

Thermalization in the D1D5 Black Hole

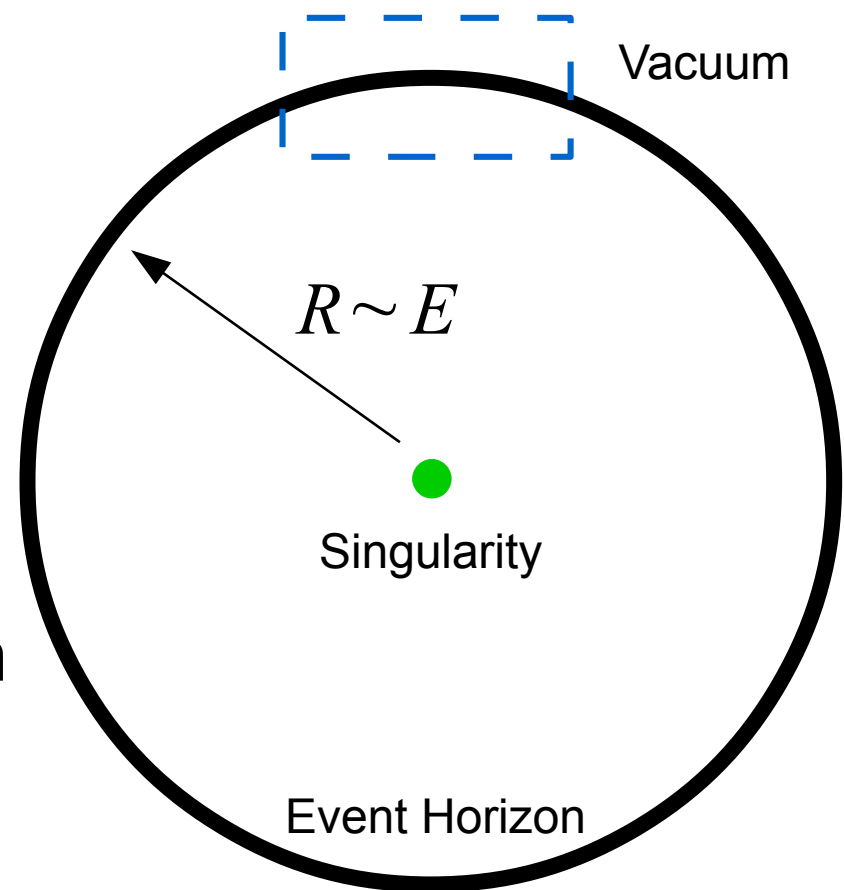
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DPF 2015

