

# Sequestered SUSY breaking and non-thermal dark matter

Luis Aparicio



F. Quevedo, M. Cicoli, A.  
Maharana, S. Krippendorf, F.  
Muia, B. Dutta

# Outline

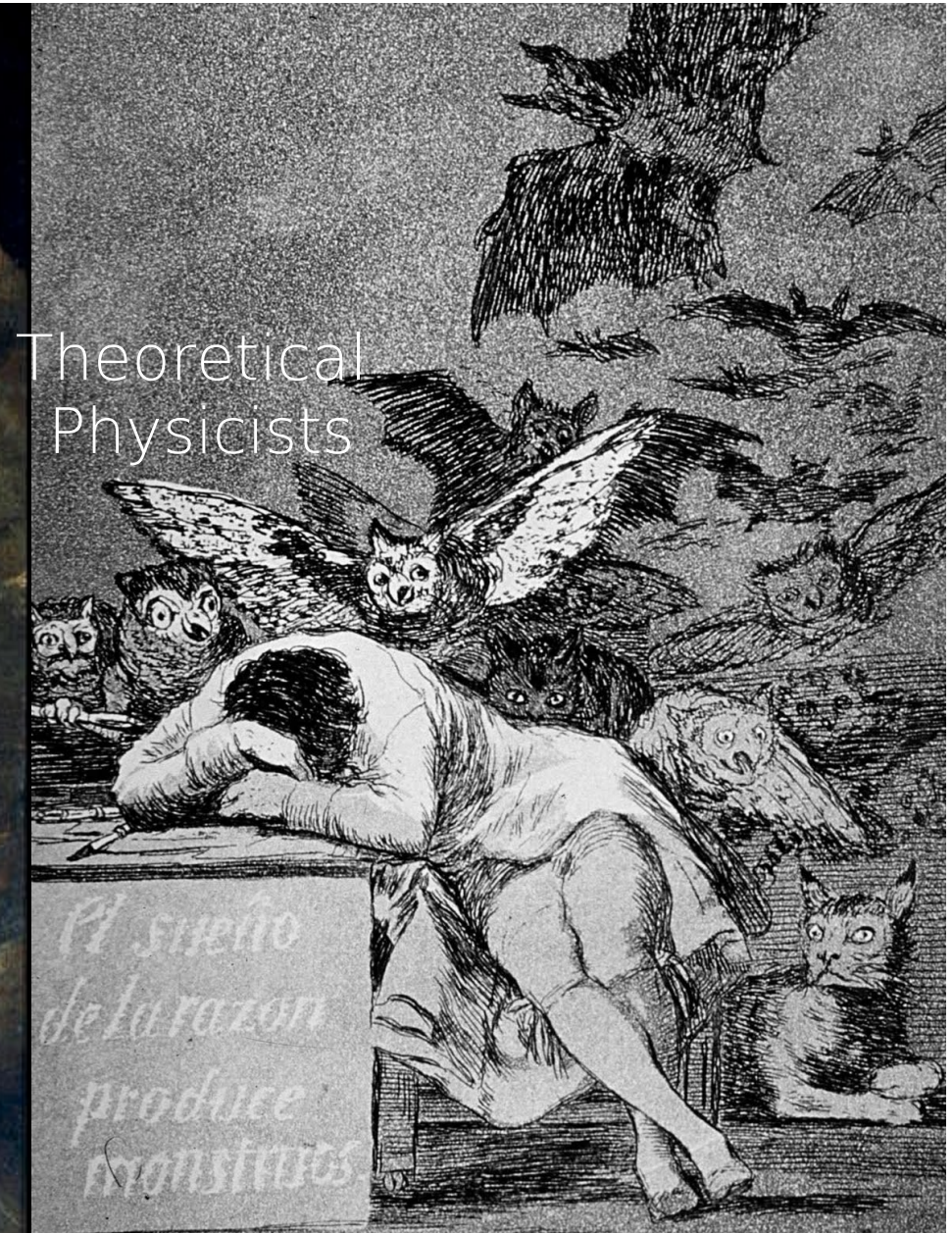
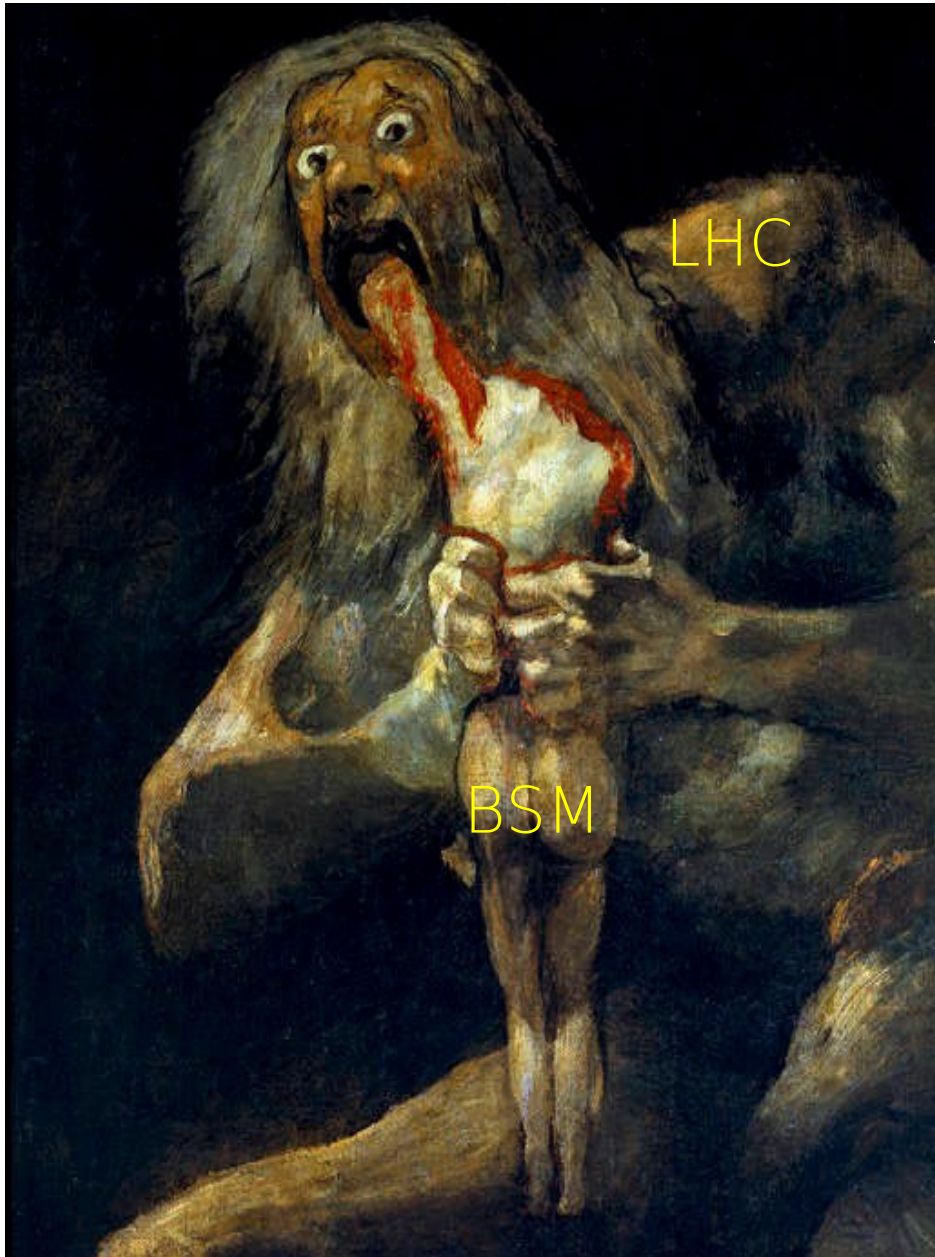
- Motivation
- SUSY breaking in LARGE Volume
- Sequestered de Sitter String Scenarios
- Non thermal dark matter in this scenarios
- Conclusions

# Before the LHC...

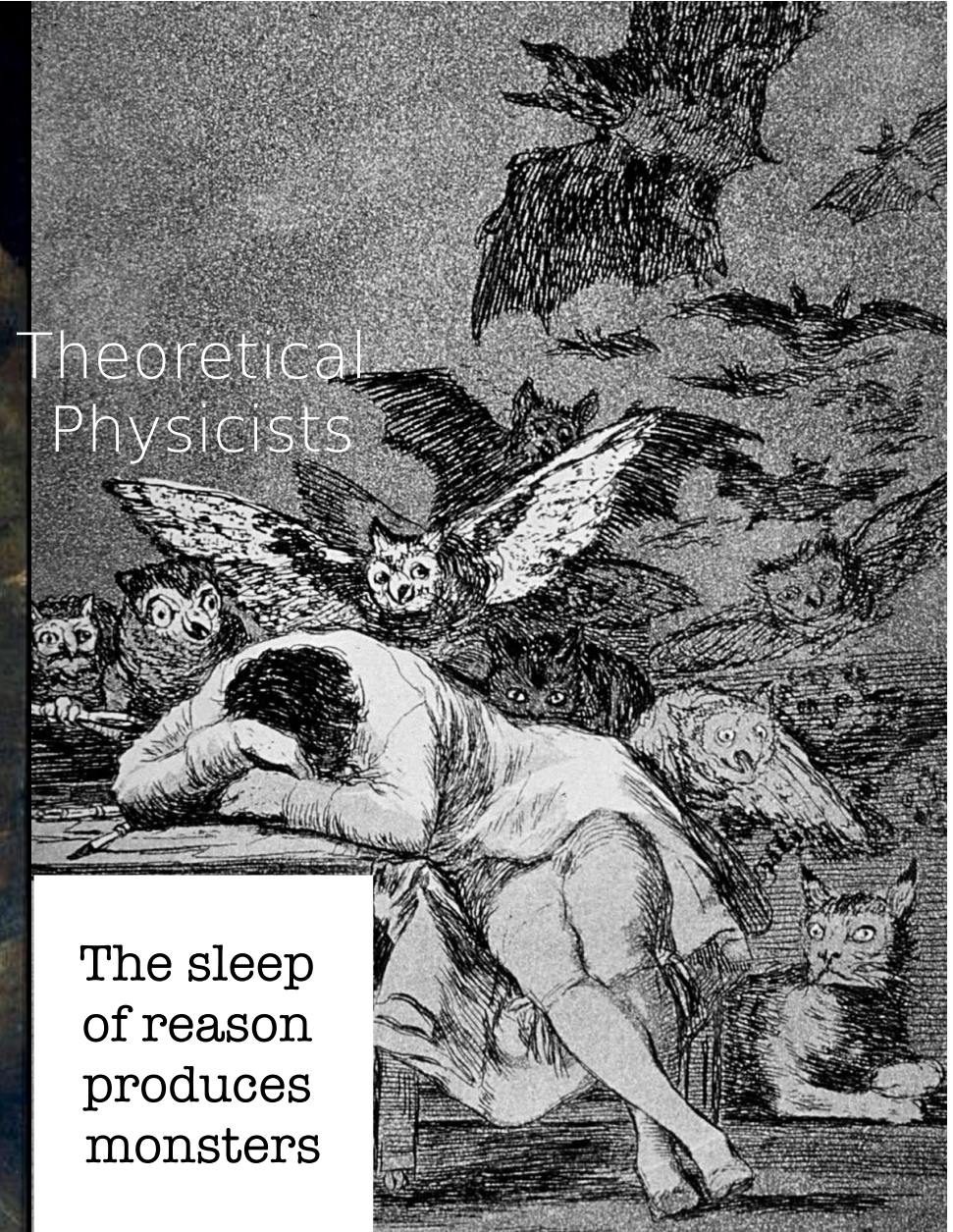
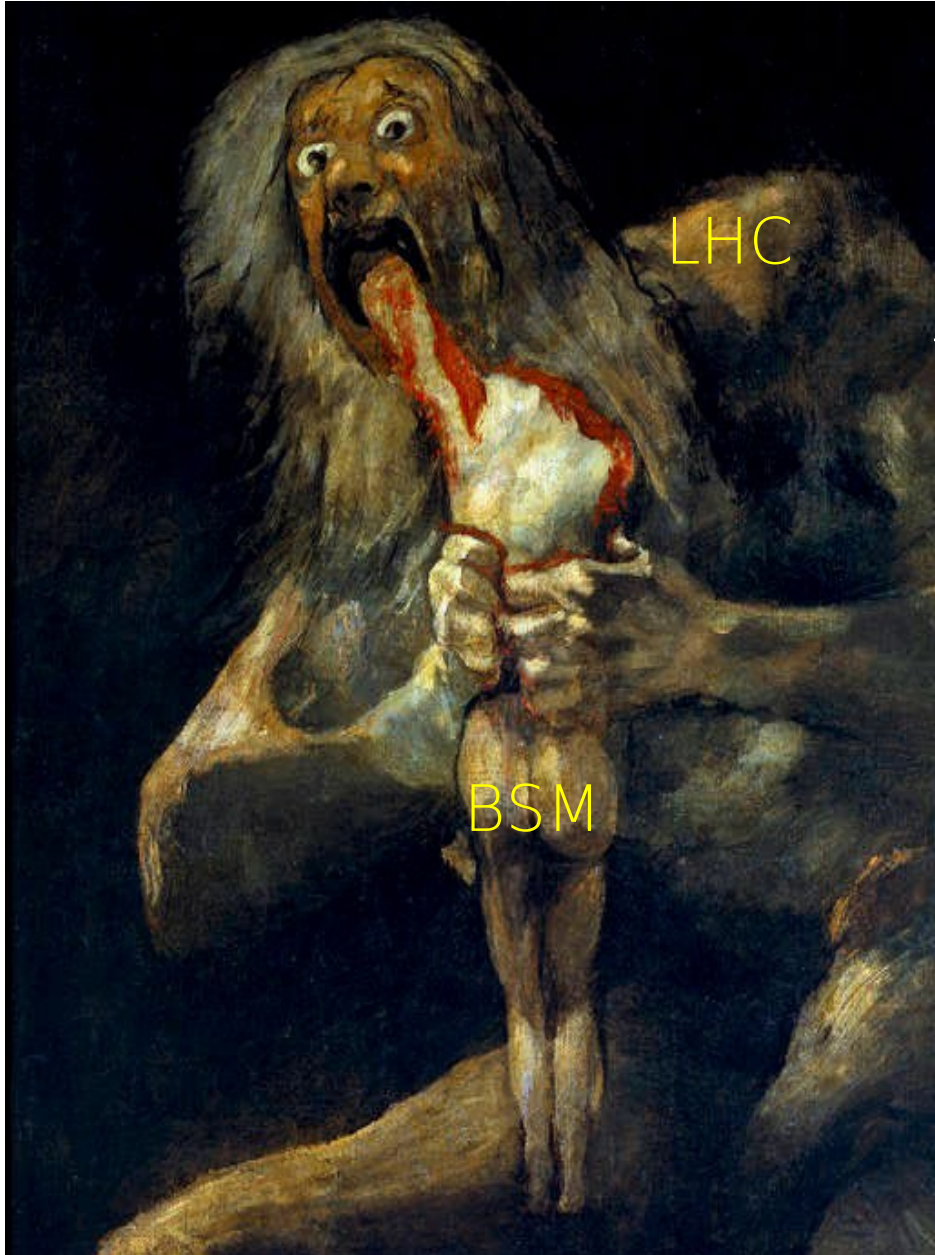
Happy World of theories



# Goya's prediction



# Goya's prediction



# An old question: hierarchy/naturality

Strong sector



Gravity sector



# An old question: hierarchy/naturality

Weak  
sector ????

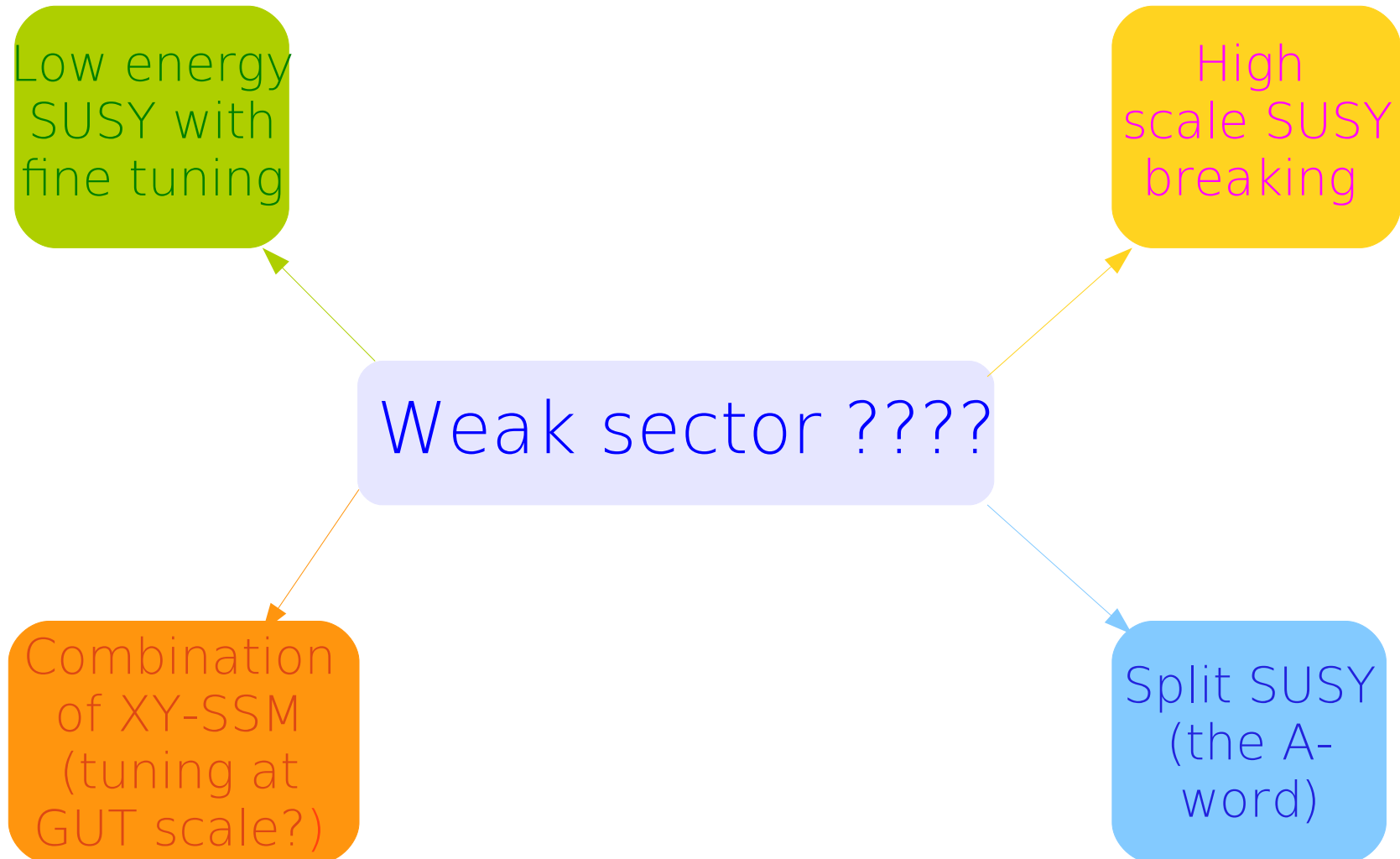
Strong sector



Gravity sector



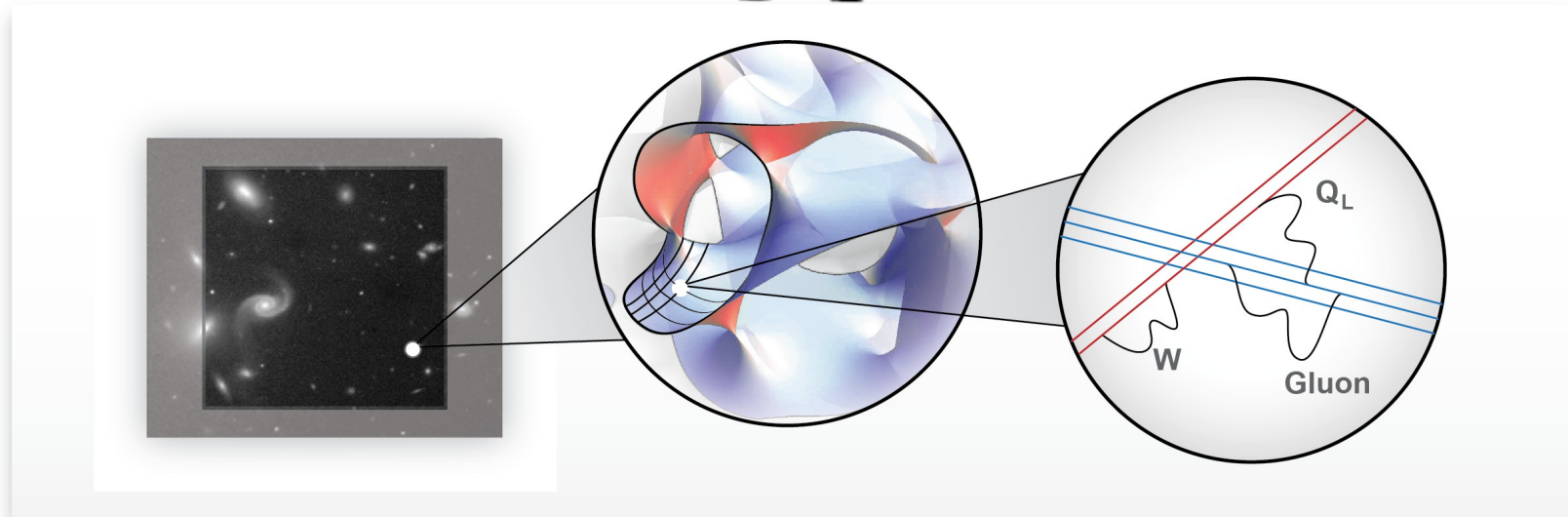
# And the Higgs goes to...

