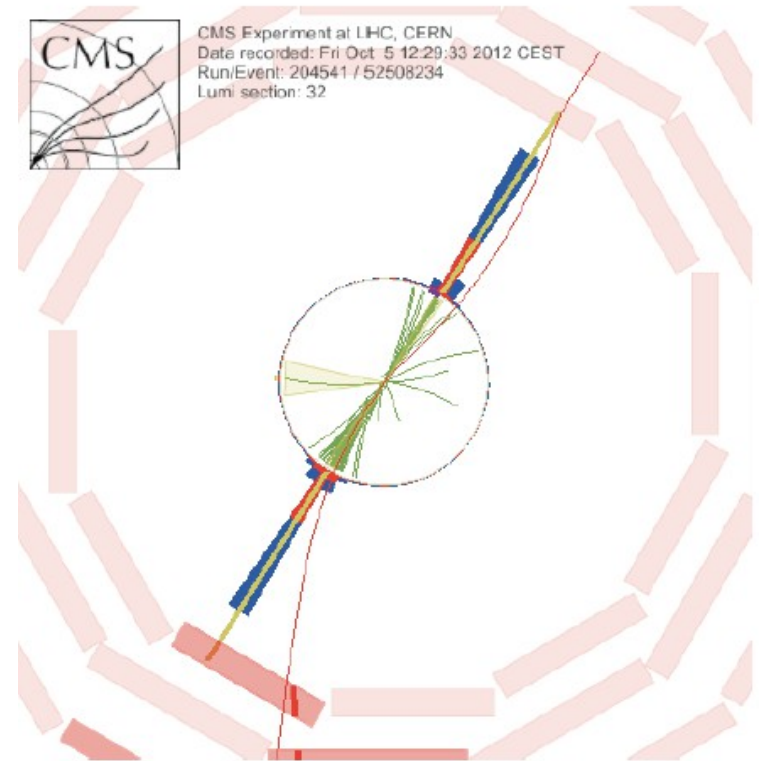
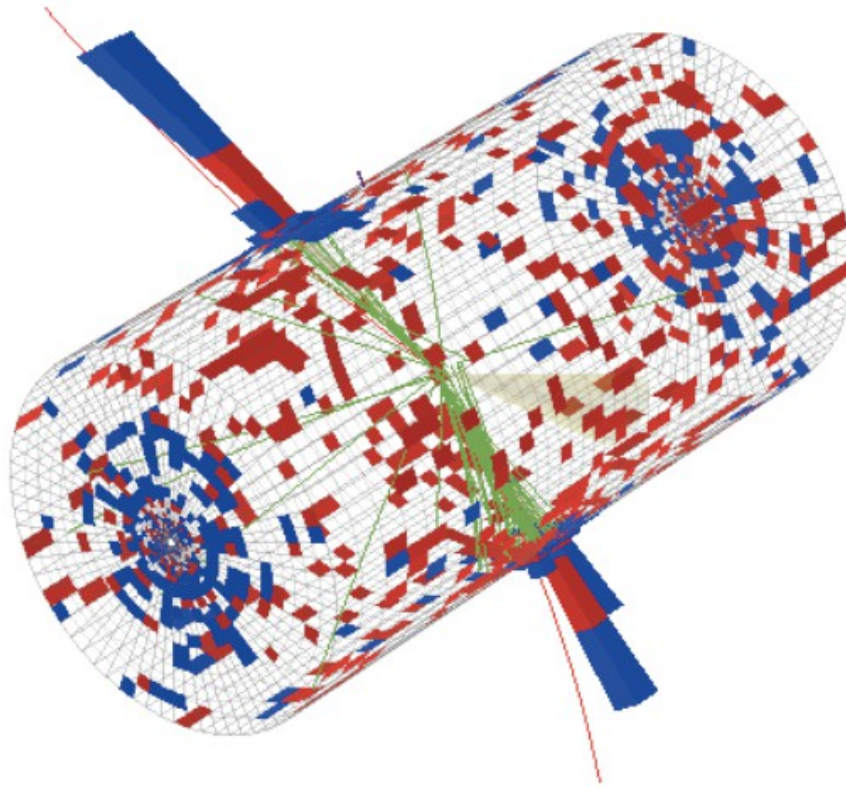


# Distinguishing dijet resonances at the LHC using jet energy profiles



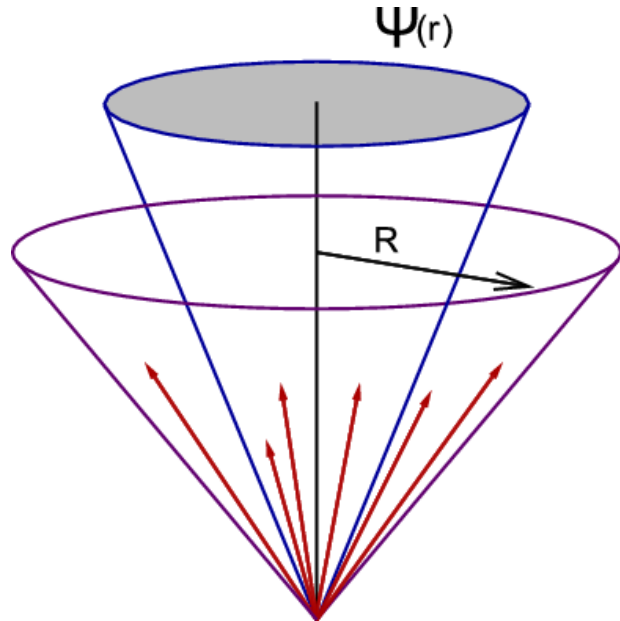
Based on:  
R. S. Chivukula, E. H. Simmons, NV  
Phys.Rev. D91 (2015) 5, 055019

**Natascia Vignaroli**

**Michigan State University**

Pheno 2015, Pittsburgh

# Jet Energy Profile

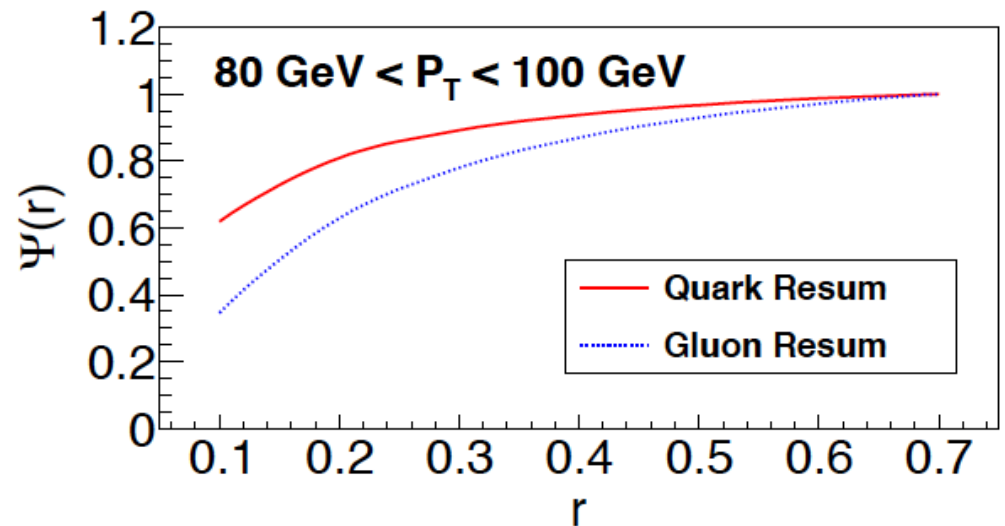


Average fraction of jet  $p_T$  lying within a sub-cone of radius  $r$

$$\psi(r) = \frac{1}{N_j} \sum_j \frac{p_T(\mathbf{0}, \mathbf{r})}{p_T(\mathbf{0}, \mathbf{R})}$$

