

New Physics at Belle II

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New Physics in $\bar{B} \rightarrow D^{(*)} \tau \bar{\nu}$

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B decays with “tau lepton” are now significant:

1. **Deviation** between SM prediction & experimental result

3.5σ from $\bar{B} \rightarrow D\tau\bar{\nu}$ and $\bar{B} \rightarrow D^*\tau\bar{\nu}$

2. What about **NP search** ?

2HDM cannot compensate the deviation

3. **Observables** available in future at Belle2

Promising improvement at Belle2

Content

1. Deviation

- Experiment
- SM prediction / 2HDM

2. NP search

- Model independent analysis
- NP models

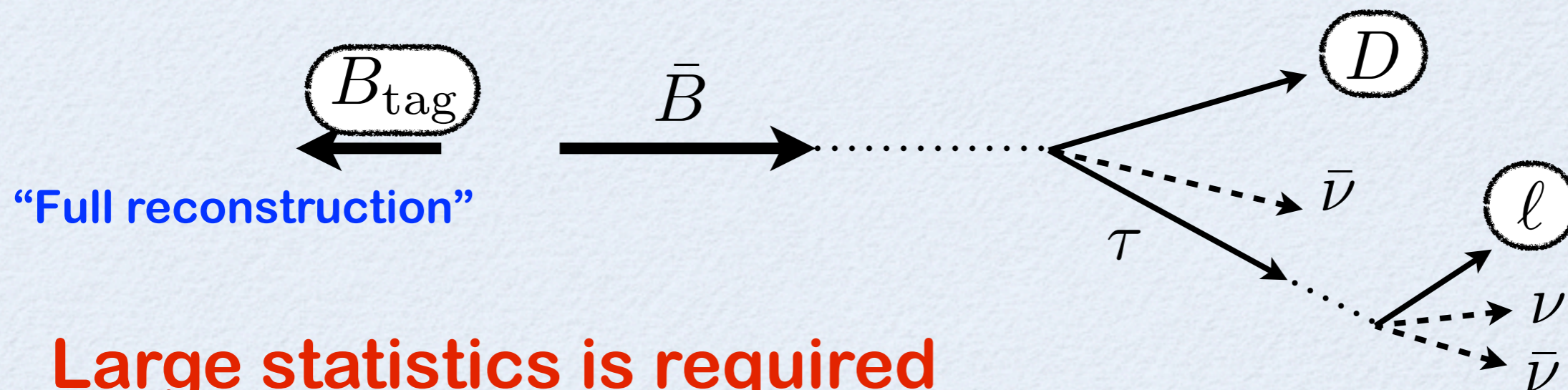
3. Observables at Belle2

- NP analyzer
- q^2 distribution / Test of discriminative potential at Belle2

Deviation

Experiment

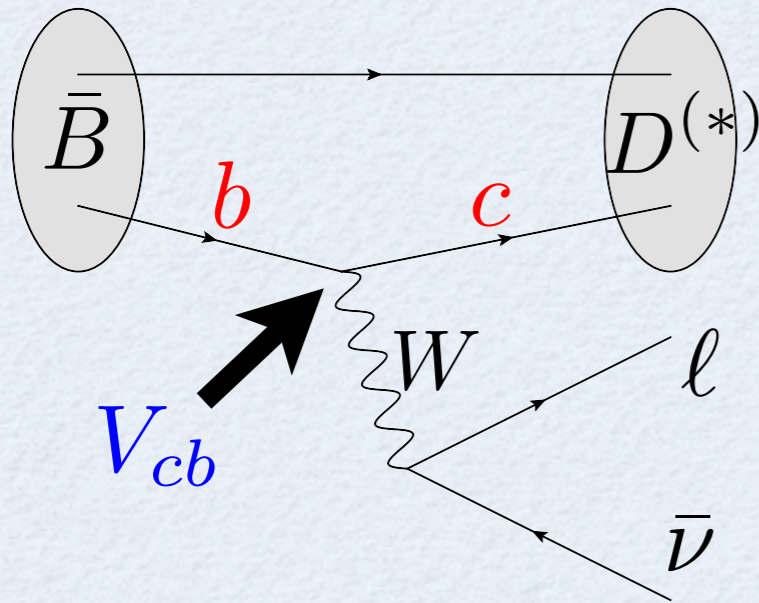
- It is challenging to measure tauonic B meson decays, because **2 or more neutrinos appear in the final state**.
- At B factory, however, reconstructing the opposite B meson we can compare the properties of the remaining particles to those expected for signal and background.



Large statistics is required even for tree level process

SM prediction

- Tree level process from V_{cb} in the SM



$$\mathcal{B}(\bar{B} \rightarrow D\tau\bar{\nu}) \propto |V_{cb}|^2 \mathcal{G}(1)^2 \times \{ \text{function of } \rho_1^2 \}$$

$$\mathcal{B}(\bar{B} \rightarrow D^*\tau\bar{\nu}) \propto |V_{cb}|^2 \mathcal{F}(1)^2 \times \{ \text{func. of } \rho_{A_1}^2, R_1(1), R_2(1) \}$$

$(\mathcal{G}, \mathcal{F}, \rho^2, R)$ are FF parameters

- Measurement

V_{cb} & FF parameters are obtained by a fit to distributions of $\bar{B} \rightarrow D^{(*)}\ell\bar{\nu}$ for $\ell = e$ or μ . For an observable of $\bar{B} \rightarrow D^{(*)}\tau\bar{\nu}$, normalized decay rate;

$$R(D) = \frac{\Gamma(\bar{B} \rightarrow D\tau\bar{\nu})}{\Gamma(\bar{B} \rightarrow D\ell\bar{\nu})} \qquad R(D^*) = \frac{\Gamma(\bar{B} \rightarrow D^*\tau\bar{\nu})}{\Gamma(\bar{B} \rightarrow D^*\ell\bar{\nu})}$$

is used in order to cancel $|V_{cb}|\mathcal{G}(1)$, $|V_{cb}|\mathcal{F}(1)$ and reduce FF uncertainties.

