

Some aspects of
some of

(candidates)

SUSY DM

(after Higgs discovery)

Koichi Hamaguchi (University of Tokyo)

@MIAPP Dark MALT workshop, February 19, 2015

Some aspects of
some of

(candidates)

SUSY DM

(after Higgs discovery)

Koichi Hamaguchi (University of Tokyo)

@MIAPP Dark MALT workshop, February 19, 2015

partially based on.....

KH, K.Mukaida (Wino DM from Q-ball), in preparation

KH, K.Ishikawa (light Bino-like DM), in preparation

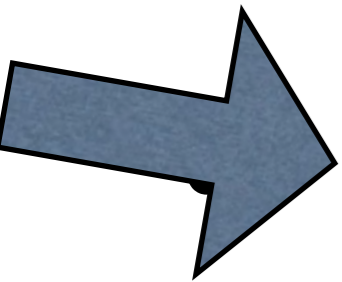
M.Endo, KH, S.Iwamoto, T.Yoshinaga (DM + $g-2$), in preparation

KH, M.Ibe, T.T.Yanagida, N.Yokozaki ((gravitino DM in) GMSB), 1403.1398

Plan

- 126 GeV Higgs and SUSY
- **Wino** DM (in heavy sfermion scenario)
- **gravitino** DM (in GMSB)
- **light Bino-like** DM (h/Z-resonant Bino)
- **g-2** and DM

Plan

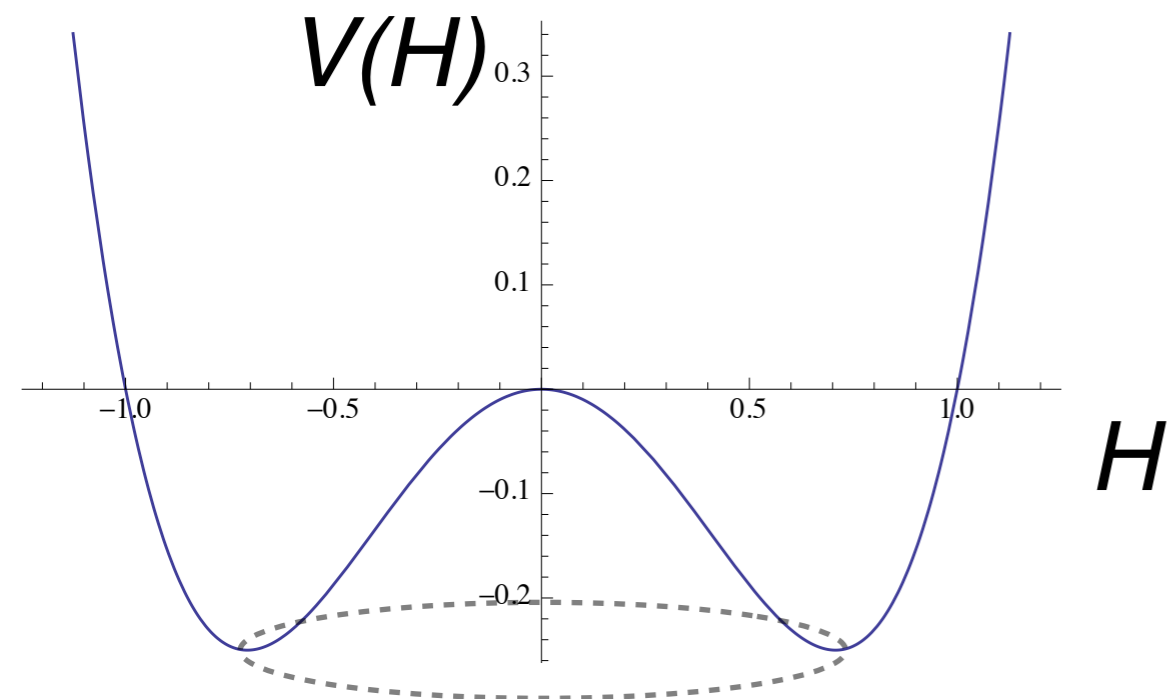


126 GeV Higgs and SUSY

- **Wino** DM (in heavy sfermion scenario)
- **gravitino** DM (in GMSB)
- **light Bino-like** DM (h/Z-resonant Bino)
- **g-2** and DM

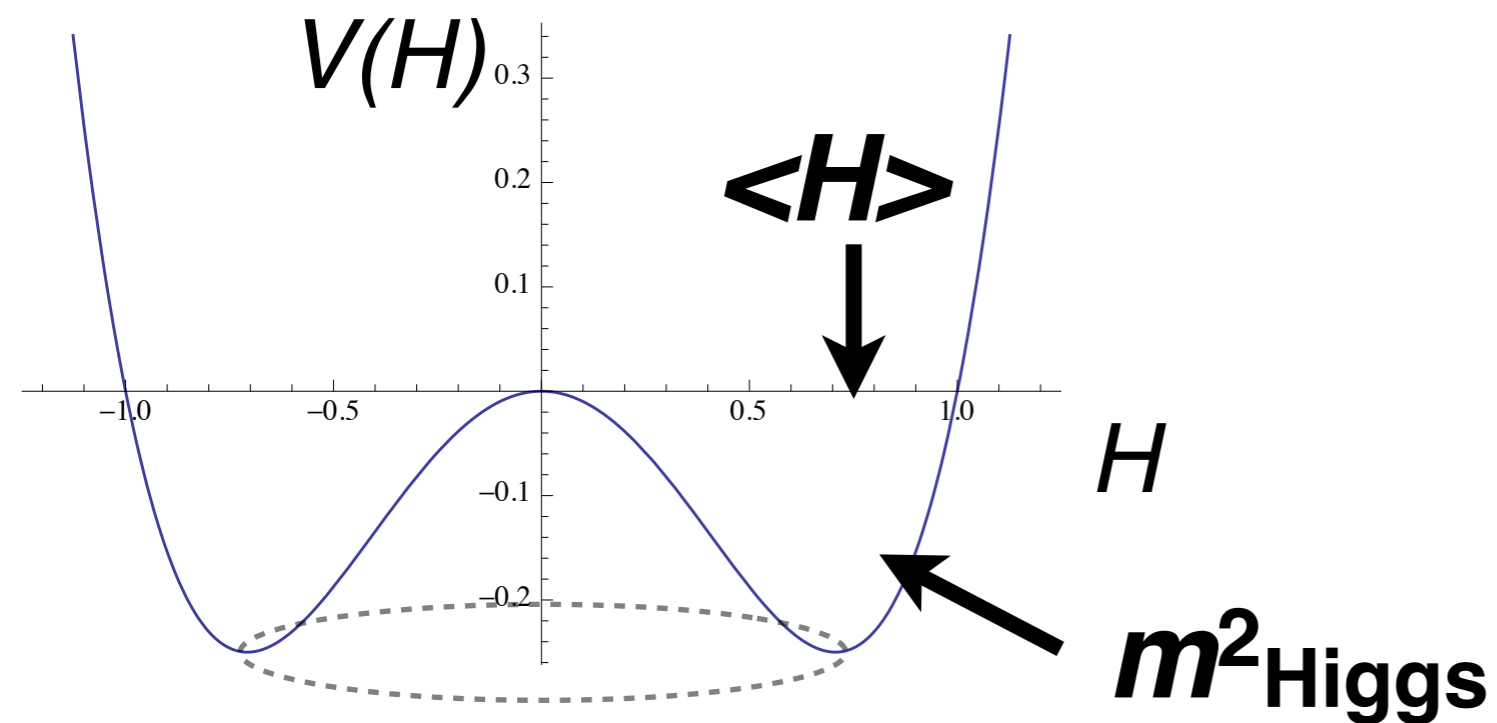
126 GeV Higgs

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$



126 GeV Higgs

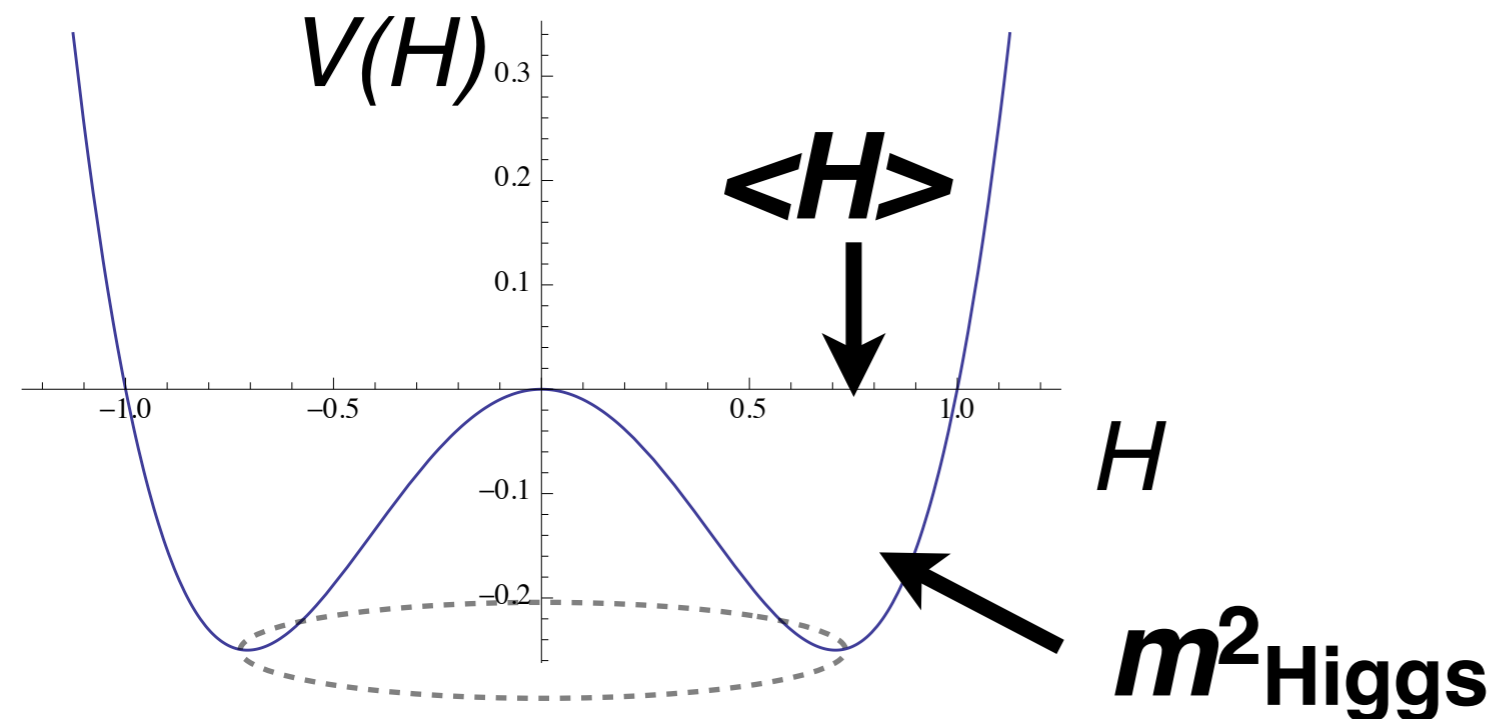
$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$



126 GeV Higgs

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

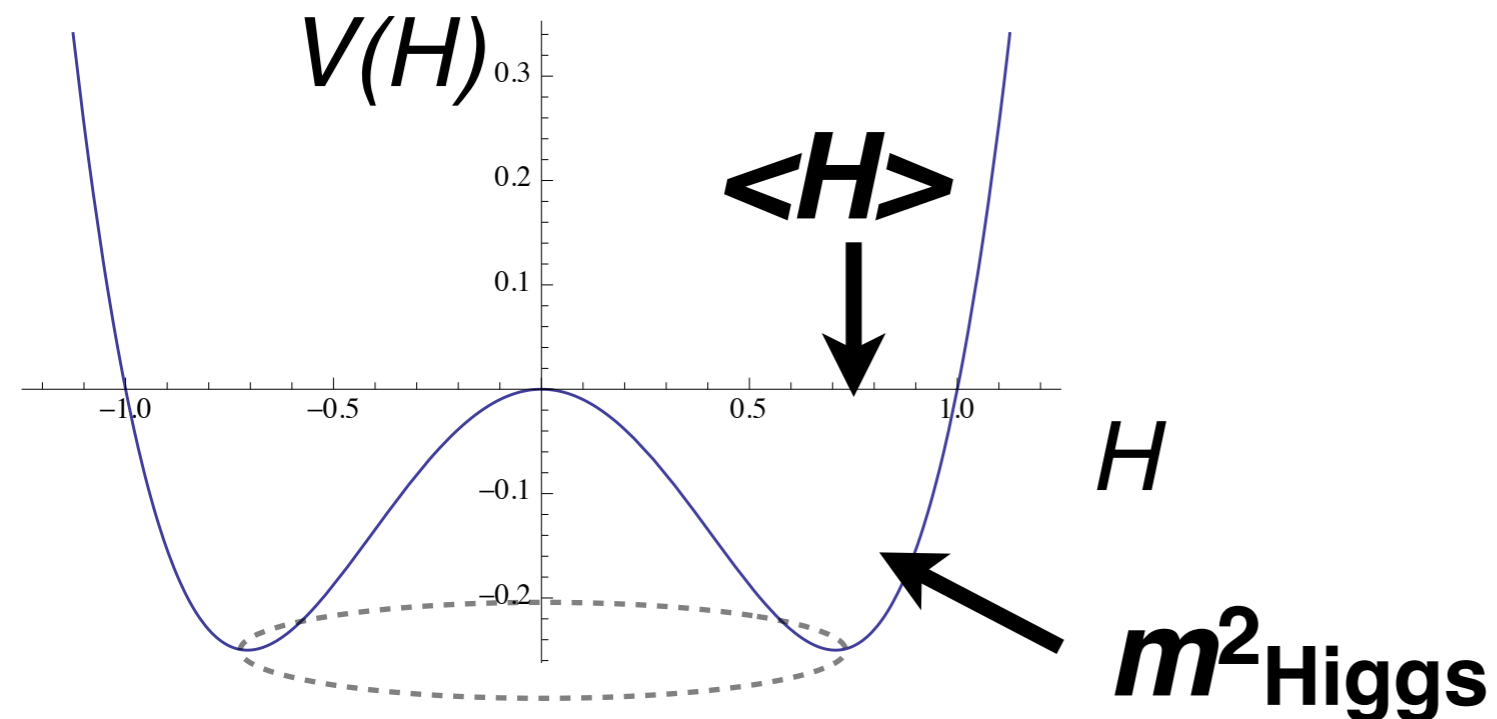
$$\rightarrow \begin{cases} \langle H \rangle^2 = \frac{m^2}{2 \lambda_H} \\ m_{\text{Higgs}}^2 = 2 m^2 \end{cases}$$



126 GeV Higgs

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

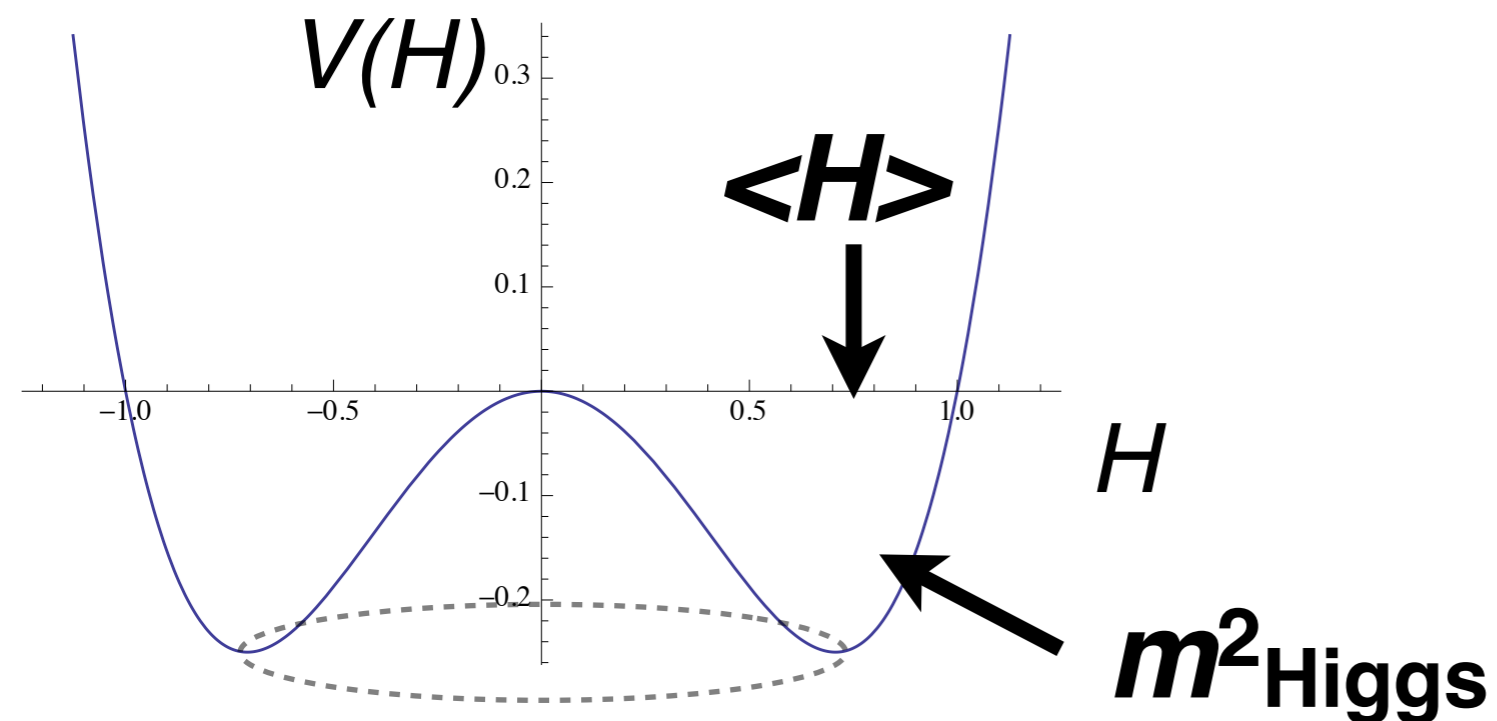
$$\rightarrow \begin{cases} \langle H \rangle^2 = \frac{m^2}{2 \lambda_H} & \text{We knew...} \\ = \frac{1}{2\sqrt{2} G_F} \simeq (174 \text{ GeV})^2 & \text{Fermi constant} \\ m_{\text{Higgs}}^2 = 2 m^2 & G_F \simeq 1.17 \times 10^{-5} \text{ GeV}^{-2} \end{cases}$$



126 GeV Higgs

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

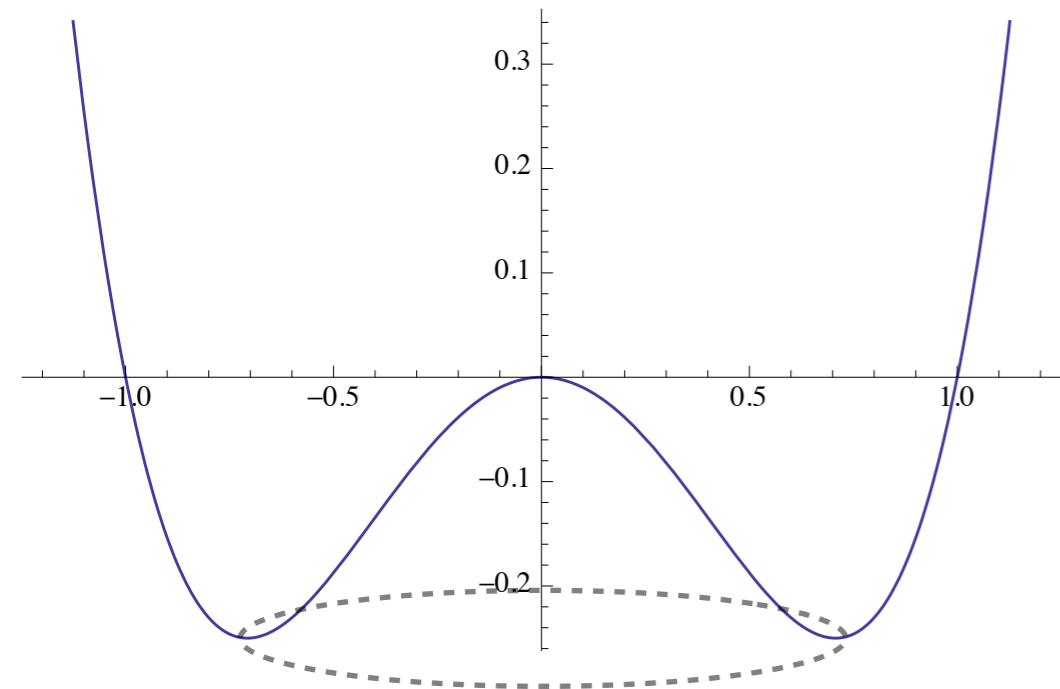
$$\rightarrow \begin{cases} \langle H \rangle^2 = \frac{m^2}{2 \lambda_H} & \text{We knew...} \\ = \frac{1}{2\sqrt{2} G_F} \simeq (174 \text{ GeV})^2 \\ m_{\text{Higgs}}^2 = 2 m^2 & \text{Now we also know} \\ \simeq (126 \text{ GeV})^2 \end{cases}$$



126 GeV Higgs

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

$$\rightarrow \begin{cases} \langle H \rangle^2 = \frac{m^2}{2 \lambda_H} & \text{We knew...} \\ & = \frac{1}{2\sqrt{2} G_F} \simeq (174 \text{ GeV})^2 \\ m_{\text{Higgs}}^2 = 2 m^2 & \text{Now we also know} \\ & \simeq (\mathbf{126 \text{ GeV}})^2 \end{cases}$$



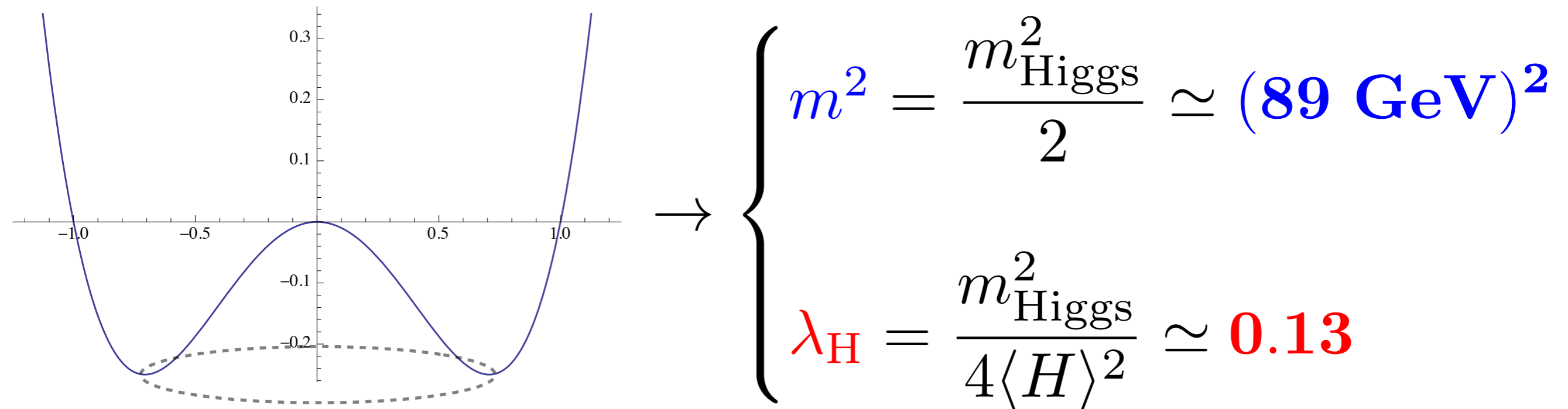
$$\rightarrow \begin{cases} m^2 = \frac{m_{\text{Higgs}}^2}{2} \simeq (\mathbf{89 \text{ GeV}})^2 \\ \lambda_H = \frac{m_{\text{Higgs}}^2}{4 \langle H \rangle^2} \simeq \mathbf{0.13} \end{cases}$$

126 GeV Higgs

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

(89 GeV)²
0.13

completely determined !

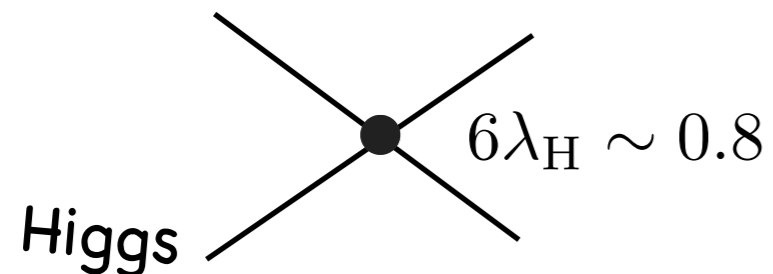


126 GeV Higgs

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

(89 GeV)²
0.13

It seems... Higgs sector is also described by **weakly coupled, perturbative** QFT. (at least no sign of strong interaction etc, so far...)

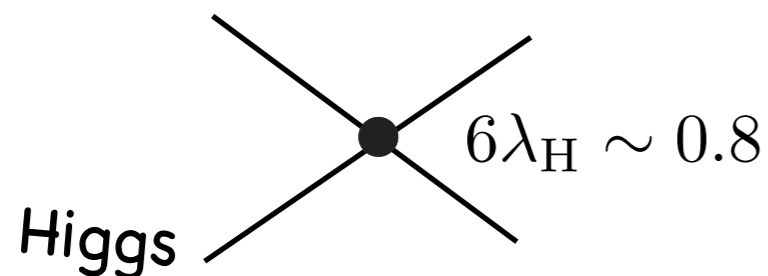


126 GeV Higgs

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

(89 GeV)²
0.13

It seems... Higgs sector is also described by **weakly coupled, perturbative QFT**. (at least no sign of strong interaction etc, so far...)

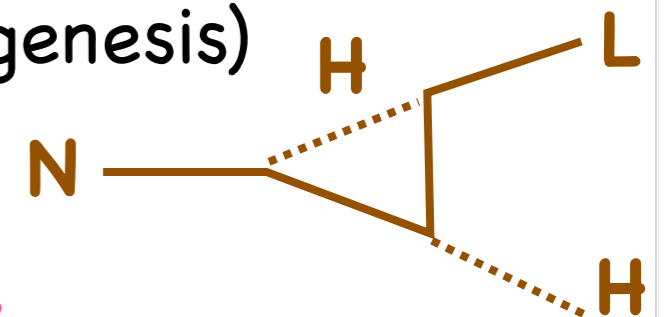


Implications for BSM (in my opinion...)

This is compatible with....

▶ **GUT and coupling unification** in perturbative QFT.

▶ **heavy right-handed neutrinos** (Seesaw + Leptogenesis)



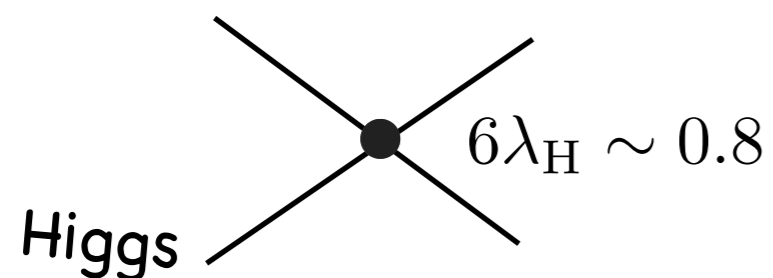
▶ **Supersymmetry**

126 GeV Higgs

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

(89 GeV)²
0.13

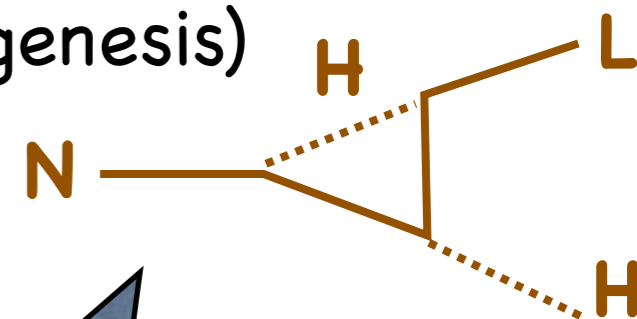
It seems... Higgs sector is also described by **weakly coupled, perturbative QFT**. (at least no sign of strong interaction etc, so far...)



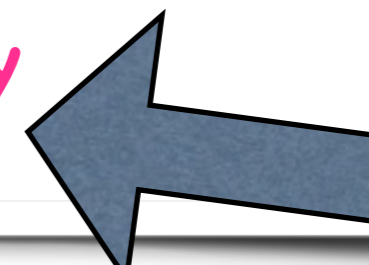
Implications for BSM (in my opinion...)

This is compatible with....

- ▶ **GUT and coupling unification** in perturbative QFT.
- ▶ **heavy right-handed neutrinos** (Seesaw + Leptogenesis)

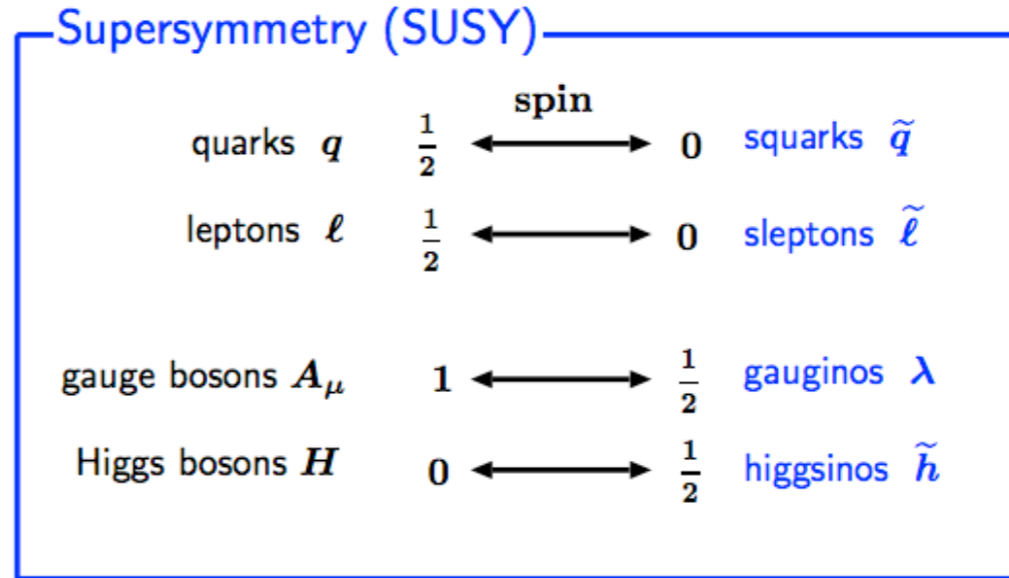


- ▶ **Supersymmetry**



Supersymmetry

boson \Leftrightarrow fermion



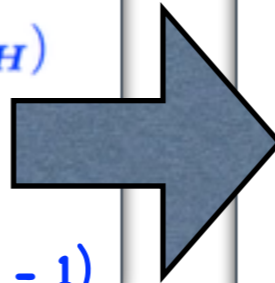
naturalness

fine-tuning problem

$$m_H^2 = m_{H,0}^2 + \Lambda^2 \quad (\Lambda \gg m_H)$$



(fine tuning like 1.000000000000000001 - 1)



\rightarrow solved by the **supersymmetry** !

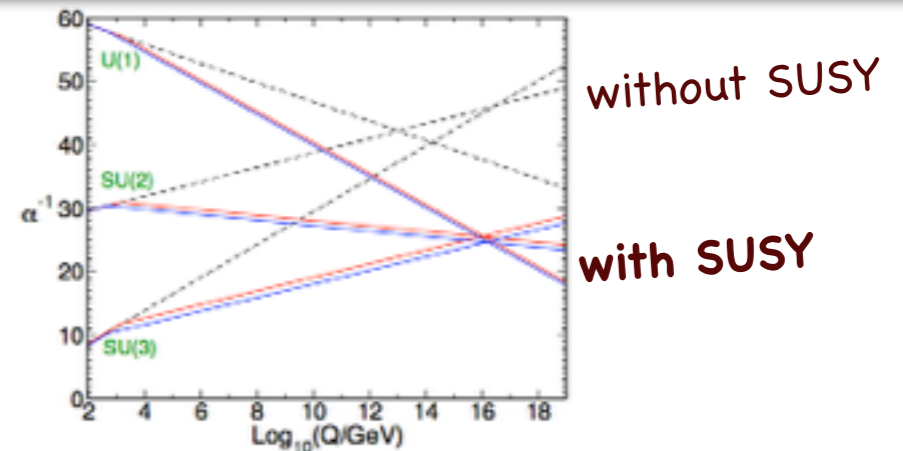
$$m_H^2 = m_{H,0}^2 + (\Lambda^2 - \Lambda^2)$$



fermion boson

coupling unification

Grand Unified Theory



Dark Matter = Lightest SUSY particle (with R-parity)

OK, then,....

What's the implications of
126 GeV Higgs for **SUSY** ??

126 GeV Higgs and SUSY

126 GeV Higgs and SUSY

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

$(89 \text{ GeV})^2$ 0.13

in SUSY...

