## Identifying the Theory of Dark Matter with Direct Detection

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## Motivation

- Dark matter exists
- Large ongoing experimental effort to discover its interactions with the Standard Model
- Imagine we detect dark matter: what information will we be able to extract?
   also, McDermott, Yu, Zurek 1110.4281,

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## Parameter Space

Direct detection experiments are probing several orders of magnitude in m<sub>DM</sub>

Improving in  $\sigma_{DM}$ about x2/yr

Could make a discovery soon!



adapted from Snowmass document

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## Requirements

- A set of models (hypotheses) & corresponding phenomenology of scattering off nuclei
- A statistical representation of experiments
- An analysis framework for evaluating how well a given hypothesis fits a single data realization



UV-inspired; cf. Gresham and Zurek 1401.3739

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## EFT of DD

$$\frac{d\sigma_T}{dE_R}(E_R, v) = \frac{m_T}{2\pi v^2} \sum_{(N,N')} \sum_X R_X \left( E_R, v, c_i^{(N)}, c_j^{(N')} \right) \widetilde{W}_X^{(N,N')}(y)$$

### "particle physics"

given a Lorentz-invariant theory, calculate the low energy, nonrelativistic cross section

#### nuclear form factors

given a Lorentz-invariant theory, nuclear physics measurements predict nuclear responses

 $X = M, \Sigma', \Sigma'', \Phi'', \Delta, M\Phi'', \Delta\Sigma' \text{ (responses)}$ 

 $y \equiv m_T E_R b^2 / 2$ ,  $(b/\text{fm})^2 \equiv 41.467 / (45A^{-1/3} - 25A^{-2})$ 

## Particle Physics: $R_X$

lowest-dimension, least-suppressed Lorentz-invt. products of DM fermion bilinears with SM fields

• "standard" — SI ( $\bar{\chi}\chi\bar{f}f$ ), SD ( $\bar{\chi}\gamma^{\mu}\gamma_{5}\chi \bar{f}\gamma_{\mu}\gamma_{5}f$ )

 photon-mediated — millicharged (χ̄γ<sup>μ</sup>χA<sub>μ</sub>), anapole (χ̄γ<sup>μ</sup>γ<sub>5</sub>χ∂<sup>μ</sup>F<sub>μν</sub>), magnetic dipole (χ̄σ<sup>μν</sup>χF<sub>μν</sub>), electric dipole (χ̄σ<sup>μν</sup>γ<sub>5</sub>χF<sub>μν</sub>)

UV theory  $\Rightarrow$  overall momentum and velocity dependence, triggered responses

# "Nuclear Physics": $\widetilde{W}_X$

- form factor = how rate falls off at higher energy
- depends on target, response, and energy

number of form factors =

= number of targets × number of responses

## Statistical Methodology

$$\mathcal{E}(\{E_R\}|\mathcal{M}) = \int d\Theta \mathcal{L}(\{E_R\}|\Theta, \mathcal{M}) p(\Theta|\mathcal{M})$$

given model

observed (noisy) energy spectrum

$$\Pr(\mathcal{M}_j) = \frac{\mathcal{E}(\{E_R\}|\mathcal{M}_j)}{\sum_i \mathcal{E}(\{E_R\}|\mathcal{M}_i)}$$

free parameters  $(\sigma_{DD} \text{ and } m_{DM})$ 

"What are the odds" of extracting the true underlying model from the data?

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(Note: not maximizing a  $\chi^2$  statistic or finding a best fit)

## Mock data

#### need to make mock data sets $\{E_R\}$

#### simulate G2-like experiments

Label	A (Z)	Energy window [keVnr]	Exposure [kg-yr]
Xe	131 (54)	5-40	2000
Ge	73(32)	0.3-100	100
Ι	127 (53)	22.2-600	212
${ m F}$	19 (9)	3-100	606
Na	23(11)	6.7-200	38

choose m<sub>DM</sub>, set o<sub>DD</sub> just below current limits



## Criterion for Success

%

$$\Pr(\mathcal{M}_j) = \frac{\mathcal{E}(\{E_R\}|\mathcal{M}_j)}{\sum_i \mathcal{E}(\{E_R\}|\mathcal{M}_i)} > 90$$

true underlying model is "confidently selected" if Pr(M<sub>true</sub>)>90%

this depends on the Poisson realization

create many Poisson realizations to test robustness

## Results (example)



single elements not so good

## Results (example)



Complementarity!

## Conclusions

- A conclusive direct observation of DM will just be the beginning of the work
- Target complementarity will be a critical requirement for learning about DM physics