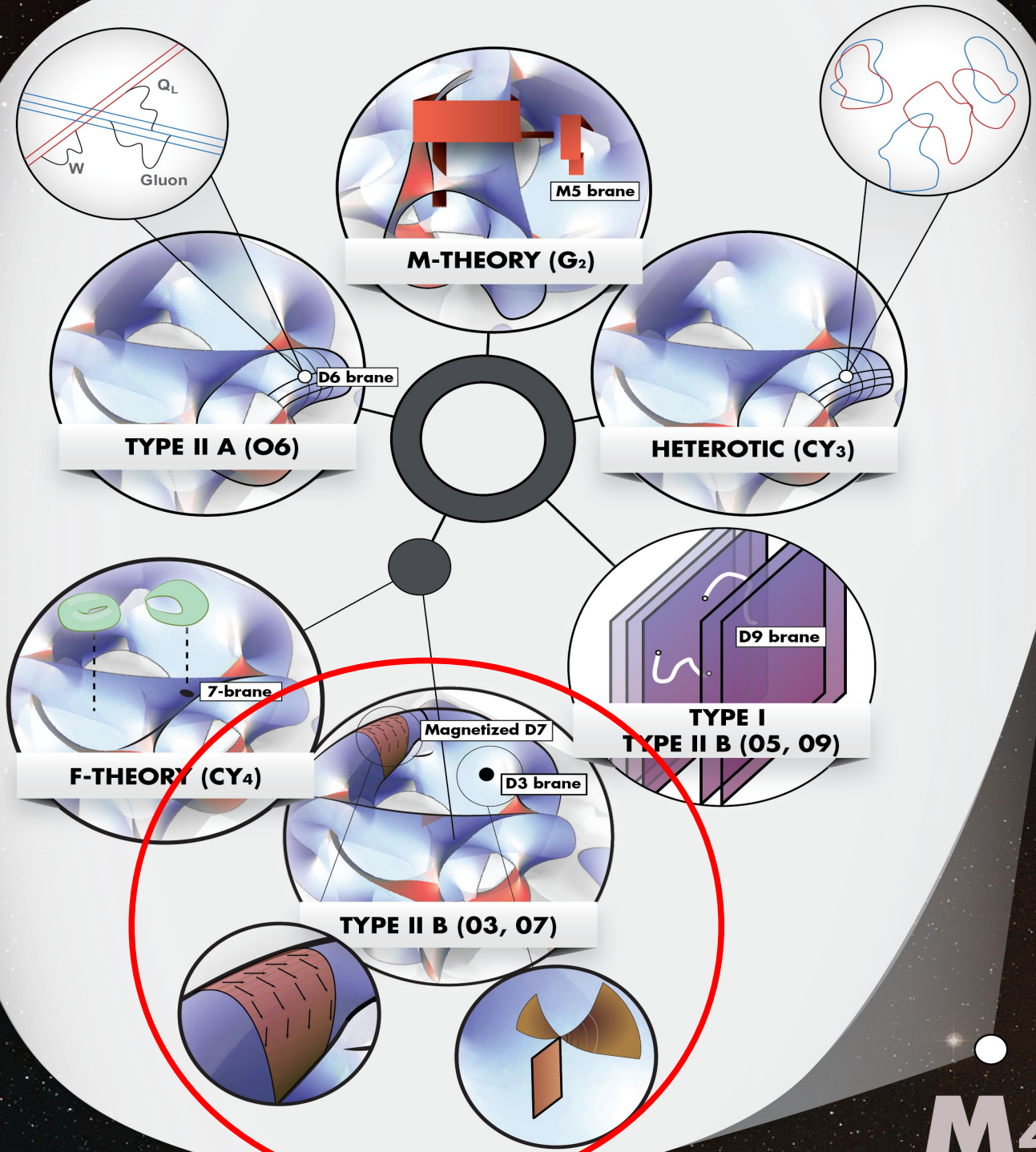




# Good opportunity for String Theory

STANDARD MODEL  
or BSM





# SUSY breaking in LARGE Volume

## Fluxes

$$D_S W \equiv \partial_S W + (\partial_S \mathcal{K}) W = 0$$

$$D_a W \equiv \partial_a W + (\partial_a \mathcal{K}) W = 0$$



Fixes Dilaton &  
CS @ SUSY  
minimum

$$W_0 = \langle \int G_3 \wedge \Omega \rangle$$



$$D_T W = (\partial_T \mathcal{K}) W \propto \int G_3 \wedge \Omega$$



~~SUSY~~

## LARGE Volume

Quantum  
corrections  
&  
Non.Pert. effects



$$\mathcal{V} \sim e^{1/g_s}$$



$$M_s = \frac{g_s^{1/4} M_P}{\sqrt{4\pi\mathcal{V}}}$$
$$M_{KK} \simeq \frac{M_P}{\sqrt{4\pi}\mathcal{V}^{2/3}}$$
$$m_{3/2} = \left( \frac{g_s^2}{2\sqrt{2\pi}} \right) \frac{W_0 M_P}{\mathcal{V}}$$

# LARGE Volume Landscape

Low energy  
SUSY with  
fine tuning

$$\mathcal{V} \simeq 10^{14}$$

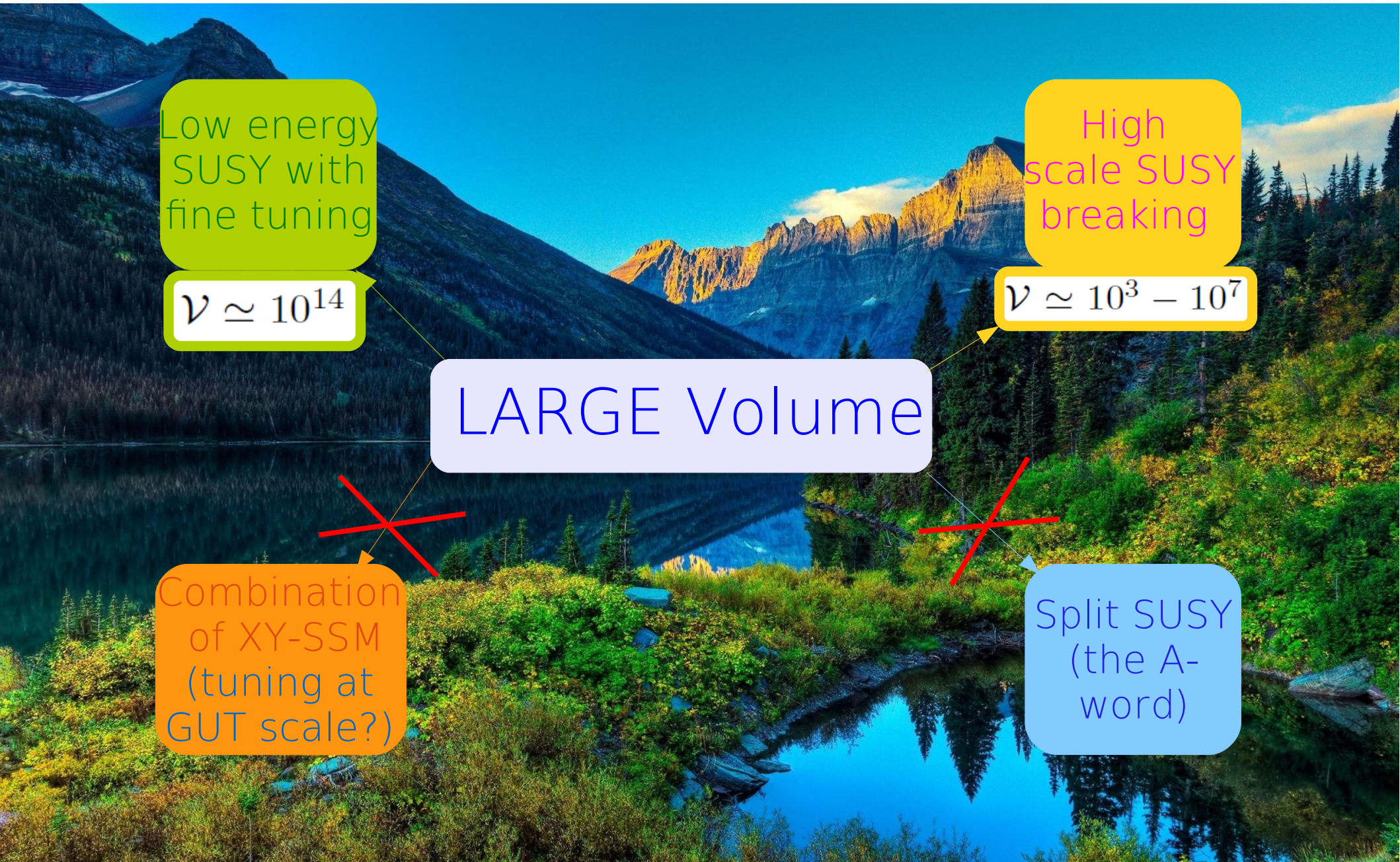
High  
scale SUSY  
breaking

$$\mathcal{V} \simeq 10^3 - 10^7$$

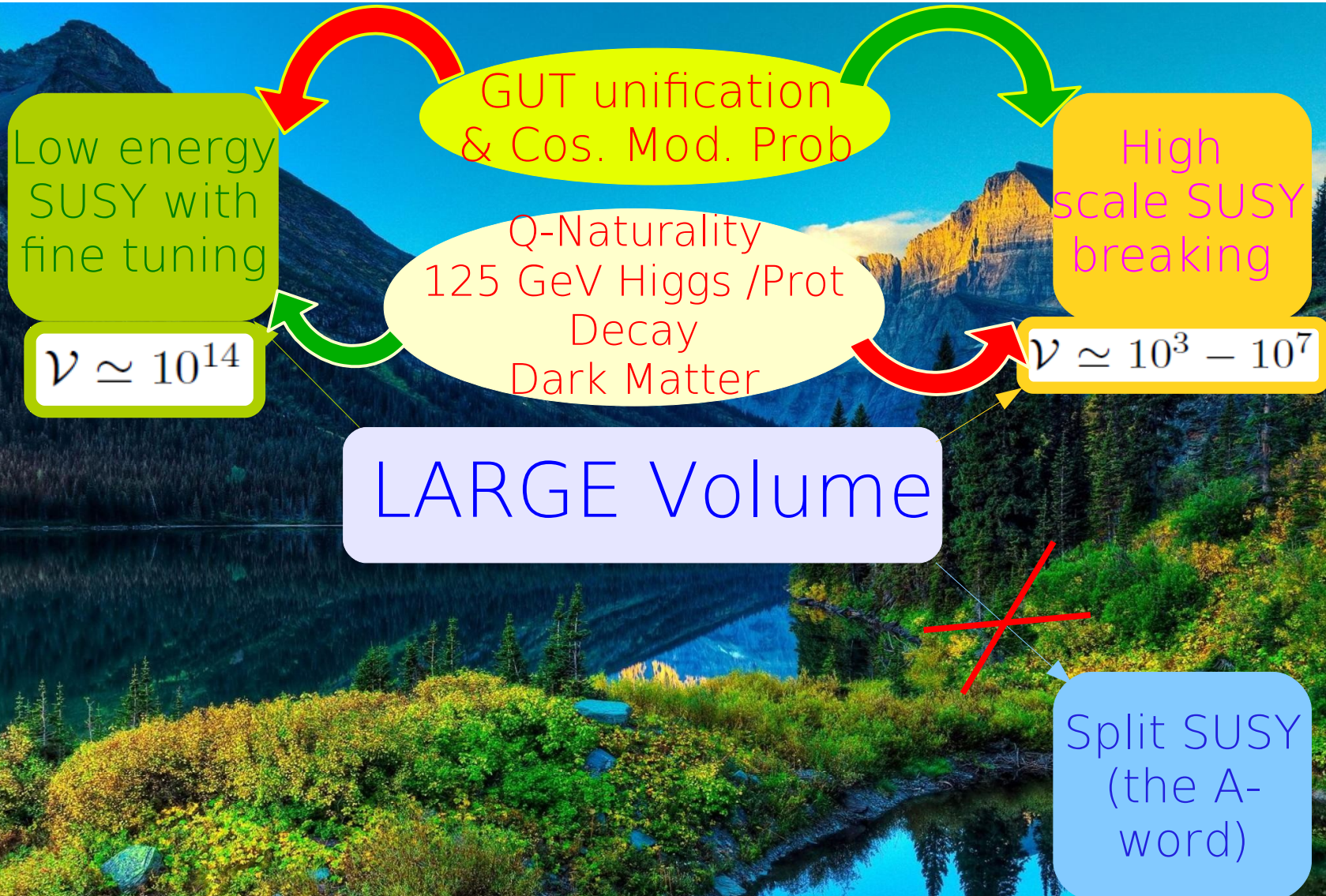
LARGE Volume

Combination  
of XY-SSM  
(tuning at  
GUT scale?)

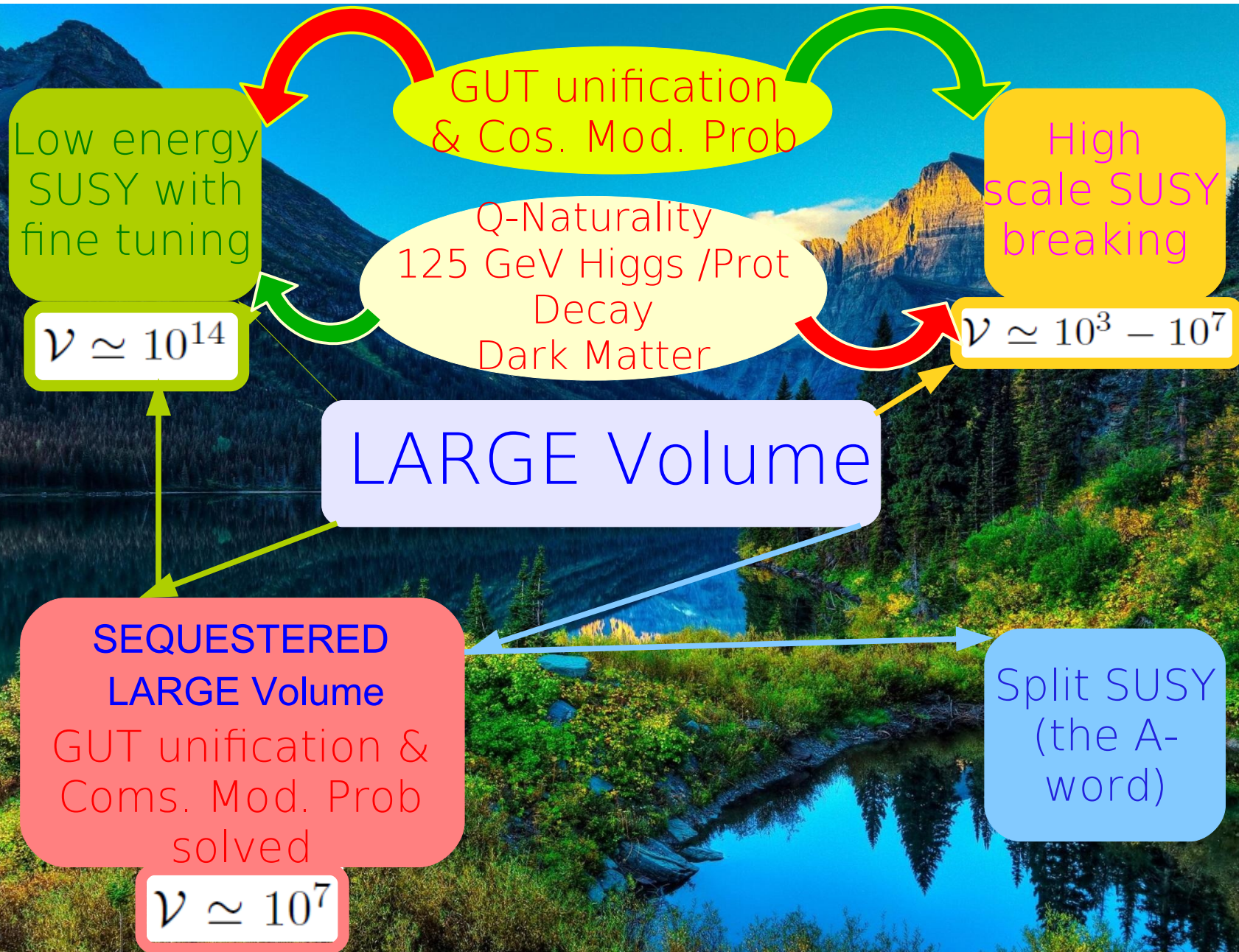
Split SUSY  
(the A-  
word)



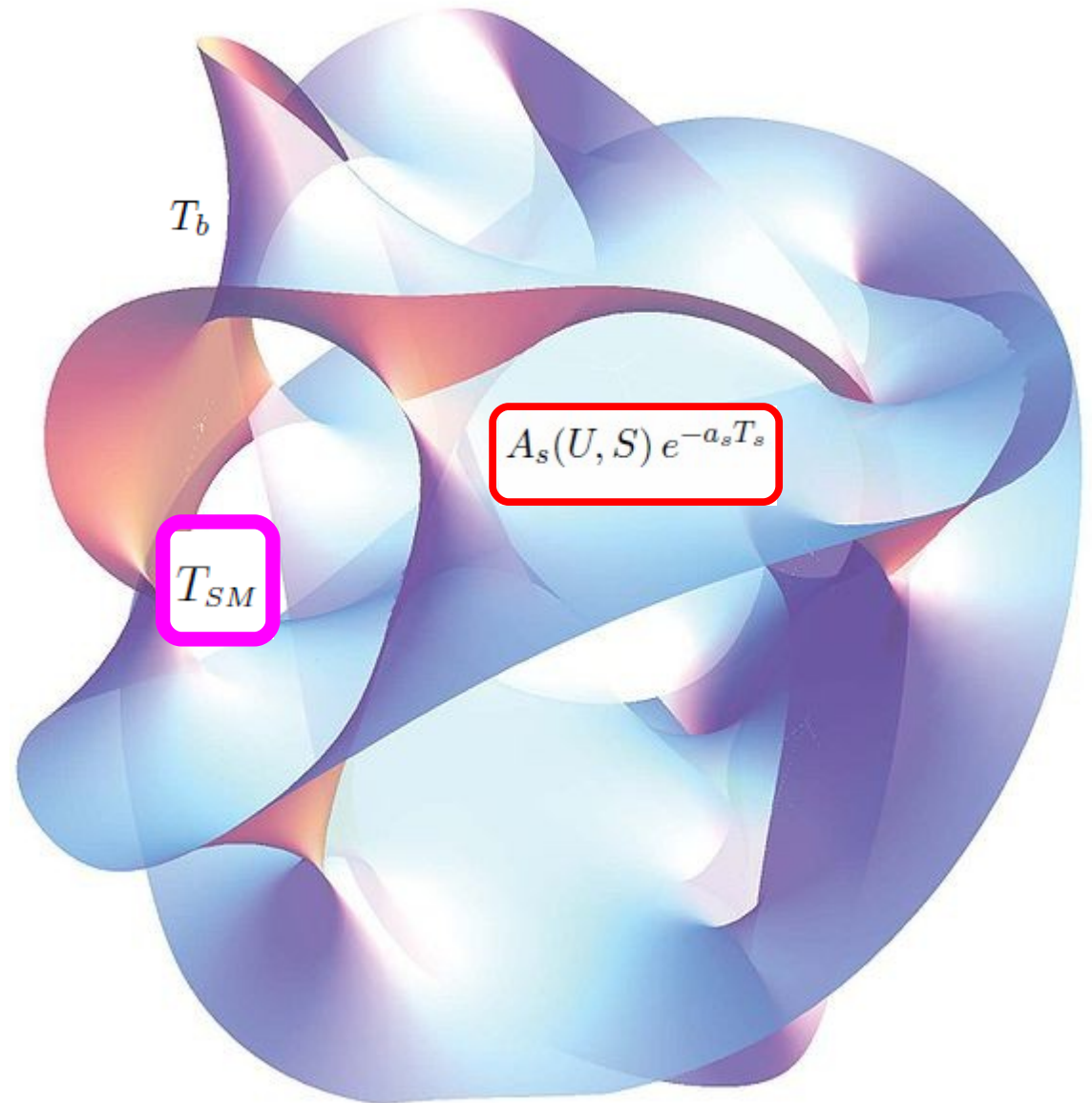
# LARGE Volume Landscape



# LARGE Volume Landscape



# Sequestered LARGE Volume



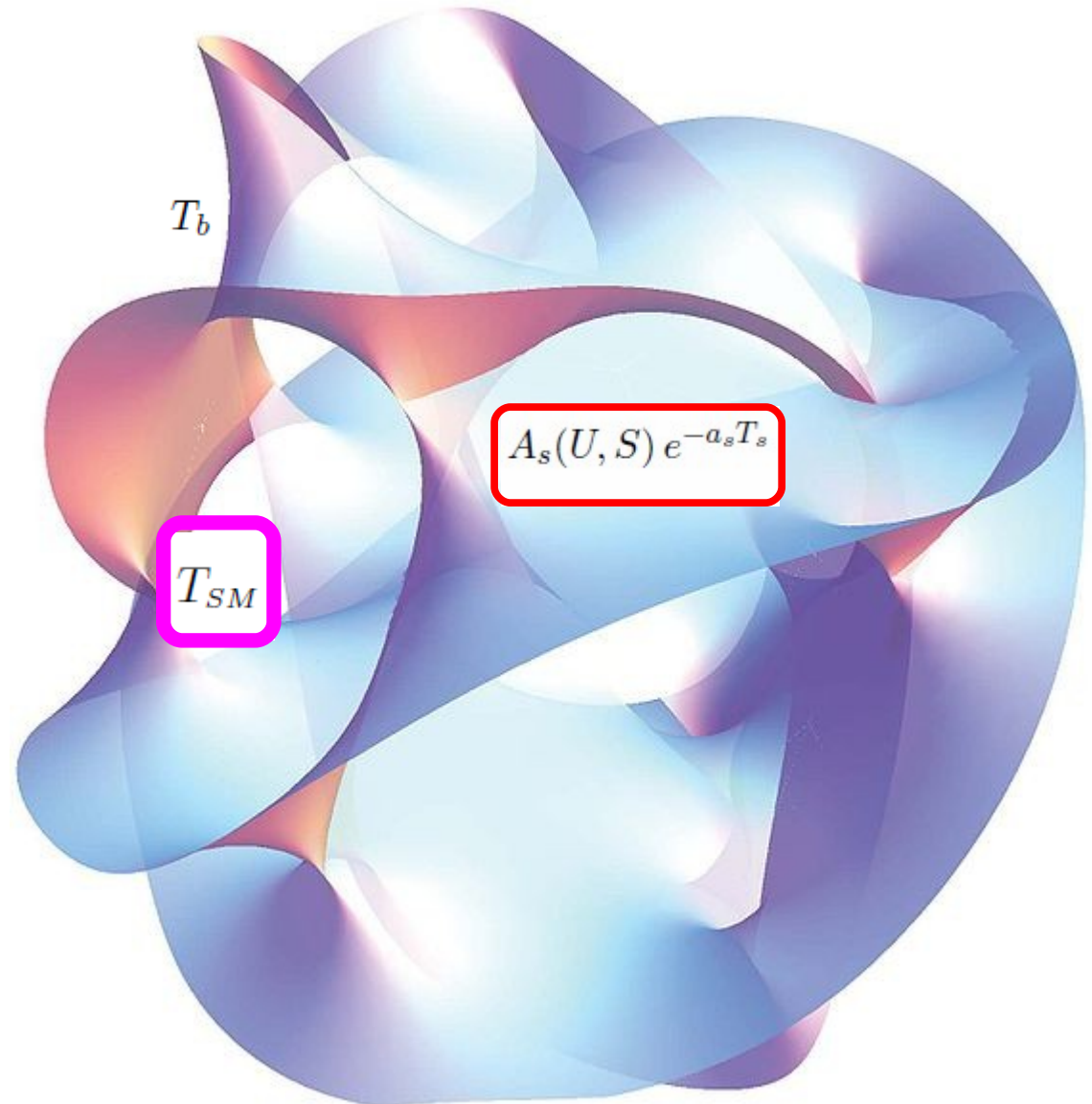
$$\mathcal{V} = \alpha_b \tau_b^{3/2} - \sum_i \alpha_i \tau_i^{3/2}$$

# Sequestered LARGE Volume

Anomalous  
U(1)

$$V_D = \frac{1}{2\text{Re}(f_1)} \left( \sum_{\alpha} q_{1\alpha} \frac{\partial K}{\partial C^{\alpha}} C^{\alpha} - \xi_1 \right)^2$$

$$\xi_1 = -q_1 \frac{\partial K}{\partial T_{SM}} = -q_1 \lambda_{SM} \frac{\tau_{SM}}{\mathcal{V}}$$