126 GeV Higgs and SUSY

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

$(89 \text{ GeV})^2$ **0.13**

in SUSY...

$$= \lambda_H^{\text{tree}} + \delta\lambda_H^{\text{loop}}$$

$$\frac{g^2 \cos^2 2\beta}{8 \cos^2 \theta_W} \simeq \mathbf{0.069} \cos^2 2\beta$$

too small...

parameters
in Standard Model
(known)

126 GeV Higgs and SUSY

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

$(89 \text{ GeV})^2$ 0.13

in SUSY...

$$= \lambda_H^{\text{tree}} + \delta\lambda_H^{\text{loop}}$$

$$\frac{g^2 \cos^2 2\beta}{8 \cos^2 \theta_W} \simeq 0.069 \cos^2 2\beta$$

$$\frac{3y_t^4}{16\pi^2} \left(\log \left(\frac{m_{\text{stop}}^2}{m_t^2} \right) + \alpha^2 - \frac{\alpha^4}{12} \right) + \dots$$

for large $\tan \beta$. ($\alpha \simeq A_t/m_{\text{stop}}$)

...requires **heavy stop**
and/or **large A-term**

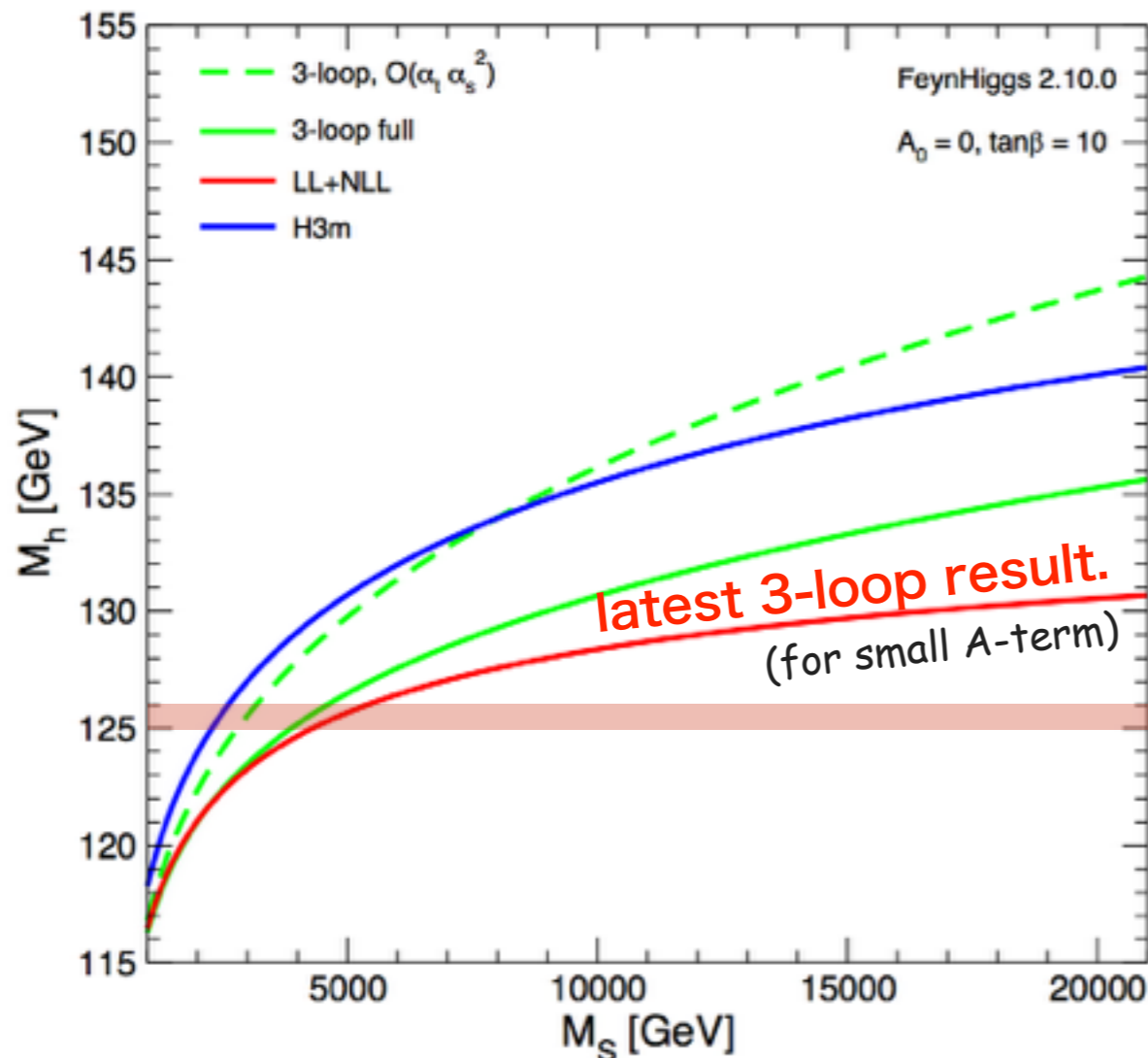
126 GeV Higgs and SUSY

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

(89 GeV)²
0.13

in SUSY...

$$= \lambda_H^{\text{tree}} + \delta\lambda_H^{\text{loop}}$$



$$\frac{g^2 \cos^2 2\beta}{8 \cos^2 \theta_W} \simeq \mathbf{0.069} \cos^2 2\beta$$

$$\frac{3y_t^4}{16\pi^2} \left(\log \left(\frac{m_{\text{stop}}^2}{m_t^2} \right) + \alpha^2 - \frac{\alpha^4}{12} \right) + \dots$$

for large $\tan \beta$. ($\alpha \simeq A_t/m_{\text{stop}}$)

...requires **heavy stop**
and/or **large A-term**

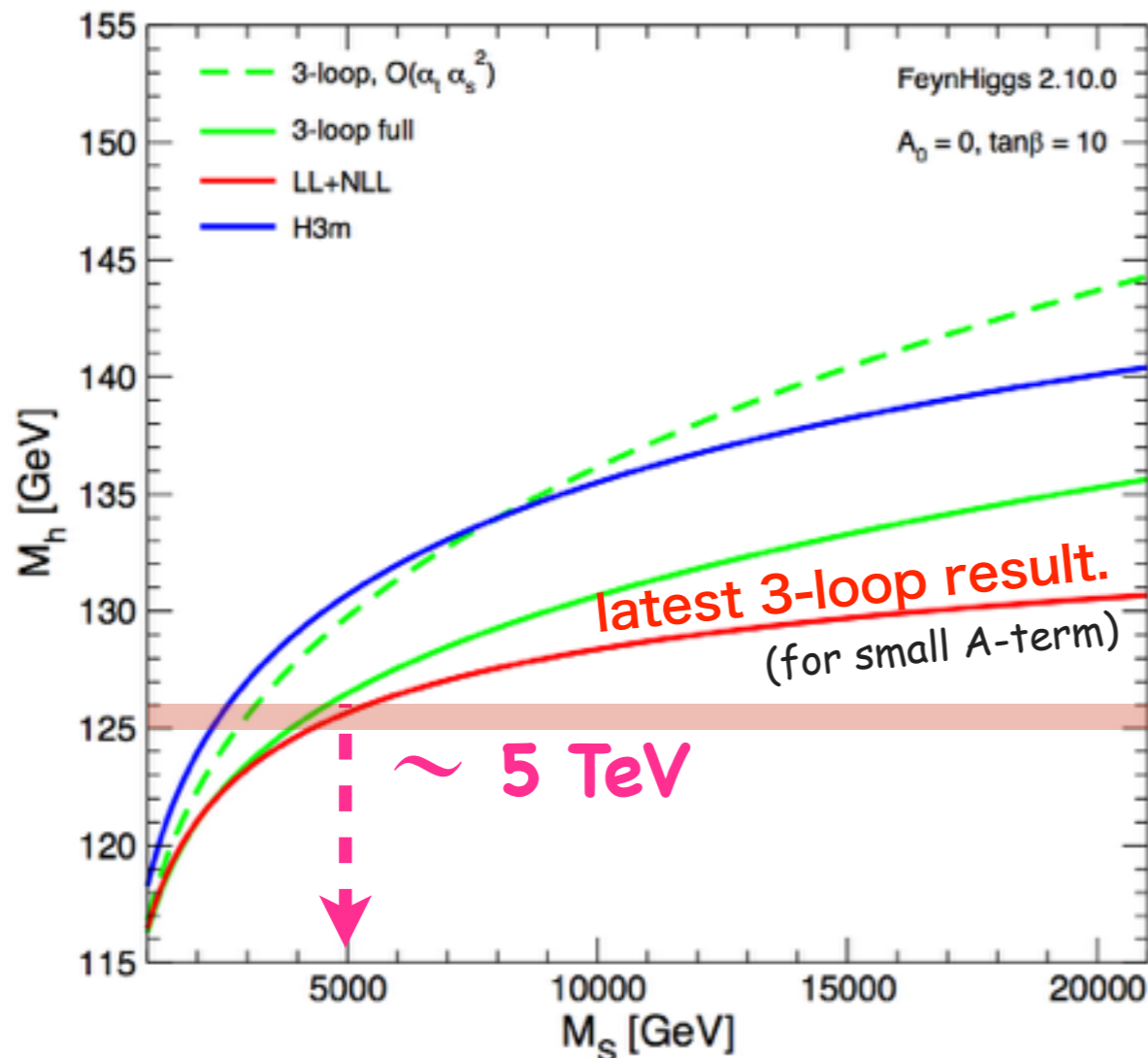
126 GeV Higgs and SUSY

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

(89 GeV)²
0.13

in SUSY...

$$= \lambda_H^{\text{tree}} + \delta\lambda_H^{\text{loop}}$$



$$\frac{g^2 \cos^2 2\beta}{8 \cos^2 \theta_W} \simeq \mathbf{0.069} \cos^2 2\beta$$

$$\frac{3y_t^4}{16\pi^2} \left(\log \left(\frac{m_{\text{stop}}^2}{m_t^2} \right) + \alpha^2 - \frac{\alpha^4}{12} \right) + \dots$$

for large $\tan \beta$. ($\alpha \simeq A_t/m_{\text{stop}}$)

...requires **heavy stop**
and/or **large A-term**

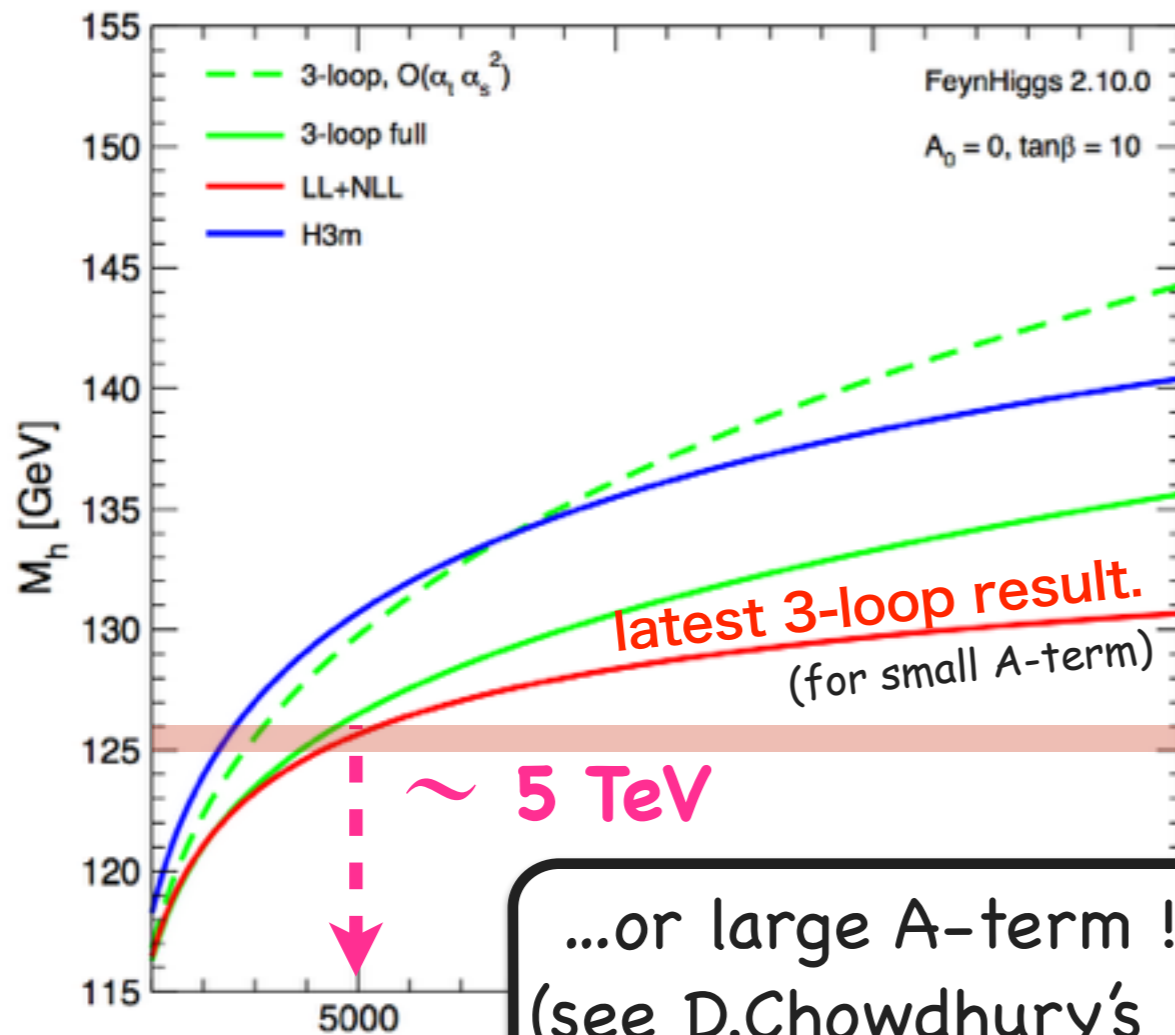
126 GeV Higgs and SUSY

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

(89 GeV)²
0.13

in SUSY...

$$= \lambda_H^{\text{tree}} + \delta\lambda_H^{\text{loop}}$$



$$\frac{g^2 \cos^2 2\beta}{8 \cos^2 \theta_W} \simeq \mathbf{0.069} \cos^2 2\beta$$

$$\frac{3y_t^4}{16\pi^2} \left(\log \left(\frac{m_{\text{stop}}^2}{m_t^2} \right) + \alpha^2 - \frac{\alpha^4}{12} \right) + \dots$$

for large $\tan \beta$. ($\alpha \simeq A_t/m_{\text{stop}}$)

...or large A-term!
(see D.Chowdhury's talk last week!)

...requires **heavy stop**
and/or **large A-term**

126 GeV Higgs and SUSY

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

(89 GeV)²
0.13

on the other hand

$$= \lambda_H^{\text{tree}} + \delta\lambda_H^{\text{loop}}$$

$$\frac{g^2 \cos^2 2\beta}{8 \cos^2 \theta_W} \simeq \mathbf{0.069} \cos^2 2\beta$$

$$\frac{3y_t^4}{16\pi^2} \left(\log \left(\frac{m_{\text{stop}}^2}{m_t^2} \right) + \alpha^2 - \frac{\alpha^4}{12} \right) + \dots$$

for large $\tan \beta$. ($\alpha \simeq A_t/m_{\text{stop}}$)

...requires **heavy stop**
and/or **large A-term**

126 GeV Higgs and SUSY

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

(89 GeV)²
0.13

$$= \lambda_H^{\text{tree}} + \delta\lambda_H^{\text{loop}}$$

on the other hand

$$-m^2 \simeq |\mu|^2 + m_{H_u}^{2(\text{tree})} + \delta m_{H_u}^{2(\text{loop})}$$

up to $\mathcal{O}\left(\frac{1}{\tan^2 \beta}\right)$

Higgsino mass

soft mass for up-type Higgs

$$\frac{g^2 \cos^2 2\beta}{8 \cos^2 \theta_W} \simeq \mathbf{0.069} \cos^2 2\beta$$

$$\frac{3y_t^4}{16\pi^2} \left(\log \left(\frac{m_{\text{stop}}^2}{m_t^2} \right) + \alpha^2 - \frac{\alpha^4}{12} \right) + \dots$$

for large $\tan \beta$. ($\alpha \simeq A_t/m_{\text{stop}}$)

...requires **heavy stop**
and/or **large A-term**

126 GeV Higgs and SUSY

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

(89 GeV)²
0.13

on the other hand

$$= \lambda_H^{\text{tree}} + \delta\lambda_H^{\text{loop}}$$

$$-m^2 \simeq |\mu|^2 + m_{H_u}^{2(\text{tree})} + \delta m_{H_u}^{2(\text{loop})}$$

up to $\mathcal{O}\left(\frac{1}{\tan^2 \beta}\right)$

$$\frac{g^2 \cos^2 2\beta}{8 \cos^2 \theta_W} \simeq 0.069 \cos^2 2\beta$$

large μ -----> fine-tuning.

e.g., $\simeq (1000 \text{ GeV})^2 - (1004 \text{ GeV})^2$
for $|\mu| \simeq 1 \text{ TeV}$

$$\frac{3y_t^4}{16\pi^2} \left(\log \left(\frac{m_{\text{stop}}^2}{m_t^2} \right) + \alpha^2 - \frac{\alpha^4}{12} \right) + \dots$$

for large $\tan \beta$. ($\alpha \simeq A_t/m_{\text{stop}}$)

requires **Light Higgsino**
to avoid a fine-tuning.

...requires **heavy stop**
and/or **large A-term**

126 GeV Higgs and SUSY

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

(89 GeV)²
0.13

on the other hand

$$= \lambda_H^{\text{tree}} + \delta\lambda_H^{\text{loop}}$$

$$-m^2 \simeq |\mu|^2 + m_{H_u}^{2(\text{tree})} + \delta m_{H_u}^{2(\text{loop})}$$

Moreover,

$$\delta m_{H_u}^{2(\text{loop})} \sim \frac{-3y_t^2}{8\pi^2} \left(m_{\tilde{t}_L}^2 + m_{\tilde{t}_R}^2 + |A_t|^2 \right) \log \left(\frac{M_{\text{mess}}}{m_{\tilde{t}}} \right) + \dots$$

requires **Light stop** and **small A-term** to avoid a fine-tuning.

$$\frac{g^2 \cos^2 2\beta}{8 \cos^2 \theta_W} \simeq \mathbf{0.069} \cos^2 2\beta$$

$$\frac{3y_t^4}{16\pi^2} \left(\log \left(\frac{m_{\text{stop}}^2}{m_t^2} \right) + \alpha^2 - \frac{\alpha^4}{12} \right) + \dots$$

for large $\tan \beta$. ($\alpha \simeq A_t/m_{\text{stop}}$)

...requires **heavy stop** and/or **large A-term**

126 GeV Higgs and SUSY

$$V(H) = -m^2 (H^\dagger H) + \lambda_H (H^\dagger H)^2$$

(89 GeV)²
0.13

$$= \lambda_H^{\text{tree}} + \delta\lambda_H^{\text{loop}}$$

on the other hand

$$-m^2 \simeq |\mu|^2 + m_{H_u}^{2(\text{tree})} + \delta m_{H_u}^{2(\text{loop})}$$

Moreover,

$$\delta m_{H_u}^{2(\text{loop})} \sim \frac{-3y_t^2}{8\pi^2} (m_{\tilde{t}_L}^2 + m_{\tilde{t}_R}^2 + |A_t|^2) \log\left(\frac{M_{\text{mess}}}{m_{\tilde{t}}}\right) + \dots$$

$$\frac{g^2 \cos^2 2\beta}{8 \cos^2 \theta_W} \simeq \mathbf{0.069} \cos^2 2\beta$$

$$\frac{3y_t^4}{8\pi^2} \left(\log\left(\frac{m_{\text{stop}}^2}{m_t^2}\right) + \alpha^2 - \frac{\alpha^4}{12} \right) + \dots$$

for large $\tan \beta$. ($\alpha \simeq A_t/m_{\text{stop}}$)

inconsistent !!

requires **Light stop and small A-term** to avoid a fine-tuning.

...requires **heavy stop and/or large A-term**

126 GeV Higgs and SUSY

Fine-tuning worse than 1% seems unavoidable in MSSM.

(MSSM = Minimal SUSY Standard Model)

126 GeV Higgs and SUSY

Fine-tuning worse than 1% seems unavoidable in MSSM.

(MSSM = Minimal SUSY Standard Model)

What does it imply ??

1. No SUSY ?

2. (It's anyway fine-tuned, then....)

Very heavy SUSY ? (10–100 TeV, or even higher...)

3. (still.....)

O(0.1–1) TeV SUSY ? (fine-tuned, but better than 1. and 2. ...)

126 GeV Higgs and SUSY

Fine-tuning worse than 1% seems unavoidable in MSSM.

(MSSM = Minimal SUSY Standard Model)

What does it imply ??

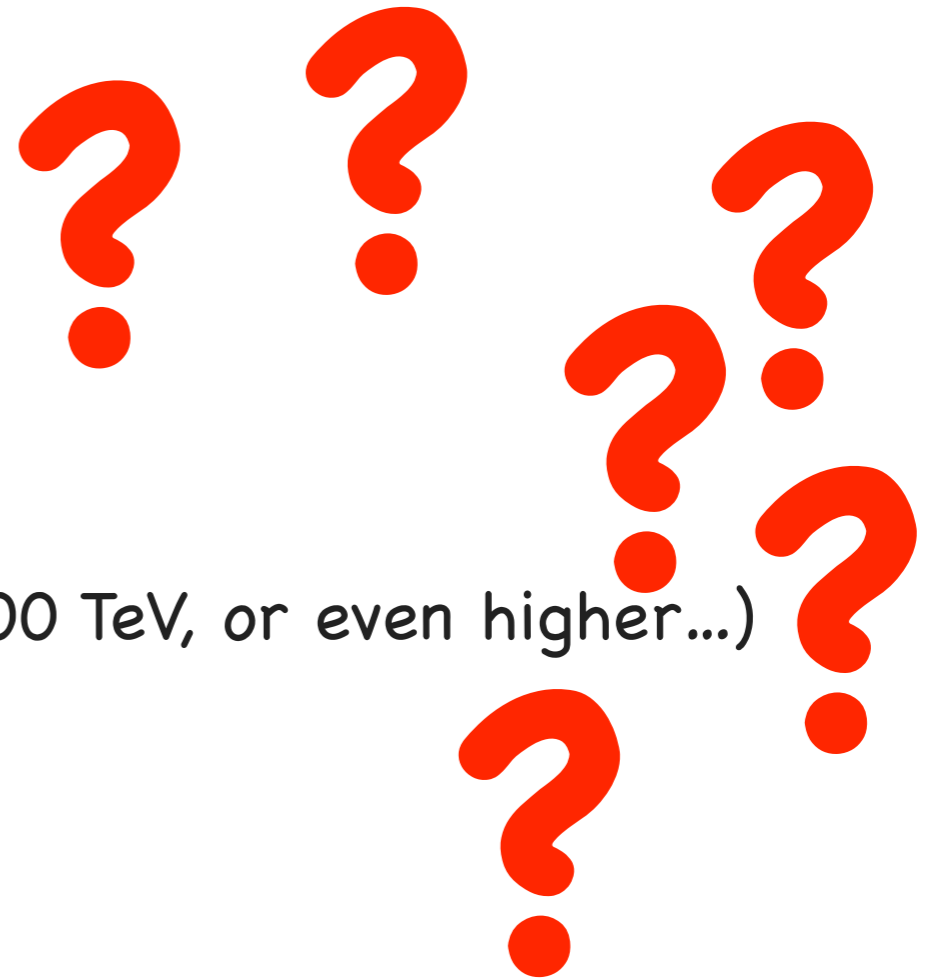
1. No SUSY ?

2. (It's anyway fine-tuned, then....)

Very heavy SUSY ? (10–100 TeV, or even higher...)

3. (still....)

$O(0.1-1)$ TeV SUSY ? (fine-tuned, but better than 1. and 2. ...)

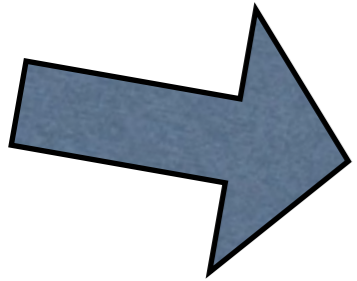


Plan

- 126 GeV Higgs and SUSY
- **Wino** DM (in heavy sfermion scenario)
- gravitino DM (in GMSB)
- light Bino DM (h/Z-resonant Bino)
- g-2 and DM

Plan

- 126 GeV Higgs and SUSY
- **Wino** DM (in heavy sfermion scenario)
- gravitino DM (in GMSB)
- light Bino DM (h/Z-resonant Bino)
- g-2 and DM



heavy sfermion scenario and Wino DM

1. No SUSY ?

2. (It's anyway fine-tuned, then...)

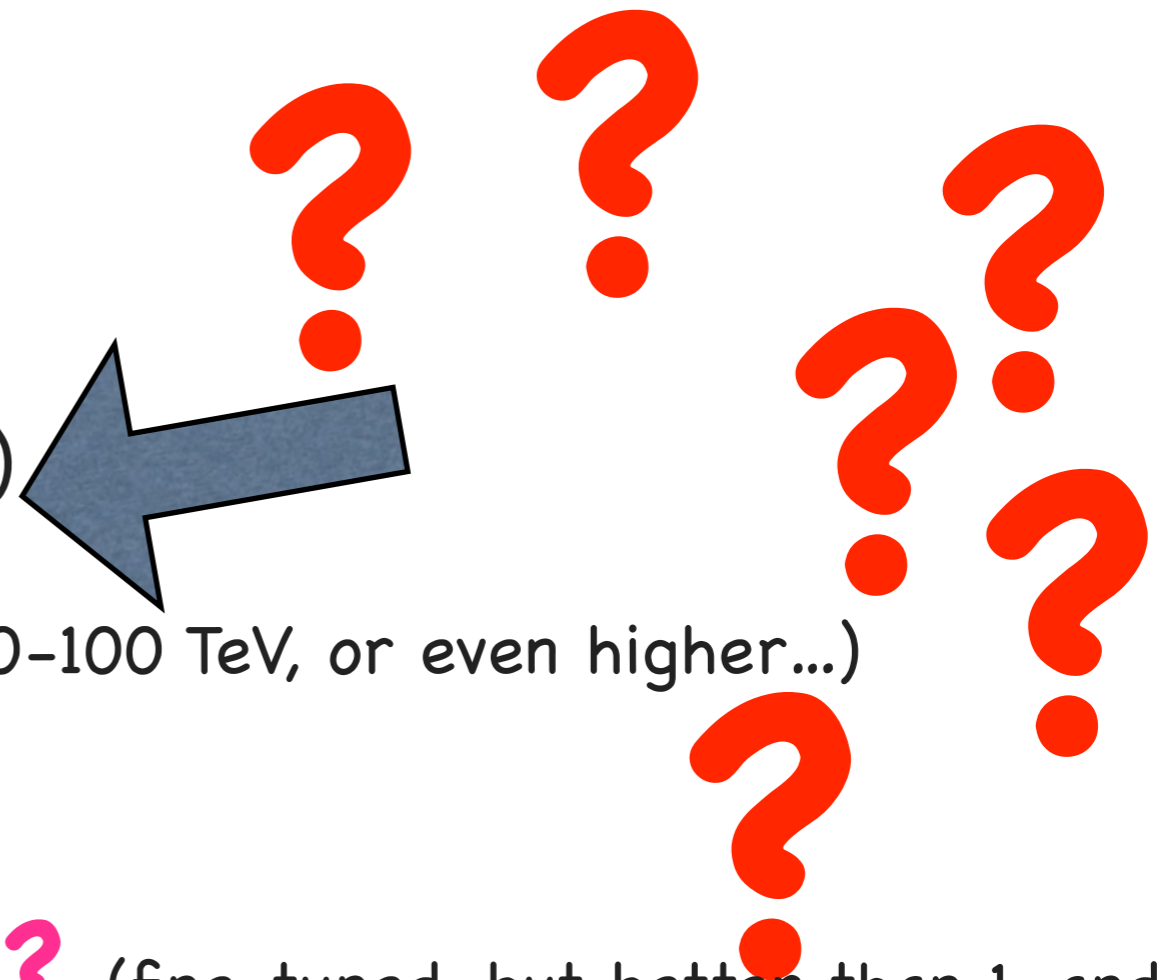
Very heavy SUSY

(10-100 TeV, or even higher...)

3. (still....)

$O(0.1-1)$ TeV SUSY ?

(fine-tuned, but better than 1. and 2. ...)



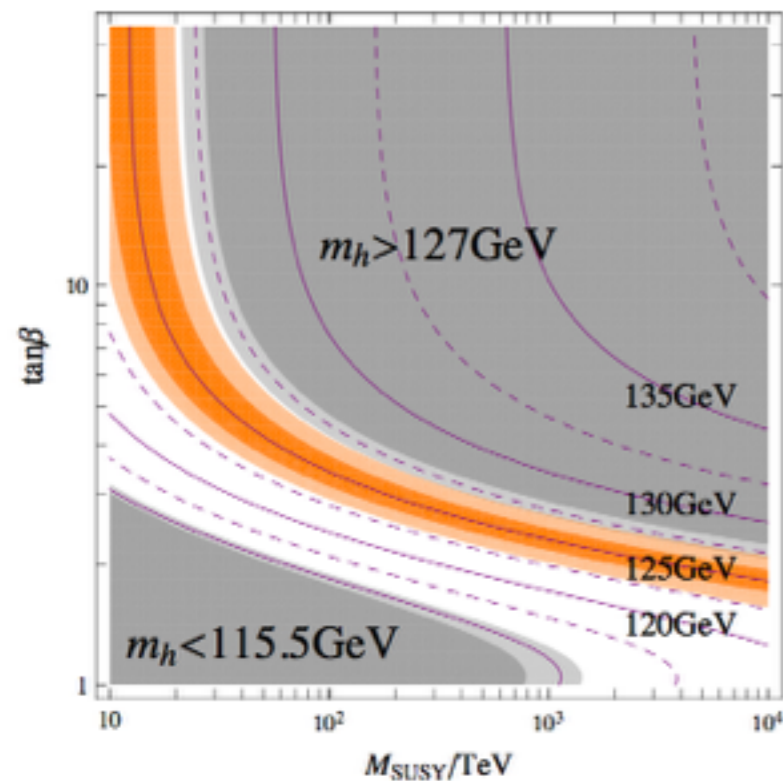
heavy sfermion scenario and Wino DM

(It's anyway fine-tuned, then...)

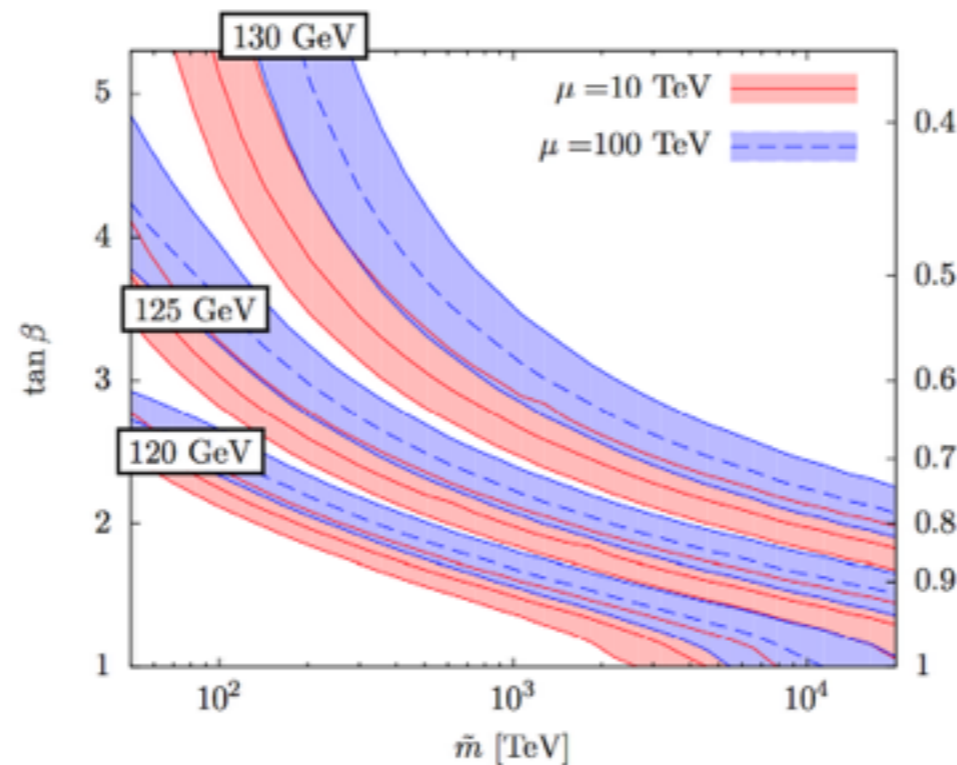
Very heavy SUSY

$$\begin{aligned}
 m_H^2 &= 4\lambda_H \langle H \rangle^2 \\
 \rightarrow \lambda_H &\simeq 0.13 \\
 &= \underbrace{\lambda_H^{\text{tree}}}_{0.07 \cos^2 2\beta} + \underbrace{\delta\lambda_H^{\text{loop}}}_{\sim \log(m_{\text{stop}}^2)}
 \end{aligned}$$

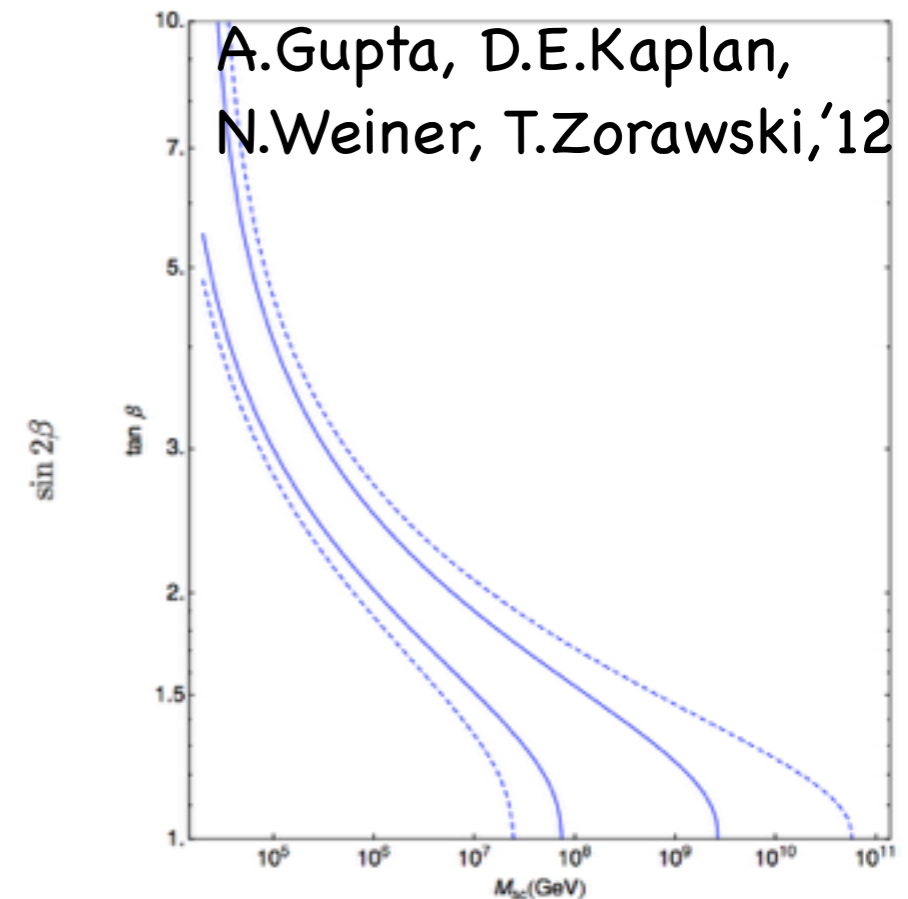
Ibe, Matsumoto,
Yanagida, '12



L.Hall, Y.Nomura,
S.Shirai '12



N.Arkani-Hamed,
A.Gupta, D.E.Kaplan,
N.Weiner, T.Zorawski, '12



heavy sfermion scenario and **Wino DM**

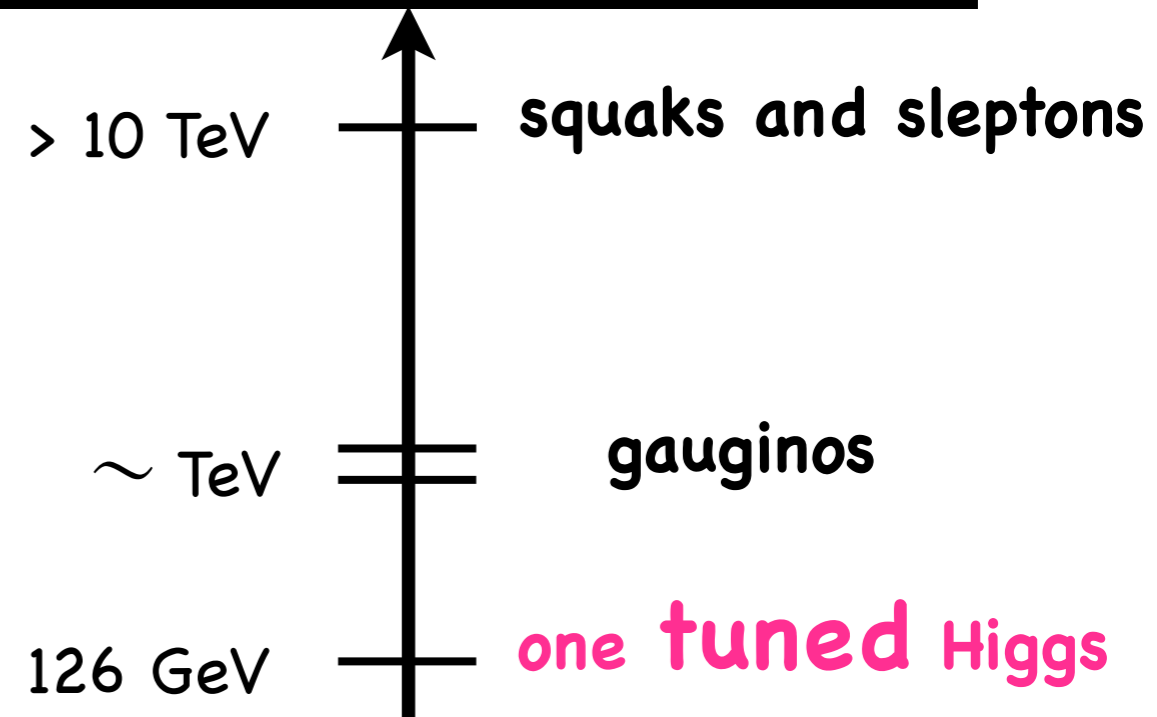
(It's anyway fine-tuned, then....)

