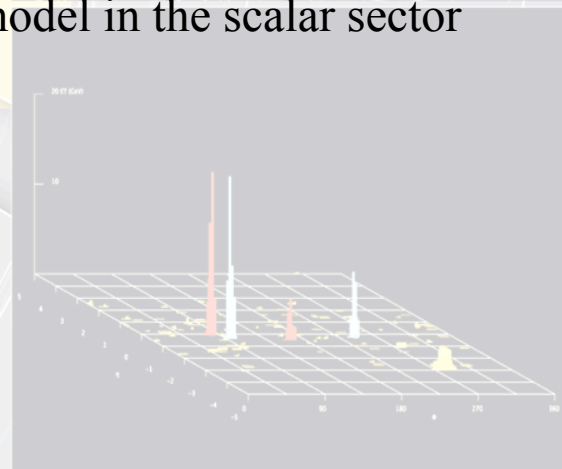
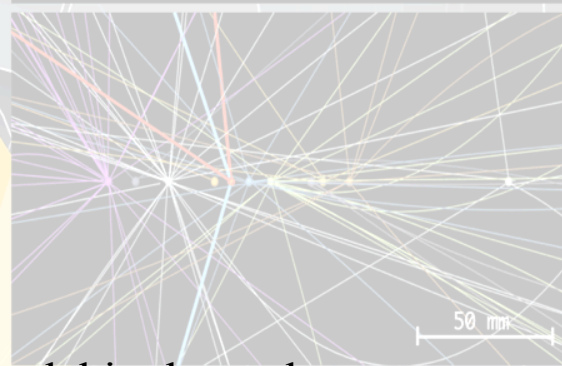
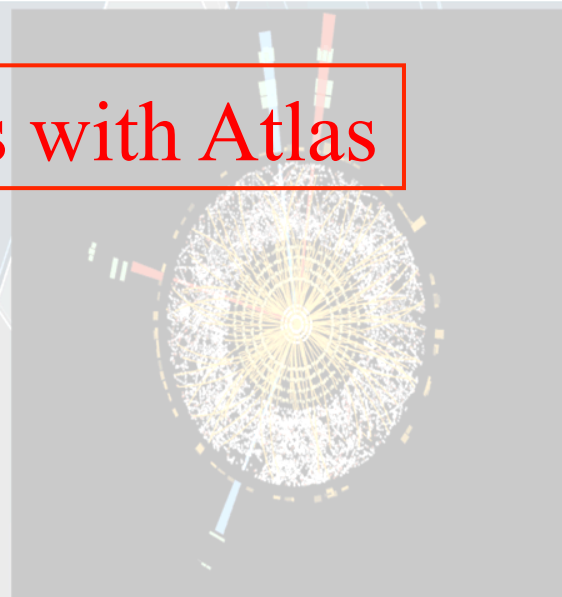


# Selected topics on Higgs physics with Atlas

J.-B. de Vivie (LAL)  
on behalf of the ATLAS collaboration

## Outline

- Introduction
- The standard model-like Higgs boson : Run I legacy
- Searching for hints of physics beyond the standard model in the scalar sector
- Conclusions

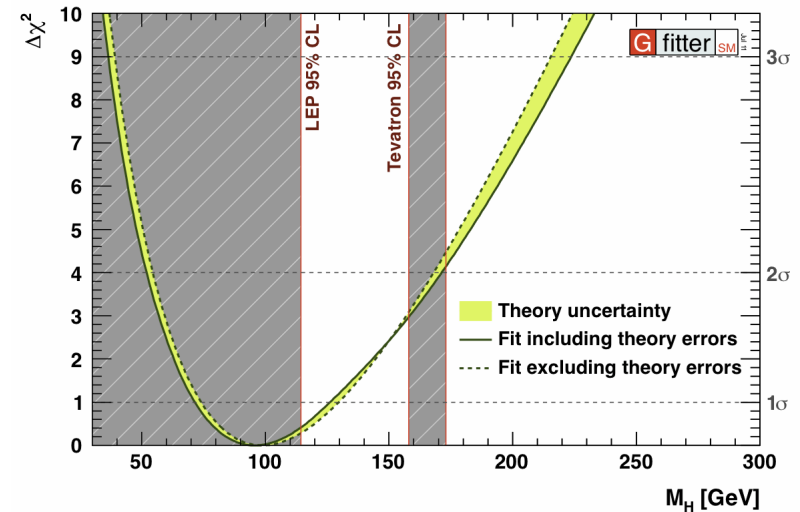
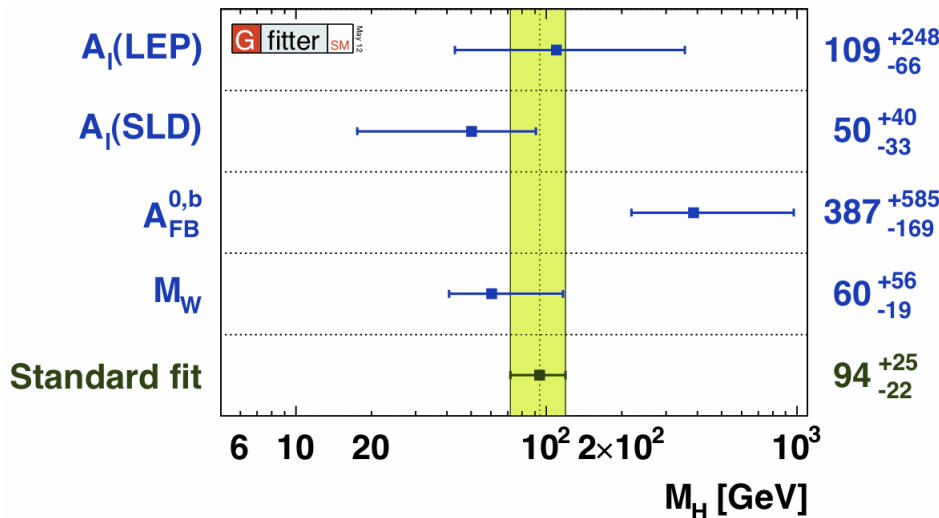


# Introduction

Before 2011... Standard model almost complete but still missed its *Clé de voûte*  
 the **SM Higgs boson  $H_{SM}$**

The least elegant sector of the SM : a scalar particle (not natural),  
 no gauge principle to dictate its dynamic, linked to 15 out of the 19 free parameters  
 and yet it is a mandatory consequence of the mechanism that governs  
 electroweak symmetry breaking

If  $H_{SM}$  exists, most measurements point to a low mass  $m_H < 150 \text{ GeV}/c^2$



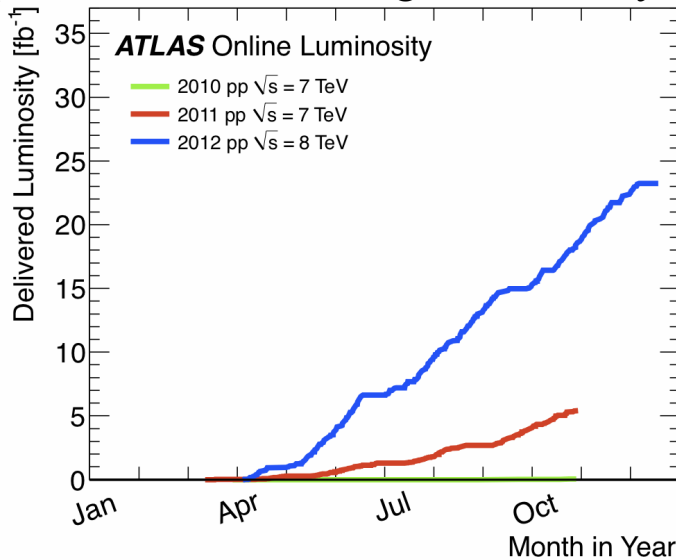
+ theory arguments : perturbative unitarity  
 triviality

$\Rightarrow H_{SM}$  should be light (but not too light, vacuum stability)

# Experimental context

Rare processes  $\Rightarrow$  Need high luminosity :

Peak instantaneous lumi. in 2012  $\sim 7 \cdot 10^{33} \text{ cm}^{-2}\text{s}^{-1}$   
 (October 2015 :  $\sim 4 \cdot 10^{33} \text{ cm}^{-2}\text{s}^{-1}$ )

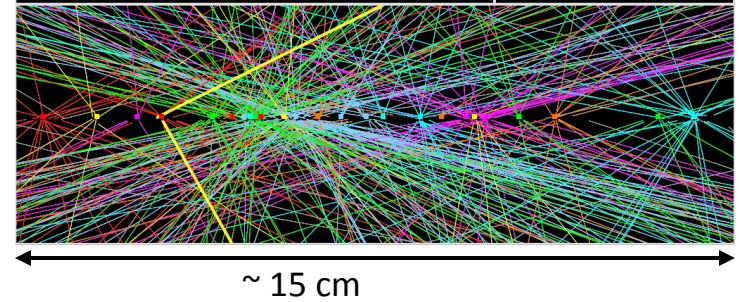
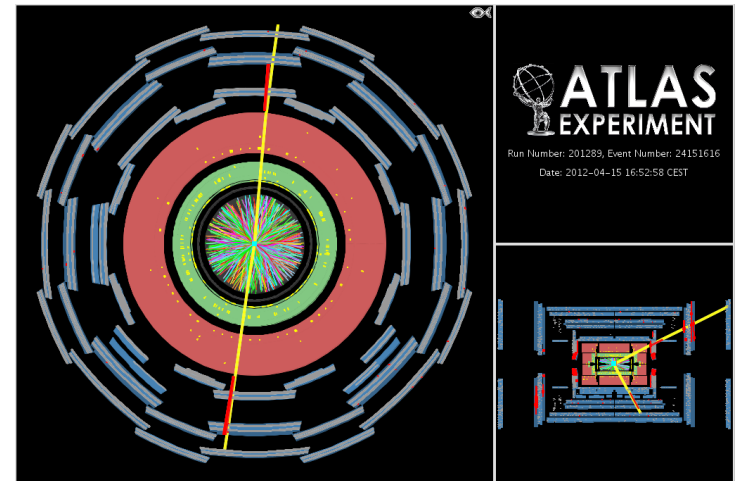


$\sim 23 \text{ fb}^{-1}$  delivered at 8 TeV

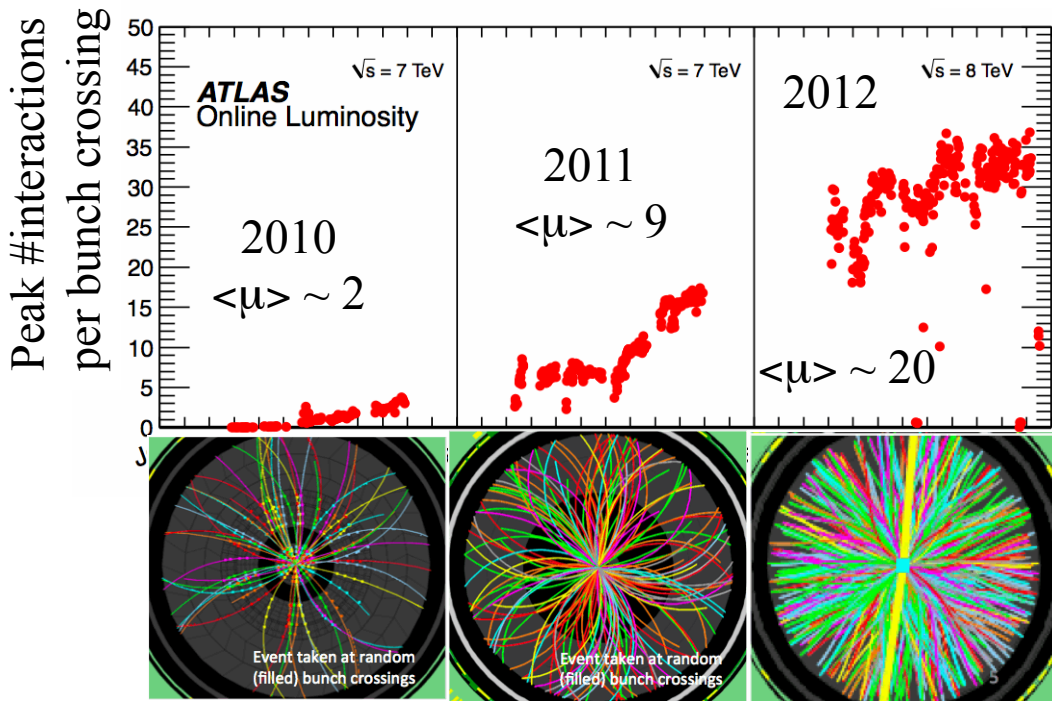
$\otimes$  data taking efficiency

$\otimes$  data quality

$\Rightarrow 90 \%$  usable for physics [ $4.5 + 20.3 \text{ fb}^{-1}$  at 7 +8 TeV]

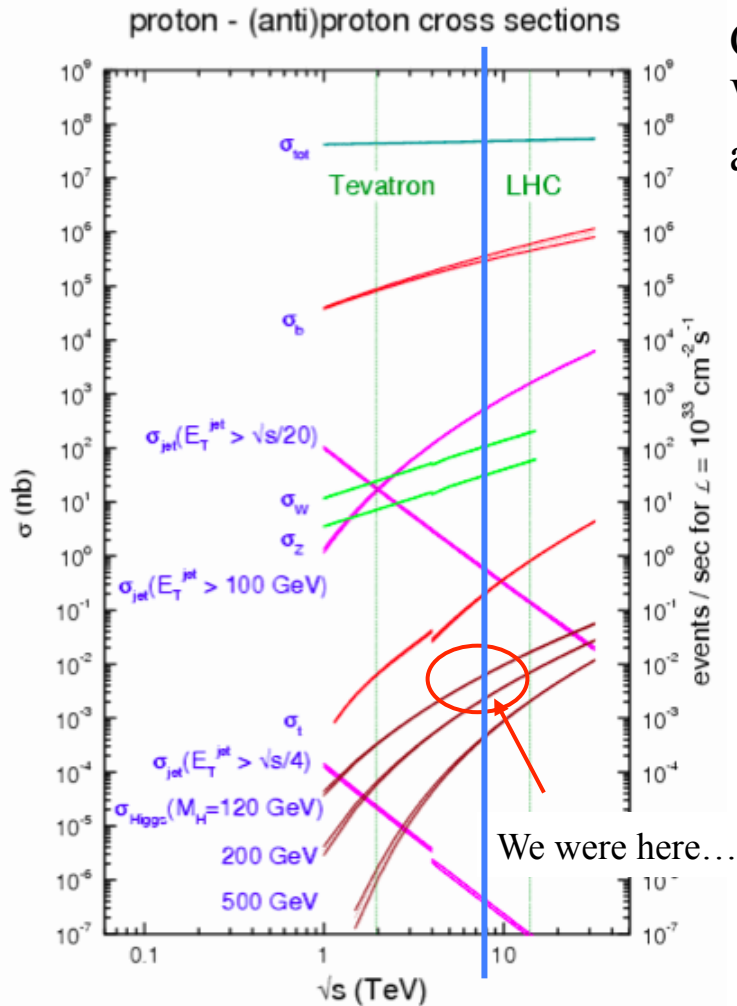


A  $Z \rightarrow \mu^+\mu^-$  event with 25 reconstructed vertices



Higgs boson production : small cross-section  $\sim 22.3 \text{ pb @ } 125 \text{ GeV}/c^2$   
 on top of a huge background

$\Rightarrow$  only  $\sim 15\%$  of the cross-section is observable with manageable backgrounds



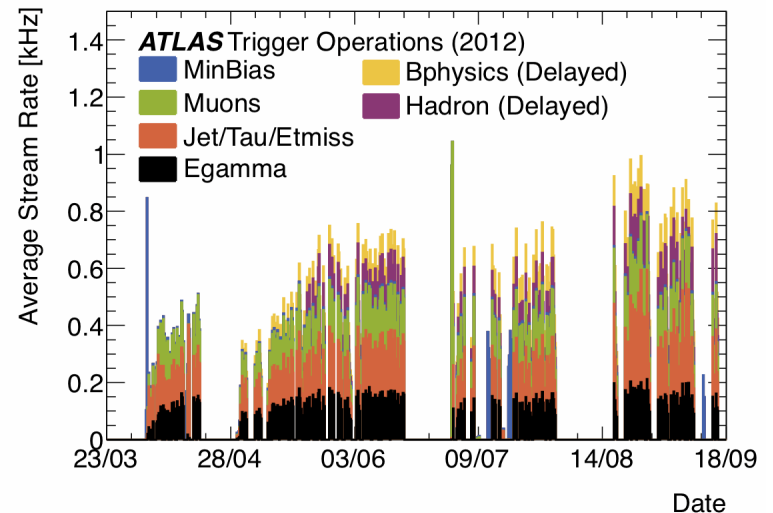
Can only record  $\sim 500 \text{ Hz}$  (peak at  $0.8\text{-}1 \text{ kHz}$ )  
 Wants to keep most of this observable cross-section  
 and get rid of not interesting events

$\Rightarrow$  maintain **good trigger performance**  
 in a harsh pile-up environment  
 keeping thresholds as low as possible

e.g. inclusive electron (muon)  $p_T > 24 \text{ GeV}/c$  :  $70(45) \text{ Hz}$

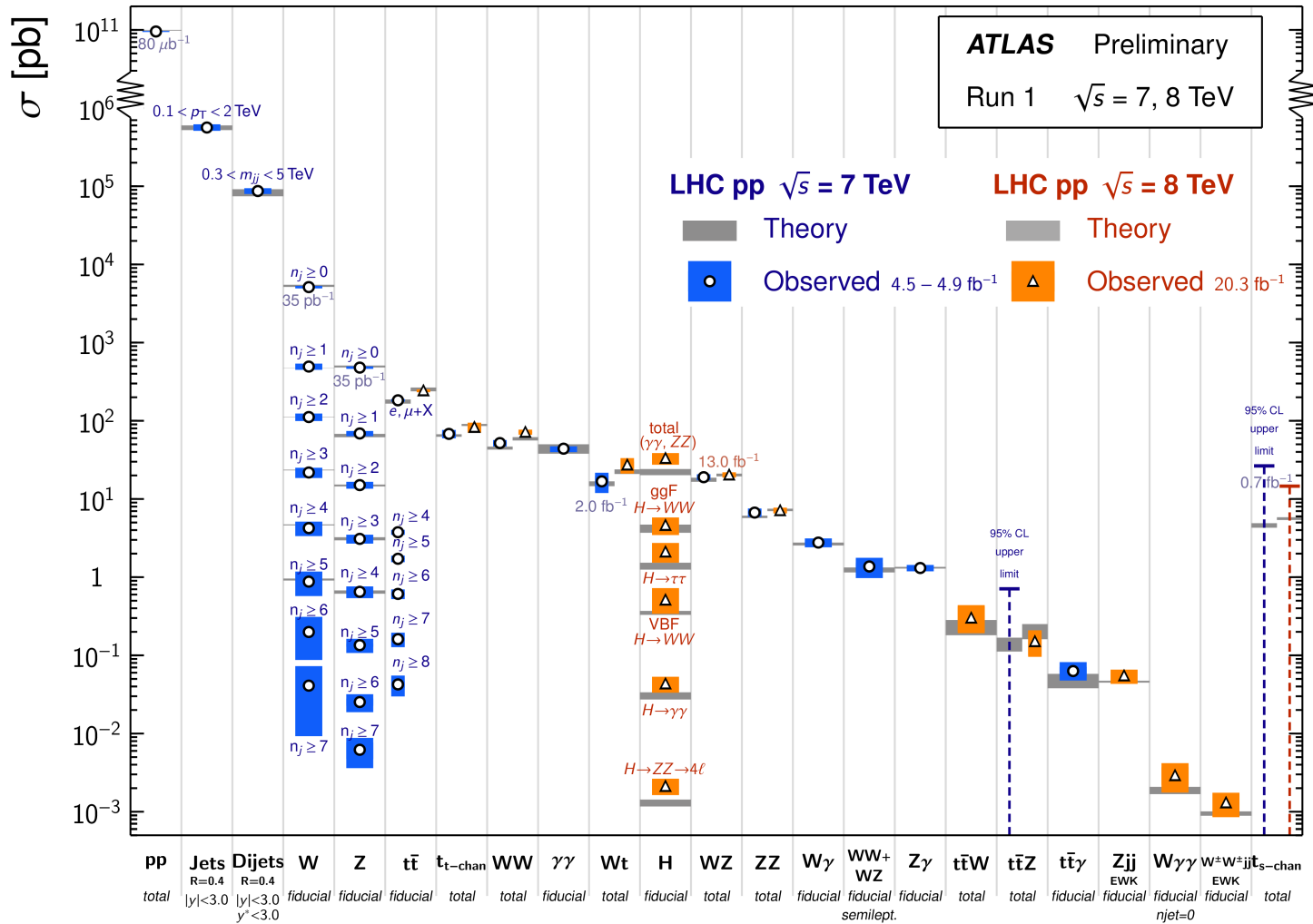
di-photon ( $p_T > 35/25 \text{ GeV}/c$ ) :  $10 \text{ Hz}$

$E_T^{\text{mis}} > 80 \text{ GeV}$  :  $18 \text{ Hz}$  @  $L = 5 \cdot 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$



Many SM processes have been measured with great precision

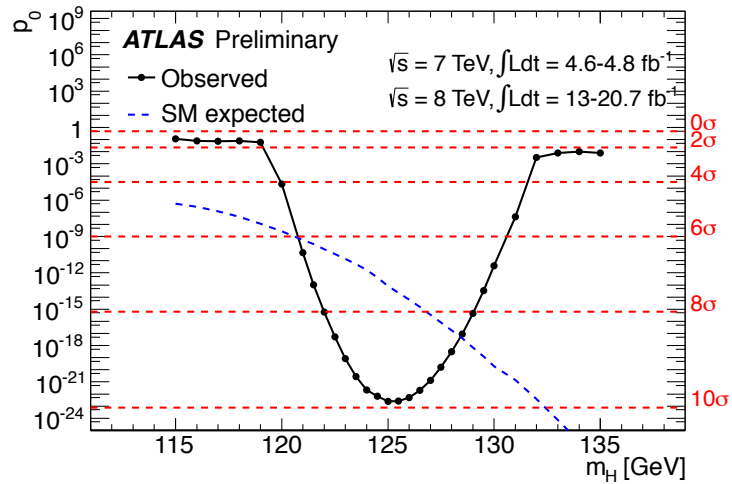
→ precision measurements (QCD and EW gauge bosons, top sector, TGC, etc...)



- standard candles for calibration and alignment (e.g.  $Z \rightarrow e^+e^-, \mu^+\mu^-$ )
- control backgrounds to searches (and Monte Carlo tunings)
- validate search techniques

# The standard model(-like) Higgs boson : Run I legacy

The *old  $p_0$  era* : March 2013 : a 10 sigmas discovery !



# The Higgs boson mass

The last **SM** parameter to be measured : once known, fixes the  $H_{SM}$  phenomenology

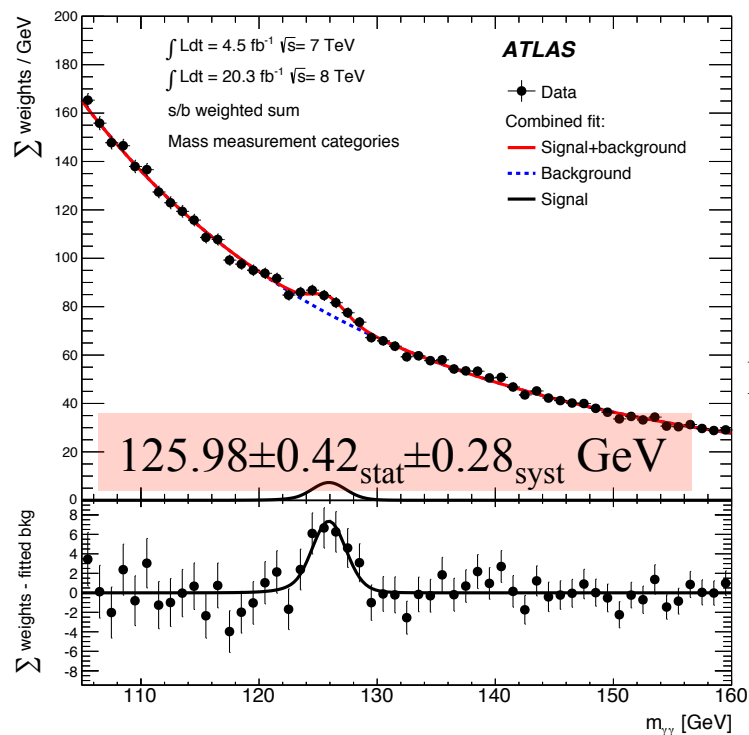
+ important for quantum level tests of SM

+ could allow to constrain many BSM models, e.g. if  $m_H > 150 \text{ GeV}/c^2$ , MSSM is killed !

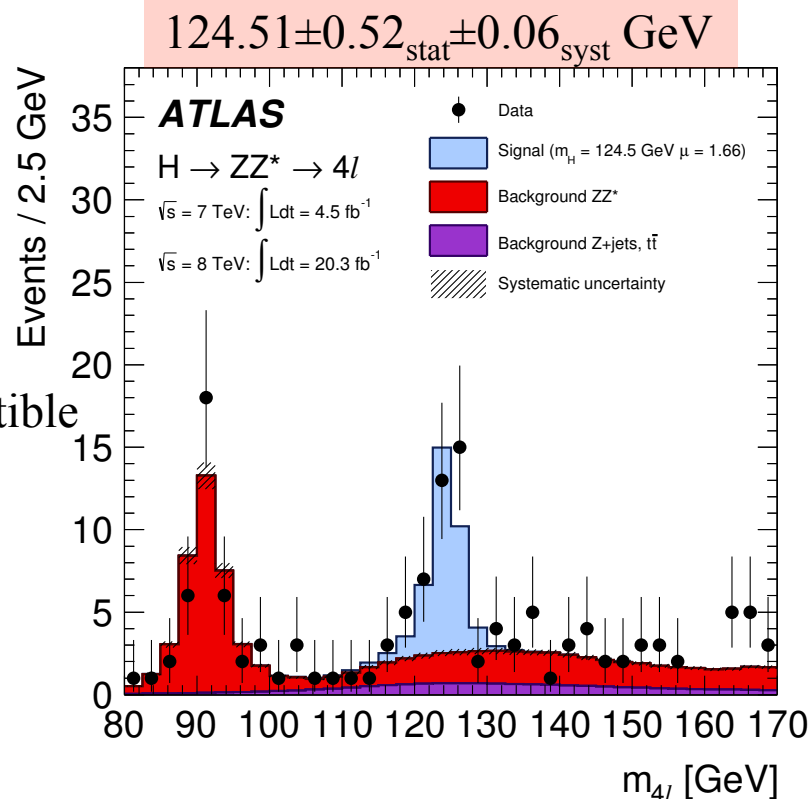
Two channels with excellent mass resolution for an almost model independent measurement :

$H \rightarrow \gamma\gamma$  and  $H \rightarrow 4\ell$

benefiting from very precise EM object energy and muon momentum calibration



Roughly compatible  
 $\sim 2\sigma$

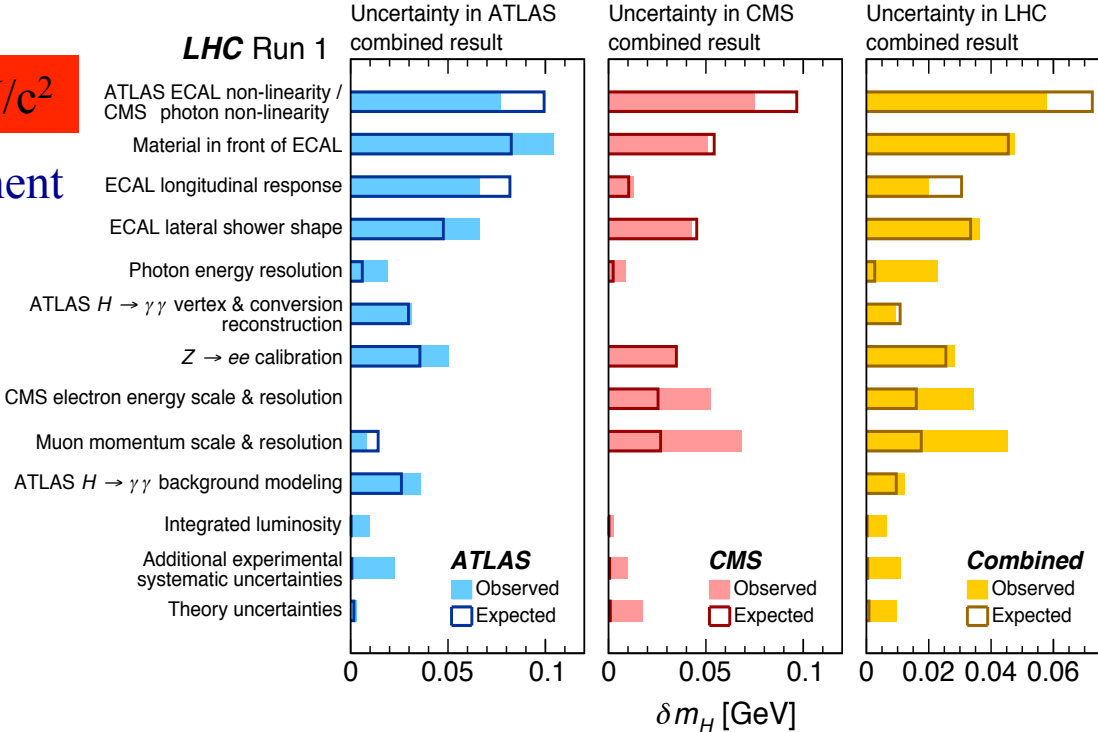


Combined :  $125.36 \pm 0.37_{\text{stat}} \pm 0.18_{\text{syst}} \text{ GeV}$

# ATLAS-CMS combination :

$m_H^{\text{RunI}} = 125.09 \pm 0.21_{\text{stat}} \pm 0.11_{\text{syst}} \text{ GeV}/c^2$

The most precise LHC Run I measurement outside the B-physics sector !



