

# Constraining new physics in the Higgs sector using differential and fiducial cross section measurements from the LHC.



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## Introduction

Two goals for this talk:

- i. Tell you about **Hype** – a statistical tool that makes it easy to perform hypothesis tests with unfolded distributions.
- ii. Advertise such tests for **fiducial Higgs cross section measurements** performed at the LHC.

*To that end:* show you **three** results obtained using **LHC Run 1 data**:

- 1  $\mu$  determination
- 2  $\kappa$  framework both from  $H \rightarrow \gamma\gamma$  and  $H \rightarrow 4\ell$  cross sections
- 3 Confront LHC  $H \rightarrow \gamma\gamma$  measurements with **Spin 2** models

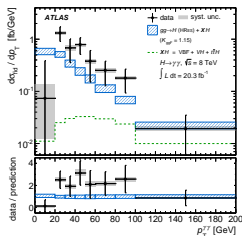
## Fiducial measurements of the H(125) Higgs

Fiducial measurements are carried out **close to experimental region**.

→ **minimizes extrapolation** of regions of phase space that are not actually measured.

**Two** sets of **fiducial** Higgs Boson cross sections from **ATLAS**.

[JHEP09(2014)112] [Physics Letters B 738 (2014) 234-253] similar results from CMS are in preparation



Higgs  $p_T^{\gamma\gamma}$  spectrum

Measured channels:  $H \rightarrow \gamma\gamma$  and  $H \rightarrow 4\ell$

Assumptions: Existence of narrow resonance at  $m_H = 125.4$  GeV.

→ Measured yields unfolded to **particle level**.

→ Available on **HepData**:

<http://hepdata.cedar.ac.uk/view/ins1306615>

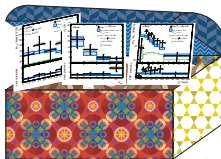
### 1 Minimal *underlying* physics dependence

unfolding into truth fiducial region closely related to measured fiducial selection

### 2 Full set of *systematic* bin-by-bin correlations

Ok – so do you want to get hyped?

Treasure chest for *theorists and phenomenologists*:



Do you have a new physics model and it impacts kinematics in the Higgs sector? Why not test it! Do you want to know how well certain dim-6 operator hold up against the measurements? Want to do your own Spin test?

→ **Hype – (Hyp)othesis (e)valuator for unfolded distributions**



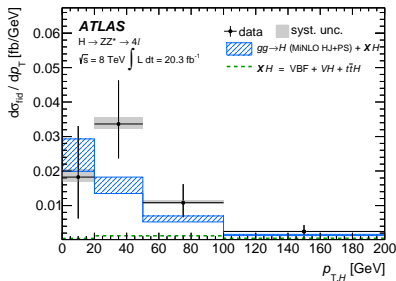
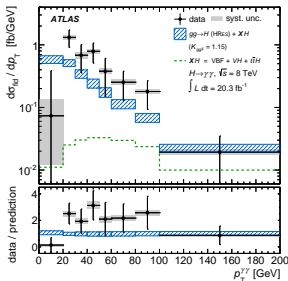
Features:

- i. **Easily** perform hypothesis tests between two or more hypotheses
- ii. Plug-ins:  $\mu$  and  $\kappa$ -type scans
- iii. Direct import of **Hep-Data** measurements
- iv. Easy to **interface custom code**
- v. For hypothesis tests: automatically determines number of pseudo-experiments needed

Project home: <https://hype.hepforge.org/>

## Results with Run 1 data: Higgs signal strength $\mu$ fits

Analyze two differential distributions with **Hype** simultaneously:  $p_T^{\gamma\gamma}$  and  $p_T^{4\ell}$