Very heavy SUSY

- consistent with 126 GeV Higgs
- No cosmological gravitino problem

$$\tau_{\text{gravitino}} = 0.03 \text{ sec} \left(\frac{m_{\text{gravitino}}}{100 \text{ TeV}} \right)^{-3} \dots \text{decays before BBN.}$$

- Also, no Polonyi problem since gaugino masses can be induced without singlet (Anomaly-mediation).
- coupling unification is OK, and **DM is OK!**



Many many related works recently..... (too many to list all...)

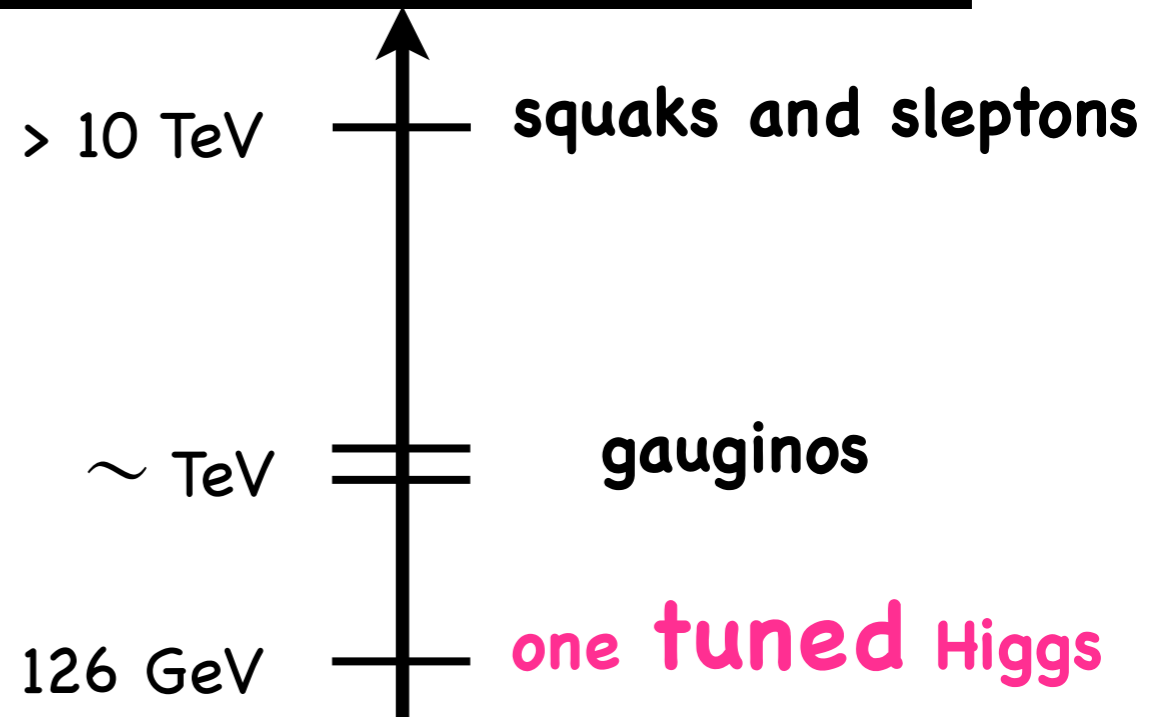
Ibe,Yanagida'11, Ibe,Matsumoto,Yanagida'12, Bhattacharjee,Feldstein,Ibe,Matsumoto,Yanagida'12,
Hall,Nomura'11, Hall,Nomura,Shirai'12,
Giudice,Strumia'11, Arvanitaki,Craig,Dimopoulos,Villadoro'12
Arkani-Hamed,Gupta,Kaplan,Weiner,Zorawski'12, Ibanez,Valenzuela'13,
Jeong,Shimosuka,Yamaguchi'11, Hisano,Ishiwata,Nagata'12, Sato,Shirai,Tobioka'12,
Moroi,Nagai'13, McKeen,Pospelov,Ritz'13,
Hisano,Kuwahara,Nagata'13, Hisano,Kobayashi,Kuwahara,Nagata'13, etc etc.....

heavy sfermion scenario and **Wino DM**

(It's anyway fine-tuned, then...)

Very heavy SUSY

LSP DM = (typically) Wino !!
(anomaly-mediation)

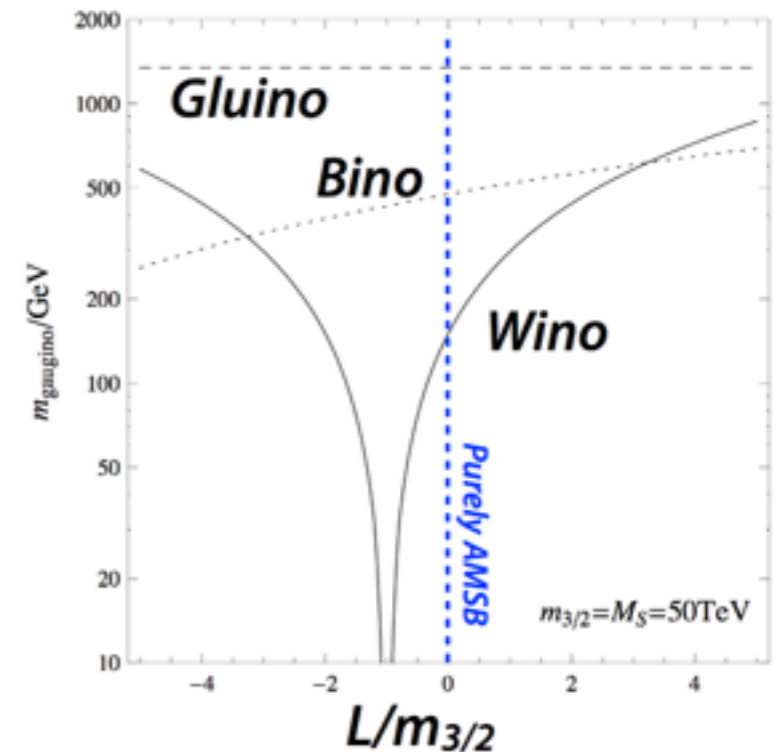


$$m_{\text{gluino}} = -\frac{g_3^2}{16\pi^2} \cdot 3m_{\text{gravitino}}$$

$$m_{\text{Wino}} = \frac{g_2^2}{16\pi^2} \cdot (m_{\text{gravitino}} + L)$$

$$m_{\text{Bino}} = \frac{g_1^2}{16\pi^2} \cdot \left(\frac{33}{5} m_{\text{gravitino}} + \frac{3}{5} L \right)$$

$$\left(L = \mu \sin 2\beta \frac{m_A^2}{|\mu|^2 - m_A^2} \ln \frac{|\mu|^2}{m_A^2} \right)$$



['98 Giudice, Luty, Murayama, Rattazzi, '98 Randall, Sundram]

Fig. from **M.Ibe's** talk at KIAS workshop 2014.

heavy sfermion scenario and **Wino DM**

(It's anyway fine-tuned, then...)

Very heavy SUSY

LSP DM = (typically) Wino !!
(anomaly-mediation)

> 10 TeV

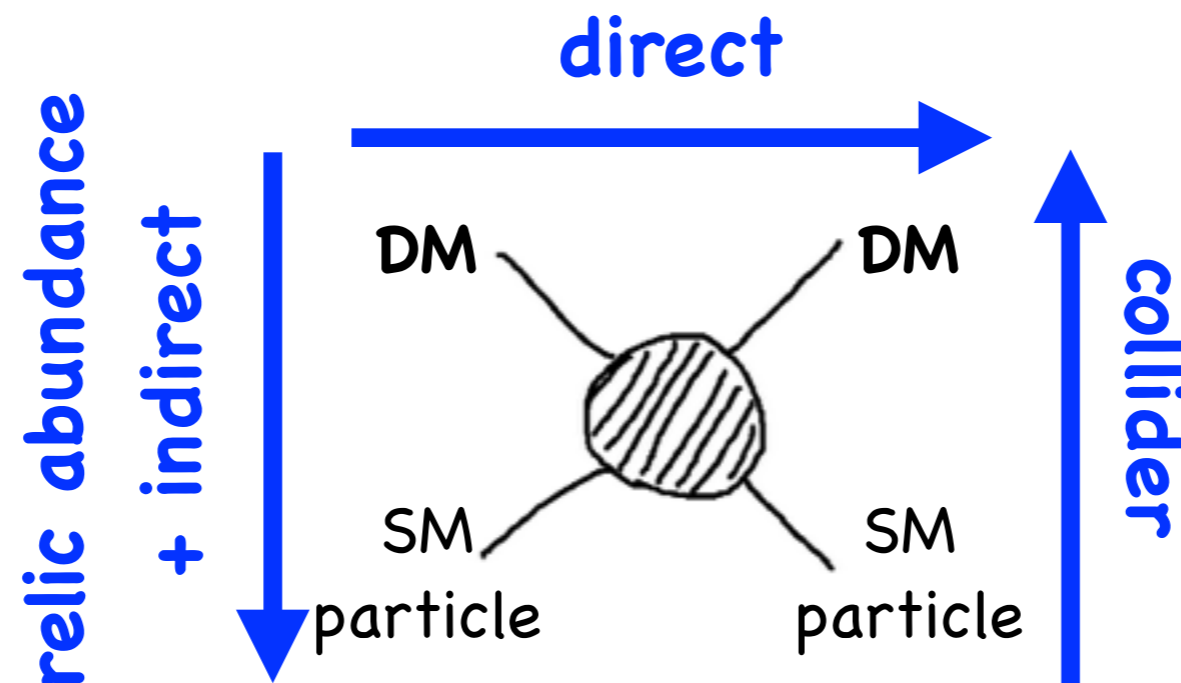
squarks and sleptons

~ TeV

gauginos

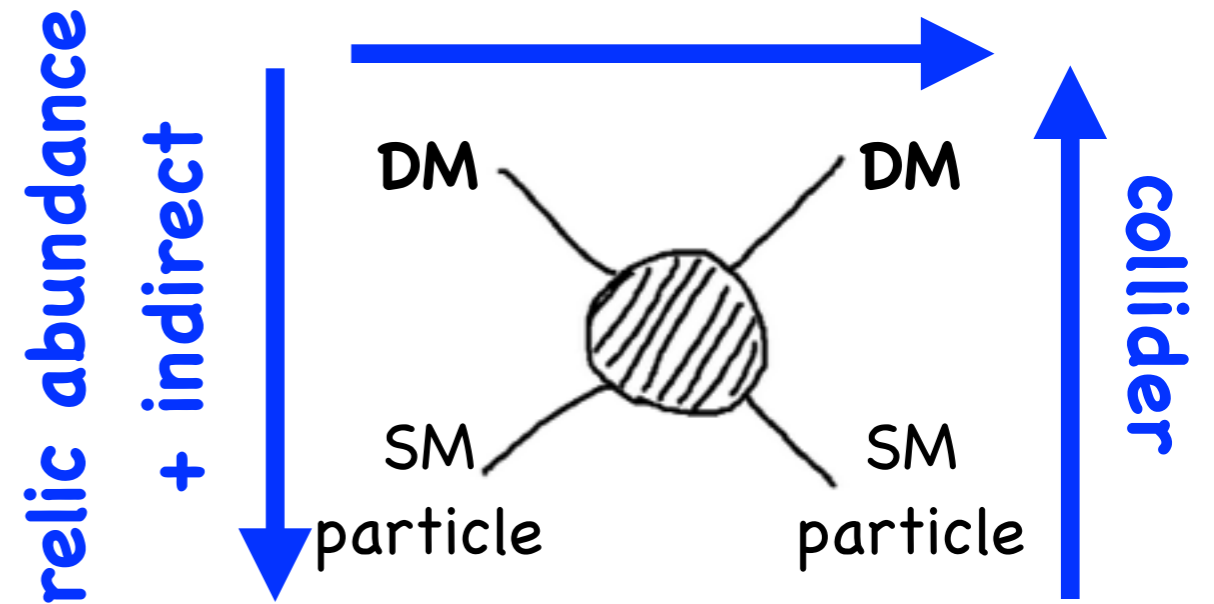
126 GeV

one tuned Higgs



heavy sfermion scenario and **Wino DM**

LSP DM = (typically) Wino !!
(anomaly-mediation)

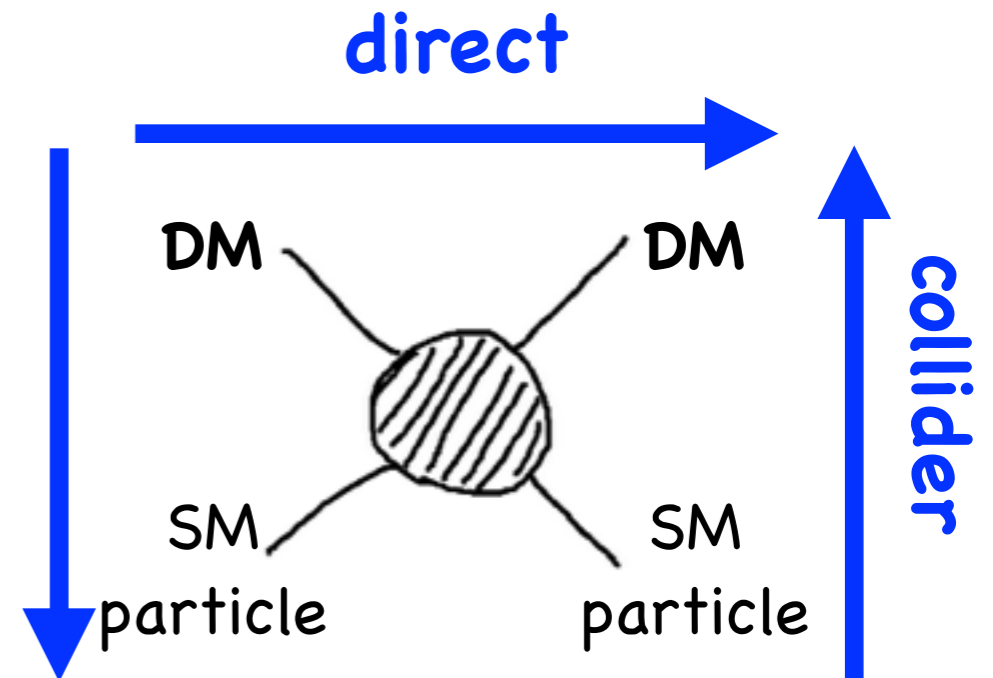


heavy sfermion scenario and Wino DM

LSP DM = (typically) Wino !!
(anomaly-mediation)

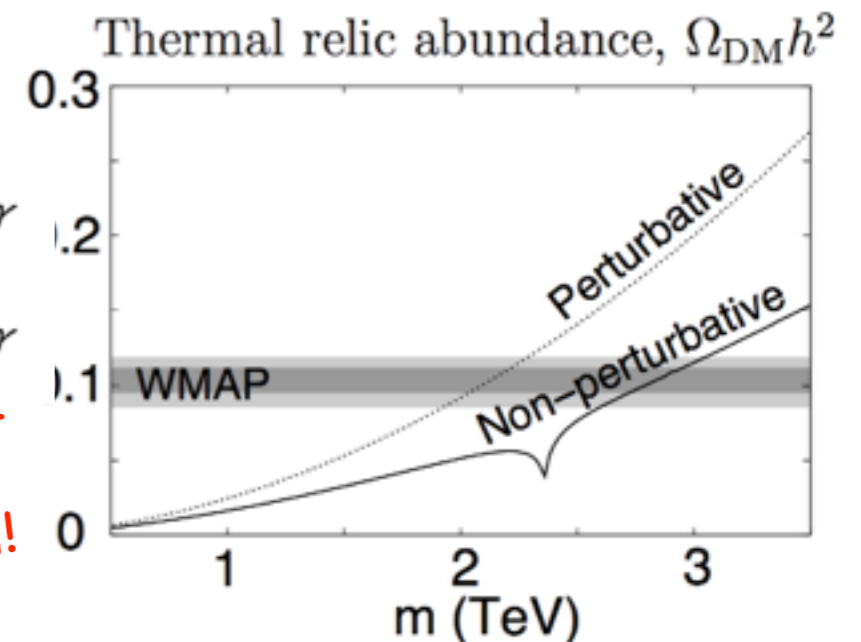
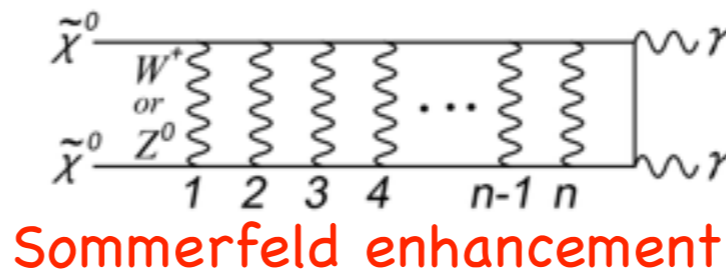
relic abundance

+ indirect



Relic abundance:

- $M \sim 3 \text{ TeV}$ if thermal relic. [Hisano-Matsumoto-Nagai-Saito-Senami'06]
- It can be lighter if non-thermal.
(more on this later.)



👉 mini-workshop this afternoon!

heavy sfermion scenario and **Wino DM**

LSP DM = (typically) Wino !!
(anomaly-mediation)

Indirect detection:

..... is very interesting !!

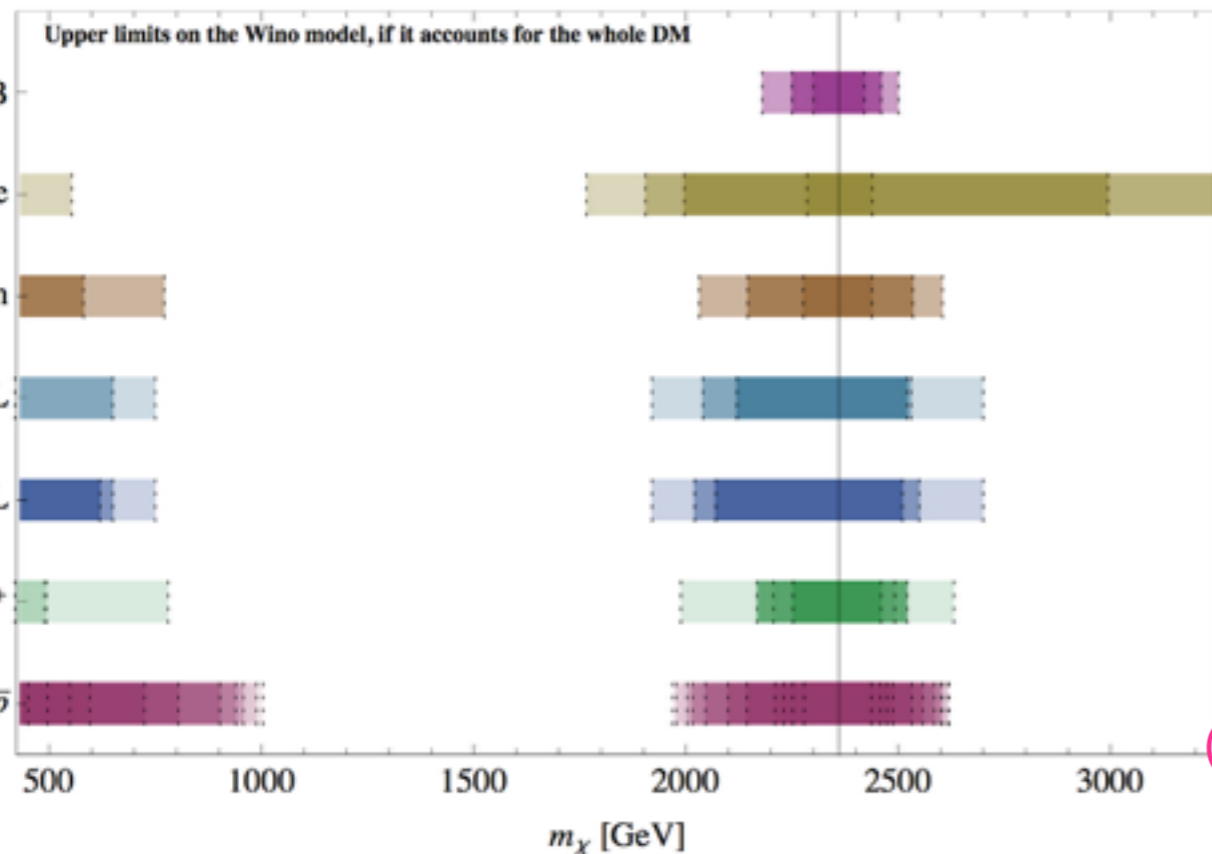
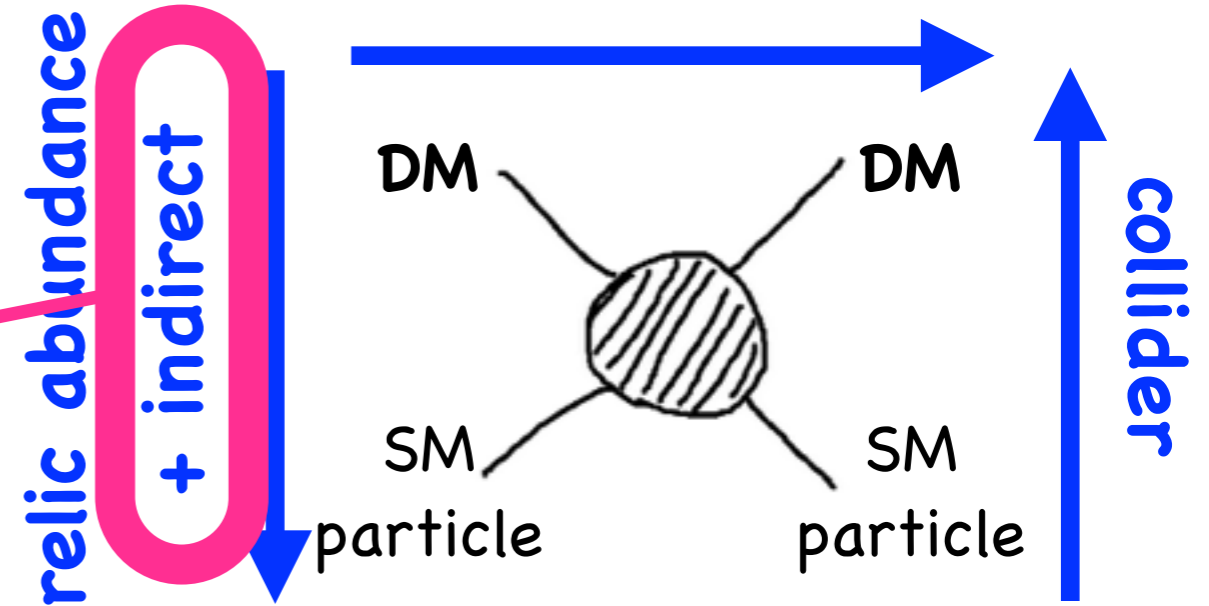


Fig. from A.Hryczuk, I.Cholis, R.Iengo, M.Tavakoli, P.Ullio,'14

Figure 16. Combination of the 95% CL upper limits for the Wino DM mass. The black vertical line shows the position of the peak of the resonance. For a given channel different shaded regions correspond to limits derived using different assumptions. For antiprotons (\bar{p}) this is related to the diffusion zone thickness, leptons (e^+) the local DM density and energy density in the ISRF and magnetic field, low latitude γ -rays (γ LL) the radiation field in the inner galaxy and interstellar gas, high latitude γ -rays (γ HL) the extragalactic DM substructures, for dwarf spheroidal galaxies (γ dSph) the J -factor and foreground emission, for γ -line the DM profile in the inner 1° and in the case of the CMB constraints different combinations of data sets. See text and sections corresponding to its given channel for details.

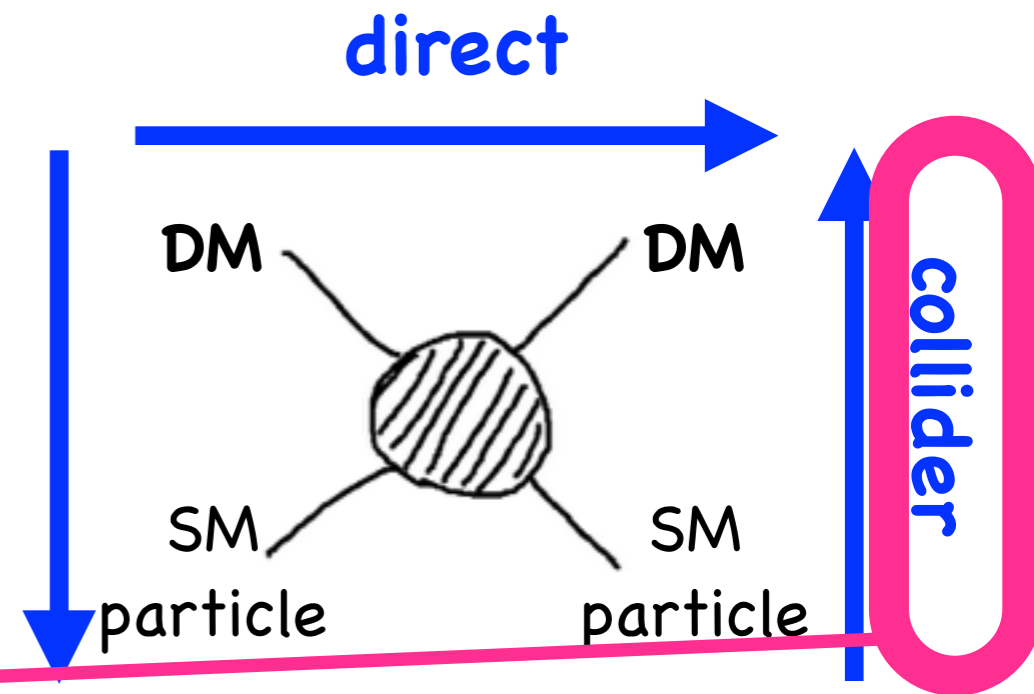
Can be probed/excluded by several channels !
 (Fermi-LAT, GAMMA-400, CTA, AMS-02,.....)

heavy sfermion scenario and Wino DM

LSP DM = (typically) Wino !!
(anomaly-mediation)

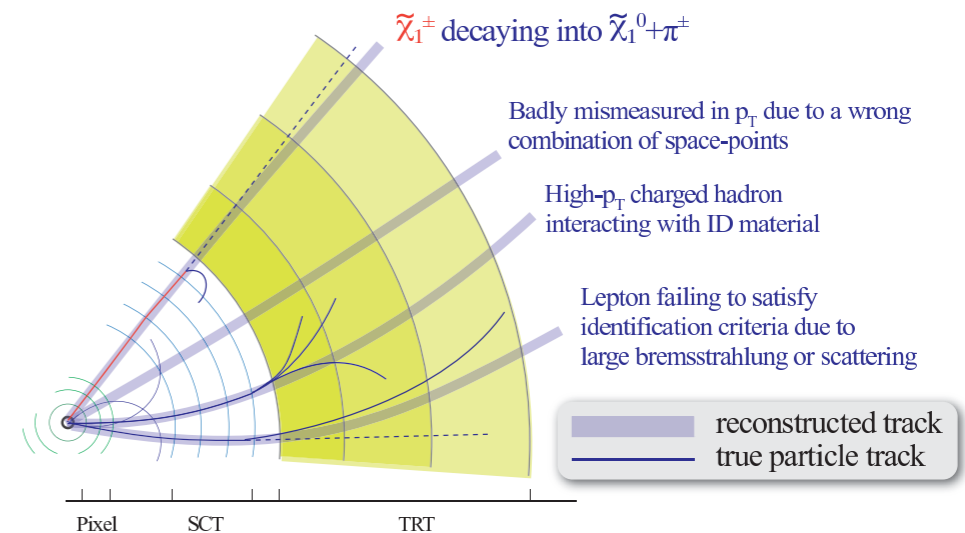
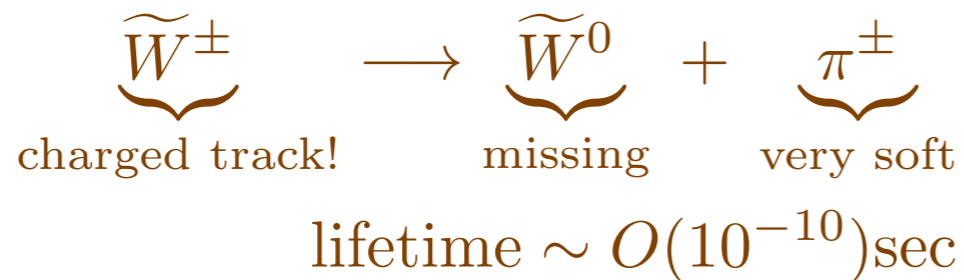
relic abundance

+ indirect



Collider signature:

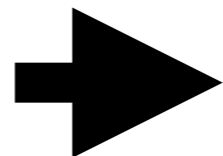
= disappearing charged track !



8 TeV bound:

$m(\text{Wino}) > 270 \text{ (260) GeV}$

ATLAS:1310.3675 (CMS:1411.6006)

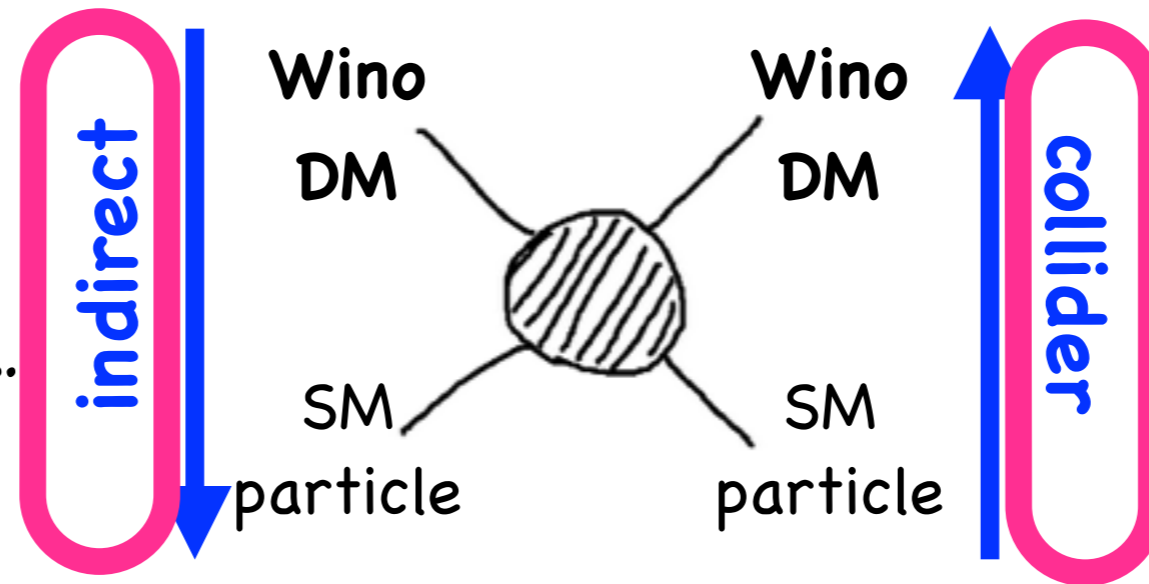


14 TeV discovery @300fb⁻¹ (3000fb⁻¹) if

$m(\text{Wino}) < 500 \text{ (650) GeV}$

heavy sfermion scenario and **Wino DM**

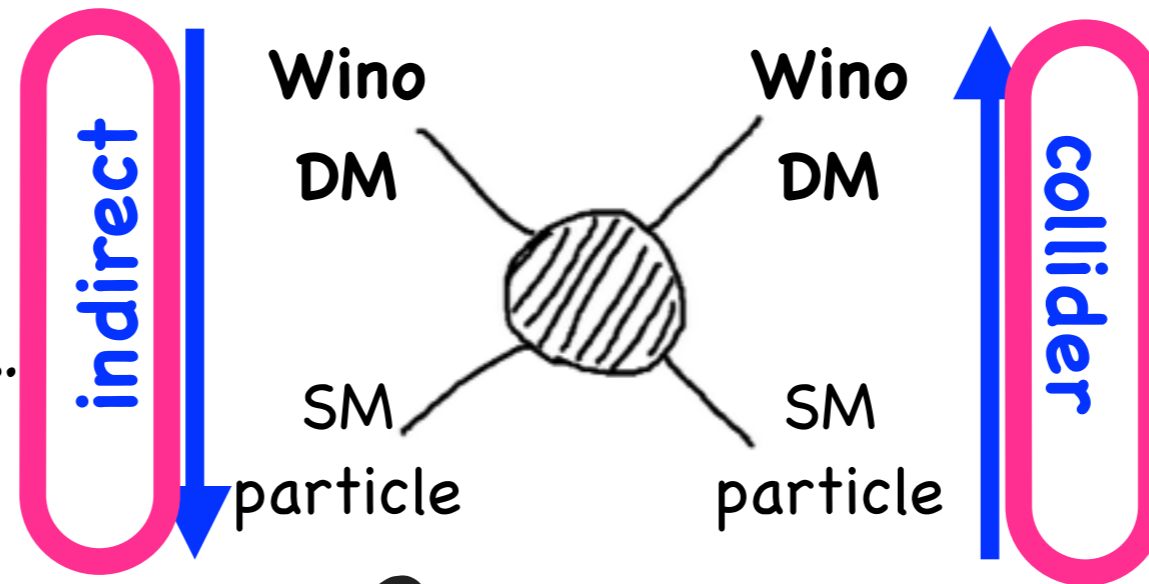
- antiproton @ AMS-02
- gamma-line @ CTA
- continuum gamma @ Fermi..



- Disappearing track @ 14 TeV LHC
- < **500-600 GeV**

heavy sfermion scenario and Wino DM

- antiproton @ AMS-02
- gamma-line @ CTA
- continuum gamma @ Fermi..



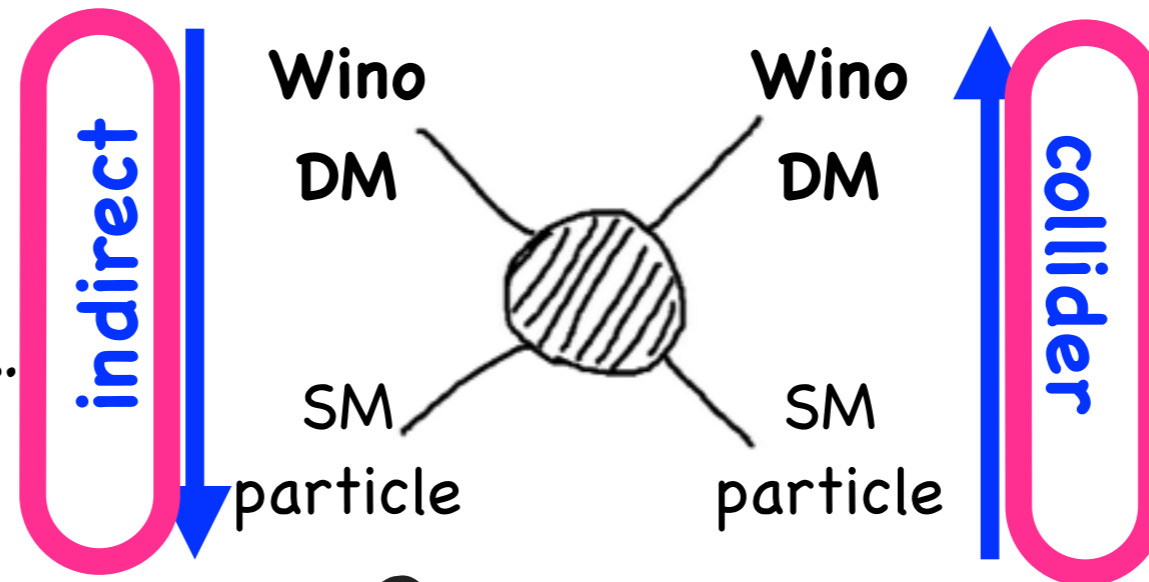
- Disappearing track @ 14 TeV LHC < 500-600 GeV

If mass < 3 TeV, $\Omega_{\text{thermal}} < \Omega_{\text{CDM}}$.