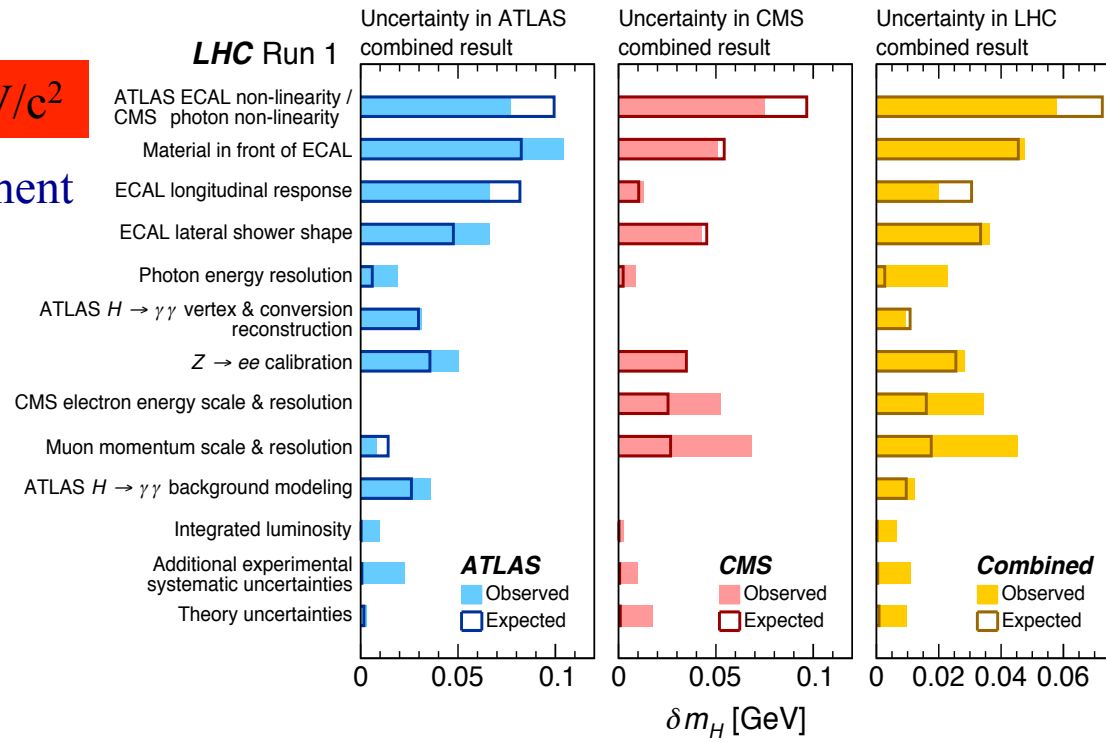
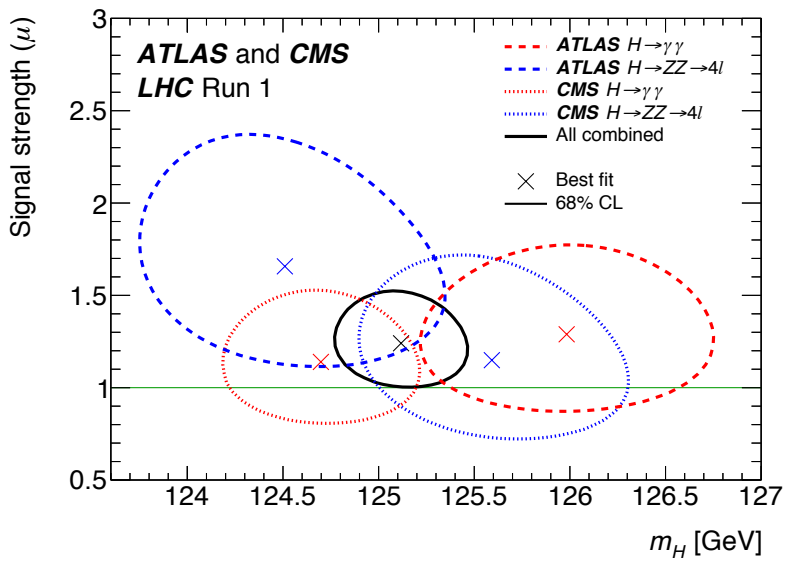


# ATLAS-CMS combination :

$$m_H^{\text{Run I}} = 125.09 \pm 0.21_{\text{stat}} \pm 0.11_{\text{syst}} \text{ GeV}/c^2$$

The most precise LHC Run I measurement outside the B-physics sector !

Yet, the 4 masses are slightly scattered :

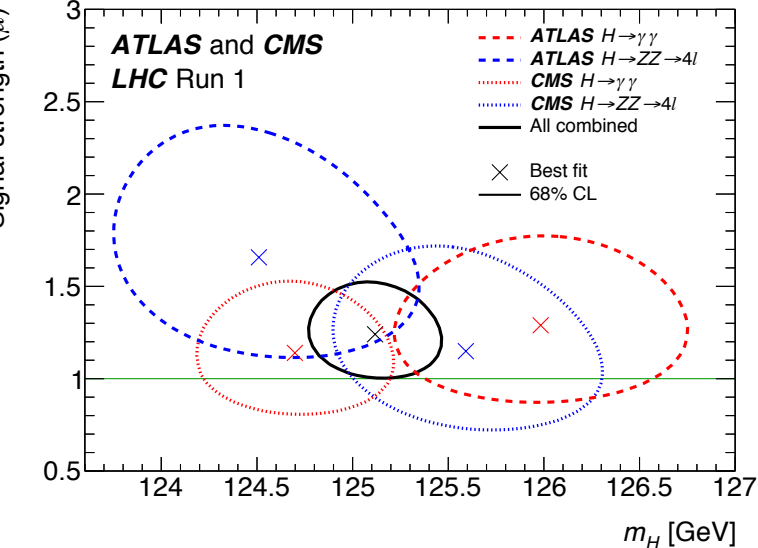


# ATLAS-CMS combination :

$$m_H^{\text{Run I}} = 125.09 \pm 0.21_{\text{stat}} \pm 0.11_{\text{syst}} \text{ GeV}/c^2$$

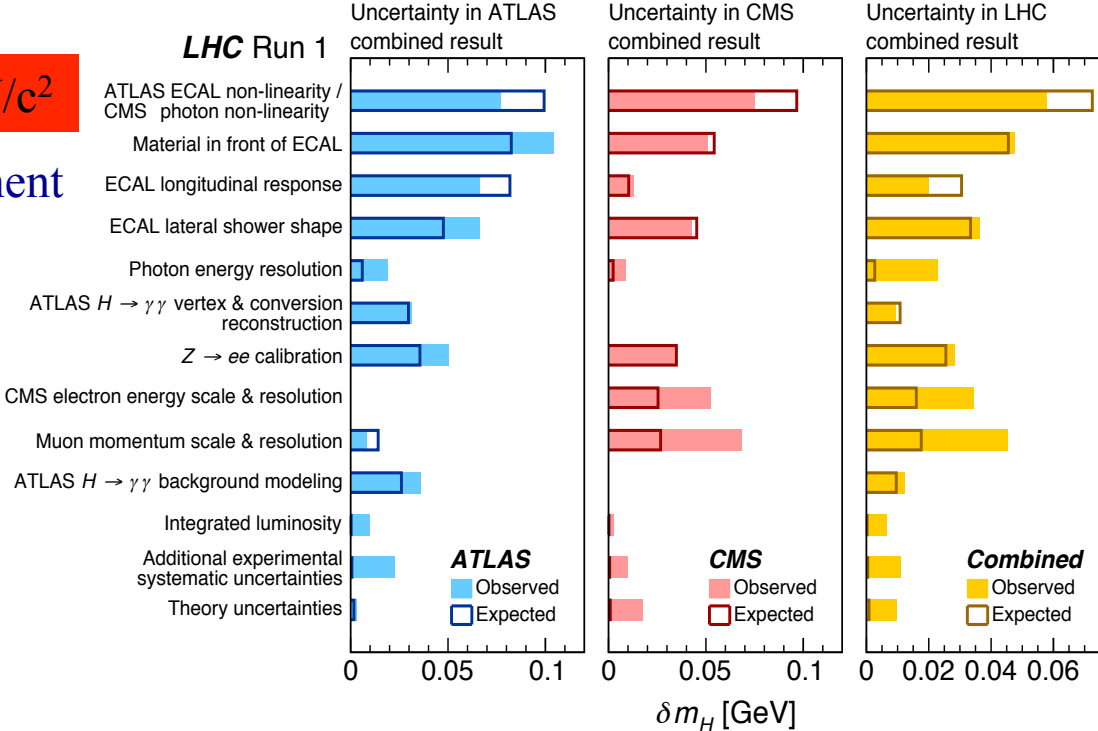
The most precise LHC Run I measurement outside the B-physics sector !

Yet, the 4 masses are slightly scattered :



Although an improved mass measurement will not result in a physics revolution, it should help to clarify this...

*This is not an early measurement though !*

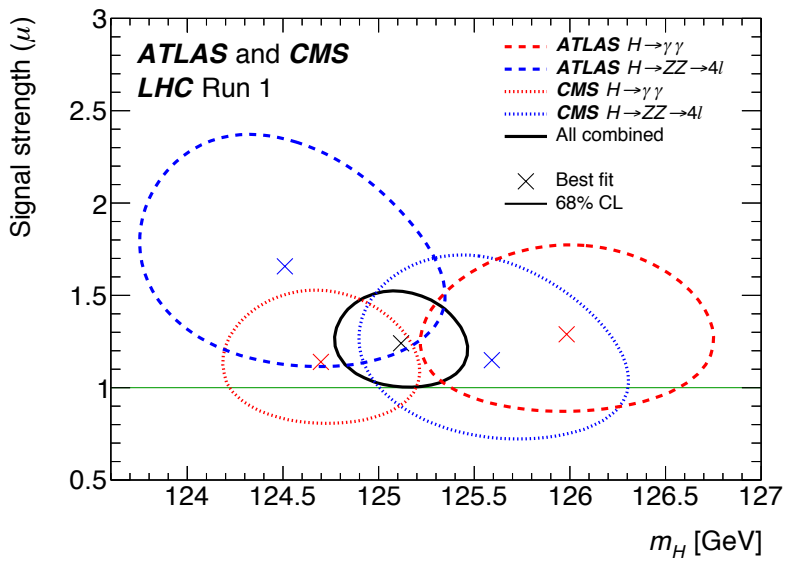


# ATLAS-CMS combination :

$$m_H^{\text{Run I}} = 125.09 \pm 0.21_{\text{stat}} \pm 0.11_{\text{syst}} \text{ GeV}/c^2$$

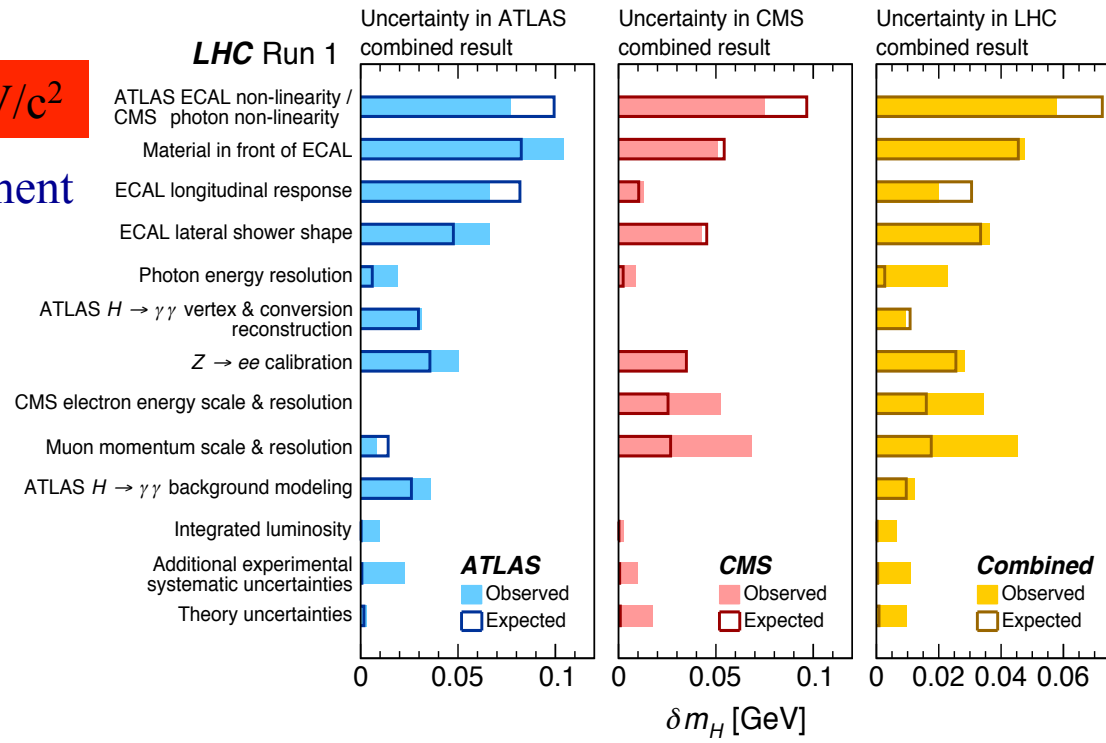
The most precise LHC Run I measurement outside the B-physics sector !

Yet, the 4 masses are slightly scattered :



Although an improved mass measurement will not result in a physics revolution, it should help to clarify this...

*This is not an early measurement though !*



The ATLAS-CMS combination work allowed to think about new ideas for Run II (100 fb<sup>-1</sup>) :

- e.g. in the ATLAS H to gamma gamma side,
  - mitigate impact of background modelling
  - improve categorization
- (VBF, better use of per event resolution, ...)

stat. uncertainty expected to be divided by ~ 3  
 => smaller than Run I syst.

Systematics become limiting factor in H to gamma gamma  
 H to 4l still statistics limited

## The Higgs boson width

Low mass, expect tiny width : very difficult to determine at LHC since on-peak measure  $\sigma \times \text{Br}$

$\Rightarrow$  From  $\gamma\gamma$  and  $4\ell$  line shapes (Breit-Wigner  $\otimes$  resolution) :  $\Gamma_{\text{H}} < 5_{\gamma\gamma} / 2.6_{4\ell}$  (6.2) GeV (exp.)  
 $\sim 3$  orders of magnitude above SM width

$\Rightarrow$  From off shell, from  $\text{H} \rightarrow 4\ell$  (ZZ),  $\ell\ell\nu\nu$  (ZZ+WW), using

$$m_{4\ell} / m_{\text{T}} (\ell^+\ell^-E_{\text{T}}^{\text{miss}}) \gg 2m_{\text{Z}}, \text{ signal xs} \sim \text{independent on } \Gamma_{\text{H}}:$$

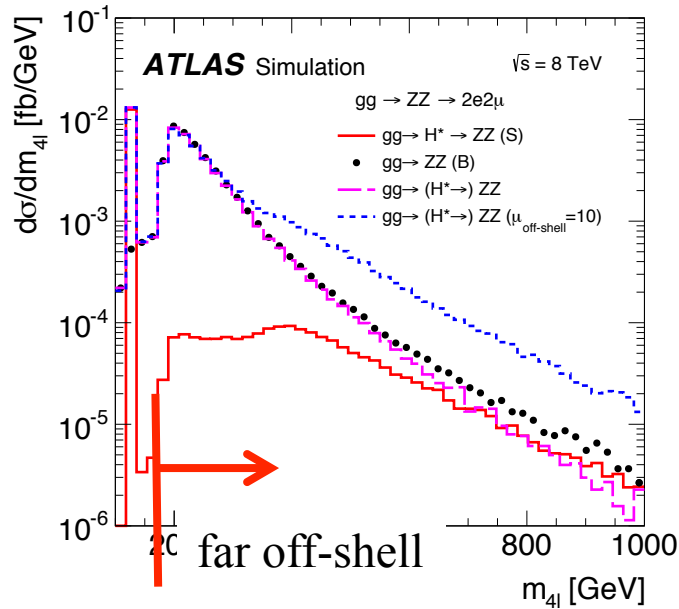
# The Higgs boson width

Low mass, expect tiny width : very difficult to determine at LHC since on-peak measure  $\sigma \times \text{Br}$

$\Rightarrow$  From  $\gamma\gamma$  and  $4\ell$  line shapes (Breit-Wigner  $\otimes$  resolution) :  $\Gamma_H < 5_{\gamma\gamma} / 2.6_{4\ell}$  (6.2) GeV (exp.)  
 $\sim 3$  orders of magnitude above SM width

$\Rightarrow$  From off shell, from  $H \rightarrow 4\ell$  (ZZ),  $\ell\ell\nu\nu$  (ZZ+WW), using

$m_{4\ell} / m_T (\ell^+\ell^-E_T^{\text{miss}}) \gg 2m_Z$ , signal xs  $\sim$  independent on  $\Gamma_H$ :

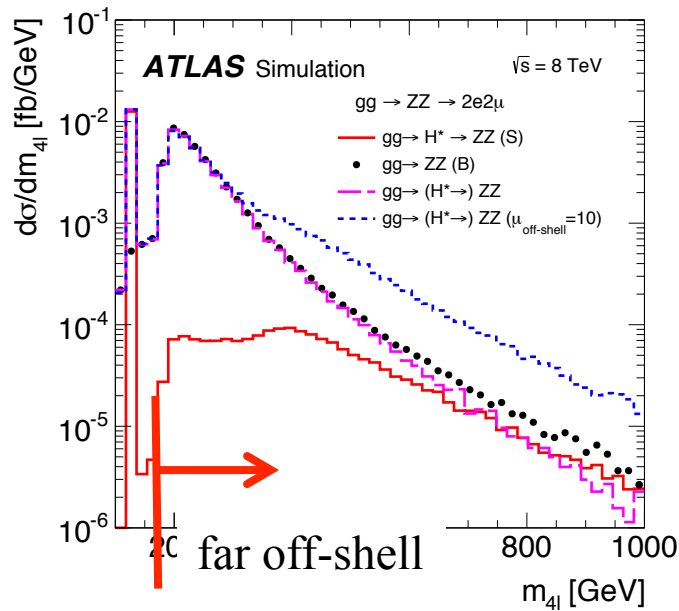


# The Higgs boson width

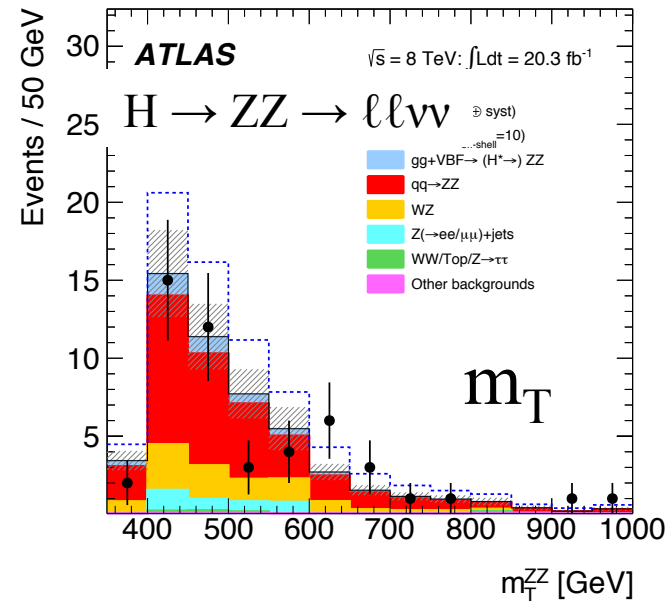
Low mass, expect tiny width : very difficult to determine at LHC since on-peak measure  $\sigma \times \text{Br}$

$\Rightarrow$  From  $\gamma\gamma$  and  $4\ell$  line shapes (Breit-Wigner  $\otimes$  resolution) :  $\Gamma_H < 5_{\gamma\gamma} / 2.6_{4\ell}$  (6.2) GeV (exp.)  
 $\sim 3$  orders of magnitude above SM width

$\Rightarrow$  From off shell, from  $H \rightarrow 4\ell$  (ZZ),  $\ell\ell\nu\nu$  (ZZ+WW), using



$m_{4\ell} / m_T (\ell^+ \ell^- E_T^{\text{miss}}) \gg 2m_Z$ , signal xs  $\sim$  independent on  $\Gamma_H$ :

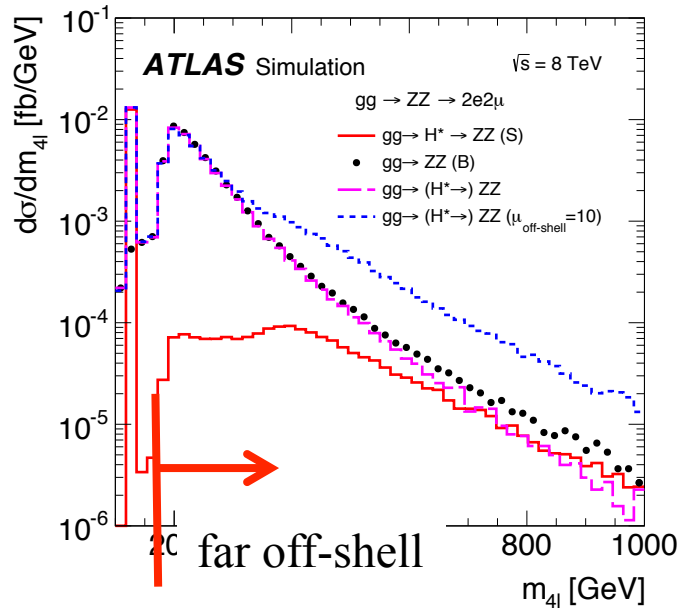


# The Higgs boson width

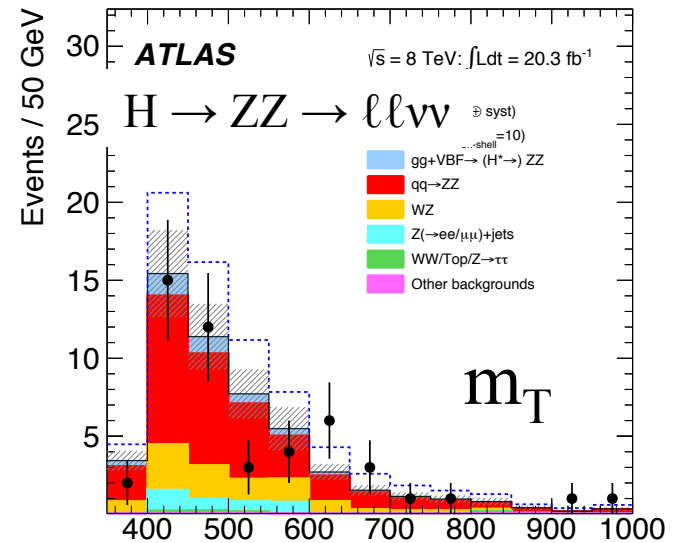
Low mass, expect tiny width : very difficult to determine at LHC since on-peak measure  $\sigma \times \text{Br}$

$\Rightarrow$  From  $\gamma\gamma$  and  $4\ell$  line shapes (Breit-Wigner  $\otimes$  resolution) :  $\Gamma_H < 5_{\gamma\gamma} / 2.6_{4\ell}$  (6.2) GeV (exp.)  
 $\sim 3$  orders of magnitude above SM width

$\Rightarrow$  From off shell, from  $H \rightarrow 4\ell$  (ZZ),  $\ell\ell\nu\nu$  (ZZ+WW), using



$m_{4\ell} / m_T (\ell^+\ell^-E_T^{\text{miss}}) \gg 2m_Z$ , signal xs  $\sim$  independent on  $\Gamma_H$ :



$$\mu_{\text{off}} = \kappa_{g,\text{off-shell}}^2(\hat{s}) \cdot \kappa_{V,\text{off-shell}}^2(\hat{s}) < 6.2 \text{ for } R_{H^*}^B = \frac{K(gg \rightarrow VV)}{K(gg \rightarrow H^* \rightarrow VV)} = 1 \quad m_T^{\text{ZZ}} [\text{GeV}]$$

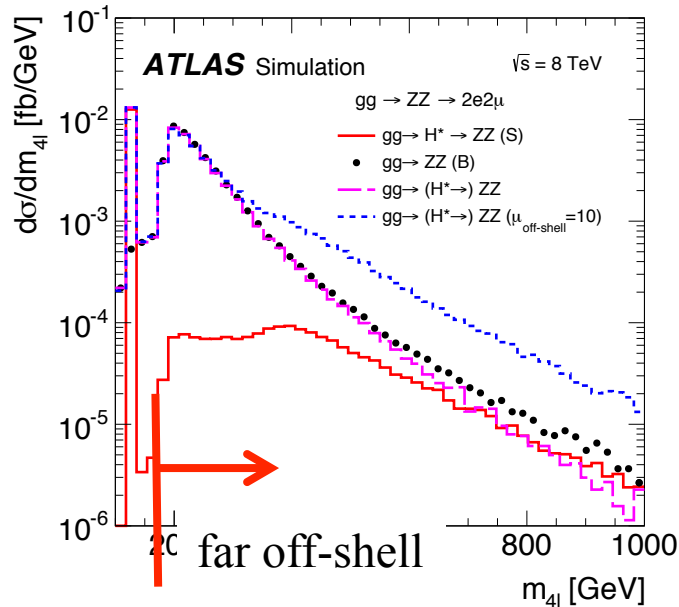
(5.1 / 8.6 for  $R_{H^*}^B = 0.5 / 2$ )

# The Higgs boson width

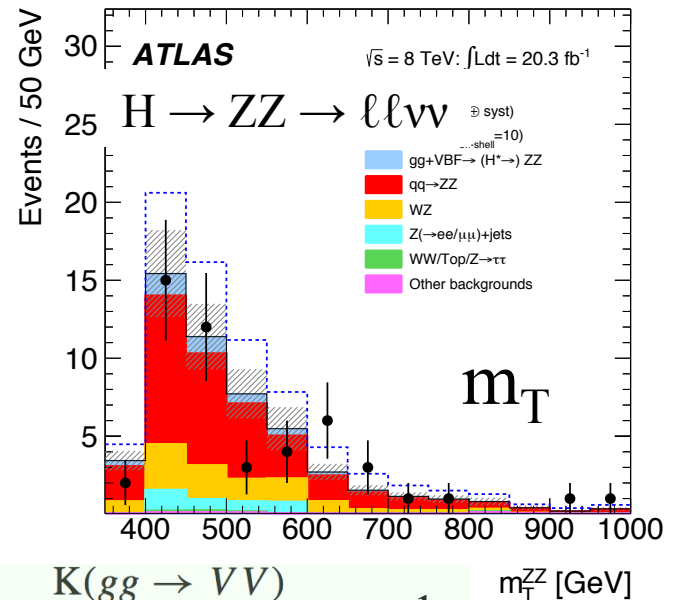
Low mass, expect tiny width : very difficult to determine at LHC since on-peak measure  $\sigma \times \text{Br}$

$\Rightarrow$  From  $\gamma\gamma$  and  $4\ell$  line shapes (Breit-Wigner  $\otimes$  resolution) :  $\Gamma_H < 5_{\gamma\gamma} / 2.6_{4\ell}$  (6.2) GeV (exp.)  
 $\sim 3$  orders of magnitude above SM width

$\Rightarrow$  From off shell, from  $H \rightarrow 4\ell$  (ZZ),  $\ell\ell\nu\nu$  (ZZ+WW), using



$m_{4\ell} / m_T (\ell^+ \ell^- E_T^{\text{miss}}) \gg 2m_Z$ , signal xs  $\sim$  independent on  $\Gamma_H$ :



$$\mu_{\text{off}} = \kappa_{g,\text{off-shell}}^2(\hat{s}) \cdot \kappa_{V,\text{off-shell}}^2(\hat{s}) < 6.2 \text{ for } R_{H^*}^B = \frac{K(gg \rightarrow VV)}{K(gg \rightarrow H^* \rightarrow VV)} = 1 \quad m_T^{\text{ZZ}} [\text{GeV}]$$

**Assuming negligible (SM) running\***, and combining with

(5.1 / 8.6 for  $R_{H^*}^B = 0.5 / 2$ )

$$\mu_{\text{on}} = \frac{\kappa_{g,\text{on-shell}}^2 \cdot \kappa_{V,\text{on-shell}}^2}{\Gamma_H / \Gamma_H^{\text{SM}}}$$

$$\Gamma_H / \Gamma_H^{\text{SM}} < 5.5 \quad (R_{H^*}^B = 1)$$

\* Among other strong assumptions.