Overview

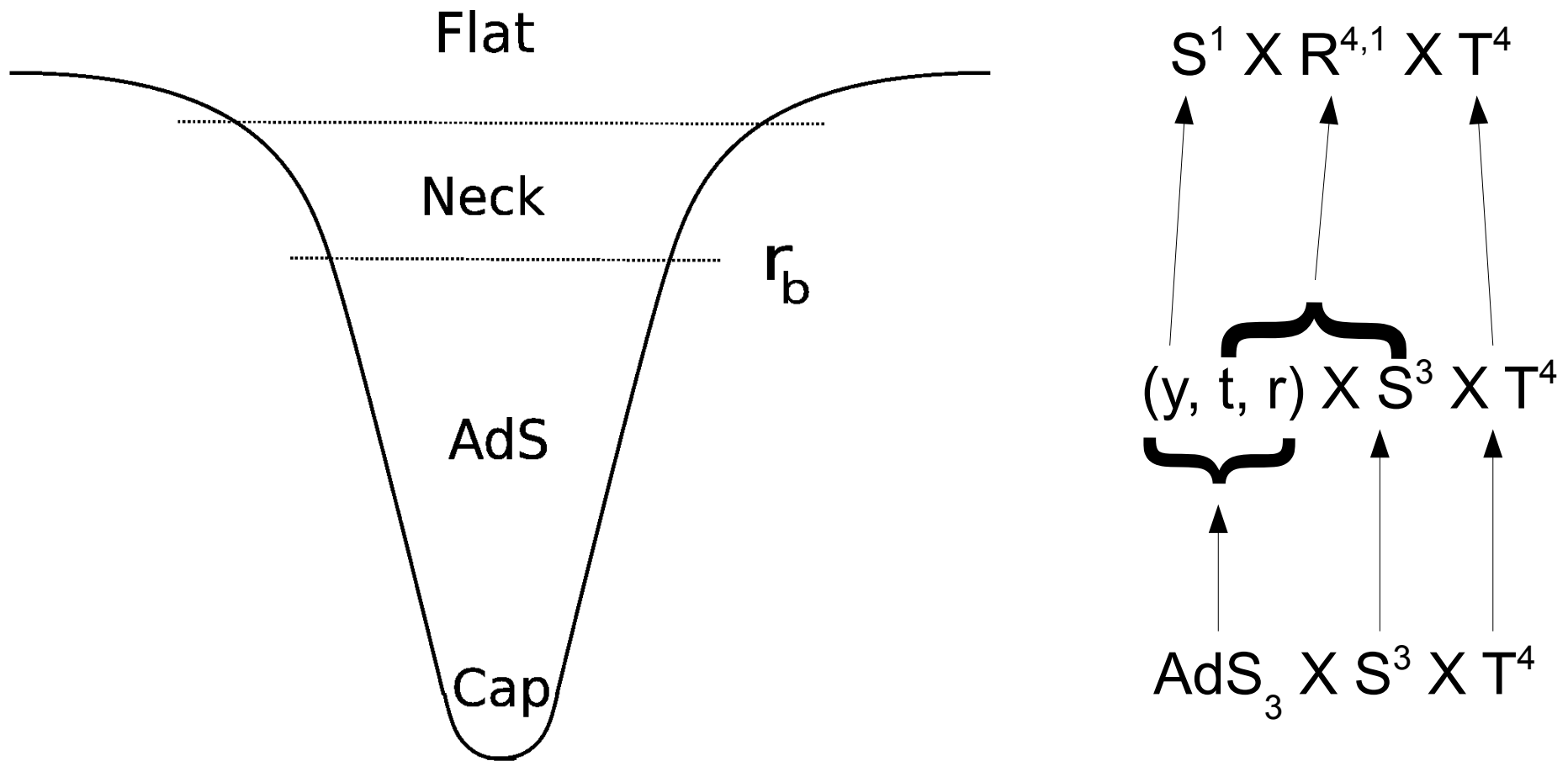
- Classical Black Hole
- The Fuzzball Paradigm
- D1D5 CFT: Orbifold Point
- 1st Order Deformation
- 2nd Order Deformation
- Conclusions

Classical Black Hole

- All matter in singularity
 - Vacuum at horizon
- Entropy
 - $S \sim A$
- Hawking Radiation
 - Pair Production at Horizon
 - Information Paradox



