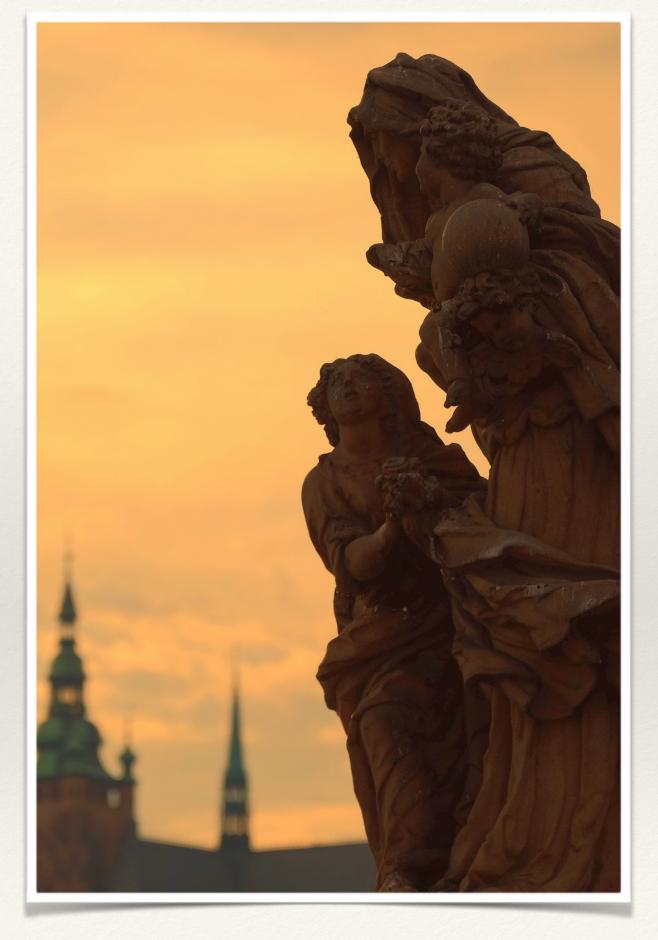
- \* The total annihilation rate  $\Gamma_A = \frac{1}{2} C_a N_{\chi}^2$
- \* Since  $C_a \propto T_{\chi}^{-1.5}$ , larger  $T_{\chi}$  makes smaller  $C_a$ .
- \* However, smaller  $C_a$  leads to more  $N_{\chi}$ accumulation once  $dN_{\chi}/dt = 0$  is attained<sup>[3]</sup>
- \* When  $N_{\chi^2}$  increment can overcome the  $C_a$ suppression, we have larger  $\Gamma_A$  compares to those without temperature correction
- \* For some cases,  $dN_{\chi}/dt = 0$  does not attain at current epoch. It makes the corresponding  $\Gamma_A$  smaller than those without temperature correction



[3] C.-S. Chen et al., JCAP 10, 049 (2014)



### Summary



# To summarize so far...

- The DM temperature does not necessarily equal to the Sun's core temperature for collisional DM
- \* As a consequence of  $\tau_{\chi}^{eq} < \tau_{\chi\odot}$ , DM reaches thermal equilibrium before it starts thermal exchange with the solar nucleus efficiently
- \* If  $\sigma_{\chi p}$  is small enough, eventually DM will have its own temperature inside the Sun regardless of  $T_c$
- \* For more accurate prediction on the DM signal, the temperature correction factor should be considered