Nonetheless still a very good consistency test !

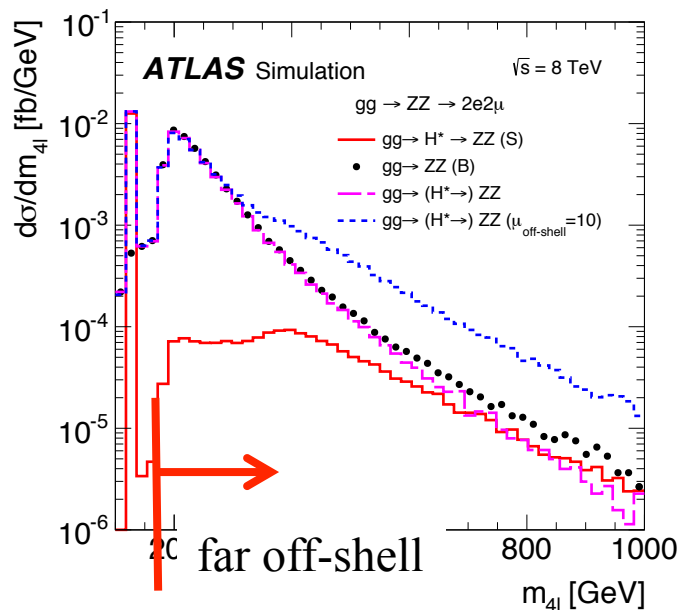


# The Higgs boson width

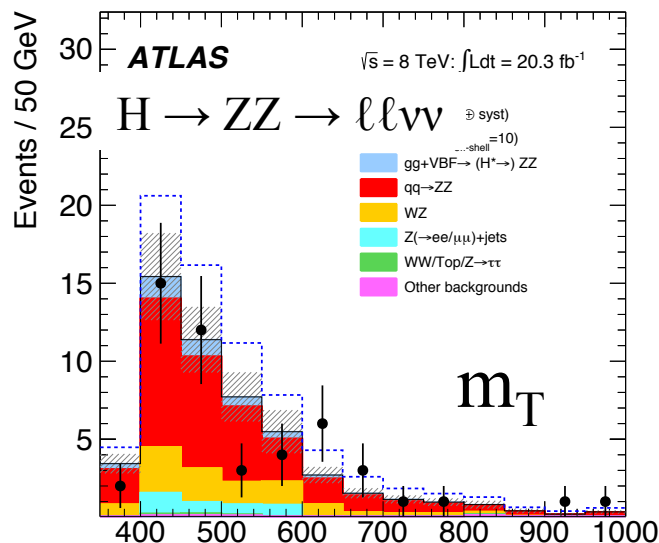
Low mass, expect tiny width : very difficult to determine at LHC since on-peak measure  $\sigma \times \text{Br}$

$\Rightarrow$  From  $\gamma\gamma$  and  $4\ell$  line shapes (Breit-Wigner  $\otimes$  resolution) :  $\Gamma_H < 5_{\gamma\gamma} / 2.6_{4\ell}$  (6.2) GeV (exp.)  
 $\sim 3$  orders of magnitude above SM width

$\Rightarrow$  From off shell, from  $H \rightarrow 4\ell$  (ZZ),  $\ell\ell\nu\nu$  (ZZ+WW), using



$m_{4\ell} / m_T (\ell^+ \ell^- E_T^{\text{miss}}) \gg 2m_Z$ , signal xs  $\sim$  independent on  $\Gamma_H$ :



$$\mu_{\text{off}} = \kappa_{g,\text{off-shell}}^2(\hat{s}) \cdot \kappa_{V,\text{off-shell}}^2(\hat{s}) < 6.2 \text{ for } R_{H^*}^B = \frac{K(gg \rightarrow VV)}{K(gg \rightarrow H^* \rightarrow VV)} = 1 \quad m_T^{\text{ZZ}} [\text{GeV}]$$

**Assuming negligible (SM) running\***, and combining with (5.1 / 8.6 for  $R_{H^*}^B = 0.5 / 2$ )

$$\mu_{\text{on}} = \frac{\kappa_{g,\text{on-shell}}^2 \cdot \kappa_{V,\text{on-shell}}^2}{\Gamma_H / \Gamma_H^{\text{SM}}}$$

$$\Gamma_H / \Gamma_H^{\text{SM}} < 5.5 (R_{H^*}^B = 1)$$

\* Among other strong assumptions.  
 Nonetheless still a very good consistency test !

A **measurement** might be feasible at HL-LHC  
 $\Gamma_H = 4.2_{-2.1}^{+1.5}$  MeV using same technique !

# Differential cross-sections and quantum numbers

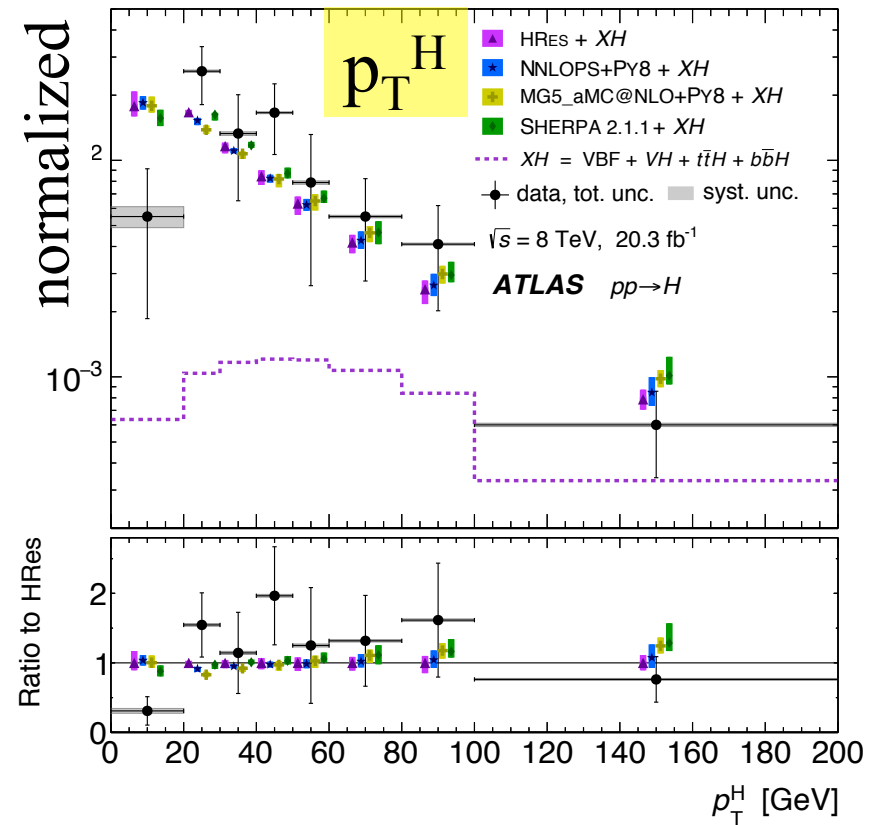
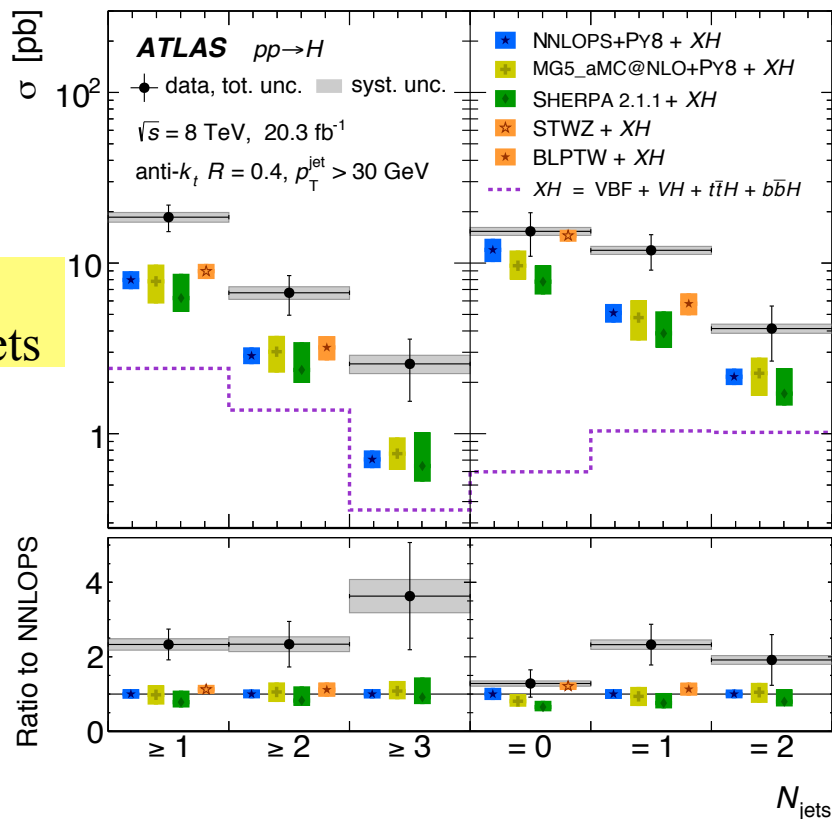
The already large Run I data sample allows us to measure **differential cross-sections**

→ study different production mechanisms (e.g.  $p_T^H$ ,  $N_{\text{jets}}$ ) and sensitivity to loop content

→ sensitivities to quantum  $J^{\text{CP}}$  numbers (e.g.  $\cos\theta^*$  in  $H \rightarrow \gamma\gamma$  for  $J$ ,  $\Delta\phi_{jj}$  for CP)

Combine fully reconstructed final states ( $\gamma\gamma, 4\ell$ )

(partially reconstructed WW\* in progress...)



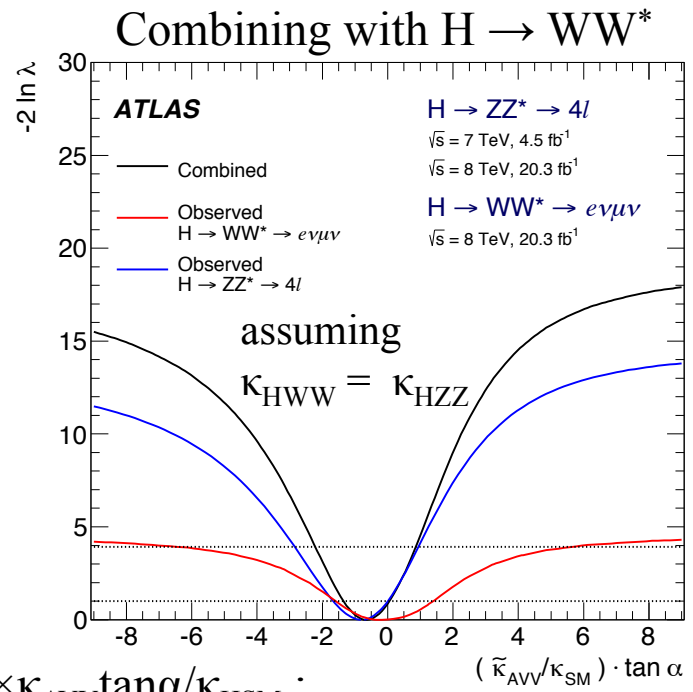
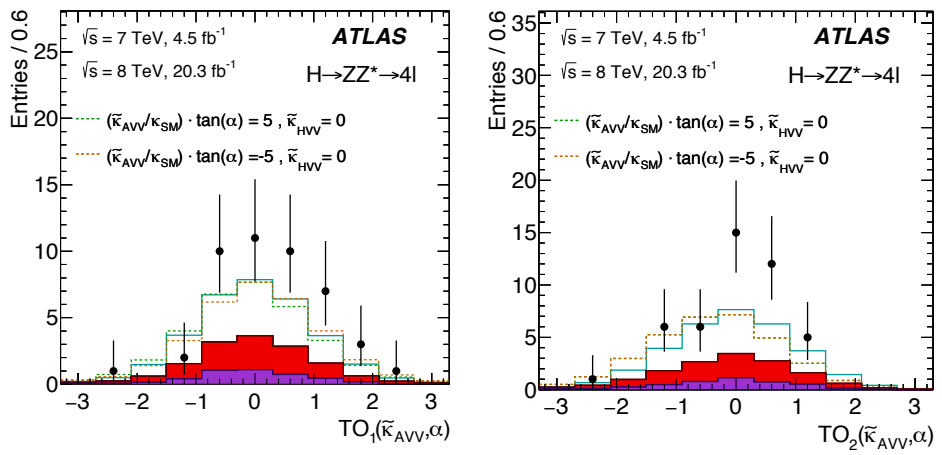
Large overall yield (remember signal strength...) and slightly higher jets multiplicity but still statistically limited...

**Quantum numbers :**

- Landau-Yang + observation of  $H \rightarrow \gamma\gamma : J = 0$  or  $\geq 2$ .  
Data excludes “almost reasonable”  $J = 2$  models in favour of 0 at very high confidence level (from couplings but also using only kinematic properties)
- CP-admixture much more interesting but tougher and suffering from low statistics  
⇒ pave the way to Run II studies

$$\mathcal{L} = \cos \alpha \kappa_{SM} \left[ \underbrace{g_{HVV} V_\mu V^\mu}_{\text{SM (CP-even)}} - \frac{1}{4\Lambda \kappa_{SM}} \left( \underbrace{\kappa_{HVV} V^{\mu\nu} V_{\mu\nu}}_{\text{CP-even, H.O.}} + \underbrace{\kappa_{AVV} \tan \alpha V^{\mu\nu} \tilde{V}_{\mu\nu}}_{\text{CP-odd}} \right) \right] H$$

Compare SM to mixture of SM+BSM operators  
e.g. in the  $4l$  final state, SM vs SM+CP-odd  
using optimal observables (ratios of ME w/wo BSM)



Allowed range @ 95% CL for  $\kappa_{AVV} \equiv v/4\Lambda \times \kappa_{AVV} \tan \alpha / \kappa_{HSM}$  :  
 [-2.18, 0.83] ([-2.33, 2.3] expected)

⇒ no sign of a CP-odd component

⇒ We have a light CP-even scalar with a narrow width

Basic assumption for coupling measurements

Reconstruct effective Lagrangian :

$$\begin{aligned}
 \mathcal{L} = & \kappa_W \frac{2m_W^2}{v} W^{+,\mu} W_{\mu}^{-} H + \kappa_Z \frac{m_Z^2}{v} Z^{\mu} Z_{\mu} H - \sum_f \kappa_f \frac{m_f}{v} f \bar{f} H && \text{SM, tree level} \\
 & + c_g \frac{\alpha_s}{12\pi v} G^{\mu\nu,a} G_{\mu\nu}^a H + c_{\gamma} \frac{\alpha}{\pi v} A^{\mu\nu} A_{\mu\nu} H + c_{Z\gamma} \frac{\alpha}{\pi v} A^{\mu\nu} Z_{\mu\nu} H && \text{SM, loop level} \\
 & + \mathcal{O}_{\text{inv}} H && \text{BSM}
 \end{aligned}$$

$\kappa_{g/\gamma/Z\gamma}$  equivalent to  $c_{g/\gamma/Z\gamma}$  but defined by  $\kappa_{ij}^2 = \Gamma_{ij} / \Gamma_{\text{SM}}$

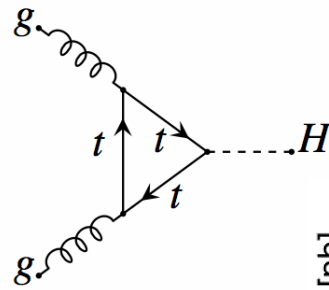
from measured signal yields :

$$\text{Event category } n_s^c = \sum_i \sum_f \mu_i(\sigma_i)_{\text{SM}} \times \mu_f(\text{BR}_f)_{\text{SM}} \times \underbrace{A_{if}^c \times \varepsilon_{if}^c}_{\text{Efficiency (MC)}} \times \mathcal{L}^c$$

Production mode
decay mode
Luminosity

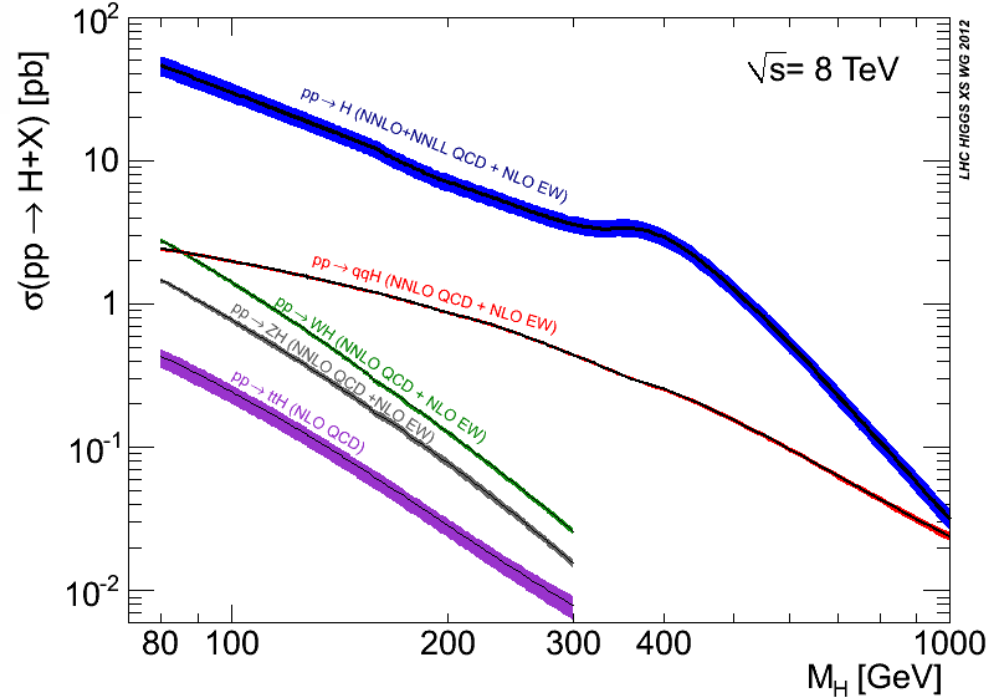
# Higgs boson production

(Numbers @  $m_H = 125 \text{ GeV}/c^2$ ,  
 $25 \text{ fb}^{-1}$  at  $\sqrt{s} = 8 \text{ TeV}$ )

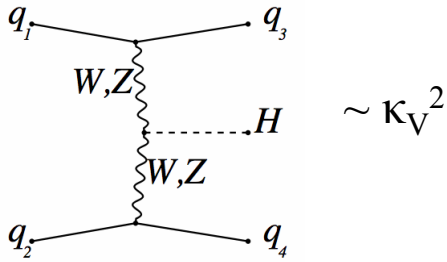


gluon fusion ggF :  $\sim 0.5 \text{ M events}$ ,  $\delta\sigma/\sigma \text{ (th.)} \sim 11\%$

$$\kappa_g^2 \sim 1.06 \cdot \kappa_t^2 + 0.01 \cdot \kappa_b^2 - 0.07 \cdot \kappa_t \kappa_b$$

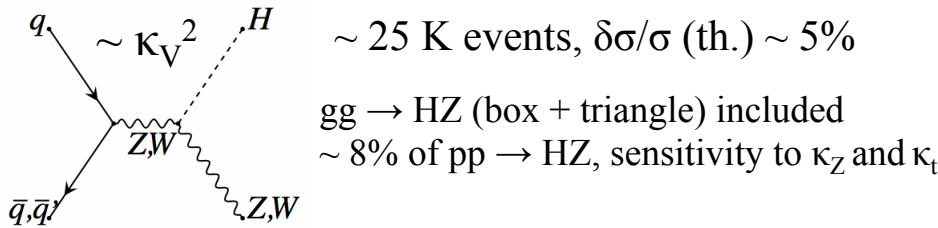


Weak boson fusion VBF :  
 $\sim 40 \text{ K events}$ ,  $\delta\sigma/\sigma \text{ (th.)} \sim 5\%$



Distinctive event topology :  
 forward medium  $p_T$  jets + rapidity gap

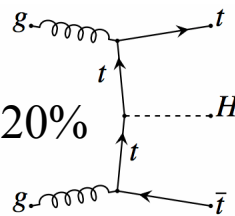
## Associated production with a W/Z (V)



$\sim 25 \text{ K events}$ ,  $\delta\sigma/\sigma \text{ (th.)} \sim 5\%$   
 $gg \rightarrow HZ$  (box + triangle) included  
 $\sim 8\%$  of  $pp \rightarrow HZ$ , sensitivity to  $\kappa_Z$  and  $\kappa_t$

## Associated production with a top/bottom pair

$\sim 3.3 \text{ K} / 5 \text{ K}$ ,  $\delta\sigma/\sigma \text{ (ttH, th.)} \sim 20\%$   
 $\sim \kappa_t^2, \kappa_b^2$

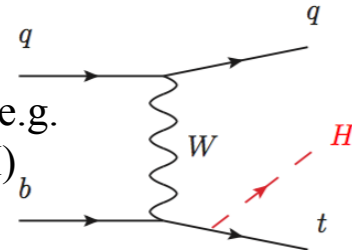


+ other rare production modes

tqH  $\sim 3.4 \cdot \kappa_t^2 + 3.56 \cdot \kappa_W^2 - 5.96 \cdot \kappa_t \kappa_W$   
 (also  $gb \rightarrow WtH$ )

Sensitivity to  $\text{sign}(\kappa_t, \kappa_W)$  : e.g.

$$\sigma(\kappa_t = -1, \kappa_W = 1) \sim 2 \sigma(\text{ttH})_b$$



# Higgs boson decay

In %, expected for SM  $m_H = 125.4 \text{ GeV}/c^2$

To fermion pairs :

bb	$\tau\tau$	$\mu\mu$	cc
57.1	6.3	0.022	2.9
$\kappa_b^2$	$\kappa_\tau^2$	$\kappa_\mu^2$	$\kappa_c^2$

Ultra hard :  
need to be very smart  
( $H \rightarrow J/\psi\gamma$ , etc...)

For beyond Run II if SM

To boson pairs :

WW*	22.0	$\kappa_W^2$
gg	8.6	Resolved : $\kappa_g^2 = 1.06\kappa_t^2 - 0.07\kappa_b\kappa_t + 0.01\kappa_b^2$
ZZ*	2.7	$\kappa_Z^2$
$\gamma\gamma$	0.23	Resolved : $\kappa_\gamma^2 = 1.59\kappa_W^2 - 0.66\kappa_W\kappa_t + 0.07\kappa_t^2$
Z $\gamma$	0.16	Resolved : $\kappa_{Z\gamma}^2 = 1.12\kappa_W^2 - 0.12\kappa_W\kappa_t + 0.0004\kappa_t^2$

(Not doable)

For beyond Run II  
if SM

Plus scaling factor for SM part of width :

$$\kappa_H^2 \sim \begin{aligned} &0.57 \cdot \kappa_b^2 + 0.22 \cdot \kappa_W^2 + 0.09 \cdot \kappa_g^2 + \\ &0.06 \cdot \kappa_\tau^2 + 0.03 \cdot \kappa_Z^2 + 0.03 \cdot \kappa_c^2 + \\ &0.0023 \cdot \kappa_\gamma^2 + 0.0016 \cdot \kappa_{Z\gamma}^2 + 0.00022 \cdot \kappa_\mu^2 \end{aligned}$$

Including undetected/invisible decay :

$$\Gamma_H(\kappa_j, \text{BR}_{i.,u.}) = \frac{\kappa_H^2(\kappa_j)}{(1 - \text{BR}_{i.,u.})} \Gamma_H^{\text{SM}}$$

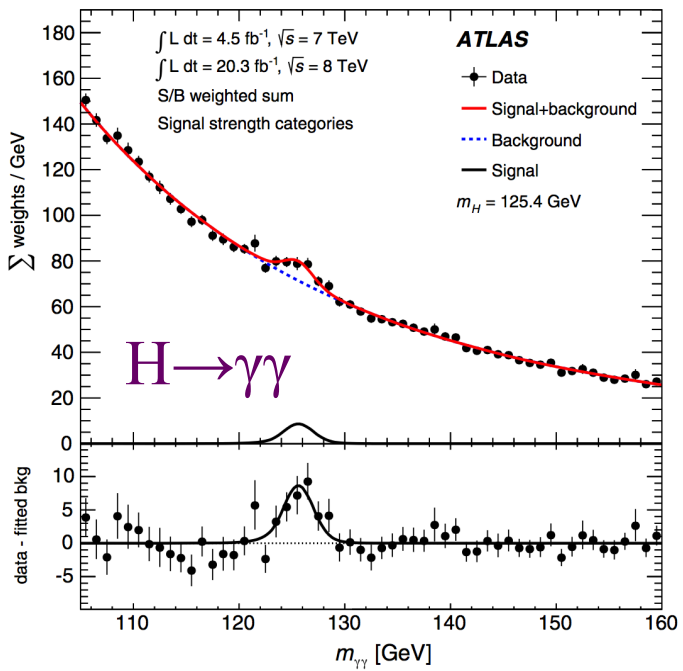
Summary of the considered channels  
(dedicated to the SM)

At 125 GeV/c<sup>2</sup>, for  $\sim 4.5 + 20.3 \text{ fb}^{-1}$  at  $\sqrt{s} = 7 + 8 \text{ TeV}$

channel	ggF	VBF	VH	ttH	Signal yield	S/B	Mass resolution (GeV/c <sup>2</sup> )
$\gamma\gamma$	✓	✓	✓	✓	$\sim 470$	$1 \rightarrow 20\%$	1.6
$\tau\tau$	✓	✓	✓	✓	$\sim 180$ (ggF + VBF)	$0.5 \rightarrow 80\%$	$\sim 20$
bb		(CMS)	✓	✓	$\sim 390$ (in VH)	$0.3 \rightarrow 70\%$	$\sim 15$
$ZZ \rightarrow 4l$	✓	✓	✓	✓	$\sim 18$	$\sim 1.5$	2.2
$WW \rightarrow l\nu l\nu$	✓	✓	✓	✓	$\sim 550$ (ggF + VBF)	$5 \rightarrow 30\%$	Very poor

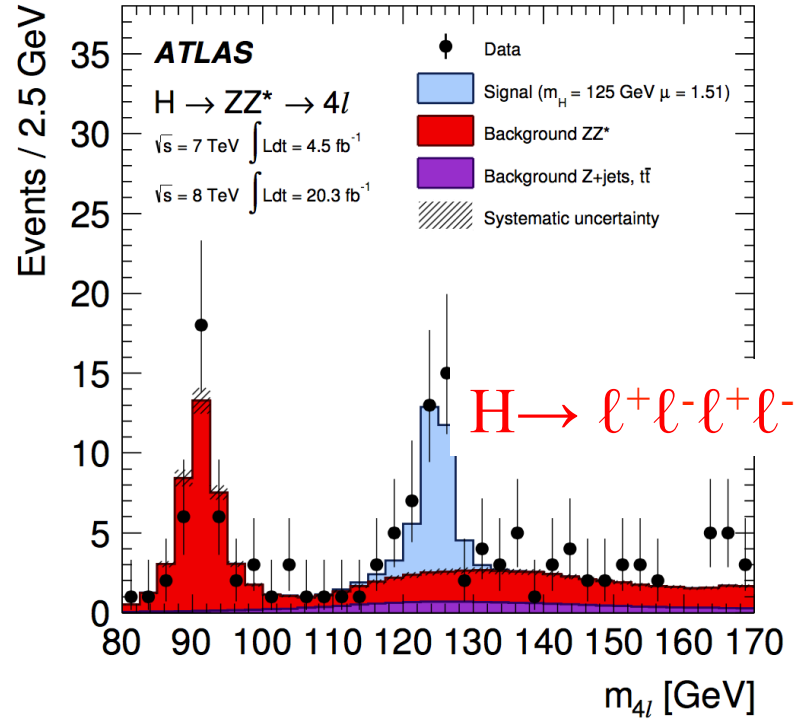
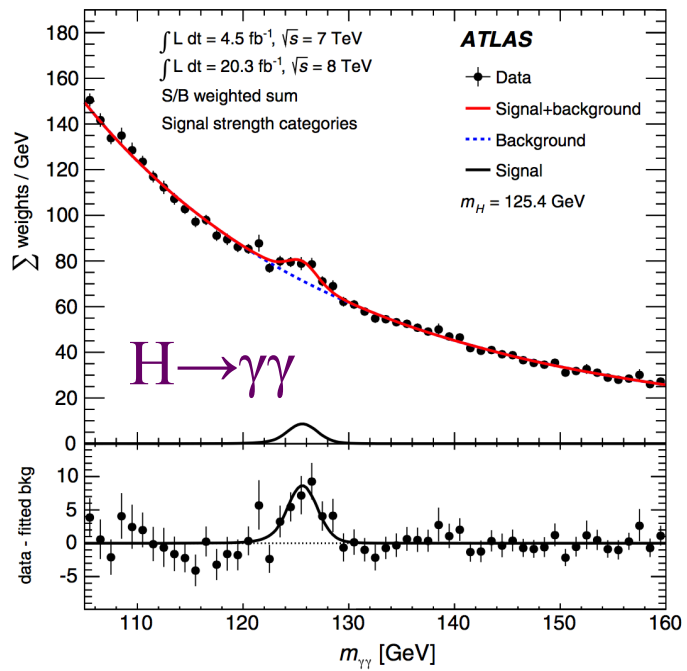
+ dedicated searches for ttH,  $H \rightarrow \gamma\gamma$ ,  $WW^* + ZZ^* + \tau\tau$  (multi-leptons), bb

