

# A class to make combinations

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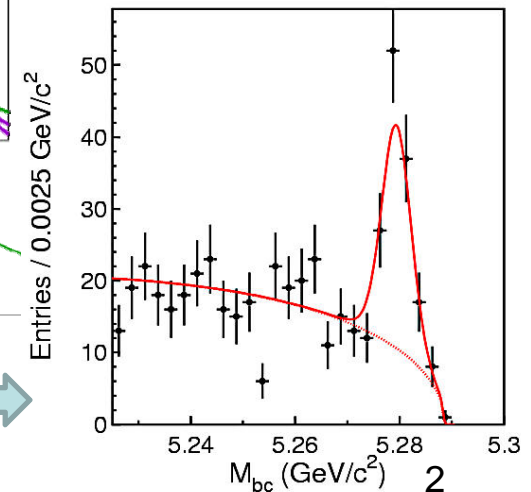
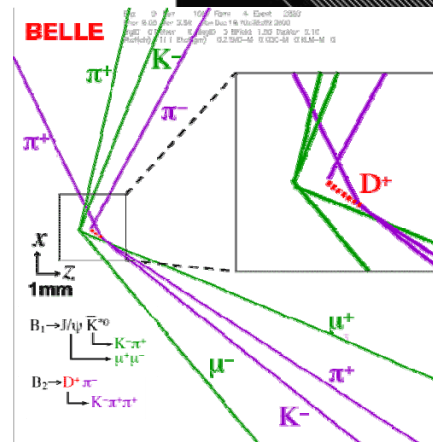
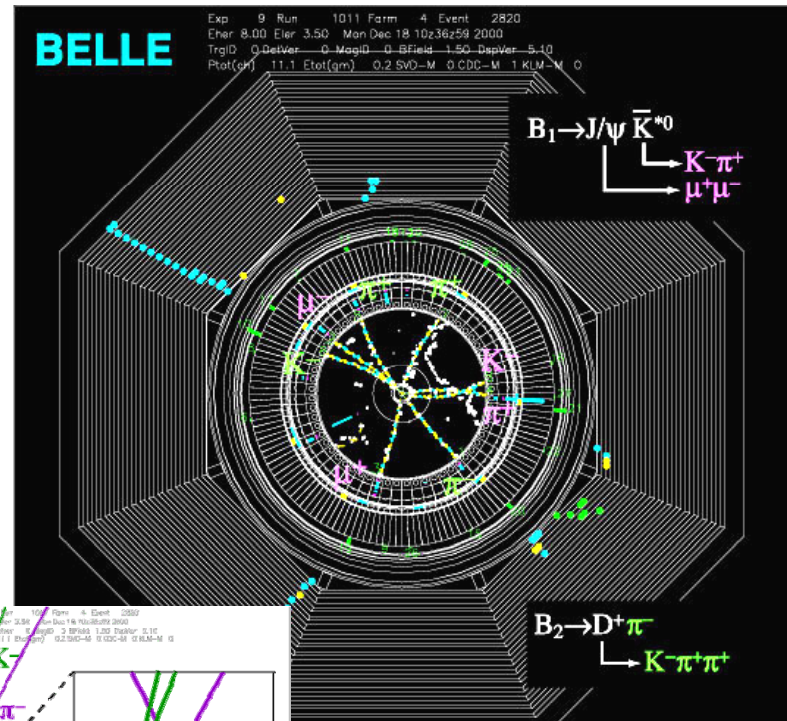
# What is “combinations”

- In HEP data analysis, we
  - search for a new particle in decays to known particles
  - also study/search for decay modes of known elementary particles