→ requires **non-thermal production**.

heavy sfermion scenario and **Wino DM**

- antiproton @ AMS-02
- gamma-line @ CTA
- continuum gamma @ Fermi..



- Disappearing track @ 14 TeV LHC
- **< 500-600 GeV**

If mass < 3 TeV, $\Omega_{\text{thermal}} < \Omega_{\text{CDM}}$.

→ requires **non-thermal production**.

- by **moduli** decay. [Moroi-Randall,'99]
- by **gravitino** decay.

[Gherghetta-Giudice-Wells,'99, Moroi-Randall,'99, Ibe-Kitano-Murayama,'04, Ibe-Yanagida,'11]

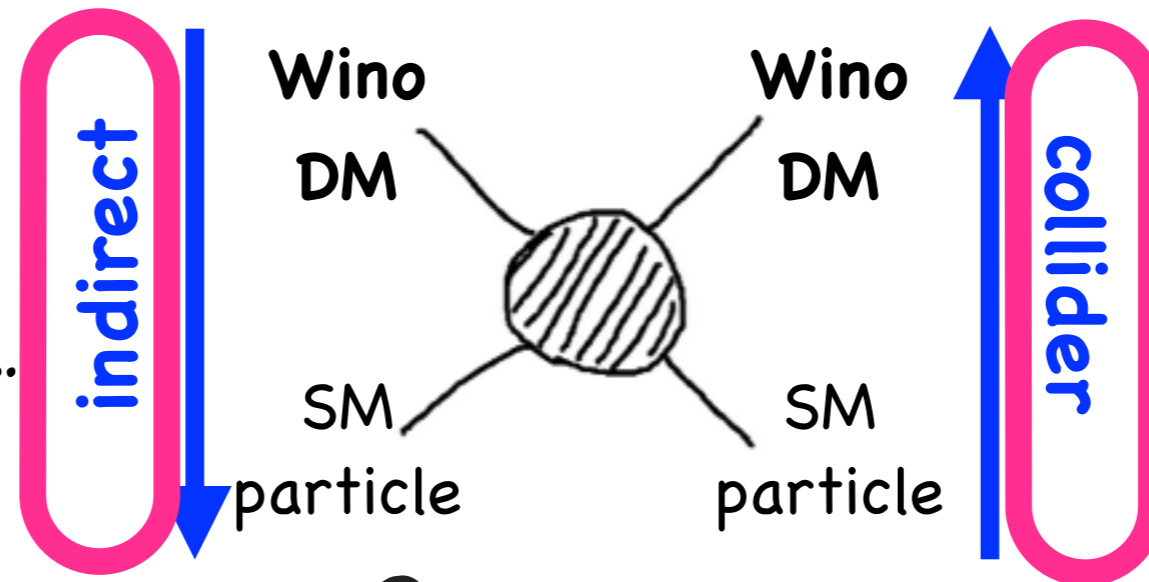
e.g. thermal leptogenesis requires $T_R > O(10^9)$ GeV.
[Davidson-Ibarra,'02]

$$\Omega^{(NT)} h^2(M_2, T_R) \simeq 0.16 \times \left(\frac{M_2}{300 \text{ GeV}} \right) \left(\frac{T_R}{10^{10} \text{ GeV}} \right) .$$

- by **Q-ball** decay [Fujii-KH,'01'02, KH-Mukaida, in preparation]

heavy sfermion scenario and **Wino DM**

- antiproton @ AMS-02
- gamma-line @ CTA
- continuum gamma @ Fermi..



- Disappearing track @ 14 TeV LHC < 500-600 GeV

If mass < 3 TeV, $\Omega_{\text{thermal}} < \Omega_{\text{CDM}}$.

→ requires **non-thermal production**.

- by **moduli** decay. [Moroi-Randall,'99]
- by **gravitino** decay.

[Gherghetta-Giudice-Wells,'99, Moroi-Randall,'99, Ibe-Kitano-Murayama,'04, Ibe-Yanagida,'11]

e.g. thermal leptogenesis requires $T_R > O(10^9)$ GeV.
[Davidson-Ibarra,'02]

$$\Omega^{(NT)} h^2(M_2, T_R) \simeq 0.16 \times \left(\frac{M_2}{300 \text{ GeV}} \right) \left(\frac{T_R}{10^{10} \text{ GeV}} \right) .$$

- ➔ • by **Q-ball** decay [Fujii-KH,'01'02, KH-Mukaida, in preparation]

Non-thermal Wino Dark Matter

from Q-ball decay

[Fujii-KH, hep-ph/0110072, 0205044

KH-Mukaida, in preparation]

Non-thermal Wino Dark Matter

from Q-ball decay

[Fujii-KH, hep-ph/0110072, 0205044

KH-Mukaida, in preparation]

step 1: Affleck-Dine baryogenesis.

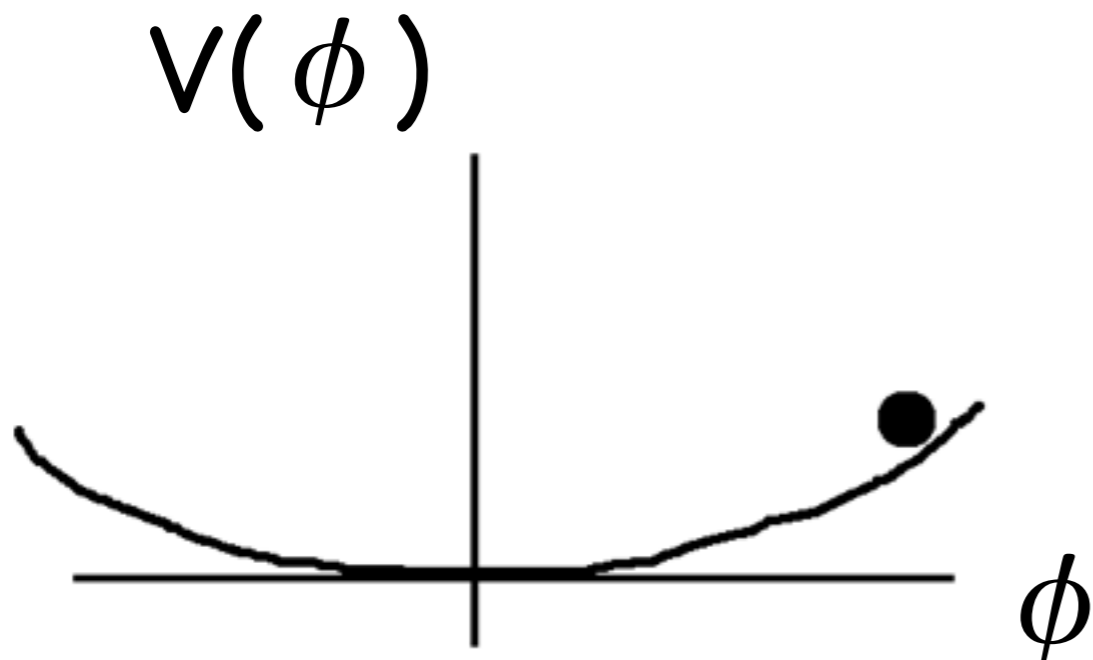
- ϕ = a linear combination of squark fields, and flat direction in MSSM. (e.g., UDD flat direction)

Non-thermal Wino Dark Matter from Q-ball decay

[Fujii-KH, hep-ph/0110072, 0205044
KH-Mukaida, in preparation]

step 1: Affleck-Dine baryogenesis.

- ϕ = a linear combination of **squark** fields, and flat direction in MSSM. (e.g., UDD flat direction)
- ϕ can have a large VEV during inflation.



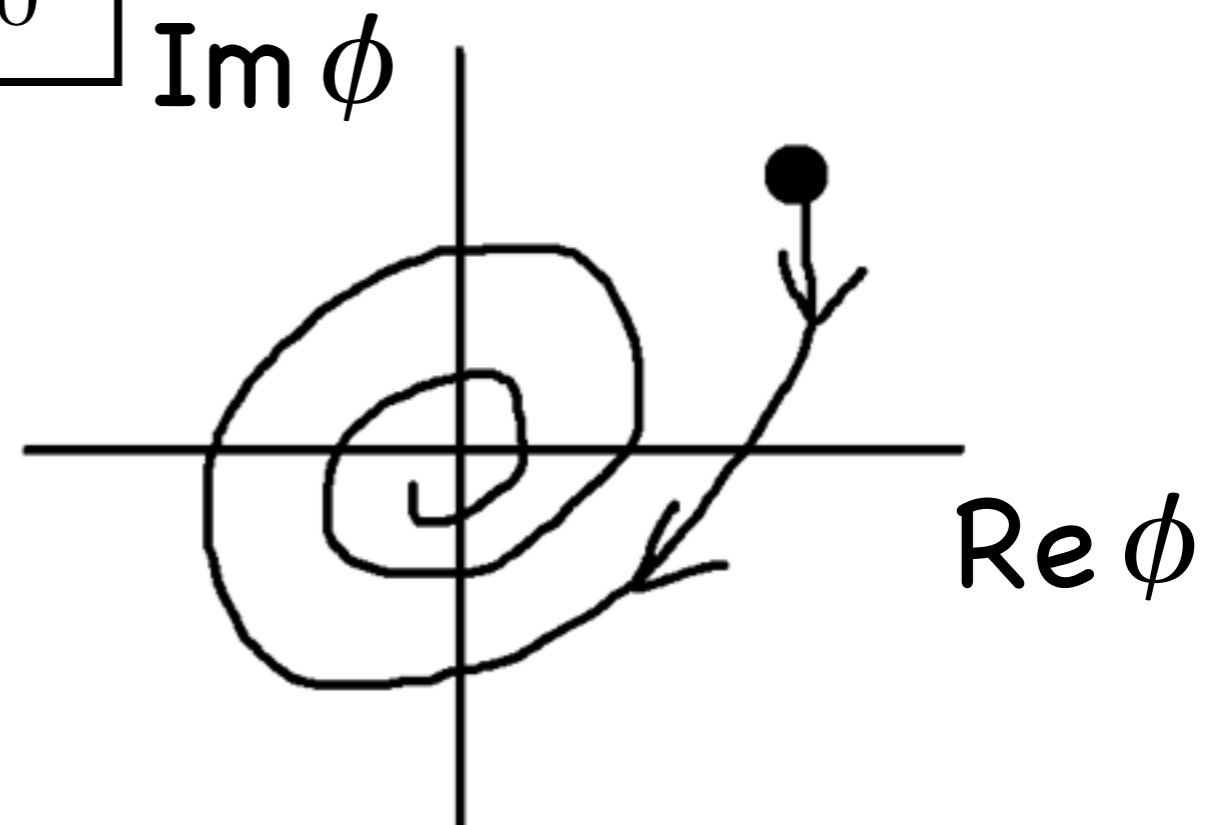
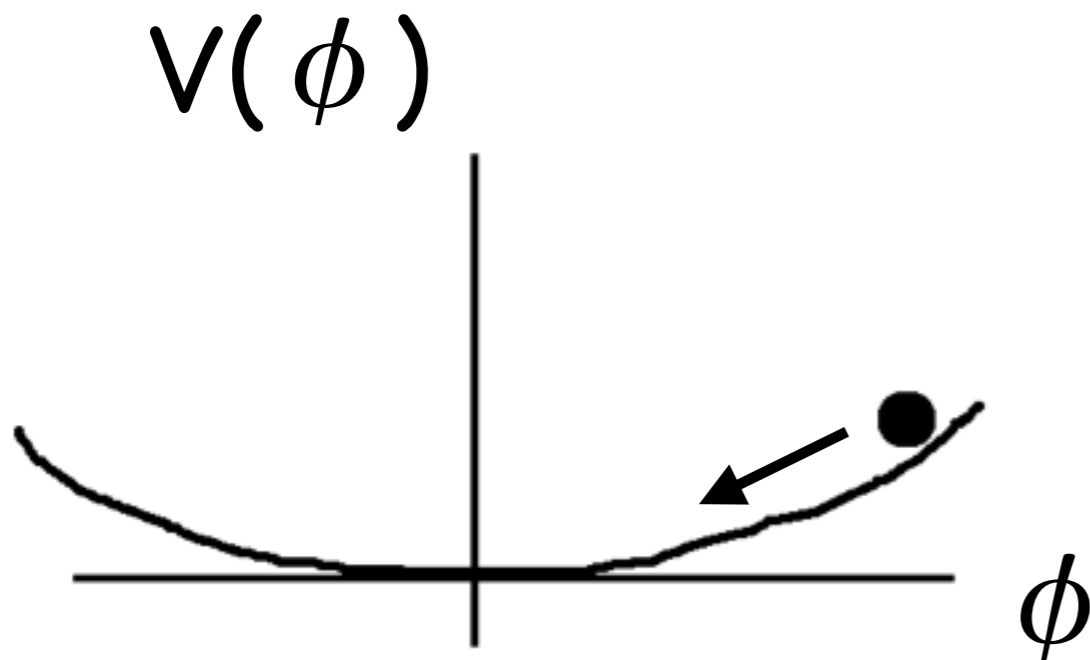
Non-thermal Wino Dark Matter from Q-ball decay

[Fujii-KH, hep-ph/0110072, 0205044
KH-Mukaida, in preparation]

step 1: Affleck-Dine baryogenesis.

- ϕ = a linear combination of **squark** fields, and flat direction in MSSM. (e.g., UDD flat direction)
- ϕ can have a large VEV during inflation.
- after inflation, ϕ rotates in the field space, if B-violation exists. (e.g., $W = (\text{UDD})^3/M^2$.)

$$n_B \propto n_\phi = i(\phi^* \dot{\phi} - \dot{\phi}^* \phi) \neq 0$$



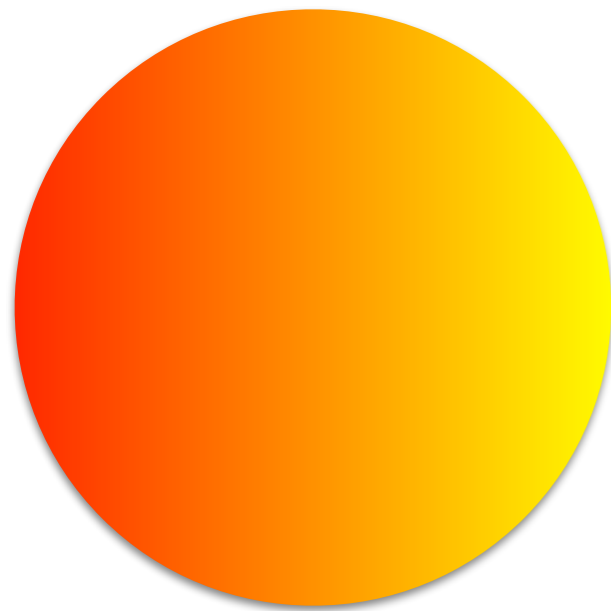
Non-thermal Wino Dark Matter from Q-ball decay

[Fujii-KH, hep-ph/0110072, 0205044
KH-Mukaida, in preparation]

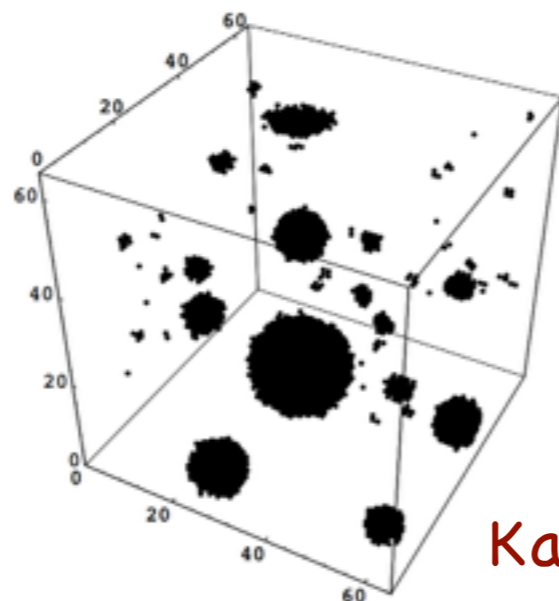
step 1: Affleck-Dine baryogenesis.

- ϕ = a linear combination of **squark** fields, and flat direction in MSSM. (e.g., UDD flat direction)
- ϕ can have a large VEV during inflation.
- after inflation, ϕ rotates in the field space, if B-violation exists. (e.g., $W = (UDD)^3/M^2$.)

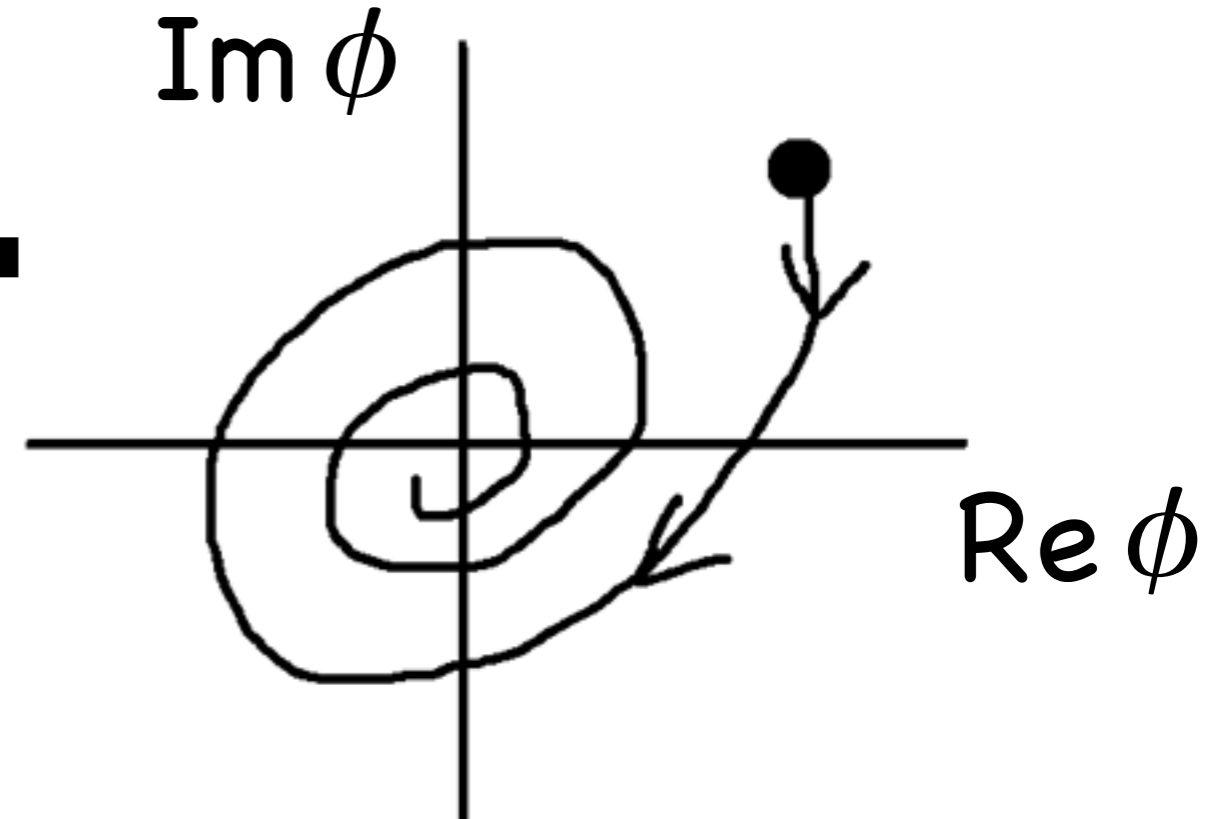
step 2: ϕ field (= squark field) fragments into non-topological solitons, **Q-balls**.



Q-ball



Kasuya-Kawasaki, '99



Non-thermal Wino Dark Matter from Q-ball decay

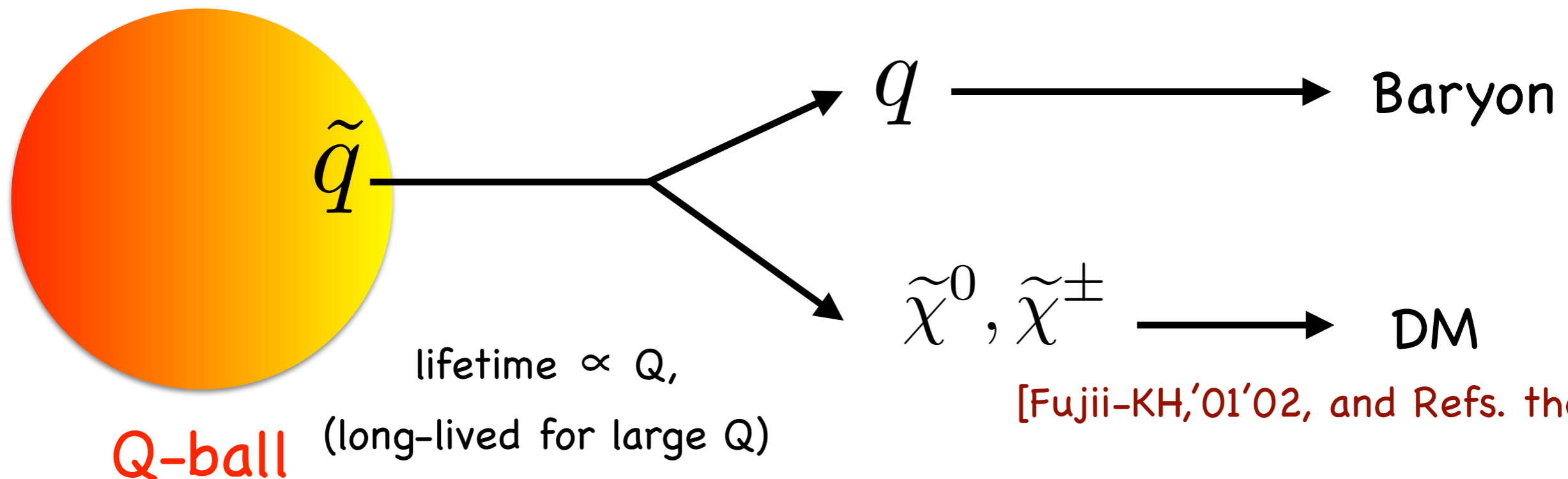
[Fujii-KH, hep-ph/0110072, 0205044
KH-Mukaida, in preparation]

step 1: Affleck-Dine baryogenesis.

- ϕ = a linear combination of **squark** fields, and flat direction in MSSM. (e.g., UDD flat direction)
- ϕ can have a large VEV during inflation.
- after inflation, ϕ rotates in the field space, if B-violation exists. (e.g., $W = (\text{UDD})^3/M^2$.)

step 2: ϕ field (= squark field) fragments into non-topological solitons, **Q-balls**.

step 3: late time Q-ball decay leads to **non-thermal DM** production.



[Fujii-KH, '01'02, and Refs. therein.]

Non-thermal Wino Dark Matter from Q-ball decay

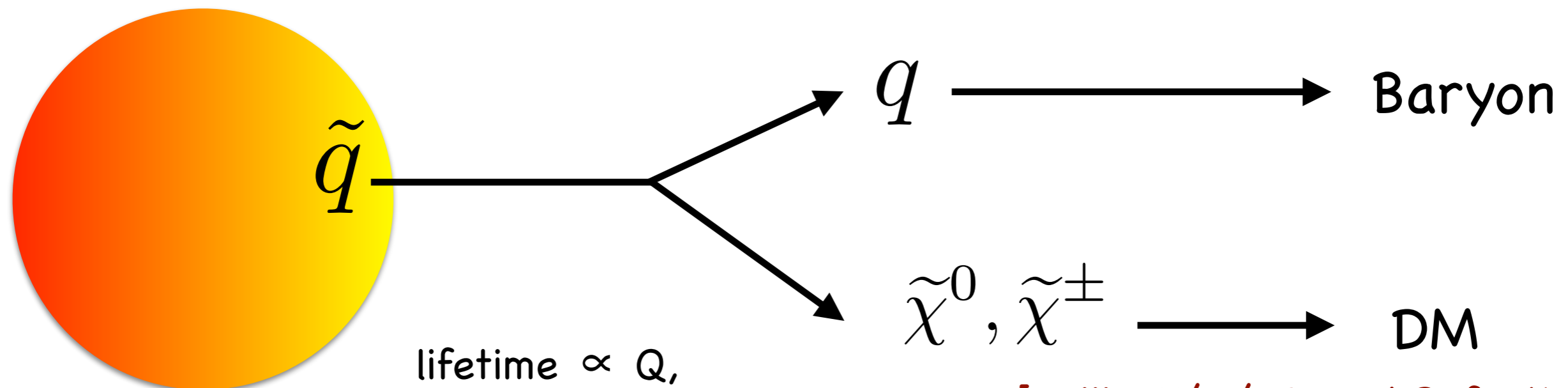
[Fujii-KH, hep-ph/0110072, 0205044
KH-Mukaida, in preparation]

step 1: Affleck-Dine baryogenesis.

- ϕ = a linear combination of **squark** fields, and flat direction in MSSM. (e.g., UDD flat direction)
- ϕ can have a large VEV during inflation.
- after inflation, ϕ rotates in the field space, if B-violation exists. (e.g., $W = (\text{UDD})^3/M^2$.)

step 2: ϕ field (= squark field) fragments into non-topological solitons, **Q-balls**.

step 3: late time Q-ball decay leads to **non-thermal DM** production.



Q-ball (long-lived for large Q)

[Fujii-KH, '01'02, and Refs. therein.]

... but this naive picture was WRONG!

Non-thermal Wino Dark Matter

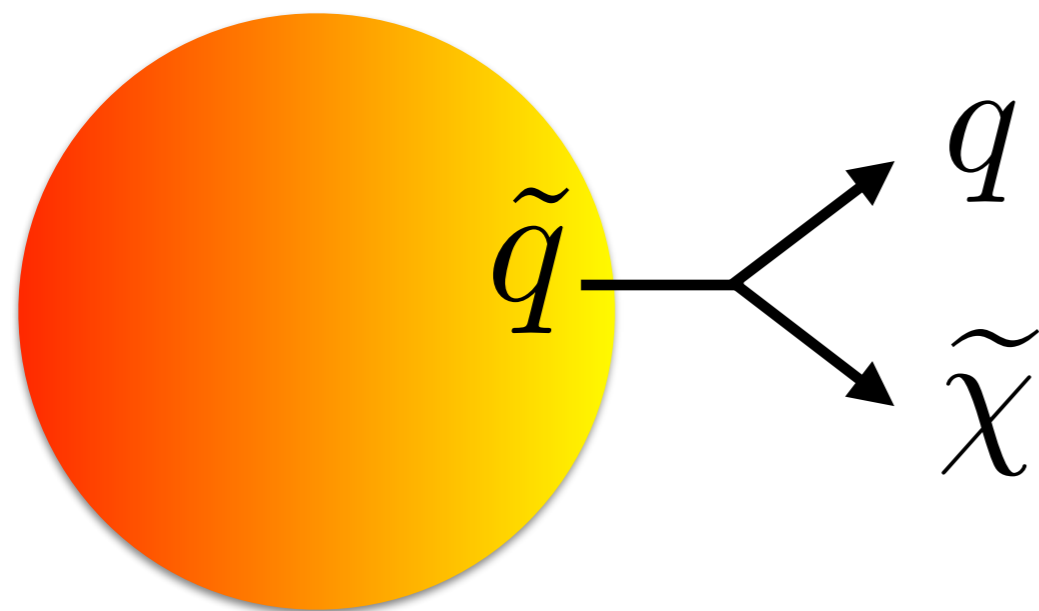
from Q-ball decay

[Fujii-KH, hep-ph/0110072, 0205044

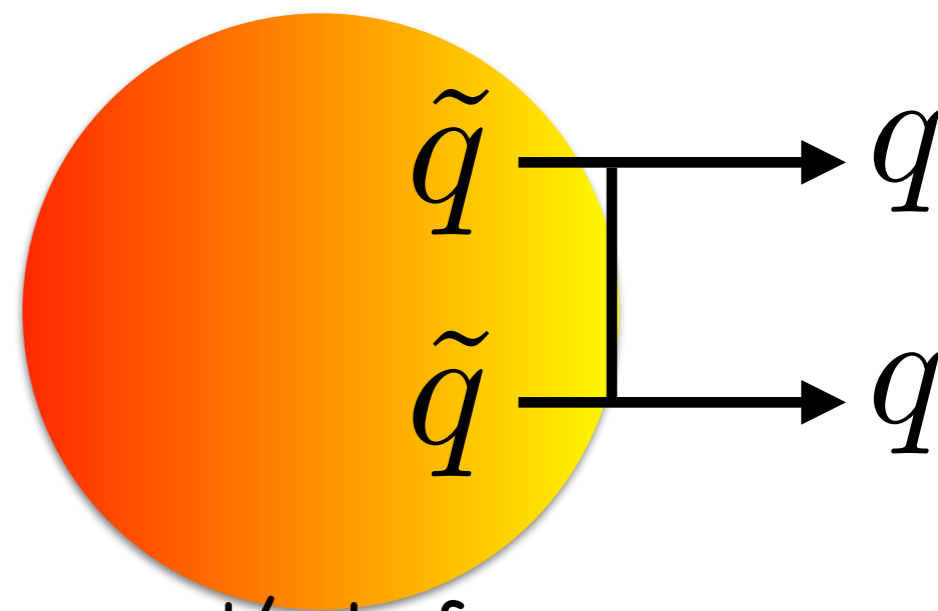
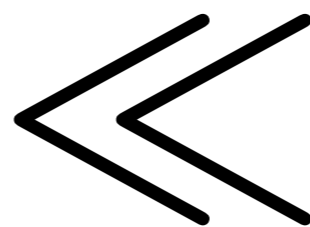
KH-Mukaida, in preparation]

Kawasaki-Yamada [1209.5781]

Kamada-Kawasaki-Yamada [1211.6813]



saturated by gaugino's d.o.f
= 1 (if Bino only)



saturated by quark's d.o.f.
= 3(color) \times 6(flavor) \times 2^3 (phase space)
($\times 2$ depending on chirality)

Non-thermal Wino Dark Matter

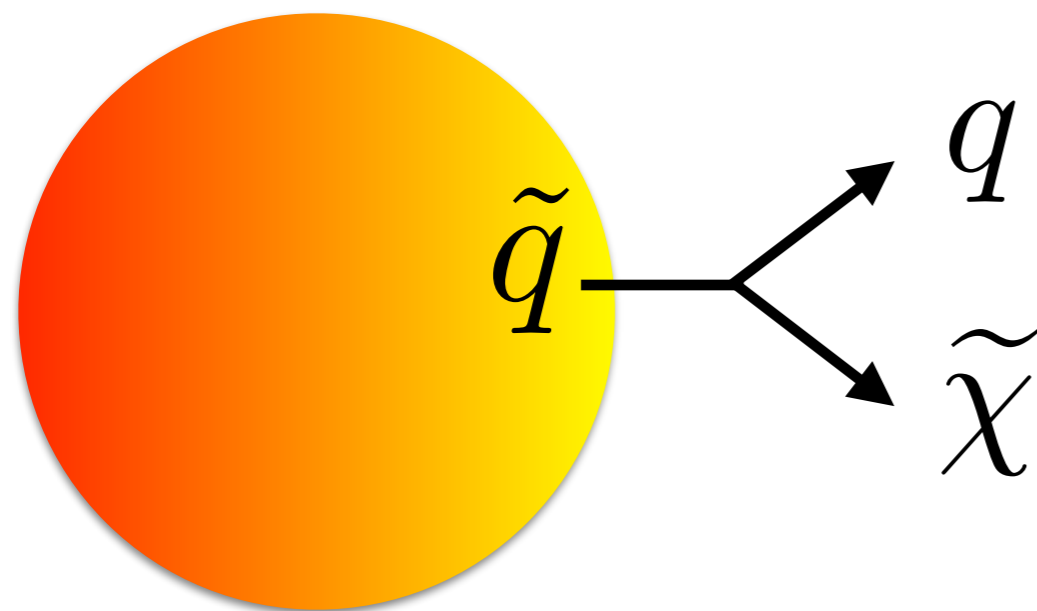
from Q-ball decay

[Fujii-KH, hep-ph/0110072, 0205044

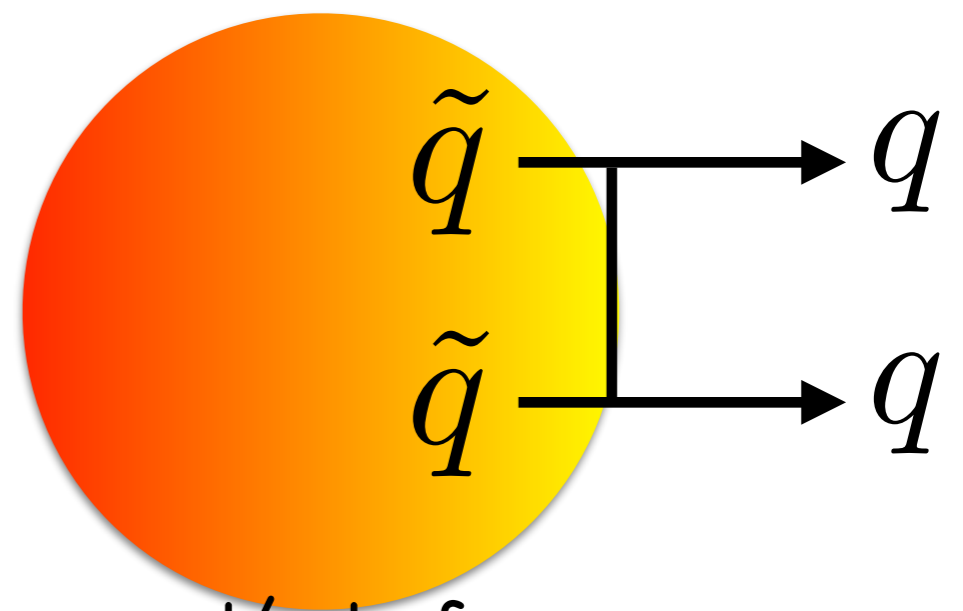
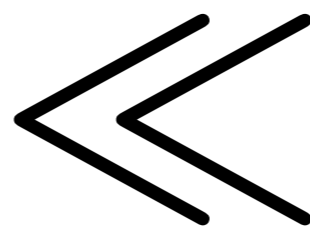
KH-Mukaida, in preparation]

Revisiting the “Wino-from-Q-ball-decay” scenario by taking into account of

- **this effect,**
- large squark mass (**heavy sfermion scenario**)
- **Sommerfeld** enhancement of Wino annihilation.



saturated by gaugino's d.o.f.
= 1 (if Bino only)



saturated by quark's d.o.f.
= 3(color) \times 6(flavor) \times 2^3 (phase space)
($\times 2$ depending on chirality)

Non-thermal Wino Dark Matter from Q-ball decay

[Fujii-KH, hep-ph/0110072, 0205044
KH-Mukaida, in preparation]

Revisiting the “Wino-from-Q-ball-decay” scenario
by taking into account of

- this effect,
- large squark mass (heavy sfermion scenario)
- Sommerfeld enhancement of Wino annihilation.

RESULT (for an example model point, preliminary)

[model point]:

udd -flat direction with $W \propto (udd)^2$.

$m_{\text{Wino}} \simeq 600 \text{ GeV} < m_{\text{Bino}}, m_{\text{gluino}} \ll m_{\text{Higgsino}}, m_{\text{squark}}, m_{\text{slepton}} \sim 10 \text{ TeV}$

\Rightarrow In order to obtain $\Omega_{\text{Wino}}^{\text{non-thermal}} \simeq \Omega_{\text{CDM}} \rightarrow \underline{T_{\text{Q-ball decay}} \sim 300 \text{ MeV}}$.

\Rightarrow Q-ball charge $\underline{Q \sim 10^{24}}$ (new effect taken into account)

\Rightarrow initial amplitude of AD-field $\underline{\phi_0 \sim 0.03 M_P}$ ($\sim 7Q^{1/2}m_\phi$)

\Rightarrow correct baryon asymmetry is obtained by, e.g., $\delta_{\text{eff}} \sim 10^{-3}$ and $T_R \sim 10 \text{ GeV}$.


It works !