Blue: SM; green: non-ggF contribution

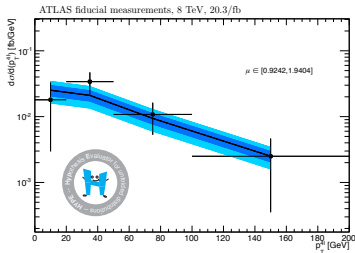
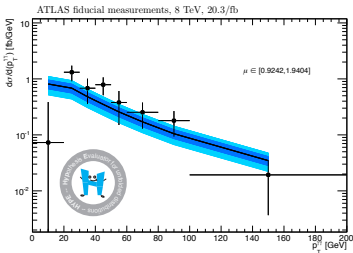
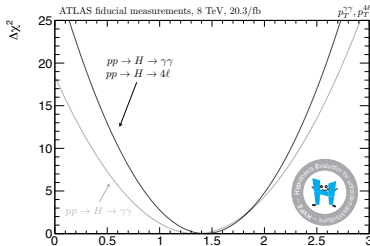
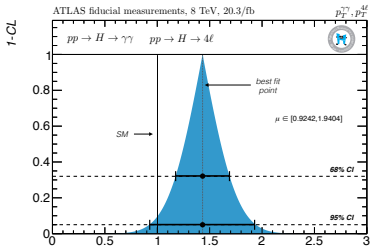
Simplest test:

→ fit 'global' signal strength  $\mu$

or

→ production mode dependent coupling strengths  $\mu_{ggF+ttH}$ ;  $\mu_{VBF+VH}$

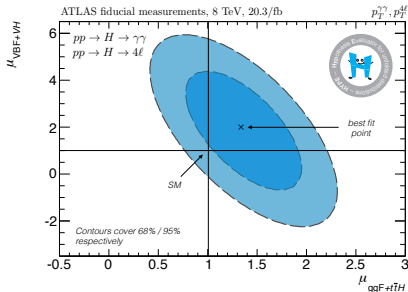
## Results with Run 1 data: $\mu$ fits



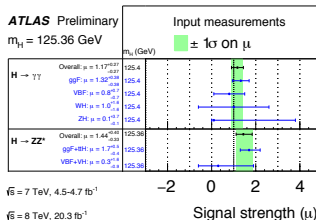
The  $\gamma\gamma$  and  $4\ell$  data favour a larger Higgs boson cross section:

$$\mu = 1.44 \pm 0.26$$

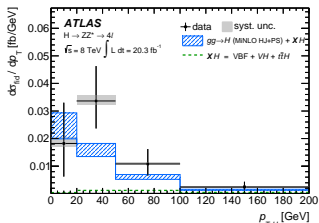
## Results with Run 1 data: $\mu_{\text{ggF}+t\bar{t}H}$ versus $\mu_{\text{VBF}+VH}$



ATLAS Preliminary  
 $m_H = 125.36 \text{ GeV}$



[ATLAS-CONF-2015-007]



Scan result:

$$\mu_{\text{ggF}+t\bar{t}H} = 1.36 \pm 0.39$$

$$\mu_{\text{VBF}+VH} = 1.85 \pm 1.67$$

**Note:** The **Hype results** shown here are based on only on the Higgs  $p_T$  spectrum. This gives a less precise (and larger) VBF component than that from the official coupling fit that has optimized VBF categories.

## Results with Run 1 data: $\kappa$ fits

Slightly more complicated:  $\kappa$  fits

→ Leading order tree-level motivated framework

Basic idea simple: allow modifications of prod. and decay of the Higgs

E.g. for  $gg \rightarrow H \rightarrow \gamma\gamma$  introduce individual couplings for the top loop:

$$\sigma_{gg \rightarrow H} \propto a \kappa_t^2 + b \kappa_b^2 + c \kappa_t \kappa_b$$

$$\mathcal{B}(H \rightarrow \gamma\gamma) \propto (a \kappa_W^2 + b \kappa_t^2 + c \kappa_W \kappa_t) / \Gamma_H(\kappa_i)$$