as elementary particles decay into lighter particles

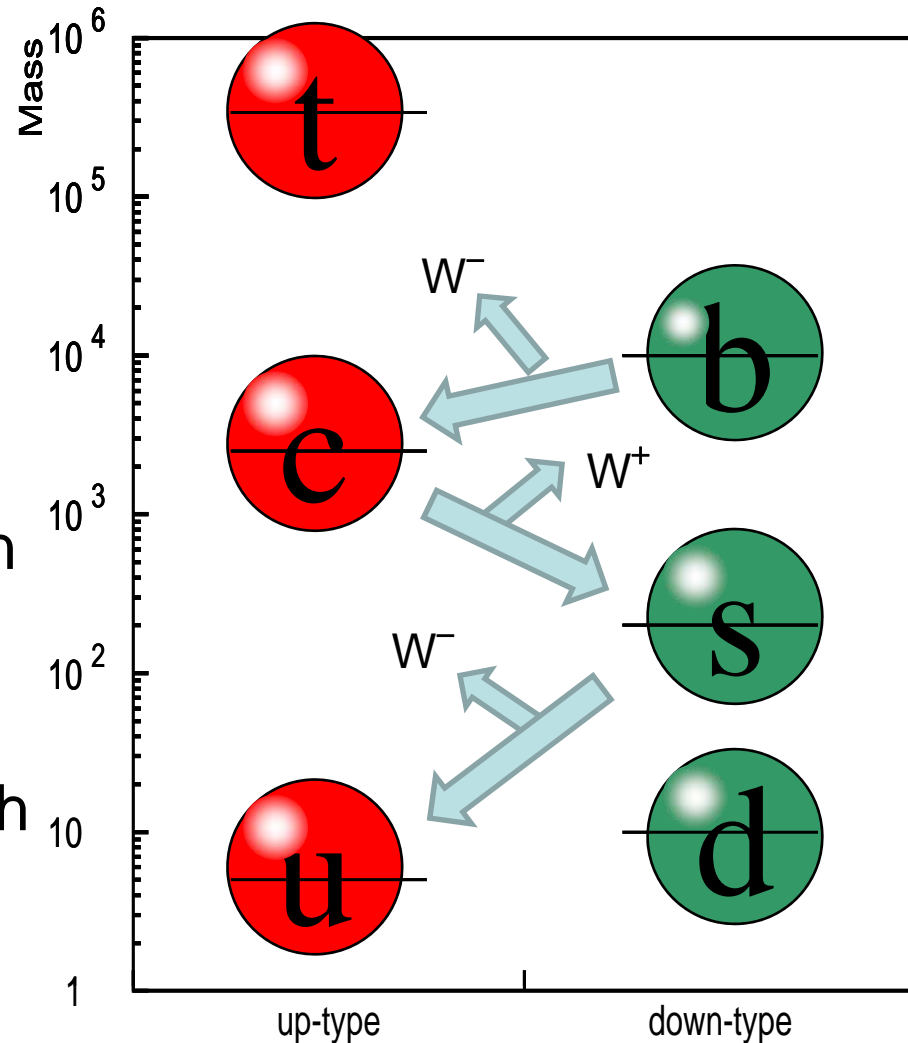
- this process repeats until all daughters are “stable”

- We can only analyze them statistically

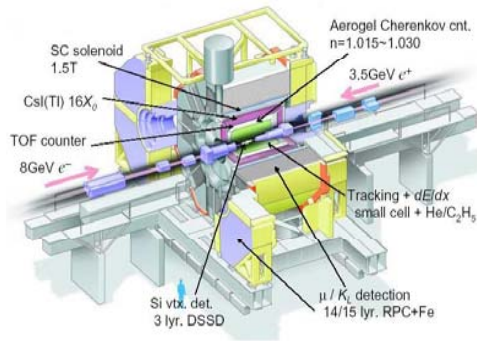


# B meson decays

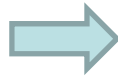
- At Belle, we study the decays of B mesons
  - B meson usually decays to charmed meson
  - Charmed meson then decays to strange meson
  - Strange meson then decays to light mesons
  - Note:  $K^\pm$  has long enough lifetime to be detected
  - We also look for “rare decays”



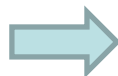
# Event processing



Raw hit information



Calibration databases



- Raw information from the sensors in the detector have been fully utilized
- Dependence on the detector conditions are mostly taken out
- Events may be classified using the information in the particle lists
- The lists are used by almost all physicists

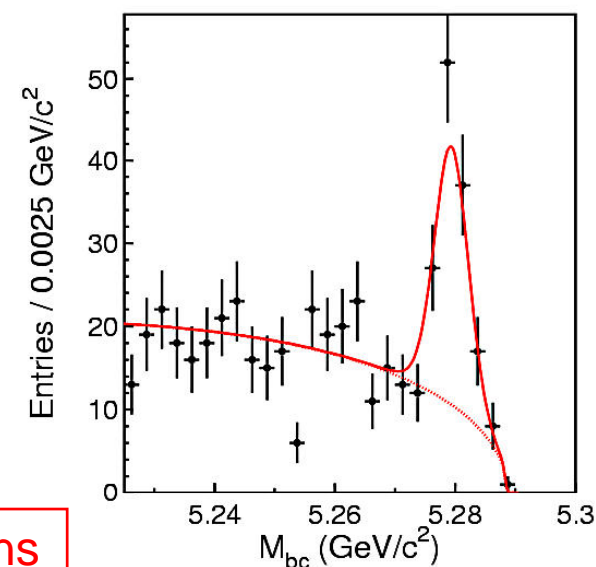
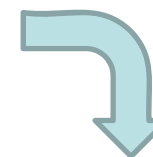