# Measurements

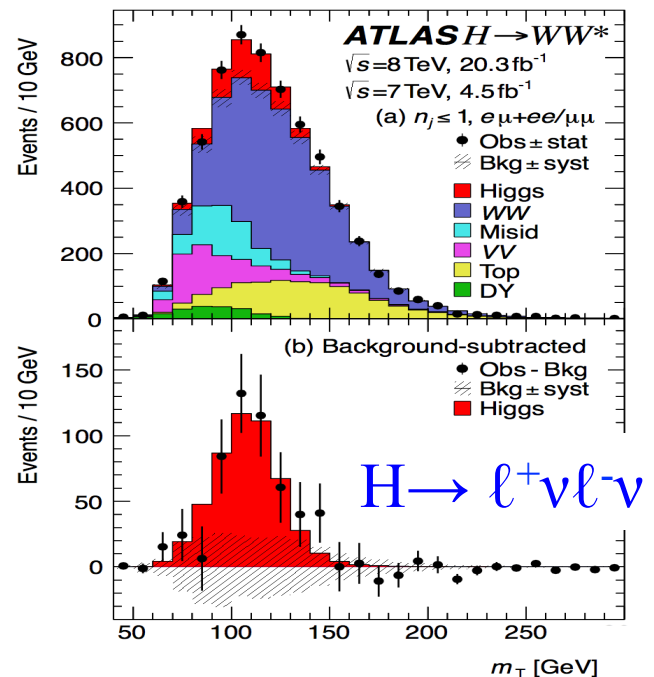
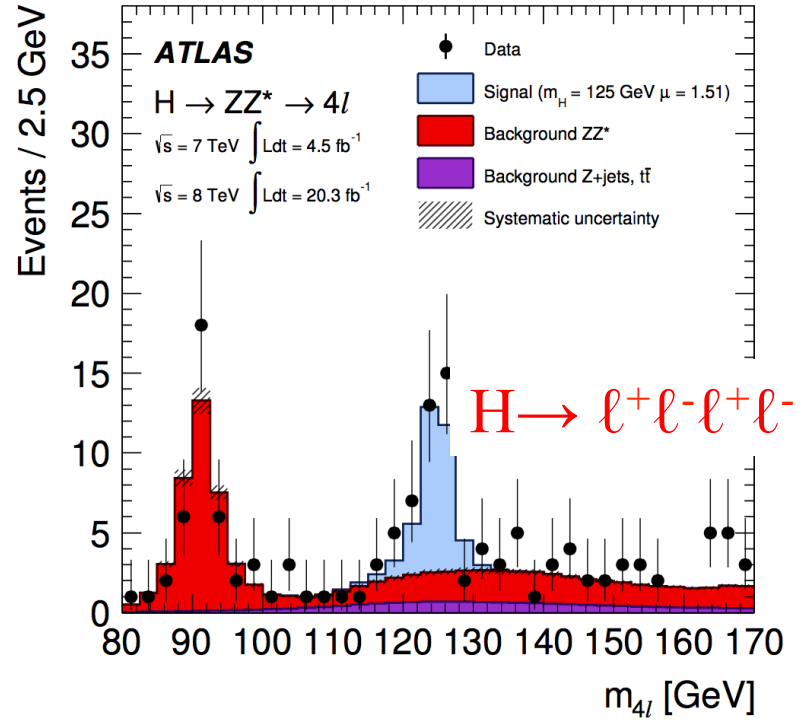
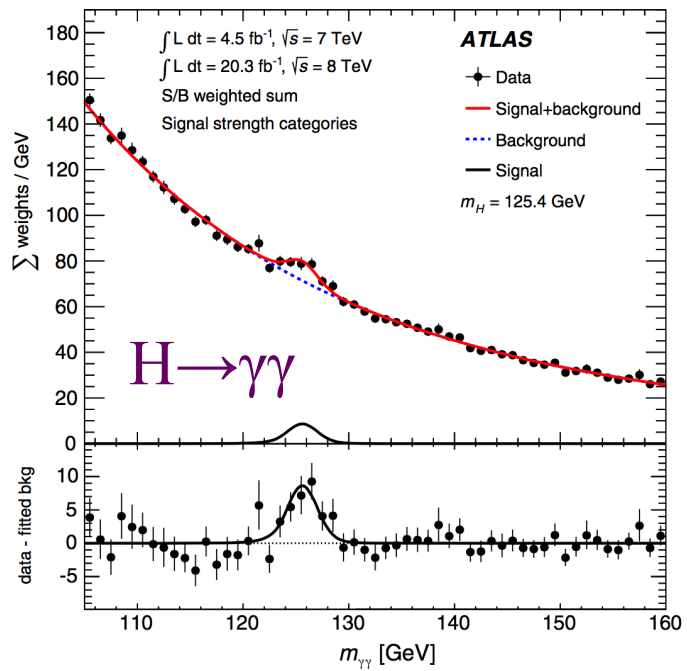




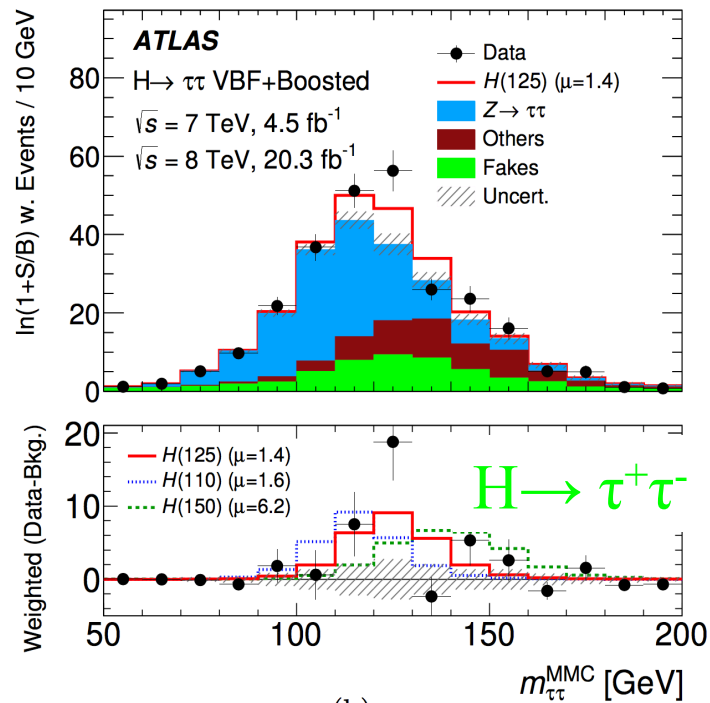
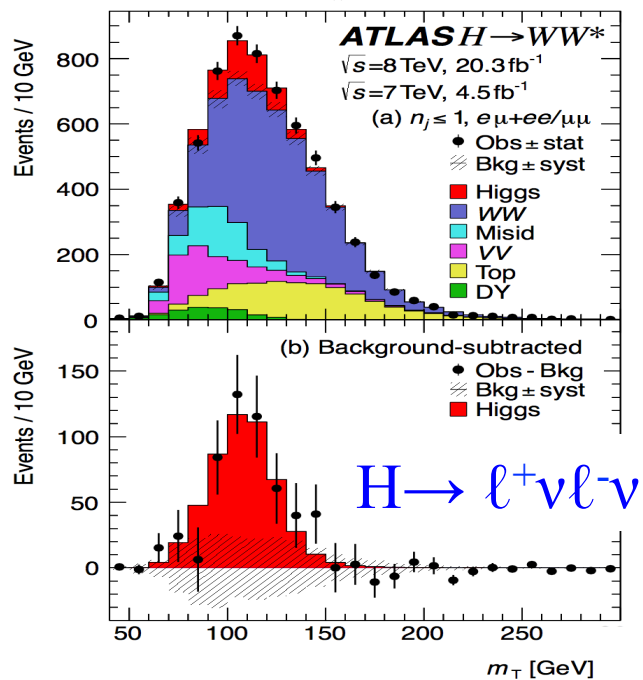
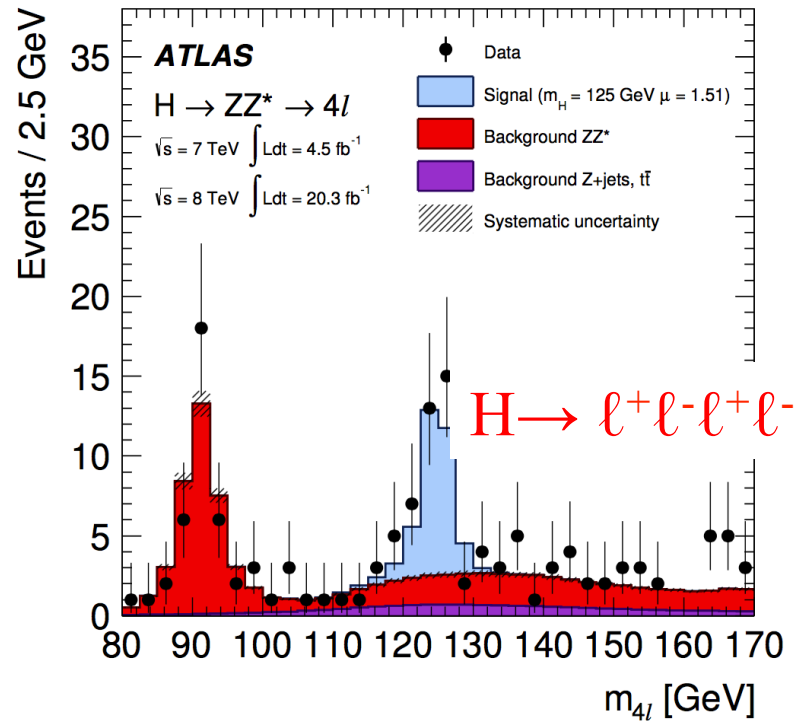
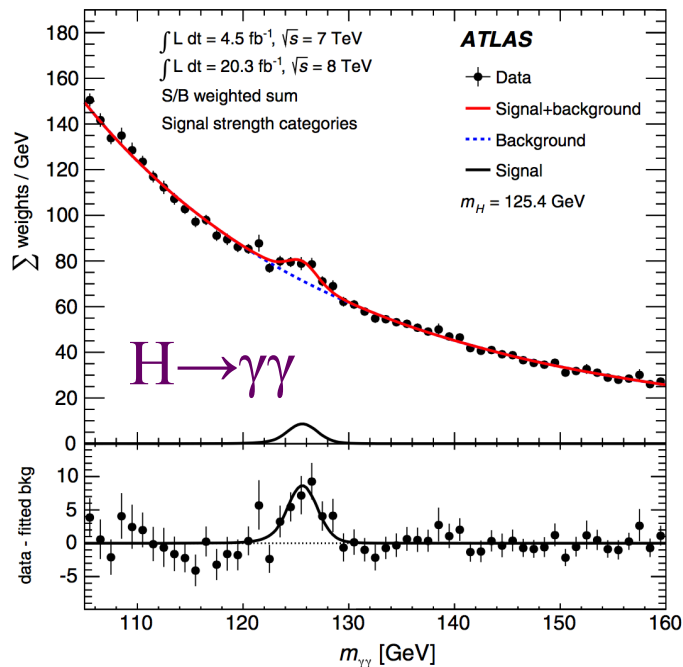
# Measurements



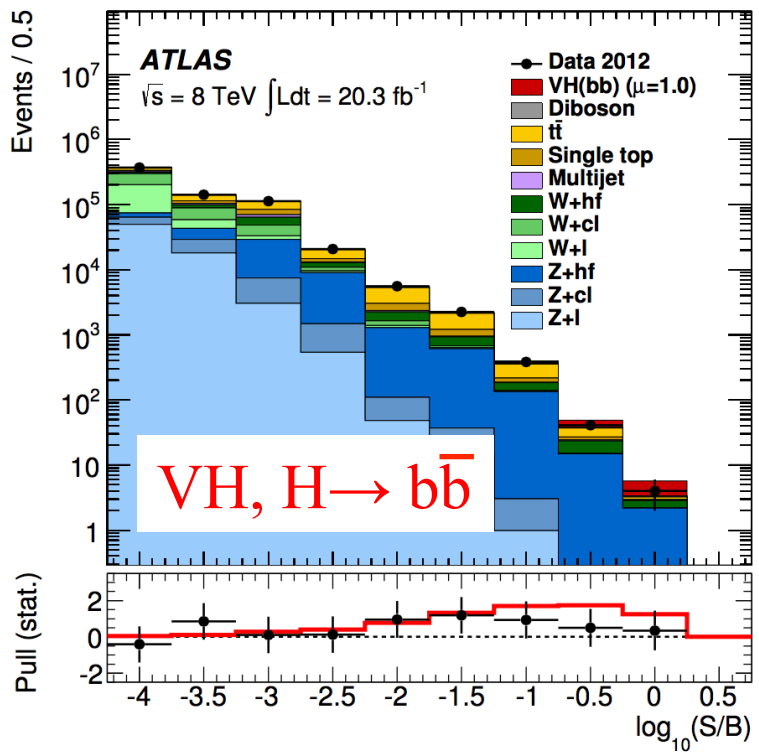
# Measurements



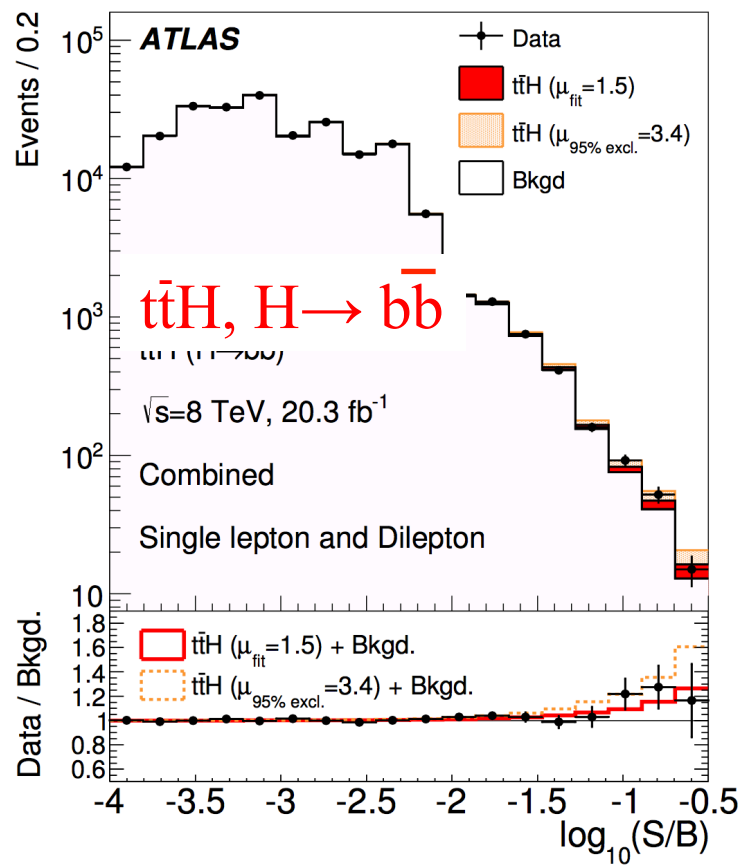
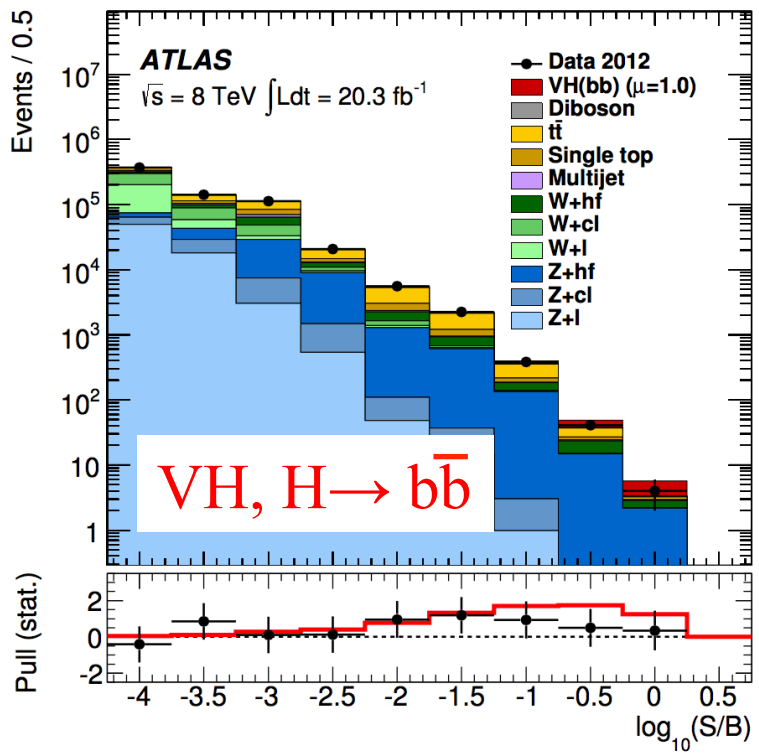
# Measurements

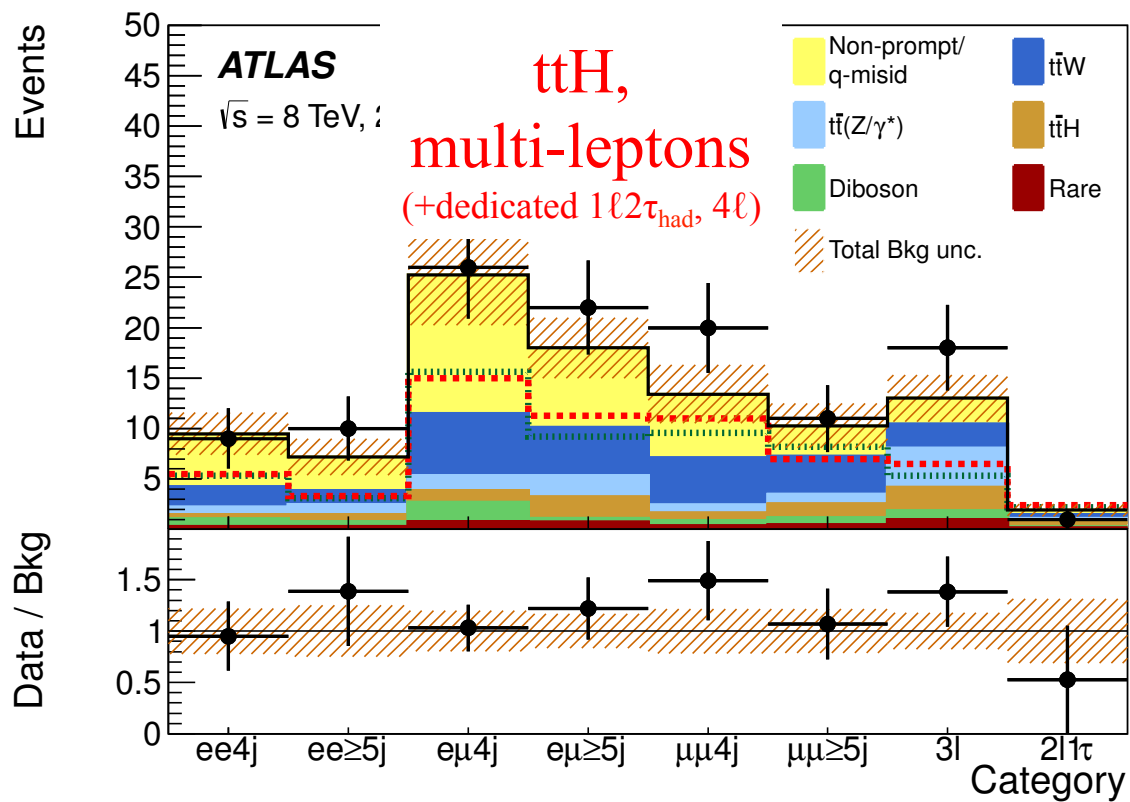


# Measurements



# Measurements

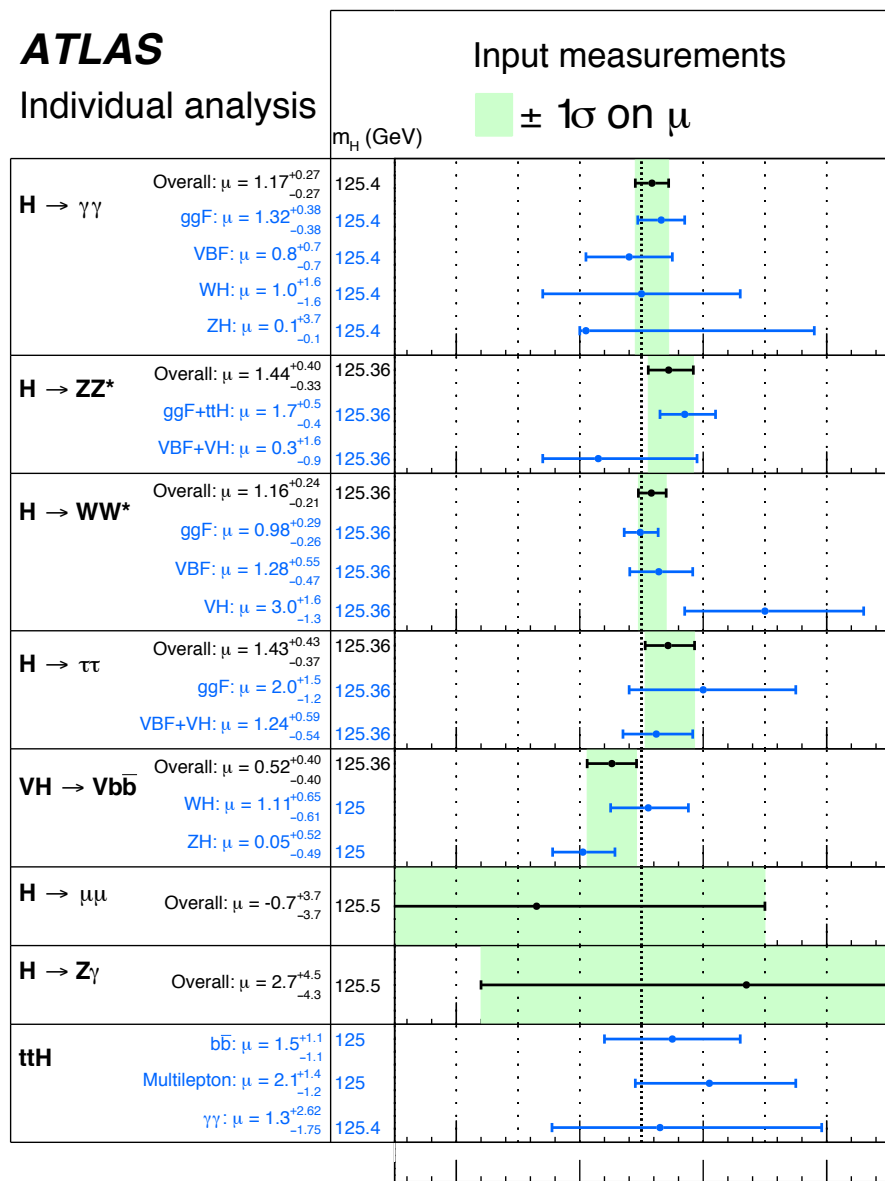




# Input to combinations : ATLAS example

## ATLAS

### Individual analysis



$\sqrt{s} = 7$  TeV, 4.5-4.7 fb<sup>-1</sup>

$\sqrt{s} = 8$  TeV, 20.3 fb<sup>-1</sup>

-2 0 2 4

Signal strength ( $\mu$ )

- All signal strengths compatible with 1 within less than 2 sigmas
- Interesting (but not significant) excess in ttH, seen in both experiments, especially in multi-leptons :

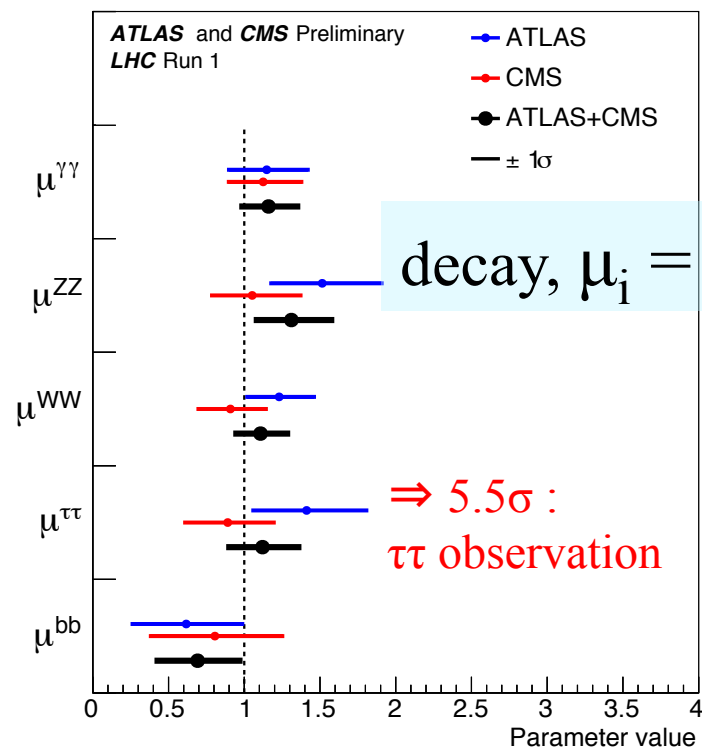
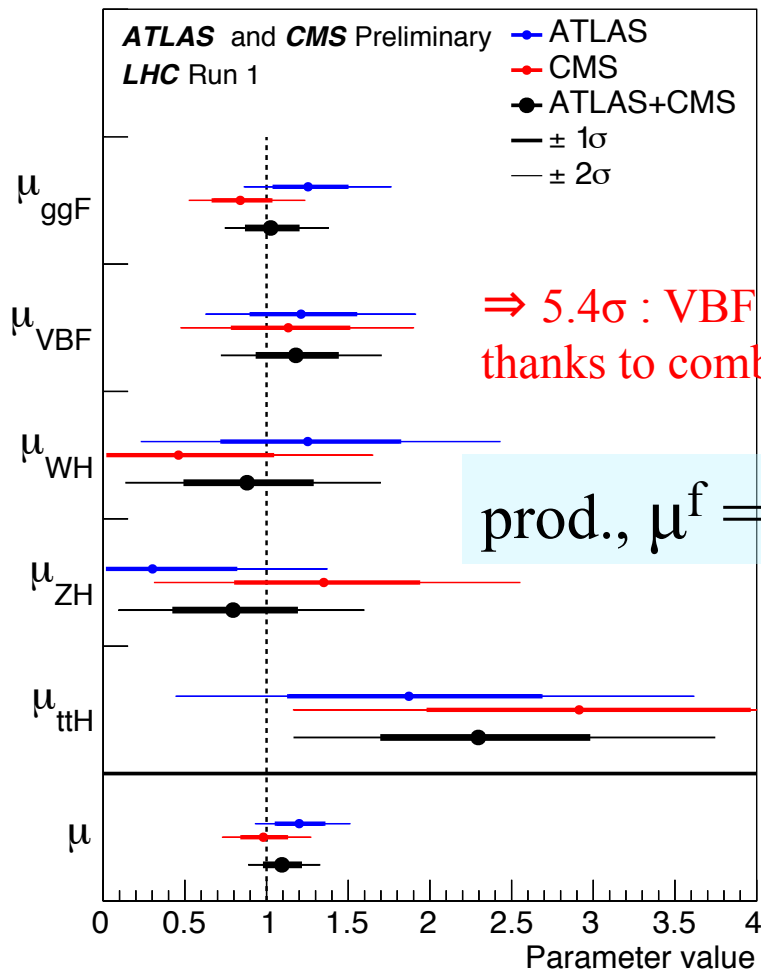
$$\begin{aligned} \text{ATLAS} : \mu(\text{ttH, leptons}) &= 2.1^{+1.4}_{-1.2} \\ \text{CMS} : \mu(\text{ttH, WW}^*\text{-tag}) &\sim 4.0^{+1.7}_{-1.6} \end{aligned}$$

⇒ Eagerly waiting for run II results on ttH, which benefits the most of  $\sqrt{s}$  increase (Signal  $\times$  3.9) !