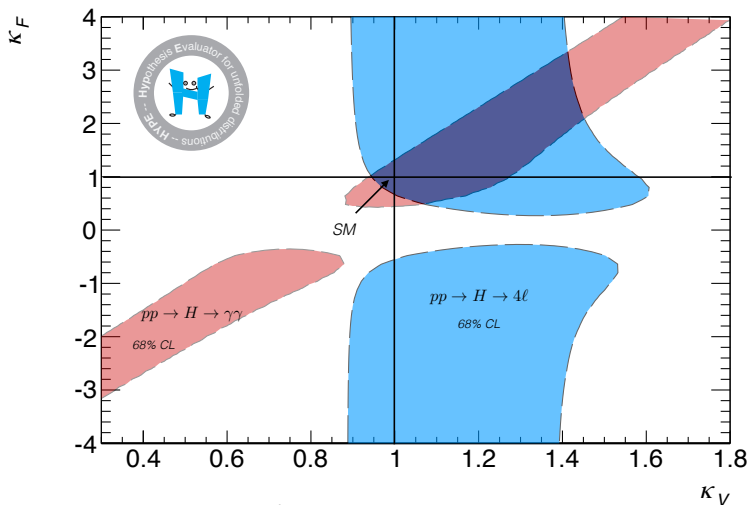
Simplifications possible, e.g. alter couplings to fermions

$\kappa_F = \kappa_t = \kappa_b = \kappa_\tau = \kappa_\mu$  and vector bosons  $\kappa_V = \kappa_Z = \kappa_W$



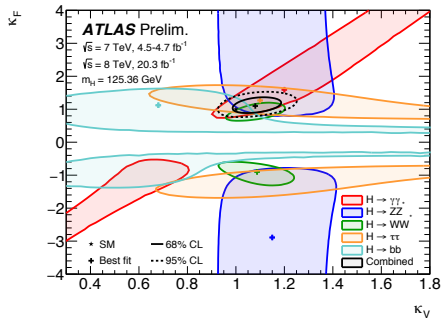
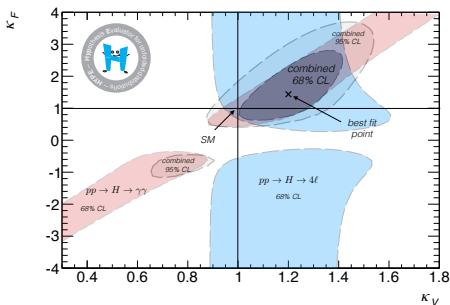
## Results with Run 1 data: $\kappa$ fits

Fit of the Higgs boson's coupling to fermions  $\kappa_F$  and vector bosons  $\kappa_V$ :



Input: ATLAS measurement of  $p_T^{\gamma\gamma}$  and  $p_T^{4\ell}$  in Higgs boson decays + SM predictions (MC + k-factors)

## Results with Run 1 data: $\kappa$ fits



Fairly good agreement with official ATLAS results!

## Results with Run 1 data: Spin 2 tests

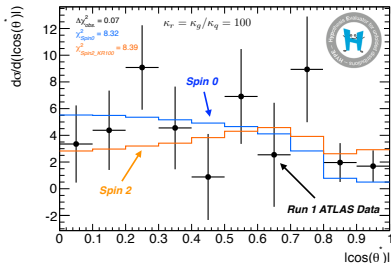
Is the H(125) a Spin 2 imposter? Not a nested Hypothesis as  $\mu$  and  $\kappa$

Zero Hypothesis: SM

Alternative Hypothesis: Spin 2<sup>+</sup> with given set of couplings

Effective Lagrangian of alternative hypothesis: *arXiv:1306.6464v3*

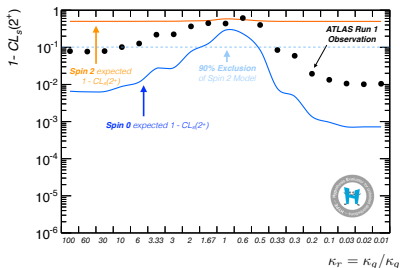
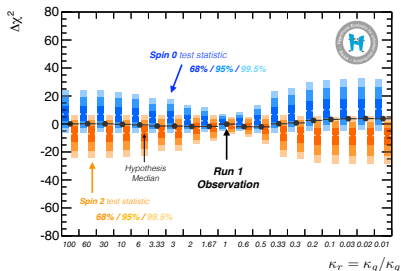
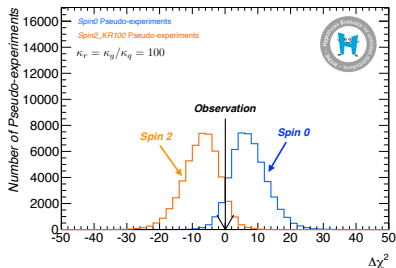
$$\mathcal{L} = -\frac{\kappa}{\Lambda} \sum_{f=q,\ell} \kappa_f T_{\mu\nu}^f X_2^{\mu\nu} - \frac{\kappa}{\Lambda} \sum_{V=Z,W,\gamma,g} \kappa_V T_{\mu\nu}^V X_2^{\mu\nu}$$