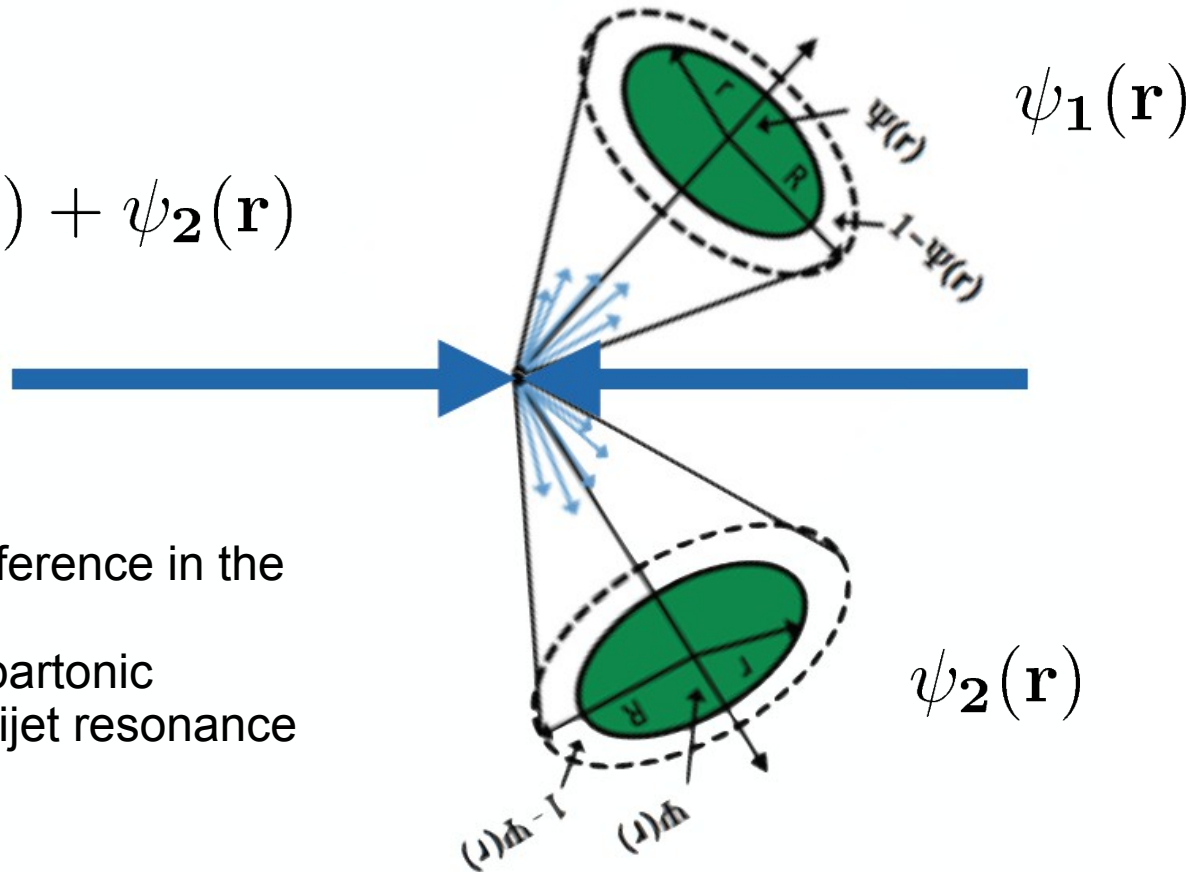
Quarks  $C_F = 4/3$     Gluons:  $C_A = 3$

Gluon-jets irradiate more, slowly rising JEP  
 Quark-jets irradiate less, fast rising JEP



## Dijet energy profile

$$\psi_{jj}(\mathbf{r}) = \psi_1(\mathbf{r}) + \psi_2(\mathbf{r})$$

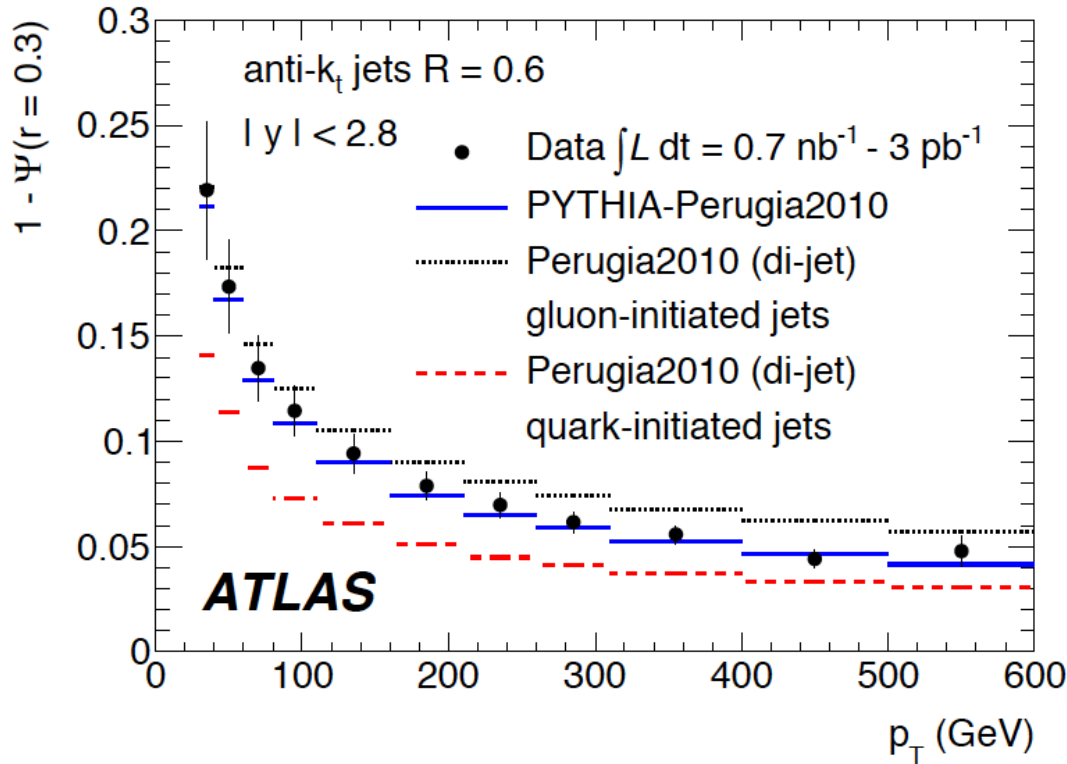


We will use the difference in the quark/gluon JEP to distinguish the partonic composition of a dijet resonance

Similar technique recently applied to distinguish Higgs production mechanisms [Rentala *et al.* PRD88 (2013) 7, 073007] and Dark matter interactions [Agrawal, Rentala, JHEP 1405 (2014) 098]