Lists of neutral and charged particle candidates

# Physics analysis

Lists of neutral and charged particle candidates

- make lists of  $K$ ,  $\pi$ ,  $\rho$ ,  $e$ ,  $\mu$ ,  $g$ ,  $K_L$  candidates
- make  $\pi^0$ ,  $K_S$  lists by combining  $\gamma\gamma$  and  $\pi^+\pi^-$
- make  $K^*$ ,  $\eta$ ,  $\phi$ ,  $\omega$  lists by combining  $K$ ,  $\pi$  and  $\gamma$
- make  $D$ ,  $D^*$ ,  $J/\psi$ ,  $\psi'$ ,  $\chi$ , lists
- make  $B$  lists

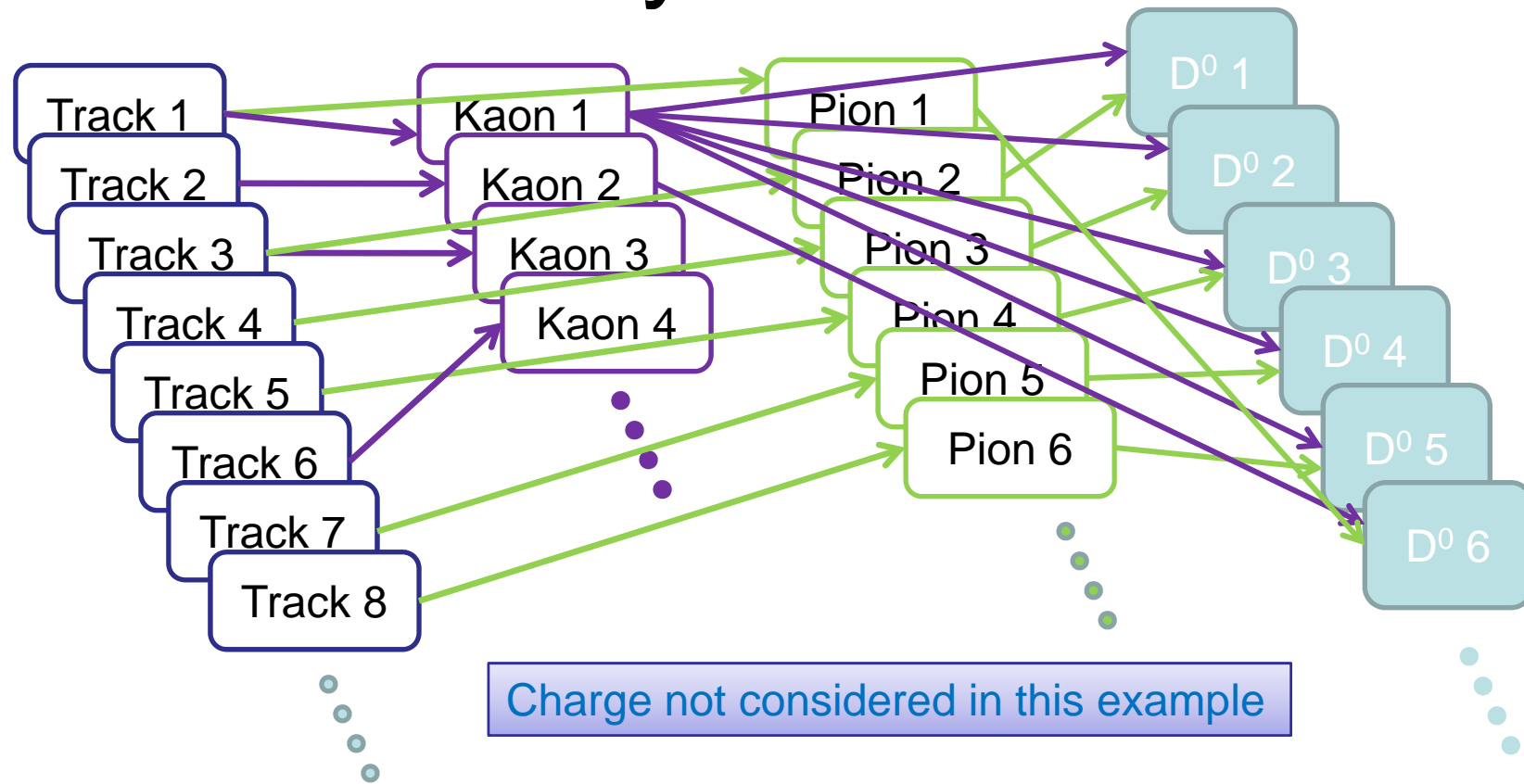


There are many, many decay modes of  $D$  and  $B$  mesons

# More physics analysis

- On the average, there are 8-12 charged tracks and tens of  $\pi^0$  candidates
- Number of decay mode (chains) can go up to thousands (# of B decays  $\times$  # of D decays)  
 $\Rightarrow$  Many candidates in many decay modes in each event
- At B factories ( $e^+e^- \rightarrow Y(4S) \rightarrow B\bar{B}$ ) often we “reconstruct one B” and look at the other
- There are rare decay modes such as  $B \rightarrow D\bar{D}$