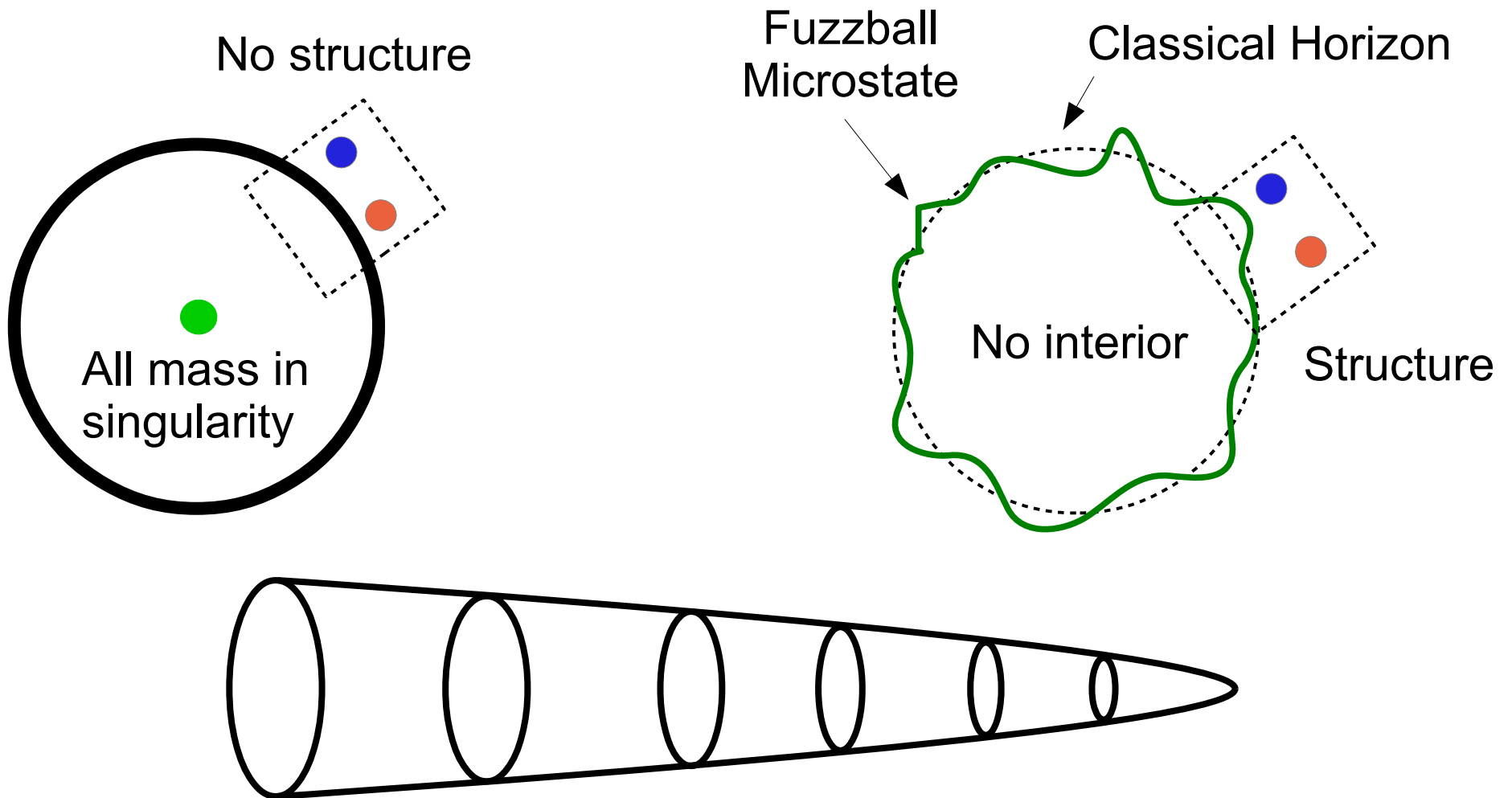
The Fuzzball Paradigm (1)



Source: S. G. Avery, B. D. Chowdhury and S. D. Mathur, [arXiv:0906.2015 [hep-th]].

Will make use of CFT dual at r_b

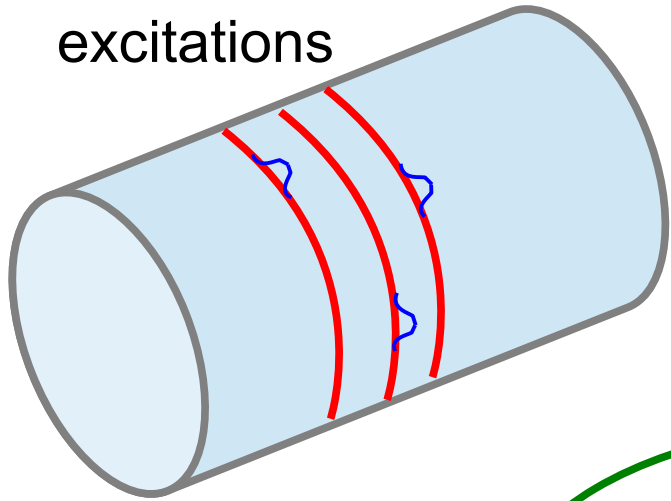
The Fuzzball Paradigm (2)