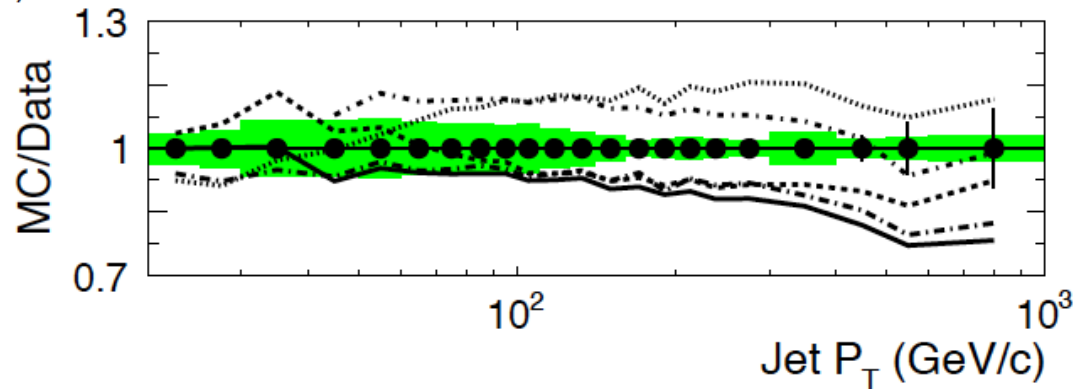
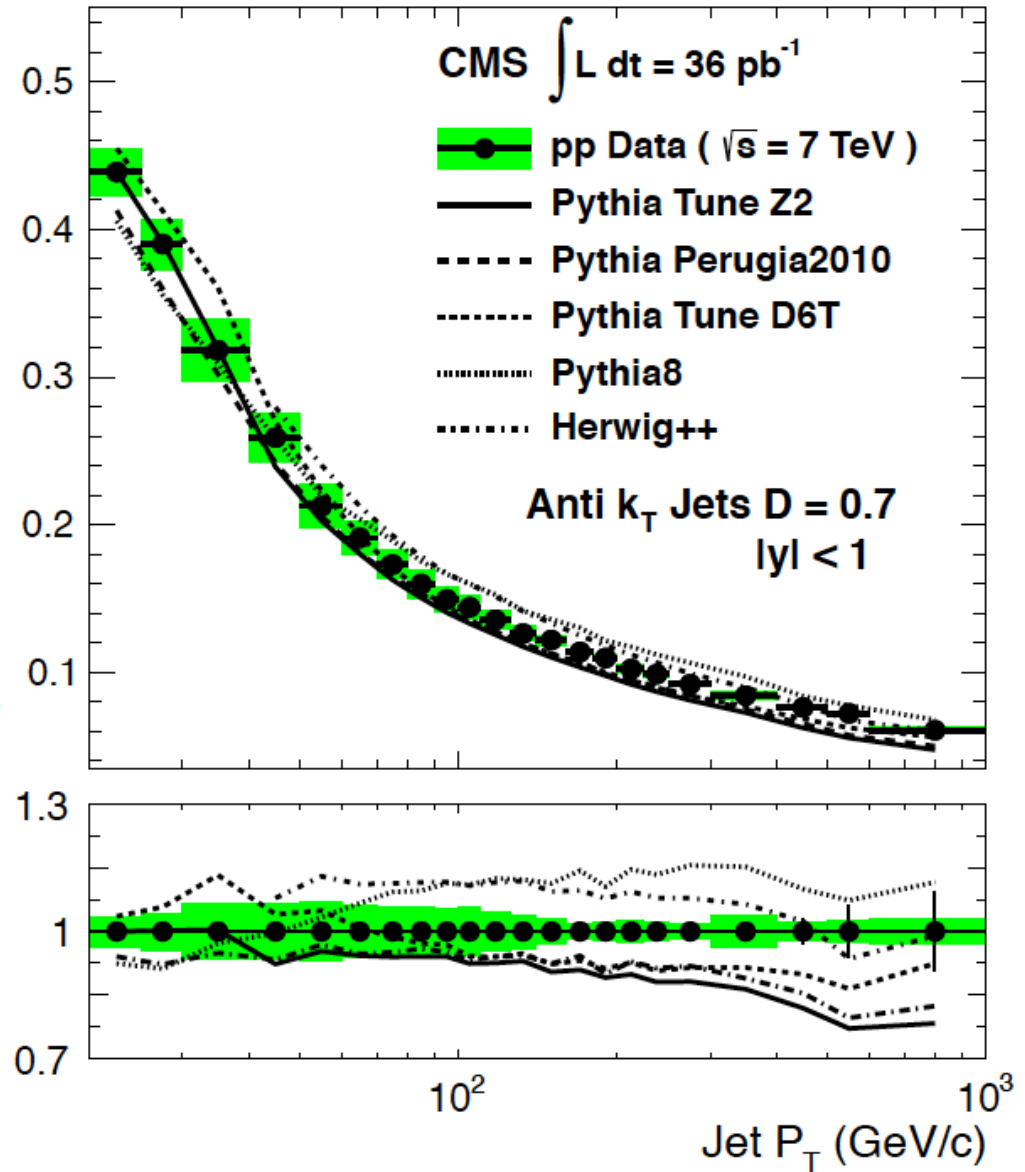
# LHC-7 measurements (inclusive jet production)

ATLAS, PRD 83 (2011) 052003



**Tuning!**

Data are well described by MC simulations.  
 But a tuning of the shower/hadronization parameters is needed



CMS, JHEP 1206 (2012) 160

## How to estimate the jet energy profile for dijet at LHC-14 ?

- (a) By Monte Carlo simulation (example MG+Pythia or Herwig)  
but a tuning of MC parameters is needed (and we need LHC-14 data!)
- (b) Theoretically. JEP can be calculated in perturbative QCD

Nex-to-leading-  
logarithm resummation

Collins, Soper, Sterman, PRD 71 (2005) 112002  
{ Li, Li, Yuan, PRL 107 (2011) 152001 }  
PRD 87 (2013) 074025 }

We will use *pQCD* calculations to estimate the *average* JEPs and *MC* simulations to evaluate, by means of pseudo-experiments, the *statistical uncertainty* on the JEP

## Procedure (SIGNAL)

- We consider first the signal of a 4 TeV di-jet resonance, coming from an S8, C or  $q^*$ , which can be discovered with approximately 30 fb<sup>-1</sup> at the 14 TeV LHC and which has not been excluded by the present LHC-8 searches.

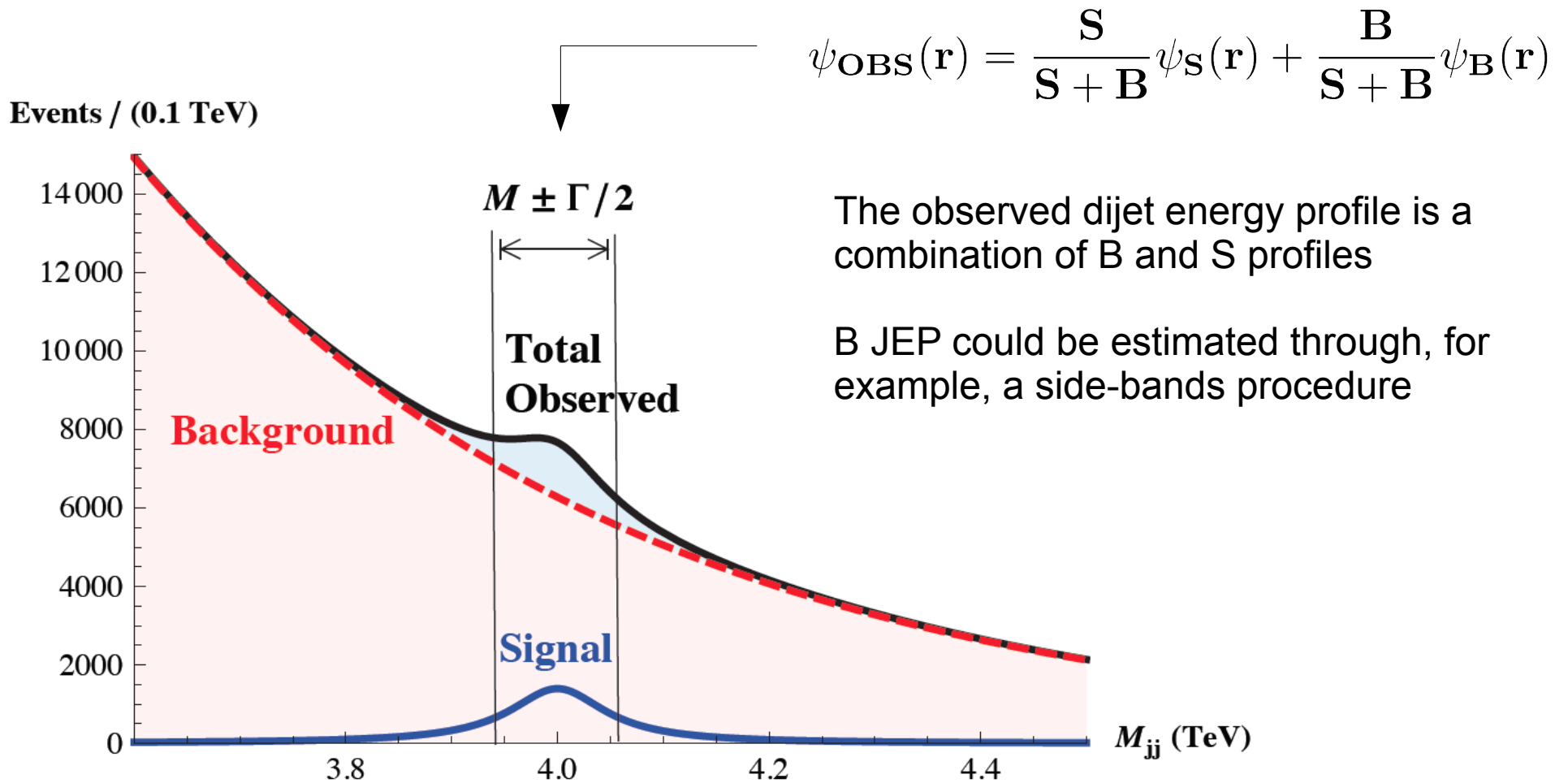
We apply the CMS selection ( $p_{T_j} > 30$  GeV,  $|\eta_j| < 2.5$ ,  $|\Delta\eta_{jj}| < 1.3$ ) and we restrict to the dijet mass region

$$|M_{jj} - M| < \Gamma/2$$

- We evaluate, in this kinematic region, the average JEP by pQCD calculation (we convolve the jet 4-momenta with the analytic jet functions)
- We obtain the statistical fluctuation on the JEP by running several MC simulations (MG5+Pythia; jets are clustered with Fastjet: anti-kt with R=0.5)  
We find that the statistical uncertainty is Gaussian (Poisson errors)

$$(\delta\psi_{\mathbf{S}}(\mathbf{r}))^2 \approx \frac{\sigma^2(\mathbf{r})}{\mathbf{S}}$$