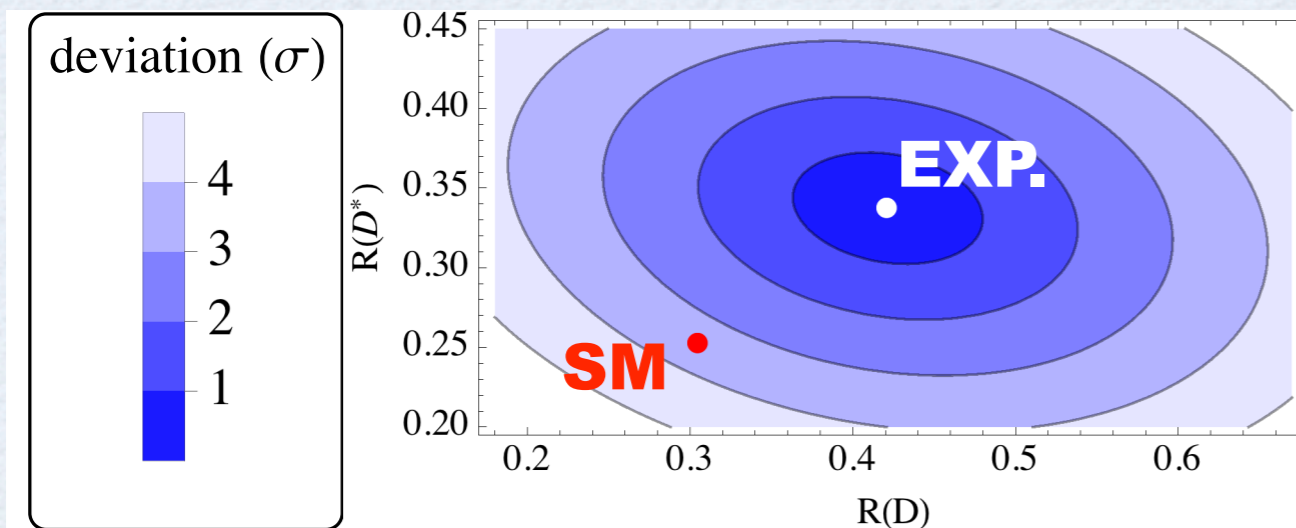
SM prediction

• Comparison

$$R(D) = \frac{\Gamma(\bar{B} \rightarrow D\tau\bar{\nu})}{\Gamma(\bar{B} \rightarrow D\ell\bar{\nu})} \quad R(D^*) = \frac{\Gamma(\bar{B} \rightarrow D^*\tau\bar{\nu})}{\Gamma(\bar{B} \rightarrow D^*\ell\bar{\nu})}$$

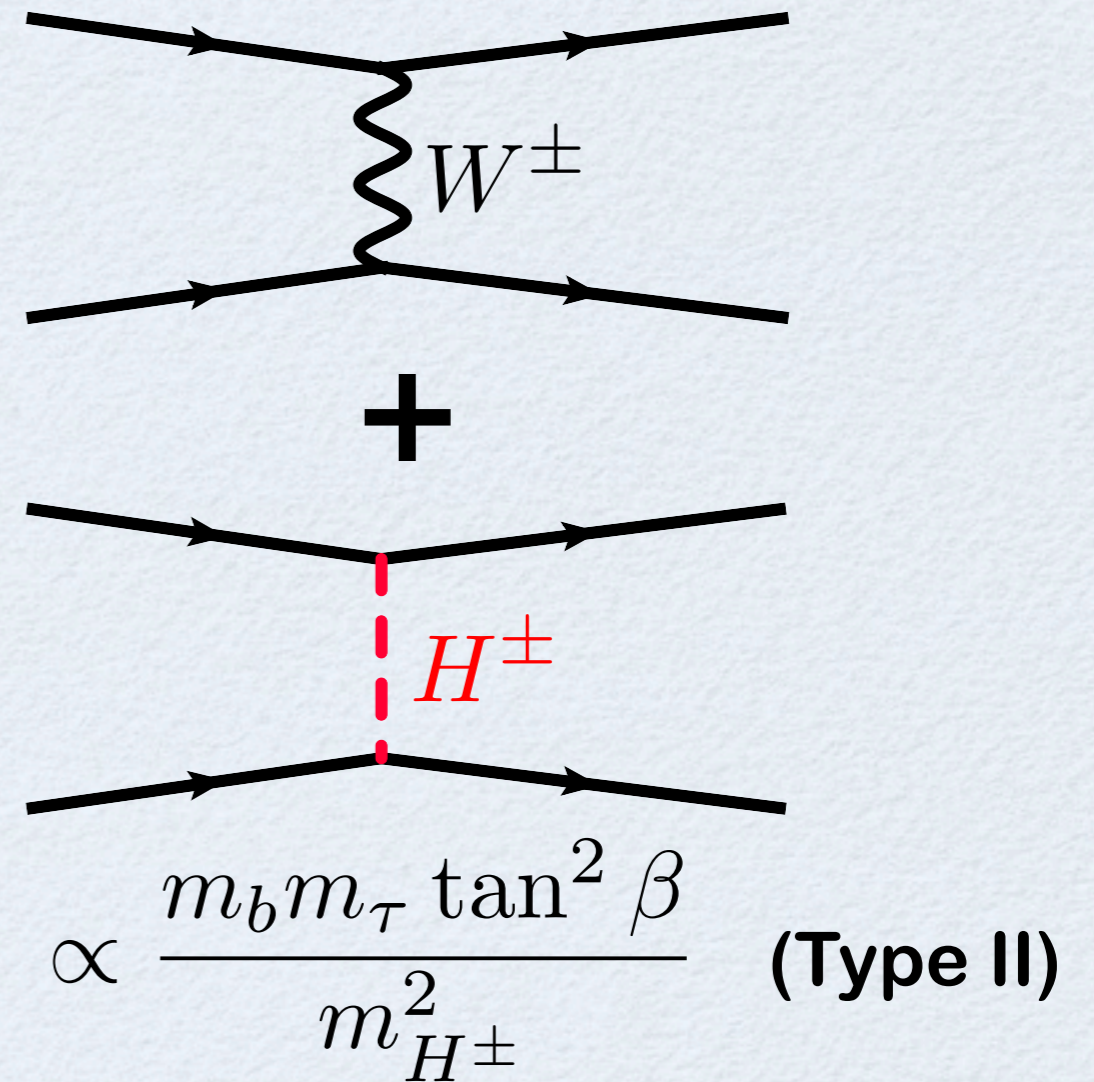
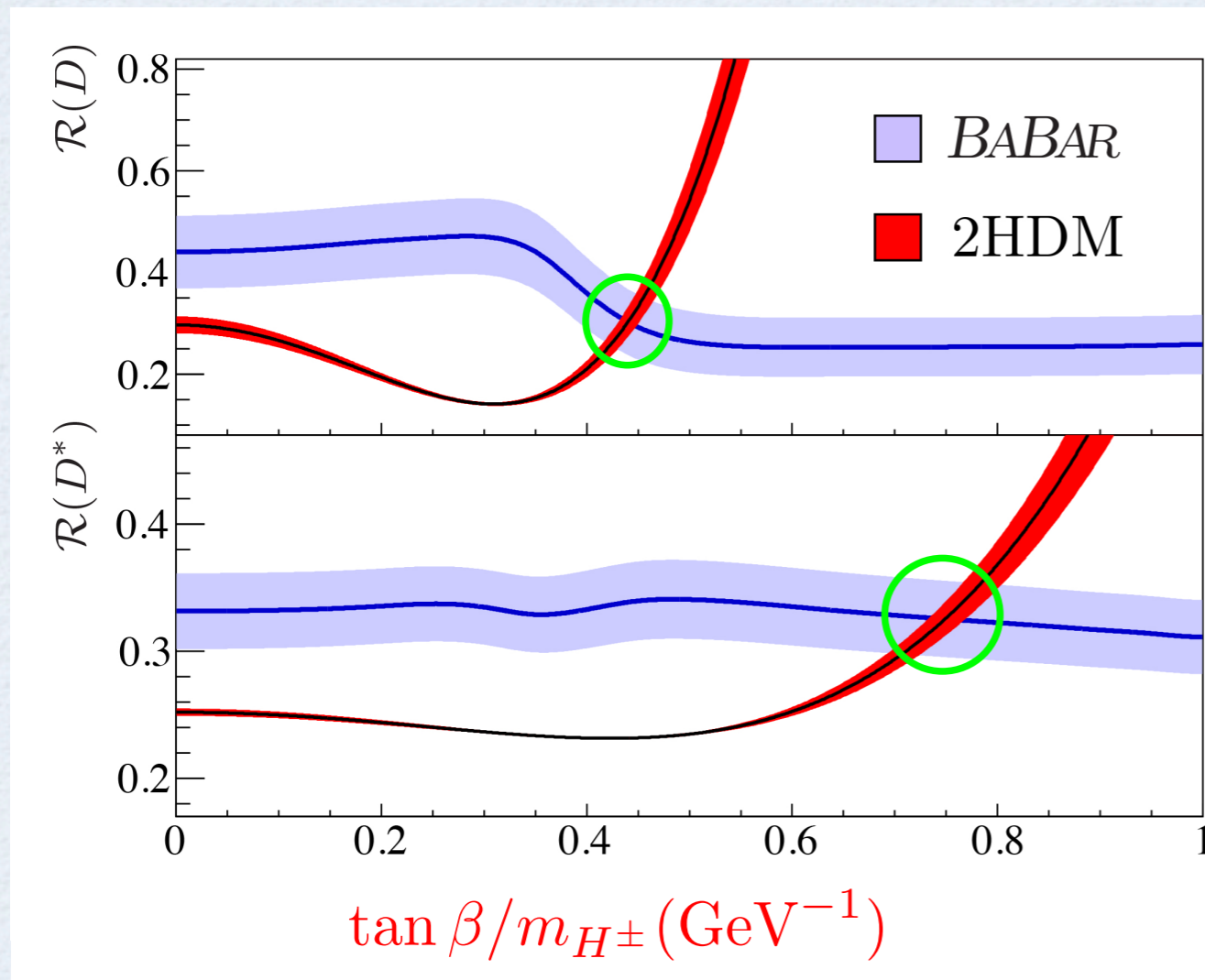
[Belle (our combination), BABAR in arXiv:1205.5442]