✧ It requires **very low TR**
or entrapment production.
(in contrast to Leptogenesis)

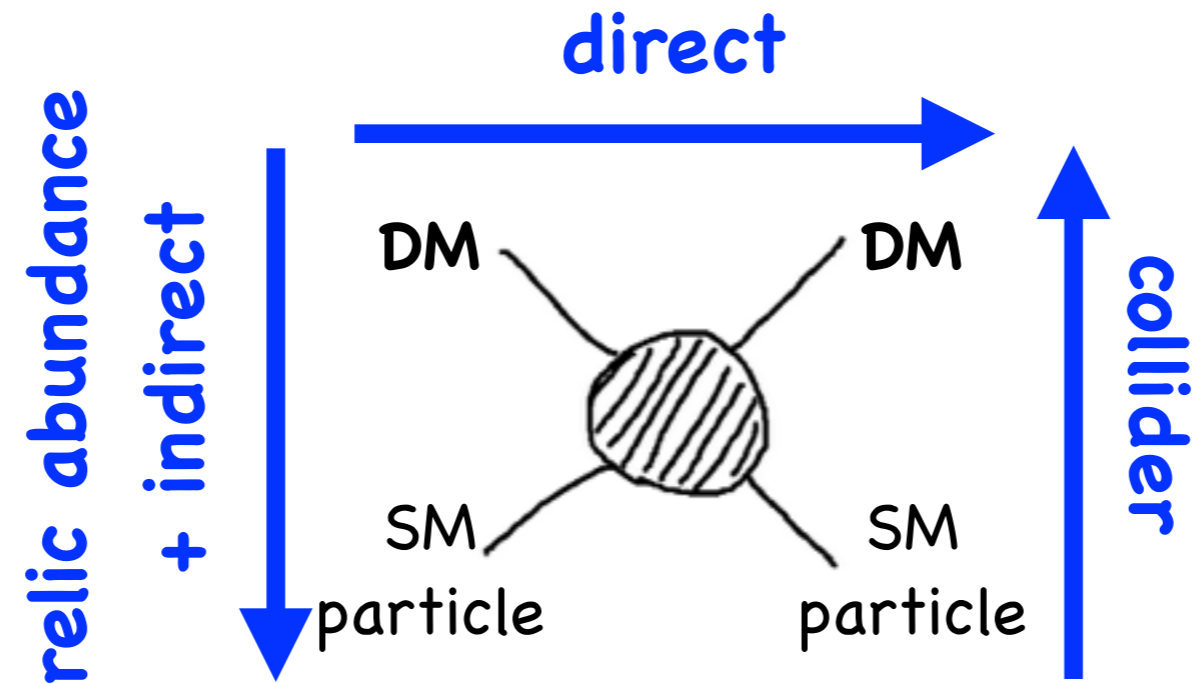
Plan

- 126 GeV Higgs and SUSY
- **Wino** DM (in heavy sfermion scenario)
- **gravitino** DM (in GMSB)
- **light Bino-like** DM (h/Z-resonant Bino)
- **g-2** and DM

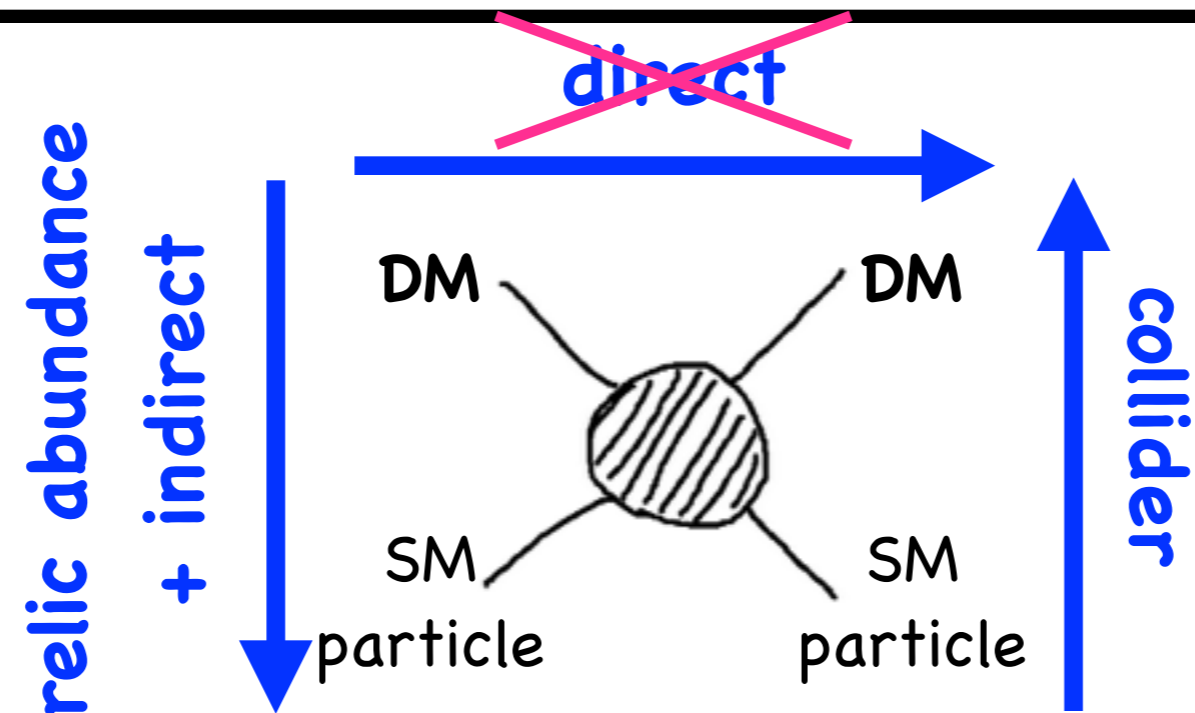
Plan

- 126 GeV Higgs and SUSY
- **Wino** DM (in heavy sfermion scenario)
-  **gravitino** DM (in GMSB)
- **light Bino-like** DM (h/Z-resonant Bino)
- **g-2** and DM

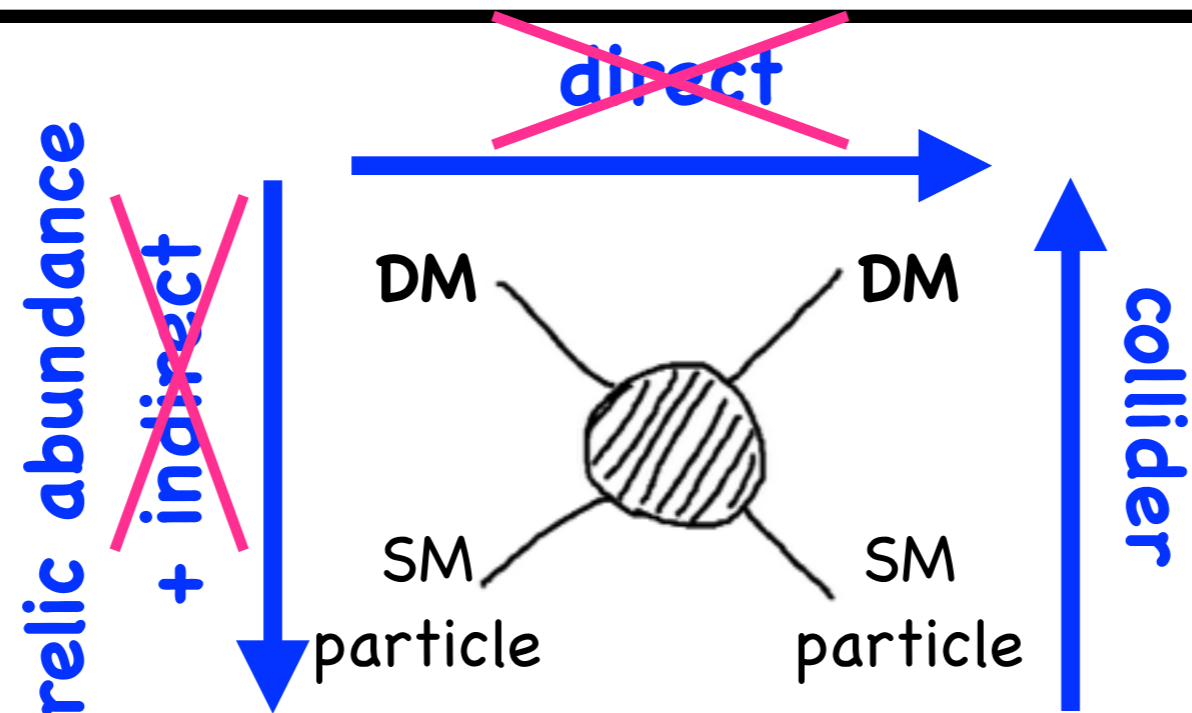
Gravitino DM (in GMSB)



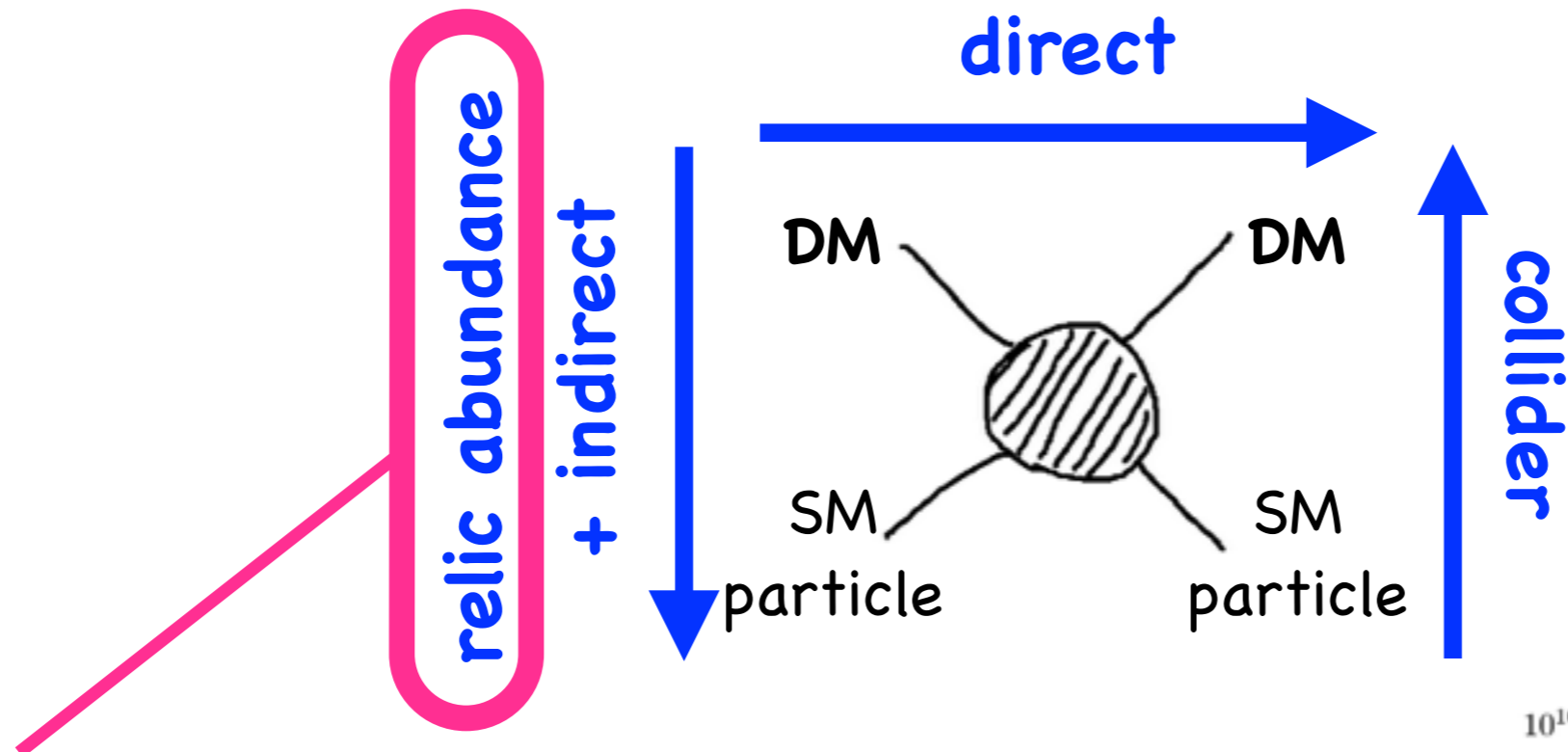
Gravitino DM (in GMSB)



Gravitino DM (in GMSB)



Gravitino DM (in GMSB)



relic abundance

- “thermal” production (not freeze-out).

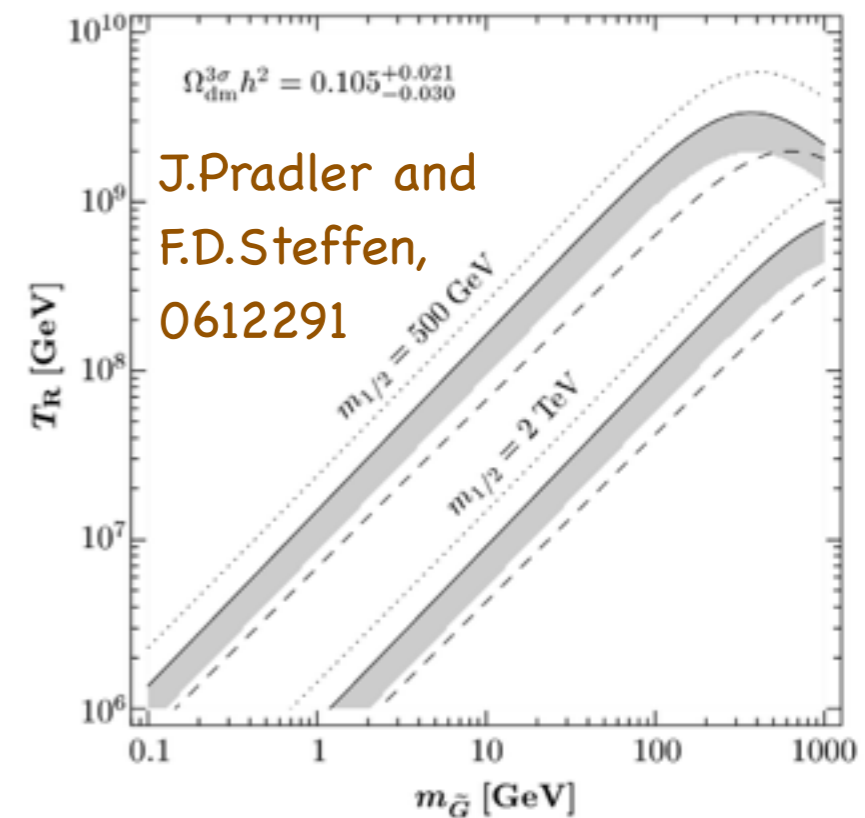
$$\Omega_{\tilde{G}}^{\text{thermal}} \propto \frac{T_R}{m_{\tilde{G}}} M_{\text{gluino}}^2 \quad (+ \text{ corrections})$$

- NLSP decay.
- late-time dilution by messenger decay.

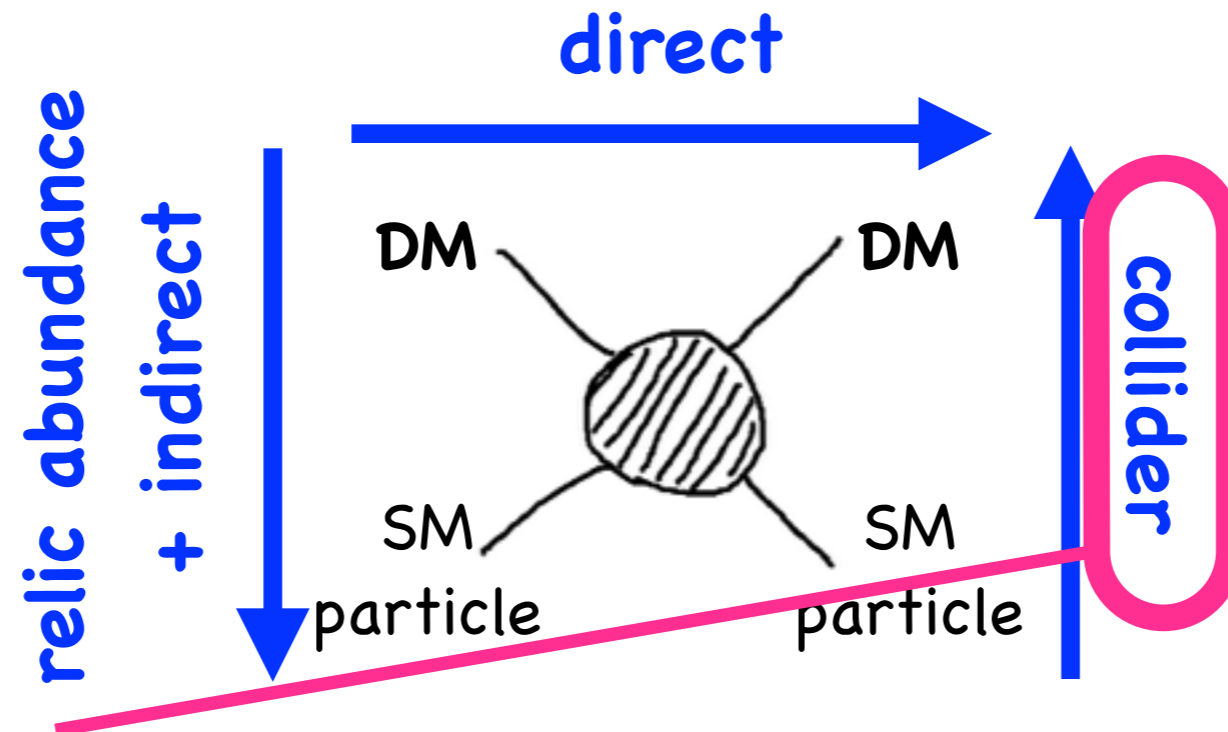
Very high T_R is allowed ! (Ω becomes independent of T_R .)

$$\Omega_{3/2} h^2 \simeq \frac{1}{\Delta} \Omega_{3/2}^{\text{eq}} h^2 \quad [\text{cf. KH, M.Ibe, T.T.Yanagida, N.Yokozaki, '14}]$$

$$\simeq 0.16 \left(\frac{f_3}{0.01} \right) \left(\frac{10}{g_*} \right)^{1/4} \left(\frac{\tan \beta}{50} \right) \left(\frac{m_{3/2}}{10 \text{ MeV}} \right)^2 \left(\frac{10^{10} \text{ GeV}}{M_{\text{mess}}} \right)^{5/2}$$



Gravitino DM (in GMSB)



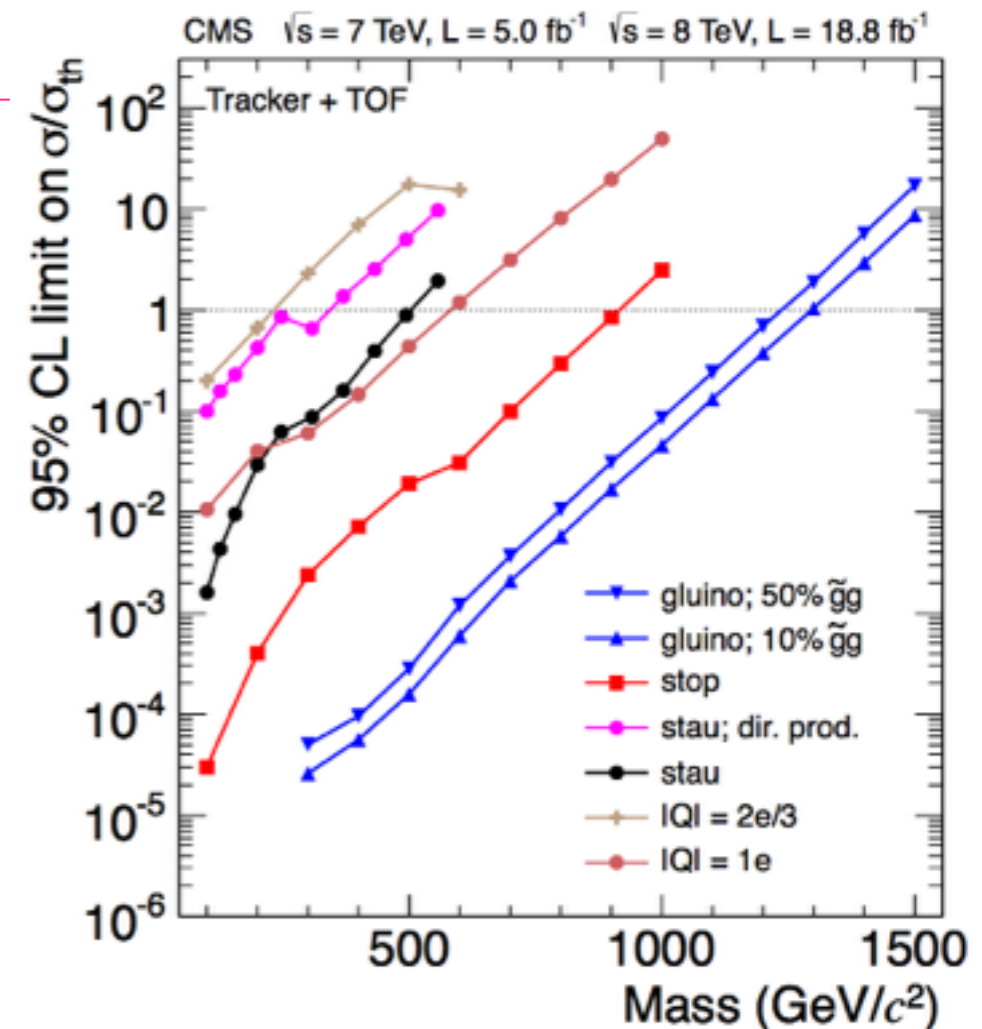
Collider signature: (...IF NLSP is charged (stau))
= long-lived charged track !

8 TeV bound:

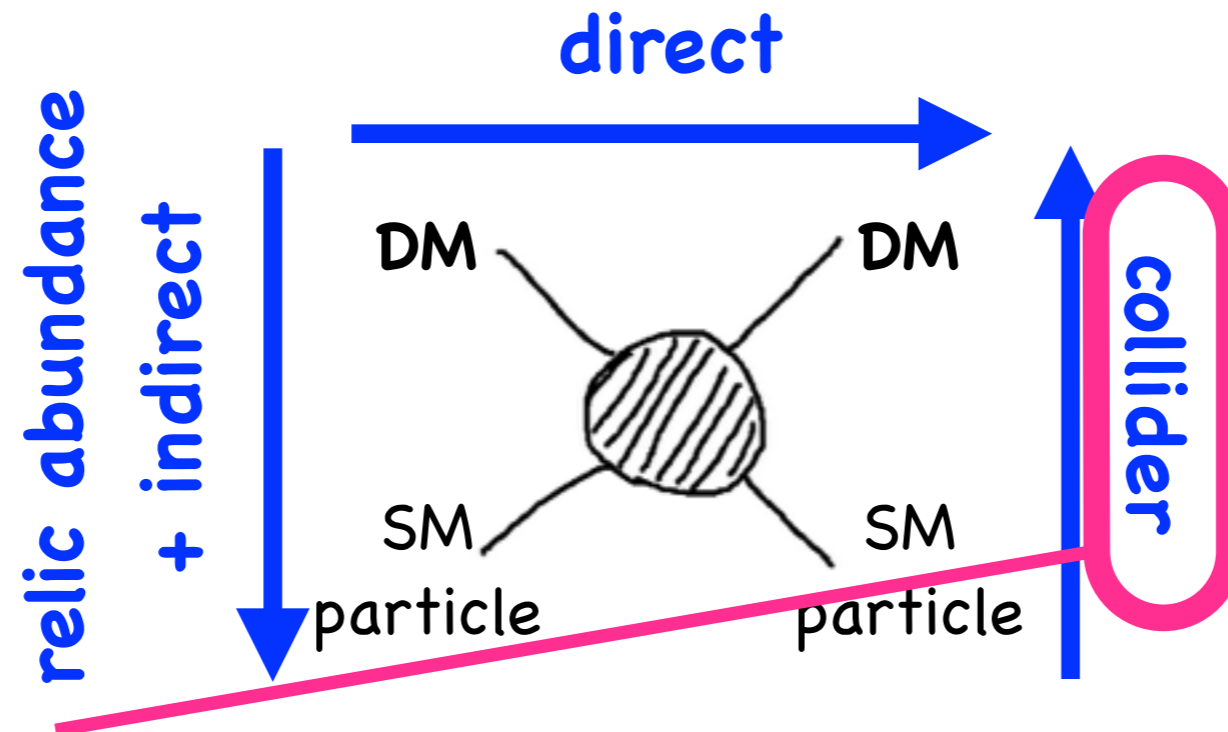
$$m(\text{stau}) > 339 \text{ GeV}$$

[CMS, 1305.0491]

[> 290 GeV by ATLAS:1411.6795]



Gravitino DM (in GMSB)



Collider signature: (...IF NLSP is charged (stau))

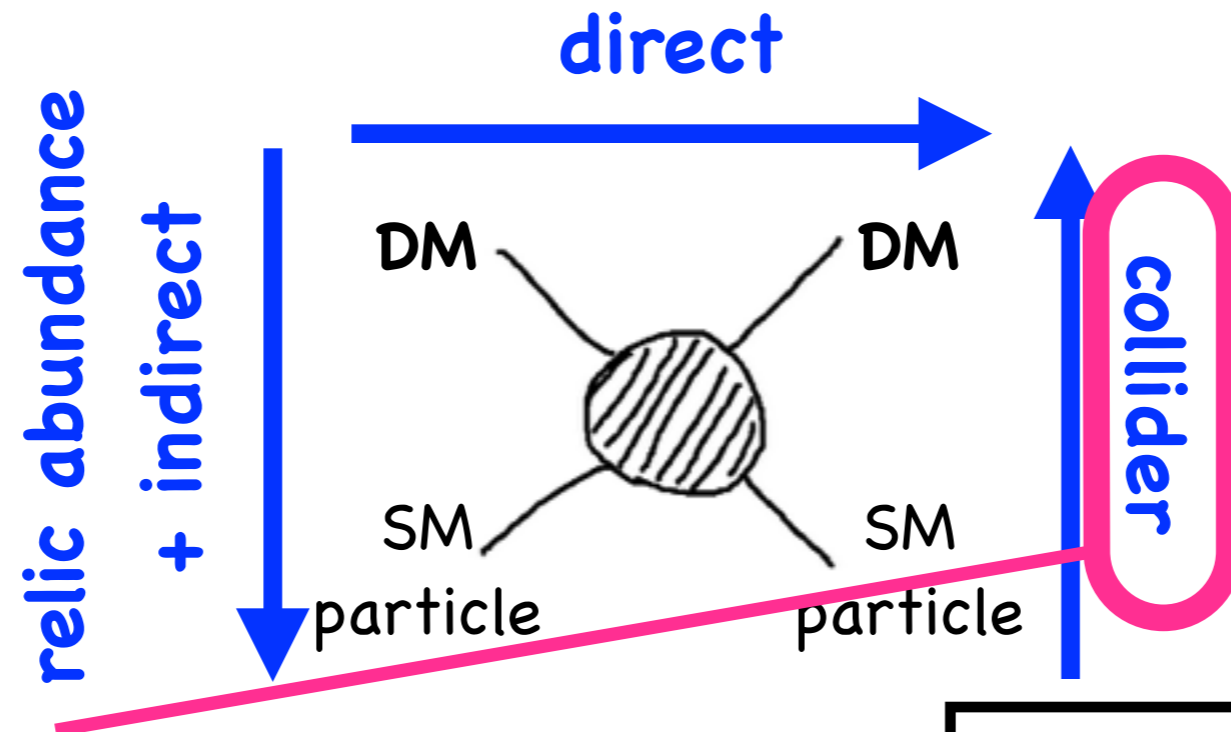
= long-lived charged track !

... but **126 GeV Higgs** suggests

$O(> \text{TeV})$ SUSY particles in GMSB (where A-term is small).

Is it still possible to see it ?

Gravitino DM (in GMSB)



Collider signature: (...IF NLSP is charged (stau))

= long-lived charged track !

... but **126 GeV Higgs** suggests

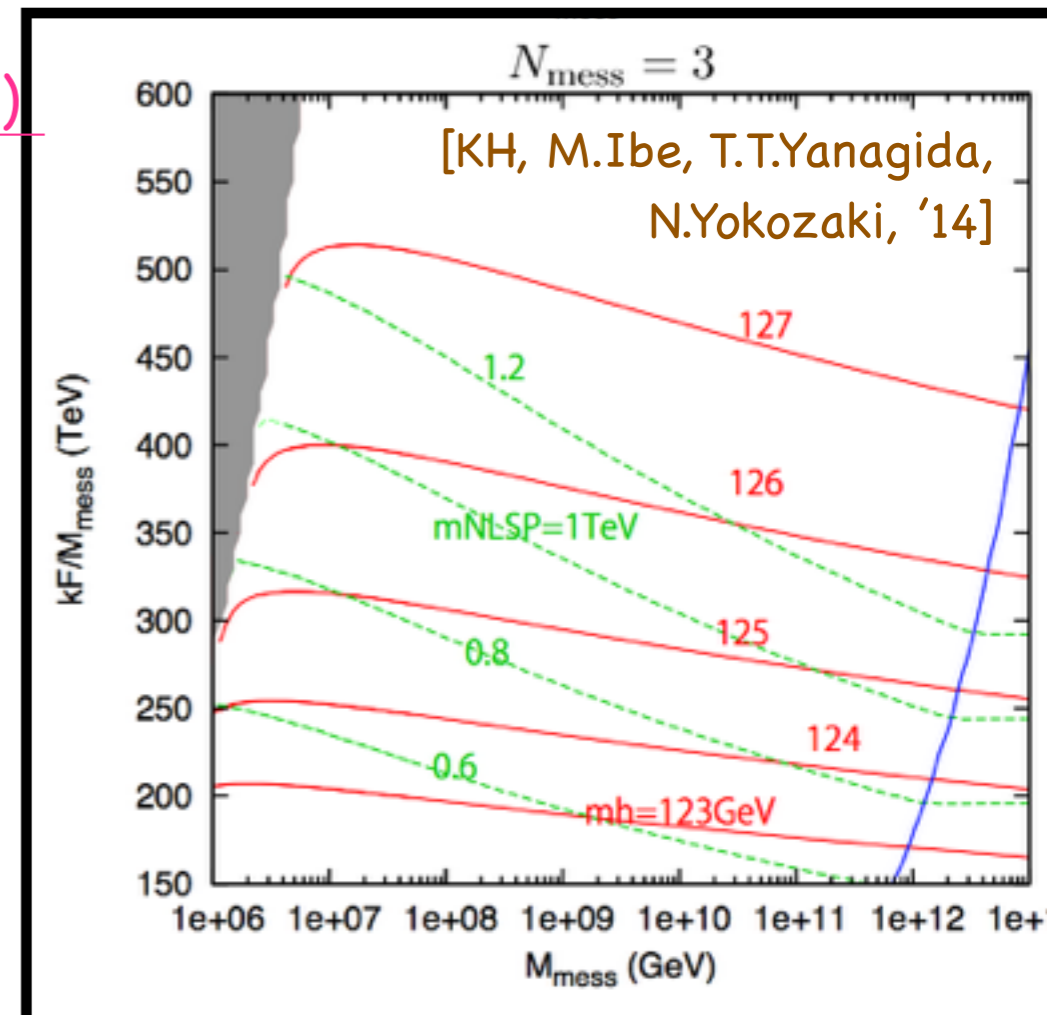
$O(> \text{TeV})$ SUSY particles in GMSB (where A-term is small).

Is it still possible to see it ?

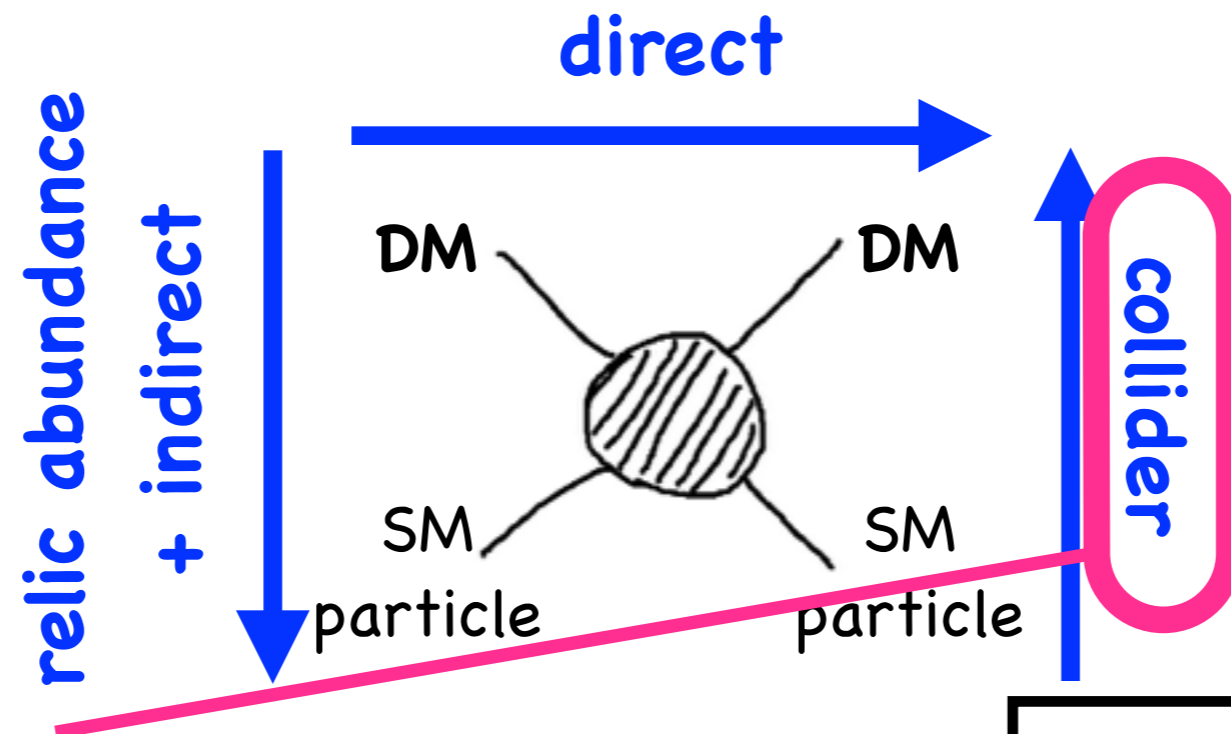
→ In a minimal direct GMSB ($B(M_{\text{mess}})=0$ to avoid CPV → large $\tan\beta$)...

→

$m_{\text{NLSP}} < 1.0\text{--}1.2 \text{ TeV.}$



Gravitino DM (in GMSB)



Collider signature: (...IF NLSP is charged (stau))

= long-lived charged track !