$$\mathcal{V} = \alpha_b \tau_b^{3/2} - \sum_i \alpha_i \tau_i^{3/2}$$



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dP<sub>0</sub>



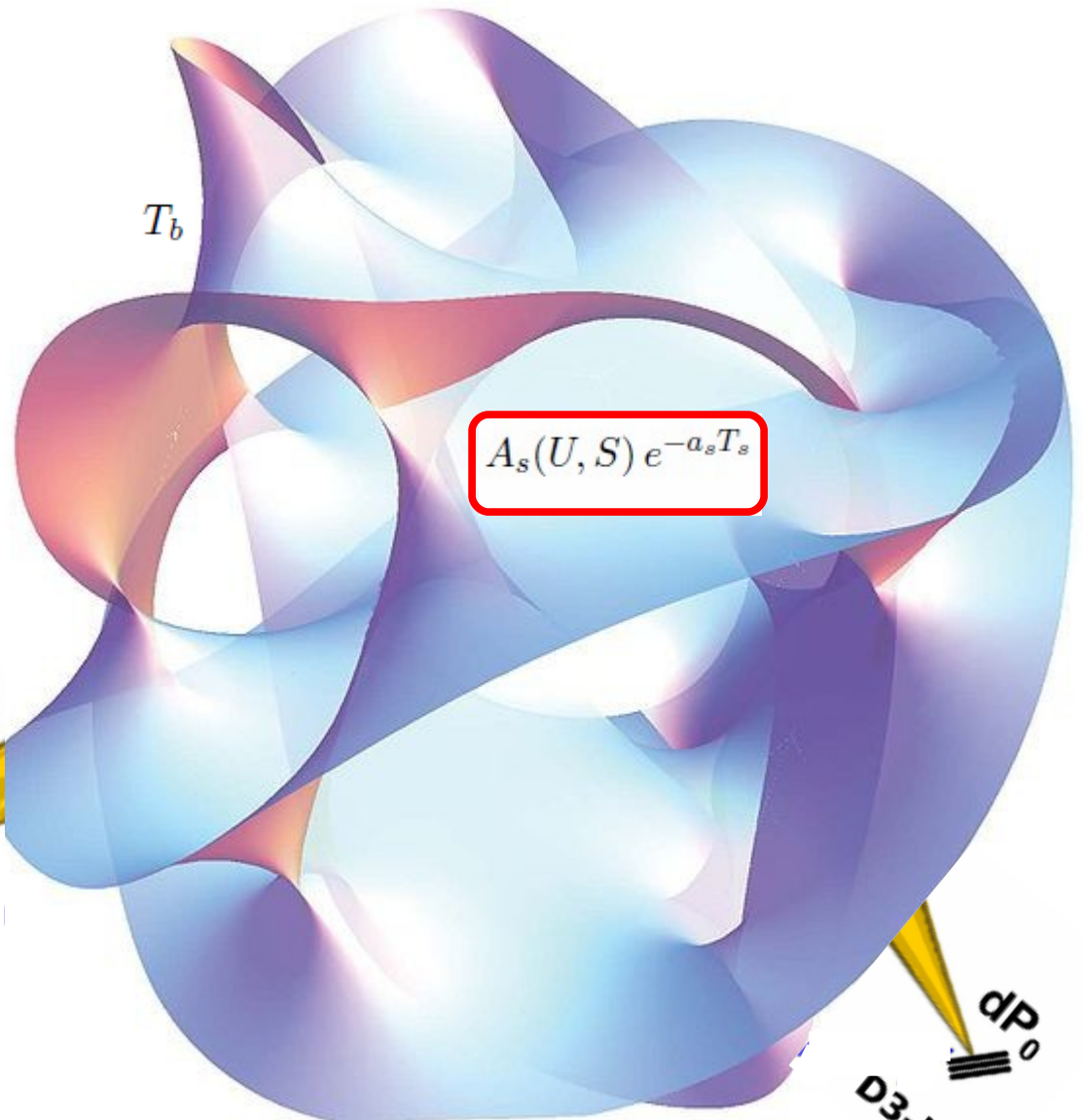
T<sub>b</sub>

$$A_s(U, S) e^{-a_s T_s}$$

dP<sub>0</sub>

D3-branes

$$\mathcal{V} = \alpha_b \tau_b^{3/2} - \sum_i \alpha_i \tau_i^{3/2}$$



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$$\tau_{SM} = 0.$$

$$F^{T_{SM}} = 0$$

SUSY is  
sequestered

dP<sub>0</sub>

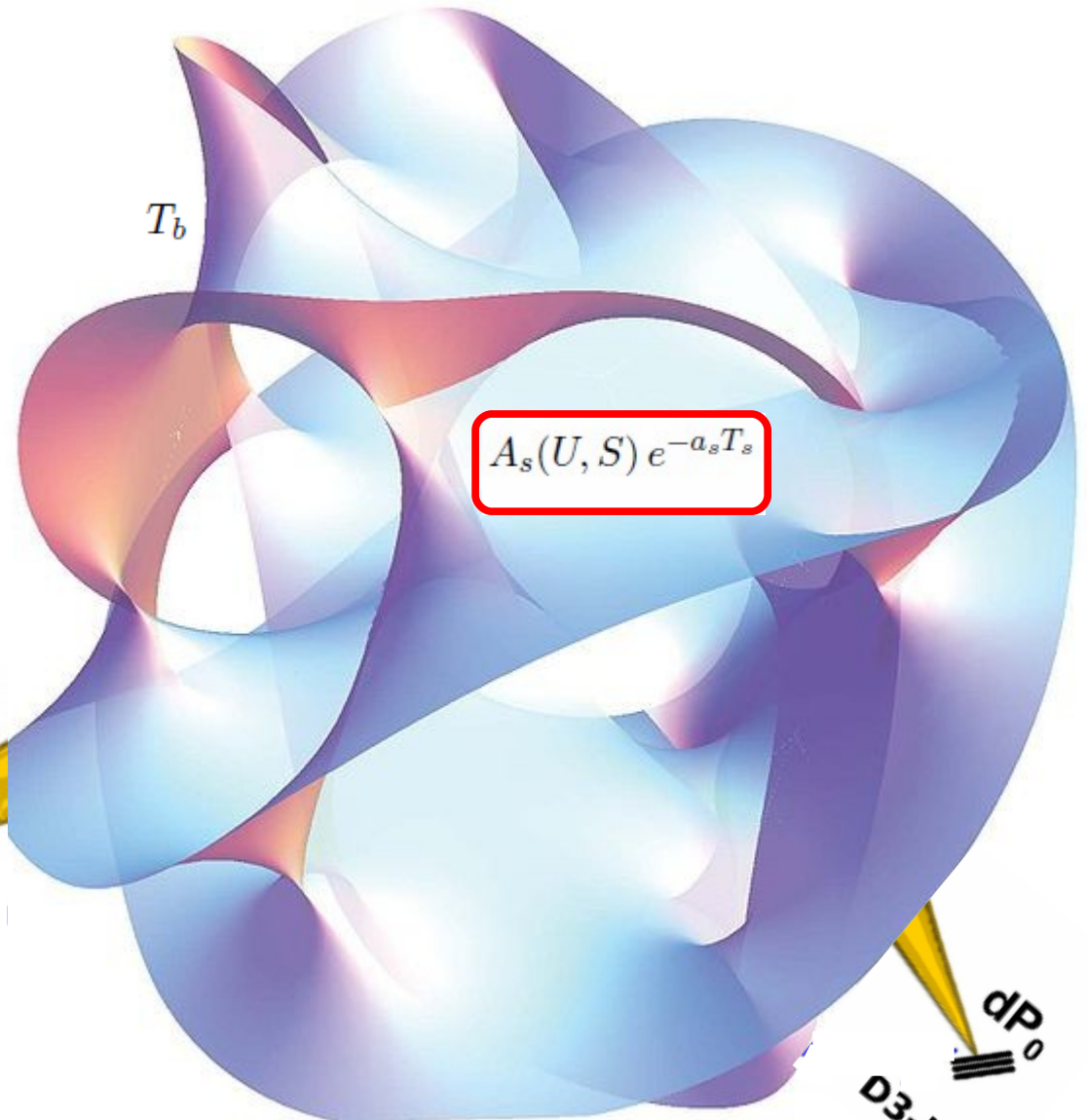


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SUSY is sequestered



Gravitino  $\gg$  soft-terms

$dP_0$



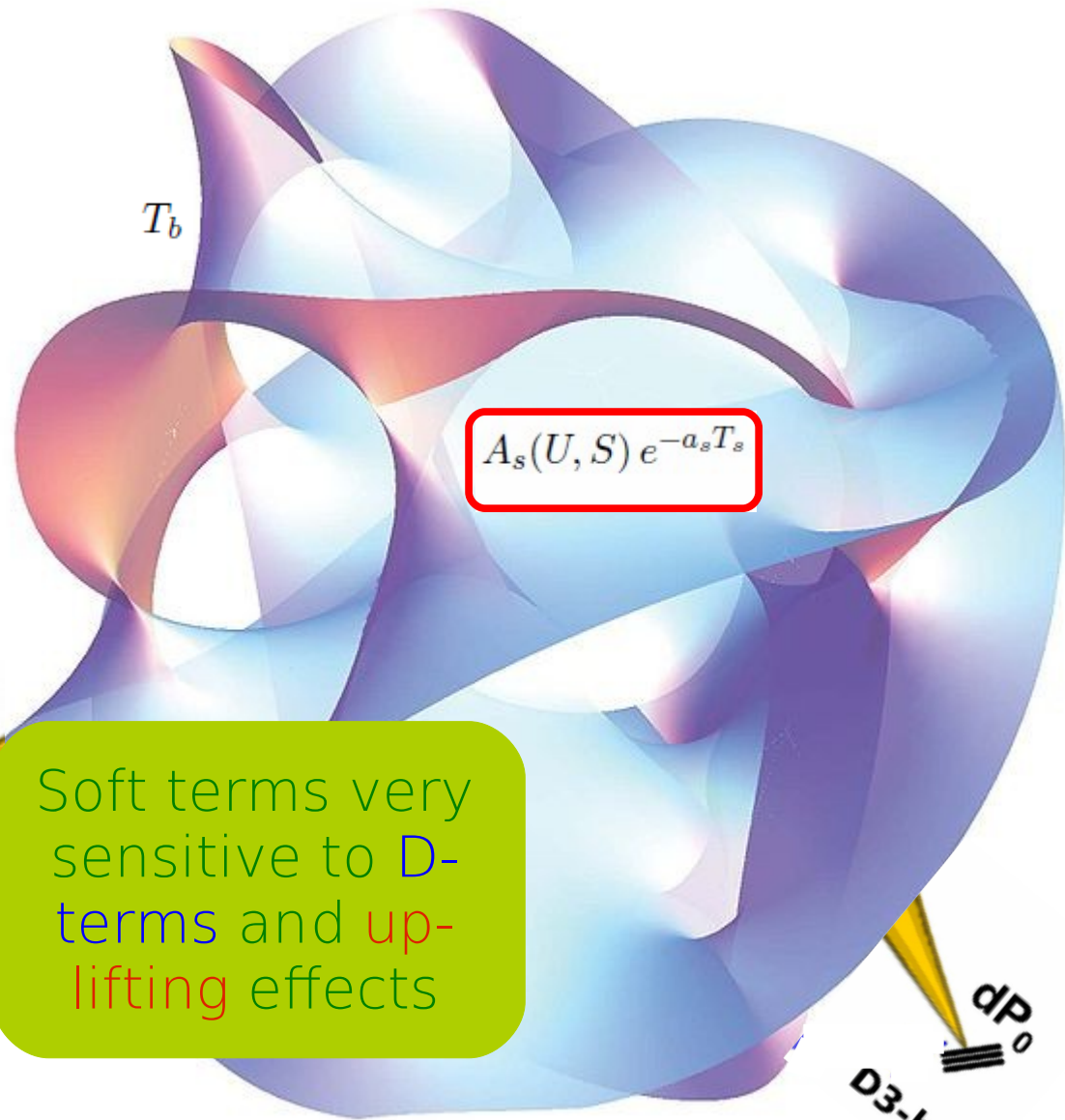
Soft terms very sensitive to D-terms and up-lifting effects

$T_b$

$$A_s(U, S) e^{-a_s T_s}$$

$dP_0$   
D3-branes

$$\mathcal{V} = \alpha_b \tau_b^{3/2} - \sum_i \alpha_i \tau_i^{3/2}$$



# Scenarios for de Sitter vacua

Superpotential

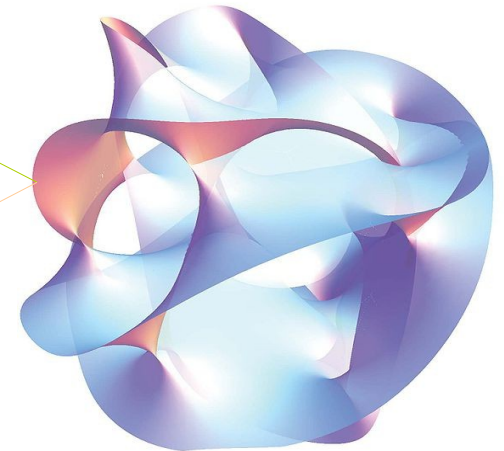
$$W = W_{\text{flux}}(U, S) + A_s(U, S) e^{-a_s T_s} + W_{ds} + W_{\text{matter}}$$

$$W_{\text{matter}} = \mu(M) H_u H_d + \frac{1}{6} Y_{\alpha\beta\gamma}(M) C^\alpha C^\beta C^\gamma + \dots$$

Kahler potential

$$K = -2 \ln \left( \mathcal{V} + \frac{\hat{\xi}}{2} \right) - \ln(2s) + \lambda_{SM} \frac{\tau_{SM}^2}{\mathcal{V}} + \lambda_b \frac{b^2}{\mathcal{V}} + K_{ds} + K_{\text{cs}}(U) + K_{\text{matter}}$$

$$K_{\text{matter}} = \tilde{K}_\alpha(M, \bar{M}) \bar{C}^{\bar{\alpha}} C^\alpha + [Z(M, \bar{M}) H_u H_d + \text{h.c.}]$$



# F-terms and soft terms

$$\frac{F^{T_b}}{\tau_b} \simeq -2m_{3/2} \left( 1 + \frac{\hat{\xi}\epsilon_s x_{dS}}{\mathcal{V}} \right)$$

$$\frac{F^{T_s}}{\tau_s} \simeq -6m_{3/2}\epsilon_s$$

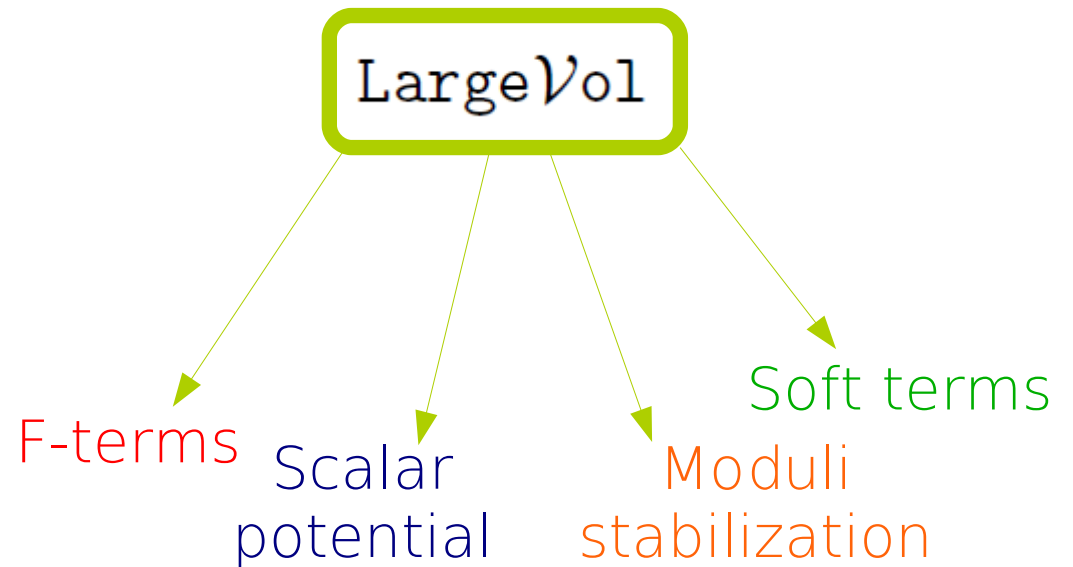
$$\frac{F^S}{s} \simeq \frac{3\omega'_S(U, S)\hat{\xi} m_{3/2}}{2\mathcal{V}}$$

$$F^{U_i} = -\frac{K^{U_i\bar{U}_{\bar{j}}}\omega_{\bar{U}_{\bar{j}}}(U, S)}{2s^2\omega'_S(U, S)}F^S \equiv \beta^{U_i}(U, S)F^S$$

$$\frac{F^{\phi_{dS}}}{\phi_{dS}} \simeq m_{3/2}$$

$$F^{T_{dS}} \simeq \frac{3m_{3/2}}{2} \sqrt{\frac{\hat{\xi}\epsilon_s}{2}}$$

New package



# Three possible scenarios

Local

$$m_0^2 = c_0 m_{3/2} M_{1/2}, \quad A_{\alpha\beta\gamma} = (c_A)_{\alpha\beta\gamma} M_{1/2}, \quad \hat{\mu} = c_\mu M_{1/2}, \quad B\hat{\mu} = c_B m_0^2$$

Ultra Local: dS-  
matter field

$$m_0^2 = c_0 \frac{m_{3/2} M_{1/2}}{\ln(M_P/m_{3/2})}, \quad A_{\alpha\beta\gamma} = (c_A)_{\alpha\beta\gamma} M_{1/2}, \quad \hat{\mu} = c_\mu M_{1/2}, \quad B\hat{\mu} = c_B m_0^2$$

Ultra Local: dS-  
dilaton NP

$$m_\alpha = (c_0)_\alpha M_{1/2}, \quad A_{\alpha\beta\gamma} = (c_A)_{\alpha\beta\gamma} M_{1/2}, \quad \hat{\mu} = c_\mu M_{1/2}, \quad B\hat{\mu} = c_B M_{1/2}^2$$

# F-terms and soft terms

## Scalar masses

$$m_0^2|_F \simeq m_{3/2}^2 - \left(\frac{F^{T_b}}{2}\right)^2 \partial_{\tau_b}^2 \ln \tilde{K} \simeq \frac{5}{3\omega'_S} (3c_s - 1) m_{3/2} M_{1/2} \sim \mathcal{O}(m_{3/2}^2 \epsilon)$$

Local

$$m_\alpha^2|_F = -M_{1/2}^2 s^2 \left( \partial_s^2 + \beta^{U_i} \partial_{u_i} \partial_s + \beta^{U_i} \beta^{\bar{U}_j} \partial_{u_i} \partial_{u_j} \right) \ln h_\alpha(U, S) \sim \mathcal{O}(m_{3/2}^2 \epsilon^2)$$

Ultralocal

$$m_\alpha^2|_D = \frac{q_b}{2f_\alpha(U, S)} D_{dS_1} \partial_{\tau_b} \tilde{K}_\alpha = \frac{1}{3s} m_{3/2}^2 |\phi_{dS}|^2 = \frac{3\epsilon_s}{2\omega'_S} m_{3/2} M_{1/2}$$

dS: matter field

$$m_\alpha^2|_D = \frac{q_{dS} \mathcal{V}^{2/3}}{2s f_\alpha(U, S)} D_{dS_2} \partial_{\tau_{dS}} \tilde{K}_\alpha - V_{D,0} = \frac{c_{dS}}{s} D_{dS_2} q_{dS} \frac{\tau_{dS}}{\mathcal{V}} - V_{D,0} = (2c_{dS} - 1) V_{D,0}$$

dS: dilaton NP

# F-terms and soft terms

## Trilinears

$$A_{\alpha\beta\gamma} = - \left[ 1 - s\beta^{U_i} \partial_{u_i} K_{cs} - \frac{2}{\omega'_S} (3c_s - 1) - s\partial_{s,u} \ln \left( \frac{Y_{\alpha\beta\gamma}}{f_\alpha f_\beta f_\gamma} \right) \right] M_{1/2}$$

Local

$$A_{\alpha\beta\gamma} = s\partial_{s,u} \ln \left( \frac{Y_{\alpha\beta\gamma}(U, S)}{h_\alpha h_\beta h_\gamma} \right) M_{1/2} \sim \mathcal{O}(m_{3/2}\epsilon)$$

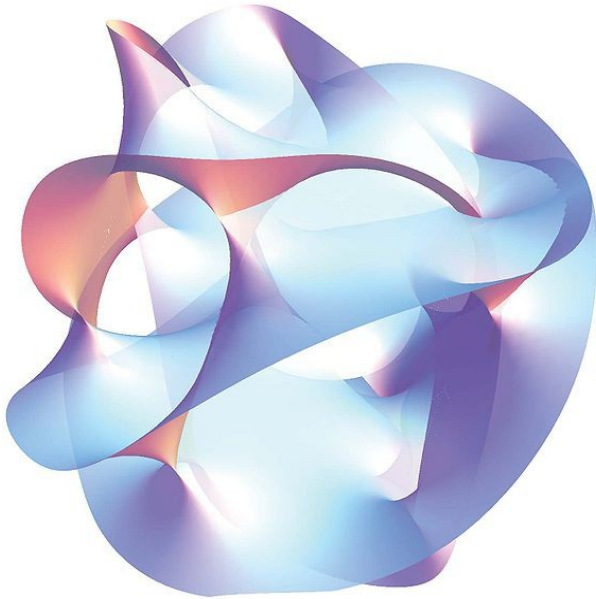
Ultralocal



# Sequestered LVS Cosmology

$$\mathcal{V} = \alpha_b \tau_b^{3/2} - \sum \alpha_i \tau_i^{3/2}$$

$$\mathcal{V} \sim 3 \times 10^7 l_s^6$$



Planck scale:  
 String scale:  
 KK scale  
 Gravitino mass  
 Small modulus  
 Complex structure moduli  
 Volume modulus  
 Soft terms

$$M_P = 2.4 \times 10^{18} \text{ GeV}$$

$$M_S \sim \frac{M_P}{\sqrt{\mathcal{V}}} \sim 10^{15} \text{ GeV}$$

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$$m_U \sim m_{3/2} \sim 10^{11} \text{ GeV}$$

$$m_{\tau_b} \sim \frac{M_P}{\mathcal{V}^{3/2}} \sim 4 \times 10^6 \text{ GeV}$$

$$M_{\text{soft}} \sim \frac{M_P}{\mathcal{V}^2} \sim 10^3 \text{ GeV}$$

$$m_{\text{mod}} \gtrsim 30 \text{ TeV}$$

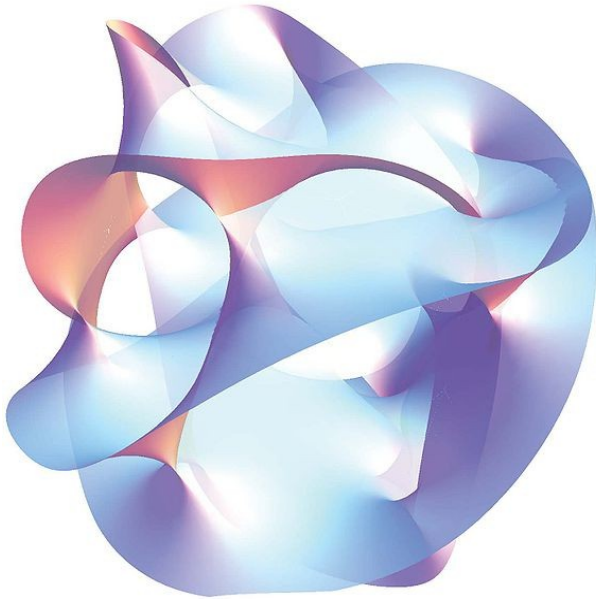
- Cosmological Moduli Problem solved
- Gravitino problem solved



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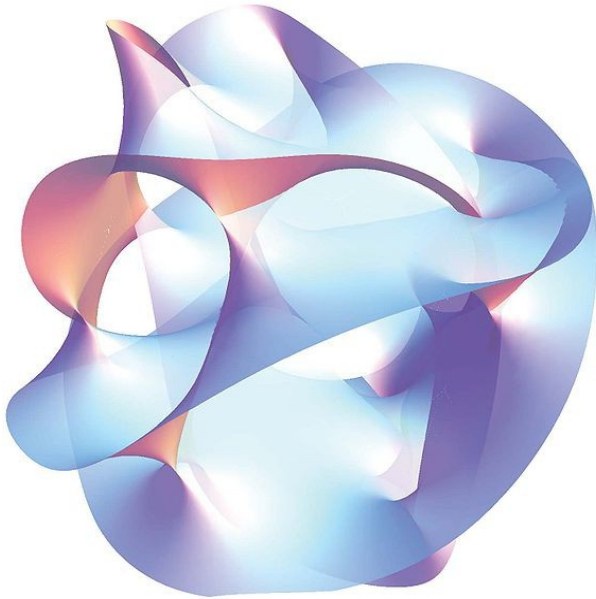
- Gravitationally coupled

- Decay very late  $\Rightarrow H \sim \Gamma \sim m_{\text{mod}}^3 / M_P^2$

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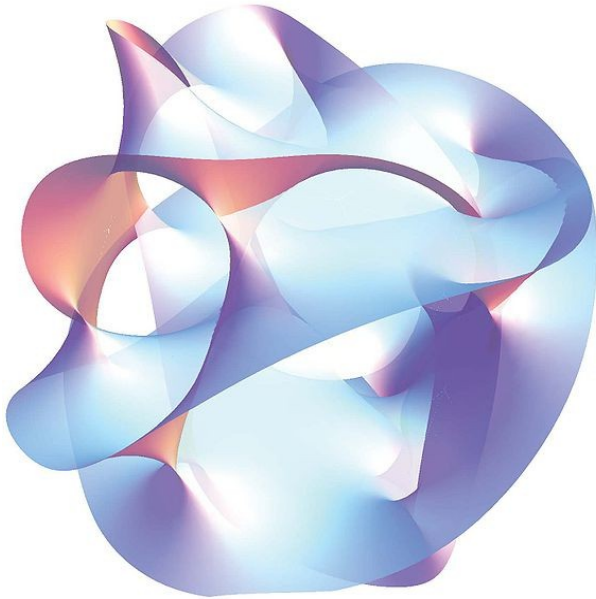
- Decay very late  $\Rightarrow H \sim \Gamma \sim m_{\text{mod}}^3 / M_P^2$

- Last decaying modulus
- Reheats SM and Hot Big Bang is recovered

# Sequestered LVS Cosmology

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- Decay very late



$$H \sim \Gamma \sim m_{\text{mod}}^3 / M_P^2$$

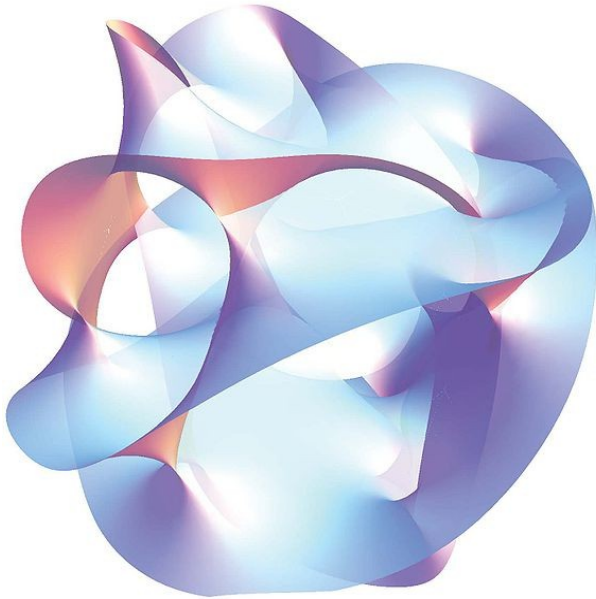


$$T_R \sim \sqrt{\Gamma M_P} \sim m_{\text{mod}} \sqrt{\frac{m_{\text{mod}}}{M_P}}$$

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$$T_R \sim \sqrt{\Gamma M_P} \sim m_{\text{mod}} \sqrt{\frac{m_{\text{mod}}}{M_P}}$$



$$T_R \sim \frac{M_{\text{soft}}}{\kappa^{3/2}} \sqrt{\frac{M_{\text{soft}}}{M_P}} \sim \kappa^{-3/2} \mathcal{O}(10^{-2}) \text{ MeV}$$

$$M_{\text{soft}} = \kappa m_{\text{mod}}$$

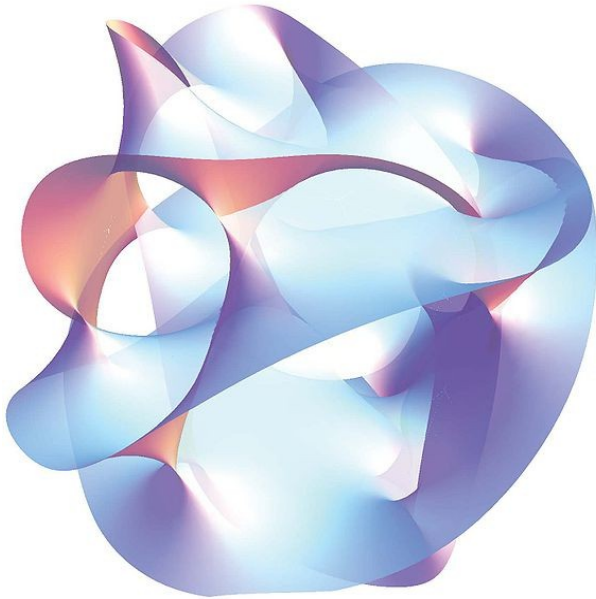


$$\kappa \sim \mathcal{O}(10^{-3} - 10^{-4})$$

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Non-thermal LSP  
between

$\mathcal{O}(100) \text{ GeV}$  and  $\mathcal{O}(1) \text{ TeV}$

$$T_R \sim \frac{M_{\text{soft}}}{\kappa^{3/2}} \sqrt{\frac{M_{\text{soft}}}{M_P}} \sim \kappa^{-3/2} \mathcal{O}(10^{-2}) \text{ MeV}$$