(run II :  $\sim 125$  fb<sup>-1</sup> by the end of 2018)

# ATLAS + CMS combination

Disentangling production (assuming same strength at 7 and 8 TeV) and decay in the global fit :



The rather low  $\mu^{bb}$  has a large impact on the interpretation since it enters the width with the leading coefficient...

$$\mu = 1.09 \pm 0.07_{\text{stat}} \pm 0.04_{\text{exp}} \pm 0.03_{\text{bkgth}} \pm 0.07_{\text{sigth}}$$

Very constraining for singlet extension  
 $\Rightarrow$  or minimal composite (MCHM4) models :  
 from ATLAS alone :  $f > 710$  GeV

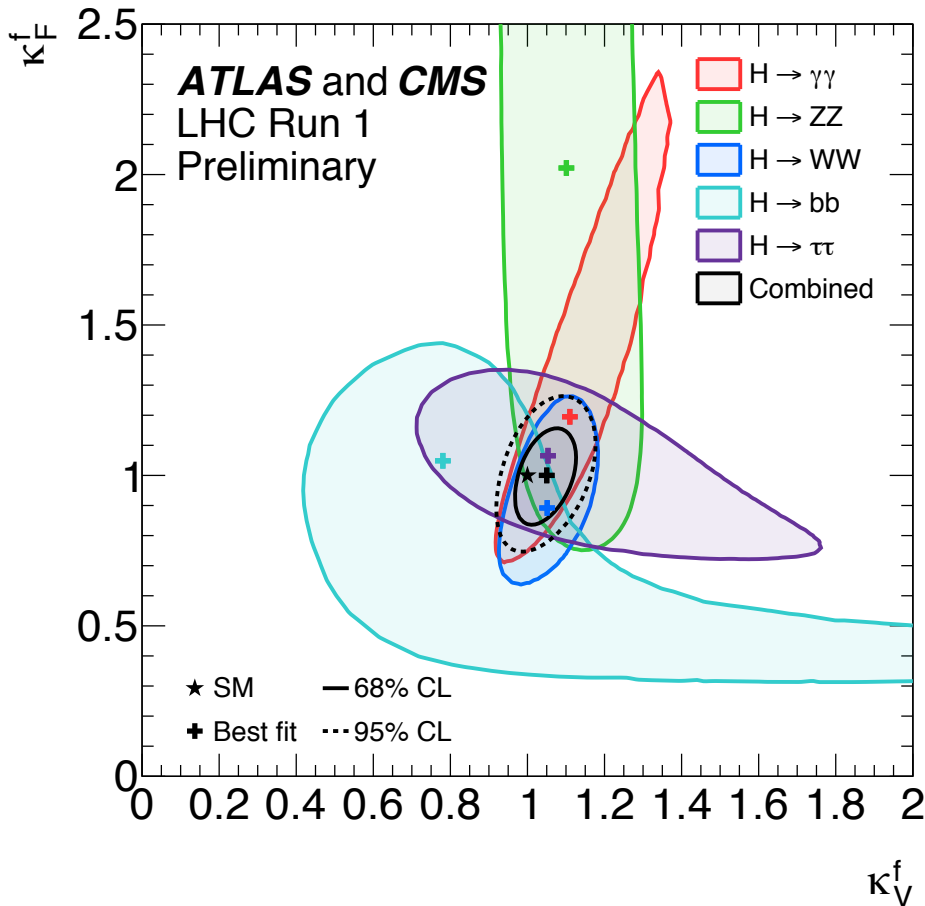
Comparable signal theory uncertainty (dominated by ggF cross-section)  
 and stat. uncertainty : call for improved predictions...

Already there with N<sup>3</sup>LO for ggF, improved pdf (agreement) !



Going to coupling modifiers : different tests following different assumptions can be performed

Example 1 : no BSM in loops nor decay, a single modifier for W/Z  $\kappa_V$  and fermions  $\kappa_F$



Convention  $\kappa_V > 0$

Some channels are sensitive to  $\text{sign}(\kappa_V, \kappa_F)$

- especially  $\gamma\gamma$  decay

- also single top-associated production

- and  $bb$  through  $gg \rightarrow ZH$  !

(each decay channel but  $bb$  slightly prefers  $\kappa_F < 0$  but the overlap is by far not as good as for  $\kappa_F > 0$ )

⇒ the positive solution is highly favoured,  
 $\kappa_F < 0$  excluded (@  $\sim 5\sigma$ )

Same model used to constrain  
 next-to-minimal composite (MCHM5) model :  
 from ATLAS alone :  $f > 780$  GeV (600 GeV exp.)

**Example 2 :** going outside SM, no assumptions on BSM decays or in loops

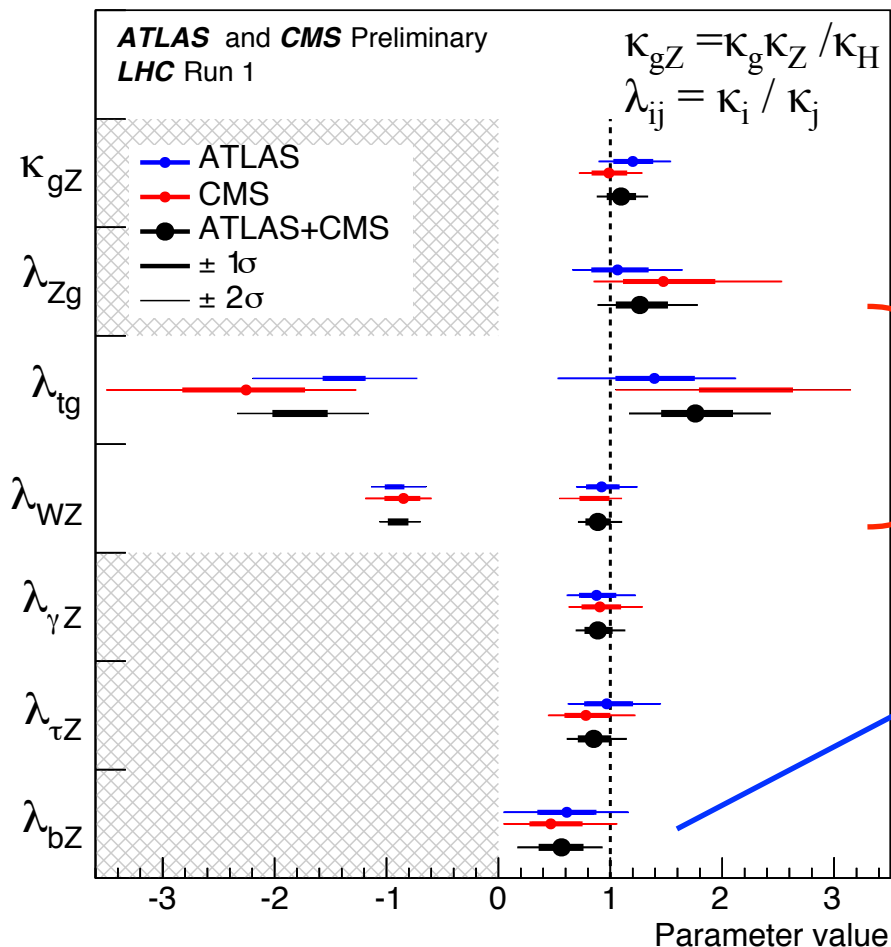
→  $\kappa_\gamma, \kappa_g$  ( $\kappa_{Z\gamma}$ ) are effective couplings ( $\kappa_{ggZH}$  always treated as resolved)

→  $B(\text{invisible/undetected}) \geq 0$

⇒ **the most generic parameterisation in terms of kappa factors**

- without any further assumption, only ratio of kappas can be determined

- additional *reasonable* assumptions could be  $\kappa_V < 1$  or  $\kappa_{\text{on-shell}} = \kappa_{\text{off-shell}}$



Sign sensitivity through  
tH + ggZH (resolved in this analysis)

positive solutions very slightly favoured

$\lambda_{bZ}$  rather low : conspiracy of

- a high  $\sigma(\text{ttH}) / \sigma_{\text{ggF}}$   
(multi-lep.)

- a high  $\sigma(\text{ZH}) / \sigma_{\text{ggF}}$   
(CMS, dijet cat.)

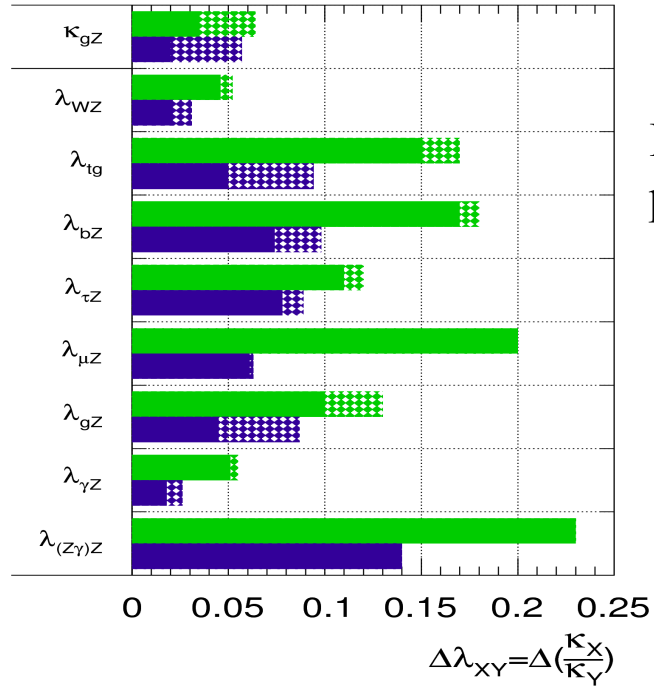
- low  $VH, H \rightarrow bb$

whereas ttH,  $H \rightarrow bb$  is not that high

# Some expectations for beyond run II

→ most prospects have been considering integrated luminosities of  $0.3 \text{ ab}^{-1}$  (~2024) or  $3.0 \text{ ab}^{-1}$  (~2035)

**ATLAS Simulation Preliminary**  
 $\sqrt{s} = 14 \text{ TeV}$ :  $\int \mathcal{L} dt = 300 \text{ fb}^{-1}$  ;  $\int \mathcal{L} dt = 3000 \text{ fb}^{-1}$



In particular for  $0.3 \text{ ab}^{-1}$  factor  $\sim 2$  gain on precision for  $\lambda_{\gamma Z}$  :  $\sim 5\%$  accuracy assuming 2014 theory uncertainties  
 $\Rightarrow$  sensitivity to new charged particles in the loop ?

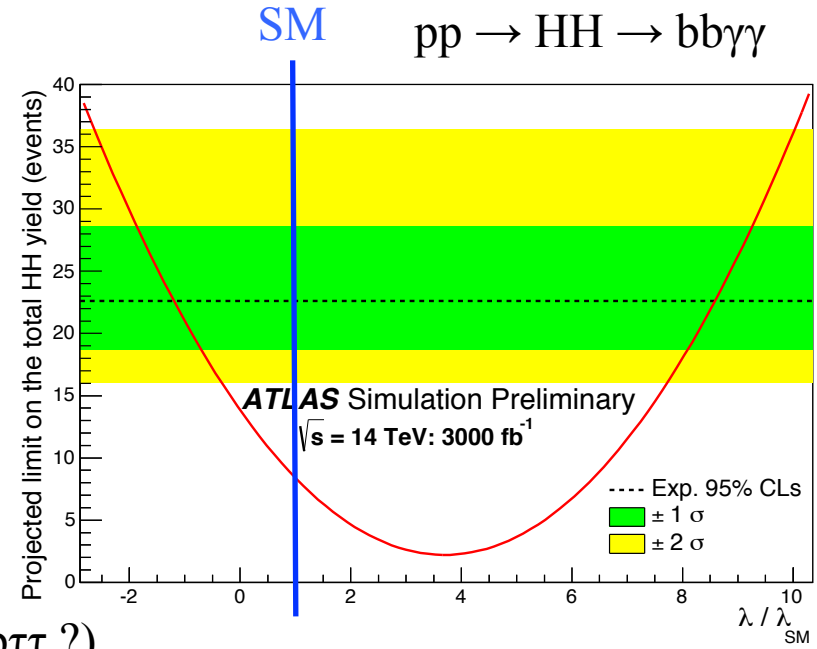
🐦 What about the trilinear  $\lambda_{3H}$  coupling ?

$$V_{SM}(H) = \lambda v^2 H^2 + \lambda v H^3 + \frac{\lambda}{4} H^4$$

$$\lambda = m_H^2 / 2v^2 \sim 0.13, \lambda_{3H} = 3m_H^2 / 2v \sim 191 \text{ GeV}$$

Very very hard, needs HL-LHC : e.g. in  $bb\gamma\gamma$   
 $S \sim 8.4, B \sim 47.1, \lambda/\lambda_{SM} \in [-1.3, 8.7] @ 95\%CL$

Work in progress to try to include more final states ( $bb\tau\tau$  ?)...



⇒ Most of the measurements aiming at characterizing the new boson discovered by ATLAS and CMS point to a particle *very compatible with the SM Higgs boson*

a light, narrow width, elementary at the TeV scale, CP-even scalar particle  
coupling to massive particles

In the most simple test (a single modifier) a precision of order  $O(10\%)$  has been reached with similar contributions from stat. and theory systematic uncertainties

Precisions on constraints obtained on ratios of cross-sections or branching ratios are at the  $O(30\%)$  level

Most results from the ATLAS+CMS combination as expected from naïve combination but the huge combination work was needed to make sure this is indeed the case when taking properly correlations into account

Both experiments and the theory community are actively working to beyond the kappa framework

→ simplified / differential cross-sections

→ Higgs-Effective-Field theory

A huge success and yet a small disappointment :  
no sign of new physics in the characterization yet !

⇒ decoupling ? alignment ? Nothing ? ☹

# Searching for hints of physics beyond the standard model in the scalar sector

A huge number of possible analyses to corner the BSM+Higgs sector

- rare decays barely accessible at HL-LHC : e.g. Quarkonium+ $\gamma$ ,  $VP^{(*)}$  e.g.  $W^\pm \rho^\mp$
- 125 GeV Higgs as a portal to new physics : BSM production and decays
- Additional Higgs bosons : singlets, nHDM, triplets

# The Run I panorama : a (probably) not exhaustive list

(Courtesy of P. Savard)

Neutral Heavy Higgs to Fermions	$H/A \rightarrow (b)\tau\tau$ (LL, LH, HH)
	$H/A \rightarrow (b)\mu\mu$
	$H/A \rightarrow (b)bb$
	$H/A \rightarrow tt$

Neutral Heavy Higgs to Bosons	$H \rightarrow \gamma\gamma$
	$H \rightarrow ZZ \rightarrow 4l$
	$H \rightarrow ZZ \rightarrow ll\nu\nu$
	$H \rightarrow ZZ \rightarrow llqq$
	$H \rightarrow ZZ \rightarrow \nu\nu qq$
	$H \rightarrow WW \rightarrow l\nu l\nu$
	$H \rightarrow WW \rightarrow l\nu qq$

Neutral Heavy Higgs to Bosons, including light Higgs	$(H \rightarrow) hh \rightarrow \gamma\gamma bb$
	$(H \rightarrow) hh \rightarrow 4b$
	$(H \rightarrow) hh \rightarrow bb\tau\tau$
	$(H \rightarrow) hh \rightarrow VV \gamma\gamma \rightarrow 4j \gamma\gamma$
	$(H \rightarrow) hh \rightarrow WW \gamma\gamma \rightarrow l\nu qq \gamma\gamma$
	$A \rightarrow Zh \rightarrow ll\tau\tau$ (LL, LH, HH)
	$A \rightarrow Zh \rightarrow (ll/\nu\nu)bb$

Heavy and light Charged Higgs	$H^\pm \rightarrow \tau\nu + \text{jets}$
	$H^\pm \rightarrow tb$ (resolved)
	$H^\pm \rightarrow tb$ s-chan (had, L+j)
	$H^\pm \rightarrow \tau\nu + \text{lep}(s)$
	$H^\pm \rightarrow \mu\nu$
	$H^\pm \rightarrow cs$
	$H^\pm \rightarrow cb$
	- AW
	$H^\pm \rightarrow Wh$ (WH, WA)
	$H^\pm \rightarrow W\gamma$
	$H^\pm \rightarrow tb$ (boosted)
$H^\pm \rightarrow WZ \rightarrow tb$ ( $l\nu qq, qqll$ )	
$H^{\pm\pm}$	

LFV / FCNC / rare decays	$H \rightarrow \tau\mu, \tau e$
	$H \rightarrow e\mu$
	$H \rightarrow J/\psi\gamma, Y\gamma$
	$H \rightarrow ZJ/\psi, ZY$
	$H \rightarrow \phi\gamma$
	$t \rightarrow cH$ (various)

Exotics decays with MET, Dark-sector Inspired	mono H ( $\rightarrow \gamma\gamma + \text{MET}$ )
	mono H ( $\rightarrow bb + \text{MET}$ )
	mono H ( $\rightarrow 4l + \text{MET}$ )
	$H \rightarrow \gamma\gamma \text{dark}$
	$ZH \rightarrow (ll) \text{INV}$
	VBF $H \rightarrow \text{INV}$
	VH $\rightarrow (jj) \text{INV}$
$ttH \rightarrow \text{INV}$ (various)	
ggF $H \rightarrow \text{INV}$ (monojet).	

Exotics decays with no MET, Dark-sector / NMSSM Inspired	$H \rightarrow Z \text{dark} Z(\text{dark}) \rightarrow 4l$
	$h \rightarrow 2a \rightarrow \mu\mu\mu\mu$
	$h \rightarrow Za \rightarrow ll\mu\mu$
	$a \rightarrow \mu\mu$
	$h \rightarrow 2a \rightarrow 4\gamma$ (multiphoton)
	$h \rightarrow 2a \rightarrow bb\mu\mu$
	$h \rightarrow 2a \rightarrow bb\tau\tau$
	$(bb)a \rightarrow (bb)\tau\tau \rightarrow (bb)e\mu$
$h \rightarrow 2a \rightarrow 4\tau$	
$H^\pm \rightarrow aW$	

# The Run I panorama : a (probably not exhaustive list)

Courtesy of P. Savard)

Neutral Heavy Higgs to Fermions	$H/A \rightarrow (b)\tau\tau$ (LL, LH, HH)		$H \rightarrow \tau\nu + \text{jets}$	Exotics	mono H ( $\rightarrow \gamma\gamma + \text{MET}$ )
	$H/A \rightarrow (b)\mu\mu$		$H \rightarrow tb$ (resolved)		mono H ( $\rightarrow bb + \text{MET}$ )
	$H/A \rightarrow (b)bb$		$H \rightarrow tb$ s-chan (had, L+j)		mono H ( $\rightarrow 4l + \text{MET}$ )
	$H/A \rightarrow tt$		$H \rightarrow \tau\nu + \text{lep}(s)$		$H \rightarrow \gamma\gamma \text{dark}$
Neutral Heavy Higgs to Bosons	$H \rightarrow \gamma\gamma$	Only a few selected topics are presented here	<ul style="list-style-type: none"> <li>➤ Higgs portal and invisible decay :                             <ul style="list-style-type: none"> <li>- the VBF case</li> <li>- combination</li> </ul> </li> <li>➤ Flavour changing Higgs interactions                             <ul style="list-style-type: none"> <li>- <math>H \rightarrow \tau\mu</math></li> <li>- <math>t \rightarrow qH</math></li> </ul> </li> <li>➤ Additional Higgs bosons in 2HDM</li> </ul>		$ZH \rightarrow (ll)INV$
	$H \rightarrow ZZ \rightarrow 4l$				$VBF H \rightarrow INV$
	$H \rightarrow ZZ \rightarrow ll\nu\nu$				$VH \rightarrow (jj)INV$
	$H \rightarrow ZZ \rightarrow llqq$				$ttH \rightarrow INV$ (various)
	$H \rightarrow ZZ \rightarrow \nu\nu qq$				<b>ggF H <math>\rightarrow INV</math> (monojet).</b>
	$H \rightarrow WW \rightarrow l\nu l\nu$				$H \rightarrow Z\text{dark} Z(\text{dark}) \rightarrow 4l$
	$H \rightarrow WW \rightarrow l\nu qq$				$h \rightarrow 2a \rightarrow \mu\mu\mu\mu$
Neutral Heavy Higgs to Bosons, including light Higgs	$(H \rightarrow) hh \rightarrow \gamma\gamma bb$	LFV / FCNC / rare decays	$H \rightarrow J/\psi\gamma, Y\gamma$	Newcomer Inspired	$a \rightarrow \mu\mu$
	$(H \rightarrow) hh \rightarrow 4b$		$H \rightarrow ZJ/\psi, ZY$		$h \rightarrow 2a \rightarrow 4\gamma$ (multiphoton)
	$(H \rightarrow) hh \rightarrow bb\tau\tau$		$H \rightarrow \phi\gamma$		$h \rightarrow 2a \rightarrow bb\mu\mu$
	$(H \rightarrow) hh \rightarrow VV\gamma\gamma \rightarrow 4j\gamma\gamma,$		$t \rightarrow cH$ (various)		$h \rightarrow 2a \rightarrow bb\tau\tau$
	$(H \rightarrow) hh \rightarrow WW\gamma\gamma \rightarrow l\nu qq\gamma\gamma$				$(bb)a \rightarrow (bb)\tau\tau \rightarrow (bb)e\mu$
	$A \rightarrow Zh \rightarrow ll\tau\tau$ (LL, LH, HH)				$h \rightarrow 2a \rightarrow 4\tau$
	$A \rightarrow Zh \rightarrow (ll\nu\nu)bb$				$H \rightarrow aW$

# Higgs portal and invisible decays



**Indirect limit** on the invisible (/undetected) branching ratio can be determined from the coupling fits. In the most generic model tested, the

$$\kappa_W, \kappa_Z, \kappa_t, \kappa_b, \kappa_\tau, \kappa_\mu, \kappa_g, \kappa_\gamma, \kappa_\tau, \kappa_{Z\gamma}, \mathcal{B} = \text{Br}(H \rightarrow \text{inv})$$

model, and assuming  $\kappa_W, \kappa_Z < 1$  to lift the model degeneracy

$$\mathcal{B} < 0.49 \text{ @ } 95\% \text{ CL} \text{ (assuming } \kappa_{\text{on-shell}} = \kappa_{\text{off-shell}} \text{ gives } \mathcal{B} < 0.68)$$

**Direct search** for invisible decay  $H \rightarrow \chi\chi$ , where  $\chi$  is a generic (quasi-) stable neutral and weakly interacting particle (e.g. the lightest neutralino in  $R_p$ -conserving SUSY)

⇒ use Higgs boson associated production VBF or VH,  $V = W/Z$   
(ttH might also be used)

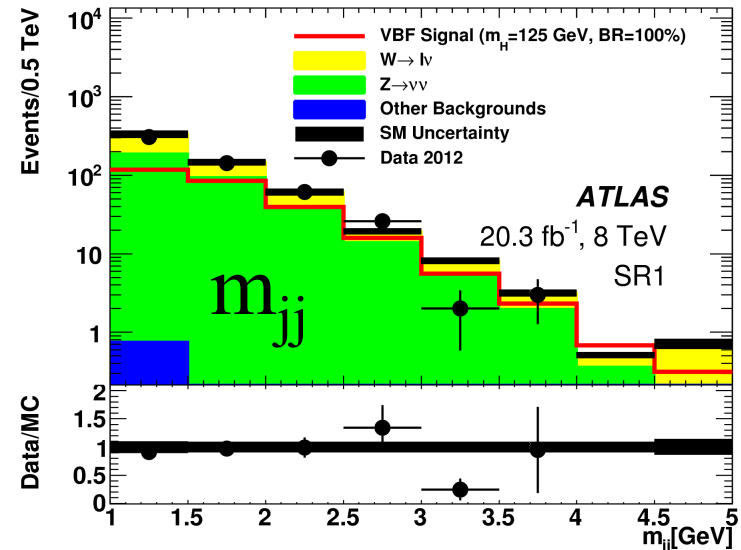
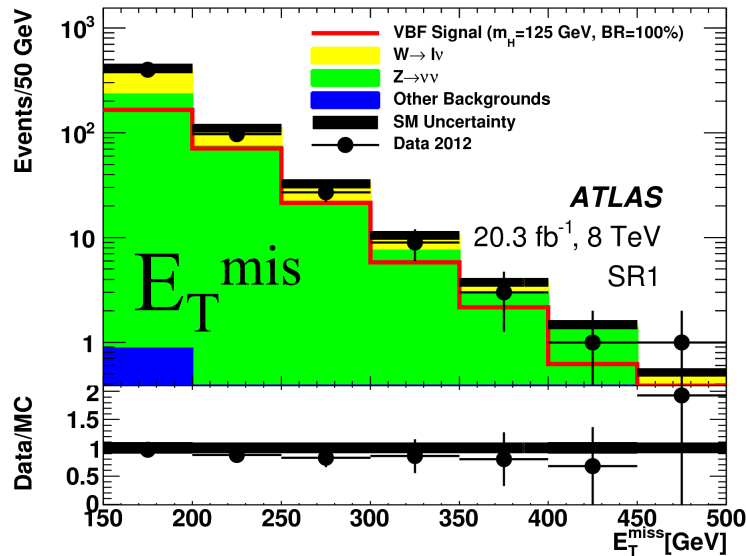
⇒ or single production, relying on ISR tagging  
(smaller sensitivity, from mono-jet or mono-V tagging (*unresolved W : fat jet*)  
since not specifically designed towards Higgs production )

All results quantified in term of  $\xi = \frac{\sigma \times \mathcal{B}_{inv}}{\sigma_{SM}}$  or  $\mathcal{B}$  assuming SM production

## Search in VBF production

combine three analysis categories SR1 and SR2a,b which add a 10% sensitivity to SR1

Typical VBF signature : 2 high  $p_T$  jets with high  $m_{jj}$  ( $> 1$  TeV in SR1), large  $\Delta\eta_{jj}$  ( $> 4.8$  in SR1), 3<sup>rd</sup> jet veto + large  $E_T^{\text{mis}}$  from  $H \rightarrow \text{inv}$  ( $> 150$  GeV in SR1) (+ anti-QCD cuts)



Control regions dedicated to Z+jets and W+jets used together with Signal regions in final fit (using 1/2 lepton events, adding lepton in  $E_T^{\text{mis}}$ )

In the most sensitive signal region :

Sig( $\mathcal{B}=1$ ) :  $N = 306 \pm 59$  (7% ggH)

Bkg :  $N = 577 \pm 62$  (59% Z+jets, 41% W+jets)

$N(\text{data}) = 539$

Combining the three :  $\mathcal{B} < 0.28$  (0.31 exp.)