	Belle	BABAR	SM
$R(D)$	0.430 ± 0.091	$0.440 \pm 0.058 \pm 0.042$	0.305 ± 0.012
$R(D^*)$	0.405 ± 0.047	$0.332 \pm 0.024 \pm 0.018$	0.252 ± 0.004
correlation	neglected	-0.27	-



$\sim 3.5\sigma$ deviation

2HDM



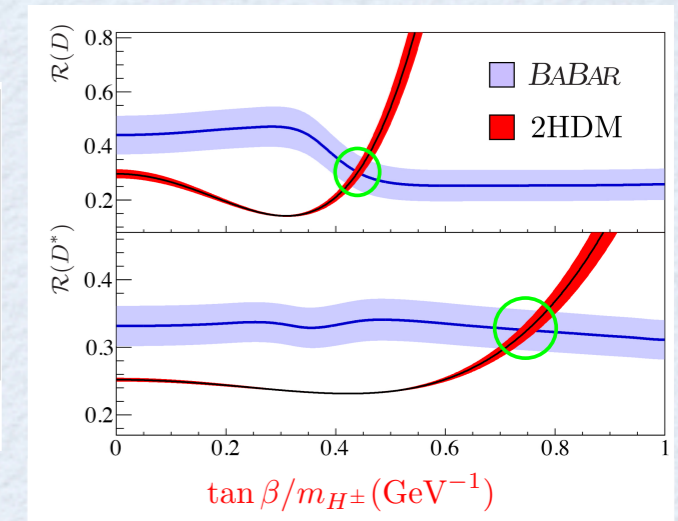
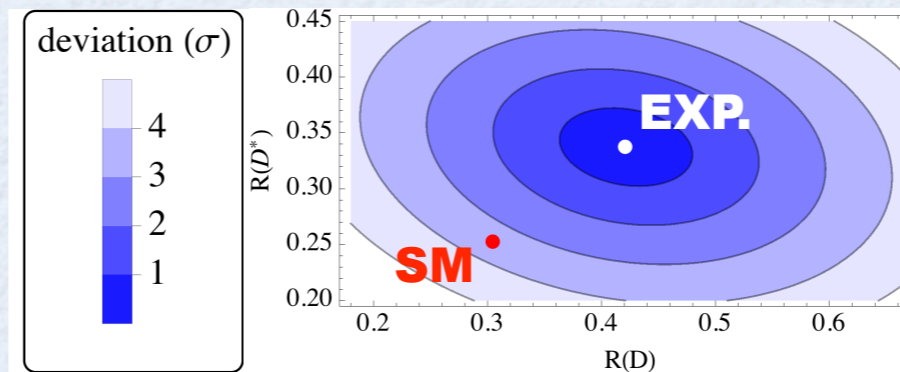
Type-II 2HDM is disfavored at 99.8%CL

[BABAR in arXiv:1205.5442]

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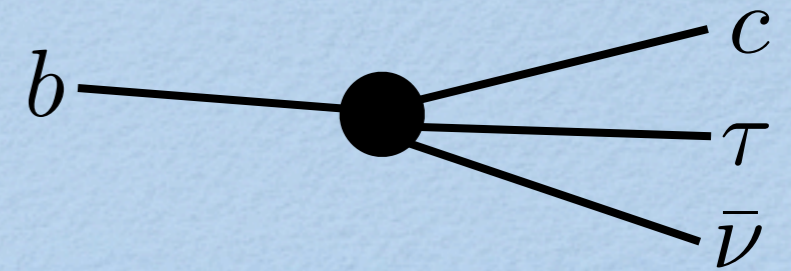
2. NP search

- Model independent analysis
- NP models

3. Observables at Belle2

- NP analyzer
- q^2 distribution / Test of discriminative potential at Belle2

NP search



Model independent analysis

$$\mathcal{L}_{\text{eff}} = -2\sqrt{2}G_F V_{cb} \left[\underbrace{(1 + C_{V_1})}_{\text{SM}} \mathcal{O}_{V_1} + C_{V_2} \mathcal{O}_{V_2} + C_{S_1} \mathcal{O}_{S_1} + C_{S_2} \mathcal{O}_{S_2} + C_T \mathcal{O}_T \right]$$

• Effective operators \mathcal{O}_X

Vector (1) $\mathcal{O}_{V_1} = \bar{c}_L \gamma^\mu b_L \bar{\tau}_L \gamma_\mu \nu_L$

Scalar (1) $\mathcal{O}_{S_1} = \bar{c}_L b_R \bar{\tau}_R \nu_L$

Vector (2) $\mathcal{O}_{V_2} = \bar{c}_R \gamma^\mu b_R \bar{\tau}_L \gamma_\mu \nu_L$