$\mathcal{O}(10) \text{ MeV}$  and  $\mathcal{O}(10) \text{ GeV}$

# Non-thermal dark matter

Annihilation

$$\langle \sigma_{\text{ann}} v \rangle_f \geq \langle \sigma_{\text{ann}} v \rangle_f^{\text{Th}} \sqrt{\frac{g_*(T_f)}{g_*(T_R)}} \left( \frac{T_f}{T_R} \right)$$



$$\Omega_\chi^{\text{NT}} h^2 = 0.142 \sqrt{\frac{10.75}{g_*(T_R)}} \left( \frac{m_\chi}{T_R} \right) \Omega_\chi^{\text{Th}} h^2$$

Branching

$$T_R \lesssim 10^{-9} m_{\text{mod}} = 10^{-9} \kappa^{-1} M_{\text{soft}}$$



Dark radiation  
overproduced

# Non-thermal CMSSM/mSUGRA

Ultra Local: dS-dilaton

$$m_\alpha = (c_0)_\alpha M_{1/2}, \quad A_{\alpha\beta\gamma} = (c_A)_{\alpha\beta\gamma} M_{1/2}, \quad \hat{\mu} = c_\mu M_{1/2}, \quad B\hat{\mu} = c_B M_{1/2}^2$$

REWSB

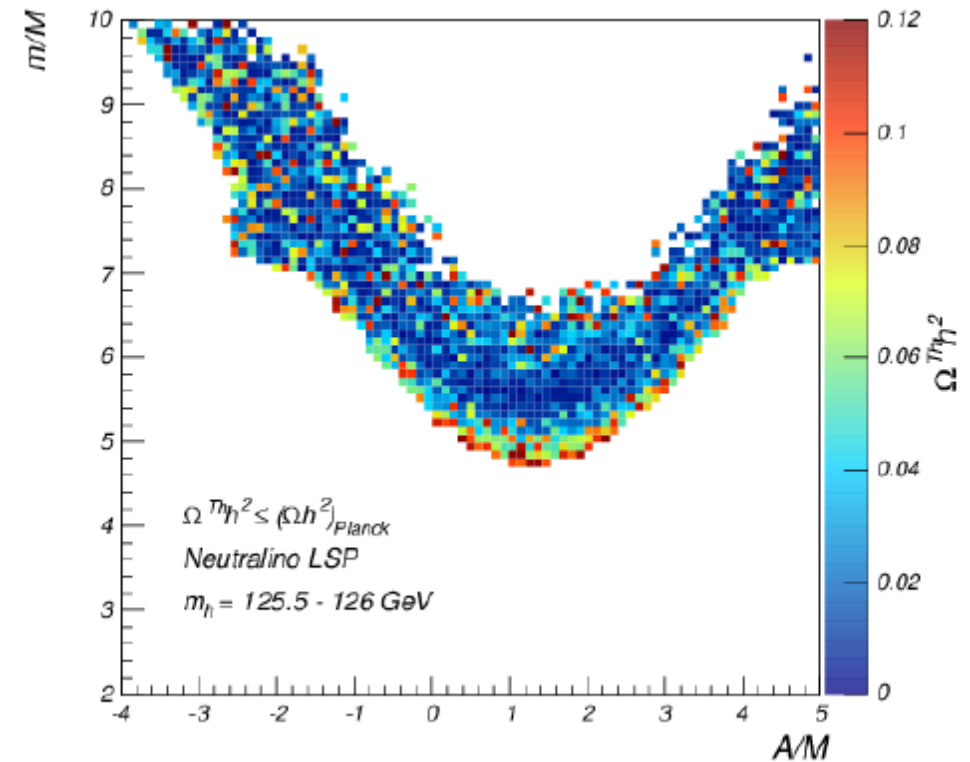
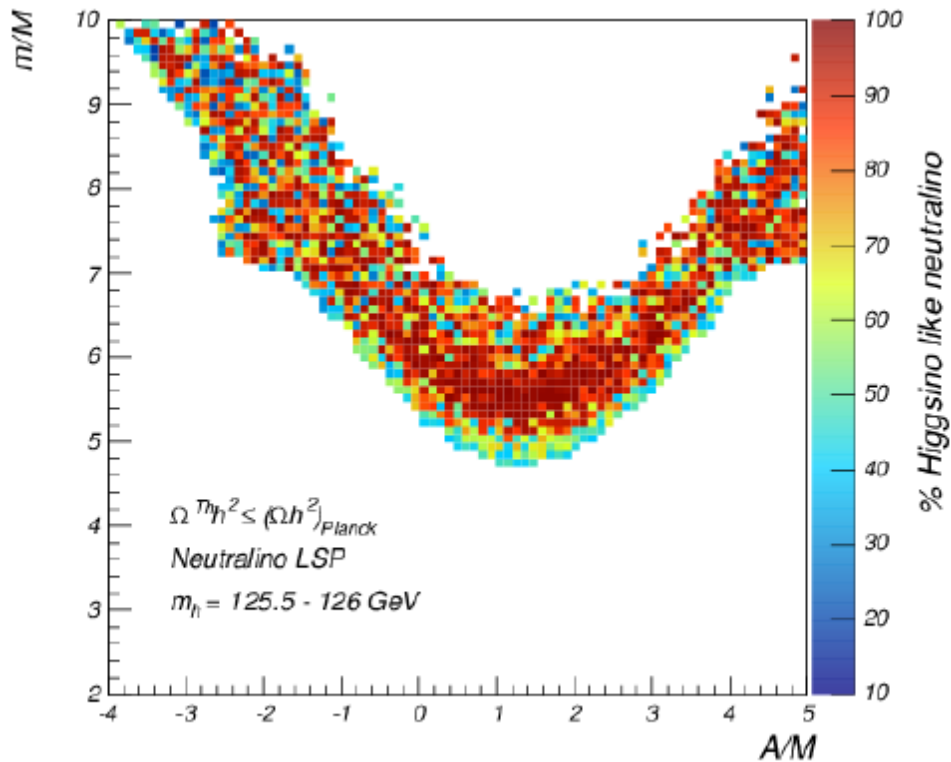


$$m = a |M|, \quad A = b M, \quad \tan \beta \equiv \frac{\langle H_u^0 \rangle}{\langle H_d^0 \rangle}, \quad \text{sign}(\mu)$$

$$\Omega_\chi^{\text{NT}} h^2 = 0.142 \sqrt{\frac{10.75}{g_*(T_R)}} \left( \frac{m_\chi}{T_R} \right) \Omega_\chi^{\text{Th}} h^2$$

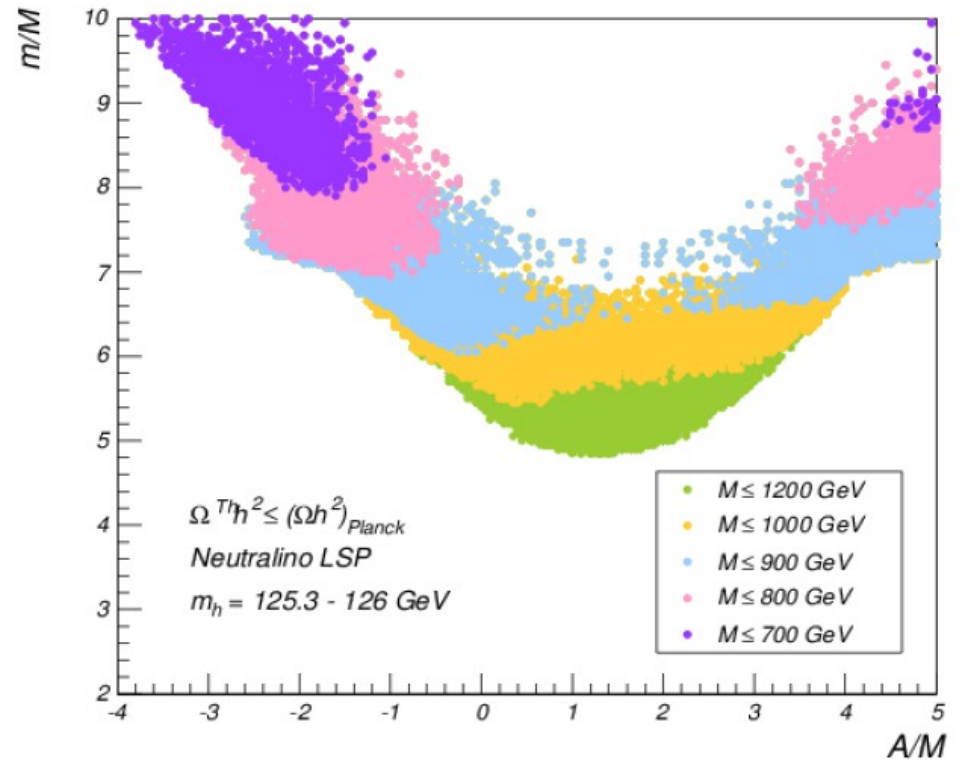
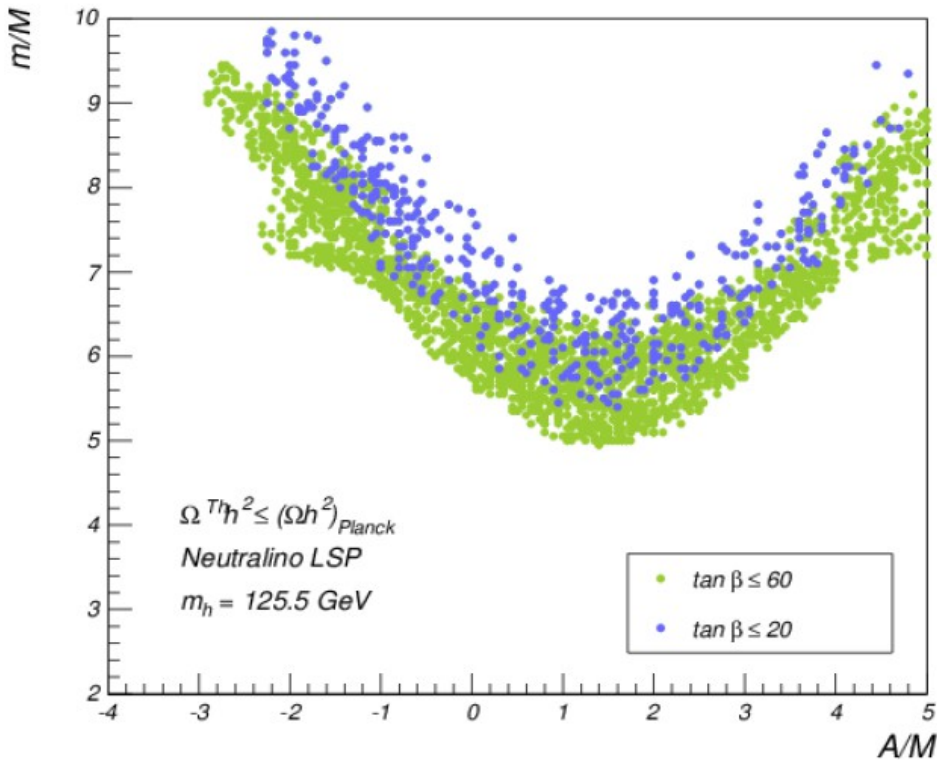


# Collider and CMB constraints



$$M^2(f(Q) + g(Q)A/M + h(Q)(A/M)^2 + e(Q)(m/M)^2)$$

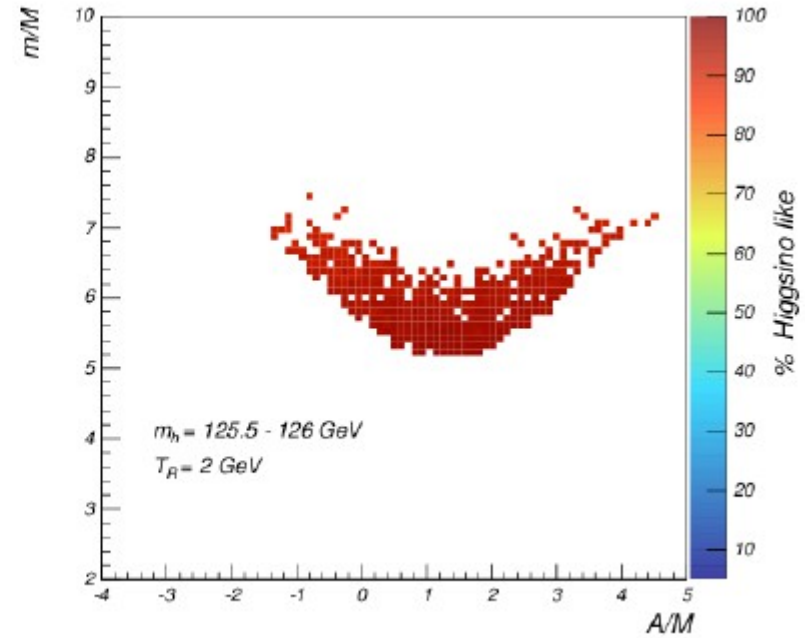
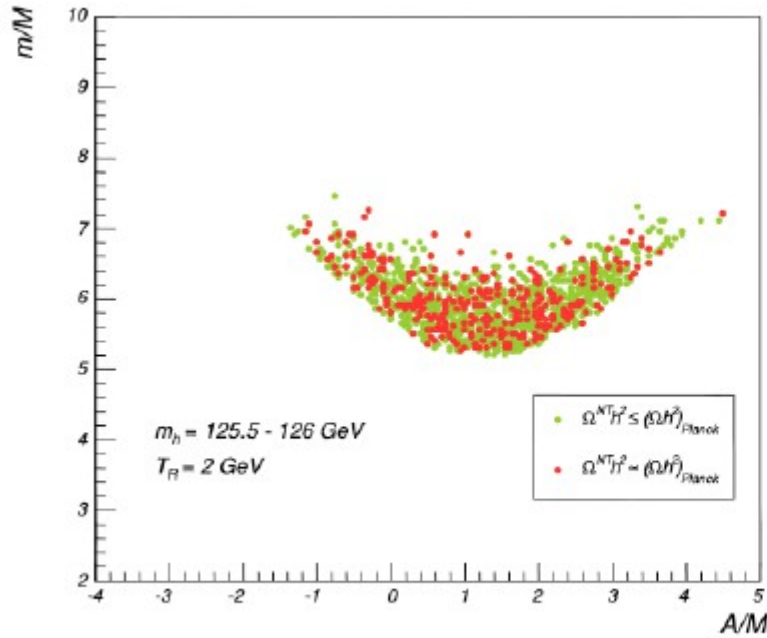
# Collider and CMB constraints



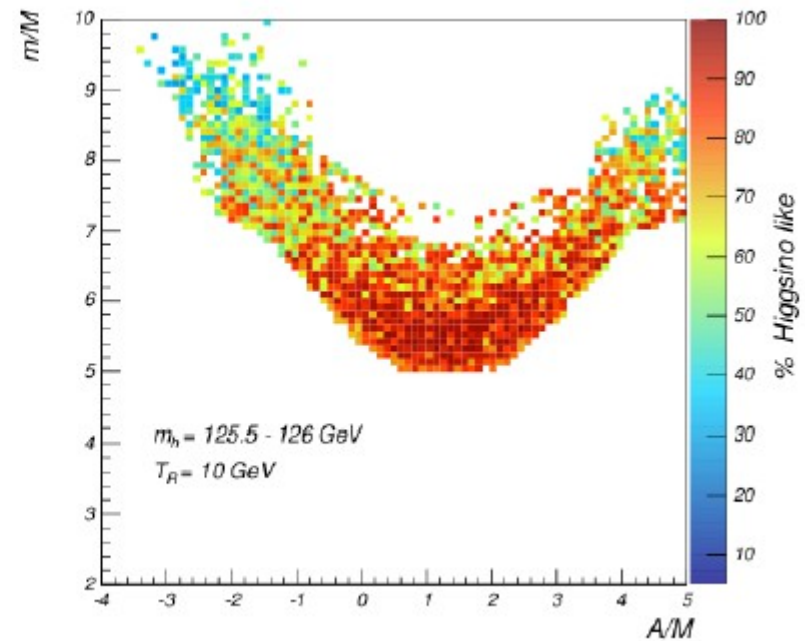
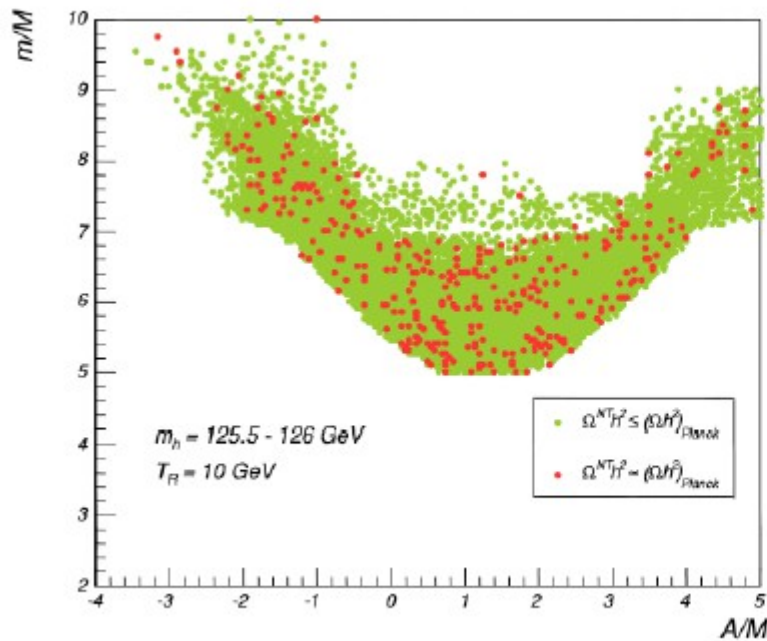
$$M^2(f(Q) + g(Q)A/M + h(Q)(A/M)^2 + e(Q)(m/M)^2)$$

# Direct and indirect constraints

Sign  $\mu > 0$

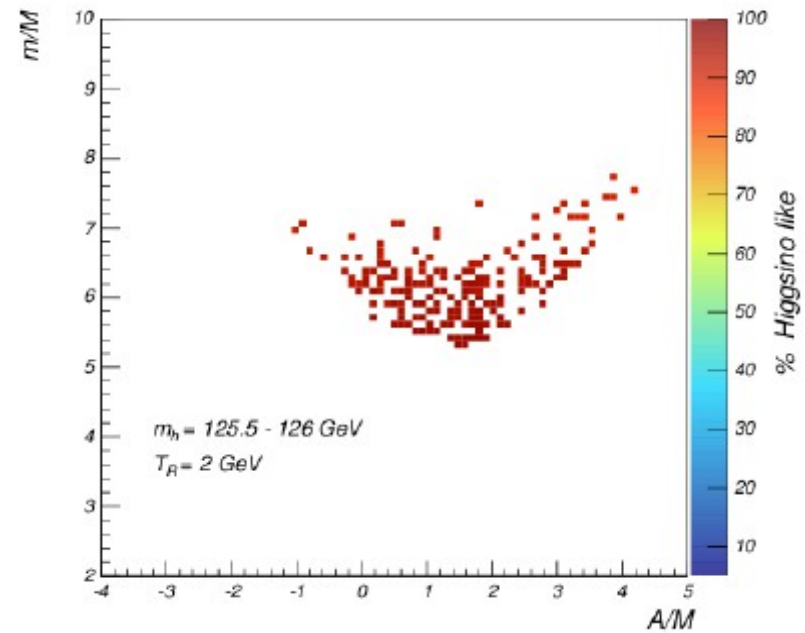
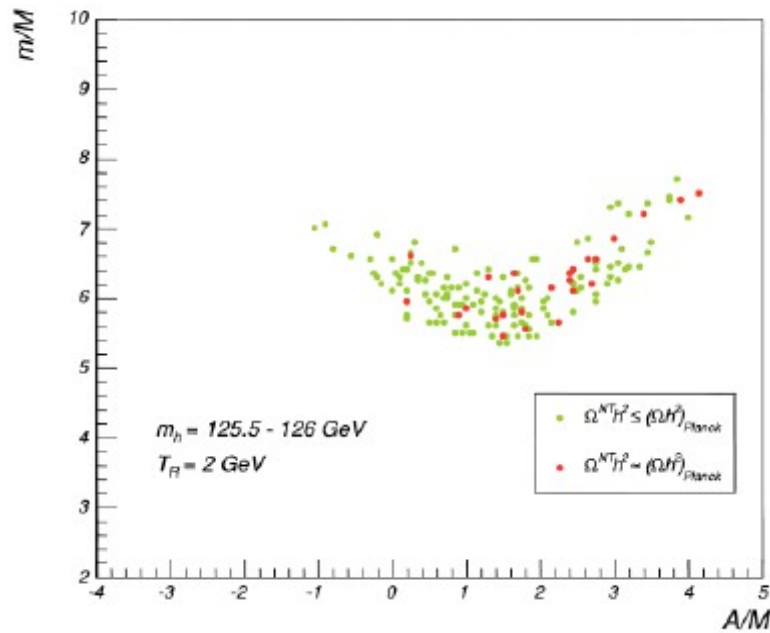


LEP, LHC, Planck and Fermi-LAT (pass 8)

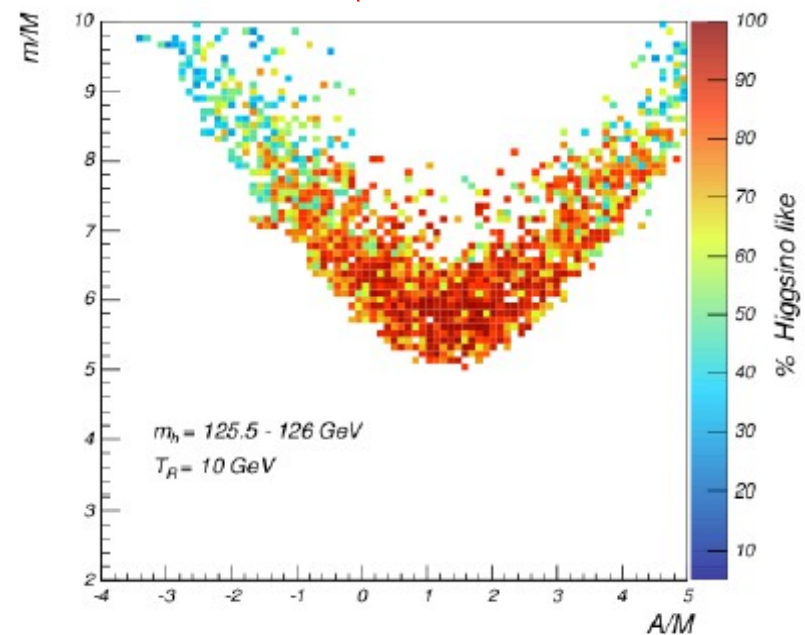
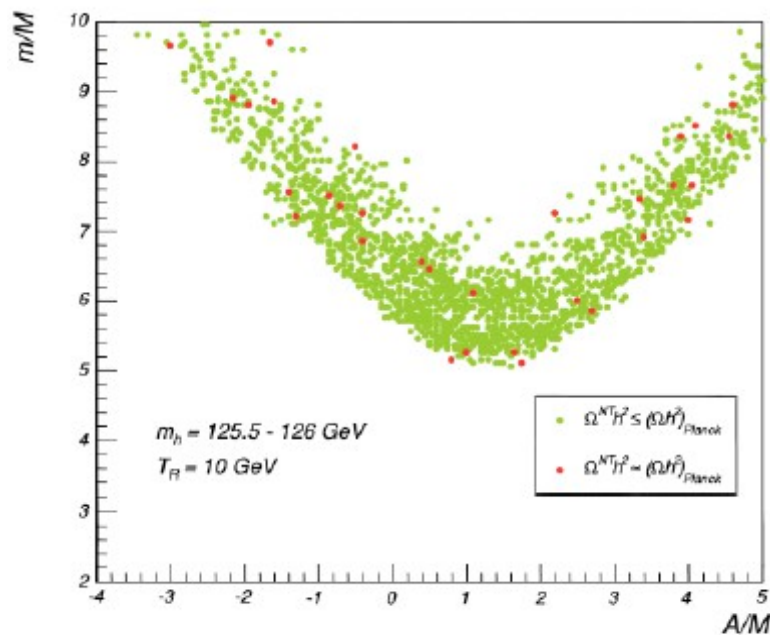