[SR1 alone : 0.30 (0.35 exp)]

The sensitivity in the invisible decay search is a great achievement : before data taking, it was not clear if VBF would be useable at such a large instantaneous luminosity

Combining with (much less sensitive) dedicated VH searches using  $Z \rightarrow \ell\ell$  and  $W/Z \rightarrow qq$  :

$$\mathcal{B} < 0.25 \text{ (0.27 exp.)}$$

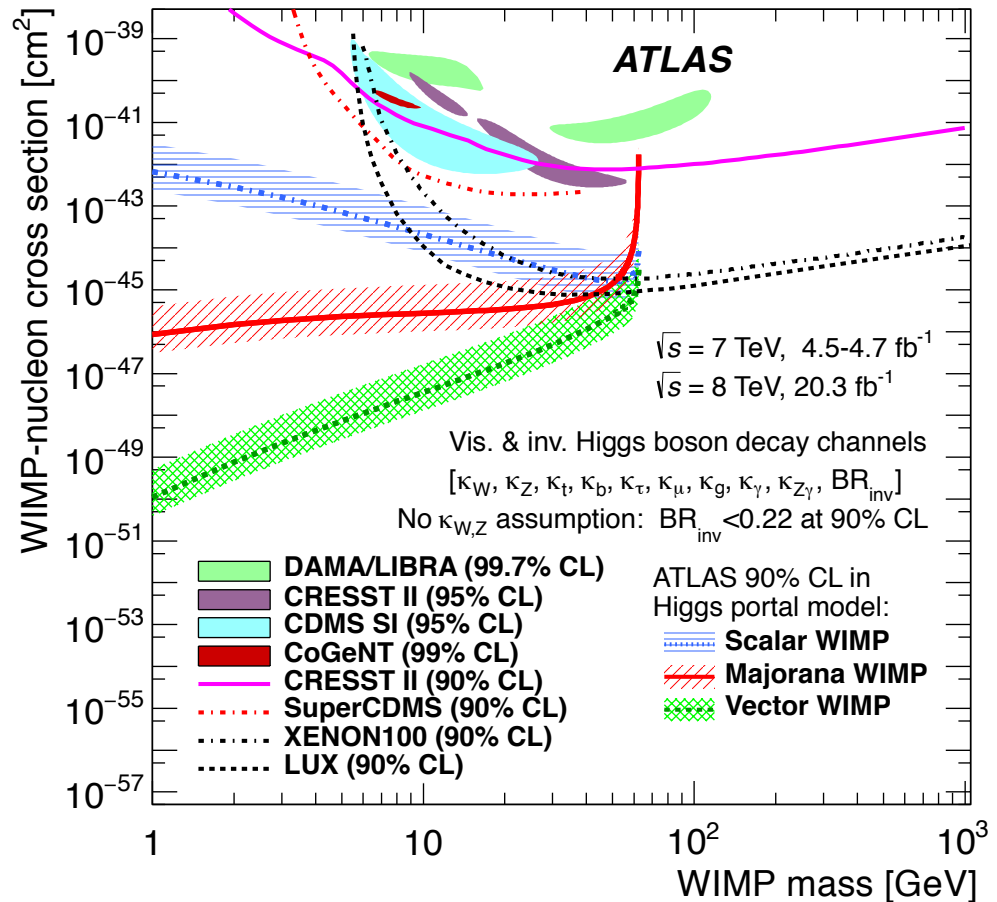
The indirect limit ( $\mathcal{B} < 0.49$ ) assumes  $\kappa_W, \kappa_Z < 1$

The direct limit ( $\mathcal{B} < 0.25$ ) assumes  $\kappa_W = \kappa_Z = \kappa_g = 1$

⇒ Combine both and remove these assumptions !

$$\mathcal{B} < 0.23 \text{ (0.24 exp.)}$$

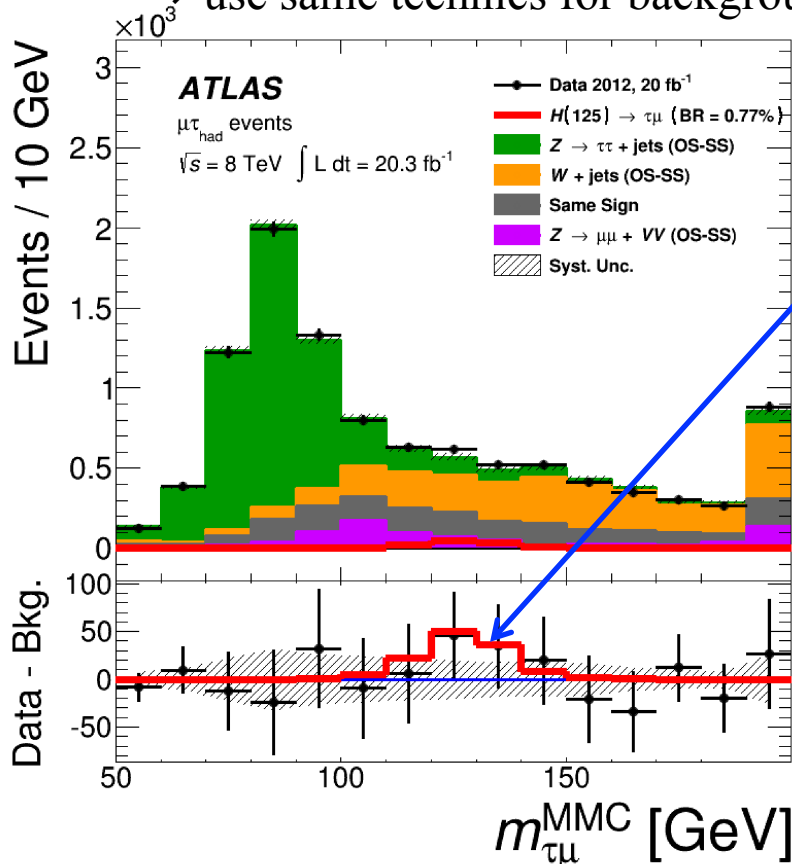
Interpreted as a limit on  $\sigma(\text{DM-nucleon})$   
 ⇒ very powerful at low DM mass which  
 is very tough for direct detection



# Flavour changing Higgs interactions

# Lepton Flavour Violation $H \rightarrow \tau\mu$

- Limits from  $\mu \rightarrow e\gamma \Rightarrow \mathcal{B}(H \rightarrow e\mu) \lesssim 10^{-8}$  but much weaker constrains for  $\mathcal{B}(H \rightarrow \tau\mu/\tau e)$
- In run I, LHC sensitivity not far away from the “*naturalness limit*” (Cheng-Sher ansatz)  
 $\lambda_{\tau\mu} \sim (2m_\tau m_\mu)^{0.5}/v \Rightarrow \mathcal{B} = \mathcal{B}(H \rightarrow \tau\mu) \sim m_\mu/m_\tau \mathcal{B}(H \rightarrow \tau\tau) \sim 0.4\%$
- Small ( $2.4\sigma$ ) excess seen in CMS :  $\mathcal{B} < 1.57\%$  (0.75% exp.), best fit  $\mathcal{B} = 0.84^{+0.39}_{-0.37} \%$
- ATLAS performed this search in the  $\tau_{\text{had}}\mu$ ; similar to standard  $H \rightarrow \tau\tau$  search :  
 $\Rightarrow$  use same technics for background and systematics uncertainties estimation



Using 20 fb<sup>-1</sup> of 8 TeV data, very small  $1.3\sigma$  excess  
 $\mathcal{B} < 1.85\%$  (1.24% exp.),  
 best fit  $\mathcal{B} = 0.77 \pm 0.62 \%$

An interesting  $\sim 2.6\sigma$  excess (CMS+ATLAS naïve combination !) to be monitored in run II :

Signal and main bkg increase by  $\sim 2$  :  
 \* in ATLAS expected limit could be

$$\mathcal{B} \lesssim 0.7\% (0.3\%) \text{ with } 20 \text{ fb}^{-1} (100 \text{ fb}^{-1})$$

$\Rightarrow$  sensitivity to “*naturalness limit*” with  $\tau_{\text{had}}+\mu$  only without major improvement nor combination with  $\tau_{\text{lep}}+\mu$

## Higgs boson Flavour Changing Neutral production $t \rightarrow qH$

Tiny branching ratio in SM :  $\sim 10^{-15} / 10^{-17}$  for  $q = c / u$

$\Rightarrow$  Any observation of such processes is a non ambiguous sign of new physics

Some models predict enhancement by several order of magnitude

Benchmark coupling : again *Naturalness limit* :  $\lambda_{tcH} \sim 0.086$ ,  $\mathcal{B} \sim 0.2\%$

Both ATLAS and CMS searched for this in top-quark pairs :

$$pp \rightarrow t\bar{t} \rightarrow W^+ b Hq + c.c.$$

No excess has been observed  $\Rightarrow$  limits :

topology	H $\rightarrow \gamma\gamma$ (W $\rightarrow \ell\nu/qq$ )		multi-leptons	
	q = c	q = u	q = c	q = u
(%)				
ATLAS	0.79 (0.51)		0.79 (0.54)	0.78 (0.57)
CMS <sup>†</sup>	0.47 (0.71)	0.42 (0.65)	0.93 (0.89)	-

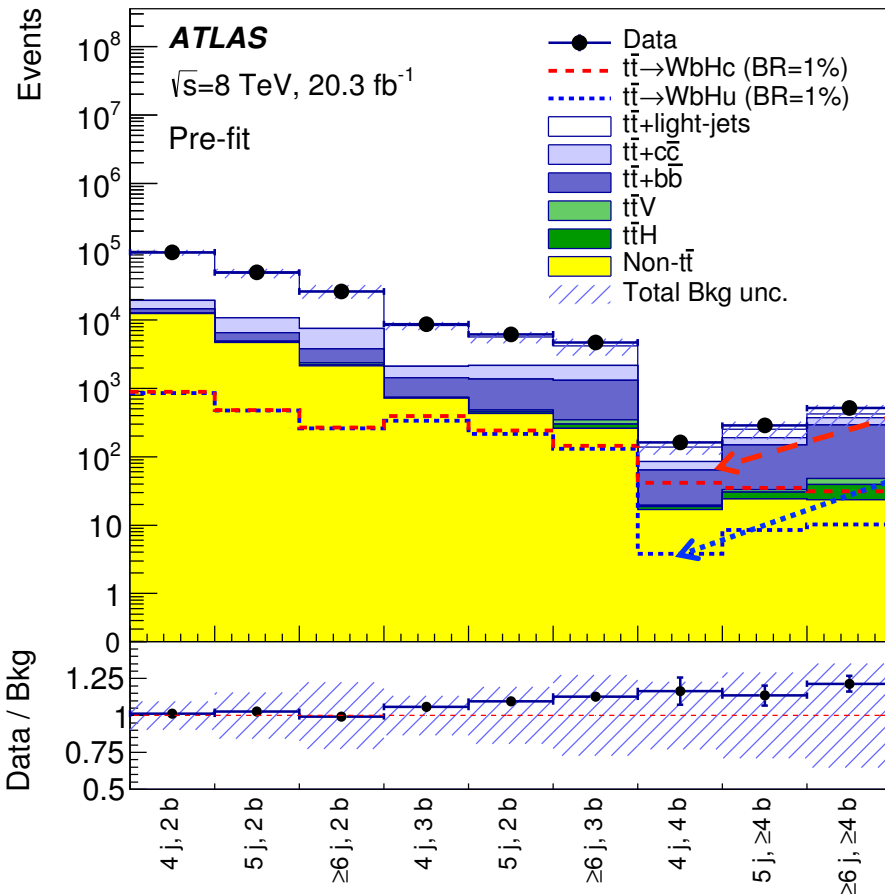
<sup>†</sup> unpublished results with better sensitivity than the published analysis ( $\mathcal{B} < 0.56\%$ )

- The ATLAS multi-lepton result is a simple re-interpretation of the SM ttH search in the multi-lepton topology : not optimized for this less busy final state but yet very sensitive !  
 $\Rightarrow$  Might hope for great improvement in run II

What about  $H \rightarrow bb$  ? A priori very tough !

Signal :  $\ell\nu b \text{ } \bar{b}q$   
 vs SM top pair background :  $\ell\nu b \text{ } q\bar{q}b$

- Much higher stat. than  $\gamma\gamma$  ( $\times 250$ )
- Handles : more b-tags, Higgs boson invariant mass
- ⇒ Recycle all techniques used for  $t\bar{t}H$ ,  $H \rightarrow bb$  :  
 constrain the background from data via simultaneous fit in categories in  
 $N_{\text{jet}}(4, 5, \geq 6)$  and  $N_{\text{bjet}}(2, 3, \geq 4)$



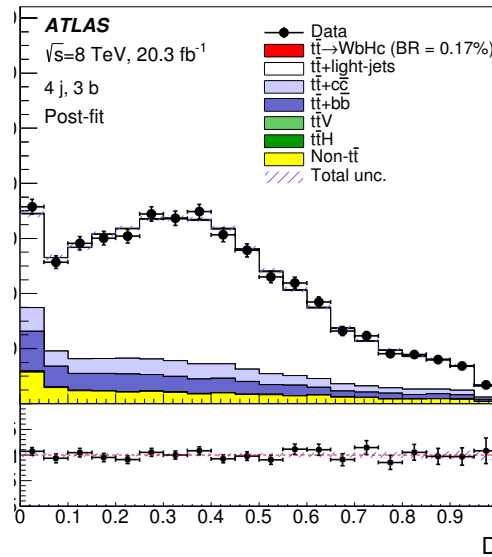
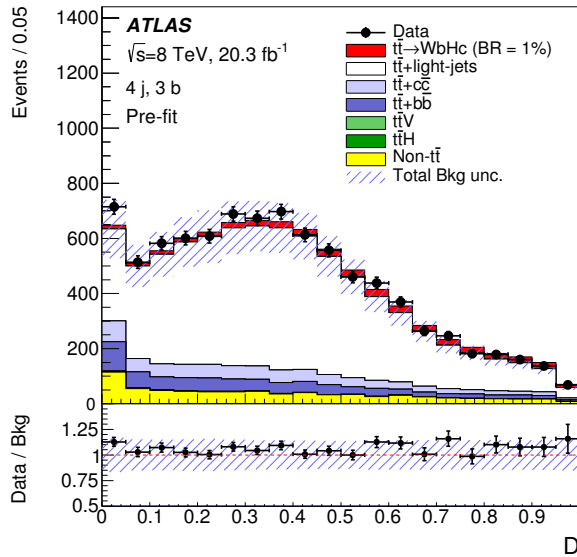
✓ Expect most sensitive categories  
 $(N_{\text{jet}} N_{\text{bjet}}) = (4,3), (4, \geq 4)$

✓ Sensitivity to  $q=c$  vs  $u$  using  $\geq 4$  b categories

✓ Final discriminant combines invariant masses  
 (two tops, a Higgs boson) and b-tagging into  
 a likelihood

pre-fit

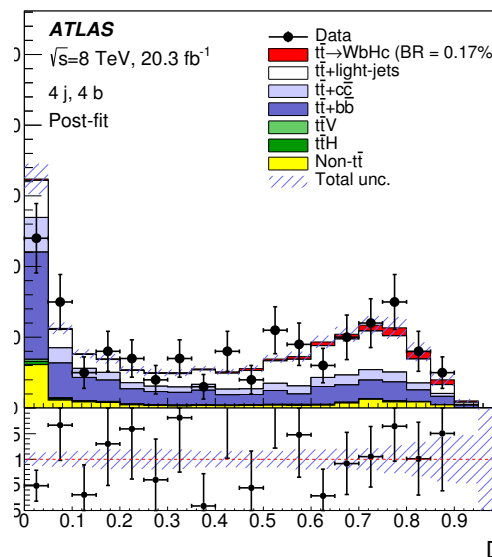
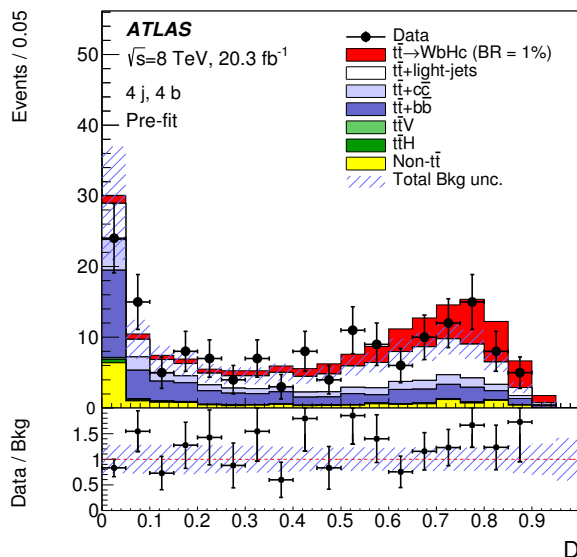
post-fit



No excess :

$$B(t \rightarrow cH) < 0.56\% \text{ (0.42\% exp)}$$

$$B(t \rightarrow uH) < 0.61\% \text{ (0.64\% exp)}$$



Combination with  $\gamma$  and multi-lep :

$$B(t \rightarrow cH) < 0.46\% \text{ (0.25\% exp)}$$

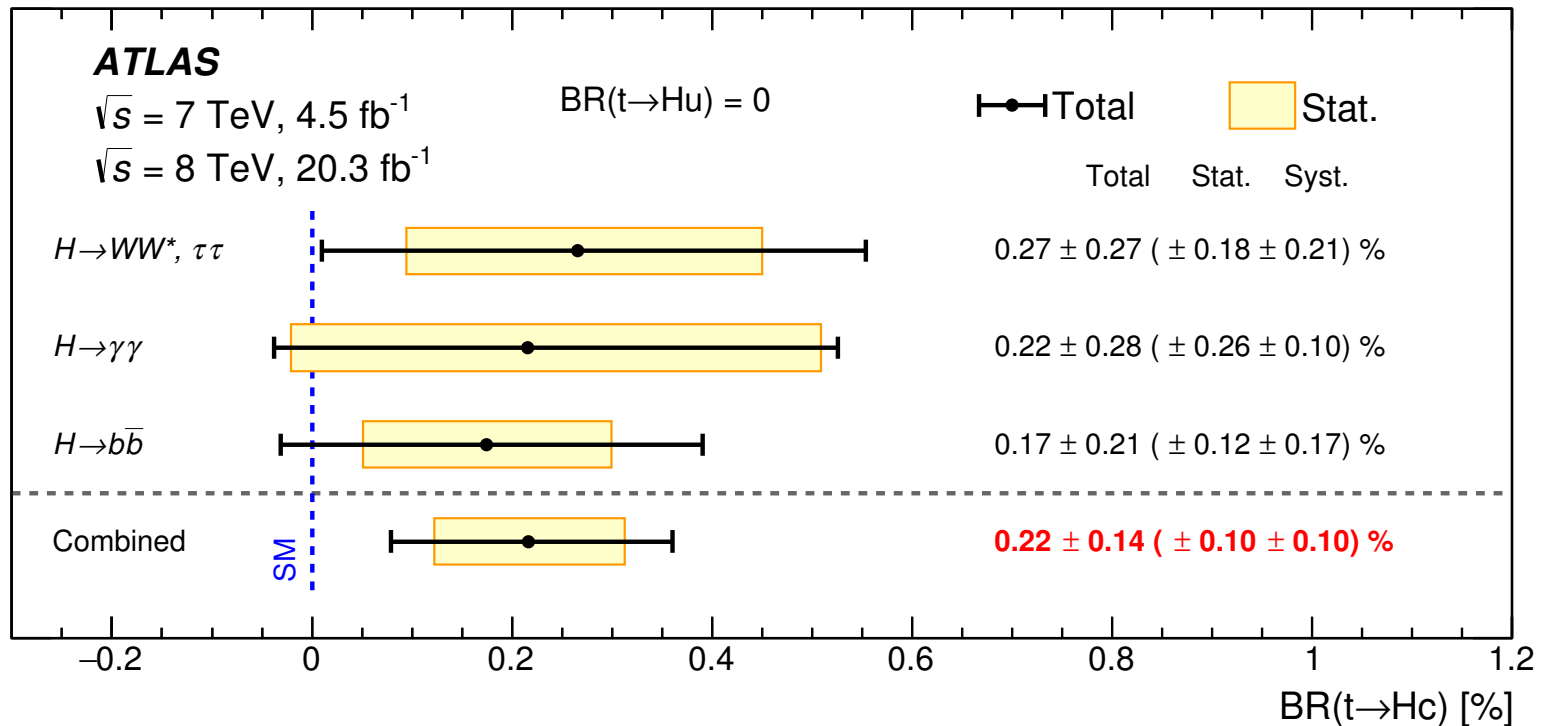
$$B(t \rightarrow uH) < 0.45\% \text{ (0.29\% exp)}$$



Intriguingly the three channels observed a slight excess (and for  $H \rightarrow bb$ , in the  $t \rightarrow cH$  decay) corresponding to a best fit value of

$$\mathcal{B}(t \rightarrow cH) = 0.22 \pm 0.14\%$$

which matches the *naturalness limit* ...



For run II, in the di-photon channel, expect  $\sim 3.7 \text{ events} / \text{fb}^{-1}$  for  $\mathcal{B} = 0.1\%$  :  
 sensitivity  $\sim 0.15\%$  with  $30 \text{ fb}^{-1}$

⇒ Adding the multi-lepton and bb final state might allow to probe well below the *naturalness limit* before the end of run II

# Additional Higgs bosons in 2HDM

Main effort : **Two Higgs Doublet Models (2HDM)** with CP :

2 CP-even (h/H), 1 CP-odd (A) and a pair of charged (H<sup>±</sup>) Higgs bosons,

most important parameters :  $\tan\beta = v_2/v_1$  (vev ratio),  $\alpha$  : mixing in the CP-even,  $m_A$

The resonance observed at 125 GeV/c<sup>2</sup> (h) is usually assumed to be the lightest CP-even

Strategy :

→ redundancy : several topologies can cover the same parameter space in given models

→ stay as model independent as possible (e.g.  $\alpha$  is often a free parameter,

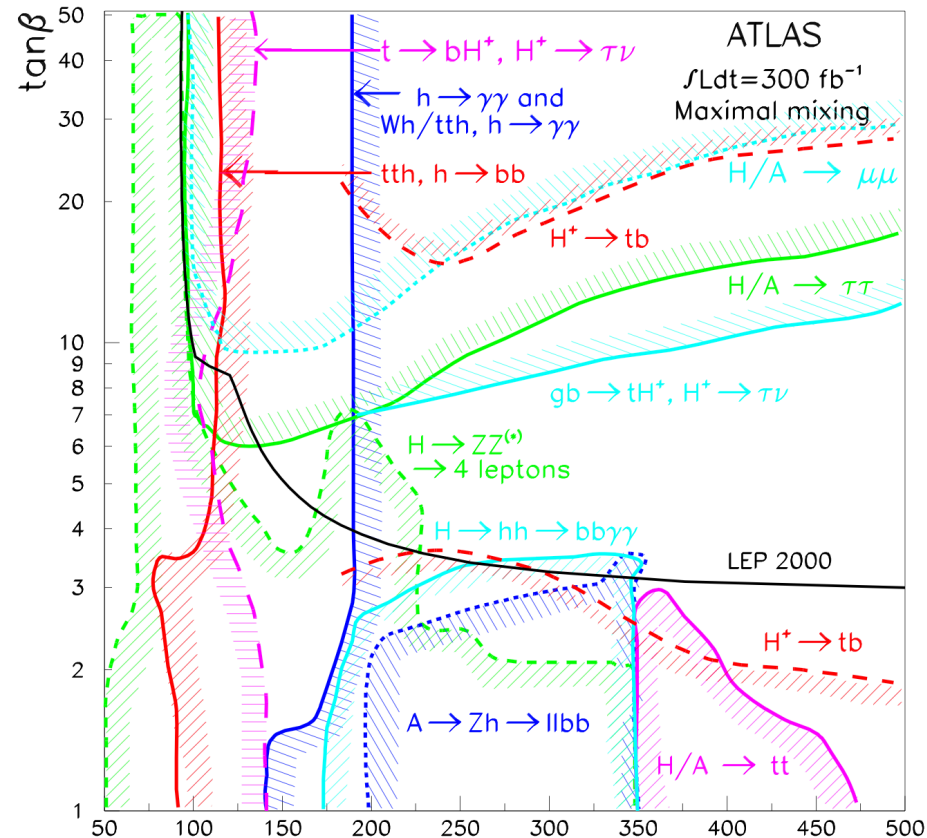
$$m_{H^\pm} \neq \sqrt{m_A^2 + m_W^2} \dots$$

Particular attention to 2HDM-type II (interpretation in the MSSM within the most recent benchmarks)

Not covered here :

- Most sensitive at high  $\tan\beta$  :  $A \rightarrow \tau\tau$
- di-Higgs e.g. from  $H \rightarrow hh (\rightarrow 4b, 2b2\gamma, \text{multi-}\ell + \gamma)$
- $H \rightarrow WW/ZZ$
- Charged Higgs

From the good old ATLAS TDR 1999



## Details on the search for $A \rightarrow Zh$

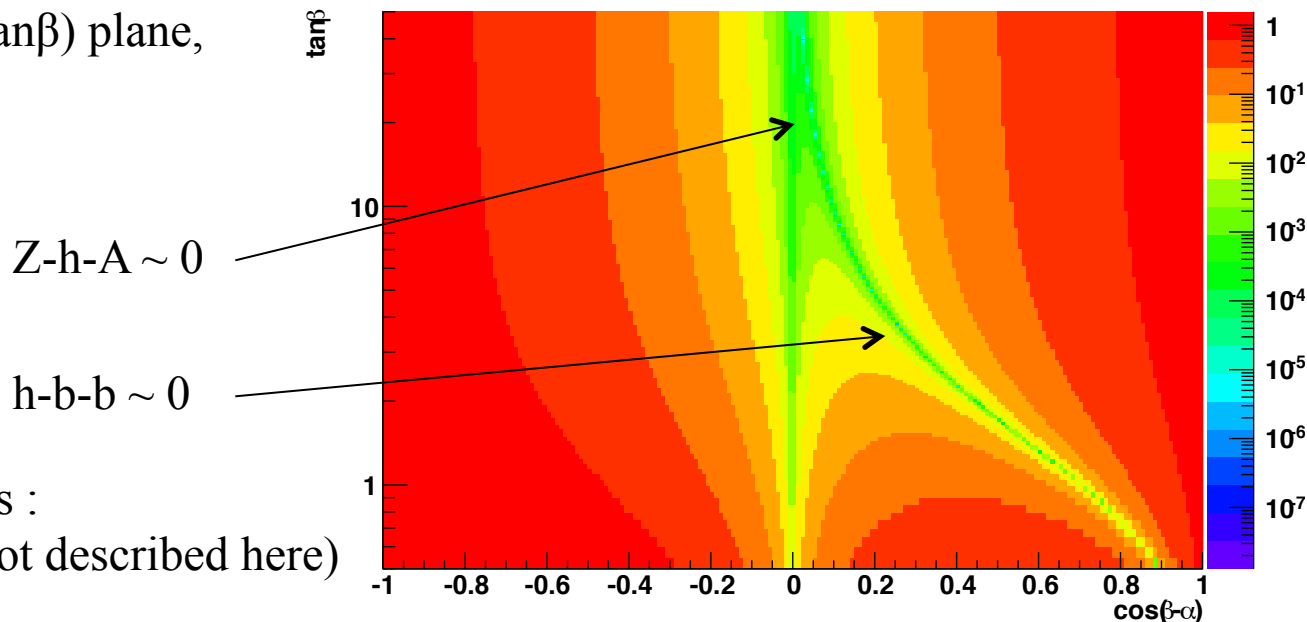
In the MSSM, especially useful at low  $\tan\beta$ , below the  $t\bar{t}$  threshold

For example in type II, using  $h \rightarrow$  down-type fermion pair, constraining coupling combination :

• Gluon fusion :  $\kappa = [t\text{-}t\text{-}A \sim 1/\tan\beta] \times [Z\text{-}h\text{-}A \sim \cos(\beta-\alpha)] \times [h\text{-}b\text{-}b \sim -\sin\alpha/\cos\beta]$

(• b-associated :  $[b\text{-}b\text{-}A \sim \tan\beta] \times [Z\text{-}h\text{-}A \sim \cos(\beta-\alpha)] \times [h\text{-}b\text{-}b \sim -\sin\alpha/\cos\beta]$ )

In the  $(\cos(\beta-\alpha), \tan\beta)$  plane,  
for  $ggA$  :



Most promising channels :