Scalar (2) $\mathcal{O}_{S_2} = \bar{c}_R b_L \bar{\tau}_R \nu_L$

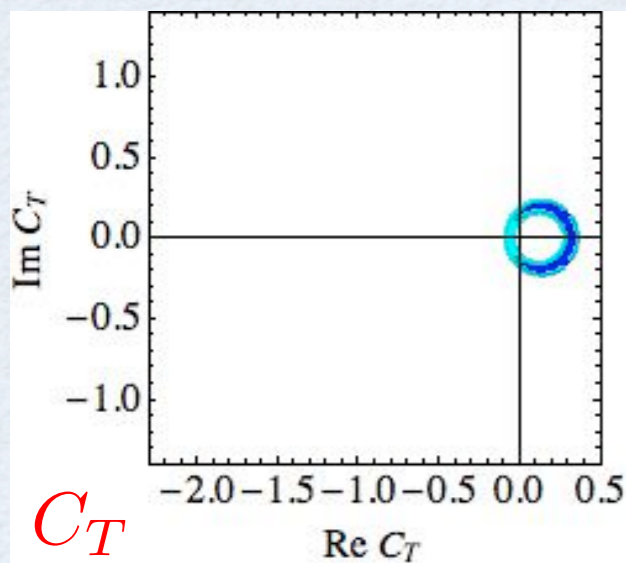
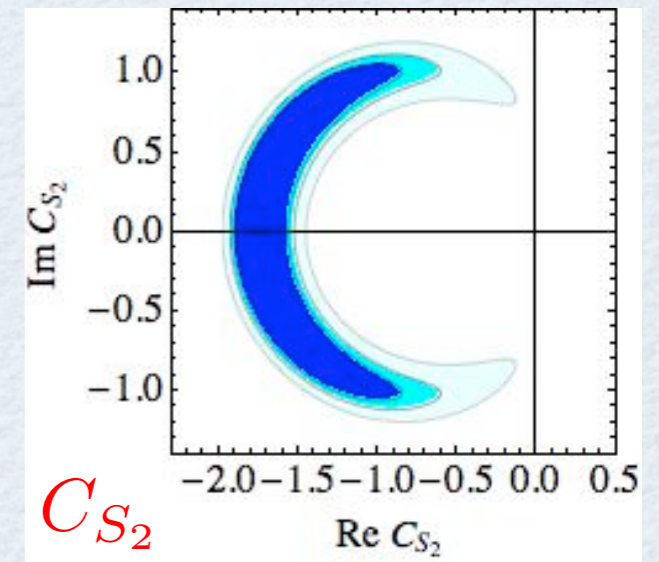
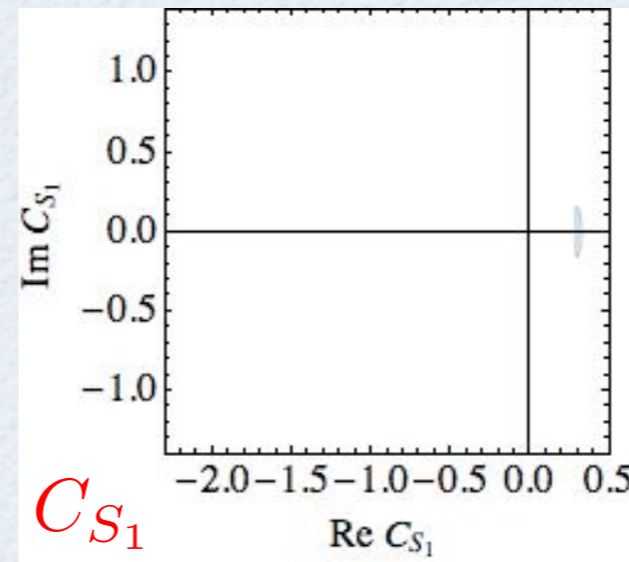
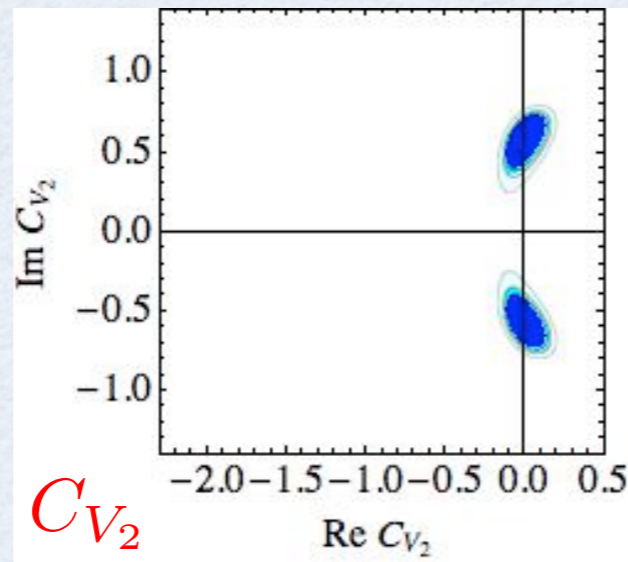
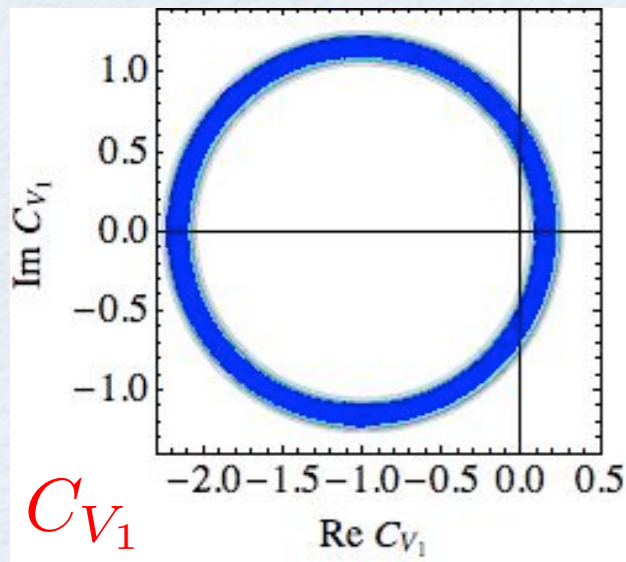
Tensor $\mathcal{O}_T = \bar{c}_R \sigma^{\mu\nu} b_L \bar{\tau}_R \sigma_{\mu\nu} \nu_L$

• Wilson coefficients C_X

C_X represents “New Physics” contribution normalized by SM contribution

• Allowed region of C_x from $R(D)$ & $R(D^*)$

[M.Tanaka&RW, arXiv:1212.1878]



- * assuming one operator dominance (ex: $C_{S_2} \neq 0$, others = 0)
- * using the data which is the average of Belle & BABAR
- * allowed at 90%(Light blue), 95%(Cyan), 99%(Dark blue)

- V1, V2, T can explain data within small C_x
- S2 can explain but large $C_{S_2}(\sim -1.6)$ is needed
- S1 is not preferred

2 Higgs Doublet Model

V_1 V_2 S_1 S_2 T

- contribute as **S1 & S2 type**
- type I, II, X, Y cannot explain / type III can

R Parity Violation

V_1 V_2 S_1 S_2 T

- **S1 type** operator is generated, and disfavored
- **V1 type** is generated, but incompatible with data of $B \rightarrow X_s V V$