... but **126 GeV Higgs** suggests

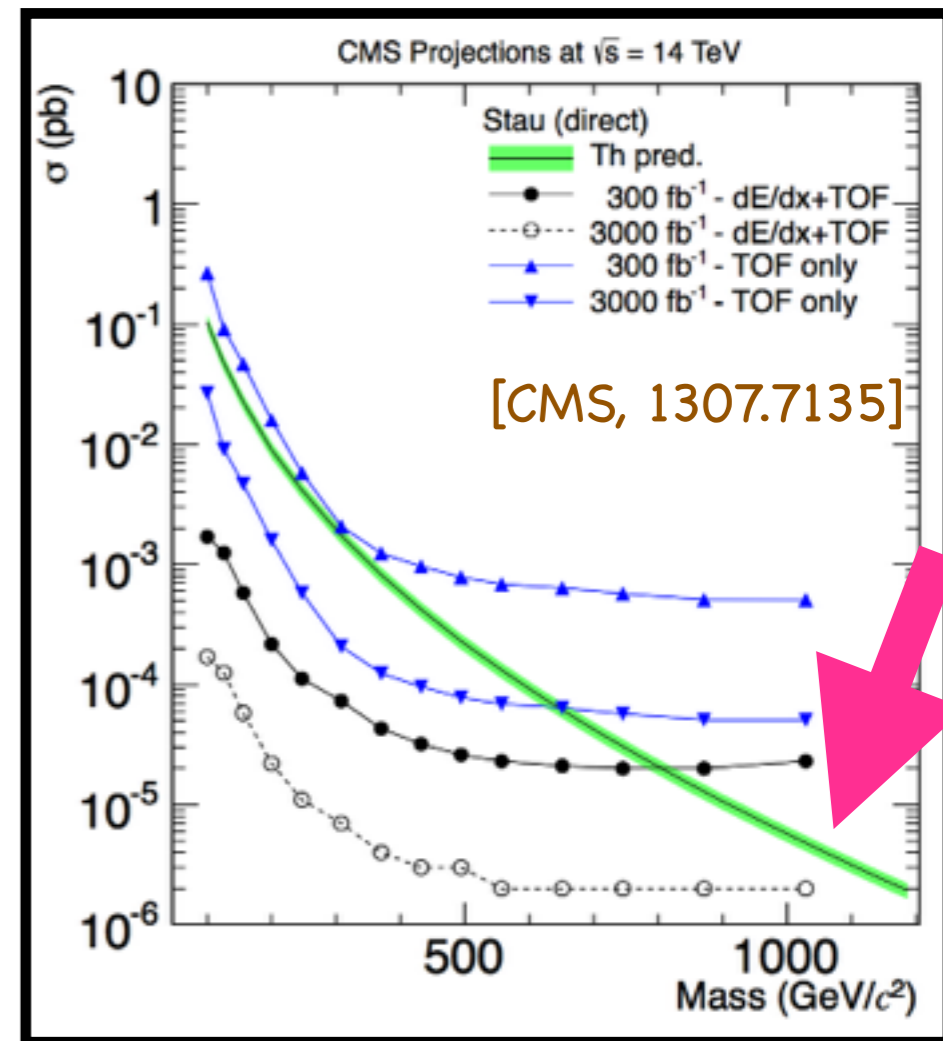
$O(> \text{TeV})$ SUSY particles in GMSB (where A-term is small).

Is it still possible to see it ?

→ In a minimal direct GMSB ($B(M_{\text{mess}})=0$ to avoid CPV → large $\tan\beta$)...

→ $m_{\text{NLSP}} < 1.0\text{--}1.2 \text{ TeV.}$

..... can be seen @ 3000fb^{-1} !



Plan

- 126 GeV Higgs and SUSY
- **Wino** DM (in heavy sfermion scenario)
- **gravitino** DM (in GMSB)
- **light Bino-like** DM (h/Z-resonant Bino)
- **g-2** and DM

Plan

- 126 GeV Higgs and SUSY

Assume that

$$m_{\tilde{q}} \gg m_{\tilde{\ell}}, m_{\tilde{\chi}^{\pm}}, m_{\tilde{\chi}^0},$$

$\gg 1$ TeV
to explain
126 GeV Higgs

= $O(100$ GeV)
for DM (and g-2)

light Bino-like DM (h/Z-resonant Bino)

g-2 and DM

Plan

- 126 GeV Higgs and SUSY

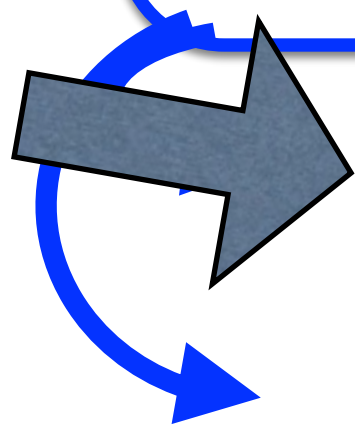
Assume that

$$m_{\tilde{q}} \gg m_{\tilde{\ell}}, m_{\tilde{\chi}^{\pm}}, m_{\tilde{\chi}^0},$$

$\gg 1$ TeV
to explain

126 GeV Higgs

= $O(100$ GeV)
for DM (and g-2)



light Bino-like DM (h/Z-resonant Bino)

g-2 and DM

light Bino-like DM (h/Z-resonant Bino)

[KH, K.Ishikawa, in preparation]

Suppose $M_1, \mu \ll$ [all other SUSY particle masses]

-> Only 3 relevant parameters: $M_1, \mu, \tan\beta$

$$M_{\text{neutralino}} = \begin{pmatrix} M_1 & -m_Z s_W c_\beta & m_Z s_W s_\beta \\ -m_Z s_W c_\beta & 0 & -\mu \\ m_Z s_W s_\beta & -\mu & 0 \end{pmatrix}$$

= One of the "well-tempered" scenarios.

[N.Arkani-Hamed, A.Delgado, G.F.Giucice, 0601041]

light Bino-like DM (h/Z-resonant Bino)

[KH, K.Ishikawa, in preparation]

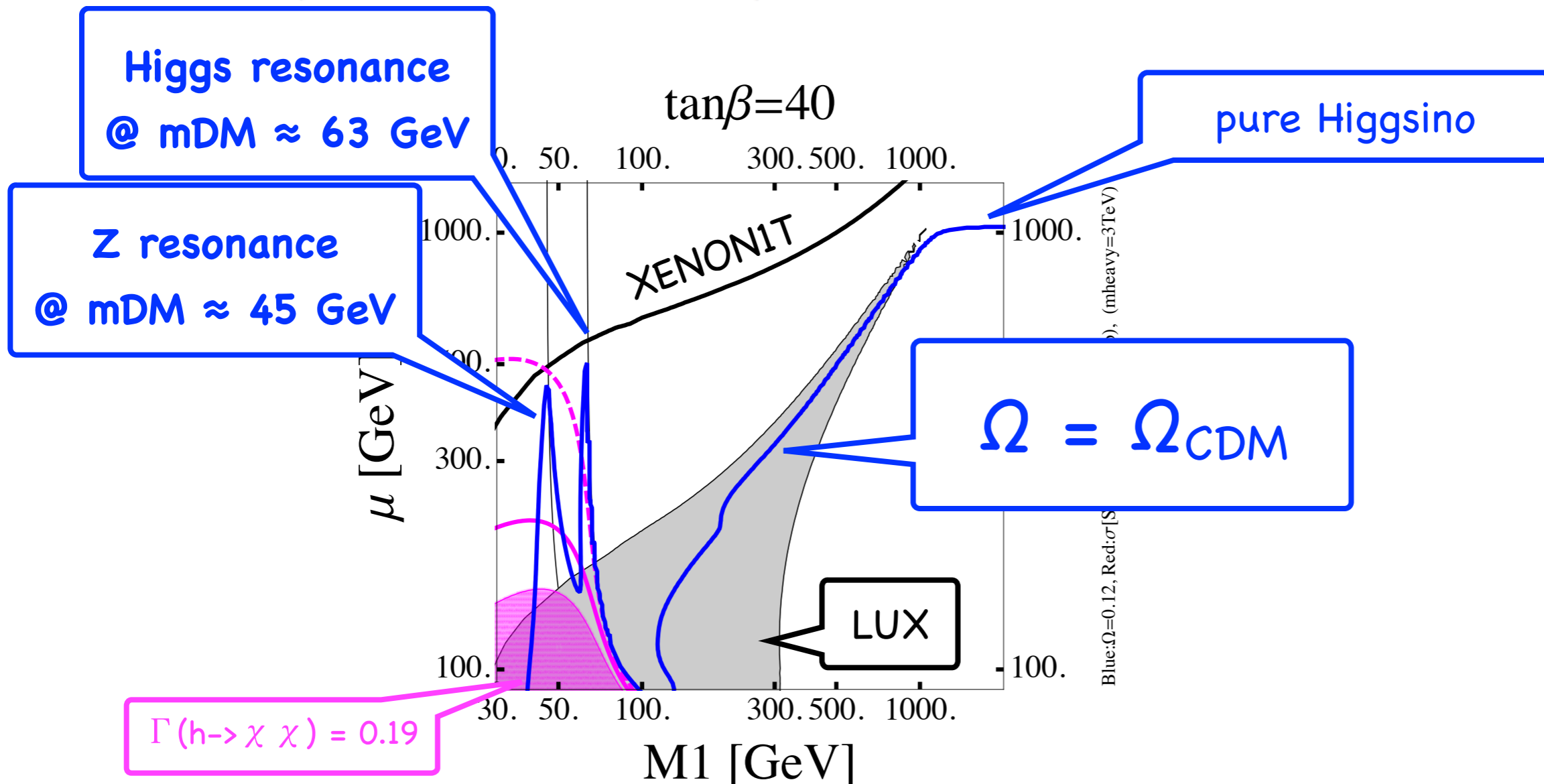
Suppose $M_1, \mu \ll$ [all other SUSY particle masses]

-> Only 3 relevant parameters: $M_1, \mu, \tan\beta$

$$M_{\text{neutralino}} = \begin{pmatrix} M_1 & -m_Z s_W c_\beta & m_Z s_W s_\beta \\ -m_Z s_W c_\beta & 0 & -\mu \\ m_Z s_W s_\beta & -\mu & 0 \end{pmatrix}$$

= One of the "well-tempered" scenarios.

[N.Arkani-Hamed, A.Delgado, G.F.Giucice, 0601041]



light Bino-like DM (h/Z-resonant Bino)

[KH, K.Ishikawa, in preparation]

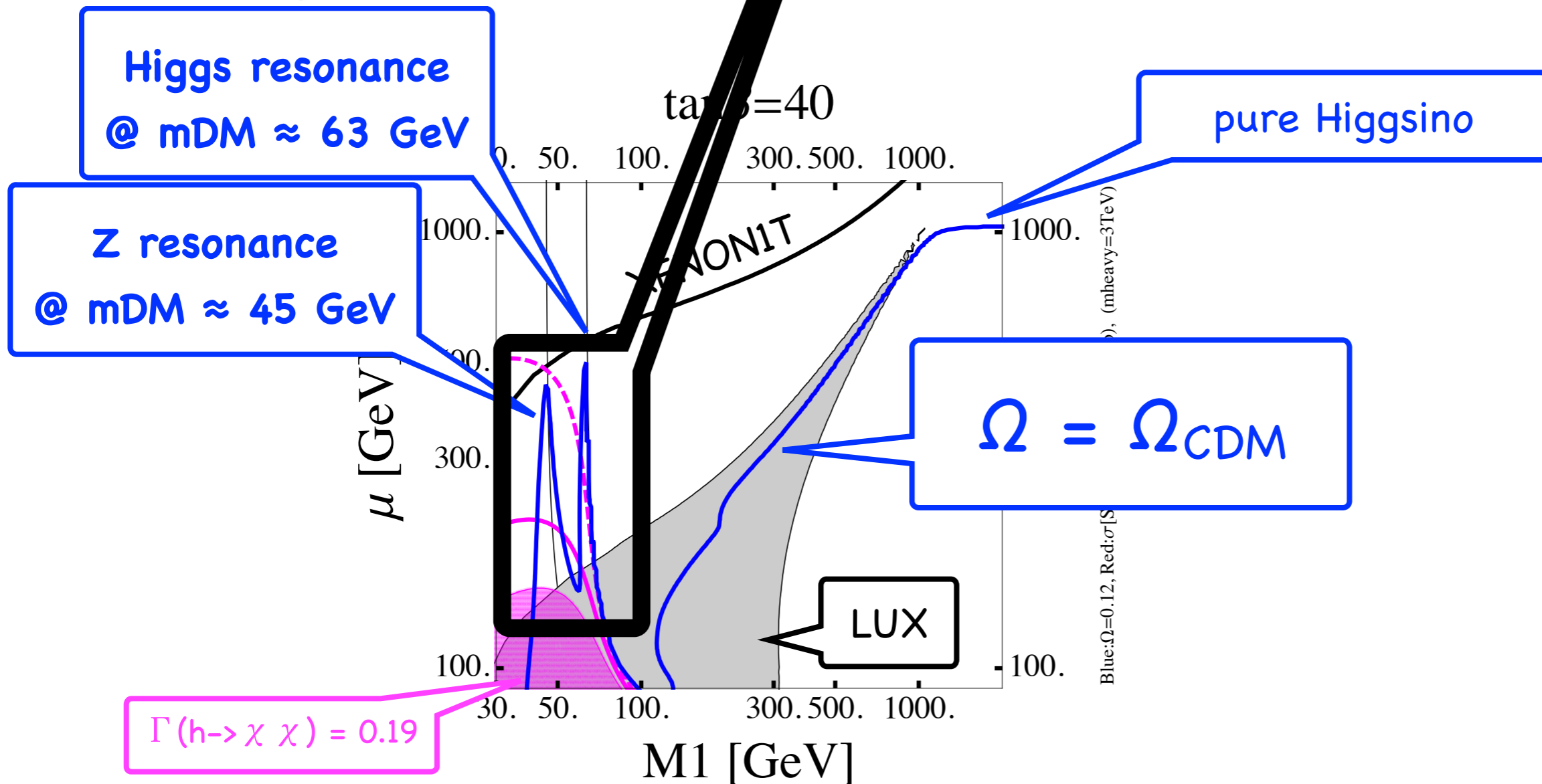
Suppose $M_1, \mu \ll$ [all other SUSY particle masses]

-> Only 3 relevant parameters: $M_1, \mu, \tan\beta$

= One of the "well-tempered" scenarios.

[N.Arkani-Hamed, A.Delgado, G.F.Giucice, 0601041]

$$M_{\text{neutralino}} = \begin{pmatrix} M_1 & -m_{ZSW}c_\beta & m_{ZSW}s_\beta \\ -m_{ZSW}c_\beta & 0 & -\mu \\ m_{ZSW}s_\beta & -\mu & 0 \end{pmatrix}$$



light Bino-like DM (h/Z-resonant Bino)

[KH, K.Ishikawa, in preparation]

Suppose $M_1, \mu \ll$ [all other SUSY particle masses]

-> Only 3 relevant parameters: $M_1, \mu, \tan\beta$

= One of the "well-tempered" scenarios.

[N.Arkani-Hamed, A.Delgado, G.F.Giucice, 0601041]

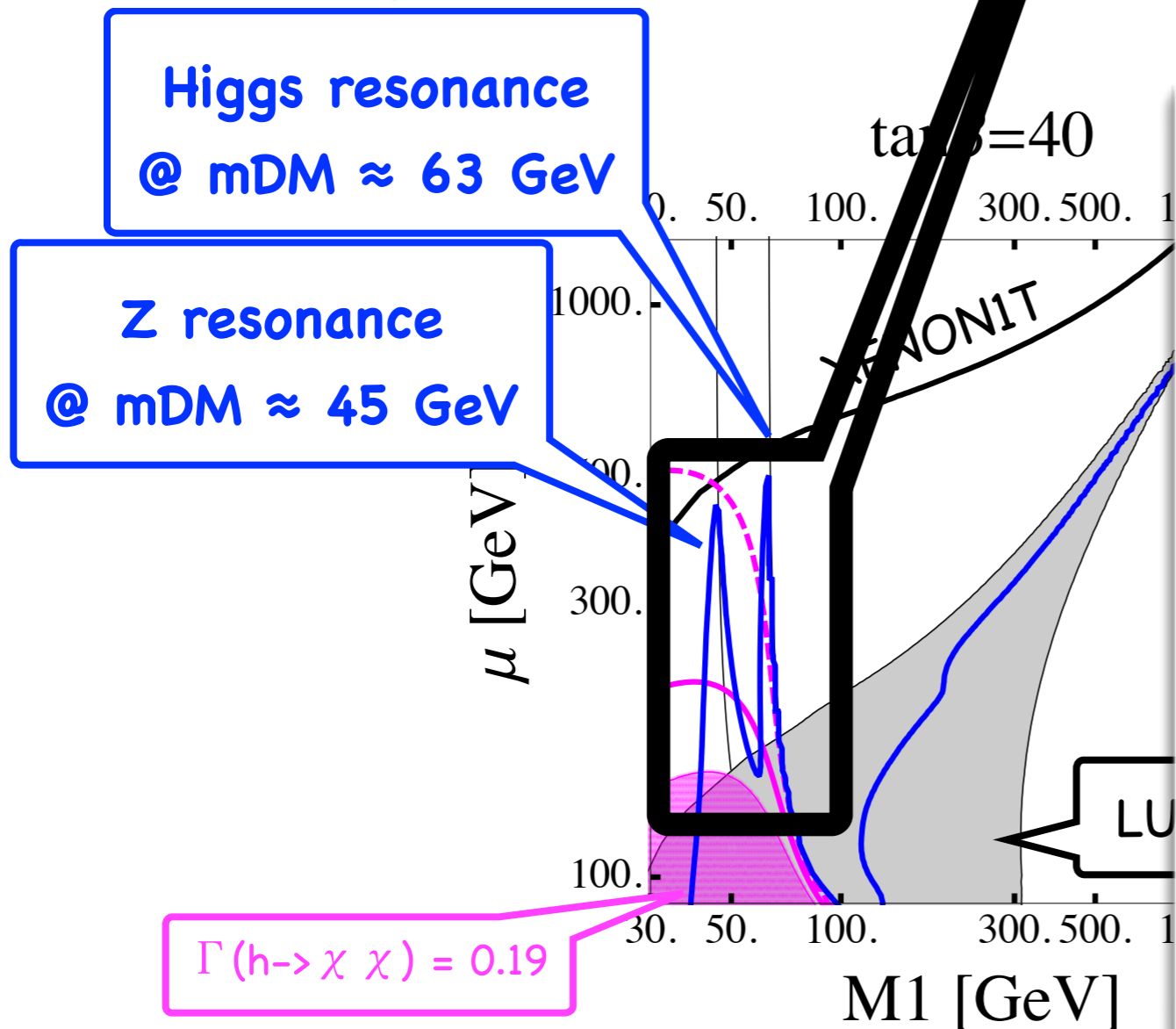
$$M_{\text{neutralino}} = \begin{pmatrix} M_1 & -m_Z s_W c_\beta & m_Z s_W s_\beta \\ -m_Z s_W c_\beta & 0 & -\mu \\ m_Z s_W s_\beta & -\mu & 0 \end{pmatrix}$$

(of course) many earlier works...
including recent ones...

- 1211.4873 [C.Cheung, L.J.Hall, D.Pinner, J.T.Ruderman]
- 1409.7000 [C.Han]
- 1410.5730 [L.Calibbi, J.M.Lindert, T.Ota, Y.Takanishi]
-

In our work...

Full parameter scan (not scatter plot!)
in h/Z-resonant region with current
bounds + future prospects..



light Bino-like DM (h/Z-resonant Bino)

[KH, K.Ishikawa, in preparation]

$\tan\beta = 4$

$\mu > 0$

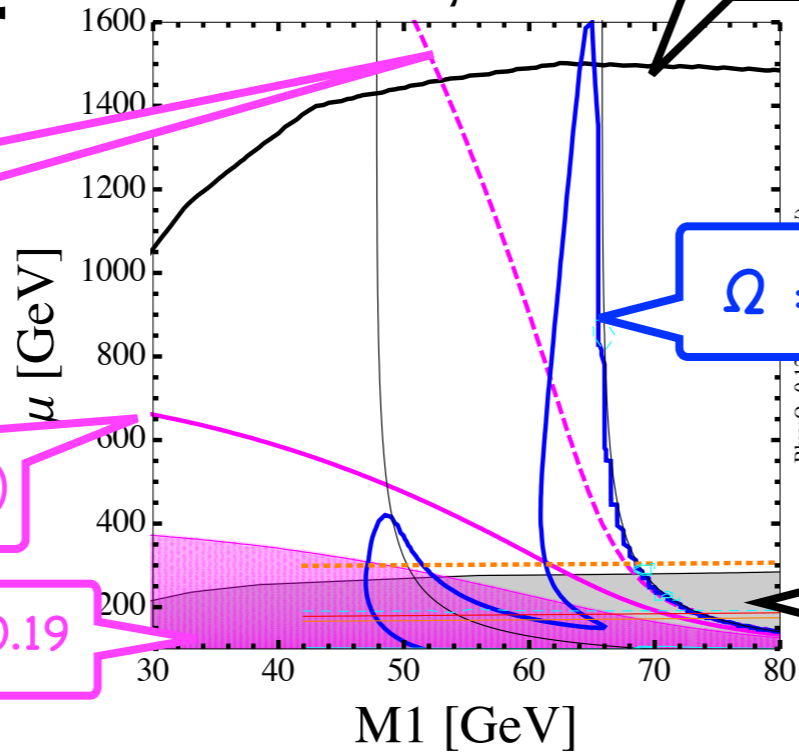
$\tan\beta=4$

XENON1T

$\Gamma(h \rightarrow \chi\chi) = 0.004$ (ILC)

$\Gamma(h \rightarrow \chi\chi) = 0.062$ (HL-LHC)

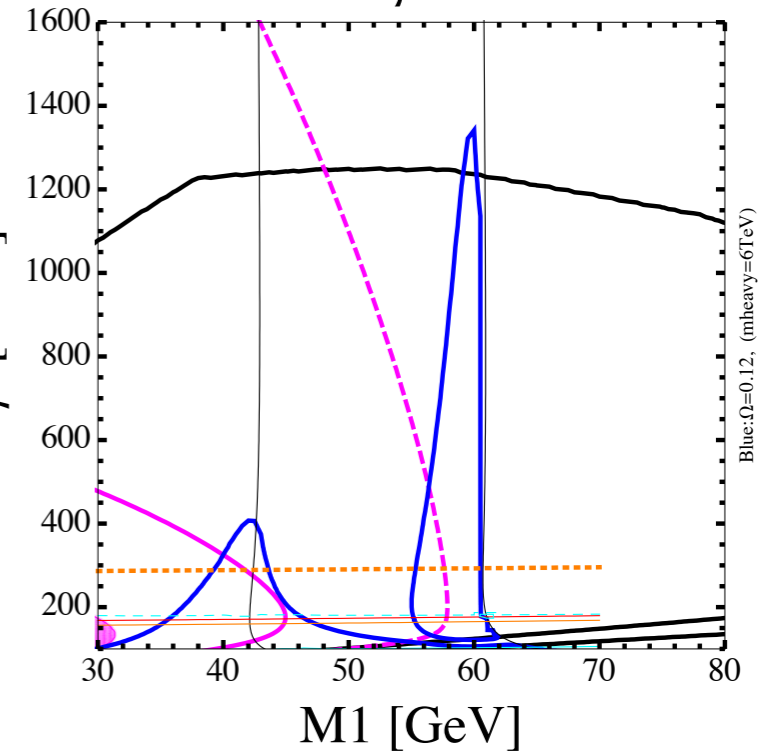
$\Gamma(h \rightarrow \chi\chi) = 0.19$



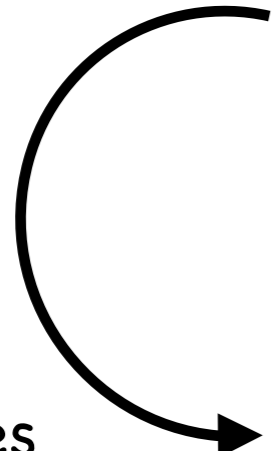
$\mu < 0$

$\tan\beta=4$

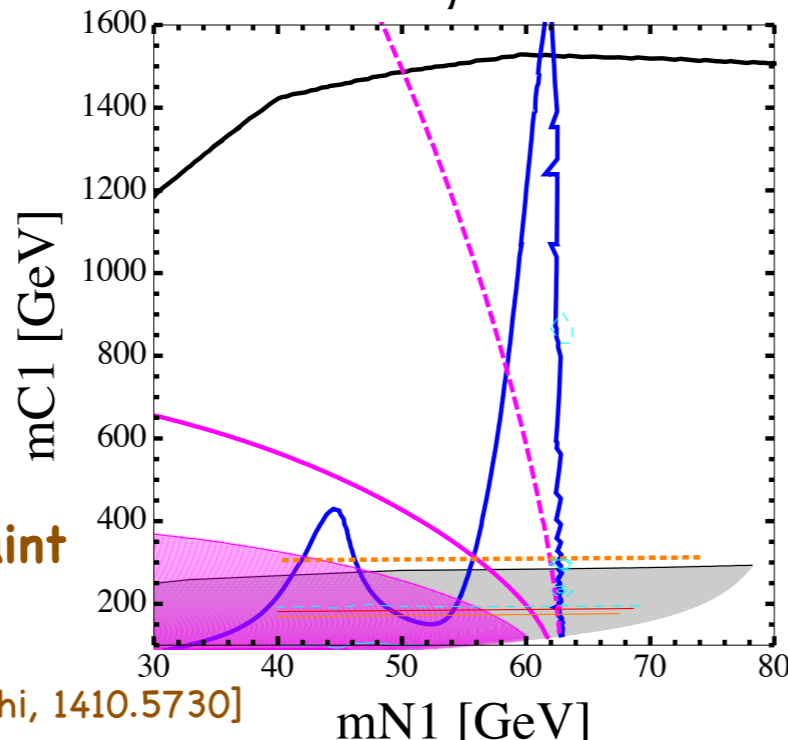
$-\mu$ [GeV]



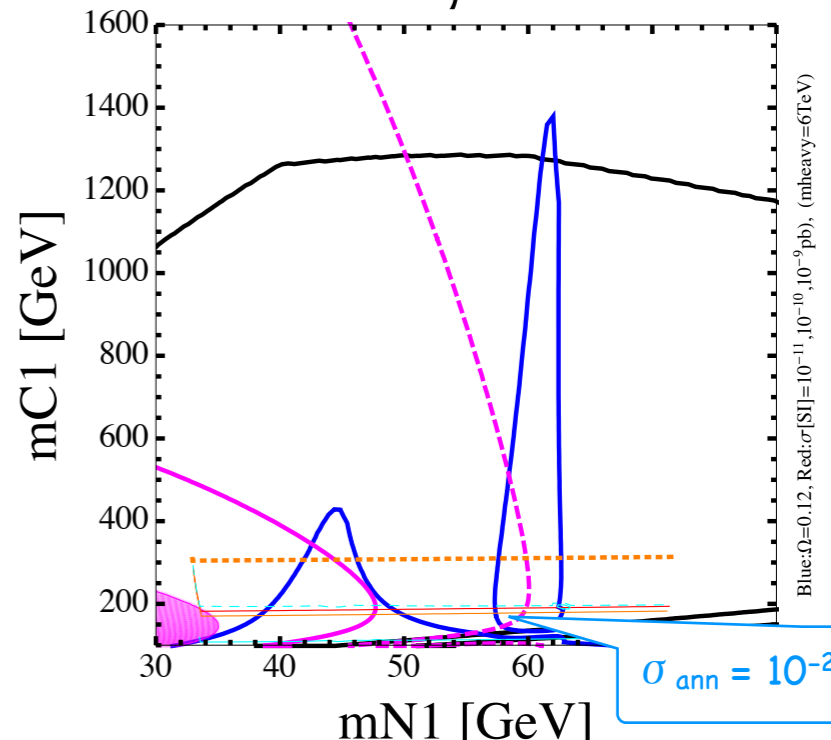
mass eigenstates



$\tan\beta=4$



$\tan\beta=4$

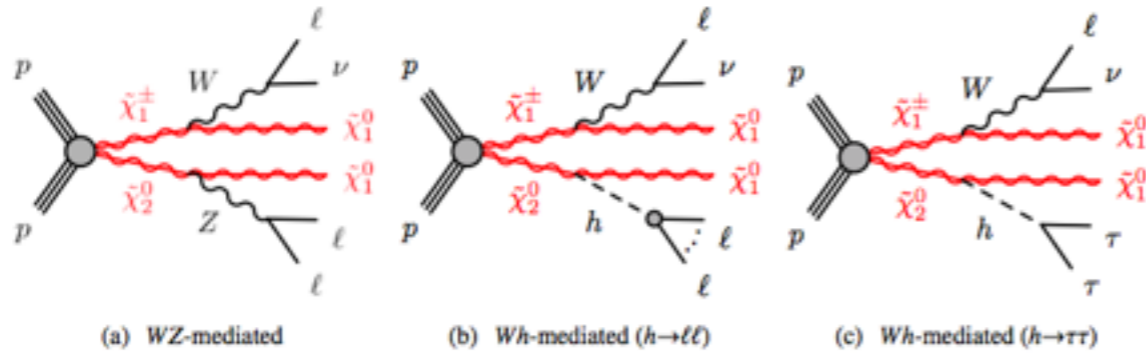


$\sigma_{\text{ann}} = 10^{-29} \text{cm}^3/\text{s}$

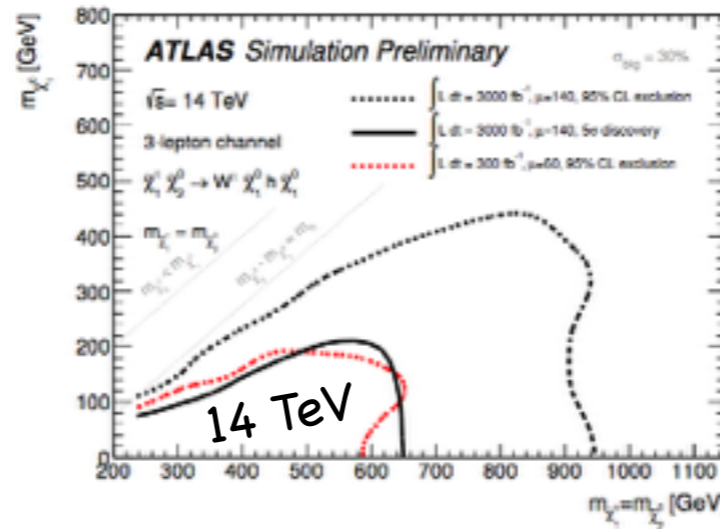
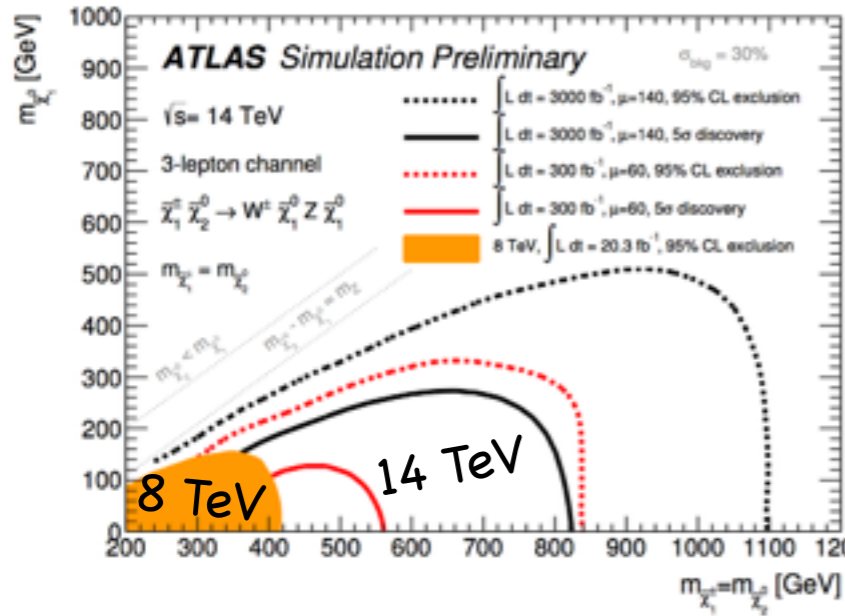
(*In addition, 8 TeV LHC constraint for $\mu \lesssim 250$ GeV.

[cf .L.Calibbi, J.M.Lindert, T.Ota, Y.Takanishi, 1410.5730]

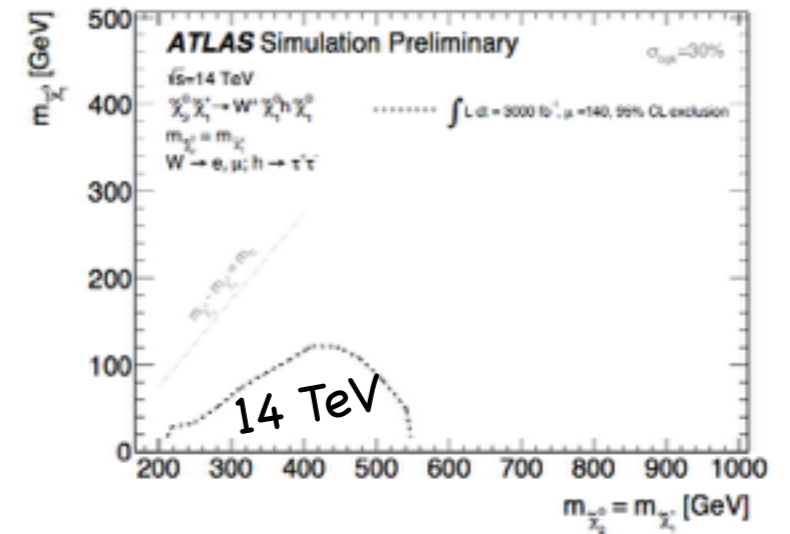
light Bino-like DM (h/Z-resonant Bino)



ATLAS [ATL-PHYS-PUB-2014-010]

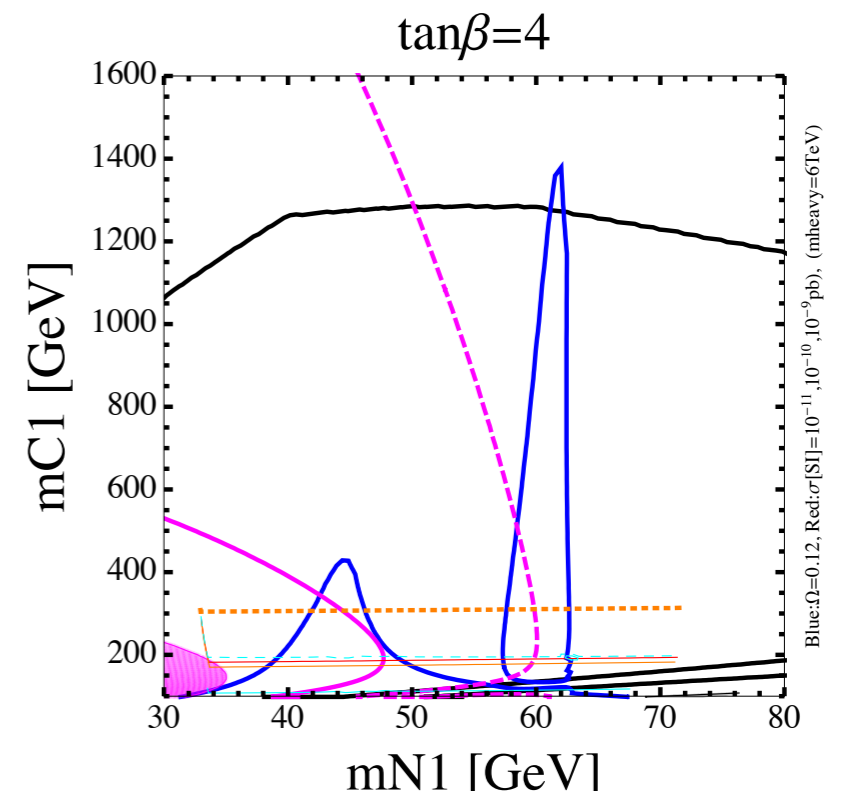
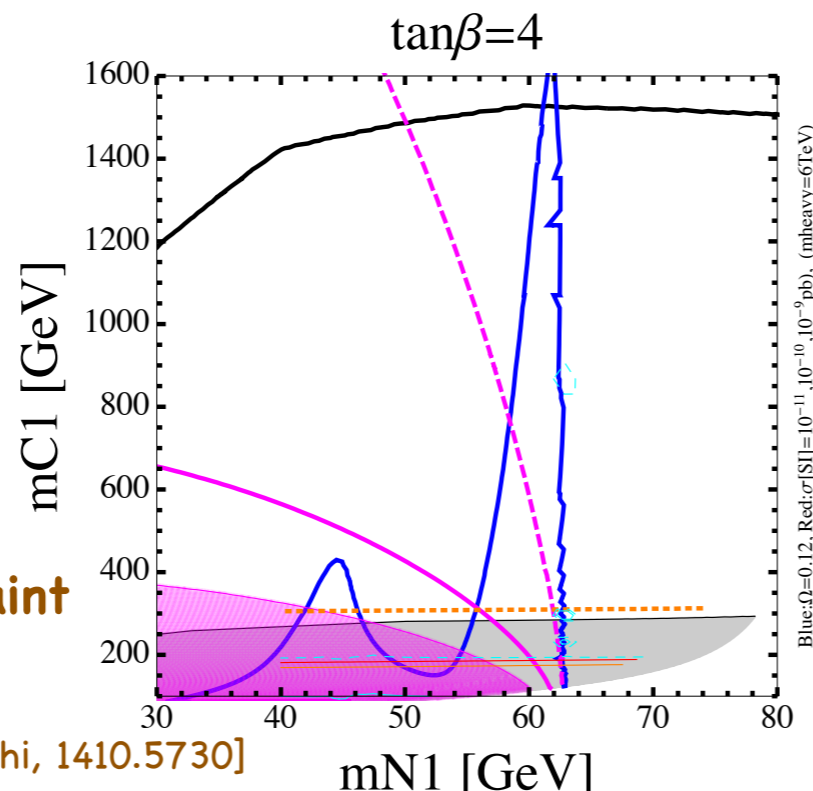


(a) 3ℓ channel



(b) 1ℓ2τ channel

in progress...