Variable sensitive to spin:  $|\cos \theta^*|$

**Hype** generates pseudo-experiment ensembles to calculate test statistic distributions for  $CL_s$  test.

## Results with Run 1 data: Spin 2 tests



Can convert this into a limit of  $\kappa_r \in [0.33, 10]$  90%  $CL_s$

Much of param. space excluded at 90%

All results shown here are based on only  $|\cos \theta^*|$  distribution. Significant improvement in sensitivity if one also would include  $p_T^{\gamma\gamma}$  information.

## Conclusions

Since fiducial/differential measurements are model independent:

- i. Possible to confront with any prediction (data stays the same!)
- ii. Easy to do interpretations, e.g. extract  $\mu$ ,  $\kappa$ , or spin as shown in this talk!

Already with Run 1 data, possible to do tests using more advanced theoretical frameworks:

- i. General EFT tests (LO or NLO)
- ii. Simplified cross-sections

→ Tests would be even more powerful if statistical correlation between distributions were available: can then do simultaneous fits with several distributions.

Also presented you the **Hype** tool: a statistics code that makes it easy to carry out such tests; close to release version 1.0.

Features:

- i. For nested and non-nested Models
- ii. Plug-ins:  $\mu$ ,  $\kappa$ -type scans
- iii. Hep-Data files can be imported
- iv. Easy to interface with custom code
- v. **Includes large set of examples; including how to reproduce all results in this talk**

<https://hype.hepforge.org/>

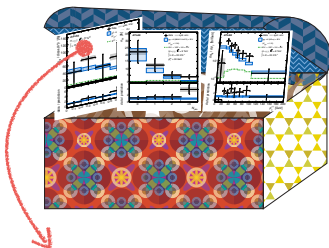


# Backup

# Hyped!?

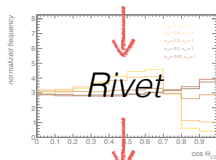
## Flow of a typical Hype analysis:

Measurements



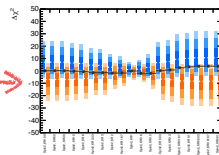
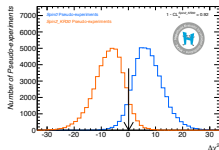
Predictions

(MG5\_)[a]MC@NLO+ PS



```
# Spin0 hypothesis predictions and uncertainty covariance
Spin0.XSec: 4.28232 4.25835 ....
Spin0.XSecUncert: 0.0 0.0 0.0 0.0 0.0 0.0.
Spin0.FullyUncorrelatedUncertainties: 1

# Spin2 hypothesis predictions and uncertainty covariance
Spin2.XSec: 3.04068 3.12015 ....
Spin2.XSecUncert: 0.0 0.0 0.0 0.0 0.0 0.0.
Spin2.FullyUncorrelatedUncertainties: 1
```



## Hypothesis tests

Say, you have two hypothesis: **SM** and **alternative theory**

**Neyman-Pearson Lemma:** Likelihood ratio of both Hypothesis

$$\mathcal{L}_{\text{alt}}/\mathcal{L}_{\text{zero}}$$

most powerful discriminator (called a **test statistic**) you can build.

Applied to binned data:  $-2 \ln(\mathcal{L}_{\text{alt}}/\mathcal{L}_{\text{zero}}) = \chi^2_{\text{alt}} - \chi^2_{\text{zero}} = \Delta\chi^2$  where

$$\chi^2_{\text{hypo}} = (\vec{x}_{\text{data}} - \vec{x}_{\text{hypo}}) C_{\text{hypo}}^{-1} (\vec{x}_{\text{data}} - \vec{x}_{\text{hypo}}) .$$