# Two body combinations



- Same Track can be identified as Kaon and Pion
- When making D<sup>0</sup> out of Kaon and Pion, the same track can not be used

# Four body combinations

$$D^0 \rightarrow K^+ \pi^- \pi^+ \pi^- = p_i n_j p_k n_l$$

- Two  $\pi^-$  must not be the same:  $n_j \neq n_l$ 
  - Only one of  $n_j n_l$  and  $n_l n_j$  is allowed, not both (combinations)
- $K^+$  and  $\pi^+$  must not be the same:  $p_i \neq p_k$ 
  - but both  $p_i p_k$  as  $K^+ \pi^+$  and  $p_k p_i$  as  $K^+ \pi^+$  must be allowed (permutations)

## Decay chains

$$D^{*-} \rightarrow \bar{D}^0 \pi^- \rightarrow (K^+ \pi^-) \pi^- = p_i n_j n_k$$

- Two  $\pi^-$  must not be the same:  $n_j \neq n_k$ 
  - but both  $n_j n_k$  and  $n_k n_j$  must be allowed



# Coding in C++

```
vector<Particle> Kaon, Pion;
for(it=Kaon.begin()...)
    for(it2=Pion.begin()...)
        if(it->track()!=it2->track()) {
            ...
// you may define function:
combine(Kaon, Pion);
// you may define class and operator “ * ”
Dzero = Kaon * Pion;
```

# >2 body combinations

```
vector<Particle> Kaon, Pion;
for(it=Kaon.begin()...it!=Kaon.end()-1)
  for(it2=Pion.begin()...)
    if(it->track()!=it2->track()) {
      for(it3=it+1,...)
        if(it3->track()!=it2->track()) {
          ...
        }
      // you may define function:
      combine(Kaon, Pion, Kaon);
      // but not
      D0 = Kaon * Pion * Kaon
    }
  }
```

# Bit of History

- When I started using C++ in 1989, I was so intrigued by the operator overloading feature of C++ and thought quite hard about making

$D0 = K\_plus * Pi\_minus * Pi\_plus * Pi\_minus$

- but I could not come up with a good idea
  - so I wrote a compiler: CABS
- Since then, I have not paid too much attention to such things although I have been involved in B physics
- I have come up with an idea that I am presenting now but I have not done literature search on it

# Delayed evaluation

- I heard about a programming language Haskell and about delayed evaluation
- In most languages the expression is evaluated eagerly, meaning it is evaluated when expression is written(executed)
  - This way,  $A * B * X = (A * B) * X$  and “A” is forgotten when the second \* is evaluated
- The idea is simple
  - Do not actually evaluate “\*” until it meets “=”
    - Keep the lists and make the combination at “–”

# Two classes

- List class contains the list of “particles”
  - Define “\*” operator not returning the List object but an object of Comb class which holds the list of List

```
Comb List::operator * (const &List);
```

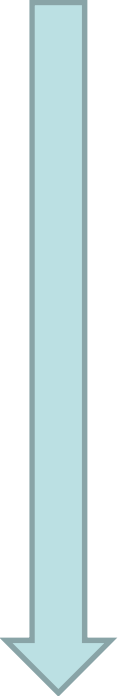
```
Comb List::operator * (const &Comb);
```

```
Comb Comb::operator * (const &List);
```

```
List& List::operator=(const Comb &);
```

$$D0 = KP * PiM * PiP * PiM$$

Evaluation



Comb:list of {KP, PiM}

Comb:list of {KP, PiM, PiP}

Comb:list of {KP, PiM, PiP, PiM}

In operator =, we know exactly from which lists we need to make combinations

- KP with PiP uses permutation and
- for two PiMs we need combination

# Other features

- Templated
  - derived from vector<T>
  - can work with T=any “Particle” class
- Charge conjugates
  - Can handle charge conjugates automatically
    - When making  $D^0$  list out of  $K^-$  and  $\pi^+$ , it can generate list of  $D^0$  bar out of  $K^+$  and  $\pi^-$
- Filter/selection using typical HEP quantities
- No performance penalty
  - It is as fast as hand written optimized loop code

# Summary

- A new set of template classes was developed to realize a combinatorial engine in C++ language using the delayed evaluation technique
- The delayed evaluation maybe useful for other algorithms and may simplify the programming even if one writes in non functional programming language like C++