# Direct and indirect constraints

Sign  $\mu < 0$

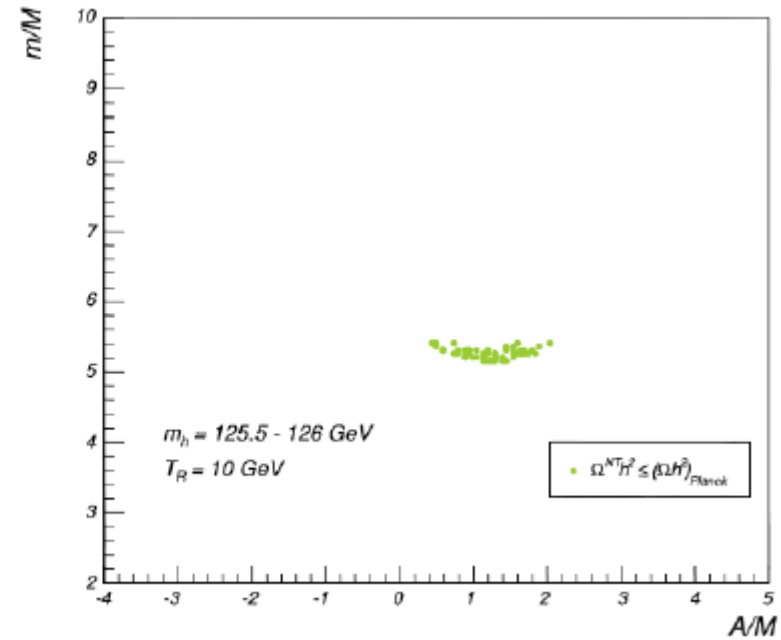
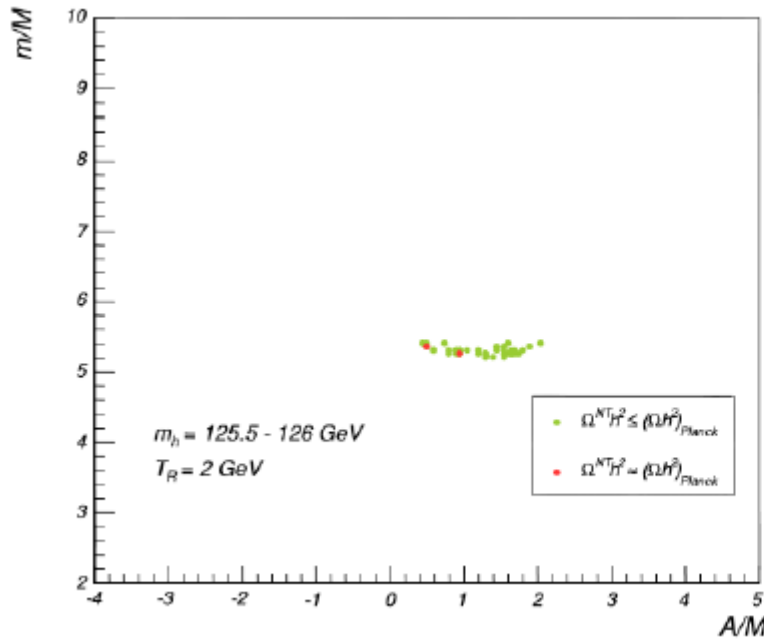


LEP, LHC, Planck and Fermi-LAT (pass 8)



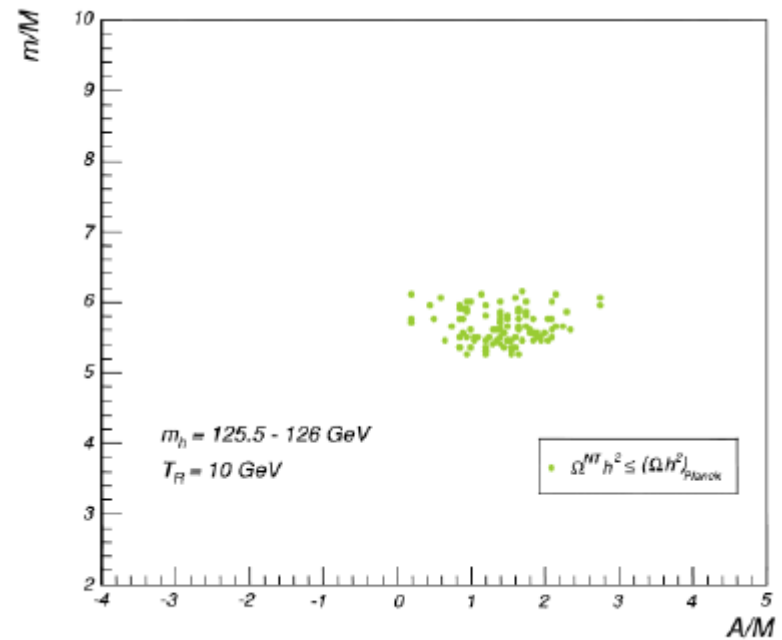
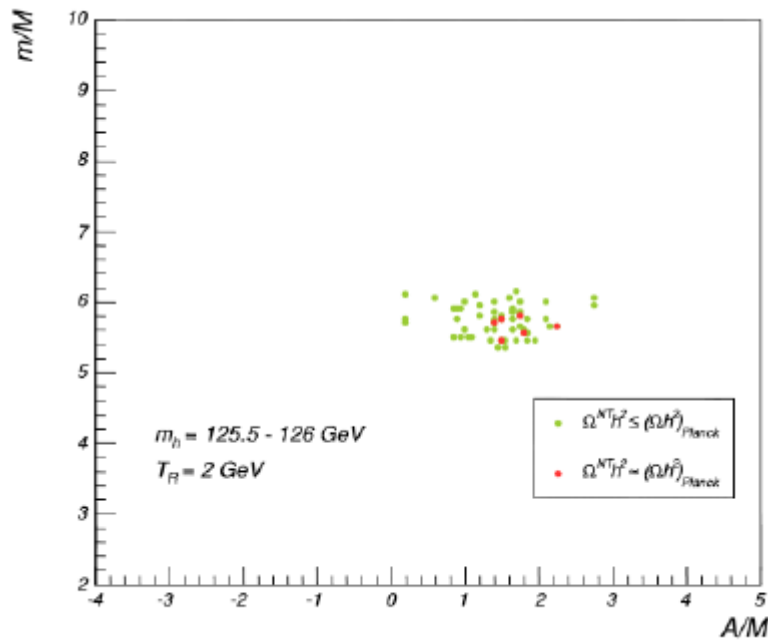
# Direct and indirect constraints

Sign  $\mu > 0$



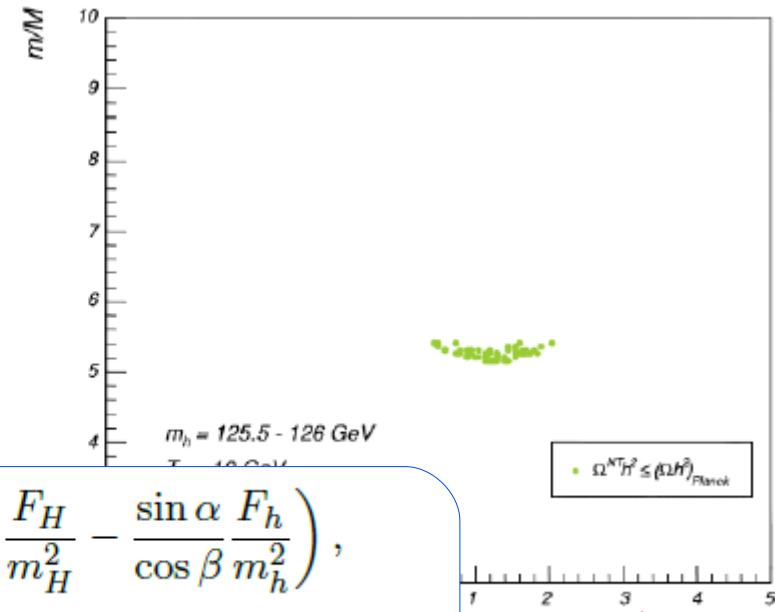
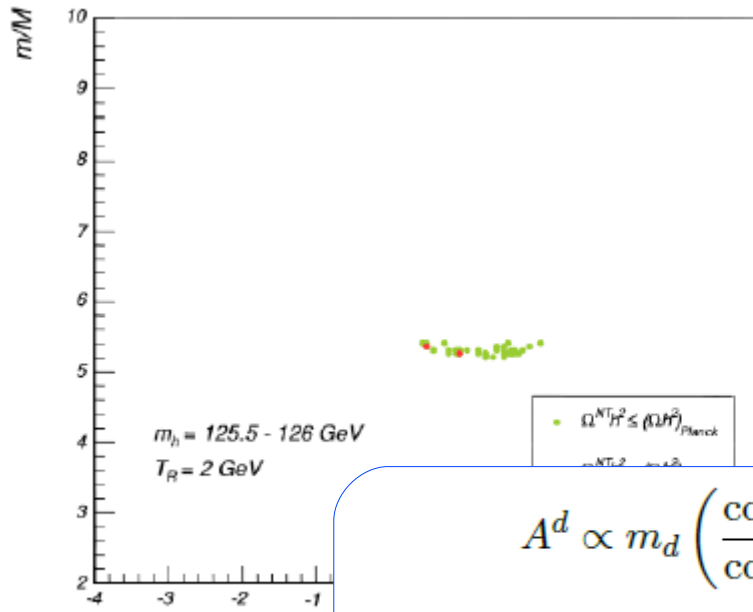
LEP, LHC, Planck and Fermi-LAT (pass 8) & LUX

Sign  $\mu < 0$



# Direct and indirect constraints

Sign  $\mu > 0$

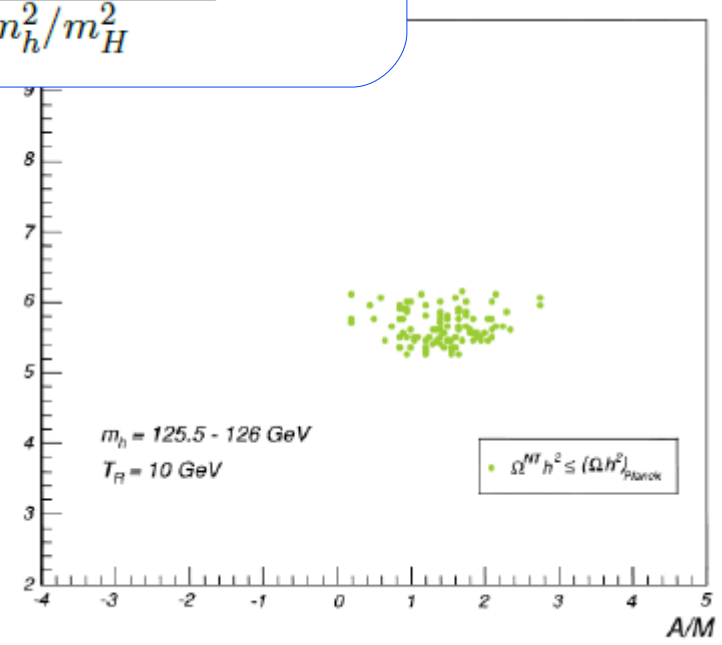
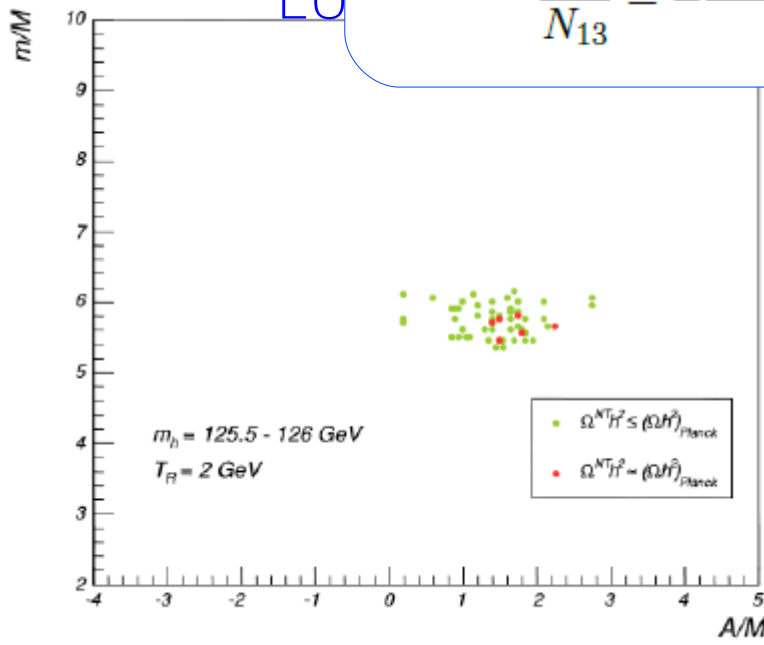


$$A^d \propto m_d \left( \frac{\cos \alpha F_H}{\cos \beta m_H^2} - \frac{\sin \alpha F_h}{\cos \beta m_h^2} \right),$$

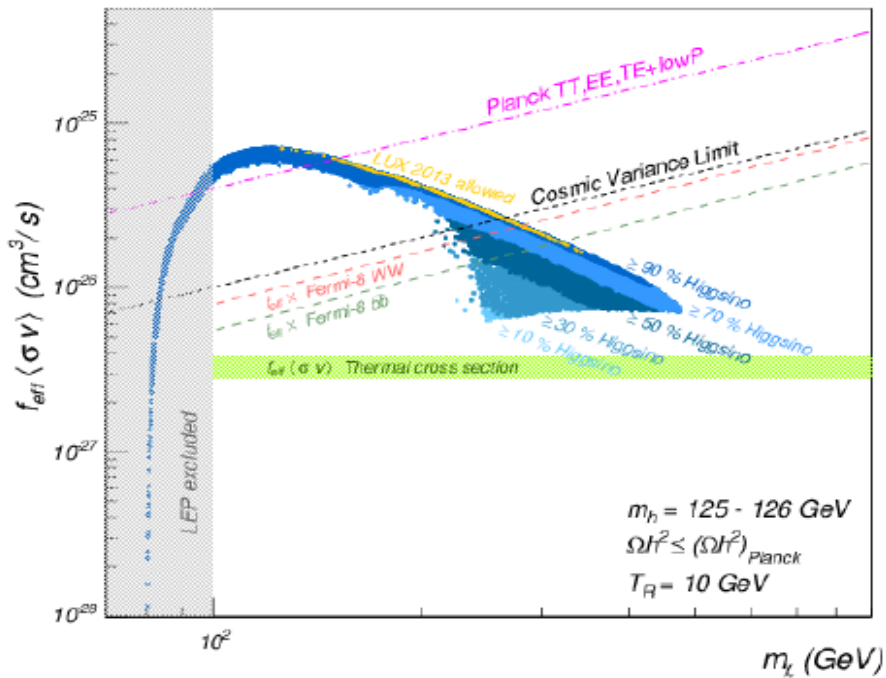
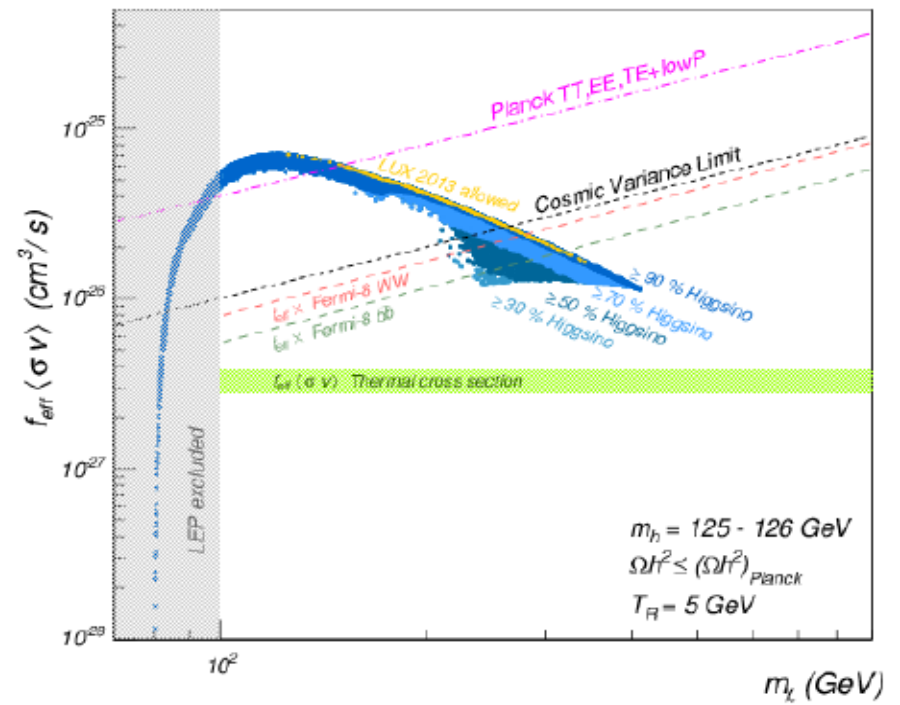
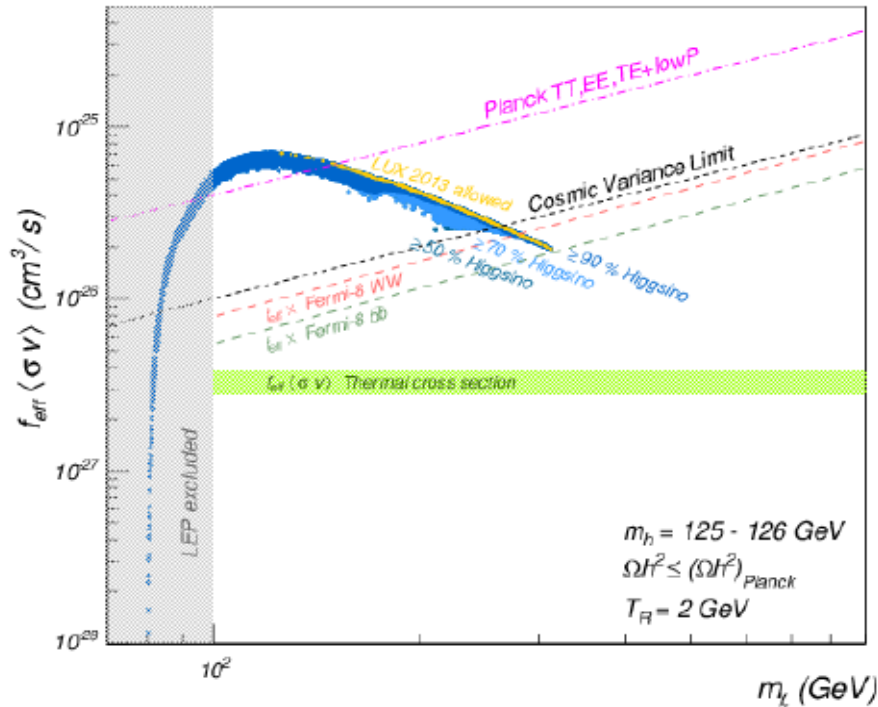
$$\frac{N_{14}}{N_{13}} = - \frac{\tan \alpha + m_h^2/m_H^2 \cot \alpha}{1 + m_h^2/m_H^2}$$

class 8) &  $A/M$

Sign  $\mu < 0$



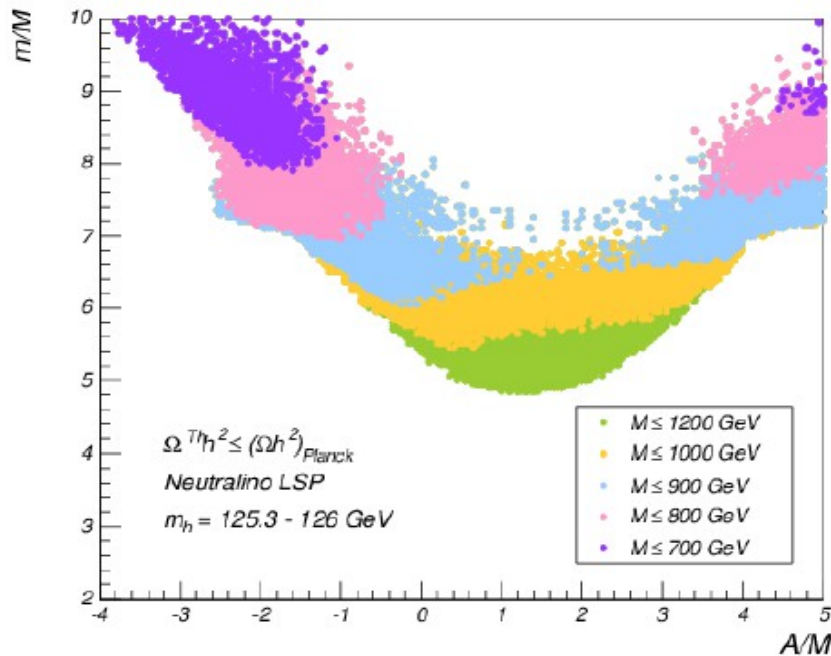
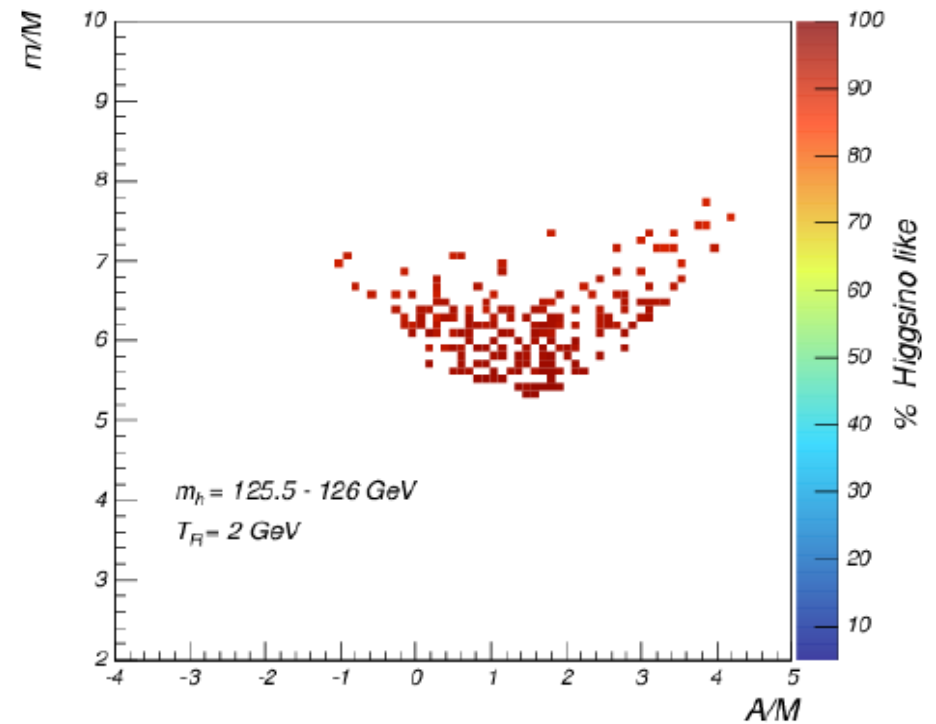
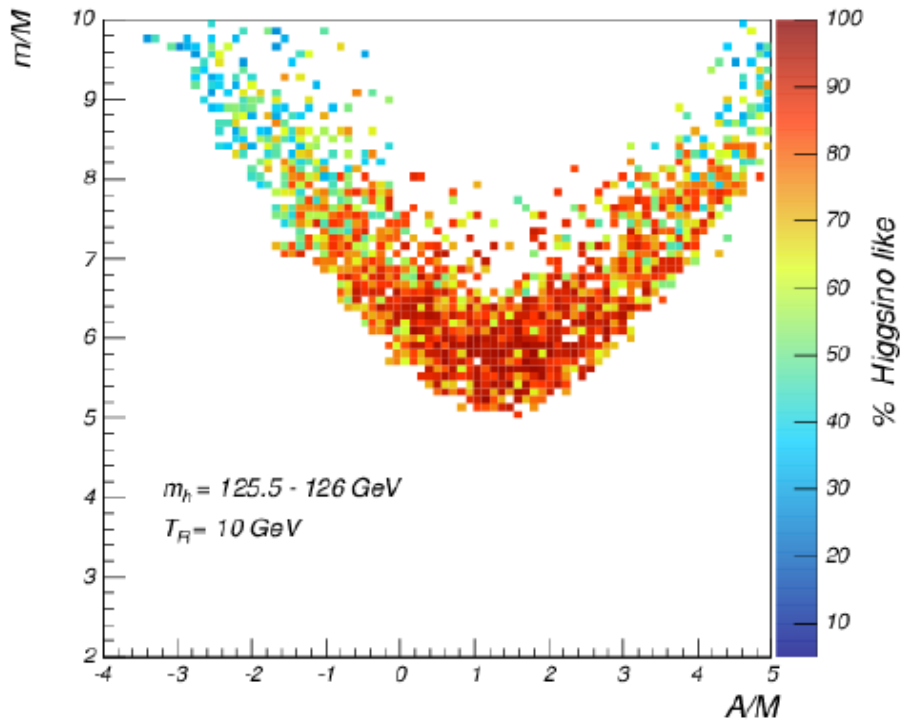
# Analysis of results



$$C_{\tilde{\chi}\tilde{\chi}h} \simeq \frac{m_Z \sin \theta_W \tan \theta_W}{M_1^2 - \mu^2} (M_1 + \mu \sin 2\beta)$$

$$C_{\tilde{\chi}\tilde{\chi}h} \simeq \frac{1}{2} (1 \pm \sin 2\beta) \left( \tan^2 \theta_W \frac{m_Z \cos \theta}{M_1 - |\mu|} + \frac{m_Z \cos \theta}{M_2 - |\mu|} \right)$$

