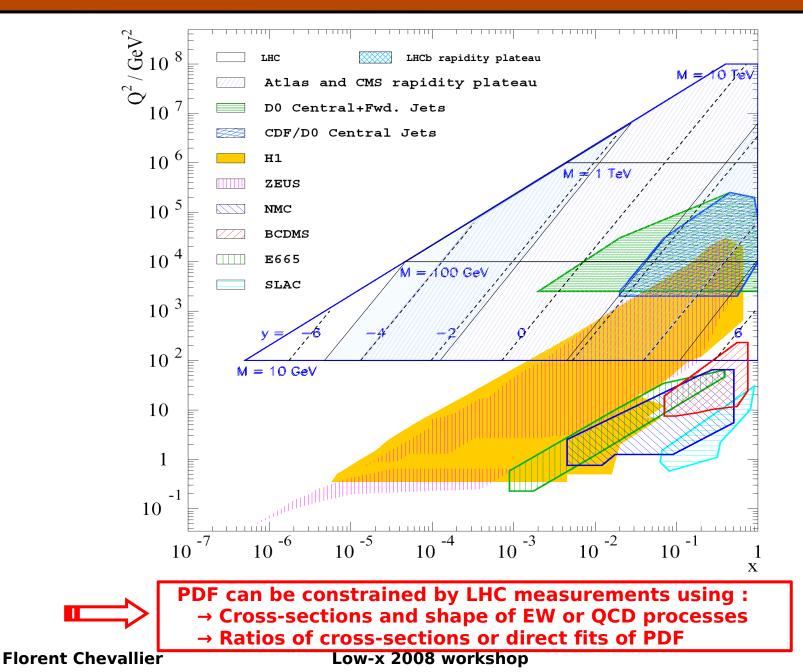
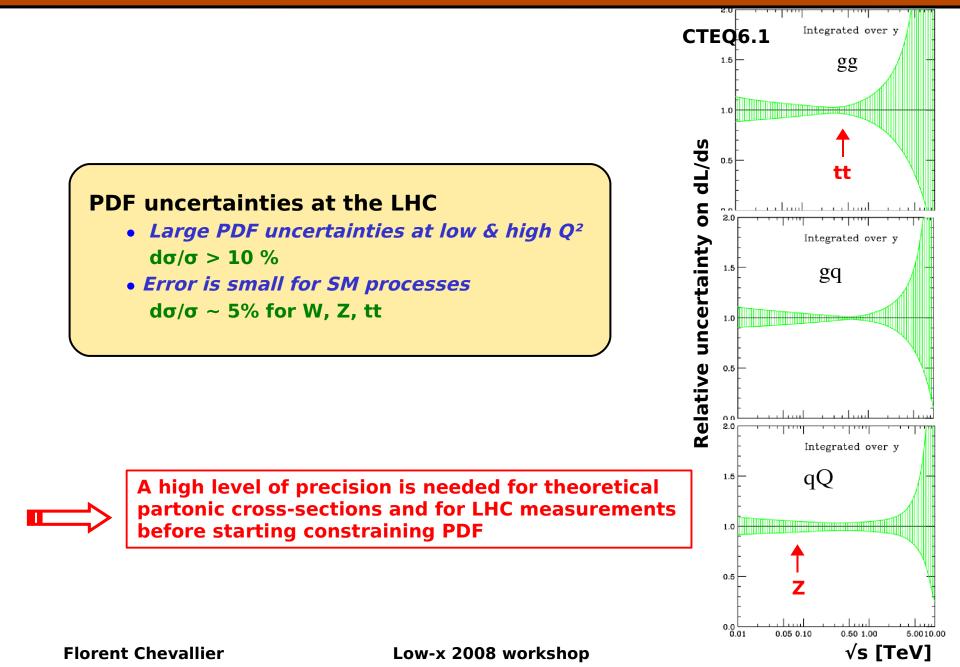
## Introduction