The Fuzzball Paradigm (3)

NS1-P System

NS1 Branes +
excitations



Net momentum P from
combination of excitations



$$N_{Micro} = e^{S_{Bek}}$$



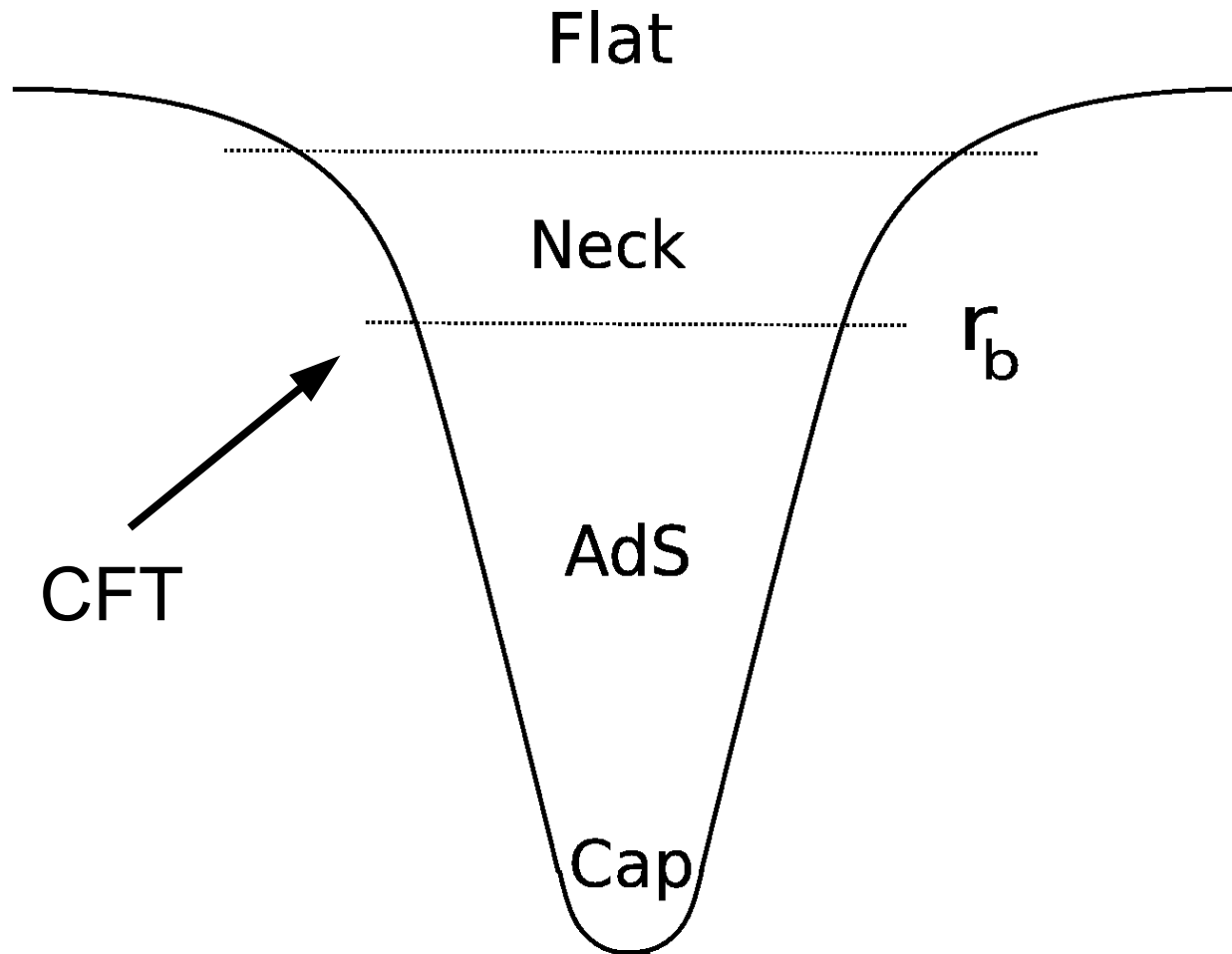
Dualities

$$S_{Micro} = S_{Bek}$$



D1D5 System

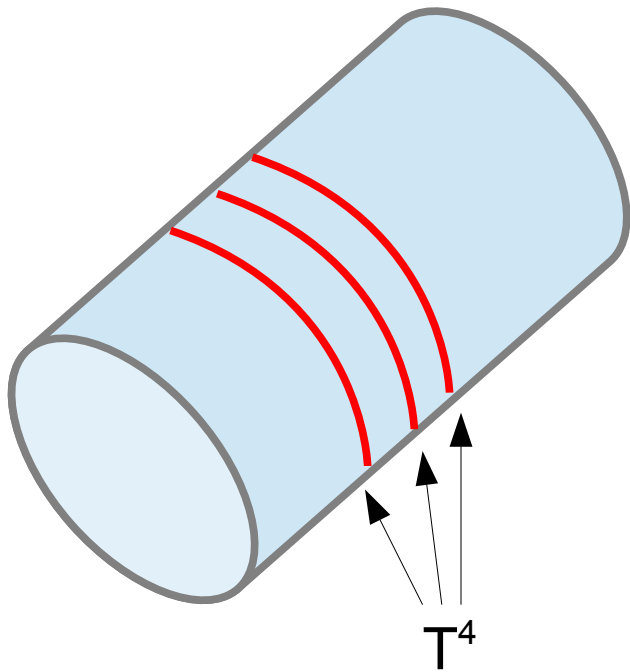