# Background subtraction



Even if it is possible to subtract the B profile, the statistical uncertainty on B affects the measurement of the S JEP

## Background subtraction

$$\psi_{\mathbf{S}}(\mathbf{r}) = \psi_{\mathbf{OBS}}(\mathbf{r}) + \frac{\mathbf{B}}{\mathbf{S}}(\psi_{\mathbf{OBS}}(\mathbf{r}) - \psi_{\mathbf{B}}(\mathbf{r}))$$

For the signal we have found

$$(\delta\psi_{\mathbf{S}}(\mathbf{r}))^2 \approx \frac{\sigma^2(\mathbf{r})}{\mathbf{S}}$$

We make the reasonable assumption of same  $\sigma$  "per event" statistical error for S and B:

$$(\delta\psi_{\mathbf{OBS}}(\mathbf{r}))^2 \approx \frac{\sigma^2(\mathbf{r})}{\mathbf{S} + \mathbf{B}} \quad (\delta\psi_{\mathbf{B}}(\mathbf{r}))^2 \approx \frac{\sigma^2(\mathbf{r})}{\mathbf{B}} .$$

$$(\delta\psi_{\mathbf{S}})^2 \approx \underbrace{\frac{\sigma^2}{\mathbf{S}} \left[ 1 + 2\frac{\mathbf{B}}{\mathbf{S}} \right]}_{\text{"dilution" in the measurement of S JEP due to QCD background}} + \underbrace{\frac{(\psi_{\mathbf{S}} - \psi_{\mathbf{B}})^2}{\mathbf{S}}}_{\text{From the uncertainty on S (number of signal events)}}$$

"dilution" in the measurement of S  
JEP due to QCD background

From the uncertainty on S (number of  
signal events)



## Background subtraction

$$\psi_{\mathbf{S}}(\mathbf{r}) = \psi_{\text{OBS}}(\mathbf{r}) + \frac{\mathbf{B}}{\mathbf{S}}(\psi_{\text{OBS}}(\mathbf{r}) - \psi_{\mathbf{B}}(\mathbf{r}))$$

For the signal we have found  $(\delta\psi_{\mathbf{S}}(\mathbf{r}))^2 \approx \frac{\sigma^2(\mathbf{r})}{\mathbf{S}}$

We make the reasonable assumption of same  $\sigma$  “per event” statistical error for S and B:

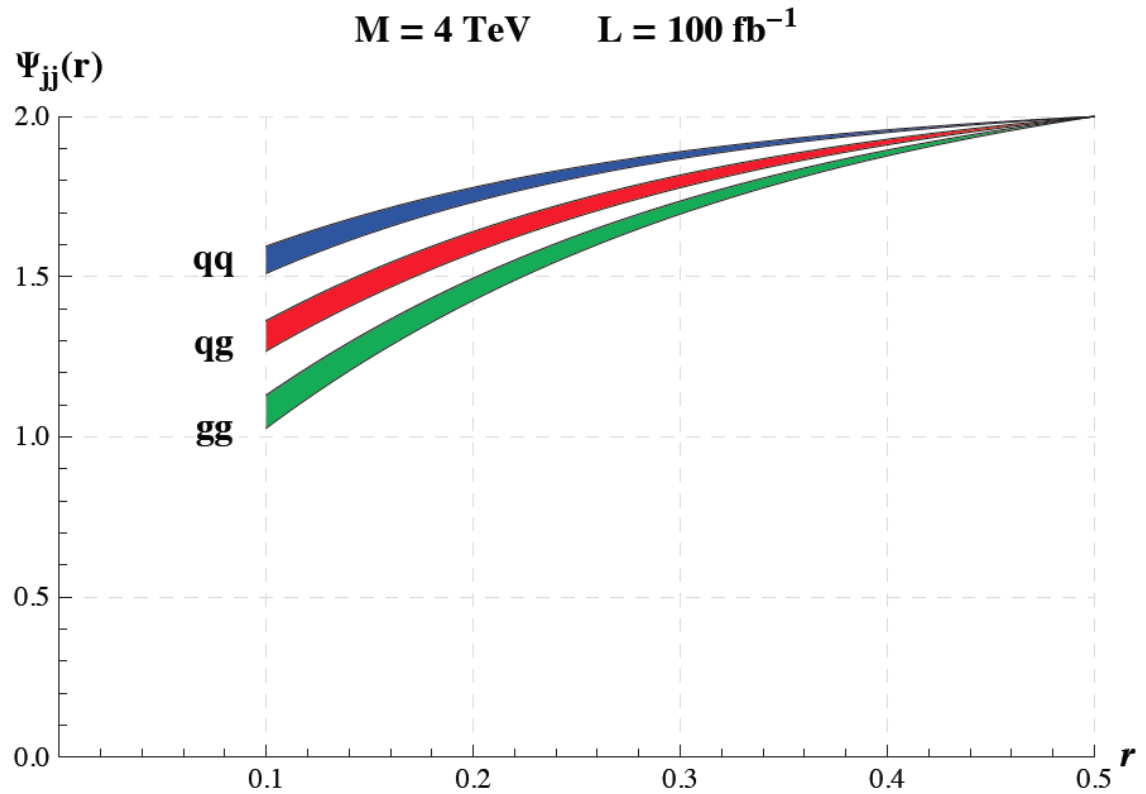
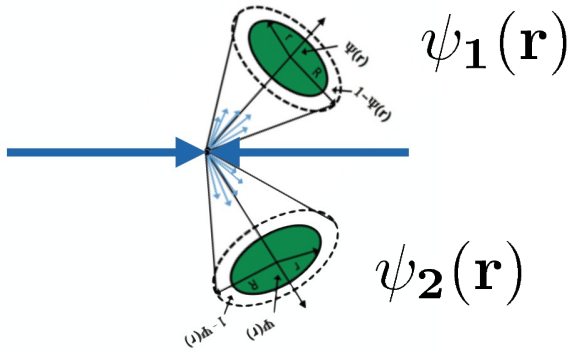
$$(\delta\psi_{\text{OBS}}(\mathbf{r}))^2 \approx \frac{\sigma^2(\mathbf{r})}{\mathbf{S} + \mathbf{B}} \quad (\delta\psi_{\mathbf{B}}(\mathbf{r}))^2 \approx \frac{\sigma^2(\mathbf{r})}{\mathbf{B}} .$$

$$(\delta\psi_{\mathbf{S}})^2 \approx \boxed{\frac{\sigma^2}{\mathbf{S}} \left[ 1 + 2\frac{\mathbf{B}}{\mathbf{S}} \right]} + \frac{(\psi_{\mathbf{S}} - \psi_{\mathbf{B}})^2}{\mathbf{S}}$$

Larger term; because B/S is large in the relevant param space

# Results (4 tev)

$$\psi_{jj}(\mathbf{r}) = \psi_1(\mathbf{r}) + \psi_2(\mathbf{r})$$



Resonance mass: 4 TeV

Benchmark couplings: (C)  $\tan\theta=0.6$  ,  $(q^*) f_s=0.4$  ,  $(S_8) k_s=0.65$