1



## Introduction



# PDF constraints with di-jet cross-section 2/2

### **Motivations**

- *High cross-section* dσ/σ = 1% (stat) @ pT = 2 TeV with 100 fb-1
- LHC will probe unexplored (x, Q<sup>2</sup>) domains
- *Non-DGLAP evolution sensitivity* Forward di-jets

#### **Main issues**

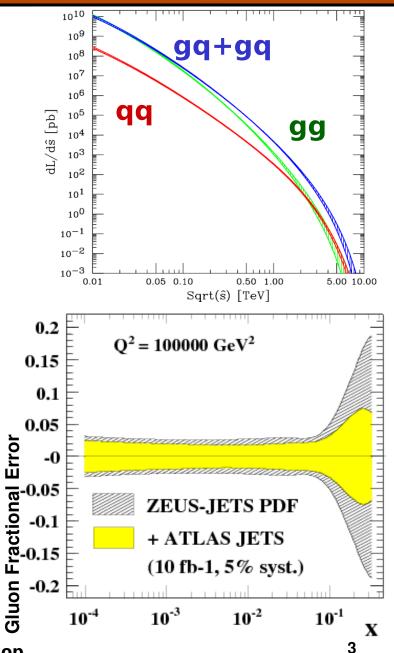
- *Minimum-bias and the underlying event* Dominated by soft processes
- Precise jet calibration

▲ JES ~ 1% @ 1 TeV

# PDF fitting using pseudo-data

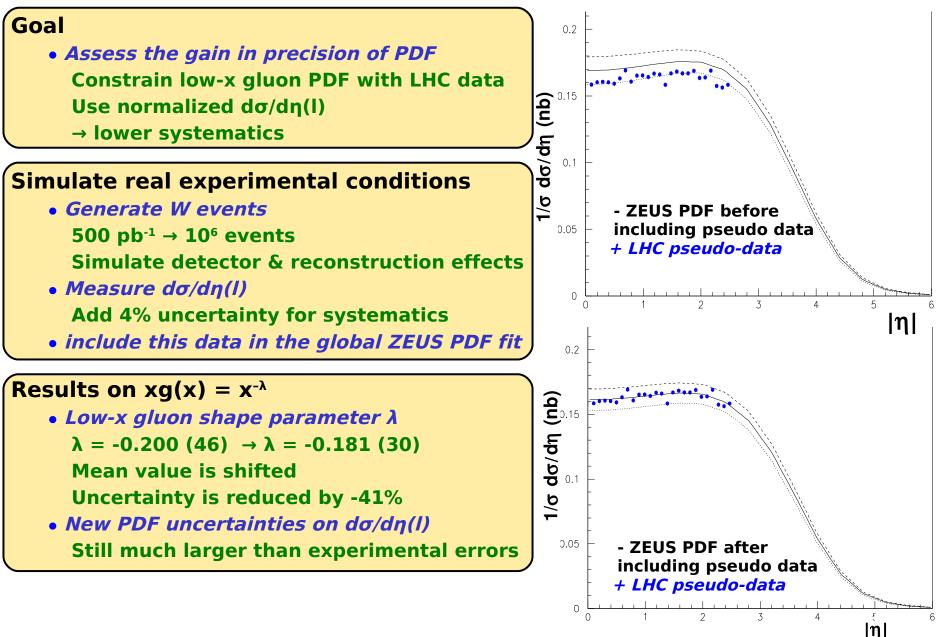
- Assess the potential of LHC data Generate 10 fb<sup>-1</sup> of di-jet events
  - $\rightarrow$  1 year at low luminosity
- Preliminary results
  LHC data can constrain the

LHC data can constrain the high x-gluon Small improvement if increasing statistics