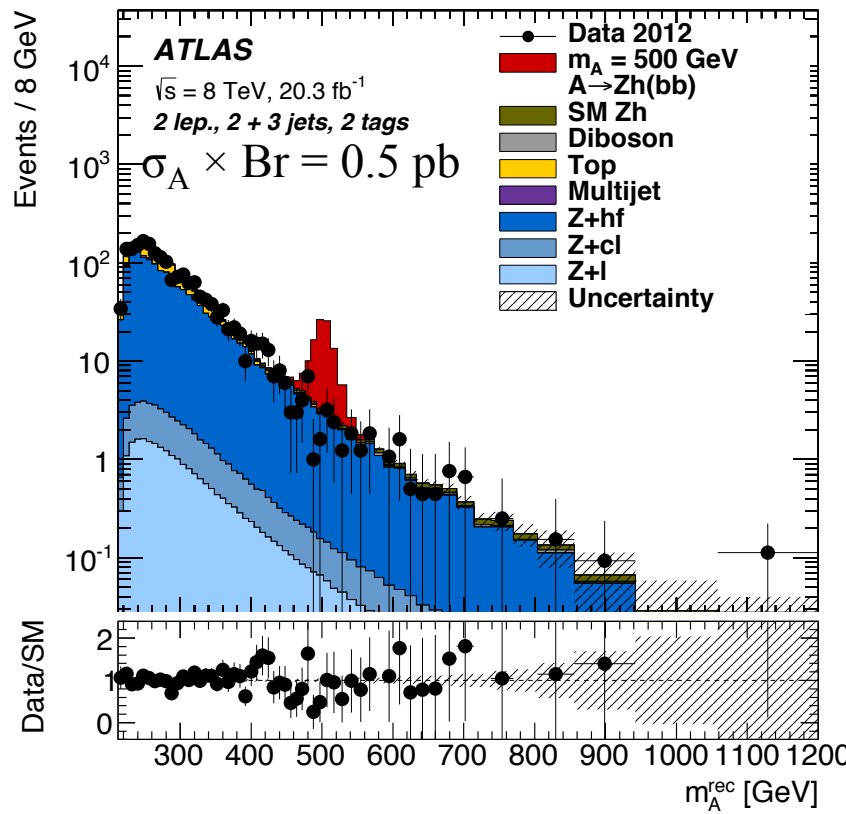
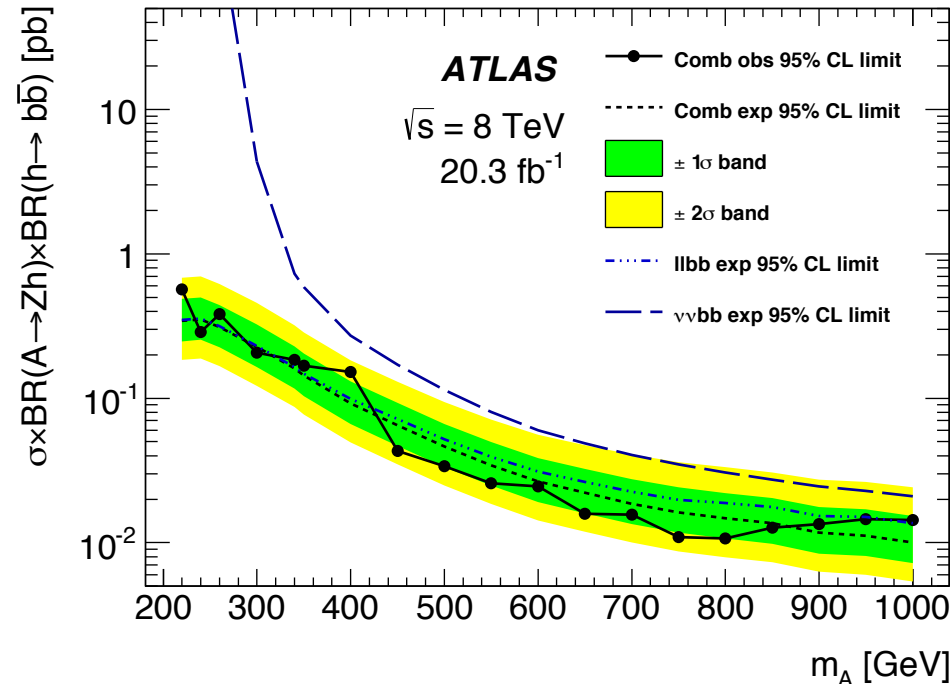
- $Z \rightarrow \ell^+\ell^-$   $h \rightarrow \tau\tau$  (not described here)
- $Z \rightarrow \ell^+\ell^-$   $h \rightarrow bb$

The  $h \rightarrow bb$  case profits from the background understanding acquired in the SM associated  $Zh$ ,  $h \rightarrow bb$  production study, especially  $Z + \text{jets}$

# The $\ell^+\ell^-$ bb channel

Very good four body invariant mass resolution,  
ranging from 2% to 3% for  $m_A \in [0.22, 1]$  TeV/ $c^2$

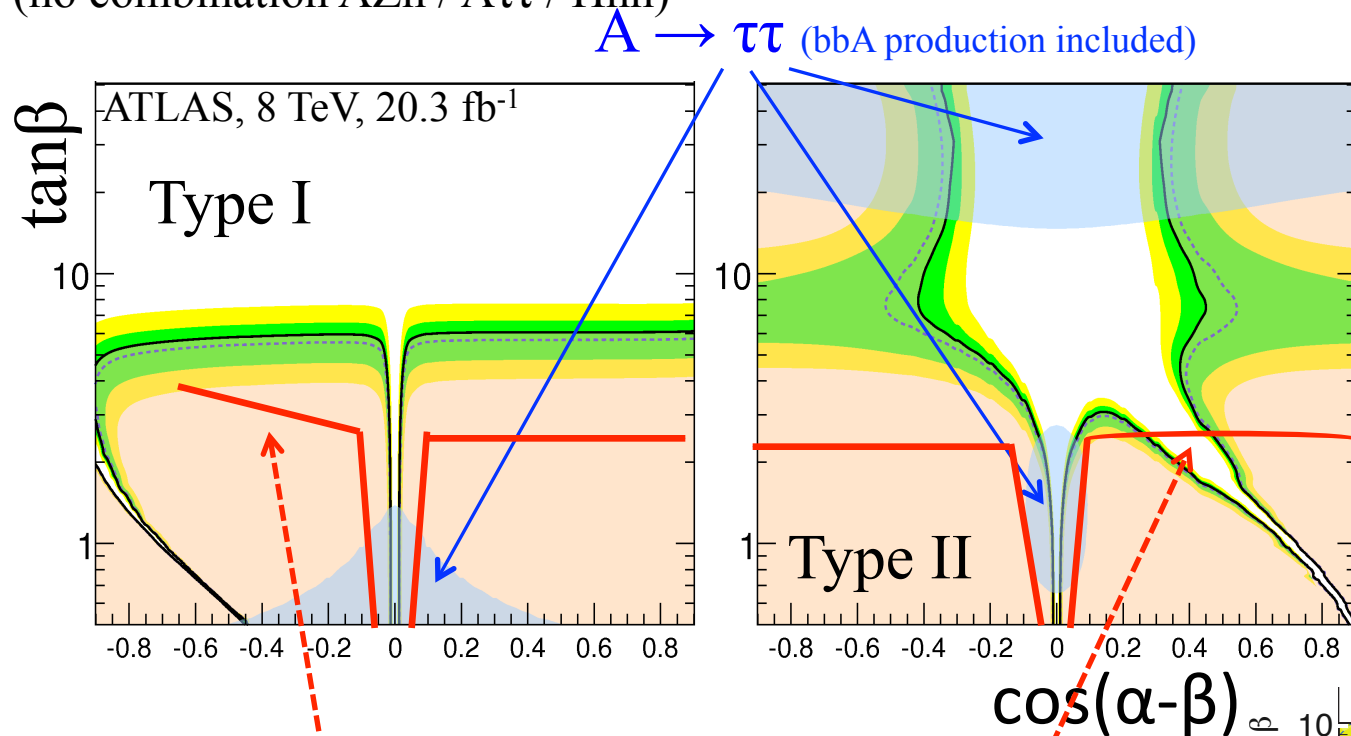
Adding the  $\nu\nu b\bar{b}$  channel :  
 $3\times$  yields (before cuts),  
 but no mass peak, only transverse mass  
 $\Rightarrow$  add  $\sim 10\%$  to the combined sensitivity  
 at  $\sim 500$  GeV/ $c^2$  but 50% at 1 TeV/ $c^2$   
 (assuming narrow width...)



$\Rightarrow$  (almost\*) model-independent limit on  
 $\sigma \times B(A \rightarrow Zh) \times B(h \rightarrow b\bar{b})$   
 between 570 and 14 fb

(\* : above the top threshold, the width can vary a lot  
 and a large width degrades the limit)

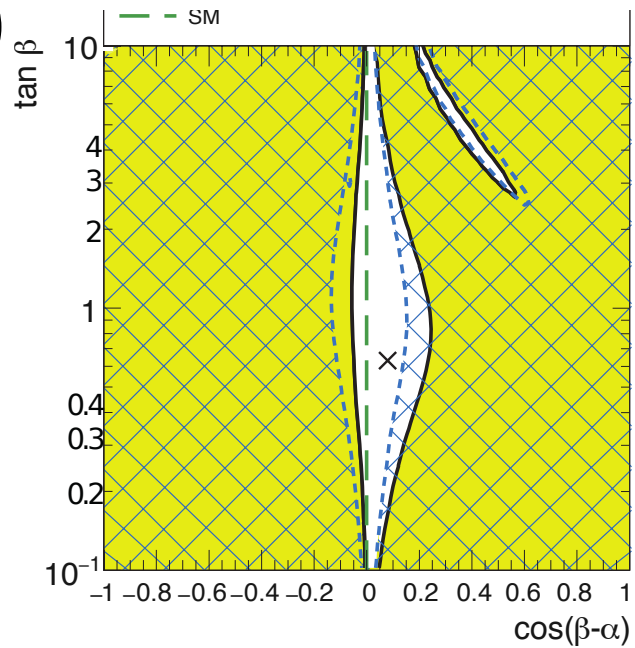
Interpretation: example of 2HDM I and II,  $m_A = 300 \text{ GeV}/c^2$   
 (no combination  $AZh$  /  $A\tau\tau$  /  $Hhh$ )



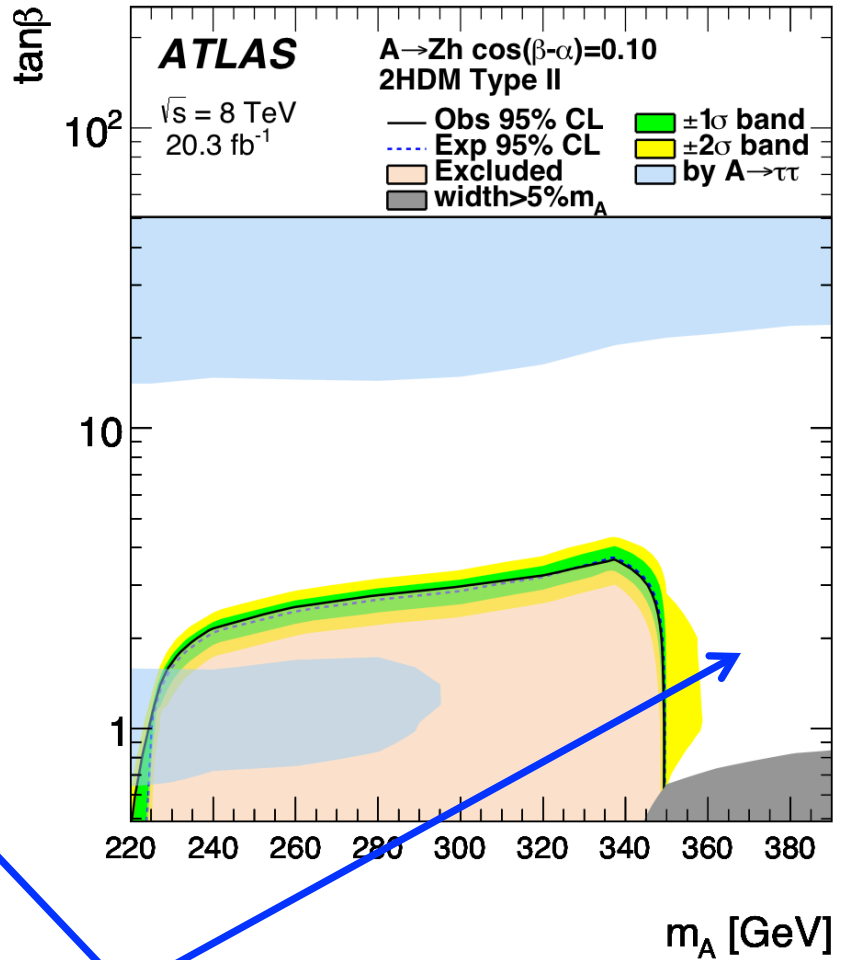
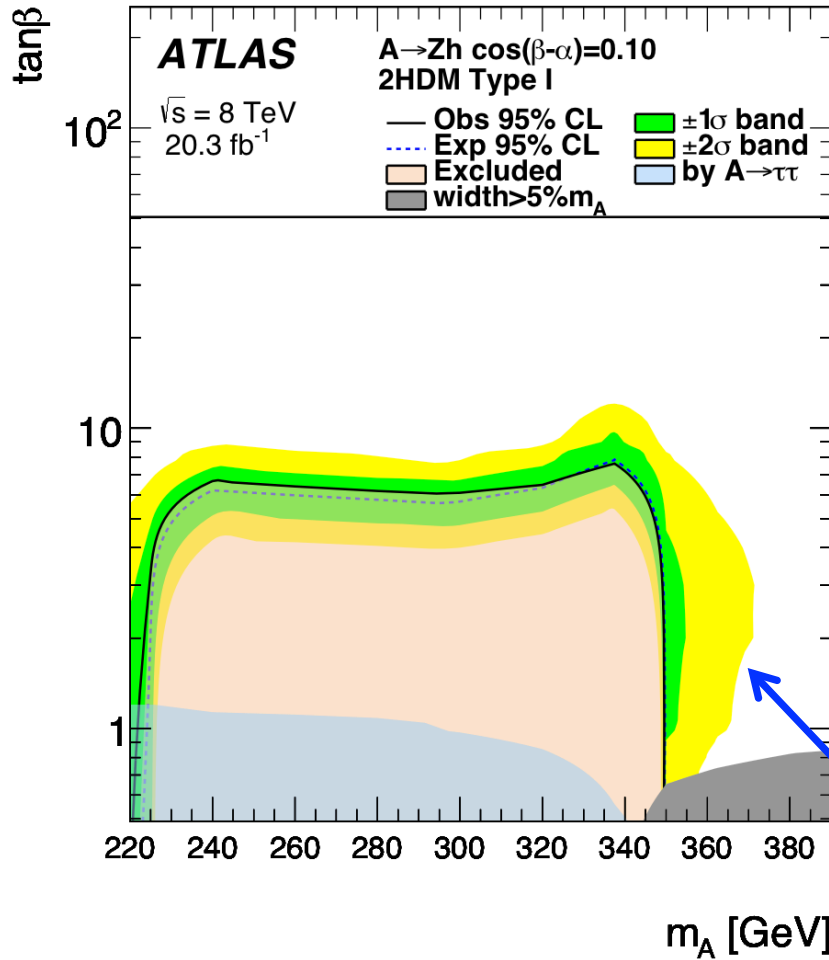
Nice complementarity  
 between  
 $A \rightarrow Zh$  and  $A \rightarrow \tau\tau$   
 in 2HDM II

CMS also looked at multi-lepton ( $\geq 3$  including at most 1  $\tau_{had}$ )  
 and  $\gamma\gamma$  decays searching for  $H \rightarrow hh$  and  $A \rightarrow Zh$   
 $\Rightarrow$  very important to fill the holes when  $h-b-b \sim 0$   
 ( $\sim h-\tau-\tau$  for 2HDM I,II)  
 (mainly from  $AZh$  so only slightly worse if assumption  $m_H = m_A$  is relaxed)

Example for 2HDM II  
 from  $h$  coupling measurements  
 $h \rightarrow ZZ^*, WW^*, \gamma\gamma, \tau\tau, bb$



In the  $(m_A, \tan\beta)$  plane, for  $\cos(\beta-\alpha) = 0.1$  :



Opening of  $A \rightarrow t\bar{t}$

# Interpretation in the simplified MSSM

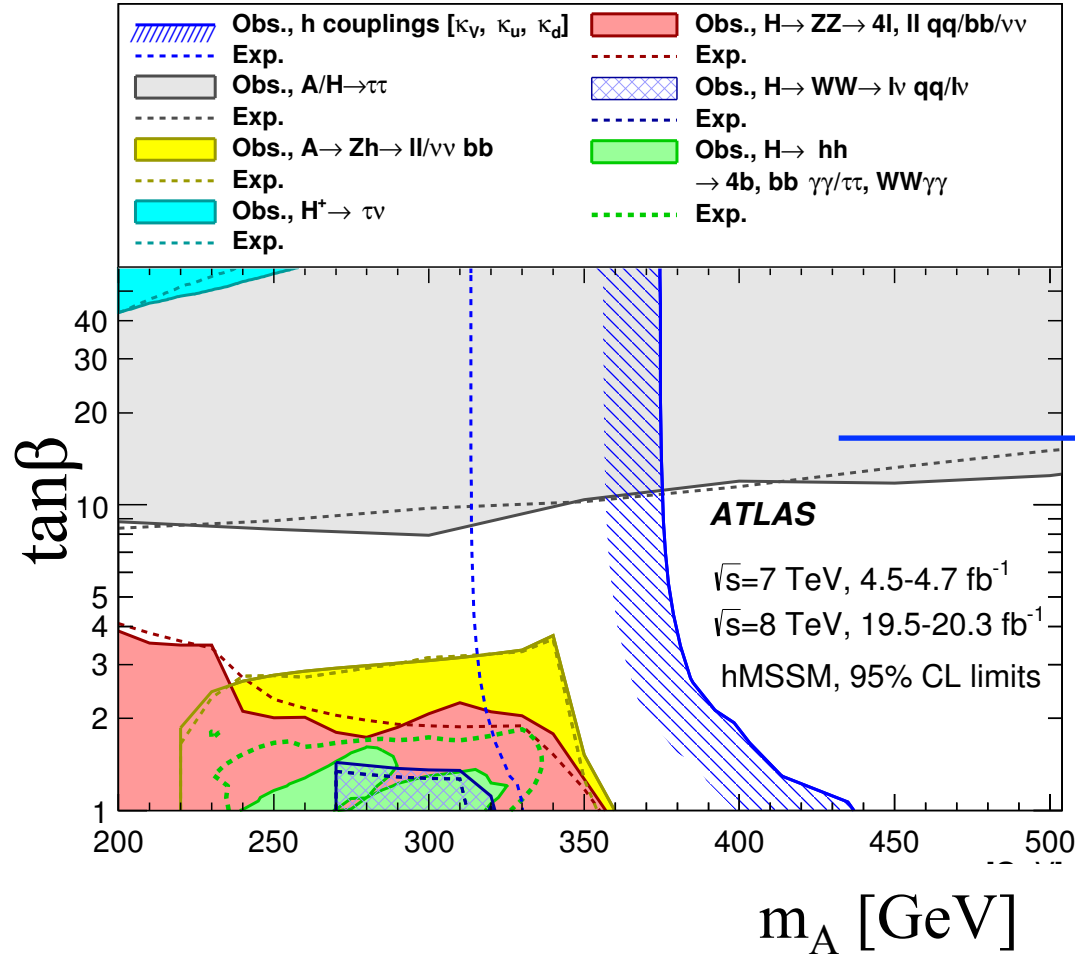
(using  $m_H = 125.1 \text{ GeV}/c^2$  to estimate radiative corrections to effective couplings)

A simple overlay of all constrains,  
not yet a global combination

Run I analyses not all done yet !

Work in progress for some missing channels

e.g.  $pp \rightarrow (b)tH^\pm, H^\pm \rightarrow tb$  at high  $m_{H^\pm}$



Remember : the expectation for

$L = 300 \text{ fb}^{-1}$  @ 14 TeV !

- NNLO (+ no decays to gauginos)

- smarter analyses

allowed to get there with 15 less lumi. and a smaller  $\sqrt{s}$  !

More channels should be covered in run II benefiting from better tools,

e.g. :

$A \rightarrow tt$  for  $m_A > 2 m_{\text{top}}$

with proper treatment of the interference with continuum background

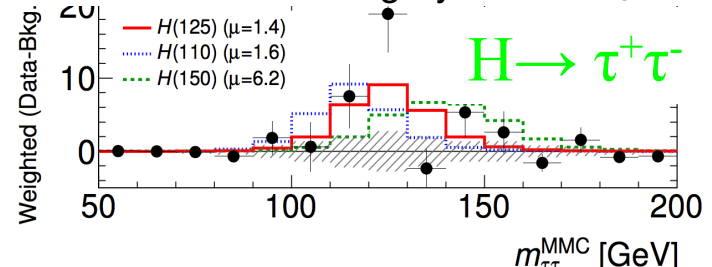
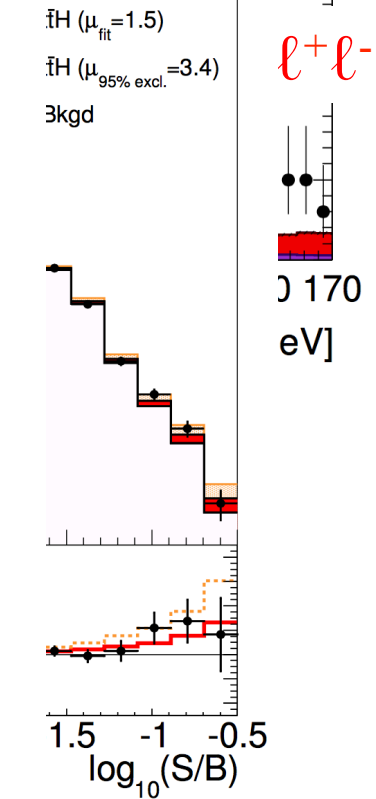
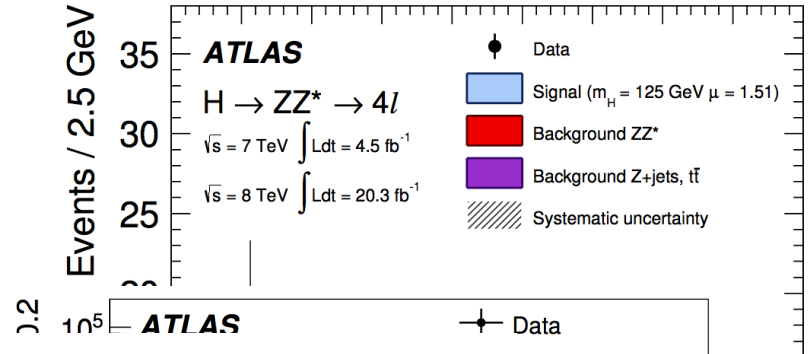
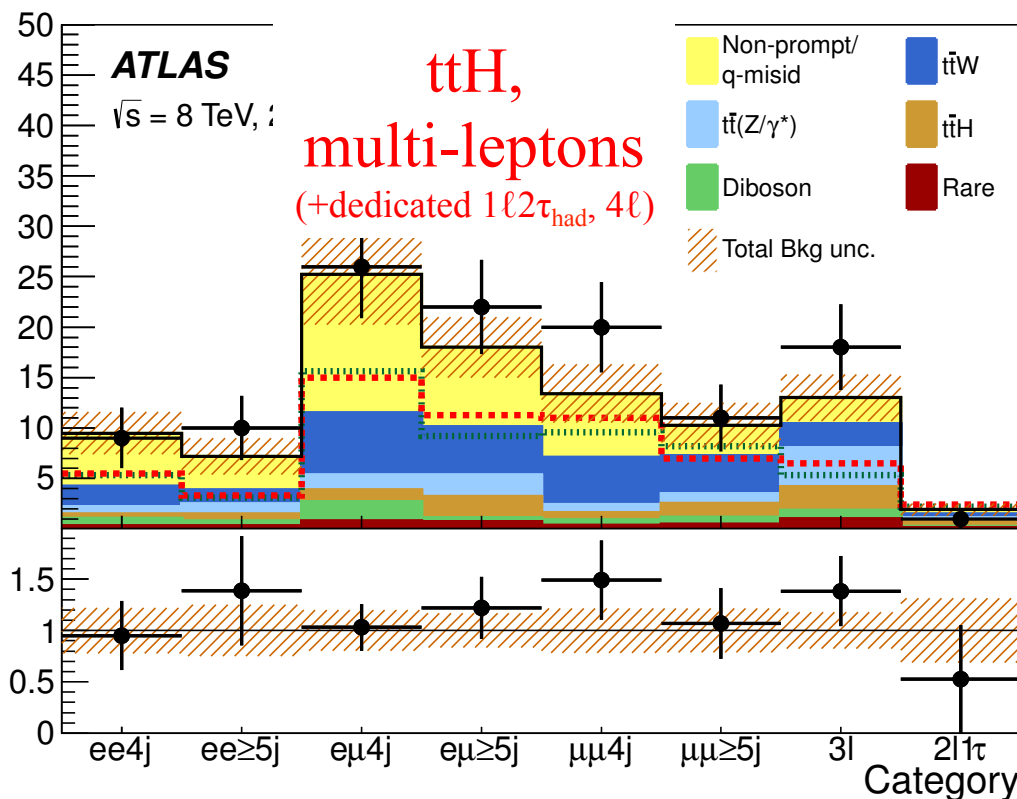
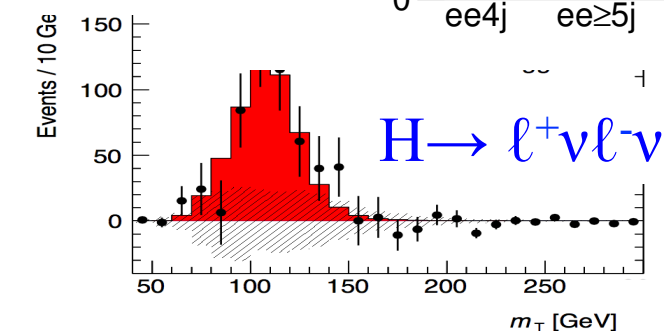
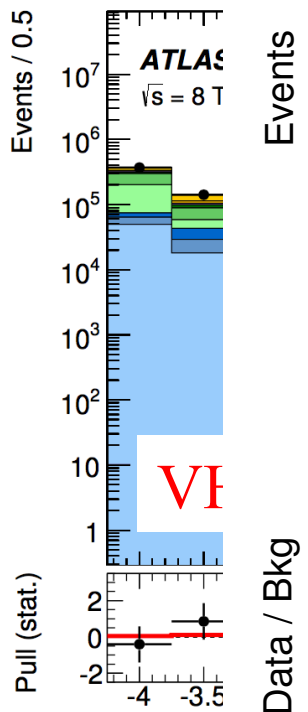
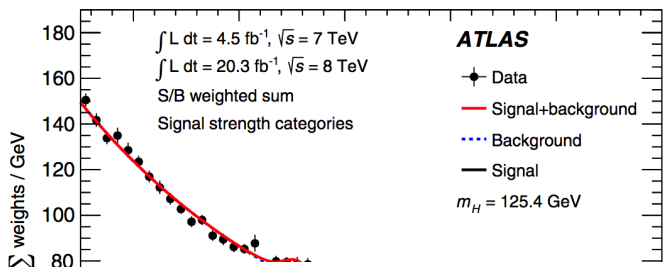


## Conclusions

- The discovered Higgs particle is *very* SM like :
  - \* low mass as preferred by SM precision measurements and theory
  - \* many measurements pointing to small width
    - direct (not very sensitive), off-shell, invisible Higgs exclusions, couplings rare decays, ...
  - \* scalar and no sizeable CP-odd component,
  - \* all couplings compatible with 1, typical precision in general fits :  $\sim 30/40\%$
  
- No sign of BSM in the Higgs sector yet...
  - But some small excesses to keep an eye on, e.g. ttH, lepton flavour violation
  
- Run II results might come quickly ! With  $\sim 4 \text{ fb}^{-1}$  (?) of 2015 data at 13 TeV
  - $\Rightarrow$  re-observation of H, especially  $\rightarrow \gamma\gamma, 4\ell$   
(cross-section  $\times 2.3$  (3.9 for ttH) w.r.t. 8 TeV)
  
  - $\Rightarrow$  beyond run I sensitivity for high mass BSM, e.g.  $A \rightarrow \tau\tau$