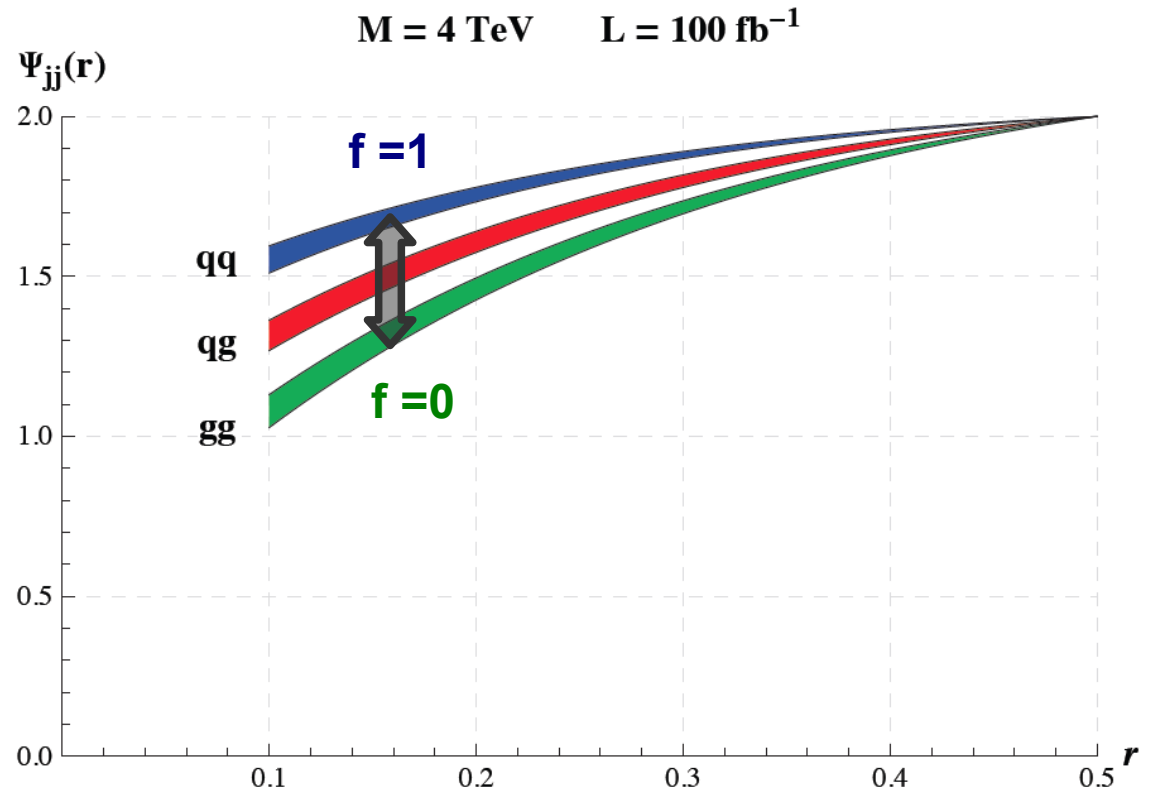
# $f$ parameter

we can parameterize a generic dijet profile of the signal as

$$\psi_S(\mathbf{r}) = f\psi_{\bar{q}q}(\mathbf{r}) + (1 - f)\psi_{gg}(\mathbf{r})$$

Fit-parameter  $f$  indicates the fraction of quark-jets in a generic di-jet resonance

- $f=1$  (qq) C
- $f=0.5$  (qg)  $q^*$
- $f=0$  (gg)  $S_8$



# $f$ parameter

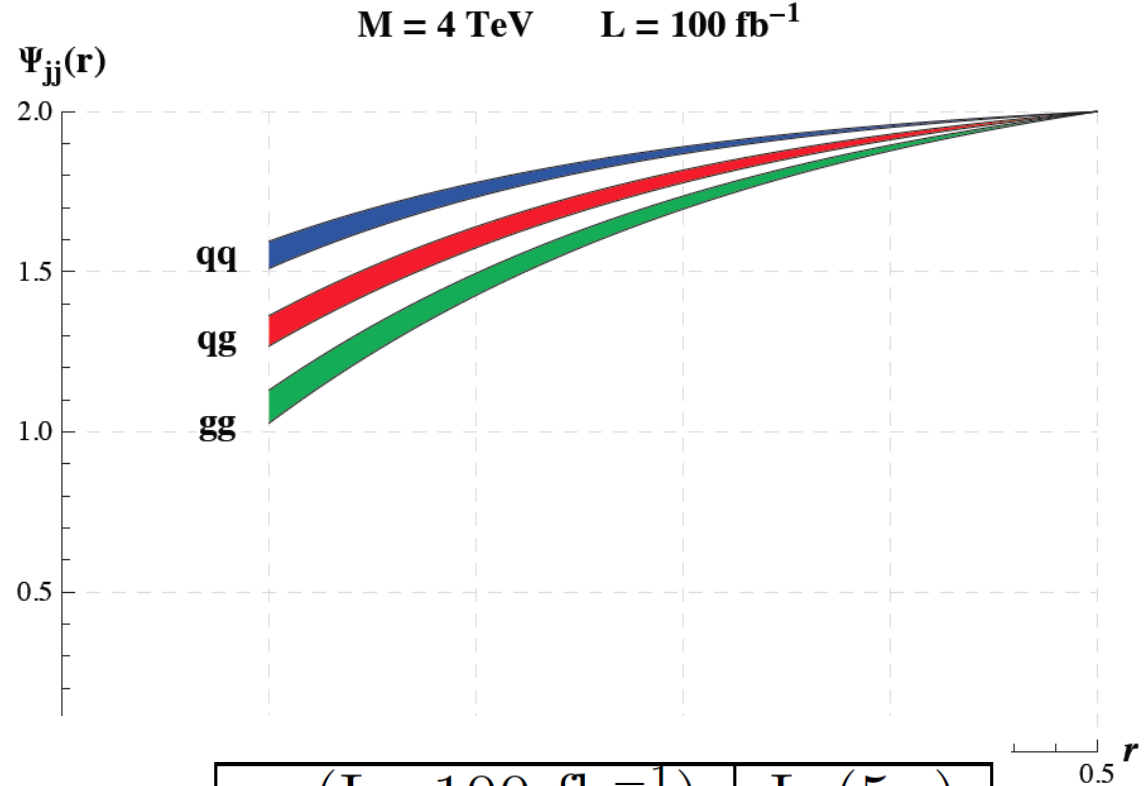
We translate the error on the JEP into an error on  $f$

	$f$
$\bar{q}q$	$1.00 \pm 0.06$
$qg$	$0.50 \pm 0.07$
$gg$	$0.00 \pm 0.08$

$$\sigma(\bar{q}q - gg) = \frac{\bar{f}_{\bar{q}q} - \bar{f}_{gg}}{\sqrt{\sigma^2(f_{\bar{q}q}) + \sigma^2(f_{gg})}}$$