D1D5 CFT: Orbifold Point (1)



Source: S. G. Avery, B. D. Chowdhury and S. D. Mathur, [arXiv:0906.2015 [hep-th]].

D1D5 CFT: Orbifold Point (2)

$$(T^4)^N / S_N$$

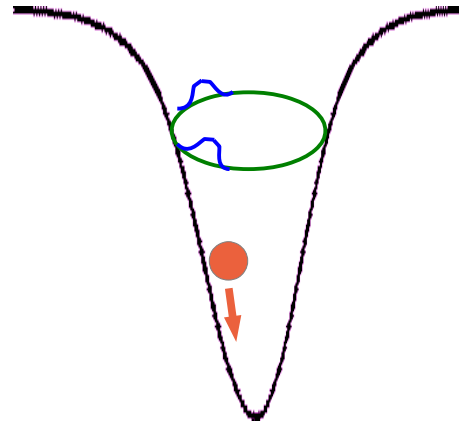
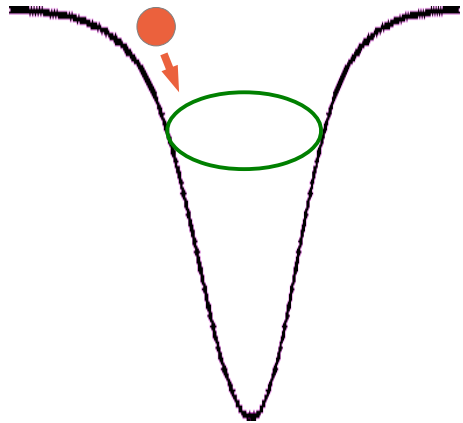