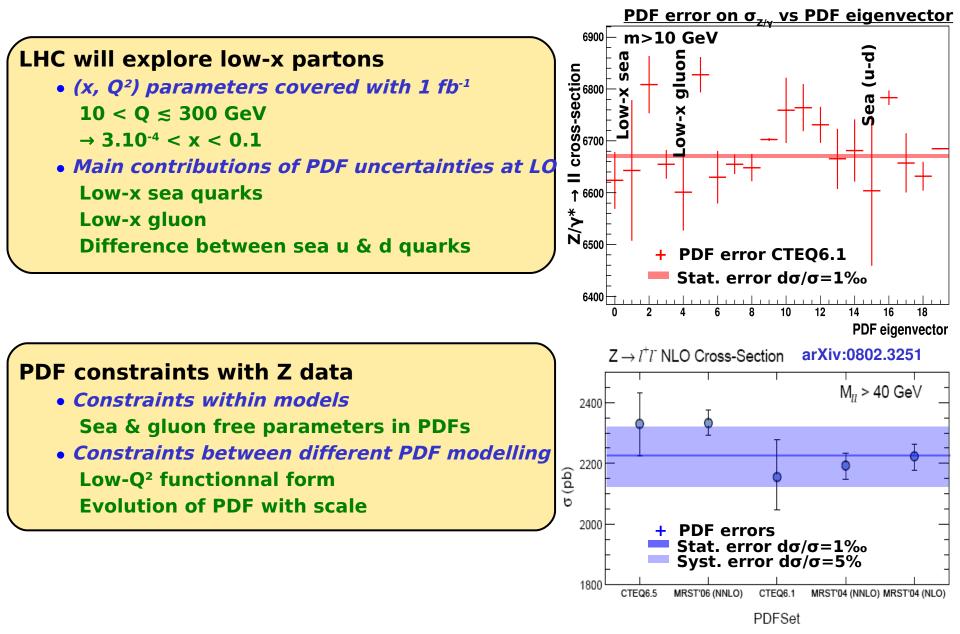
**Florent Chevallier** 

## **PDF constraints with W pseudo-data**

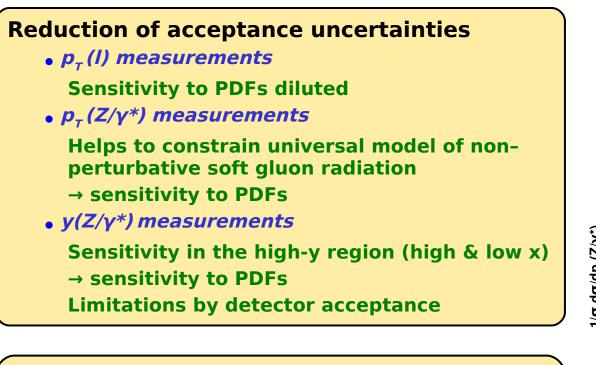


**Florent Chevallier** 

## **PDF constraints with Z cross-section**



### Reduction of acceptance uncertainties on Z cross-section with prior PDF constraints



#### **Other measurements that constrain PDF**

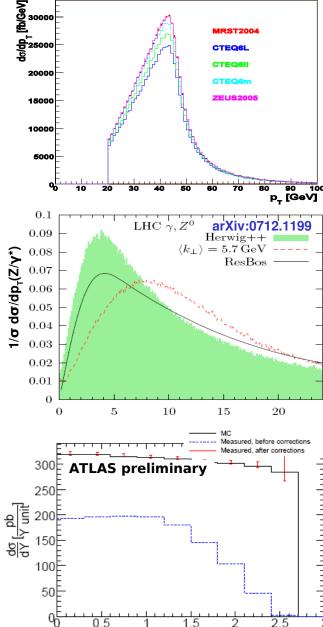
• *dσ/dM(Z/γ\*)* 

Sensitivity to low-x & Q<sup>2</sup><200<sup>2</sup>GeV<sup>2</sup> regions  $Q^2$ <200<sup>2</sup> GeV<sup>2</sup>  $\rightarrow$  x<0.1