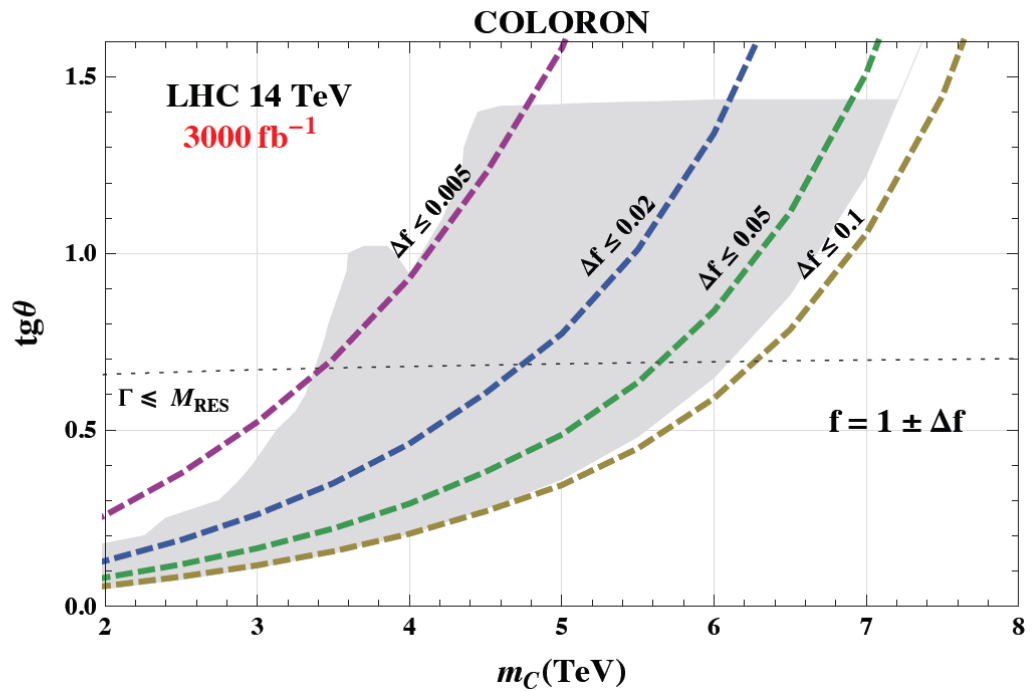
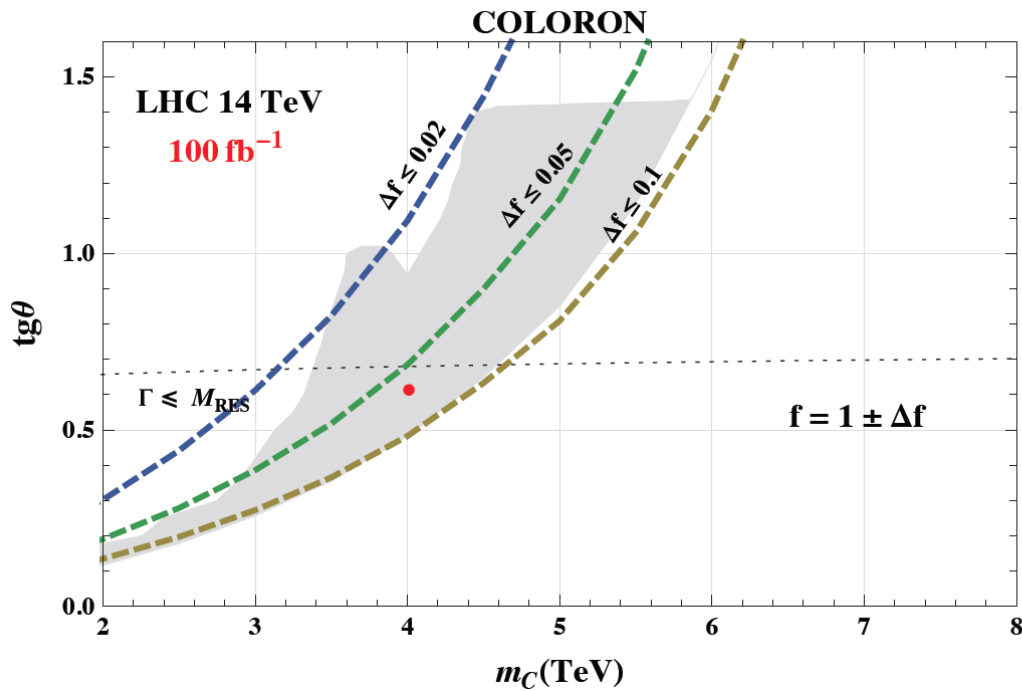
$$\sigma(\bar{q}q - qg) = \frac{\bar{f}_{\bar{q}q} - \bar{f}_{qg}}{\sqrt{\sigma^2(f_{\bar{q}q}) + \sigma^2(f_{qg})}}$$

$$\sigma(qg - gg) = \frac{\bar{f}_{qg} - \bar{f}_{gg}}{\sqrt{\sigma^2(f_{qg}) + \sigma^2(f_{gg})}}$$



	$\sigma$ ( $L=100 \text{ fb}^{-1}$ )	$L$ ( $5\sigma$ )
$\bar{q}q - qg$	5.4	85
$qg - gg$	4.7	110
$\bar{q}q - gg$	10	25

# Statistical uncertainty in the discovery region



Shaded area: parameter space not excluded by LHC-8 searches and where LHC-14 can discover the resonance at the given luminosity

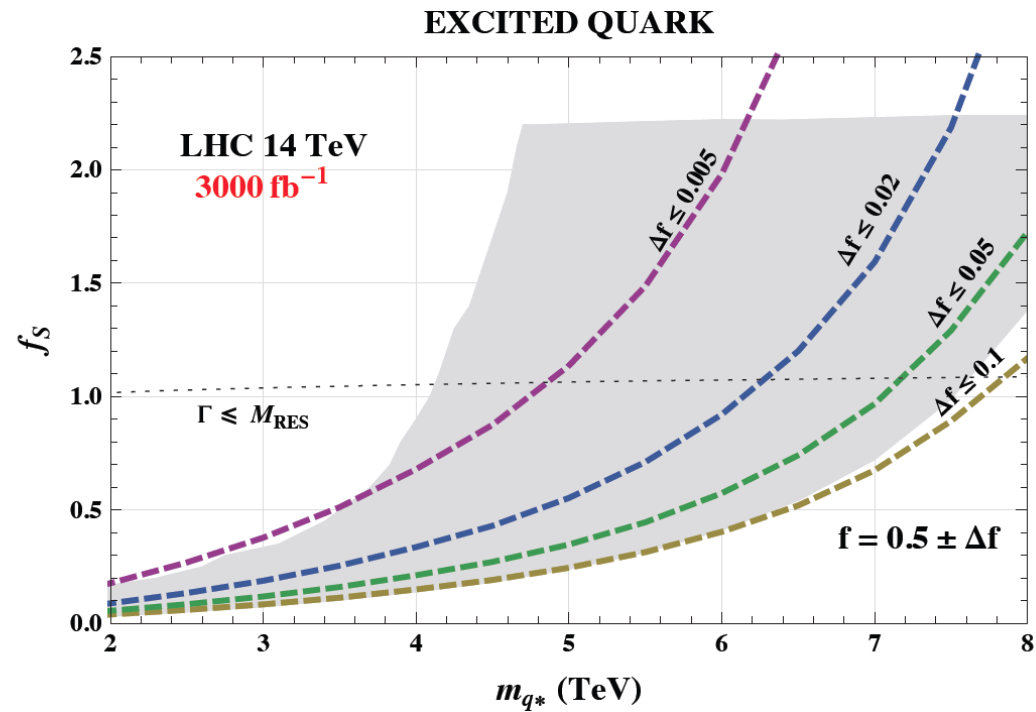
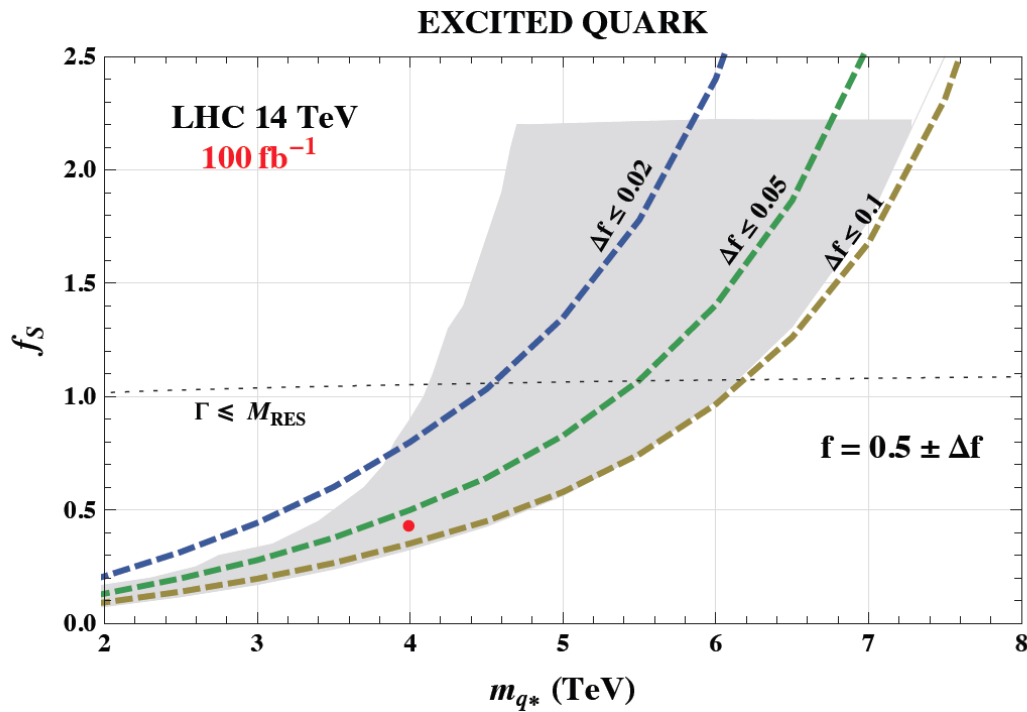
- $f=1$  (qq) C
- $f=0.5$  (qq)  $q^*$
- $f=0$  (gg)  $S_8$