- $n_1 n_5$ copies of a SCFT
- Copies are *symmetrized*
- Non-interacting

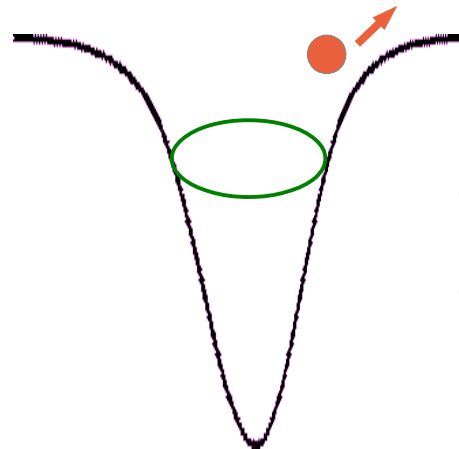
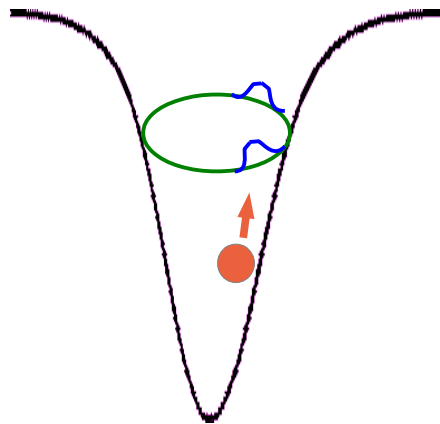
A red circle with a diagonal slash through it, containing the expression $a_n^{(1)\dagger} |\emptyset\rangle$.

A green checkmark followed by the expression $(a_n^{(1)\dagger} + a_n^{(2)\dagger}) |\emptyset\rangle$.

D1D5 CFT: Orbifold Point (3)