Lepto Quark

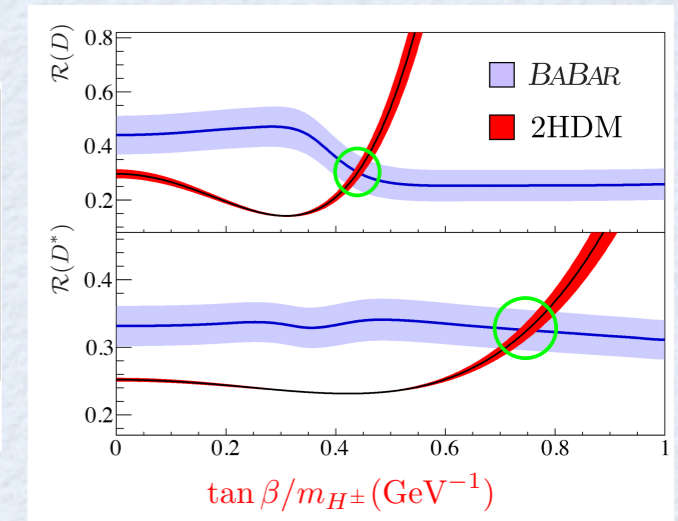
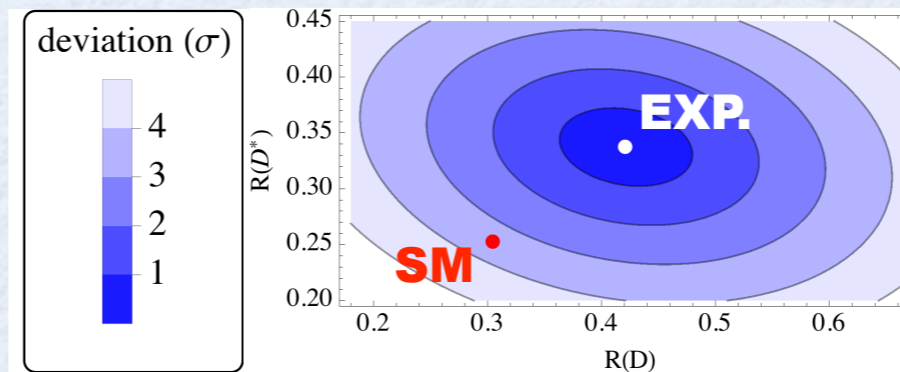
V_1 V_2 S_1 S_2 T

- **S1 & V1 type** are generated and disfavored as well as RPV
- **S2-T types** are generated and **likely to explain the results**

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3. Observables at Belle2

- NP analyzer
- q^2 distribution / Test of discriminative potential at Belle2

Observables at Belle II

New physics analyzer

- Compared with two body decay like $B \rightarrow TV$, many more observables are available in three body decays, $B \rightarrow D(*)TV$
- There are several studies for NP search toward Belle2 (q² distributed and/or integrated)

[Fajfer, Kamenik, Nisandzic, Zupan, arXiv:1203.2654]

[Sakaki, Tanaka, arXiv:1205.4908]

[Datta, Duraisamy, Ghosh, arXiv:1206.3760]

[Tanaka, Watanabe, arXiv:1212.1878]

[Biancofiore, Colangelo, De Fazio, arXiv:1302.1042]

[Duraisamy, Datta, arXiv:1302.7031, arXiv:1405.3719]

[Sakaki, Tanaka, Tayduganov, Watanabe, arXiv:1309.0301]

[Hagiwara, Nojiri, Sakaki, arXiv:1403.5892]

[Sakaki, Tanaka, Tayduganov, Watanabe, arXiv:1412.3761]

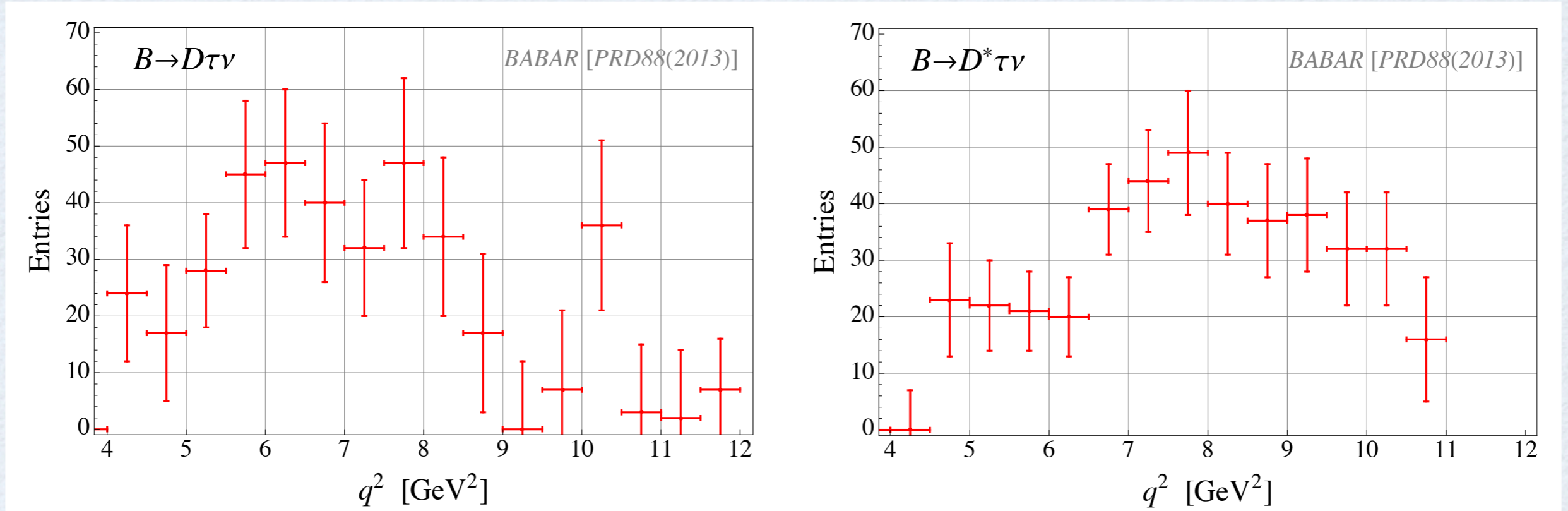
 **Pick up**

q² distribution

$$\frac{d\Gamma(\bar{B} \rightarrow D^{(*)}\tau\bar{\nu})}{dq^2}$$

where $q^2 = (p_B - p_{D^{(*)}})^2$

[BABAR, arXiv:1303.0571]



• p values for the fit

S2 & T are disfavored !
Not conclusive for others

model	$\bar{B} \rightarrow D\tau\bar{\nu}$	$\bar{B} \rightarrow D^*\tau\bar{\nu}$	$\bar{B} \rightarrow (D + D^*)\tau\bar{\nu}$
SM	54%	65%	67%
V ₁	54%	65%	67%
V ₂	54%	65%	67%
S ₂	0.02%	37%	0.1%
T	58%	0.1%	1.0%
LQ ₁	13%	58%	25%
LQ ₂	21%	72%	42%

Test of discriminative potential at Belle2

Toward Belle2:

We propose **new observable (distribution)** for extracting NP signature.

$$R_D(q^2) \equiv \frac{d\Gamma(\bar{B} \rightarrow D\tau\bar{\nu})/dq^2}{d\Gamma(\bar{B} \rightarrow D\ell\bar{\nu})/dq^2} \times \frac{[\text{Normalization factor}]}{1}$$

↑
ratio of q^2 distributions

↑
for (our) convenience

$$R_{D^*}(q^2) \equiv \frac{d\Gamma(\bar{B} \rightarrow D^*\tau\bar{\nu})/dq^2}{d\Gamma(\bar{B} \rightarrow D^*\ell\bar{\nu})/dq^2} \times \left(1 - \frac{m_\tau^2}{q^2}\right)^{-2}$$

We can **reduce theoretical uncertainties** as is the case with $R(D)$ and $R(D^*)$.