Back-up

# Measurements

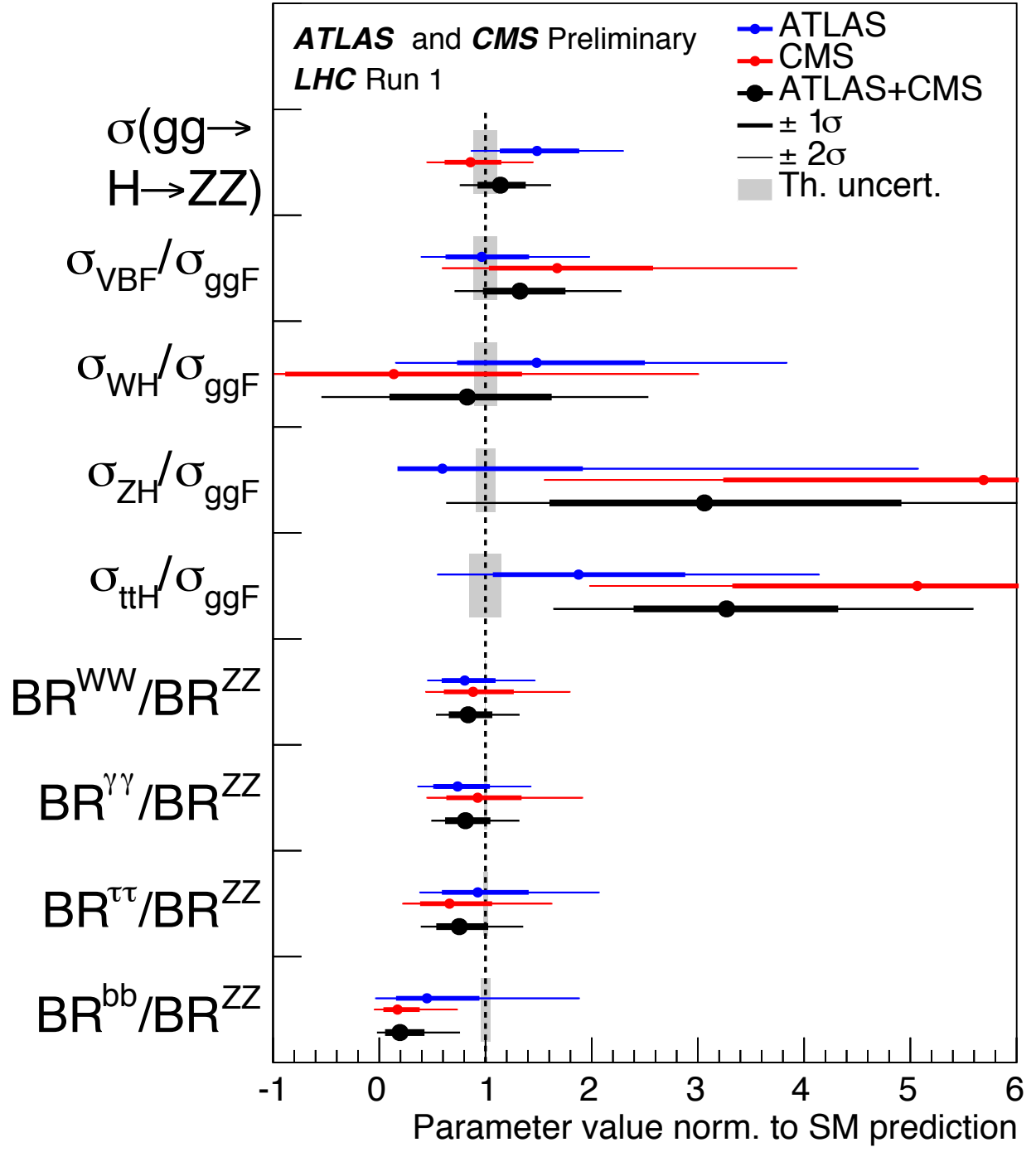


Ratio of cross-section and branching ratios

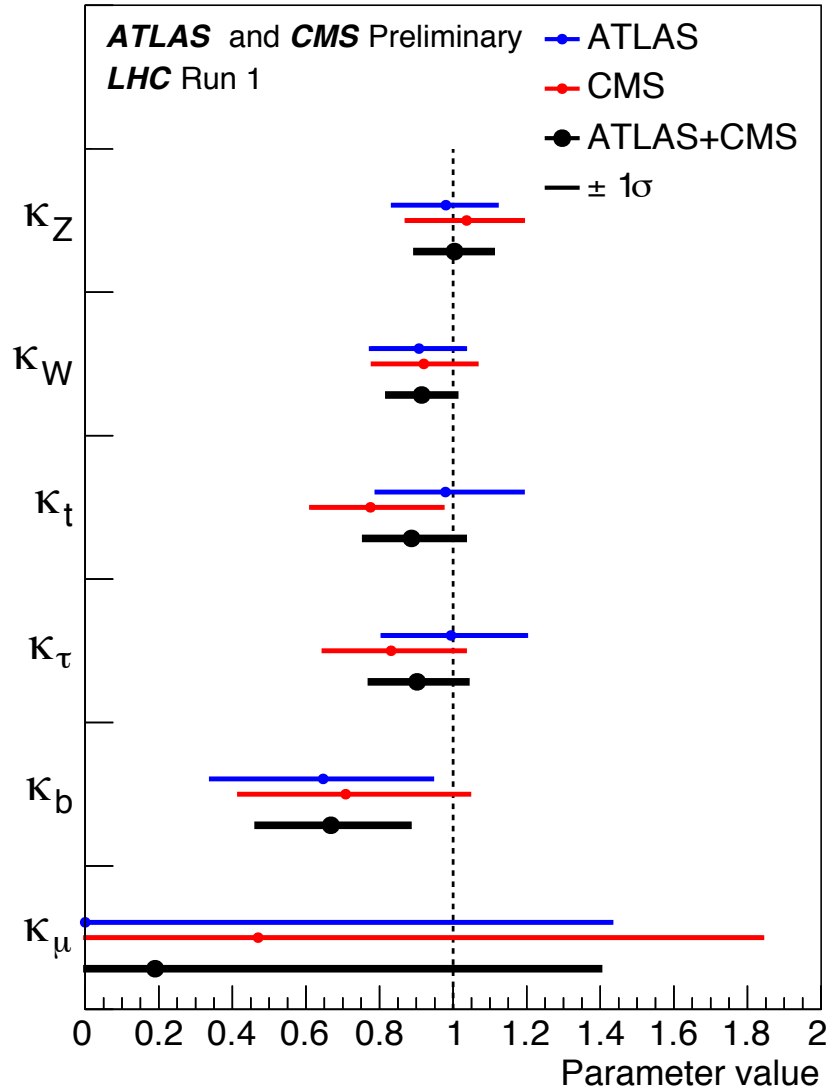
Br(bb)/Br(ZZ) rather low :

Conspiracy of  
 - a high  $\sigma(ttH) / \sigma_{ggF}$  (multi-lep.)  
 - a high  $\sigma(ZH) / \sigma_{ggF}$  (CMS, dijet cat.)

whereas  
 - ttH, H  $\rightarrow$  bb  
 - VH, H  $\rightarrow$  bb  
 are not high



No BSM, resolved loops, tree level couplings

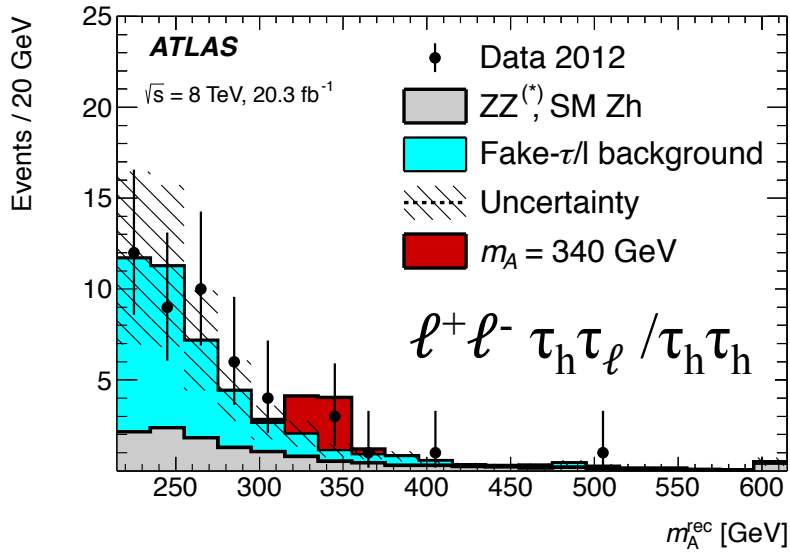


# The $\ell^+\ell^-\tau\tau$ channel

➤ Main handle is the 4-body invariant mass estimated as

$$m_{\text{rec}} = m(\ell^+\ell^-\tau\tau) - m_{\ell^+\ell^-} - m_{\tau\tau} + m_h + m_Z$$

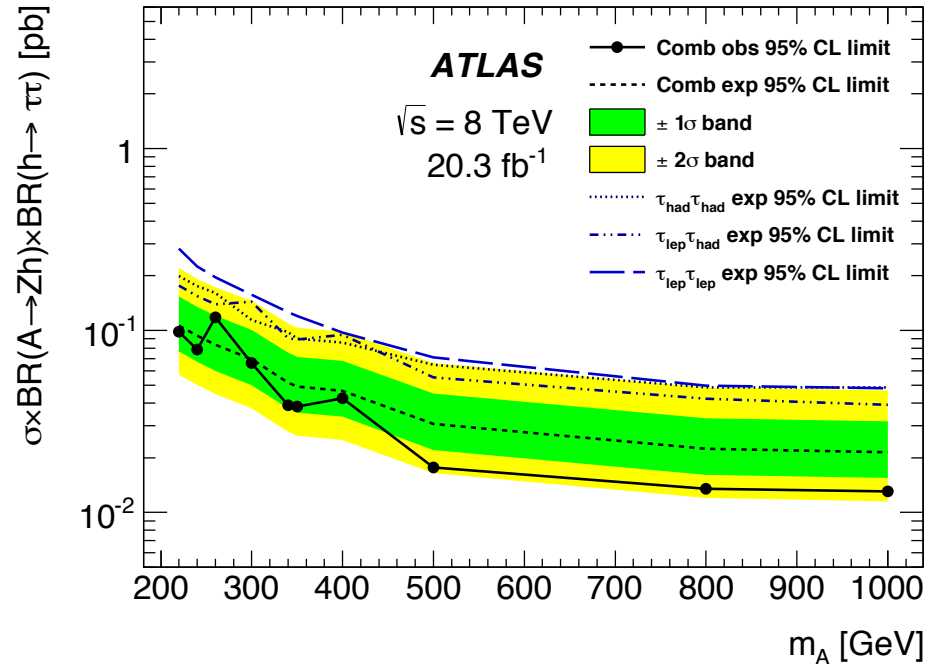
resolution from 3 to 5% for  $m_A$  in  $[0.22, 1.00]$  TeV/ $c^2$



$m_{\tau\tau}$  estimated using the Missing Mass Calculator technic

⇒ No excess...

- Irreducible bkg from  $ZZ^*$ , SM Zh from simulation
- bkg from fake hadronic tau candidate estimated from data



# Rare decays $H \rightarrow Q\gamma, VP^{(*)}$ ( $V = Z/W$ )

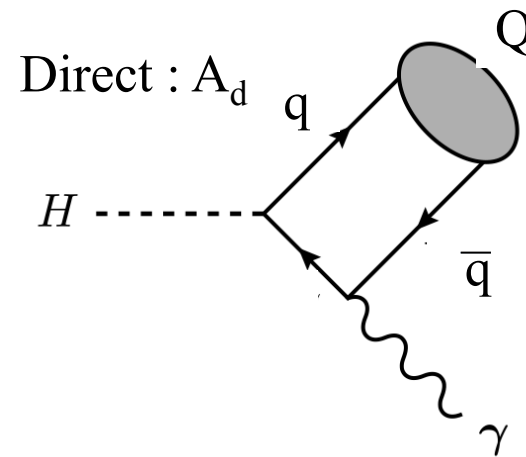
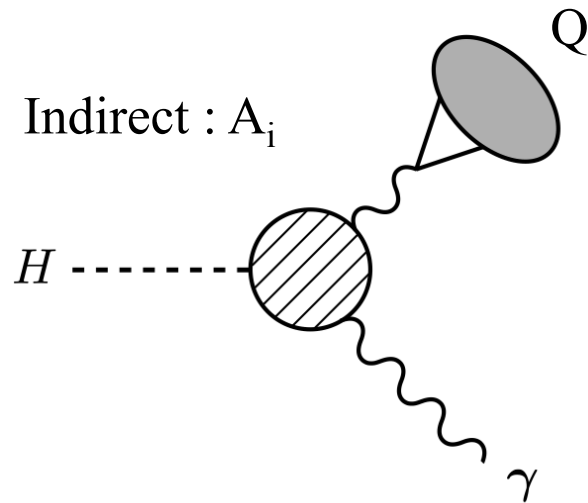
- Not really BSM but super rare
- Easily enhanced in many BSM frameworks
- Study of the  $H \rightarrow Vff$  amplitude for cases

where *4 leptons* is difficult (low  $m_{ll}$ )  
where  $f = \text{quark}$

$H \rightarrow Q\gamma$  : *signal interferometry*

$$Q = \Upsilon, \mathbf{J}/\psi, \varphi, \rho$$

- Can give a handle on Yukawa couplings of first and second generations
- Rates are tiny.  
Can be viewed as a feasibility study / rehearsal for HL-LHC and beyond
- Idea : interference between two amplitudes gives access to the (normalized) Yukawa coupling  $\kappa_q$  (magnitude **and** sign)



$$\Gamma \sim |A_i + A_d \kappa_q|^2$$



The most promising channel :  $H \rightarrow J/\psi \gamma \rightarrow \mu^+ \mu^- \gamma$

$$\mathcal{B}(J/\psi \rightarrow \mu^+ \mu^-) = 5.96\%$$

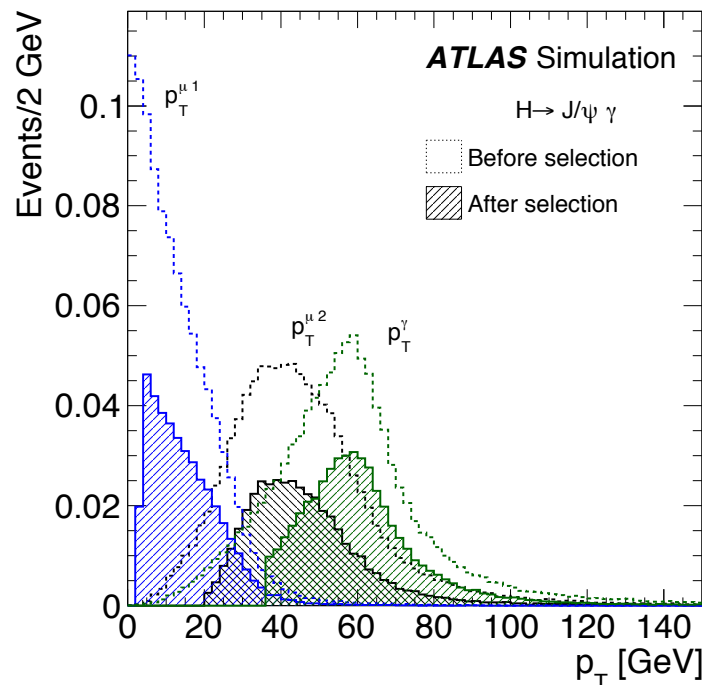
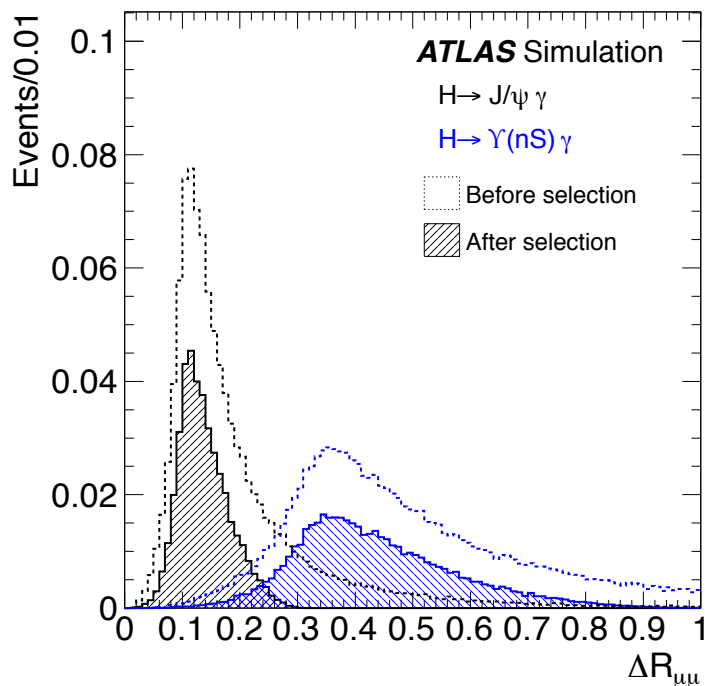
$$\Gamma \sim |11.9 - 1.04 \kappa_c|^2 \times 10^{-10} \text{ GeV} \Rightarrow \mathcal{B}_{\text{SM}} \sim (2.79 \pm 0.16) \times 10^{-6} \Rightarrow 20\% \text{ difference...}$$

$$\mathcal{B}(\kappa_c=0) \sim 3.38 \times 10^{-6}$$

No sensitivity to SM or “reasonable” BSM in runI and runII (13 TeV, 100 fb<sup>-1</sup>), (expect 0.07 and 0.84 event respectively, before selection) but develop baseline for HL-LHC

Clean signature : high  $p_T$  isolated photon and di-muon pair (cut 36 GeV/c)  
 $m_{\mu^+ \mu^-}$  within 150 MeV/c<sup>2</sup> of J/ψ mass (200 MeV/c<sup>2</sup> in endcap categ.)

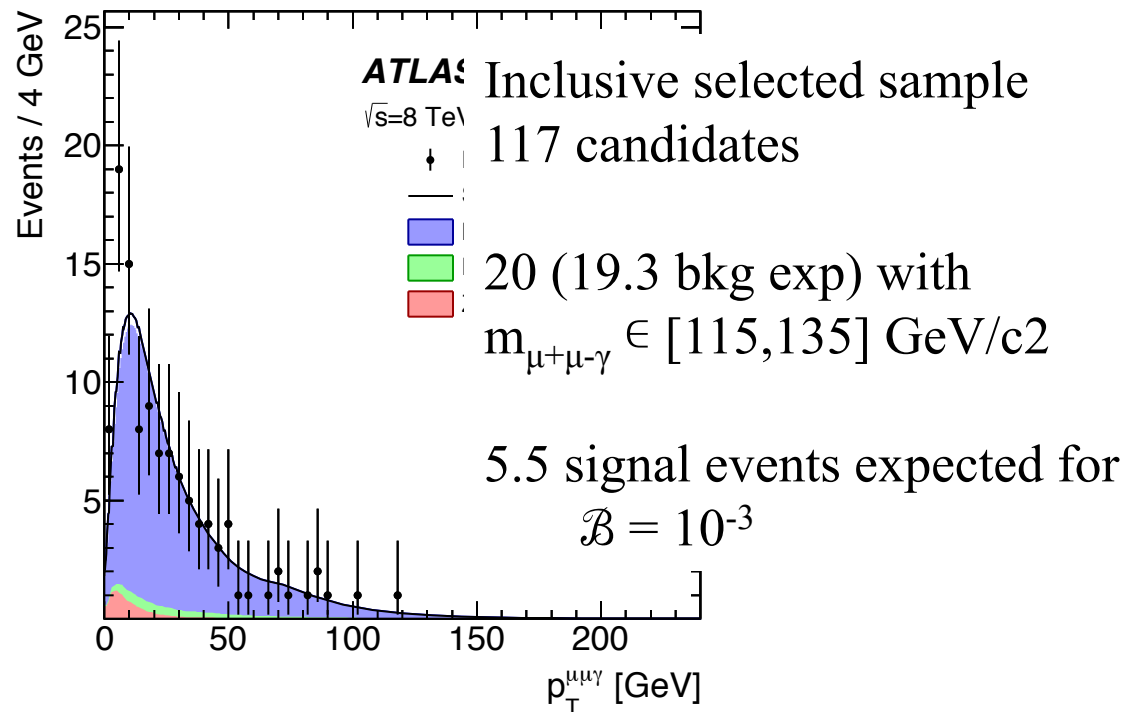
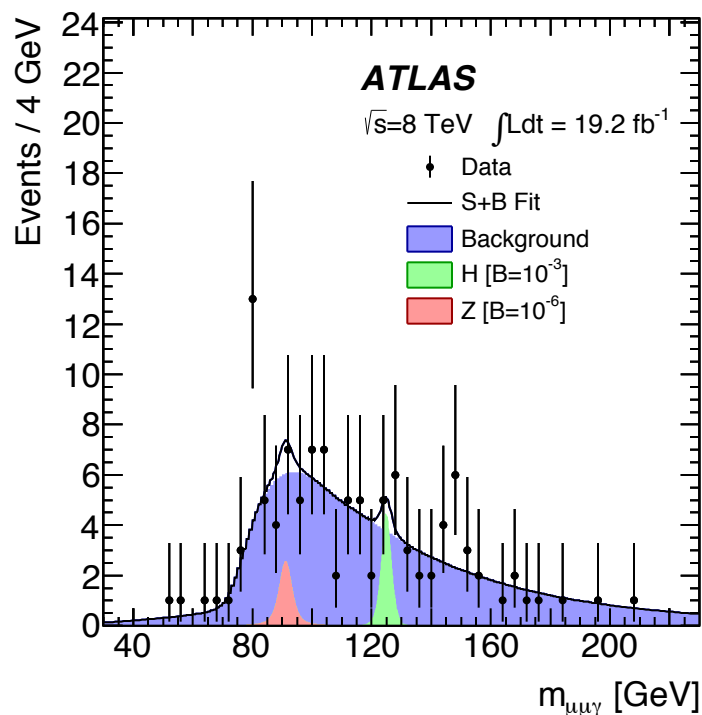
But cannot use *standard* di-muons or single isolated muon trigger (boosted J/ψ, low  $\Delta R(\mu^+, \mu^-)$ )



## Backgrounds :

- From various QCD processes : prompt  $J/\psi$  ( $\sim 56\%$ ), non-prompt  $J/\psi$  (rejected by a cut on transverse decay length significance,  $\sim 3\%$ ) combinatorial ( $\sim 41\%$ )  
Shapes estimated with a data driven approach
- Contribution from Dalitz decays  $H \rightarrow \gamma^* \gamma \rightarrow \mu^+ \mu^- \gamma$  and FSR  $Z \rightarrow \mu^+ \mu^- \gamma$  negligible with the runI sensitivity.

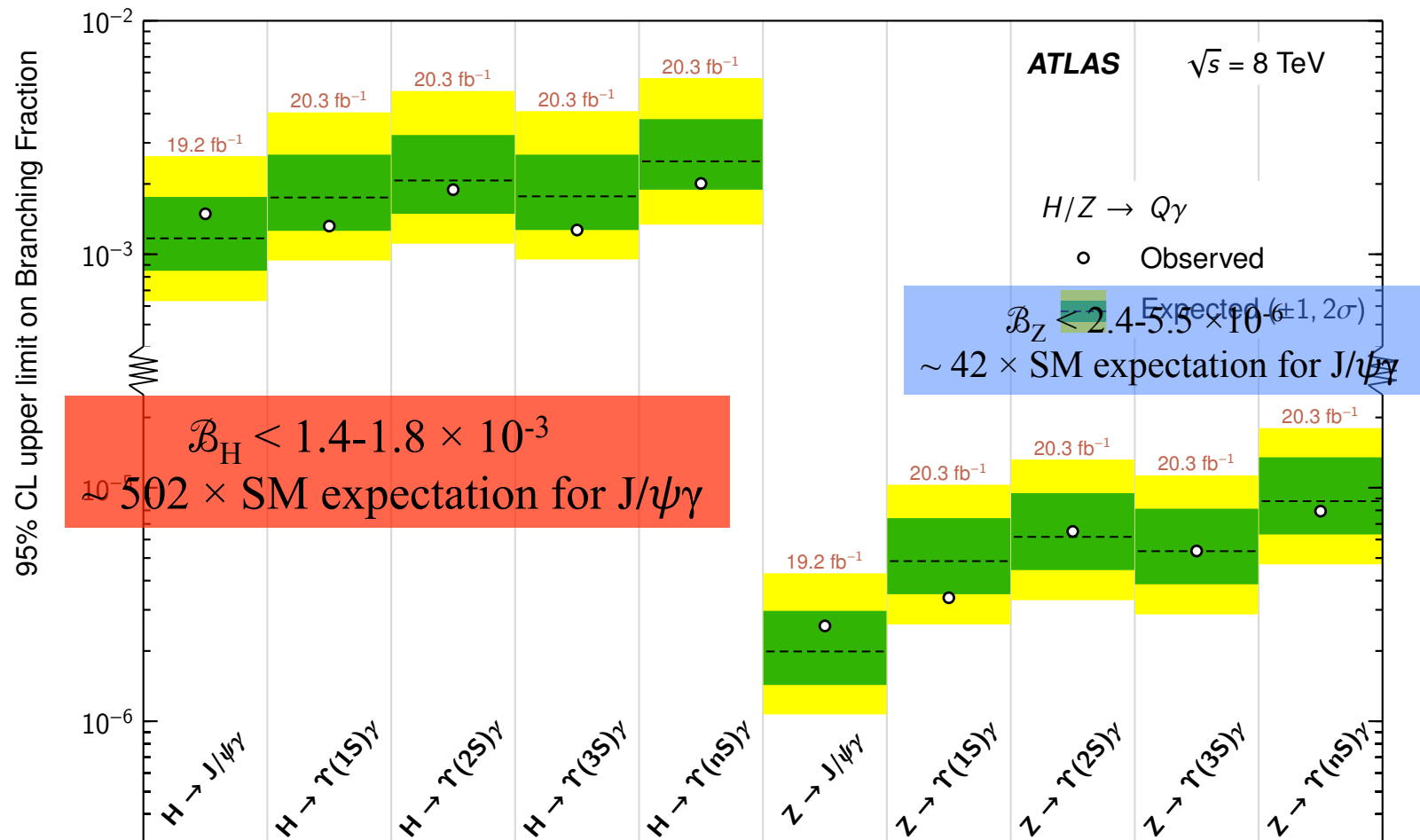
The background normalisation and signal extraction are done with a 2D fit to the  $m_{\mu+\mu-\gamma}$  and  $p_T^{\mu+\mu-\gamma}$  distributions (in four different categories)



Analysis similar for  $H \rightarrow \Upsilon \gamma$  :

- \* SM branching ratio much smaller and uncertain :  $8.4 (+19.3, -8.2) \times 10^{-10}$  but highly sensitive to  $\kappa_b$
- \* using as additional information  $m_{\mu^+\mu^-}$  to handle the  $Z \rightarrow \mu^+\mu^-\gamma$  normalisation, not negligible in the Y window (and separation of the 3  $Y_{nS}$ ), in a 3D fit

Both analyses are also performed to search for  $Z \rightarrow J/\psi (\Upsilon) + \gamma$  ( $\mathcal{B} \sim 5.7 (7.5) \times 10^{-8}$ ) for which SM sensitivity could be reached at run II, making it a standard candle for the Higgs



## Prospects for run II

- Analysis repeated for “*runII*” (14 TeV, 100 fb<sup>-1</sup>) assuming runI performance and scaling signal and bkg. With a simple 1D ( $m_{\mu+\mu-\gamma}$ ) fit, expect

$$\mathcal{B}(H \rightarrow J/\psi \gamma) < 2.6 \cdot 10^{-4}$$

(20-30 % improvement possible with a 2D/3D fit)

Sensitivity could be improved a little bit going from cut-based to MVA selection

- Issues :

- **trigger** : muons very collimated → not isolated :

- would topological triggers such as “*2 muons + photon*” help ?

- SM backgrounds from Higgs (Dalitz decay) : likely not an issue for runII but is larger than signal ⇒ to be dealt with at HL-LHC

- Is it crazy to try the  $e^+e^-\gamma$  final state ?

➤ What about other  $Q = \varphi, \rho$  ? Would probe  $\kappa_s$  and  $\kappa_{u,d}$  (first generation !)

$$\mathcal{B}(H \rightarrow \rho\gamma) = (1.9 \pm 0.2) \times 10^{-5} \text{ and } \mathcal{B}(H \rightarrow \varphi\gamma) = (3.0 \pm 0.2) \times 10^{-6}$$

leading to  $N(\pi^+\pi^-\gamma) \sim 96$  and  $N(K^+K^-\gamma) \sim 7$  events @ 13 TeV,  $100 \text{ fb}^{-1}$

$H \rightarrow \rho\gamma$  might seem promising  $\Rightarrow$  perform rough truth-level acceptance study :

- $p_T^\gamma > 50 \text{ GeV}/c$  (very tight ?),  $p_T^{\text{trk}} > 10 \text{ GeV}/c$  (within std  $\eta$  acceptance)

$\rightarrow$  acceptance  $\sim 31\%$  :  $N_{\text{acc}} \sim 30$

+ rather clear topology : high  $p_T$  isolated photon recoiling against a two track jet

- BUT :**
- Huge QCD background ! (wide peak in  $m_{\pi^+\pi^-}$  ?)
  - Single photon trigger not useable (too high threshold)  
Would need photon + tau and/or tight isolated photon...

Even more difficult :  $H \rightarrow VP^{(*)}$ ,  $V = W, Z$ ,  $P^{(*)} = \text{pseudo-scalar (vector)}$

A priori best channels :  $\mathcal{B}(H \rightarrow W^\pm \pi^\mp, W^\pm \rho^\mp) \sim 1.2 \times 10^{-5}, 1.6 \times 10^{-5}$

$\Rightarrow N_{\text{prod}}(\ell^\pm \nu \pi^\mp, \ell^\pm \nu \pi^\mp \pi^0) \sim 13, 17.5 @ 13 \text{ TeV}, 100 \text{ fb}^{-1} (\ell = e, \mu)$

Rough truth-level acceptance :

- $p_T^\ell > 30 \text{ GeV}/c$ ,  $E_t^{\text{miss}} > 40 \text{ GeV}$ ,  $p_T^{\text{trk}} > 20 \text{ GeV}/c$  (huge bkg from W)

$\Rightarrow \text{Acceptance} \sim 15\%$ ,  $N(W^\pm \pi^\mp) \sim 2$

- and no mass peak, only jacobian “peak” in  $m_T$

( $W^\pm \rho^\mp$  even harder because softer charged pion...)

Very very very challenging...