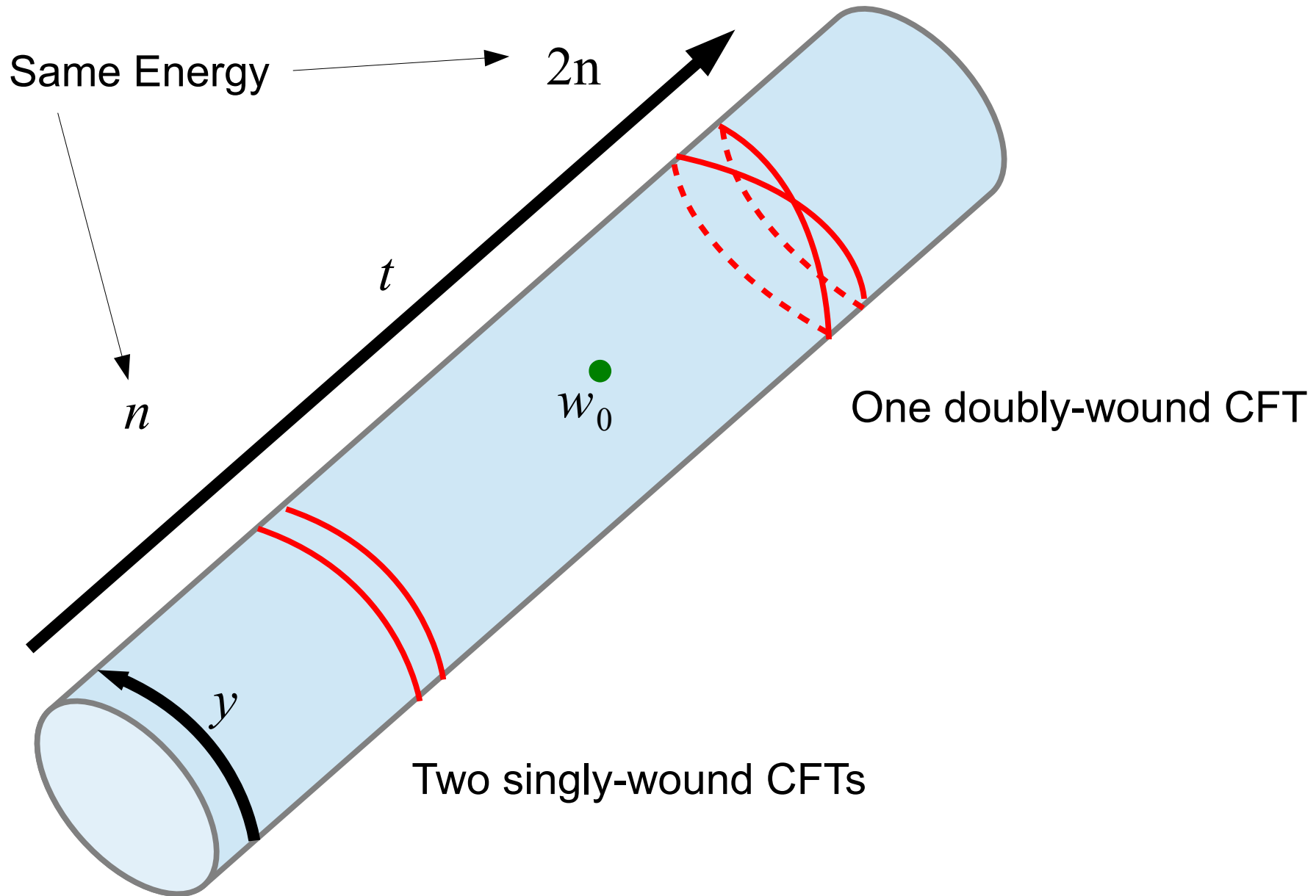


$$t_{CFT} = t_{Grav}$$



- Wave packets don't break up
- Same quanta re-emitted

1st Order Deformation (1)



1st Order Deformation (2)

$$\sigma_2^+ |0\rangle^{(1)} |0\rangle^{(2)} = |\chi\rangle = \exp \left[\sum_{m,n=1}^{\infty} \gamma_{mn}^B \alpha_{-m} \alpha_{-n} \right] |0\rangle$$

$$\sigma_2^+ \alpha_{-n}^{(i)} |0\rangle^{(1)} |0\rangle^{(2)} = \sum_{p=1}^{\infty} f_{np}^{B(i)} \alpha_{-p} |\chi\rangle$$

Fermions too!

1st Order Deformation (3)