# Analysis of results

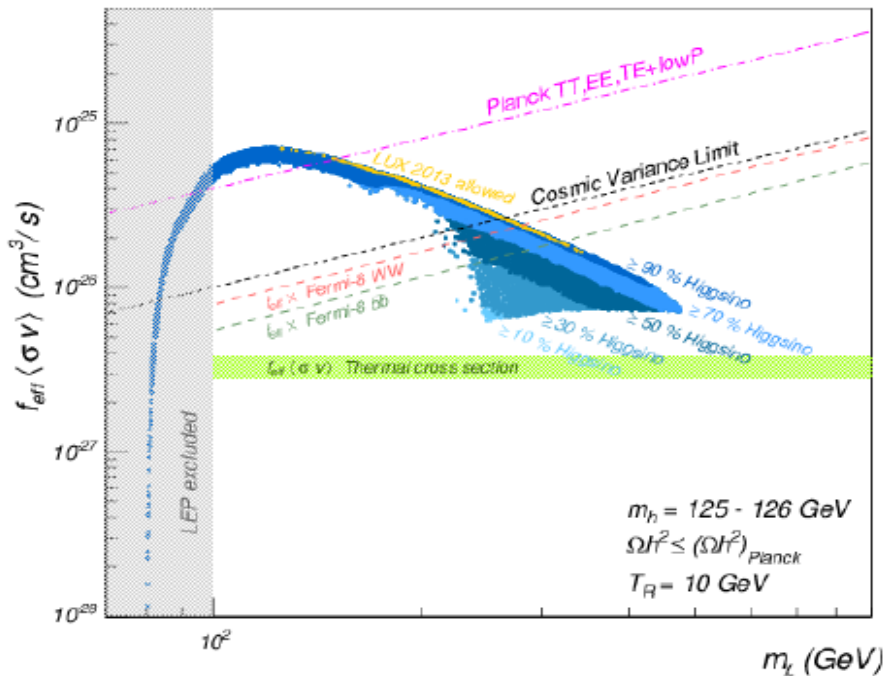
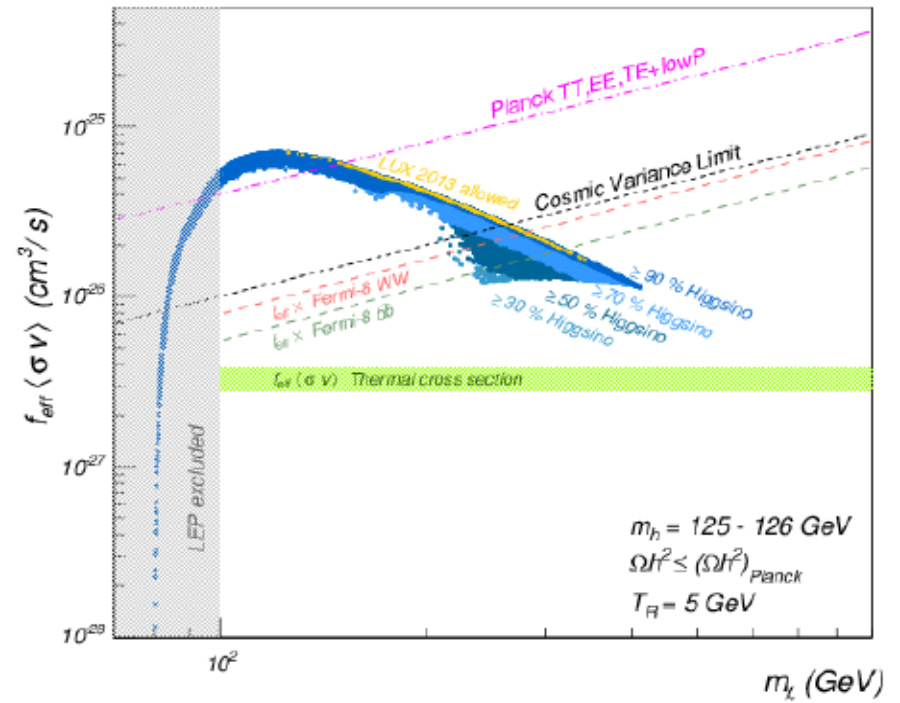
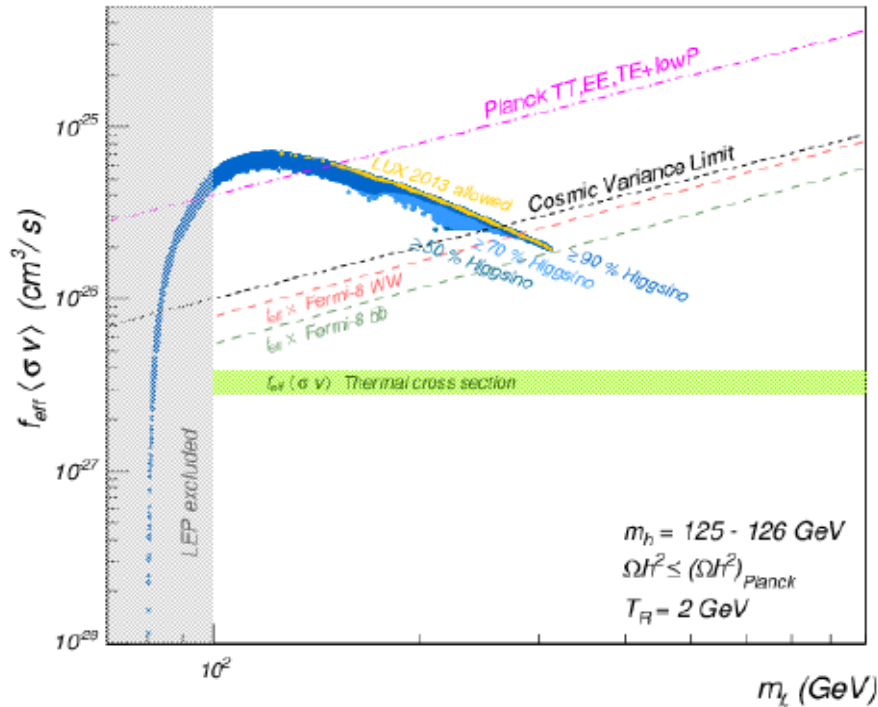


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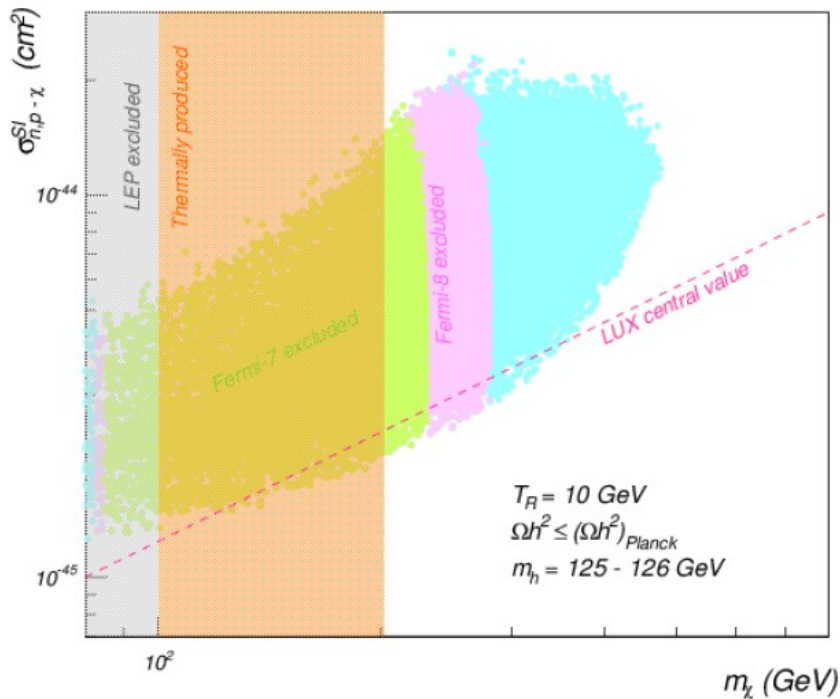
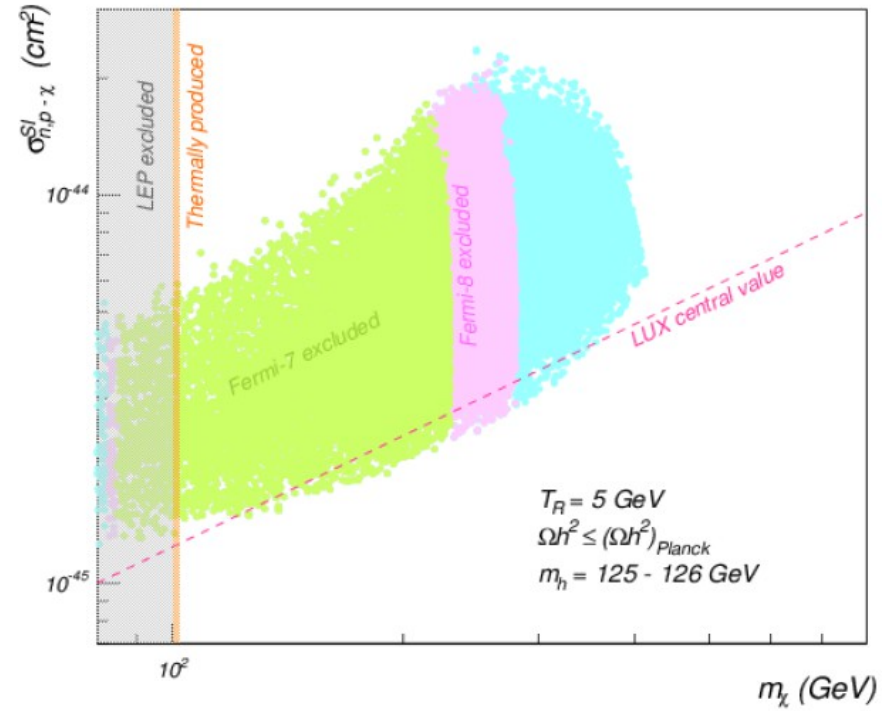
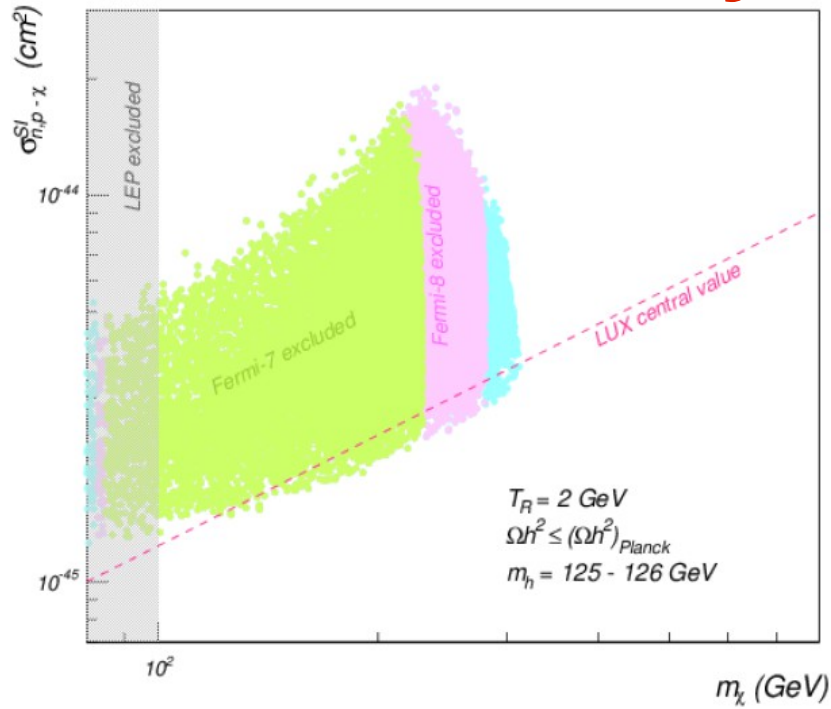
# Analysis of results



$$C_{\tilde{\chi}\tilde{\chi}h} \simeq \frac{m_Z \sin \theta_W \tan \theta_W}{M_1^2 - \mu^2} (M_1 + \mu \sin 2\beta)$$

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# Analysis of results

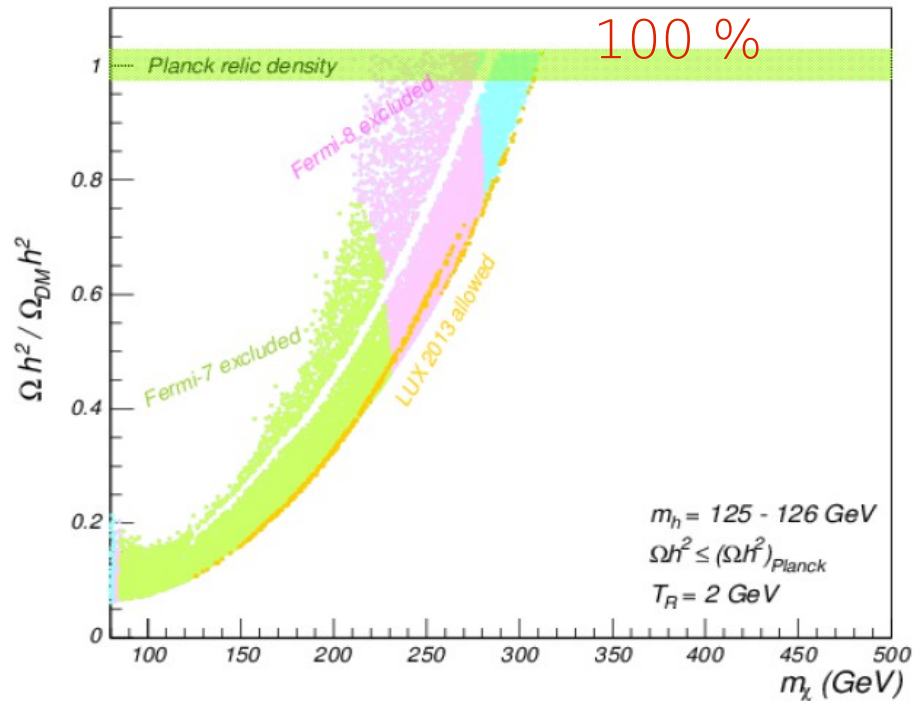
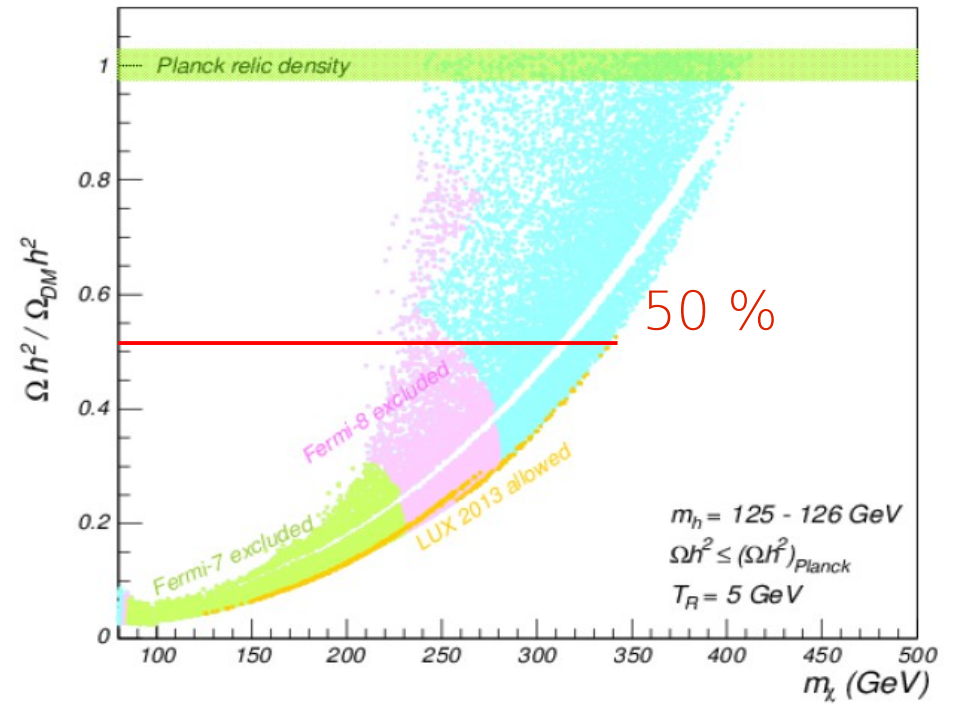
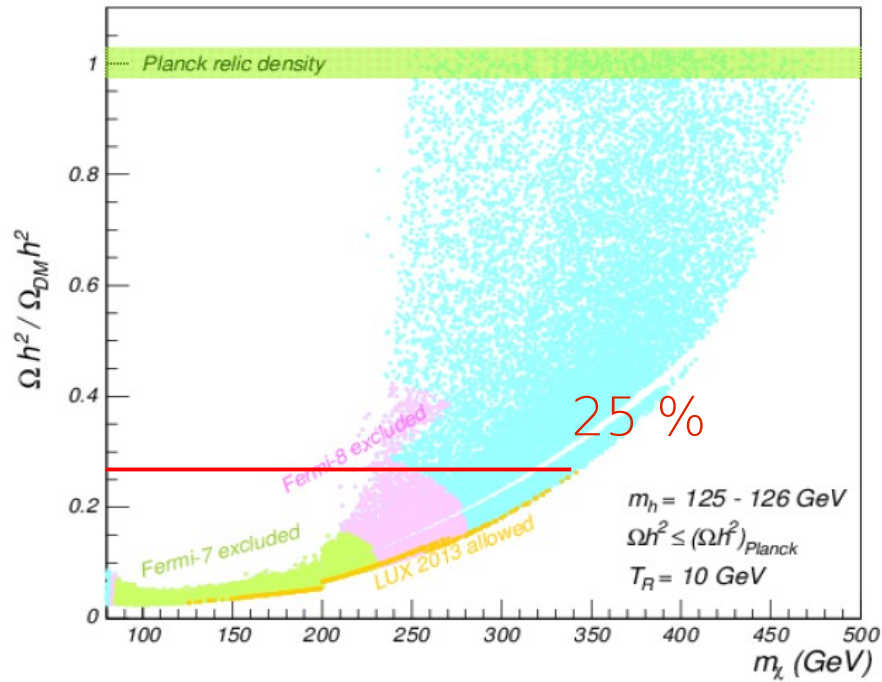


$$\langle \sigma_{\text{eff}} v \rangle = \frac{g_2^4}{512\pi\mu^2} (21 + 3 \tan^2 \theta_W + 11 \tan^4 \theta_W)$$

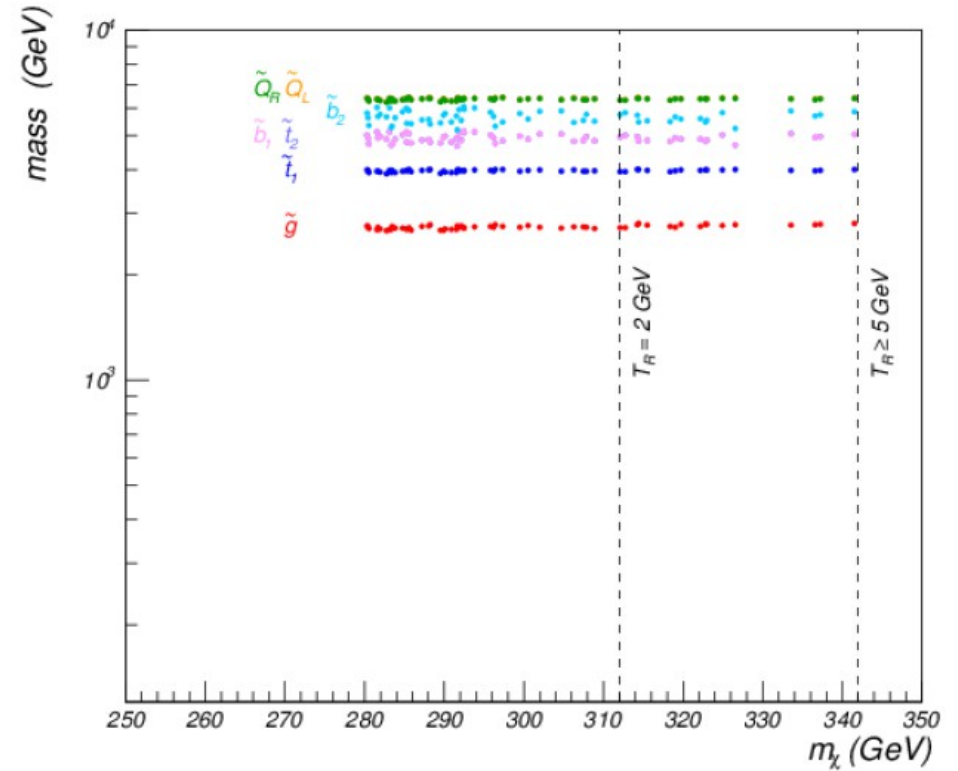
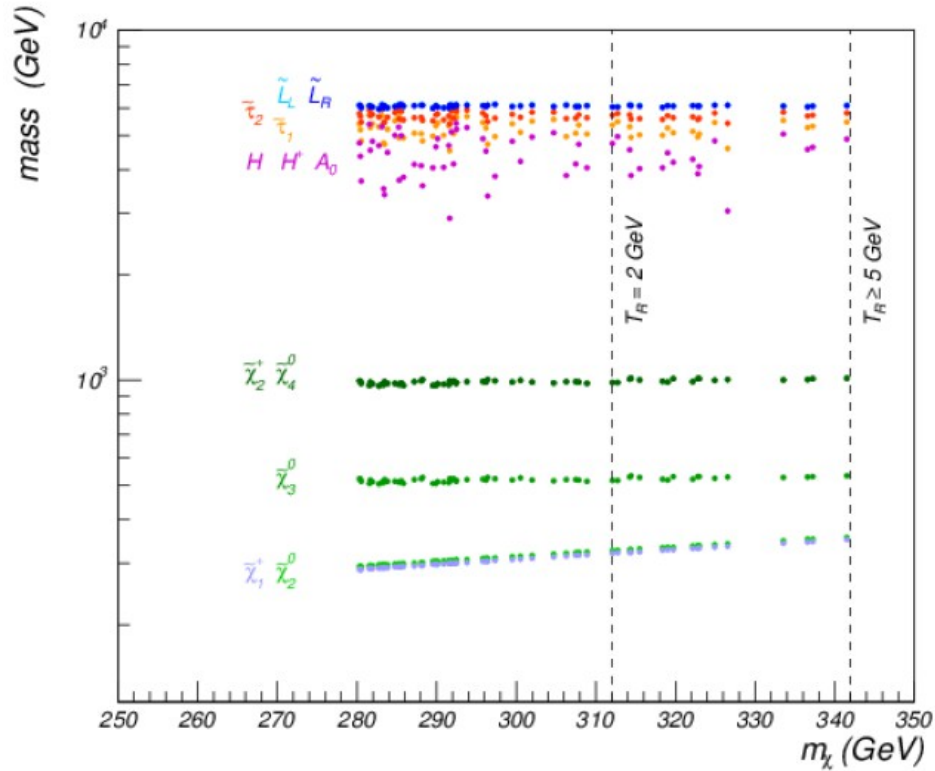
$$\langle \sigma_{\text{eff}} v \rangle = \sum_f \frac{g_2^4 \tan^2 \theta_W (T_{3f} - Q_f)^4 r(1+r^2)}{2\pi m_f^2 (1+r)^4}$$

$$r = M_1^2 / m_f^2$$

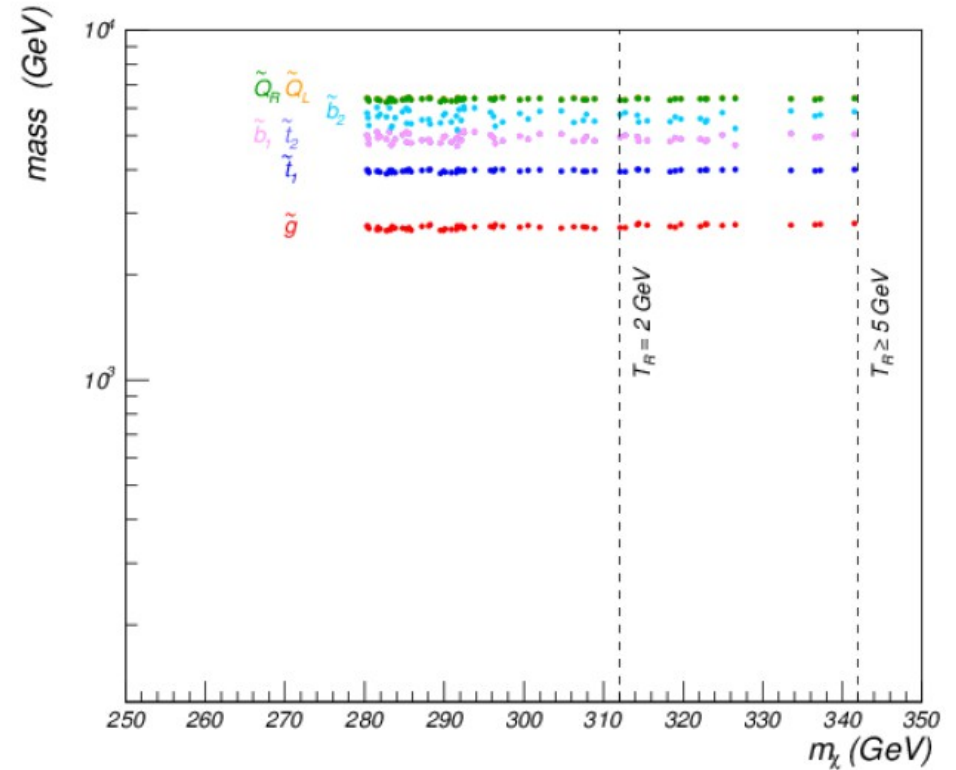
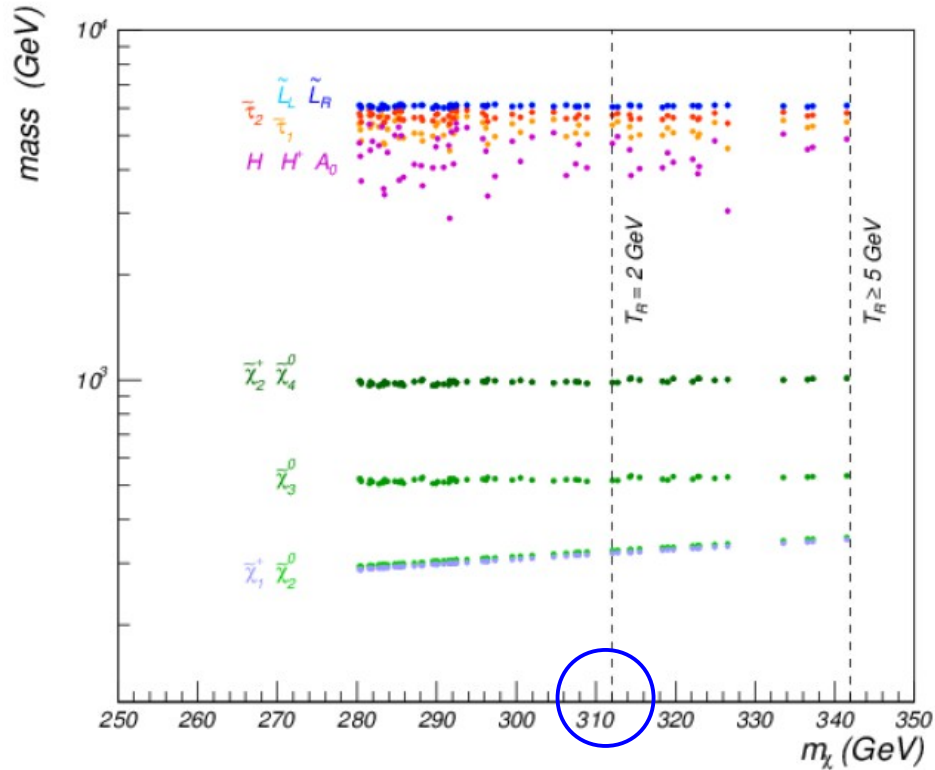
# Analysis of results