$$\Delta f \leq 0.1$$



5-sigma separation from the other resonances

# Statistical uncertainty in the discovery region



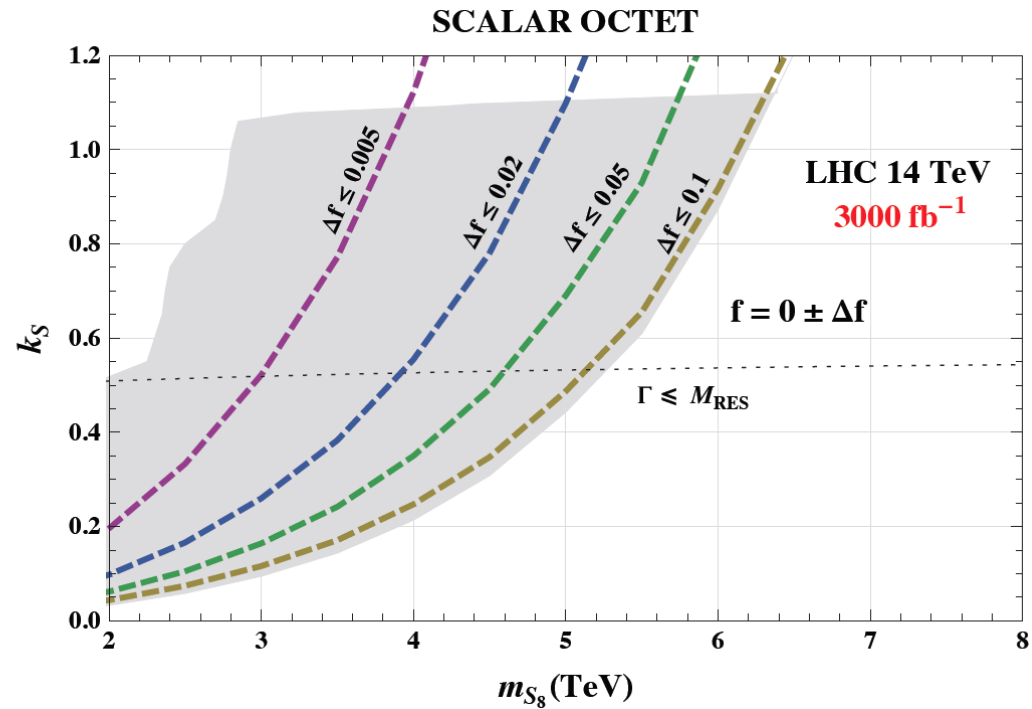
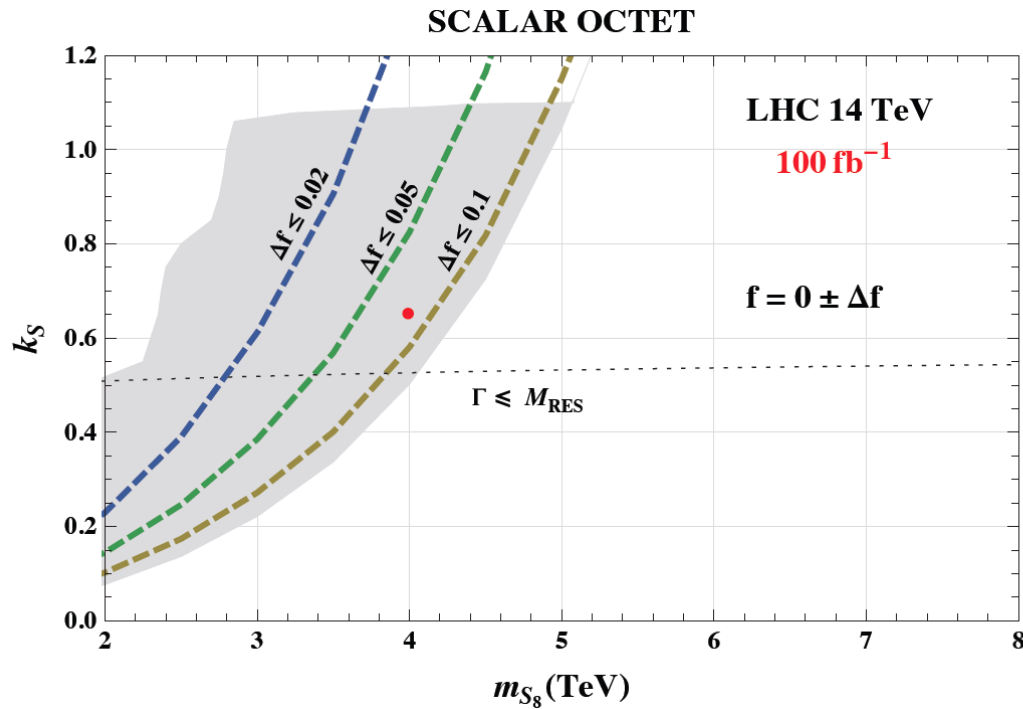
- $f=1$  (qq) C
- $f=0.5$  (qq)  $q^*$
- $f=0$  (gg)  $S_8$

$$\Delta f \leq 0.1$$



5-sigma separation  
from the other  
resonances

# Statistical uncertainty in the discovery region



- $f=1$  (qq) C
- $f=0.5$  (qq)  $q^*$
- $f=0$  (gg)  $S_8$

Large **statistical** separation among the three types of resonances in essentially the entire relevant parameter space where we can reach a 5-sigma discovery at the 14 TeV LHC.

## Conclusions

A strategy to reveal the nature of a di-jet resonance at the 14 TeV LHC:

Analysis of **diJet Energy Profile** can distinguish (in a model-independent way) gg, qg and qq resonances, after accounting for statistical uncertainties in the signal and the background.

We have not tried to evaluate systematic uncertainties. This can be done (better by experimentalists) through detailed detector study once sufficient 14 TeV dijet data is in hand.



# Systematics on JEP

ATLAS, PRD 83 (2011) 052003

LHC- 7 TeV

at very large  $p_T$  where the measurements are still statistically limited. In the case of the integrated measurements, the total systematic uncertainty varies between 10% and 2% (4% and 1%) at  $r = 0.1$  ( $r = 0.3$ ) as  $p_T$  increases, and vanishes as  $r$  approaches the edge of the jet cone.