Test of discriminative potential at Belle2

Assumption:

1. use **the best fitted Cx** from the recent results of R(D)&R(D*)
2. prepare/make **“faked data for the new distribution”** using above
3. evaluate **luminosities required to discriminate “data” & “model”** by $R_{D^{(*)}}(q^2)$

\mathcal{L} [fb ⁻¹]		model						
		SM	V ₁	V ₂	S ₂	T	LQ ₁	LQ ₂
“data”	V ₁	1170 (270)		10 ⁶ (X)	500 (X)	900 (X)	4140 (X)	2860 (1390)
	V ₂	1140 (270)	10 ⁶ (X)		510 (X)	910 (X)	4210 (X)	3370 (1960)
	S ₂	560 (290)	560 (13750)	540 (36450)		380 (X)	1310 (35720)	730 (4720)
	T	600 (270)	680 (X)	700 (X)	320 (X)		620 (X)	550 (1980)
	LQ ₁	1010 (270)	4820 (X)	4650 (X)	1510 (X)	800 (X)		5920 (1940)
	LQ ₂	1020 (250)	3420 (1320)	3990 (1820)	1040 (20560)	650 (4110)	5930 (1860)	

99.9%CL

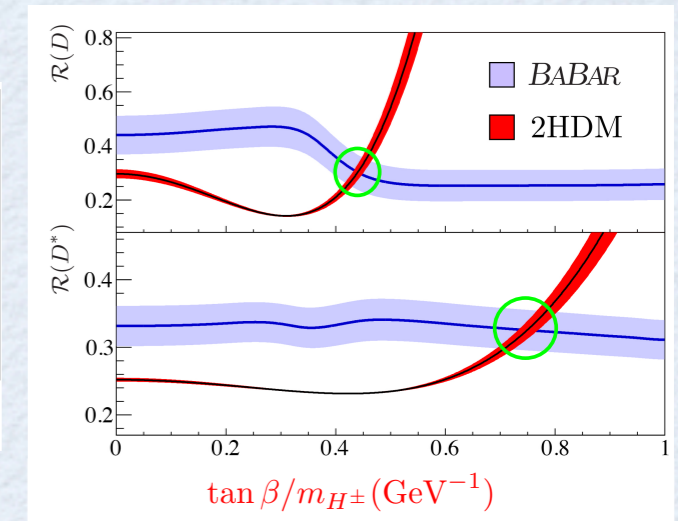
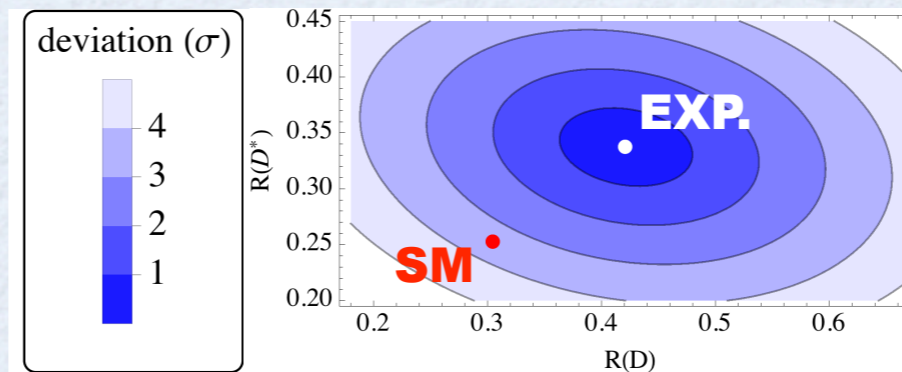
() = required luminosity only from R(D)&R(D*)

- Some cases can be already tested using present data
- To test LQ, we need 1-6 ab⁻¹ at Belle2

Summary

1. Deviation

- Experiment
- SM prediction / 2HDM



2. NP search

- Model independent analysis
- NP models

- V_1, V_2, T can explain data within small C_x
- S_2 can explain but large $C_{s_2}(\sim -1.6)$ is needed
- S_1 is not preferred

3. Observables at Belle2

- NP analyzer
- q^2 distribution

		model						
		SM	V_1	V_2	S_2	T	LQ_1	LQ_2
"data"	V_1	■	■	⊗	⊙	⊙	⊙	■
	V_2	■	⊗	■	⊙	⊙	⊙	■
	S_2	■	○	○	■	⊙	○	○
	T	■	⊙	⊙	⊙	■	⊙	○
	LQ_1	■	⊙	⊙	⊙	⊙	■	■
	LQ_2	■	■	■	○	○	■	■

- $R(D^*)$ has an advantage
- Distribution has adv.
- ⊙ possible only from distribution

Back up

$|V_{cb}|$ determination

$$\bar{B} \rightarrow D \ell \bar{\nu} \quad \frac{d\Gamma}{dw} = \frac{G_F m_B^5}{48\pi^3} r^3 (1+r)^2 (w^2-1)^{3/2} V_1(w)^2 |V_{cb}|^2$$

$$w = (m_B^2 + m_D^2 - q^2) / (2m_B m_D)$$

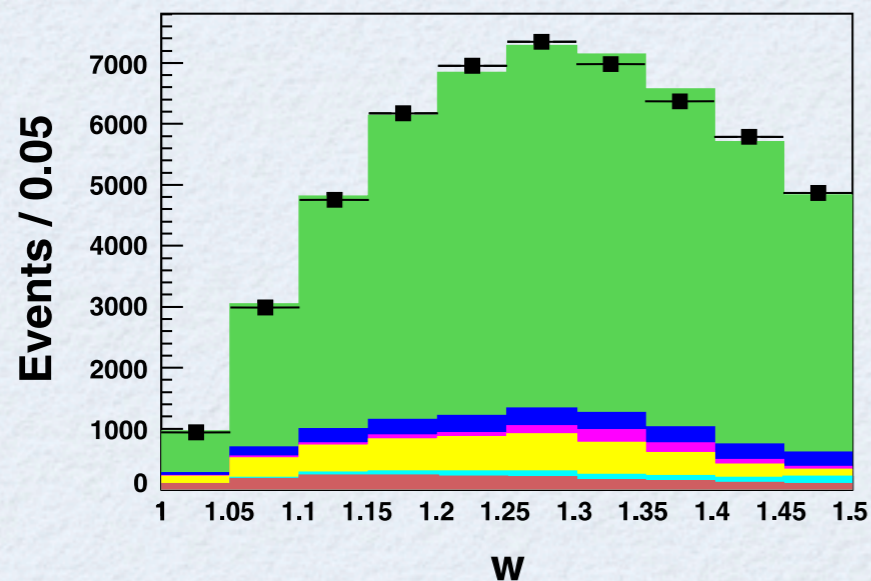
- Fit the shape (=interaction type) and the height (=coupling)

- Shape is parametrized by HQET

[Caprini et.al. (1996)]

$$\text{Shape : } V_1(w) = V_1(1) \left[1 - 8\rho_1^2 z + (51\rho_1^2 - 10)z^2 - (252\rho_1^2 - 84)z^3 \right]$$

$$\text{Height : } V_1(1)|V_{cb}| \quad \left(z = \frac{\sqrt{w+1} - \sqrt{2}}{\sqrt{w+1} + \sqrt{2}} \right)$$