# Spectrum and LHC prospects

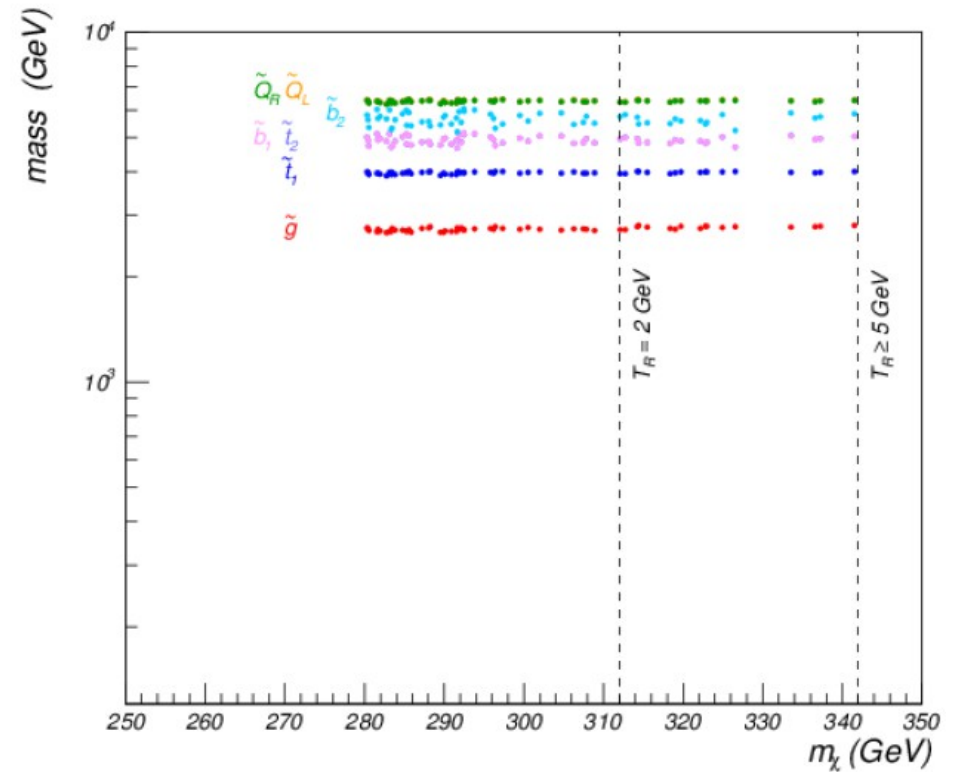
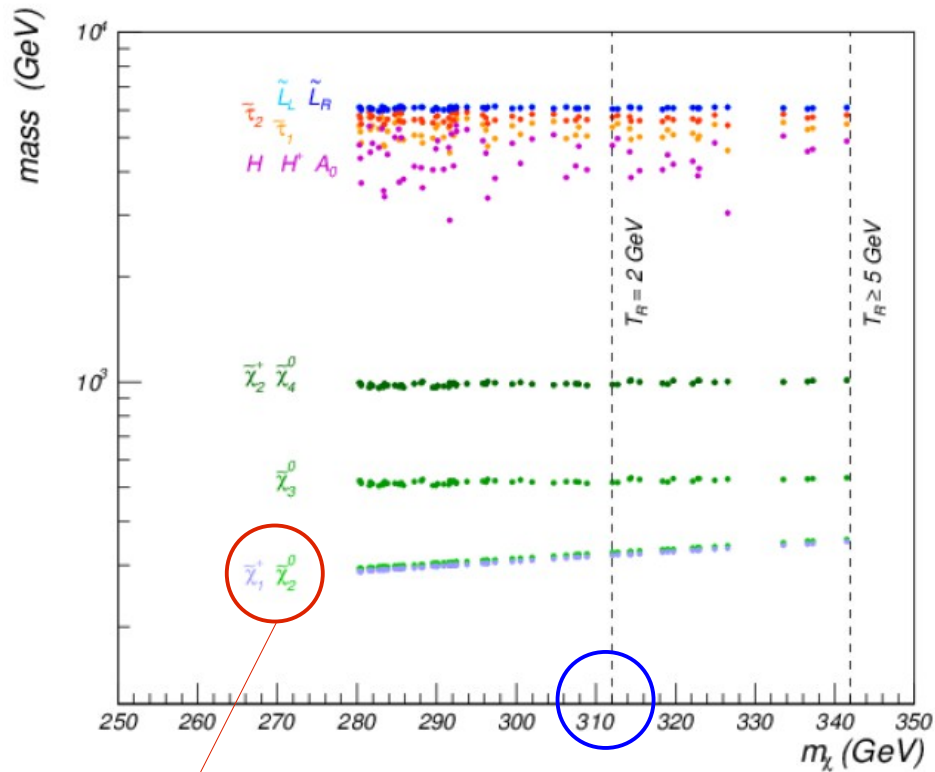


# Spectrum and LHC prospects



Neutralino Higgsino like around 300 GeV saturates Planck for  $T = 2 \text{ GeV}$

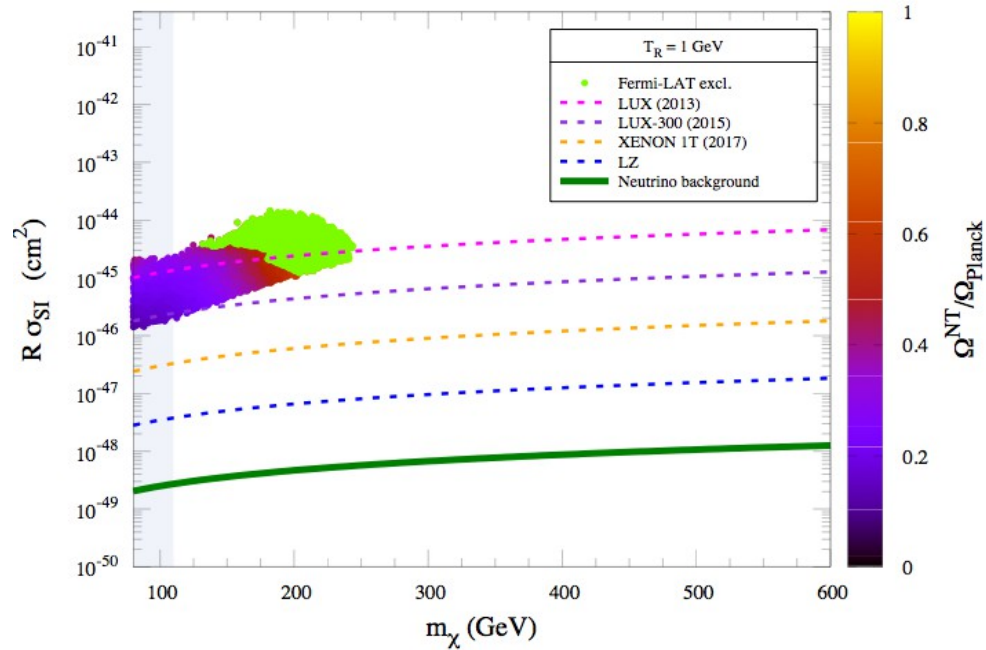
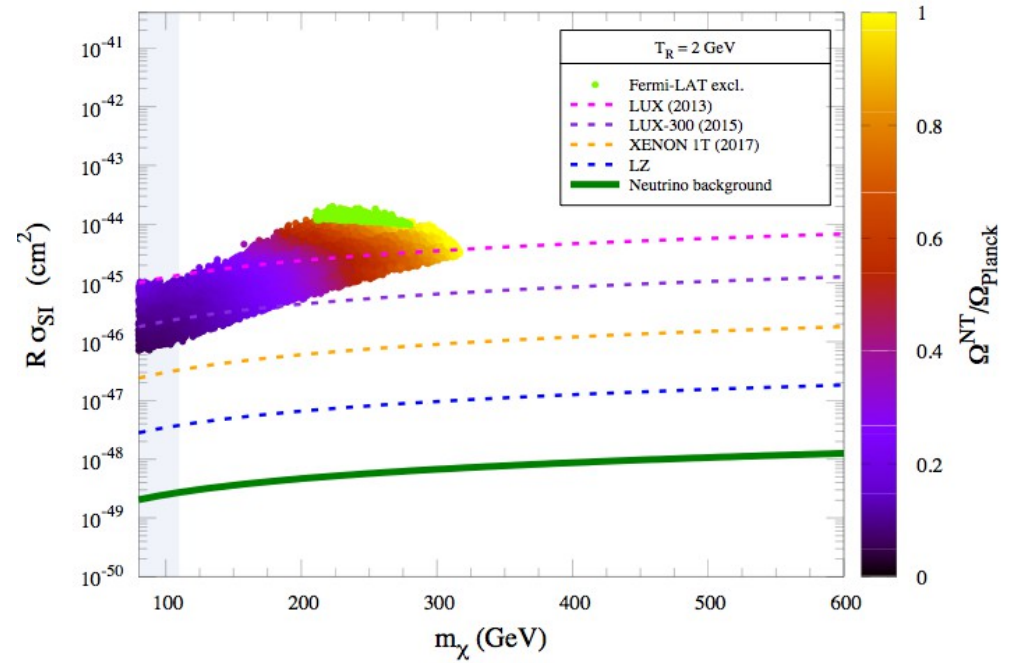
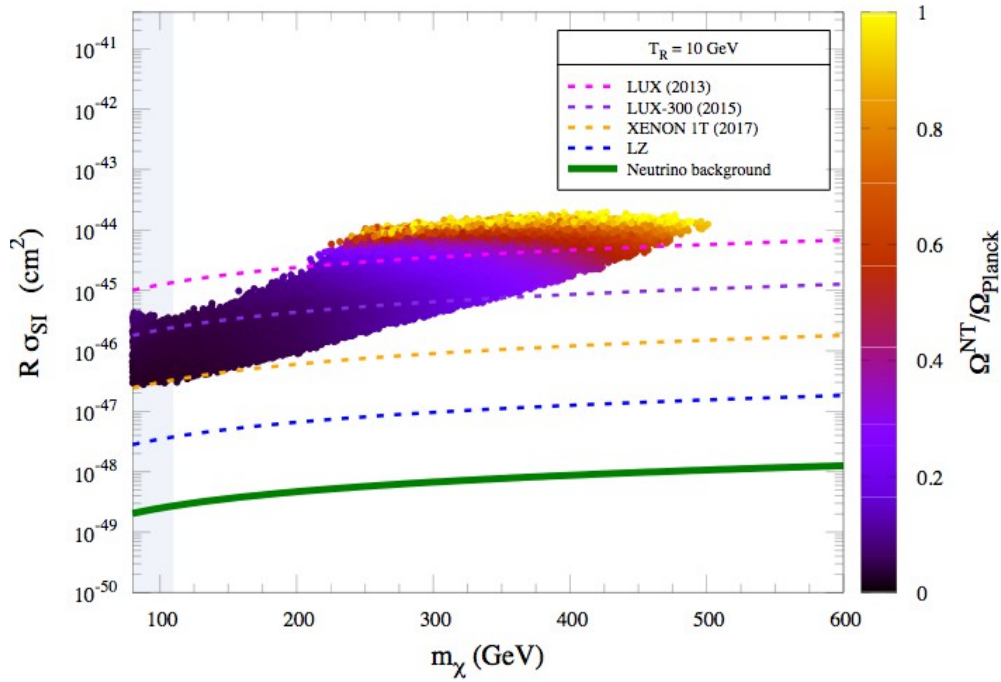
# Spectrum and LHC prospects



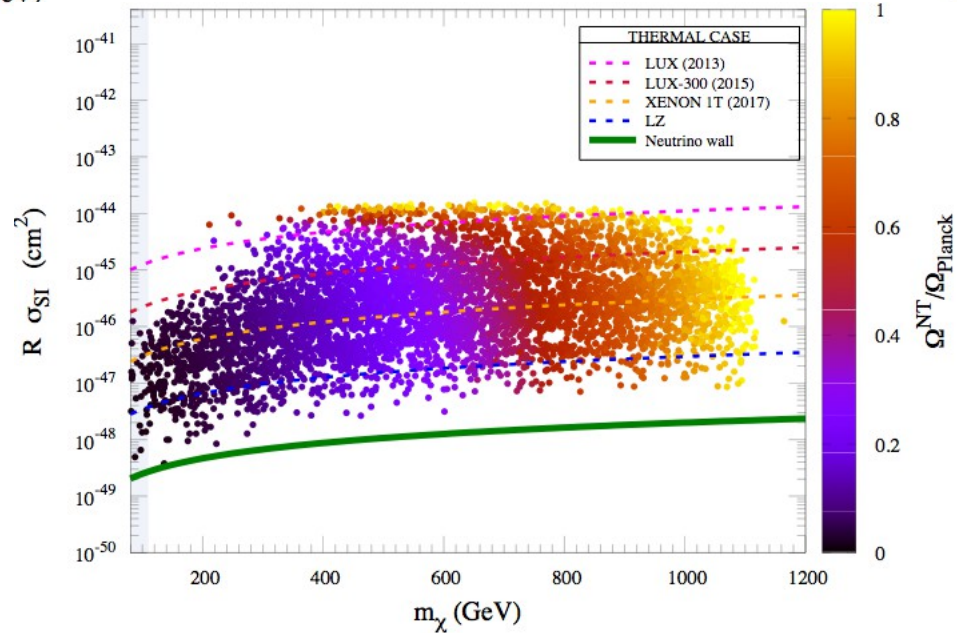
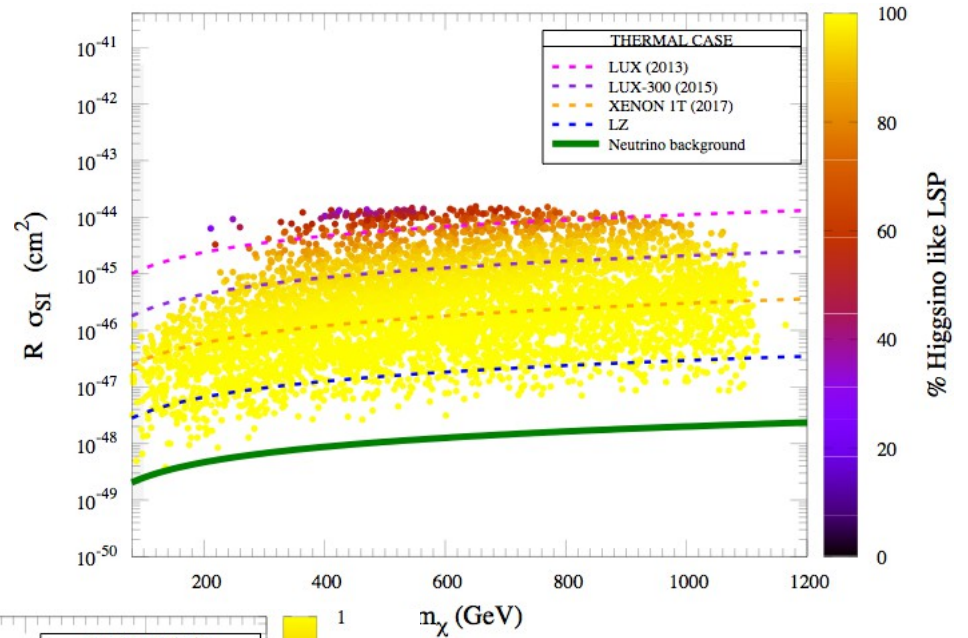
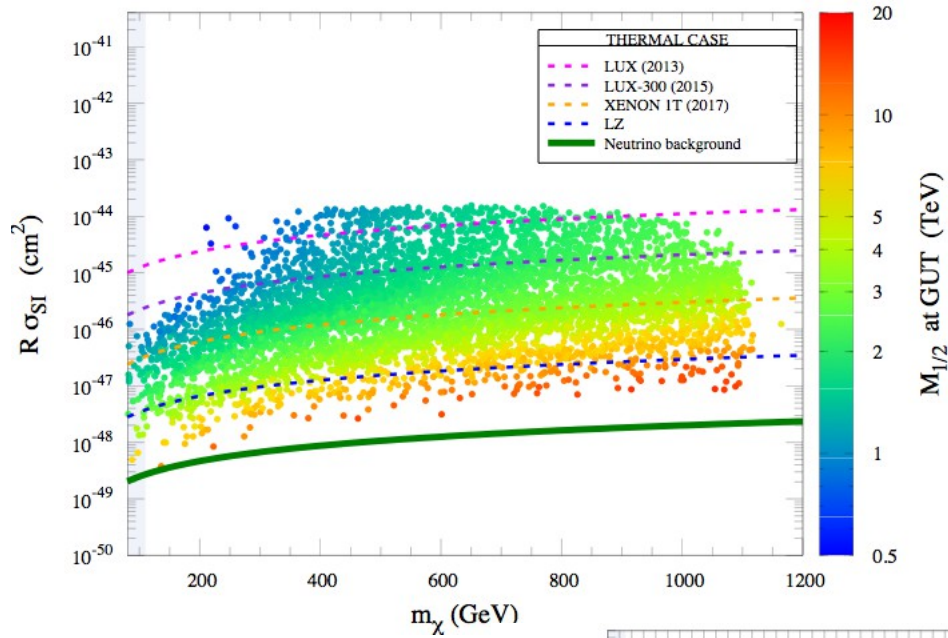
Neutralino Higgsino like around 300 GeV saturates Planck for  $T = 2$  GeV

- Monojet + soft leptons + ME
- Monojet signal
- Vector Boson Fusion jets + large ME

# Analysis of results

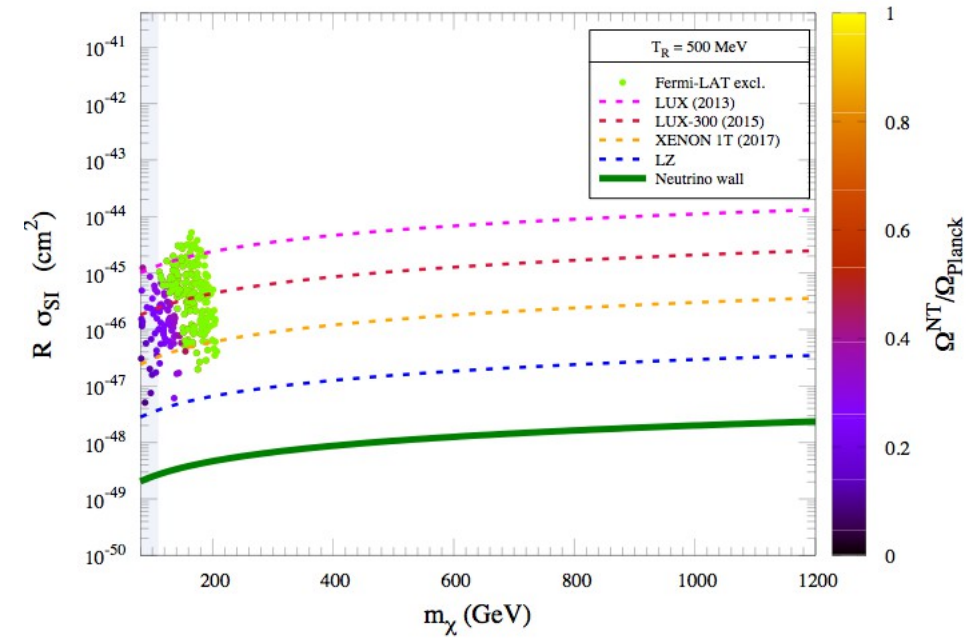
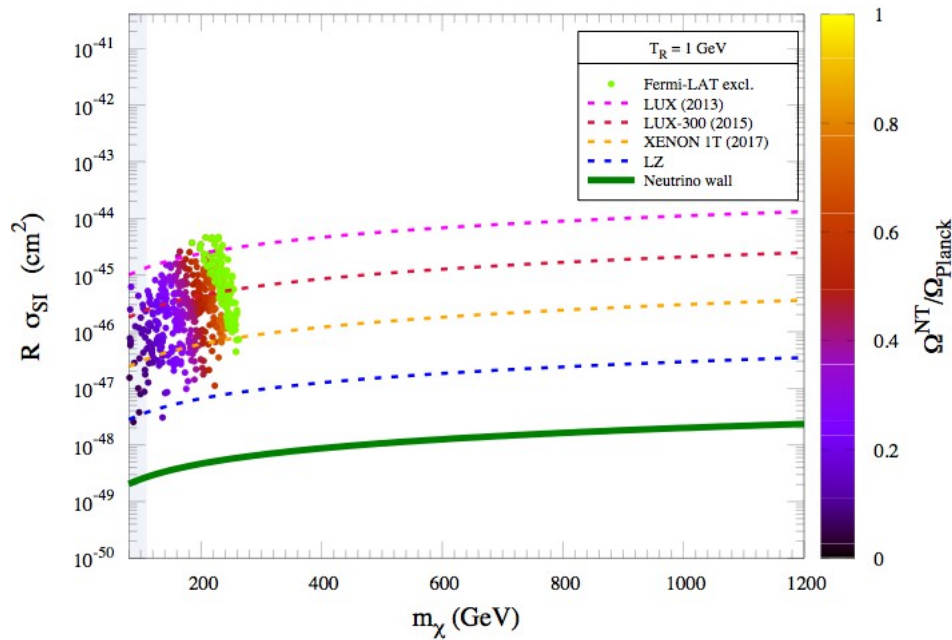
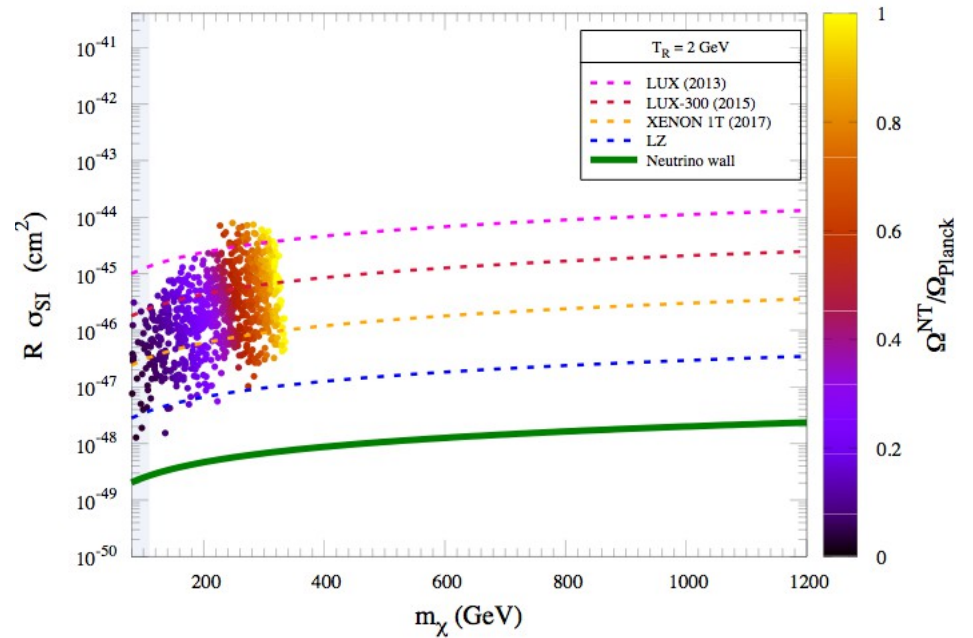
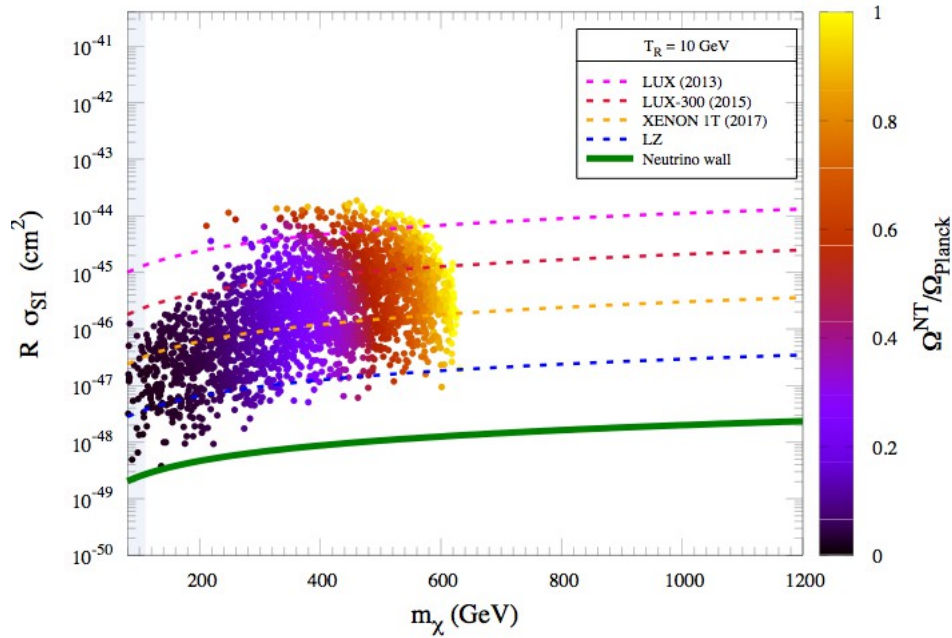