(*In addition, 8 TeV LHC constraint for $\mu \lesssim 250$ GeV.

[cf .L.Calibbi, J.M.Lindert, T.Ota, Y.Takanishi, 1410.5730]

light Bino-like DM (h/Z-resonant Bino)

[KH, K.Ishikawa, in preparation]

$\tan\beta = 10$

$\mu > 0$

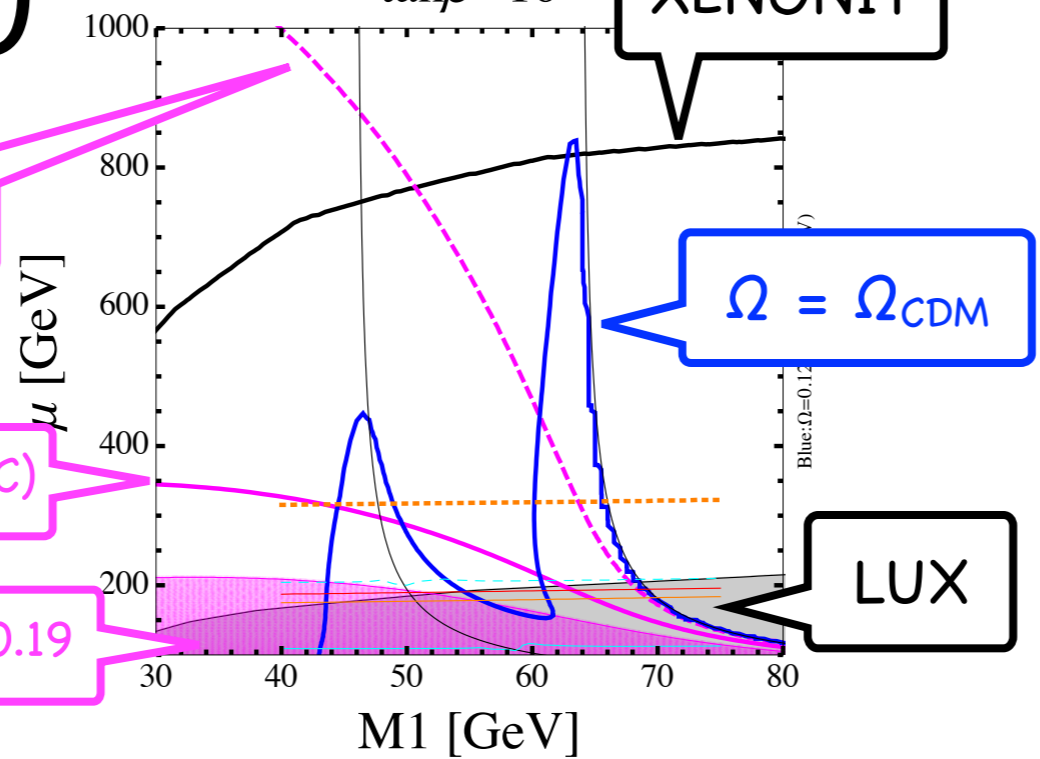
$\tan\beta = 10$

XENON1T

$\Gamma(h \rightarrow \chi\chi) = 0.004$ (ILC)

$\Gamma(h \rightarrow \chi\chi) = 0.062$ (HL-LHC)

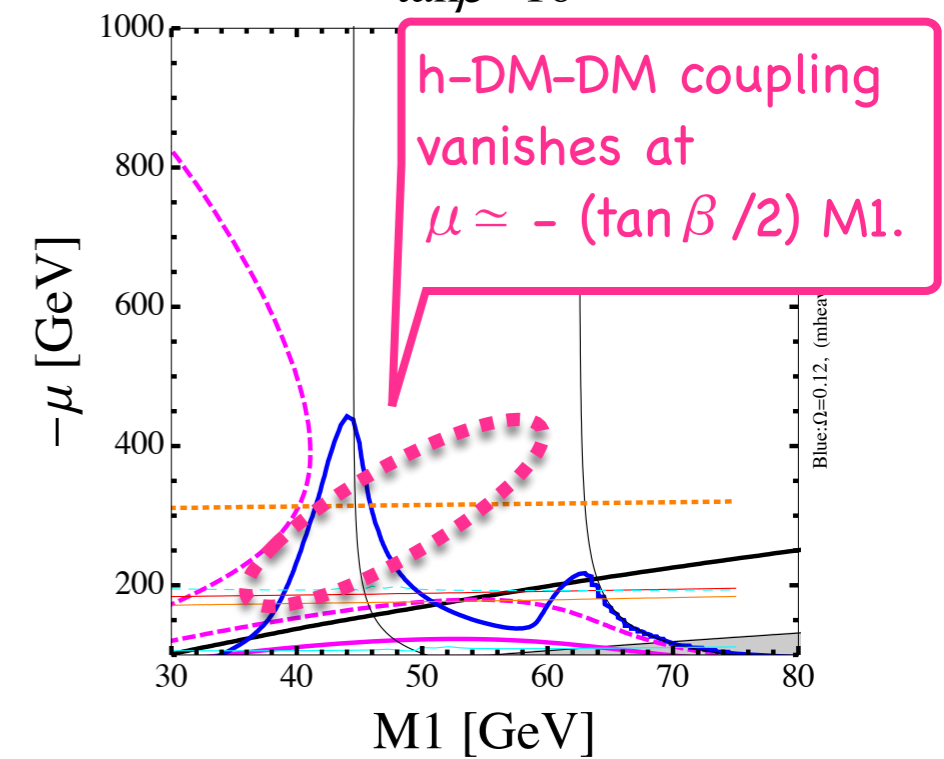
$\Gamma(h \rightarrow \chi\chi) = 0.19$



$\mu < 0$

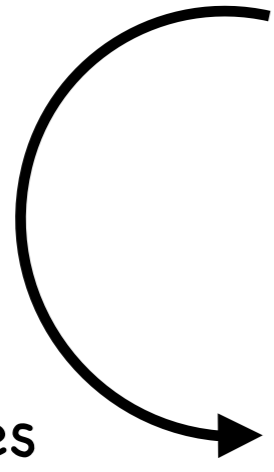
$\tan\beta = 10$

h-DM-DM coupling vanishes at $\mu \approx -(\tan\beta / 2) M1$.

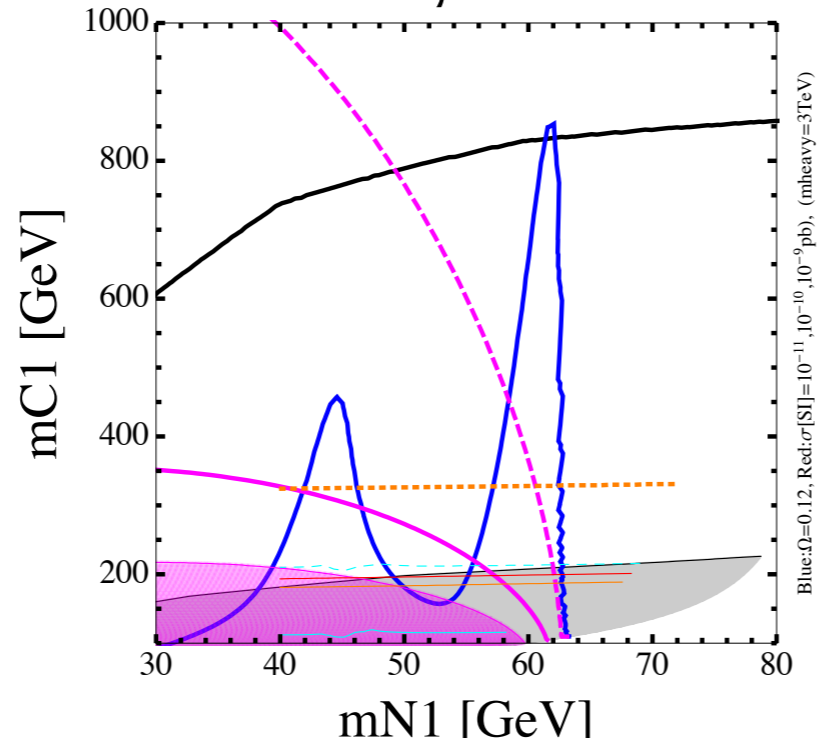


(cf. "blind spots" discussed in C. Cheung et.al. 1211.4873)

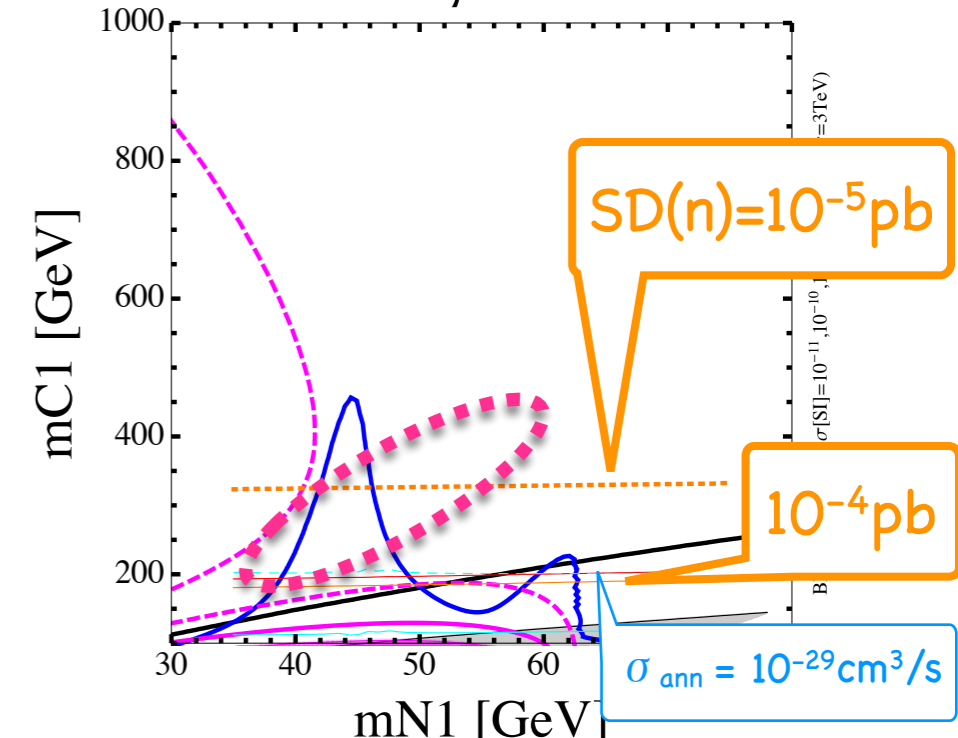
mass eigenstates



$\tan\beta = 10$



$\tan\beta = 10$



light Bino-like DM (h/Z-resonant Bino)

[KH, K.Ishikawa, in preparation]

$\tan\beta = 40$

$\mu > 0$

$\tan\beta = 40$

XENON1T

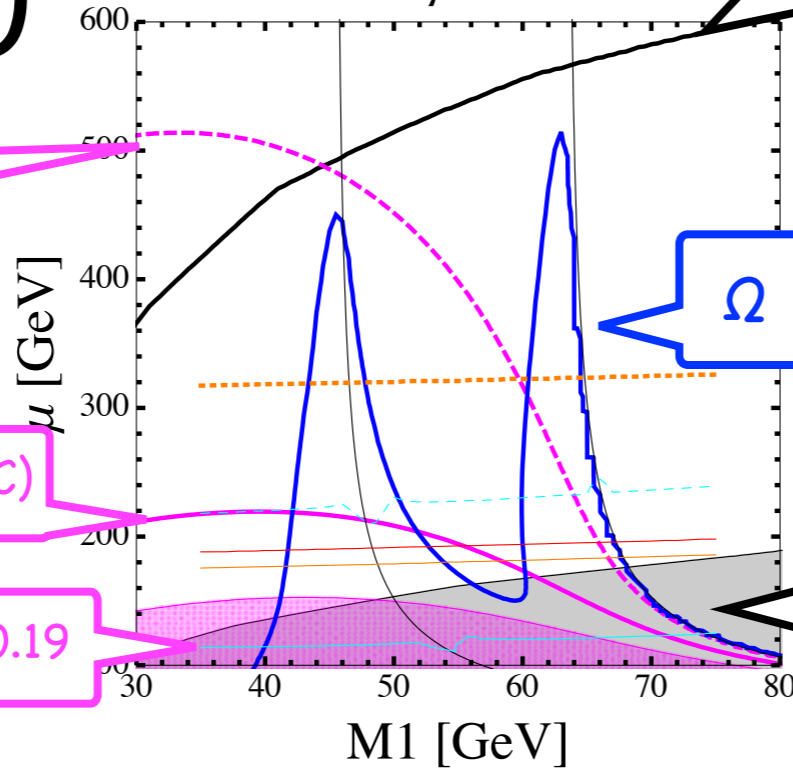
$\Gamma(h \rightarrow \chi\chi) = 0.004$ (ILC)

$\Gamma(h \rightarrow \chi\chi) = 0.062$ (HL-LHC)

$\Gamma(h \rightarrow \chi\chi) = 0.19$

$\Omega = \Omega_{\text{CDM}}$

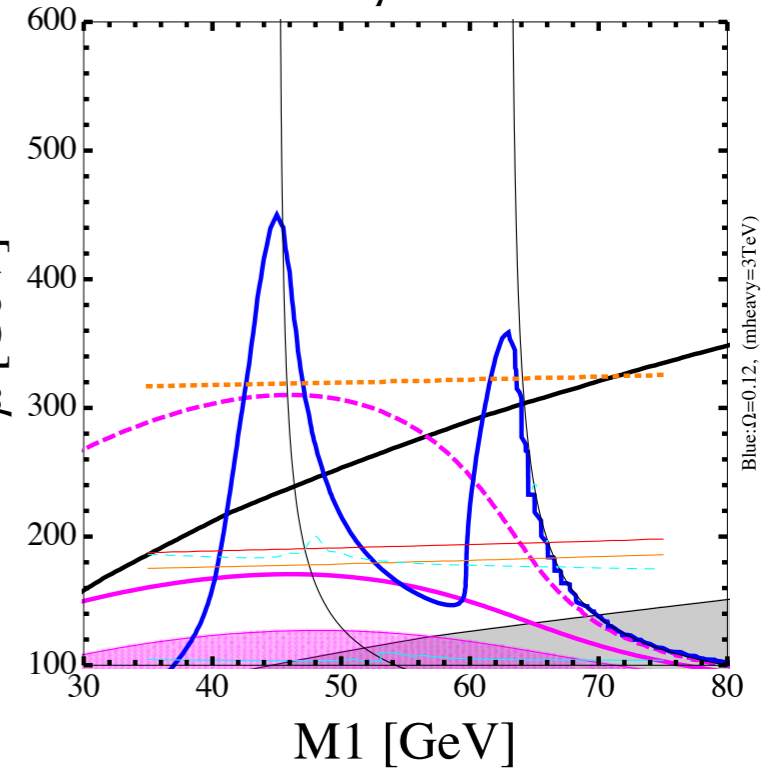
LUX



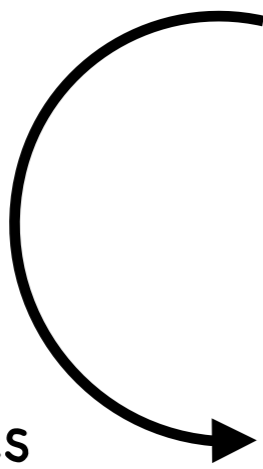
$\mu < 0$

$\tan\beta = 40$

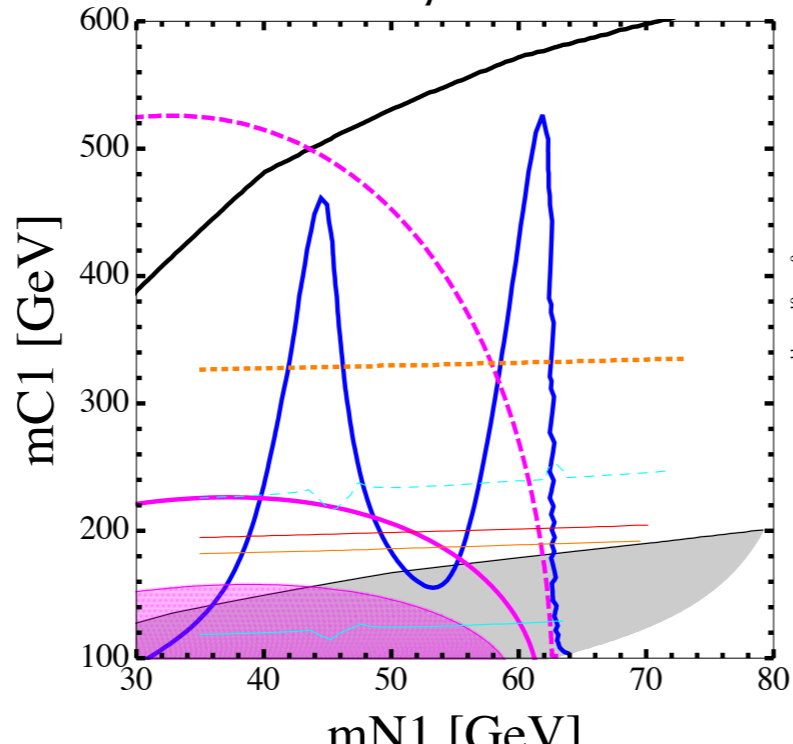
$-\mu$ [GeV]



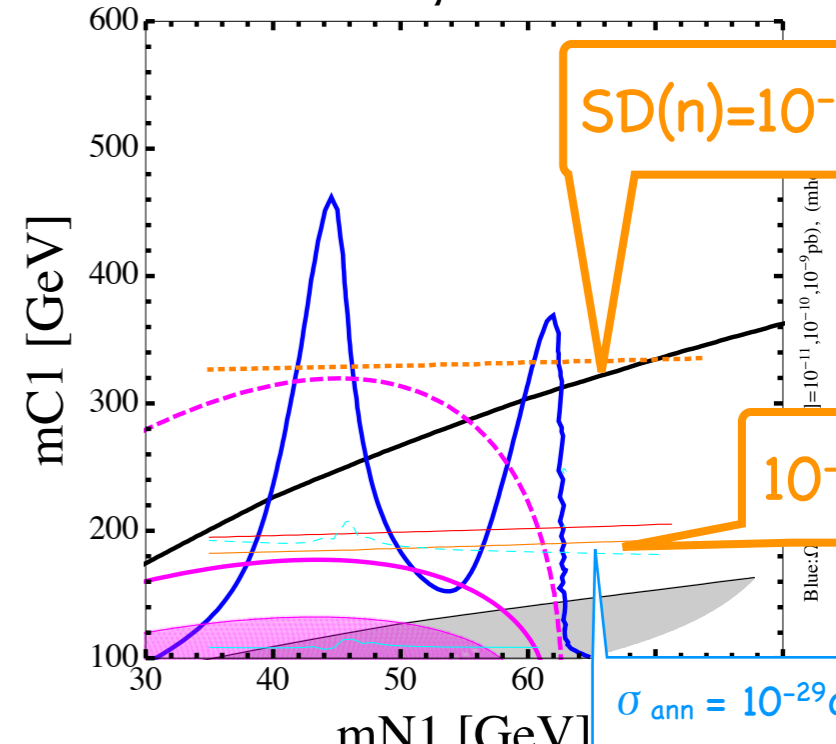
mass eigenstates



$\tan\beta = 40$



$\tan\beta = 40$



$SD(n) = 10^{-5} \text{ pb}$

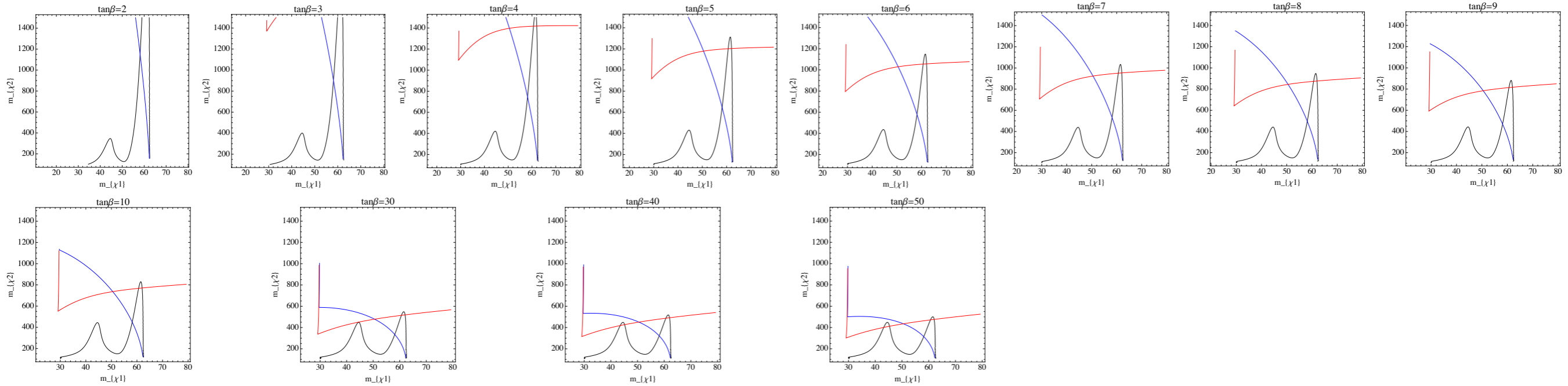
10^{-4} pb

$\sigma_{\text{ann}} = 10^{-29} \text{ cm}^3/\text{s}$

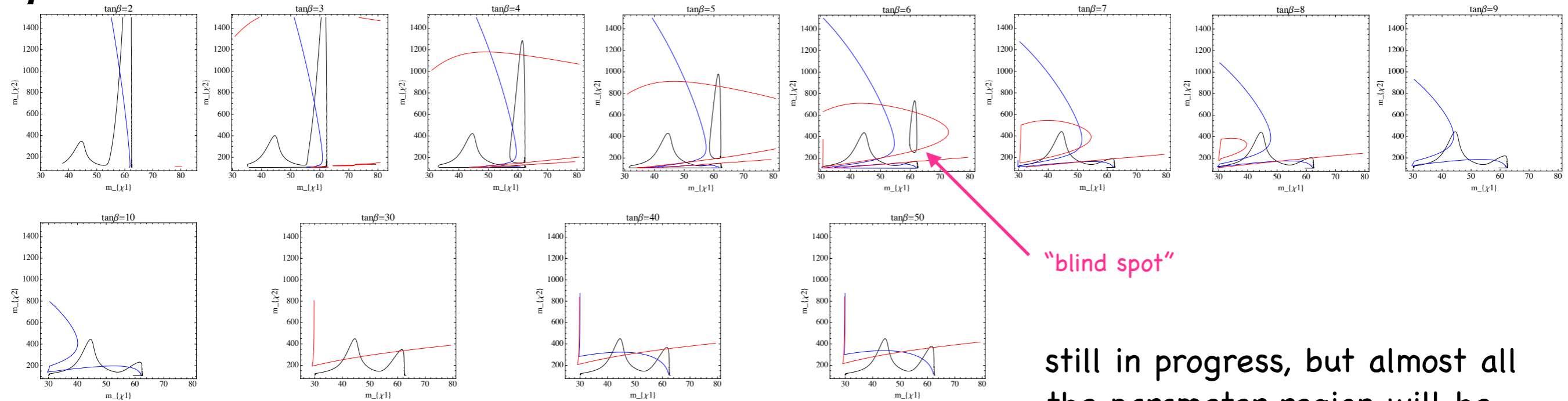
light Bino-like DM (h/Z-resonant Bino)

[KH, K.Ishikawa, in preparation]

$\mu > 0$



$\mu < 0$



“blind spot”

still in progress, but almost all the parameter region will be covered by XENON1T and/or LHC.

Plan

- 126 GeV Higgs and SUSY

Assume that

$$m_{\tilde{q}} \gg m_{\tilde{\ell}}, m_{\tilde{\chi}^{\pm}}, m_{\tilde{\chi}^0},$$

$\gg 1$ TeV
to explain
126 GeV Higgs

= $O(100$ GeV)
for DM (and g-2)

light Bino-like DM (h/Z-resonant Bino)

g-2 and DM

Plan

- 126 GeV Higgs and SUSY

Assume that

$$m_{\tilde{q}} \gg m_{\tilde{\ell}}, m_{\tilde{\chi}^{\pm}}, m_{\tilde{\chi}^0},$$

$\gg 1$ TeV
to explain

126 GeV Higgs

= $O(100$ GeV)
for DM (and g-2)

light Bino-like DM (h/Z-resonant Bino)

g-2 and DM

Plan

- 126 GeV Higgs and SUSY

Assume that

$$m_{\tilde{q}} \gg m_{\tilde{\ell}}, m_{\tilde{\chi}^{\pm}}, m_{\tilde{\chi}^0},$$

$\gg 1$ TeV
to explain

126 GeV Higgs

= $O(100$ GeV)
for DM (and g-2)

light Bino-like DM (h/Z-resonant Bino)

g-2 and DM

See also D.Chowdhury's talk last week!

DM and $g-2$ in SUSY

[M.Endo, KH, S.Iwamoto, T.Yoshinaga,
in preparation]

muon $g-2$

$$a_{\mu}^{\text{EXP}} - a_{\mu}^{\text{SM}} = (26.1 \pm 8.0) \cdot 10^{-10}$$

> 3 σ deviation !

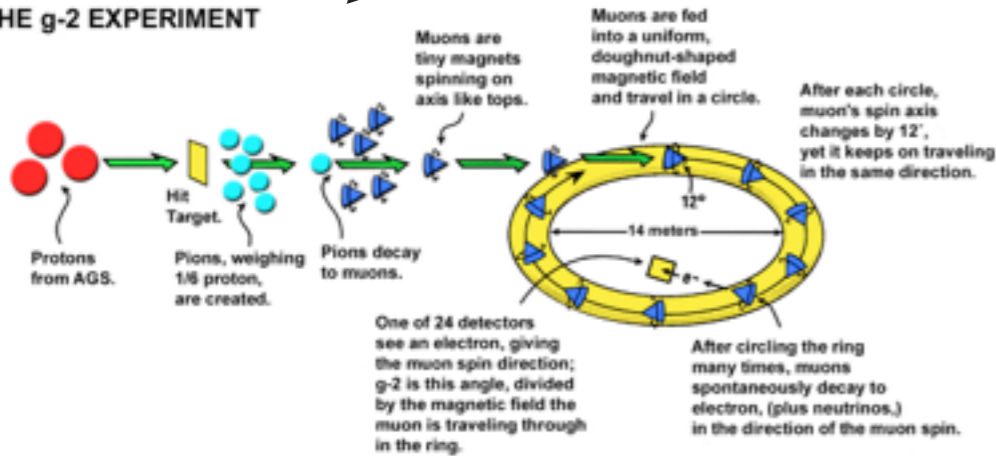
DM and $g-2$ in SUSY

muon $g-2$

$$a_{\mu}^{\text{EXP}} - a_{\mu}^{\text{SM}} = (26.1 \pm 8.0) \cdot 10^{-10}$$

> 3 σ deviation !

LIFE OF A MUON:
THE $g-2$ EXPERIMENT



from E821 muon $g-2$ Home Page

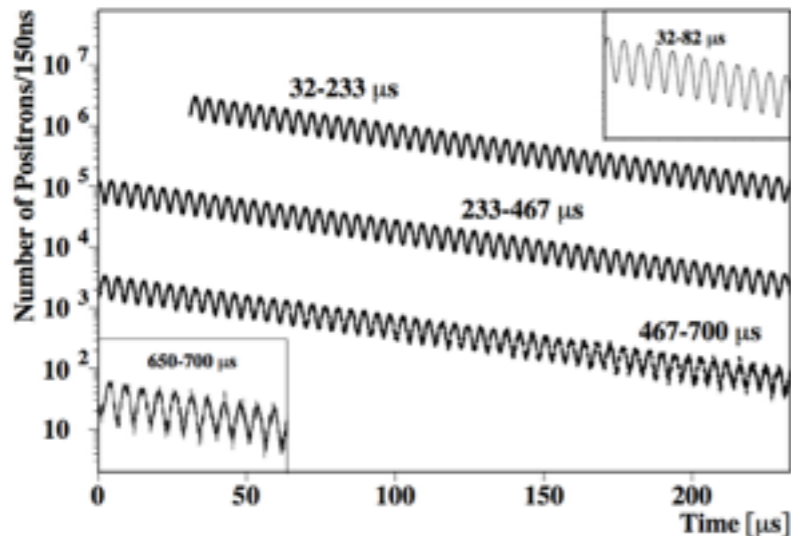


FIG. 3. Positron time spectrum overlaid with the fitted 10 parameter function ($\chi^2/\text{dof} = 3818/3799$). The total event sample of $0.95 \times 10^9 e^+$ with $E \geq 2.0$ GeV is shown.

from hep-ph/0102017

Standard Model Prediction

Exp (E821)	116 592 089	(63)	[10 ⁻¹¹]	
QED (α^5 , Rb)	116 584 718.951	(0.080)		
EW (W/Z/H _{SM} , NLO)	154.0	(1.0)		
Hadronic (leading)	[HLMNT]	6 949.1	(43)*	had
	[DHMZ]	6 923	(42)	
Hadronic (α higher)	-98.4	(0.7)		
Hadronic (LbL)	[RdRV]	105	(26)*	had
	[NJN]	116	(39)	

from Talk by M.Endo
@Hokkaido Winter School 2013

DM and $g-2$ in SUSY

[M.Endo, KH, S.Iwamoto, T.Yoshinaga,
in preparation]

muon $g-2$

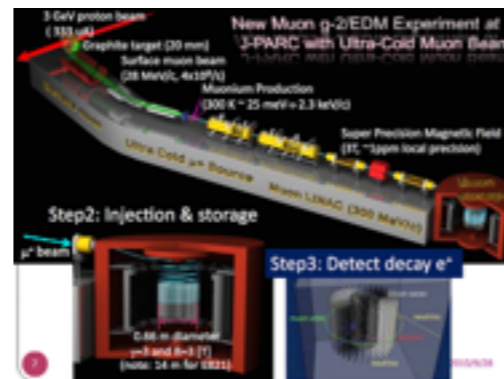
$$a_{\mu}^{\text{EXP}} - a_{\mu}^{\text{SM}} = (26.1 \pm 8.0) \cdot 10^{-10}$$

> 3 σ deviation !

New experiments also planned.



FermiLab Muon $g-2$



J-PARC $g-2$ /EDM

DM and $g-2$ in SUSY

muon $g-2$

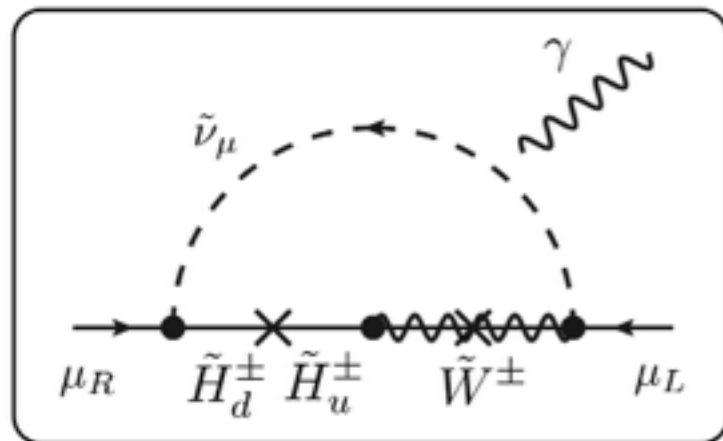
$$a_{\mu}^{\text{EXP}} - a_{\mu}^{\text{SM}} = (26.1 \pm 8.0) \cdot 10^{-10}$$

> 3σ deviation !

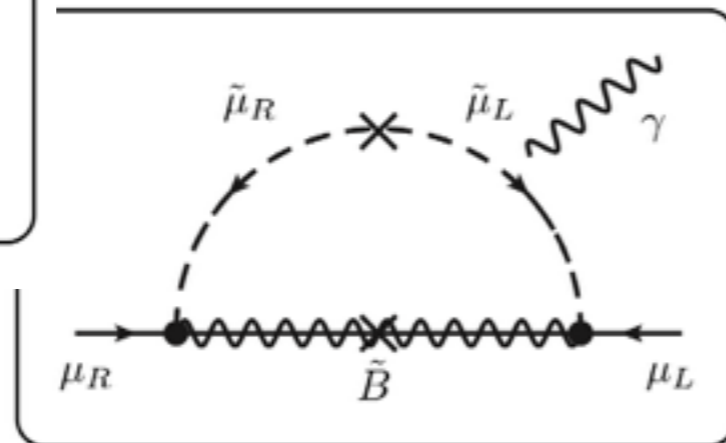


...can be explained by SUSY.

chargino



neutralino



... if smuon and
chargino/neutralino
are $O(100 \text{ GeV})$.

DM and $g-2$ in SUSY

Idea: take slices of parameter space motivated by each physics (not scatter plot!)
and study DM detection, LHC, ILC.....

DM

- pure Wino (≈ 3 TeV)
- pure Higgsino (≈ 1 TeV)
- Bino-slepton coann.
- h/Z-resonant Bino
-
-

X

$g-2$

$$\Delta a_\mu(\tilde{W}, \tilde{H}, \tilde{\nu}_\mu) = \frac{\alpha_2}{4\pi} \frac{m_\mu^2}{M_2 \mu} \tan \beta \cdot f_C \left(\frac{M_2^2}{m_{\tilde{\nu}}^2}, \frac{\mu^2}{m_{\tilde{\nu}}^2} \right),$$

$$\Delta a_\mu(\tilde{W}, \tilde{H}, \tilde{\mu}_L) = -\frac{\alpha_2}{8\pi} \frac{m_\mu^2}{M_2 \mu} \tan \beta \cdot f_N \left(\frac{M_2^2}{m_{\tilde{\mu}_L}^2}, \frac{\mu^2}{m_{\tilde{\mu}_L}^2} \right),$$

$$\Delta a_\mu(\tilde{B}, \tilde{H}, \tilde{\mu}_L) = \frac{\alpha_Y}{8\pi} \frac{m_\mu^2}{M_1 \mu} \tan \beta \cdot f_N \left(\frac{M_1^2}{m_{\tilde{\mu}_L}^2}, \frac{\mu^2}{m_{\tilde{\mu}_L}^2} \right),$$

$$\Delta a_\mu(\tilde{B}, \tilde{H}, \tilde{\mu}_R) = -\frac{\alpha_Y}{4\pi} \frac{m_\mu^2}{M_1 \mu} \tan \beta \cdot f_N \left(\frac{M_1^2}{m_{\tilde{\mu}_R}^2}, \frac{\mu^2}{m_{\tilde{\mu}_R}^2} \right),$$

$$\Delta a_\mu(\tilde{\mu}_L, \tilde{\mu}_R, \tilde{B}) = \frac{\alpha_Y}{4\pi} \frac{m_\mu^2 M_1 \mu}{m_{\tilde{\mu}_L}^2 m_{\tilde{\mu}_R}^2} \tan \beta \cdot f_N \left(\frac{m_{\tilde{\mu}_L}^2}{M_1^2}, \frac{m_{\tilde{\mu}_R}^2}{M_1^2} \right)$$

$$f_C(x, y) = xy \left[\frac{5 - 3(x+y) + xy}{(x-1)^2(y-1)^2} - \frac{2 \log x}{(x-y)(x-1)^3} + \frac{2 \log y}{(x-y)(y-1)^3} \right]$$

$$f_N(x, y) = xy \left[\frac{-3 + x + y + xy}{(x-1)^2(y-1)^2} + \frac{2x \log x}{(x-y)(x-1)^3} - \frac{2y \log y}{(x-y)(y-1)^3} \right]$$

DM and $g-2$ in SUSY

Idea: take slices of parameter space motivated by each physics (not scatter plot!)
and study DM detection, LHC, ILC.....