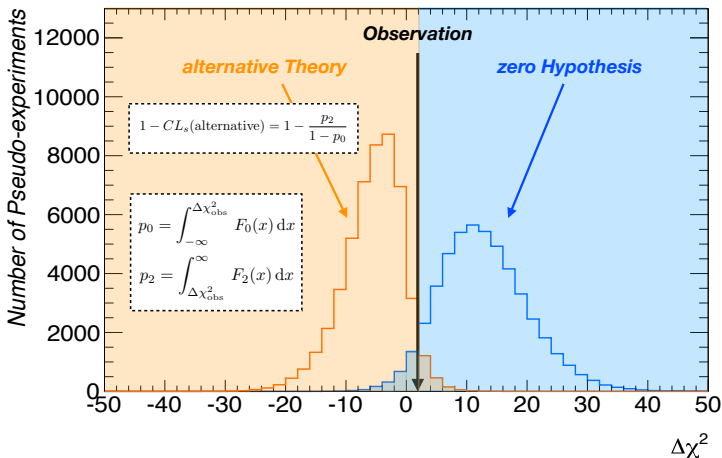
To interpret an observed value of  $\Delta\chi^2$  in data:

- \* Need to know how test statistic is distributed given either **zero** or **alternative** theory is the true underlying theory.
- \* Can be done using Monte Carlo Method with **pseudo-experiments**



## Used Test Statistic and $CL_s(\text{alternative})$

Example test statistic distribution for **zero** and **alternative** hypothesis:



**Hype** automatically determines needed number of pseudo-experiments to achieve numerical accuracy depending on the observation.

## The Hype Approach to Pseudo-Experiments

Besides this normal implementation, **Hype** has a fast toy option:

$$\chi^2_{\text{hypo}} = (\vec{x}_{\text{data}} - \vec{x}_{\text{hypo}}) \mathbf{C}^{-1} (\vec{x}_{\text{data}} - \vec{x}_{\text{hypo}}) .$$

This option makes use of the asymptotic behaviour of  $\Delta\chi^2$

- \* Reduces the problem of generating pseudo-experiments with  $N$  bins to the **two or more relevant degrees of freedom**
- Cross terms cancelation in  $\Delta\chi^2$ ; **given fixed normalization test statistic normal distributed.**
- \* Breaks down when floating normalization:  $\vec{x}_{\text{hypo}} \rightarrow \mu_{\text{hypo}} \cdot \vec{x}_{\text{hypo}}$
- Problem now non-linear, normalization depends on pseudo-experiment.
- Can be diagonalized in a new set of variables and solved for each pseudo-experiment; leaves only **2 effective degrees of freedom**

Reduces toy-generation effort from **2  $N_{\text{bins}}$  to 4** random numbers.

Can also be generalized for cases where  $\mathbf{C} \rightarrow \mathbf{C}_{\text{hypo}}$ .

With this options it takes **3s** to produce 1M pseudo-experiments.

It is activated automatically when the covariances are identical, and it's accuracy checked on the fly with normal pseudo-experiments.

## Results with Run 1 data: $\kappa$ fits

Partial expressions for  $\kappa_F$  and  $\kappa_V$ :

$$\sigma_{gg \rightarrow H \rightarrow \gamma\gamma}^{\text{SM}} \times \frac{\kappa_F^2 (1.59 \kappa_V^2 + 0.07 \kappa_F^2 - 0.66 \kappa_V \kappa_F)}{0.25 \kappa_V^2 + 0.75 \kappa_F^2}$$

$$\sigma_{\text{VBF}, H \rightarrow \gamma\gamma}^{\text{SM}} \times \frac{\kappa_V^2 (1.59 \kappa_V^2 + 0.07 \kappa_F^2 - 0.66 \kappa_V \kappa_F)}{0.25 \kappa_V^2 + 0.75 \kappa_F^2}$$

$$\sigma_{gg \rightarrow H \rightarrow 4\ell}^{\text{SM}} \times \frac{\kappa_F^2 \kappa_V^2}{0.25 \kappa_V^2 + 0.75 \kappa_F^2}$$

$$\sigma_{\text{VBF}, H \rightarrow 4\ell}^{\text{SM}} \times \frac{\kappa_V^4}{0.25 \kappa_V^2 + 0.75 \kappa_F^2}$$

See [ATLAS-CONF-2015-007] for more information