# MSSM results (preliminary)

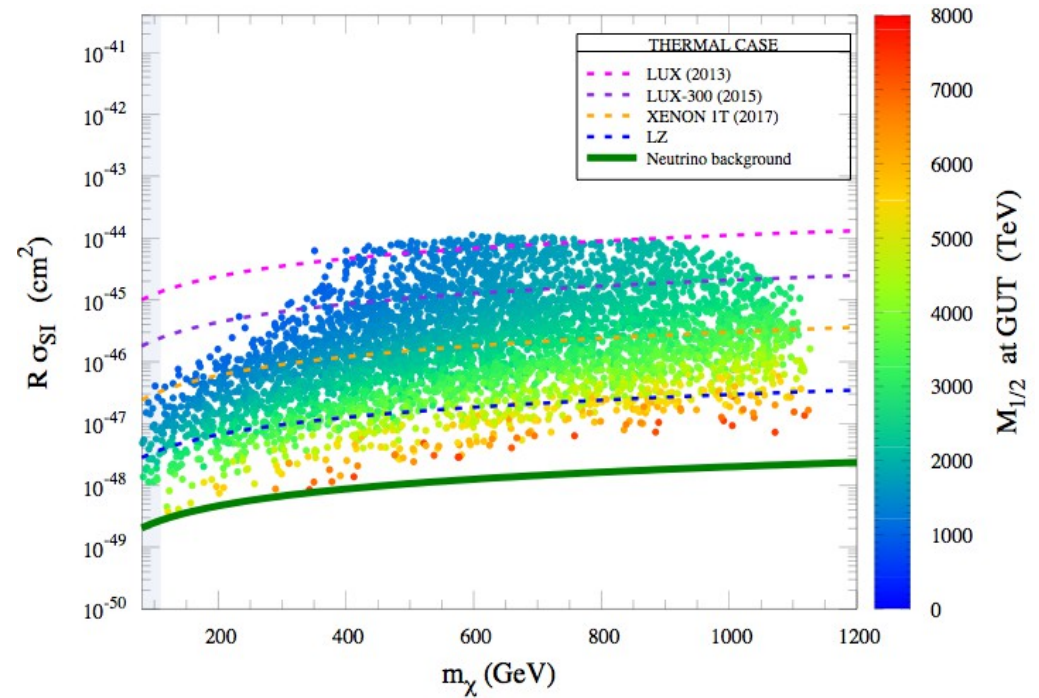
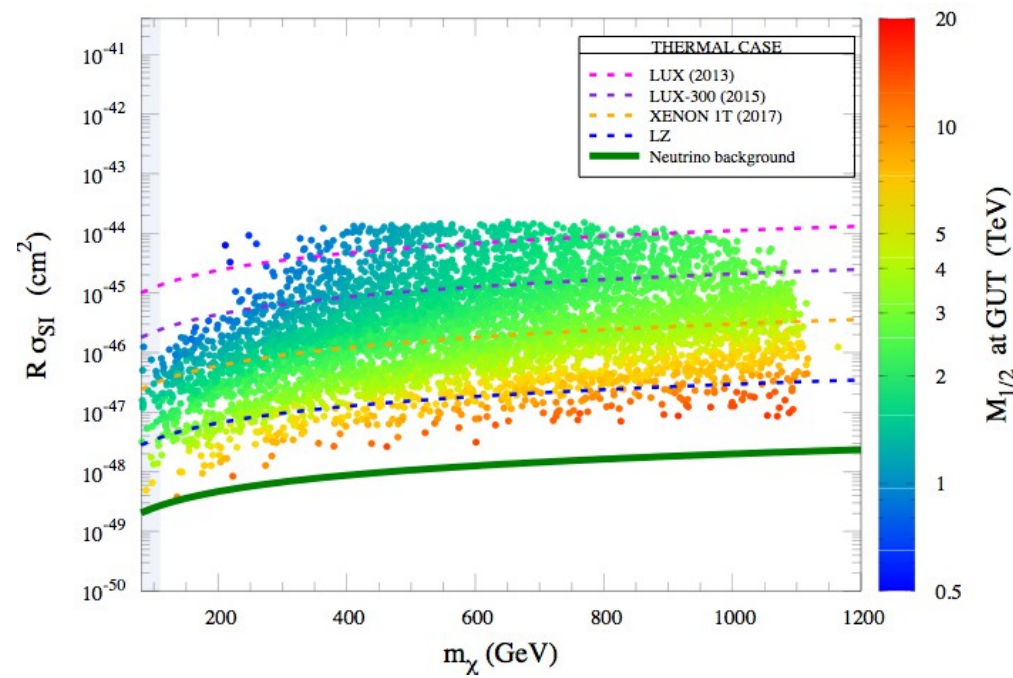




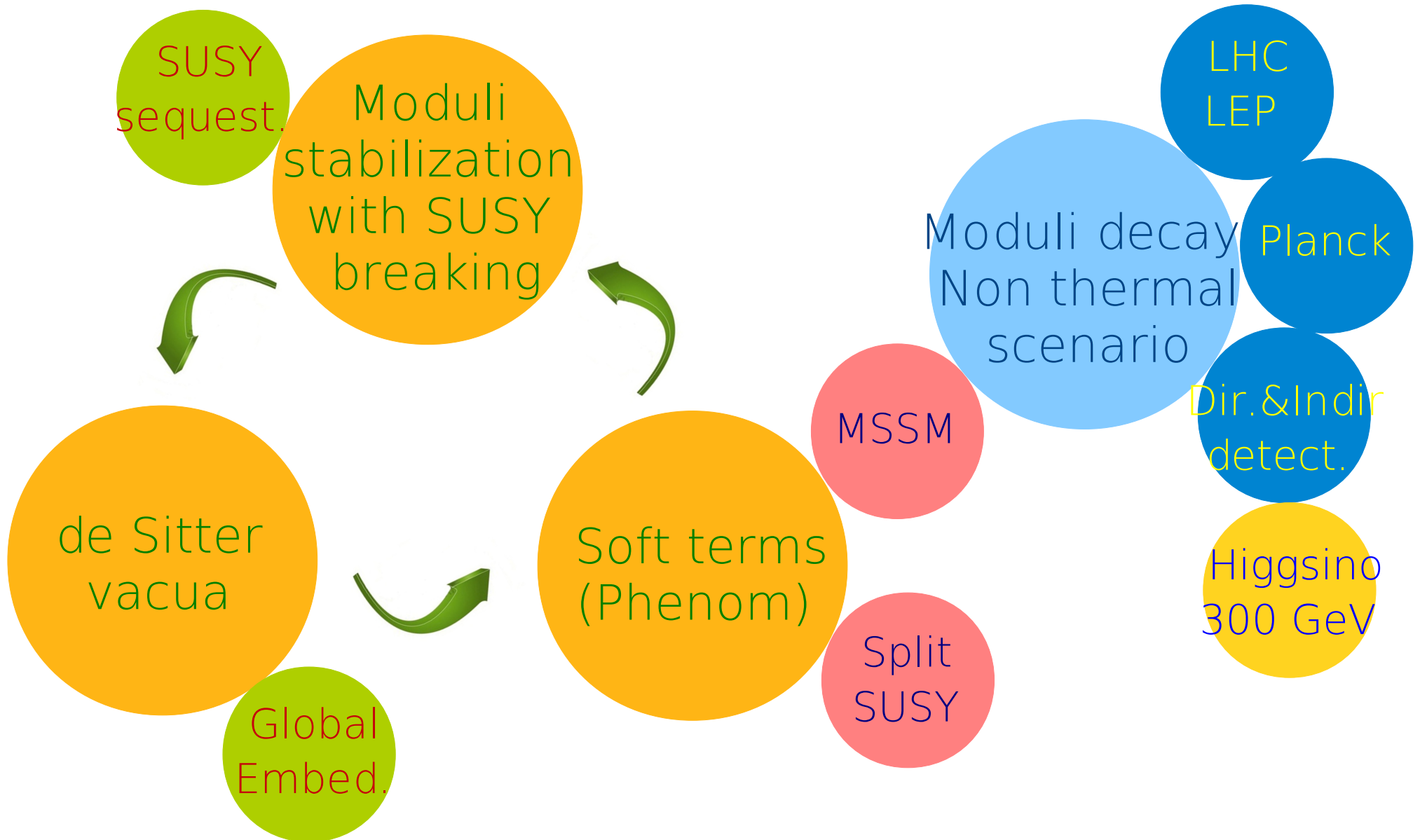
# MSSM results (preliminary)



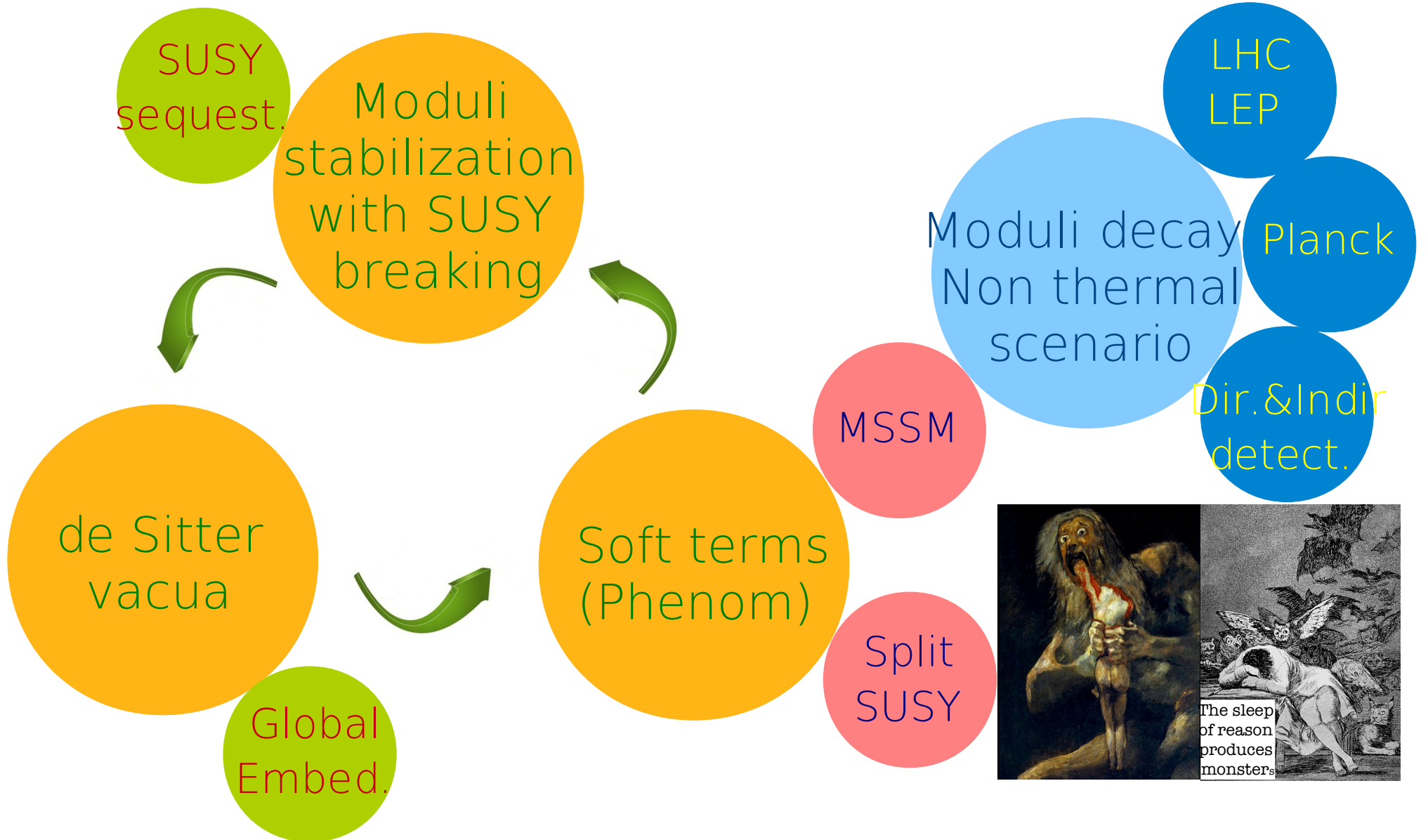
# MSSM results (preliminary)



# Conclusions



# Conclusions



**Backup slides**

# F-terms and soft terms

Matter metric

$$\tilde{K}_\alpha = \frac{f_\alpha(U, S)}{\mathcal{V}^{2/3}} \left( 1 - c_s \frac{\hat{\xi}}{\mathcal{V}} + \tilde{K}_{dS} + c_{SM} \tau_{SM}^p + c_b b^p \right),$$

Local

$$\hat{Y}_{\alpha\beta\gamma} = e^{K/2} \frac{Y_{\alpha\beta\gamma}(U, S)}{\sqrt{\tilde{K}_\alpha \tilde{K}_\beta \tilde{K}_\gamma}}$$



$$\tilde{K}_\alpha = h_\alpha(S, U) e^{K/3} \simeq \frac{h_\alpha(U, S) e^{K_{cs}/3}}{(2s)^{1/3} \mathcal{V}^{2/3}} \left( 1 - \frac{\hat{\xi}}{3\mathcal{V}} + \frac{1}{3} K_{dS} \right)$$

Ultralocal

# F-terms and soft terms

## Matter metric

$$\tilde{K}_\alpha = \frac{f_\alpha(U, S)}{\mathcal{V}^{2/3}} \left( 1 - c_s \frac{\hat{\xi}}{\mathcal{V}} + \tilde{K}_{dS} + c_{SM} \tau_{SM}^p + c_b b^p \right),$$

Local

$$\hat{Y}_{\alpha\beta\gamma} = e^{K/2} \frac{Y_{\alpha\beta\gamma}(U, S)}{\sqrt{\tilde{K}_\alpha \tilde{K}_\beta \tilde{K}_\gamma}}$$



$$\tilde{K}_\alpha = h_\alpha(S, U) e^{K/3} \simeq \frac{h_\alpha(U, S) e^{K_{cs}/3}}{(2s)^{1/3} \mathcal{V}^{2/3}} \left( 1 - \frac{\hat{\xi}}{3\mathcal{V}} + \frac{1}{3} K_{dS} \right)$$

Ultralocal

## Gaugino masses

$$M_{1/2} = \frac{F^S}{2s} \simeq \frac{3\omega'_S(U, S)\hat{\xi}}{4} \frac{m_{3/2}}{\mathcal{V}} \sim \mathcal{O}(m_{3/2}\epsilon) \ll m_{3/2}$$

$$\epsilon \equiv \frac{m_{3/2}}{M_P} \ll 1$$

# Non-thermal dark matter

Non thermal dark matter relic density

$$\left(\frac{n_\chi}{s}\right)^{\text{NT}} = \min \left[ \left(\frac{n_\chi}{s}\right)_{\text{obs}} \frac{\langle\sigma_{\text{ann}}v\rangle_f^{\text{Th}}}{\langle\sigma_{\text{ann}}v\rangle_f} \sqrt{\frac{g_*(T_f)}{g_*(T_R)}} \left(\frac{T_f}{T_R}\right), Y_{\text{mod}} \text{Br}_\chi \right]$$

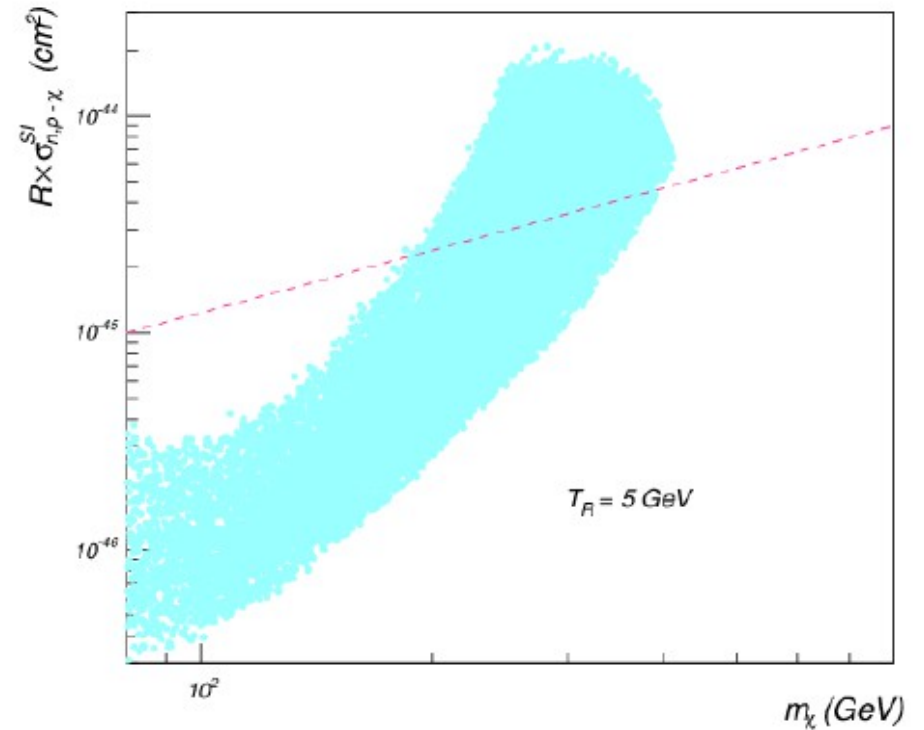
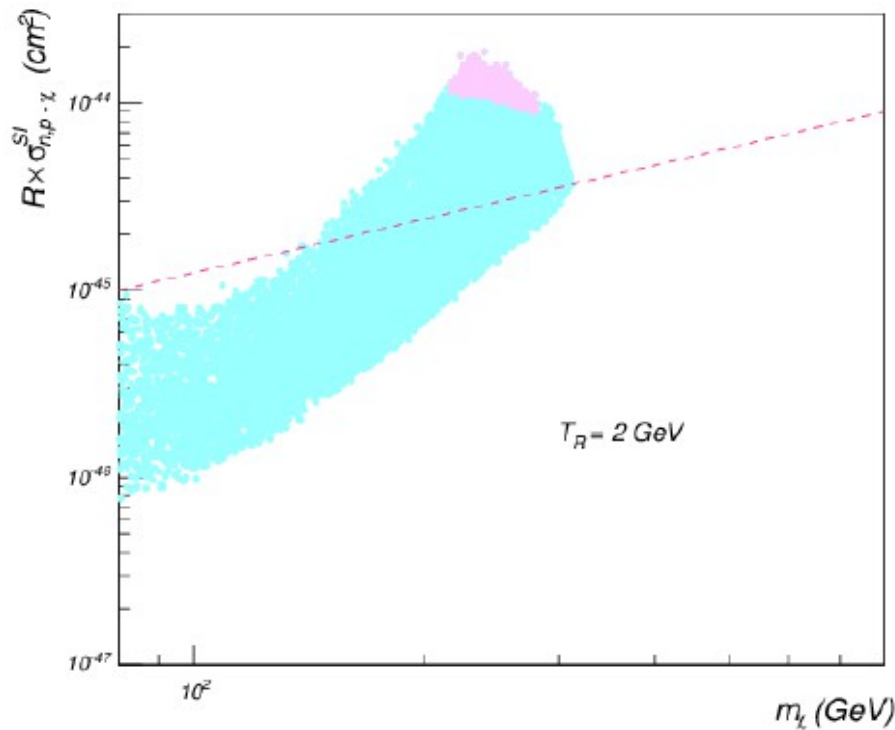
$$\langle\sigma_{\text{ann}}v\rangle_f^{\text{Th}} \simeq 2 \times 10^{-26} \text{cm}^3 \text{s}^{-1}$$

$$\left(\frac{n_\chi}{s}\right)_{\text{obs}} = (\Omega_\chi h^2)_{\text{obs}} \left(\frac{\rho_{\text{crit}}}{m_\chi s h^2}\right) \simeq 0.12 \left(\frac{\rho_{\text{crit}}}{m_\chi s h^2}\right)$$

$$Y_{\text{mod}} \equiv \frac{3T_R}{4m_{\text{mod}}} \sim \sqrt{\frac{m_{\text{mod}}}{M_P}}$$

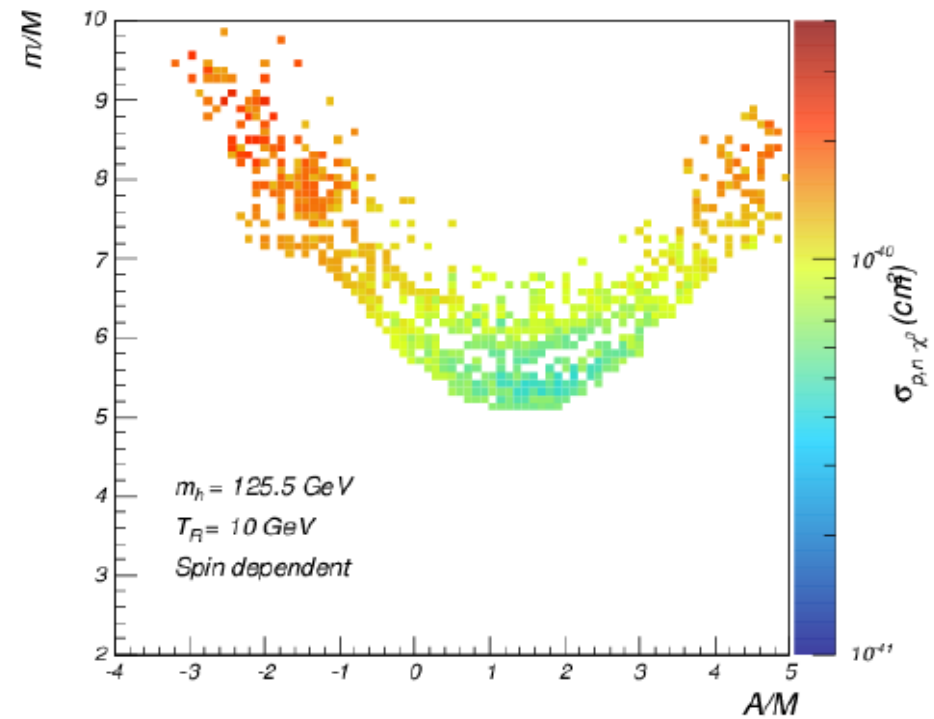
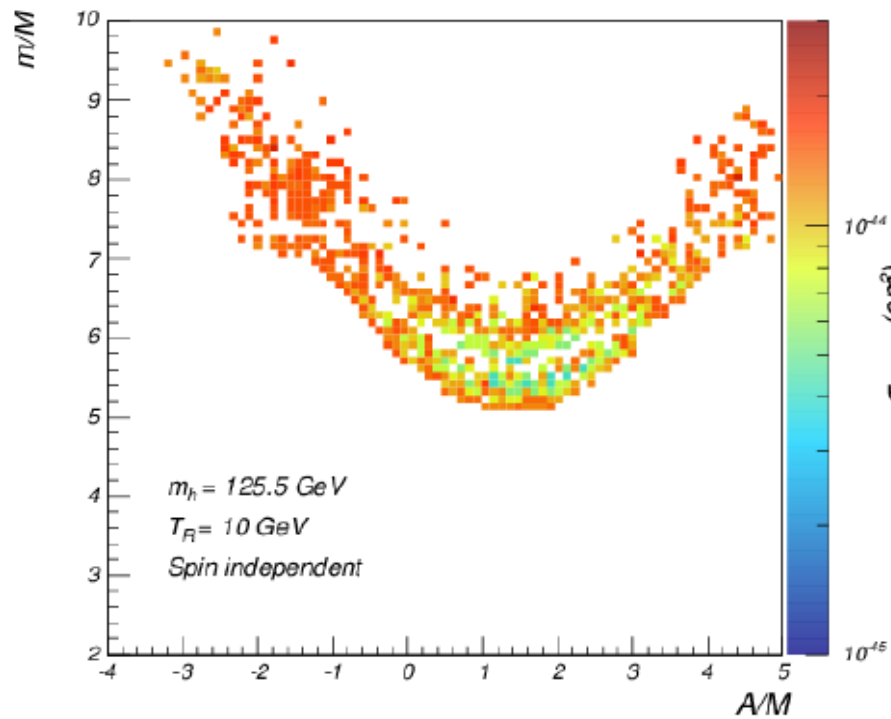


# Astrophysical uncertainties



$$R = \frac{\Omega^{NT} h^2}{0.12} \simeq \frac{T_f}{T_R} \frac{\Omega^{Th} h^2}{0.12}$$

# Spin independent / dependent



# SUSY scale and Higgs mass