$$\gamma_{mn}^B \sim \frac{1}{\sqrt{mn}(m+n)}$$

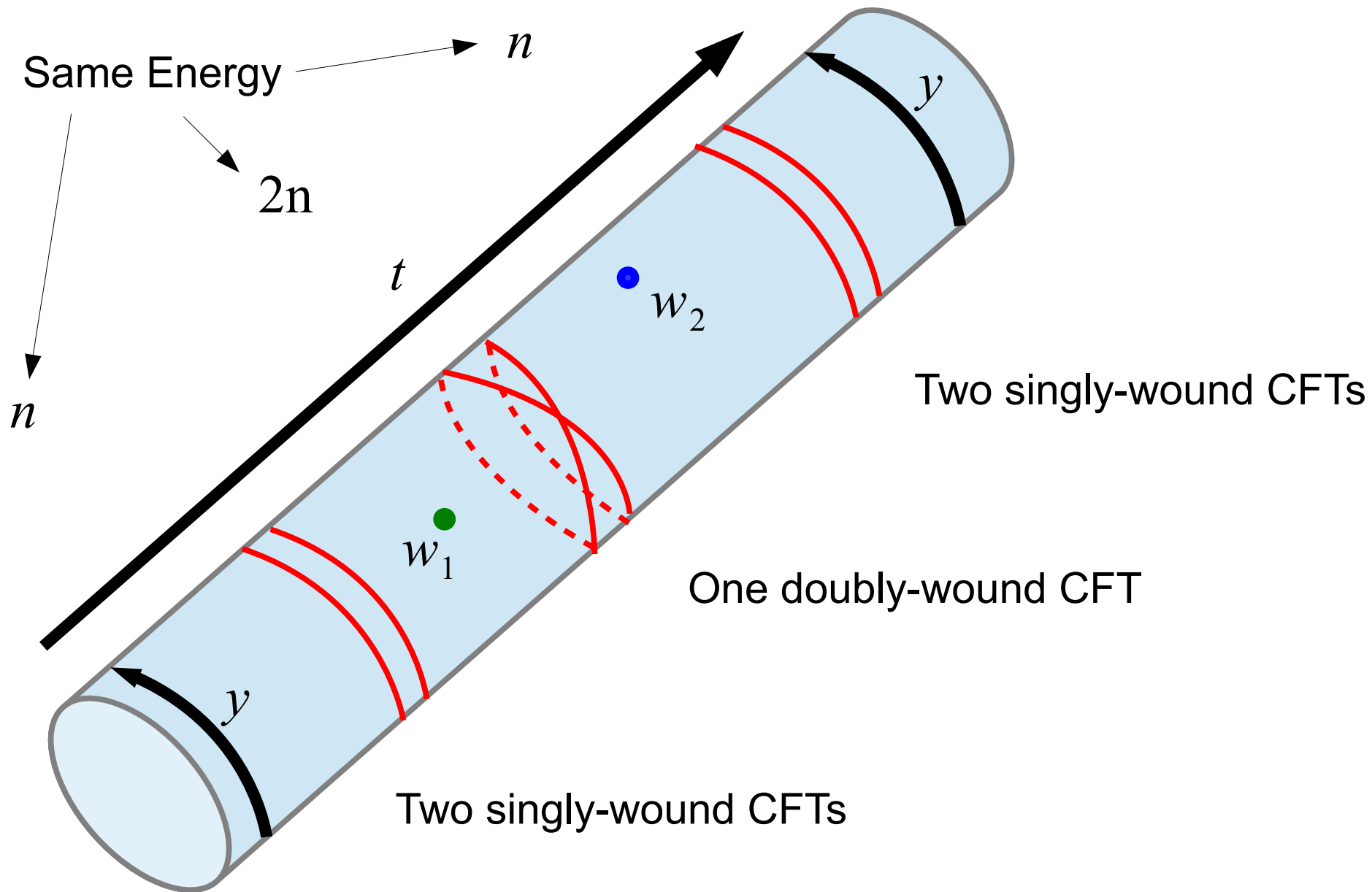
Vanishes for
even m or n .

$$f_{np}^{B(i)} \sim \sqrt{\frac{n}{p}} \frac{1}{(2n-p)}$$

$\frac{1}{2}$ for $p = 2n$.
Vanishes for
other even p .

Peaked near initial energy so wave packet not splitting!

2nd Order Deformation



2nd Order Deformation (2)

$$\sigma_2^+ \sigma_2^+ |0\rangle^{(1)} |0\rangle^{(2)} = |\chi'\rangle = \exp \left[\sum_{m,n=1}^{\infty} \sum_{(i),(j)=1}^2 \gamma_{mn}^{B(i)(j)} \alpha_{-m}^{(i)} \alpha_{-n}^{(j)} \right] |0\rangle^{(1)} |0\rangle^{(2)}$$

$$\sigma_2^+ \sigma_2^+ \alpha_{-n}^{(i)} |0\rangle^{(1)} |0\rangle^{(2)} = \sum_{p=1}^{\infty} \sum_{(j)=1}^2 f_{np}^{B(i)(j)} \alpha_{-p}^{(j)} |\chi'\rangle$$

Fermions too!

2nd Order Deformation (3)

$$\gamma_{mn}^{B(i)(j)} \sim \frac{1}{\sqrt{mn}(m-n)} g(m, n, \Delta w)$$

Oscillating Function

$$f_{np}^{B(i)(j)} \sim \sqrt{\frac{n}{p}} \frac{1}{(n-p)} h(m, n, \Delta w)$$

Still peaked near initial energy!

Conclusions

- 2nd order results look a lot like 1st order results!
 - Still no wave packet splitting
 - Does this generalize to nth order?
- Exact Solutions very messy
 - Simplifies in continuum limit
 - What are the oscillating functions?
- Where is thermalization?
 - Can wave packets split at any order?
 - Asymmetric untwisting?

References

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