• Asymmetry A<sub>FB</sub>

Need to estimate the quark & antiquark directions

**Experimental systematic errors are reduced** 



Z rapidity

**Florent Chevallier** 

## **Cross-normalizing experiments**

### **Problematics**

• Reduction of experimental uncertainties

$$\sigma^{\exp} = \frac{N}{L \cdot \varepsilon} \qquad \qquad \frac{d\sigma}{\sigma} = \frac{dN}{N} \oplus \frac{dL}{L} \oplus \frac{d\varepsilon}{\varepsilon}$$

Statistical errors Luminosity measurement

**Acceptance & selection efficiencies** 

### **Measurement of ratios**

• Correlated uncertainties cancel

$$R = \frac{\sigma}{\sigma^{\text{ref}}} = \frac{N}{L \cdot \varepsilon} / \frac{N^{\text{ref}}}{L \cdot \varepsilon^{\text{ref}}} \qquad \qquad \frac{dR}{R} = \frac{dN}{N} \oplus \frac{dN^{\text{ref}}}{N^{\text{ref}}} \oplus 0 \oplus \frac{d(\varepsilon/\varepsilon^{\text{ref}})}{\varepsilon/\varepsilon^{\text{ref}}}$$

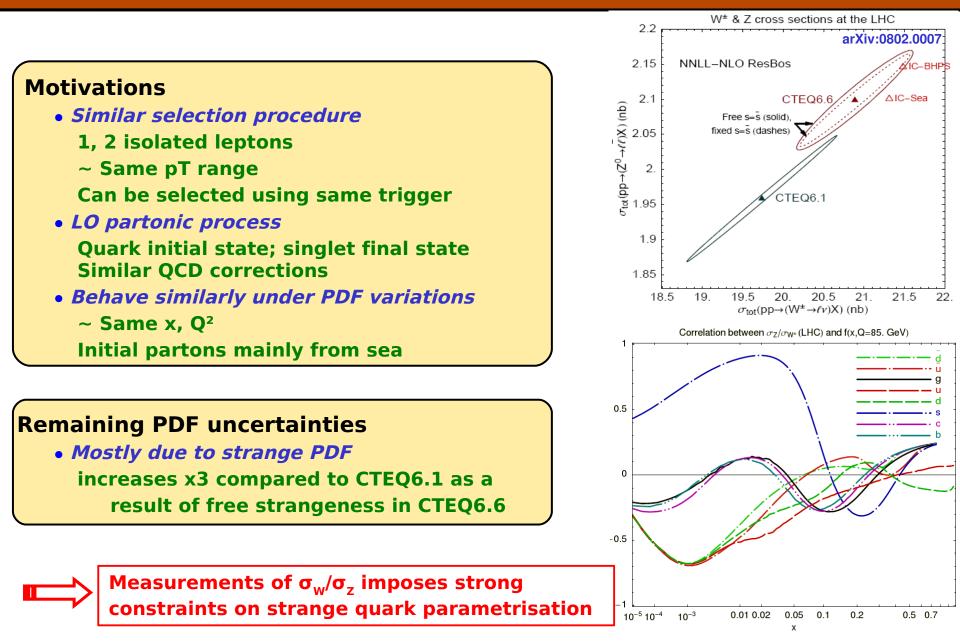
No luminosity uncertainty Additionnal terms from the reference measurement → larger uncertainty if uncorrelated systematics