For example,...

DM

- pure Wino (≈ 3 TeV)
- pure Higgsino (≈ 1 TeV)
- Bino-slepton coann.
- h/Z -resonant Bino
-
-

X

$g-2$

$$\begin{aligned} \Delta a_\mu(\tilde{W}, \tilde{H}, \tilde{\nu}_\mu) &= \frac{\alpha_2}{4\pi} \frac{m_\mu^2}{M_2 \mu} \tan \beta \cdot f_C \left(\frac{M_2^2}{m_{\tilde{\nu}}^2}, \frac{\mu^2}{m_{\tilde{\nu}}^2} \right), \\ \Delta a_\mu(\tilde{W}, \tilde{H}, \tilde{\mu}_L) &= -\frac{\alpha_2}{8\pi} \frac{m_\mu^2}{M_2 \mu} \tan \beta \cdot f_N \left(\frac{M_2^2}{m_{\tilde{\mu}_L}^2}, \frac{\mu^2}{m_{\tilde{\mu}_L}^2} \right), \\ \Delta a_\mu(\tilde{B}, \tilde{H}, \tilde{\mu}_L) &= \frac{\alpha_Y}{8\pi} \frac{m_\mu^2}{M_1 \mu} \tan \beta \cdot f_N \left(\frac{M_1^2}{m_{\tilde{\mu}_L}^2}, \frac{\mu^2}{m_{\tilde{\mu}_L}^2} \right), \\ \Delta a_\mu(\tilde{B}, \tilde{H}, \tilde{\mu}_R) &= -\frac{\alpha_Y}{4\pi} \frac{m_\mu^2}{M_1 \mu} \tan \beta \cdot f_N \left(\frac{M_1^2}{m_{\tilde{\mu}_R}^2}, \frac{\mu^2}{m_{\tilde{\mu}_R}^2} \right), \\ \Delta a_\mu(\tilde{\mu}_L, \tilde{\mu}_R, \tilde{B}) &= \frac{\alpha_Y}{4\pi} \frac{m_\mu^2 M_1 \mu}{m_{\tilde{\mu}_L}^2 m_{\tilde{\mu}_R}^2} \tan \beta \cdot f_N \left(\frac{m_{\tilde{\mu}_L}^2}{M_1^2}, \frac{m_{\tilde{\mu}_R}^2}{M_1^2} \right) \end{aligned}$$

$$\begin{aligned} f_C(x, y) &= xy \left[\frac{5 - 3(x+y) + xy}{(x-1)^2(y-1)^2} - \frac{2 \log x}{(x-y)(x-1)^3} + \frac{2 \log y}{(x-y)(y-1)^3} \right] \\ f_N(x, y) &= xy \left[\frac{-3 + x + y + xy}{(x-1)^2(y-1)^2} + \frac{2x \log x}{(x-y)(x-1)^3} - \frac{2y \log y}{(x-y)(y-1)^3} \right] \end{aligned}$$

DM and $g-2$ in SUSY

Idea: take slices of parameter space motivated by each physics (not scatter plot!)
and study DM detection, LHC, ILC.....

For example,...

DM

- pure Wino (≈ 3 TeV)
- pure Higgsino (≈ 1 TeV)
- Bino-slepton coann.
- h/Z -resonant Bino
-
-

X

$g-2$

$$\Delta a_\mu(\tilde{W}, \tilde{H}, \tilde{\nu}_\mu) = \frac{\alpha_2}{4\pi} \frac{m_\mu^2}{M_2 \mu} \tan \beta \cdot f_C \left(\frac{M_2^2}{m_{\tilde{\nu}}^2}, \frac{\mu^2}{m_{\tilde{\nu}}^2} \right),$$

$$\Delta a_\mu(\tilde{W}, \tilde{H}, \tilde{\mu}_L) = -\frac{\alpha_2}{8\pi} \frac{m_\mu^2}{M_2 \mu} \tan \beta \cdot f_N \left(\frac{M_2^2}{m_{\tilde{\mu}_L}^2}, \frac{\mu^2}{m_{\tilde{\mu}_L}^2} \right),$$

$$\Delta a_\mu(\tilde{B}, \tilde{H}, \tilde{\mu}_L) = \frac{\alpha_Y}{8\pi} \frac{m_\mu^2}{M_1 \mu} \tan \beta \cdot f_N \left(\frac{M_1^2}{m_{\tilde{\mu}_L}^2}, \frac{\mu^2}{m_{\tilde{\mu}_L}^2} \right),$$

$$\Delta a_\mu(\tilde{B}, \tilde{H}, \tilde{\mu}_R) = -\frac{\alpha_Y}{4\pi} \frac{m_\mu^2}{M_1 \mu} \tan \beta \cdot f_N \left(\frac{M_1^2}{m_{\tilde{\mu}_R}^2}, \frac{\mu^2}{m_{\tilde{\mu}_R}^2} \right),$$

$$\Delta a_\mu(\tilde{\mu}_L, \tilde{\mu}_R, \tilde{B}) = \frac{\alpha_Y}{4\pi} \frac{m_\mu^2 M_1 \mu}{m_{\tilde{\mu}_L}^2 m_{\tilde{\mu}_R}^2} \tan \beta \cdot f_N \left(\frac{m_{\tilde{\mu}_L}^2}{M_1^2}, \frac{m_{\tilde{\mu}_R}^2}{M_1^2} \right)$$

$$f_C(x, y) = xy \left[\frac{5 - 3(x+y) + xy}{(x-1)^2(y-1)^2} - \frac{2 \log x}{(x-y)(x-1)^3} + \frac{2 \log y}{(x-y)(y-1)^3} \right]$$

$$f_N(x, y) = xy \left[\frac{-3 + x + y + xy}{(x-1)^2(y-1)^2} + \frac{2x \log x}{(x-y)(x-1)^3} - \frac{2y \log y}{(x-y)(y-1)^3} \right]$$

DM and $g-2$ in SUSY

Idea: take slices of parameter space motivated by each physics (not scatter plot!)
and study DM detection, LHC, ILC.....

For example,...

DM

- pure Wino (≈ 3 TeV)
- pure Higgsino (≈ 1 TeV)
- Bino-slepton coann.
- h/Z-resonant Bino
-
-

X

$g-2$

$$\Delta a_\mu(\tilde{W}, \tilde{H}, \tilde{\nu}_\mu) = \frac{\alpha_2}{4\pi} \frac{m_\mu^2}{M_2 \mu} \tan \beta \cdot f_C \left(\frac{M_2^2}{m_{\tilde{\nu}}^2}, \frac{\mu^2}{m_{\tilde{\nu}}^2} \right),$$

$$\Delta a_\mu(\tilde{W}, \tilde{H}, \tilde{\mu}_L) = -\frac{\alpha_2}{8\pi} \frac{m_\mu^2}{M_2 \mu} \tan \beta \cdot f_N \left(\frac{M_2^2}{m_{\tilde{\mu}_L}^2}, \frac{\mu^2}{m_{\tilde{\mu}_L}^2} \right),$$

$$\Delta a_\mu(\tilde{B}, \tilde{H}, \tilde{\mu}_L) = \frac{\alpha_Y}{8\pi} \frac{m_\mu^2}{M_1 \mu} \tan \beta \cdot f_N \left(\frac{M_1^2}{m_{\tilde{\mu}_L}^2}, \frac{\mu^2}{m_{\tilde{\mu}_L}^2} \right),$$

$$\Delta a_\mu(\tilde{B}, \tilde{H}, \tilde{\mu}_R) = -\frac{\alpha_Y}{4\pi} \frac{m_\mu^2}{M_1 \mu} \tan \beta \cdot f_N \left(\frac{M_1^2}{m_{\tilde{\mu}_R}^2}, \frac{\mu^2}{m_{\tilde{\mu}_R}^2} \right),$$

$$\Delta a_\mu(\tilde{\mu}_L, \tilde{\mu}_R, \tilde{B}) = \frac{\alpha_Y}{4\pi} \frac{m_\mu^2 M_1 \mu}{m_{\tilde{\mu}_L}^2 m_{\tilde{\mu}_R}^2} \tan \beta \cdot f_N \left(\frac{m_{\tilde{\mu}_L}^2}{M_1^2}, \frac{m_{\tilde{\mu}_R}^2}{M_1^2} \right)$$

$$f_C(x, y) = xy \left[\frac{5 - 3(x+y) + xy}{(x-1)^2(y-1)^2} - \frac{2 \log x}{(x-y)(x-1)^3} + \frac{2 \log y}{(x-y)(y-1)^3} \right]$$

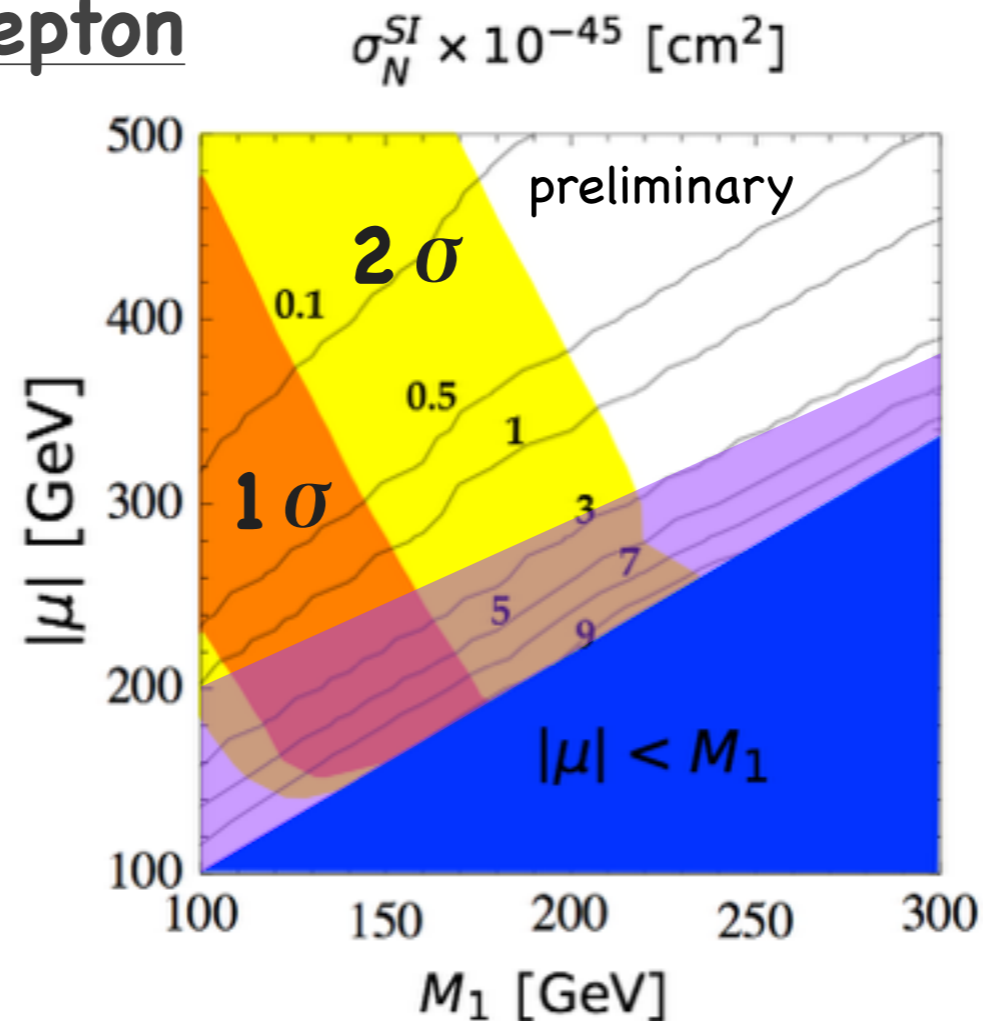
$$f_N(x, y) = xy \left[\frac{-3 + x + y + xy}{(x-1)^2(y-1)^2} + \frac{2x \log x}{(x-y)(x-1)^3} - \frac{2y \log y}{(x-y)(y-1)^3} \right]$$

DM and $g-2$ in SUSY

Idea: take slices of parameter space motivated by each physics (not scatter plot!)
and study DM detection, LHC, ILC.....

For example,...

coannihilation with slepton



(Fig. from Talk by T.Yoshinaga at JPS meeting March 2014.)

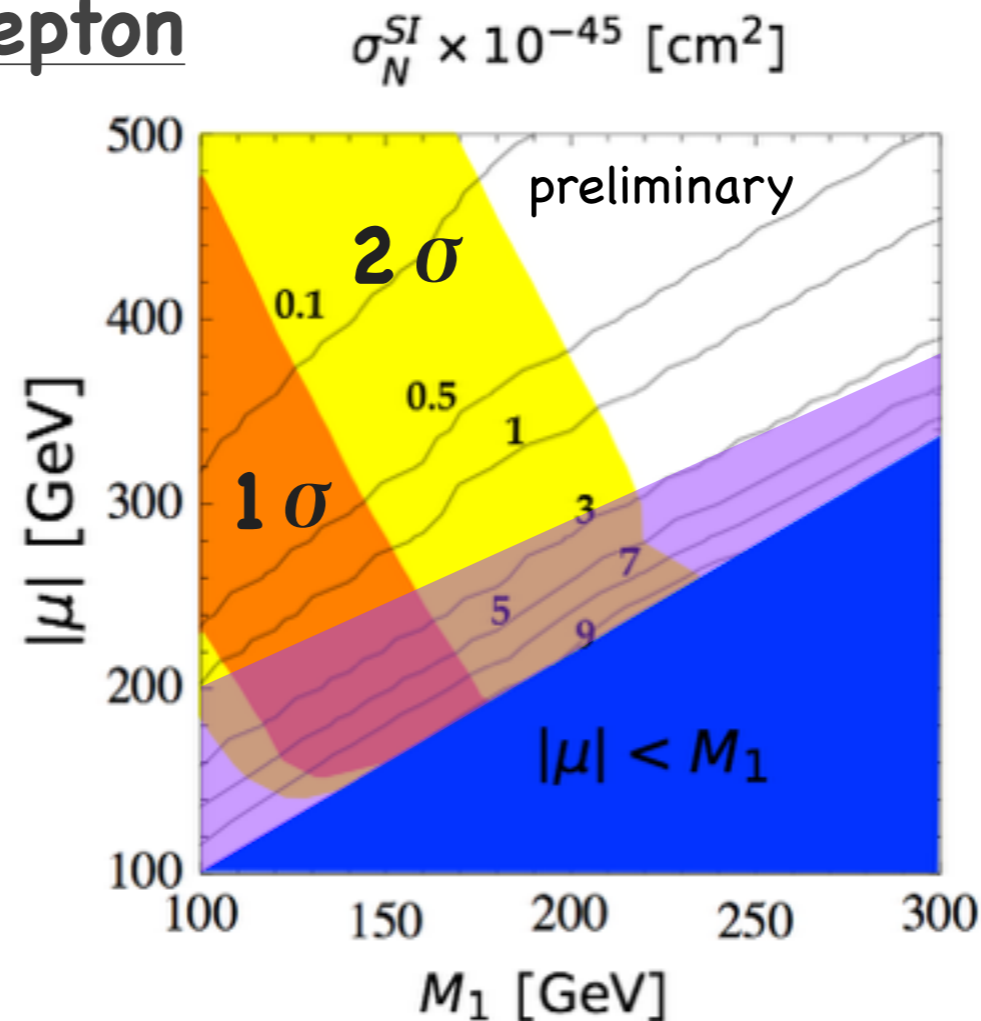
$\tan\beta = 40$

DM and $g-2$ in SUSY

Idea: take slices of parameter space motivated by each physics (not scatter plot!)
and study DM detection, LHC, ILC.....

For example,...

coannihilation with slepton



By adjusting $m(\text{slepton}_R)$,
 $\Omega_{\text{thermal}} = \Omega_{\text{CDM}}$
in all region of $M_1 < |\mu|$.

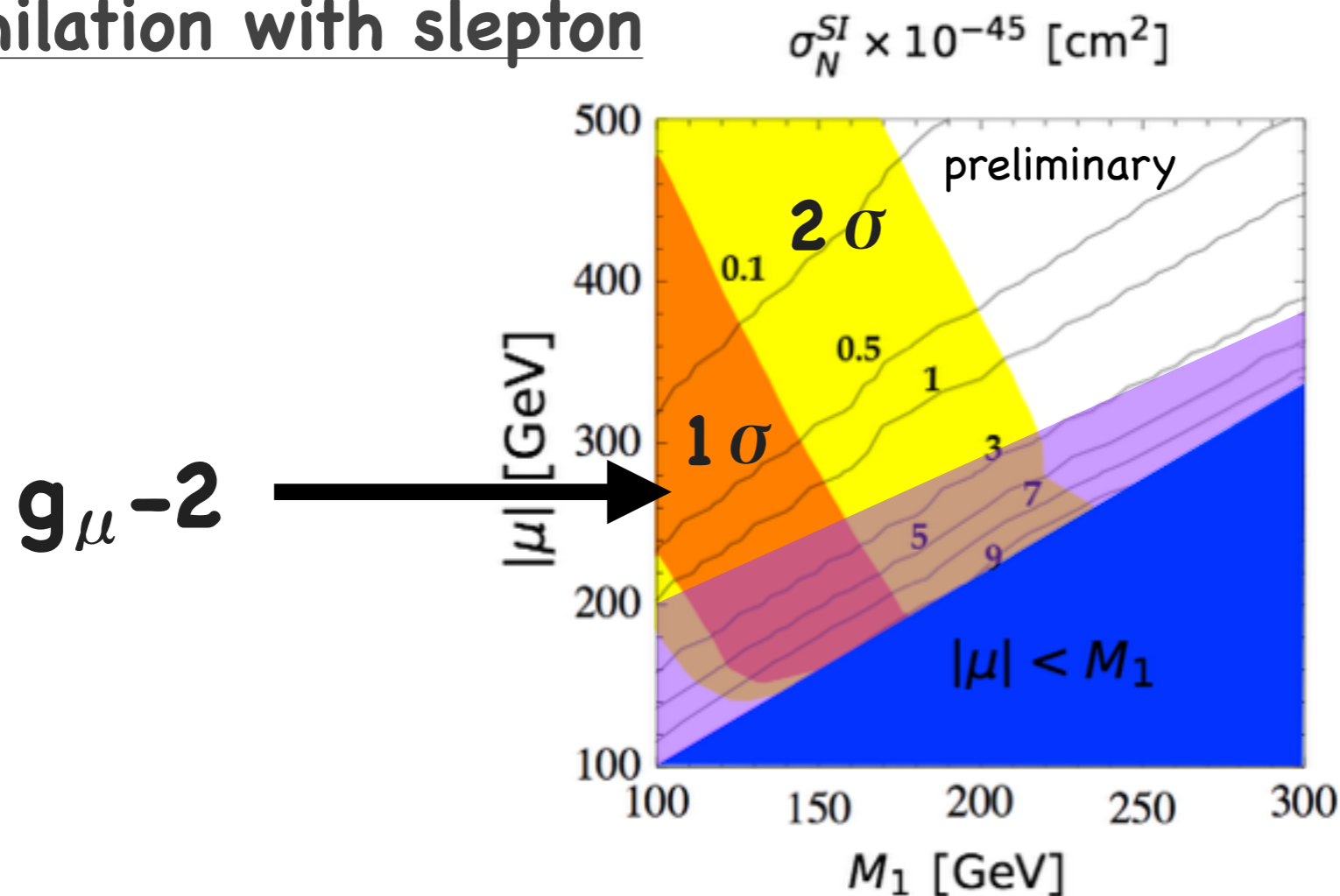
Typically $m(\text{slepton}) - m(\text{Bino}) = \text{a few GeV}$.

DM and g_{μ}^{-2} in SUSY

Idea: take slices of parameter space motivated by each physics (not scatter plot!)
and study DM detection, LHC, ILC.....

For example,...

coannihilation with slepton



By adjusting $m(\text{slepton}_R)$,
 $\Omega_{\text{thermal}} = \Omega_{\text{CDM}}$
in all region of $M_1 < |\mu|$.

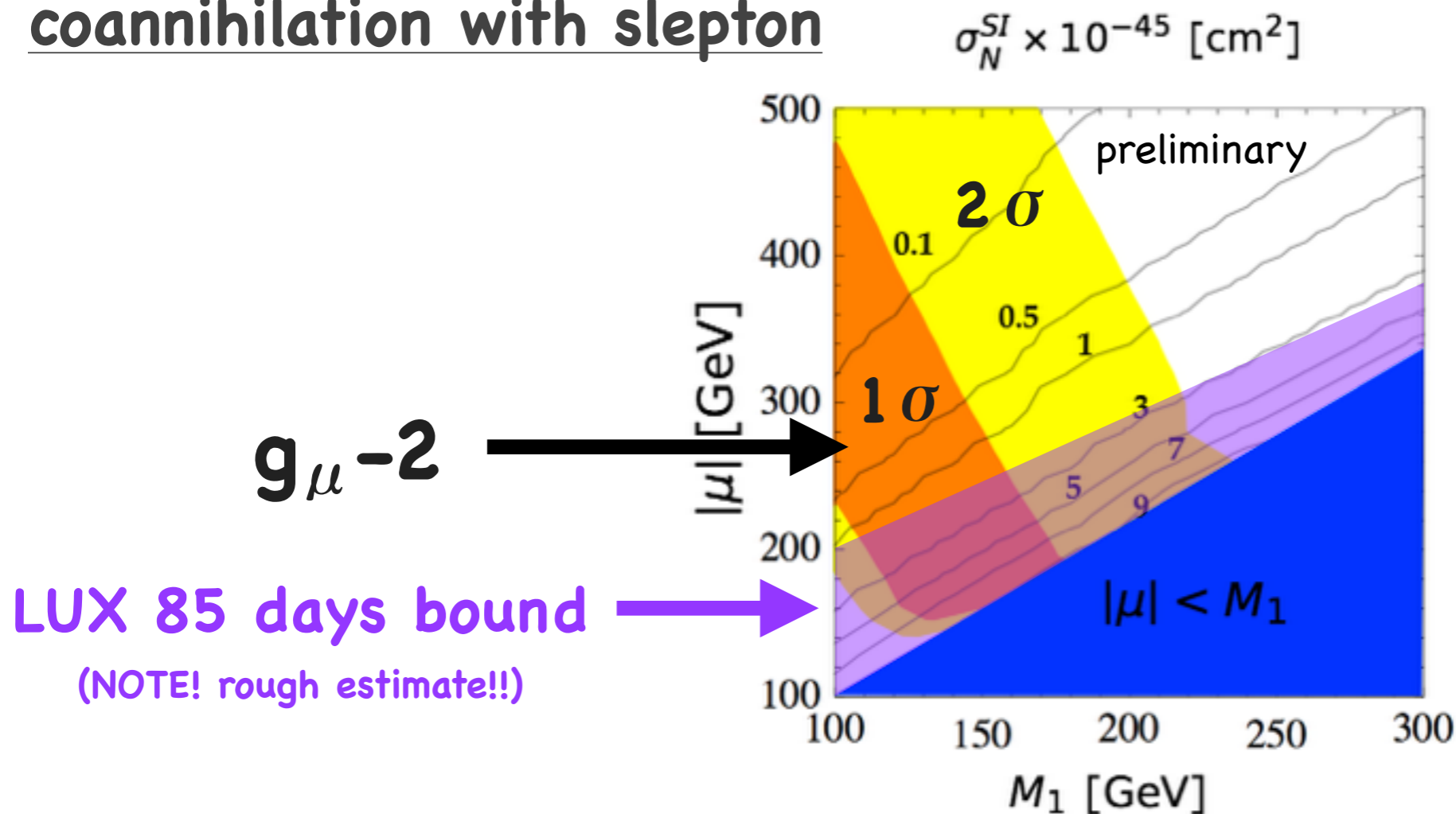
Typically $m(\text{slepton}) - m(\text{Bino}) = \text{a few GeV}$.

DM and g_{μ}^{-2} in SUSY

Idea: take slices of parameter space motivated by each physics (not scatter plot!)
and study DM detection, LHC, ILC.....

For example,...

coannihilation with slepton



By adjusting $m(\text{slepton}_R)$,
 $\Omega_{\text{thermal}} = \Omega_{\text{CDM}}$
in all region of $M_1 < |\mu|$.

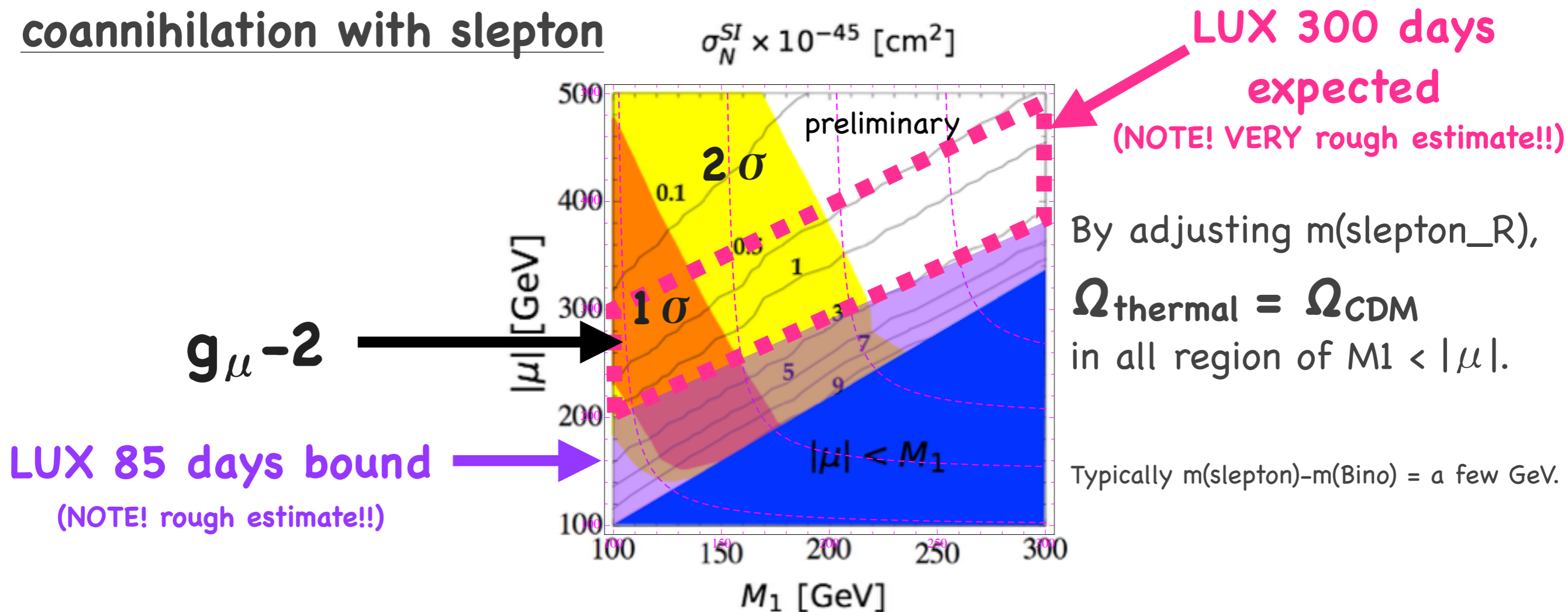
Typically $m(\text{slepton}) - m(\text{Bino}) = \text{a few GeV}$.

DM and g_{μ}^{-2} in SUSY

Idea: take slices of parameter space motivated by each physics (not scatter plot!)
and study DM detection, LHC, ILC.....

For example,...

coannihilation with slepton

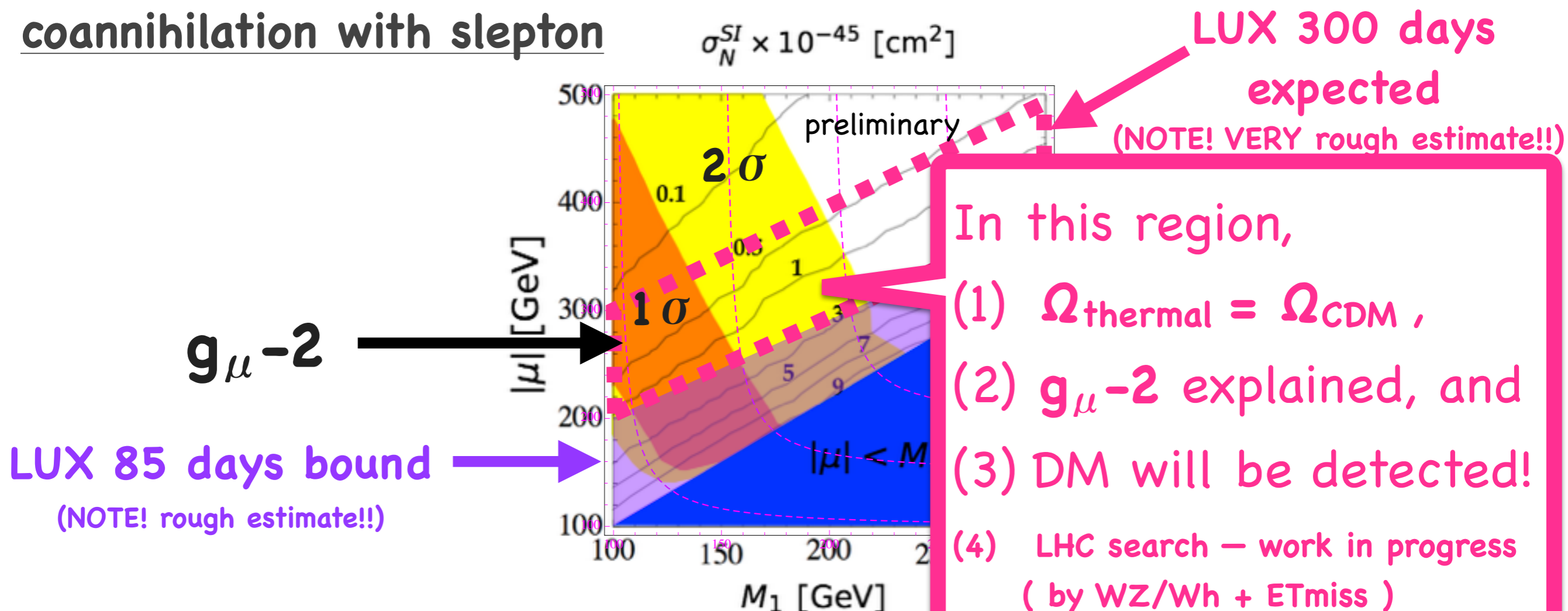


DM and $g_{\mu-2}$ in SUSY

Idea: take slices of parameter space motivated by each physics (not scatter plot!)
and study DM detection, LHC, ILC.....

For example,...

coannihilation with slepton

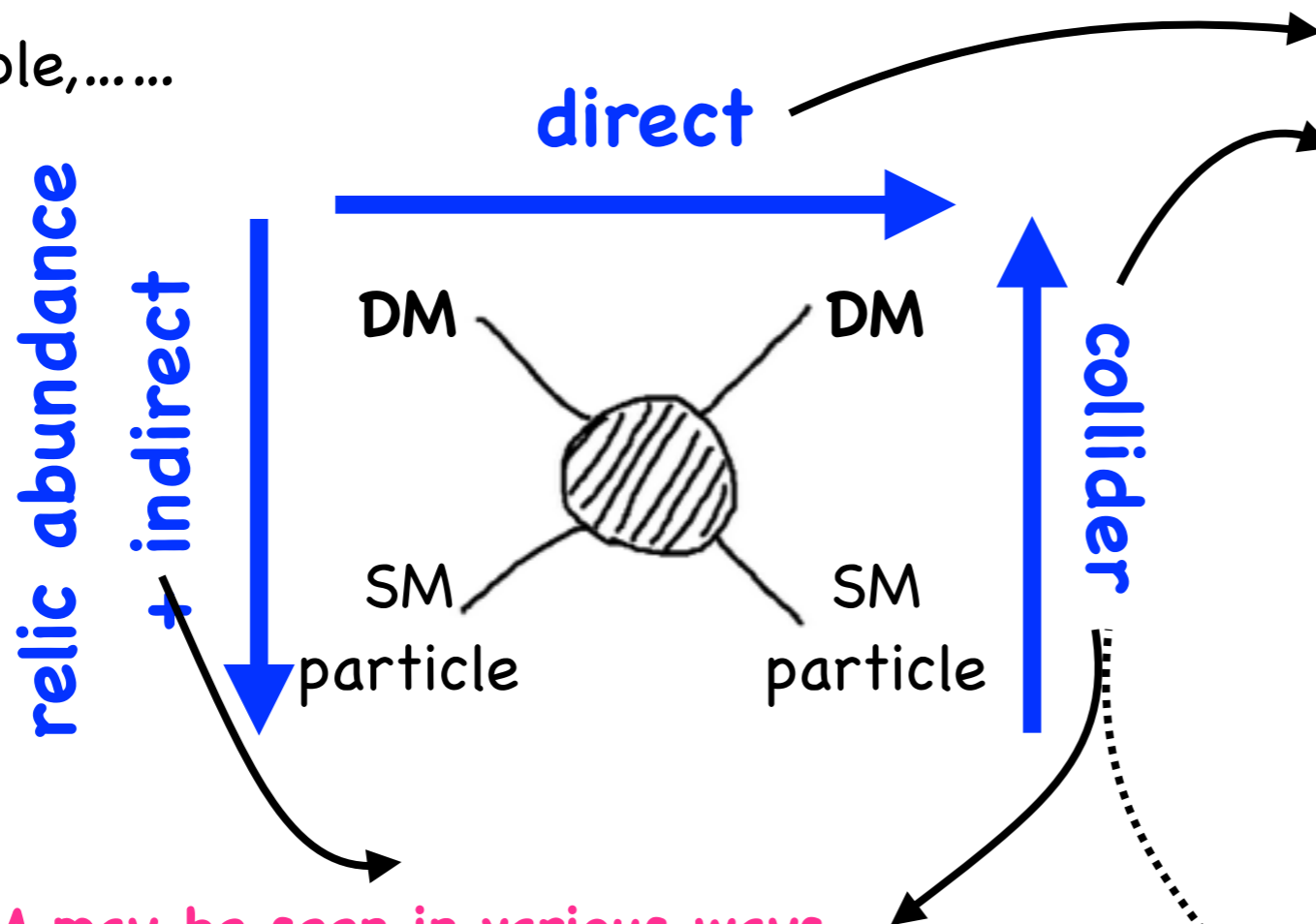


(Fig. from Talk by T.Yoshinaga at JPS meeting March 2014.)

Summary

- Higgs mass 126 GeV has a significant impact on SUSY.
- It may imply (some of) SUSY particles are (much) heavier than TeV scale...
- **SUSY DM** is still interesting, and testable in many ways!

For example,.....



- **Bino-like DM**
+ **Higgsino (+ slepton)**
is an attractive scenario,
 - can explain $\Omega_{\text{thermal}} = \Omega_{\text{CDM}}$,
(and muon $g-2$.)
 - can be tested by LHC /ILC
as well as direct detection!

- **Wino DM may be seen in various ways.**

If mass < 3 TeV, **non-thermal production** is necessary.
(**Q-ball decay** is an interesting and viable options.)

- **gravitino DM + stau NLSP**
may be tested at 14 TeV LHC.