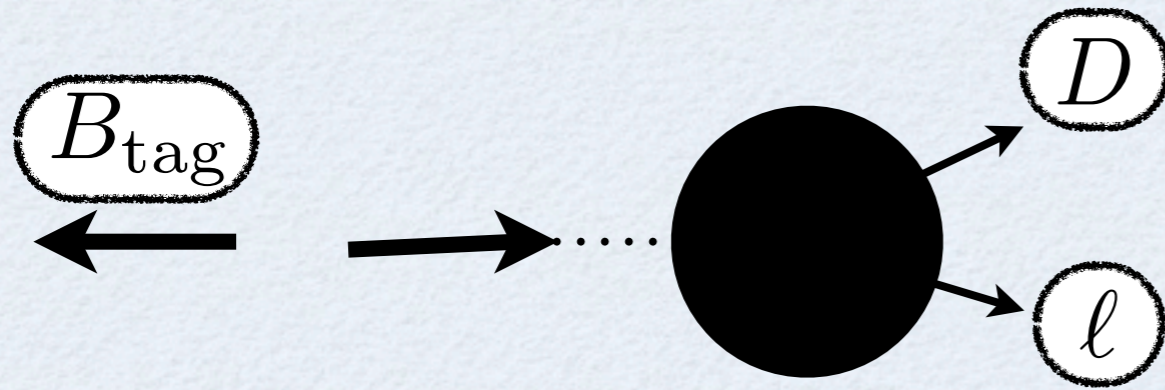
Fit result:

$$V_1(1)|V_{cb}| = (4.26 \pm 0.07 \pm 0.14) \times 10^{-2}$$

$$\rho_1^2 = 1.186 \pm 0.055$$

Experimental analysis @BABAR

[BABAR, arXiv:1205.5442]

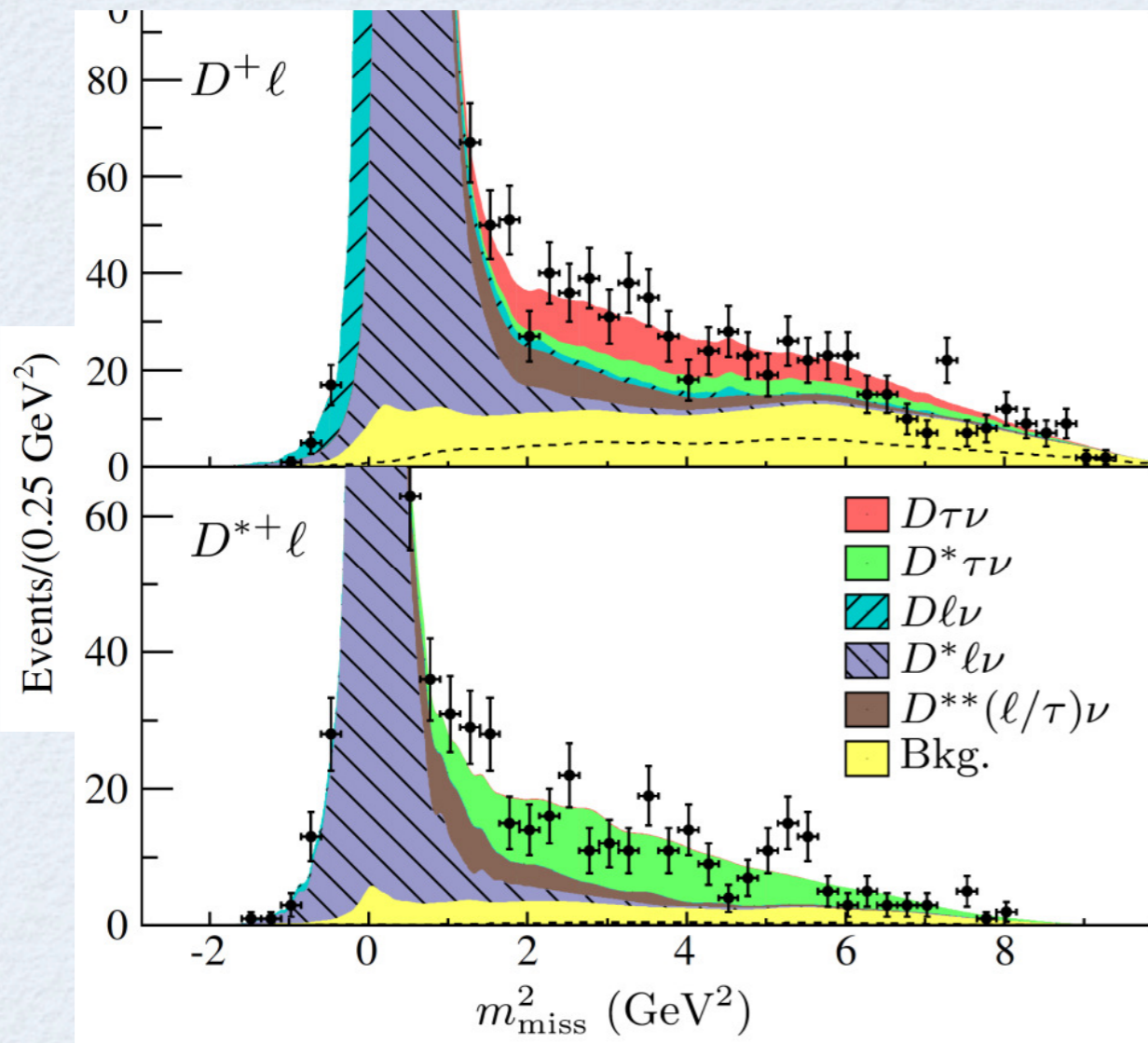


* Decay channel BABAR analyzed:

$$\bar{B} \rightarrow D^{(*)}(\tau \rightarrow \ell \bar{\nu} \nu) \bar{\nu}$$

* inv. mass of missing particles:

$$m_{\text{miss}}^2 = (p_{e^+e^-} - p_{\text{tag}} - p_{D^{(*)}} - p_{\ell})^2$$



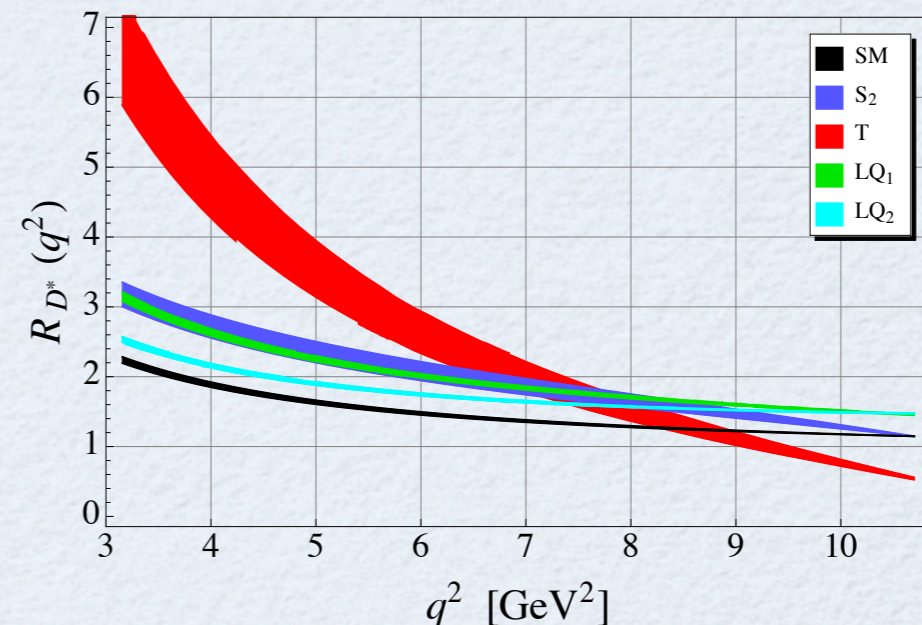
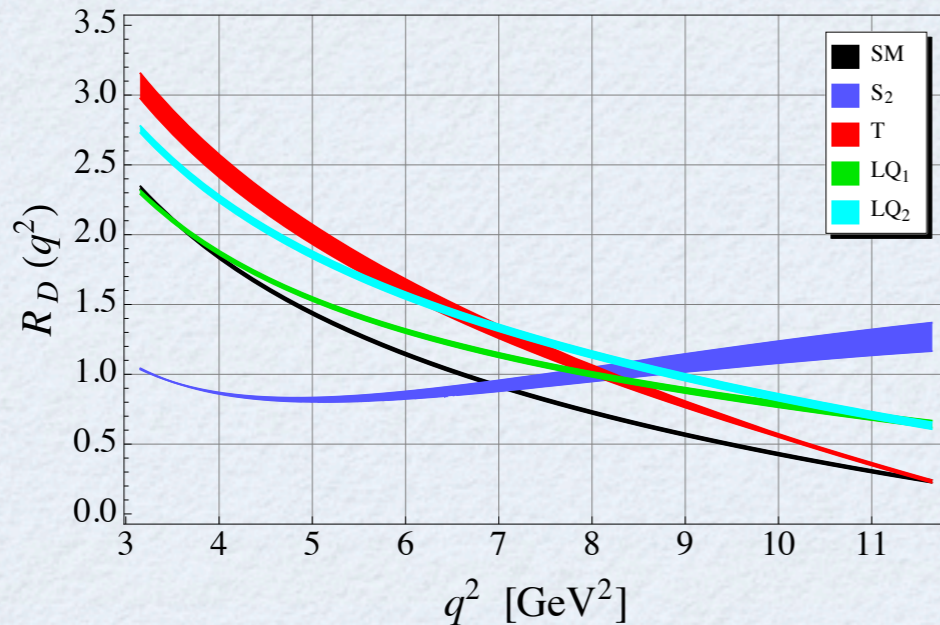
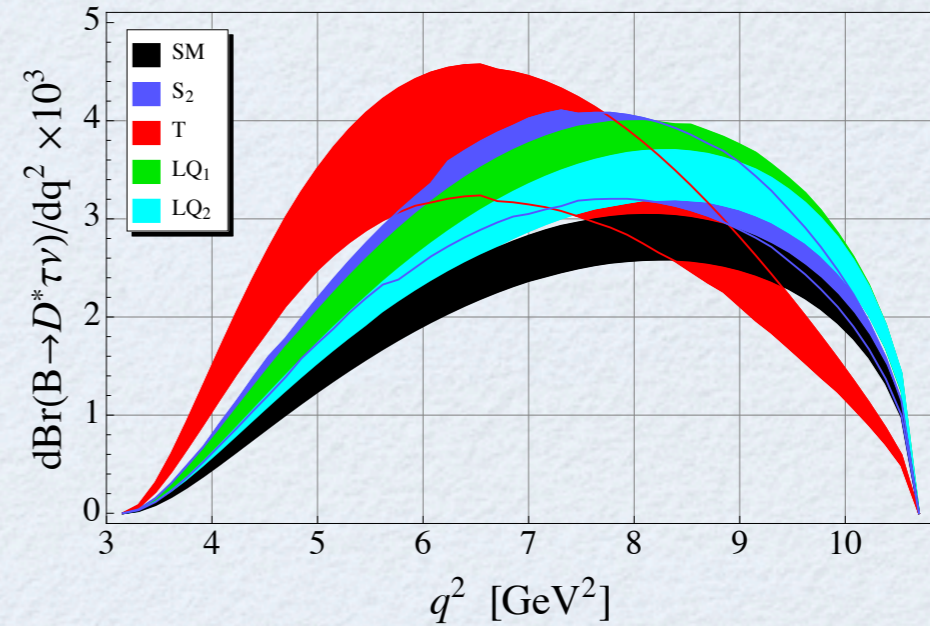
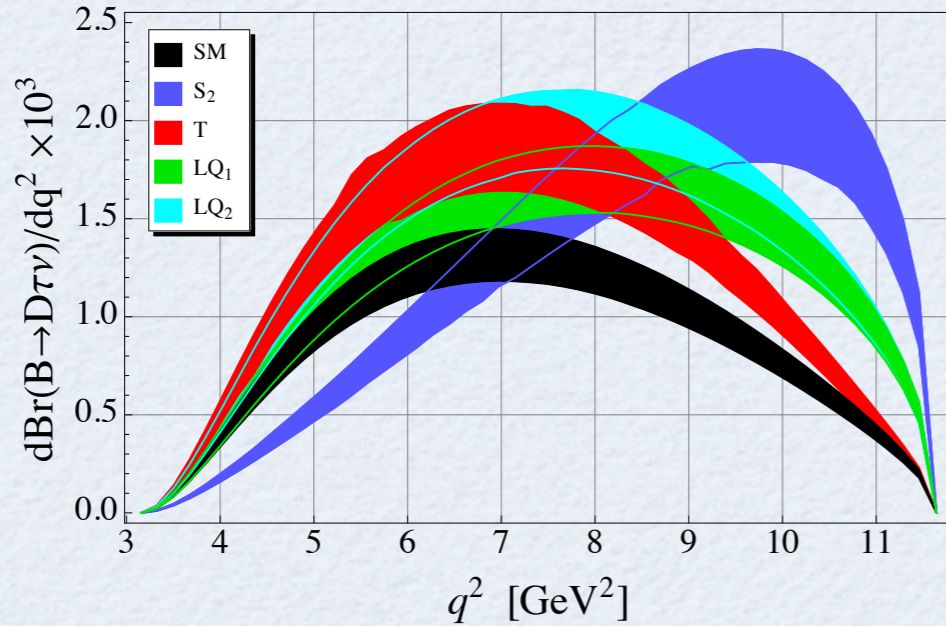
1. $B_{\text{tag}}, D^{(*)}, \ell$ are identified

2. m_{miss}^2 distribution is measured

3. Comparing total event data with expected signal & background, **signal event is extracted**

Distribution

- Distribution in NP models using best fitted C_x from $R(D^*)$



$$R_D(q^2) \equiv \frac{d\mathcal{B}(\bar{B} \rightarrow D\tau\bar{\nu})/dq^2}{d\mathcal{B}(\bar{B} \rightarrow D\ell\bar{\nu})/dq^2} \frac{\lambda_D(q^2)}{(m_B^2 - m_D^2)^2} \left(1 - \frac{m_\tau^2}{q^2}\right)^{-2}$$

$$R_{D^*}(q^2) \equiv \frac{d\mathcal{B}(\bar{B} \rightarrow D^*\tau\bar{\nu})/dq^2}{d\mathcal{B}(\bar{B} \rightarrow D^*\ell\bar{\nu})/dq^2} \left(1 - \frac{m_\tau^2}{q^2}\right)^{-2}$$

Discriminative potential

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99.9%CL

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Setup:

1. divide q^2 region by 16(14) bins in $B \rightarrow D^{(*)} \tau \nu$ as is done by BaBar
2. evaluate covariant matrices of theoretical uncertainties for each model
3. estimate experimental errors taking efficiencies (10^{-4}) into account
(10^{-4} is obtained from BaBar analysis and we assume using this value)