### **Global variables**

- Shape of distributions (mean values, RMS, ...)
- Fits of distributions

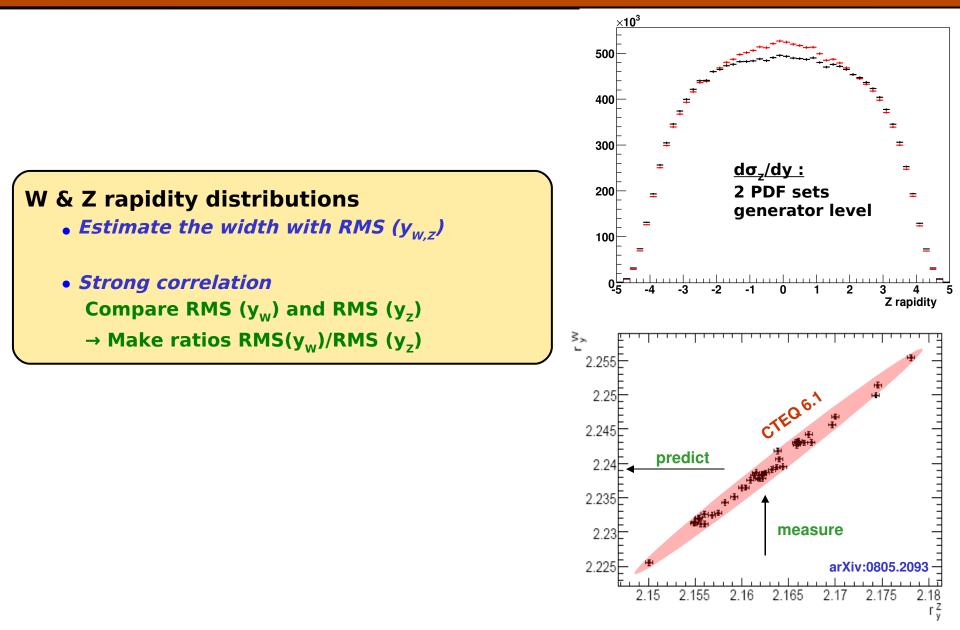
**Florent Chevallier** 

# PDF constraints with $\sigma_w/\sigma_z$

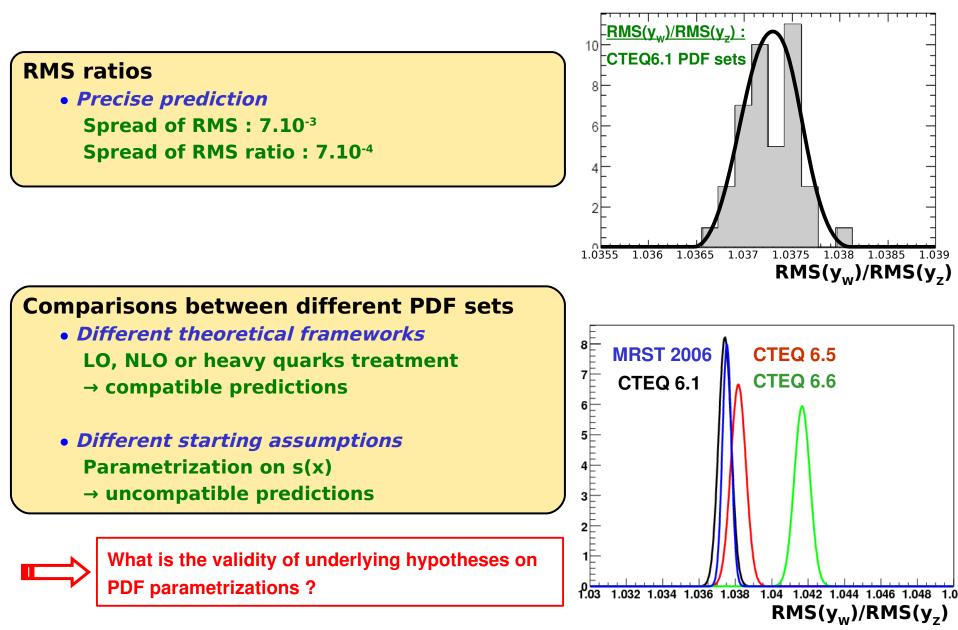


**Florent Chevallier** 

## PDF constraints with RMS of $d\sigma_7/dy$



## PDF constraints with RMS of $d\sigma_{7}/dy$



**Florent Chevallier** 

#### Low-x 2008 workshop

1/2