Systematic uncertainties at the 1 percent level for  $p_T \sim 600$  GeV

## “theoretical” evaluation of JEP

H.-N. Li, Z. Li, C.-P. Yuan, PRL 107 (2011) 152001; PRD 87 (2013) 074025

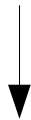
### Nex-to-leading-logarithm resummation

(NLO calculations overshoot data)

Terms of the form  $\alpha_S^n (\log(R/r))^{2n}$ ,  $\alpha_S^n (\log(R/r))^{2n-1}$

are resummed to all order in  $\alpha_S$

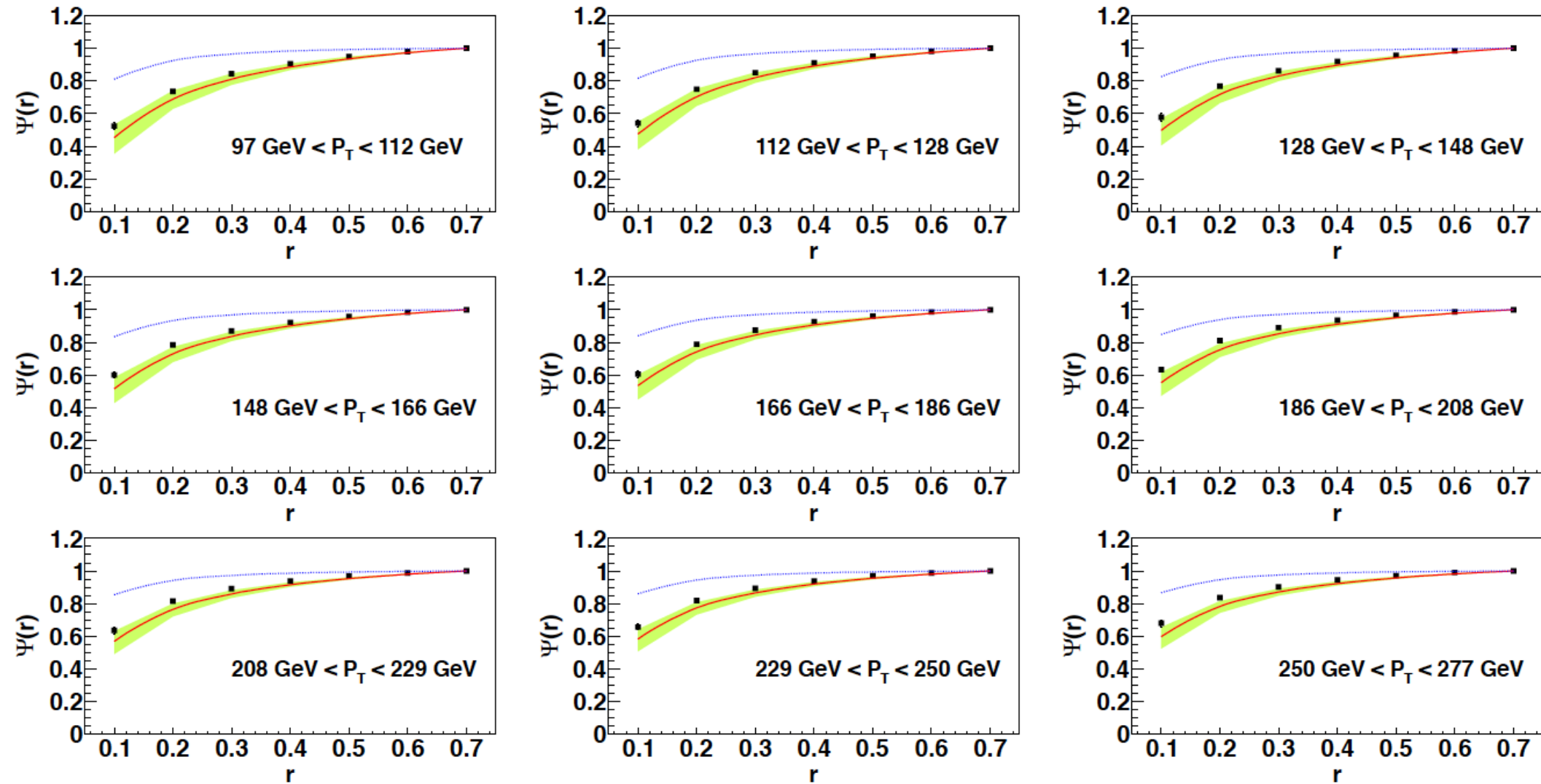
$$\Psi(r) = \left[ \sum_f \int \frac{dP_T}{P_T} \frac{d\hat{\sigma}_f}{dP_T} \bar{J}_f^E(1, P_T, \nu_{\text{fit}}^2, R, R) \right]^{-1} \sum_f \int \frac{dP_T}{P_T} \frac{d\hat{\sigma}_f}{dP_T} \bar{J}_f^E(1, P_T, \nu_{\text{fit}}^2, R, r)$$



Scale parameter which includes the effects of not-calculated sub-leading logarithms

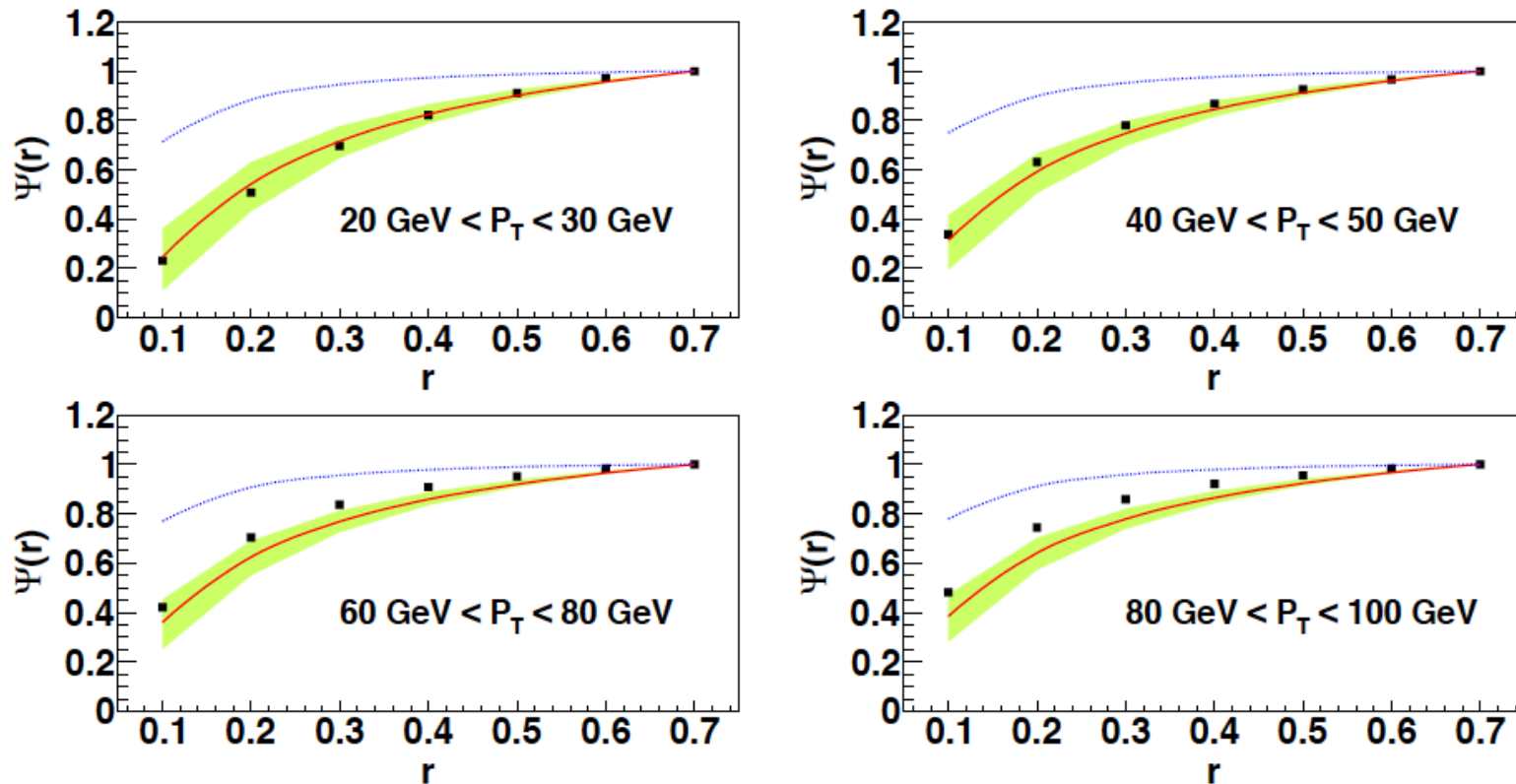
# JEPs from Perturbative QCD Resummation vs **CDF** data

H.-N. Li, Z. Li, C.-P. Yuan, PRL 107 (2011) 152001; PRD 87 (2013) 074025



# JEPs from Perturbative QCD Resummation vs CMS data

H.-N. Li, Z. Li, C.-P. Yuan, PRL 107 (2011) 152001; PRD 87 (2013) 074025



Theory uncertainty removable by calibration with data